

Prospect for β_s measurement at LHC

Alessia Satta on behalf of the LHCb
collaboration + some Atlas and CMS results

Physics at LHC, 3rd october 2008

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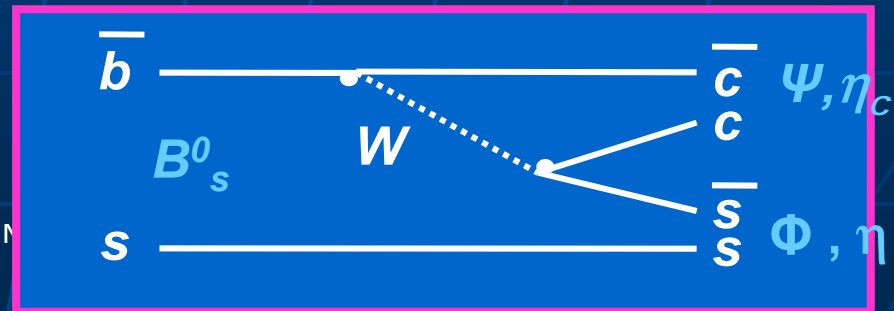
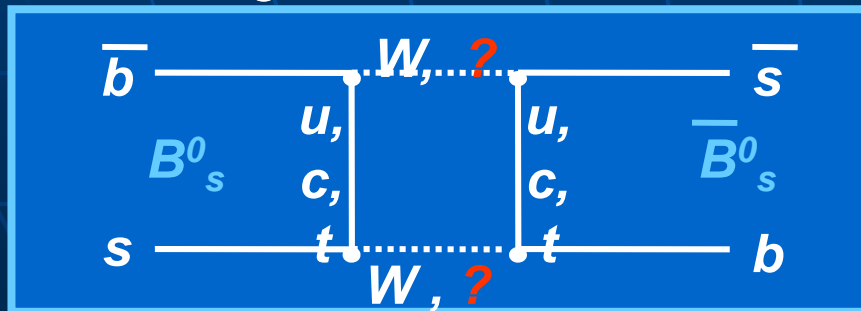
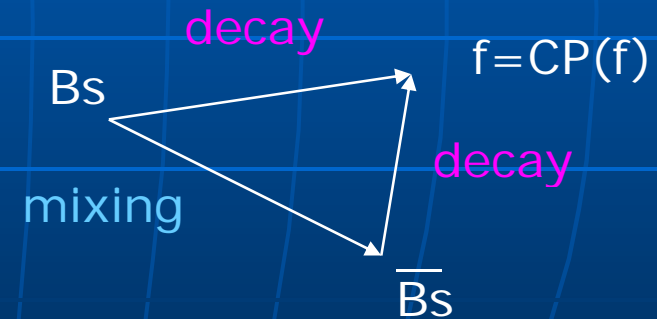
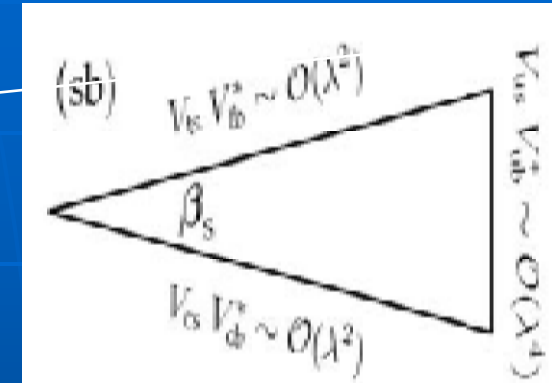
β_s angle in one slide

- the CKM unitarity triangle in B_s system

- Possible to extract $\beta_s = -\arg\left(\frac{V_{ts}V_{tb}^*}{V_{cs}V_{cb}^*}\right)$ from CPV in B_s if $b \rightarrow$

