



# Electric Field Modeling by simulations with ISE-TCAD

For the RD50 Simulation Group

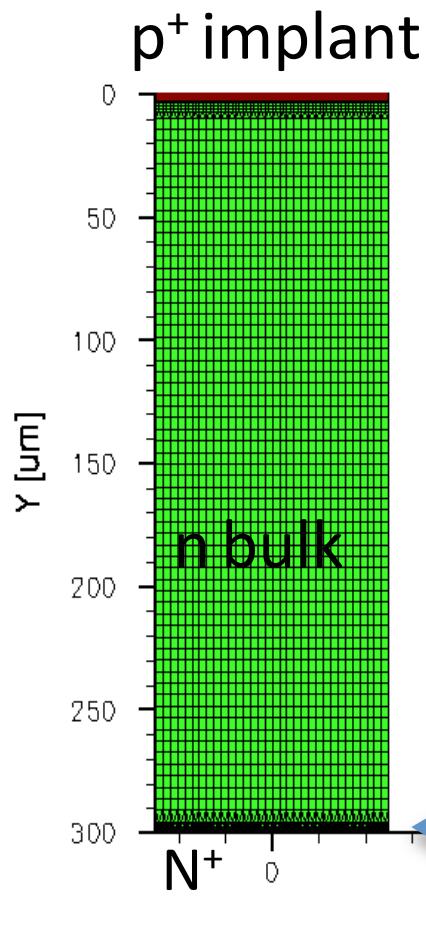
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# Outline

1. 2D Pad Sensor simulated by ISE-TCAD
  1. 2Defects radiation model
2. Full Depletion Voltage
3. Electric Field Distribution @  $10^{15} \text{ cm}^{-2}$
4. Temperature Effects
5. Electric Field Distribution vs. Fluence
6. Leakage Current
  1. Single level radiation model
7. Summary and next steps

# 2D Pad Detector



As proposed from the RD50 Detector  
Simulation Group :

- Simulations by Synopsys ISE-TCAD Version D-2010.03 of a pad sensor has been carried out with the next characteristics:

## DOPING PROFILES

$$[p^+] = 3 \times 10^{17} \text{ cm}^{-3}$$

$$[n\text{-bulk}] = 6 \times 10^{11} \text{ cm}^{-3}$$

$$[n^+] = 1 \times 10^{19} \text{ cm}^{-3}$$

Detector thickness ----  $d=0.03 \text{ cm}$

## Backplane

## Radiation induced deep levels

Type of defect	Activation energy, eV	Trapping cross section, $\text{cm}^2$	Introduction rate, $\text{cm}^{-1}$
Deep donor	$E_{DD} - E_V = 0.48$	$\sigma_e = \sigma_h = 1 \times 10^{-15}$	$G_{DD} = 1$
Deep acceptor	$E_{DA} - E_V = 0.595$	$\sigma_e = \sigma_h = 1 \times 10^{-15}$	$G_{DA} = 1$

# ***ISE-TCAD Code used for simulations***

```
Electrode {  
    {Name="nplus" Voltage=0.0 Material="Aluminum"}  
    {Name="pimplant" Voltage=0.0}  
}  
  
Physics {  
    Temperature=@<Temperature>@  
    Mobility( DopingDep CarrierCarrierScattering HighFieldSaturation Enormal)  
    Recombination(SRH(DopingDep) SurfaceSRH)  
    EffectiveIntrinsicDensity(Slotboom) }  
  
Physics (material="Silicon") {  
    #if @<Fluence==0>@ ## No Traps  
    #else  
        Traps (  
            (Acceptor Level fromValBand Conc=@<Fluence>@ EnergyMid=0.595  
             eXsection=1.0E-15 hXsection=1.0E-15 )  
            (Donor Level fromValBand Conc=@<Fluence>@ EnergyMid=0.48  
             eXsection=1.0E-15 hXsection=1.0E-15 )  
        )  
    #endif  
}  
Physics(MaterialInterface="Oxide/Silicon") {  
    #if @<Fluence==0>@  
        Charge(Conc=4e11)  
    #else  
        Charge(Conc=1e12)  
        Recombination(surfaceSRH)  
    #endif  
}
```



