

# Dark Energy 74% and and Cosmology

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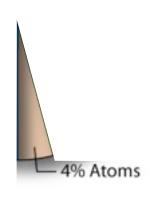


#### Overview

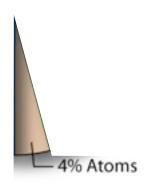
- Motivations background, and the problems of modern cosmology.
- The meaning of cosmic acceleration
- · A tasting menu of theoretical approaches
  - The cosmological constant
  - Dynamical dark energy
  - Modified gravity
- Theoretical progress has been slow reflected here. But there are some very recent nontrivial possibilities.
- How do we distinguish between models?





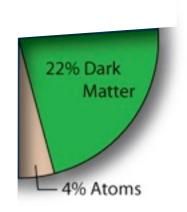






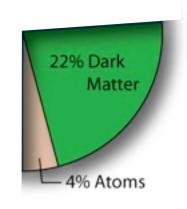
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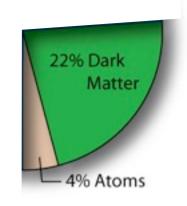




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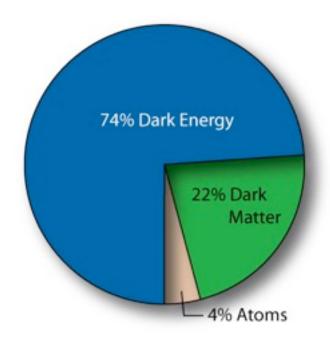




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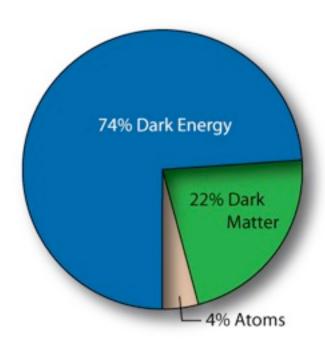




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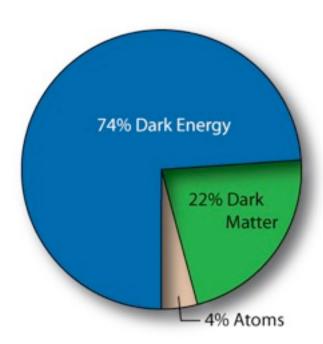
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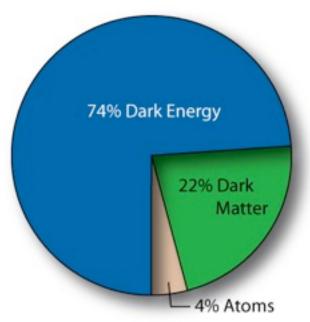
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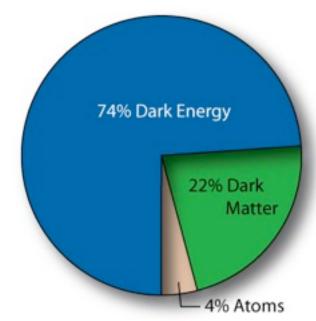
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#### Genesis:

- Why is the universe so flat?
- Why is the universe so homogeneous?
- Why did the universe begin from a low entropy state?
- What resolves the big bang singularity?

(See Antusch, MT Parallels)



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Use simple metric for cosmology and model matter as a perfect fluid with energy density  $\rho$  and pressure p



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 The Friedmann equation

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When evolution dominated by type i, obtain

$$a(t) \propto t^{2/3(1+w_i)}$$
  $\rho(a) \propto a^{-3(1+w_i)}$   $(\mathbf{w_i} \neq -1)$ 



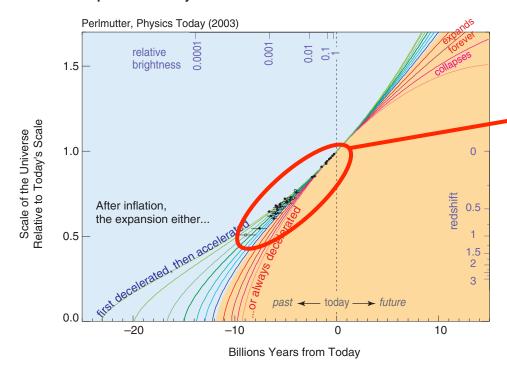


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#### **Expansion History of the Universe**