$\bar{c}\bar{c}s$ decay **GOLDEN MODE** $J/\psi\phi$

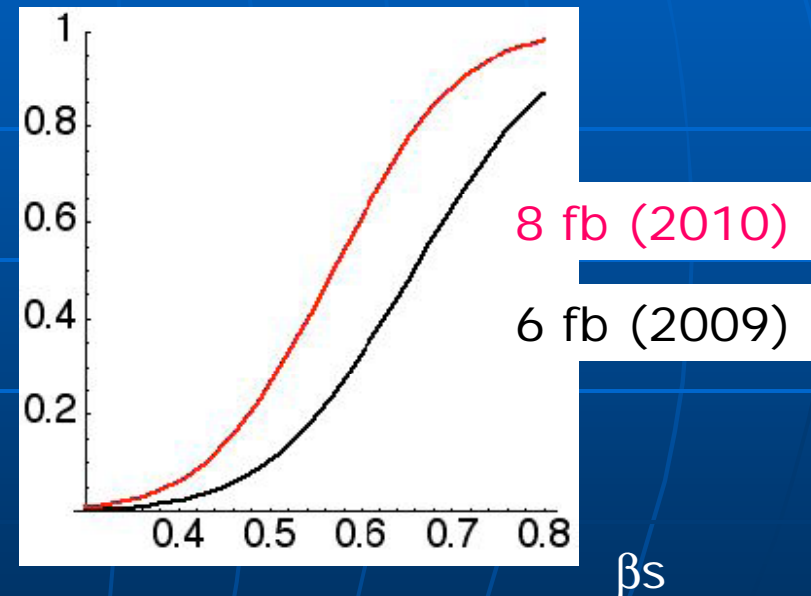
- SM predicts a very small value:
 $2\beta_s = 0.037 \pm 0.002$



Interesting !

- Tevatron result is larger than SM prediction by 2.2σ (arXiv:0808.1297)
- Exciting for NP searches but not easy to settle down by Tevatron alone: room for LHC

CDF Probability of 5σ observation



Formulas of decay rate

$A_0, A_{\parallel}, A_{\perp}$: transition amplitudes in a given polarization state

$f(\rho)$: angular distribution for a given polarization

Untagged analysis still some sensitive to β_s

T U V : Time dependence

If $P \rightarrow \text{anti } P$ $(U, V)^+ \rightarrow (U, V)^- \eta = 1 \rightarrow -1$

Tagged analysis sensitive to $\cos(2\beta) \sin(2\beta)$



$$\frac{d^4 P(t, \vec{\rho})}{dt d\vec{\rho}} \propto |A_0|^2 \mathcal{T}_+ f_1(\vec{\rho}) + |A_{\parallel}|^2 \mathcal{T}_+ f_2(\vec{\rho}) + |A_{\perp}|^2 \mathcal{T}_- f_3(\vec{\rho}) + |A_{\parallel}| |A_{\perp}| \mathcal{U}_+ f_4(\vec{\rho}) + |A_0| |A_{\parallel}| \cos(\delta_{\parallel}) \mathcal{T}_+ f_5(\vec{\rho}) + |A_0| |A_{\perp}| \mathcal{V}_+ f_6(\vec{\rho}),$$

$$\mathcal{T}_{\pm} = e^{-\Gamma t} \times [\cosh(\Delta\Gamma t/2) \mp \cos(2\beta_s) \sinh(\Delta\Gamma t/2) \mp \eta \sin(2\beta_s) \sin(\Delta m_s t)],$$

$$\mathcal{U}_{\pm} = \pm e^{-\Gamma t} \times [\sin(\delta_{\perp} - \delta_{\parallel}) \cos(\Delta m_s t) - \cos(\delta_{\perp} - \delta_{\parallel}) \cos(2\beta_s) \sin(\Delta m_s t) \pm \cos(\delta_{\perp} - \delta_{\parallel}) \sin(2\beta_s) \sinh(\Delta\Gamma t/2)],$$

$$\mathcal{V}_{\pm} = \pm e^{-\Gamma t} \times [\sin(\delta_{\perp}) \cos(\Delta m_s t) - \cos(\delta_{\perp}) \cos(2\beta_s) \sin(\Delta m_s t) \pm \cos(\delta_{\perp}) \sin(2\beta_s) \sinh(\Delta\Gamma t/2)].$$