**Parameters:**  
Bias Voltage,  
temperature  
and fluence

Standard physics model for a  
sensor with no radiation  
damage

Radiation model for traps

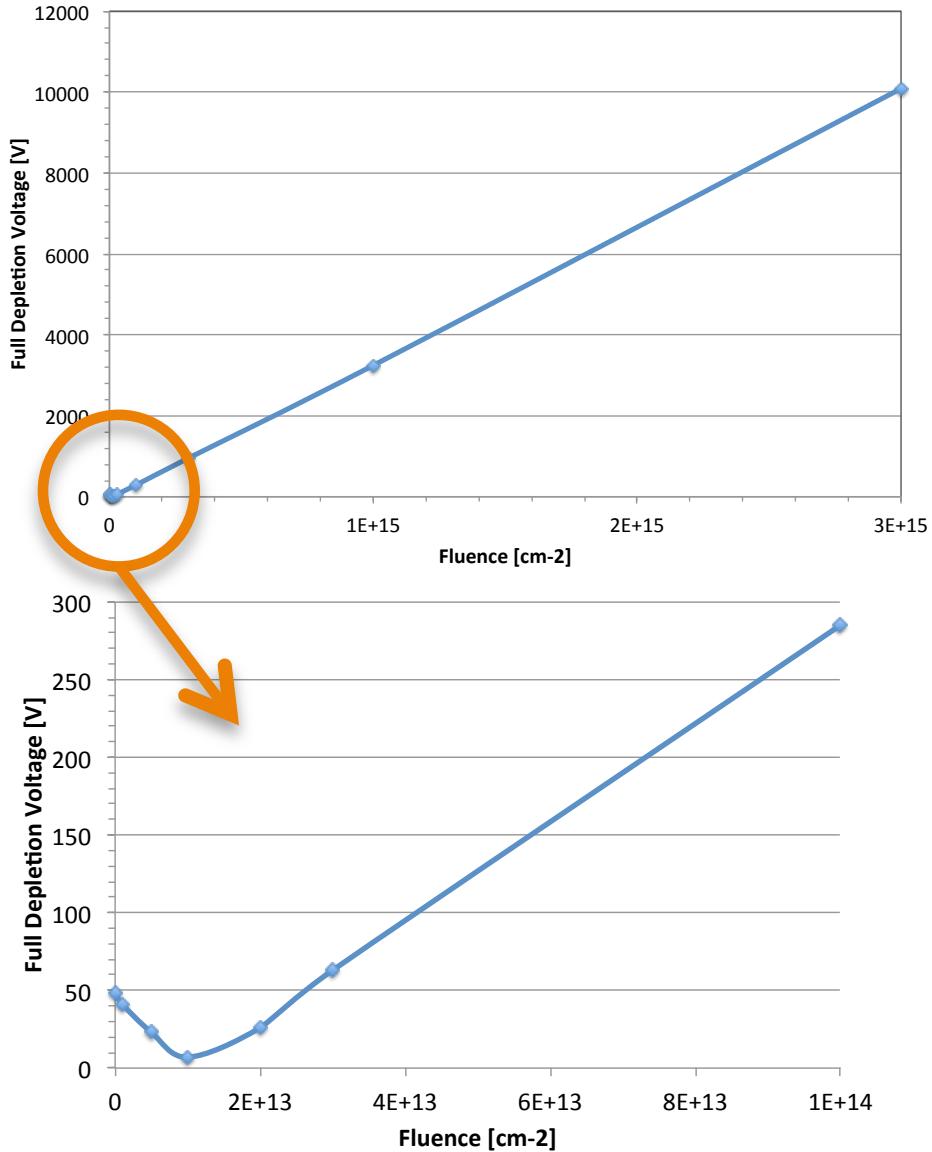
Oxide charge

# Full Depletion Voltage

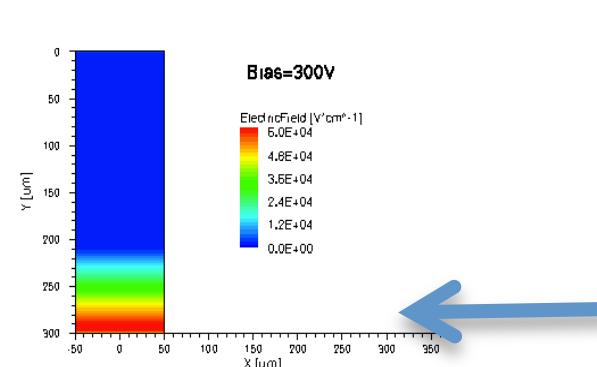
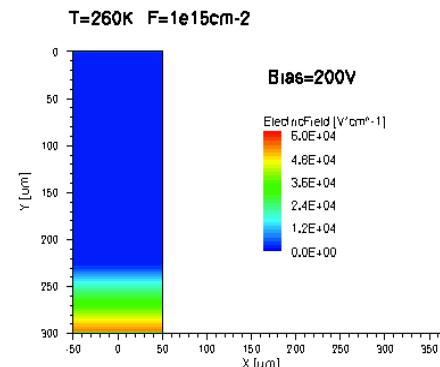
T=290K

The n-type bulk is inverted  
to p-type with irradiation  
at  $10^{13} \text{ cm}^{-2}$

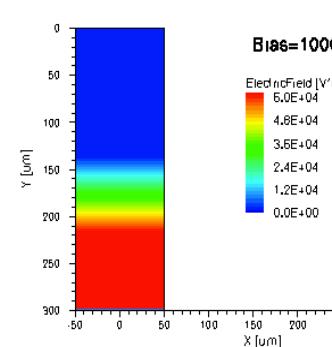
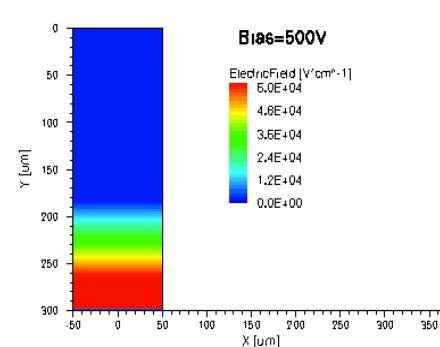
Fluence [cm <sup>-2</sup> ]	V <sub>fd</sub> [V]
0	48
$1\text{e}12$	41
$1\text{e}13$	7
$1\text{e}14$	285
$3\text{e}14$	955
$1\text{e}15$	3245
$3\text{e}15$	10086



