## The discovery reach for mini-black holes with the ATLAS Detector at the LHC

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## TeV-Scale Gravity

$=$ Hierarchy problem, one of the big unsolved problems in 20 century
$=$ The large deviation between electroweak scale and the Planck scale: $\mathrm{M}_{\mathrm{Pl}}\left(10^{19} \mathrm{GeV}\right) \gg \mathrm{M}_{\mathrm{W}}\left(10^{2} \mathrm{GeV}\right)$

- Extra dimensions
= One of the solutions of the hierarchy problem
$=$ Only gravitational field is allowed to expand into the extra dimensions
= "The Fundamental" d-dimensional Planck scale, $\mathrm{M}_{\mathrm{D}}$ is , in effect, TeV scale
= Some approach:
$=$ Additional large flat dimensions
= Arkani-Hamed, Dimopoulos and Dvali (ADD)
$=$ A single warped extra dimension
= Randall and Sundrum (RS)


## Black Hole

$=$ Production
$=$ If the particles(with center of mass energy $=\hat{\mathbf{s}}$ ) collide with the impact parameter $b$ which is smaller than 2 times Schwarschild radius, $\mathrm{r}_{\mathrm{h}} \sim \hat{\mathrm{s}} / \mathrm{M}_{\mathrm{D}}{ }^{2}$, Black Hole will be formed
$=$ If $\mathrm{M}_{\mathrm{D}} \sim \mathrm{TeV}$, LHC can generate TeV -scale mini-black hole!
$=$ Decay
$=$ Such a mini-black hole decays in $\sim 10^{-26}$ s
= There are 4 decay phase

- The balding phase: Loose the "hair" (multipole moment)
$=$ Spin-down phase: Loose angular momentum by emitting high-spin state particles
$=$ Schwarzschild phase: Hawking evaporation
$\nu=$ Planck phase: $M_{B H} \sim M_{D}$, need quantum gravity, difficult to calculate
The smaller $\mathrm{M}_{\mathrm{BH}}$ becomes, The higher Hawking Temperature becomes

$$
T_{H}=M_{D}\left[\frac{M_{D}}{M_{B H}}\left(\frac{n+2}{8 \Gamma((n+3) / 2)}\right)\right]^{\frac{2}{1+n}}
$$

## Working Model

## = Black Hole Event Generator: CHARYBDIS:

= Based on ADD model
= Parton level xsec is calculated with assumption of semi-classical model (valid only when $\mathrm{M}_{\mathrm{BH}} \gg \mathrm{M}_{\mathrm{D}}$ )

$$
\hat{\sigma}_{a b \rightarrow B H}=\pi r_{h}^{2} \quad r_{h}=\frac{1}{\sqrt{\pi} M_{D}}\left[\frac{M_{B H}}{M_{D}}\left(\frac{8 \Gamma((n+3) / 2)}{n+2}\right)\right]^{\frac{1}{1+n}}
$$

= Ignore balding and spin-down phase

- No graviton emission
= Available grey-body factor
$=$ Just a N-body decay at Plank Phase
$=$ Main input parameters:
$=$ The Fundamental Plank Scale: $\mathrm{M}_{\mathrm{D}}$
$=$ Number of extra dimensions: n
$=$ Minimum BH Mass to be produced


Cross section of Black Hole in 14 TeV pp collision $\left(\mathrm{M}_{\mathrm{BH}} \gg \mathrm{M}_{\mathrm{D}}\right)$

## Black Hole Event



ATLAS Event display: Simulation of Black Hole event

- Large cross section ( $\sim 1$ event/s for TeV BH)
$=$ Very crowded events
$=$ High energy particles
$=$ Most of events have leptons
$=$ Easy to trigger

| a) CHARYBDIS: $n=2, m>5 \mathrm{TeV}$ |  |  |  |
| ---: | ---: | ---: | ---: |
| Trigger | L1 | L2 | EF |
| j 100 | 1 | 1 | 1 |
| j 400 | 0.997 | 0.997 | 0.997 |
| 3 j 100 | 0.998 | 0.998 | 0.998 |
| 3 j 250 | 0.972 | 0.971 | 0.971 |
| 4 j 100 | 0.985 | 0.985 | 0.985 |
| 4 j 250 | 0.865 | 0.862 | 0.862 |