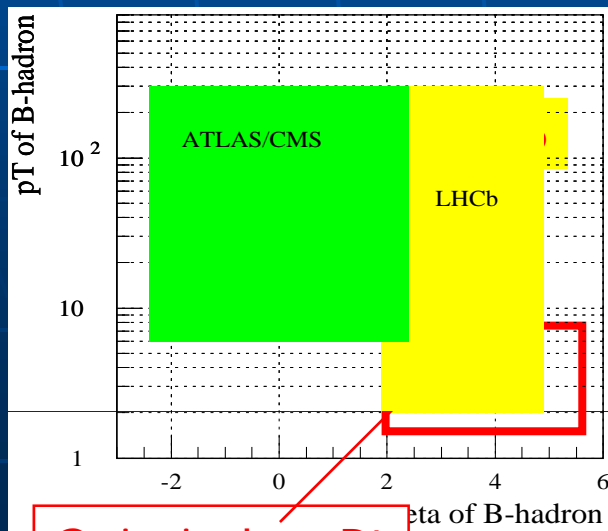
Analysis in a nutshell

- Fit time dependent angular distribution
 - Large statistics is mandatory
 - Large σ_{bb} , good trigger
 - Good signal background separation
 - –benefit a lot for dimuon in final state
 - Good time resolution
 - Good tracking (angular resolution)
 - Good tagging (for tagged analysis)

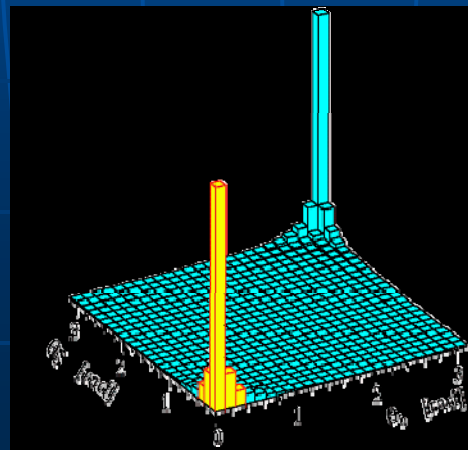
Beauty in LHC experiment



- General purpose experiment
- $|\eta| < 2.5$, $\sigma = 100 \mu\text{b}$
- B physics mainly first years ($L = 10^{33}$)
- B dedicated experiment
- Forward spectrometer to max. bb in acceptance
- $1.9 < \eta < 4.5$ $\sigma = 230 \mu\text{b}$
- Locally reduced L to maximize events with one interaction



Gain in low Pt



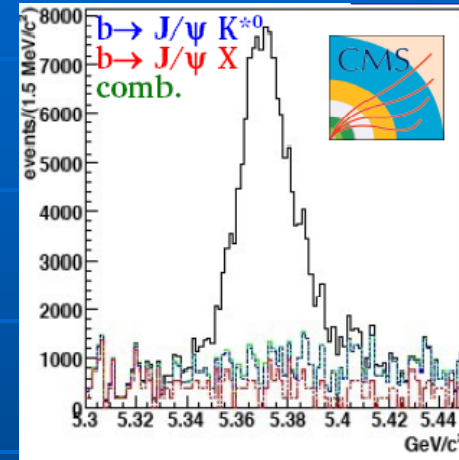
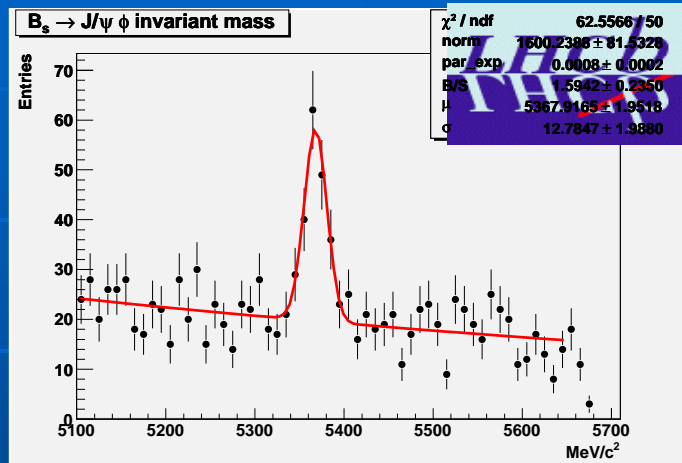
Trigger

