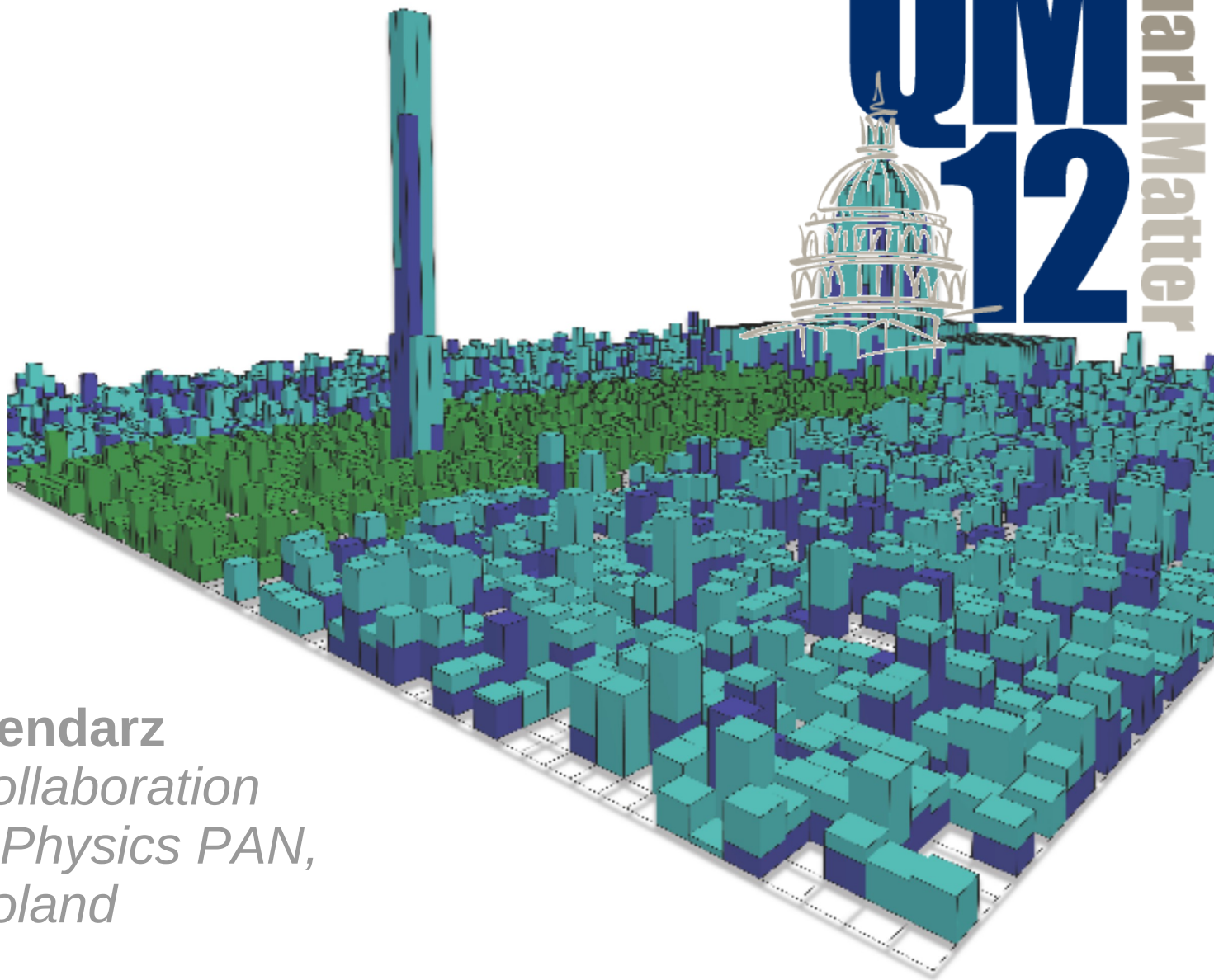
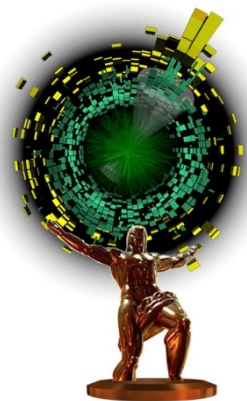


# Measurement of elliptic and higher-order harmonics at 2.76 TeV Pb+Pb collisions with the ATLAS detector.

**QM**  
**12**  
QuarkMatter

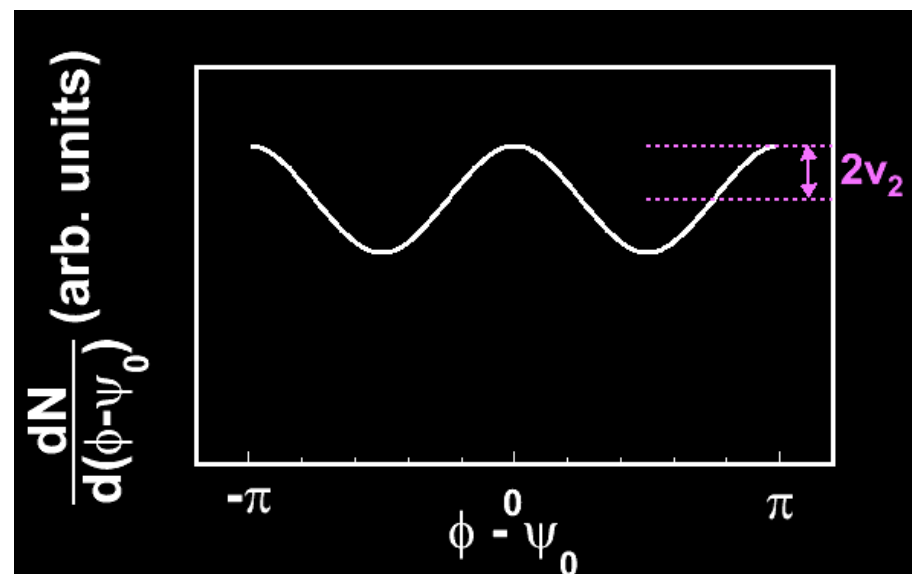
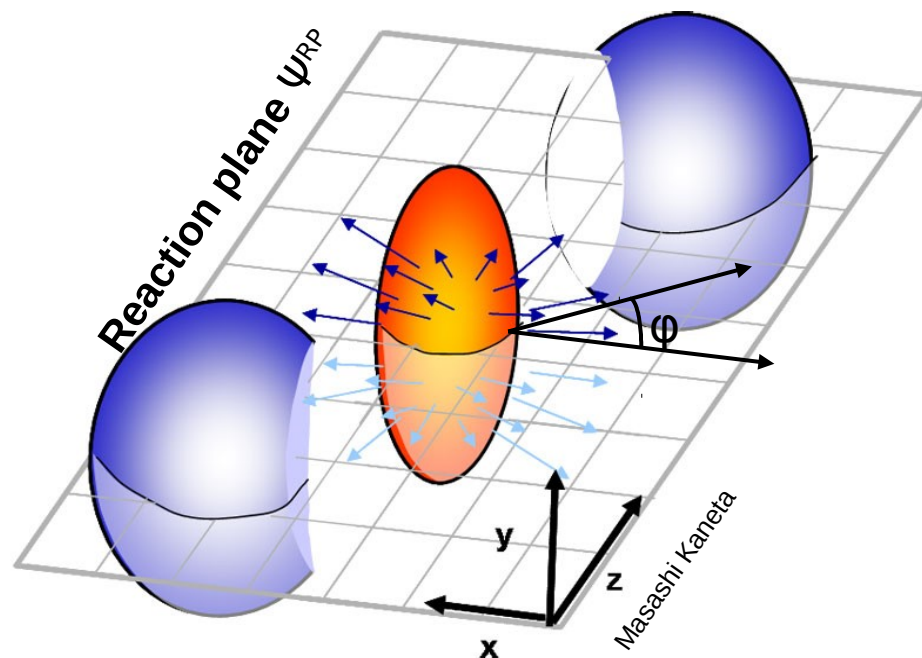


**Dominik Derendarz**  
*for the ATLAS Collaboration*  
*Institute of Nuclear Physics PAN,*  
*Kraków, Poland*

# Why azimuthal anisotropy in AA is interesting?

- **Signature of strongly interacting QGP**
- **Sensitive to**
  - Initial shape of the interaction region ( $v_2$ )
  - Initial spatial fluctuations of nucleons (higher orders)  
Related to ridge, Mach cone.
- **Mechanism of particle production**
  - Low  $p_T$  ( $< \sim 2\text{GeV}$ ): hydro expansion (perfect liquid)  
(Nucl. Phys. A Volume 757)
  - Medium  $p_T$  ( $\sim 2\text{-}6\text{ GeV}$ ): coalescence models  
(Nucl. Phys. A Volume 757, D. Molnar and S. Voloshin, nucl-th/0302014)
  - High  $p_T$ : constrain on jet quenching models

