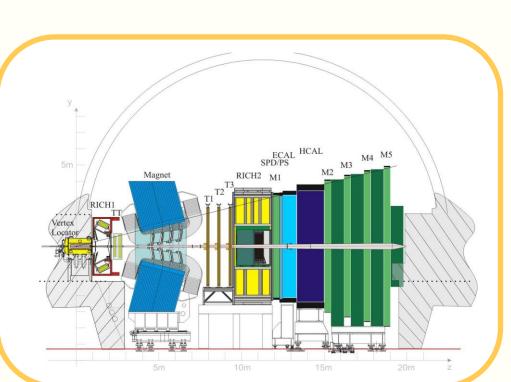


# Probing photon polarization in Bs-> oy decay at LHCb

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# The LHC beauty experiment



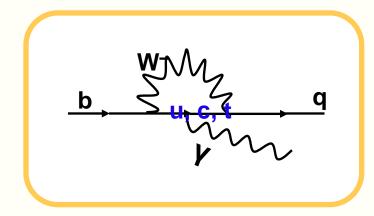
Is dedicated for precise measurements THE MIRROR DID NOT SEEM TO BE OPERATING PROPERLY. of CP violation and rare decays of B mesons.

- Forward geometry: at high energies both the b and b hadrons are produced at the same forward (backward) cone.
- crossings produce 1 pp-collision. > VErtex LOcator allows precise resolution of B production ( $\sigma_z$ =8.3 $\mu$ m,  $\sigma_{xv}$ =0.4 $\mu$ m) and decay **vertices**. ⇒ 2 Ring Imaging Cherenkov detectors provide **hadron** identification in a wide momentum range (1-100 GeV/c)

 $\rightarrow$  Operating luminosity L=2×10<sup>32</sup>cm<sup>-2</sup>s<sup>-1</sup>: 80% of bunch-

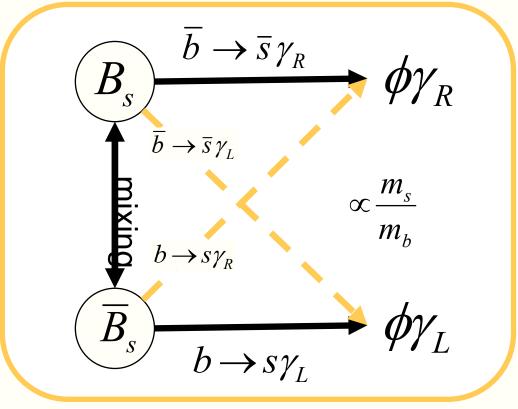
### b→sγ process

In the SM photon is almost 100% polarized



⇒final state is *flavor specific*. Interference can happen only with a *helicity flip*.

Measuring CPviolating effects we therefore indirectly probe photon polarization.



#### New horizon at LHCb

 $\Gamma(\mathrm{B}_q(\bar{\mathrm{B}}_q) \to f^{CP}\gamma) \propto e^{-\Gamma_q t} \left(\cosh \frac{\Delta \Gamma_q t}{2} - \mathcal{A}^\Delta \sinh \frac{\Delta \Gamma_q t}{2} \pm \right)$  $\pm \mathcal{C}\cos\Delta m_q t \mp \mathcal{S}\sin\Delta m_q t$ 

B-factories



 $\Delta\Gamma \approx 0 \Rightarrow$  $A^{\Delta}$  not measurable S≈sin2ψ×sin2β C≈0 - direct CPV

 $\sigma_1 = 52 \pm 5 \text{fs}$ 

 $\sigma$ =59±3fs

 $f_{core} = 78 \pm 6\%$ 

-0.3 -0.2 -0.1 0 0.1 0.2 0.3

 $\cos \theta < -0.5$ 

-0.3 -0.2 -0.1 0 0.1 0.2 0.3

 $\sigma_2$ =114±7fs

 $f_{core} = 51 \pm 9\%$ 

**LHCb**  $B_s$ -system:  $\Delta\Gamma/\Gamma \approx 0.1 \Rightarrow A^{\Delta}!$  $A^{\Delta} \approx \sin 2\psi \times \cos 2\phi_s \approx \sin 2\psi$  $S \approx \sin 2\psi \times \sin 2\phi_s << 1$ 

depends on decay angle  $\theta$ :

