

Z+2 jets at NLO in POWHEG

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Working Group on Electroweak precision measurements at the LHC

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- The POWHEG method in a nutshell
- $V + 1$ jet and $V + 2$ jets
- Zjj : details of the implementation
- Results for “signal enhancing” cuts
- Comparison with ATLAS data
- Results for “VBF” cuts
- Conclusions and outlook

NLO vs. SMC's (LO + Parton Shower)

• NLO

- ✓ NLO accuracy for inclusive observables (not only rates).
- ✓ reduced theoretical uncertainty (less sensitive to μ_R and μ_F choices).
- ✗ wrong shapes in **small- p_T** region (or generically where you want to resum logs).
- ✗ description only at the parton level.

• SMC's

- ✗ total normalization accurate only at LO (+ large scale dependence).
- ✗ poor description of **high- p_T** emissions.
- ✓ **Sudakov suppression** of small p_T emissions (LL resummation, via parton showers).
- ✓ simulate high-multiplicity events at the **hadron level**, modelling also NP effects.
- ✓ largely used by experimental collaborations at various stages.

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natural to try to merge the 2 approaches, keeping the good features of both.

real emissions included in both approaches (and virtual corrections as well)

- NLO: exact $n + 1$ -body matrix element.
- PS's: multiple emissions in the collinear approximation.

main problem: avoid to **double-count** them !

many proposals, currently two fully tested solutions: **MC@NLO** [Frixione, Webber 2001] and **POWHEG** [Nason 2004].

The POWHEG method

Idea: *Modify $d\sigma_{\text{SMC}}$ in such a way that, expanding in α_s , one recovers the NLO cross section.*

$$B(\Phi_n) \Rightarrow \bar{B}(\Phi_n) = B(\Phi_n) + \frac{\alpha_s}{2\pi} \left[V(\Phi_n) + \int R(\Phi_{n+1}) d\Phi_r \right]$$

$$\Delta(t_m, t) \Rightarrow \Delta(\Phi_n; k_T) = \exp \left\{ -\frac{\alpha_s}{2\pi} \int \frac{R(\Phi_n, \Phi'_r)}{B(\Phi_n)} \theta(k'_T - k_T) d\Phi'_r \right\}$$

POWHEG “master formula” for the **hardest emission**:

$$d\sigma_{\text{POW}} = d\Phi_n \bar{B}(\Phi_n) \left\{ \Delta(\Phi_n; k_T^{\min}) + \Delta(\Phi_n; k_T) \frac{\alpha_s}{2\pi} \frac{R(\Phi_n, \Phi_r)}{B(\Phi_n)} d\Phi_r \right\}$$

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- Formally it has the same accuracy of MC@NLO:
inclusive observables @NLO, first hard emission with full tree level ME, (N)LL resummation of collinear/soft logs, extra jets in the shower approximation.
- Main differences:
 - ✓ Events are positive weighted \Rightarrow **PO**positive **W**eight **H**ardest **E**mission **G**enerator
 - ✓ Doesn't depend on the parton-shower algorithm used.
 - truncated shower formally needed to restore soft wide-angle radiation effects, when using angular-ordered shower.
Until now, very small effects observed (for simple processes).

$V + 1$ jet

- $\ell\bar{\ell} + \text{jets} / \cancel{E}_T + \text{jets}$: [background to BSM searches](#) with two opposite sign leptons or missing E_T involved. $W + \text{jets}$ is very relevant for BSM searches too.
- $Z + 1$ jet useful for (checking) [jet calibration](#).