# Azimuthal anisotropy in heavy ion collisions

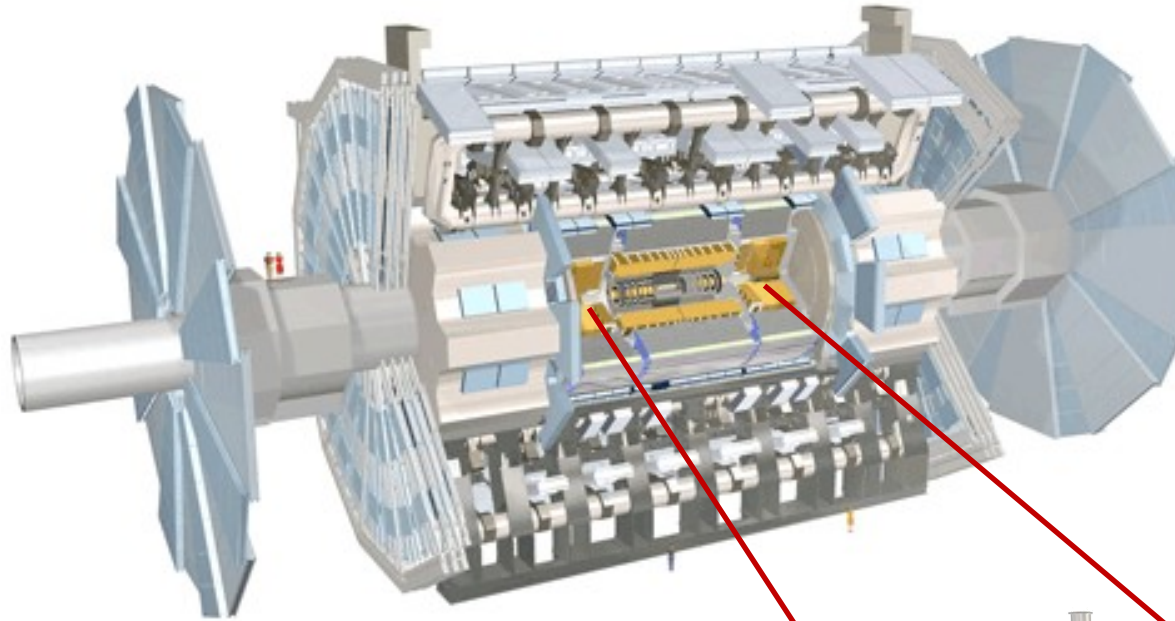


Pressure gradients lead to azimuthal anisotropy

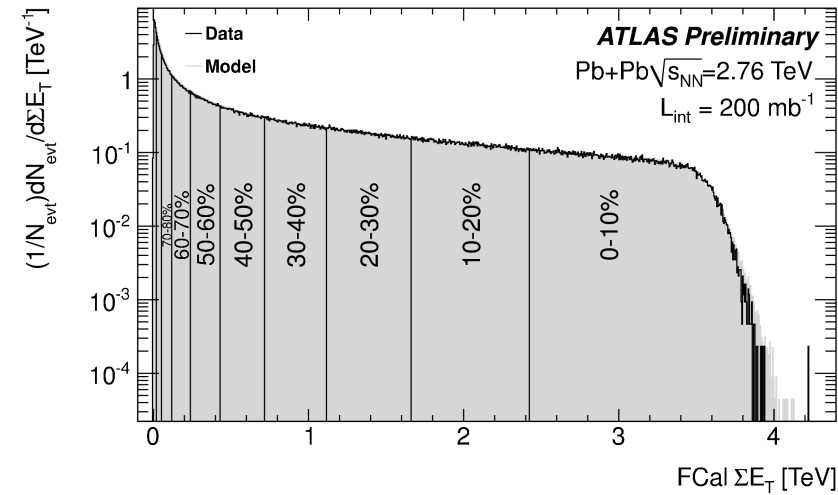
$$\frac{dN}{d(\phi - \Psi_n)} = N_0 \left( 1 + \underset{\substack{\uparrow \\ \text{directed flow}}}{2v_1} \cos(\phi - \Psi_1) + \underset{\substack{\uparrow \\ \text{elliptic flow}}}{2v_2} \cos(2(\phi - \Psi_2)) + \underset{\substack{\uparrow \\ \text{triangular flow}}}{2v_3} \cos(3(\phi - \Psi_3)) + \dots \right)$$

