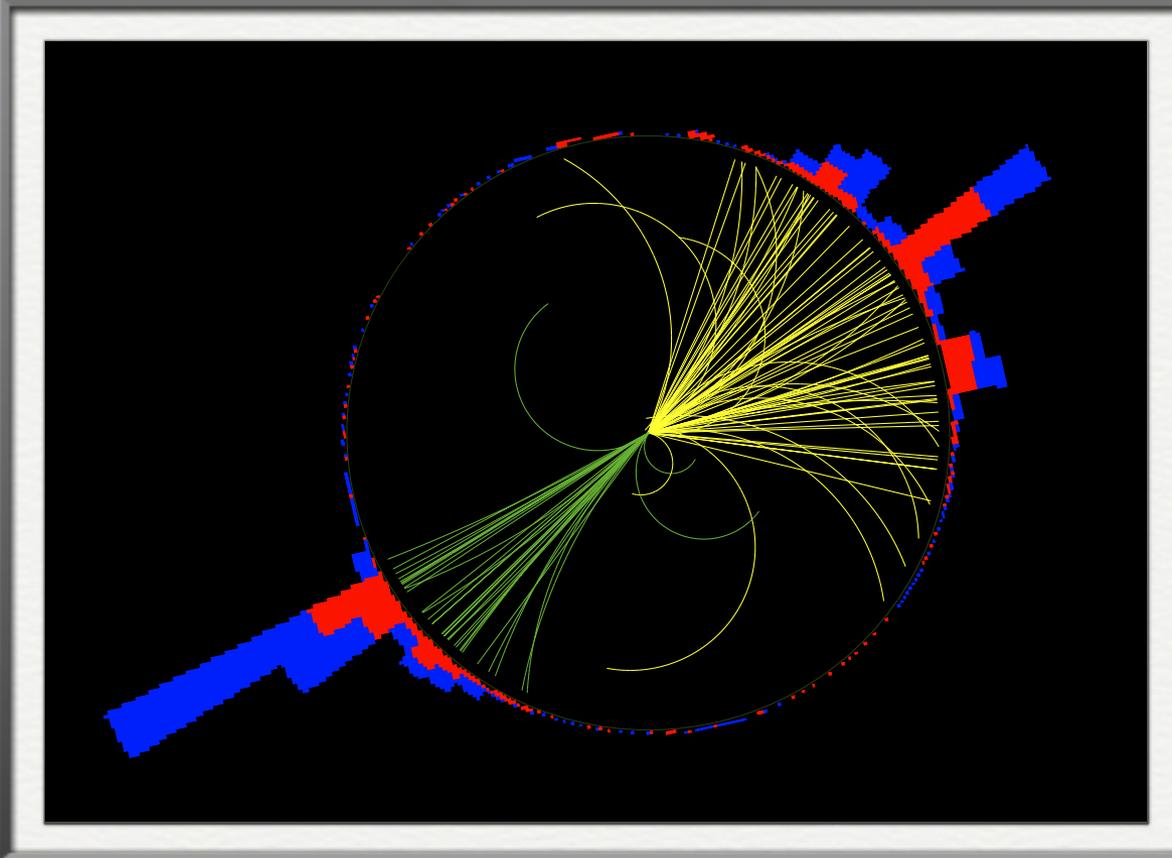


CMS : Searches for SUSY & New Physics using Heavy Flavour

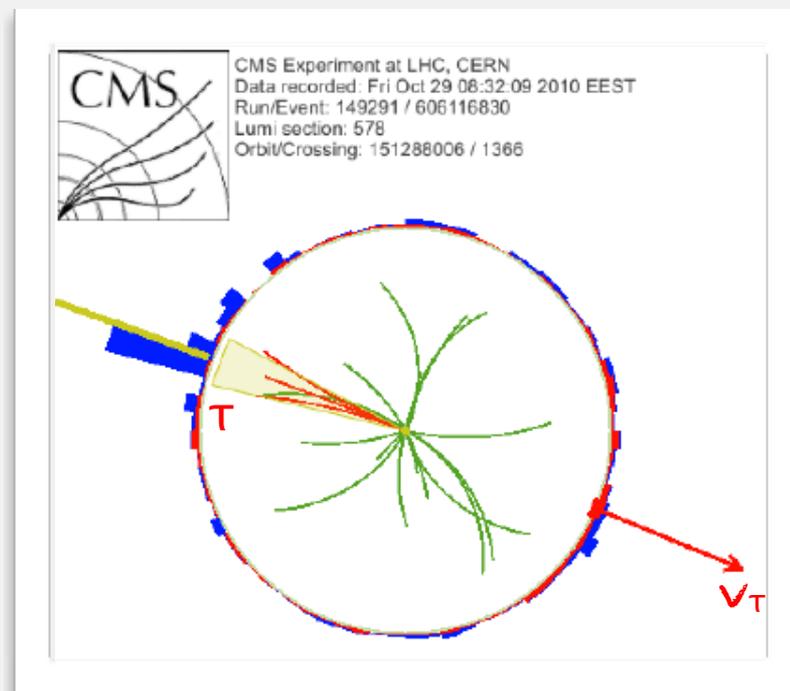
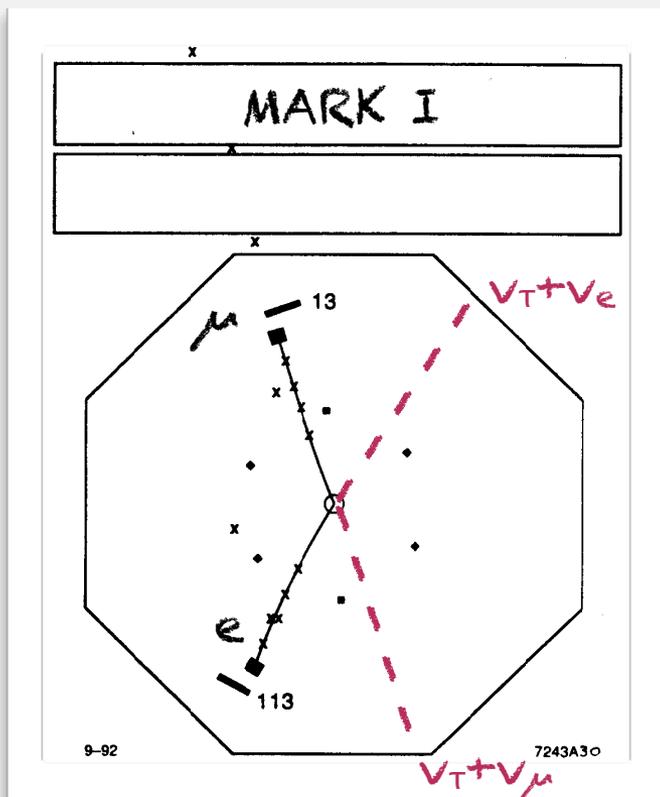


Richard Cavanaugh, Fermilab / UIC

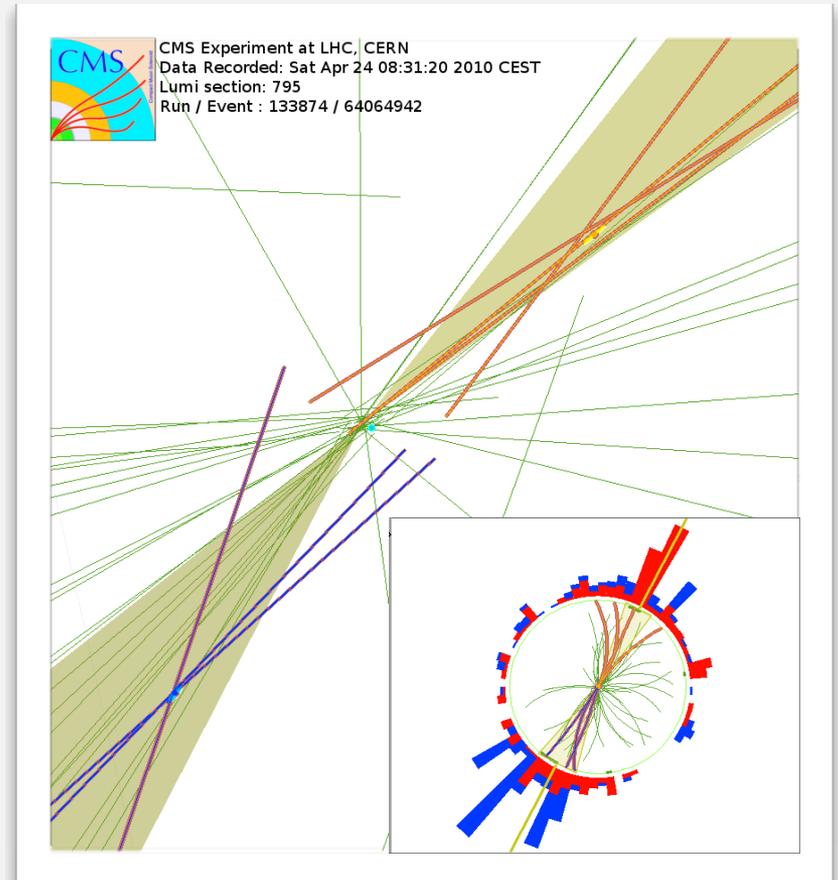
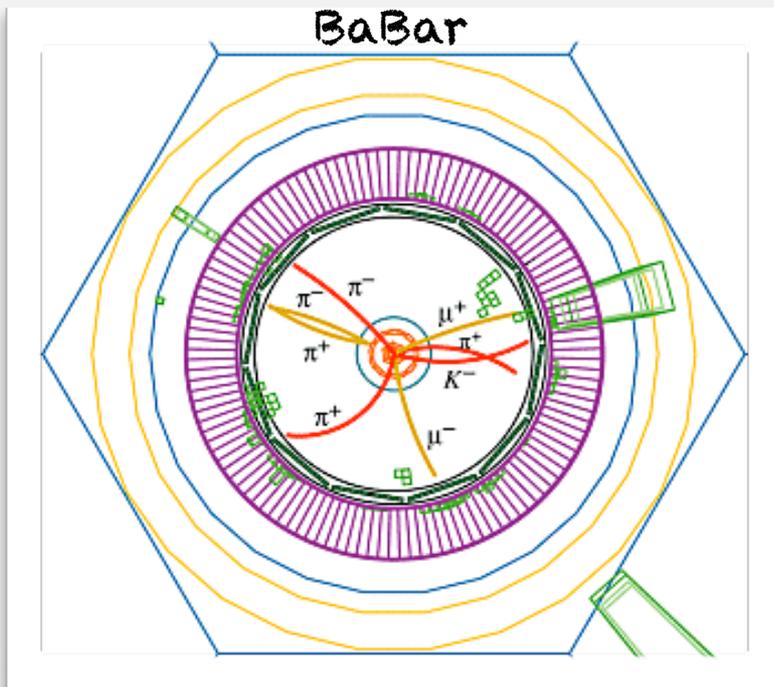
Chicago 2012 Workshop
02 May, 2012

- We do not understand Flavour in the Standard Model!
 - Perhaps most perplexing conundrum of all
 - It's why we built all of the b-factories!
- Flavour intimately tied with EWSB through Yukawas
 - defines a special role for heavy flavour!
- Supersymmetry and EWSB seem to be related
 - at least via the hierarchy problem
 - limits Heavy Flavour sparticle masses
 - perhaps also through RGEs
- Other Reasons to search for New Physics with Heavy Flavour
 - Number of generations? Is there a Heavy 4th?
- Lot of interest in Searches for New Physics using Heavy Flavour

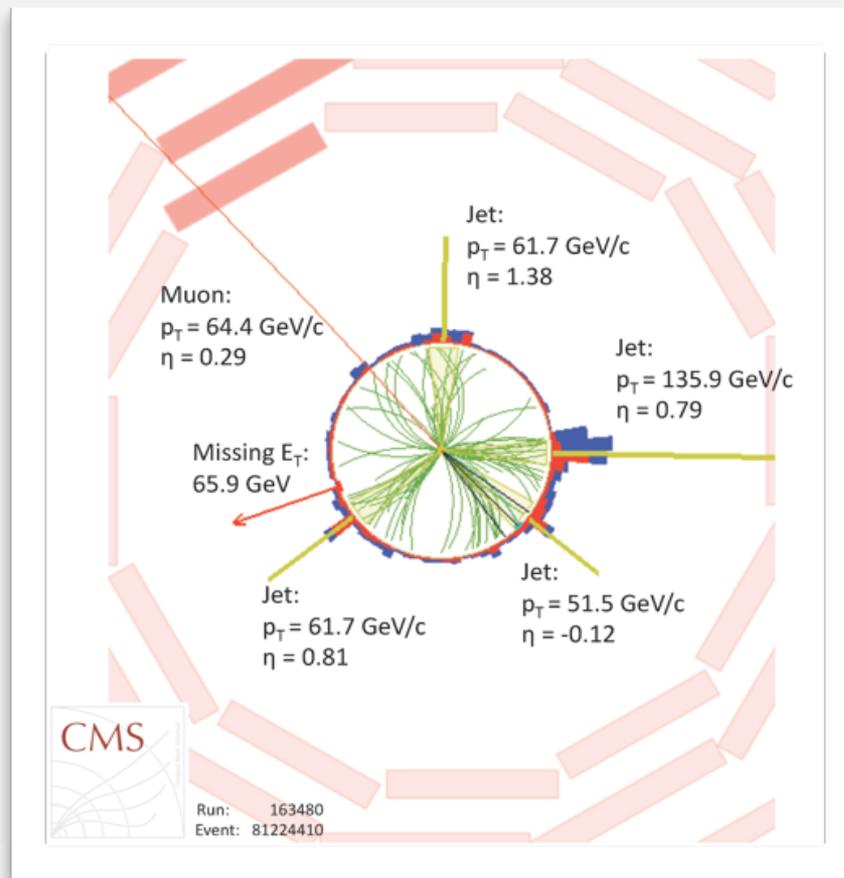
From tau's to tau-jets

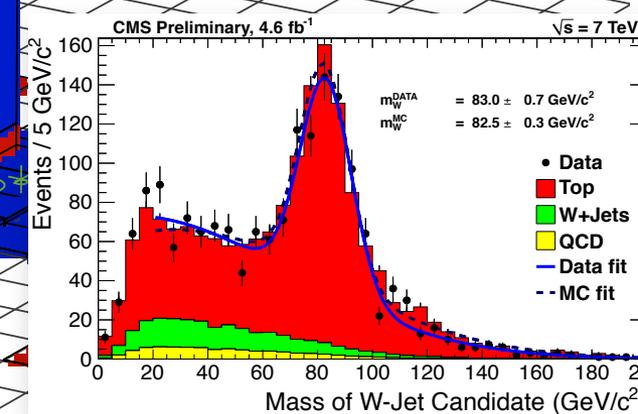
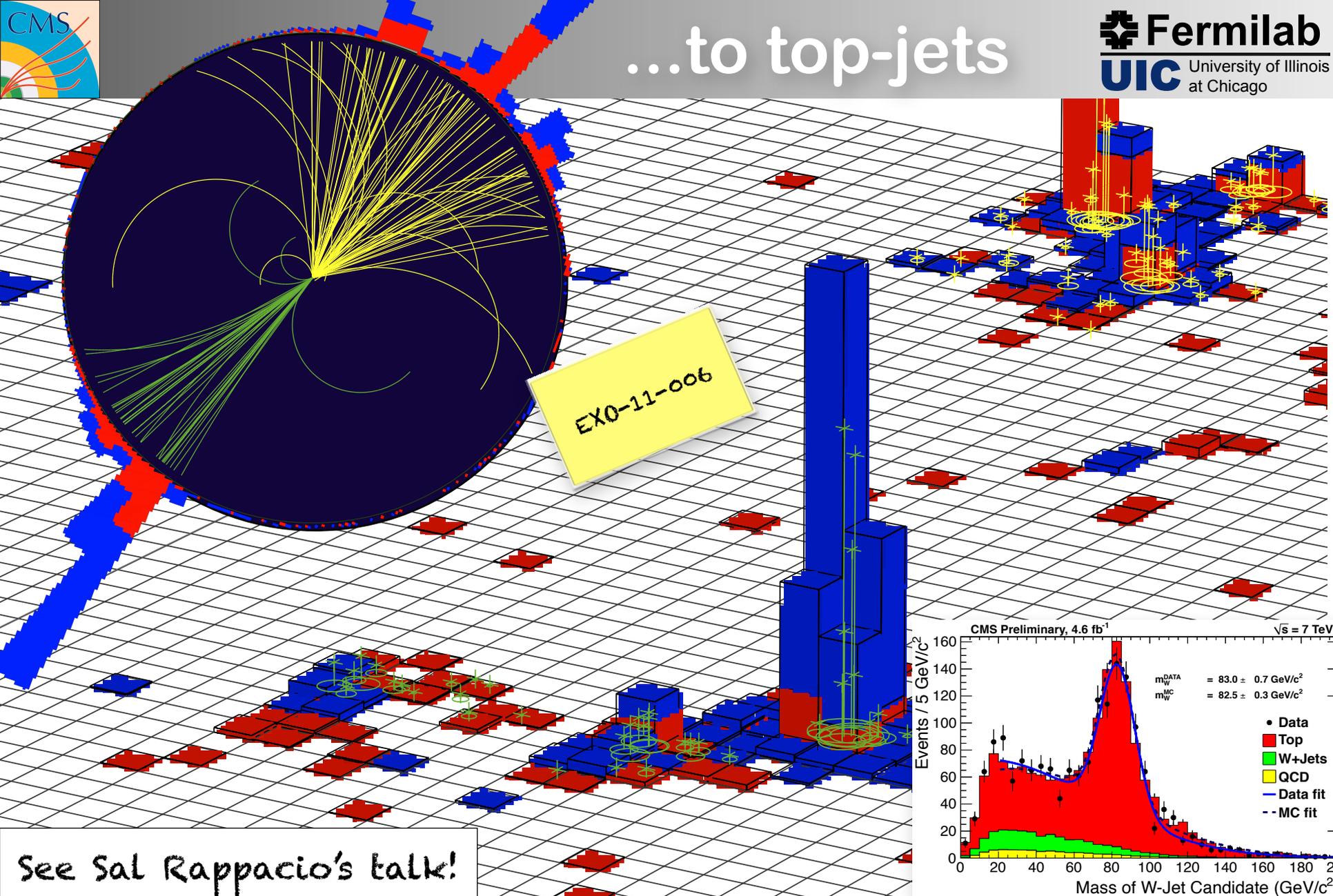


From b's to b-jets



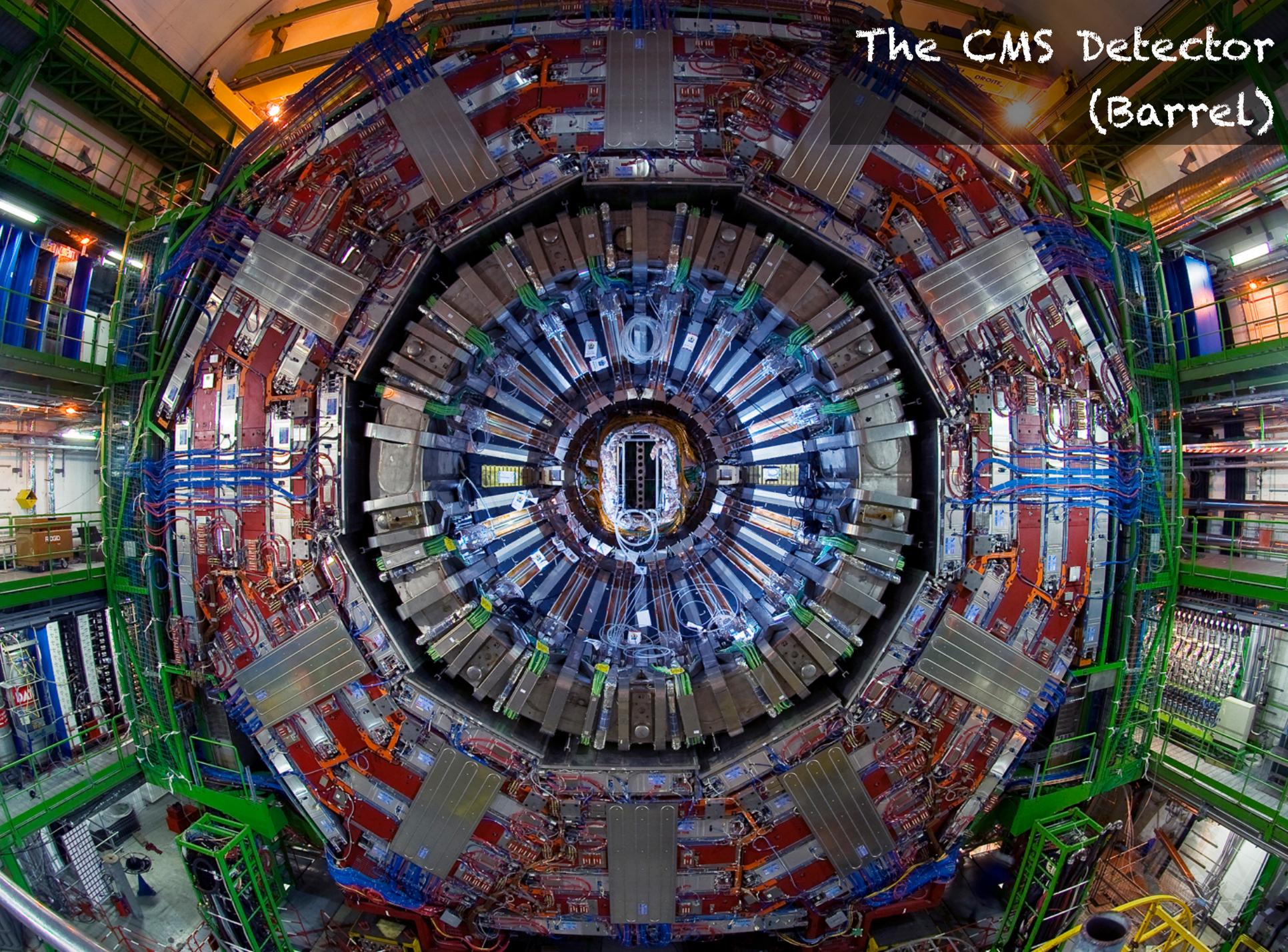
From tops to...

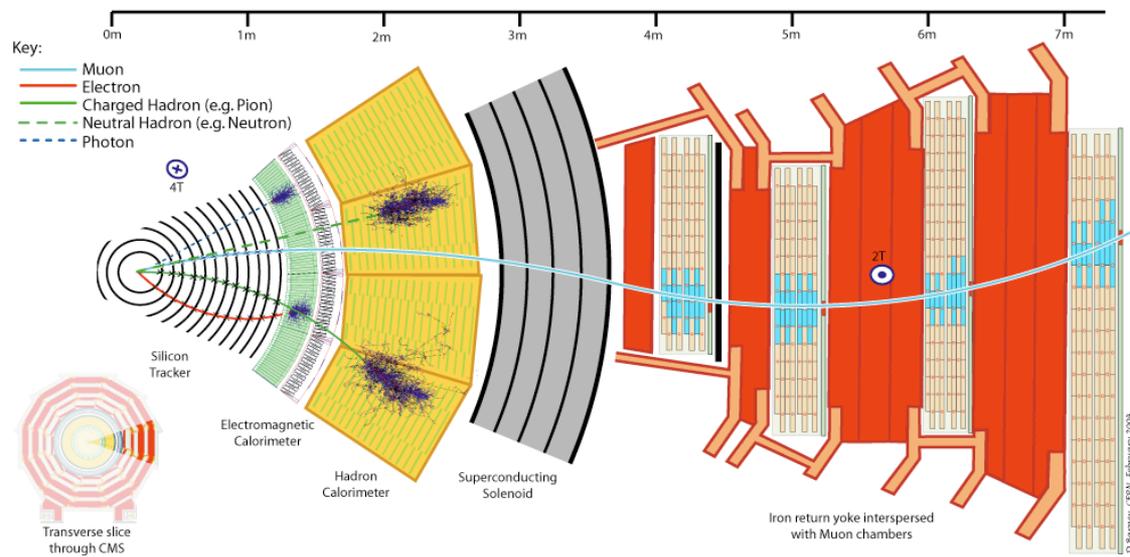
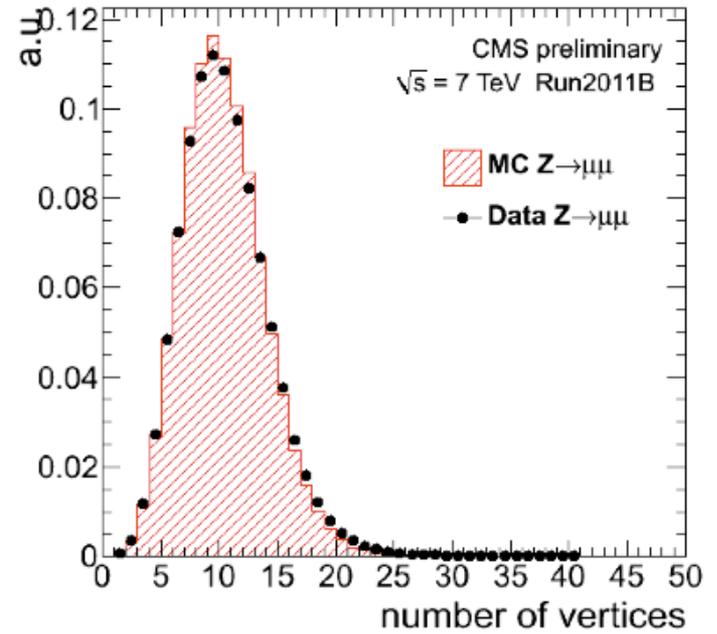




See Sal Rappaccio's talk!

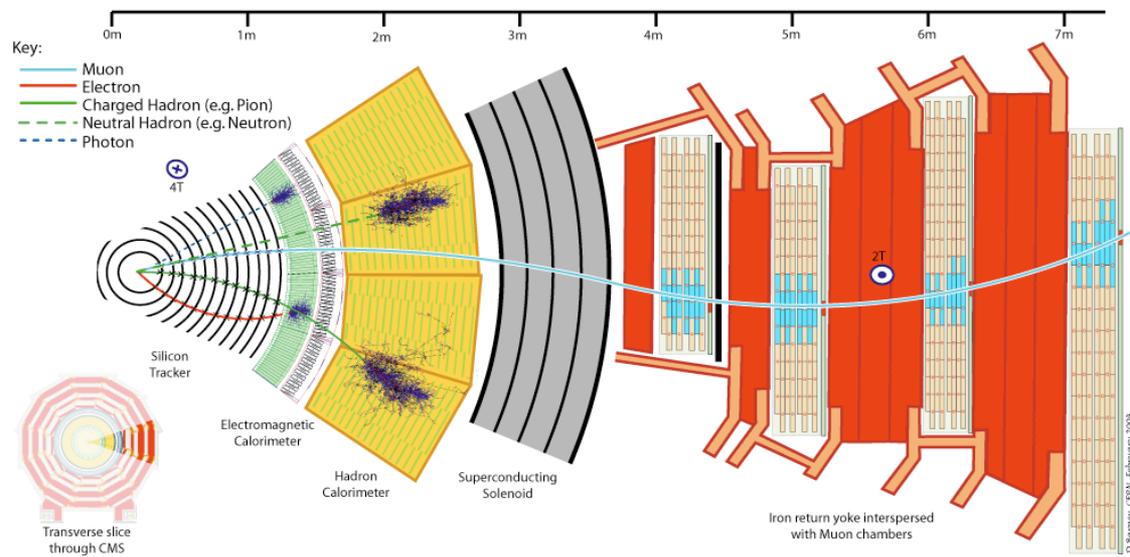
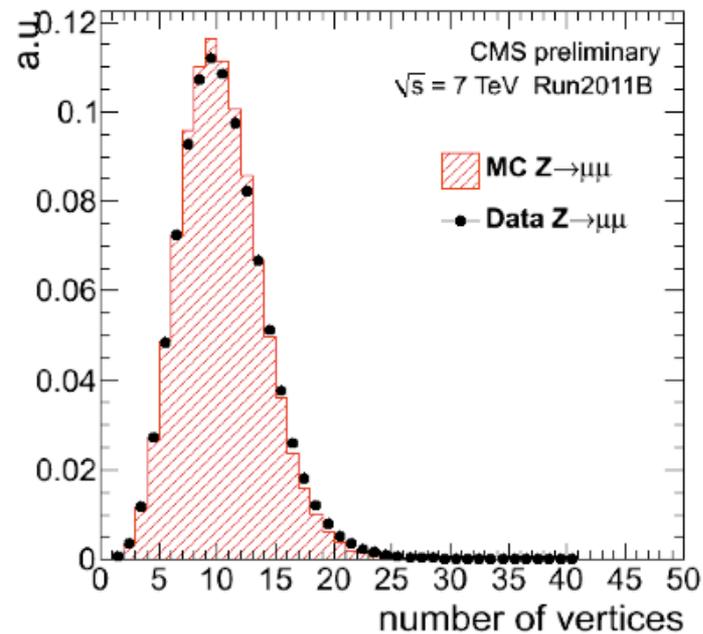
The CMS Detector (Barrel)





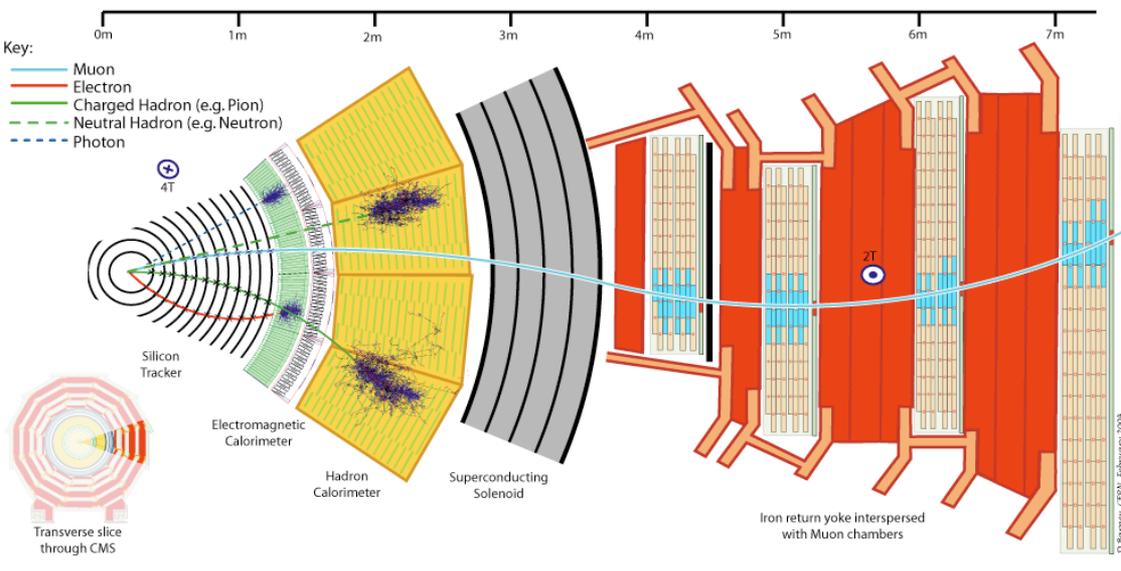
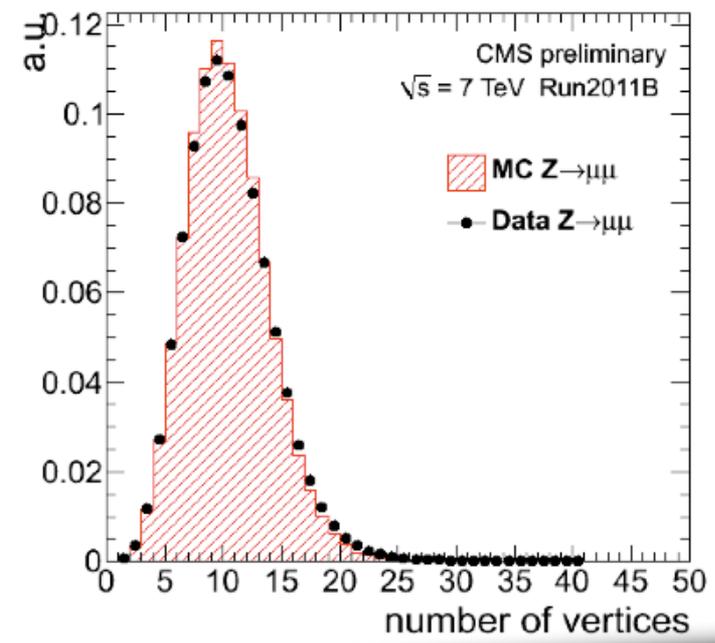
Excellent Performance

- More than 5 fb^{-1} data collected @ 7 TeV
- Peak lumi $3.5 \times 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$
- Data taking efficiency: 90%
- Data certified for analysis: 90%
- Mean pileup: 10



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Particle Flow in CMS

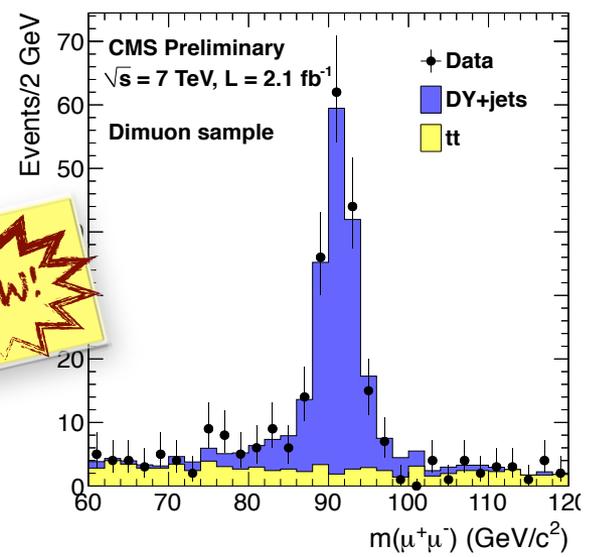
- Aim to reco. EVERY particle in event
- Exploit detector redundancy, whilst avoiding double counting
- Provides global event description
 - via list of individual particles
- Huge improvements to τ , jets, & MET
- Improvements to isolation, PU subtr.

SMP-12-003

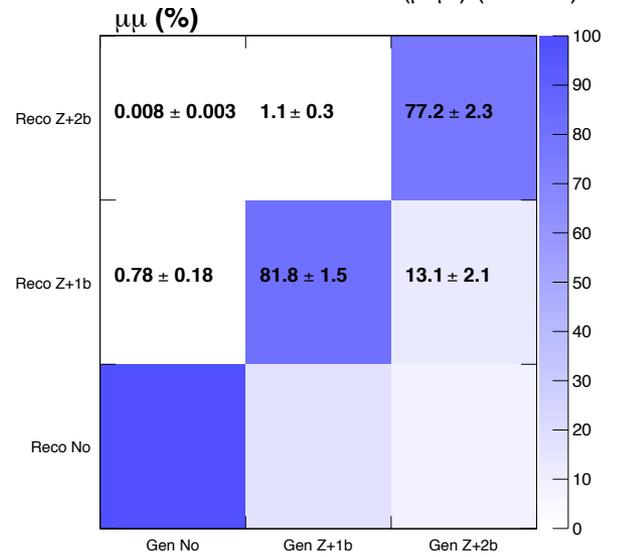
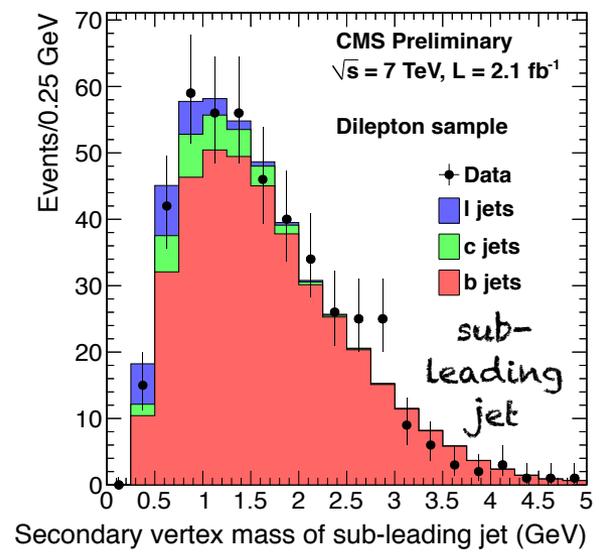
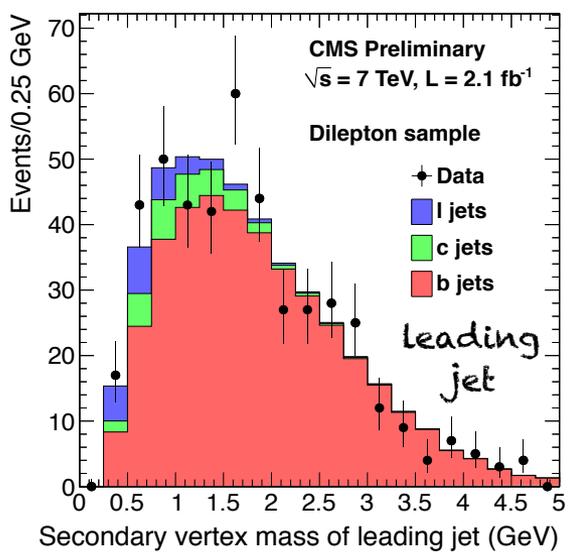
Z+bb

- Important QCD Measurement
- Benchmark channel (\neq bkg) for Higgs search
- Simulation: ME+PS using MadGraph+Pythia
- Data unfolded to hadron-level

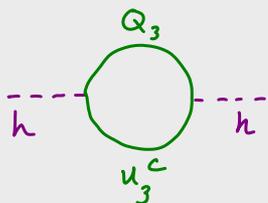
NEW!



Multiplicity bin	ee	$\mu\mu$
$\sigma_{hadron}(Z+1b, Z \rightarrow \ell\ell)(\text{pb})$	$3.25 \pm 0.08 \pm 0.29 \pm 0.06$	$3.47 \pm 0.06 \pm 0.27 \pm 0.11$
$\sigma_{hadron}(Z+2b, Z \rightarrow \ell\ell)(\text{pb})$	$0.39 \pm 0.04 \pm 0.07 \pm 0.02$	$0.36 \pm 0.03 \pm 0.07 \pm 0.03$
$\sigma_{hadron}(Z+b, Z \rightarrow \ell\ell)(\text{pb})$	$3.64 \pm 0.09 \pm 0.35 \pm 0.08$	$3.83 \pm 0.07 \pm 0.31 \pm 0.14$



Hierarchy Problem



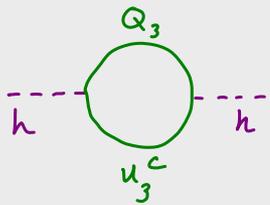
$$\delta m_h^2 \sim \frac{3 N_c \lambda_t^2 \Lambda_{UV}^2}{8\pi^2} \sim (-3\Lambda_{UV})^2$$

→ For $m_h \sim 120 \text{ GeV}$, need new colored "top partners" beneath $\sim 400 \text{ GeV}$.

Nima Arkani-Hamid
 Implications of LHC Workshop
 31 October, CERN

Also R. Barbieri, A. Weiler, etc, etc

Hierarchy Problem



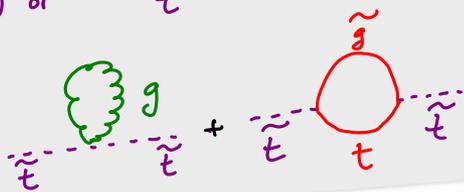
$$\delta m_h^2 \sim \frac{3 \lambda_t^2}{8\pi^2} \Lambda_{uv}^2 \sim (-3\Lambda_{uv})^2$$

N_c

→ For $m_h \sim 120 \text{ GeV}$, need new colored "top partners" beneath $\sim 400 \text{ GeV}$.

Also need Gluino

For $m_{\tilde{t}} \lesssim 400 \text{ GeV}$ to be natural:

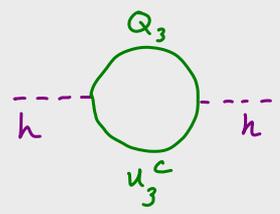


$$M_{\tilde{g}} \lesssim 1.5 \text{ TeV}$$

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Hierarchy Problem

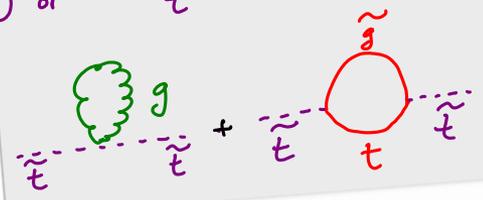


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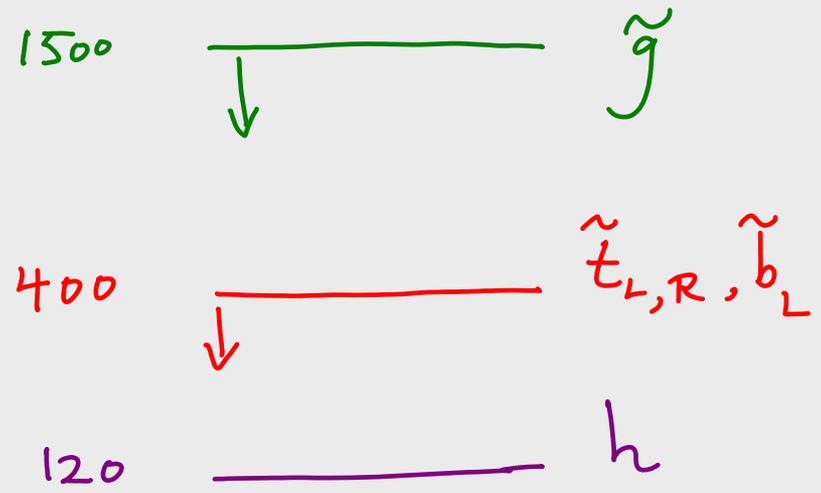
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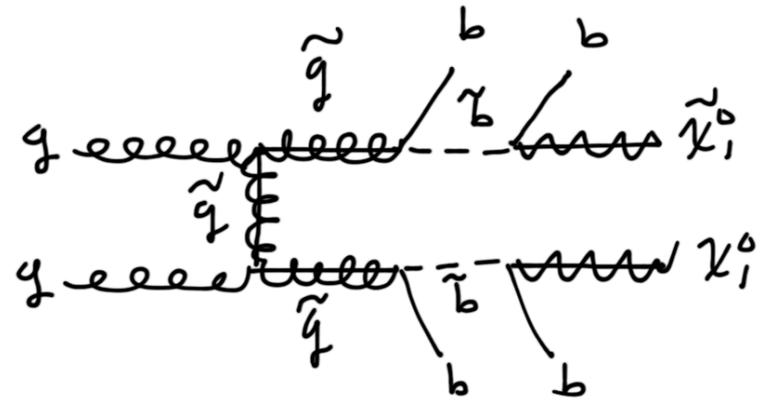
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Compulsory Natural SUSY

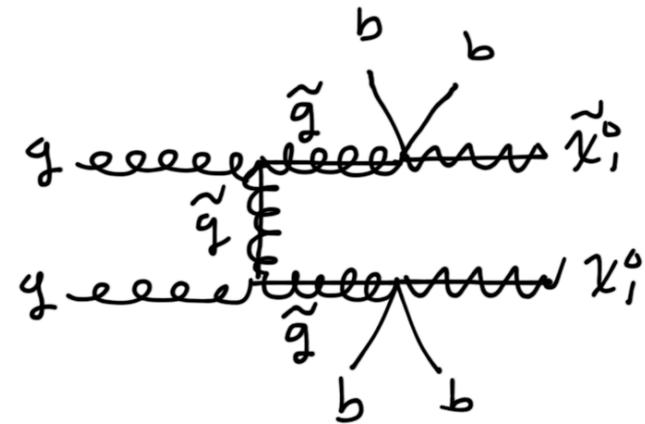


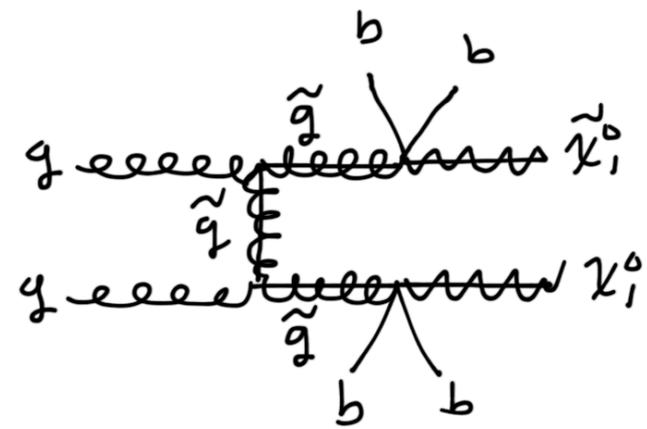
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MET and b-jets

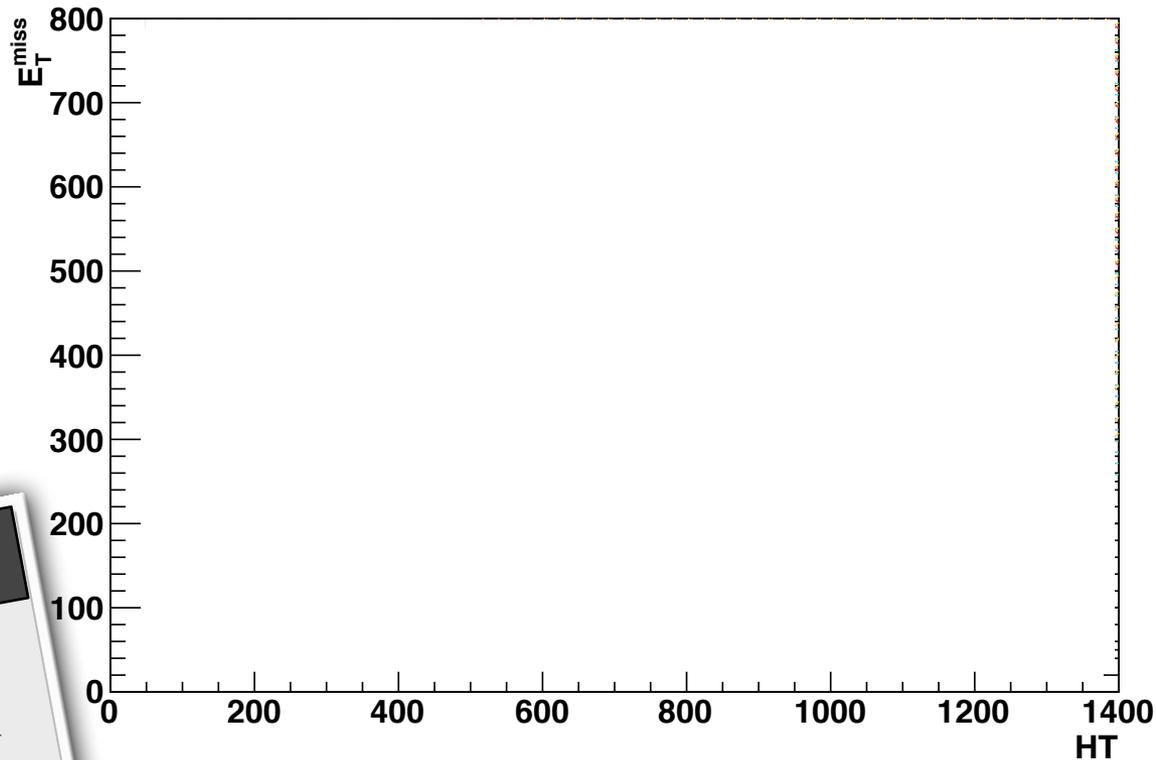
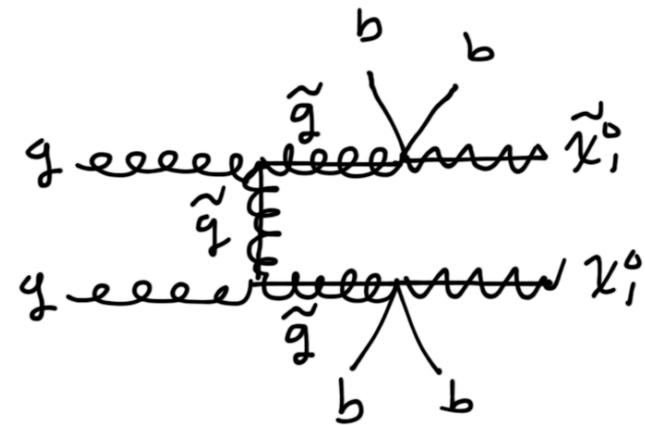




strategy

- Cut-and-count
- Four Signal Regions defined for $\geq N(b\text{-tags})$, Loose vs tight in HT & MET
 - Loose: HT > 350 GeV, MET > 200 GeV
 - ≥ 1 , ≥ 2 b-tags
 - Tight: HT > 500 GeV, MET > 300 GeV
 - ≥ 1 , ≥ 2 b-tags

SUS-11-006

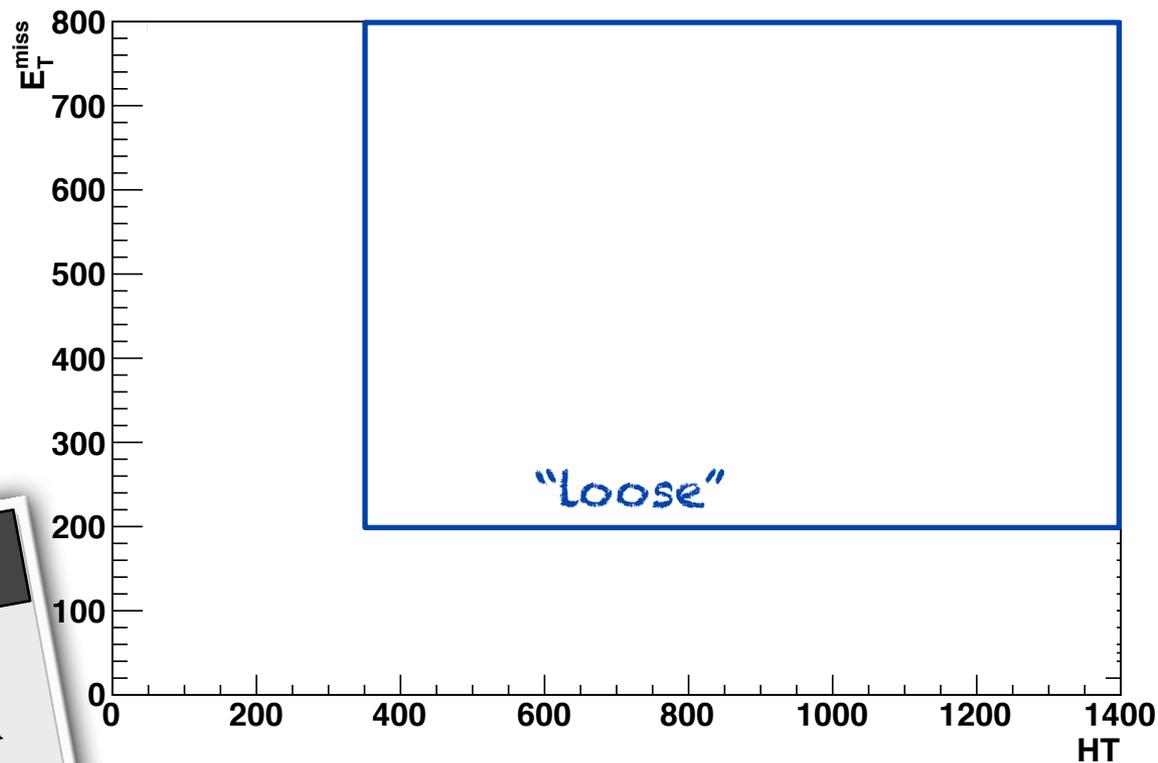
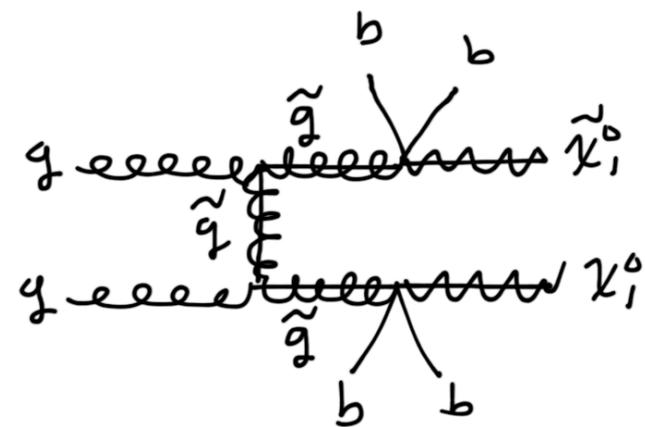