- Crucial since only 1% of σ_{tot} is b production and decay chain of interest has BR $3 \cdot 10^{-5}$
- Hardware and sw levels for all experiments:
 - LO rate 1MHz (LHCb) \sim 100kHz (ATLAS CMS)
 - HLT rate 2kHz (LHCb) \sim 100Hz (ATLAS CMS)
- ATLAS and CMS general purpose so limited bandwidth for b physics ($O(10\%)$)
- All experiments have a dimuon trigger to select signal events
 - ATLAS /CMS Pt and Mass based cut + IP, rate \sim Hz
 - LHCb : 600Hz of IP unbiased dimuon trigger \rightarrow signal recostruction as offline (loser cut) noIP . Very high efficiency on selected events of trigger (\sim 70%)

Signal reconstruction

- Standard cuts : Pt, invariant mass, PID, vertex quality, B pointing to primary vertex, B decay length (only ATLAS & CMS)
- PID
 - Similar muon ID performance for ATLAS CMS and LHCb
 - ATLAS and CMS no Kaon pid capability, LHCb has 2 Riches that ensures good K identification
 $\epsilon(K \rightarrow K) \sim 80\%$ $\epsilon(\pi \rightarrow K) \sim 3\%$

Signal and background



	L (fb ⁻¹)	ev	B/S	Background
ATLAS	10	90k	0.18	long lived B
CMS	10	109k	0.25	long lived B
LHCb	2	114k	2.0	1.8 prompt* +0.2 long lived

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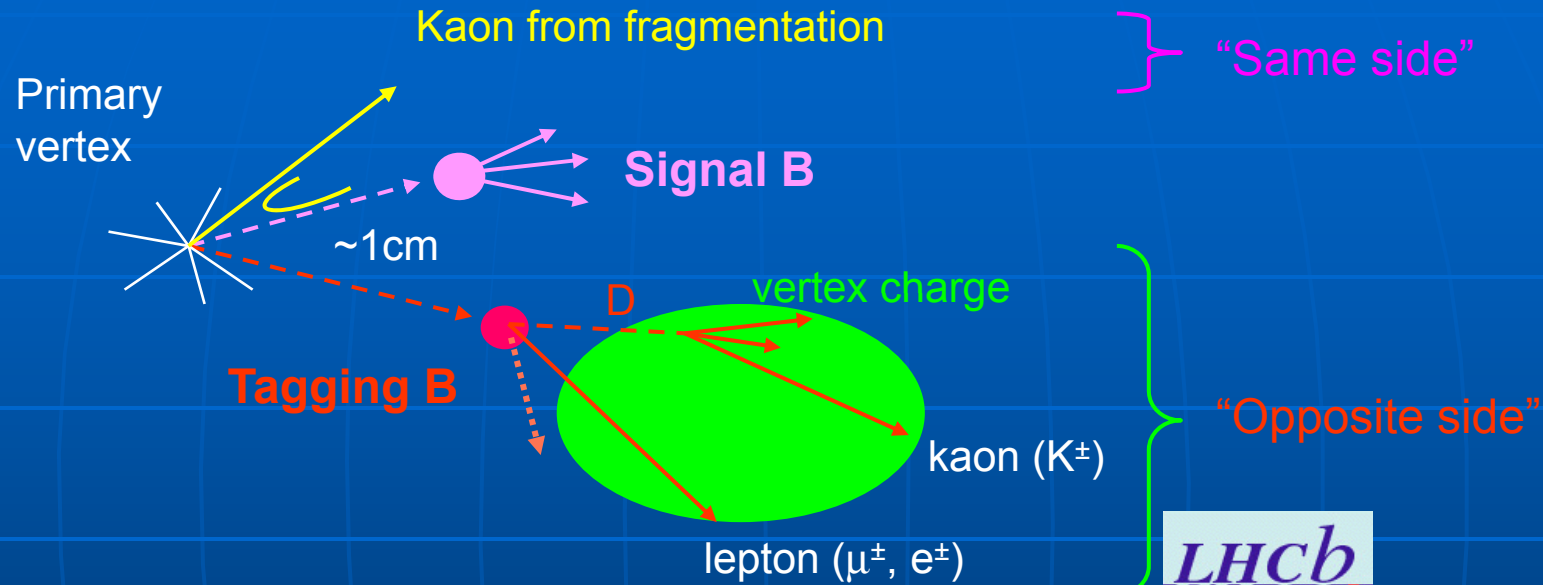
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* Selection with no bias in IP to avoid acceptance in proper time and angle