B<sub>s</sub> rest frame

 $0.3 < \cos \theta$ 

B<sub>s</sub> flight

direction

 $\sigma$ =96±7fs

 $=27\pm9\%$ 

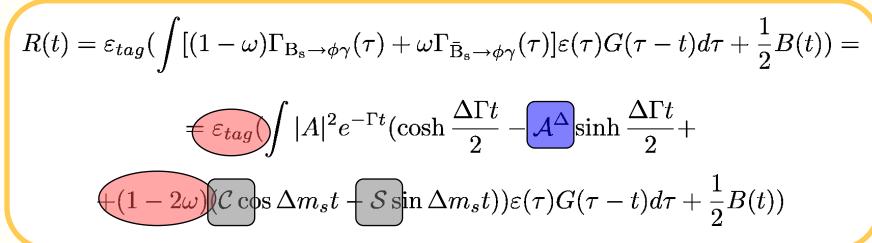
 $\tan \psi = \frac{A(\bar{B} \to f^{CP} \gamma_R)}{A(\bar{B} \to f^{CP} \gamma_L)}$ Current precision  $\sigma_{\sin 2\psi} \approx 0.4$ sin2ψ-fraction of wrong-polarized photons  $\approx 2 \text{m}_{\text{s}}/\text{m}_{\text{b}}$  in the SM

Signal proper time resolution

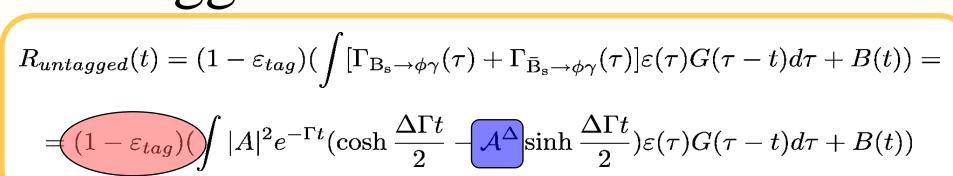
**C≈**0

### Measured decay rate

Tagged events:

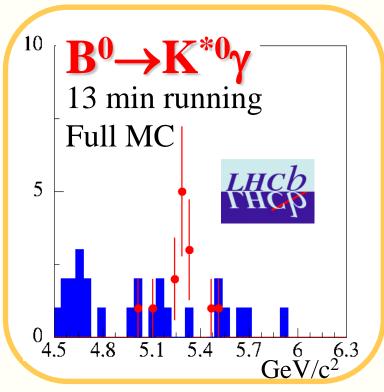


#### Untagged events:

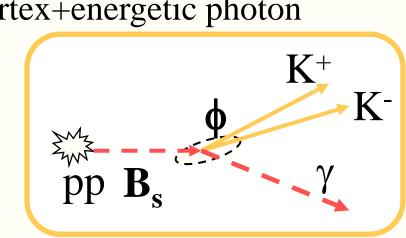


Effective statistics for: C and S is  $\varepsilon_{\text{tag}}(1-2\omega)N=0.24N$  $A^{\Delta}$  is N

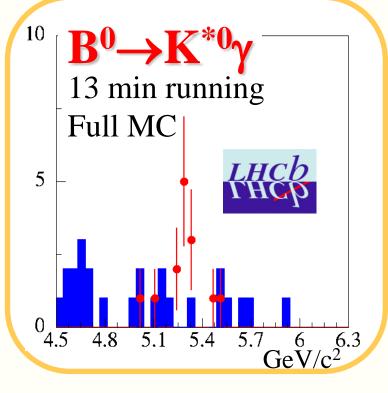
# Event selection and yield



At LHCb we will select per 2fb<sup>-1</sup>:  $B_s \rightarrow \phi \gamma: 11k, B/S < 0.55@90CL$ Resolutions for  $B_s \rightarrow \phi \gamma$ : mass:  $90\text{MeV/c}^2$ proper time (average): 78 fs Similar selections:



B-candidate points to pp-vertex and its momentum direction coincides with the production-decay vertices direction