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SUS-11-006

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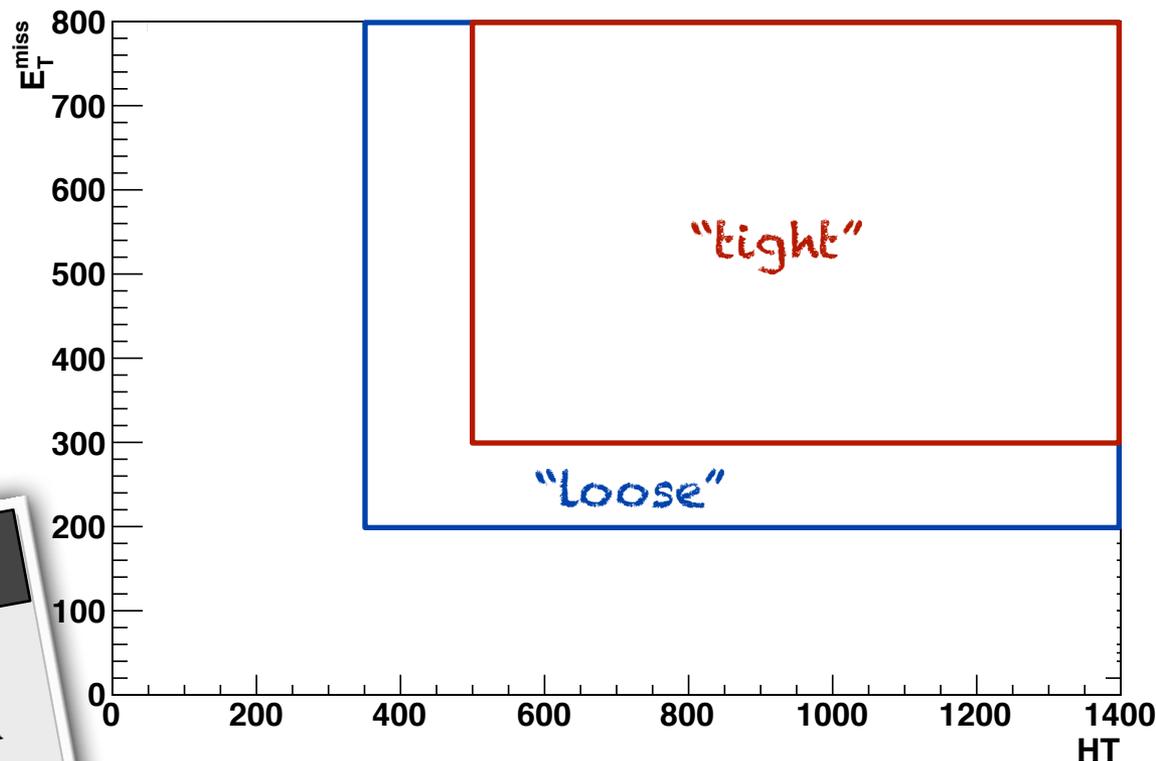
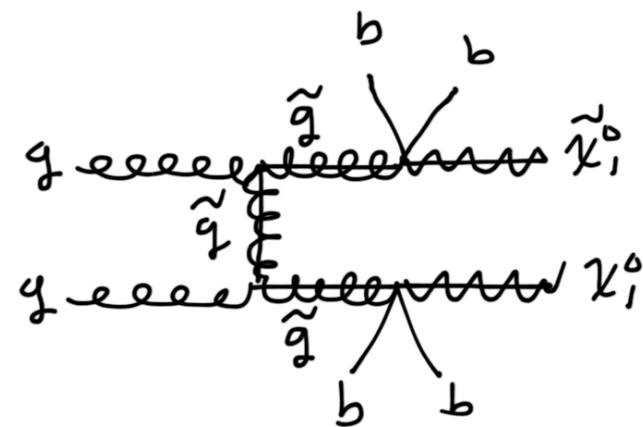


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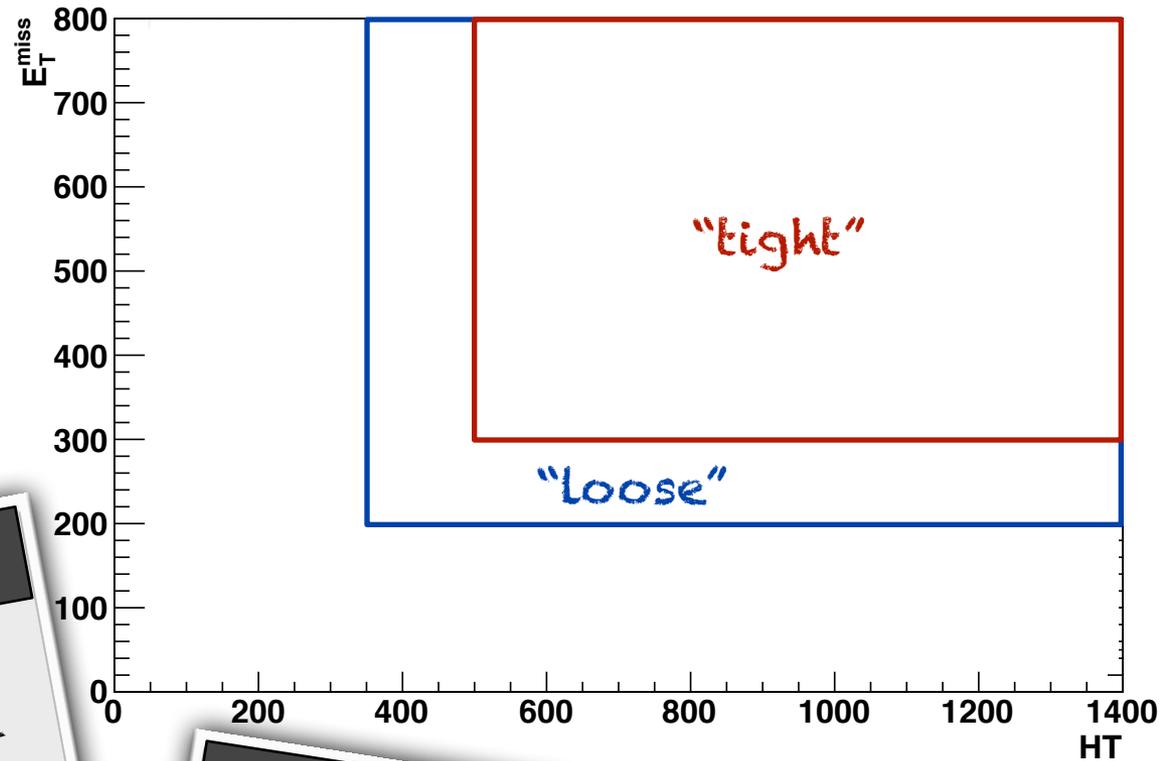
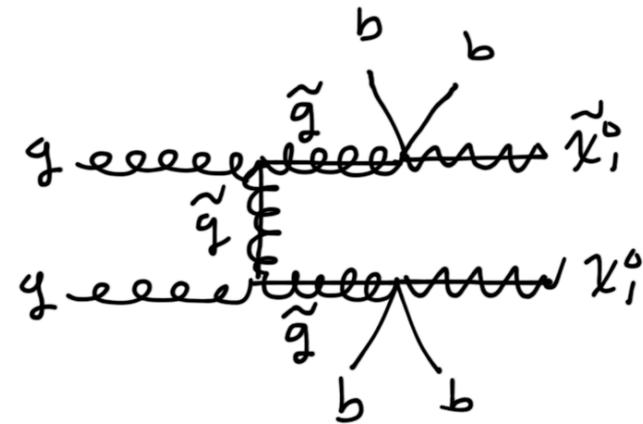
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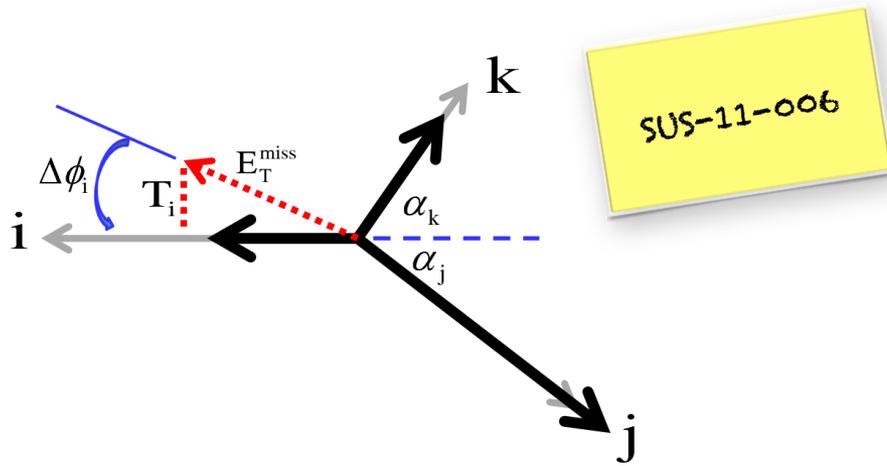
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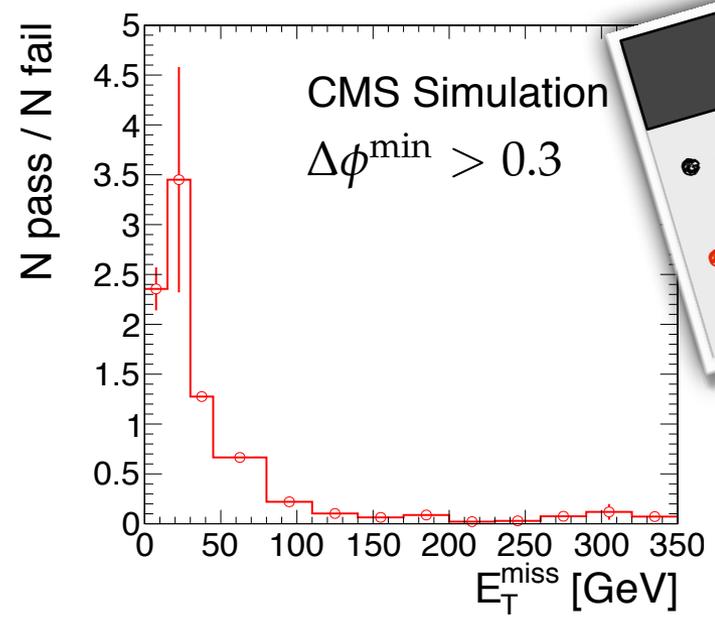
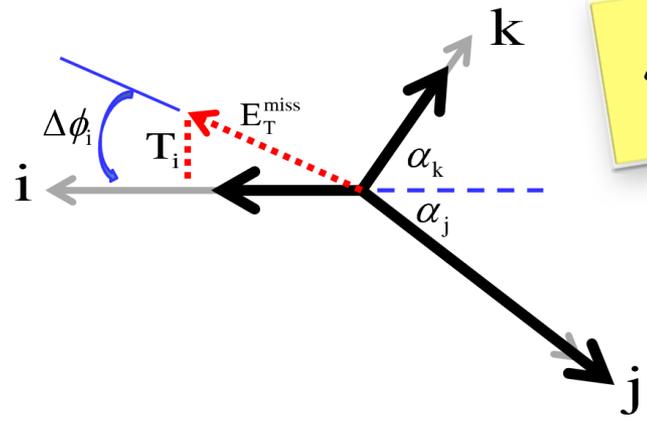
strategy

- Data Driven
- Define Control Regions
- Apply "ABCD" Method
 - Need variable uncorrelated with MET

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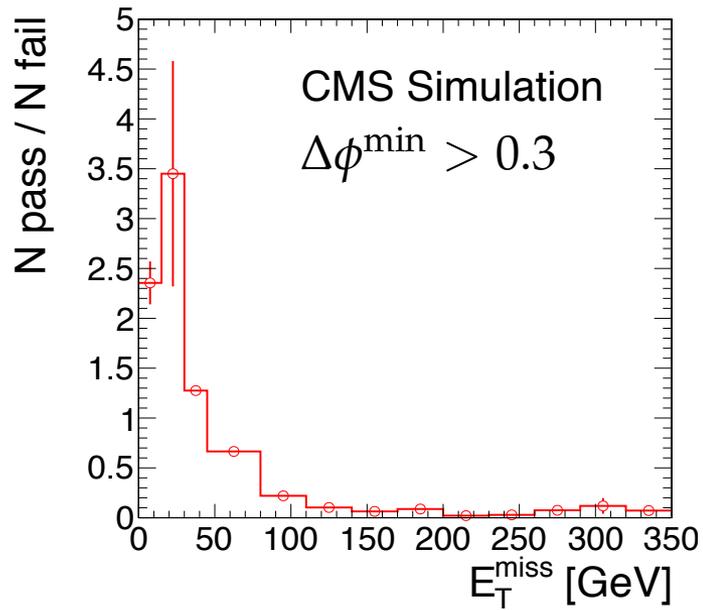
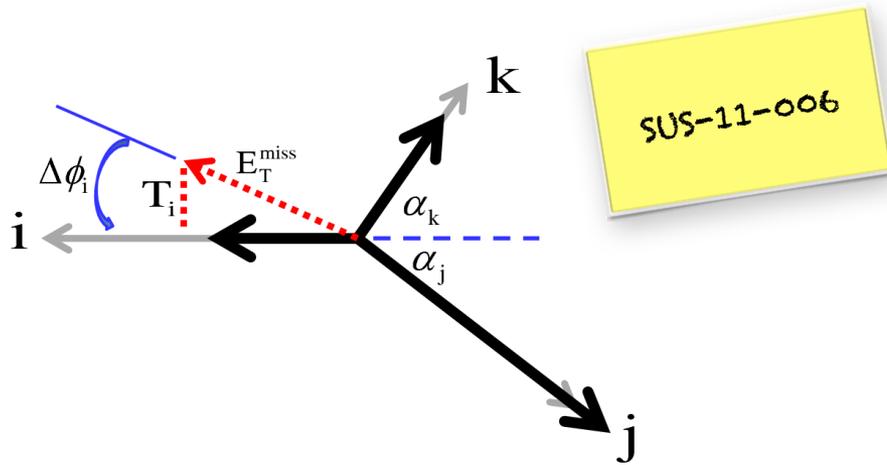


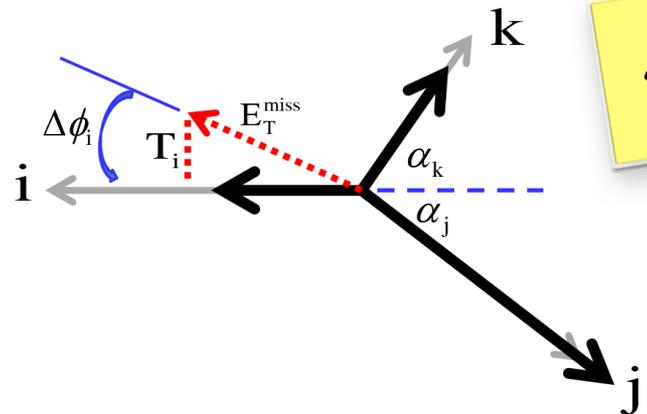
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$\Delta\phi^{\text{min}}$ variable

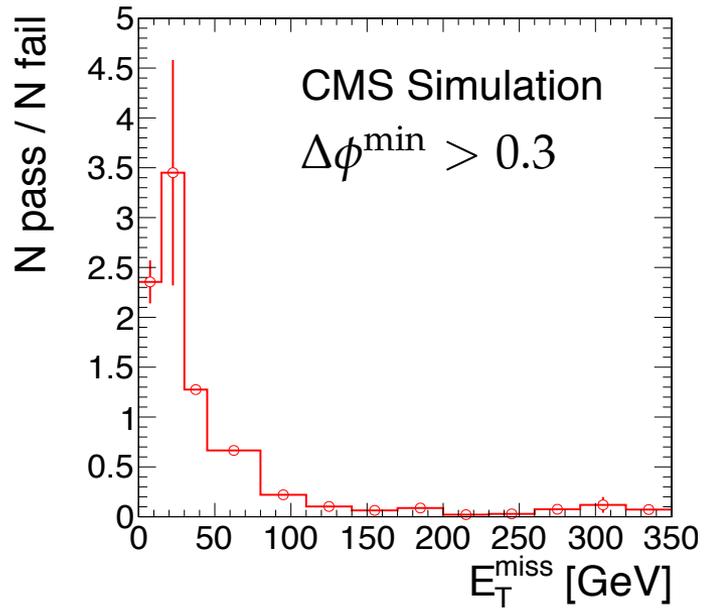
- Often used to identify fake MET
- due to instrumental sources
- Highly correlated with MET
- Not suitable for ABCD method!

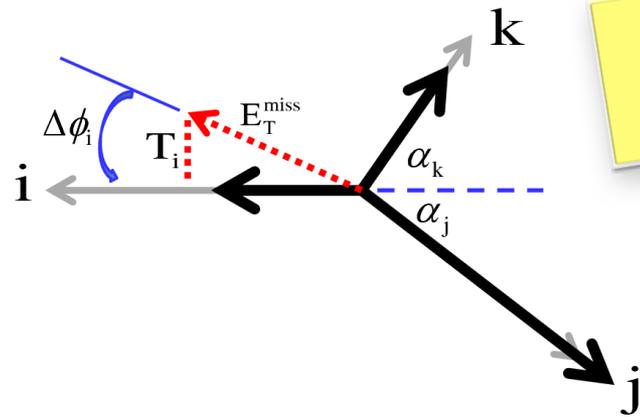




SUS-11-006

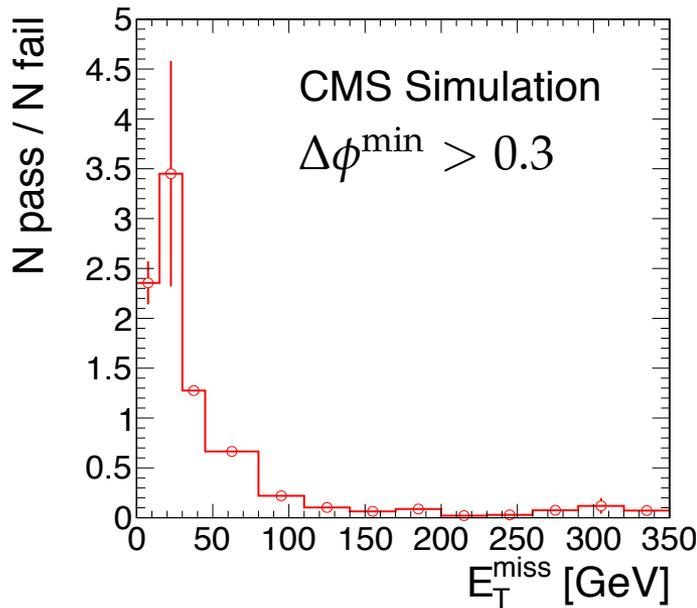
$\Delta\phi_N^{\text{min}}$ variable
 • Normalise $\Delta\phi$ by its resolution



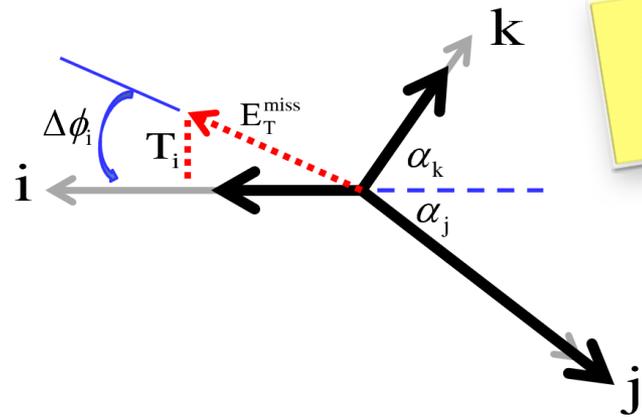


SUS-11-006

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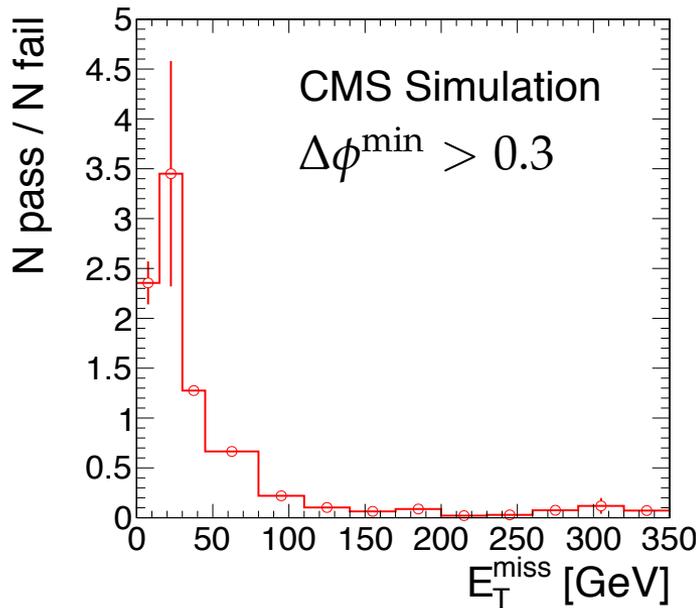
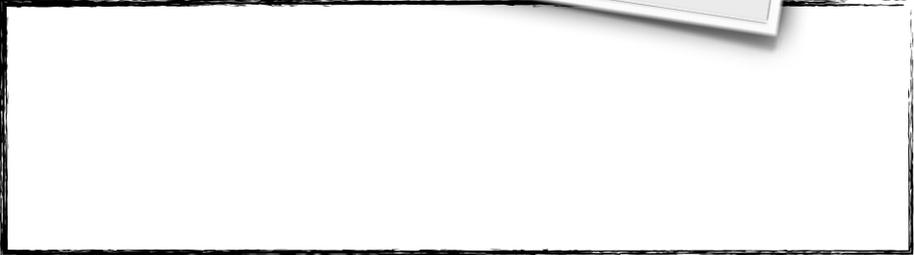


Consider $\sigma^2(E_{\perp}^j) = \sum_{i < n_{\text{jets}}} \left[\sigma(p_T^i) \sin(\Delta\phi_{ij}) \right]^2$

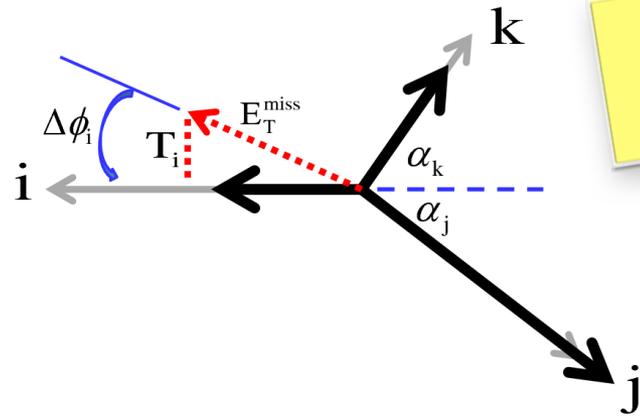


SUS-11-006

$\Delta\phi_N^{\min}$ variable
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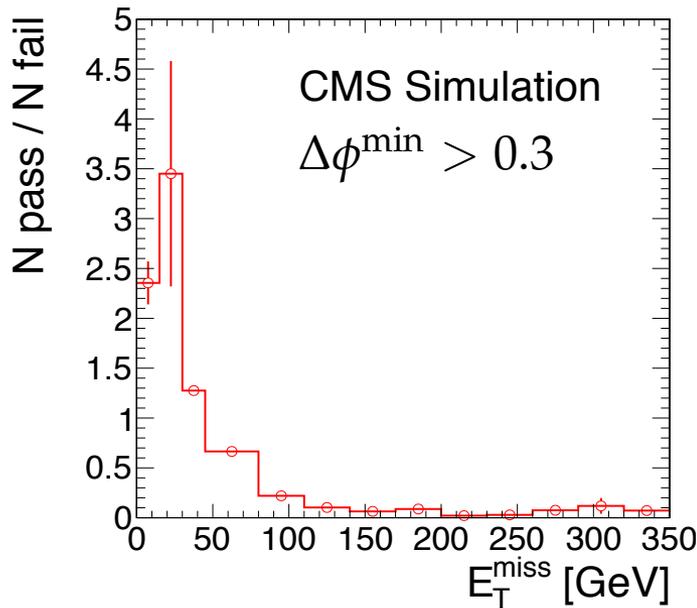
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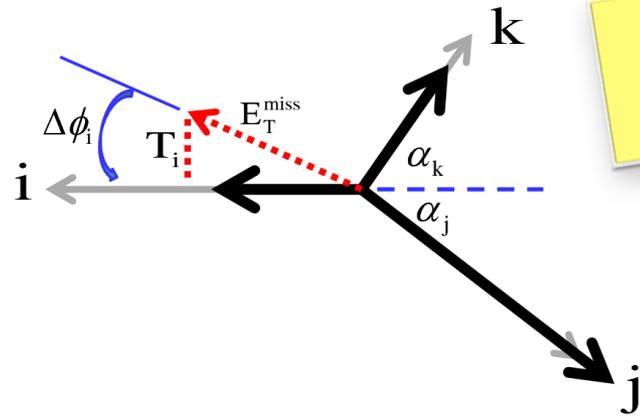
SUS-11-006

$\Delta\phi_N^{\min}$ variable
 • Normalise $\Delta\phi$ by its resolution

assume $\sigma(p_T^i) \approx 0.1 p_T^i$



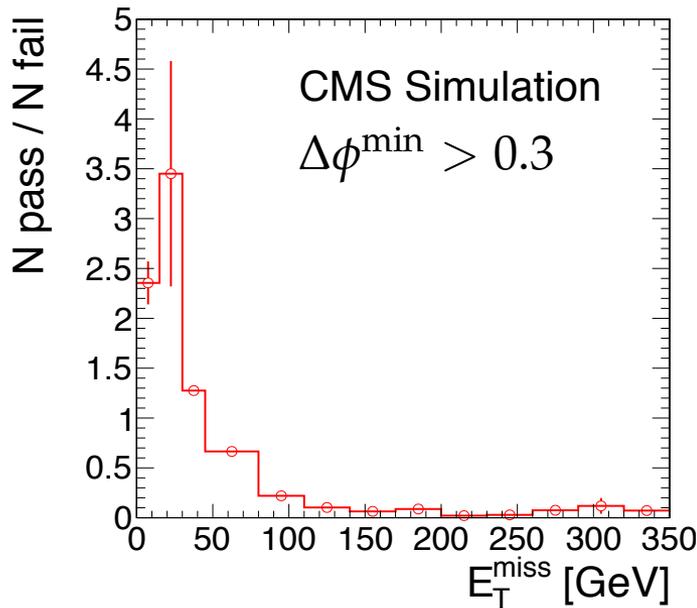
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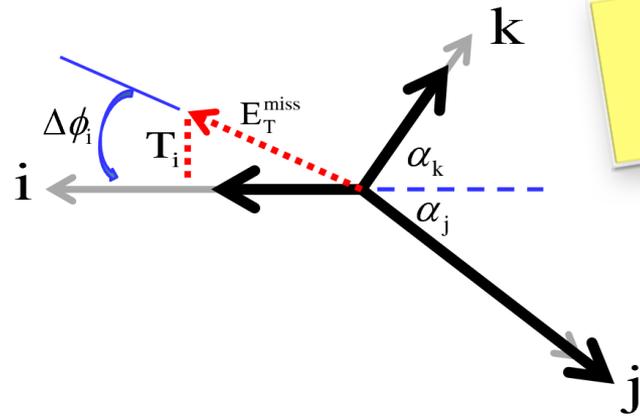
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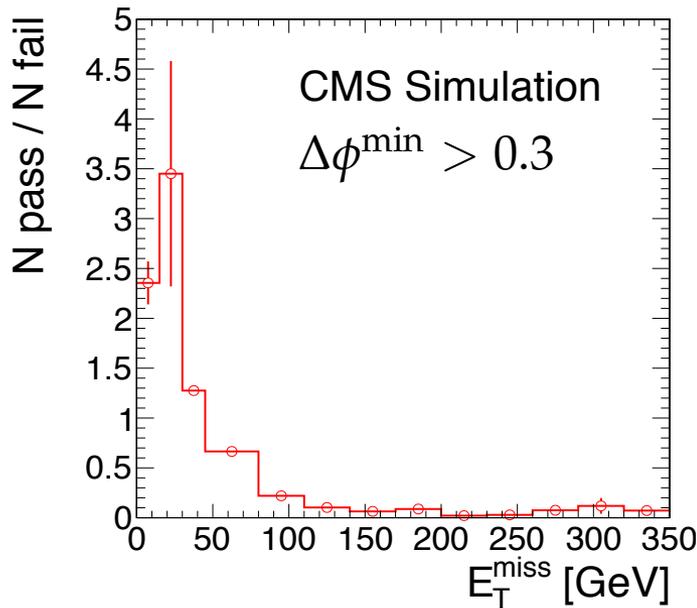
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$\Delta\phi_N^{\min}$ variable
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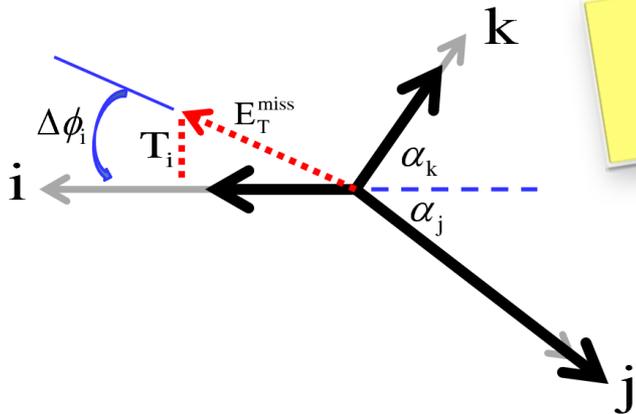
assume $\sigma(p_T^i) \approx 0.1 p_T^i$
 and by def. $\sin(\Delta\phi_{ij}) = \frac{p_x^j p_y^i - p_y^j p_x^i}{p_T^i p_T^j}$



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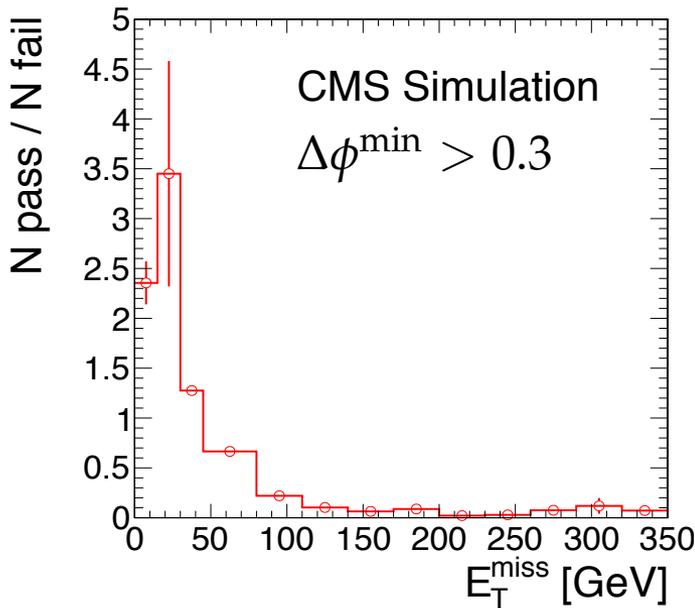
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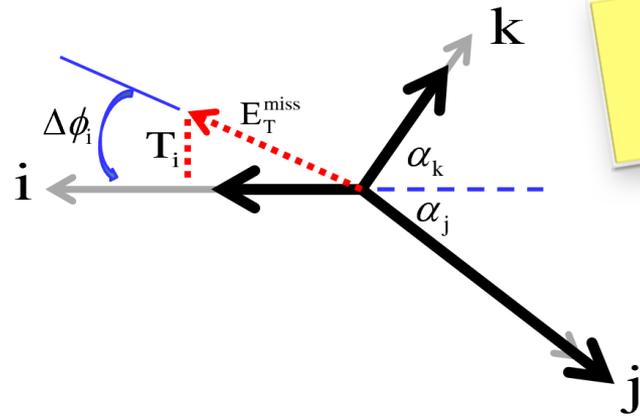
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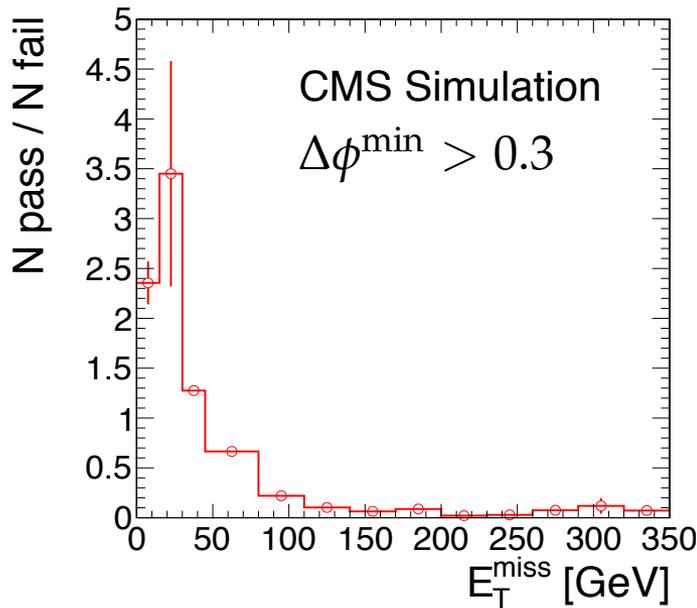




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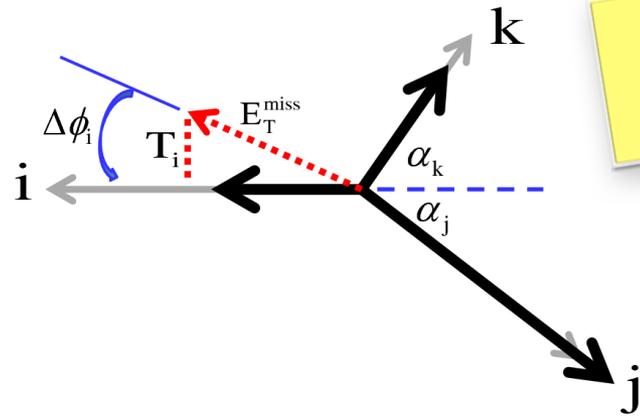
$\Delta\varphi_N^{\min}$ variable
 • Normalise $\Delta\varphi$ by its resolution

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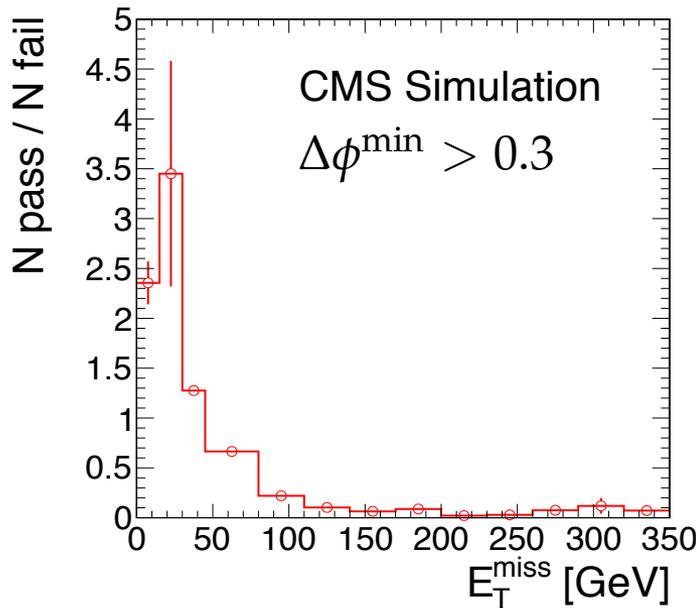
Hence, $= \left[\frac{0.1}{p_T^j} \right]^2 \sum_{i < n_{\text{jets}}} \left[p_x^j p_y^i - p_y^j p_x^i \right]^2$



SUS-11-006

$\Delta\phi_N^{\min}$ variable
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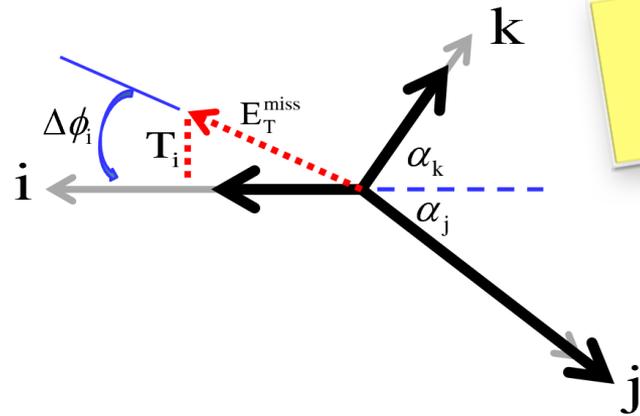
assume $\sigma(p_T^i) \approx 0.1 p_T^i$
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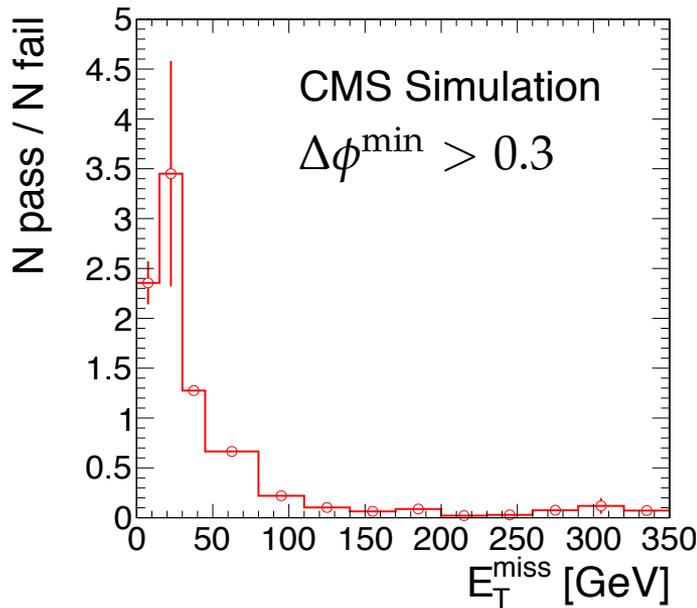
Now, $\sigma(\Delta\phi_j) = \tan^{-1} \left[\frac{\sigma(E_{\perp}^j)}{\cancel{E}_T} \right]$



SUS-11-006

$\Delta\phi_N^{\min}$ variable
 • Normalise $\Delta\phi$ by its resolution

assume $\sigma(p_T^i) \approx 0.1 p_T^i$
 and by def. $\sin(\Delta\phi_{ij}) = \frac{p_x^j p_y^i - p_y^j p_x^i}{p_T^i p_T^j}$



Consider $\sigma^2(E_{\perp}^j) = \sum_{i < n_{\text{jets}}} \left[\sigma(p_T^i) \sin(\Delta\phi_{ij}) \right]^2$

Hence, $= \left[\frac{0.1}{p_T^j} \right]^2 \sum_{i < n_{\text{jets}}} \left[p_x^j p_y^i - p_y^j p_x^i \right]^2$

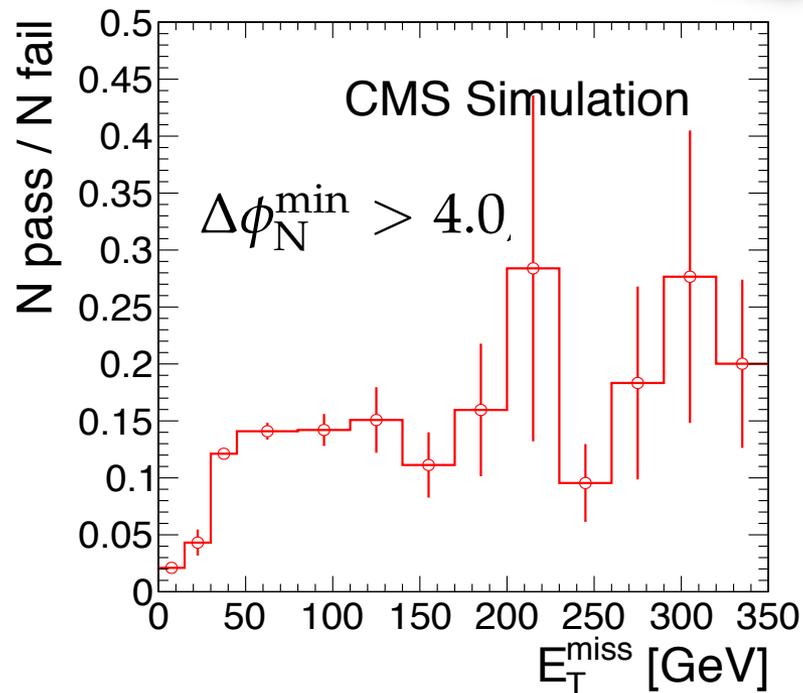
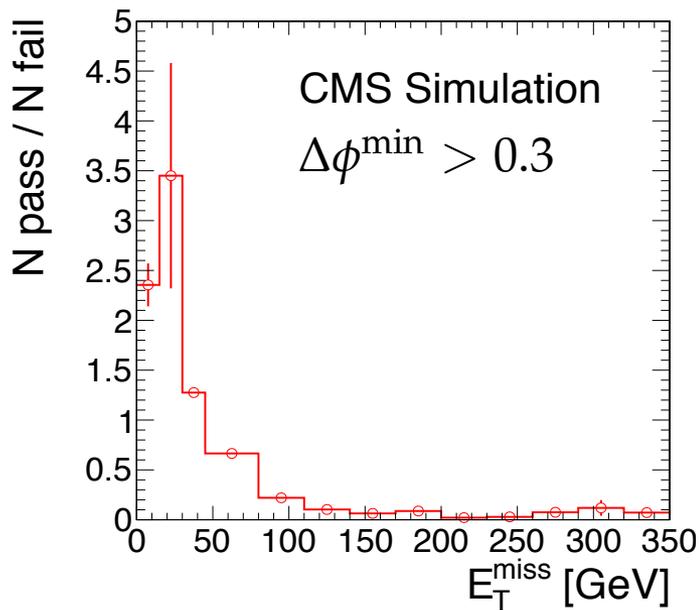
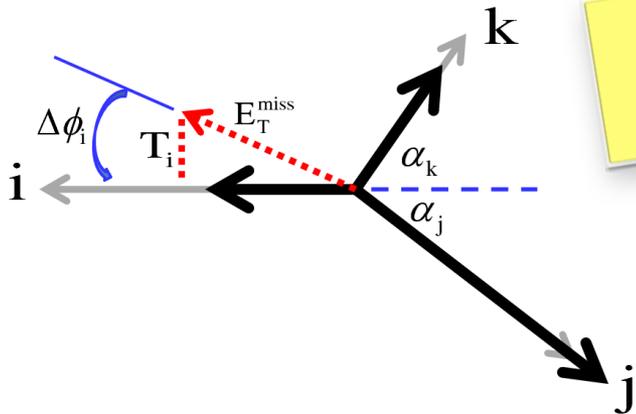
Now, $\sigma(\Delta\phi_j) = \tan^{-1} \left[\frac{\sigma(E_{\perp}^j)}{\cancel{E}_T} \right]$

Thus, $\Delta\phi_N^{\min} \equiv \min \left[\frac{\Delta\phi_i}{\sigma(\Delta\phi_i)} \right]$

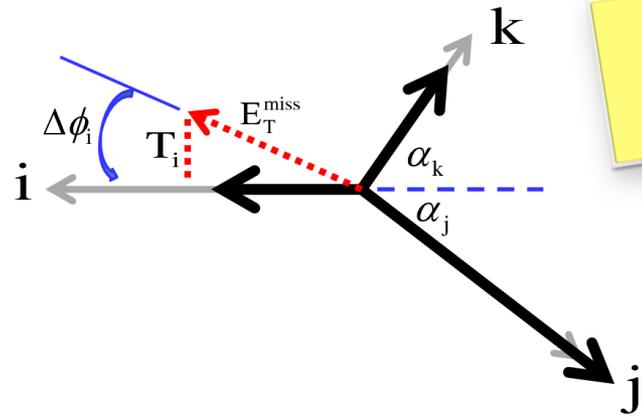
SUS-11-006

$\Delta\phi_N^{\min}$ variable

- Normalise $\Delta\phi$ by its resolution
- Uncorrelated with MET
- Suitable for ABCD method!



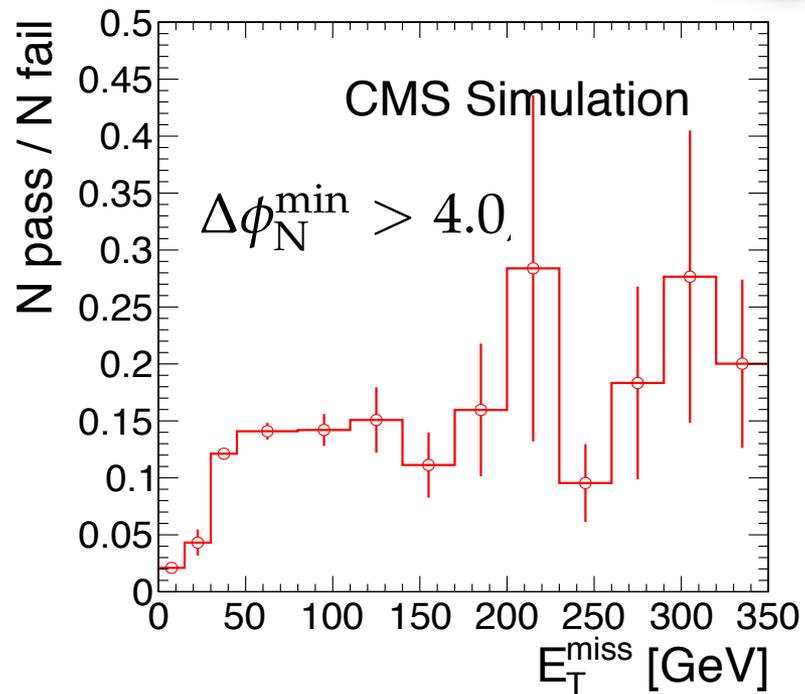
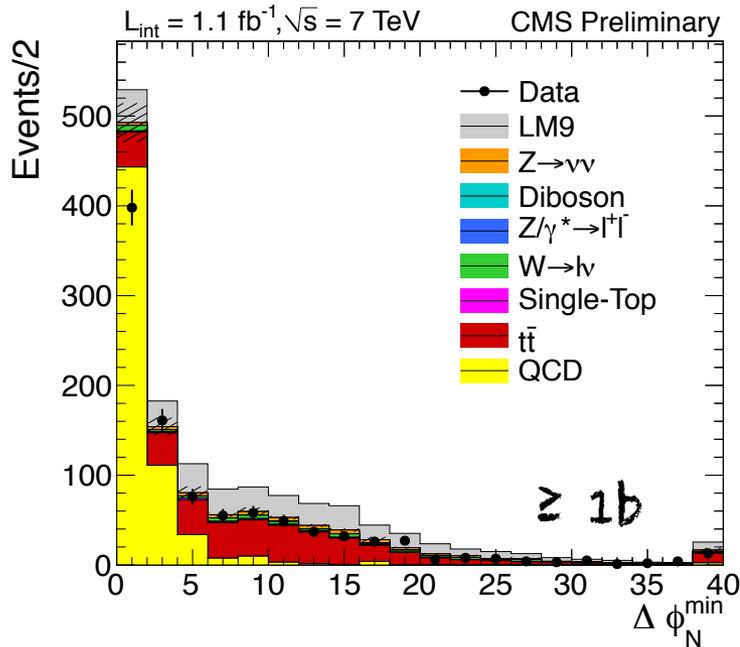
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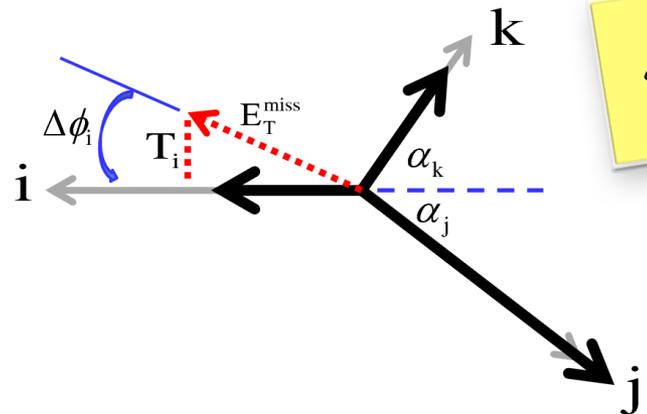
SUS-11-006

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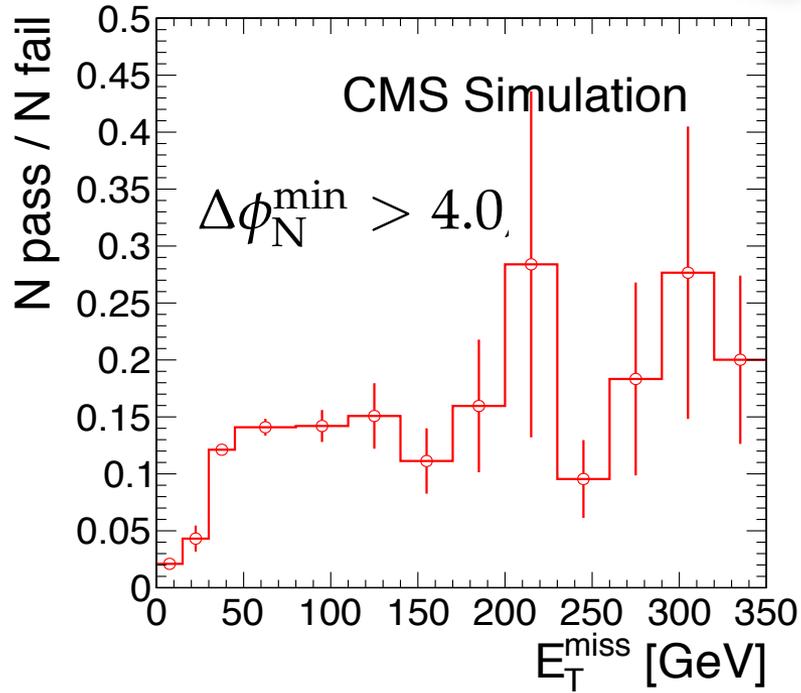
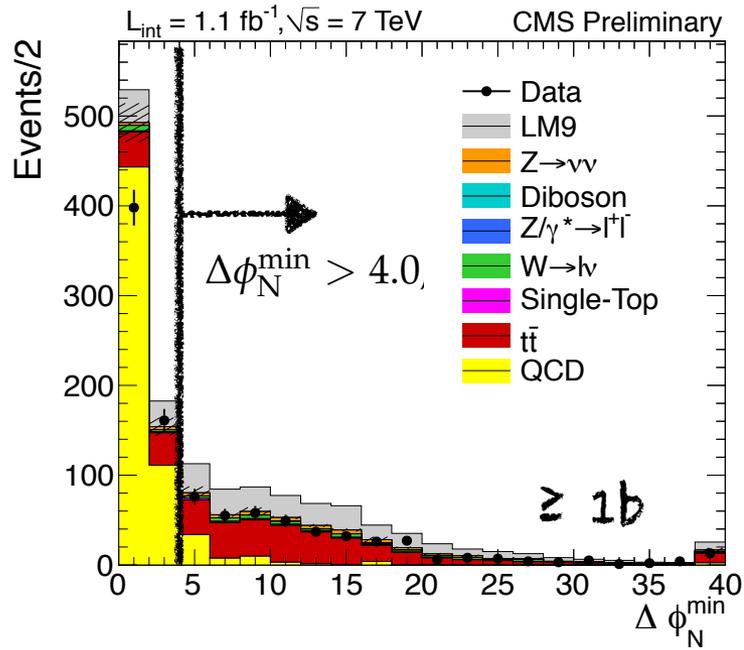
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SUS-11-006

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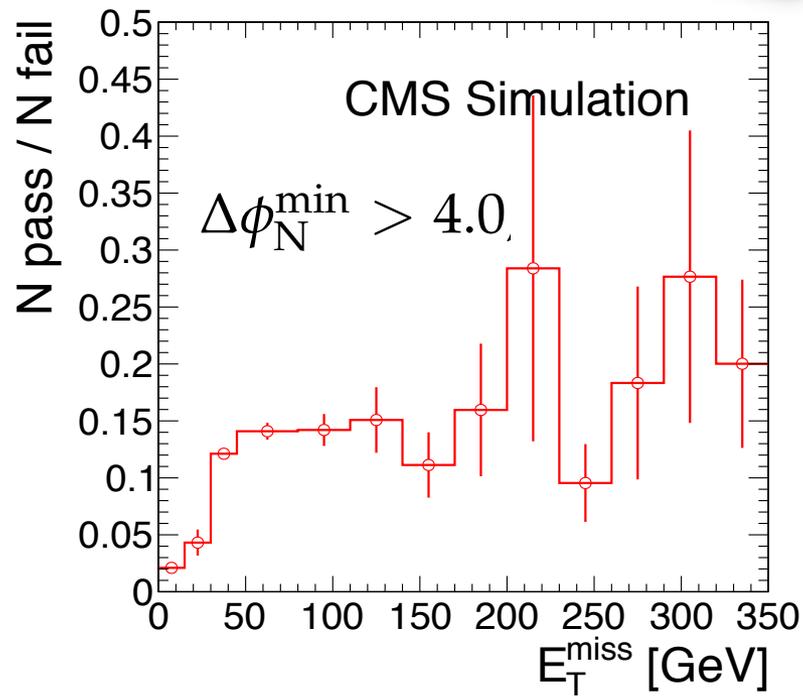
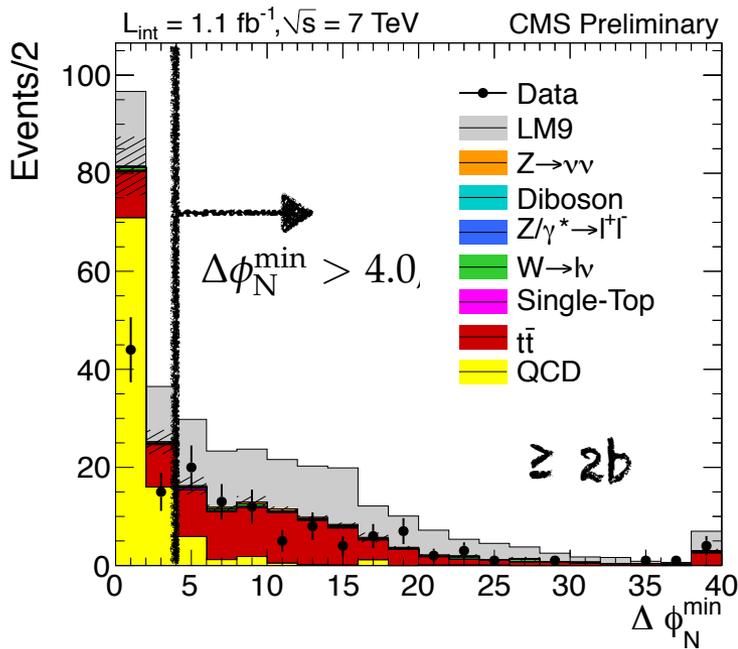
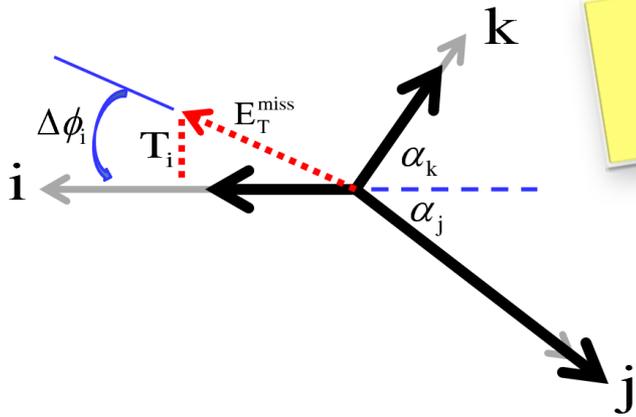


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$\Delta\phi_N^{\min}$ variable

- Normalise $\Delta\phi$ by its resolution
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SUS-11-006



Thus,
$$\Delta\phi_N^{\min} \equiv \min \left[\frac{\Delta\phi_i}{\sigma(\Delta\phi_i)} \right]$$