Proper time resolution

- Need to resolve fast Bs oscillation: β_s extraction sensitivity $\sim \exp(-0.5 * \sigma_t^2 \Delta m_s^2)$
- Atlas 83fs CMS 77fs LHCb 39fs
 - LHCb vertex detector close to IP (0.8cm wtr 4.4cm)
 - LHCb P resolution a factor 2 better
 - LHCb trigger collects 600Hz unbiased dimuon (also) to calibrate proper time on data

Tagging



- Sensitivity goes as $\epsilon(1-w)^2$
- ATLAS : e, μ Qjet 4.6%
- CMS : NA

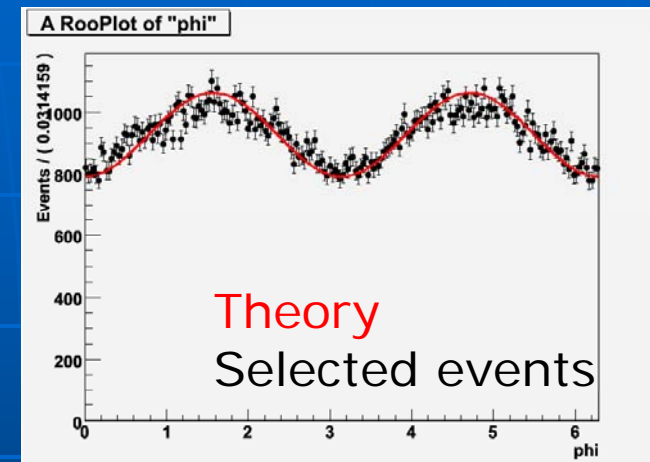
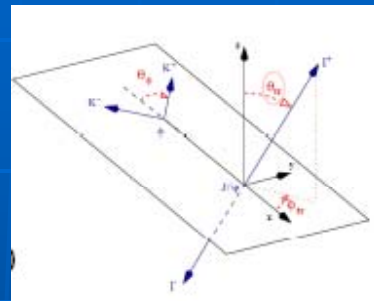
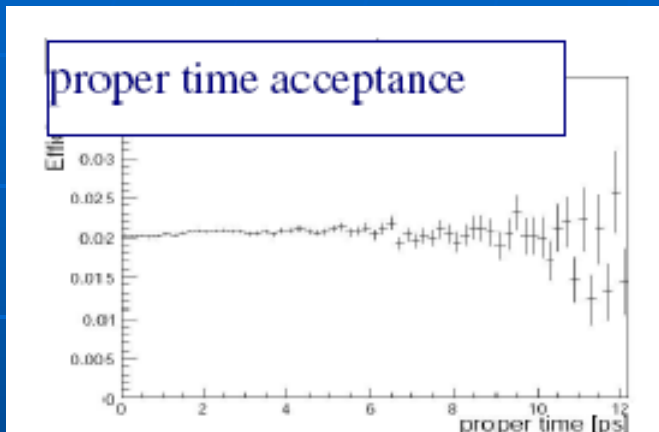