Efficiency for jet trigger

## Decay Particles from Black Hole



Pdg Id of emitted particles from BH
$=$ Emit very high $\mathrm{P}_{\mathrm{T}}$ particles
$=$ Higher $n$ shows higher $\mathrm{P}_{\mathrm{T}}$ because
Hawking temperature is higher

$$
\frac{d N}{d E} \propto \frac{\left(E / T_{H}\right)^{2}}{\exp \left(E / T_{H}\right)+c}<\text { Hawking Temperature }
$$

$$
T_{H}=M_{P}\left[\frac{M_{D}}{M_{B H}}\left(\frac{n+2}{8 \Gamma((n+3) / 2)}\right)\right]^{\frac{2}{1+n}}
$$

$=$ Particles are emitted by Hawking radiation

- Emission probability depends on degree of freedom of quantum variables
- A break of perfect democratic decay comes from conservation of charge, color, etc.

$\mathrm{P}_{\mathrm{T}}$ distribution of particles from BH


## $\underline{P}_{\underline{T}}$ of Particles observed in Events




$=$ Even 4th leading particle has very large $\mathrm{P}_{\mathrm{T}}$
$=\operatorname{Sum} \mathrm{P}_{\mathrm{T}}$ :
$=$ A scalar sum of $\mathrm{P}_{\mathrm{T}}$ of all particles in the event

## Multiplicity and Circularity



Particle Multiplicity of BH with different parameters


Circularity of Black Holes
$=$ Higher n shows lower multiplicity $=$ Hawking temperature is higher $=$ One particle carries larger energy
$=$ Circularity, Sphericity or Thrust are also the candidates of event selections $=$ But they strongly depend on multiplicity


Circularity, compared with backgrounds

## Missing $\mathrm{E}_{\mathrm{T}}$



Missing $\mathrm{E}_{\mathrm{T}}$ (with event selection: $\mathrm{SumP}_{\mathrm{T}}>2500 \mathrm{GeV}$ )
$=$ Black Hole emits also high $\mathrm{P}_{\mathrm{T}}$ neutrinos
$=$ Large missing $\mathrm{E}_{\mathrm{T}}$ source
= Even compared to SUSY signal, BH has a long tail in high MET region
= Charybdis can not emit graviton and not emit into bulk

- They may be also large missing $\mathrm{E}_{\mathrm{T}}$ source
$=$ New generator which can treat such features are being investigating


## Event Selection 1:Sum P ${ }_{T}$


$=$ Sum $\mathrm{P}_{\mathrm{T}}$ selection
$=$ Sum $\mathrm{P}_{\mathrm{T}}>2.5 \mathrm{TeV}$
$=$ Require at least 1 of the 50 GeV lepton
$=$ Not dependent on particle multiplicity
$=$ Black Hole Mass is reconstructed from particles(only high $\mathrm{P}_{\mathrm{T}},>15 \mathrm{GeV}$ for $\mathrm{e}, \mu, \gamma$ and $>20 \mathrm{GeV}$ for jet) in the event
$=$ Missing ET is also included as a particle of $\mathrm{P}_{\mathrm{Z}}=0$

