## Event shape engineering with ALICE <br> A. Dobrin (Wayne State University) for the ALICE Collaboration

- Anisotropic flow
- The ALICE experiment
- Event shape selection
- Unidentified charged particle $\mathrm{V}_{2}$
- Identified particle $\mathrm{V}_{2}$
- Summary



## Anisotropic flow

- Particle azimuthal distribution measured with respect to the symmetry planes is not isotropic

$$
\begin{gathered}
E \frac{d^{3} N}{d^{3} p}=\frac{1}{2 \pi} \frac{d^{2} N}{p_{T} d p_{T} d y}\left(1+\sum_{n=1}^{\infty} 2 v_{n} \cos \left(n\left(\phi-\Psi_{n}\right)\right)\right. \\
v_{n}=\left\langle\cos \left(n\left(\phi_{i}-\Psi_{n}\right)\right)\right\rangle
\end{gathered}
$$

- $\Psi_{n}-$ n-th harmonic symmetry plane
- $v_{n}$ quantify the event anisotropy
- $v_{2}$ elliptic flow
- Issues:
- Non-flow
- Flow fluctuations


## A Large Ion Collider Experiment



VZERO-A / VZERO-C
$\sim 12 \mathrm{M}$ minimum-bias $\mathrm{Pb}-\mathrm{Pb}$ events at $\sqrt{ } \mathrm{s}_{\mathrm{N}}=2.76 \mathrm{TeV}$ (2010 run) used in this analysis

- TPC tracks $\left(0.2<\mathrm{p}_{\mathrm{T}}<20 \mathrm{GeV} / \mathrm{c}\right)$


## Particle identification (PID)




- PID based on the ionization energy loss in the TPC
- Calculate $\left.\Delta_{\pi}=\mathrm{dE} / \mathrm{dx}-<\mathrm{dE} / \mathrm{dx}\right\rangle_{\pi}$
- Select ranges where the contamination is small:
- Pions: contamination < 1 \%
- Protons: contamination < 15 \%


## Event shape selection: Idea



$$
\frac{\stackrel{\bar{v}}{E}}{\frac{\sigma^{N}}{}}
$$



Yes, based on the length of flow vector

For fixed centrality, flow fluctuates. Can we select events with given flow value?

Flow vector $\rightarrow$ q-distributions

$$
\begin{aligned}
& Q_{n, x}=\sum_{i} \cos \left(n \phi_{i}\right) \\
& Q_{n, y}=\sum_{i} \sin \left(n \phi_{i}\right)
\end{aligned} \rightarrow \begin{aligned}
& Q_{n}=\left\{Q_{n, x}, i Q_{n, y}\right\} \\
& q_{n}=\mid Q_{n} / / \sqrt{M}
\end{aligned}
$$

Cutting on $\mathrm{q}_{2}$ in one pseudo-rapidity window and measure $v_{2}$ in another window:

- Width of $\mathrm{v}_{2}$ distribution for shape engineered (SE) events smaller than unbiased results
- Variation of $\mathrm{V}_{2}$ up to factor of 2-3


## Event shape selection: Implementation

- Tools:
- Cut on $q_{2}$ from one $\eta$ window of the TPC $(-0.8<\eta<0$ or $0<\eta<0.8$ ) and measure $\mathrm{v}_{2}$ in the second window


## Event shape selection: Implementation




- Tools:
- Cut on $q_{2}$ from one $\eta$ window of the TPC $(-0.8<\eta<0$ or $0<\eta<0.8$ ) and measure $\mathrm{v}_{2}$ in the second window
- Cut on $\mathrm{q}_{2}$ from VZERO-C $(-3.7<\eta<-1.7)$ and measure $\mathrm{v}_{2}$ in TPC $(-0.8<\eta<0.8)$
- Cut on $\mathrm{q}_{2}$ from VZERO-A $(2.8<\eta<5.1)$ and measure $\mathrm{v}_{2}$ in TPC ( $-0.8<\eta<0.8$ )
- Systematics:
- Different $\eta$ gaps $\rightarrow$ different non-flow contributions
- Different detector coverages $\rightarrow$ different flow and multiplicities $\rightarrow$ different method sensitivity

