

Light (anti)nucleus production in $\sqrt{s_{NN}} = 7.7 - 200$ GeV Au+Au collisions in the STAR Experiment

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Abstract

In the dense and high-temperature systems formed in relativistic heavy-ion collisions, final-state composites - light nuclei and antinuclei - are formed close to the freeze-out hypersurface. Their spectra, compared to those of the constituent (anti)nucleons, can be described by picturing the formation process as the coalescence of a number of nucleons that are close to each other in phase space. This makes the composite spectra sensitive to the distribution of the constituent nucleons in phase space. It also implies a sensitivity of the spectra to the local densities and flow velocities of the source. In the coalescence picture, specific ratios of these spectra provide information on the baryon densities and homogeneity volumes. The STAR experiment has collected data from Au+Au collisions at seven beam energies, $\sqrt{s_{NN}}$, ranging from 7.7 to 200 GeV. The particle identification is performed for transverse momenta from ~ 0.3 to >3 GeV/c using a combination of the ionization energy loss in the Time Projection Chamber and the time of flight. The spectra for (anti)protons, (anti)deuterons, and (anti)tritons at mid-rapidity, and the source information inferred from these spectra, will be presented and compared to several dynamic coalescence models.

Introduction

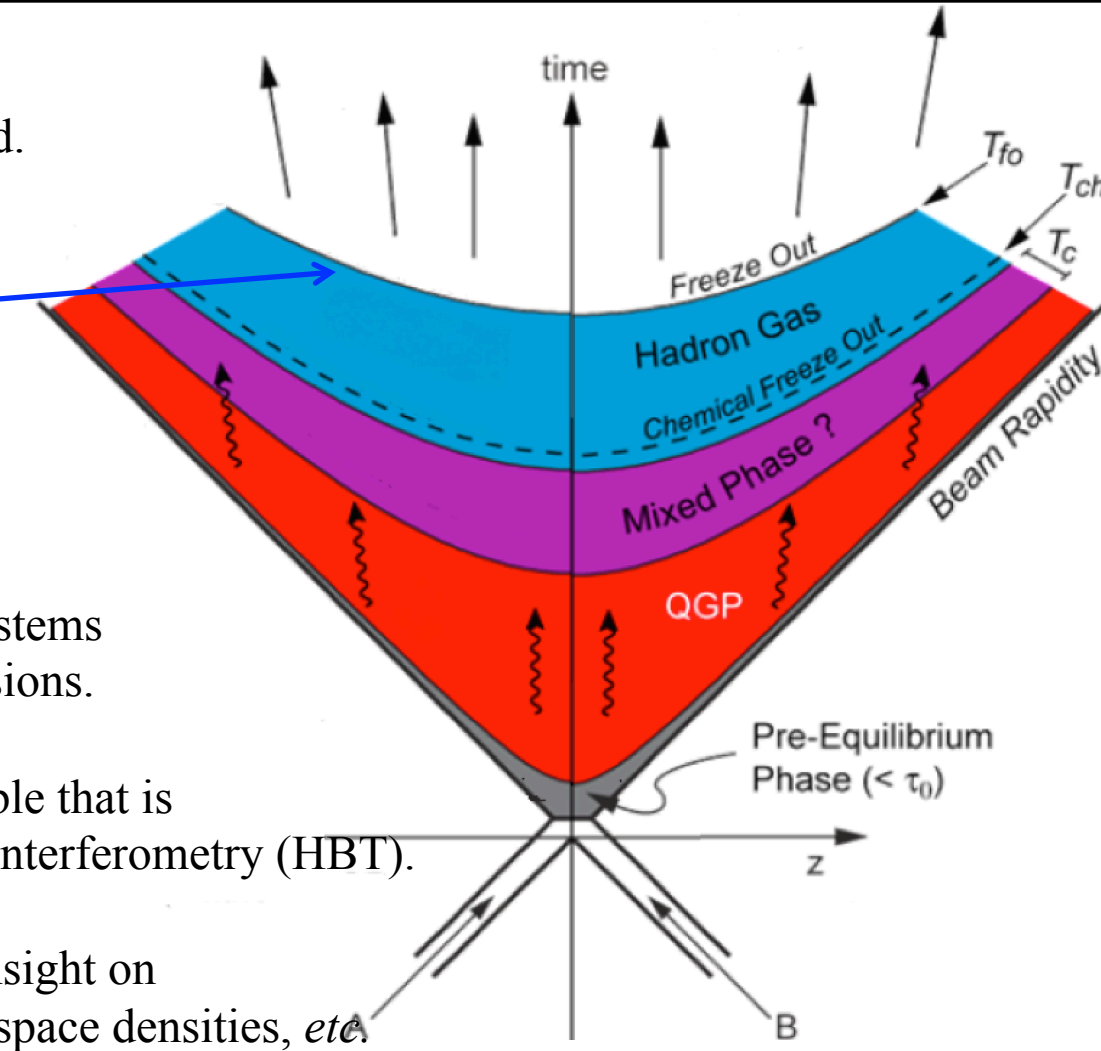
Light (anti)nuclei - e.g. (anti)deuterons & (anti)tritons - are weakly bound.
 $B_d \sim 2.2$ MeV, $B_t \sim 8$ MeV