| Event Efficiency: Sum $\mathrm{P}_{\mathrm{T}}$ selection |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Dataset | Before selection <br> $(\mathrm{fb})$ | $\sum\left\|p_{T}\right\|>2.5 \mathrm{TeV}$ | After requiring a lepton | acceptance |
|  | $(\mathrm{fb})$ | $(\mathrm{fb})$ |  |  |
| $n=2, m>5 \mathrm{TeV}$ | $40.7 \pm 0.1 \times 10^{3}$ | $39.2 \pm 0.3 \times 10^{3}$ | $18.6 \pm 0.2 \times 10^{3}$ | 0.46 |
| $n=4, m>5 \mathrm{TeV}$ | $24.3 \pm 0.1 \times 10^{3}$ | $22.6 \pm 0.2 \times 10^{3}$ | $6668 \pm 83$ | 0.27 |
| $n=7, m>5 \mathrm{TeV}$ | $22.3 \pm 0.1 \times 10^{3}$ | $20.1 \pm 0.2 \times 10^{3}$ | $3574 \pm 60$ | 0.17 |
| $n=2, m>8 \mathrm{TeV}$ | $338.2 \pm 1$ | $338.1 \pm 2.5$ | $212 \pm 16$ | 0.63 |
| $t \bar{t}$ | $833 \pm 100 \times 10^{3}$ | $23.6_{-6.2}^{+12.2}$ | $8.2_{-2.43}^{+2.43}$ | $9.8 \times 10^{-6}$ |
| QCD dijets | $12.8 \pm 3.7 \times 10^{6}$ | $5899_{-173}^{+173}$ | $5.37_{-2.02}^{+3.25}$ | $4.3 \times 10^{-7}$ |
| $W_{\ell v}+\geq 2$ jets | $1.9 \pm 0.04 \times 10^{6}$ | $12.3_{-1.8}^{+9.0}$ | $4.67_{-0.93}^{+8.73}$ | $2.4 \times 10^{-6}$ |
| $Z_{\ell \ell}+\geq 3$ jets | $51.8 \pm 1 \times 10^{3}$ | $2.75_{-2.01}^{+2.02}$ | $2.57_{-0.64}^{+0.95}$ | $5.0 \times 10^{-5}$ |

Table 6: Acceptance for each signal and background dataset in fb after requiring $\sum\left|p_{T}\right|>2.5 \mathrm{TeV}$, and a lepton with $p_{T}>50 \mathrm{GeV}$.


Reconstructed Black Hole Mass

## Event Selection 2: Multi Object


$=$ Multi Object selection
$=$ Require 4 Objects: $\mathrm{P}_{\mathrm{T}}>200 \mathrm{GeV}$
= Including at least 1 lepton

- Assume high multiplicity
=Less efficiency for high $n$

Event Efficiency: Multi Object selection

| Dataset |  |  |  |  |  | Before selection <br> $(\mathrm{fb})$ | After multi-object <br> requirement (fb) | After lepton requirement <br> $(\mathrm{fb})$ | Acceptance |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $n=2, m>5 \mathrm{TeV}$ | $40.7 \times 10^{3}$ | $38.9 \pm 0.4 \times 10^{3}$ | $14.0 \pm 0.2 \times 10^{3}$ | 0.34 |  |  |  |  |  |
| $n=4, m>5 \mathrm{TeV}$ | $24.3 \times 10^{3}$ | $17.9 \pm 0.3 \times 10^{3}$ | $4521 \pm 126$ | 0.19 |  |  |  |  |  |
| $n=7, m>5 \mathrm{TeV}$ | $22.3 \times 10^{3}$ | $9953 \pm 185$ | $1956 \pm 82$ | 0.087 |  |  |  |  |  |
| $n=2, m>8 \mathrm{TeV}$ | 338 | $338 \pm 4$ | $164 \pm 3$ | 0.49 |  |  |  |  |  |
| $t \bar{t}$ | $833 \times 10^{3}$ | $129 \pm 27$ | $36_{-9}^{+12}$ | $4.3 \times 10^{-5}$ |  |  |  |  |  |
| QCD dijets | $12.8 \times 10^{6}$ | $38.9 \pm 1.9 \times 10^{3}$ | $6_{-3}^{+37}$ | $5.6 \times 10^{-7}$ |  |  |  |  |  |
| W+jets | $560 \times 10^{3}$ | $99_{-22}^{+28}$ | $56_{-13}^{+24}$ | $1 \times 10^{-3}$ |  |  |  |  |  |
| Z+jets | $51.8 \times 10^{3}$ | $29_{-4}^{+90}$ | $19_{-3}^{+90}$ | $4 \times 10^{-4}$ |  |  |  |  |  |
| $\gamma(\gamma)+$ jets | $5.1 \times 10^{6}$ | $285_{-76}^{+87}$ | $0_{-0}^{+40}$ | $<10^{-5}$ |  |  |  |  |  |

Table 7: Acceptance of the 4-object requirements for each dataset in $\mathrm{fb} .90 \%$ confidence limits are used when no events passed the requirements.