	$\epsilon(1-2w)^2$
Muon	0.8
Electron	0.4
K (OS)	1.5
K (SS)	2.1
Q vertex	1.1
Combined	6.2

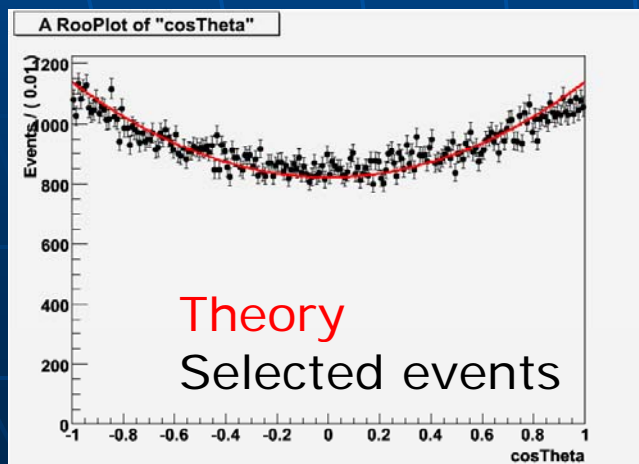
Tagging from data

- LHCb plans to extract the mistag fraction from control sample with large statistics
- **Opposite Side** is extracted from $B^+ \rightarrow J/\psi K^+$ or $B_d \rightarrow J/\psi K^*$
 - Common selection as much as possible with signal sample to avoid phase space bias to opposite b
 - Large statistics is expected: in 2 fb^{-1}
 - 650k $B_d \rightarrow J/\psi K^*$
 - 1 million for $B^+ \rightarrow J/\psi K^*$
- **Same Side**
 - From $B_s \rightarrow D_s \pi$

Acceptance proper time and angles

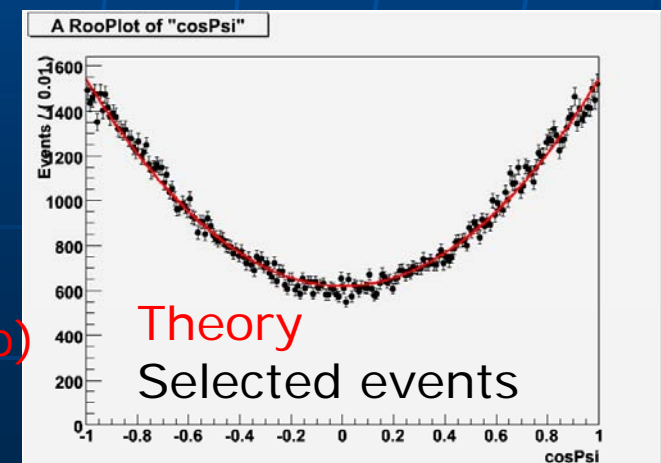


No bias from selection



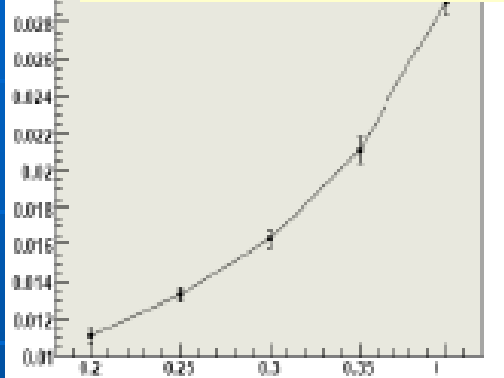
A common selection with $B_d \rightarrow J/\psi K^*$ allows to test the acceptance on data (650keV/2fb)