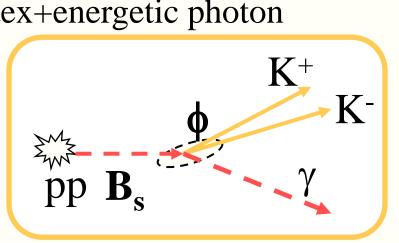
1 year running

Toy MC

 $B_s \rightarrow \phi \gamma$ 

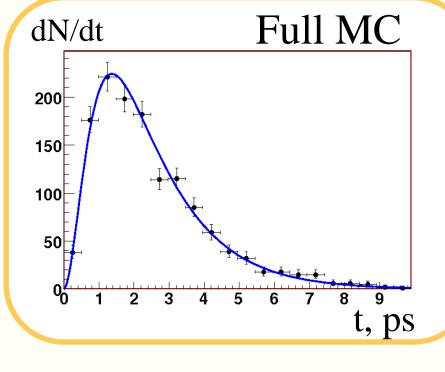
 $B^0 \rightarrow K^{*0}\gamma$ : 68k, B/S=0.60±0.16

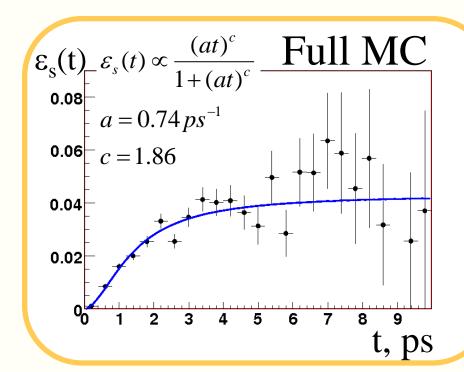
2 charged tracks not pointing to ppvertex+energetic photon



To describe the effect measured proper time errors used for per-event resolution.

# Signal proper time acceptance



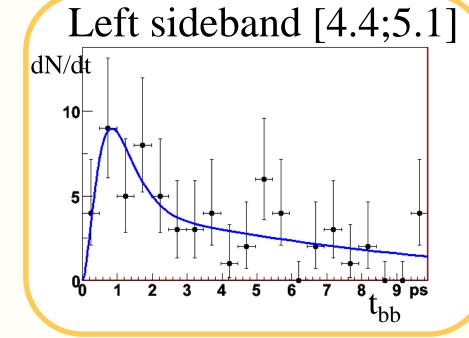


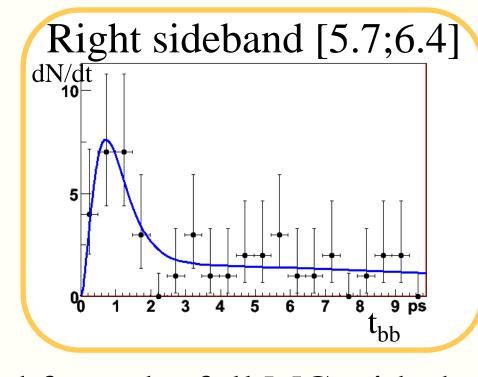
Efficiency of selection as a function of proper time. Have to be "known" precisely:

5% bias in "a"⇒bias in sin 2ψ ~0.2

Can be extracted from data using control channels:  $B^0 \rightarrow K^{*0} \gamma$  or  $B_s \rightarrow J/\psi \phi$ 

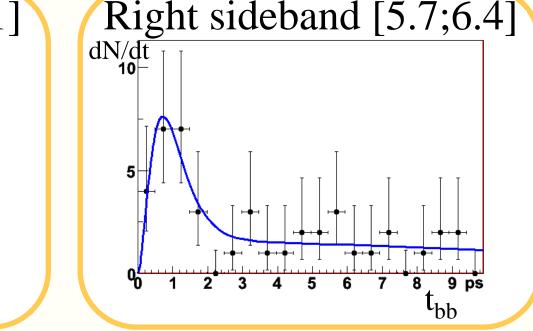
# **Background treatment**





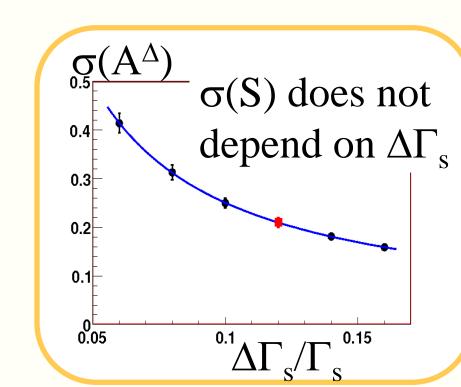
Background shape estimated from the full MC with the relaxed selection.