Implies that observed (anti)nuclei are formed:
 - near thermal freeze-out hypersurface.
 - from nucleons close to each other in phase space with rates that are thus sensitive to the local phase space densities and flow.

A complete understanding of the hot and dense partonic and/or nuclear systems formed at RHIC requires an understanding of the latest stages of the collisions.

Light nucleus rates and spectra are a "direct" nucleon correlation observable that is complementary to two-particle correlations obtained, e.g., from intensity interferometry (HBT).

Thermodynamic approaches and the sudden approximation can provide insight on source "homogeneity volumes" and emission profiles, (anti)proton phase space densities, etc.



Data Sets, Cuts, and Particle Identification

$\sqrt{s_{NN}}$	Run	N_{events}
7.7	2010	5M
11.5	2010	15M
19.6	2011	37M
27	2011	46M*
39	2010	58M*
62.4	2010	59M*
200	2010	51M*
200	2011	47M*

*Not entirety of available data.

Cuts

Outlier run rejection based on multiple global observables.

Event Cuts

$|Z_{vtx}| < 50$ cm for $\sqrt{s_{NN}} \leq 39$ GeV, $|Z_{vtx}| < 30$ cm otherwise
 $R_{vtx} < 2$ cm
 Pileup event rejection based on multiple global observables.

Primary Track Cuts

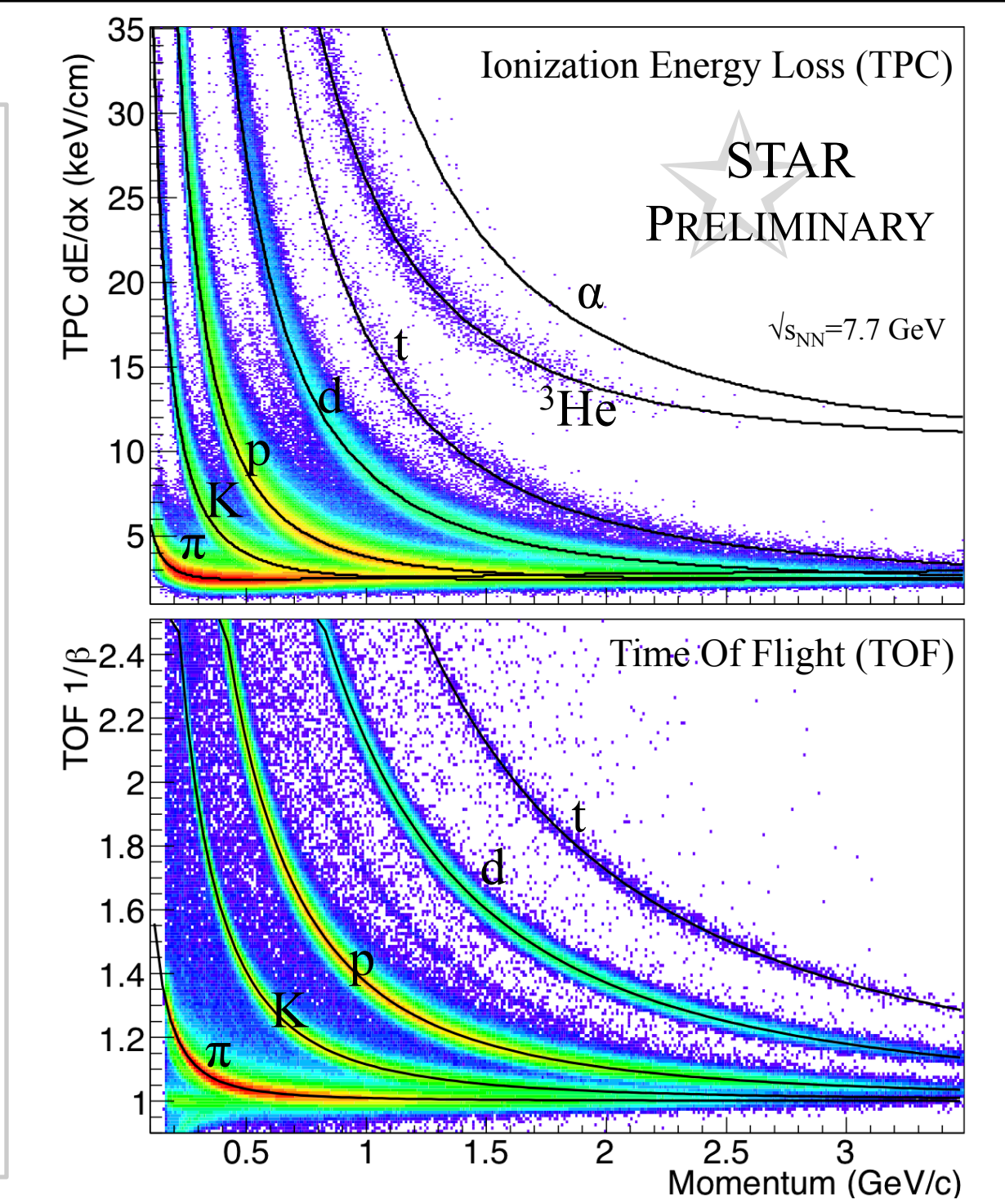
$N_{hits} > 15$ (of 45 possible)
 $N_{hits} > 10$ (of ~ 35 possible)
 Global partner D.C.A. to primary vertex < 3 cm
 TOF: "good match" criterion ≥ 1
 TOF: $Y_{local} < 1.8$ cm