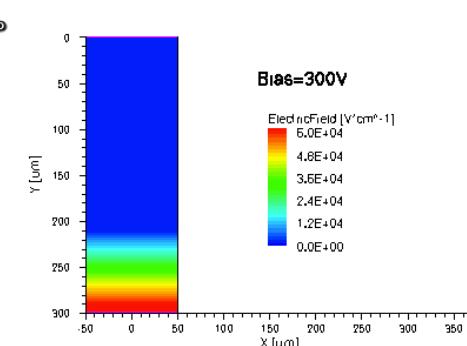
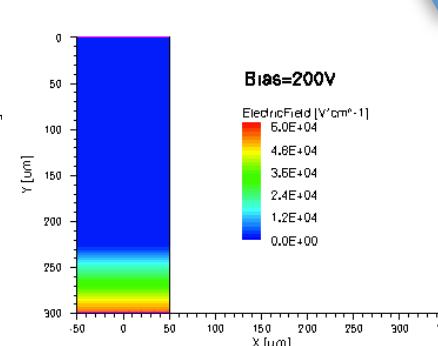
# Electric Field Distribution @ $10^{15} \text{ cm}^{-2}$



$T=260\text{K}$

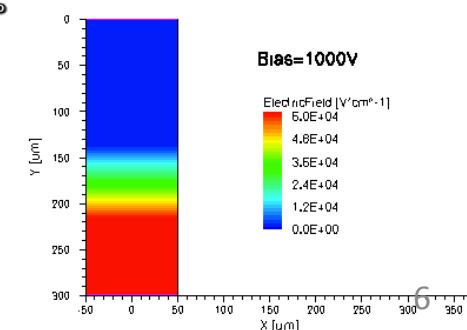
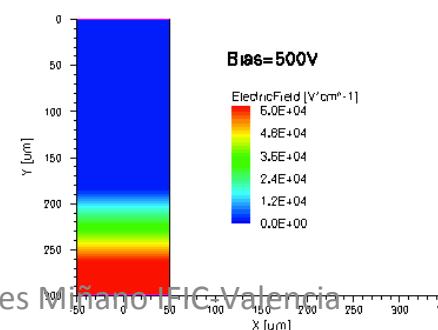


$T=290\text{K}$



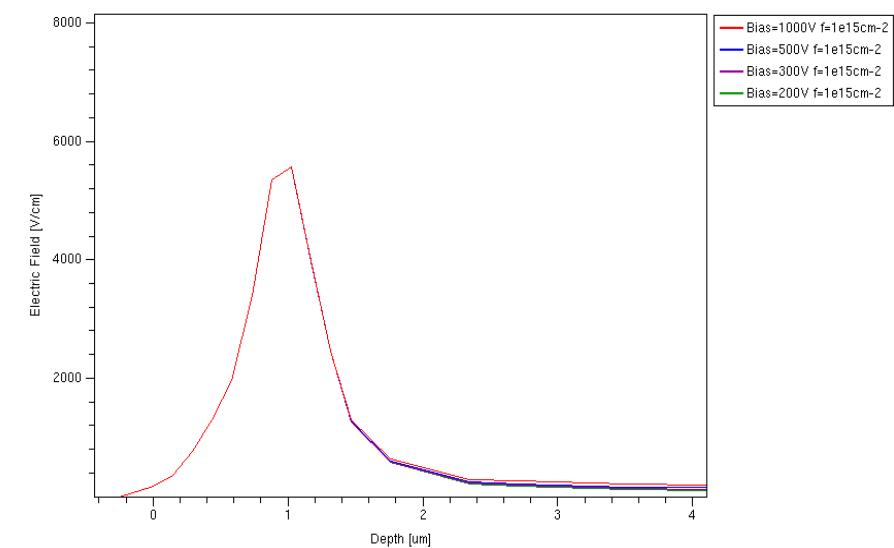
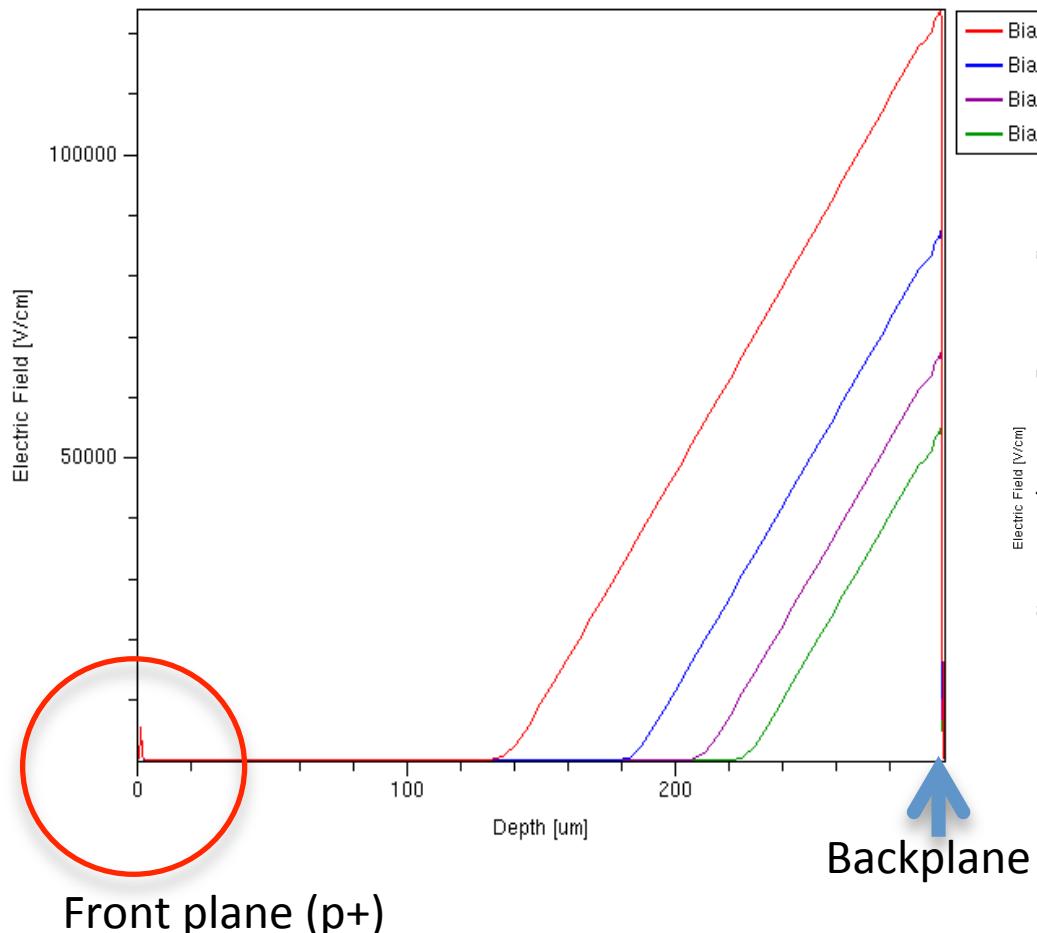
Inverted sensor  
 $N \rightarrow P$  bulk

