

# Testing the Expansion History of the Universe with TeV Photons



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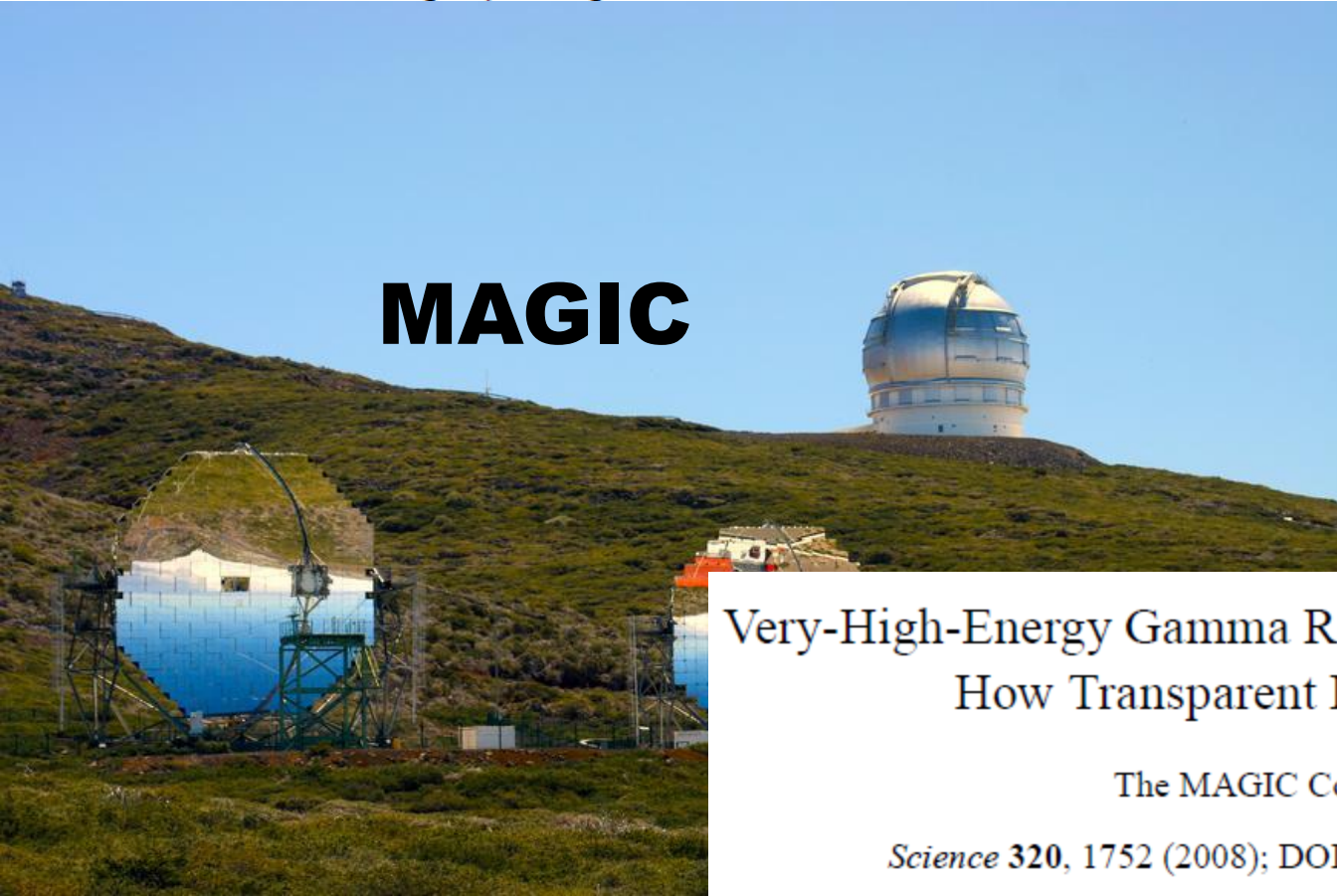
# HESS



A low level of extragalactic background light  
as revealed by  $\gamma$ -rays from blazars

Nature 440:1018 (2006)

# MAGIC



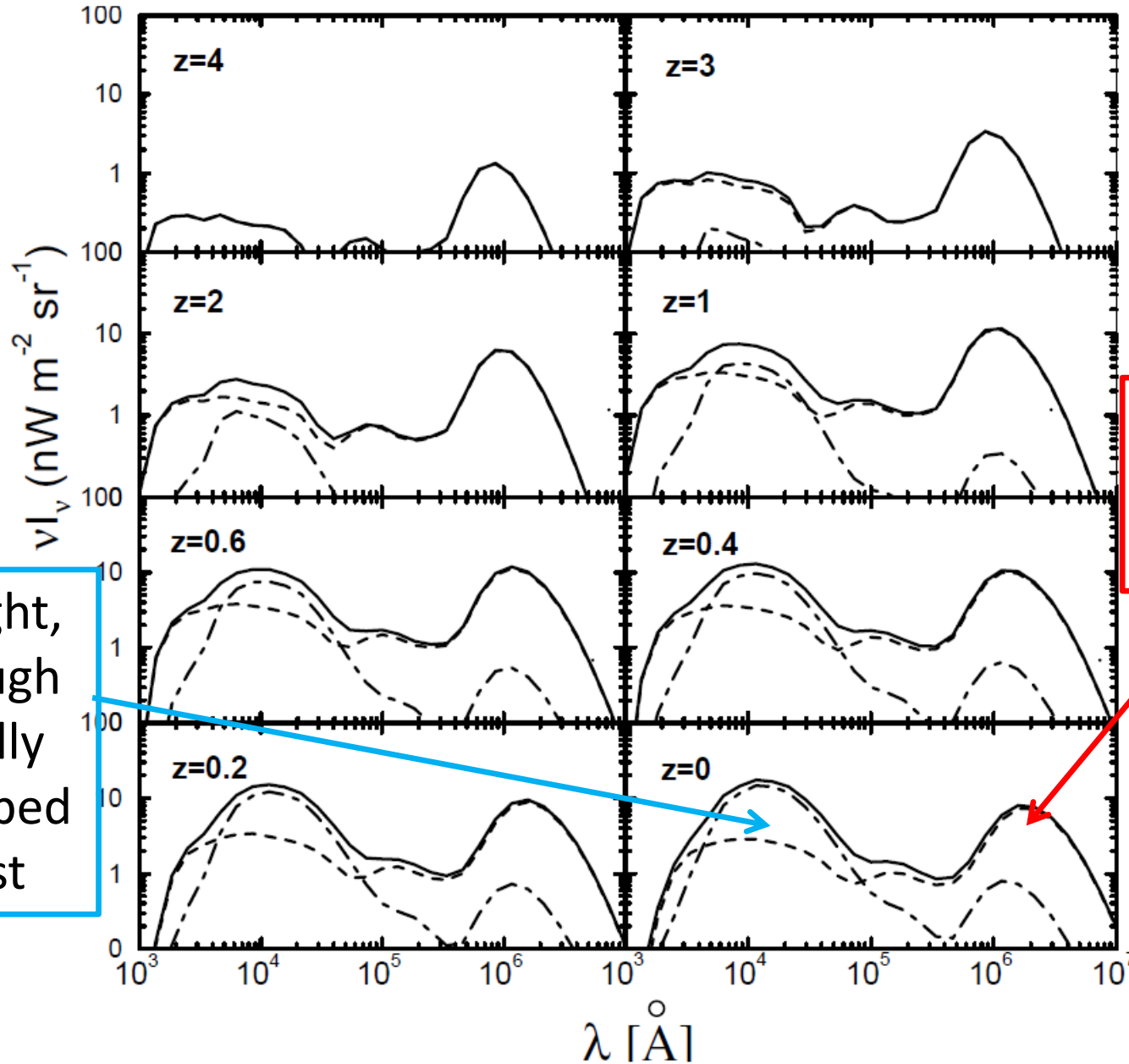
Quasar 3C279  
Z=0.536

Very-High-Energy Gamma Rays from a Distant Quasar:  
How Transparent Is the Universe?