Centrality

Uses primary track multiplicity within $|\eta| < 0.5$
 Corrected for Z_{vtx} and beam luminosity dependence

Particle Identification

Uses TPC dE/dx and Time Of Flight (TOF) independently
 ... Careful avoidance of dE/dx "merged tracks"
 Statistical, in small ($P_T, Y_{local}, centrality$) bins
 Uncertainties are statistical only.



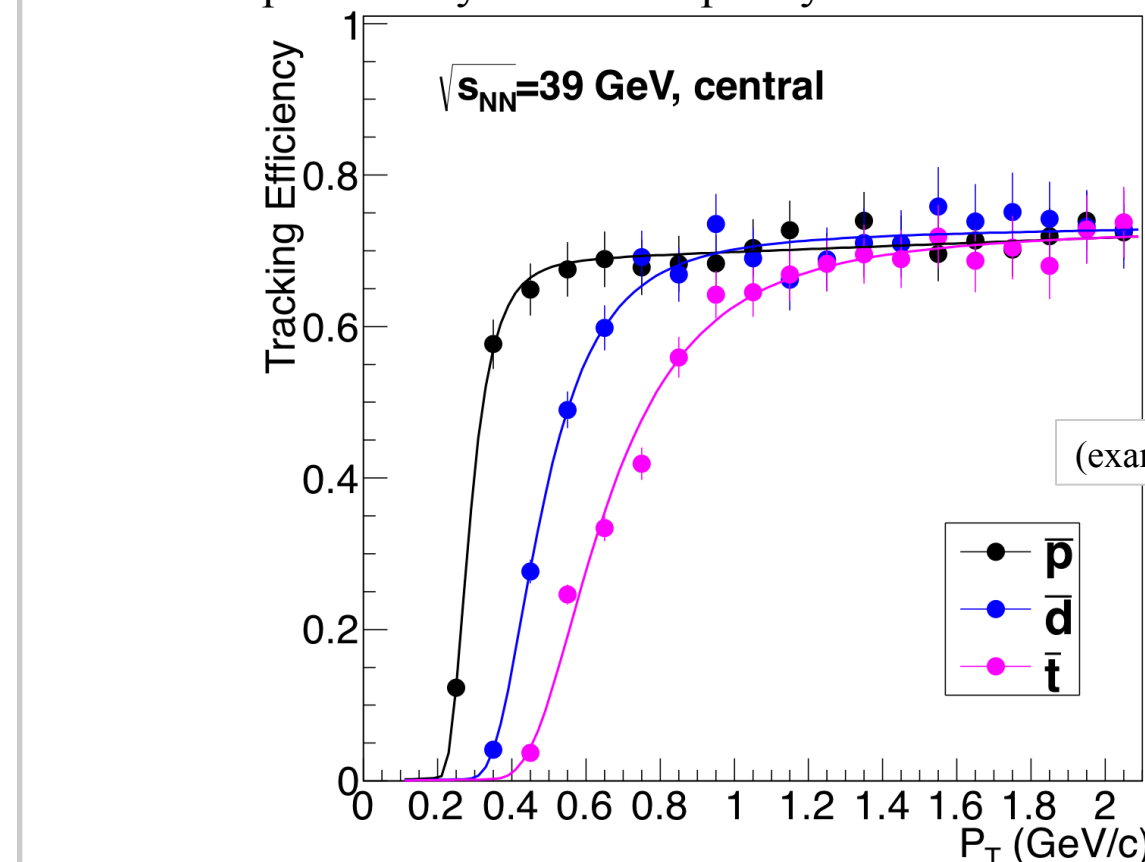
Corrections

Reconstruction, TOF Matching, & Absorption

Efficiencies depend on year, $\sqrt{s_{NN}}$, centrality, species, rapidity, P_T