The electric field grows from  
the sensor backplane



$$T=290K \ \phi = 1 \times 10^{15} \text{ cm}^{-2}$$

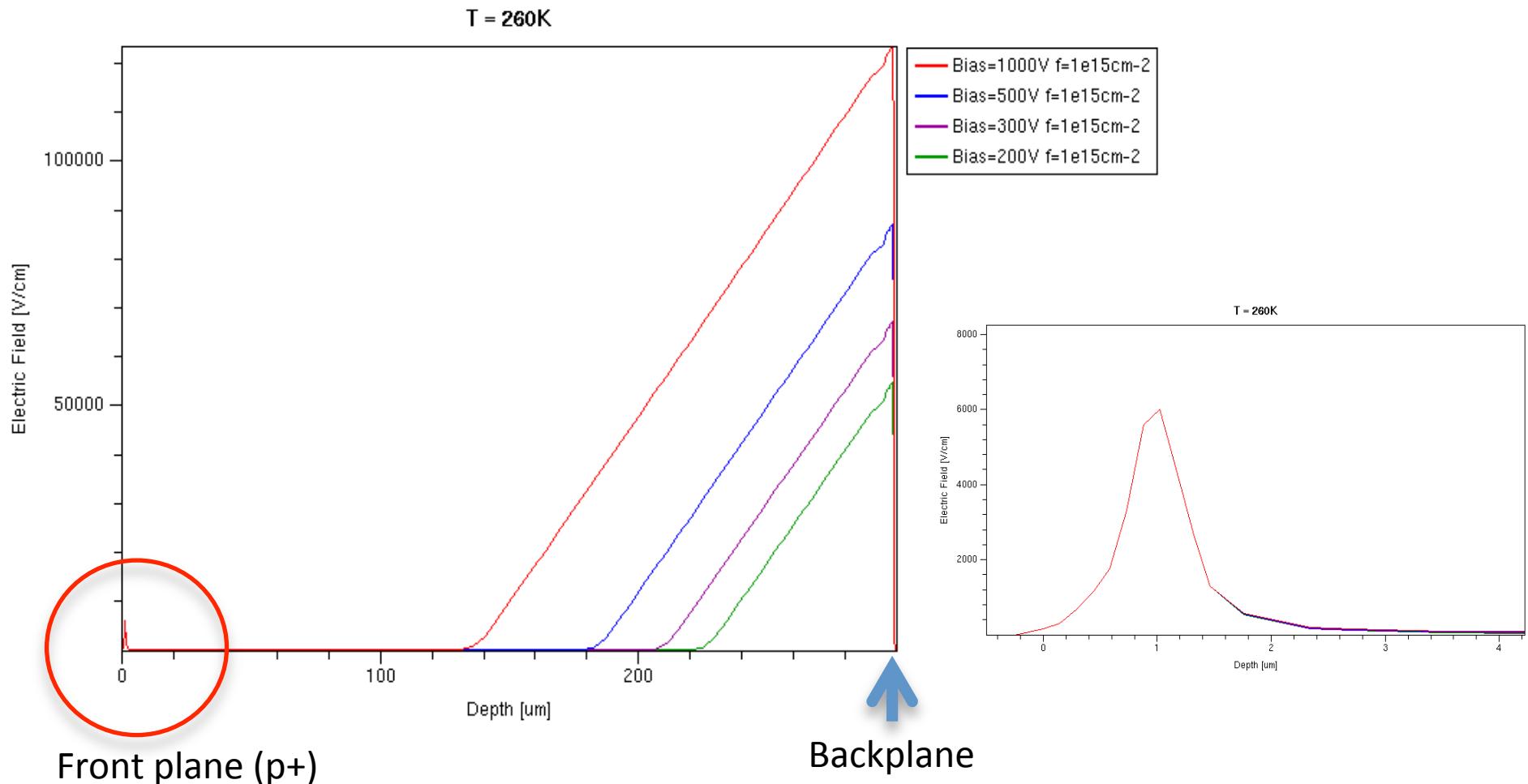
- Electric Field Distribution through sensor depth



