

LHCb status of CKM γ from tree-level decays

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On behalf of the LHCb Collaboration

- The first LHCb results
 - What's coming up
 - Some promising approaches for the future
- Discussing merits and challenges for each method

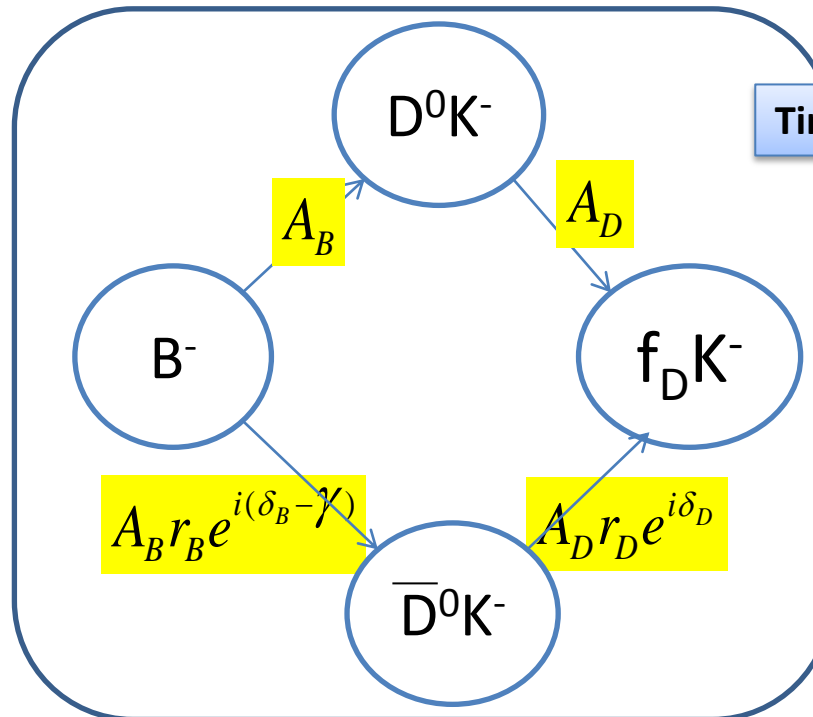
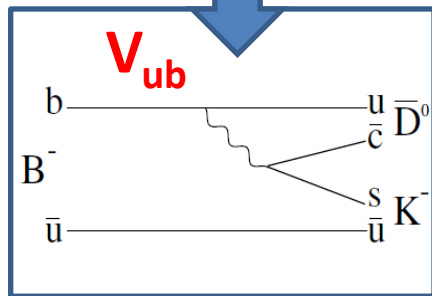
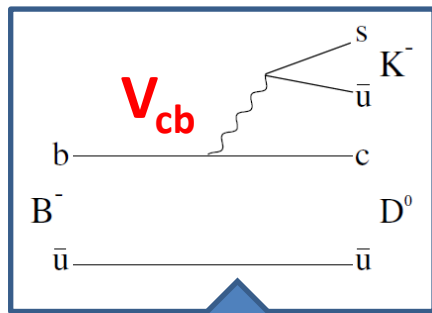
γ from trees: the principle

Interference between $b \rightarrow c$ and $b \rightarrow u$ amplitudes in decays such as

$B^- \rightarrow D^0 K^-$ and $B^- \rightarrow \bar{D}^0 K^-$ when D^0 and \bar{D}^0 decay to common final state, f_D

- tree-level amplitudes only
- no penguin pollution, only one weak phase: γ

$$\gamma = \arg \left(-\frac{V_{ud}V_{ub}^*}{V_{cd}V_{cb}^*} \right)$$



Time-Integrated (TI) methods

Other B and D hadronic parameters in play

r_B = relative magnitude of suppressed B-decay amplitude over favoured one

δ_B = B-decay strong phase difference

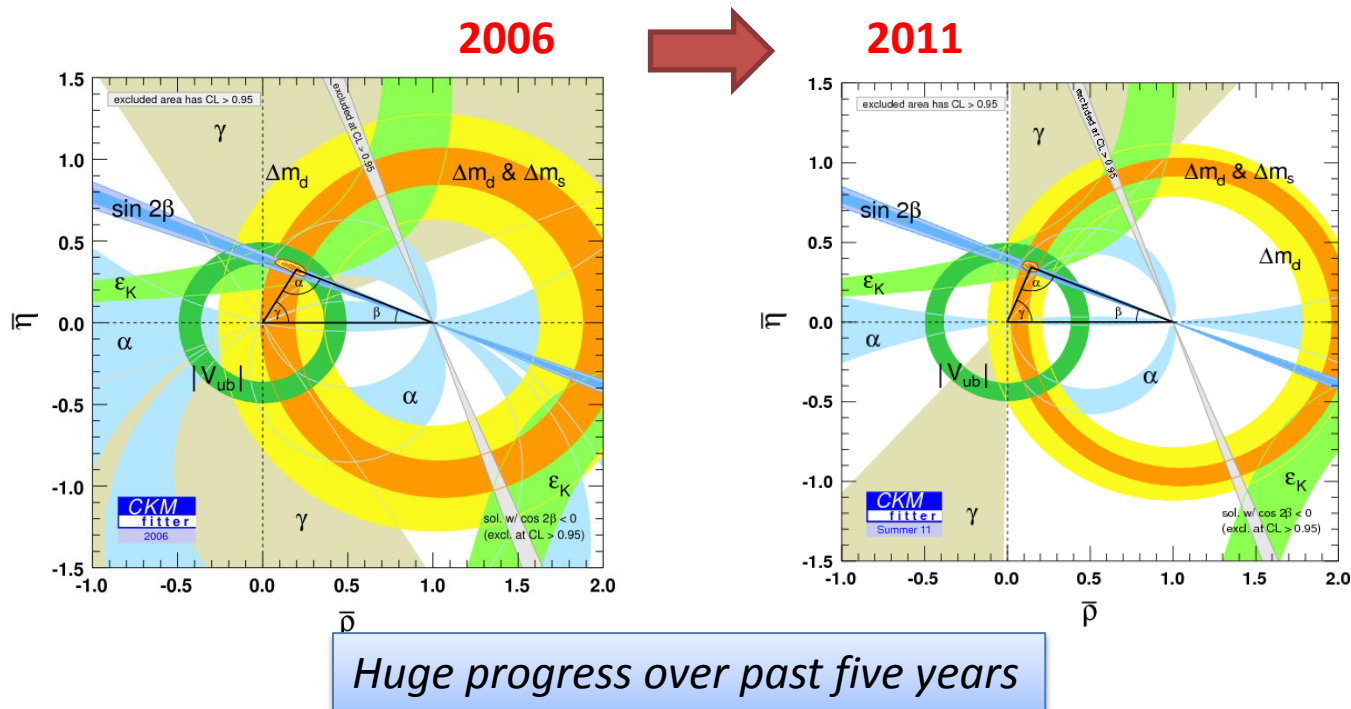
r_D and δ_D similarly defined

Several methods to extract γ and other hadronic parameters from data (both TI and Time-Dependent)

- Hence, in principle, no theoretical uncertainties
- In practice, γ extraction benefits from external measurements and/or model for the charm parameters

γ before the *LHCb era*

- Impressive achievements from B-factories, well beyond design:
 - thanks to excellent experimental performance, but also to introduction of new powerful methods and to progress in understanding of the charm system
- CDF has set the first constraints on γ at hadron collider, demonstrating the capability of making measurements with fully hadronic processes in a harsh environment



The case for γ from trees is unchanged and increasingly compelling

- Still a most-wanted SM reference required to unravel *increasingly subtle* NP effects
 - Tree-level determination largely insensitive to New Physics
- Still the most poorly measured angle of the UT $\gamma = 68^{+10}_{-11}^\circ$ (CKMFitter, 2011)

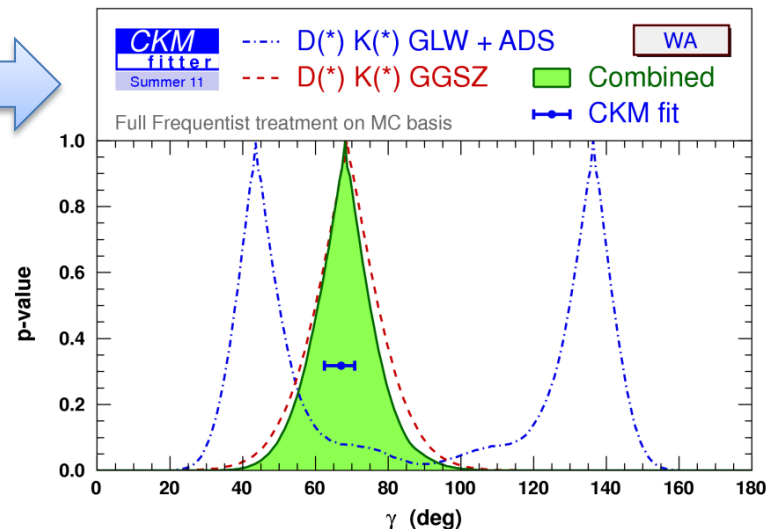
Smallest theoretical uncertainty but largest experimental error among all UT constraints!