Wj and Zj Born matrix elements are **singular** for $p_{T,j} \rightarrow 0$:
generation cut (for instance on $p_{T,V}$) or modified \bar{B} function:

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- unweighted events (need of many events to populate high- p_T region / split samples);
- implemented for Vj , jj and Hj ;

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suppression factor

- damp inclusive NLO cross section (\bar{B}) when singularities are approached;
- integration is finite;
- weighted events, but easier to have high- p_T tails populated;

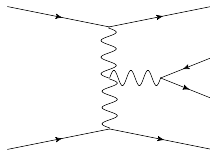
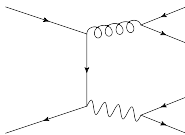
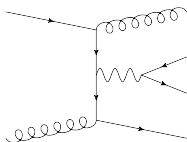
$$\bar{B}(\Phi_n) \rightarrow \bar{B}_{\text{supp}}(\Phi_n) = \bar{B}(\Phi_n) \frac{p_{T,V}^2}{p_{T,V}^2 + \Lambda^2}$$

Zjj : details

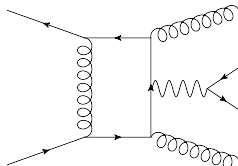
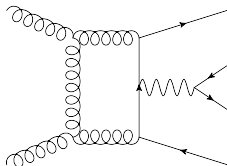
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- $Z(\rightarrow \ell\bar{\ell})jj$ **QCD production** ($\mathcal{O}(\alpha_S^2\alpha_{\text{em}}^2)$). $Z(\rightarrow \ell\bar{\ell})jj$ ($\mathcal{O}(\alpha_{\text{em}}^4)$) **EW not considered**.



- Born amplitudes, B_{ij} , $B^{\mu\nu}$ computed with helicity amplitudes (Hagiwara-Zeppenfeld)
- Real matrix elements obtained with MadGraph
- Virtuals computed linking against BlackHat (Binuth-LH interface \Rightarrow can be linked with other 1-loop codes)



- Suppression factor used:

$$\begin{aligned}\bar{B}(\Phi_n) &\rightarrow \bar{B}_{\text{supp}}(\Phi_n) = \bar{B}(\Phi_n) F(\Phi_n), \\ F(\Phi_n) &= \left(\frac{p_{T,1}^2}{p_{T,1}^2 + \Lambda_{p_T}^2} \right)^{k_{\text{IS}}} \left(\frac{p_{T,2}^2}{p_{T,2}^2 + \Lambda_{p_T}^2} \right)^{k_{\text{IS}}} \left(\frac{s_{1,2}}{s_{1,2} + \Lambda_m^2} \right)^{k_{\text{FS}}}, \\ k_{\text{IS}} = k_{\text{FS}} &= 2, \quad \Lambda_{p_T} = 10 \text{ GeV}, \quad \Lambda_m = 5 \text{ GeV}.\end{aligned}$$

- similar method used for Hjj in POWHEG [Campbell et al., arXiv:1202.5475]
- checked soft/collinear limits with expected values; NLO distributions checked with n-tuples generated with Blackhat + Sherpa
- Wjj and $Wjjj$ done with same accuracy, with aMC@NLO and Sherpa-MC@NLO [Frederix et al., arXiv:1110.5502, Hoeche et al., arXiv:1201.5882]

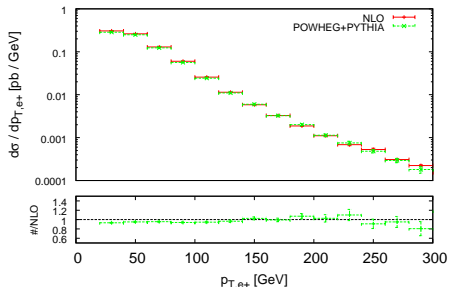
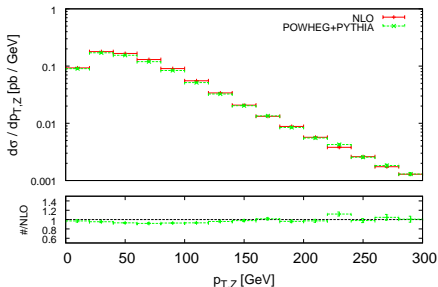
Z_{jj} : “signal cuts”

settings:

- PDF: CTEQ6M
- $\mu = \hat{H}_T/2 = \left(\sqrt{m_Z^2 + p_{T,Z}^2} + p_{T,1} + p_{T,2} \right) / 2$
- “Perugia 0” tune (PYTHIA6)
- No folding, $\sim 20\%$ neg. weighted events.