The MAGIC Collaboration\*

*Science* 320, 1752 (2008); DOI: 10.1126/science.1157087

# Extragalactic Background Light

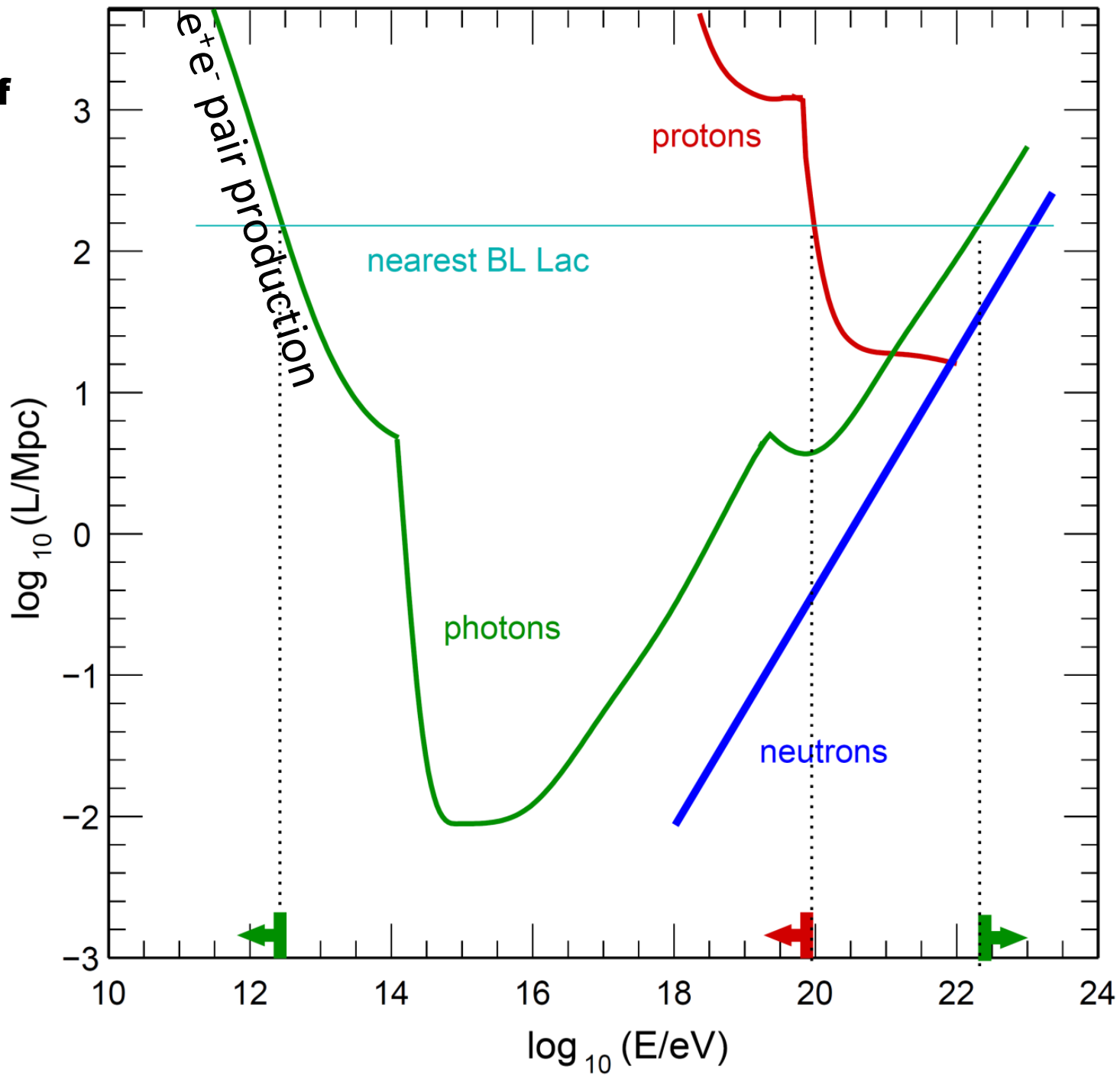


Starlight,  
although  
partially  
absorbed  
by dust

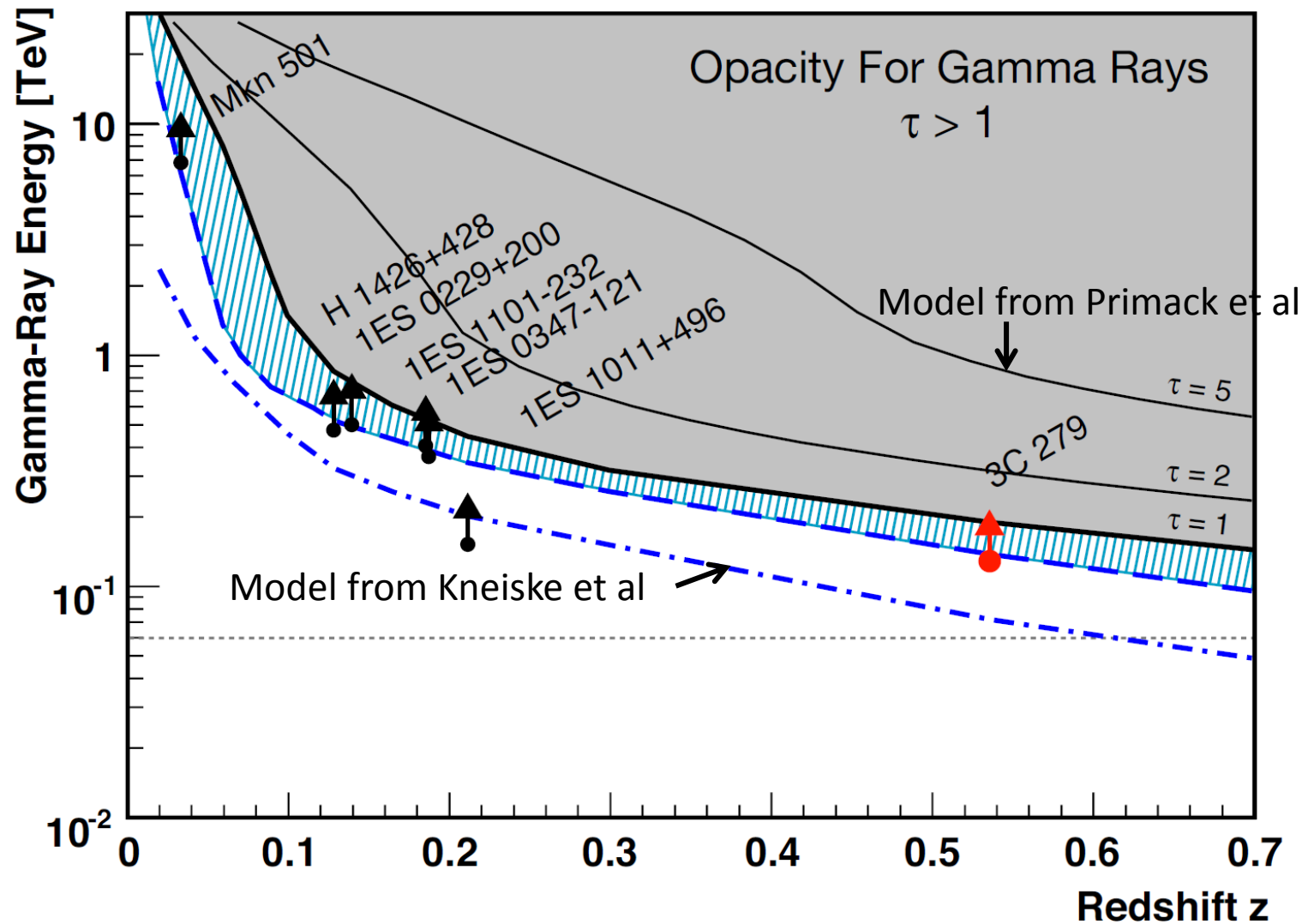
IR radiation  
Re-emitted  
By dust

Kneiske  
astro-ph/  
0202104

# Transparency of Universe at different wavelengths



# Gamma Ray Horizon






# Friedman