

SEE-SAW SIGNALS AT THE LHC

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B. Bajc, G. Senjanović, 06

B. Bajc, M. Nemevšek, G. Senjanović, 07

*Various works in progress with A. Arhrib, D. Ghosh, T. Han,
G.-Y. Huang, M. Nemevšek, I. Puljak, G. Senjanović*

See also tomorrow's plenary talk by Goran Senjanović

With the degrees of freedom of the SM

ν masses parametrized by

Weinberg $d = 5$ effective operator

$$\mathcal{L} = Y_{ij} \frac{L_i H H L_j}{M}$$

$$\frac{v^2}{M} Y = U_{PMNS} \ m_\nu^{diag} \ U_{PMNS}^T$$

M signals the appearance of new physics

Only 3 ways of producing the Weinberg operator

By exchange of heavy

- fermion singlet $(1, 1, 0)$

TYPE I SEESAW

Minkowski, 77

Yanagida; Gell-Mann, Ramond, Slansky; Glashow, 79

Mohapatra, Senjanović, 80

- boson weak triplet $(1, 3, 1)$

TYPE II SEESAW

Magg, Wetterich, 80

Lazarides, Magg, Wetterich; Mohapatra, Senjanović, 81

- fermion weak triplet $(1, 3, 0)$

TYPE III SEESAW

Foot, Lew, He, Joshi, 89

I and II very well studied, III almost ignored in the past

All this by itself not more useful than just Weinberg operator

Interesting for LHC only if

- 1) the mediators have a small enough mass M
- 2) they are coupled with our world (photons, W , Z , Higgses, fermions) strongly enough to be produced

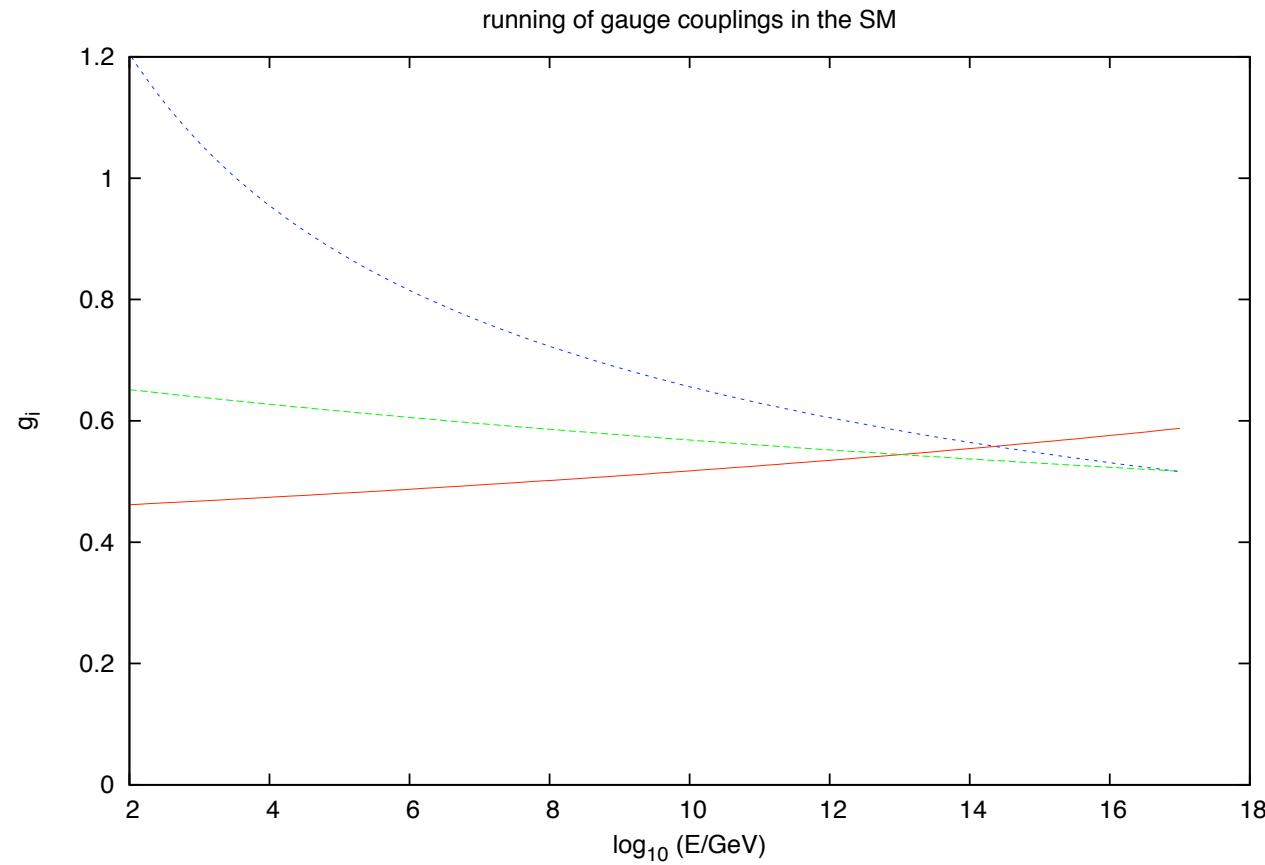
I will present in the following the only known (to my knowledge) model which predicts **both**: the minimal **non-supersymmetric** $SU(5)$ with extra adjoint **fermionic 24_F**

Why is the minimal nonsupersymmetric Georgi-Glashow $SU(5)$ ruled out?