**Fourier harmonics**  $v_n = \langle \cos(n(\Phi - \Psi_n)) \rangle$

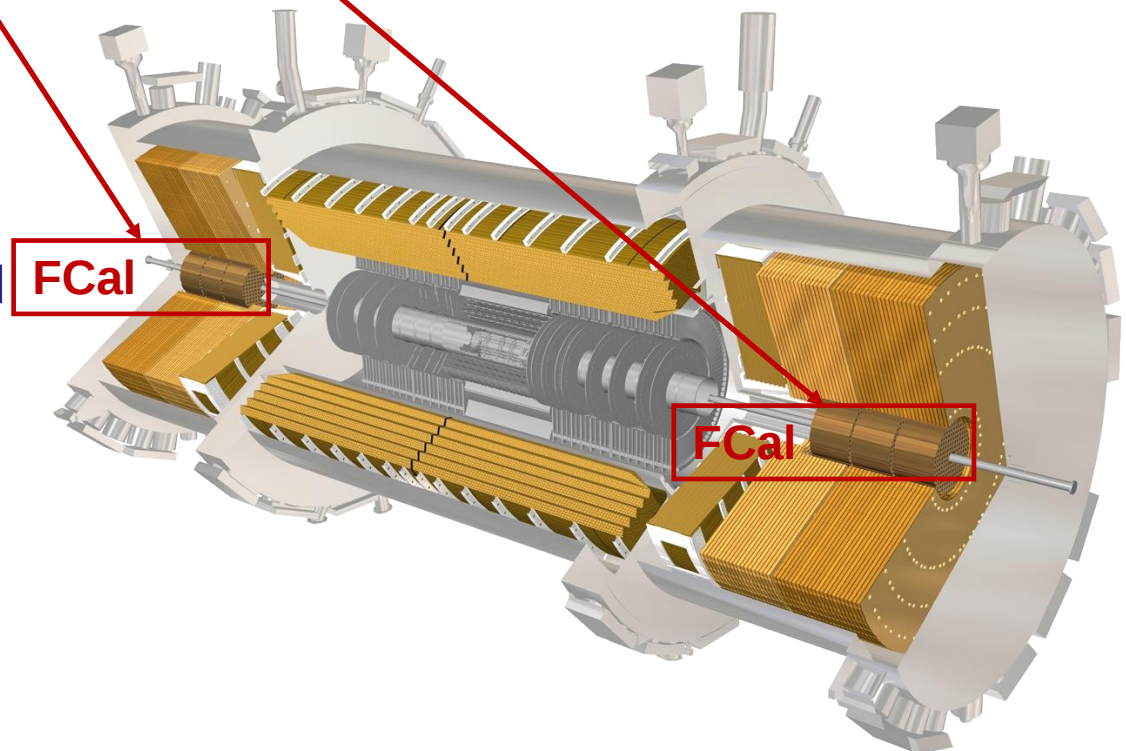
# ATLAS detector



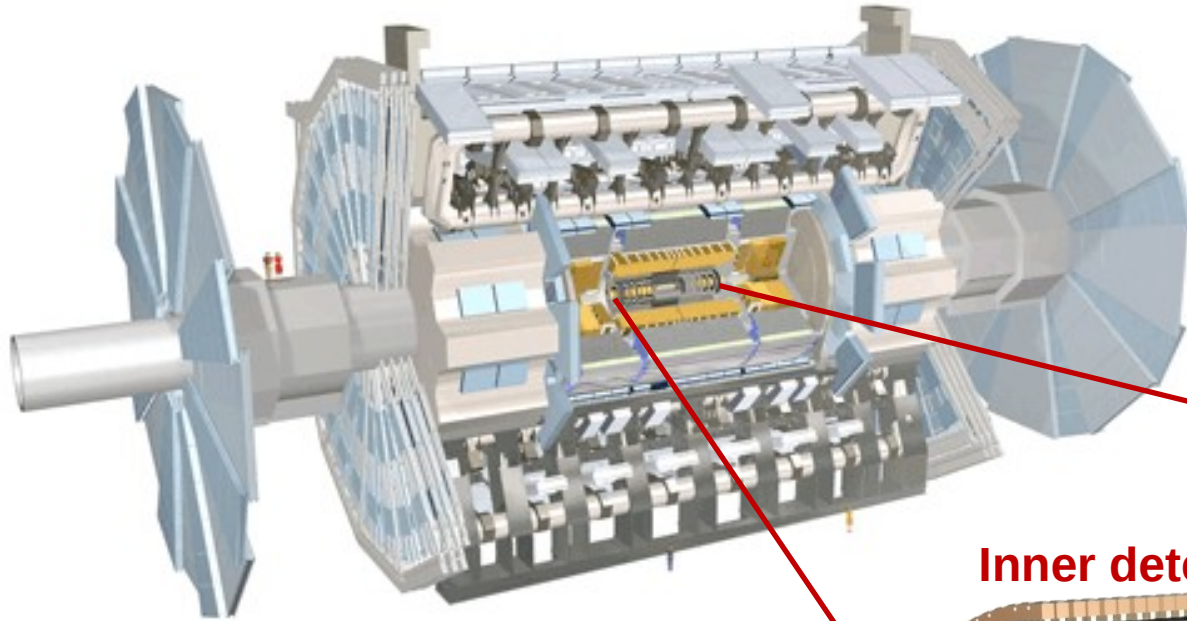
## Centrality determination



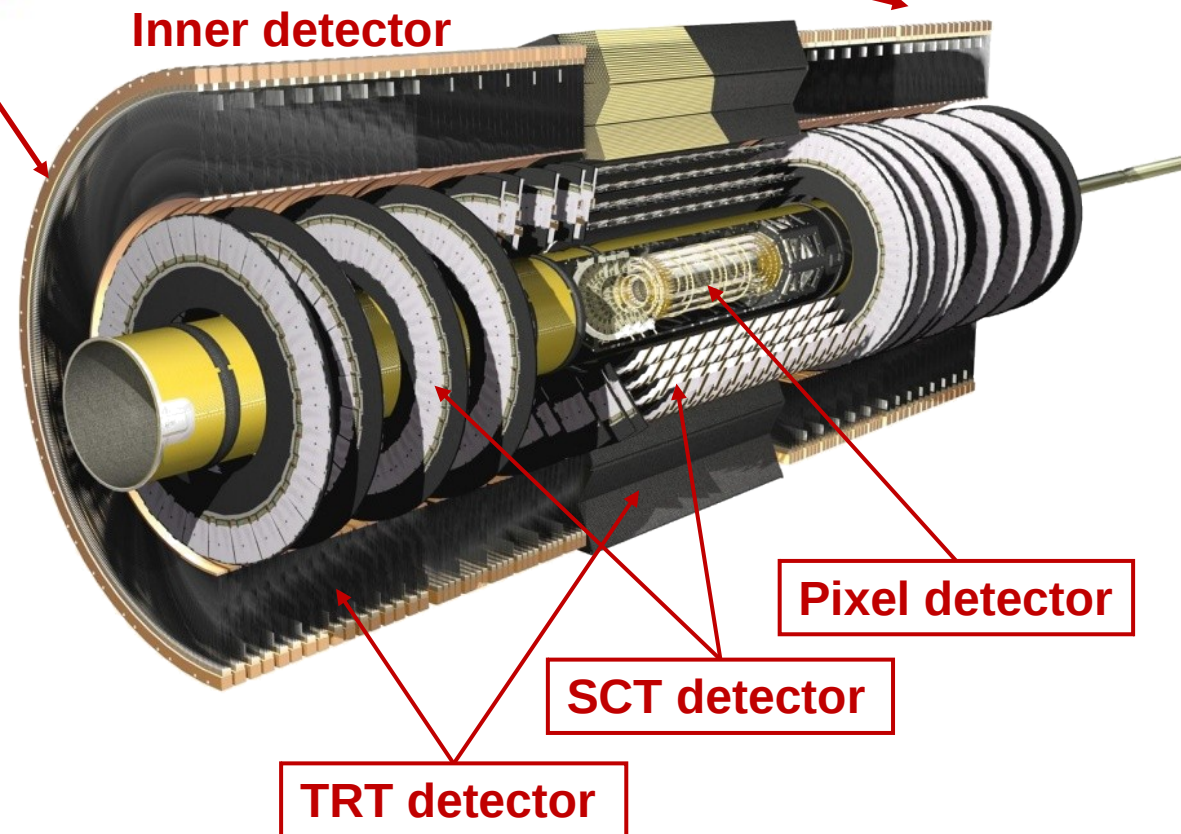
- Energy deposited in entire FCal is used for **centrality determination**
- **Event plane** is measured based on energy deposition in the first sampling layer of FCal
- Fourier harmonics are reconstructed in inner detector from charged particle tracks :
  - $p_T > 0.5 \text{ GeV}$
  - $|\eta| < 2.5$



# ATLAS detector



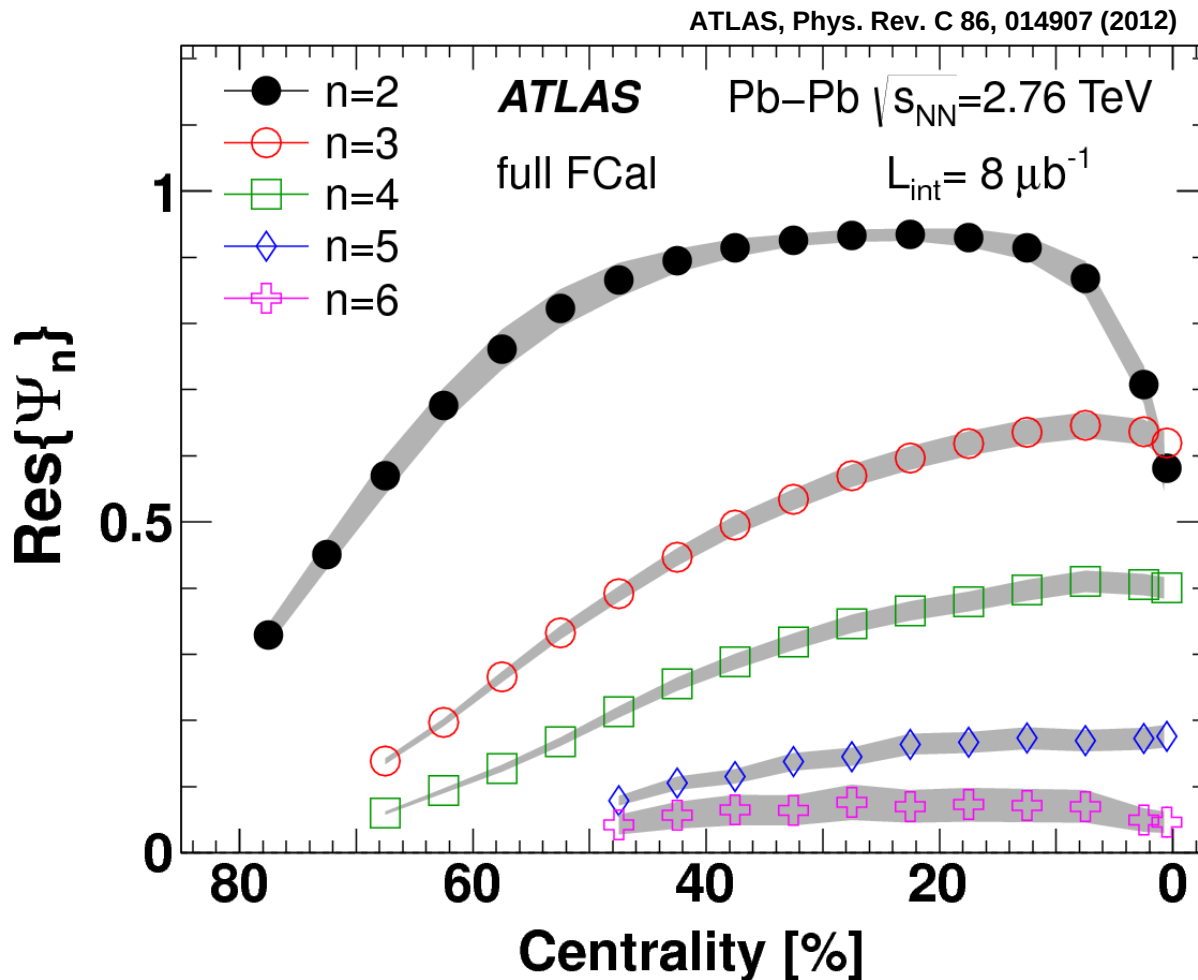
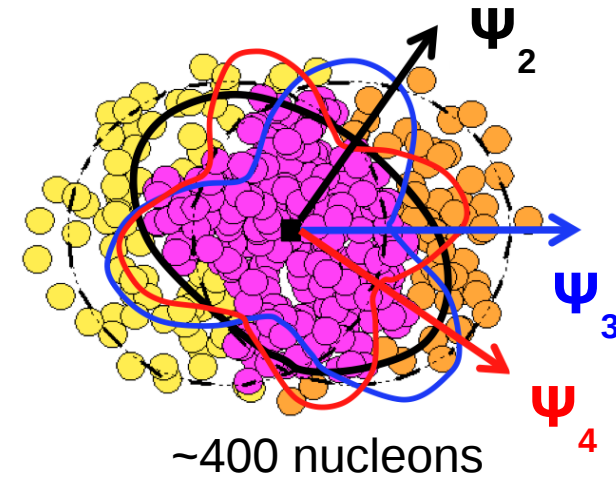
- Energy deposited in entire FCal is used for centrality determination
- Event plane is measured based on energy deposition in the first sampling layer of FCal
- **Fourier harmonics** are reconstructed in inner detector from charged particle tracks :
  - $p_T > 0.5 \text{ GeV}$
  - $|\eta| < 2.5$