Track Reconstruction Efficiency

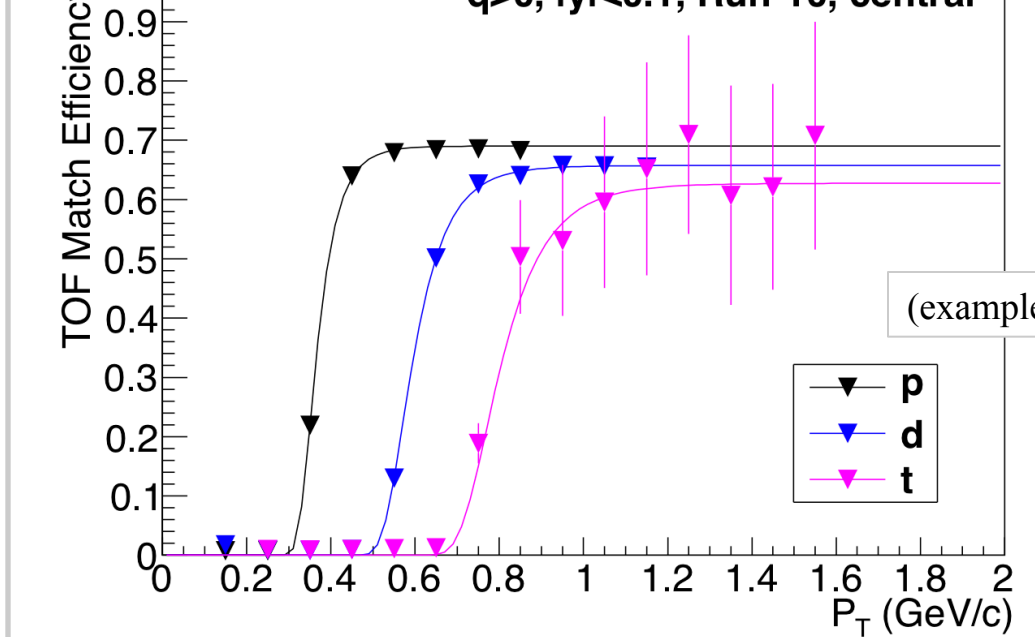
embed simulated tracks into real events, careful sampling by day done for 7 different particles (p,d,t & antiparticles) & $\sqrt{s_{NN}}$ values interpolation by track multiplicity for other data sets



TOF Matching Efficiency

determined from data using TPC-identified tracks

$q > 0, |y| < 0.1, \text{Run-10, central}$



Antinucleus Absorption

Geant3 does not know nucleus+X cross-sections...