Minimal: $24_H + 5_H + 3(10_F + \bar{5}_F)$

1. gauge couplings do not unify
2. neutrinos massless (as in the SM)

1. Guage coupling non-unification



- 2 and 3 meet at $\approx 10^{16}$ GeV (as in susy),
- but 1 meets 2 too early at $\approx 10^{13}$ GeV

2. Neutrino masses

Minimal SU(5) Yukawa terms:

$$\mathcal{L}_Y = \textcolor{green}{10}_F^i Y_1^{ij} \textcolor{green}{10}_F^j 5_H + 5_H^* \textcolor{green}{10}_F^i Y_2^{ij} \bar{5}_F^j + \frac{1}{\Lambda} [\bar{5}_F^i 5_H Y_3^{ij} 5_H \bar{5}_F^j + \dots]$$

Neutrinos can get mass from $1/\Lambda$ term but too small:

$$m^\nu \approx \textcolor{blue}{Y}_3 \frac{v^2}{\Lambda} \lesssim 10^{-4} \text{ eV}$$

for $\Lambda \gtrsim 100 \times M_{\text{GUT}} \gtrsim 10^{17} \text{ GeV}$ (needed for perturbativity)

Neutrino practically massless!

Add just one extra fermionic 24_F

1. Gauge coupling unification

Under $SU(3)_C \times SU(2)_W \times U(1)_Y$ decomposition

$$24_F = (1, 1)_0 + (1, 3)_0 + (8, 1)_0 + (3, 2)_{5/6} + (\bar{3}, 2)_{-5/6}$$

Extra states $(m_3, m_8, m_{(3,2)})$ with respect to the minimal model

→ RGE change:

$$\exp [30\pi (\alpha_1^{-1} - \alpha_2^{-1}) (M_Z)] = \left(\frac{M_{GUT}}{M_Z}\right)^{84} \left(\frac{m_3}{M_Z}\right)^{25} \left(\frac{M_{GUT}}{m_{(3,2)}}\right)^{20}$$

$$\exp [20\pi (\alpha_1^{-1} - \alpha_3^{-1}) (M_Z)] = \left(\frac{M_{GUT}}{M_Z}\right)^{86} \left(\frac{m_8}{M_Z}\right)^{25} \left(\frac{M_{GUT}}{m_{(3,2)}}\right)^{20}$$

The only possible pattern:

$$m_3 \ll m_8 \ll m_{(3,2)} \ll M_{GUT}$$

A typical solution

$$m_3 = 10^2 \text{GeV}$$

$$m_8 = 10^7 \text{GeV}$$

$$m_{(3,2)} = 10^{14} \text{GeV}$$

$$M_{GUT} = 10^{16} \text{GeV}$$

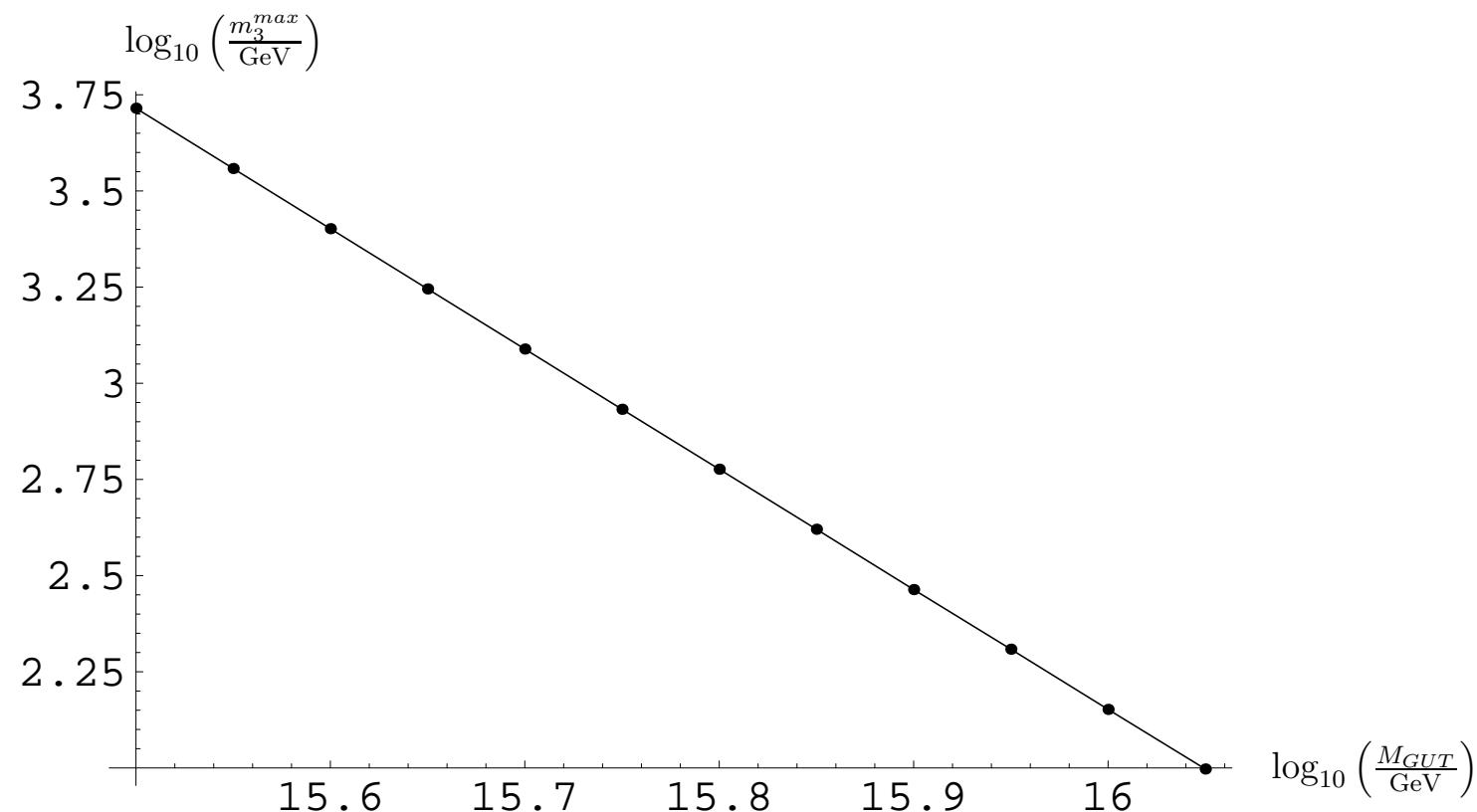
1-loop result:

For $M_{GUT} \gtrsim 10^{15.5}$ GeV (p decay)

$$\rightarrow m_3 \lesssim 1\text{TeV}$$

Prediction of the model !

$m_3^{max} - M_{GUT}$ at two loops



Very important:

- if $m_T \approx 100 \text{ GeV}$ → proton decay slow (interesting for LHC)
- if $m_T \approx 1 \text{ TeV}$ → proton decay fast (interesting for next generation proton decay detectors)

2. Neutrino mass

New Yukawa terms

$$\mathcal{L}_{Y\nu} = Y_0^i \bar{5}_F^i \mathbf{24}_F 5_H + \frac{1}{\Lambda} \bar{5}_F^i (Y_1^i \mathbf{24}_F 24_H + \dots) 5_H + h.c.$$

Under $SU(3)_C \times SU(2)_W \times U(1)_Y$ decomposition

$$\mathbf{24}_F = (1, 1)_0 + (1, 3)_0 + (8, 1)_0 + (3, 2)_{5/6} + (\bar{3}, 2)_{-5/6}$$

singlet $S = (1, 1)_0$

triplet $T = (1, 3)_0$

$$\mathcal{L}_{Y\nu} = L_i \left(y_T^i T + y_S^i S \right) H + h.c.$$

Mixed Type I and Type III seesaw:

$$(m_\nu)^{ij} = v^2 \left(\frac{y_T^i y_T^j}{m_T} + \frac{y_S^i y_S^j}{m_S} \right)$$

→ one massless neutrino !

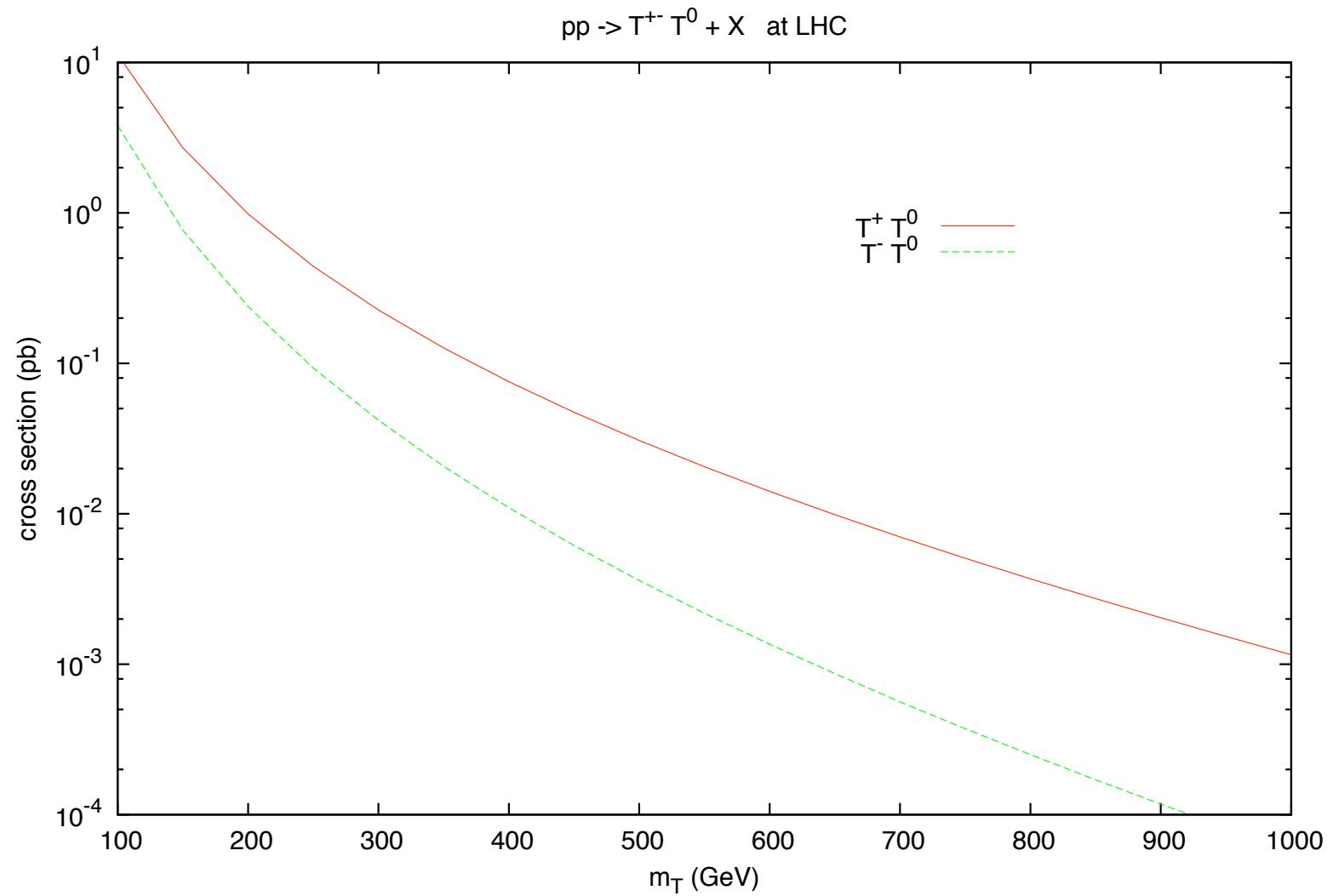
How to produce T at LHC ?