Reconstructed Black Hole Mass

## Discovery Potential for $\mathbf{M}_{\mathbf{p}}=1 T \mathrm{EV}$ Black Hole

Discovery Potential:
$=$ Integrated Luminosity for $\mathrm{S} / \sqrt{ } \mathrm{B}>5 \& \& \mathrm{~S}>10$

$=$ Discovery Potential with $\operatorname{SumP}_{\mathrm{T}}$ selection
= Horizontal axis shows production threshold of $\mathrm{M}_{\mathrm{BH}}$

=Discovery Potential with Multi Object Selection
= Horizontal axis shows additional cut on reconstructed $\mathrm{M}_{\mathrm{BH}}$
$=$ There is large uncertainty when $\mathrm{M}_{\mathrm{BH}}$ is close to $\mathrm{M}_{\mathrm{P}}$
$=$ Our assumption (semi-classical calculation) is not reliable
$=$ We set minimum $\mathrm{M}_{\mathrm{BH}}$ at 5 TeV , and above two methods have been studied for calculation discovery potential
$=$ Only a few $\mathrm{pb}^{-1}$ is needed for 5 TeV discovery

## Mass Reconstruction



- Mass information is important for more study: cross section, Planck Scale and number of extra dimensions
- A part of mass information is missed as a momentum of an undetected particle $=$ A requirement of small missing $\mathrm{E}_{\mathrm{T}}$ can improve the center value and also the resolution

|  |  | Normalisation | Mean $(\mathrm{GeV})$ | Resolution (GeV) |
| :---: | :---: | :---: | :---: | :---: |
| Without | Narrow | $1018 \pm 26$ | $-217 \pm 5$ | $276 \pm 9$ |
| $E_{T}$ requirement | Wide | $276 \pm 30$ | $-148 \pm 9$ | $722 \pm 13$ |
| With | Narrow | $318 \pm 12$ | $-116 \pm 8$ | $215 \pm 9$ |
| $E_{T}$ requirement | Wide | $108 \pm 7$ | $118 \pm 18$ | $635 \pm 16$ |

## Measurement of Features of TeV-Scale Gravity




FA attempt to estimate the features using energy spectrum of Hawking radiation had been studied
$=$ But non-Hawking radiation effects(such a grey-body factor) and detector effects make it difficult
$=$ One of the possibility is extract from xsec

- Xsec strongly depends on $\mathrm{M}_{\mathrm{P}}$
$=\mathrm{n}$ dependence is not so strong
$=$ Left figures show one of the other methods
$=$ Using emission probability of high energy particles ( $\mathrm{E} \sim \mathrm{M}_{\mathrm{BH}} / 2$ )
- Such particles should be generated at fist of BH decay
= Then, they should be radiated by Hawking radiation with generated $\mathrm{M}_{\mathrm{BH}}$


## Summary

$=$ Black hole production is one of the helpful signal for TeV scale gravity
$=$ Which can solve one of the big homework in 20century
$=$ LHC is the first experiment which can produce TeV energy objects directly
$=$ LHC has a potential of generating mini(TeV scale)-black holes
$=$ The ATLAS experiment has an enough potential for detection of black holes
= Most of events passed trigger, separation from backgrounds is easy
$=$ Only a few $\mathrm{pb}^{-1}$ is needed for 5 TeV discovery
$=$ Black Hole may be discovered in a few days
$=$ With $100 \mathrm{pb}^{-1}$, the discovery potential reaches to 8 TeV black holes
$=$ Some methods to estimate the parameters of TeV -scale gravity have been studied
$=$ There are uncertainties which are inherent in the model especially around $\mathrm{M}_{\mathrm{BH}} \sim \mathrm{M}_{\mathrm{D}}$
$=$ But if the semi-classical estimation is valid even only in $M_{B H} \gg M_{D}$, we will see the mini-black holes in an early stage of the ATLAS experiment