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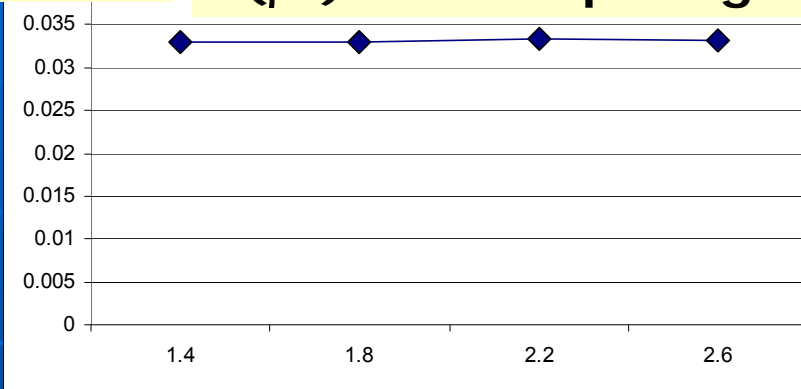


Systematic studies

$\sigma(\beta_s)$ vs mistag fraction

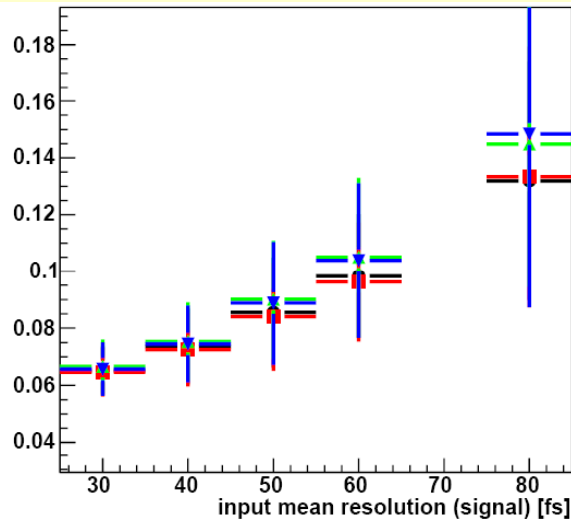


$\sigma(\beta_s)$ vs Prompt bkg fraction

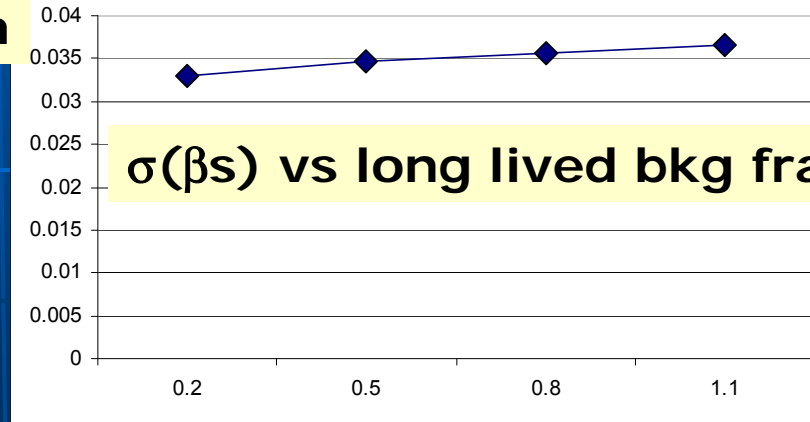


Angular resolution is very good and has negligible impact on β_s error

$\sigma(\beta_s)$ vs proper time resolution



$\sigma(\beta_s)$ vs long lived bkg fraction



Crucial : mistag
and proper time

Sensitivity

	ATLAS	CMS	LHCb
L (fb ⁻¹)	10	10	2.0
Yield (k)	90	109	114
B/S	0.18	0.25	2.0
$\sigma(M_{B_s})$ (MeV)	16.5	14	17
σ_t (fs)	83	77	39
Eff(tag) (%)	4.6	NA	6.2
$\sigma(2\beta_s)$	0.08	NA	0.03