Use phenomenological model

T. F. Hoang, et al., Z. Phys. C29, 611 (1985)

Check material budget via p & pbar embedding

(anti)proton Feed-down ($\Lambda, \Sigma \rightarrow p$)

UrQMD 3.3p1 simulations with full reconstruction

Cross-sections vs $M_T - M_0$

$$M_T^2 = P_T^2 + M_0^2$$

$$p: M_0 = 0.9383 \text{ GeV}/c^2$$

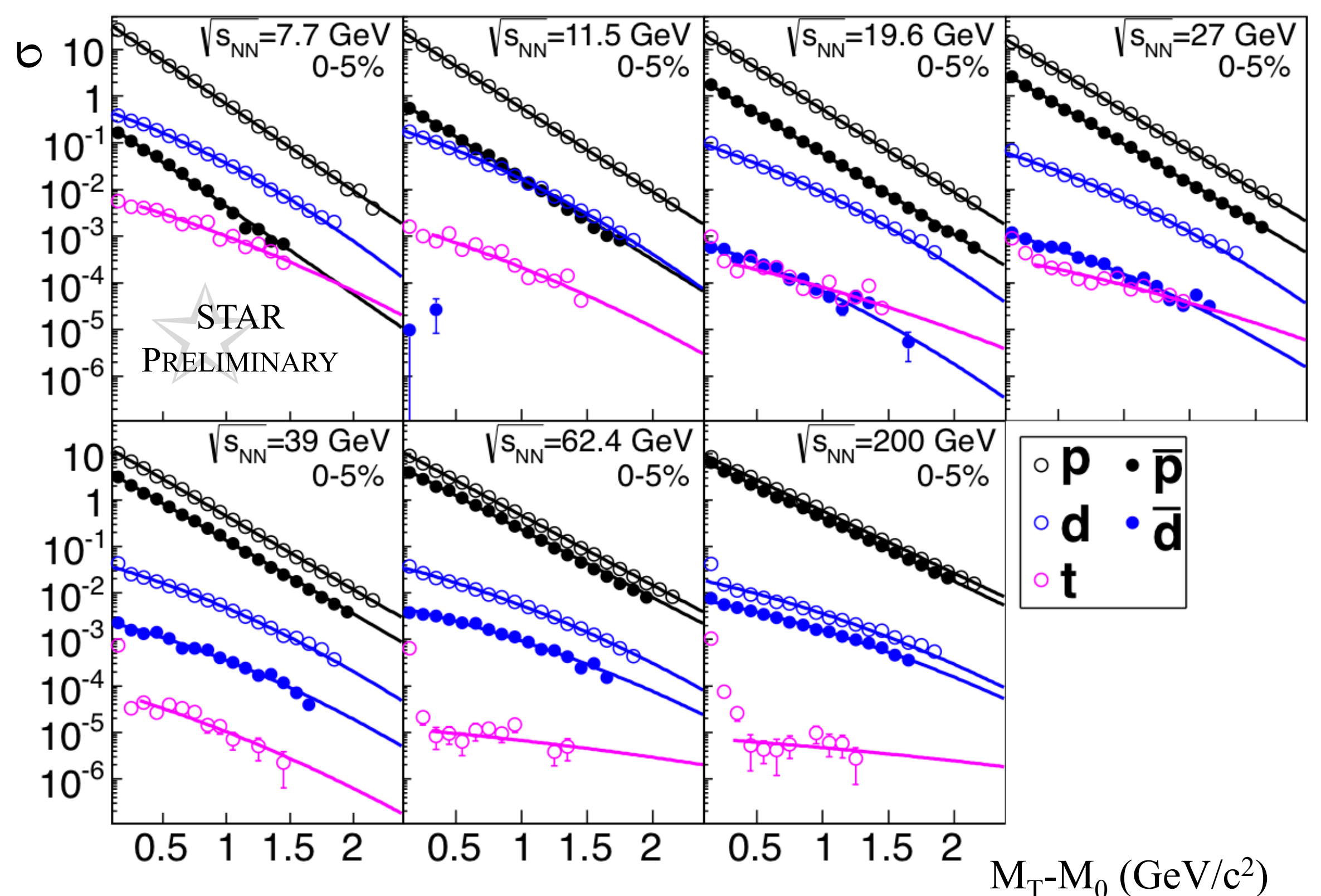
$$d: M_0 = 1.8756 \text{ GeV}/c^2$$

$$t: M_0 = 2.8093 \text{ GeV}/c^2$$

(Anti)protons: $\sim \exp[-M_T/T]$
 (Anti)nuclei: $\sim \exp[-(M_T/T)^2]$

Spectra become harder with mass number, A.
 Reflects strong transverse expansion