Precision dominated by $B^+ \rightarrow D(K_S h^+ h^-) K^+$ GGSZ measurements

GGSZ: D to 3-body decays

Giri, Grossman, Soffer, & Zupan, PRD 68, 054018 (2003)

Bondar, PRD 70, 072003 (2004)



One phase, many trees, many methods for extracting γ

- Many additional methods at LHCb
 - **Large data sample** size opens up possibilities with other rarer but very sensitive modes where large asymmetries are expected (such as $B^0 \rightarrow DK^{0*}$)
 - **Excellent proper time-resolution** allows time-dependent analyses with fast oscillating B_s modes (e.g., $B_s^- \rightarrow D_s^- K^+$)
 - **All b-hadrons species** are produced at LHC, including baryons, which will also contribute (e.g., $\Lambda_b \rightarrow D^0 \Lambda$)
- No method expected to dominate the sensitivity
Redundancy will protect LHCb against malign choices of Nature (e.g., unlucky strong-phases).
- Final precision likely to be given by the combination of several methods

GLW : D to CP eigenstates

Gronau & London, PLB 253, 483 (1991);

Gronau & Wyler, PLB 265, 172 (1991)

ADS: D to CF and DCS quasi-flavour eigenstates

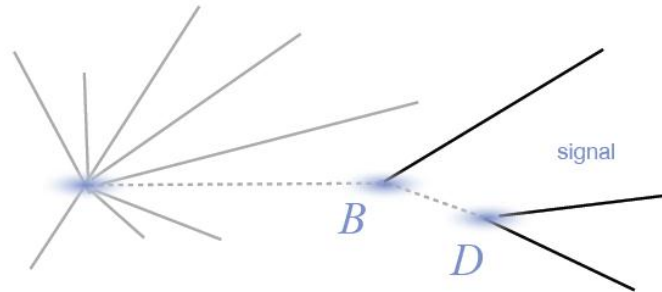
Atwood, Dunietz, & Soni, PRL 78, 3257 (1997),

Atwood, Dunietz, & Soni, PRD 63, 036005 (2001)

The dawn of the new era

arXiv:1203.3662 sub. to PLB

ADS/GLW results for $B^+ \rightarrow D(hh)K^+$

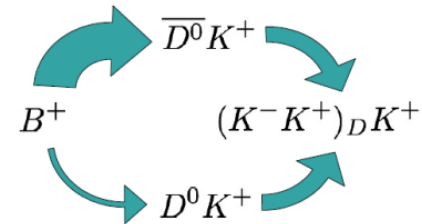


- **Main challenge:** Very small branching fractions of the sensitive modes (10^{-7})
- **Main merits:**
 - easiest topology \Rightarrow large efficiency
 - Time-Integrated methods: exploit full statistical power of large $b\bar{b}$ cross-section at LHC

GLW Observables

GLW: A_{CP+} and R_{CP+}

LHCb uses only D_{CP+} eigenstates (K^+K^- , $\pi^+\pi^-$)
2 observables:



CP asymmetry

$$A_{CP+} = \frac{\Gamma(B^- \rightarrow D_{CP+} K^-) - \Gamma(B^+ \rightarrow D_{CP+} K^+)}{\Gamma(B^- \rightarrow D_{CP+} K^-) + \Gamma(B^+ \rightarrow D_{CP+} K^+)} = \frac{+ 2r_B \sin \delta_B \sin \gamma}{1 + r_B^2 + 2r_B \cos \delta_B \cos \gamma}$$

Ratio of partial widths

$$R_{CP+} = 2 \frac{\Gamma(B^- \rightarrow D_{CP+} K^-) + \Gamma(B^+ \rightarrow D_{CP+} K^+)}{\Gamma(B^- \rightarrow D^0 K^-) + \Gamma(B^+ \rightarrow \bar{D}^0 K^+)} = 1 + r_B^2 + 2r_B \cos \delta_B \cos \gamma$$

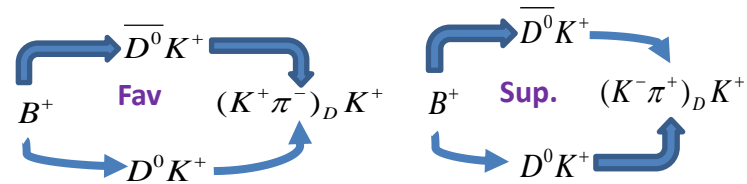
3 “unknowns”: r_B , δ_B , and γ

\Rightarrow Has to be combined with ADS method

ADS observables

ADS: A_{ADS} and R_{ADS}

LHCb uses $D^0 \rightarrow K^- \pi^+$ (CF) and $D^0 \rightarrow K^+ \pi^-$ (DCS).
2 final states for each B charge



CP asymmetry for sup.

$$A_{ADS} = \frac{\Gamma(B^- \rightarrow D(K^+ \pi^-)K^-) - \Gamma(B^+ \rightarrow D(K^- \pi^+)K^+)}{\Gamma(B^- \rightarrow D(K^+ \pi^-)K^-) + \Gamma(B^+ \rightarrow D(K^- \pi^+)K^+)} = \frac{+ 2r_B r_D \sin(\delta_B + \delta_D) \sin \gamma}{r_B^2 + r_D^2 + 2r_B r_D \cos(\delta_B + \delta_D) \cos \gamma}$$

Ratio of partial widths

$$R_{ADS} = \frac{\Gamma(B^- \rightarrow D(K^+ \pi^-)K^-) + \Gamma(B^+ \rightarrow D(K^- \pi^+)K^+)}{\Gamma(B^- \rightarrow D(K^- \pi^+)K^-) + \Gamma(B^+ \rightarrow D(K^+ \pi^-)K^+)} = r_B^2 + r_D^2 + 2r_B r_D \cos(\delta_B + \delta_D) \cos \gamma$$

Same 3 unknowns as GLW: r_B , δ_B , and γ
+ r_D and δ_D . Have to use external measurements:

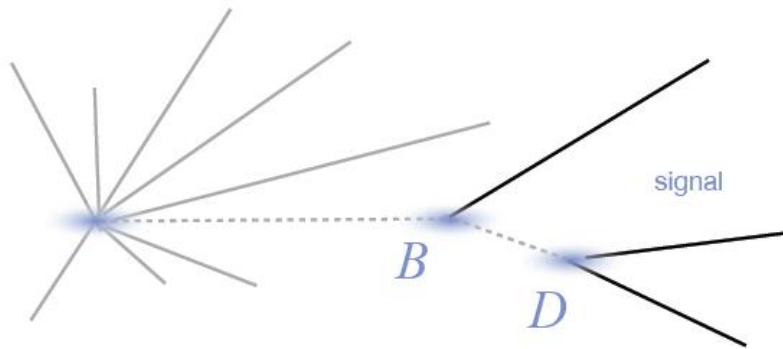
$$r_D(K\pi) = 0.0575 \pm 0.0007 \quad (\text{HFAG averages})$$

$$\delta_D(K\pi) = 202.0 \pm 11.2^\circ$$

$B^\pm \rightarrow Dh^\pm$ ($h=K,\pi$) analysis in brief

More details in recent CERN-EP seminar by M. John [<https://indico.cern.ch/conferenceDisplay.py?confId=180554>]

- $B^\pm \rightarrow DK^\pm$ ADS and GLW analyses simultaneously performed
- $B^\pm \rightarrow D\pi^\pm$ also included [yield 10x, much smaller interference]
- Select on bachelor PID (K/π) to separate $B^\pm \rightarrow DK^\pm$ from $B^\pm \rightarrow D\pi^\pm$