Robertson Walker Model

Assume Isotropic/homogeneous Universe i.e. Robertson Walker Metric

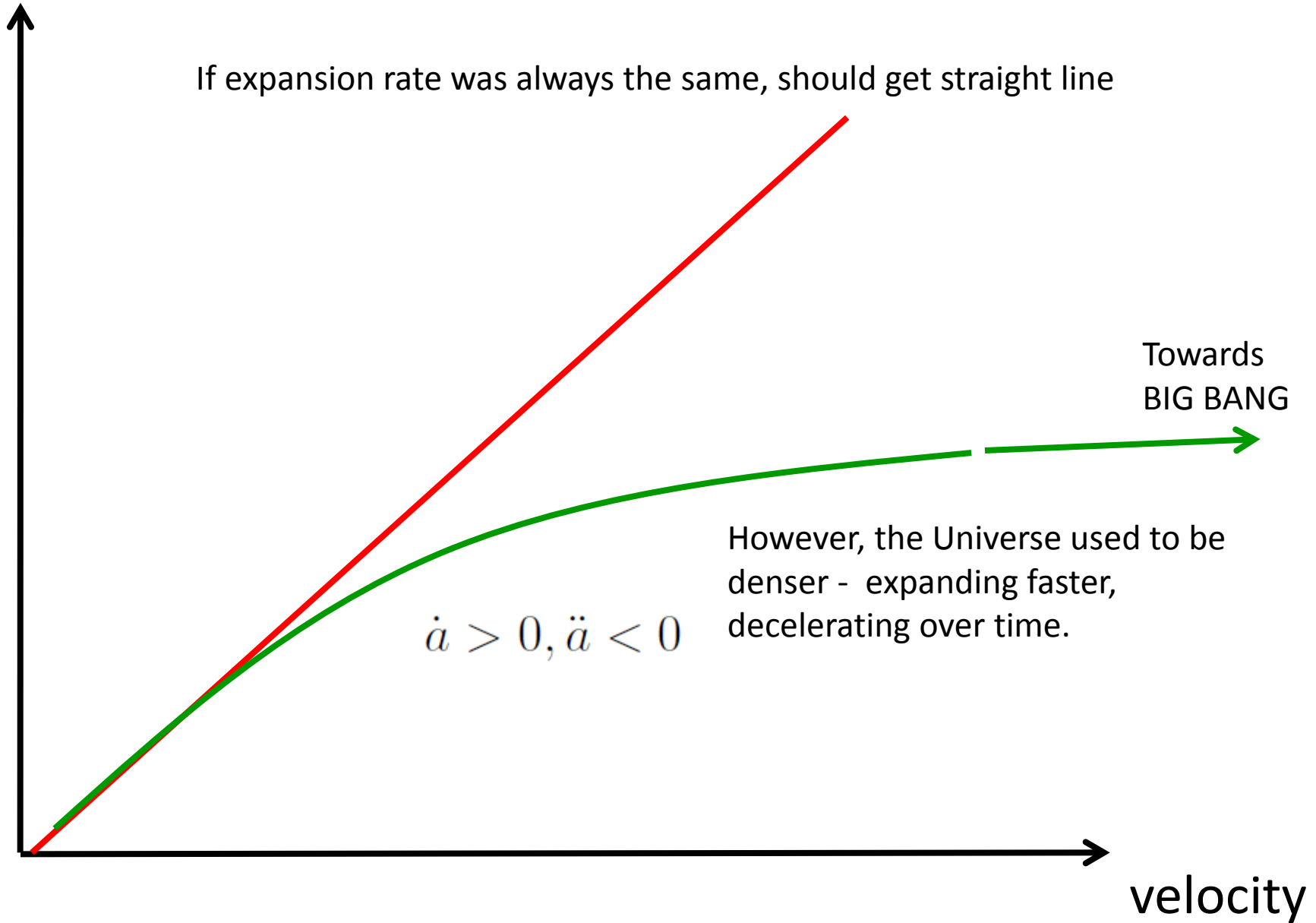
$$ds^2 = -c^2 dt^2 + a^2(t) \left( \frac{dr^2}{1 - kr^2} + r^2 d\theta^2 + r^2 \sin^2 \theta d\phi^2 \right)$$

 Comoving coordinate

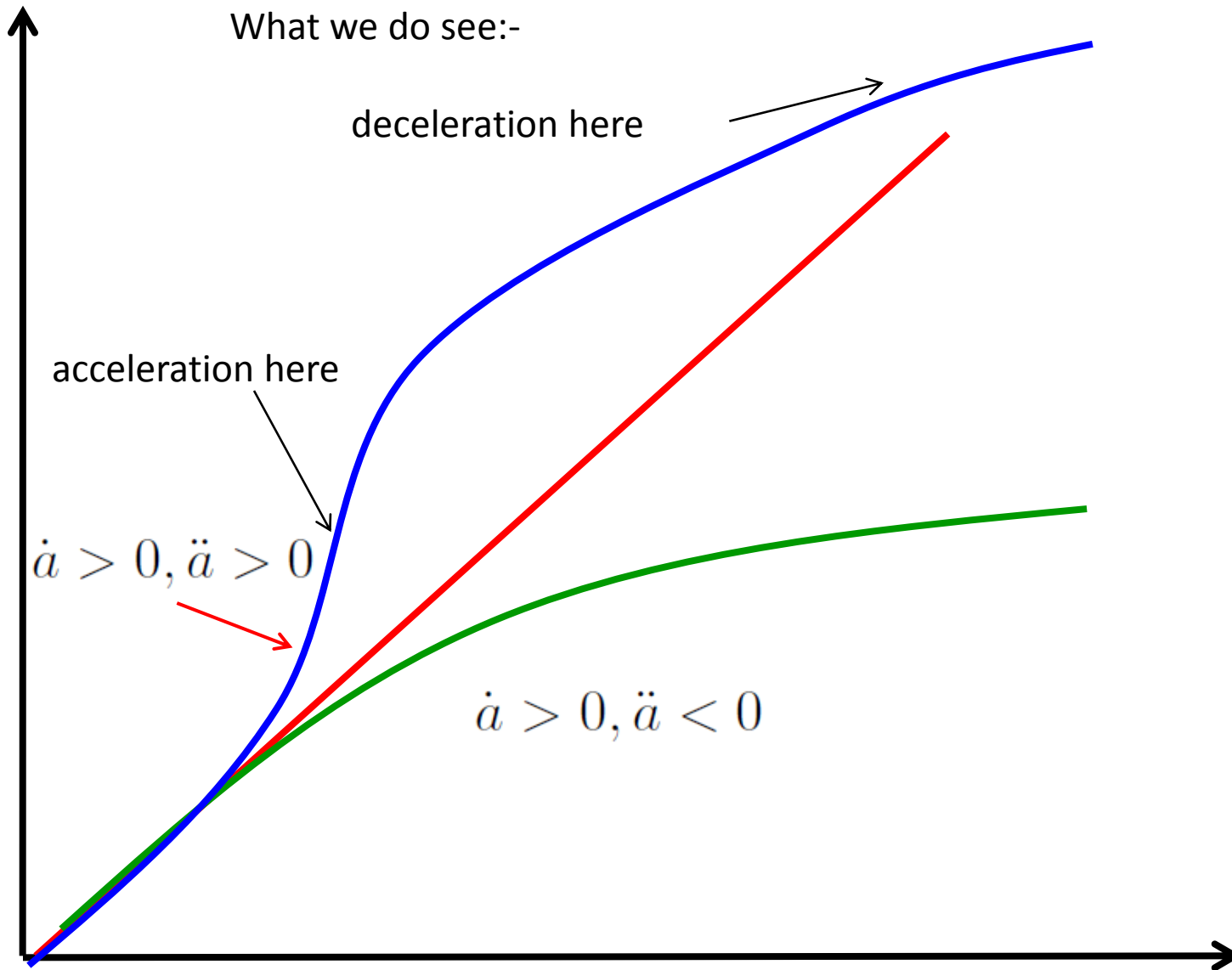
Leads to Friedman equation

$$H^2 = \left( \frac{\dot{a}}{a} \right)^2 = \frac{8\pi G}{3} \rho - \frac{k}{a^2}$$

