

Yet stronger enhancement of Ξ production at SIS

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1. Motivation

HADES experiment: complete measurement of hadrons containing strange quarks in Ar+KCl collisions at 1.76 AGeV [1,2,3,4]

Observation: anomalously large ratio $\Xi/\Lambda = (5.6 \pm 3) \times 10^{-3}$ [4]
- exceeds prediction of both statistical model [5] and transport calculation [6]

2. Our approach

1. We study relative distribution of strangeness among various hadron species. We are not interested how hadrons are produced; we know the final K^+ multiplicity.
2. Strangeness is conserved on event-by-event basis. Cascades are only produced in events with at least two strange quarks generated.
- this version of statistical model predicts about a factor $\frac{1}{2}$ less cascades than the conventional one [5]
3. Isospin composition is assumed to be in accord with the incoming ratio of $\eta=(A-Z)/Z=1.14$ for Ar+KCl collisions. The experimental estimate of the number of Σ 's does not agree with this. We alternate also this estimate.
4. We take into account experimental centrality trigger.
This brings additional suppression factor $\frac{1}{2}$ of cascades w.r.t. K^+ 's and Λ 's.
5. We study the influence of in-medium potentials on multiplicity ratios. This brings the calculation closer to data but not completely into accord with data.

3. The minimal statistical model

- No antibaryons at SIS energies
- Strangeness is produced in pairs of $S=1$ and $S=-1$ hadrons; $S=1$ is carried away with K^+ and/or K^0 without thermalisation. There remains thermalised medium with net strangeness.
- We distinguish **multi-kaon event classes** by net strangeness of the thermalised medium. Due to correspondence to the number of kaons produced, we call them *single-kaon events*, *double-kaon events*, *triple-kaon events*, etc. Cascades cannot be produced in single-kaon events. Probability of n -kaon event is Poissonian

$$P_{s\bar{s}}^{(n)} = W^n e^{-W} / n!$$

The probability of strangeness pair production depends on freeze-out volume

$$W = \lambda V_{fo}^{4/3}$$

with λ being constant. Thus W depends on centrality.

- The centrality-averaged probability of strangeness pair creation W can be related to the experimentally measured K^+ multiplicity

$$\langle W \rangle = (1 + \eta) \mathcal{M}_{K^+}$$

we assume that the ratio K^0/K^+ is given by η

- Then λ can be determined and we can establish the probabilities of n -kaon events
- Strange quarks are distributed into hadrons statistically. Probability to release strangeness in form of hadron a is

$$P_a = z_s^{s_a} V_{fo} p_a = z_s^{s_a} V_{fo} v_a e^{B_a \frac{\mu_{B,fo}}{T_{fo}}} f(m_a, T_{fo}),$$

$$f(m, T) = \int \frac{d^3p}{(2\pi)^3} e^{-\frac{\sqrt{p^2+m^2}}{T}} = \frac{m^2 T}{2\pi^2} K_2\left(\frac{m}{T}\right)$$

with baryon number B_a , degeneracy factor v_a and K_2 the Mac Donald function

- The normalization factor z_s depends on event class
- Impact-parameter-averaged multiplicity of species a can now be calculated

$$\mathcal{M}_a = \sum_i \mathcal{M}_a^{(i)}$$

where we sum over multiplicities in different event classes

References

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- [6] L.-M. Chen, C.M. Ko, Y. Tzeng, Phys. Lett. B **584** (2004) 269

4. Selected results

Kaon ratios

$$R_{K^-/K^+} = \frac{\eta p_{\bar{K}}}{p_{\bar{K}} + p_{\Lambda} + p_{\Sigma}} Y_1$$

with

$$Y_1 = 1 - \frac{(1 + \eta) \mathcal{M}_{K^+} \tilde{\zeta}^{(2)} p_{\Xi}}{\langle V_{fo} \rangle (p_{\bar{K}} + p_{\Lambda} + p_{\Sigma})^2} \quad \tilde{\zeta}^{(2)} = \langle V_{fo}^{4/3} \rangle \langle V_{fo} \rangle / \langle V_{fo}^{4/3} \rangle^2 \approx 1.04$$