The peak at front contact does not depend on bias voltage

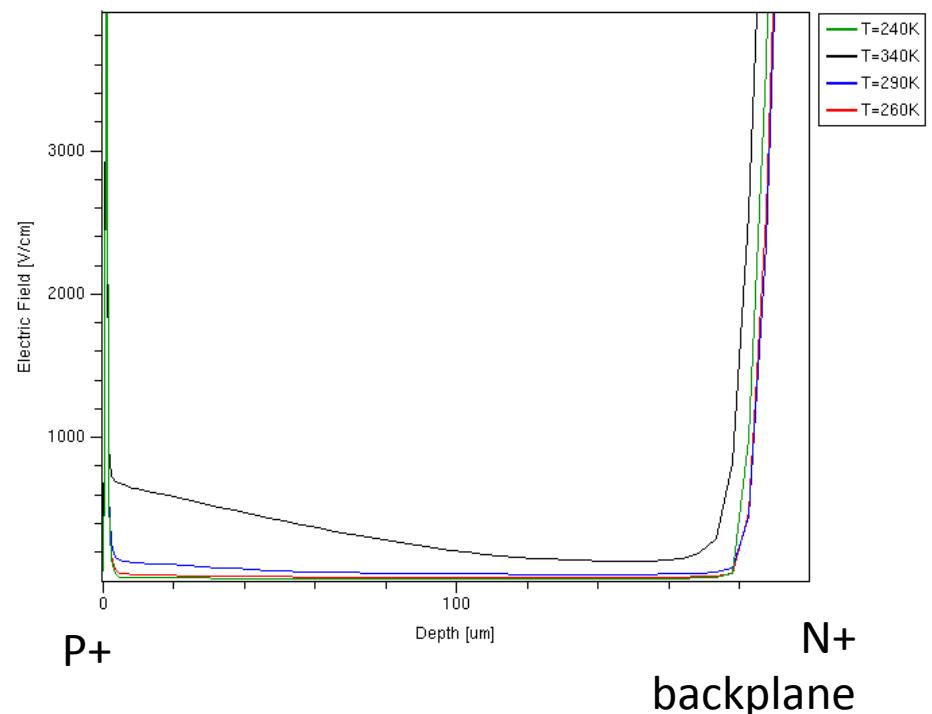
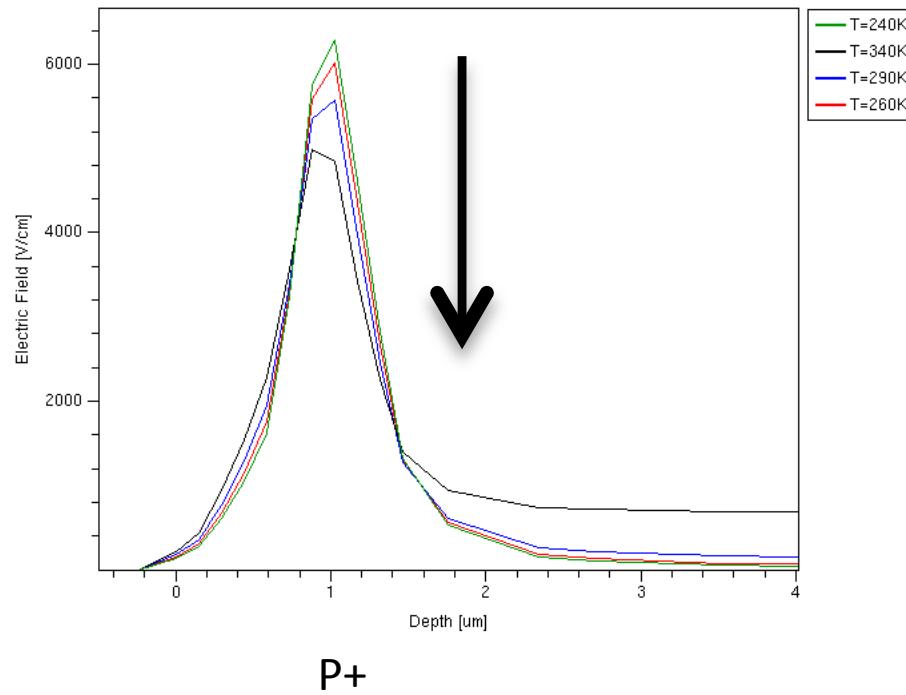
$$T=260K \ \phi = 1 \times 10^{15} \text{ cm}^{-2}$$