$T^{0,\pm}$ weak triplet

→ produced through gauge interactions
(Drell-Yan)

$$pp \rightarrow W^\pm + X \rightarrow T^\pm T^0 + X$$

$$pp \rightarrow (Z \text{ or } \gamma) + X \rightarrow T^+ T^- + X$$



Triplet decays

$$\begin{array}{ll} T^\pm \rightarrow Z l_k^\pm & T^0 \rightarrow Z \nu_k \\ T^\pm \rightarrow W^\pm \nu_k & T^0 \rightarrow W^\pm l_k^\mp \end{array}$$

$$\Gamma_T \approx m_T |y_T|^2$$

If you want to avoid missing energy (no ν)

1. only charged leptons

$$T^\pm \rightarrow Zl^\pm \rightarrow l'^+l'^-l^\pm$$

2. charged leptons + jets

$$T^\pm \rightarrow Zl^\pm \rightarrow l^\pm + 2jets$$

$$T^0 \rightarrow W^\mp l^\pm \rightarrow l^\pm + 2jets$$

The best channel is like-sign dileptons + jets
(like in LR models with low W_R mass and $m_{\nu_R} \leq m_{W_R}$)

Keung, Senjanović, 83

$$BR(T^\pm T^0 \rightarrow l_i^\pm l_j^\pm + 4 \text{ jets}) \approx \frac{1}{20} \times \frac{|y_T^i|^2 |y_T^j|^2}{(\sum_k |y_T^k|^2)^2}$$

Same couplings y_T^i contribute to

- ν mass matrix and
- T decays !

Normal hierarchy:

$$\frac{vy_T^{i*}}{\sqrt{2}} = i\sqrt{m_T} \left(U_{i2}\sqrt{m_2^\nu} \cos z \pm U_{i3}\sqrt{m_3^\nu} \sin z \right)$$