# Event plane determination

- Reaction plane ( $\Psi^{RP}$ ) is approximated by event plane ( $\Psi_n^{EP}$ ) measured in FCal:

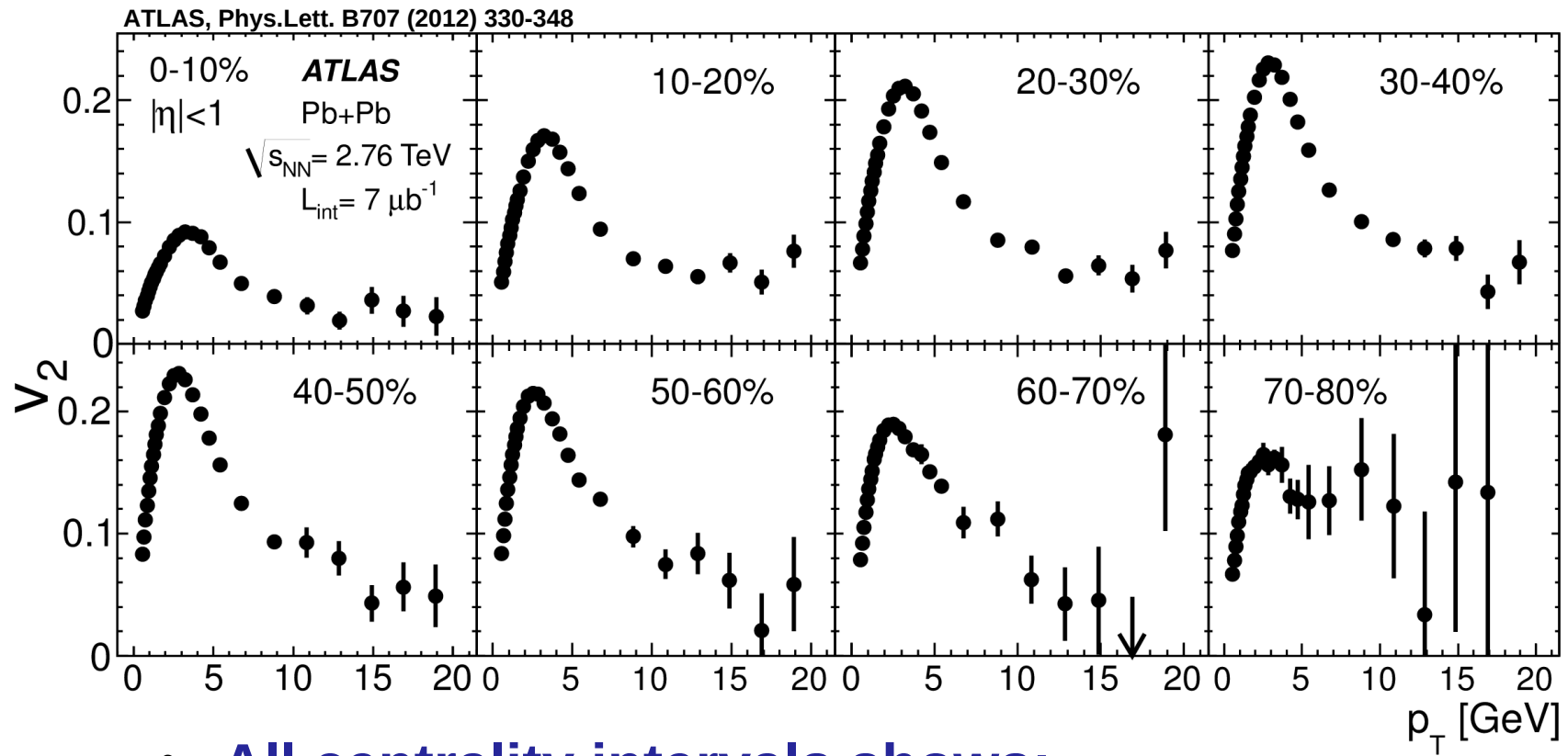
$$\Psi_n^{EP} = \frac{1}{n} \tan^{-1} \frac{\sum_i E_{T,i}^{tower} w_i \sin(n\phi_i)}{\sum_i E_{T,i}^{tower} w_i \cos(n\phi_i)}$$



- The event plane resolution correction factor  $R$  is obtained using two-sub event and various tree-subevent method
- Significant resolution for harmonics  $n=2 - 6$
- Resolution corrected harmonics:

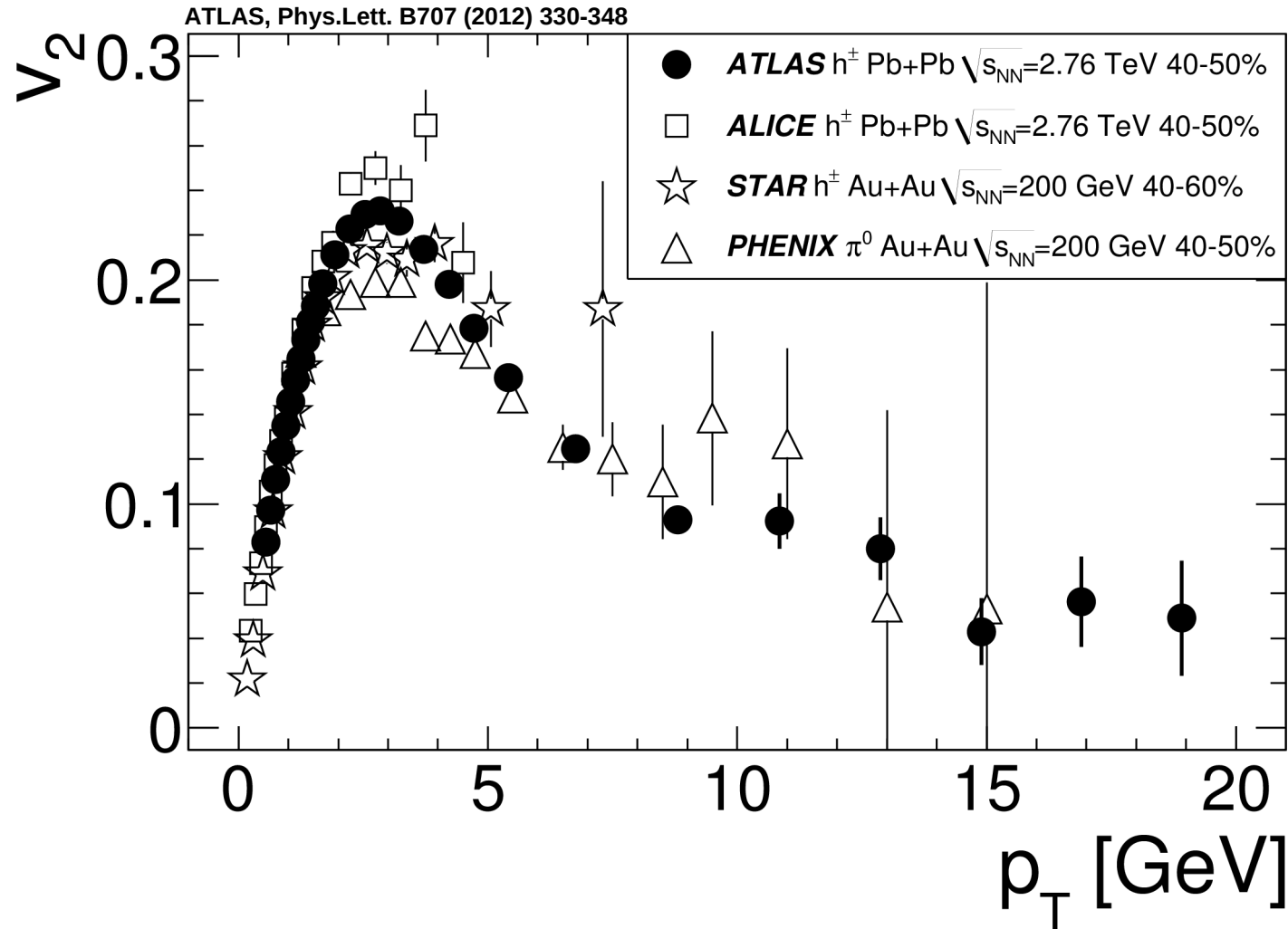
$$v_n = \langle \cos(n(\Phi - \Psi_n)) \rangle / R$$

# $p_T$ dependence of the $v_2$ of charged particles



- **All centrality intervals shows:**
  - **Rapid rise in  $v_2(p_T)$  up to  $p_T \sim 3$  GeV**
  - **Decrease out to 7-8 GeV**
  - **Weak  $p_T$ -dependence above 9-10 GeV**
- **The strongest elliptic flow at LHC is observed in centralities 30-50%**