distance



distance



What we do see:-

deceleration here

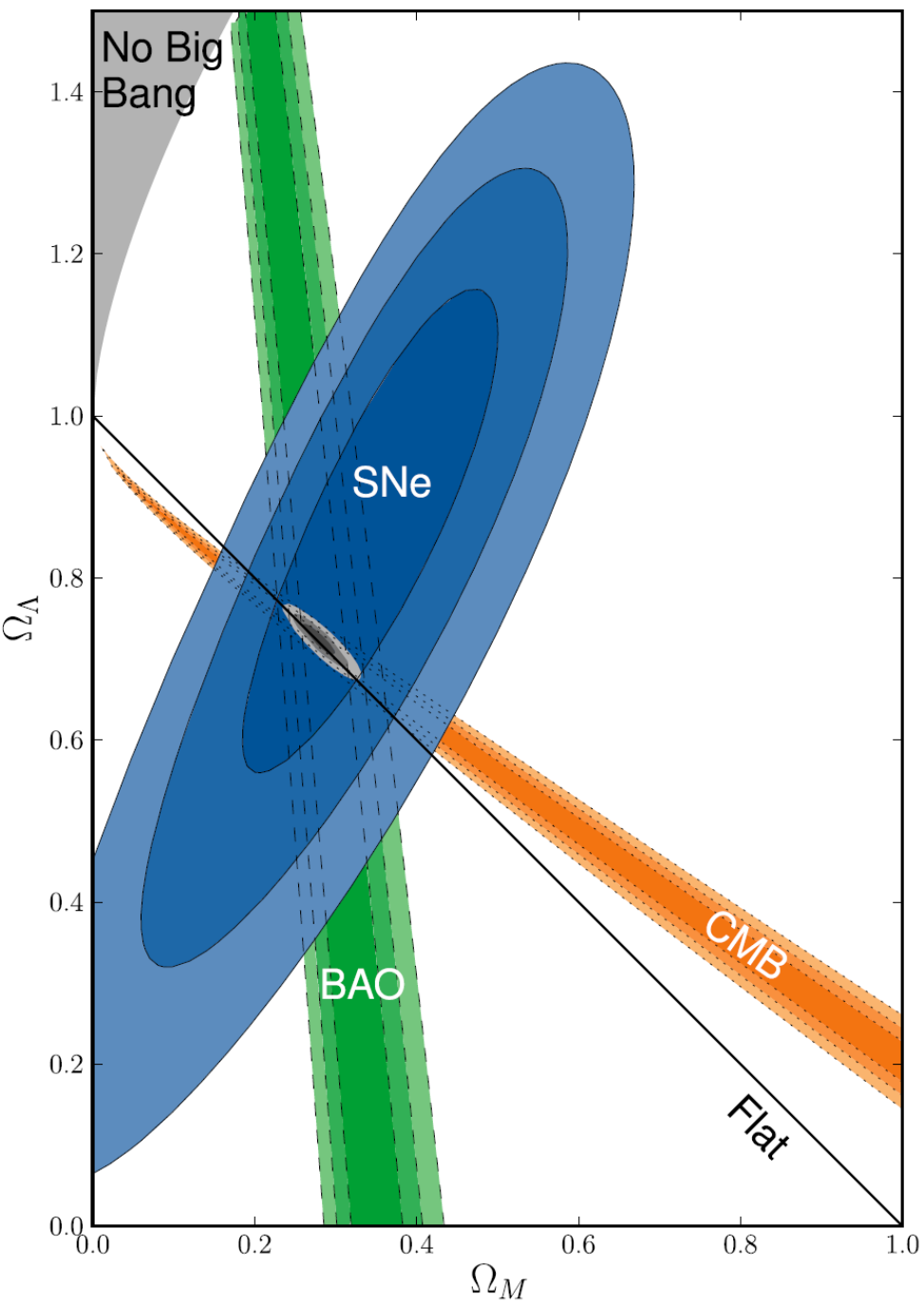
acceleration here

$$\dot{a} > 0, \ddot{a} > 0$$

$$\dot{a} > 0, \ddot{a} < 0$$

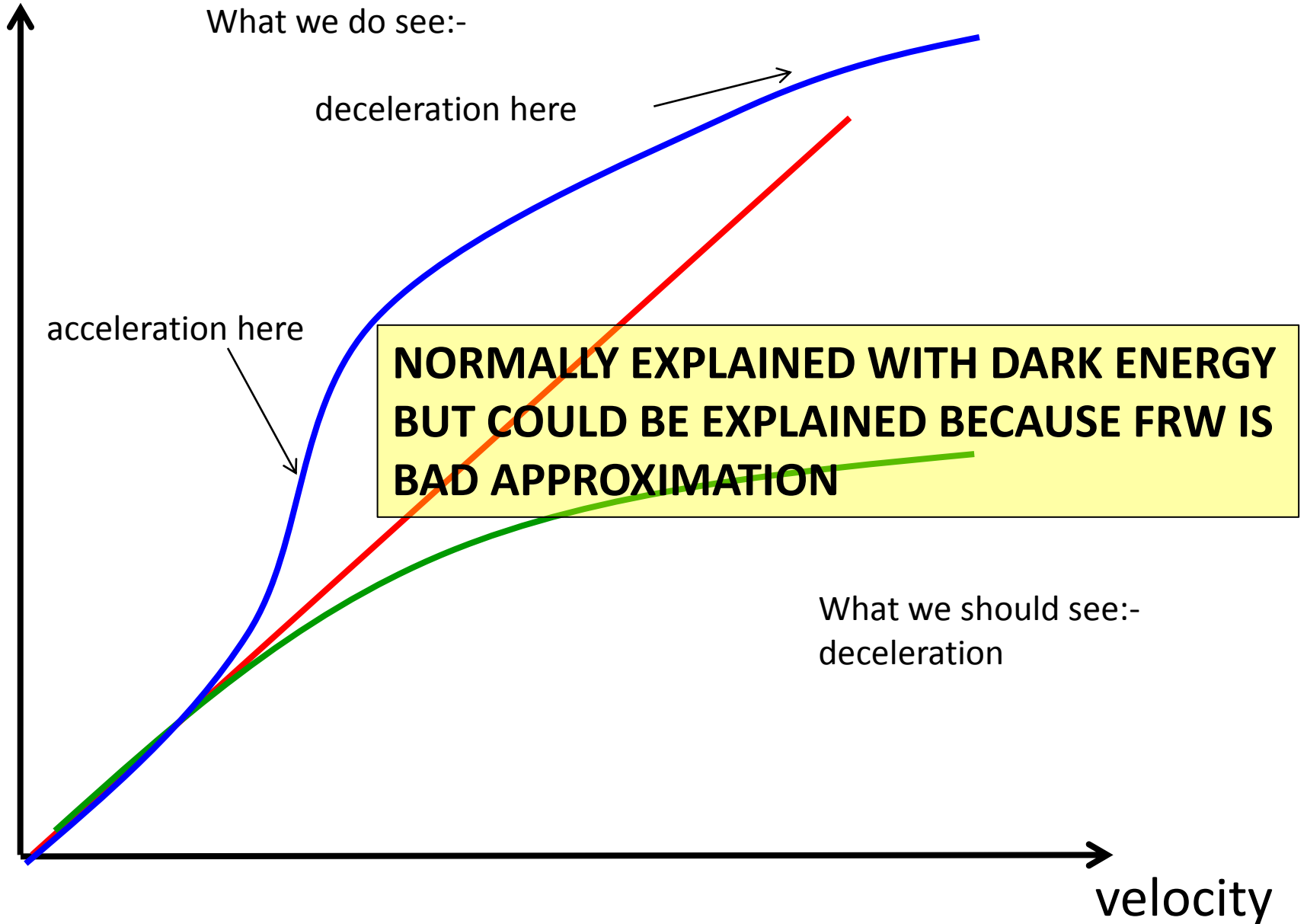
velocity





# Basic Issue with Expansion History

distance



# Evolution of a Spherical Void

We assume spherical void and use Lemaitre-Tolman-Bondi metric

$$ds^2 = -dt^2 + S^2(r, t)dr^2 + R^2(r, t)(d\theta^2 + \sin^2\theta d\phi^2)$$

$$S^2(r, t) = \frac{R'^2(r, t)}{1 + 2E(r)}$$

— curvature

‘Friedman’ equation for Lemaitre-Tolman Bondi metric

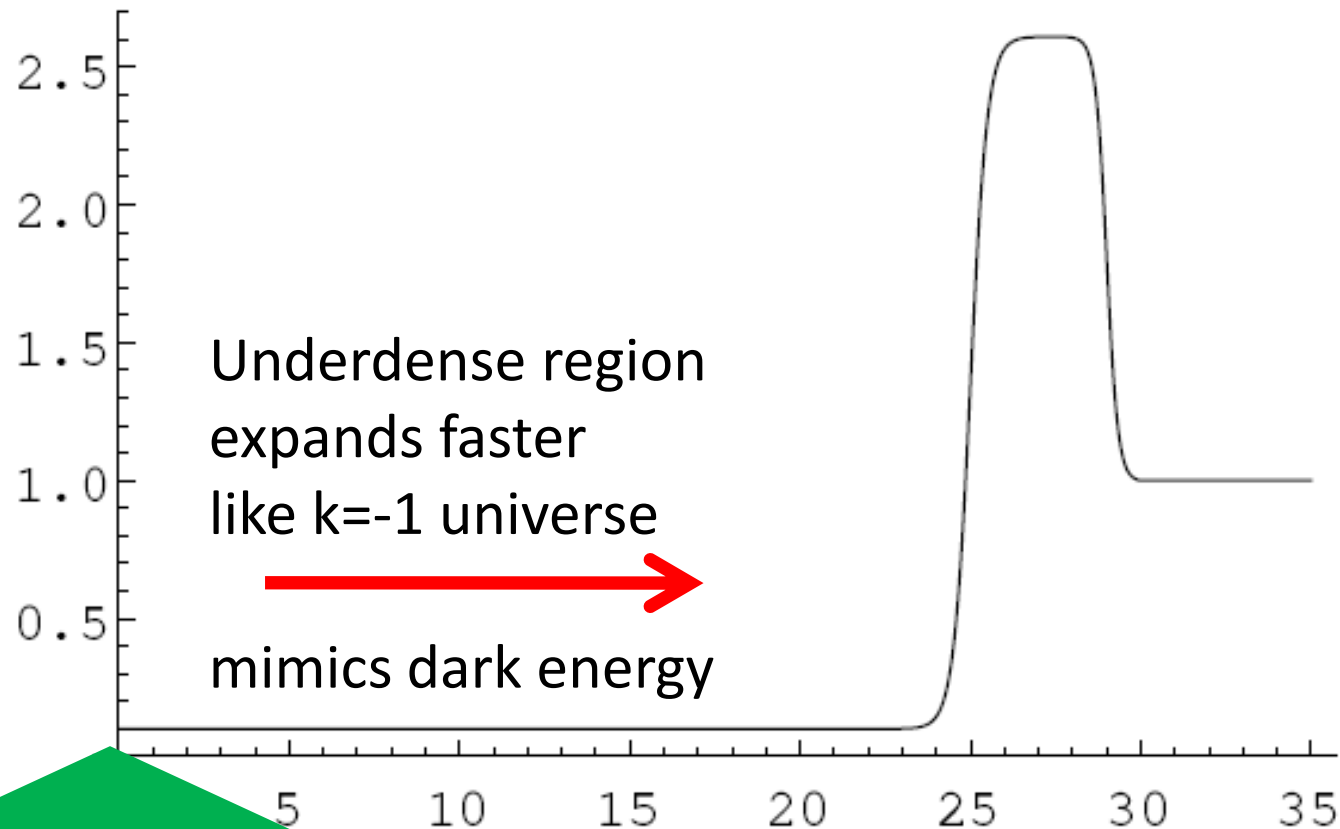
$$\frac{1}{2}\dot{R}^2 - \frac{GM(r)}{R(r, t)} - \frac{1}{3}\Lambda R^2 = E(r)$$

$$E(r) = \frac{1}{2} \frac{H_{\text{LTB}}^2 a_{\text{LTB}}^2}{c^2} \left( r^2 - \frac{3}{4\pi} \frac{M(r)}{a_{\text{LTB}}^3 r \bar{\rho}(t_{\text{LTB}})} \right)$$

# Void Models as Alternatives to Dark Energy

$$\frac{1}{2}\dot{R}^2 - \frac{GM(r)}{R(r,t)} - \frac{1}{3}\Lambda R^2 = E(r)$$

$\rho(r, t_0) / \bar{\rho}(t_0)$





A visualization of the cosmic web, showing a dense network of filaments and nodes in shades of purple and blue. A horizontal white scale bar is located at the top, with the text "500 Mpc/h" above it. In the center, a yellow dot is highlighted with a yellow arrow pointing to it from the right. Below the dot, the text "Basically we expect voids this big" is written in white. At the bottom, a long white double-headed arrow spans most of the width, with the text "But we need a void this big" written above it in white.

500 Mpc/h

Basically we expect voids this big

But we need a void this big



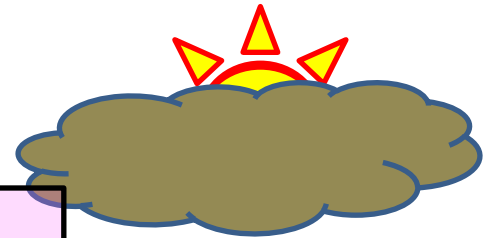
# Pros and Cons of void models

## Pros

- can explain supernovae without dark energy

## Cons

- require complicated power spectra
- need to be near centre of void
- difficult to fit peaks in CMB
- usually still need local value of  $H$  to be low