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## Event plane (EP) method

- Calculate the flow vectors: $Q_{n, x}=\sum_{i} w_{i} \cos \left(n \phi_{i}\right) \quad Q_{n, y}=\sum_{i} w_{i} \sin \left(n \phi_{i}\right)$
- Determine the event plane angle: $\psi_{\mathrm{n}}=\operatorname{atan} 2\left(\mathrm{Q}_{\mathrm{n}, \mathrm{y}}, \mathrm{Q}_{\mathrm{n}, \mathrm{x}}\right) / n$
- The flow coefficients are given by: $v_{n}=\left\langle\cos \left(n\left(\phi_{i}-\psi_{n}\right)\right)\right\rangle / R_{n}$
$\mathrm{R}_{\mathrm{n}}$ is the event plane resolution: $R_{n}=\left\langle\cos \left(n\left(\psi_{n}-\Psi_{n}\right)\right)\right\rangle$
- Resolution: assuming $X_{\text {vZero-Ac) }} / X_{\text {tpC }}$ and $X_{\text {vzero-A }} / X_{\text {vZero-c }}$ in the unbiased sample to be the same as in the biased one ( $X=v^{*} \sqrt{ } M$ - the parameter used to determine the event plane resolution)


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## $v_{2}\left(p_{T}\right): S E\left(q_{2} T P C\right)$ vs unbiased

Cutting on $\mathrm{q}_{2}$ from half of the TPC $(-0.8<\eta<0$ or $0<\eta<0.8)$ and correlate tracks from the other half $(0<\eta<0.8$ or $-0.8<\eta<0)$ with EP from VZERO
$\mathrm{v}_{2}\left(\mathrm{p}_{\mathrm{T}}\right)$ for unbiased (black) and SE (5\% high, 10\% low) events



$5 \%$ high $\mathrm{q}_{2}$ $10 \%$ low $q_{2}$ No $\mathrm{q}_{2}$ selection

Ratio between SE (5\% high, $10 \%$ low) and unbiased $\mathrm{v}_{2}$


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- Non flat ratios may indicate non-flow contributions

$v_{2}\left(p_{T}\right)$ : SE $\left(q_{2}\right.$ VZERO-A) vs unbiased

Cutting on $\mathrm{q}_{2}$ from VZERO-A $(2.8<\eta<5.1)$ and correlate tracks from TPC $(-0.8<\eta<0.8)$ with EP from VZERO-C ( $-3.7<\eta<-1.7$ ) Cutting on $\mathrm{q}_{2}$ from VZERO-C also investigated (see backup)
$\mathrm{v}_{2}\left(\mathrm{p}_{\mathrm{T}}\right)$ for unbiased (black) and SE (5\% high, 10\% low) events


Ratio between SE (5\% high, $10 \%$ low) and unbiased $\mathrm{v}_{2}$


30-40\%


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> $5 \%$ high $\mathrm{q}_{2}$ $10 \%$ low $q_{2}$ No $\mathrm{q}_{2}$ selection

- Non-flow contributions significantly reduced using $\eta$ gap
- Smaller ratios due to smaller flow and multiplicity $\rightarrow$ method sensitivity to the event shape
- $\mathrm{v}_{2}$ ~ shape (ratio almost constant) at least up to $p_{T}=6 \mathrm{GeV} / \mathrm{c}$
- Effect of event shape fluctuations becomes small for $p_{T}>6 \mathrm{GeV} / \mathrm{c}$


## Integrated $\mathrm{v}_{2}$ : SE vs unbiased




No $\mathrm{q}_{2}$ selection

## Integrated $\mathrm{v}_{2}$ : SE vs unbiased




No $q_{2}$ selection
$5 \%$ high $\mathrm{q}_{2}$ (TPC)
$\square \quad 10 \% \operatorname{low}_{q_{2}}$ (TPC)

## Integrated $\mathrm{v}_{2}$ : SE vs unbiased




No q selection
$5 \%$ high $\mathrm{q}_{2}$ (TPC)
$5 \%$ high $\mathrm{q}_{2}^{2}$ (VZERO-C)
$10 \%$ low $\mathrm{q}_{2}$ (TPC)
$10 \%$ low $\mathrm{q}_{2}^{2}$ (VZERO-C)

## Integrated $\mathrm{v}_{2}$ : SE vs unbiased




- Method gives consistent results in the case of $\mathrm{q}_{2}$ VZERO-A and VZERO-C
- Non-flow contributions present in the case of $\mathrm{q}_{2}$ TPC
- Method sensitivity to the event shape deteriorates for peripheral collisions


# PID $\mathrm{v}_{2}\left(\mathrm{p}_{\mathrm{T}}\right)$ : <br> <br> SE ( $q_{2}$ VZERO-A) vs unbiased 

 <br> <br> SE ( $q_{2}$ VZERO-A) vs unbiased}

Cutting on $\mathrm{q}_{2}$ from VZERO-A $(2.8<\eta<5.1)$ and correlate tracks from TPC ( $-0.8<\eta<0.8$ ) with EP from VZERO-C $(-3.7<\eta<-1.7)$