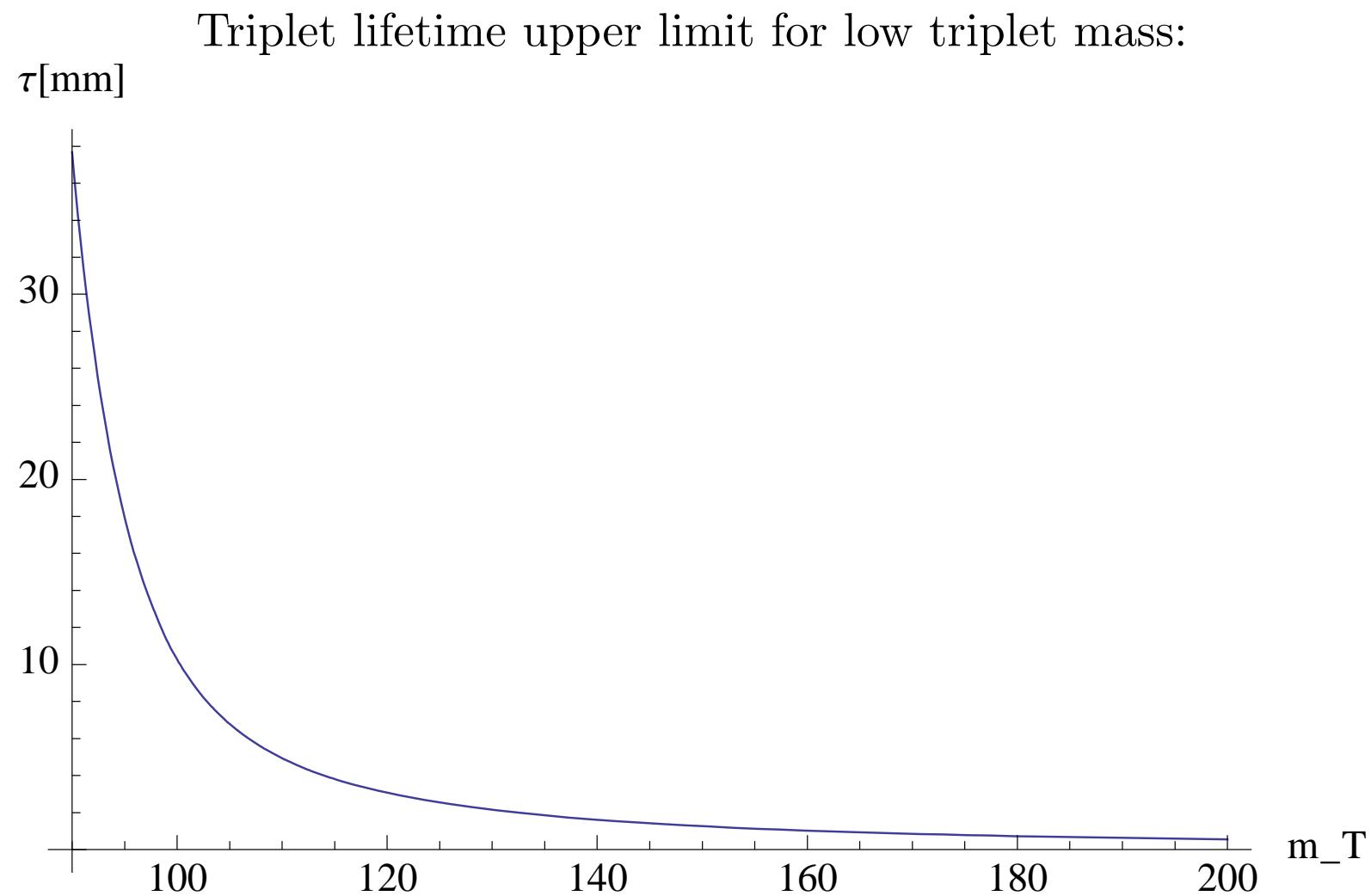
Inverse hierarchy:

$$\frac{vy_T^{i*}}{\sqrt{2}} = i\sqrt{m_T} \left(U_{i1}\sqrt{m_1^\nu} \cos z \pm U_{i2}\sqrt{m_2^\nu} \sin z \right)$$

U = PMNS matrix, z = arbitrary complex number

Ibarra, Ross, 03

Measuring T decays \rightarrow constraints on z (θ_{13} , phases)



Approximate upper limit on total triplet lifetime ($m_T > 200$ GeV)

$$\tau_T \lesssim 0.5 \left(\frac{200 \text{ GeV}}{m_T} \right)^2 \text{ mm} \quad (\text{normal hierarchy})$$

(and $\sqrt{\Delta m_A^2 / \Delta m_S^2} \approx 5$ times smaller for inverse hierarchy)

May be hard to measure lifetime

But should be easier to measure

- slower decay modes
- branching ratios

$|y_T^k|$ from $\tau(T \rightarrow l_k jj)$ are partially correlated (connected by unknown complex z and not yet measured θ_{13} and phases δ, Φ in U_{PMNS})

$$a_T^i \equiv y_T^i \sqrt{\frac{v}{2m_T}}$$

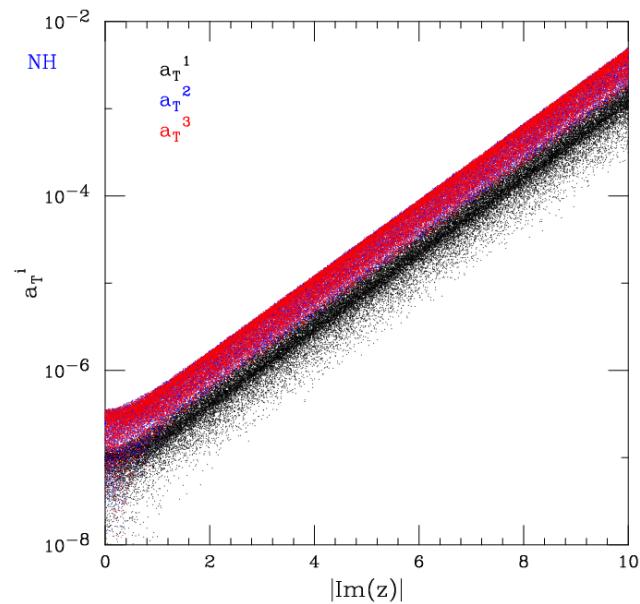
Normal hierarchy: $a_T^1 < a_T^2 \approx a_T^3$