cuts:

- $p_{T,e} > 20 \text{ GeV}, |y_e| < 2.5$
- $p_{T,j} > 30 \text{ GeV}, |\eta_j| < 4.4$
- anti- $k_T, R = 0.4$



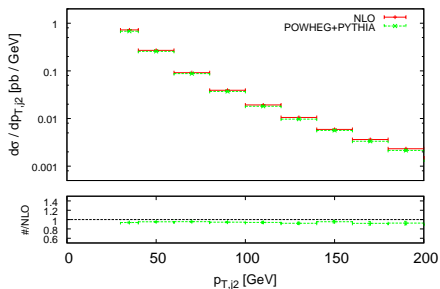
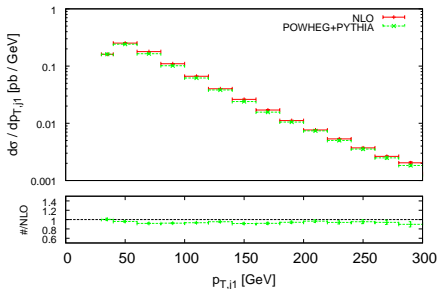
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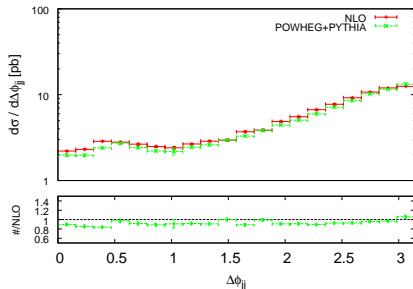
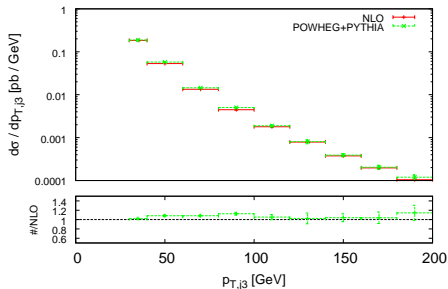
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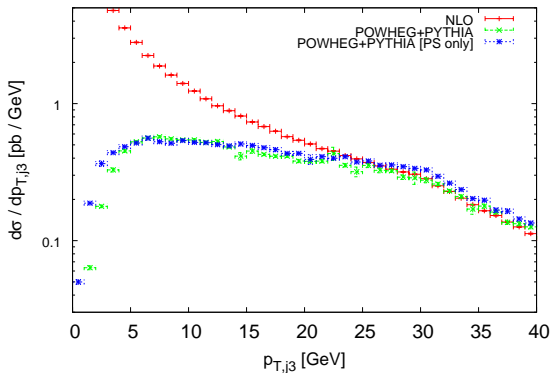
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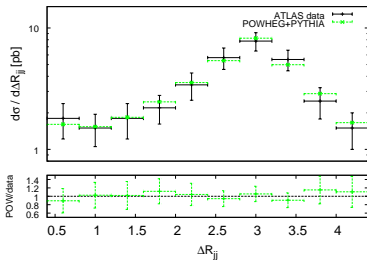
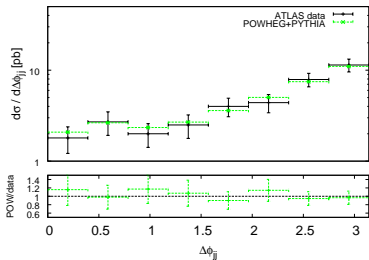
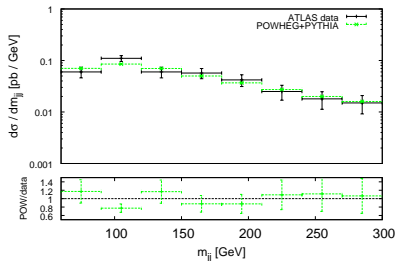
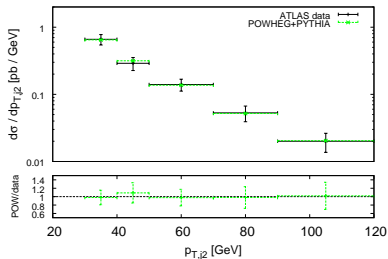
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 - anti- k_T , $R = 0.4$
- $p_{T,j}$ cut ONLY on two hardest jets