Background Strategy

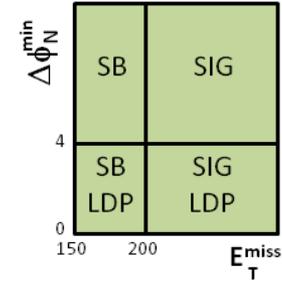
- Define signal window: $\Delta\varphi^{\min}$ vs MET
 - $\Delta\varphi^{\min} > 4.0$
 - Loose & Tight signal regions
- Apply ABCD method from control sidebands

SUS-11-006

Background strategy

- Define signal window: $\Delta\phi^{\min}$ vs MET
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Signal selection

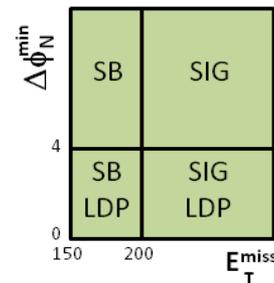


SUS-11-006

Background Strategy

- Define signal window: $\Delta\phi_{\min}$ vs MET
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Signal selection



Background Estimations

- top & W+jets: single lepton sideband + ABCD
- Zvv: Zll sideband: Model MET
- QCD: zero b-jet sideband
MET vs $\Delta\phi_{\min}$ + ABCD
- diboson: small; taken from MC

SUS-11-006

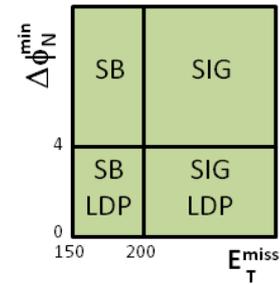
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Background Estimations

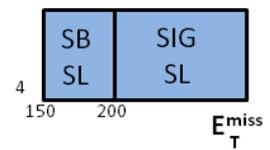
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Signal selection



$t\bar{t}$ and W+jets
SIG/SB ratio

Single lepton



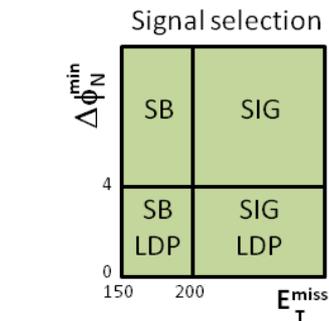
SUS-11-006

Background Strategy

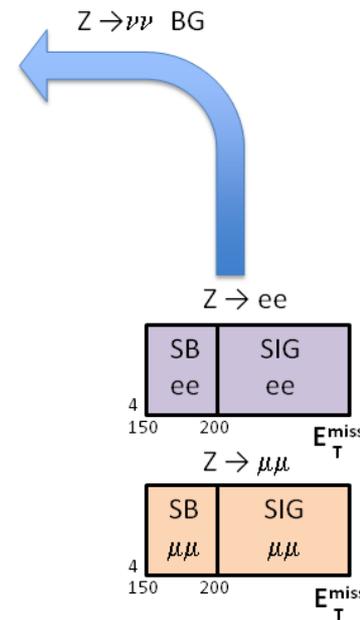
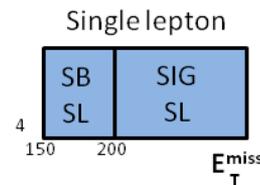
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$t\bar{t}$ and W+jets
SIG/SB ratio



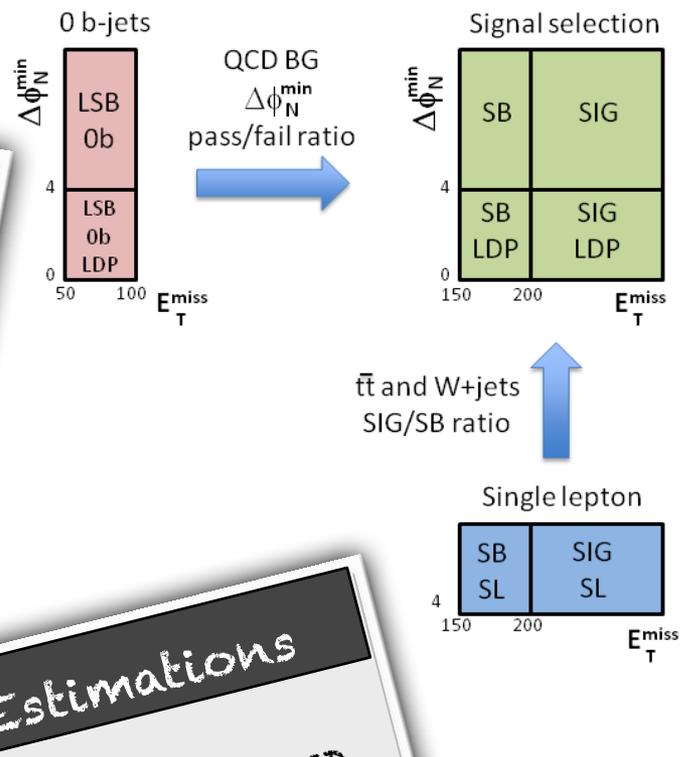
SUS-11-006

Background Strategy

- Define signal window: $\Delta\phi_{min}$ vs MET
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Background Estimations

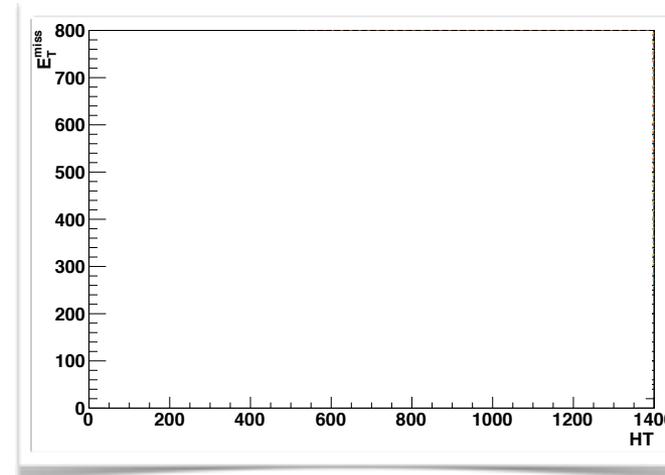
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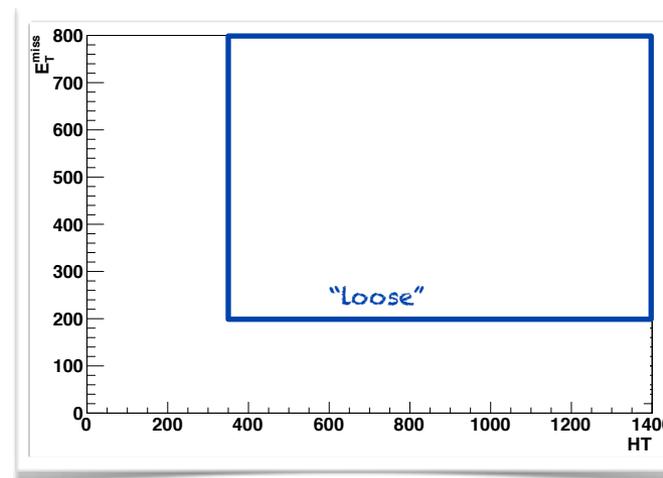
SUS-11-006



MET and b-jets



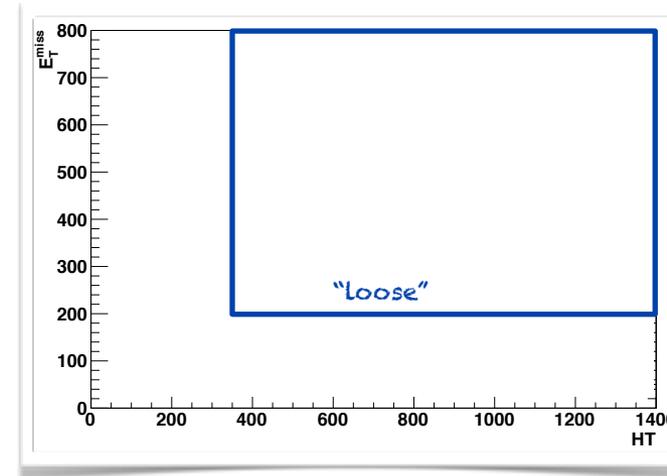
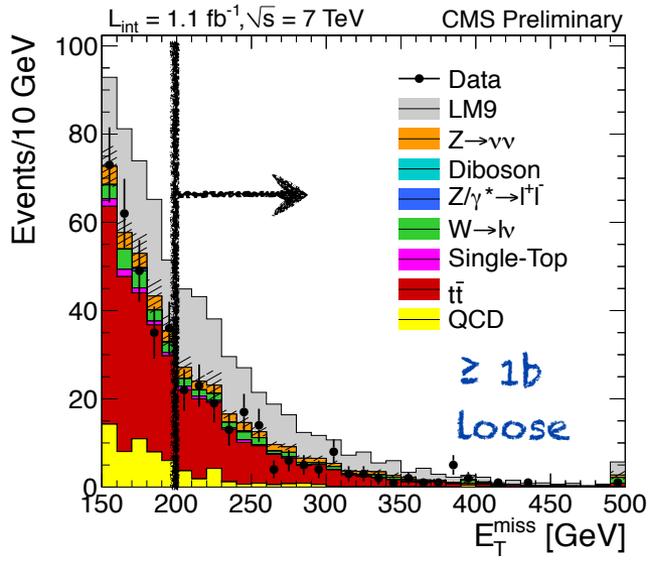
SUS-11-006



SUS-11-006



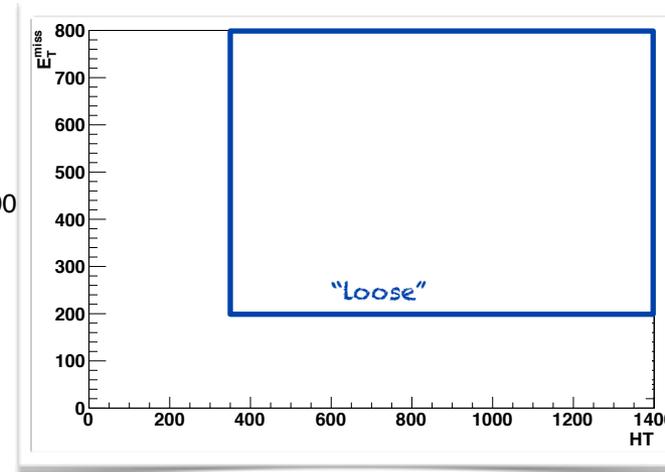
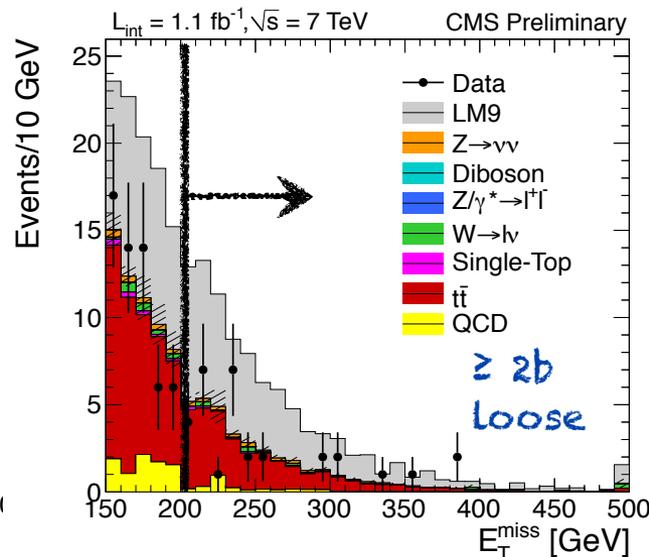
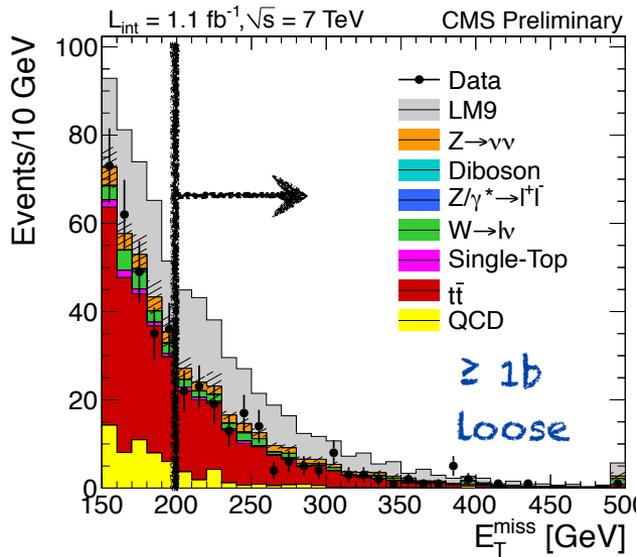
MET and b-jets



SUS-11-006



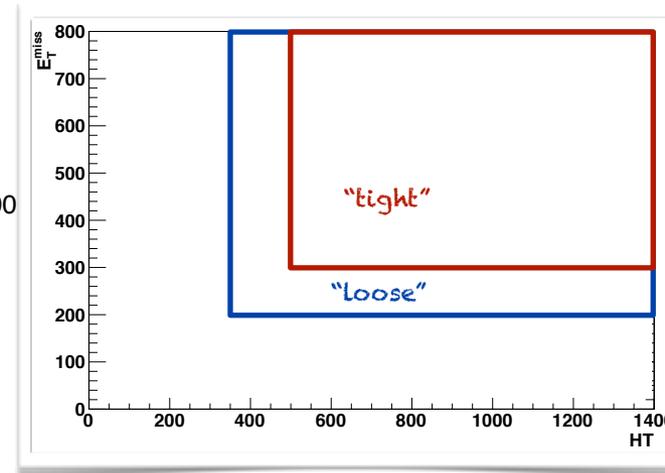
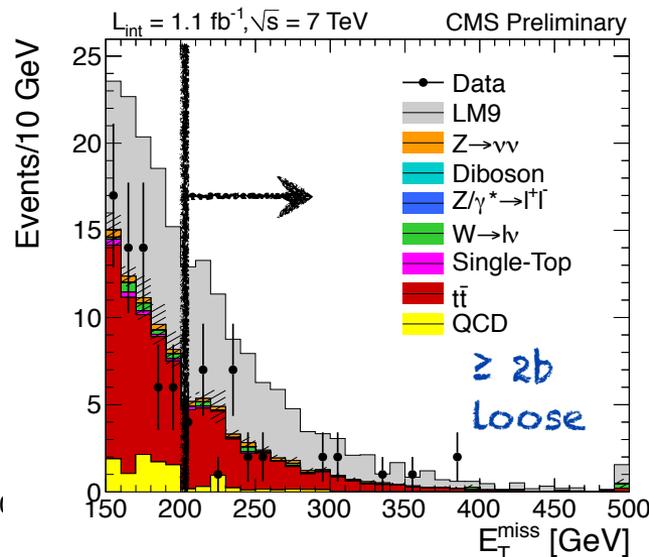
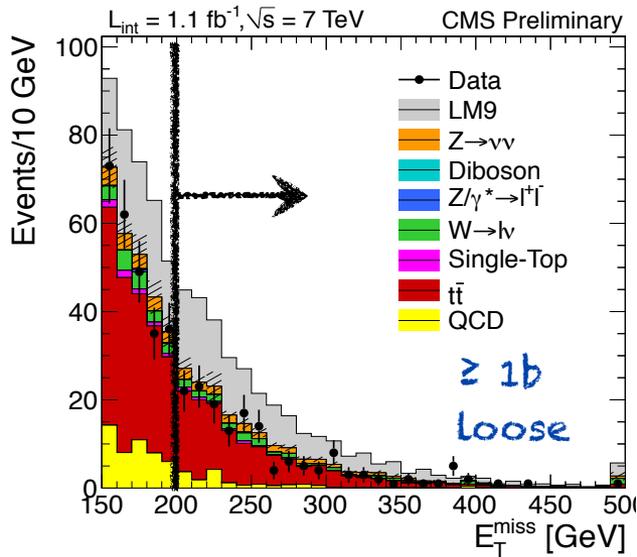
MET and b-jets



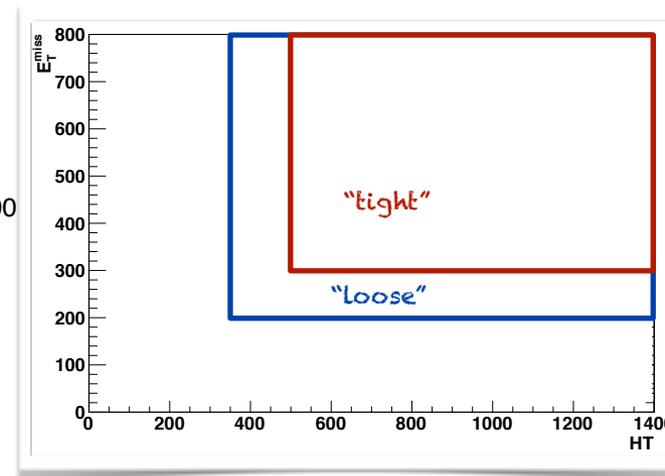
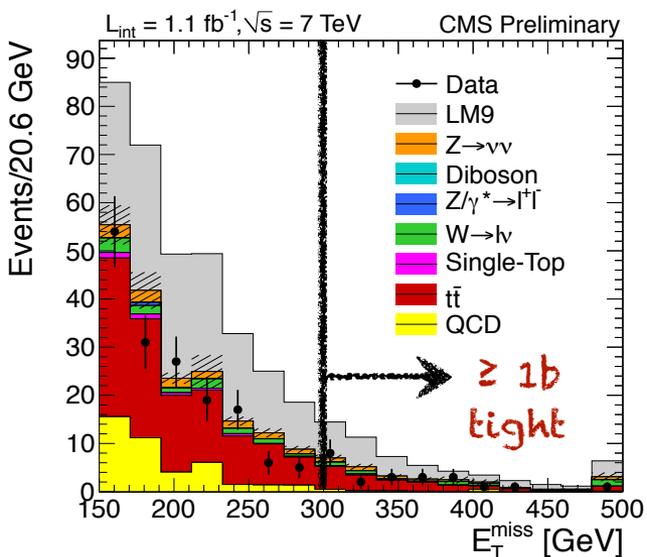
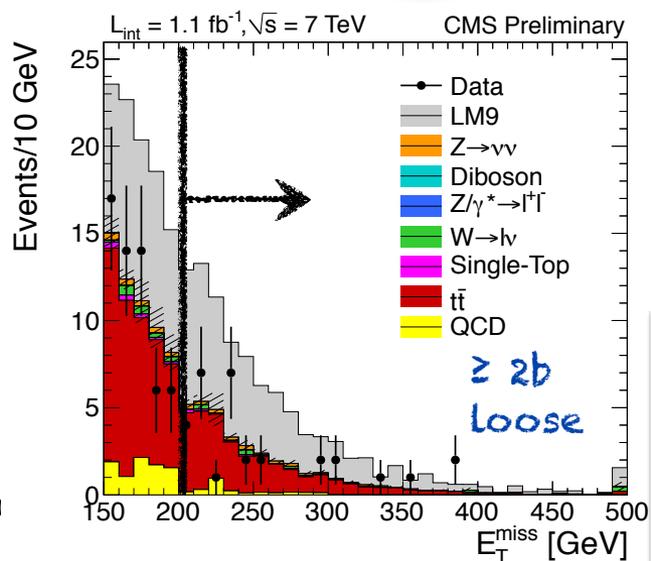
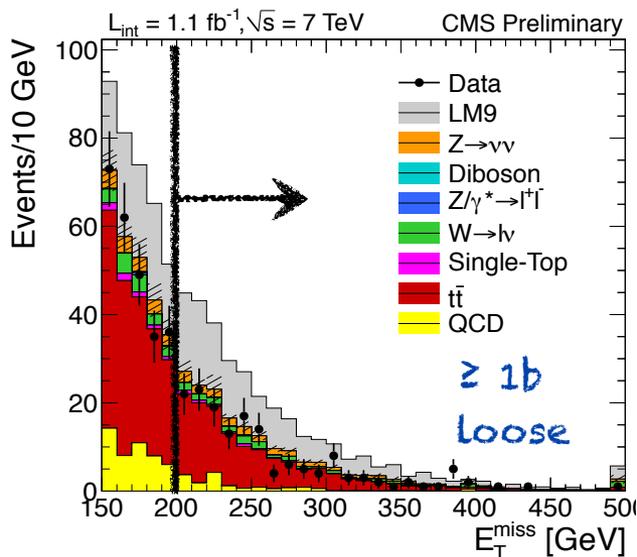
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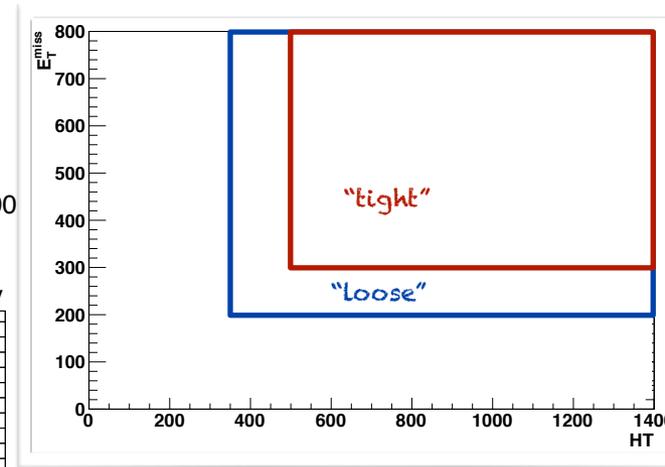
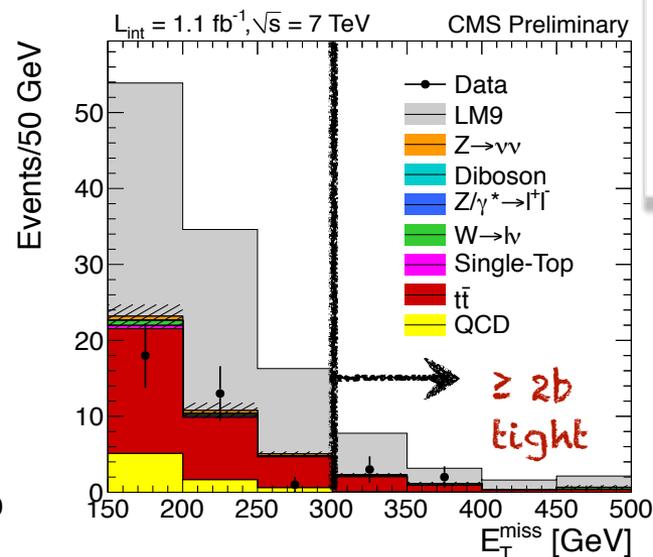
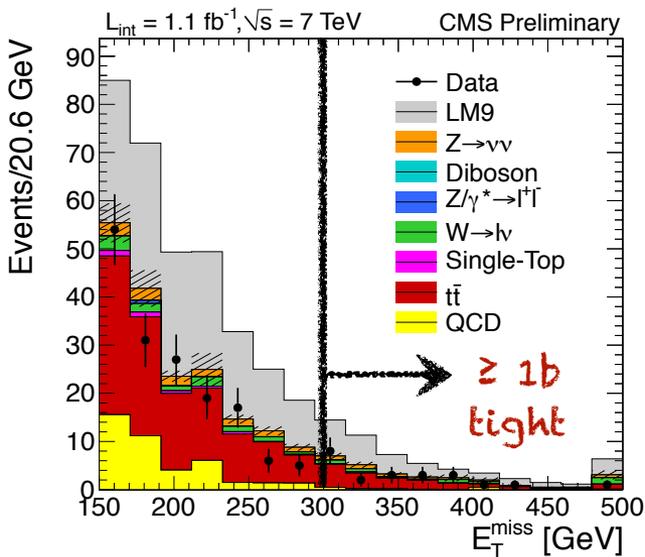
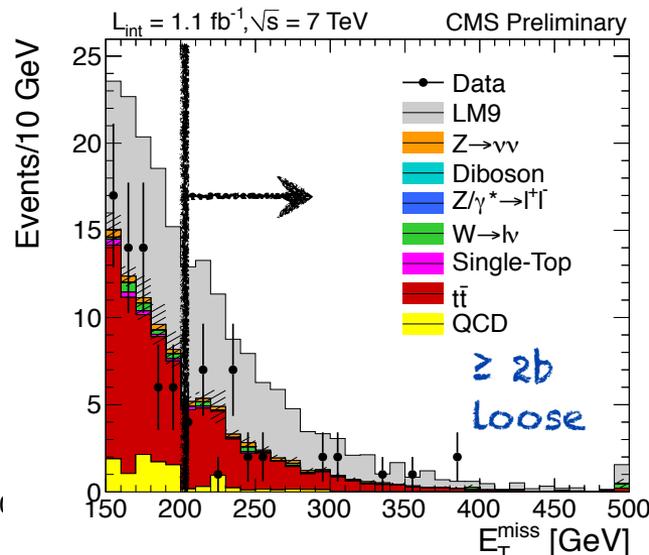
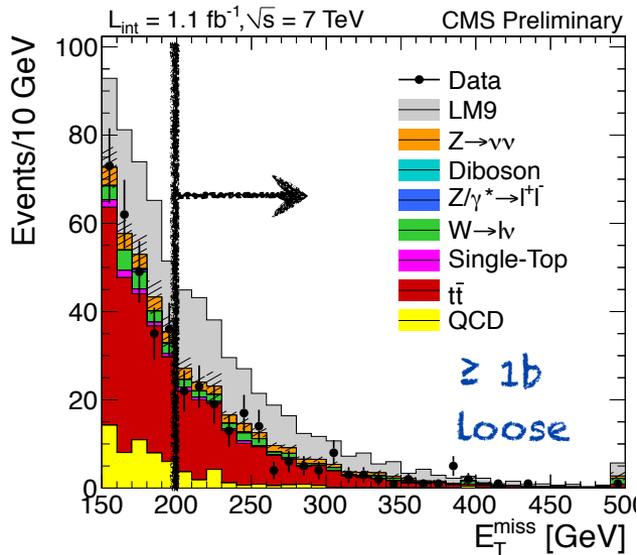
MET and b-jets



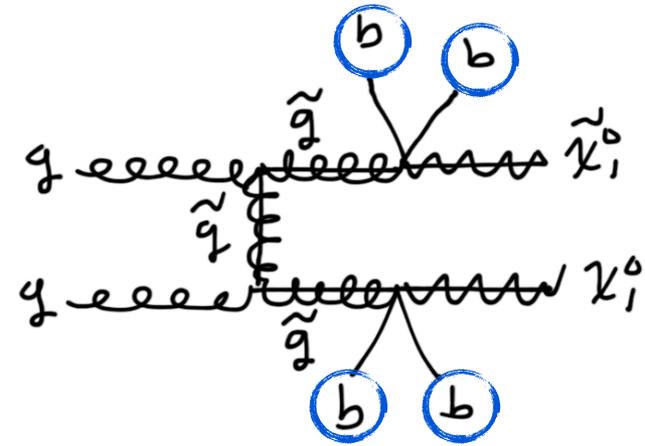
SUS-11-006



SUS-11-006

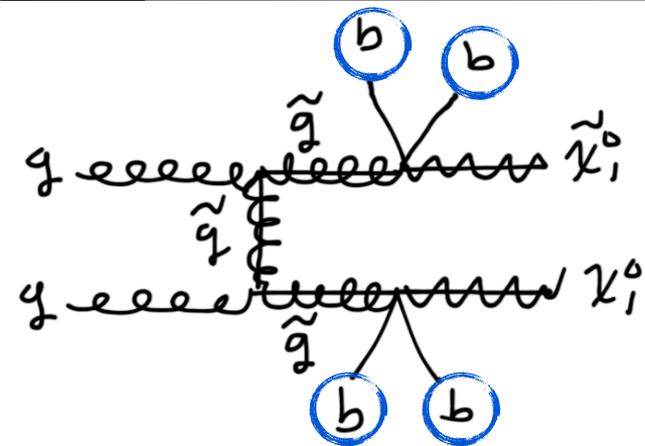


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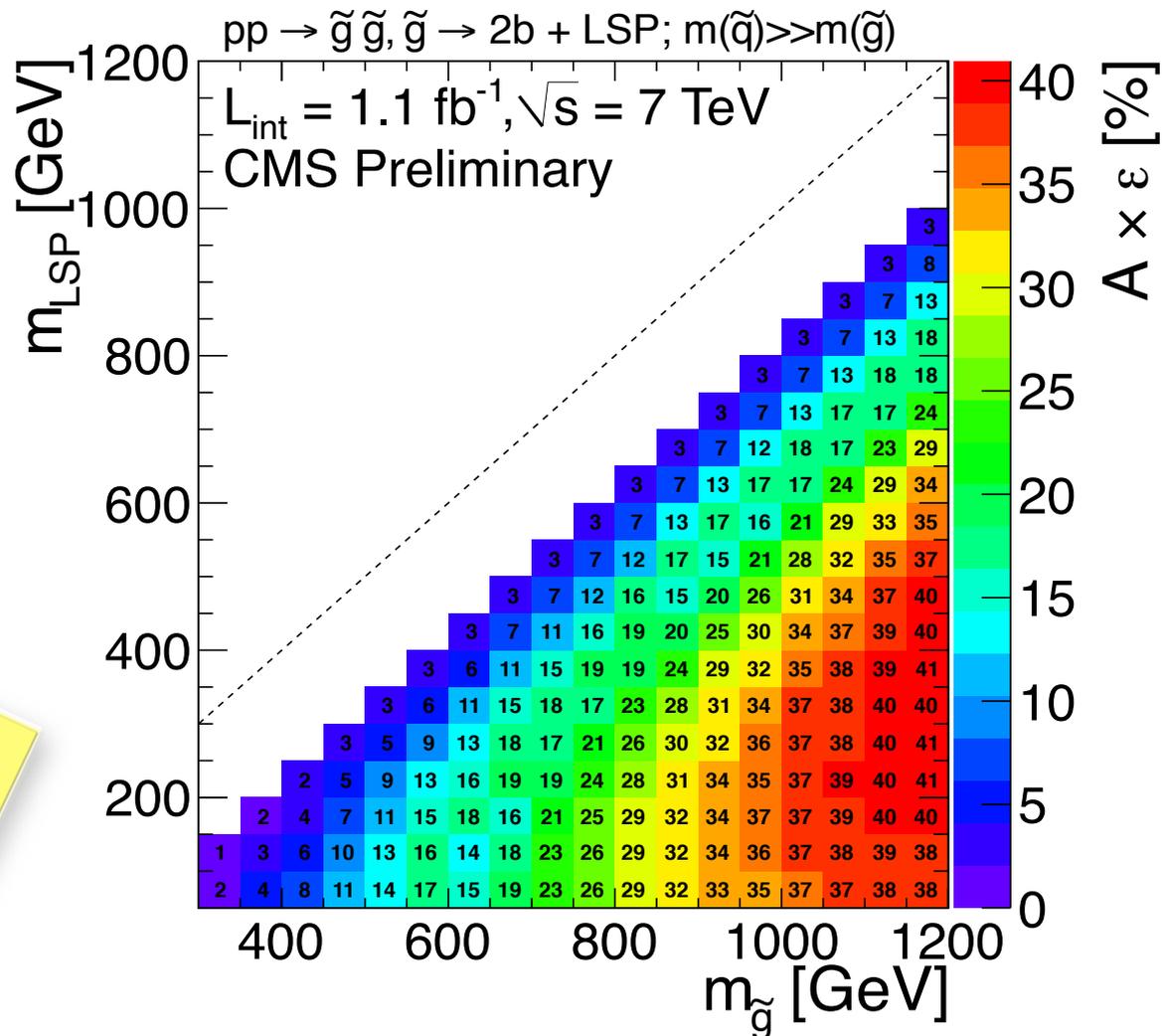


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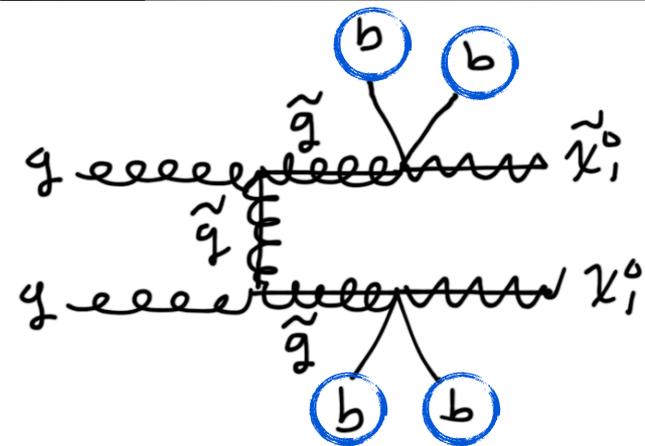
MET and b-jets



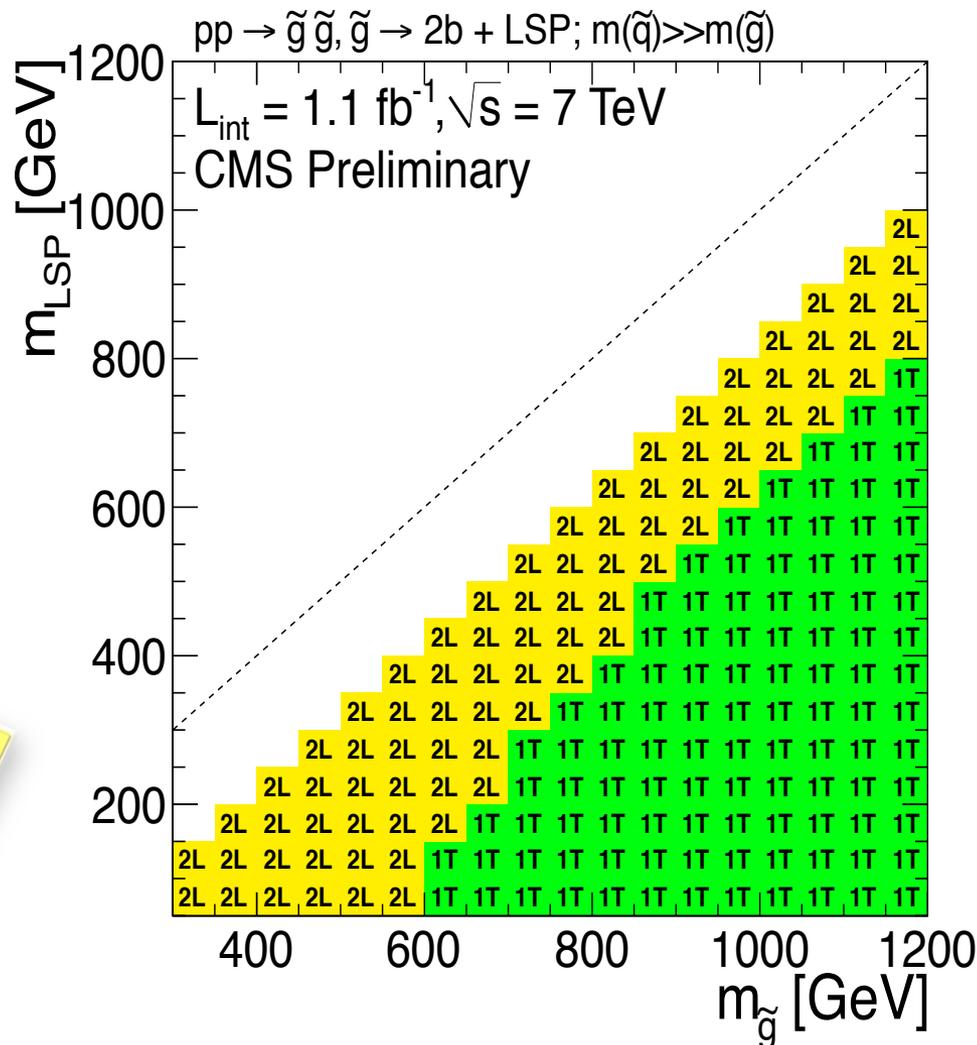
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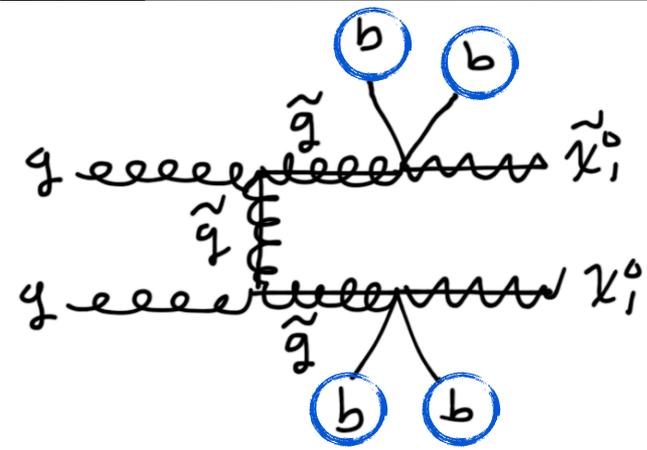


MET and b-jets

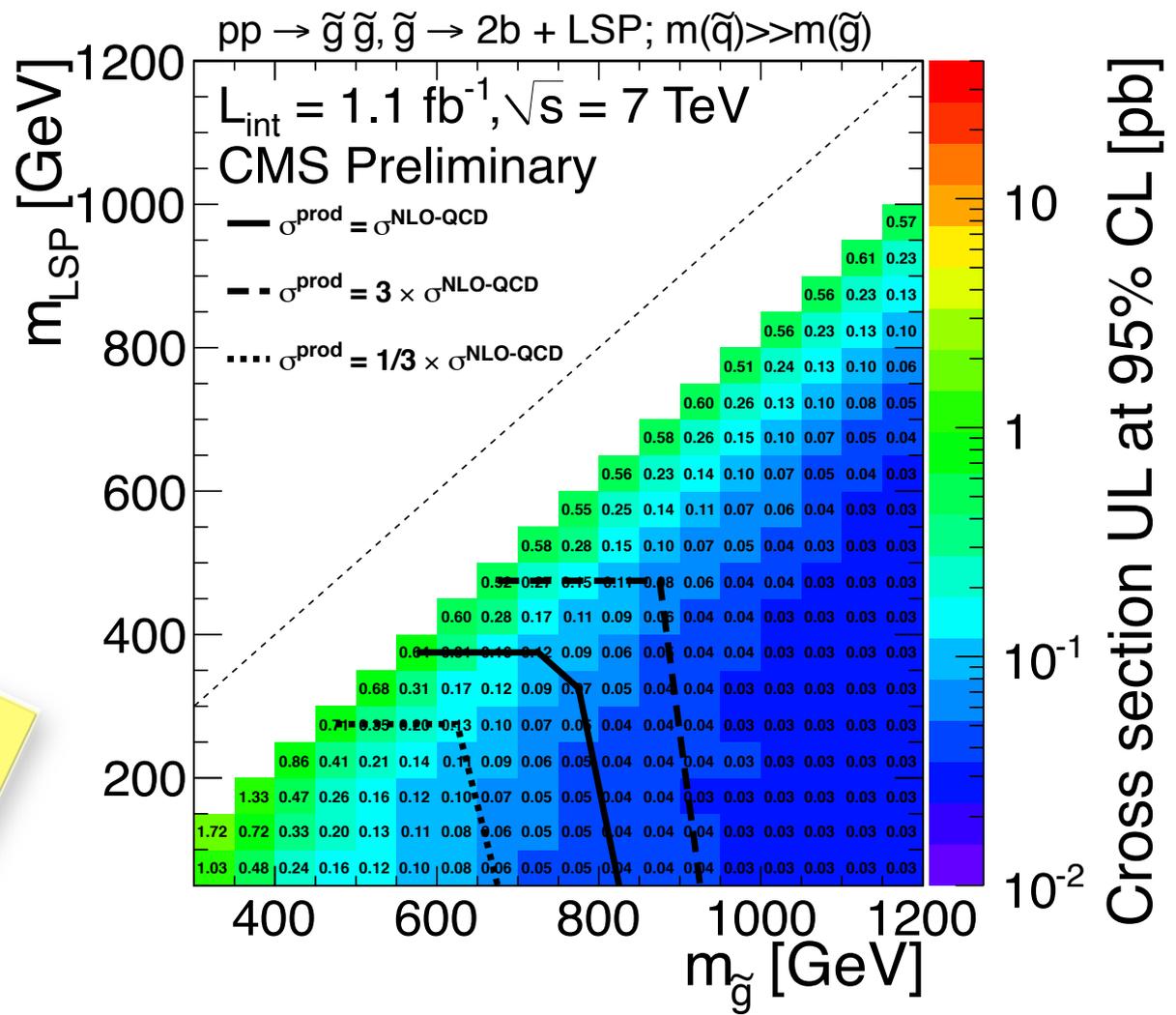


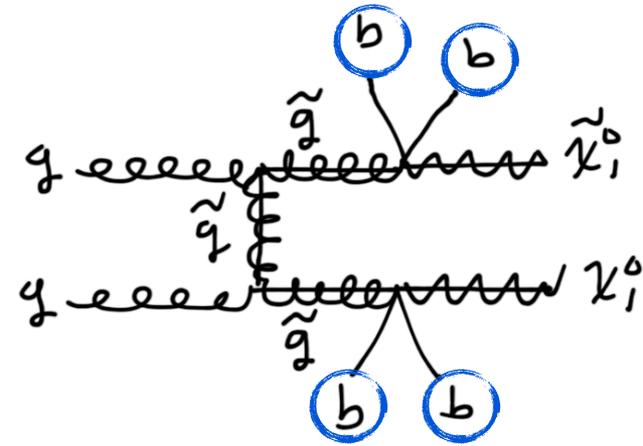
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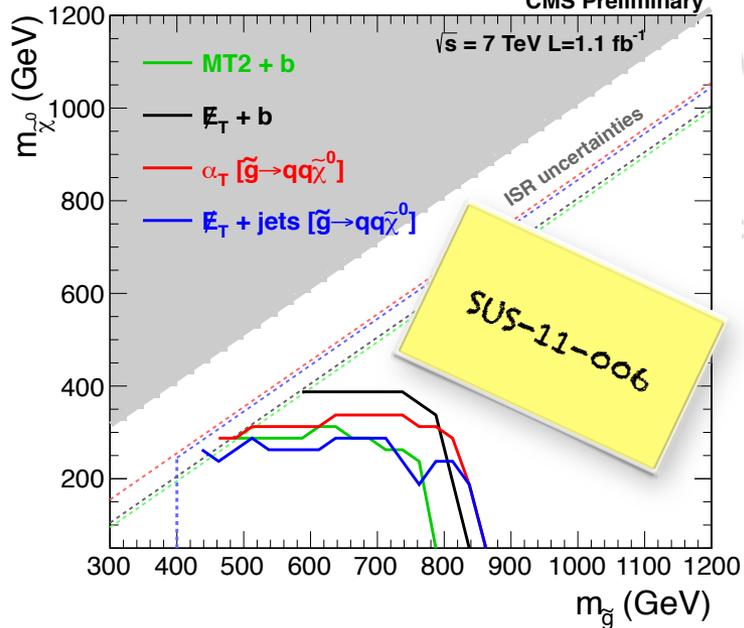


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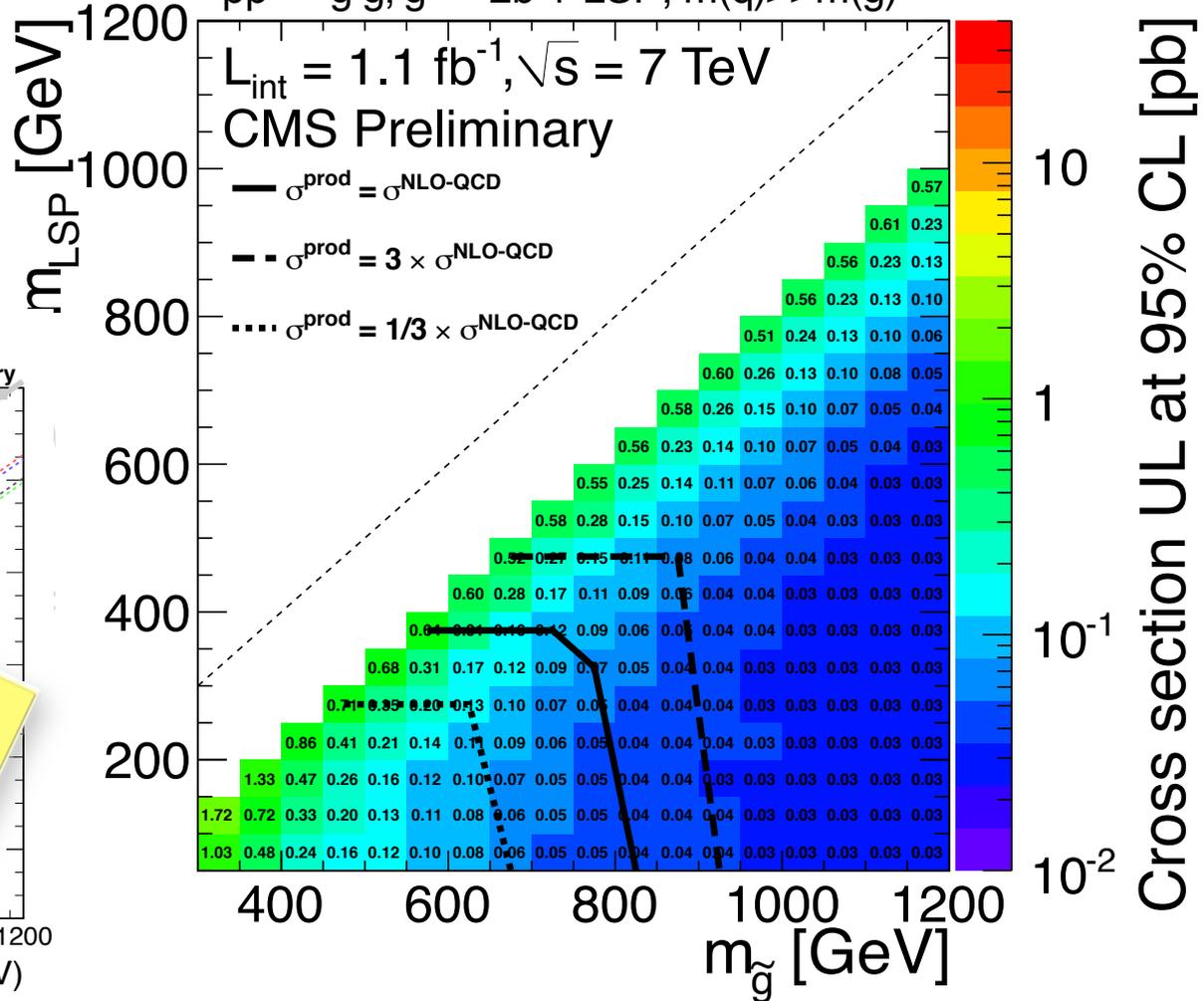


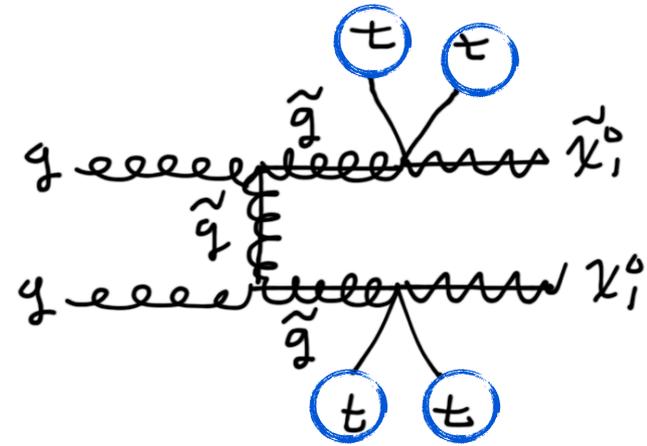


95% exclusion limits for $\tilde{g}\tilde{g}, \tilde{g} \rightarrow bb\tilde{\chi}^0$
 CMS Preliminary



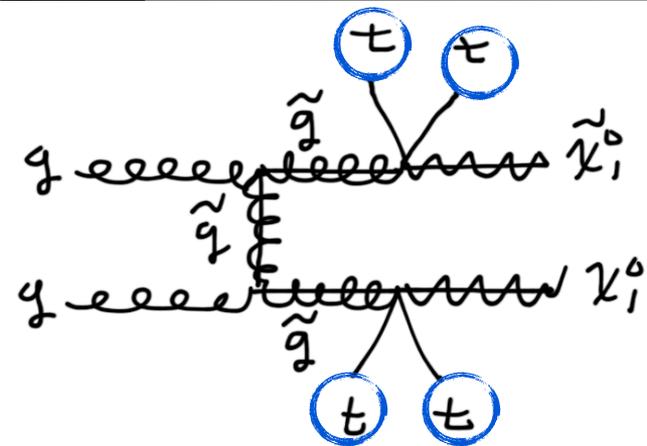
$pp \rightarrow \tilde{g}\tilde{g}, \tilde{g} \rightarrow 2b + \text{LSP}; m(\tilde{q}) \gg m(\tilde{g})$



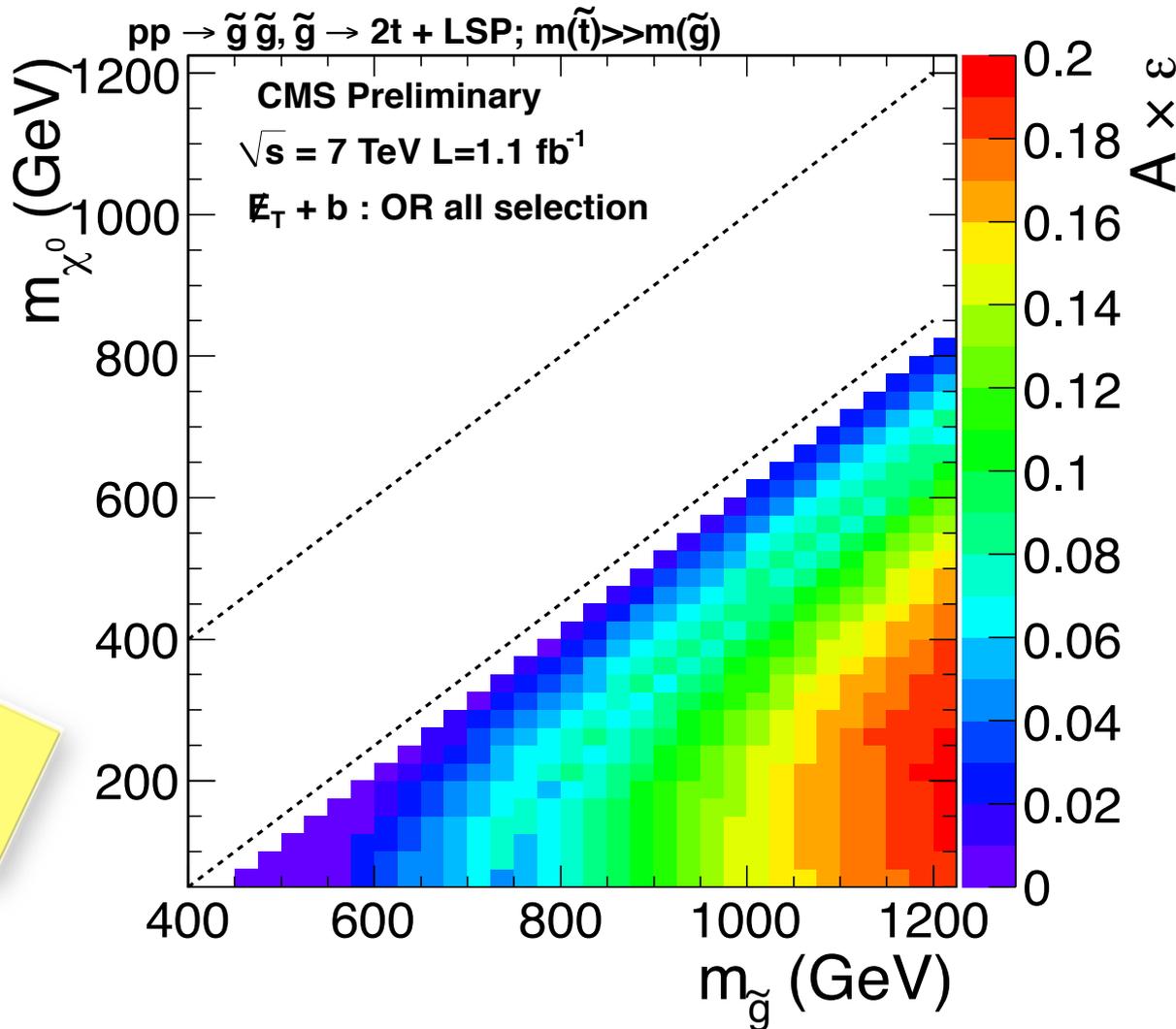


SUS-11-006

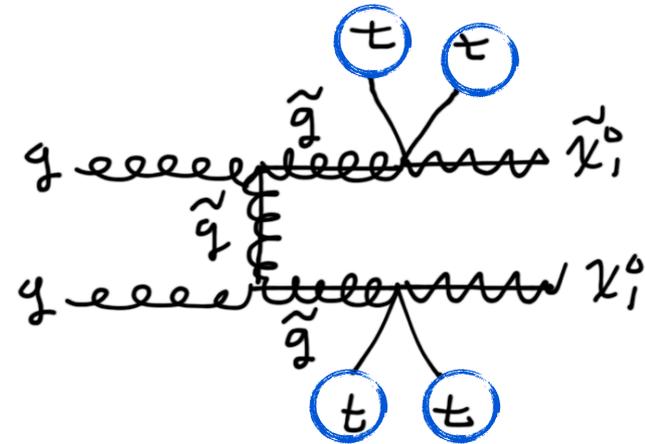
MET and b-jets



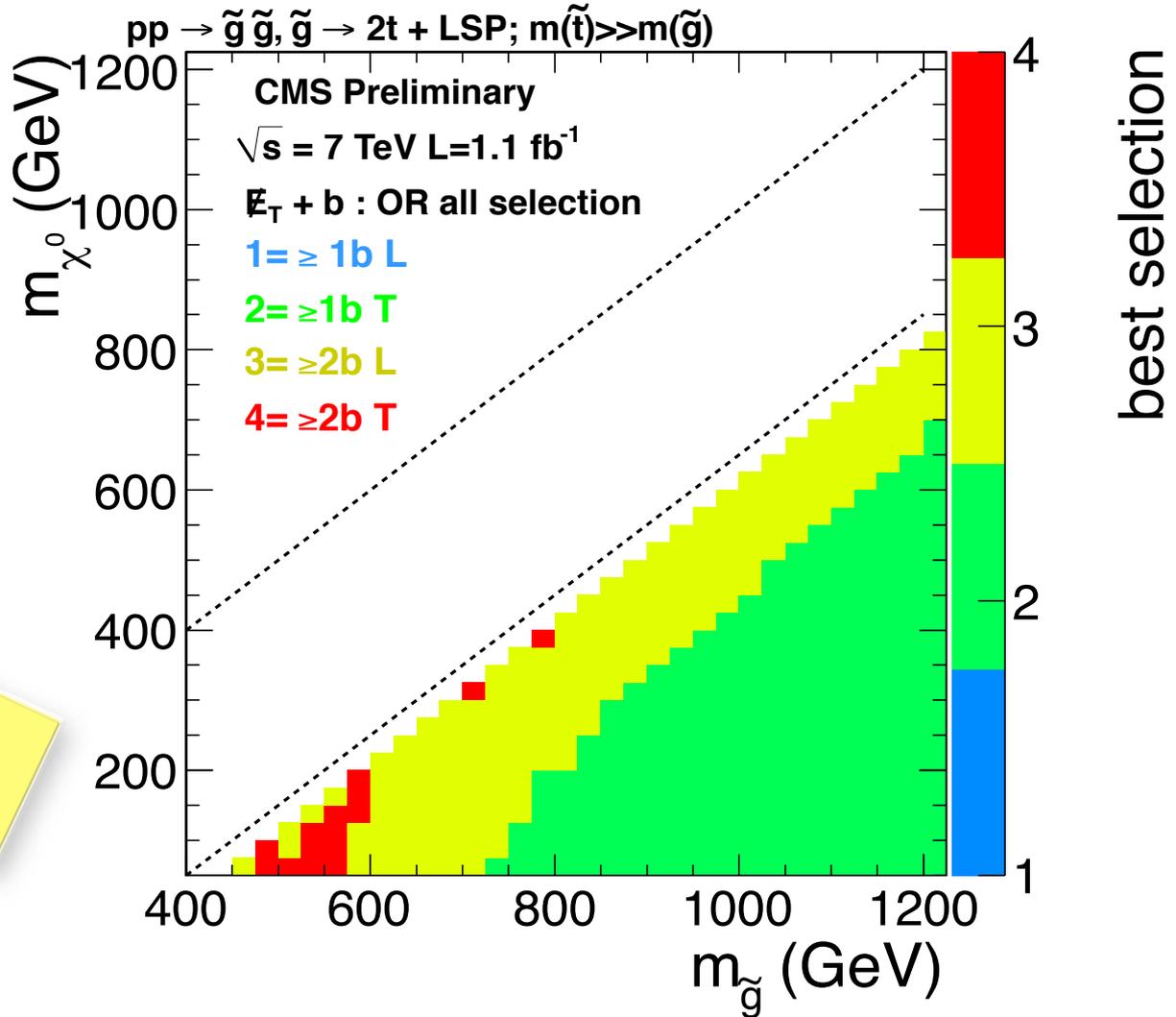
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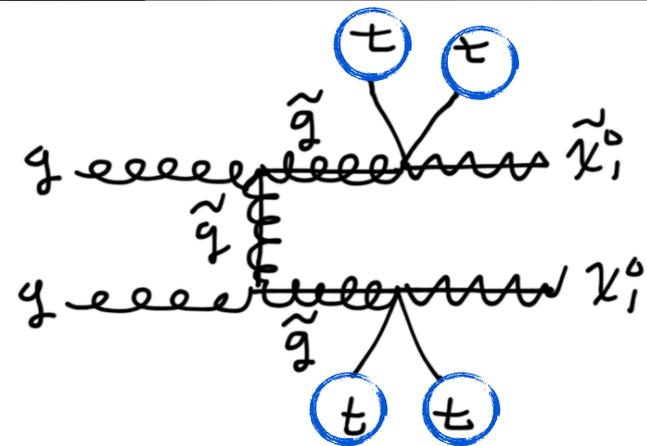