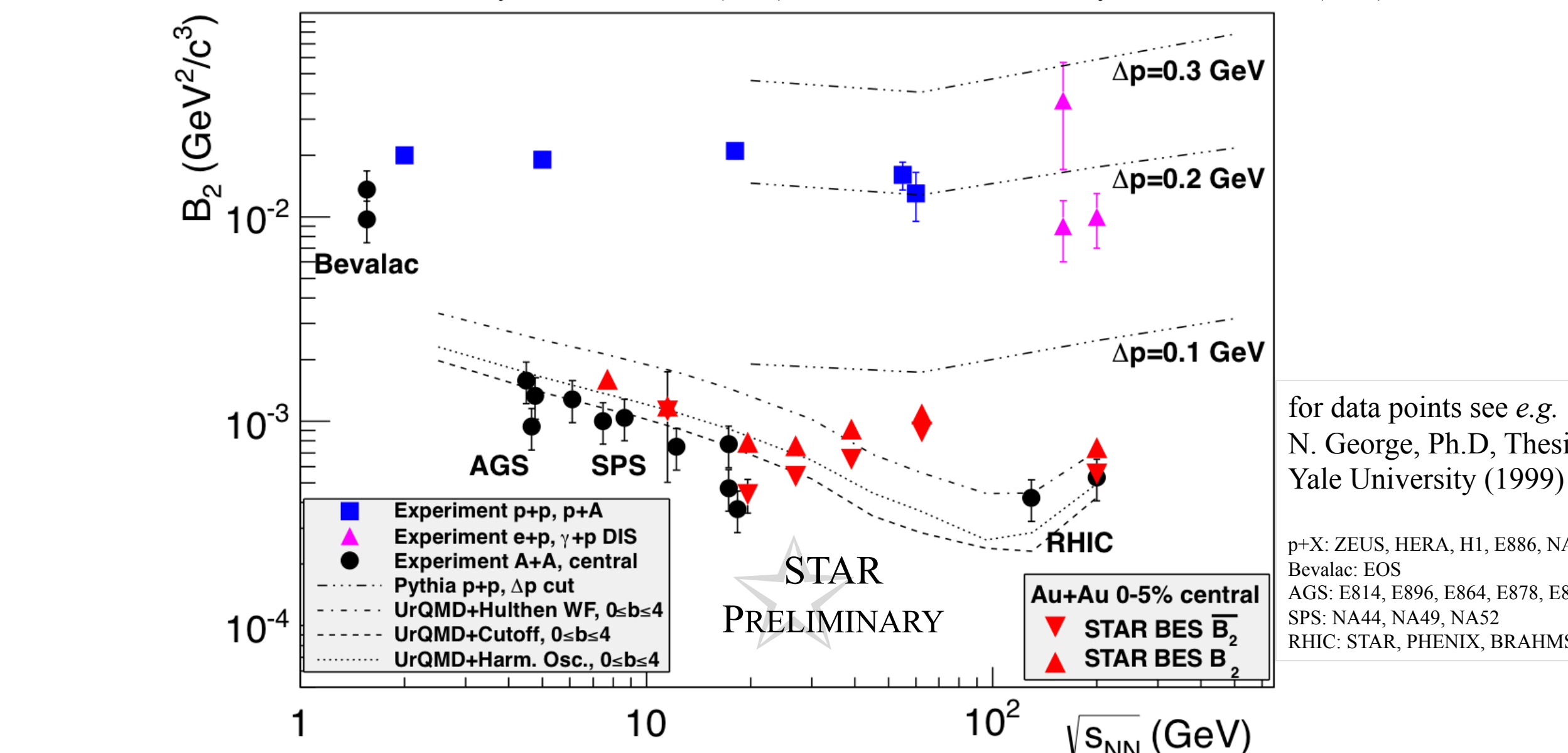
Sharp increase in nucleus cross-sections at low M_T is due to spallation:
 $X + \text{Beam Pipe} = p, d, t + Y$
 Significant for $P_T < \sim 0.5^* A$
 Does not produce antinuclei



Coalescence Ratio

$B_2 = \sigma_d / \sigma_p^2$, where the cross-sections are evaluated at the same velocity (P_T/A)

B_2 is a dimensioned ratio that can be related in one of many model-dependent ways to a "homogeneity volume": $B_A \sim 1/V$
 W.J.L., S. Pratt et al., Phys. Rev. C 52, 2004 (1995); R. Scheibl & U. Heinz, Phys. Rev. C 59, 1585 (1997)