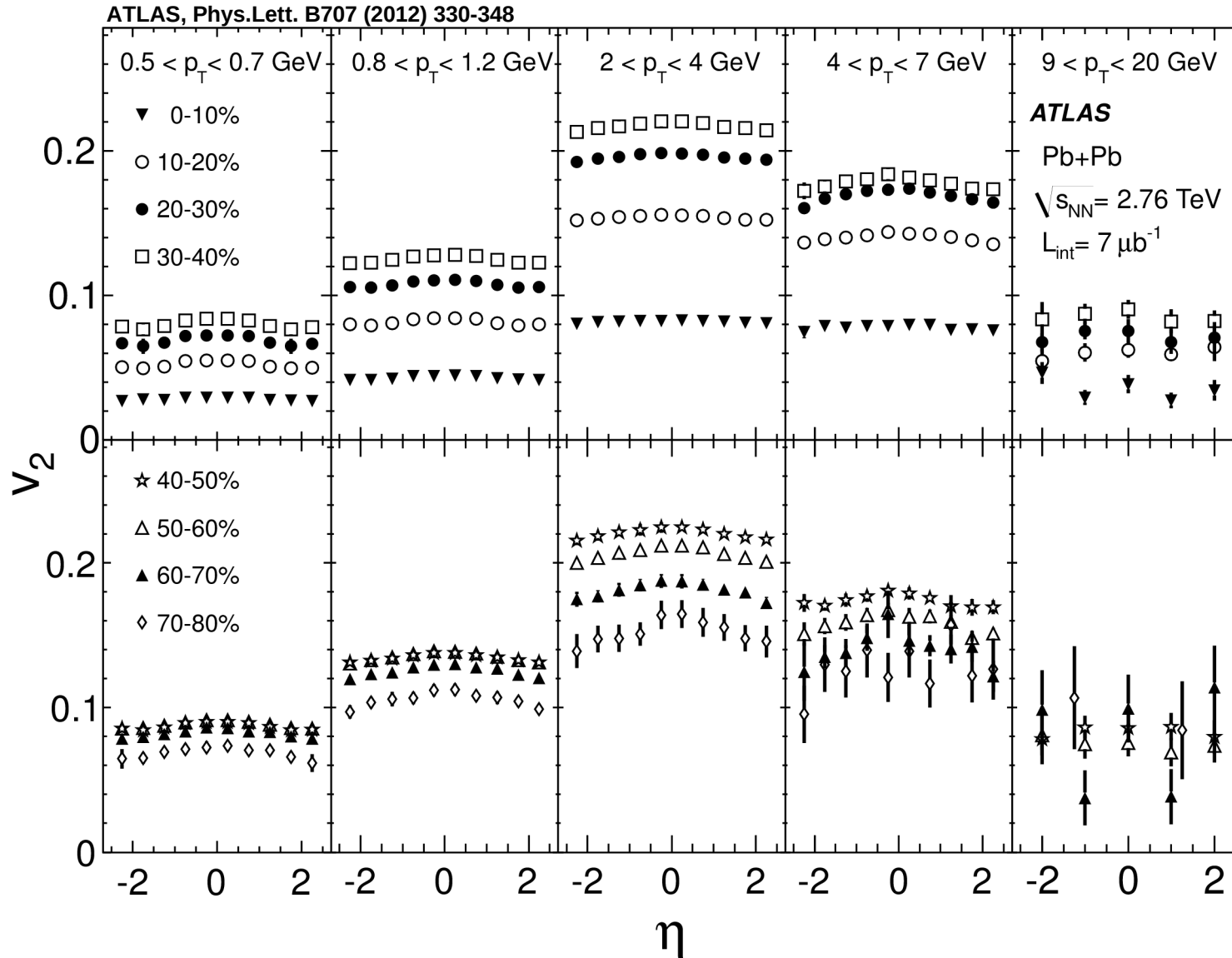
# Comparison with ALICE and RHIC experiments



- All data sets are quite consistent for both low and high  $p_T$



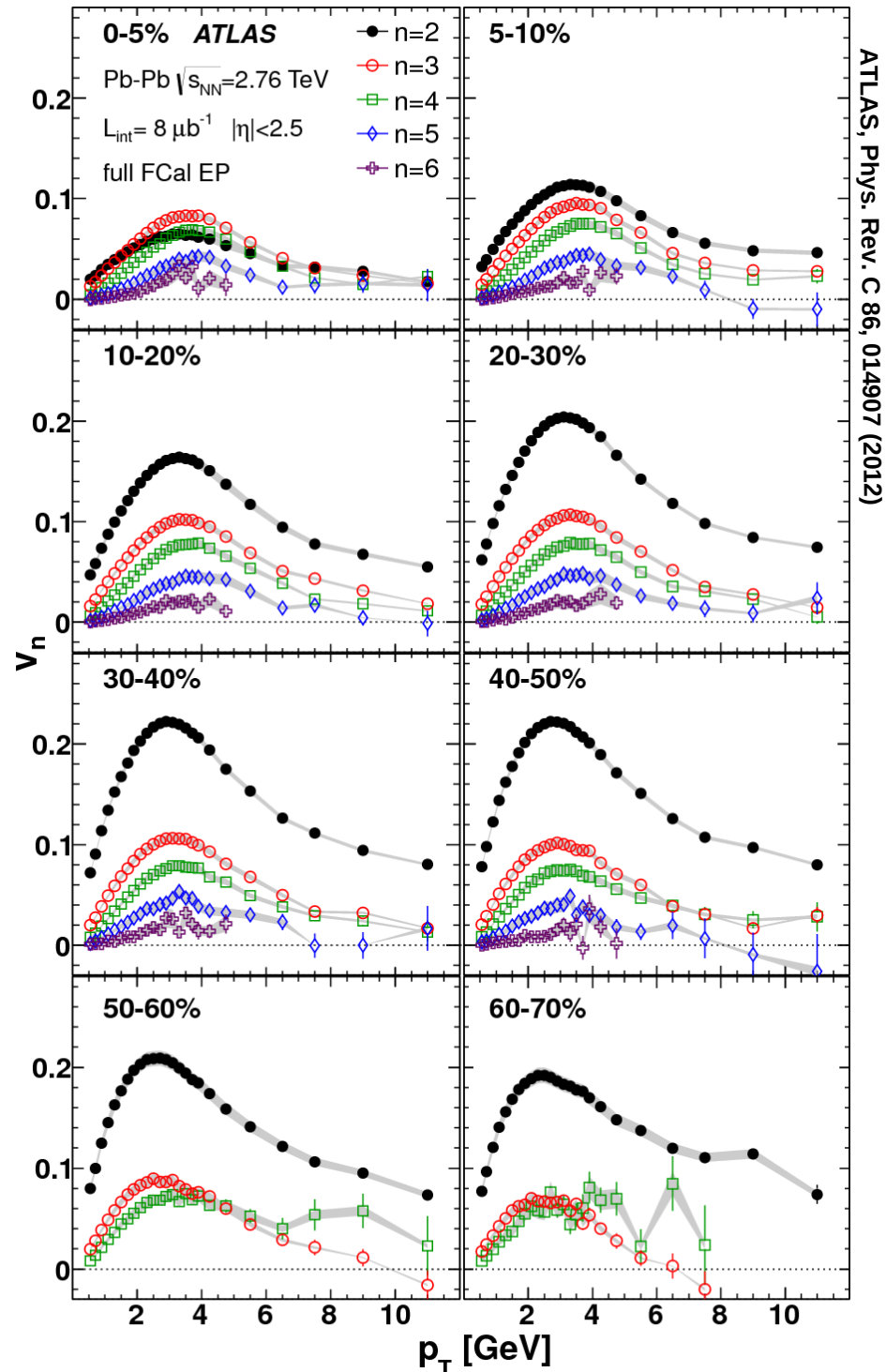
# Pseudorapidity dependence of the $v_2$



- No substantial  $\eta$  dependence for any  $p_T$  or centrality interval is observed
- Different than PHOBOS measurements at RHIC in which  $v_2$  decreases by  $\sim 30\%$  within the same  $\eta$  range (PHOBOS Phys. Rev. C72 (2005) 051901)