MET and b-jets

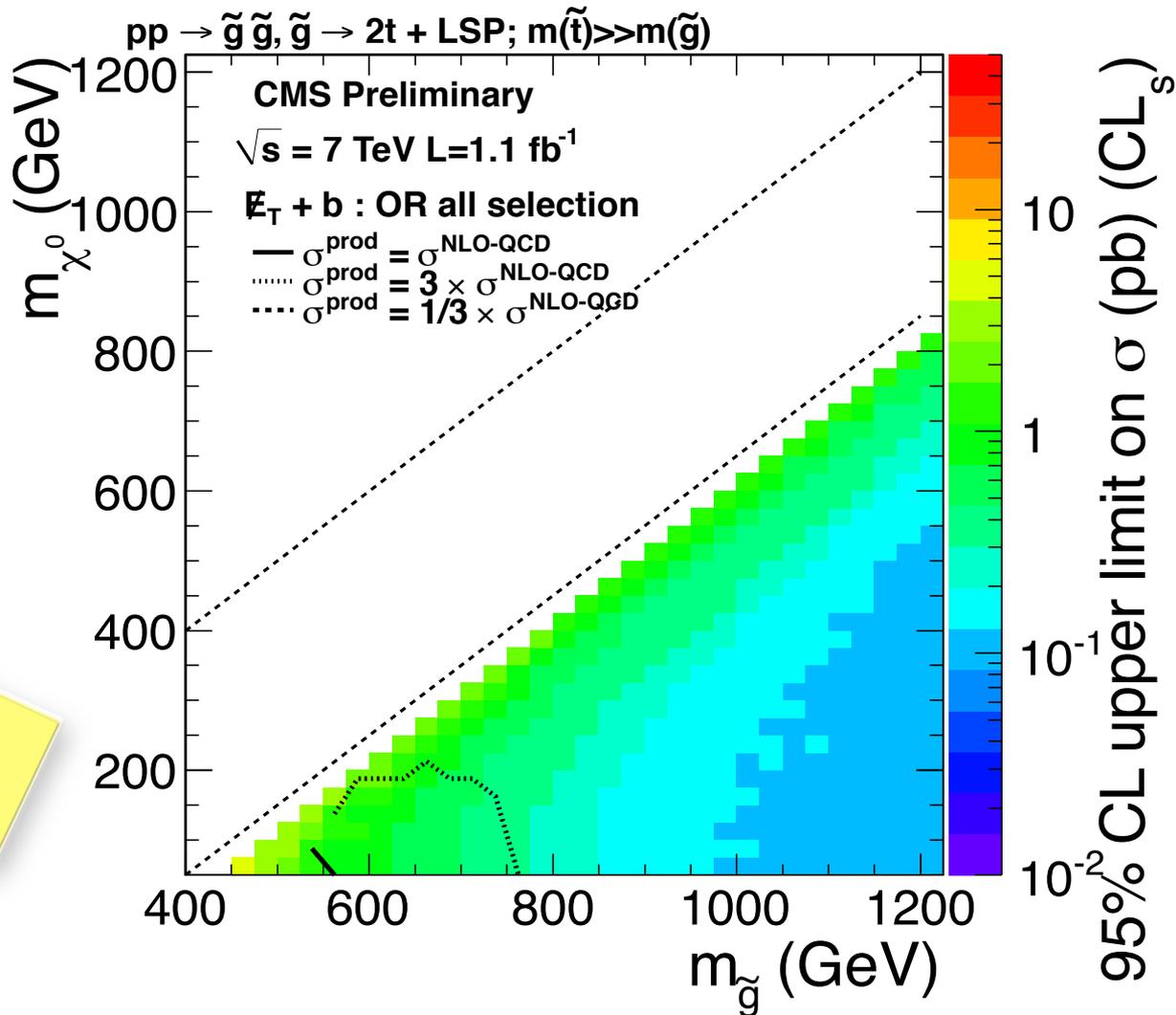


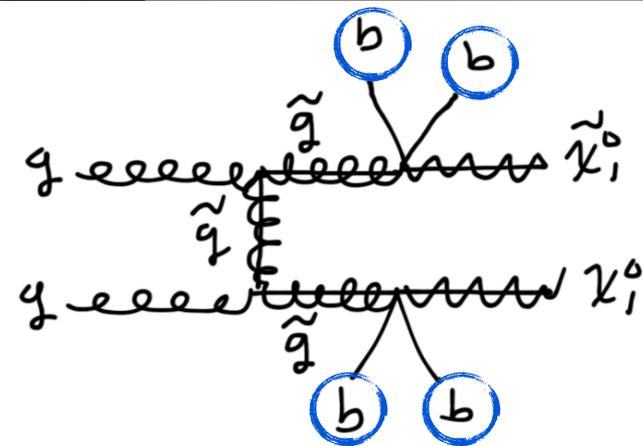
SUS-11-006





SUS-11-006

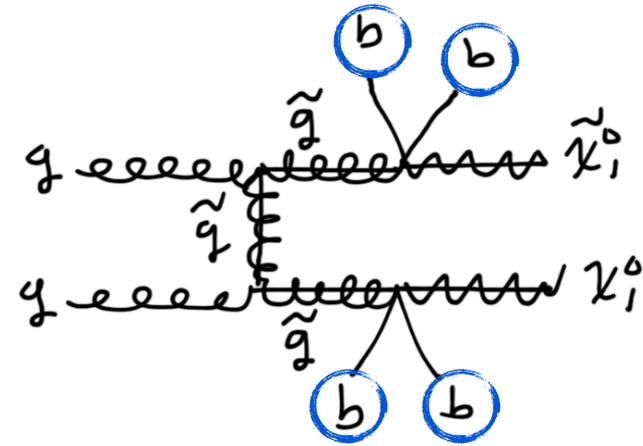




$$(M_{T2})^2 = 2 p_T^{vis(1)} p_T^{vis(2)} (1 + \cos \phi_{12})$$

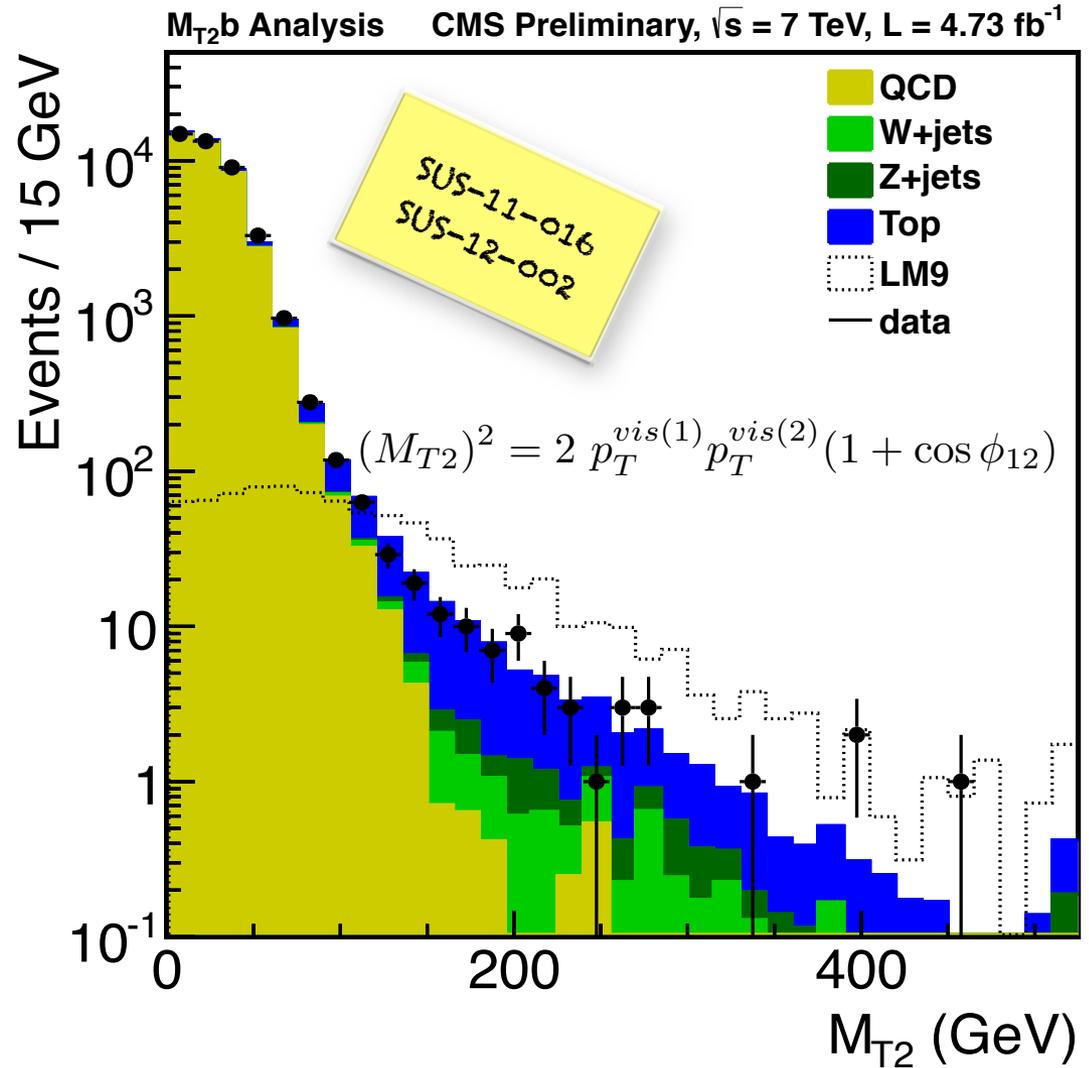
Strategy

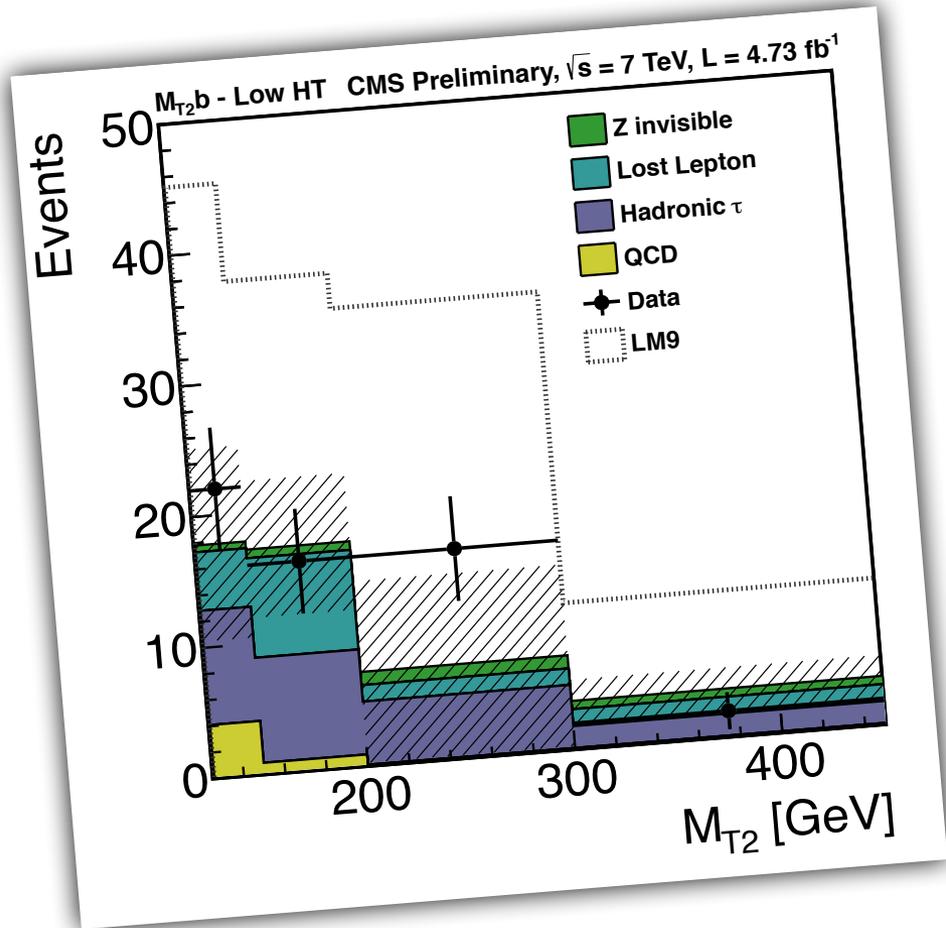
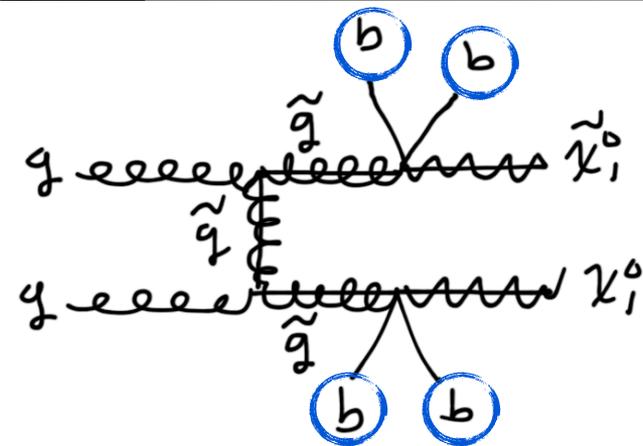
- transverse mass as discriminator
 - Endpoint at parent mass
 - Force event in hemispheres; assume $M(\text{LSP})=0$
- Require
 - ≥ 1 b-tagged jet
 - ≥ 4 jets (150, 40, 40, 40)
 - $MT2 > 125$
 - $HT > 750, HT > 950$



Strategy

- transverse mass as discriminator
 - Endpoint at parent mass
 - Force event in hemispheres; assume $M(\text{LSP})=0$
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 - ≥ 1 b-tagged jet
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 - $M_{T2} > 125$
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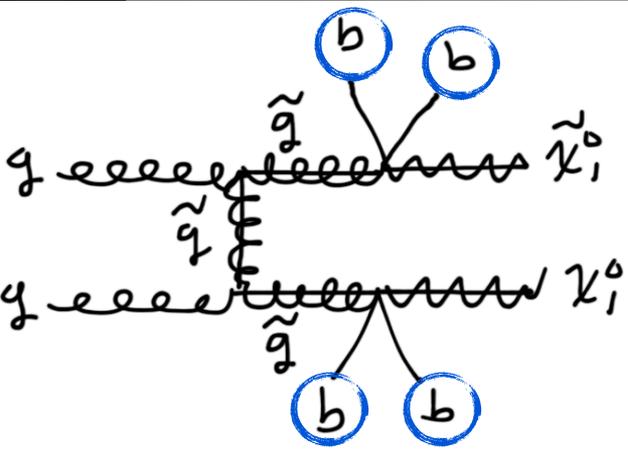




Strategy

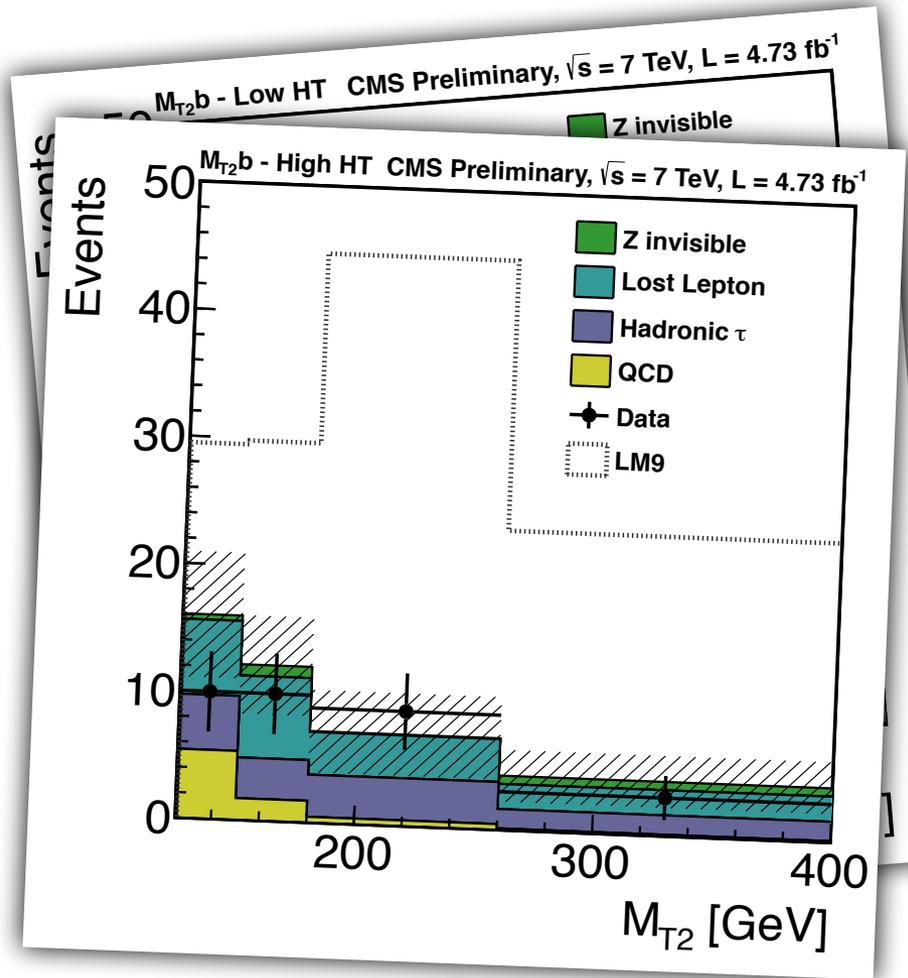
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SUS-11-016
SUS-12-002

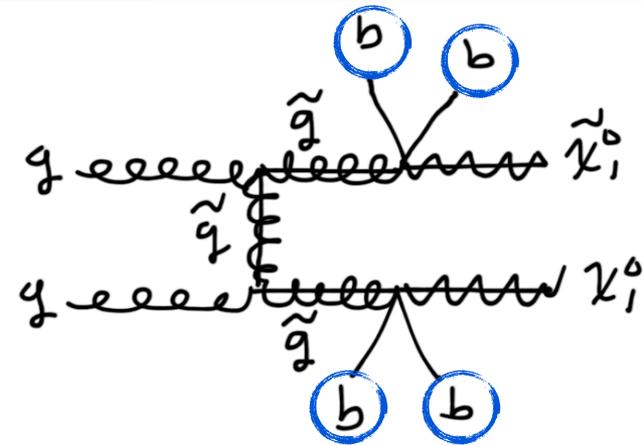


Strategy

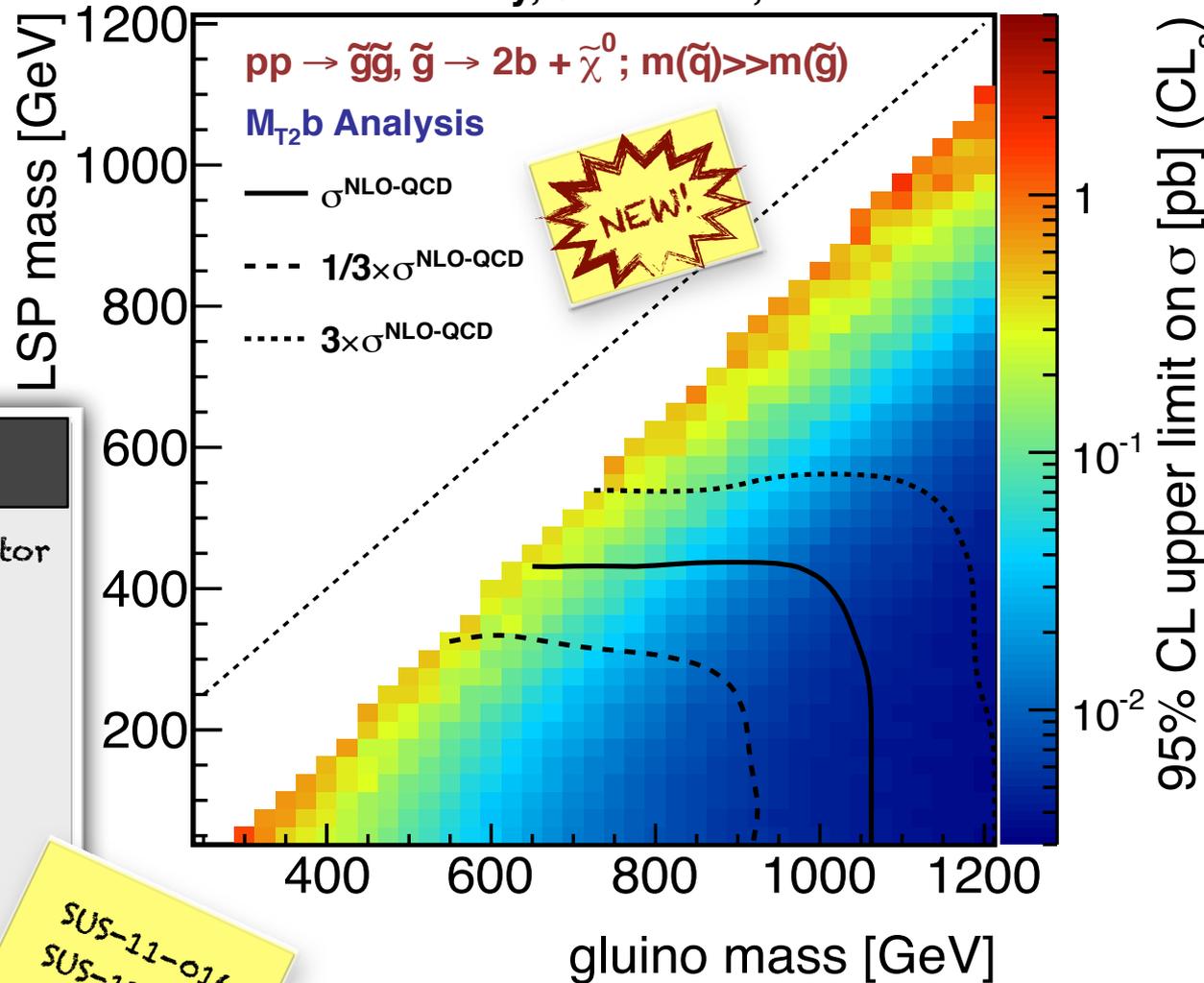
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 - ≥ 1 b-tagged jet
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SUS-11-016
SUS-12-002



CMS Preliminary, $\sqrt{s} = 7 \text{ TeV}$, $L = 4.73 \text{ fb}^{-1}$



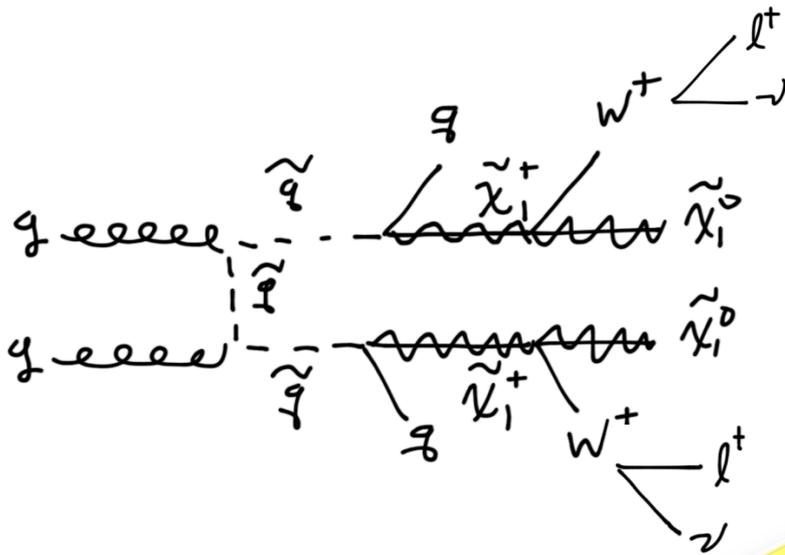
Strategy

- transverse mass as discriminator
 - Endpoint at parent mass
 - Force event in hemispheres; assume $M(\text{LSP})=0$
- Require
 - ≥ 1 b-tagged jet
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SUS-11-016
SUS-12-002

Strategy

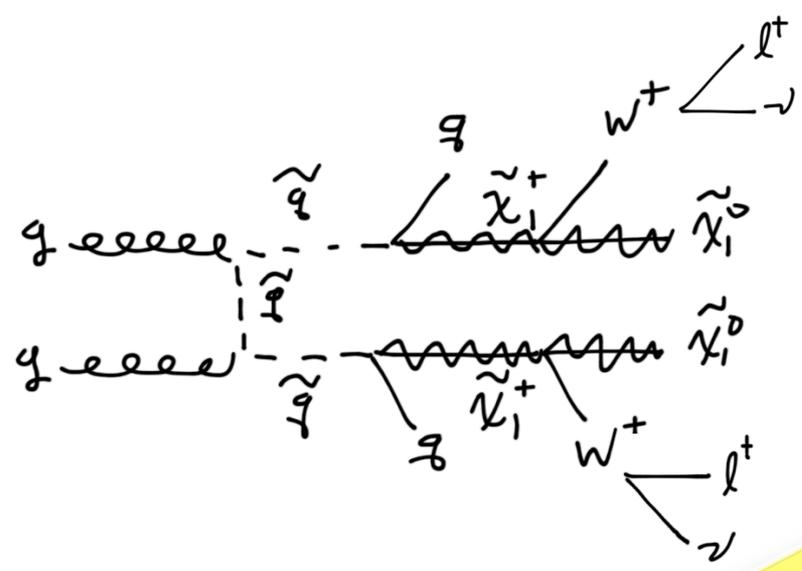
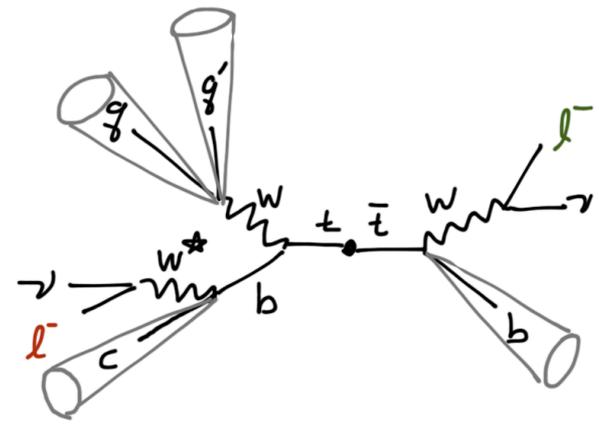
- SM backgrounds highly suppressed.



SUS-11-010

Strategy

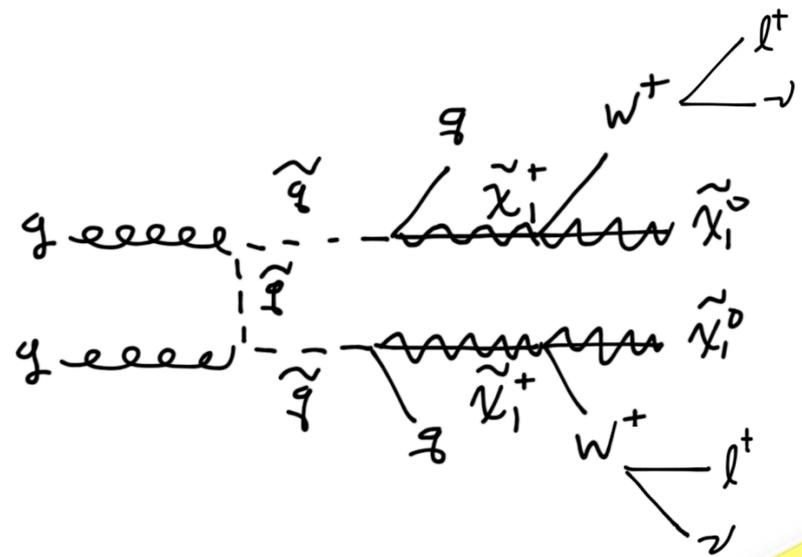
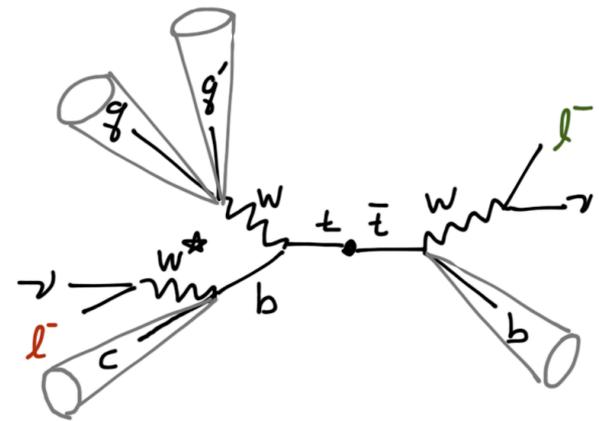
- SM backgrounds highly suppressed.
Challenge is to measure fake leptons!



SUS-11-010

Strategy

- SM backgrounds highly suppressed. Challenge is to measure fake leptons!
- Two data-driven methods
 - B tag-and-probe method
 - "Tight-Loose" method



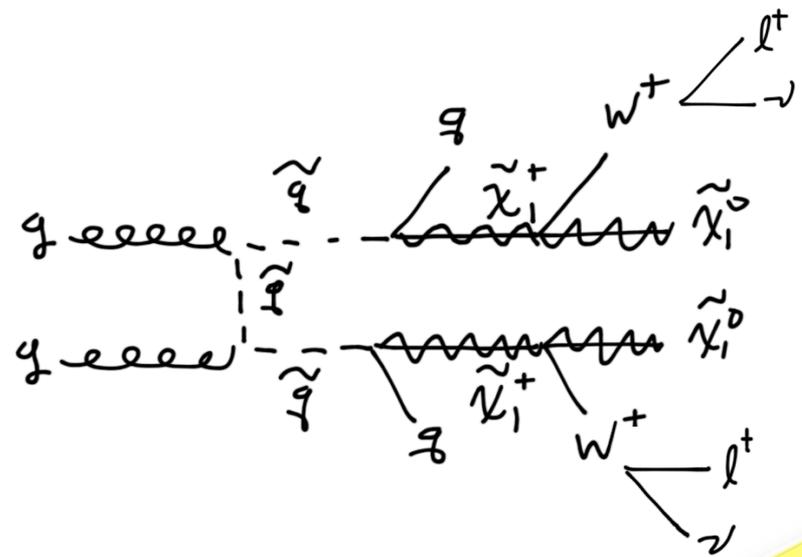
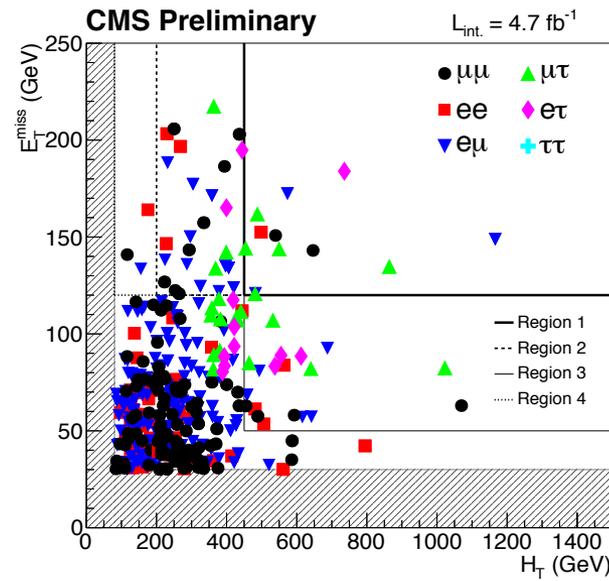
TL ratio: $R_{TL} = \frac{\text{leptons passing analysis selection}}{\text{leptons passing loose selection}}$

Measure R_{TL} in independent QCD dominated Control Sample

SUS-11-010

Strategy

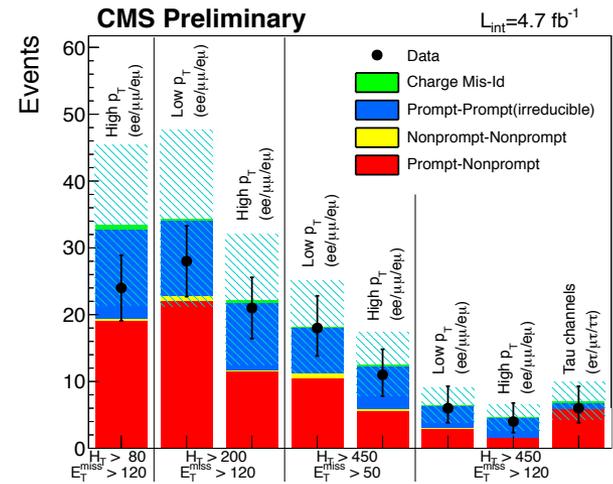
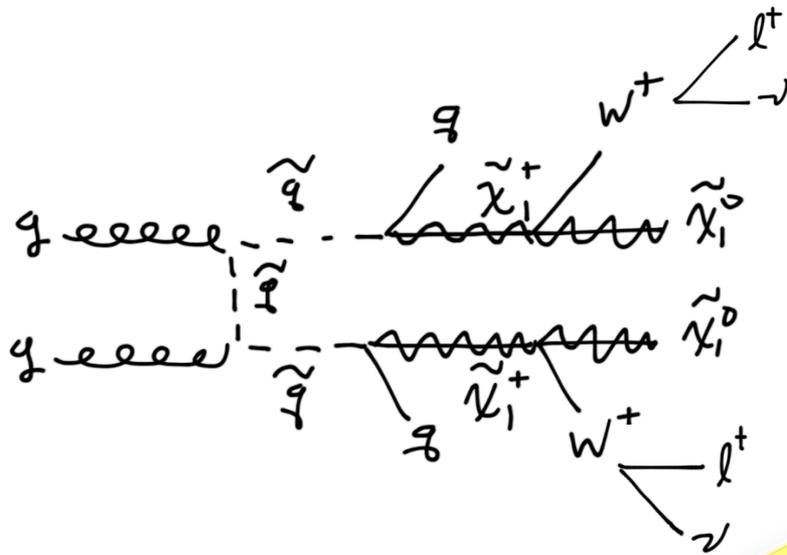
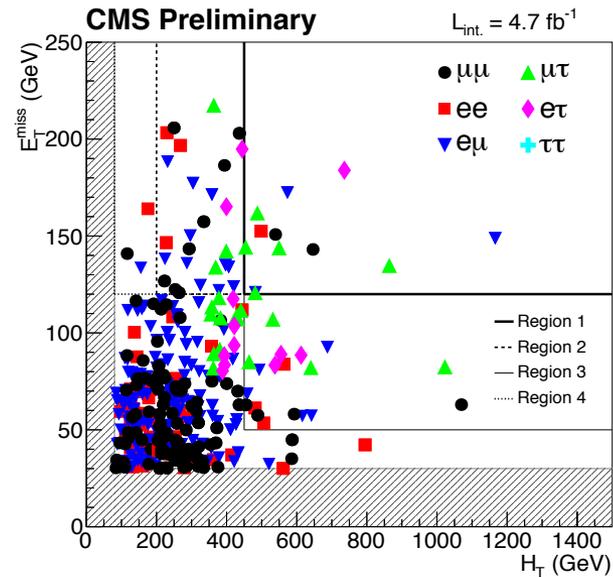
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- Two data-driven methods
 - B tag-and-probe method
 - "Tight-Loose" method
- Define Signal Regions in MET & HT



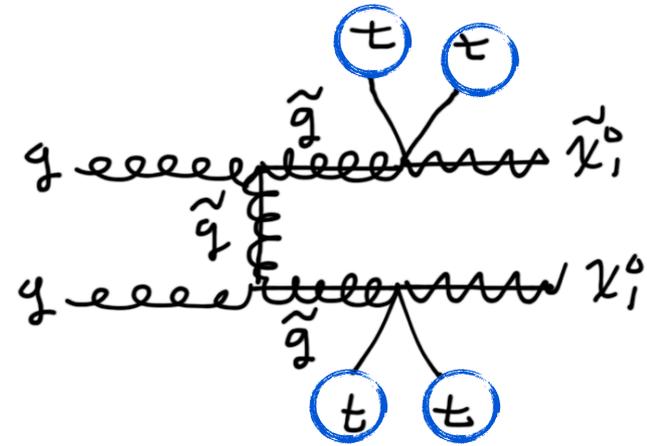
SUS-11-010

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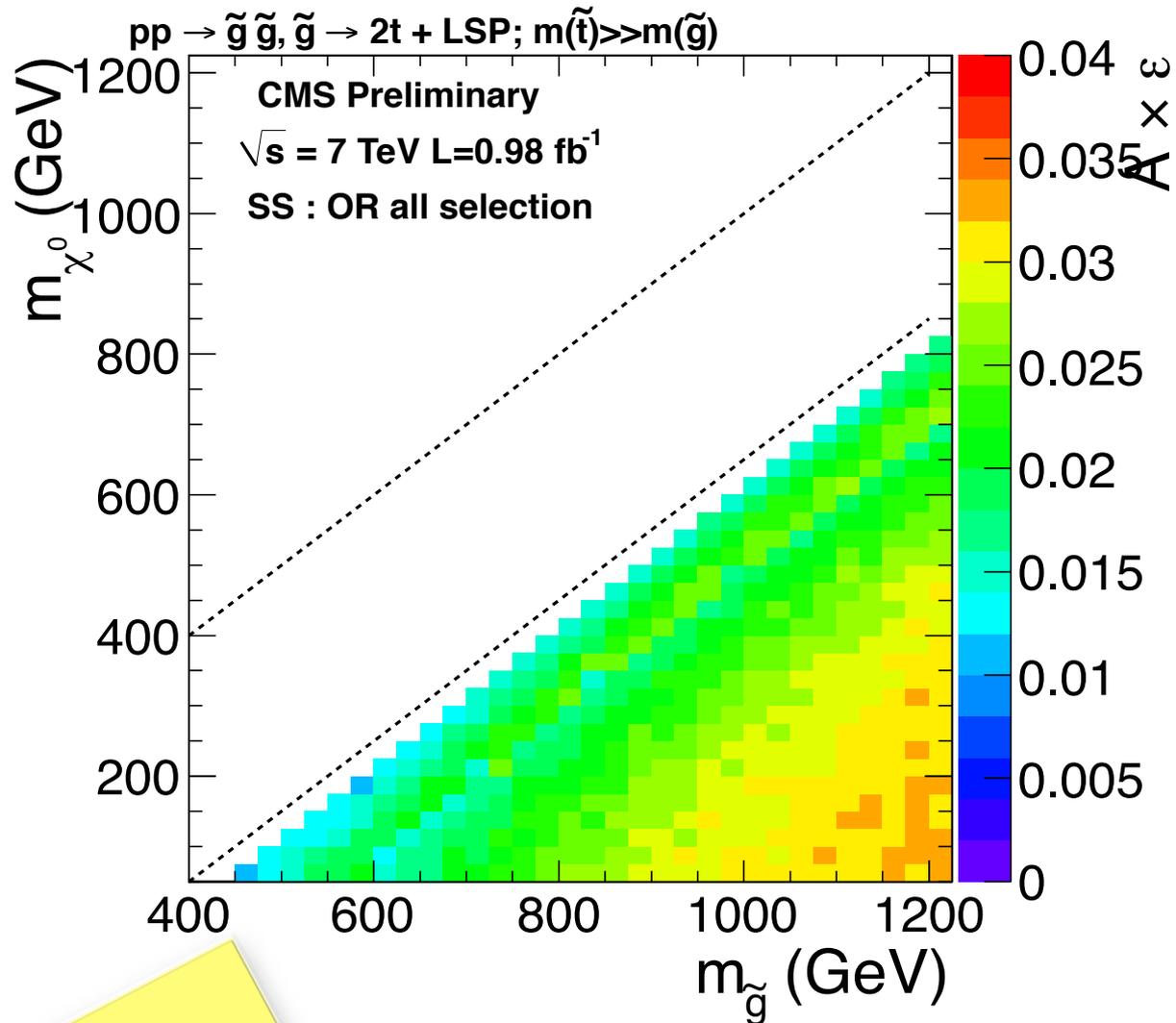
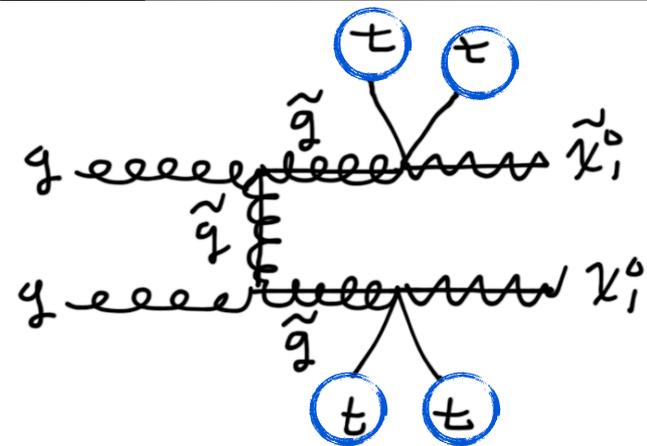


SUS-11-010



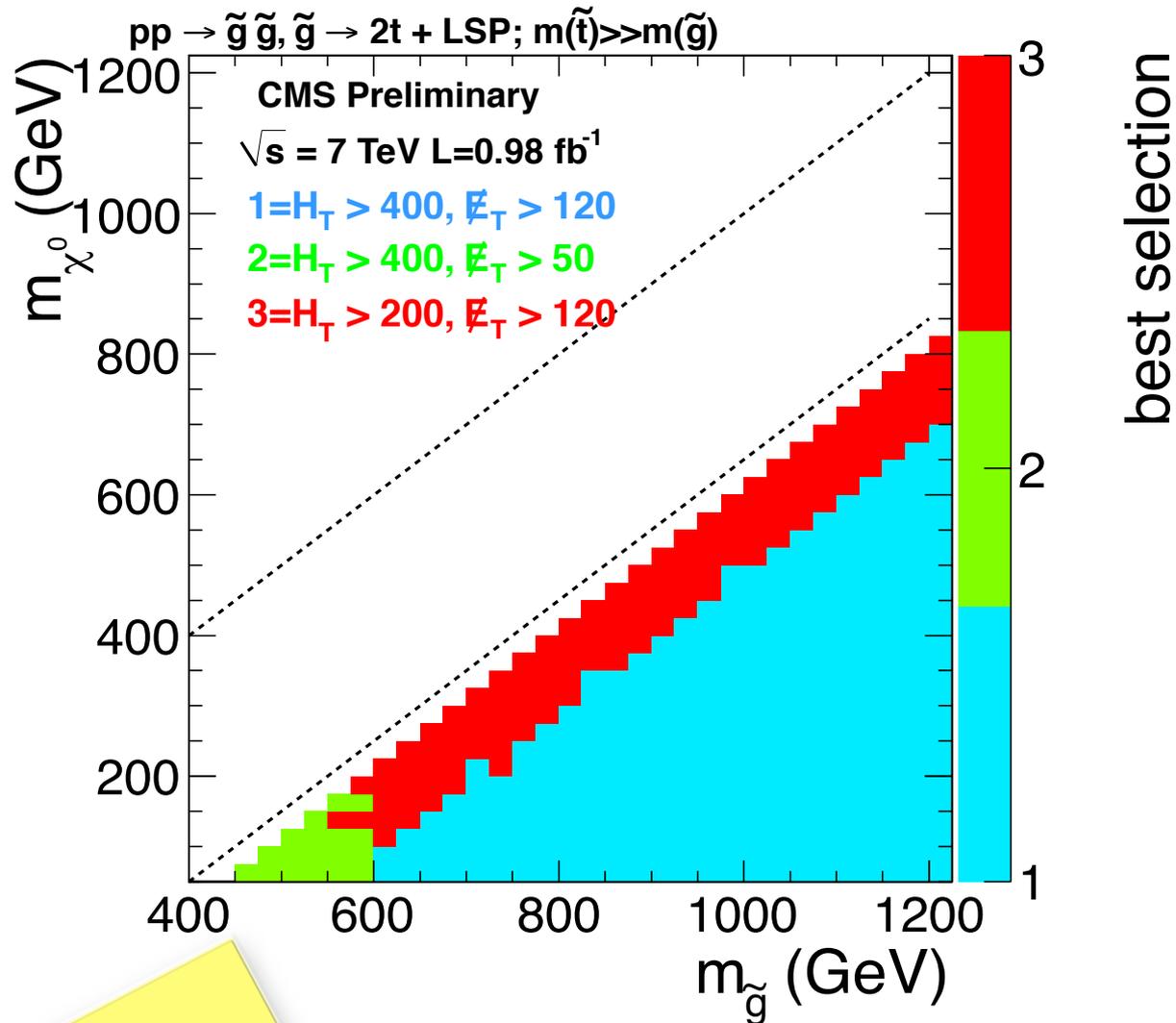
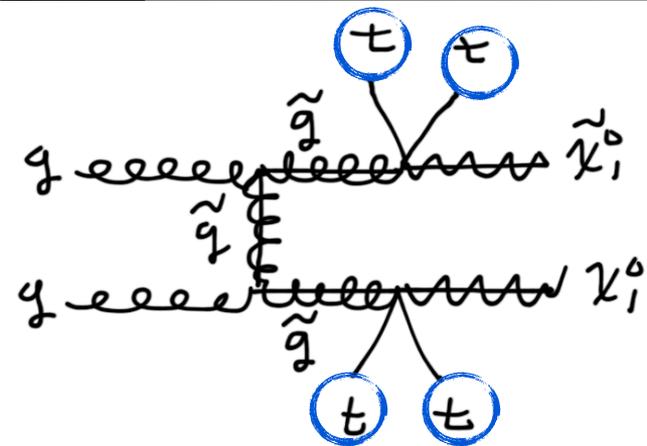
SUS-11-010

SS dileptons



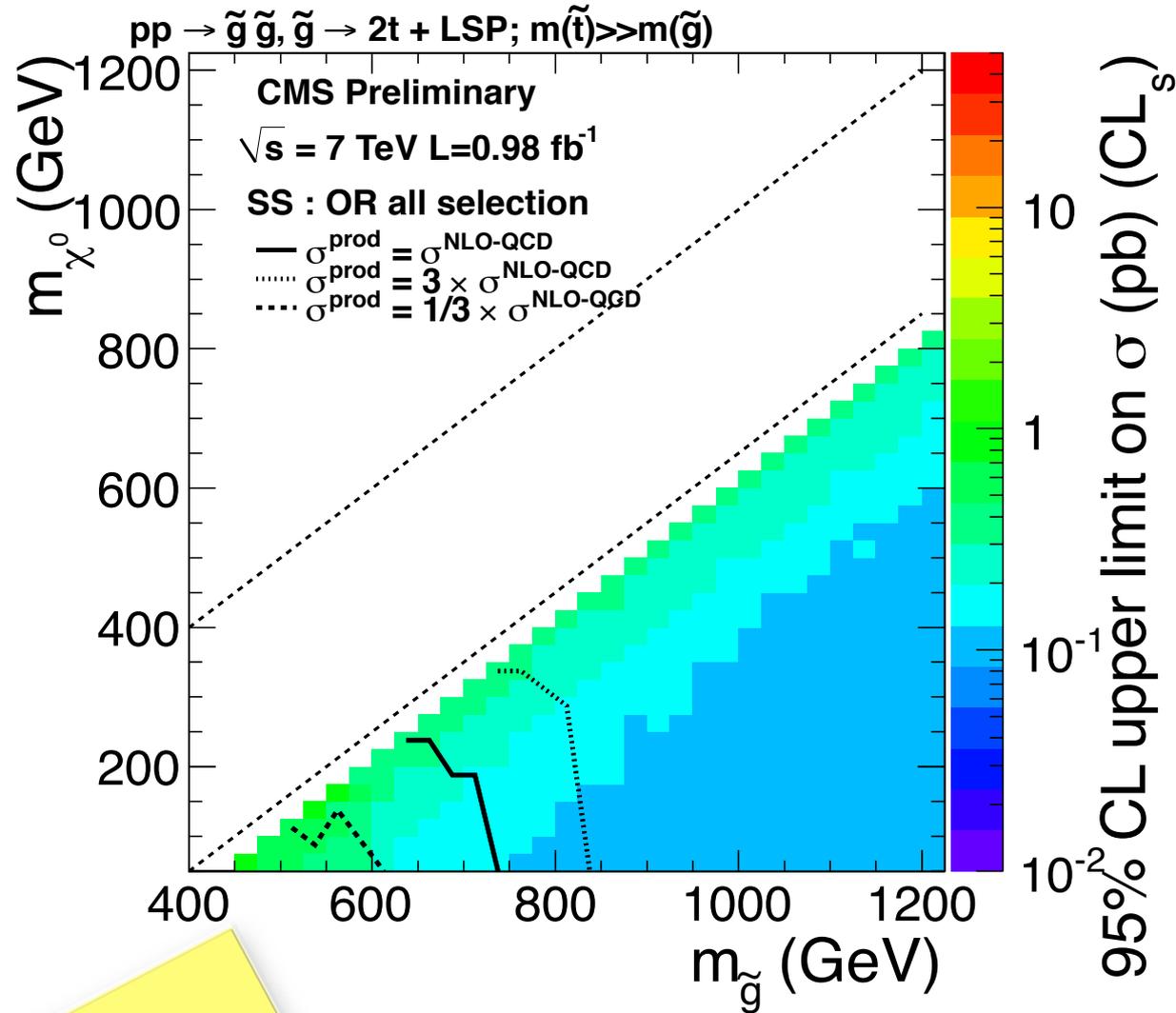
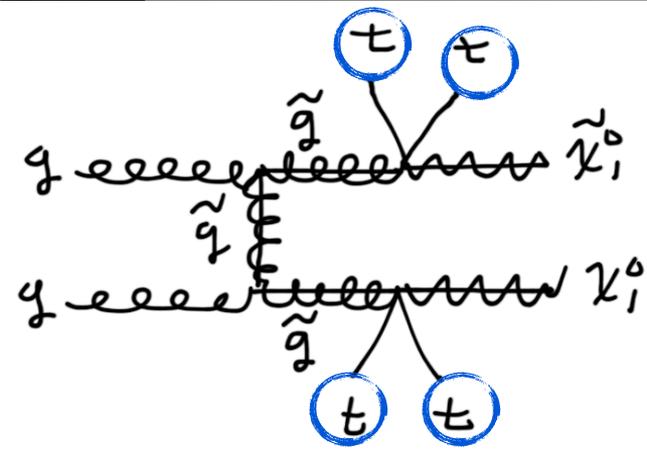
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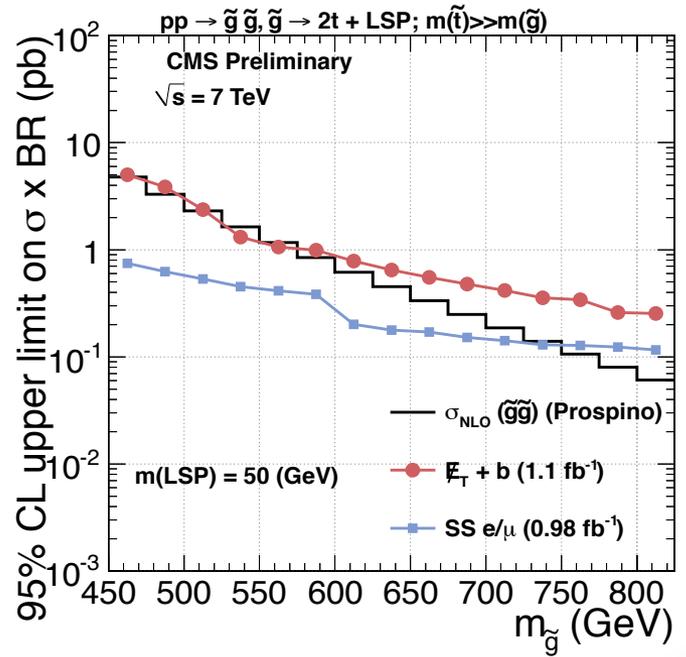
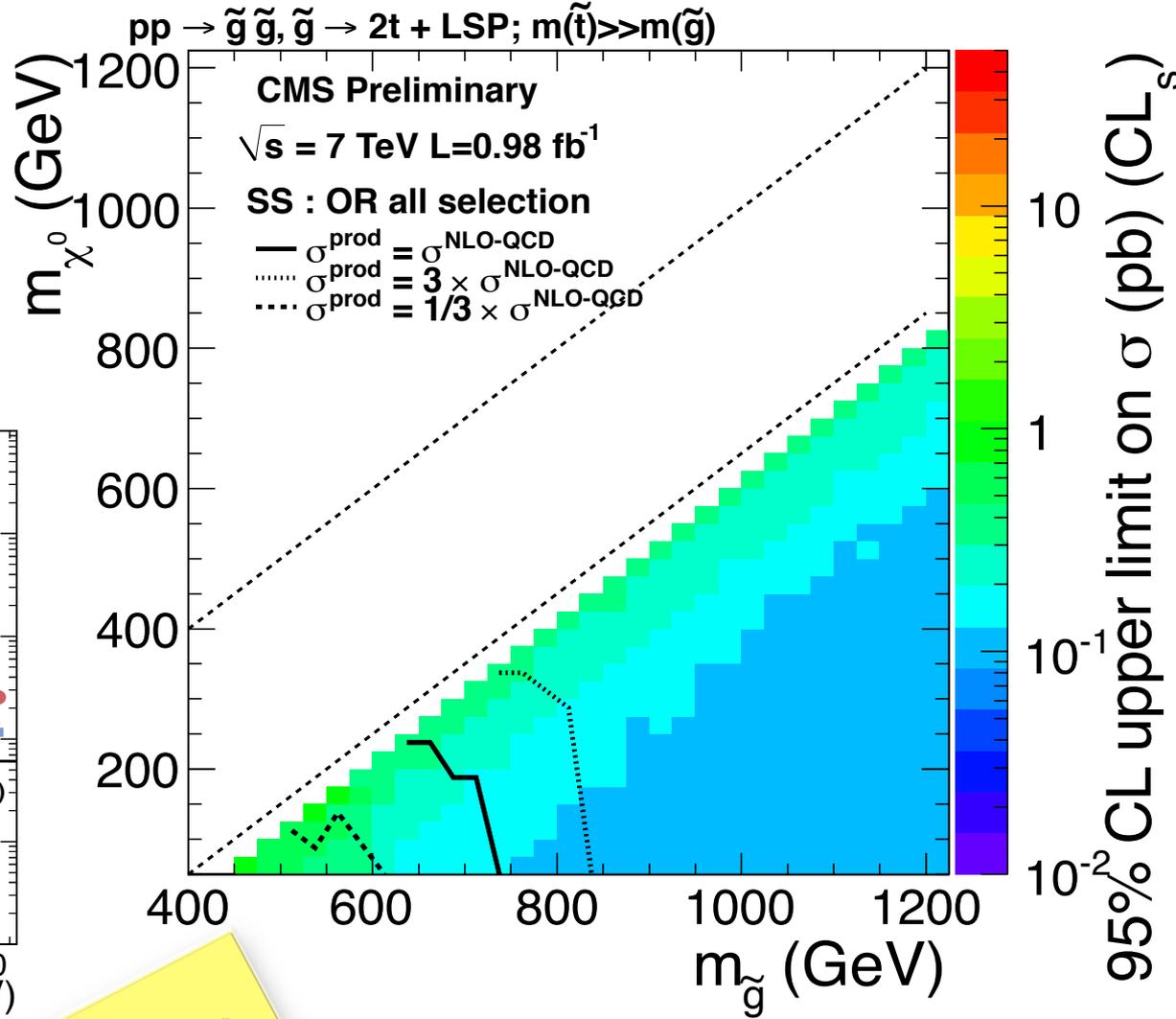
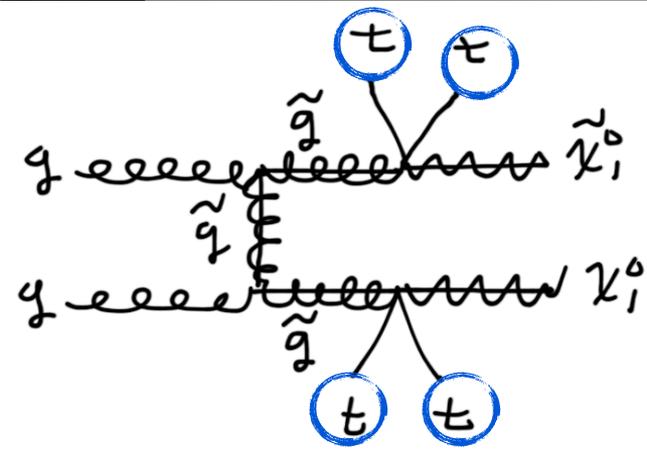
SUS-11-010

SS dileptons



SUS-11-010

SS dileptons



SUS-11-010

SS Dileptons + 2b-jets

- Similar to SS dilepton analysis:
just add 2 b-tagged jets
- Fake lepton background from b's
dramatically smaller!
- top contribution expected to
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- More exclusive search
 - Same-sign top production
 - SUSY 4 top final states
 - SUSY sbottom pair production
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SUS-11-020

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- More e
- Same
- SUSY
- SUSY
- SUSY

SUS-11-020

NEW!