Inverse hierarchy: $a_T^1 > a_T^2 \approx a_T^3$

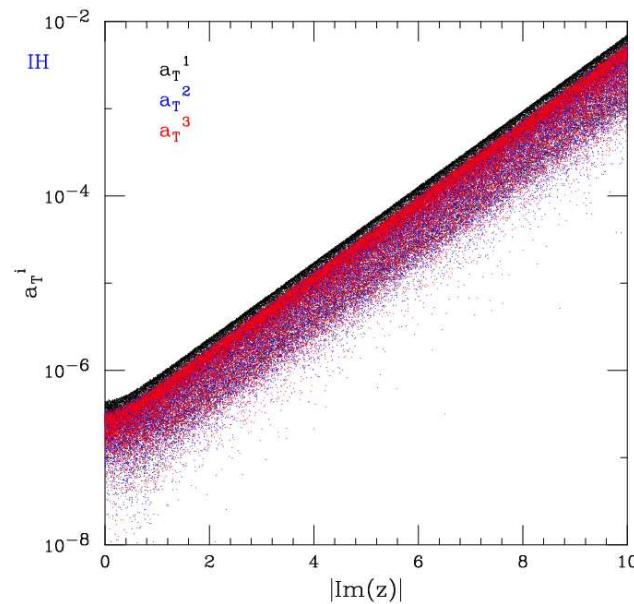
Arhrib, Bajc, Ghosh, Han, Huang, Puljak, Senjanović, to appear

$\tau\tau$ final states never dominates

Scanning over whole parameter space

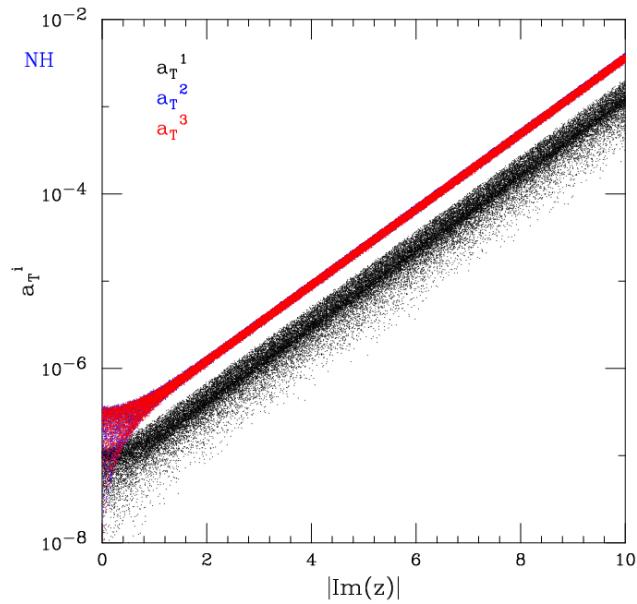


normal hierarchy

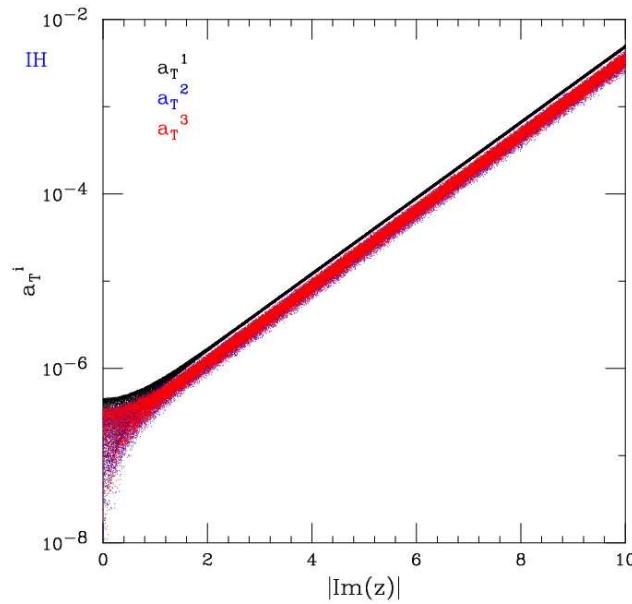


inverse hierarchy

Assuming Majorana phase $\Phi = 0$



normal hierarchy



inverse hierarchy

Define the following cross sections:

$$\begin{aligned}\sigma_{prod} &\equiv \sigma(pp \rightarrow T^\pm T^0) \\ \sigma_{prod} \times BR &\equiv \sigma(pp \rightarrow T^\pm T^0) BR(T^\pm \rightarrow l^\pm jj) BR(T^0 \rightarrow l^\pm jj) \\ \sigma_{signal} &\equiv \sigma_{prod} \times BR \quad \text{after cuts}\end{aligned}$$