PHILOSOPHICAL / OCCAM'S RAZOR TYPE ARGUMENTS -  
NEED TO TRY HARDER TO KILL MODEL IN ORDER TO TEST IT

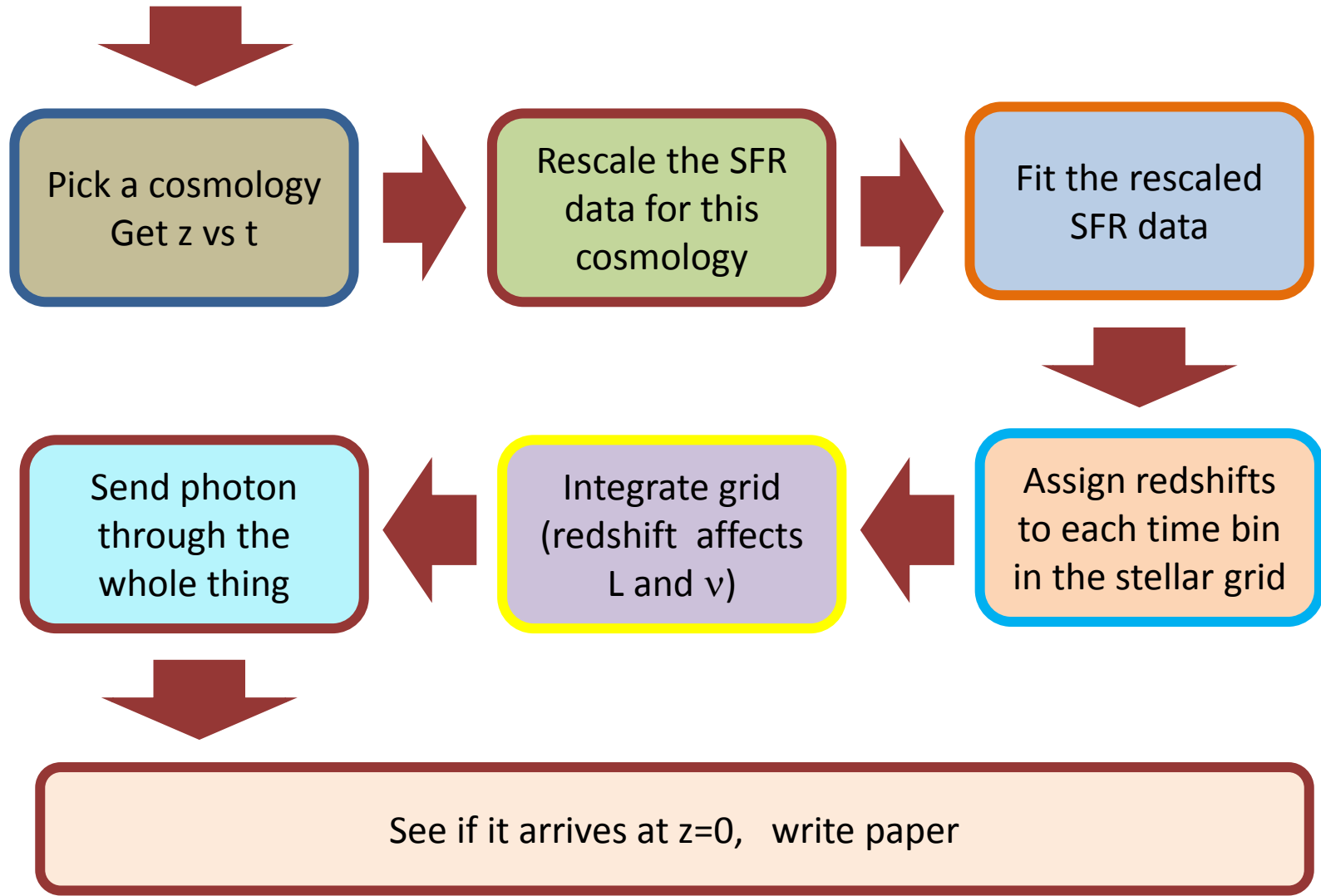
Different cosmologies lead to different extragalactic background light.

Can we use the opacity of the Universe to gamma rays to constrain cosmology?

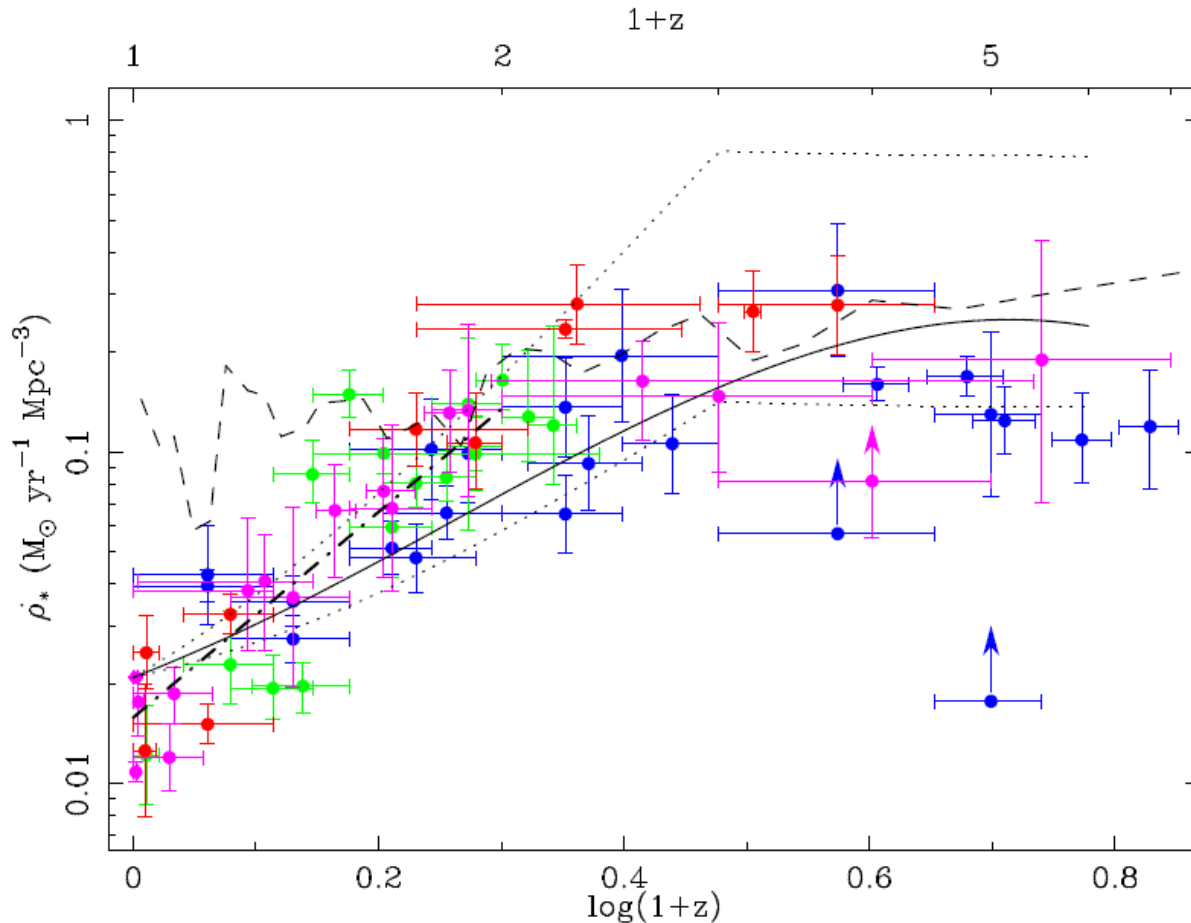


# Our exact procedure

Evolve stellar population over time and put reddened spectrum into grid.  
Put integral of luminosity lost to reddening at each time into a vector.