	SR1	SR2	SR3	SR4	SR5	SR6	SR7
No. of jets	≥ 2	≥ 2	≥ 2	≥ 2	≥ 2	≥ 2	≥ 3
No. of btags	≥ 2	≥ 2	≥ 2	≥ 2	≥ 2	≥ 2	≥ 3
Lepton charges	++ / --	++	++ / --	++ / --	++ / --	++ / --	++ / --
E_T	≥ 30 GeV	≥ 30 GeV	≥ 120 GeV	≥ 50 GeV	≥ 50 GeV	≥ 120 GeV	≥ 50 GeV
H_T	≥ 80 GeV	≥ 80 GeV	≥ 200 GeV	≥ 200 GeV	≥ 320 GeV	≥ 320 GeV	≥ 200 GeV
q-flip BG	1.1 ± 0.2	0.5 ± 0.1	0.05 ± 0.01	0.3 ± 0.1	0.12 ± 0.03	0.026 ± 0.009	0.008 ± 0.004
Fake BG	3.4 ± 2.0	1.8 ± 1.2	0.32 ± 0.50	1.5 ± 1.1	0.81 ± 0.78	0.15 ± 0.45	0.15 ± 0.45
Rare SM BG	3.2 ± 1.6	2.1 ± 1.1	0.56 ± 0.28	2.0 ± 1.0	1.04 ± 0.52	0.39 ± 0.20	0.11 ± 0.06
Total BG	7.7 ± 2.6	4.4 ± 1.6	0.9 ± 0.6	3.7 ± 1.5	2.0 ± 0.9	0.6 ± 0.5	0.3 ± 0.5
Event yield	7	5	2	5	2	0	0
N_{UL} (12% unc.)	7.4	6.9	5.2	7.3	4.7	2.8	2.8
N_{UL} (20% unc.)	7.7	7.2	5.4	7.6	4.8	2.8	2.8
N_{UL} (30% unc.)	8.1	7.6	5.8	8.2	5.1	2.8	2.8

SS Dileptons + 2b-jets

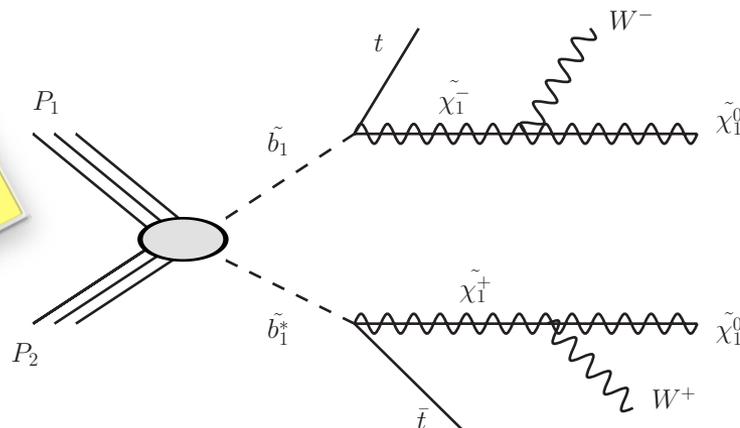
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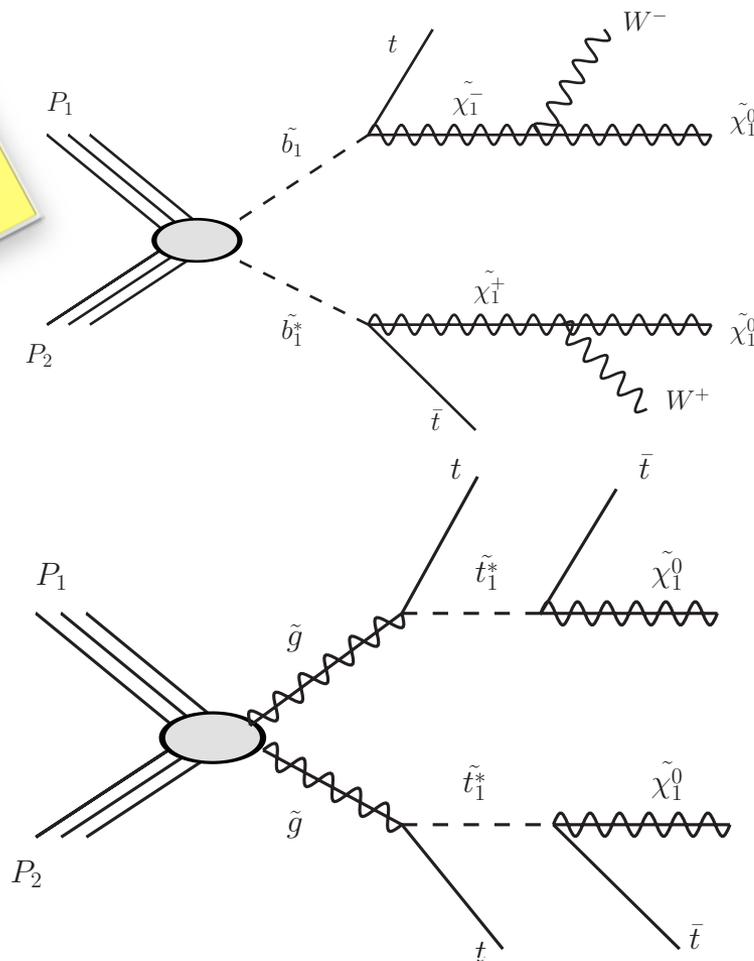
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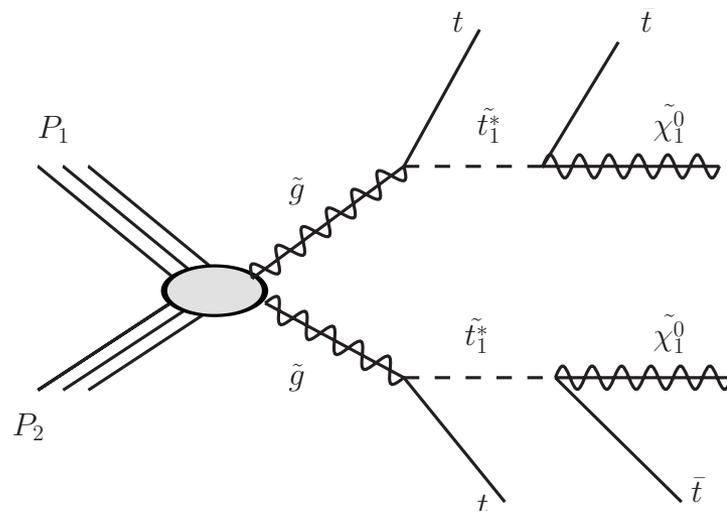
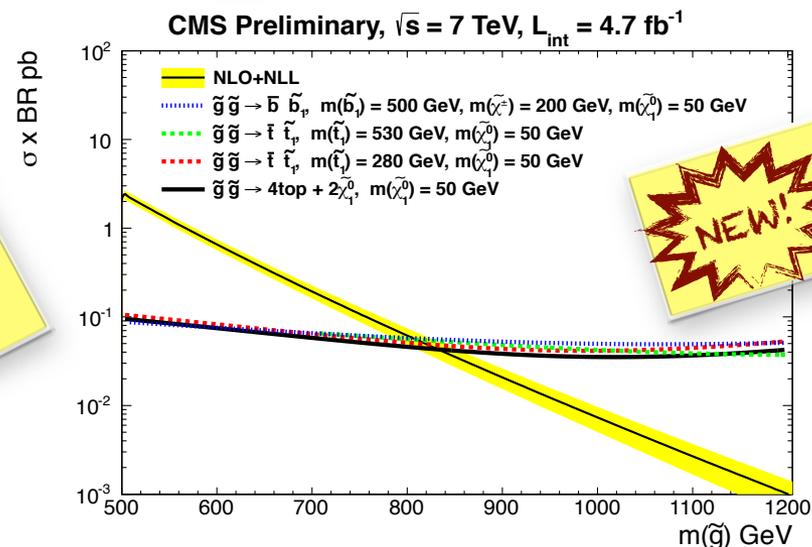
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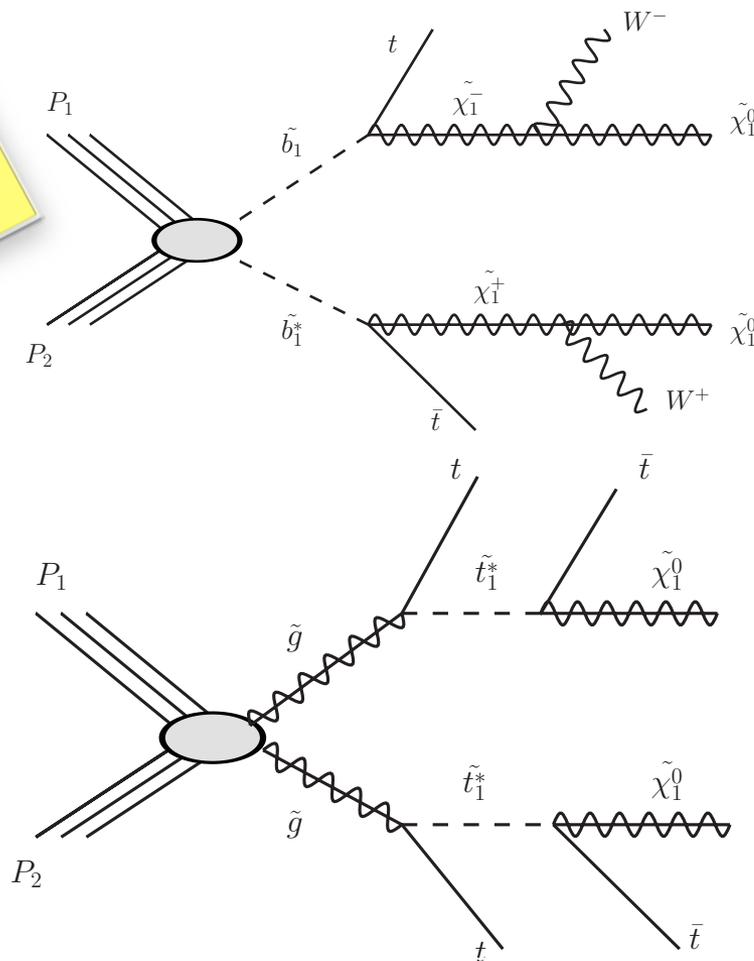
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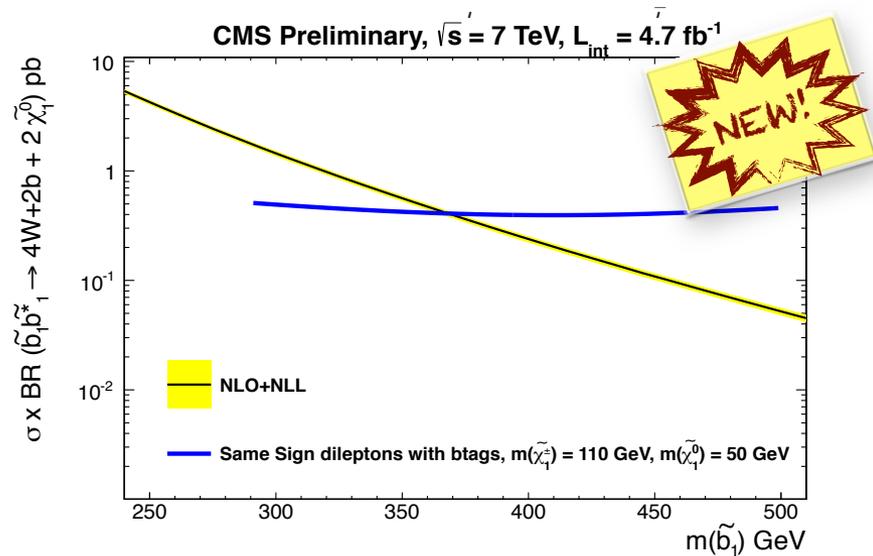
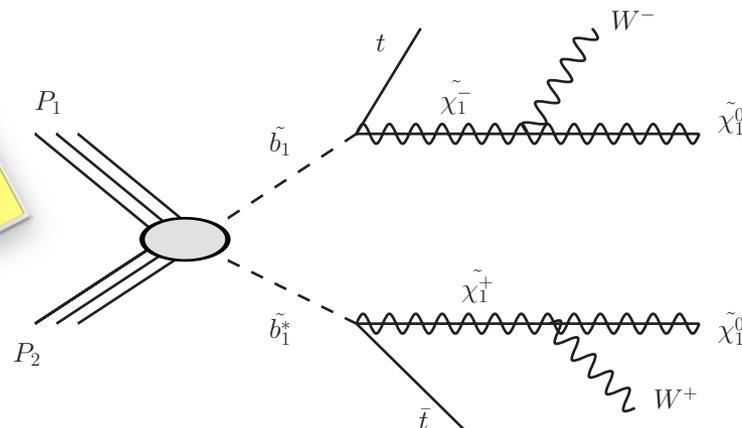
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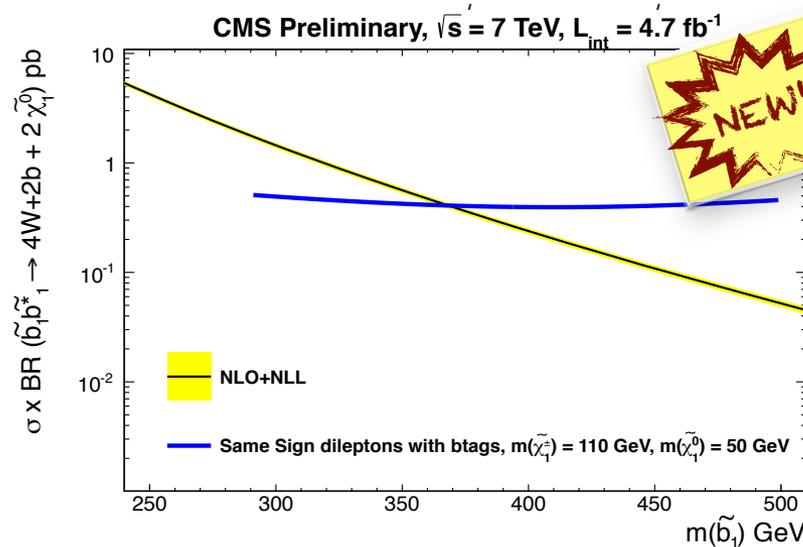
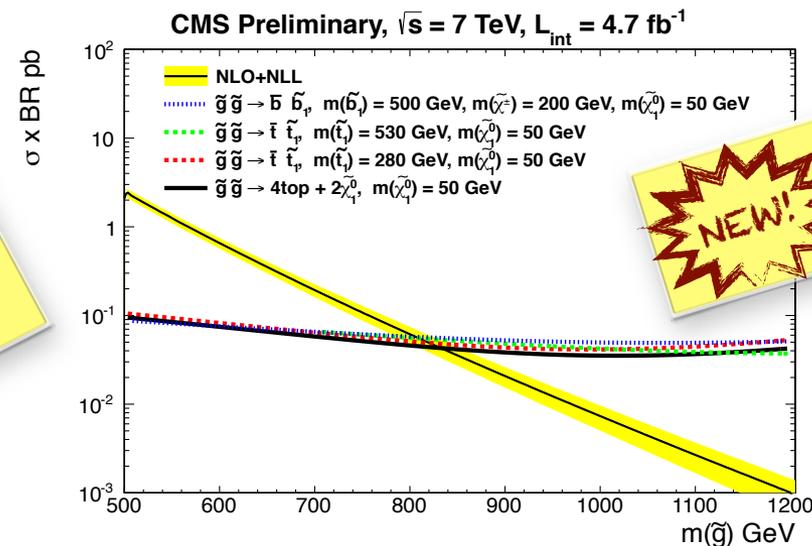
SUS-11-020



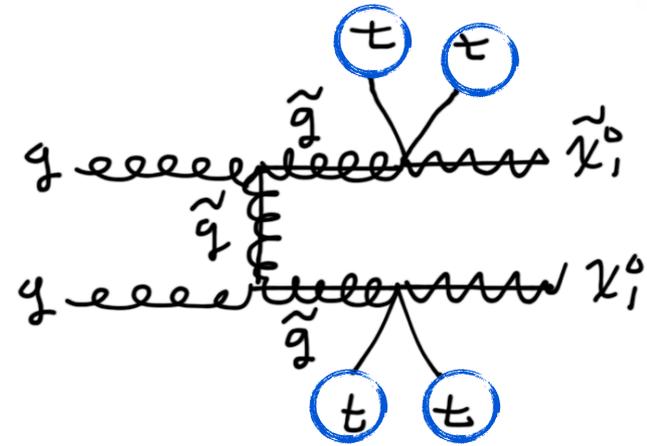
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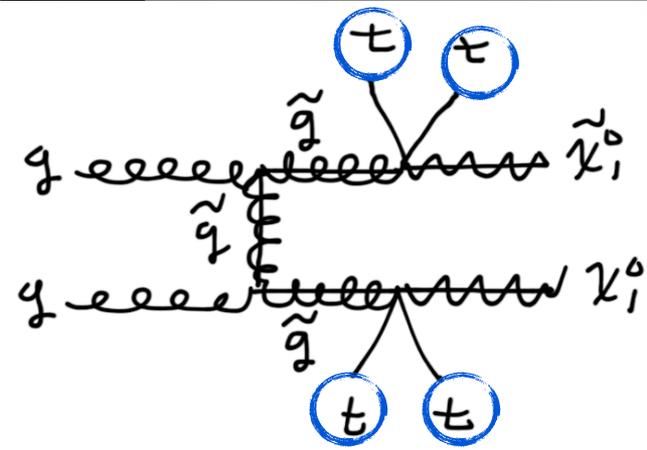


SS dileptons and b-jets



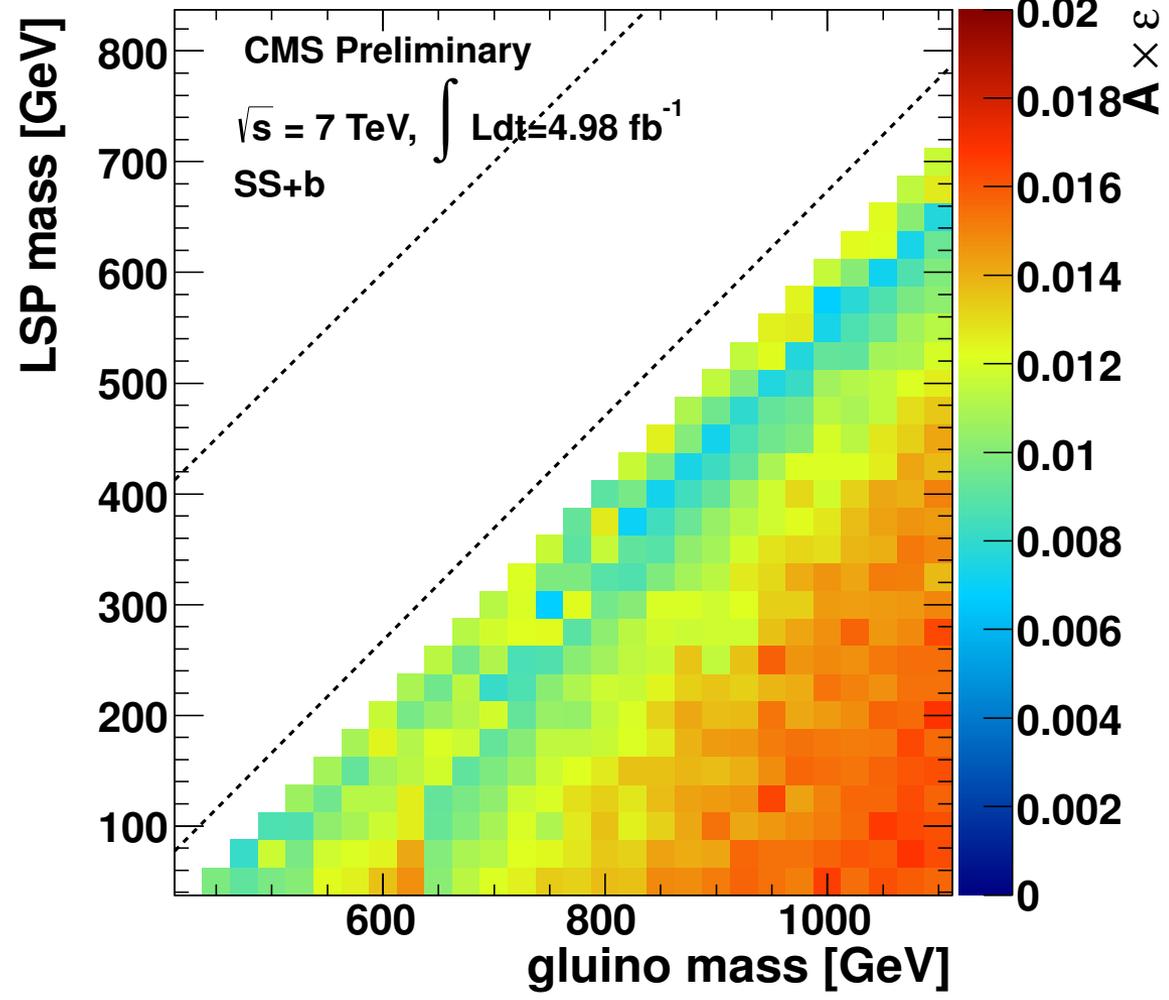
SUS-11-020

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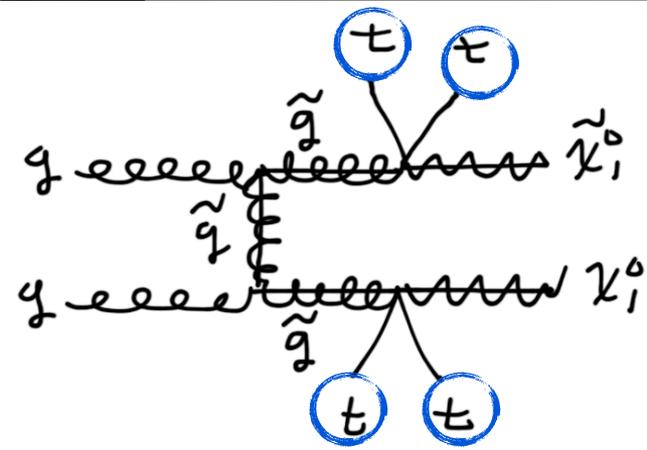


SUS-11-020

$pp \rightarrow \tilde{g} \tilde{g}, \tilde{g} \rightarrow t t \tilde{\chi}_0^0; m(\tilde{q}) \gg m(\tilde{g})$

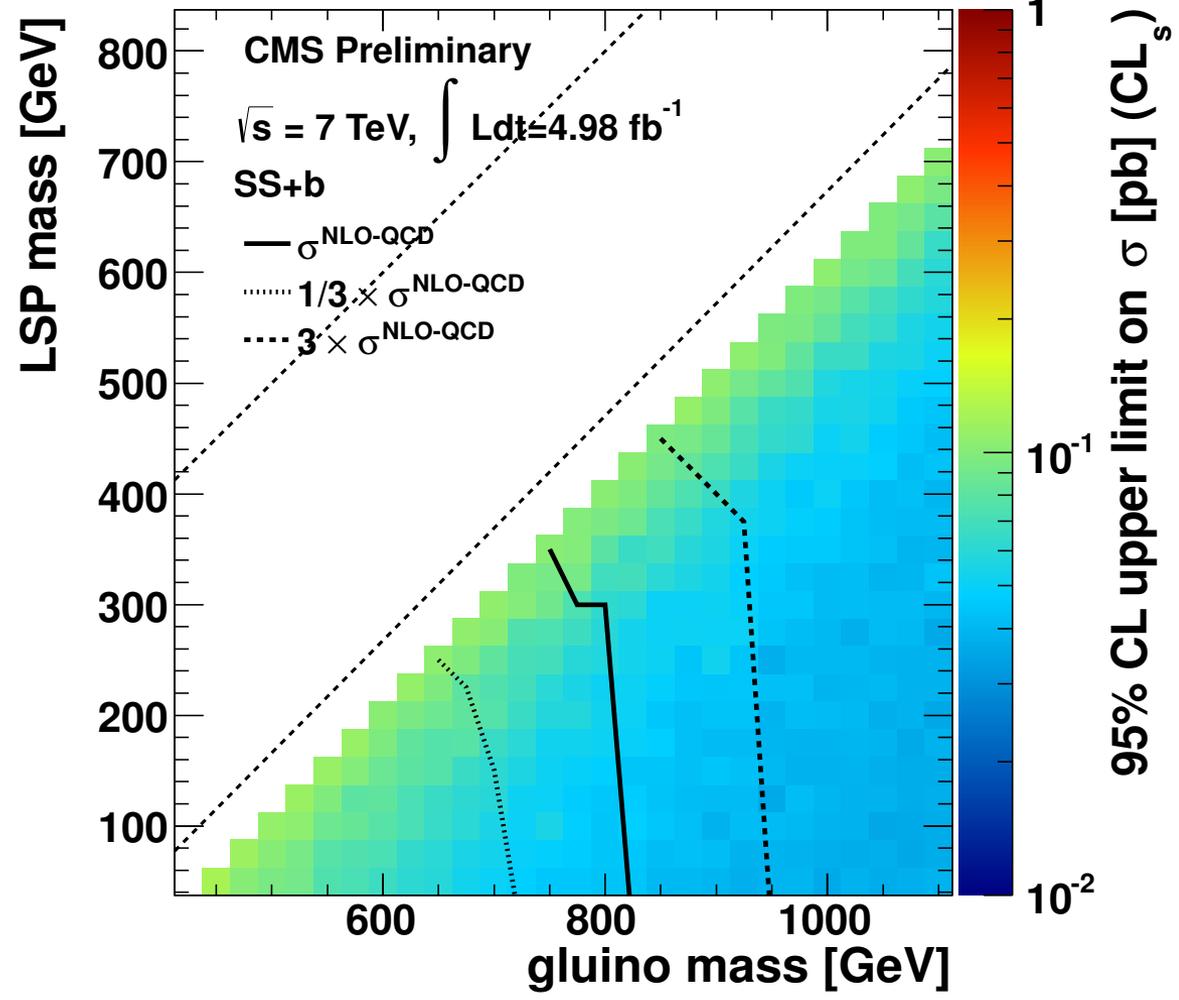


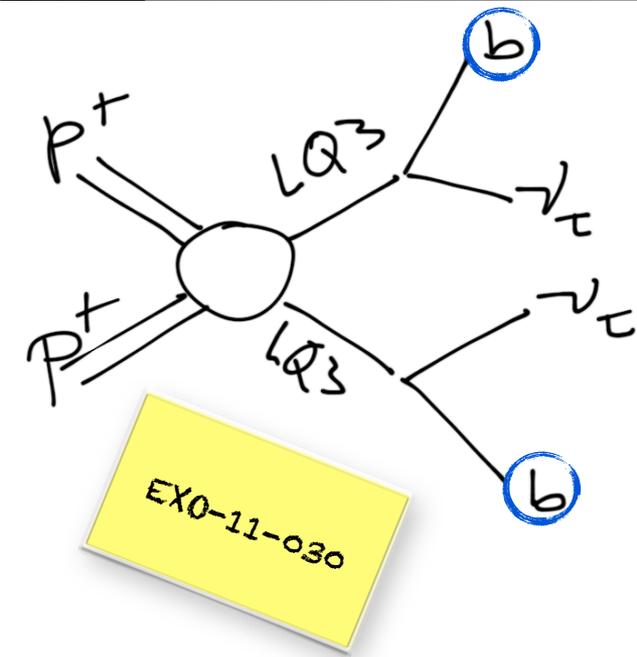
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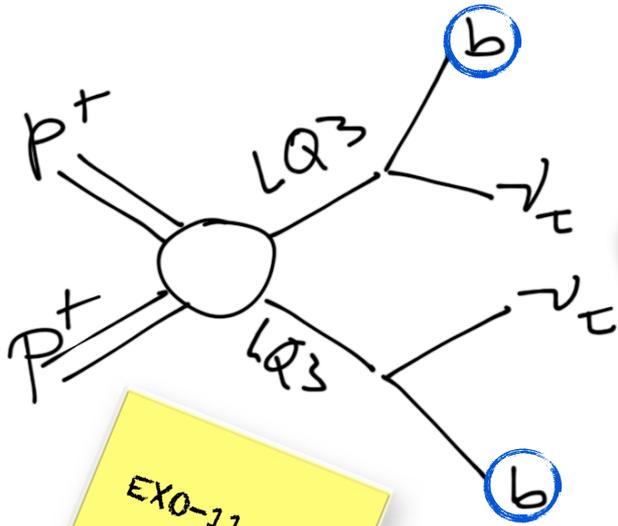


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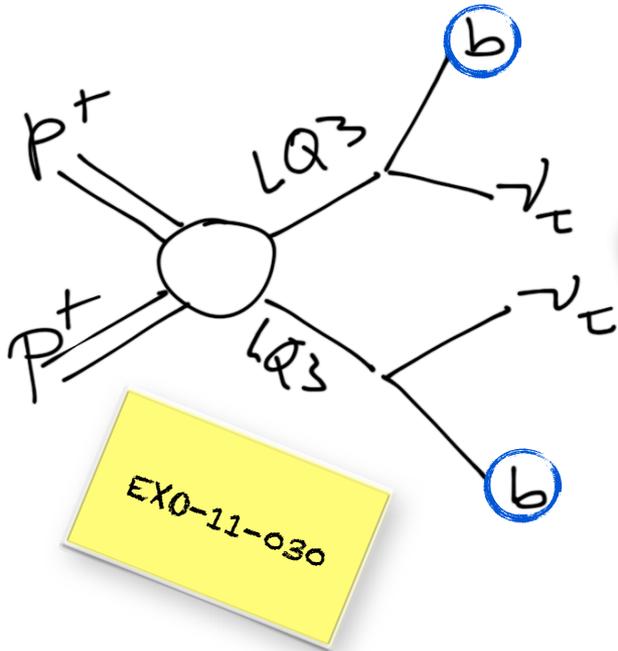




EXO-11-030

strategy

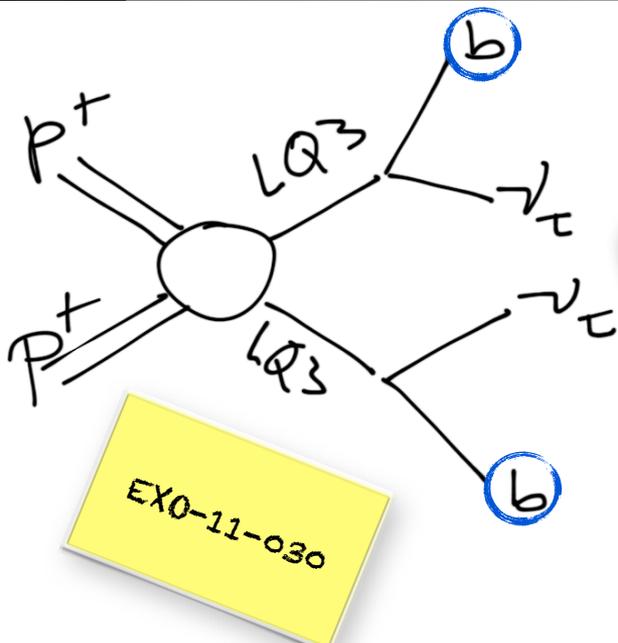
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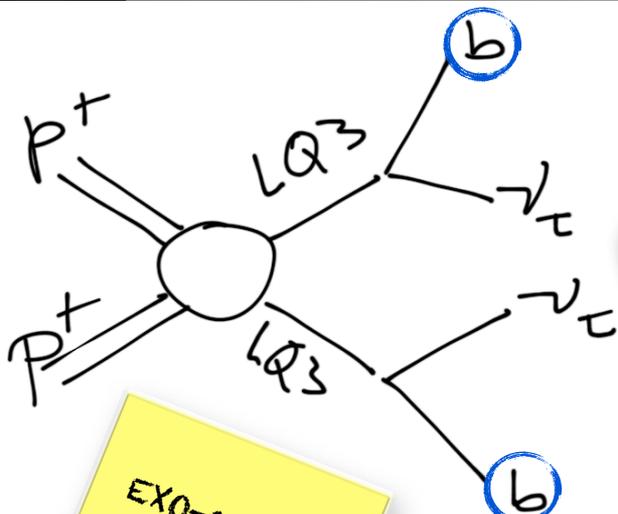


EXO-11-030

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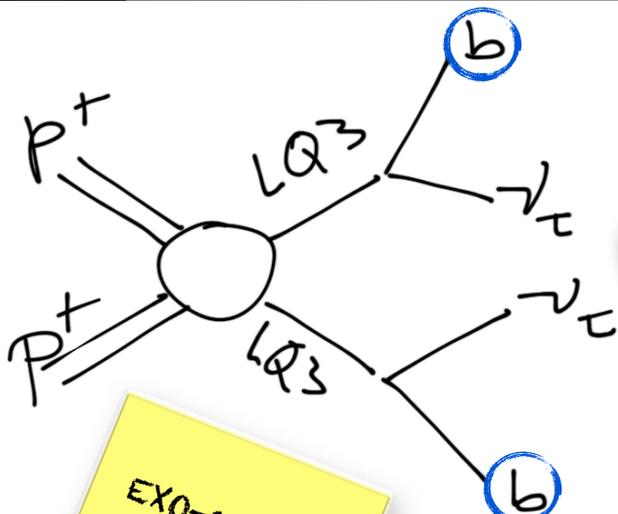
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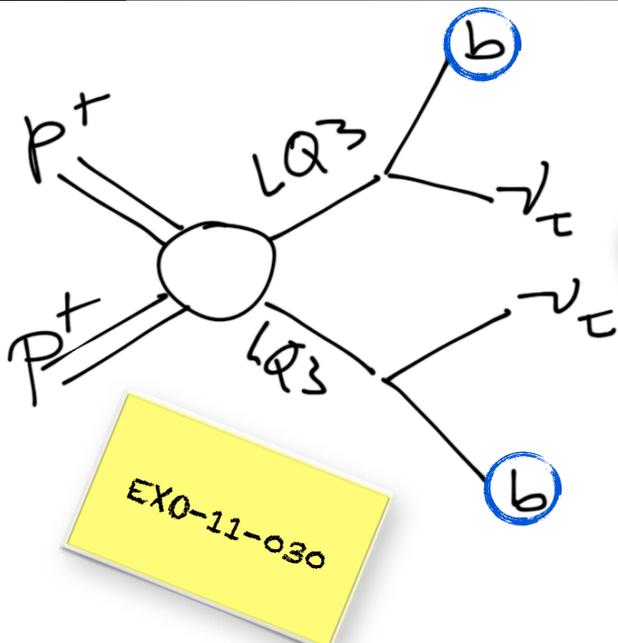
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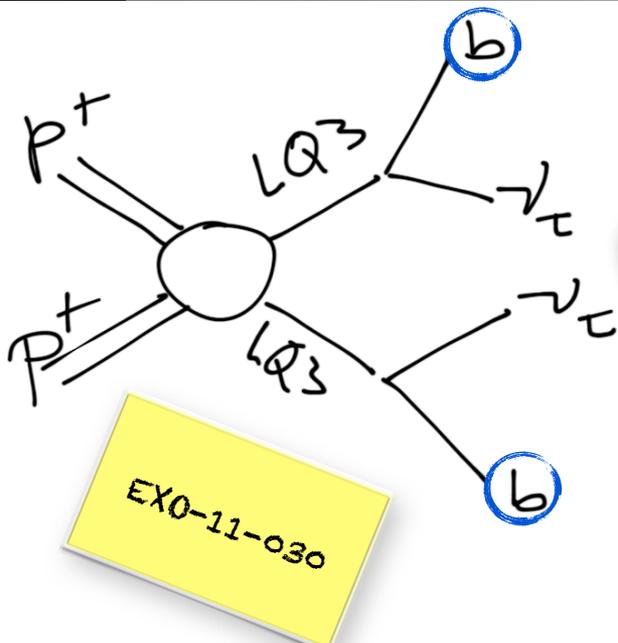
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$$R \equiv \frac{M_T^R}{M_R}$$



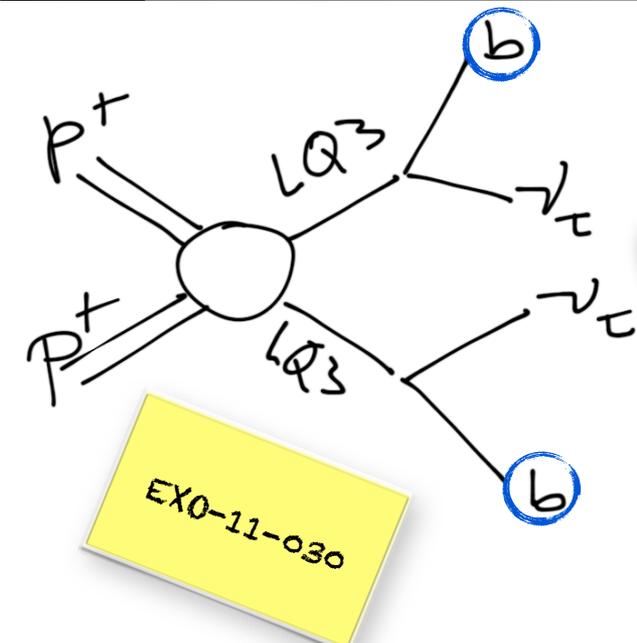
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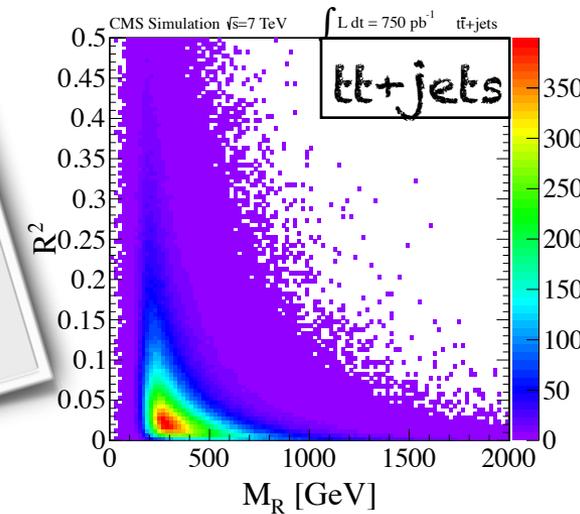
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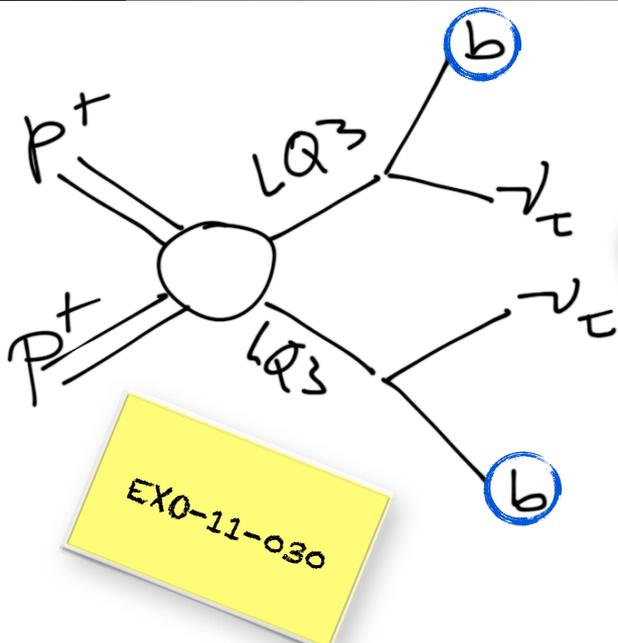


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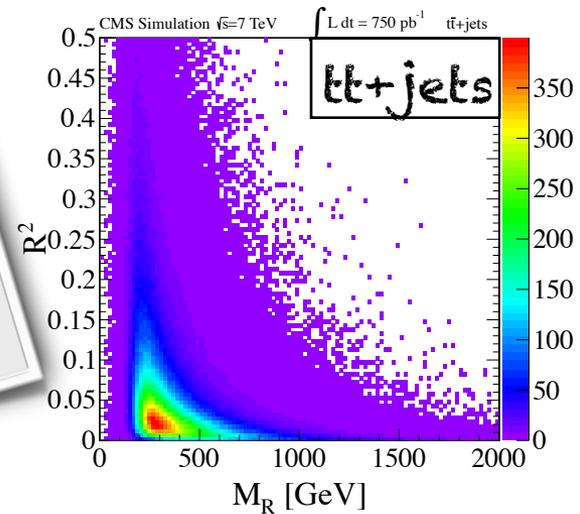
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3G Lepto-quarks



strategy

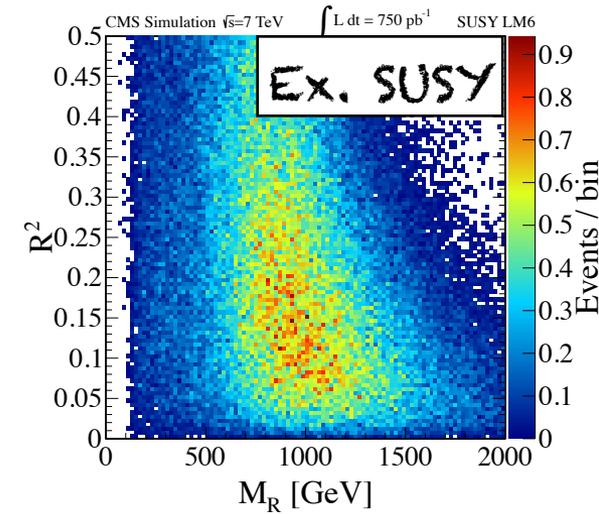
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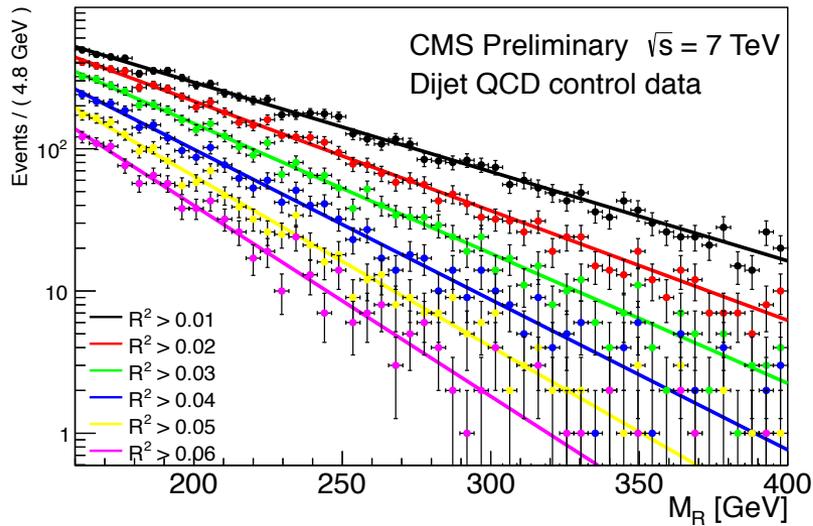
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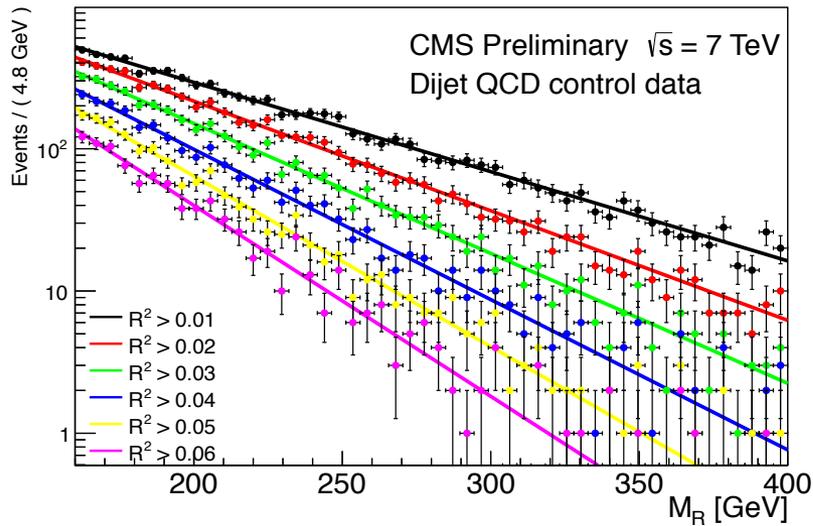


EXO-11-030



Search Strategy

- M_R observed to fall exponentially
- Background strategy
- fit exponential to data in Control Regions
- extrapolate into Signal Regions

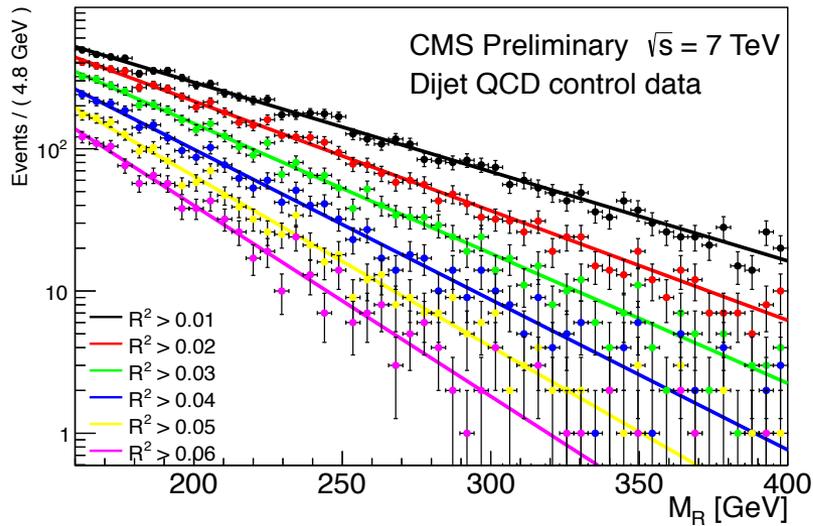


Basic Idea:

EXO-11-030

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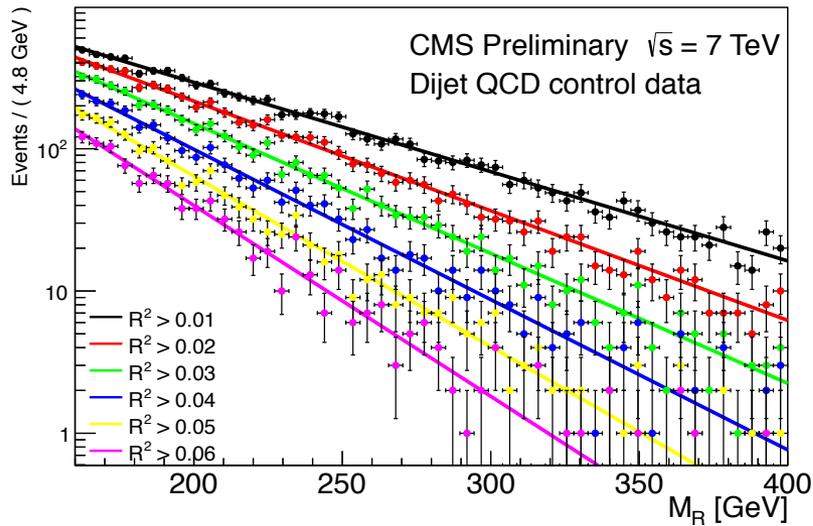
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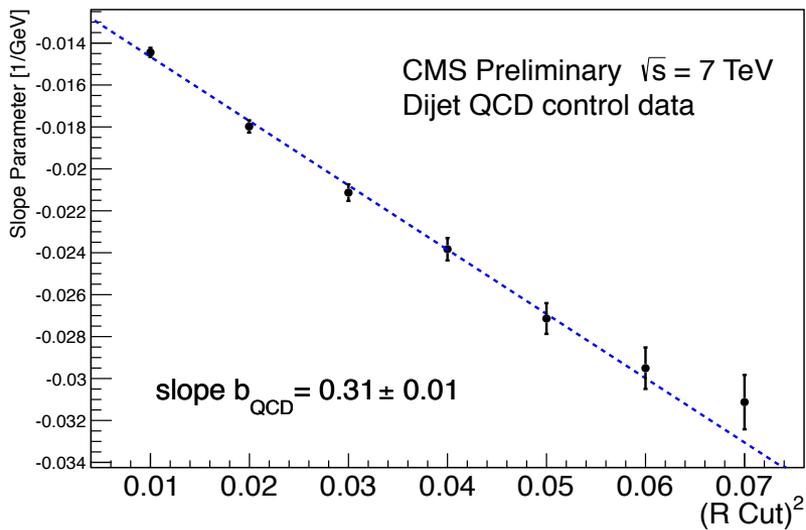
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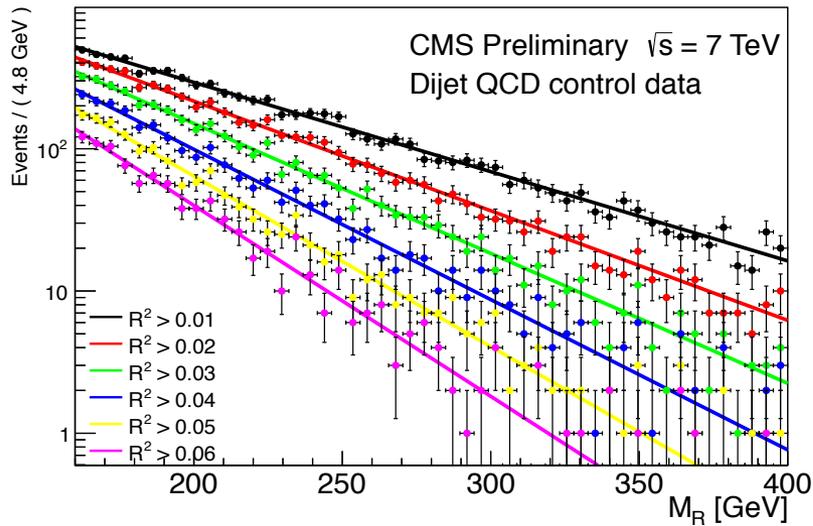
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EXO-11-030