Even with fraction of one year nominal luminosity good sensitivity

More channels in LHCb

- Other $b \rightarrow c\bar{c}s$ decay can be added
 - Low yield , experimental signature more difficult, larger background , degradation of proper time resolution for $D_s D_s$
 - No angular analysis is required

Decay mode	Events in 2fb^{-1}	$\sigma(2\beta s)$
$J/\Psi\eta_{\gamma\gamma}$	8.5 k	0.109
$J/\Psi\eta_{\pi\pi\pi 0}$	3 k	0.142
$J/\Psi\eta'_{\pi\pi\eta}$	2.2 k	0.154
$J/\Psi\eta'_{\nu\nu}$	4.2 k	0.08
$\eta_c\phi$	3 k	0.108
$D_s D_s$	4 k	0.133
All		0.046

Summary

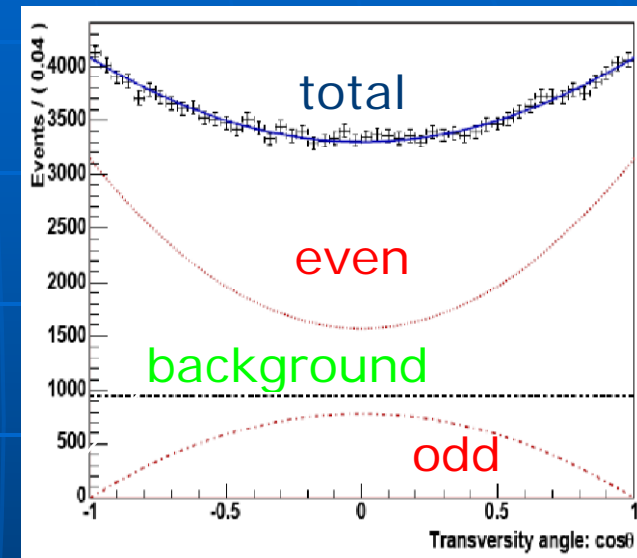
- All experiments will collect large sample of golden mode decay for β_s measurement
- Great potential to improve significantly the existing measurement
 - even with fraction of nominal year

Spares

CPV in $B_s \rightarrow c\bar{c}s$ (s)

■ Golden mode : $J/\psi(\mu\mu)\phi(K^+K^-)$

- Large BR
- Clean experimental signature
- Easy to trigger
- Sum of even and odd CP eigenstates
→ angular analysis



■ Other modes $J/\psi\eta$, $J/\psi\eta'$, $\eta_c\phi$, $D_s D_s$

- Low yield, experimental signature more difficult, larger background, degradation of proper time resolution for $D_s D_s$
- No angular analysis is required

Sensitivity study

Due to limited MC statistics

- **we use the full Monte Carlo to estimate all the relevant quantities:**
 - **yield, background fraction, mass, proper time/ angle distributions, resolutions and acceptances**
- **and plug them in hundreds of toy MC to estimate the sensitivity to $2\beta_s$ (and the others parameters), through an unbinned maximum likelihood fit:**
- **6 observables:: proper time, 3 angles,, tagging answer = 0,, + 1,, 1, mass**
- **8 physical parameters:: $2\beta_s$, Γ_s , $\Delta\Gamma_s$, $R(\perp)$ $R(0)$, $\delta(\perp)$, $\delta(0)$**
- **+ detector parameters (resolutions, acceptances, tagging)**

CMS time and angular acceptance