The second term above is the correction due to correctly accounting for Ξ production only in double-kaon events. Here it is smaller than 0.02

Hyperon to kaon ratios

$$R_{\Lambda/K^+} = (1 + \eta) \frac{p_{\Lambda} + \frac{\eta p_{\Sigma}}{\eta^2 + \eta + 1}}{p_{\bar{K}} + p_{\Lambda} + p_{\Sigma}} Y_1$$

$$R_{\Sigma/K^+} = \frac{(\eta^2 + 1)(\eta + 1)}{2(\eta^2 + \eta + 1)} \frac{p_{\Sigma}}{p_{\bar{K}} + p_{\Lambda} + p_{\Sigma}} Y_1$$

Cascade production

In order to separate the effect of strangeness production, for Ξ calculate the ratio

$$R_{\Xi/\Lambda/K^+} = \eta \frac{p_{\Xi}/(p_{\bar{K}} + p_{\Lambda} + p_{\Sigma})}{\langle V_{fo} \rangle (p_{\Lambda} + \frac{\eta p_{\Sigma}}{\eta^2 + \eta + 1})} Y_2 \quad Y_2 = \frac{1}{2} \tilde{\zeta}^{(2)} \approx 0.52$$

the factor Y_2 is the correction due to exact strangeness conservation in each event, i.e. production of Ξ 's only in multi-kaon events.

5. Comparison to data

In this table we compare data values with the results of our calculations. The calculated results also assume in-medium potentials for baryons and the kaons, which lead to changes of the yields. In the last column also the centrality trigger LVL1 is implemented via freeze-out volume averaging. In the fourth line we use the estimate of Σ production by HADES, in the fifth line we estimate Σ production from the isospin composition.

ratio	data	inclusive	triggered
$(K^-/K^+) \times 10^2$	$2.54_{-0.91}^{+1.21}$	2.55	2.55
Λ/K^+	$1.46_{-0.37}^{+0.49}$	1.50	1.50
Σ/K^+ (Hades)	$0.13_{-0.12}^{+0.16}$	0.29	0.29
Σ/K^+ (isospin)	$0.30_{-0.17}^{+0.23}$	0.29	0.29
$\Xi/\Lambda/K^+$	$0.20_{-0.11}^{+0.16}$	0.047	0.026

- Inclusion of in-medium potentials slightly improves the agreement with data, but the Ξ production is underestimated
- **Inclusion of LVL1 centrality trigger effect decreases the calculated Ξ ratio by another factor of $\frac{1}{2}$!!!**
- We checked that earlier freeze out of cascades does not bring the calculation into agreement with data.

6. Conclusions

- In minimal statistical model the calculated Ξ multiplicity is even more suppressed w.r.t. other strange particles mainly by two effects overlooked so far:
 - exact strangeness conservation in each event which prevents Ξ 's from being produced in single-kaon events
 - inclusion of centrality trigger which selects more central collisions with larger freeze-out volume
- We suggest that Ξ 's most likely do not chemically equilibrate with other strange particles and leave the fireball after being produced. They must not annihilate.
 - double-hyperon processes may be effective here due to large baryon density: $\Lambda\Lambda \rightarrow \Xi\Lambda$, $\Lambda\Sigma \rightarrow \Xi\Lambda$, $\Sigma\Sigma \rightarrow \Xi\Lambda$
 - at antikaon potential $U_{\bar{K}} = -80$ MeV the $K^-\Lambda \rightarrow \pi\Xi$ reaction crosses the Ξ^* pole and may have large cross-section

This presentation is based on

- E.E. Kolomeitsev, B. Tomášik, D.N. Voskresensky: Strangeness Balance in HADES Experiments and the Ξ Enhancement, arXiv:1207.5738v1 [nucl-th]
- B. Tomášik, E.E. Kolomeitsev: Open and Hidden Strangeness in Hadronic Systems, Acta Phys. Pol. B Proc. Suppl. **5** (2012) 201 (arXiv:1112.1437 [nucl-th])