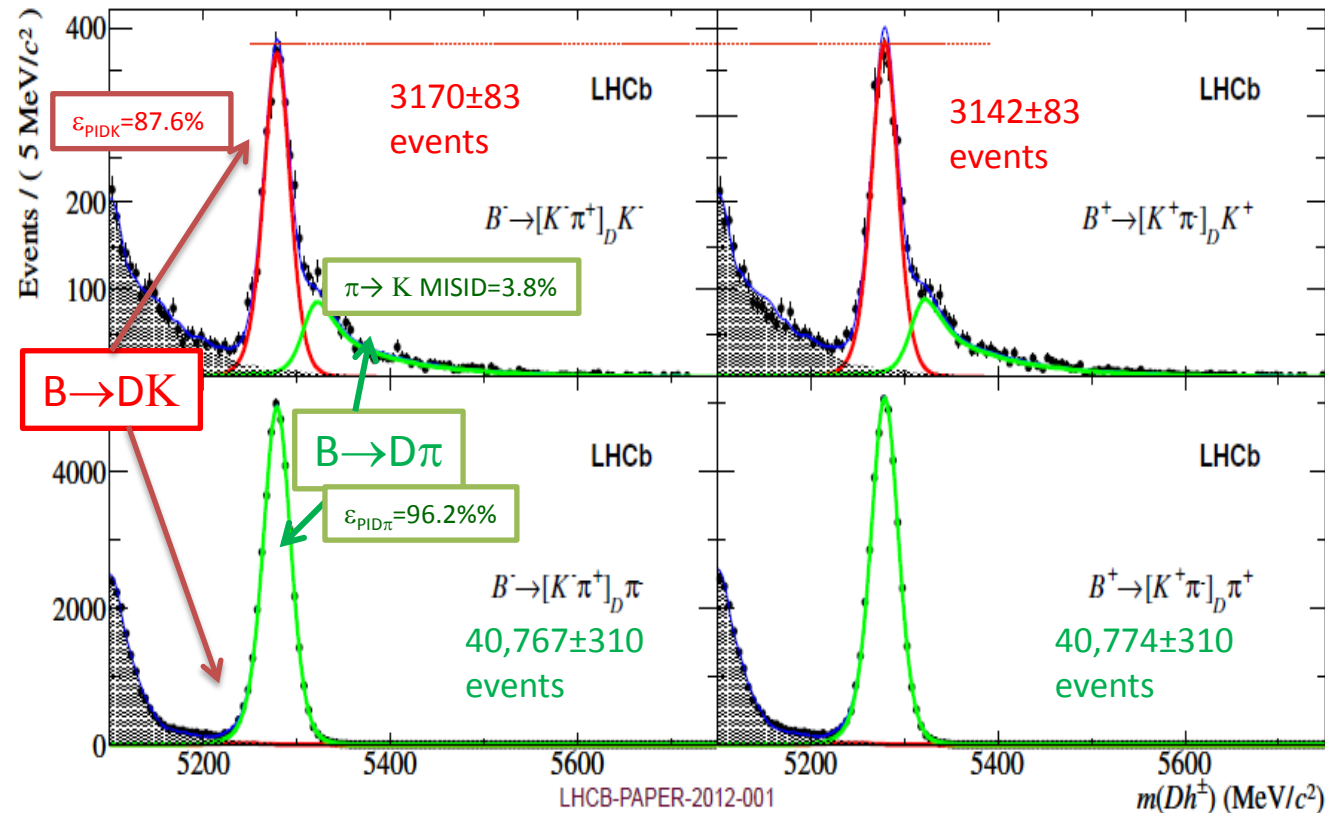
Crucial ingredients:

I. PID

II. Tracking and vertexing

- Simultaneous fit **16** independent data samples:
 - = **2** (B charge, +/-)
 - x **2** (bachelor ID, K/π)
 - x **4** (D decays: $K\pi$ fav, $K\pi$ suppressed, KK , $\pi\pi$)

$B^\pm \rightarrow D(K^\pm \pi^-)h^\pm$ (favoured mode)



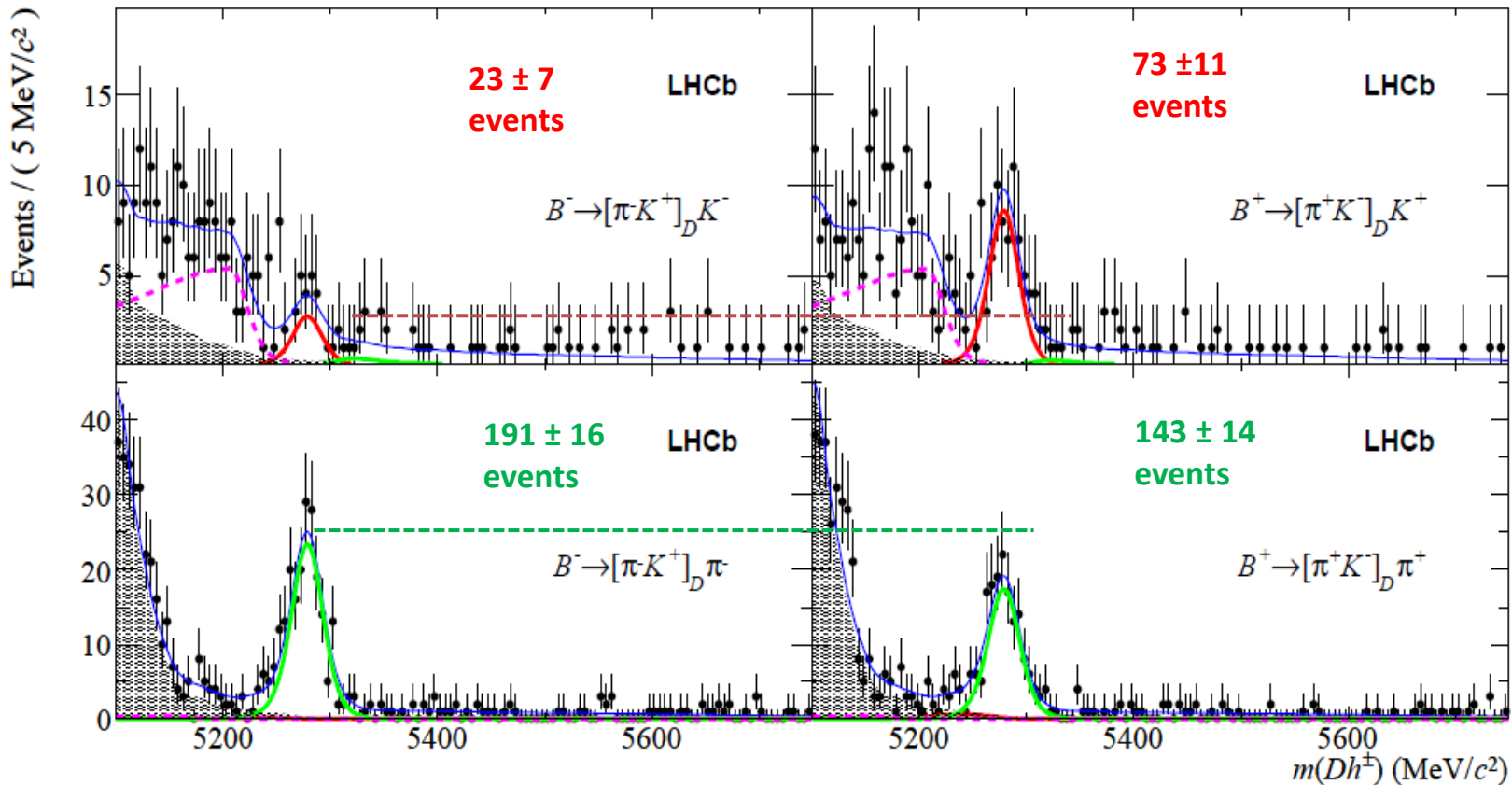
High signal yields

Low combinatorial level

Partially reconstructed decays contribute to low mass

Data-driven estimation of mis-ID component

$B^\pm \rightarrow D(K^\mp \pi^+) h^\pm$ (suppressed mode)

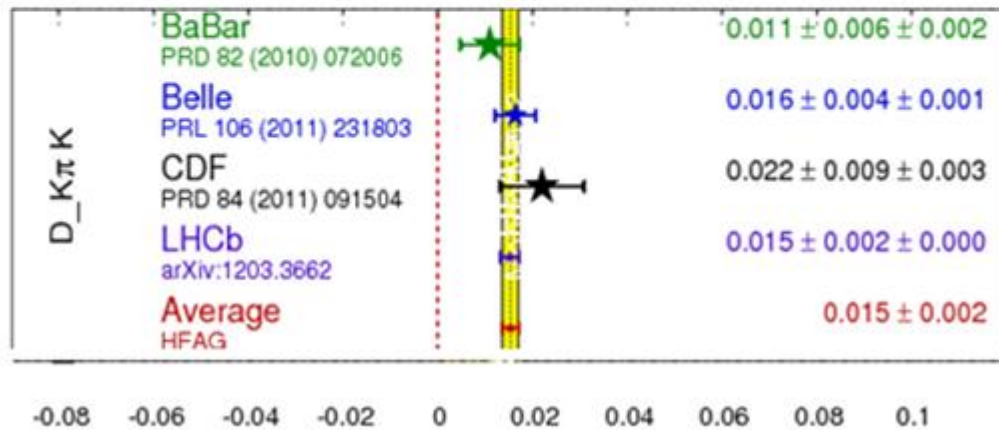


Large negative asymmetry in DK: $A_{\text{ADS}}(K) = (-52 \pm 15 \pm 2)\% [4\sigma]$