- Electric Field Distribution through sensor depth



# Temperature Effects

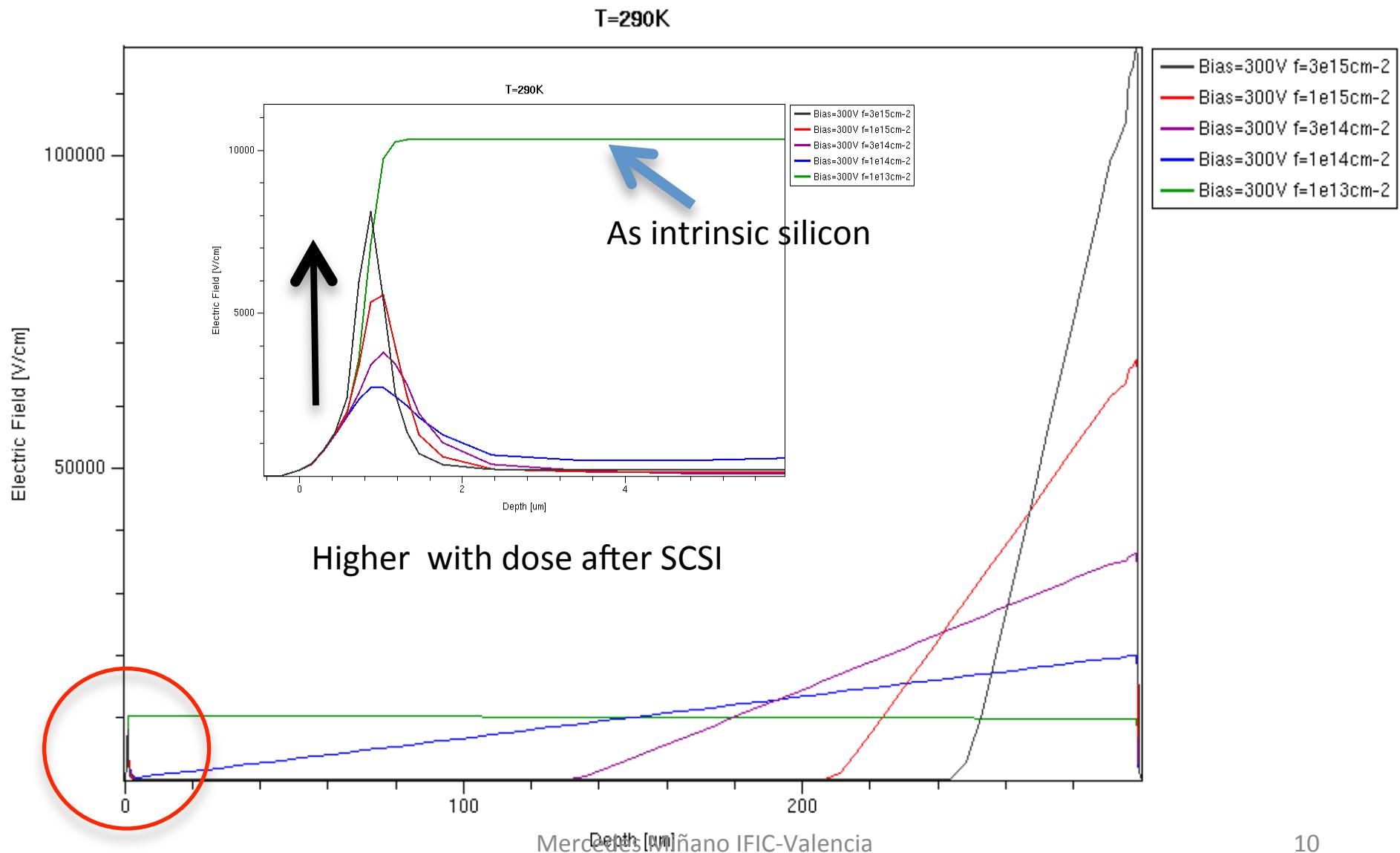
@500V and irradiated at  $10^{15} \text{ cm}^{-2}$



The peak at p+ contact decreases as temperature increases, whereas a double junction effect is more evident.