# Star Formation Rate



Hopkins astro-ph/0407170

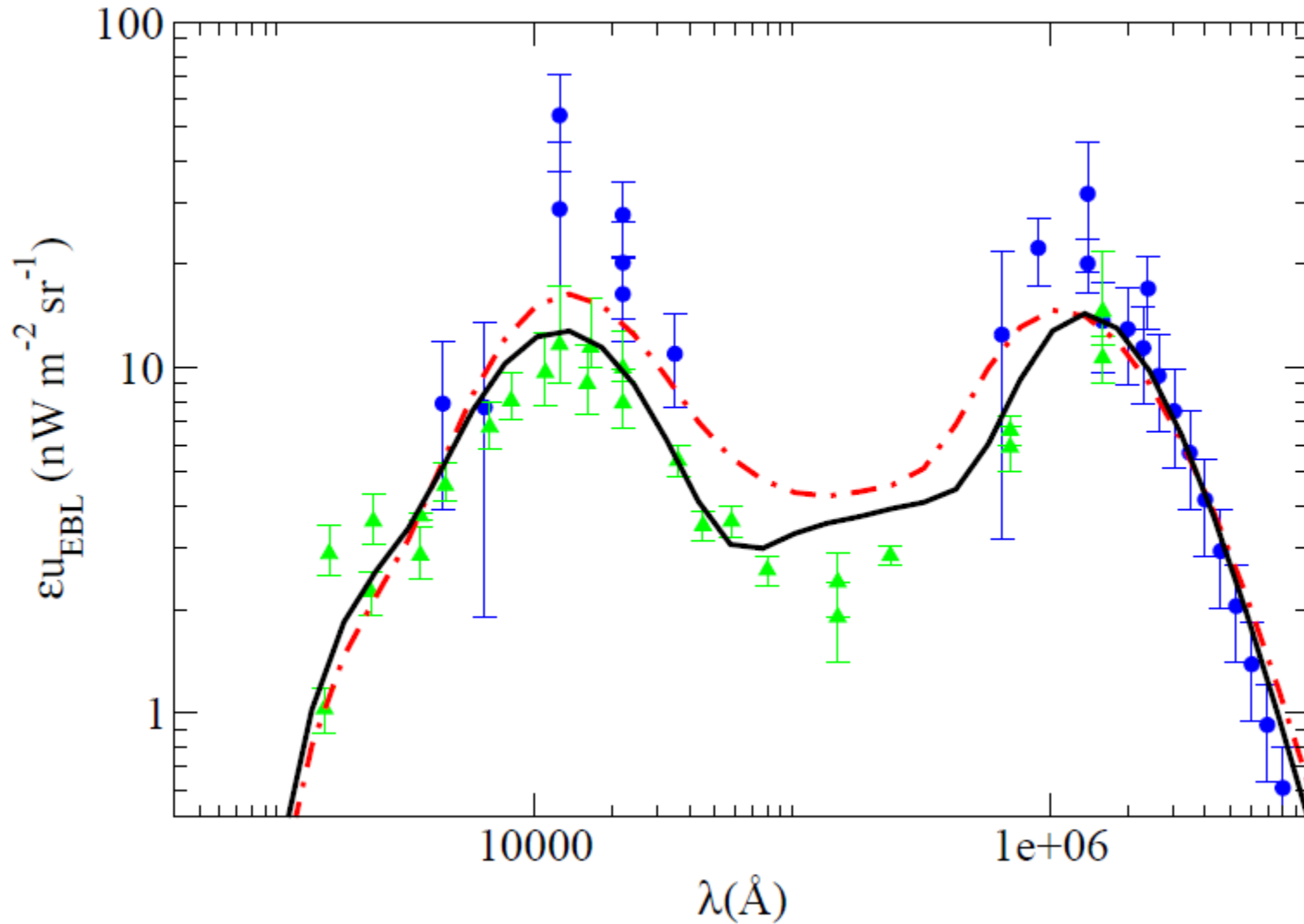
Can be fit with the expression

$$\dot{\rho}_* = \frac{a + bz}{1 + (z/c)^d}$$

$$\dot{\rho}_* \propto \frac{L(z)}{V_c(z, \Delta z)} \propto \frac{D_c^2(z)}{D_c^3(z + \Delta z) - D_c^3(z - \Delta z)}$$

Need to renormalise if you change underlying cosmology.

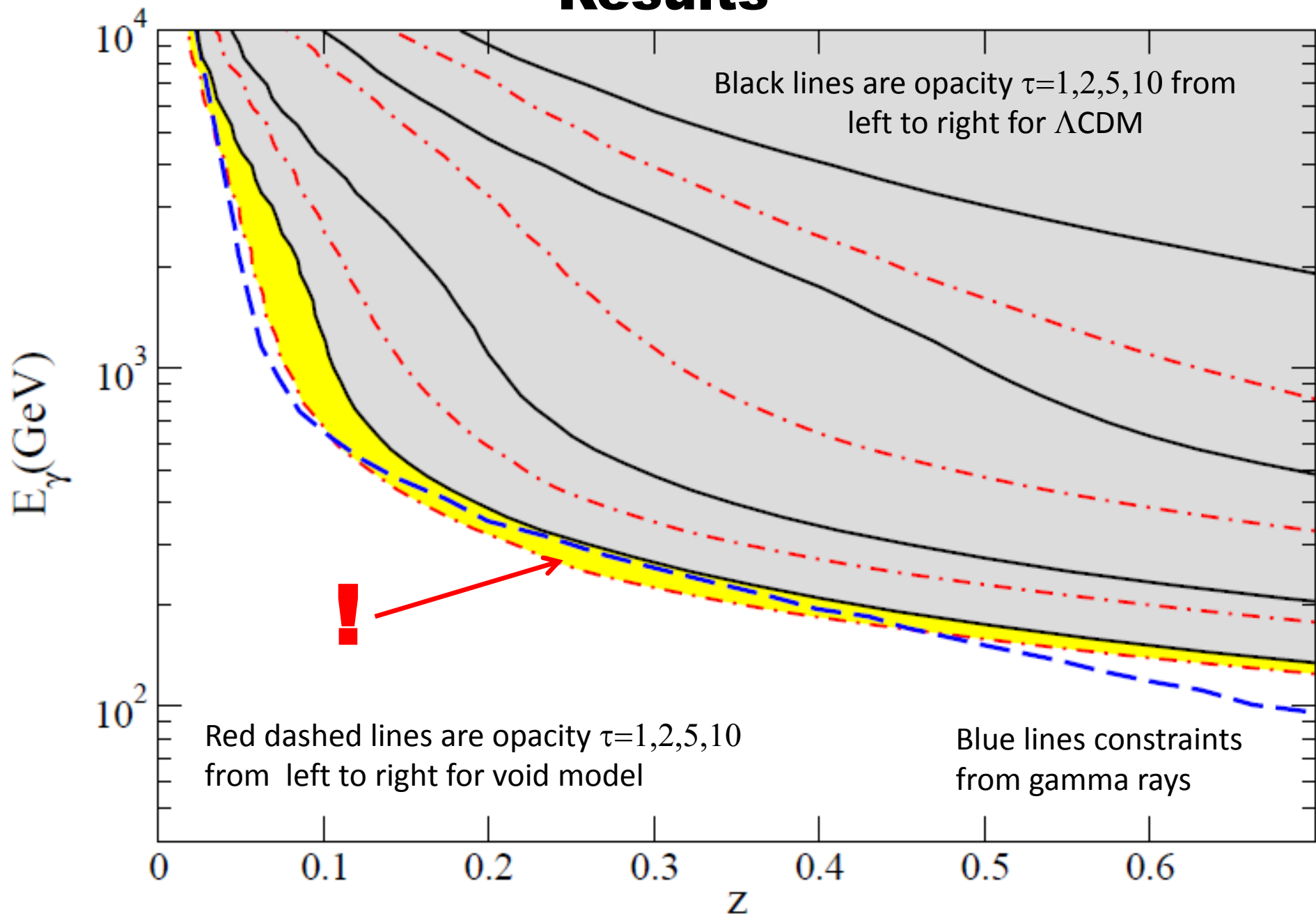
## Spectrum produced by our code



Data is from various sources, blue data is observed spectrum, green data is lower limits. Here we haven't fit this spectrum on the left, we just used the star formation rate data.