Hint of positive asymmetry in $D\pi$: $A_{\text{ADS}}(\pi) = (14.3 \pm 6.2 \pm 1.1)\% [2.4\sigma]$

R_{ADS} Averages

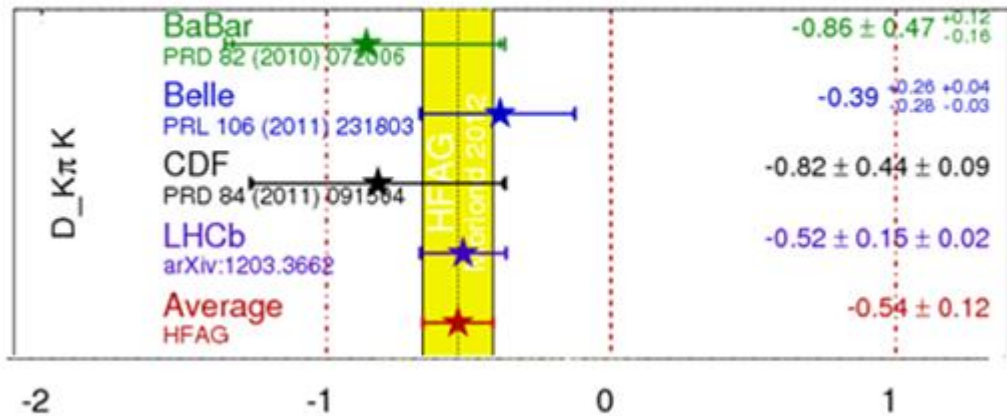
HFAG
Moriond 2012
PRELIMINARY



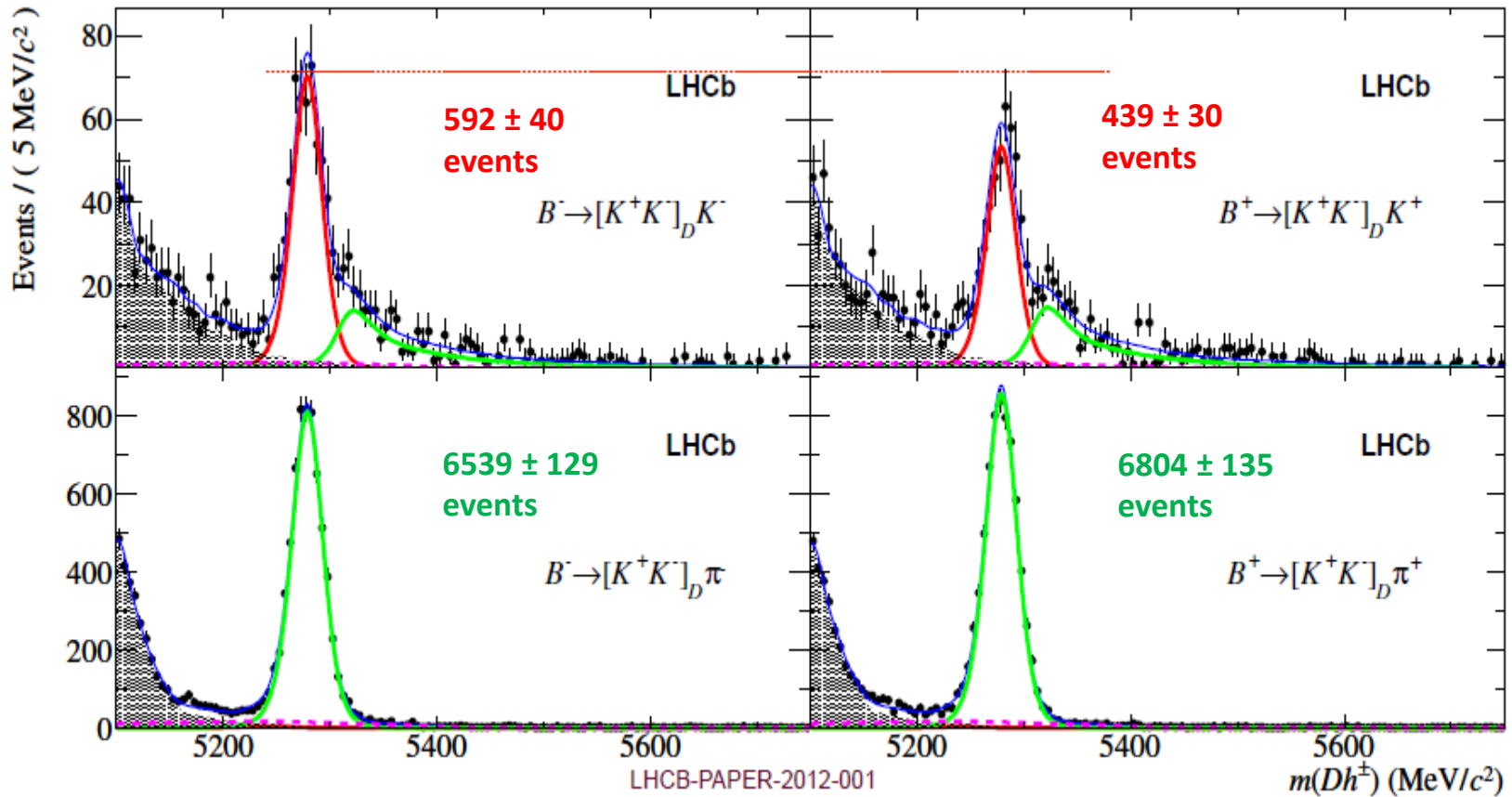
$$R_{ADS} = r_B^2 + r_D^2 + 2r_B r_D \cos(\delta_B + \delta_D) \cos \gamma$$