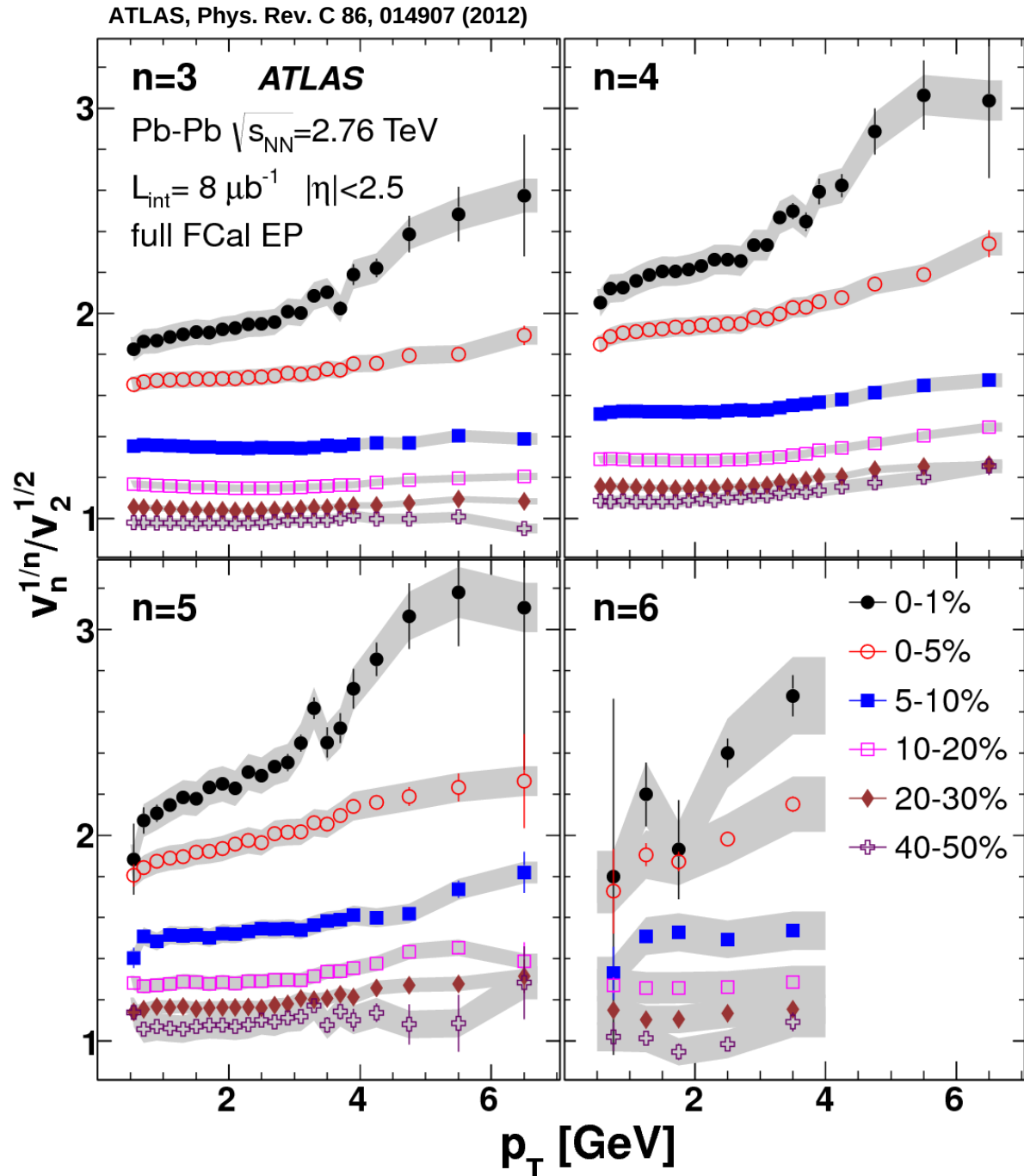
# Higher order flow harmonics

- The  $p_T$ -dependence of  $v_2$ - $v_6$  for several centrality selections
- Similar  $p_T$ -dependence for all harmonics
- $v_n$  generally decreases for larger  $n$ , except in the most central events:
  - $v_3$  dominates in  $p_T$  range  $\sim 2-7$  GeV
  - $v_4 > v_2$  in  $p_T$  range  $\sim 3-5$  GeV



# Higher order harmonics scaling

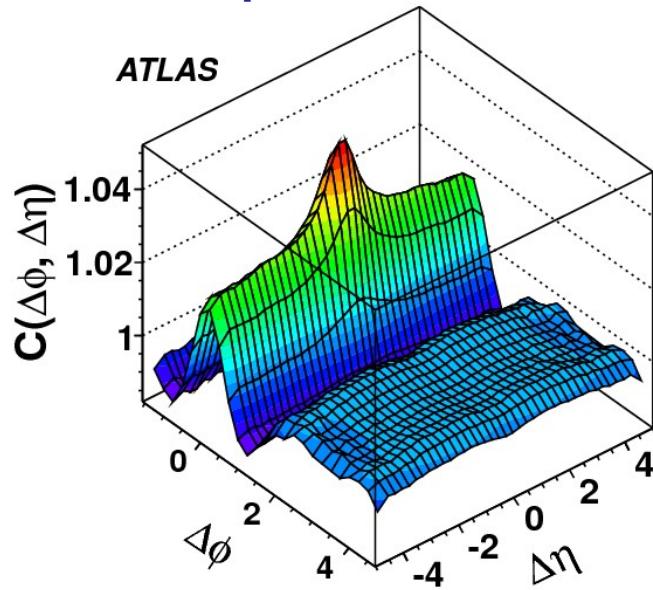
- Hydrodynamics model suggests scaling  $v_4 \sim v_2^2$  (PHENIX PRL 105, 062301 (2010))
- The  $p_T$ -dependence of the  $v_n^{1/n}/v_2^{1/2}$  ( $n=3-6$ ) ratio for several centrality selections
- Weak  $p_T$ -dependence of the ratio except 5% most central events
- Ratio for  $n=3$  systematically lower than for  $n=4, 5$



# Two-particle correlation method

The two-particle correlation function:  $C(\Delta\phi, \Delta\eta) = \frac{N_s(\Delta\phi, \Delta\eta)}{N_m(\Delta\phi, \Delta\eta)}$

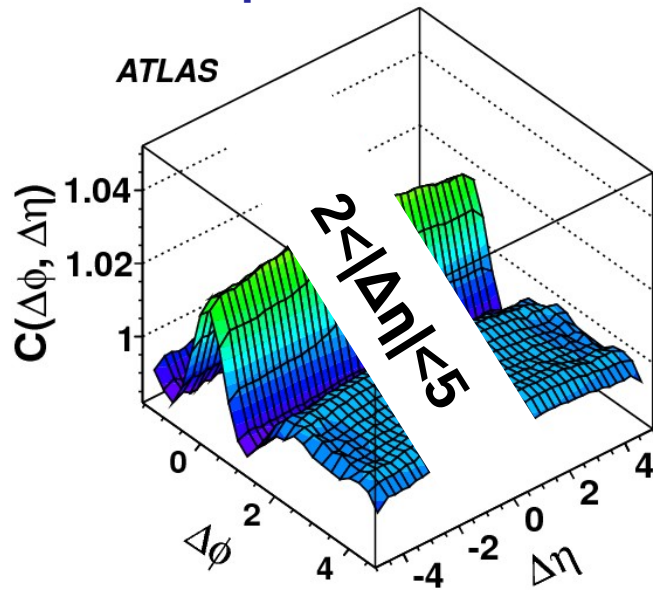
$N_s$  – same event pairs  
 $N_m$  – mixed event pairs



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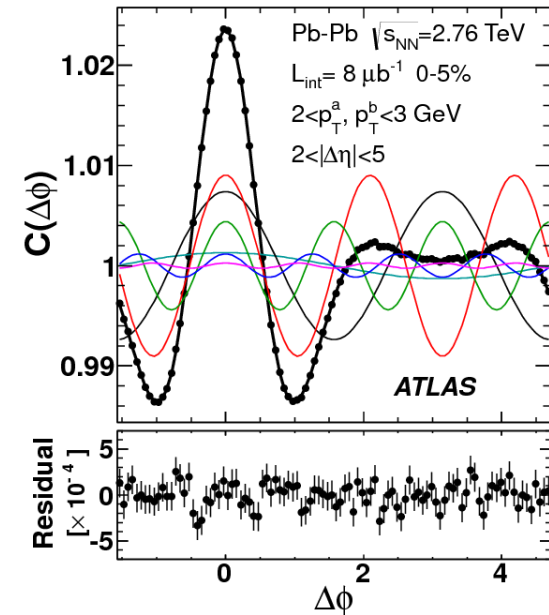
$N_s$  – same event pairs  
 $N_m$  – mixed event pairs



Projected onto  $\Delta\phi$

1D correlation function

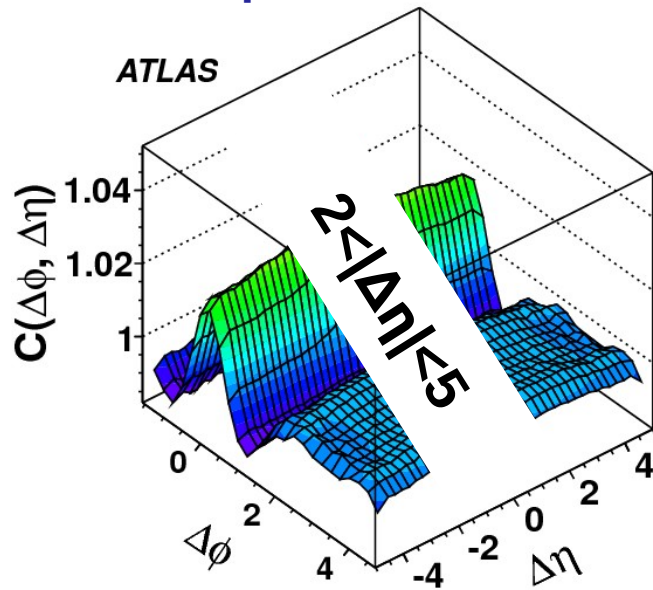
$$\frac{dN}{d\Delta\phi} \propto 1 + 2 \sum_n v_{n,n} \cos(n\Delta\phi)$$