where

$$BR(T \rightarrow ljj) \equiv \sum_{a=1}^3 BR(T \rightarrow l_a jj)$$

CUTS

- Rapidity coverage for leptons and jets

$$|\eta(\ell)| < 2.5 , \quad |\eta(j)| < 3$$

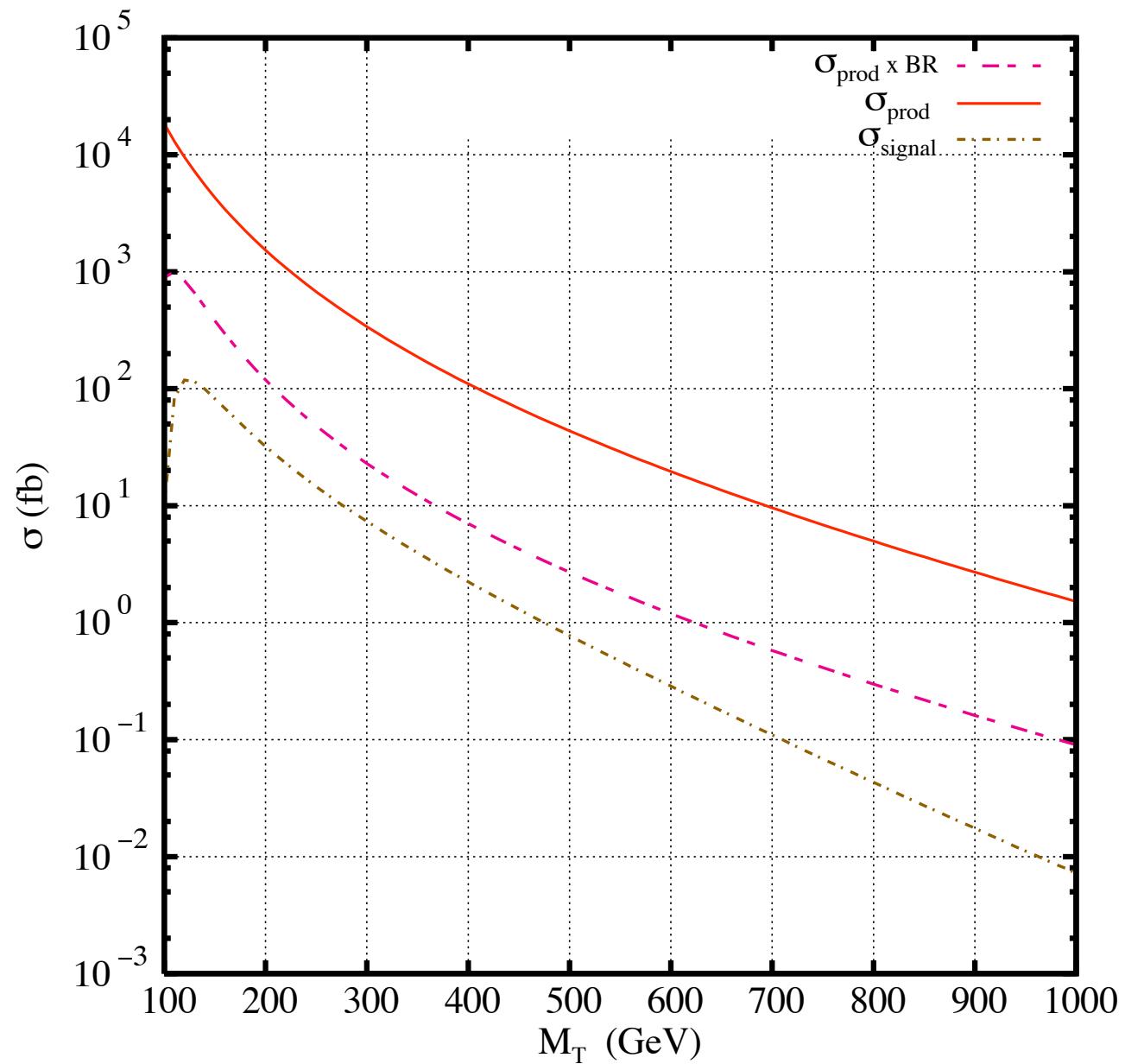
- High transverse momentum cuts

$$p_T^{\text{jets}} > 20 \text{ GeV} , \quad p_T^\ell > 15 \text{ GeV} ,$$

- No significant missing energy

$$\cancel{E}_T < 25 \text{ GeV}$$

- Particle identification, $\Delta R_{\alpha\beta} \equiv \sqrt{(\Delta\phi_{\alpha\beta})^2 + (\Delta\eta_{\alpha\beta})^2}$
 $\Delta R_{jj} > 0.5 , \quad \Delta R_{\ell j} > 0.5 , \quad \Delta R_{\ell\ell} > 0.3 .$



Quite substantial decrease due to **cuts** (factor ≈ 6)

For $M_T = 200$ GeV and initial $\sigma_{prod} \times BR = 119$ fb:

Cuts \downarrow	$\sigma_{\text{sig.}}(\text{fb})$
$p_T(\ell) > 15$ GeV	114.92
$p_T(\text{jets}) > 20$ GeV	63.92
$ \eta(\ell) < 2.5$	49.81
$ \eta(\text{jets}) < 3$	48.43
$\Delta R_{\ell\ell} > 0.3$	44.69
$\Delta R_{\ell j} > 0.5$	37.25
$\Delta R_{jj} > 0.5$	32.80
$\not{p}_T < 25$ GeV	21.51

Background mainly from

- $t\bar{t}nj:$

$$\begin{aligned} t &\rightarrow W^+ b \\ \bar{t} &\rightarrow W^- (\bar{b} \rightarrow W^+ \bar{q}) \end{aligned}$$

- $b\bar{b}nj:$

$$\begin{aligned} b &\rightarrow W^- (q \rightarrow W^+ q') \\ \bar{b} &\rightarrow W^+ \bar{q}'' \end{aligned}$$

$W^+ \rightarrow l^+ \nu$ produce final states $\rightarrow l^+ l^+ 4j +$ missing energy

Cross sections huge (QCD), but phase space fortunately small

Other important non-QCD modes

- $W^+ W^+ n_j$
- $W^+ Z n_j$

$$Z \rightarrow q(\bar{q} \rightarrow W^+ \bar{q}')$$

Some estimates:

with just very loose cuts: $\sigma_{background} \approx 25 \text{ fb}$

Different for different final states (e , μ or τ)