A_{ADS} Averages

HFAG
Moriond 2012
PRELIMINARY

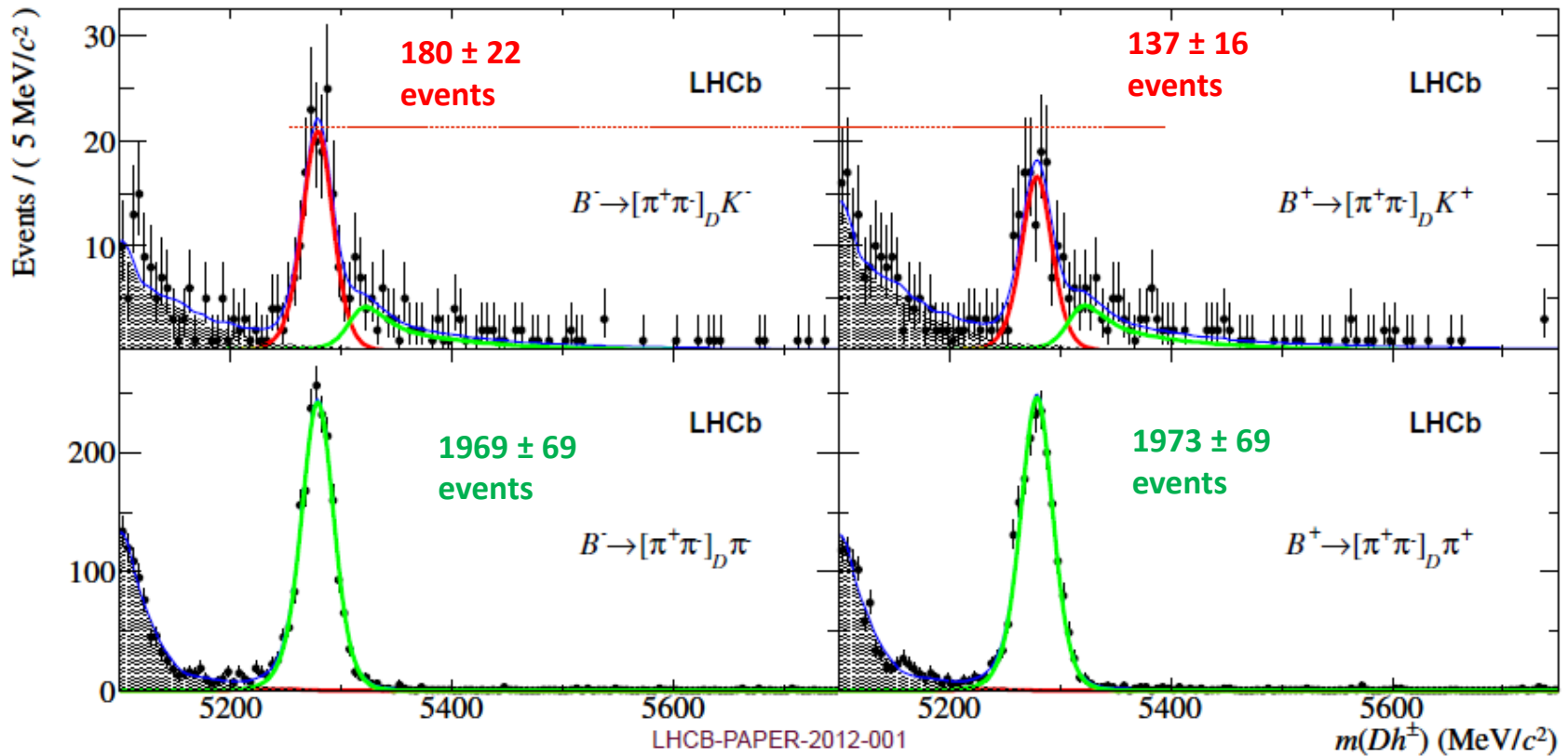


$B^\pm \rightarrow D(K^+K^-)h^\pm$



$$A_{CP^+}(KK) = (-14.8 \pm 3.7 \pm 1.0)\%$$

$B^\pm \rightarrow D(\pi^+\pi^-)h^\pm$

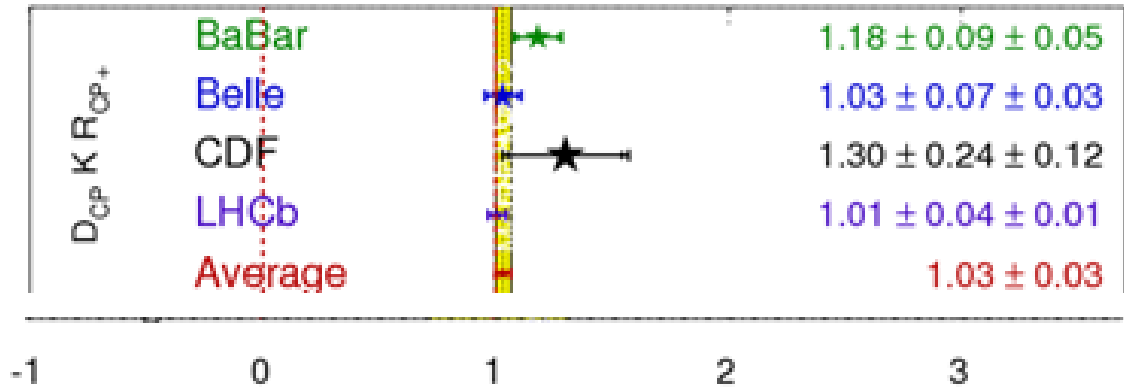


$$A_{CP^+}(\pi\pi) = (-13.5 \pm 6.6 \pm 1.0)\%$$

GLW Results

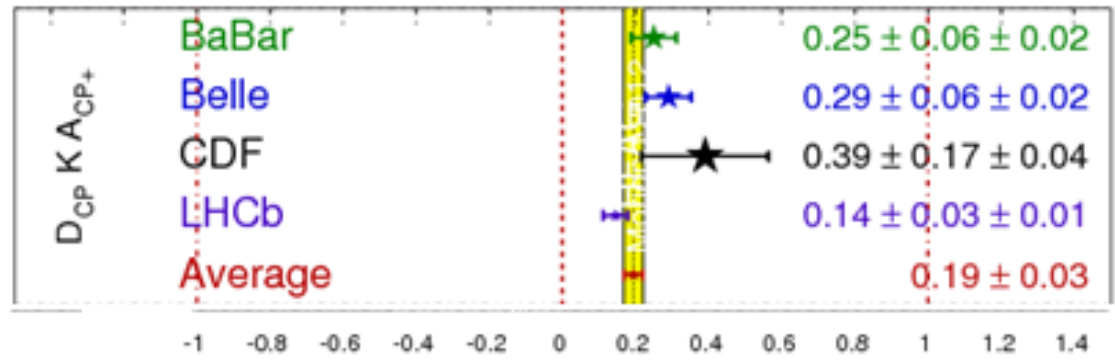
R_{CP} Averages

HFAG
Moriond 2012
PRELIMINARY



A_{CP} Averages

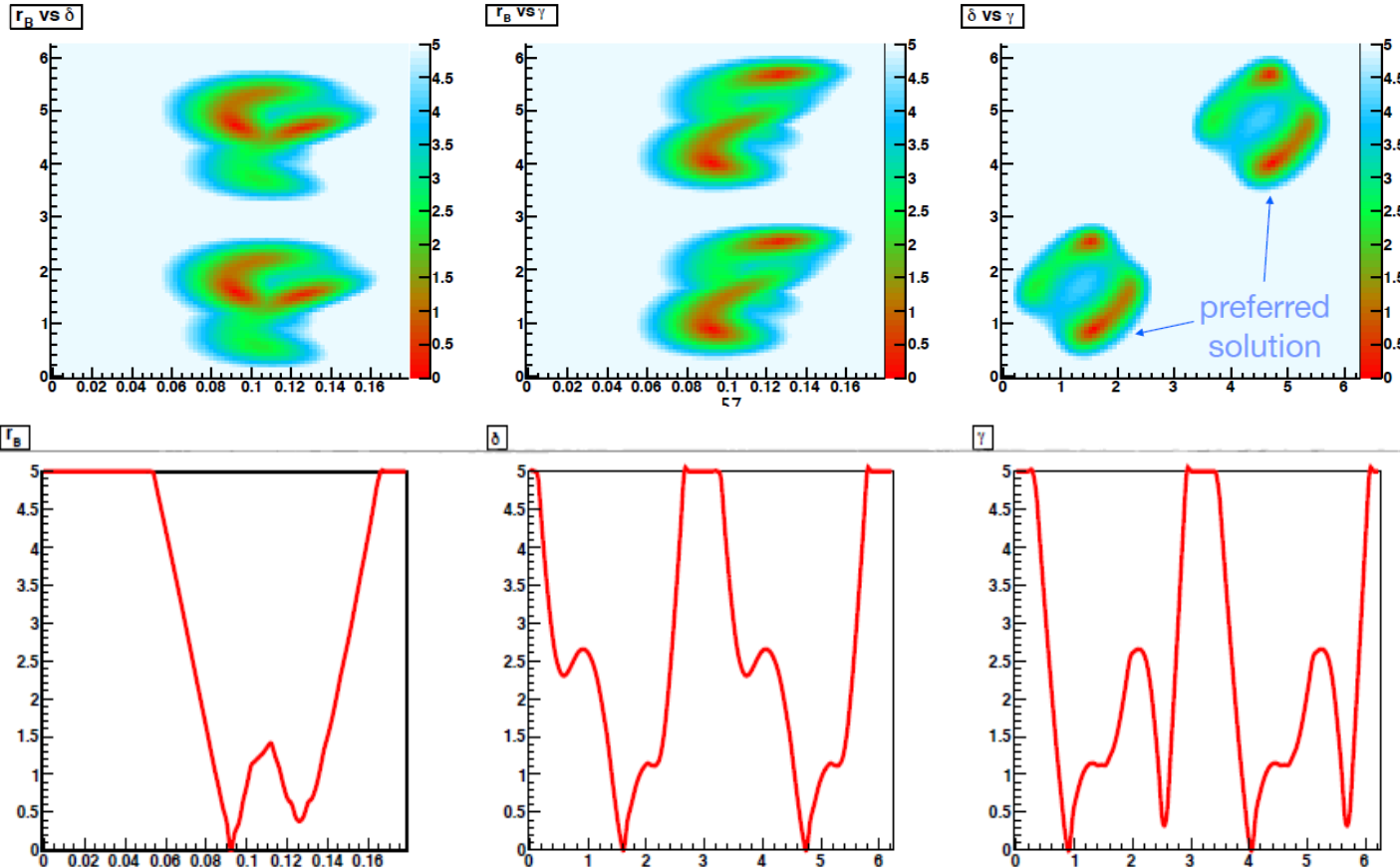
HFAG
Moriond 2012
PRELIMINARY



KK and $\pi\pi$ combined
4.5 σ

What about γ ?

Multiple ambiguities in the extraction of all unknowns=> most stringent constraints on ADS/GLW parameters do not translate immediately in the most stringent constraints on gamma



For illustration purposes only:
 - Correlations not taken into account;
 - Uncertainty on δ_D ignored

Nice constraint on r_B

Coming soon..