Zjj : comparison with ATLAS data

cuts:

- $p_{T,e} > 20 \text{ GeV}$, $|y_e| < 2.5$
- $p_{T,j} > 30 \text{ GeV}$, $|y_j| < 4.4$, $\Delta R_{j,e} > 0.5$
- anti- k_T , $R = 0.4$



Zjj : “VBF cuts”

- QCD and EW Zjj are two of the main backgrounds to VBF Higgs, with $H \rightarrow \tau\tau$
- $\sigma_{tot}^{EW} \ll \sigma_{tot}^{QCD}$
- Different color structure \Rightarrow different jet activity
- Possible to suppress σ^{QCD} without losing too much signal
- $\sigma_{VBFcuts}^{QCD} \sim \sigma_{VBFcuts}^{EW}$

Studied QCD Zjj in presence of minimal set of VBF cuts:

$$p_{T,\ell} > 20 \text{ GeV}, \quad |y_\ell| < 2.5,$$

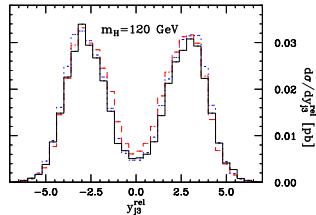
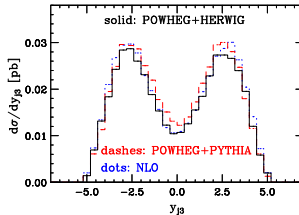
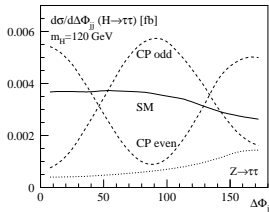
$$|\eta_j| < 5.0, \quad p_{T,j} > 20 \text{ GeV}, \quad p_{T,j_{\text{tag}}} > 30 \text{ GeV},$$

$$|\eta_{j_1} - \eta_{j_2}| > 4.0, \quad \eta_{j_1} \cdot \eta_{j_2} < 0, \quad \text{VBF has forward/backward tagging jets}$$

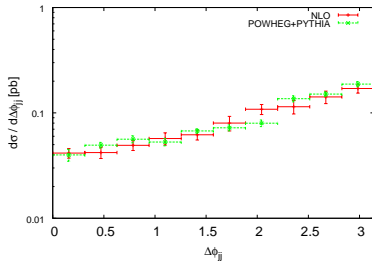
$$\min(\eta_{j_1}, \eta_{j_2}) + 0.4 < \eta_{\ell^+/\ell^-} < \max(\eta_{j_1}, \eta_{j_2}) - 0.4 \quad \text{leptons within the tagging jets.}$$

Further background suppression possible cutting out events with low m_{jj} .

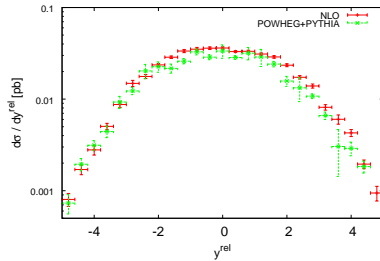
Zjj : “VBF cuts”



[Plehn, Rainwater, Zeppenfeld, 2001]



[Nason, Oleari, 2009]



- $\Delta\Phi_{jj}$ is known to be useful to study the CP property of the Higgs boson
- $y^{\text{rel}} = y_{j3} - (y_{j1} + y_{j2})/2$: distance between 3rd jet and tagging jets (using average jet rapidity)

Conclusions and outlook

- possible to implement complicated processes in POWHEG, recently done also for Hjj
- shown good agreement / differences with NLO, as expected
- good agreement with data
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