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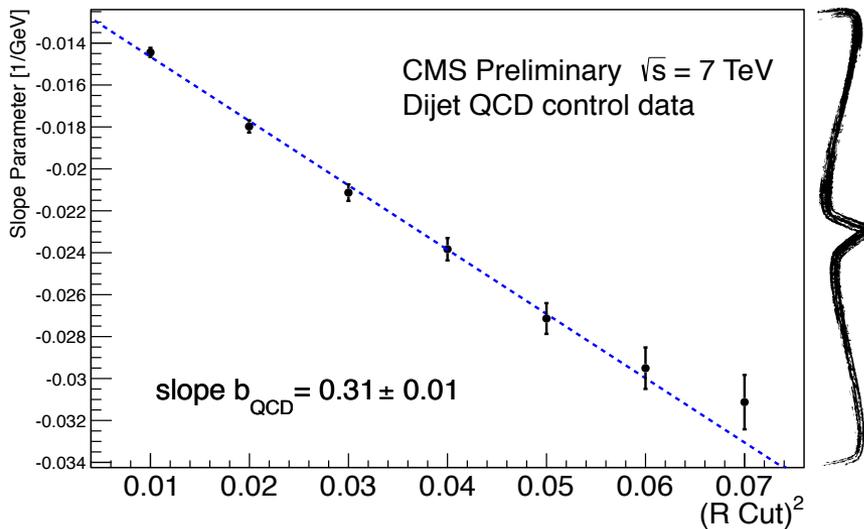
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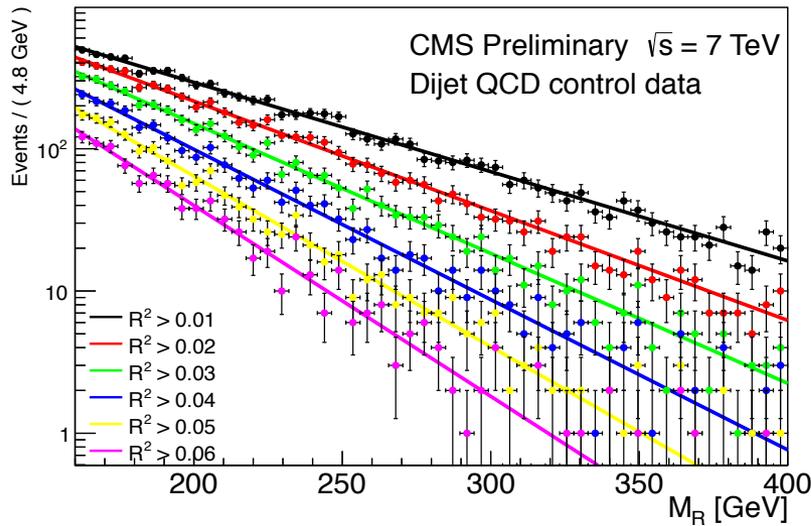
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EXO-11-030



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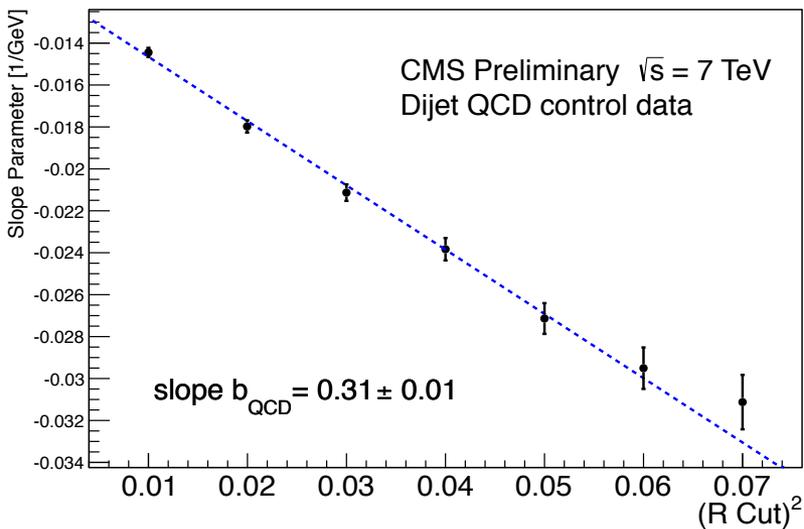
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EXO-11-030



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EXO-11-030

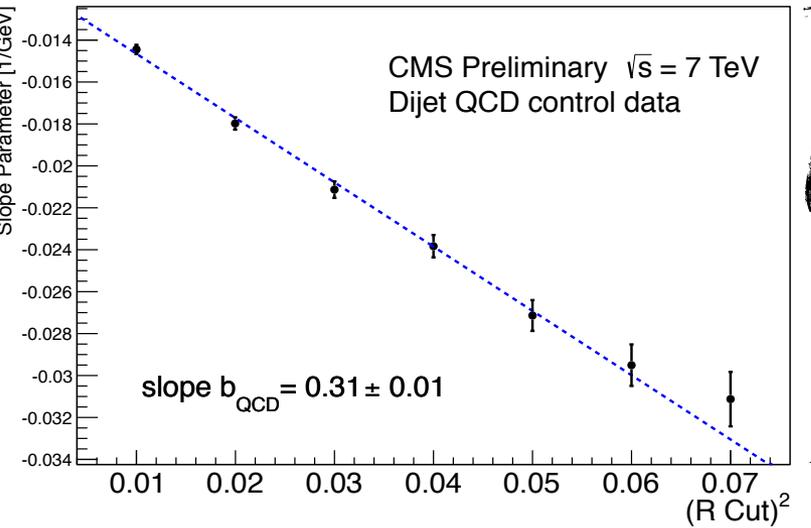
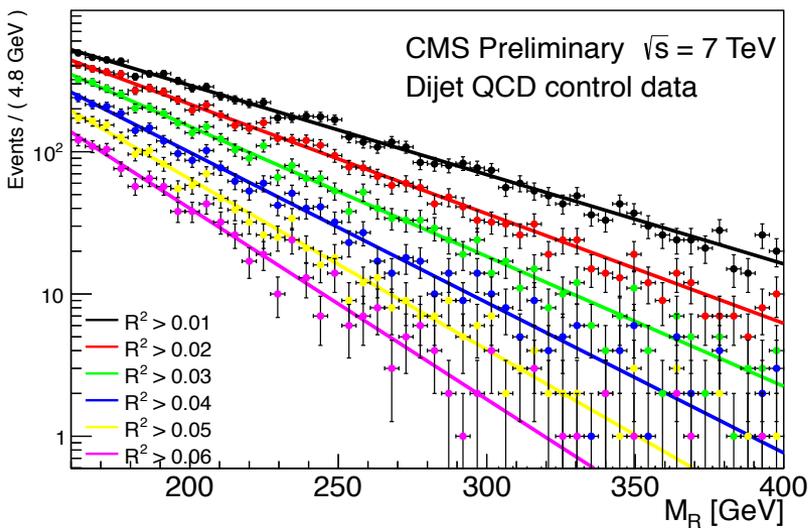
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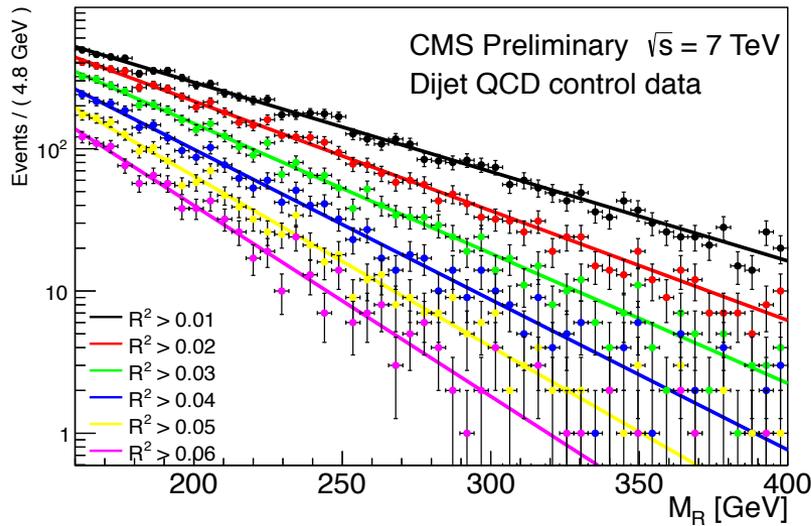
$$f(M_R) \propto \exp[-SM_R]$$

$$S = a + bR_{cut}^2$$

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- fit exponential to data in Control Regions
- extrapolate into Signal Regions



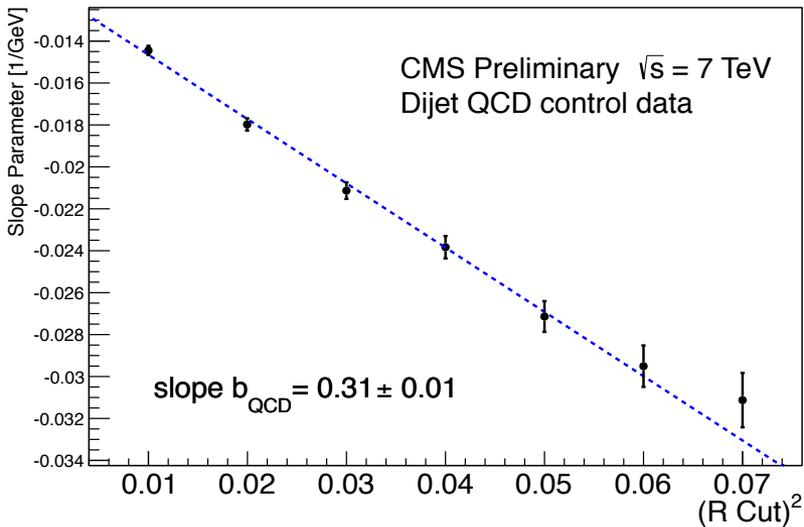


Basic Idea:

$$f(M_R) \propto \exp[-SM_R]$$

EXO-11-030

$$S = a + bR_{cut}^2$$



Search Strategy

- M_R observed to fall exponentially
- Background strategy
- fit exponential to data in Control Regions
- extrapolate into Signal Regions

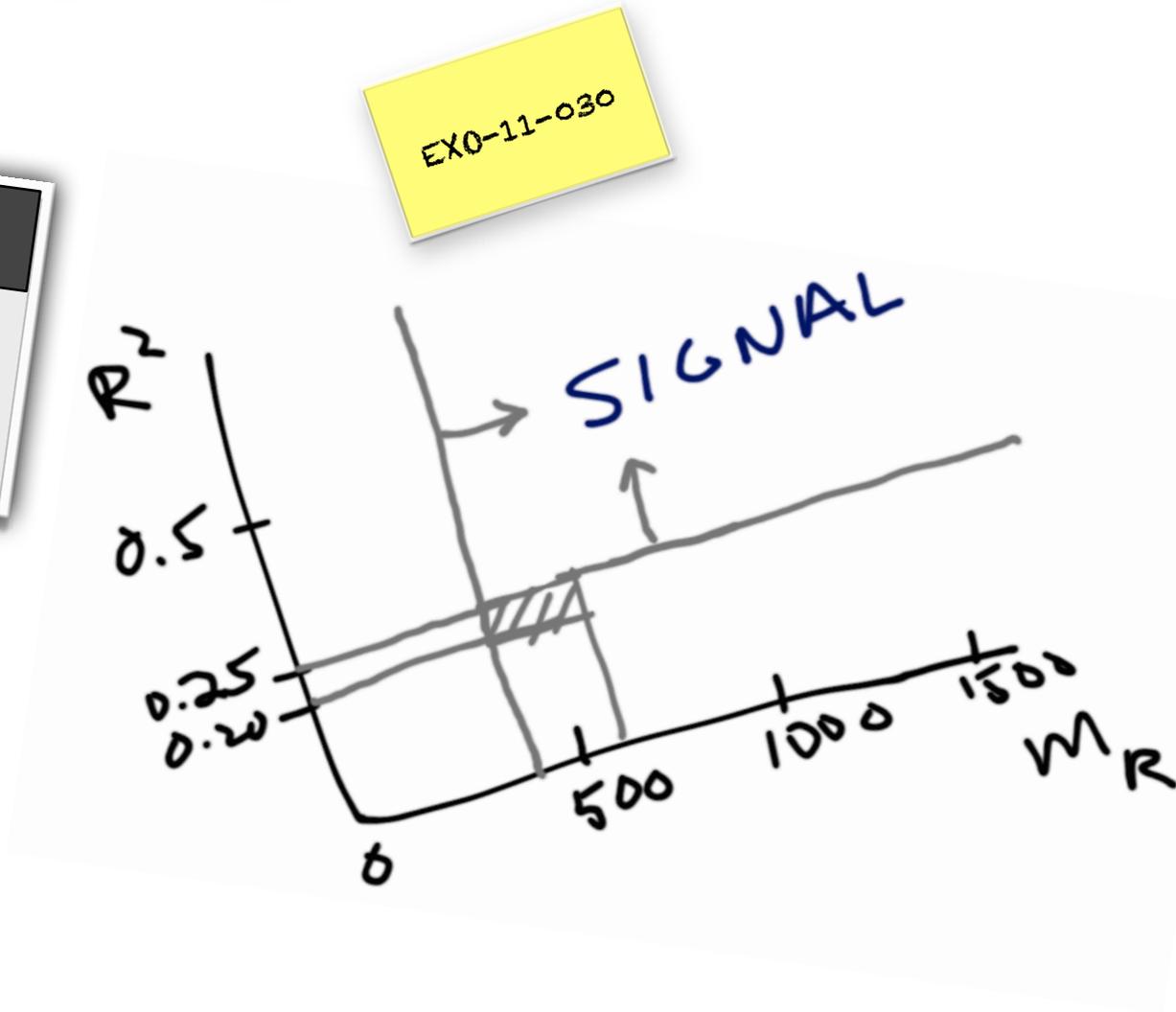
3G Lepto-quarks

EXO-11-030



EXO-11-030

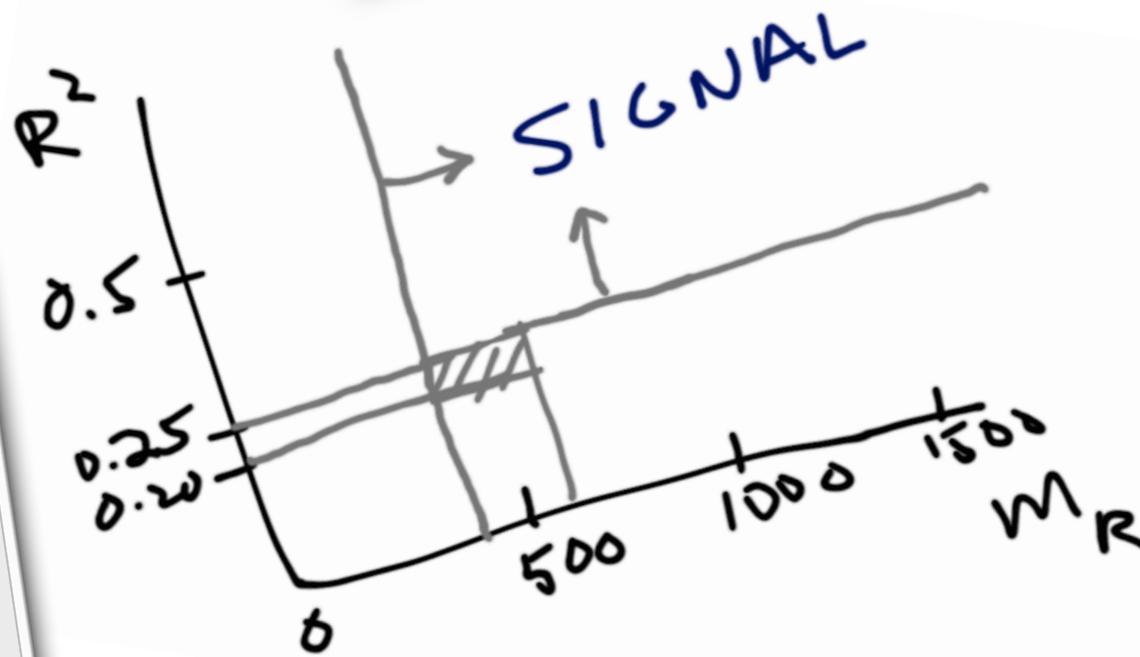
- ### Control Sidebands
- Lepton Sidebands (treat l as ν):
 - Electron Box: remove e veto
 - Muon Box: remove μ veto
 - $=1$ b-tag Sidebands



EXO-11-030

- ## Control Sidebands
- Lepton Sidebands (treat L as ν):
 - Electron Box: remove e veto
 - Muon Box: remove μ veto
 - ≥ 1 b-tag Sidebands

- ## Backgrounds
- $W/Z + b$ -jets
 - Shape: MC
 - Norm: SB in Hadron box; ≥ 1 b-tag SB
 - $t\bar{t} + \text{jets}$
 - Shape: tight Muon Box; ≥ 2 b-tag
 - Norm: tight Elect. Box; $= 1$ b-tag SB
 - QCD multi b-jets
 - Shape: loose Muon Box; $= 1$ b-tag SB
 - Norm: Hadron Box SB; $= 1$ b-tag SB

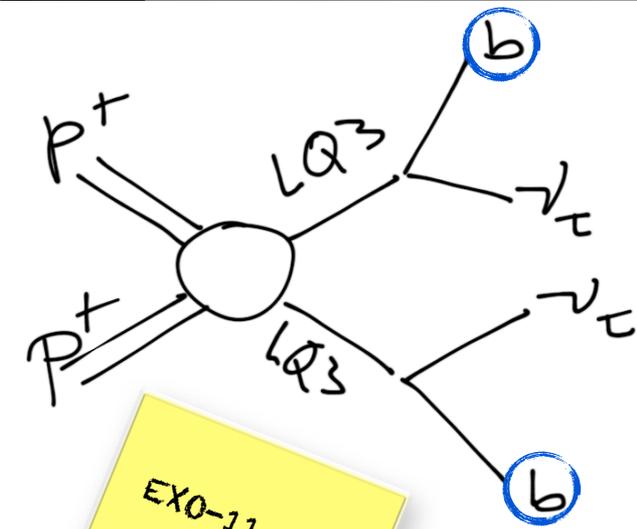


EXO-11-030

Backgrounds

- W/Z + b-jets
 - Shape: MC
 - Norm: SB in Hadron box; =1 b-tag SB
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 - Shape: tight Muon Box; ≥ 2 b-tag
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3G Lepto-quarks

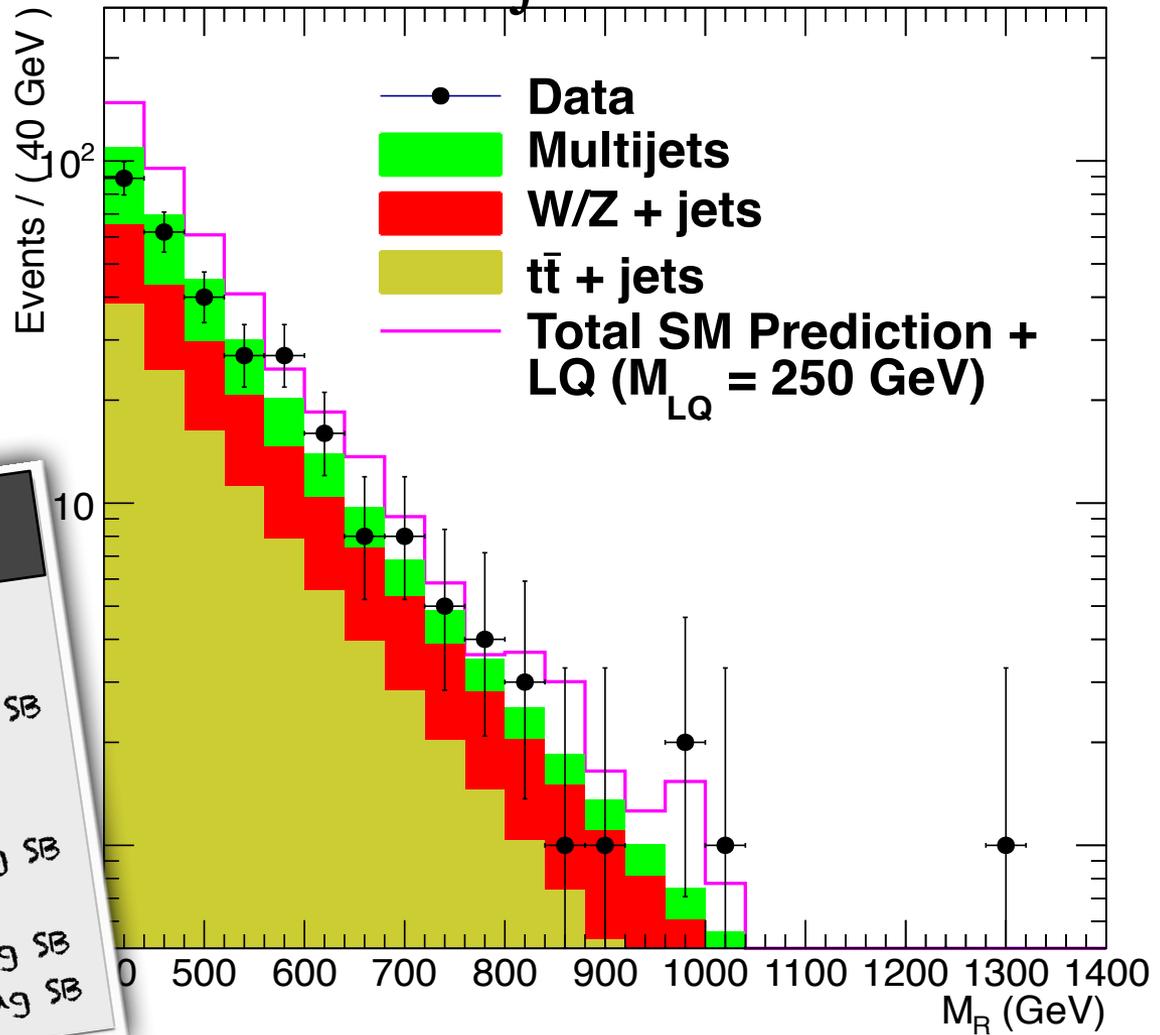


EXO-11-030

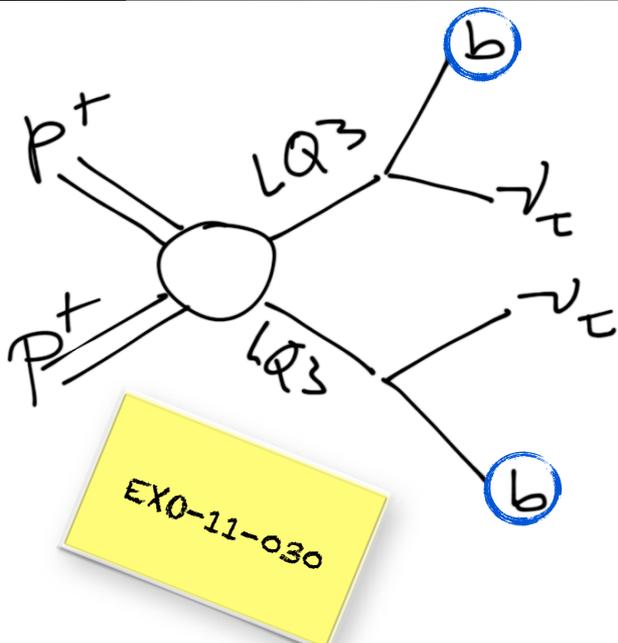
Backgrounds

- W/Z + b-jets
 - Shape: MC
 - Norm: SB in Hadron box; =1 b-tag SB
- ttbar + jets
 - Shape: tight Muon Box; =2 b-tag
 - Norm: tight Elect. Box; =1 b-tag SB
- QCD multi b-jets
 - Shape: loose Muon Box; =1 b-tag SB
 - Norm: Hadron Box SB; =1 b-tag SB

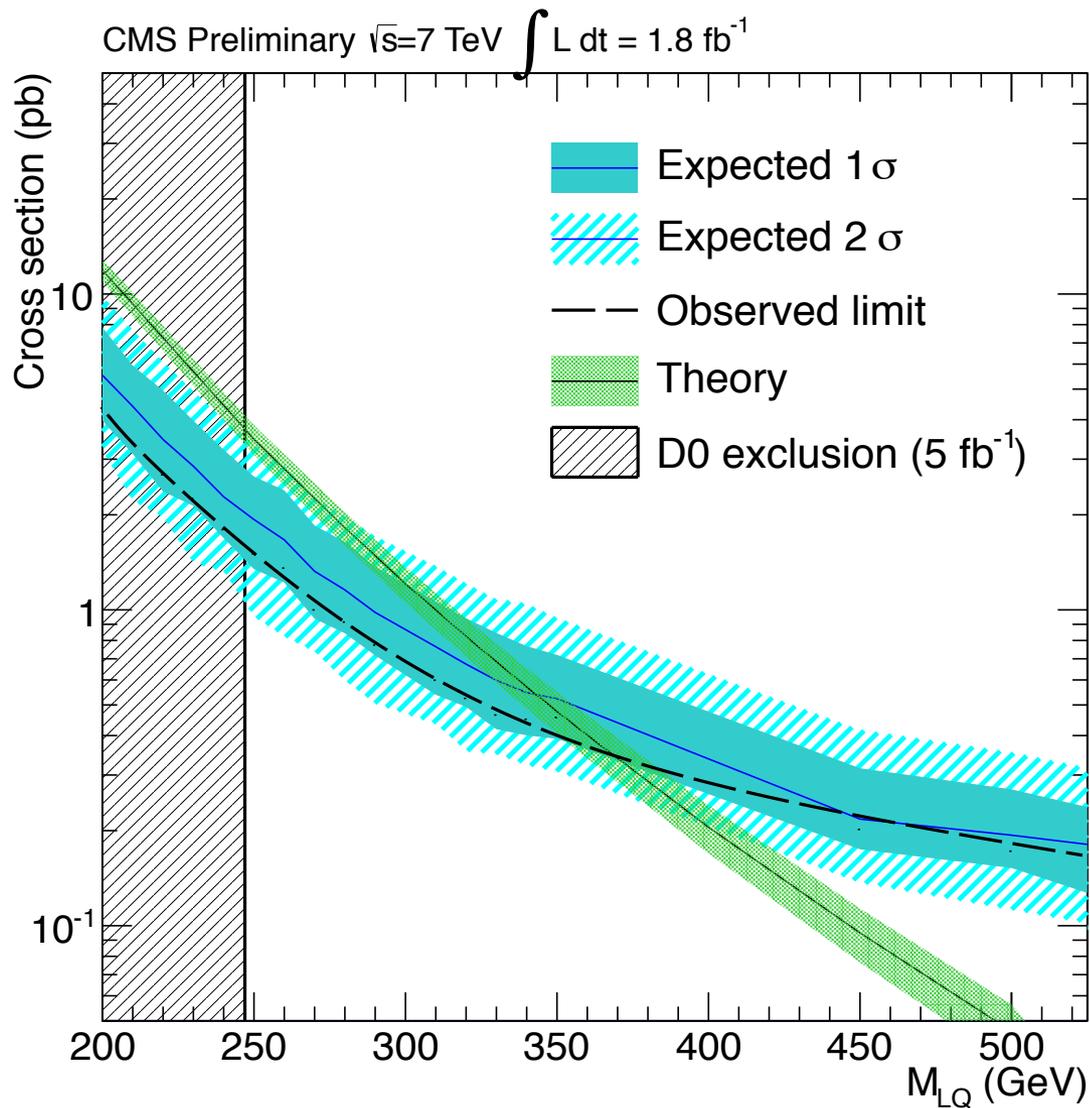
CMS Preliminary $\sqrt{s}=7$ TeV $\int L dt = 1.8 \text{ fb}^{-1}$



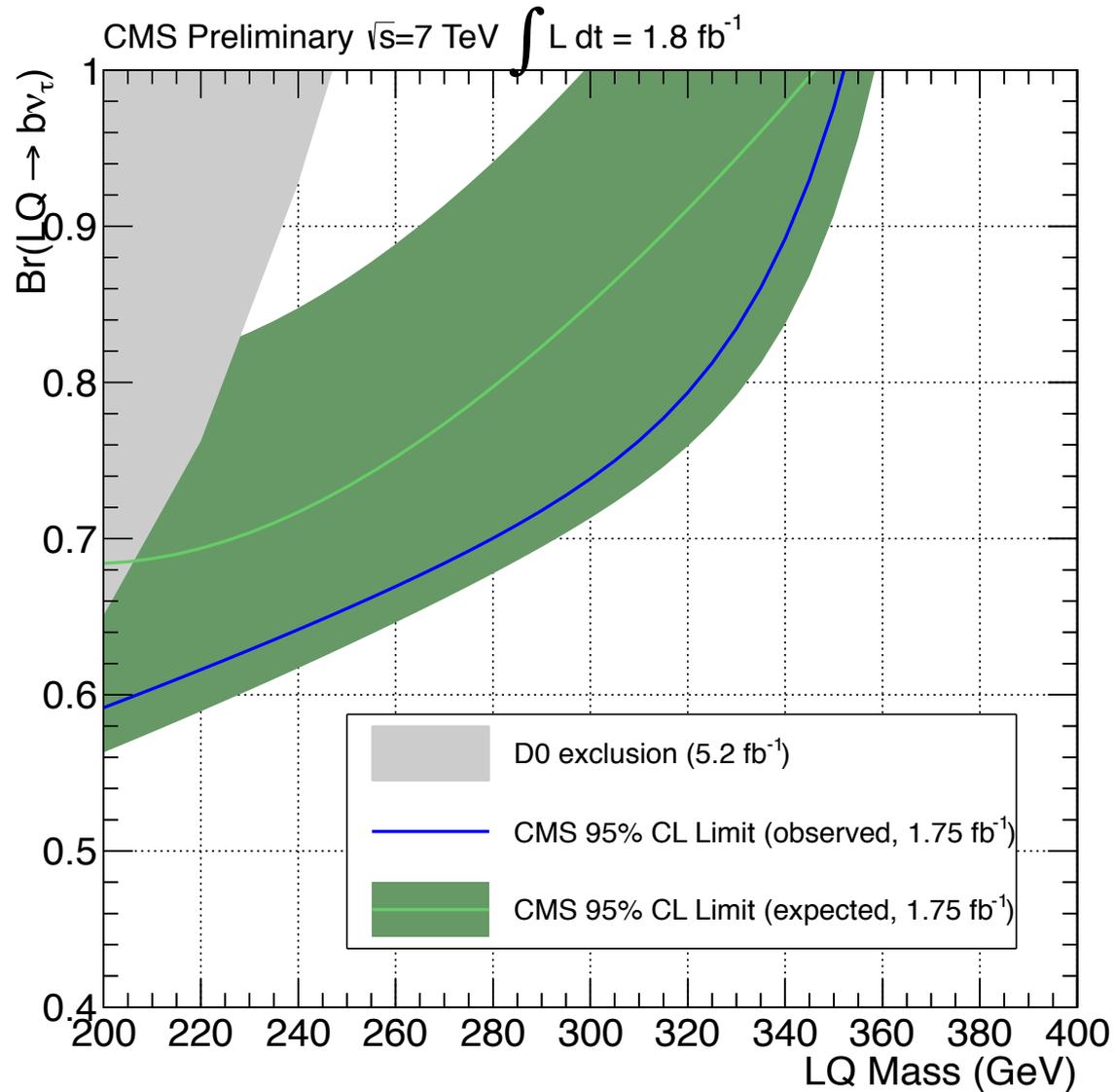
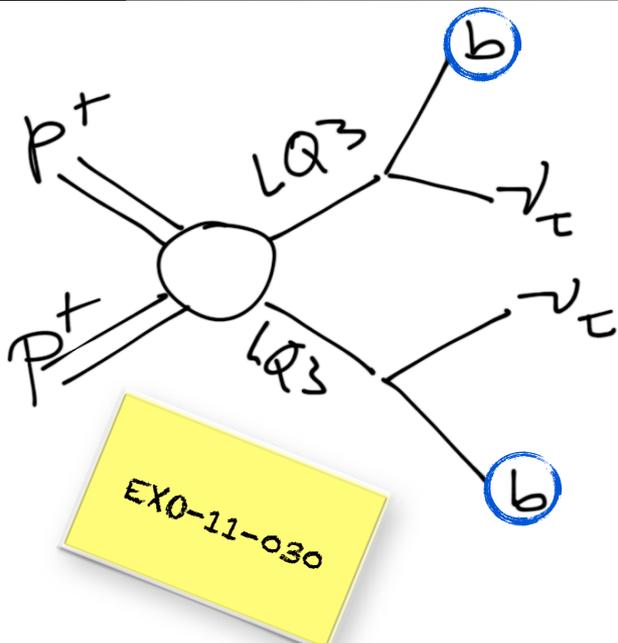
3G Lepto-quarks

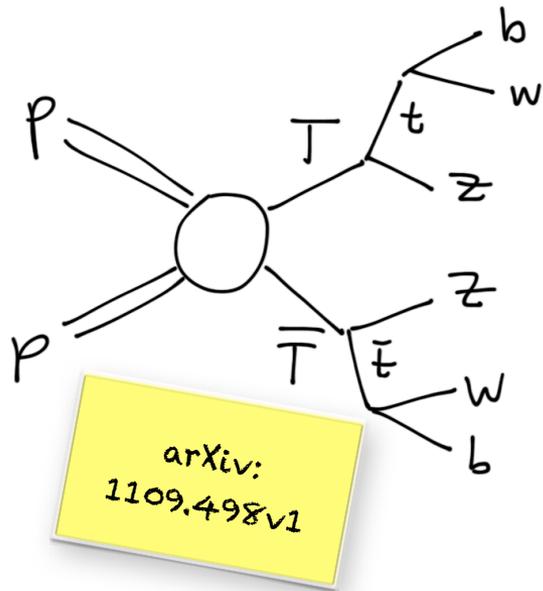


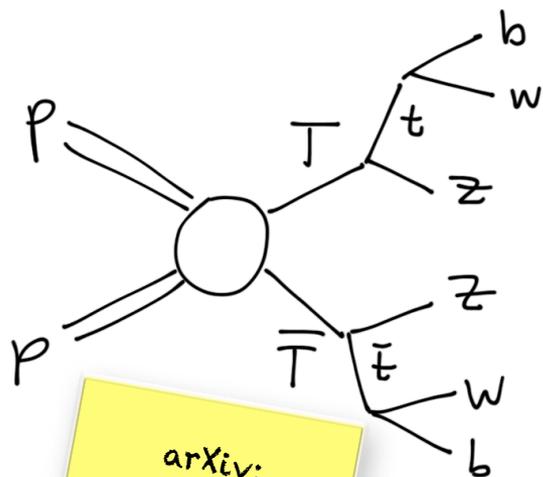
EXO-11-030



3G Lepto-quarks



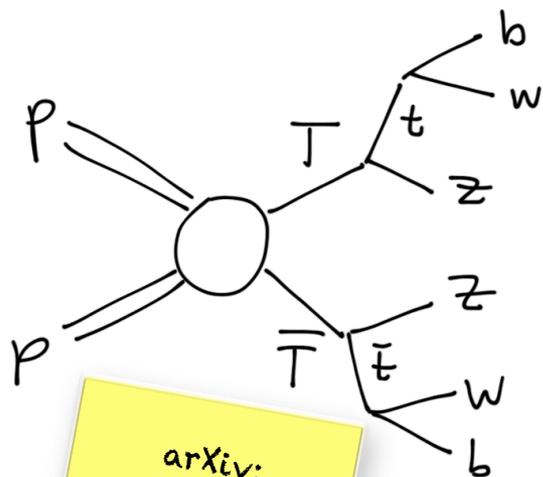




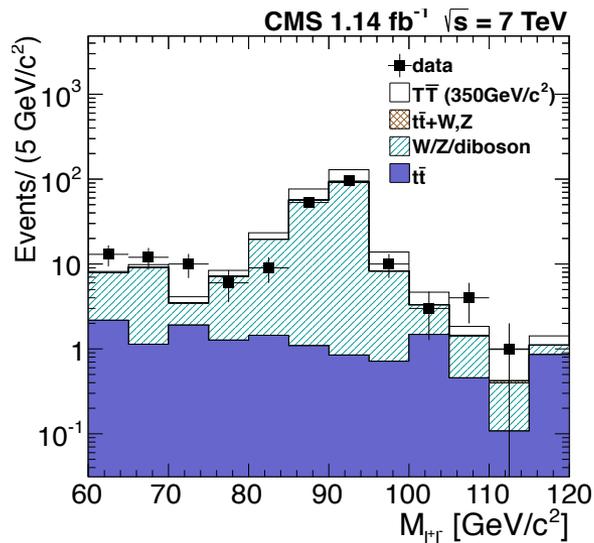
arXiv:
1109.498v1

Strategy

- Search for FCNC decay $T \rightarrow tZ \rightarrow tll$:
- Clean dilepton signature
- Require:
 - 3 SF leptons
 - 2 OS leptons with M_Z
- No b-tag requirement

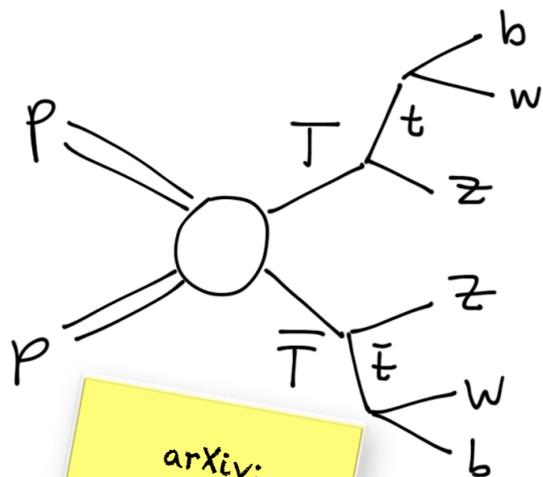


arXiv:
1109.498v1



Strategy

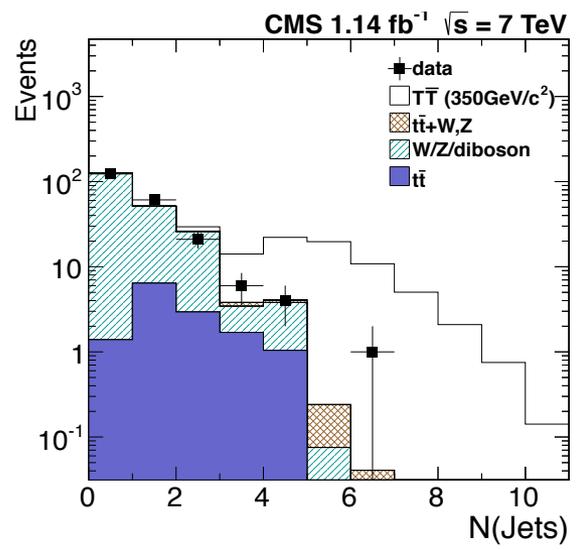
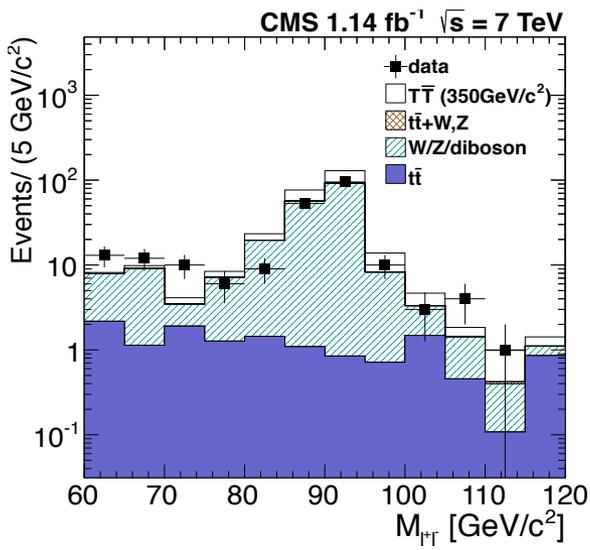
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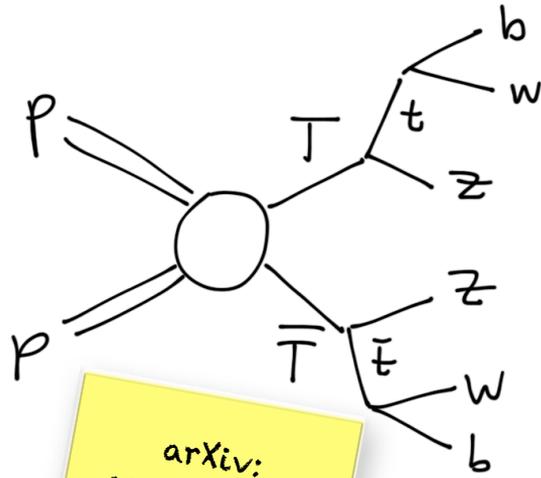


arXiv:
1109.498v1

Strategy

- Search for FCNC decay $T \rightarrow tZ \rightarrow tll$:
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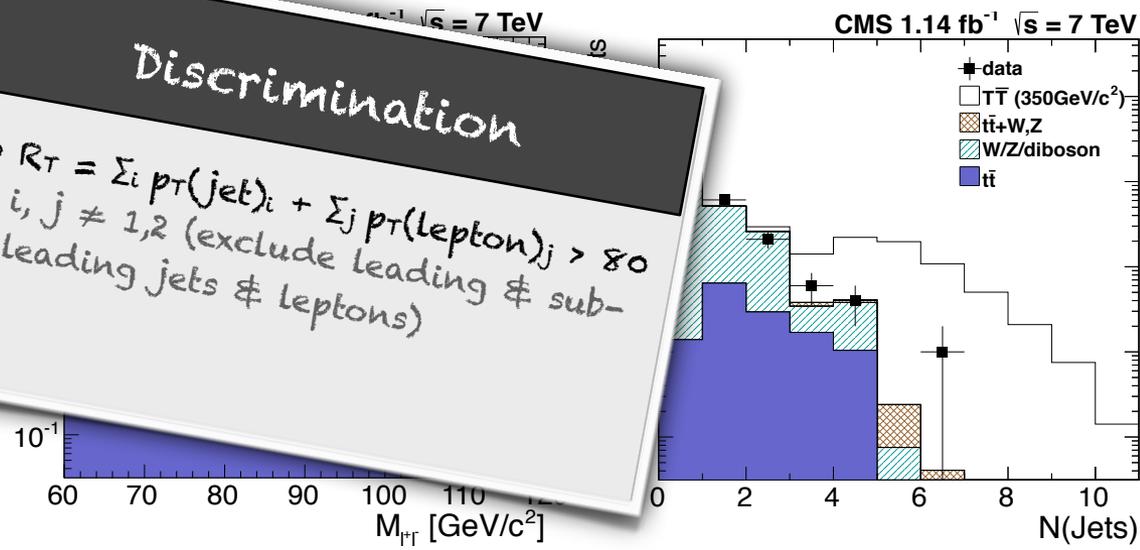




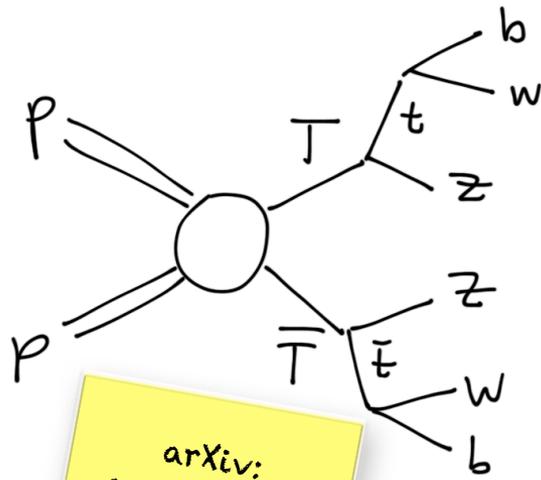
arXiv:
1109.498v1

Discrimination

$R_T = \sum_i p_T(\text{jet})_i + \sum_j p_T(\text{lepton})_j > 80$
 $i, j \neq 1, 2$ (exclude leading & sub-leading jets & leptons)



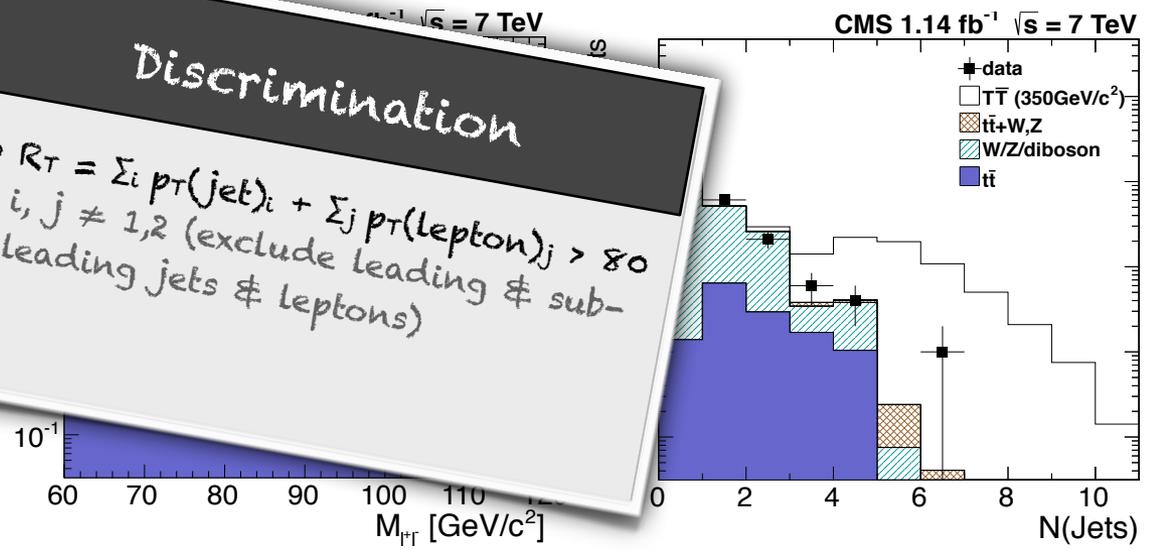
- ## Strategy
- Search for FCNC decay $T \rightarrow tZ \rightarrow tll$:
 - Clean dilepton signature
 - Require:
 - 3 SF leptons
 - 2 OS leptons with M_z
 - No b-tag requirement



arXiv:
1109.498v1

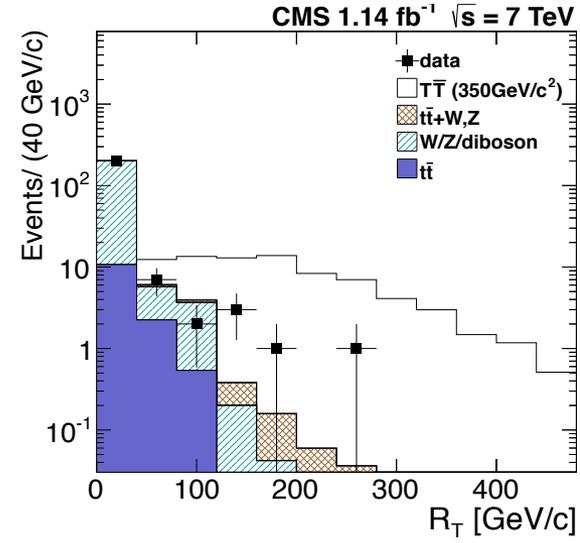
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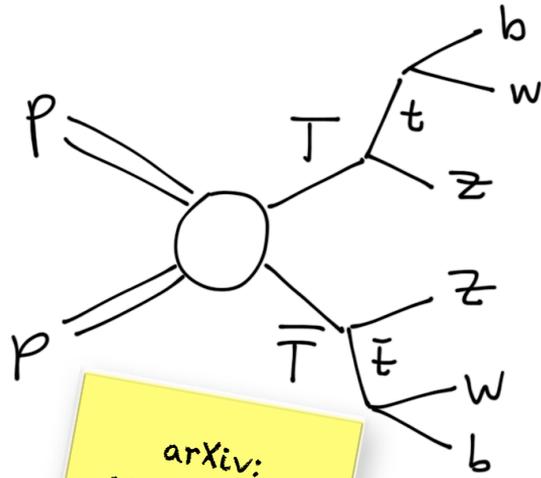


Strategy

- Search for FCNC decay $T \rightarrow tZ \rightarrow tll$:
- Clean dilepton signature
- Require:
 - 3 SF leptons
 - 2 OS leptons with M_Z
 - No b-tag requirement



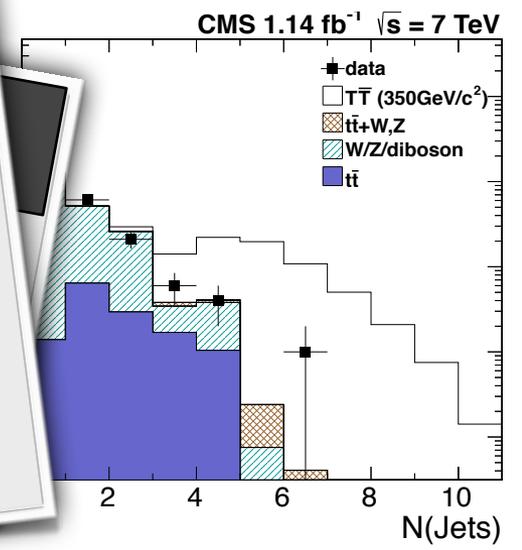
Vector-like T



arXiv:
1109.498v1

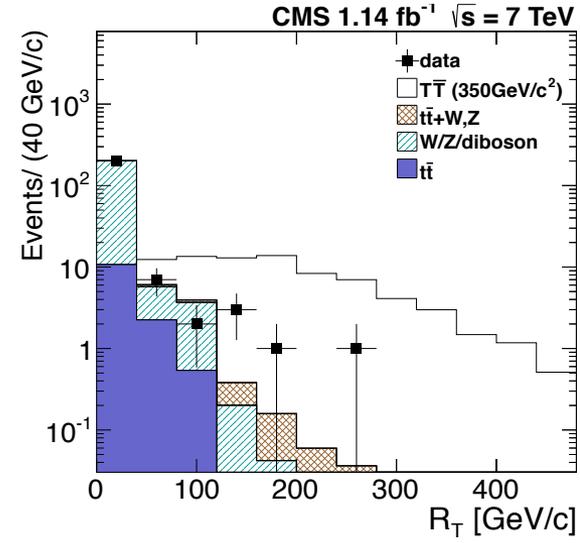
Backgrounds

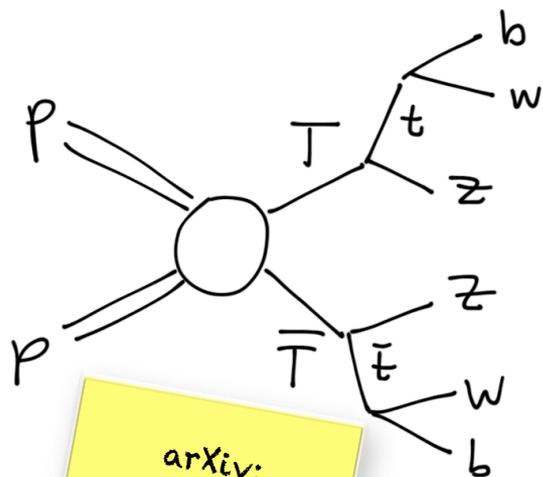
- Main remaining:
 - 2 prompt + 1 fake lepton
 - reducible: ttbar, W/Z/diboson
 - use tight-loose ratio method
- 3 prompt leptons
 - irreducible: ttZ, etc
 - taken from simulation



Strategy

- Search for FCNC decay $T \rightarrow tZ \rightarrow tll$:
- Clean dilepton signature
- Require:
 - 3 SF leptons
 - 2 OS leptons with M_Z
 - No b-tag requirement

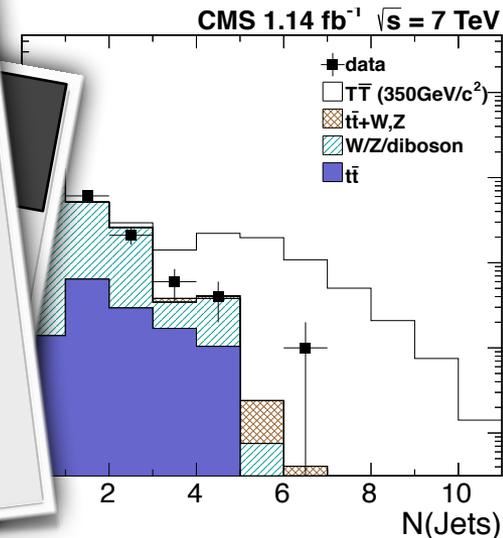




arXiv:
1109.498v1

Backgrounds

- Main remaining:
 - 2 prompt + 1 fake lepton
 - reducible: ttbar, W/Z/diboson
 - use tight-loose ratio method
- 3 prompt leptons
 - irreducible: ttZ, etc
 - taken from simulation