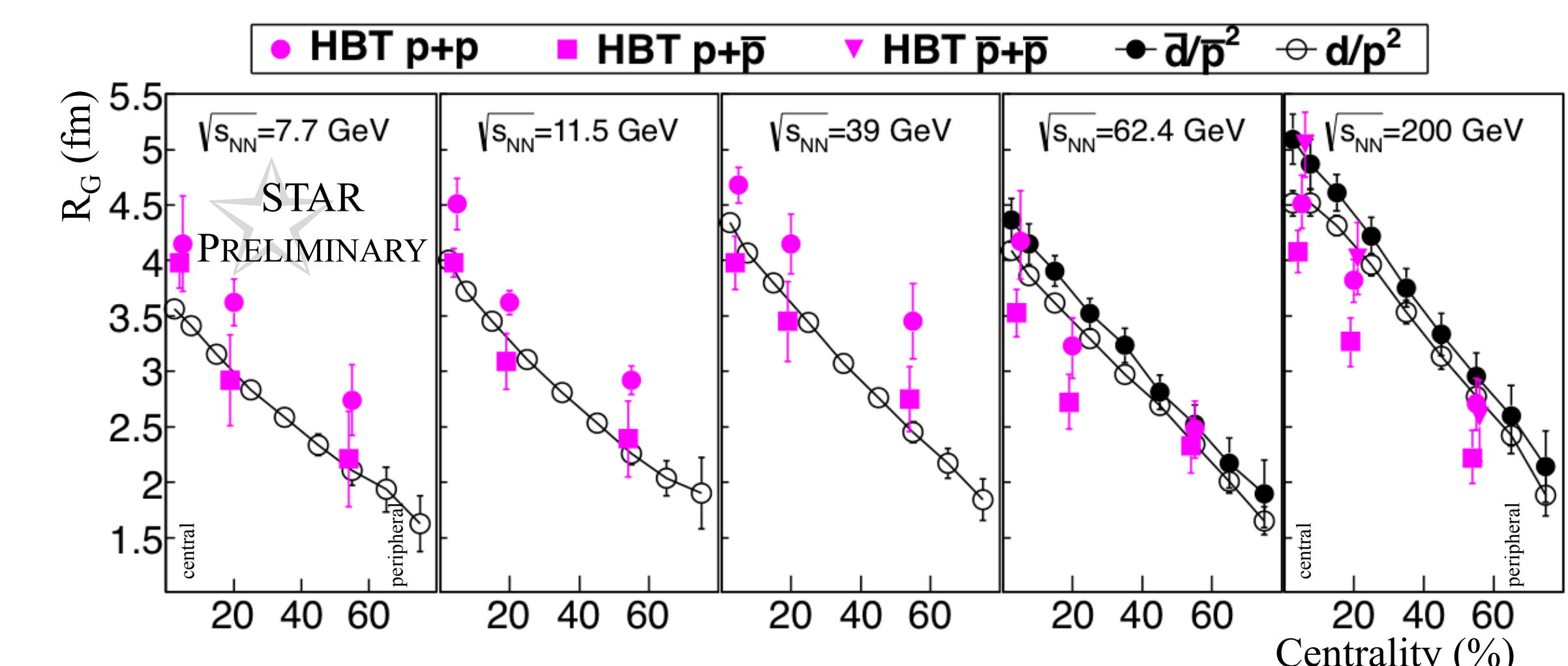


Lines are UrQMD 3.3p1 or Pythia model calculations plus a "dynamic coalescence afterburner"
 ...uses 6D coalescence with one of three d wave functions for A+A (UrQMD), 3D coalescence for p+p from Pythia.
 J. L. Nagle et al., Phys. Rev. C 53, 367 (1996); B. Monreal, W.J.L., et al., Phys. Rev. C 60, 31901 (1999)