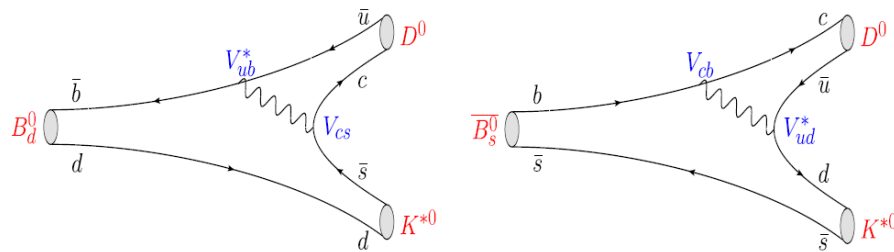
**ADDITIONAL MEASUREMENTS FROM
“CLASSIC” METHODS**

Towards a ADS/GLW measurement with $B^0 \rightarrow D^0(hh)K^{*0}$

Self-tagged . TI analysis similar to $B^+ \rightarrow D(hh)K^+$. Larger r_B (3x) \Rightarrow larger interference effects
Interfering diagrams both colour suppressed \Rightarrow Low yields

$B_d \rightarrow D^0 K^{*0}$

$B_s \rightarrow D^0 K^{*0}$



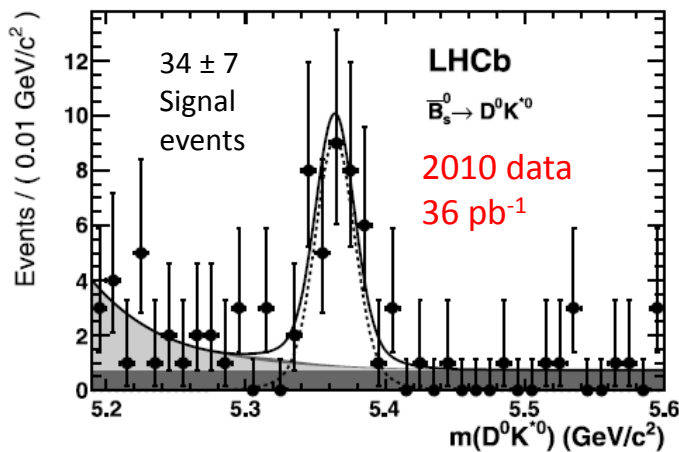
First step: measurement of $B_s \rightarrow DK^{*0}$ B.F.

Favoured B_s ADS mode and sensitive suppressed B_d mode share same final state :

B_s fav. yield $\sim 20 \times B_d$ sup.

Merit: small $r_B(B_s)$, no interference, good as control sample and normalisation

Challenge: background, In addition $B_s \rightarrow D^{*0}K^{*0}$ (main challenge!)



[LHCb. PLB 706 \(2011\) 32. arXiv:1110.3676](#)

$$B(\bar{B}_s^0 \rightarrow D^0 K^{*0}) = (4.72 \pm 1.07 \pm 0.48 \pm 0.37 \pm 0.74) \times 10^{-4}$$

stat. syst. f_s/f_d From B.F. $B \rightarrow D\rho$

- Mode can be efficiently reconstructed
- Good B_d/B_s separation, low combinatorial
- Progressing towards GLW/ADS analysis with 2011 data
- Expect ~ 300 events from B_d favoured ADS decay in 1fb^{-1}

GGSZ: γ from $B^+ \rightarrow D(K_S h^+ h^-)K^+$

Exploit different interference pattern over D -Dalitz plots from B^+ and B^- decays:

requires an amplitude fit and a model for D decay

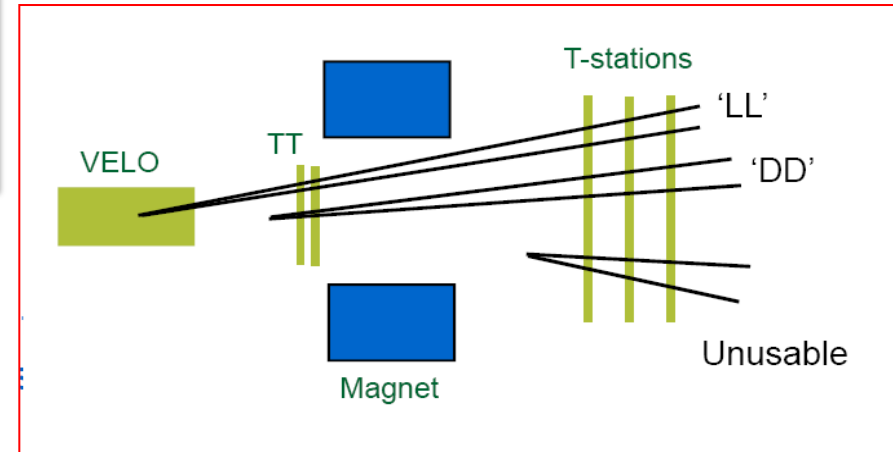
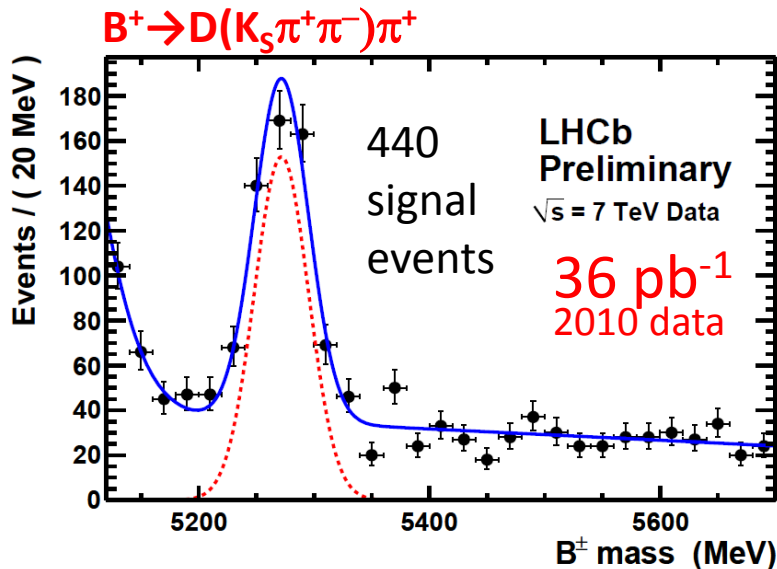
or external input on δ_D over the Dalitz plane (available from CLEO-c) for a model-independent approach

Two approaches: unbinned model-dependent and binned model-independent pursued in parallel at LHCb

Specific LHCb challenge for this decays :

K_S reconstruction

2/3 decay downstream (DD) of vertex detector
(but have hits in downstream tracker stations)



$B^+ \rightarrow D(K_S h^+ h^-)K^+$

Expect ~ 600 events in 1/fb

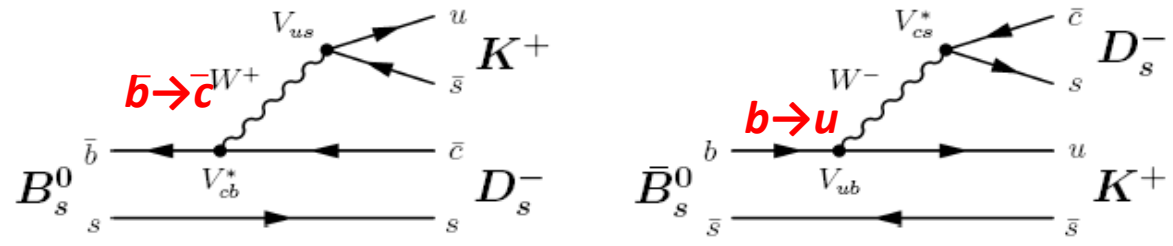
(roughly half size wrt Belle)

First CP results in the summer

$B_s \rightarrow D_s K$: time-dependent analysis

Sensitive to $\gamma + \phi_s$

Both colour allowed transition: large interference expected



- 4 time-dependent rates:
 - $B_s \rightarrow D_s^+ K^-$
 - $\bar{B}_s \rightarrow D_s^+ K^-$
 - $B_s \rightarrow D_s^- K^+$
 - $\bar{B}_s \rightarrow D_s^- K^+$
- 2 CP-asymmetries

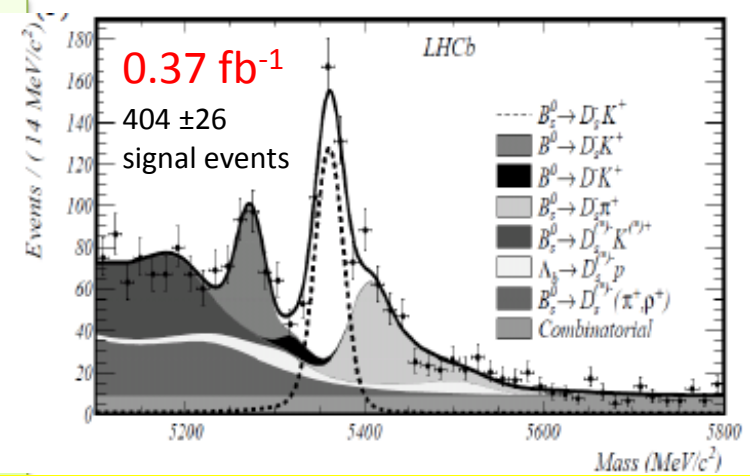
Crucial:

- proper time resolution ~ 50 fs
- adequate to resolve fast B_s oscillation
- Tagging power: LHCb-CONF-2011-050
 - opposite side tagger $\epsilon D^2 = 3.2 \pm 0.8\%$
 - additional power from same-side tagger

First step: PLB 709 (2012) 177, arXiv: 1112.4311 (36 pb⁻¹)

precise determination of Δm_s from $B_s \rightarrow D_s \pi$

$$\Delta m_s = 17.63 \pm 0.11 \pm 0.02 \text{ ps}^{-1}$$



NEW measurement of the branching fraction (arXiv 1204.1237)

$$\mathcal{B}(B_s^0 \rightarrow D_s^- K^+) = (1.90 \pm 0.12 \pm 0.13_{-0.14}^{+0.12}) \times 10^{-4}$$

Stat. Syst. From f_s/f_d

$$B^- \rightarrow D^0 K^-$$

$$D^0 \rightarrow K^- \pi^+ \pi^- \pi^+$$

$$D^0 \rightarrow K^- \pi^+ \pi^0$$

$$D^0 \rightarrow K^- K^+ \pi^- \pi^+$$

$$D^0 \rightarrow \pi^- \pi^+ \pi^- \pi^+$$

$$B^- \rightarrow D^0 K^- \pi^+ \pi^-$$

$$B_s \rightarrow D_s^{\mp} K^{\pm} \pi^+ \pi^-$$

$$B_s \rightarrow D^0 K^+ K^-$$

$$B^0 \rightarrow D^0 K^- \pi^+$$

Not exhaustive list

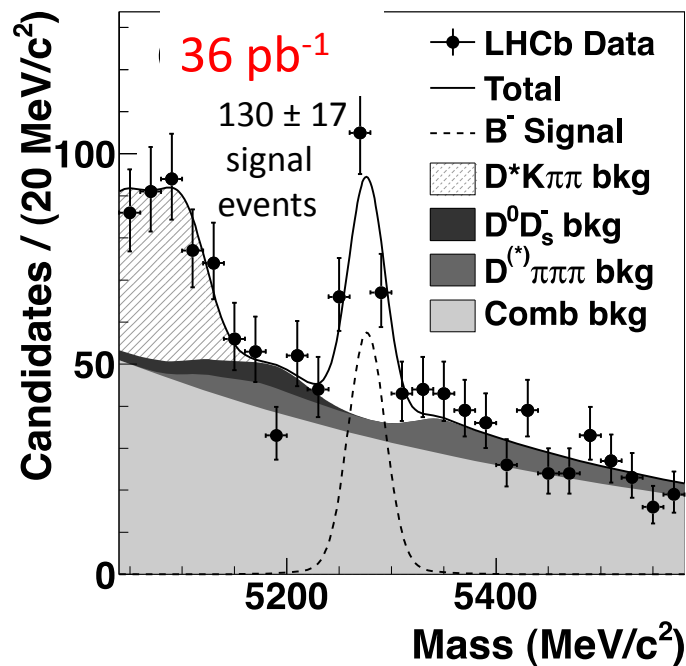
$$\Lambda_b \rightarrow D^0 p K^-$$

Longer term

MORE MULTI-BODY MODES

$B^- \rightarrow D(K^- \pi^+) K^- \pi^+ \pi^-$

Efficient reconstruction in high track-multiplicity modes



First observation (9σ) of Favoured “ADS” mode

arXiv:1201.4402

$$\frac{\mathcal{B}(B^- \rightarrow D^0 K^- \pi^+ \pi^-)}{\mathcal{B}(B^- \rightarrow D^0 \pi^- \pi^+ \pi^-)} = (9.4 \pm 1.3 \pm 0.9) \times 10^{-2}$$

Expect ~2k signal events
in 2011 data 1 fb⁻¹
[~1/3 of B⁻ → D(K⁻π⁺)K⁻]



Variation of B hadronic parameters over phase-space

⇒ **different approaches for extracting γ** :

▪ **Quasi-two body:** Modified ADS, GLW observables; needs “coherence factor”

$$e.g., R_{ADS} = r_s^2 + r_D^2 + 2r_s r_D \kappa \cos(\delta_s + \delta_D) \cos \gamma$$

$$\kappa \in [0,1]$$

$$\kappa e^{i\delta_s} = \frac{\int |\bar{A}| |A| e^{i(\arg(\bar{A}) - \arg(A))} dPS}{\sqrt{\int |\bar{A}|^2 dPS} \sqrt{\int |A|^2 dPS}}$$

Potential dilution of interference due to different intermediate resonances with different strong-phases contributing to final state, e.g. $B^- \rightarrow DK_1(1270)$

$\kappa = 1$ in the two-body limit – one single resonance contributing

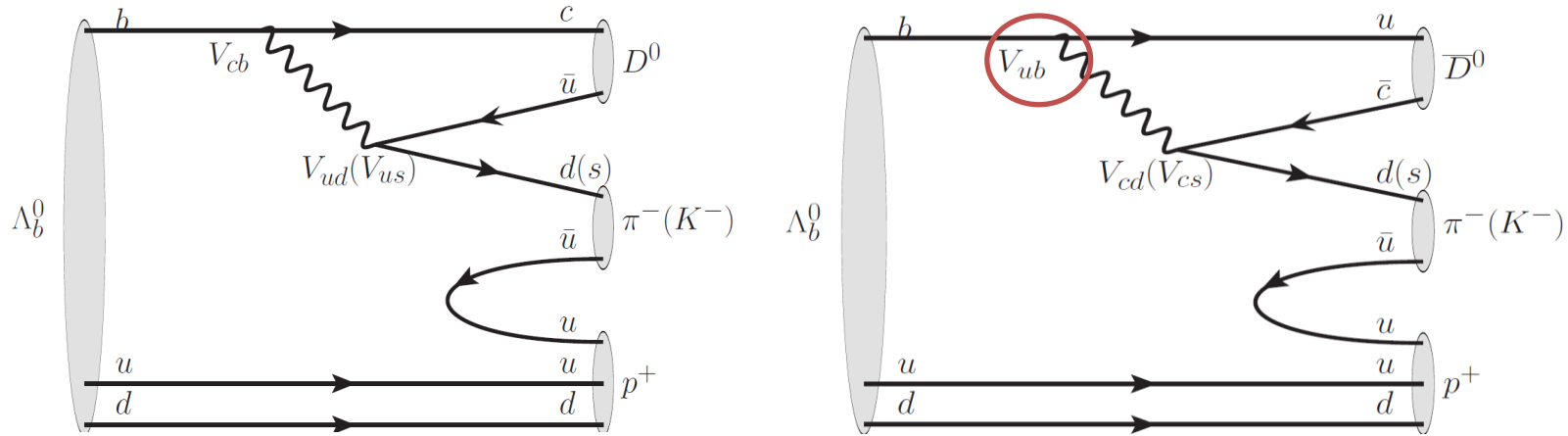
[PLB 557 198 (2003)]

▪ **Amplitude analysis**

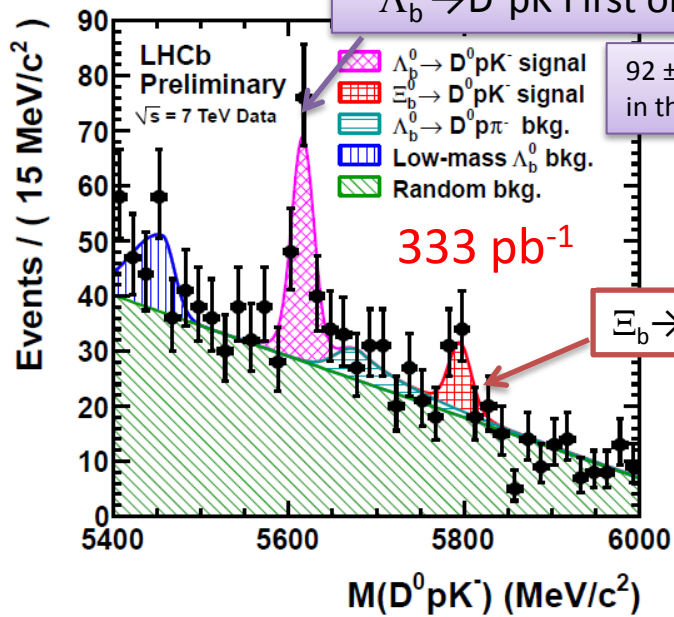
▪ **Binned:** Quasi-two body approach in high-coherent bins of the 4-body phase-space

$\Lambda_b \rightarrow D^0 p h^- \quad (h=\pi, K)$

[LHCb-CONF-2011-036]