Del Aguila, Aguilar-Saavedra, 07, 08

Seems under control ($\sigma_{background} \lesssim 1 \text{ fb}$) with better cuts

Franceschini, Hambye, Strumia, 08

Good chances for **discovery** with $\int \mathcal{L} \gtrsim 10 \text{ fb}^{-1}$ if $m_T \lesssim 400 \text{ GeV}!$

Triplet mass reconstruction:

Finite resolution of measured energy in the detector simulated by Gaussian smearing

$$\frac{\delta E_j}{E_j} = \left[\frac{1\text{GeV}}{E_j} + (0.05)^2 \right]^{1/2}$$

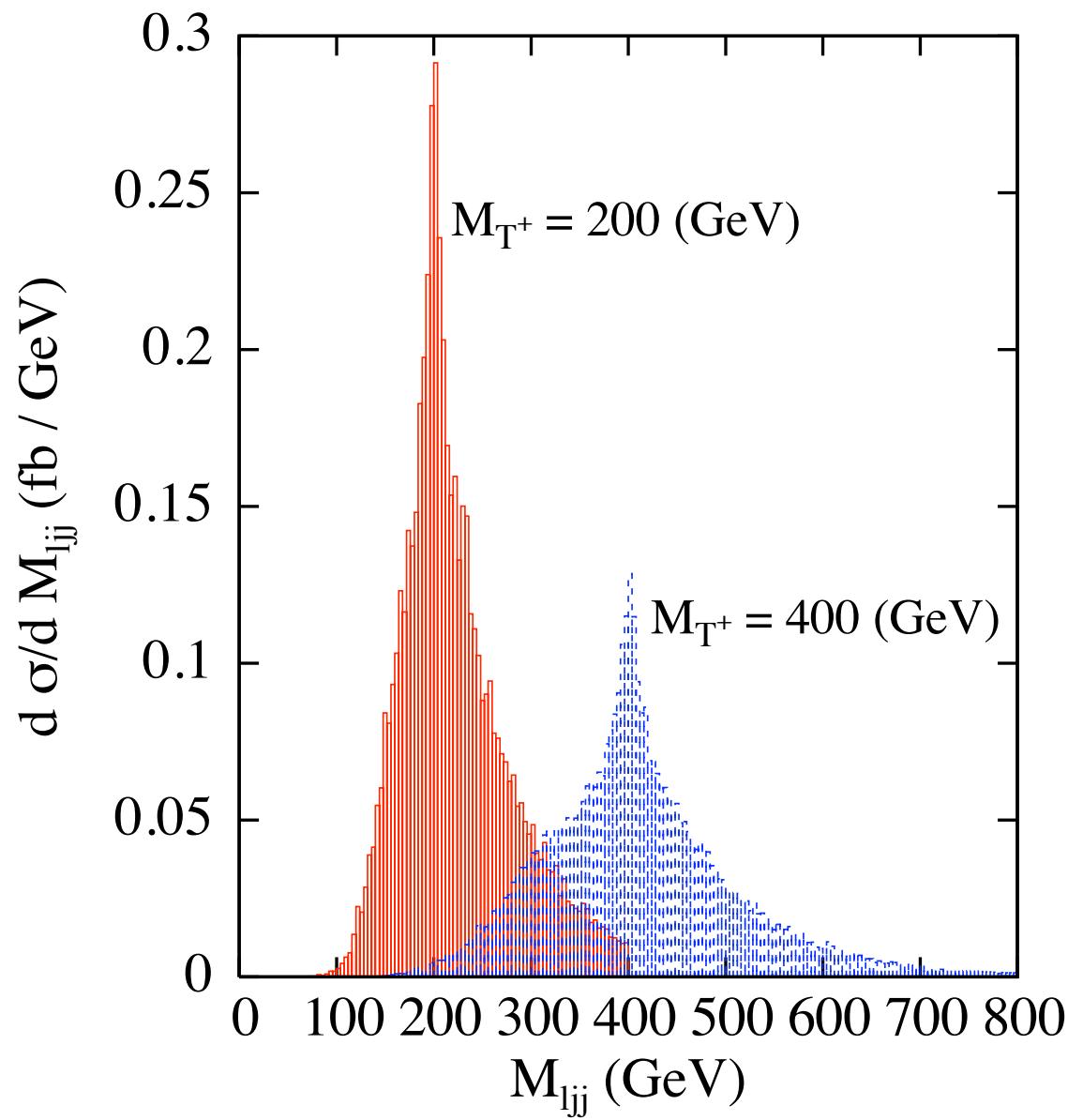
$$\frac{\delta E_\ell}{E_\ell} = \left[\frac{(0.05)^2\text{GeV}}{E_\ell} + (0.0055)^2 \right]^{1/2}$$

Triplet invariant mass:

6 ways to partition each $lljjj$ event into $(ljj)_1$ $(ljj)_2$ clusters, with invariant masses m_1, m_2

The best reconstruction has a minimal $|m_1 - m_2|$ and an invariant mass $(m_1 + m_2)/2$

Barger, Keung, Phillips, 95



Conclusions

- Shown an explicit example of predictive GUT theory: ordinary minimal SU(5) with extra fermionic adjoint
- weak fermionic triplet predicted in the TeV range
- its decay connected with neutrino mass
- good chances to find it at LHC
- possible even to get information on unmeasured neutrino parameters