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## Summary

- Using q-distributions allows to select events with larger or smaller elliptic flow than the average
- Effect of shape fluctuations extends at least up to $p_{T}=6 \mathrm{GeV} / \mathrm{c}$
- Method is sensitive to the pseudo-rapidity range used to determine the flow vector due to different multiplicities and flow
- Non-flow contributions are significant when no/small $\eta$ gap is employed between the region used to determine the flow vector and the one in which the elliptic flow is measured


## New, promising tool

Plenty of reasons to use event shape selection:

- Anisotropic flow - shape evolution
- Identified particle flow - mass splitting
- Highly anisotropic events with large particle density - compare to hydrodynamic calculations
- Inclusive spectra and particle ratios - dependence on event shape
- See talk by L. Milano, 5A, 14:00
- Two-particle correlations - check the presence of the away-side double bump in "no-triangularity" events
- See poster 184 by A. Timmins
- Chiral magnetic effect study - background evaluation
- Evolution of eccentricities, dependence of the HBT radii on flow field
- ...


## Backup

## q-distributions

Select events based on the magnitude of flow vector $\rightarrow$ q-distributions (similar widths for different multiplicities)



$$
\left.\begin{array}{r}
Q_{n, x}=\sum_{i} \cos \left(n \phi_{i}\right) \\
Q_{n, y}=\sum_{i} \sin \left(n \phi_{i}\right)
\end{array} \rightarrow \begin{array}{l}
Q_{n}=\left\{Q_{n, x}, i Q_{n, y}\right\} \\
q_{n}=\left|Q_{n}\right| \sqrt{M}
\end{array}\right] \begin{gathered}
\frac{d N}{d q} \propto \frac{1}{\sigma^{2} q} \exp \left(\frac{-M \bar{v}^{2}+q^{2}}{2 \sigma^{2}}\right) I_{0}\left(\frac{q \bar{v} \sqrt{M}}{\sigma}\right) \propto B G(q ; \bar{v} \sqrt{M}, \sigma) \\
\sigma \approx\left[1+M\left(\delta+2 \sigma_{v}^{2}\right)\right] / 2 \quad\left\langle q^{2}\right\rangle=\bar{v}^{2} M+2 \sigma^{2}
\end{gathered}
$$

Parameters:
M - multiplicity
$\delta$ - non-flow
$\sigma_{v}-$ flow fluctuations width
q-distributions well understood; used to extract elliptic flow

## Event plane resolution


$10 \%$ low $\mathrm{q}_{2}$


- From the unbiased sample get $X_{T P C}, X_{\text {VZERO-C }}, X_{\text {VZERO-A }}\left(X=V^{*} \sqrt{M}\right.$ - the parameter used to determine the event plane resolution)
- Assume $X_{\text {vzero-ac( })} / X_{\text {tpc }}$ and $X_{\text {vzero-A }} / X_{\text {vzero-c }}$ in the unbiased sample to be the same as in the biased one
- From the TPC - VZERO-A(C) and VZERO-A - VZERO-C correlation in the biased sample determine $\mathrm{X}_{\text {biased }}$
- From $X_{\text {biased }}$, $\left(X_{\text {vZERO-A(C) }} / X_{\text {TPC }}\right)_{\text {unbiased }}$, $\left(X_{\text {vZERO-A }} / X_{\text {vZERo-C }}\right)_{\text {unbiased }}$ calculate resolution for VZERO-A and VZERO-C


## $v_{2}\left(p_{T}\right):$ SE $\left(q_{2}\right.$ VZERO-C) vs unbiased

Cutting on $\mathrm{q}_{2}$ from VZERO-C ( $-3.7<\eta<-1.7$ ) and correlate tracks from TPC $(-0.8<\eta<0.8)$ with EP from VZERO-A $(2.8<\eta<5.1)$
$\mathrm{v}_{2}\left(\mathrm{p}_{\mathrm{T}}\right)$ for unbiased (black) and SE (5\% high, 10\% low) events


$5 \%$ high $\mathrm{q}_{2}$ $10 \%$ low $\mathrm{q}_{2}$
No $\mathrm{q}_{2}$ selection

Ratio between SE ( $5 \%$ high, $10 \%$ low) and unbiased $\mathrm{v}_{2}$
 $08 / 14 / 12$

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# PID $\mathrm{v}_{2}\left(\mathrm{p}_{\mathrm{T}}\right)$ : <br> SE ( $q_{2}$ VZERO-C) vs unbiased 

Cutting on $\mathrm{q}_{2}$ from VZERO-C ( $-3.7<\eta<-1.7$ ) and correlate tracks from TPC $(-0.8<\eta<0.8)$ with EP from VZERO-A $(2.8<\eta<5.1)$

$10 \%$ low $\mathrm{q}_{2}$

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