T=290K Bias=300V

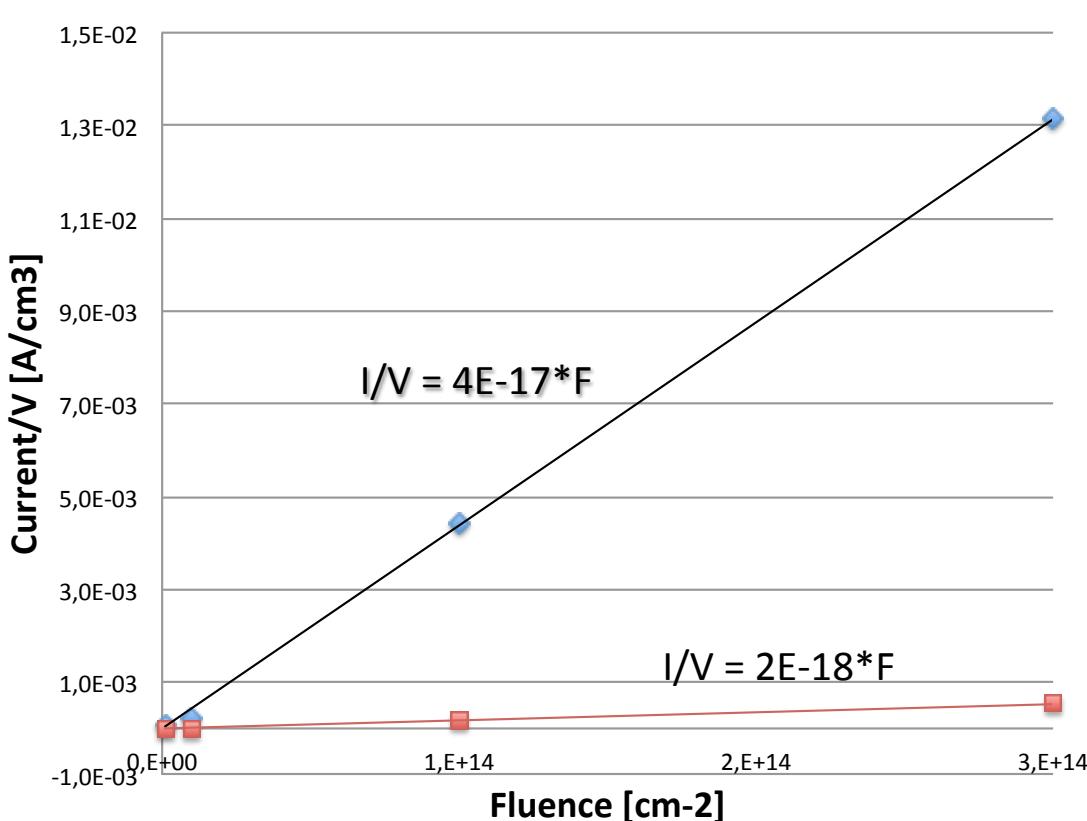
- **Electric Field Distribution**



# Leakage Current

Bulk generated current calculated from a single level model:

```
Traps (
    (Donor Level fromCondBand Conc=@<Fluence>@ EnergyMid=0.65
     eXsection=1.0E-13 hXsection=1.0E-13 )
)
```



$$V = 100 \mu\text{m}^2 \times 300 \mu\text{m}$$

◆ T=290K  
■ T=260K

Current related  
damage rate

$$\Delta I / V = \alpha \cdot \Phi$$

T [K]	$\alpha$ [x10 <sup>-17</sup> A/cm]
290	4
260	0.2

measured after 80min at 60°C :  
 $\alpha_{80/60} = (3.99 \pm 0.03)10^{-17} \text{ A/cm}^{11}$

# Summary

- Following the Vladimir's proposals, simulations with ISE-TCAD have been carried out in order to perform a cross-test of the software.
- The results are focused in Electric Field distribution in irradiated sensors (2 midgap level model) and some conclusions can be extracted:
  - After bulk inversion an asymmetric double peak is seen at both sides of the sensor.
  - The peak at p+ contact seems to depend on:
    - Temperature
    - Irradiation dose
- Full depletion voltage and leakage current (single level model) characteristics are also presented.

# Next Steps

- Charge collection efficiency
- Implementation of avalanche effect
- Trap configuration
- Geometrical dependence
- ...
- ...
- Any suggestion is welcome

# Back Up

# Physics Models

$$\varepsilon \nabla^2 \psi = -q(p - n + N_{D^+} - N_{A^-}) \quad \text{Poisson Equation}$$

$$\left. \begin{aligned} \nabla \cdot \vec{J}_n &= q R_{net} + q \frac{\partial n}{\partial t} \\ -\nabla \cdot \vec{J}_p &= q R_{net} + q \frac{\partial p}{\partial t} \end{aligned} \right\} \text{Transport Equations}$$

$$R_{net}^{SHR} = \frac{np - n_{i,eff}^2}{\tau_p(n + n_1) + \tau_n(p + p_1)} \quad \text{Shockley-Read-Hall Model}$$

	electrons	holes	units
$\tau_{min}$	0	0	s
$\tau_{max}$	$1 \times 10^{-5}$	$3 \times 10^{-6}$	s
$N_{ref}$	$1 \times 10^{10}$	$1 \times 10^{10}$	$cm^{-3}$
$\gamma$	1	1	1

Table 5.2: Default parameters for doping-dependent SRH lifetime.