$\Lambda_b \rightarrow D^0 p K$ First observation (6σ)



92 ± 15 signal events
in the favoured $D^0(K\pi)$

$\Xi_b^0 \rightarrow D^0 p K$: 2.6 σ

$\Lambda_b \rightarrow D^0 p K$

Enhances sensitivity of $\Lambda_b \rightarrow D^0 \Lambda$
originally proposed by I. Dunietz

- No long-lived V^0 Z.Phys C56(1992) 129
 - Exploit full 3-body phase space
- Dalitz plot analysis to extract γ
without ambiguities

$$\frac{\mathcal{B}(\Lambda_b^0 \rightarrow D^0 p K^-)}{\mathcal{B}(\Lambda_b^0 \rightarrow D^0 p \pi^-)} = 0.112 \pm 0.019^{+0.011}_{-0.014}$$

Conclusions

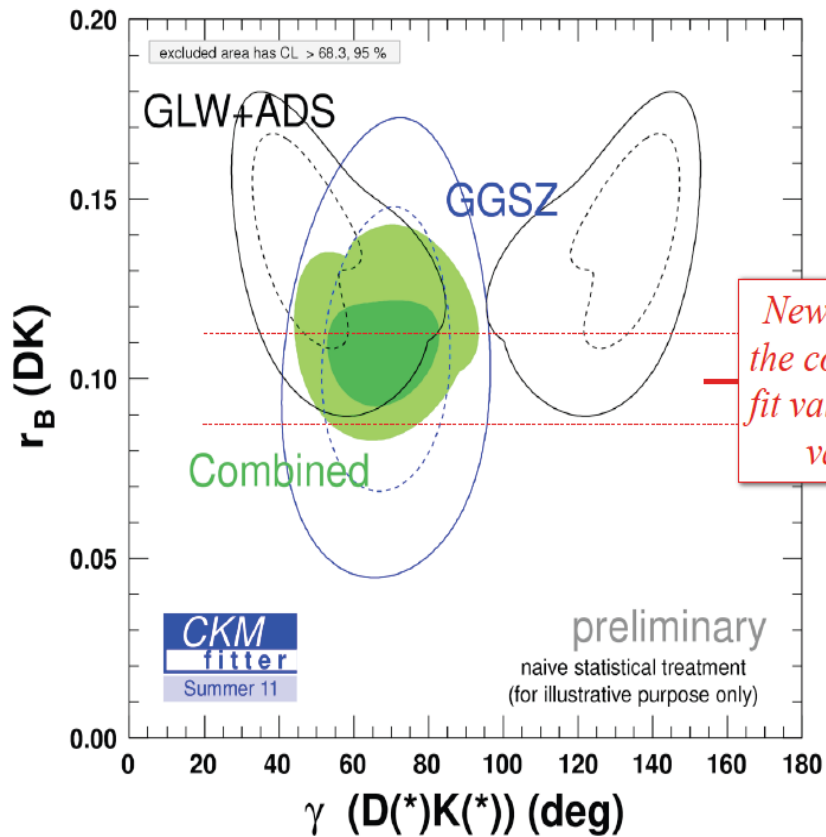
A new era for γ has just started at LHCb!

- Recent results from simultaneous GLW/ADS analysis with $B^+ \rightarrow DK^+$
 - Observation of ADS sensitive mode firmly established (10σ)
 - First observation of direct CPV in GLW and ADS (5.8σ , combined)

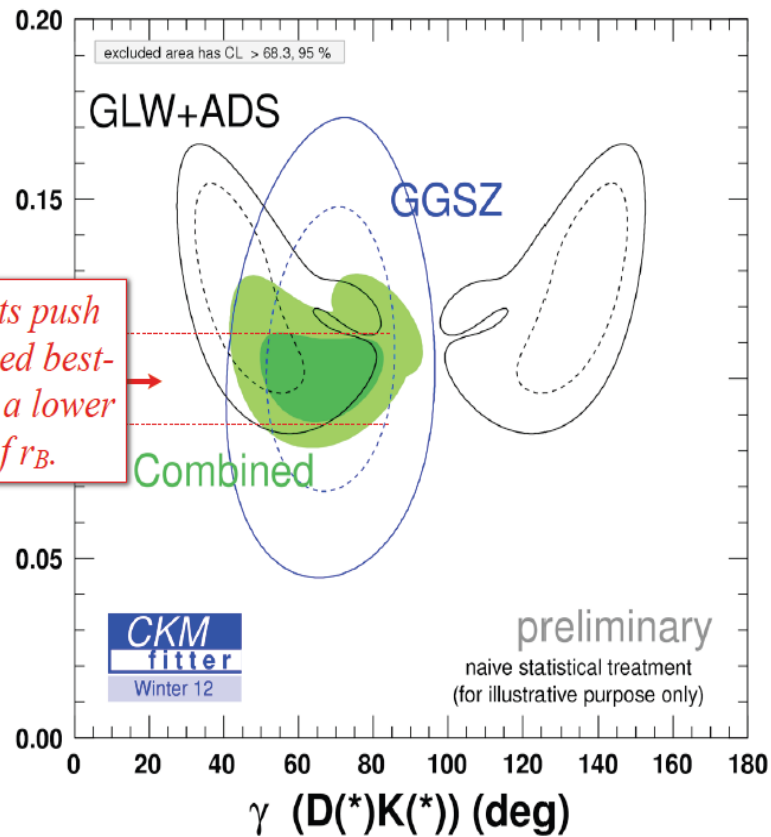
Important milestone towards a precise determination of γ at LHCb

- Analyses for many other promising decay modes under way. First step: results on branching ratios.
- High reconstruction efficiency and high purity even for modes with high track multiplicity.
- No single method dominates sensitivities. Precision from combination of several modes.
- Expect LHCb to improve on B-factory precision with 2011+2012 data-set.

ADDITIONAL MATERIAL

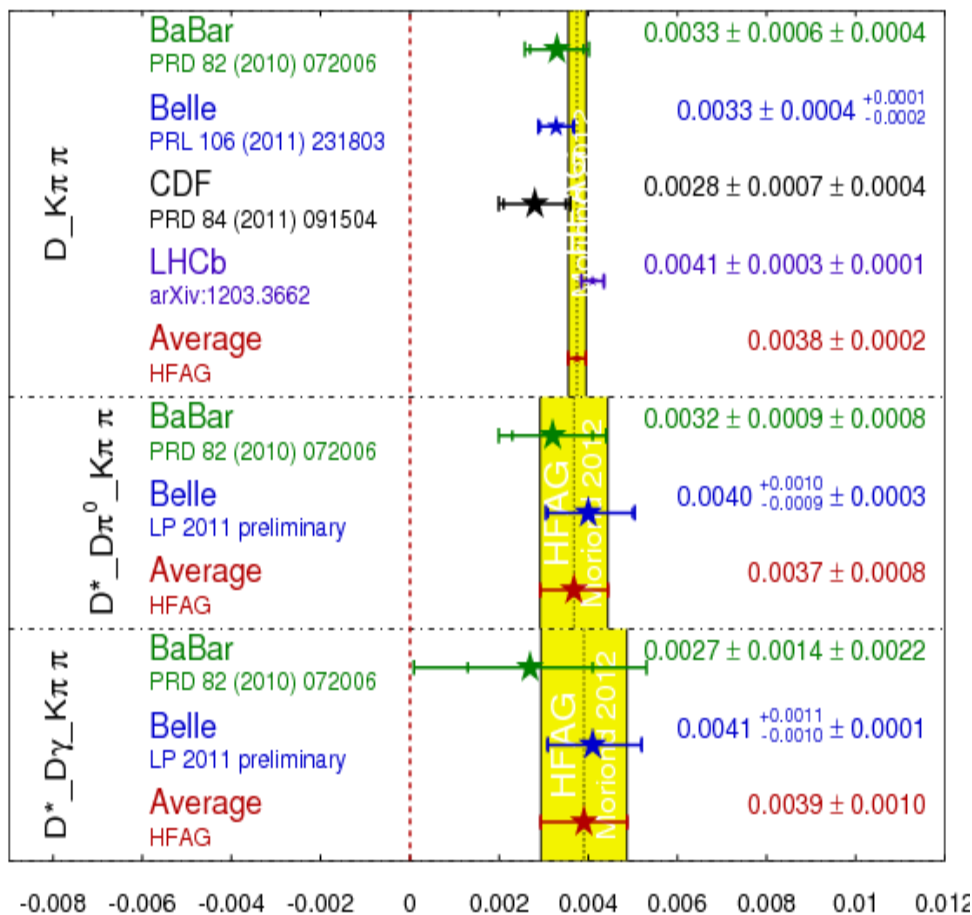


New results push the combined best-fit value to a lower value of r_B .



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A_{ADS} Averages

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