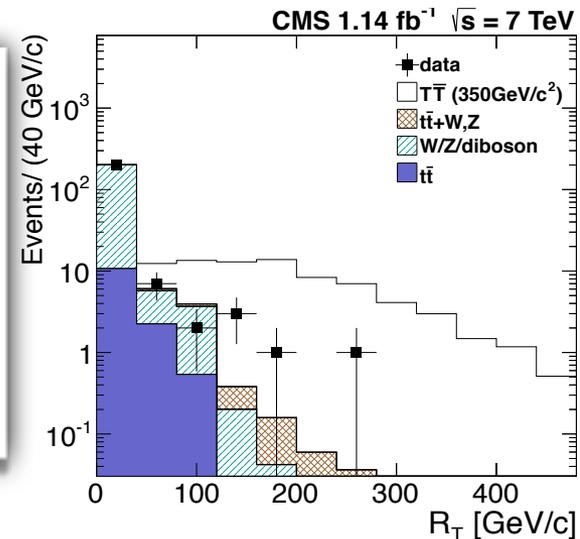


Strategy

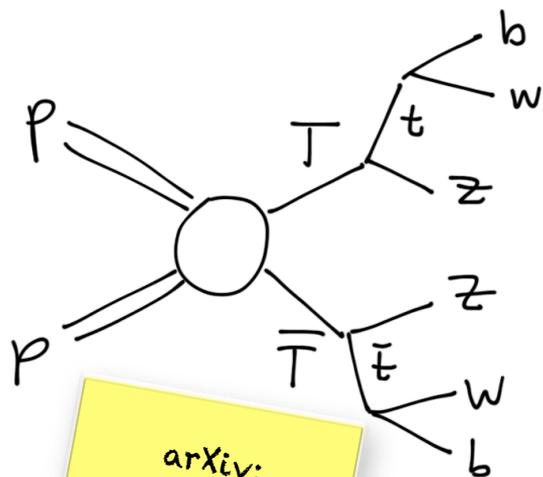
- Search for FCNC decays $T \rightarrow tZ \rightarrow tll$:
- Clean dilepton signal
- Require:
 - 3 SF leptons
 - 2 OS leptons with $M_{ll} > 10$ GeV
 - No b-tag requirement

Results

Channel	eee	ee μ	$\mu\mu e$	$\mu\mu\mu$	Total
$B_{2\ell}$	$0.2^{+0.3}_{-0.2}$	0.8 ± 0.5	0.9 ± 0.4	1.1 ± 0.5	3.0 ± 0.8
$B_{3\ell}$	0.3 ± 0.1	0.3 ± 0.1	0.5 ± 0.2	0.5 ± 0.2	1.6 ± 0.5
B_{total}	0.5 ± 0.3	1.1 ± 0.5	1.4 ± 0.5	1.7 ± 0.6	4.6 ± 1.0
Data	0	2	2	3	7



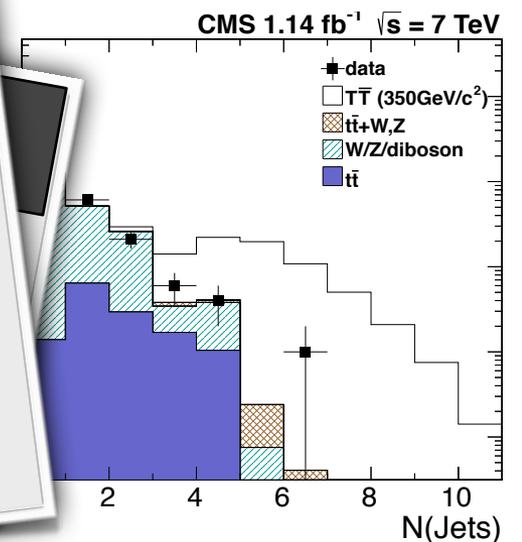
Vector-like T



arXiv:
1109.498v1

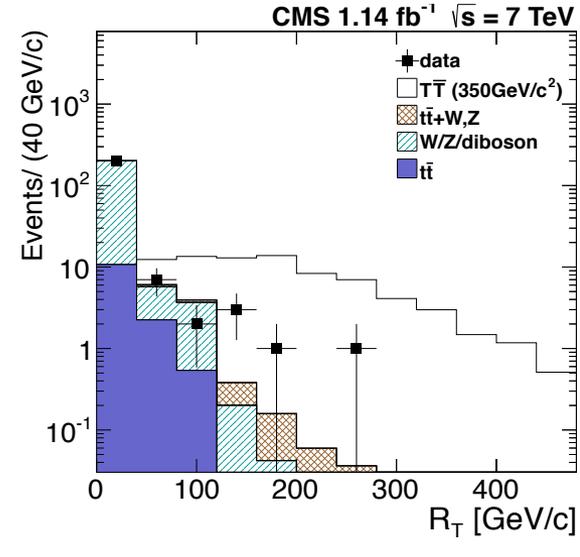
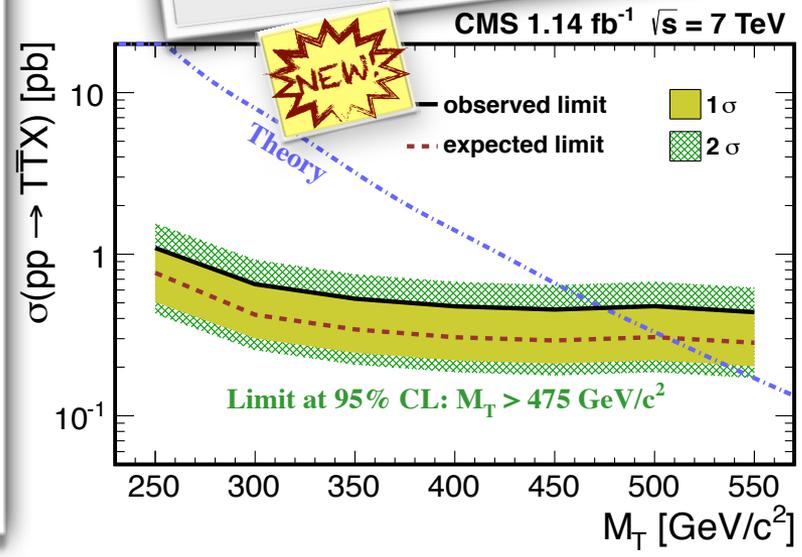
Backgrounds

- Main remaining:
 - 2 prompt + 1 fake lepton
 - reducible: $t\bar{t}$, W/Z/diboson
 - use tight-loose ratio method
- 3 prompt leptons
 - irreducible: $t\bar{t}Z$, etc
 - taken from simulation



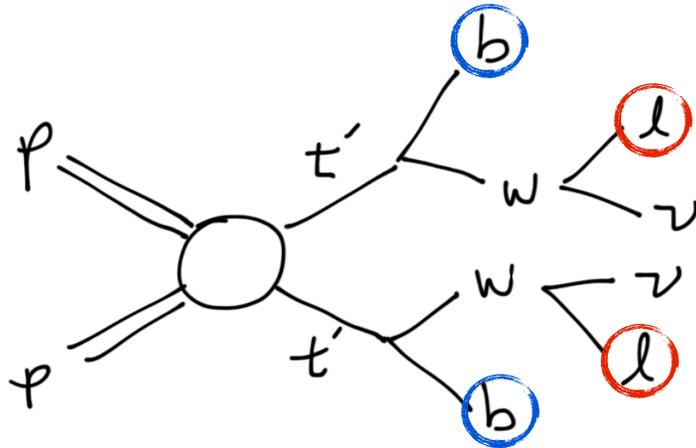
Strategy

- Search for FCNC decay $T \rightarrow tZ \rightarrow t\ell\ell$:
- Clean dilepton signature
- Require:
 - 3 SF leptons
 - 2 OS leptons with M_Z
 - No b-tag requirement

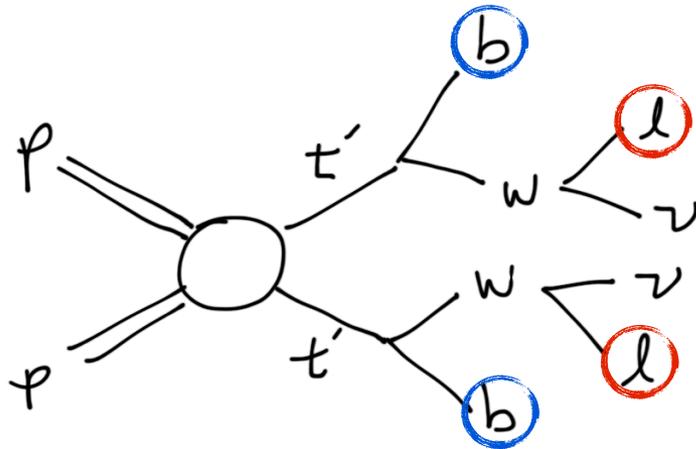


t' to dileptons

arXiv:
1203.5410v1



t' to dileptons



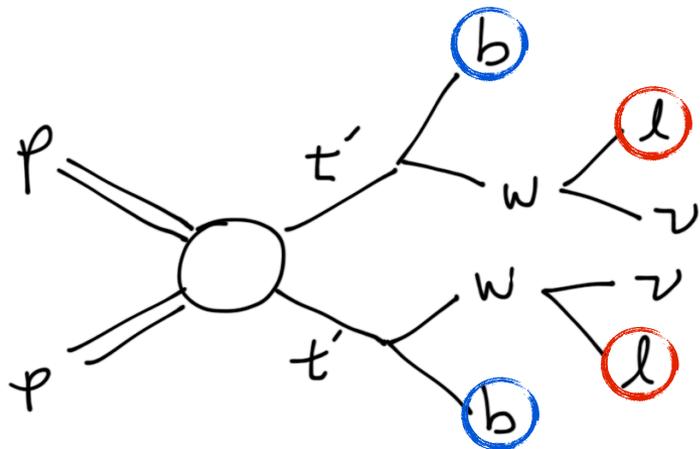
arXiv:
1203.5410v1

Strategy

- EWK precision constraints: $M_{t'} < M_{b'} + M_W$
- Require
 - 2 OS leptons
 - 2 b-tagged jets
- Main discriminator:
 - minimum of four M_{lb} combinations

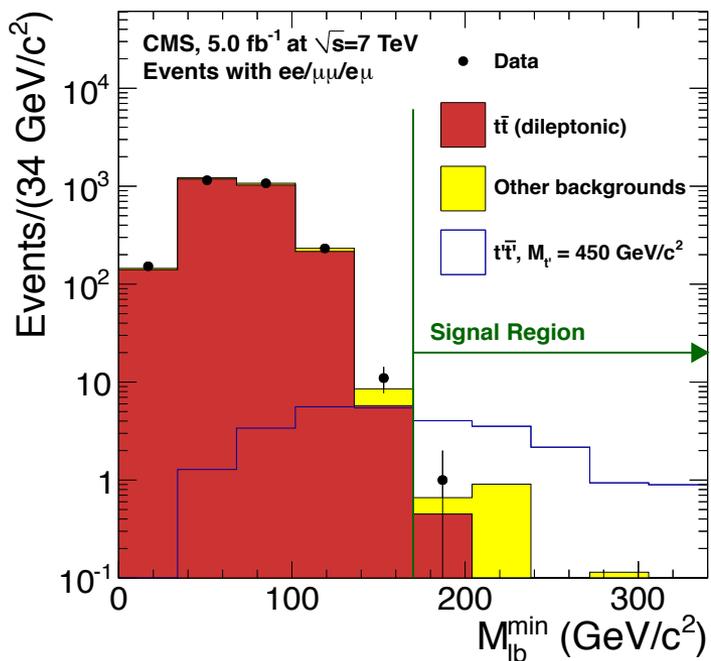
t' to dileptons

arXiv:
1203.5410v1

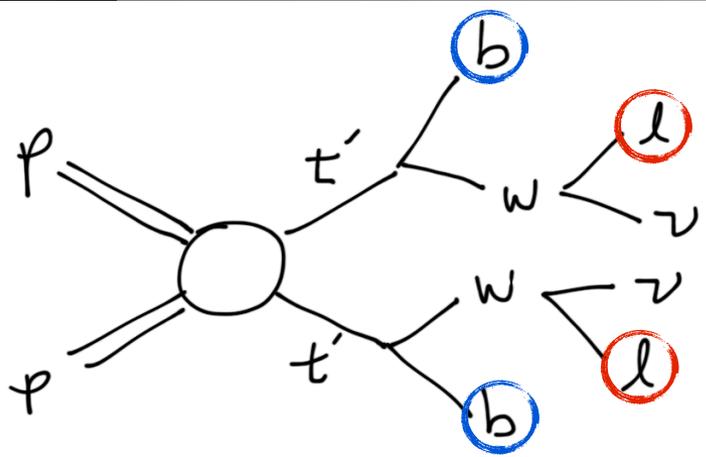


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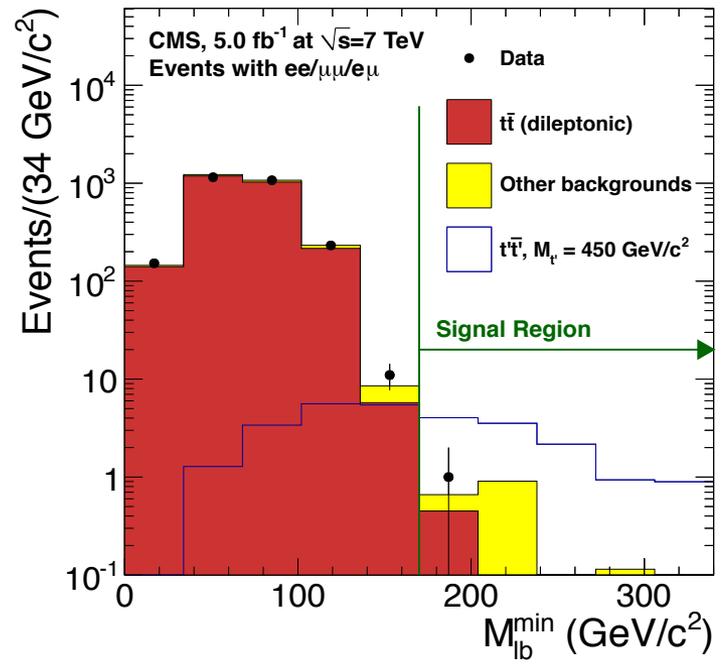


arXiv:
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Strategy

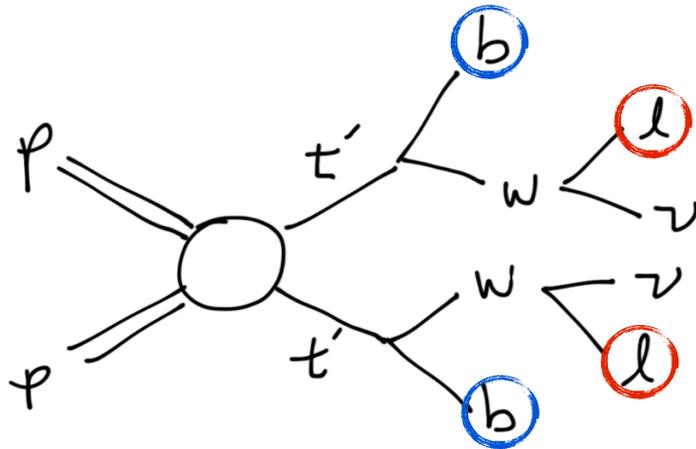
- EWK precision constraints: $M_{t'} < M_{b'} + M_W$
- Require
 - 2 OS leptons
 - 2 b-tagged jets
- Main discriminator:
 - minimum of four M_{lb} combinations



Backgrounds

- Category I: 2 prompt leptons, ≥ 1 mis-tag b-jet(s)
- Category II: ≥ 1 fake leptons, 2 real b-jets
- Category III: 2 prompt leptons, 2 real b-jets
- Category IV: ≥ 1 fake leptons, ≥ 1 mis-tag b-jet(s)
- negligible

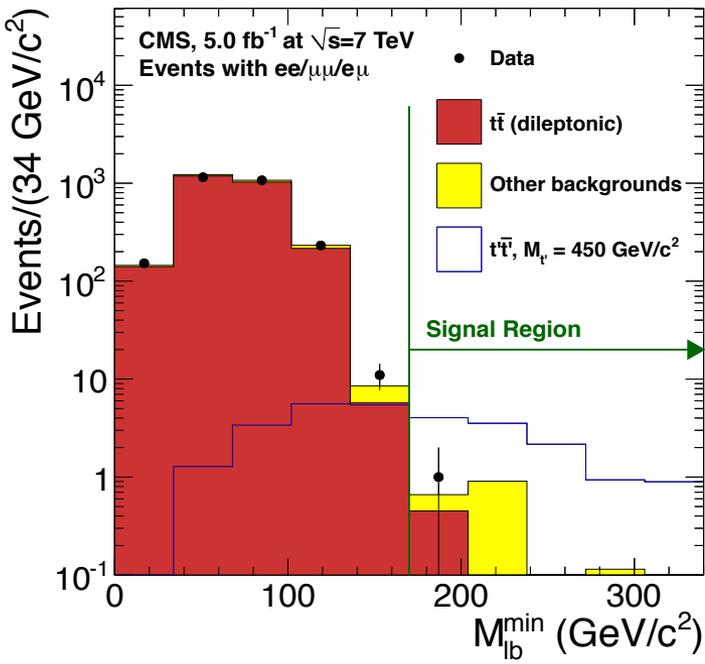
t' to dileptons



arXiv:
1203.5410v1

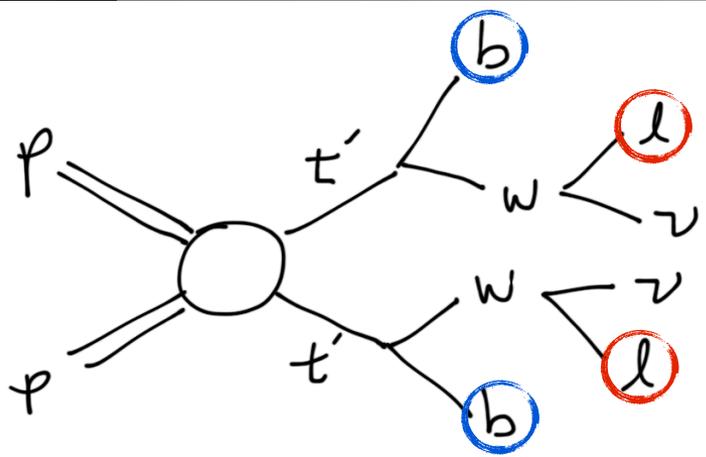
Results

Sample	Yield
Category I (from data)	0.7 ± 0.8
Category II (from data)	$0.0^{+0.4}_{-0.0}$
Category III (simulated)	1.0 ± 0.7
Total prediction	1.8 ± 1.1
Data	1



- ### Backgrounds
- Category I: 2 prompt leptons, ≥ 1 mis-tag b-jet(s), 2 real b-jets
 - Category II: ≥ 1 fake leptons, 2 real b-jets
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 - Category IV: ≥ 1 fake leptons, ≥ 1 mis-tag b-jet(s)
 - negligible

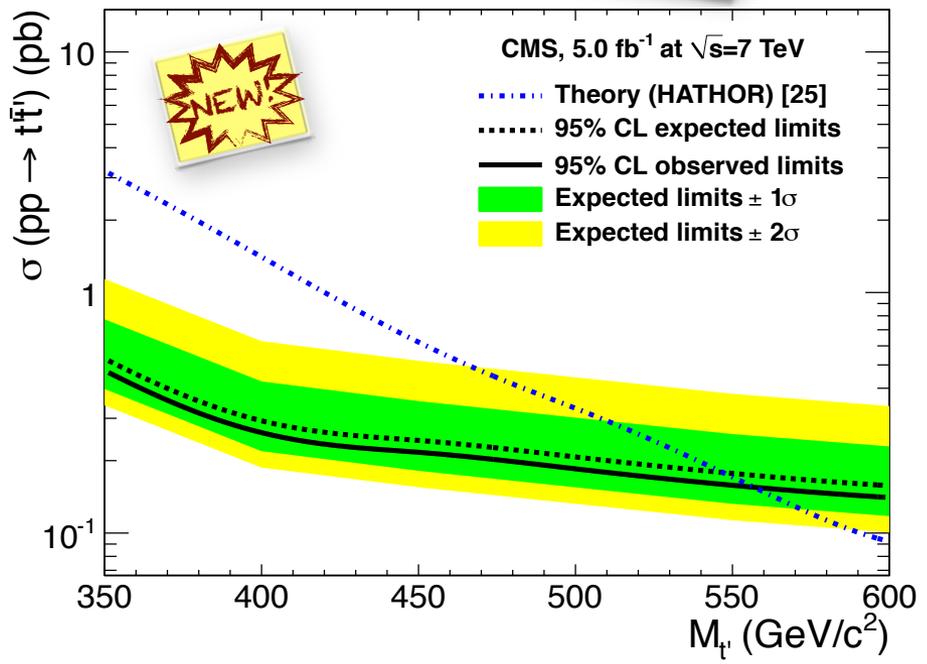
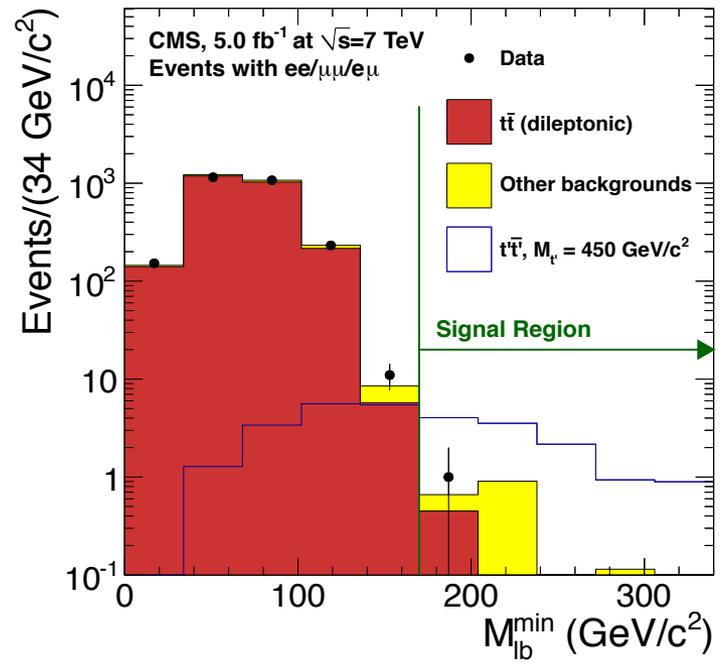
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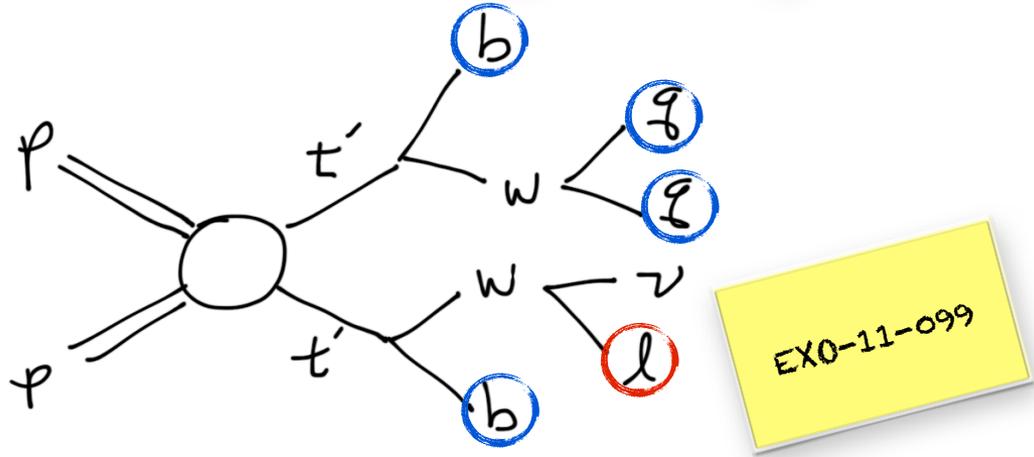
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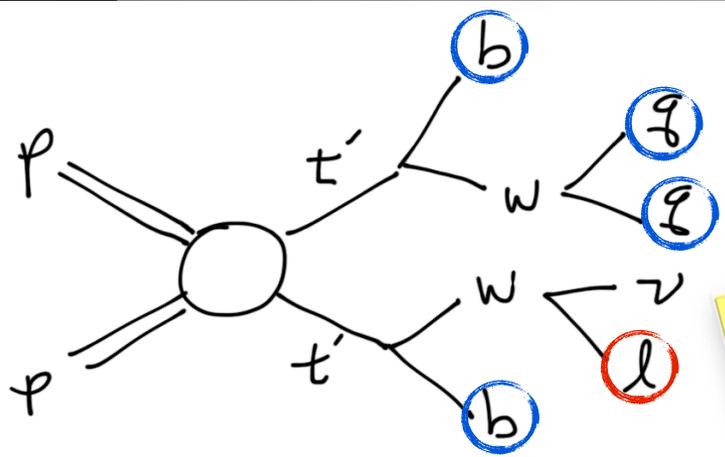
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t' to lepton+jets



t' to lepton+jets



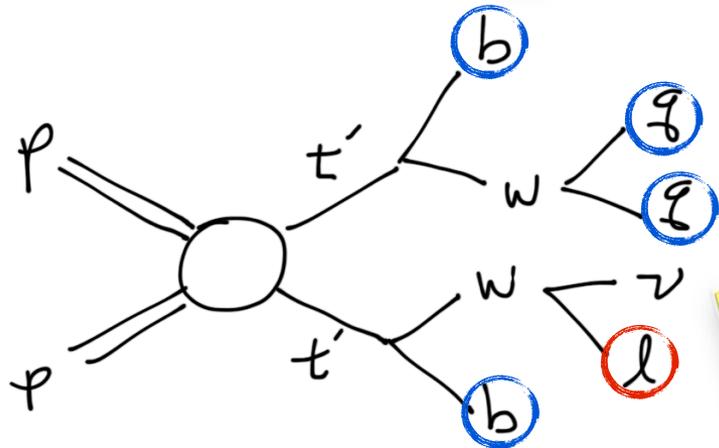
EXO-11-099

Strategy

- EWK precision constraints: $M_{t'} < M_{b'} + M_W$
- Require
 - = 1 isolated lepton
 - ≥ 4 jets ($p_T > 120, 90, 50, 35$)
 - ≥ 1 b-tagged jet (from the above 4)
- Main discriminators:
 - constrained kinematic fit:
 $m(l\nu) = M_W; m(qq) = M_W; m(l\nu) = m(qq) = M_{fit}$
 - HT



t' to lepton+jets

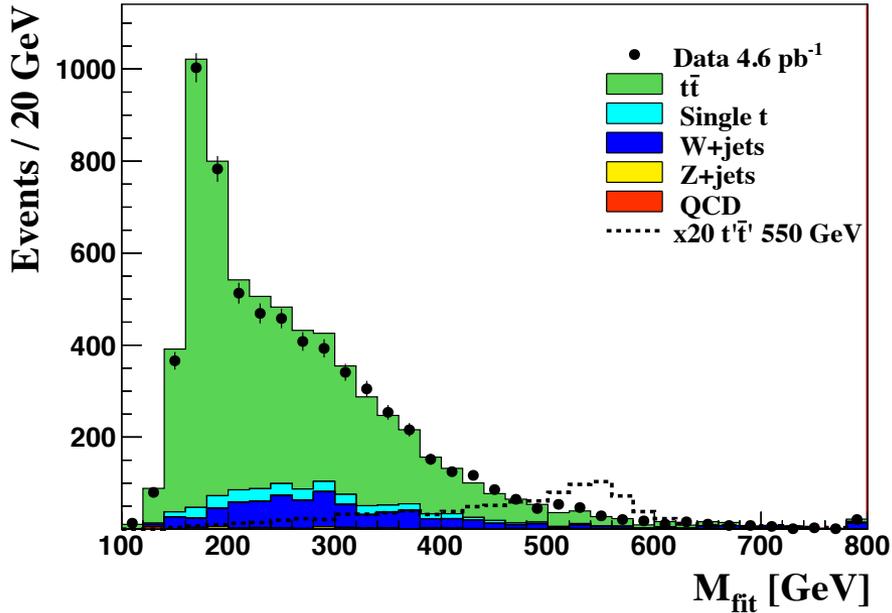


EXO-11-099

Strategy

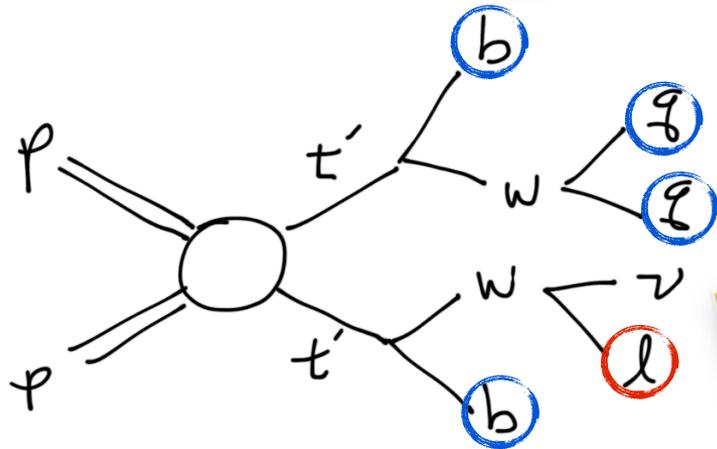
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CMS Preliminary $\sqrt{s} = 7$ TeV μ +jets





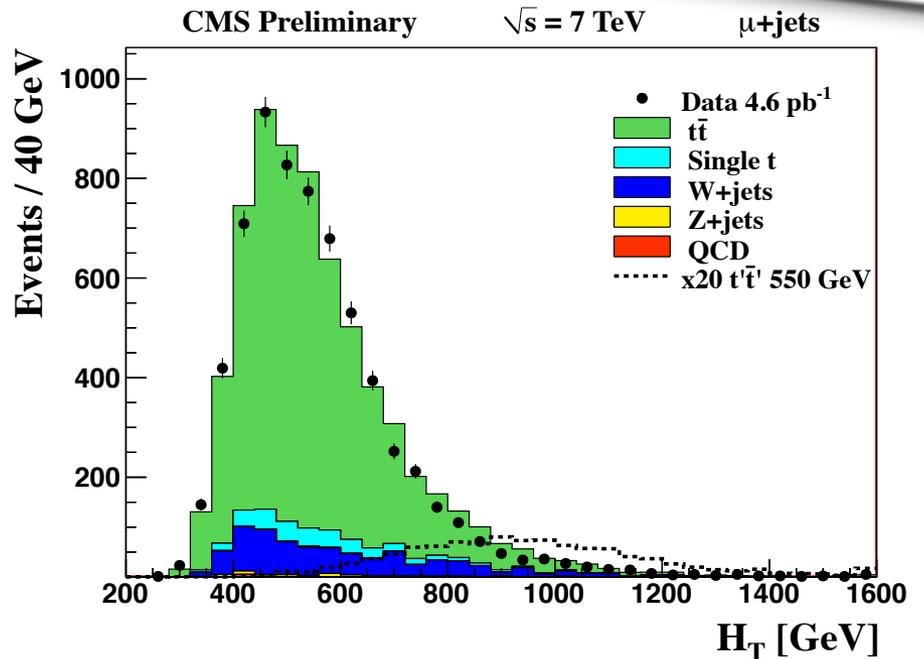
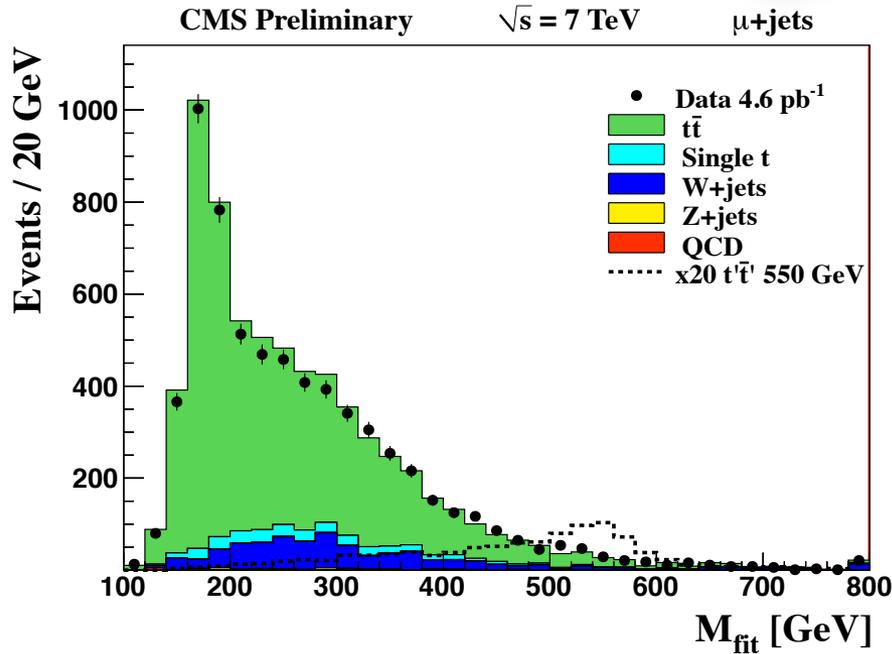
t' to lepton+jets



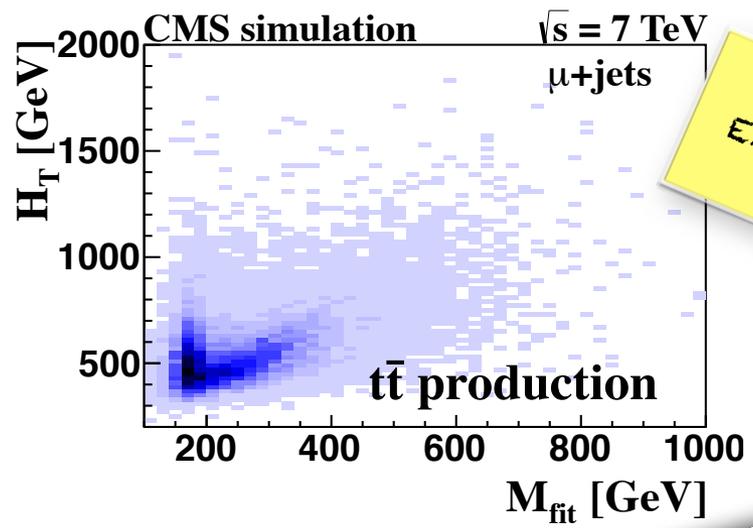
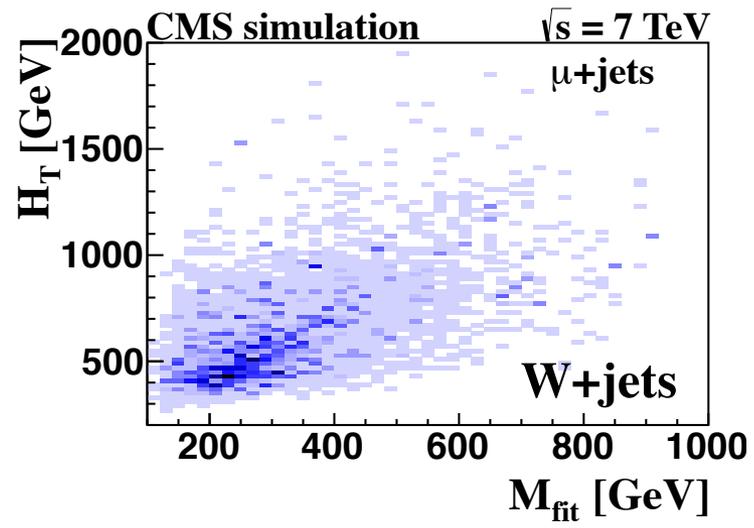
EXO-11-099

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t' to lepton+jets

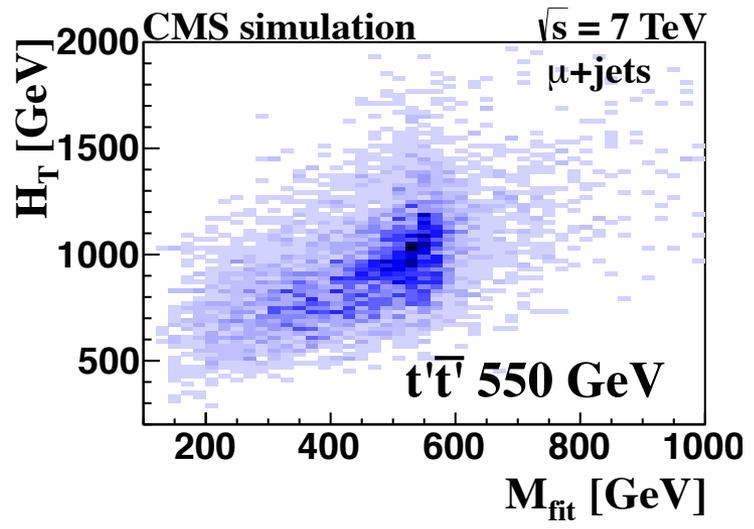
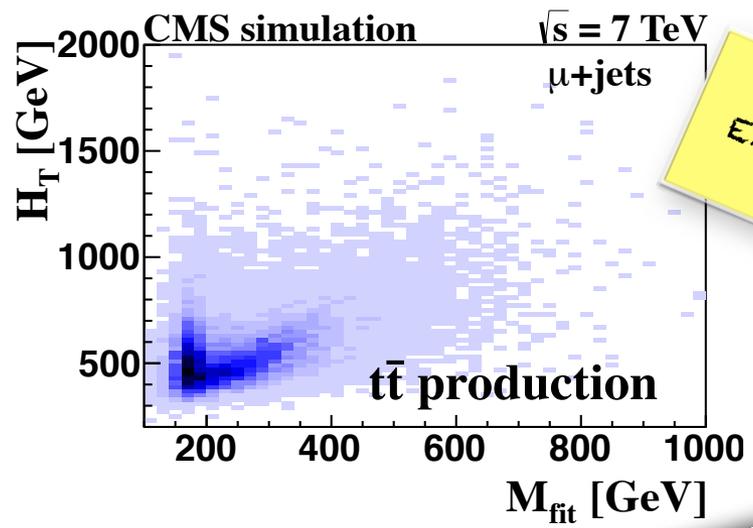
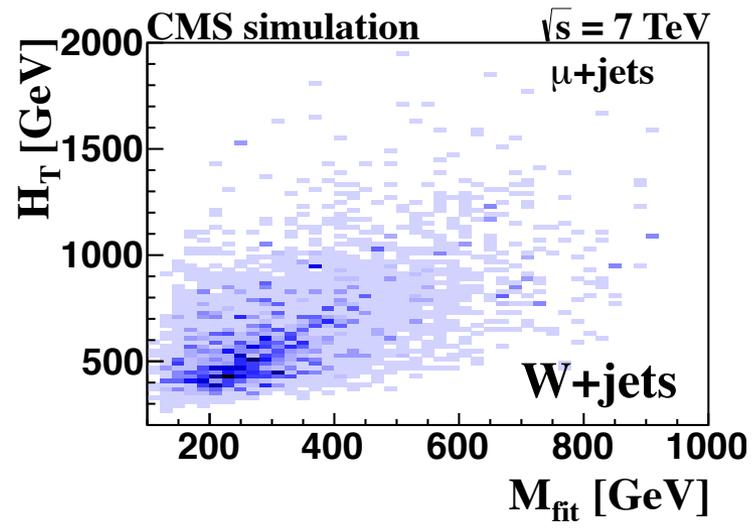


EXO-11-099

Main Backgrounds

- Largest: $t\bar{t}$
 - MC normalised to CMS meas. x-section
- moderate: W+jets
 - MC normalised to MCFM (50% syst. err)
- Small: Z+jets, single top, dibosons
 - MC normalised to MCFM (50% syst. err)

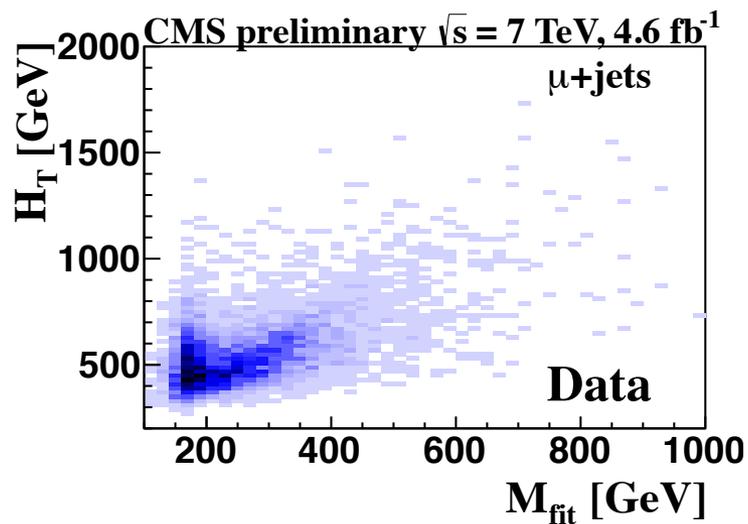
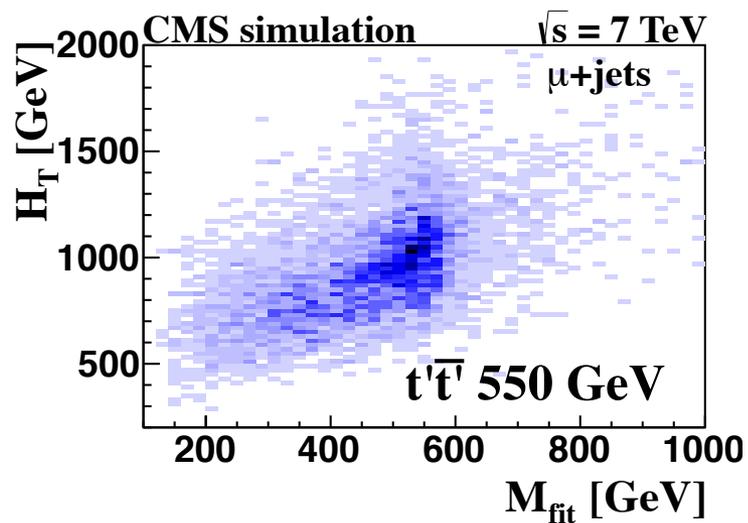
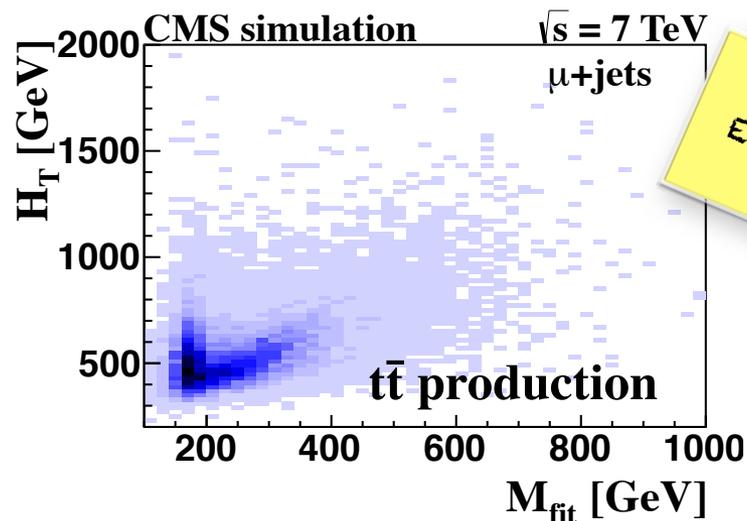
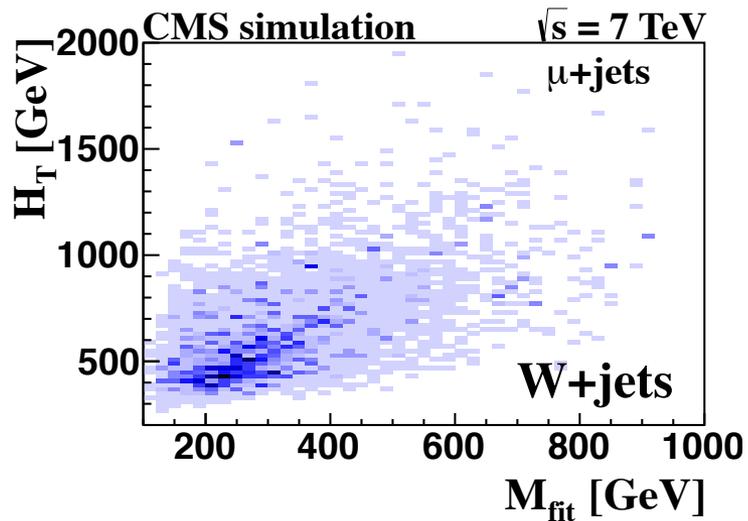
t' to lepton+jets



Main Backgrounds

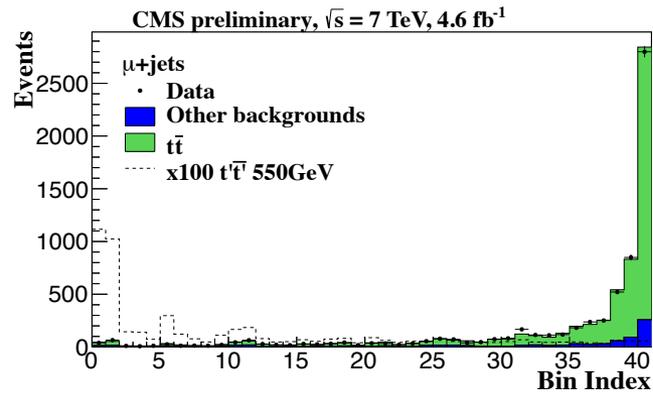
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 - MC normalised to MCFM (50% syst. err)
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t' to lepton+jets

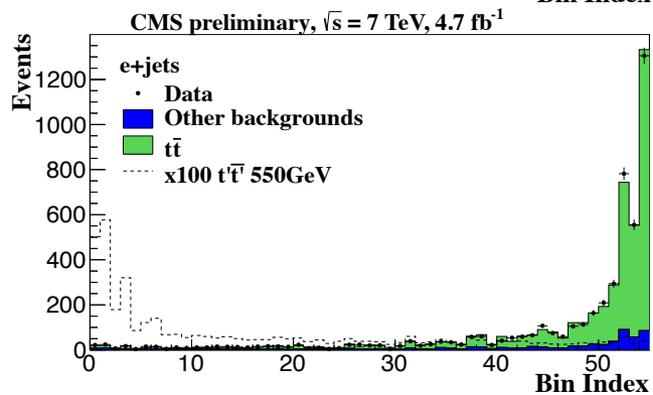




t' to lepton+jets



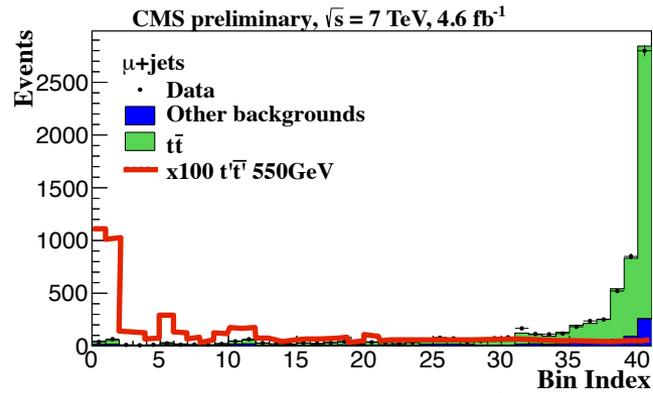
$\sigma(\text{pb})$



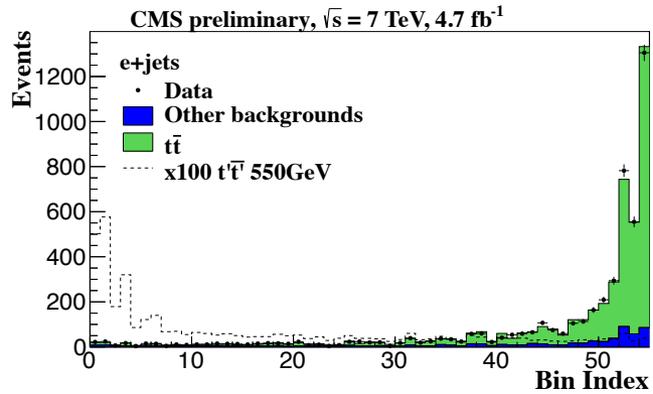
EXO-11-099



t' to lepton+jets



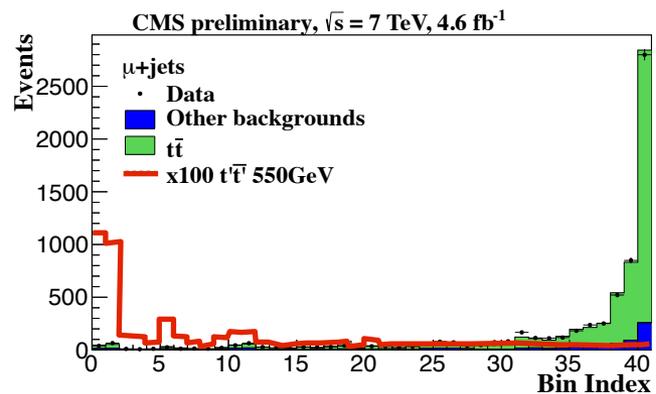
$\sigma(\text{pb})$



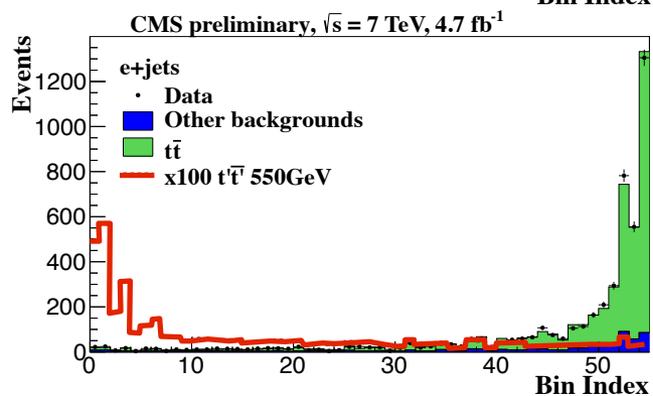
EXO-11-099



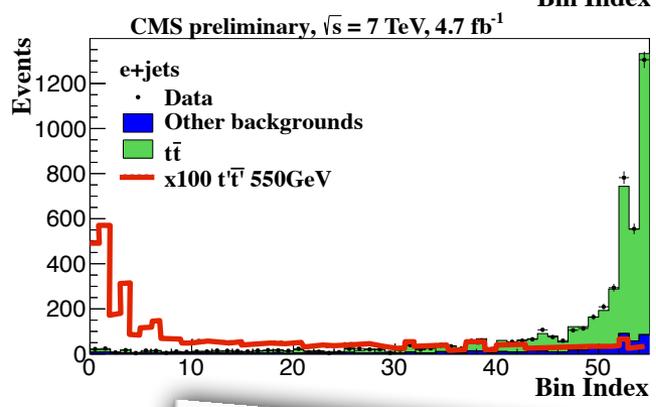
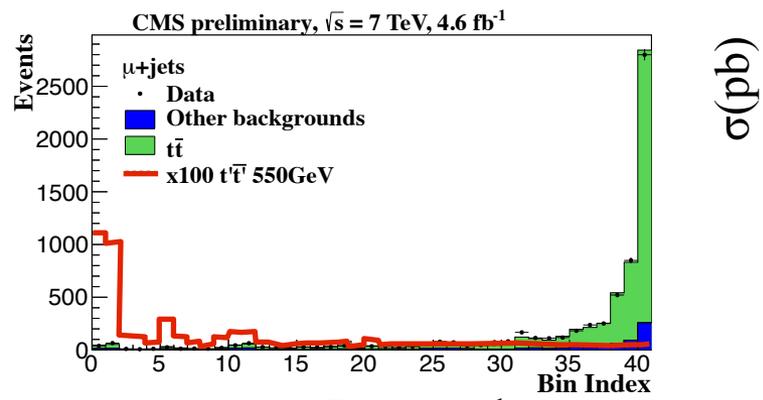
t' to lepton+jets



$\sigma(\text{pb})$



EXO-11-099

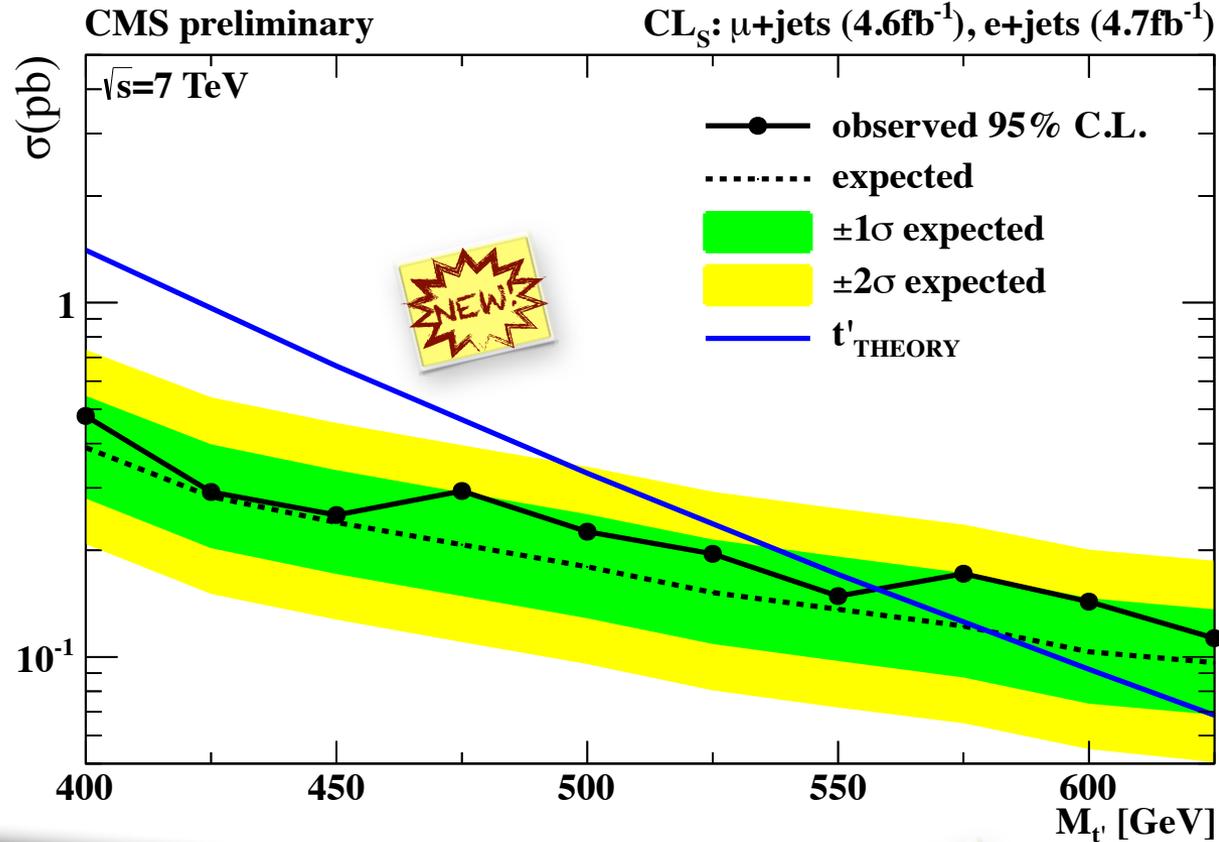
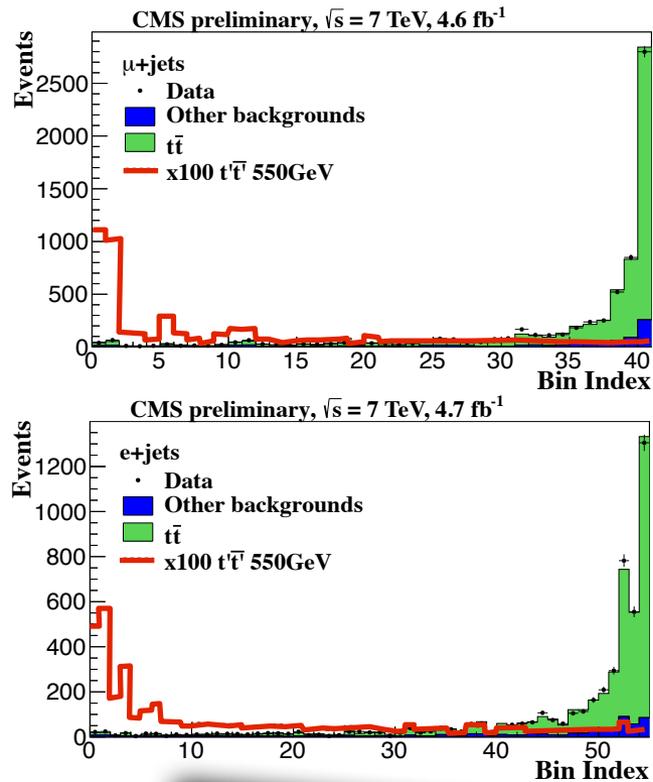