with

$$n_1 = n_{i,eff} \exp\left(\frac{E_{trap}}{\kappa T}\right) \quad (5.14)$$

$$p_1 = n_{i,eff} \exp\left(-\frac{E_{trap}}{\kappa T}\right) \quad (5.15)$$

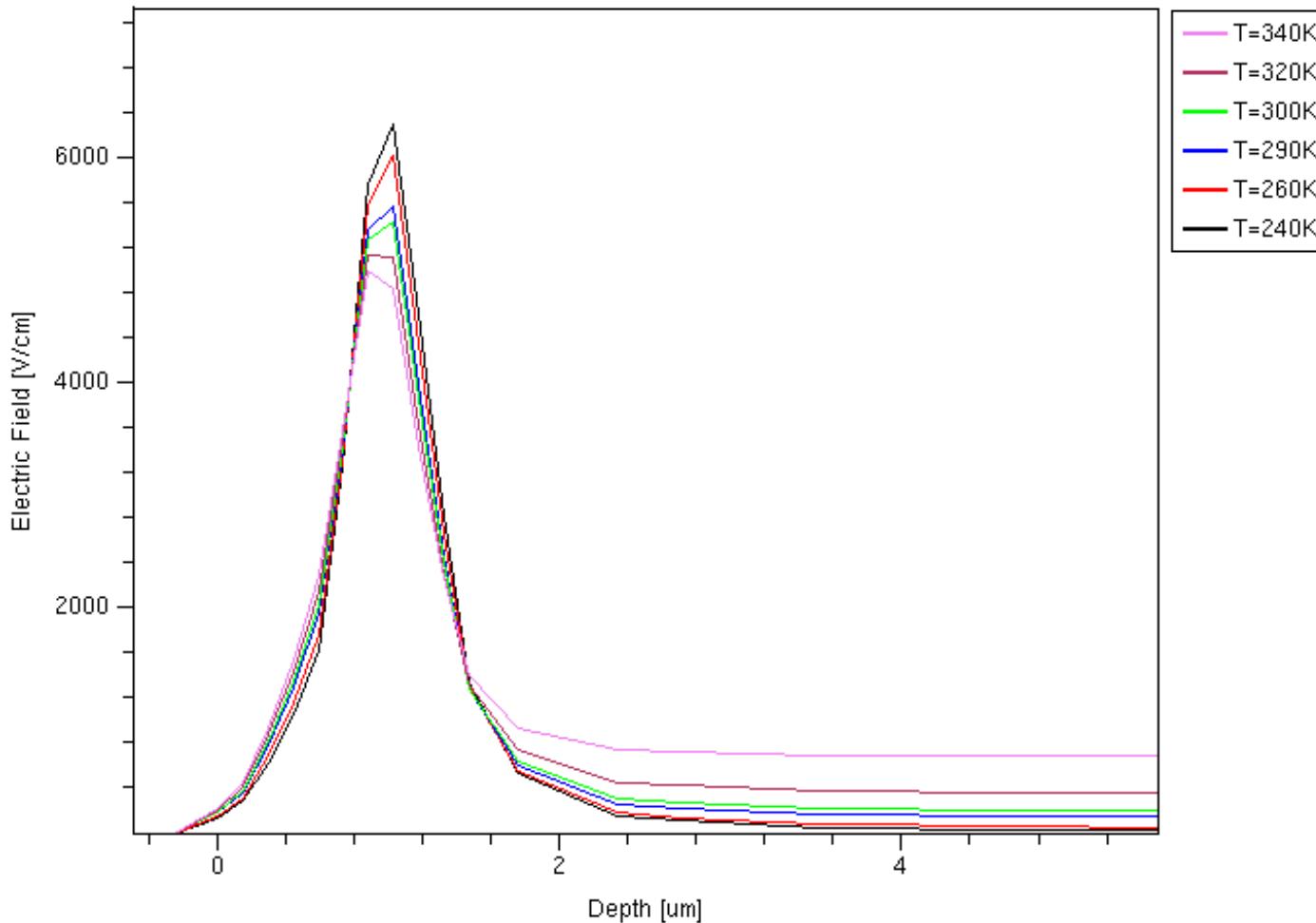
where  $E_{trap}$  is the difference between the defect level and intrinsic Fermi level. The silicon default value is  $E_{trap} = 0$ .

The minority lifetimes  $\tau_n$  and  $\tau_p$  are modelled as doping-dependent factors [101] with the Scherfetter relation given by the equation 5.16 and with the default parameter values listed in Table 5.2.

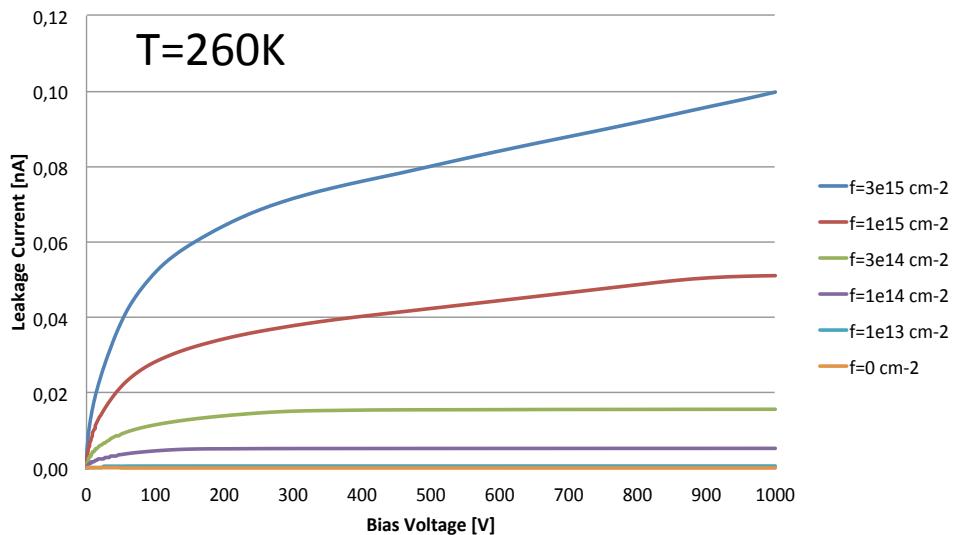
$$\tau_{n,p} = \tau_{min} + \frac{\tau_{max} - \tau_{min}}{1 + (\frac{N_A + N_D}{N_{ref}})^{\gamma}} \quad (5.16)$$

# Electric Field

## 500V – $10^{15}$ cm $^{-2}$



# Leakage Current



Temperature dependence:

$$I \propto \exp\left(-\frac{E_g}{2k_B T}\right)$$