# Two-particle correlation method

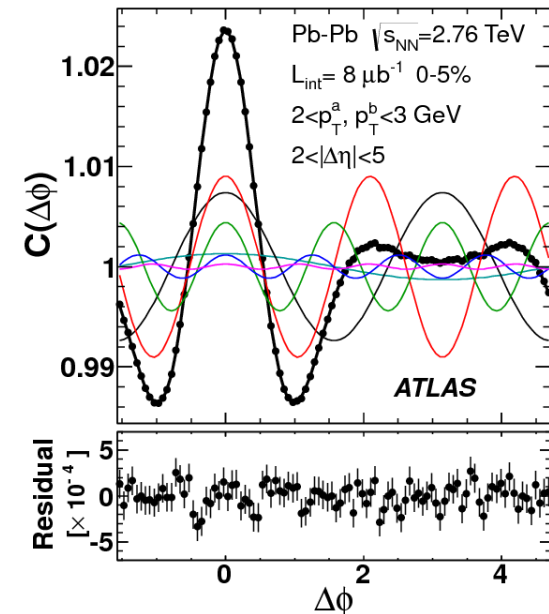
The two-particle correlation function:  $C(\Delta\phi, \Delta\eta) = \frac{N_s(\Delta\phi, \Delta\eta)}{N_m(\Delta\phi, \Delta\eta)}$

$N_s$  – same event pairs  
 $N_m$  – mixed event pairs



Projected onto  $\Delta\phi$   
 1D correlation function

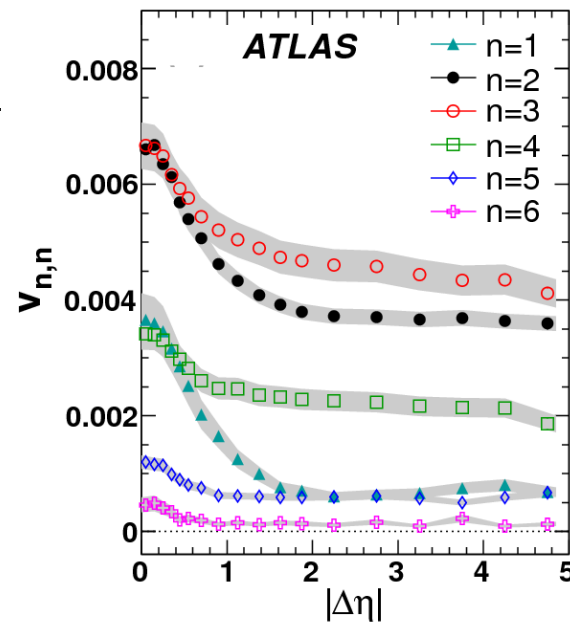
$$\frac{dN}{d\Delta\phi} \propto 1 + 2 \sum_n v_{n,n} \cos(n\Delta\phi)$$



$v_{n,n}$  are calculated via Discrete Fourier

Transform (DFT) :

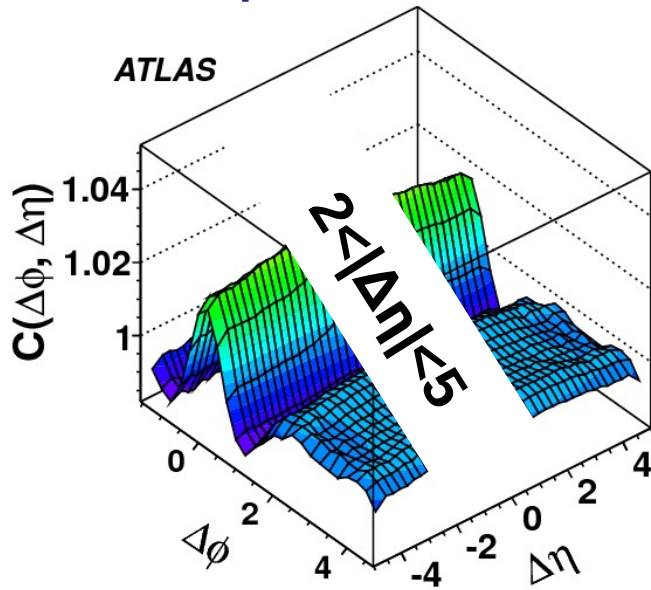
$$v_{n,n} = \langle \cos(n\Delta\phi) \rangle = \frac{\sum_m \cos(n\Delta\phi_m) C(\Delta\phi_m)}{\sum_m C(\Delta\phi_m)}$$



# Two-particle correlation method

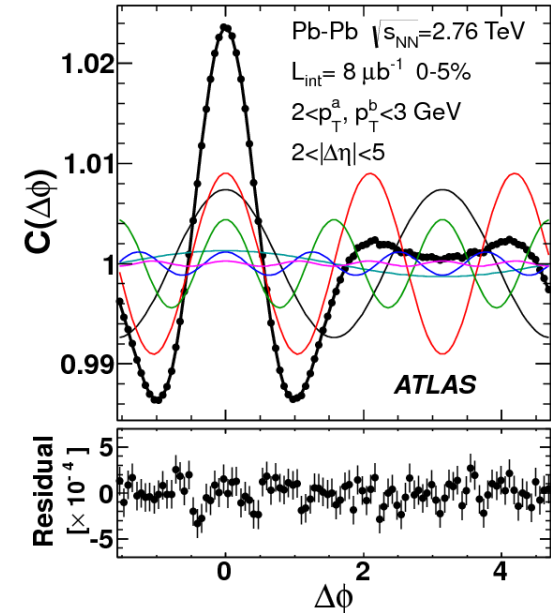
The two-particle correlation function:  $C(\Delta\phi, \Delta\eta) = \frac{N_s(\Delta\phi, \Delta\eta)}{N_m(\Delta\phi, \Delta\eta)}$

$N_s$  – same event pairs  
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Projected onto  $\Delta\phi$   
 1D correlation function

$$\frac{dN}{d\Delta\phi} \propto 1 + 2 \sum_n v_{n,n} \cos(n\Delta\phi)$$



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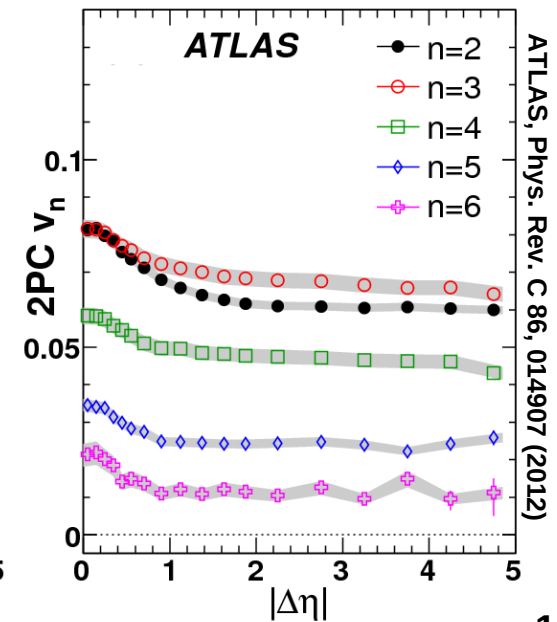
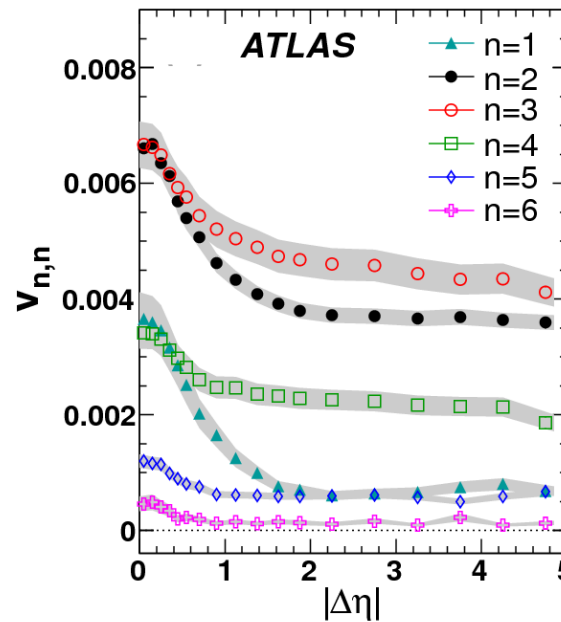
$$v_{n,n} = \langle \cos(n\Delta\phi) \rangle = \frac{\sum_m \cos(n\Delta\phi_m) C(\Delta\phi_m)}{\sum_m C(\Delta\phi_m)}$$