Shape Analysis

- Use MC templates for each background component
- Test each bin for B vs $S+B$ hypothesis

EXO-11-099

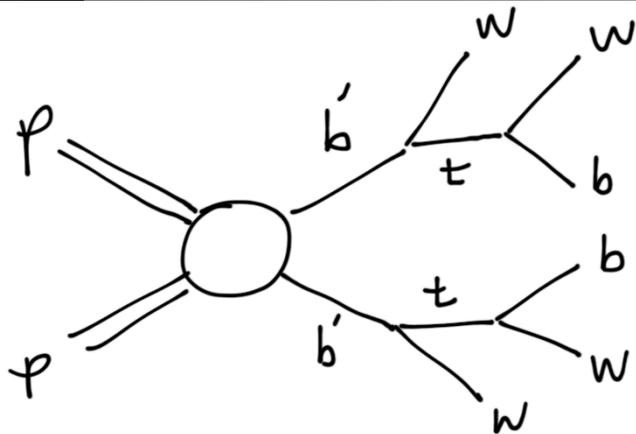
t' to lepton+jets



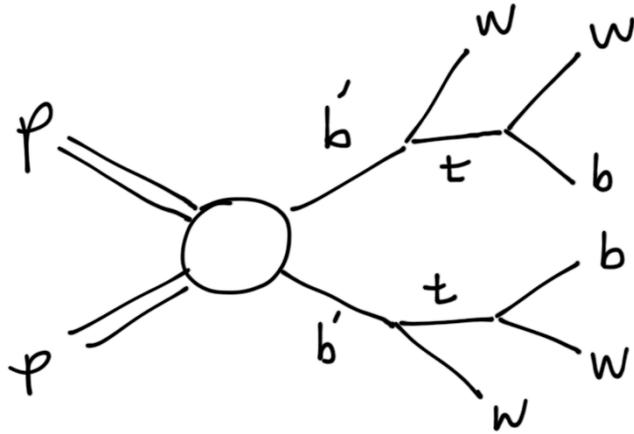
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EXO-11-099



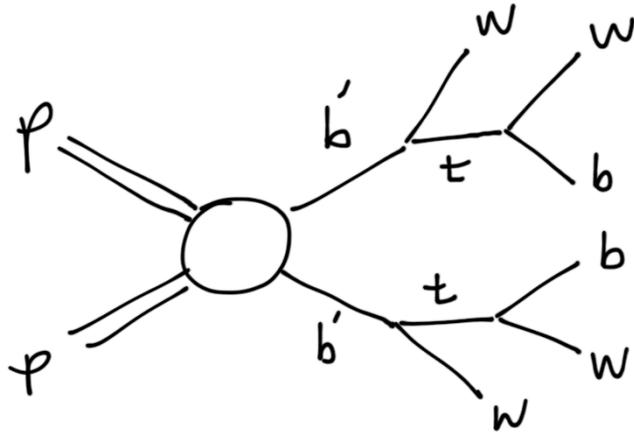
arXiv:
1204.1088v1



arXiv:
1204.1088v1

Strategy

- EWK precision constraints:
 $M_{b'} < M_b + M_W$
- Require:
 - ≥ 1 b-jet
 - 2 SS leptons
 - ≥ 4 jets
 - 3 leptons (2 OS; veto if M_Z)
 - ≥ 2 jets
 - $S_T > 500$ GeV

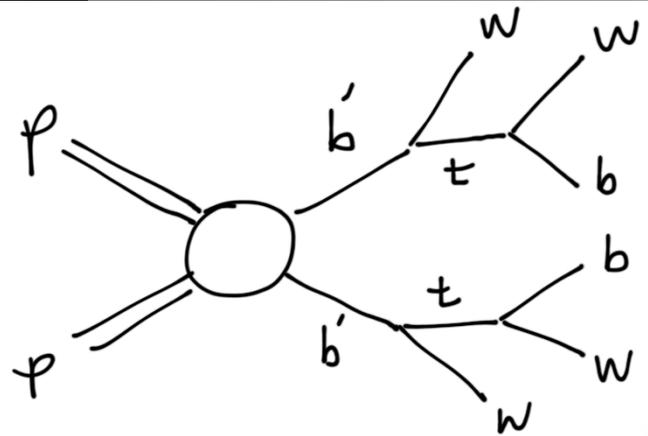


$$S_T = \sum |\vec{p}_T(\text{jets})| + \sum |\vec{p}_T(\text{leptons})| + \cancel{E}_T$$

arXiv:
1204.1088v1

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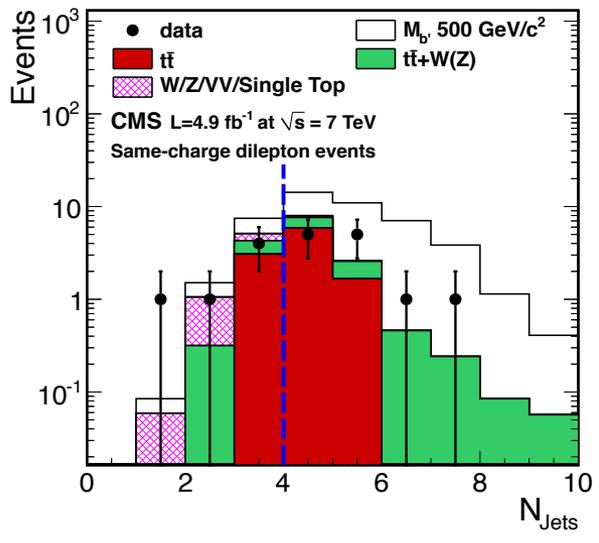
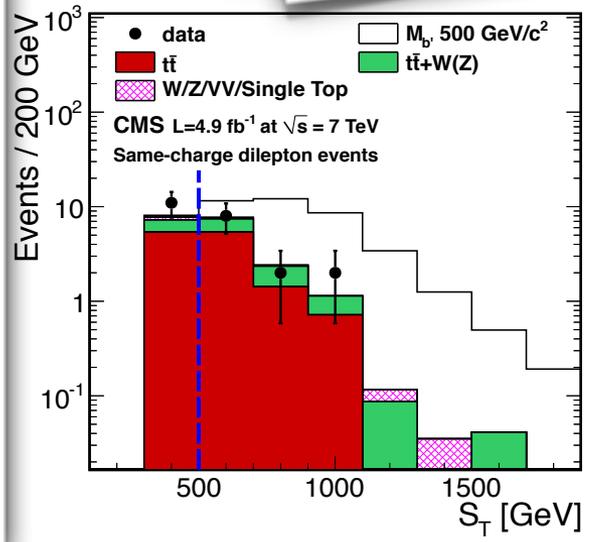
SS dilepton Backgrounds

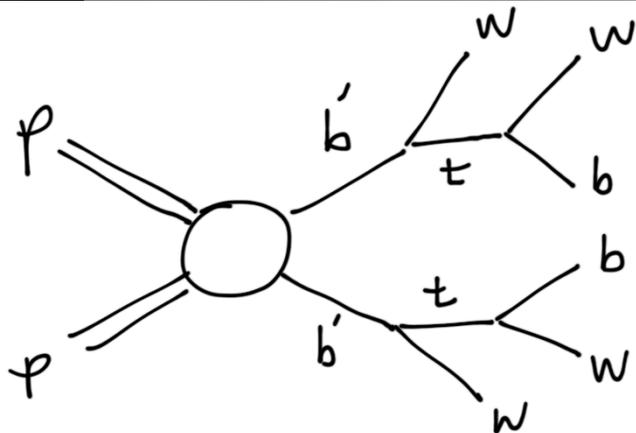
- three categories:
 - real dilepton + misID chg elect.
 - Zee control sample
 - real lepton + 2 fake leptons
 - use tight-loose ratio method
- real dileptons
 - ttZ, ttW, diboson
 - taken from MC; normalise to NLO

arXiv:
1204.1088v1

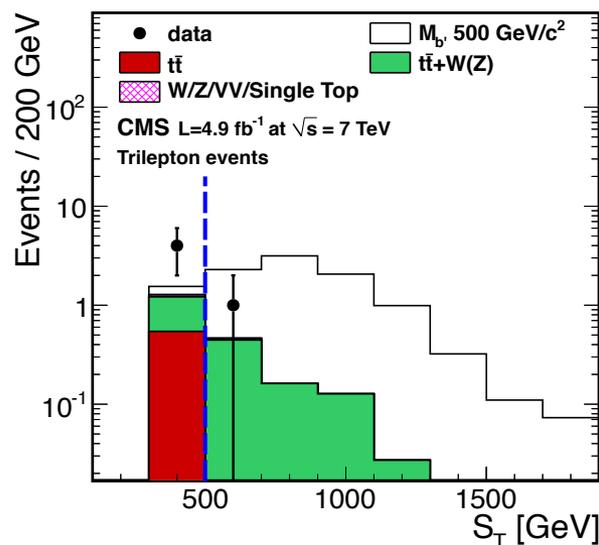
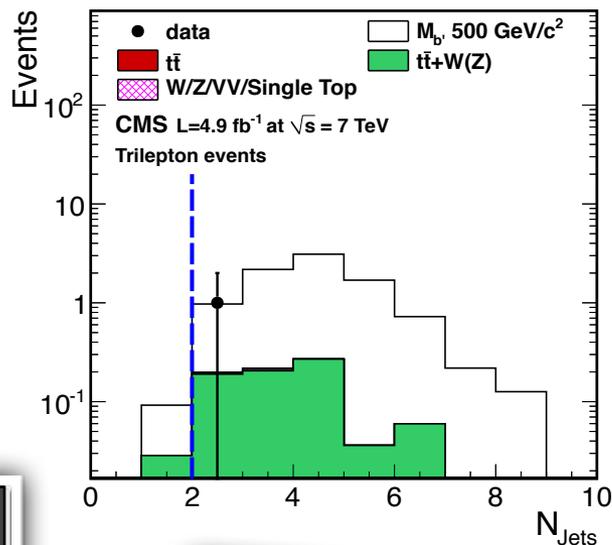
Strategy

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- Require:
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 - ≥ 4 jets
 - 3 leptons (2 OS; veto if M_Z)
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$$S_T = \sum |\vec{p}_T(\text{jets})| + \sum |\vec{p}_T(\text{leptons})| + \cancel{E}_T$$



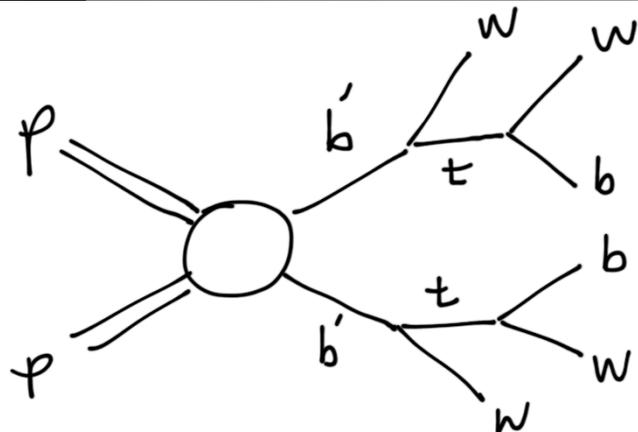
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arXiv:
1204.1088v1

trilepton Backgrounds

- dominated by three real leptons
 - $t\bar{t}+W/Z$: from MC; norm. to NLO
 - $t\bar{t}$, W/Z: from MC; norm. to CMS meas.
 - single top: from MC; norm to NNLO
 - dibosons: from MC; norm to MCFM
 - W^+W^\pm : from MC; norm to NLO

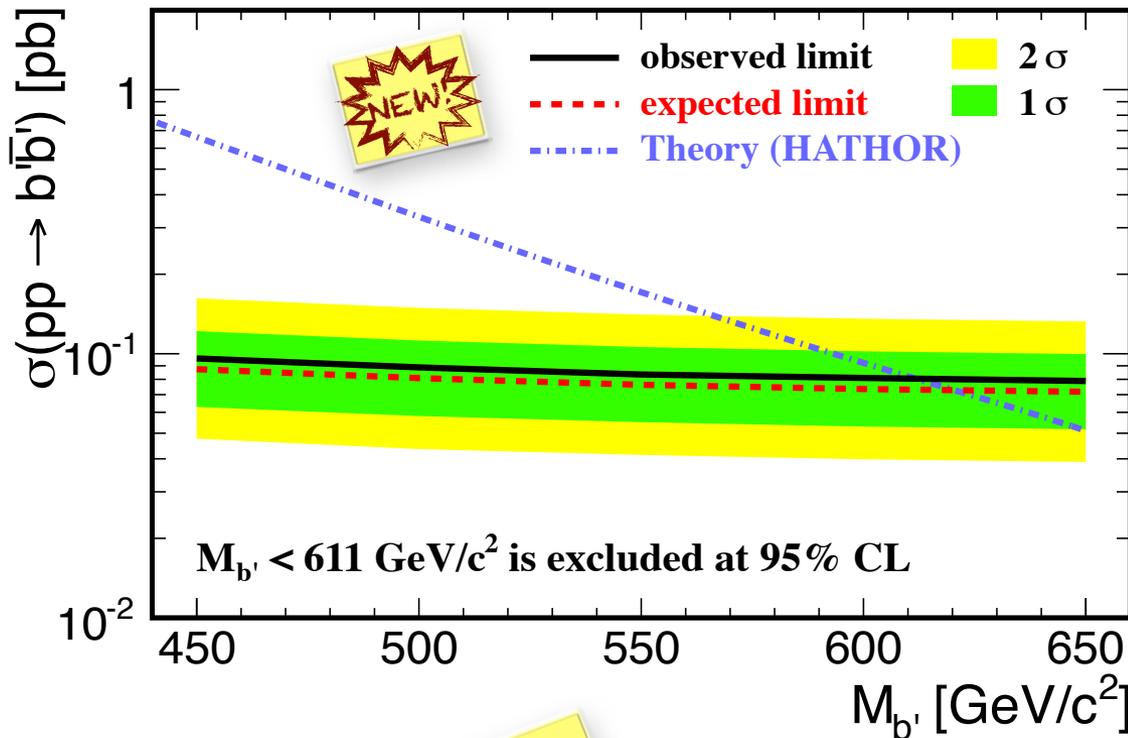


$$S_T = \sum |\vec{p}_T(\text{jets})| + \sum |\vec{p}_T(\text{leptons})| + \cancel{E}_T$$

Strategy

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- Require:
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 - $S_T > 500$ GeV

CMS $L = 4.9 \text{ fb}^{-1}$ at $\sqrt{s} = 7 \text{ TeV}$



arXiv:
1204.1088v1

- CMS had an excellent 2011!
 - more than 40 new results sent to winter conferences:
Standard Model, B-physics, Top, Higgs, SUSY, Exotica
- Stay tuned for more 2011 results:
 - Several $sfb-1$ results are in the pipeline; will be released soon
 - Many involving SUSY with heavy flavour:
 - all hadronic + b-jets; single-lepton + b-jets, all hadronic + T 's
 - Already analysing > 1 fb $^{-1}$ (gulp!) 2012 data
 - LHC and CMS performing extremely well!



ttbar well understood!

TOP-11-013

Good agreement found for all quantities studied

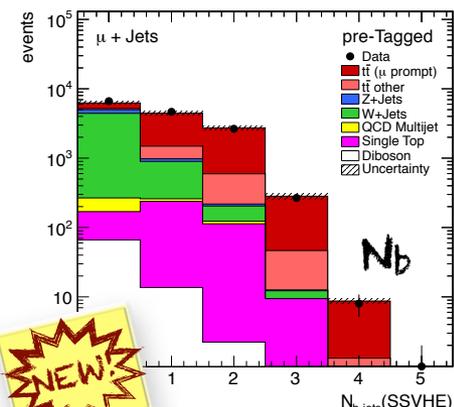
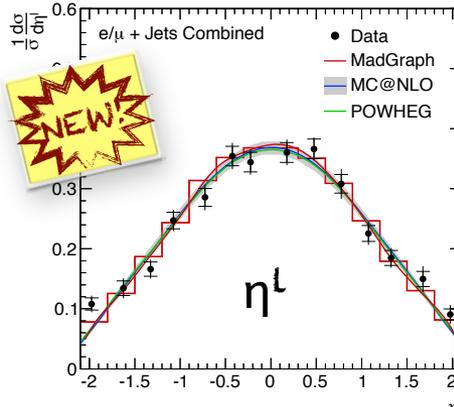
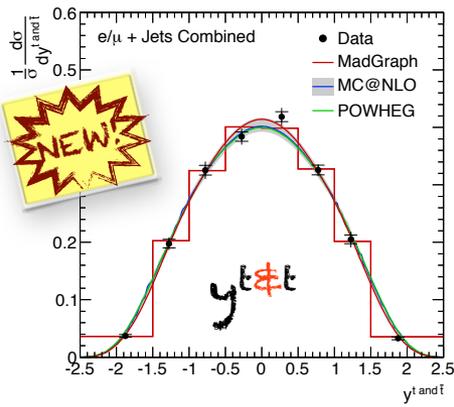
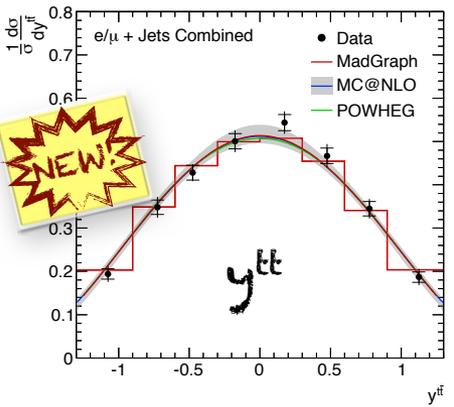
Top pairs

Individual tops

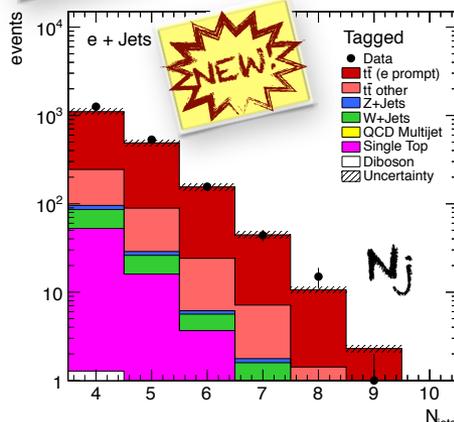
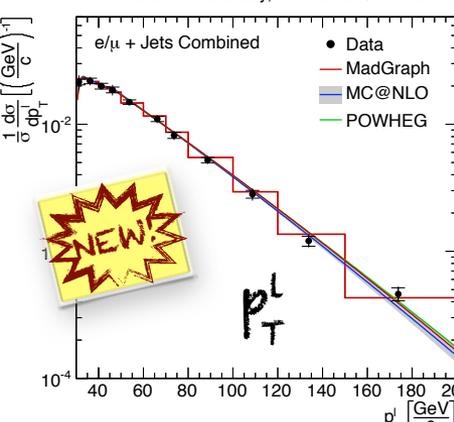
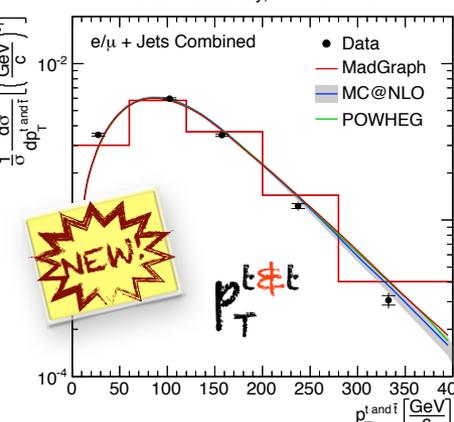
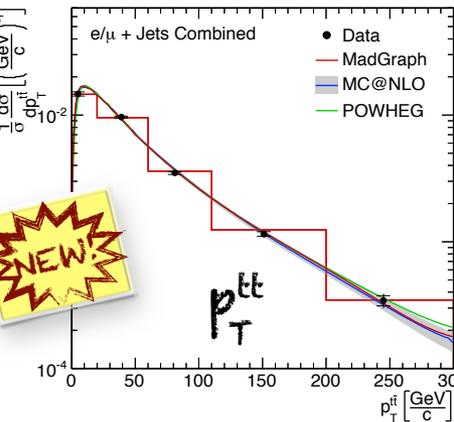
lepton

jets

CMS Preliminary, 1.14 fb⁻¹ at $\sqrt{s}=7$ TeV



CMS Preliminary, 1.14 fb⁻¹ at $\sqrt{s}=7$ TeV



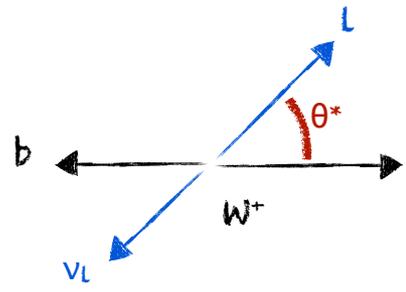


TOP



W helicity in $t\bar{t}$

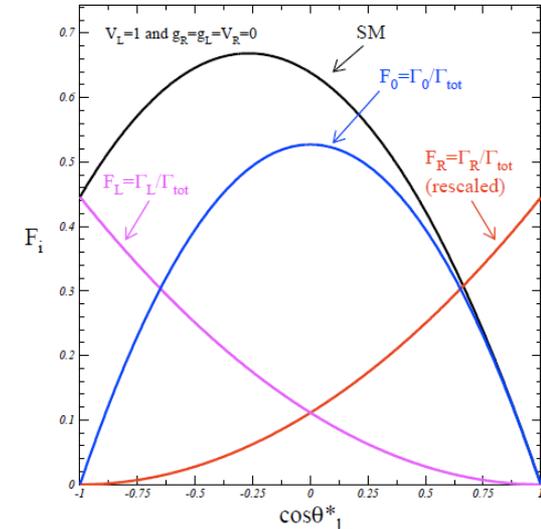
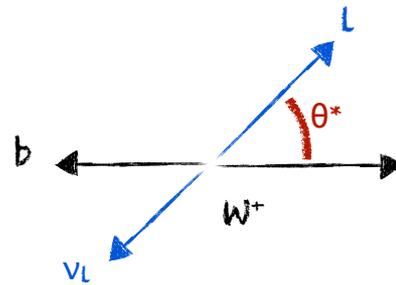
- Measure θ^* , angle between lepton and b (W rest frame)



TOP-11-020

W helicity in $t\bar{t}b\bar{b}$

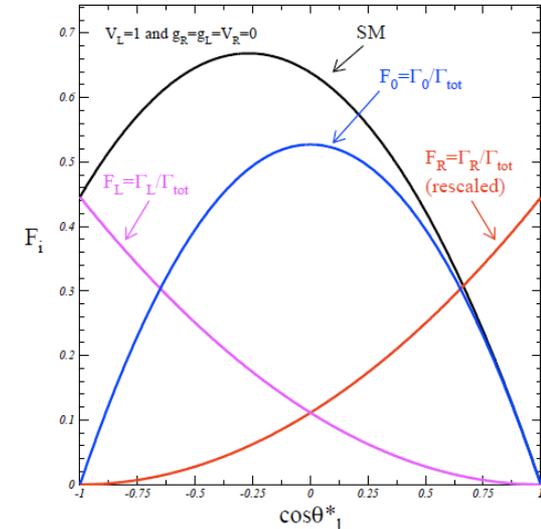
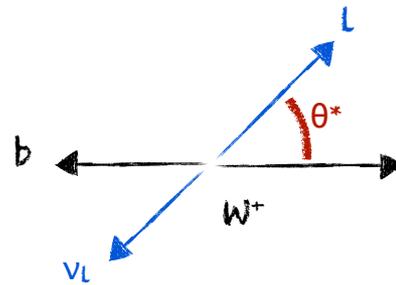
- Measure θ^* , angle between lepton and b (W rest frame)
- Distribution reflects 3 possible W polarisations
 - $F_0 = 0.698$,
 - $F_L = 0.301$,
 - $F_R = 4.1 \times 10^{-4}$



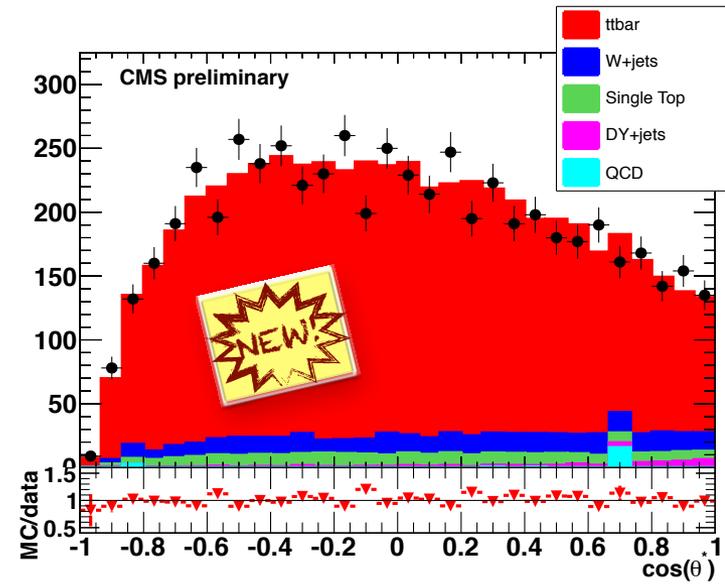
TOP-11-020

W helicity in ttbar

- Measure θ^* , angle between lepton and b (W rest frame)
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 - $F_L = 0.301$,
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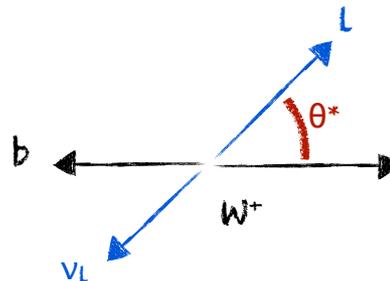


TOP-11-020



W helicity in ttbar

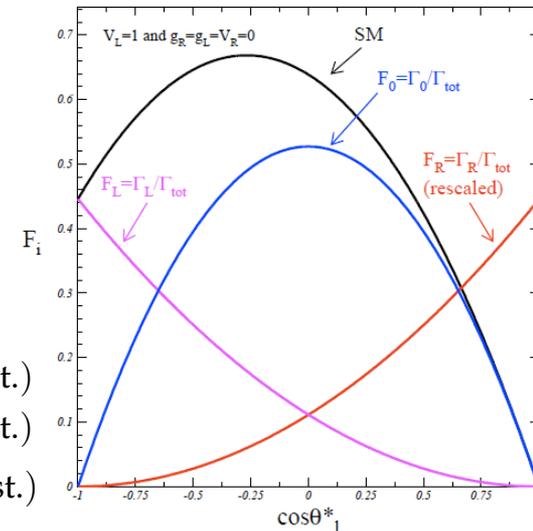
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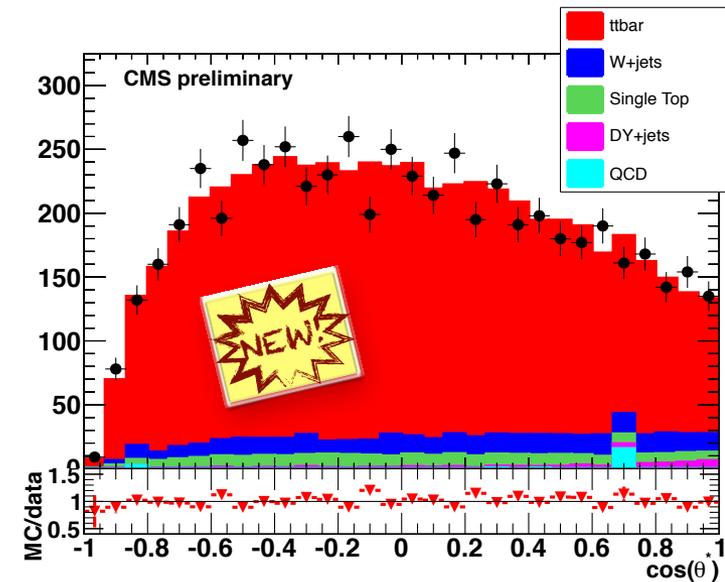
$$F_0 = 0.567 \pm 0.074(\text{stat.}) \pm 0.047(\text{syst.})$$

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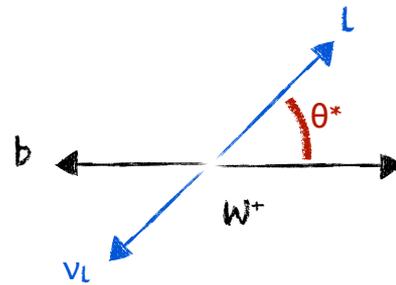


TOP-11-020



W helicity in ttbar

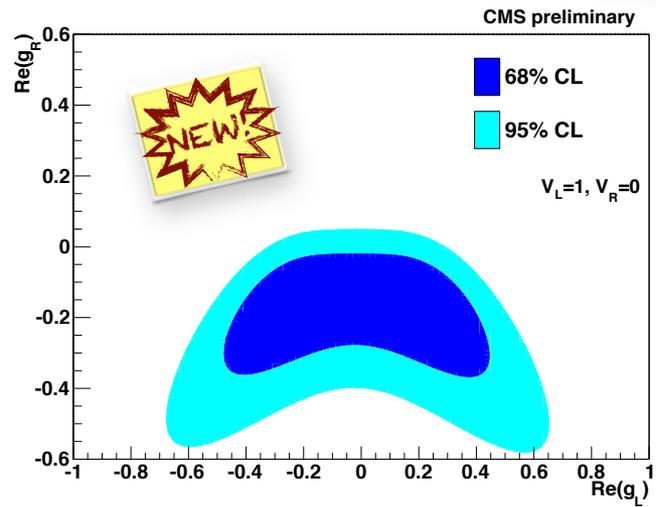
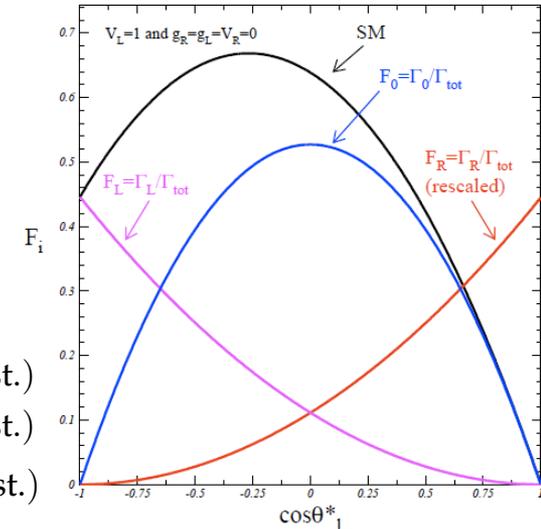
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- Distribution reflects 3 possible W polarisations
 - $F_0 = 0.698$,
 - $F_L = 0.301$,
 - $F_R = 4.1 \times 10^{-4}$
- Anomalous tWb couplings lead to deviations



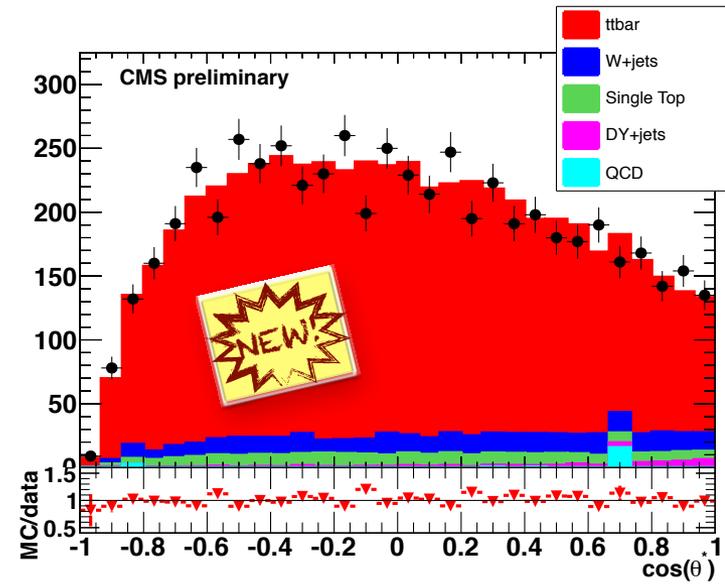
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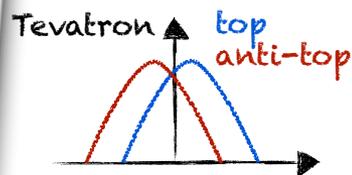


TOP-11-020



Top Charge Asymmetry

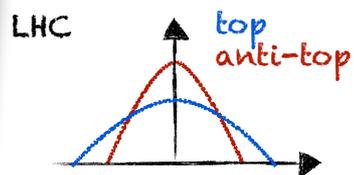
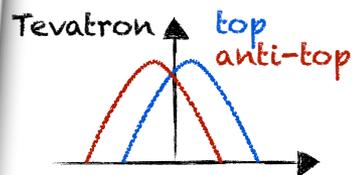
- Tevatron sees a possible differential dependency on charge asymmetry
- Asymmetry $A^C = (N^+ - N^-)/(N^+ + N^-)$



TOP-11-030

Top Charge Asymmetry

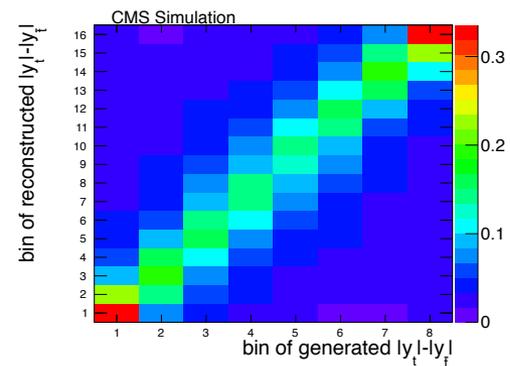
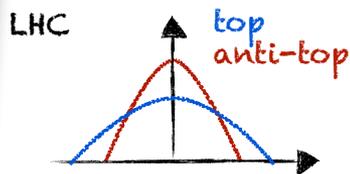
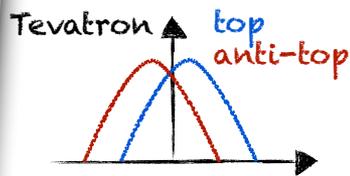
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TOP-11-030

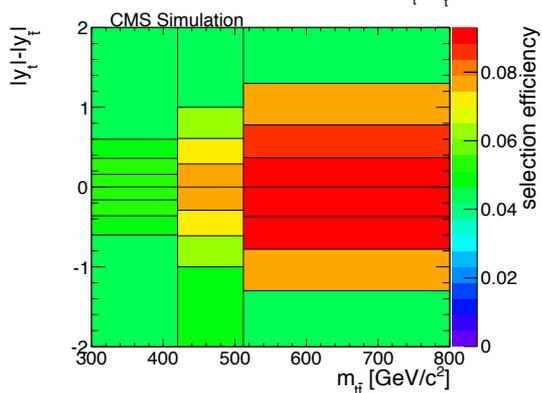
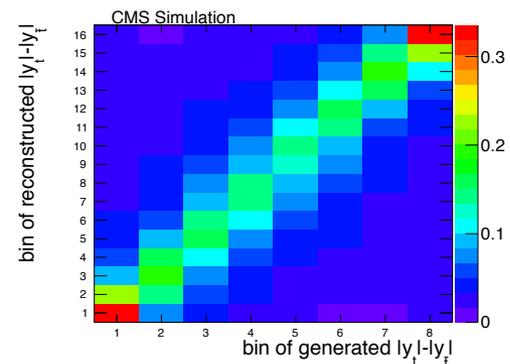
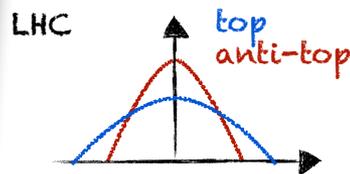
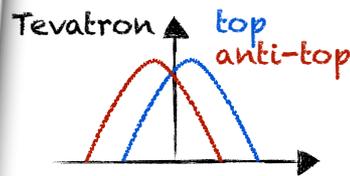
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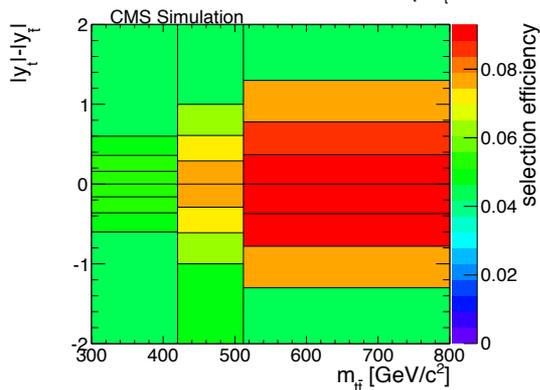
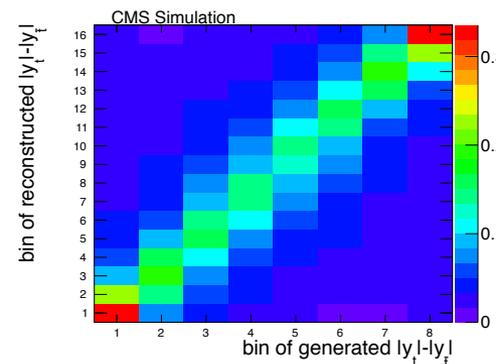
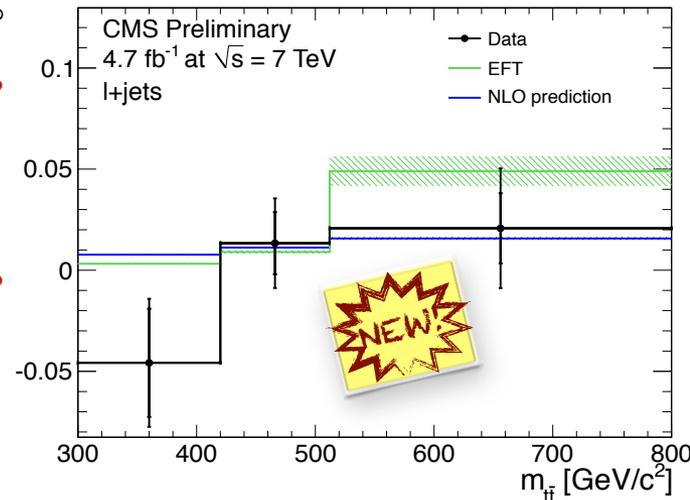
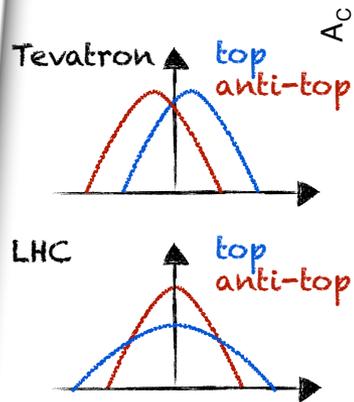


TOP-11-030

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Top Charge Asymmetry

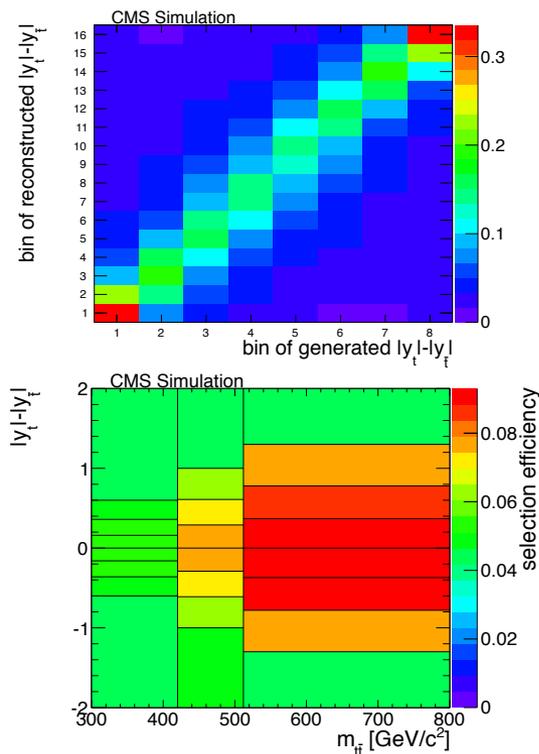
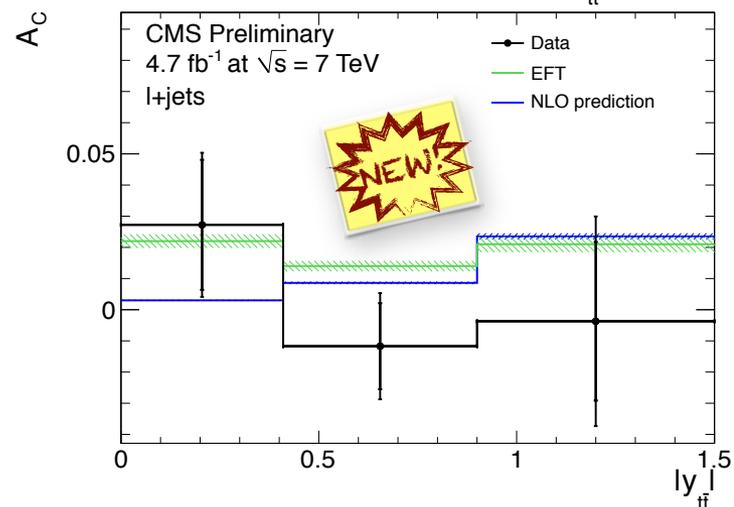
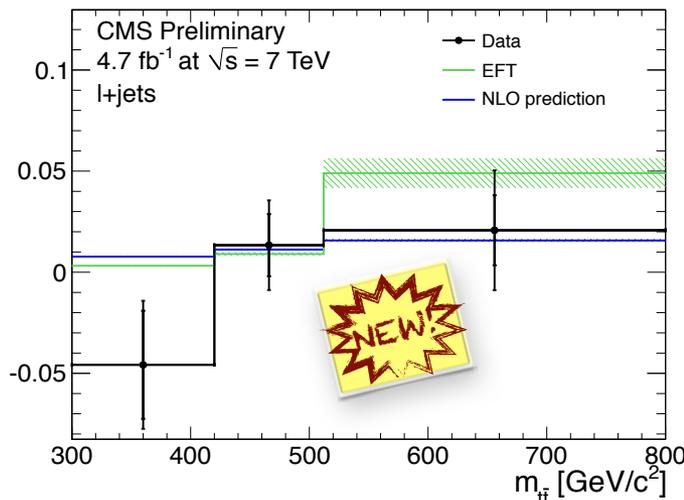
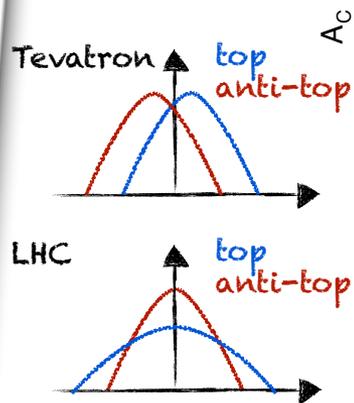
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TOP-11-030

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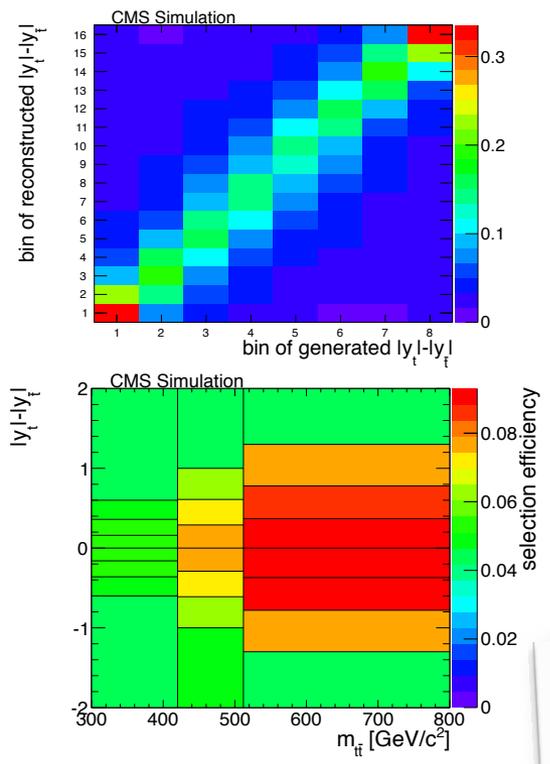
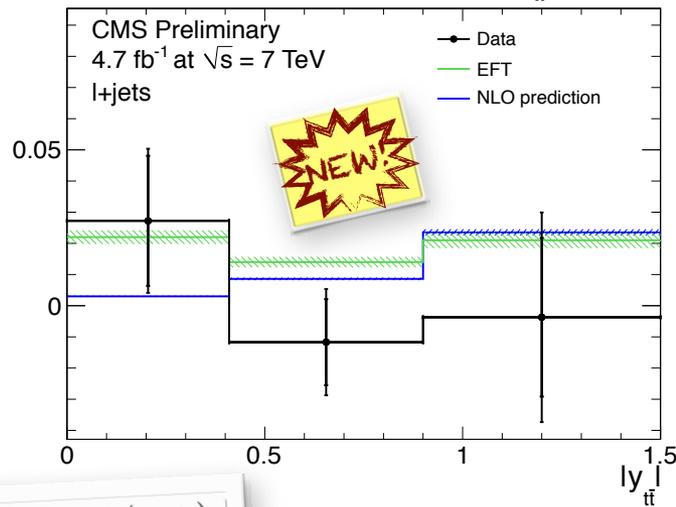
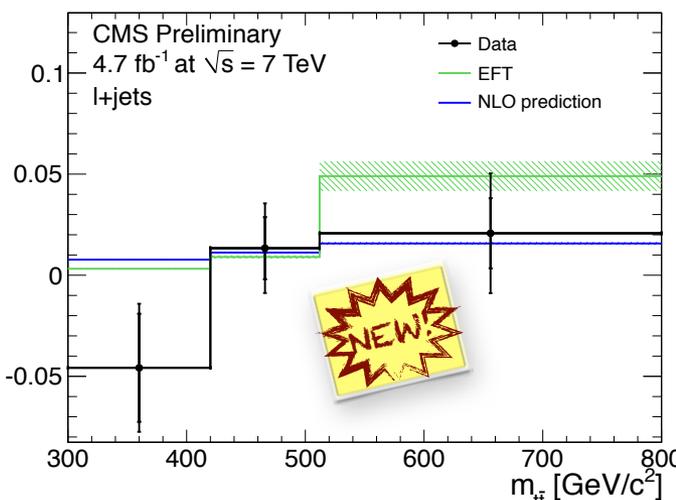
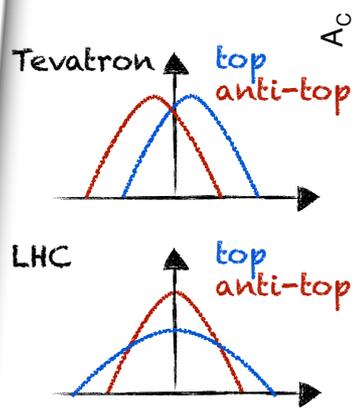


TOP-11-030

TOP

Top Charge Asymmetry

- Tevatron sees a possible differential dependency on charge asymmetry
- Asymmetry $A^C = (N^+ - N^-)/(N^+ + N^-)$
- Crucial difference at LHC: gluon collider!
- Fair agreement between data and theory after unfolding



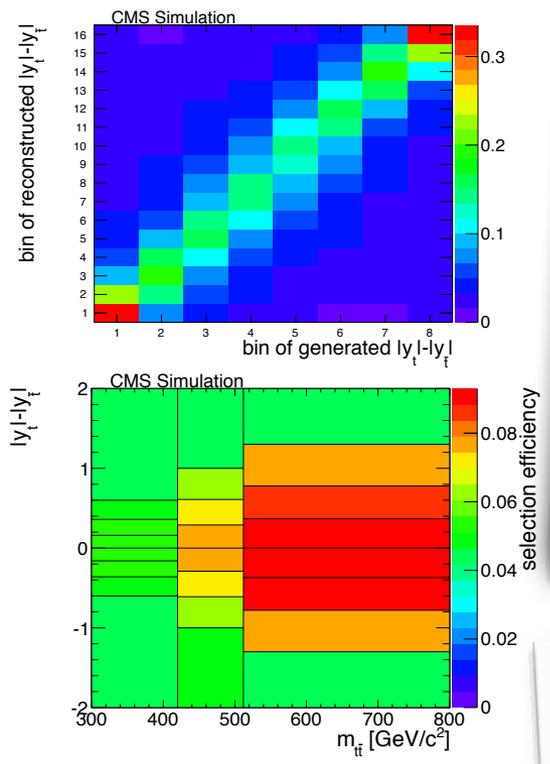
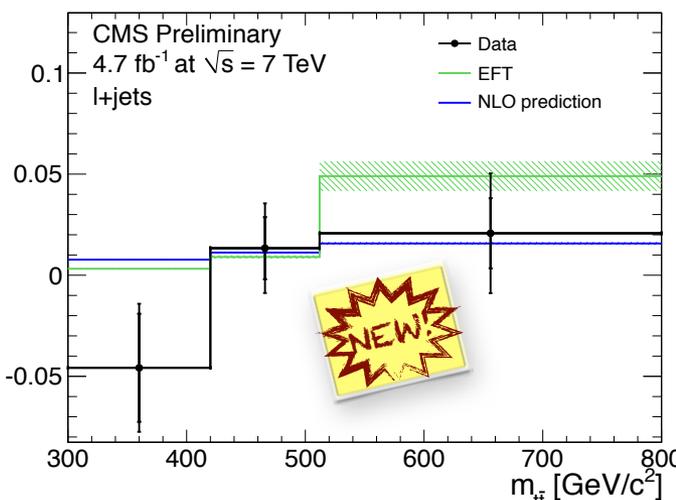
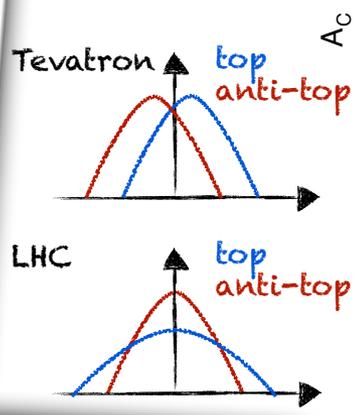
Uncorrected	0.003 ± 0.004 (stat.)
BG-subtracted	0.001 ± 0.005 (stat.)
Final corrected	0.004 ± 0.010 (stat.) ± 0.012 (syst.)
Theory prediction (SM)	0.0115 ± 0.0006

TOP-11-030
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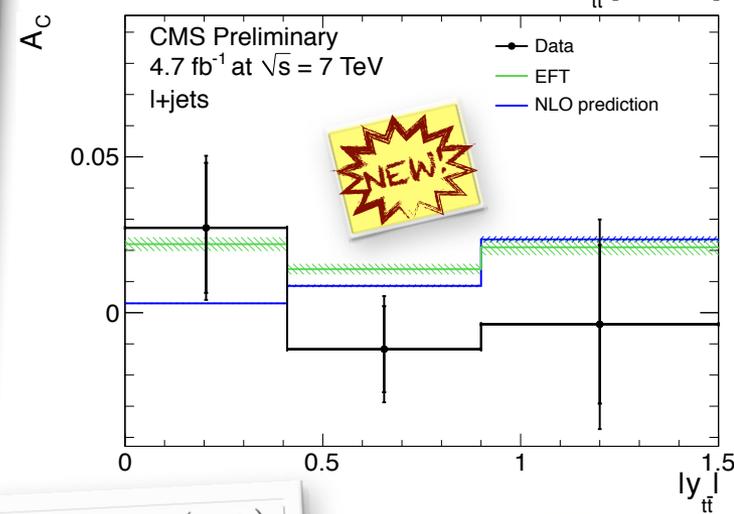
TOP

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Systematic uncertainty	inclusive A^C
JES	0.002
JER	0.002
Pileup	0.001
Generator	0.001
Migration matrix	0.002
Unfolding	0.008
W+jets	0.004
Multijet	0.001
Lepton ID/sel. efficiency	0.006
Q ² scale	0.002
Hadronization	0.001
PDF	0.002
Total	0.012



Uncorrected	0.003 ± 0.004 (stat.)
BG-subtracted	0.001 ± 0.005 (stat.)
Final corrected	0.004 ± 0.010 (stat.) ± 0.012 (syst.)
Theory prediction (SM)	0.0115 ± 0.0006

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