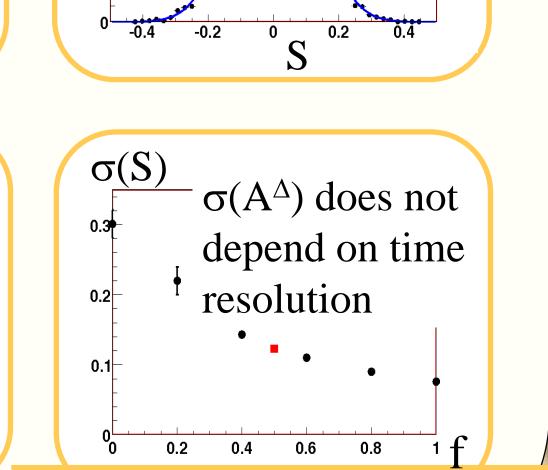
$$P_{b\bar{b}}(m,t) = e^{-\mu m} \frac{(at)^{c}}{1 + (at)^{c}} \left( (\alpha_{0} + \alpha_{1} \Delta m) e^{-\frac{t}{\tau_{1}}} + (\beta_{0} + \beta_{1} \Delta m) e^{-\frac{t}{\tau_{2}}} \right)$$



Time shape changes with mass  $\Rightarrow$  careful with the transition between the sidebands:

### Sensitivity to parameters A<sup>Δ</sup>, S, C $\sigma(S) = 0.11$ $\sigma(A^{\Delta})=0.22$ $\sigma(C)=0.12$





 $G(t-\tau)=f\times G_1(\sigma=52fs)+(1-f)G_2(\sigma=114fs)$ 

# O(10<sup>4</sup>) experiments with RooFit.

Toy Monte Carlo studies

Unbinned maximum likelihood fit: mass, proper time and its error distributions.

- Proper time resolution from per-event proper time errors.
- Signal acceptance function will be extracted from the control channels.
- $\triangle \Gamma/\Gamma = 0.12$  for the main study, will be known from other LHCb measurements.
- $\Delta m_s = 17.77 \text{ ps}^{-1}$
- Background mass-time shape is found from the sidebands.

# Summary and follow-ups

- The expected sensitivity to the measurement of photon polarization after 1 year is  $\sigma(A^{\Delta})=0.22$ ,  $\sigma(S)=0.11$ ,  $\sigma(C)=0.12$ .
- The proper time acceptance should be determined from data:  $B^0 \rightarrow K^{*0} \gamma$  or  $B_s \rightarrow J/\psi \phi$ . This issue is under study now.
- $\rightarrow$  The precision of  $A^{\Delta}$  measurement won't suffer in case we have worse proper time resolution than found from full MC.
- Dependence on the background composition is quite moderate but on its amount is more pronounced. The background shape can be precisely determined from the sidebands.

# Likelihood function

Performed simultaneous fit of tagged and untagged events. For each tagging category  $\kappa$  (B<sub>s</sub>: -1,  $\overline{B}$ <sub>s</sub>: +1, untagged: 0):

$$P_{\kappa}(t,m) = f_{s} \frac{\left\{ e^{-\Gamma \tau} [I_{+}(\tau) + \kappa(1 - 2\omega)I_{-}(\tau)] \right\} \otimes G(t - \tau)\varepsilon(t)g_{s}(m)}{\int \left\{ e^{-\Gamma \tau} [I_{+}(\tau) + \kappa(1 - 2\omega)I_{-}(\tau)] \right\} \otimes G(t' - \tau)\varepsilon(t')dt'} + (1 - f_{s})\varepsilon_{b}(m,t)$$

$$I_{+}( au) = \cosh rac{\Delta \Gamma au}{2} - \mathcal{A}^{\Delta} \sinh rac{\Delta \Gamma au}{2},$$
 $I_{-}( au) = \mathcal{C} \cos \Delta m_{s} au - \mathcal{S} \sin \Delta m_{s} au$ 

$$\mathcal{L}_0 = \prod_{i=1}^{N_{ ext{B}_{ ext{S}}}} P_{-1}(m_i, t_i, \sigma_{ti}) \prod_{i=1}^{N_{ ext{ar{B}}_{ ext{S}}}} P_1(m_i, t_i, \sigma_{ti}) \prod_{i=1}^{N_{untagged}} P_0(m_i, t_i, \sigma_{ti})$$