It is expected that for flow modulations:

$$v_{n,n}(p_T^a, p_T^b) = v_n(p_T^a) v_n(p_T^b)$$

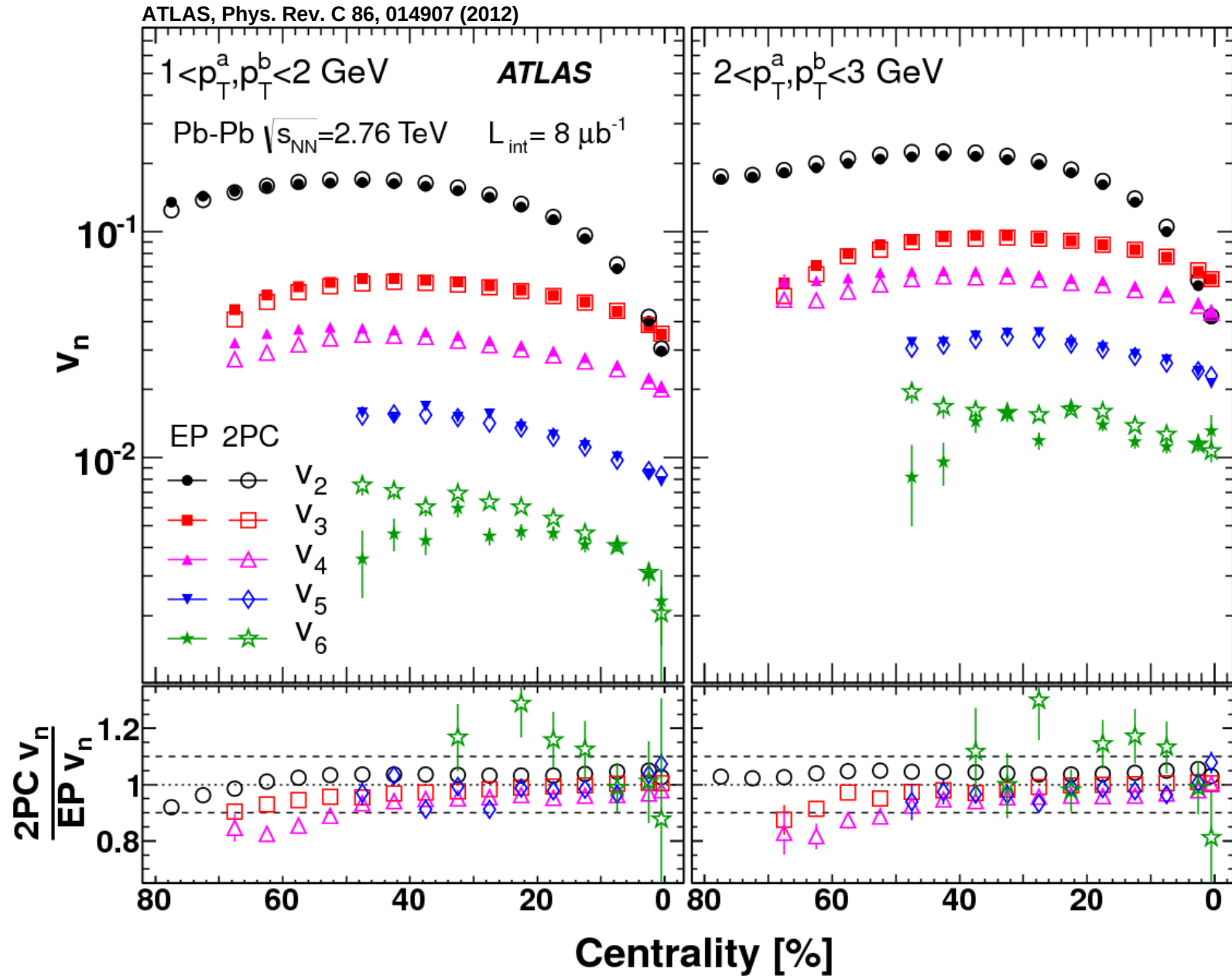
And for "fixed-pT" correlations:

$$V_n = \sqrt{v_{n,n}}$$



ATLAS, Phys. Rev. C 86, 014907 (2012)

# Two particle correlation vs EP results

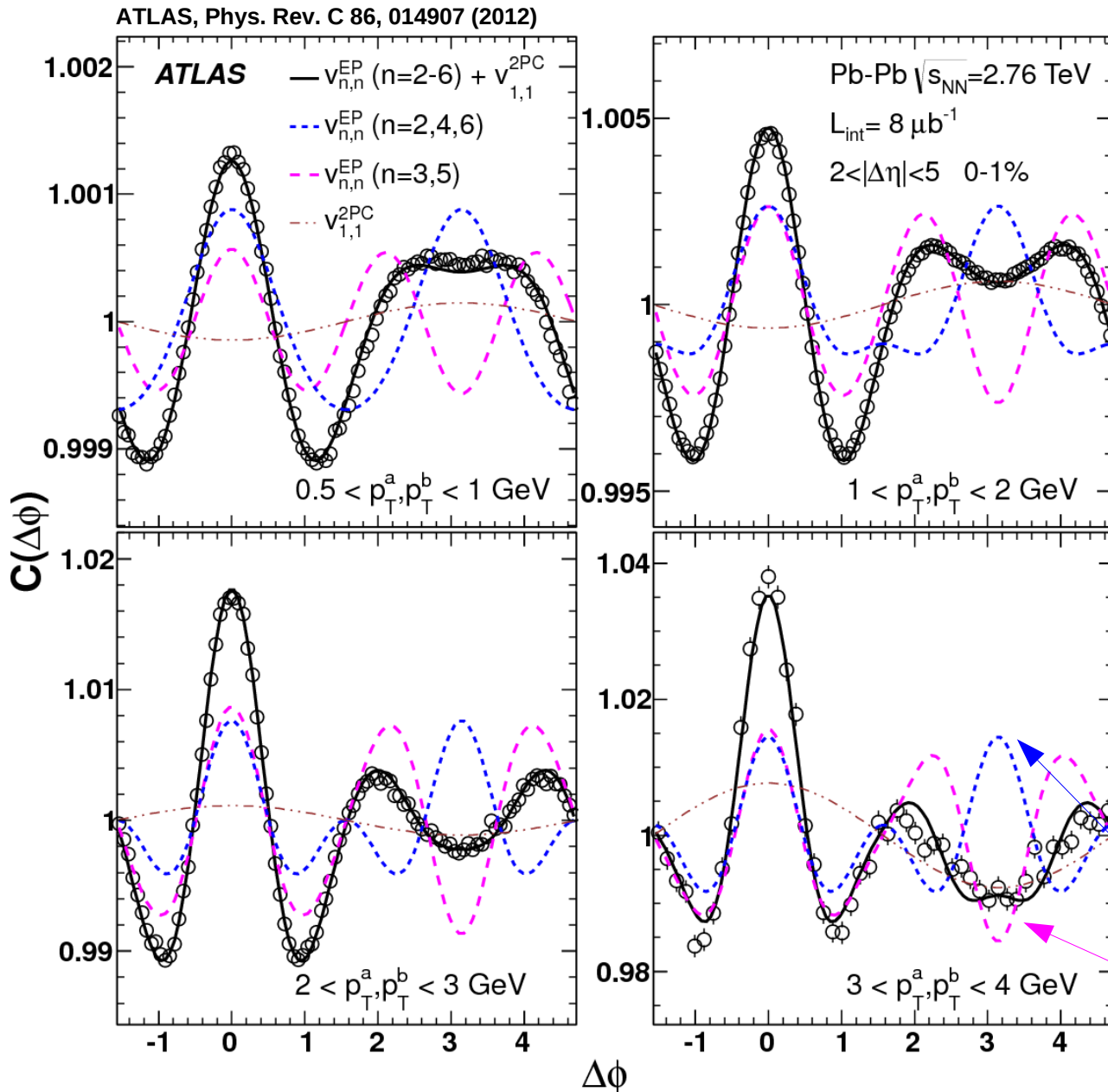


**Good agreement between both methods in the selected kinematical range ( $p_T$  1-3 GeV,  $2 < |\eta| < 5$ )**



# Two particle correlation vs EP results

$$C(\Delta\Phi) = b^{2PC} \left( 1 + 2v_{1,1}^{2PC} \cos \Delta\Phi + 2 \sum_{n=2}^6 v_n^{EP,a} v_n^{EP,b} \cos n \Delta\Phi \right)$$



- $b^{2PC}$  average of the correlation function
- $v_{1,1}^{2PC}$  first harmonic from the 2PC analysis

More details on  $v_1$ :  
 J. Jia talk 15 Aug 11:20 AM  
 Session: Parallel 4A

- Other  $v_n$  components measured with the event plane method
- Correlation function reproduced very well

even harmonics contribution

odd harmonics contribution

# Summary

- ATLAS measured  $v_2$  and higher order flow harmonics up to  $v_6$  in wide  $p_T$ ,  $\eta$  and centrality range
- $v_n(p_T)$  shows the same trends
  - rise up to  $\sim 3$  GeV
  - decrease within 3-8 GeV
  - varies weakly out to 20 GeV
- $v_n(\eta)$  remains approximately constant
- $v_3$  is dominating in the most central collisions
- $v_n$ 's follow approximate scaling relation  $v_n^{1/n} \propto v_2^{1/2}$
- Good agreement between event plane and two particle correlation results for  $v_n$