# Results

arXiv:1111.4577



# Can do the same thing for any cosmology, not just voids

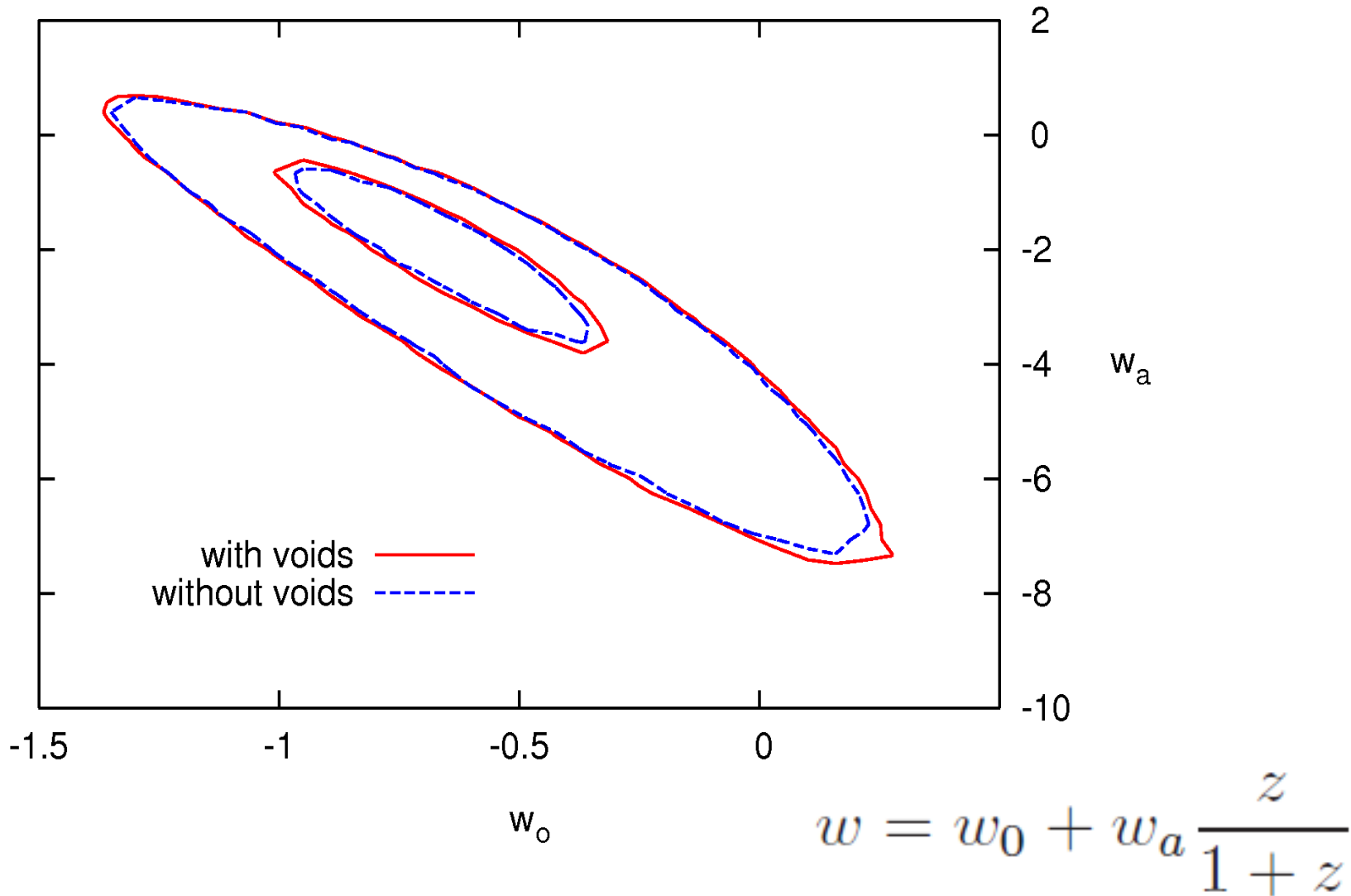
Consider cosmologies with dark energy equation of states of

$$w = w_0 + w_a \frac{z}{1+z}$$

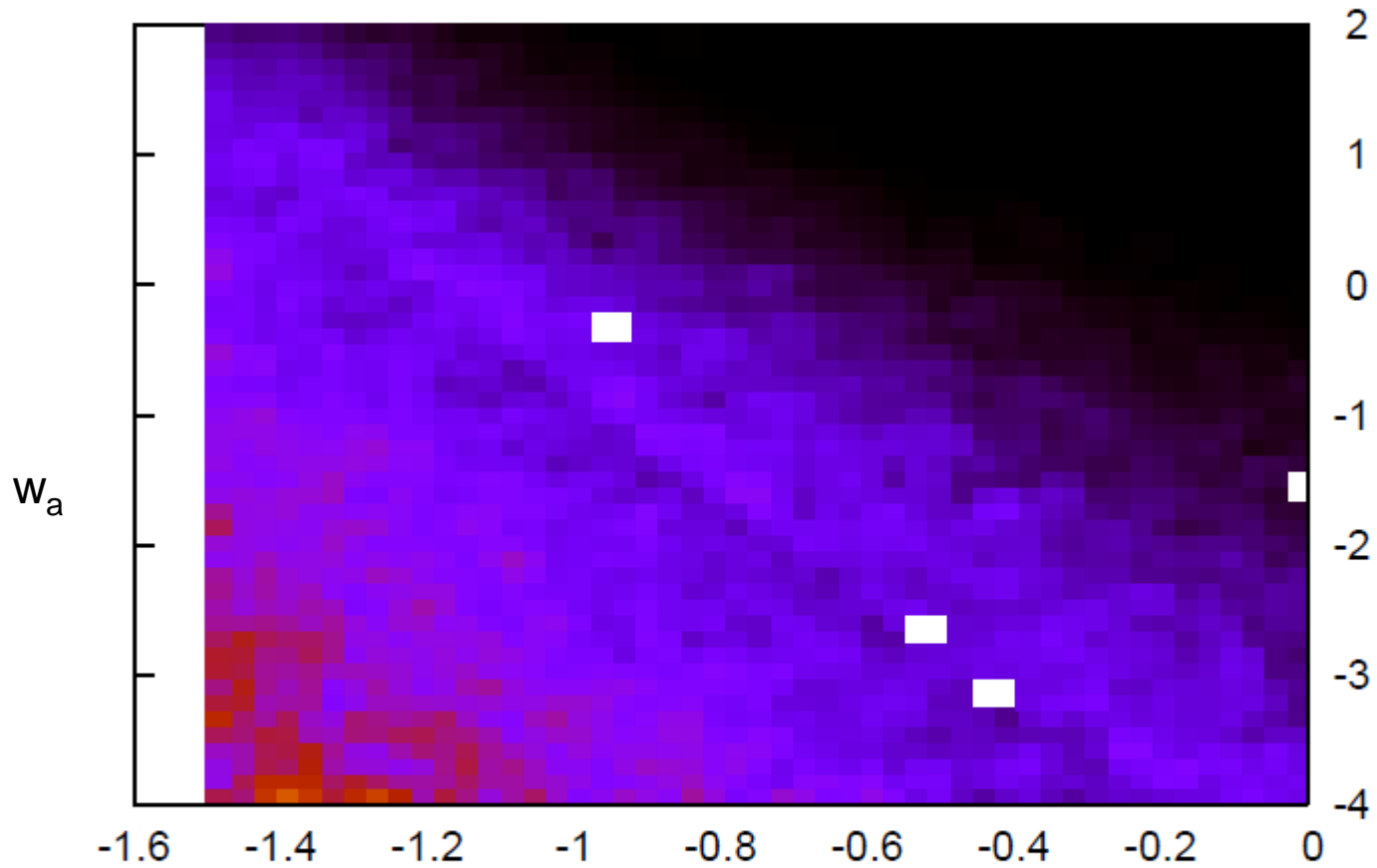
and see how the gamma ray opacity looks for them

# Existing constraints on Dark Energy Equation of State.

Probability Contours for 0.99 and 0.999,  $z_{\min}=0.04$



# Results



$$w = w_0 + w_a \frac{z}{1+z}$$



# Summary

- $\gamma$ -ray transparency of different cosmologies can tell between them
- Observations of blazars may rule out void models, if we can parametrise errors in our EBL models
- $\gamma$ -ray transparency can also place constraints on other models of dark energy. I am quite excited about their potential