Source "Homogeneity" Radius

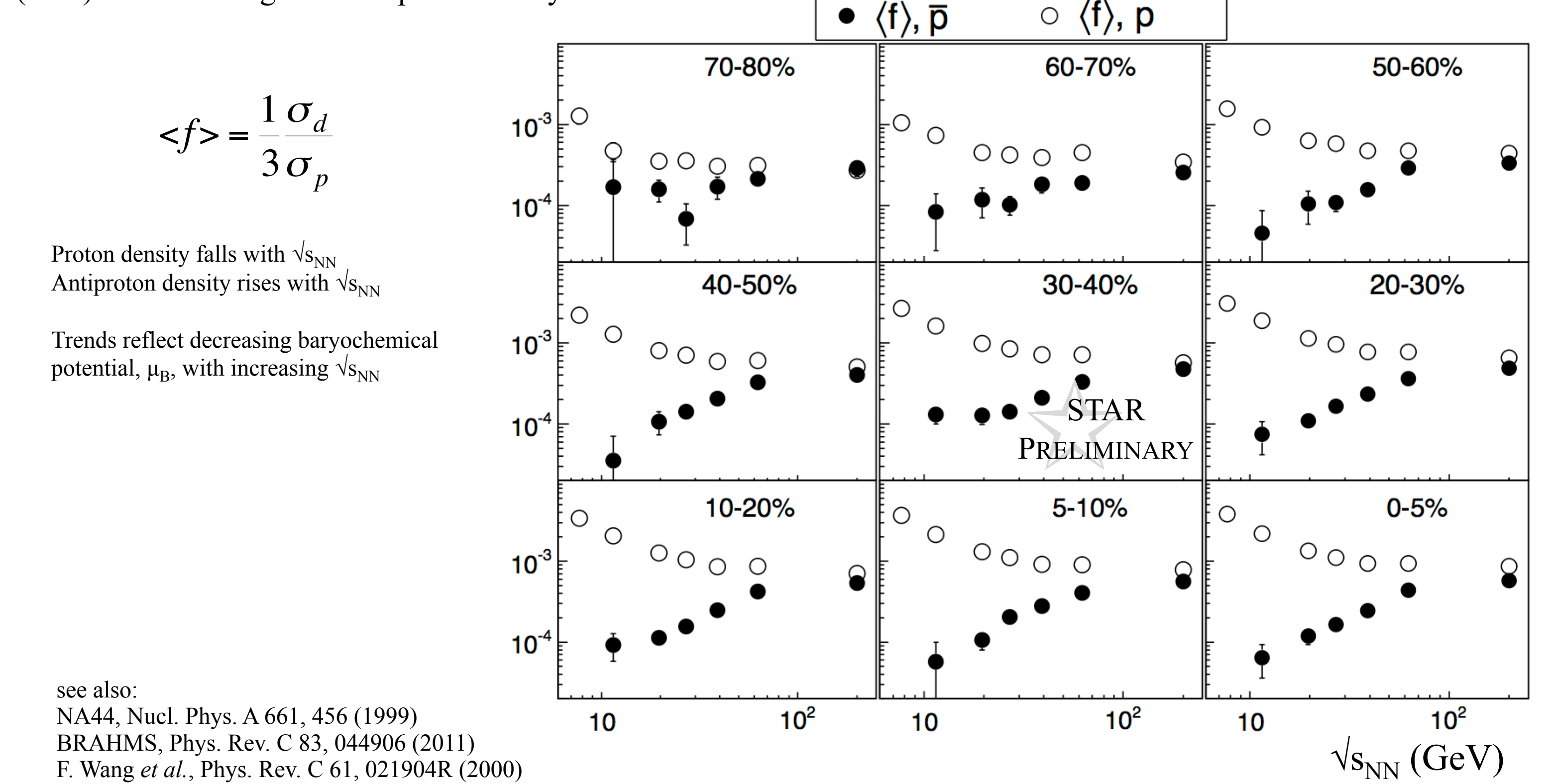
$$B_2 = \frac{\sigma_d}{\sigma_p^2}, \quad (R_G^2 + \frac{\delta^2}{2})^{3/2} = \frac{3 \pi^{3/2} \hbar^3}{2 B_2 m_p c^2}$$

(anti)deuteron Gaussian width: $\delta \sim 2$ fm
 m_p = proton mass



HBT results from H. Zbroszczyk, 7th WPCF, 2011, <http://tkynt2.phys.s.u-tokyo.ac.jp/wpcf2011/talks/sept20/Zbroszczyk.pdf>

(Anti)Proton Average Phase Space Density



Summary

- Light (anti)nuclei have been measured at seven beam energies by STAR at RHIC.
- Spectra versus P_T , P_T/A , M_T/A , and $M_T - M_0$ provide information on the nucleon source near freeze-out.
- Spectra by mass number reflect strong transverse flow.
- Qualitative reproduction of B_2 values by UrQMD+dynamic coalescence calculation.
- Gaussian radii from B_2 values similar to that from (anti)proton intensity interferometry (HBT).
- Antiproton and proton phase space densities approach each other as $\sqrt{s_{NN}}$ increases, reflecting decreasing μ_B .