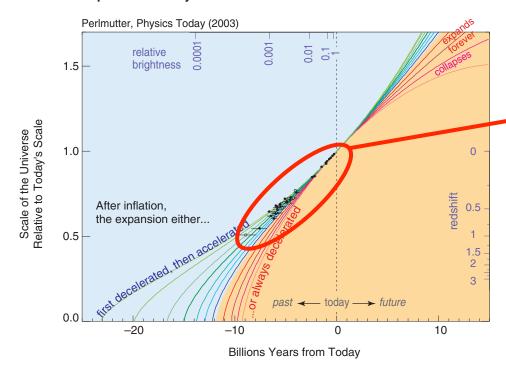
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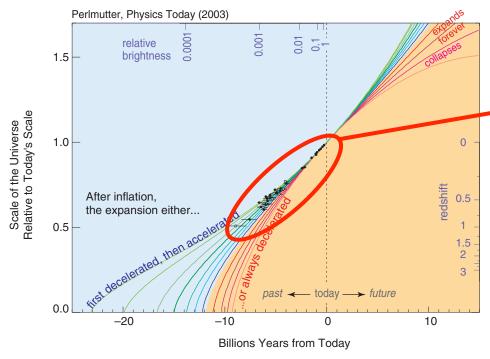
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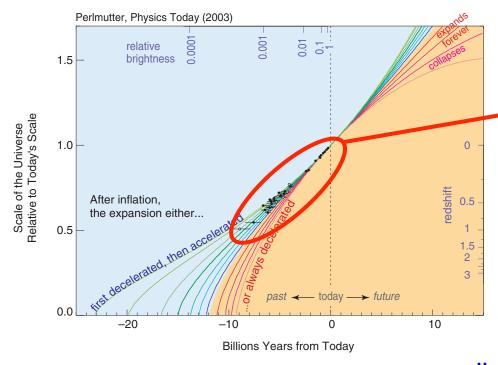
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Then we infer that the universe must be dominated by some strange stuff with  $p < -\rho/3$ . We call this **dark energy!** 



So, accelerating expansion means

$$\frac{\ddot{a}}{a} \propto -(\rho + 3p)$$
 p<-\rho/3 or w<-1/3

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	-  <w<-  3<="" th=""><th>w=- </th><th>w&lt;- </th></w<- >	w=-	w<-
Evolution of Energy Density	Dilutes slower than any matter	Stays absolutely constant (Λ)	Increases with the expansion!!
Evolution of Scale Factor	Power-law quintessence	Exponential expansion	Infinite value in a finite time!!



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So, writing  $p=w\rho$ , accelerating expansion means  $p<-\rho/3$  or

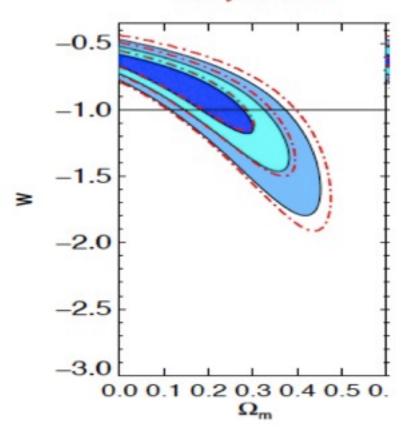


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#### Conley et al. 2011





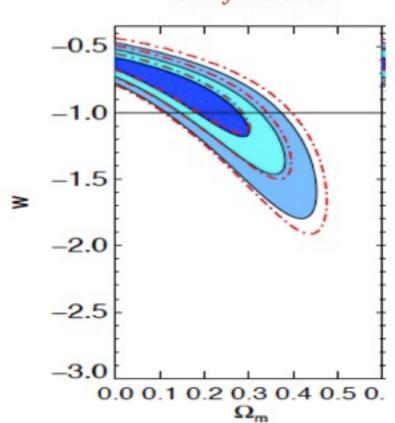
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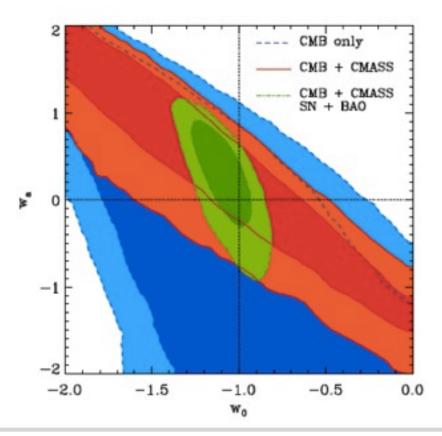
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Sanchez et al. 2012

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This describes a cosmological constant. Acceleration could be due to this; but if so, how to understand its absurd value?



# The Landscape & the Multiverse



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Anthropics provide a logical possibility to explain this, and the string landscape, with eternal inflation, may provide a way to realize it.

[Bousso, Freivogel, Leichenauer, ...; Vilenkin, Guth, Linde, Salem, ...]



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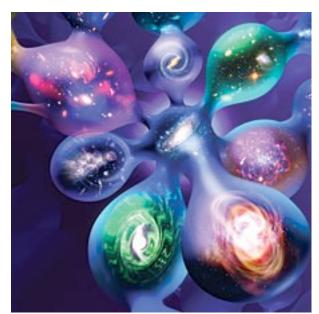
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If a dynamical understanding of a small CC is found, it would be hard to accept this.



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If DE is time or space dependent, would be hard to explain this way.





[Ratra, Peebles; Wetterich; Caldwell, Dave, Steinhardt; Freiman, Hill, Stebbins, Waga; Armendariz-Picon, Mukhanov; ........

Basically every cosmologist you can think of ... and most particle theorists as well.]



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Use scalar fields to source Einstein's equation - Quintessence.

Difference: no minimum or reheating

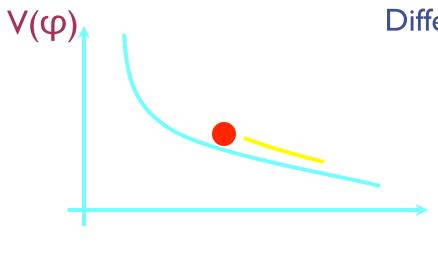


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$$L = \frac{1}{2} \left( \partial_{\mu} \phi \right) \partial^{\mu} \phi - V(\phi)$$

$$\rho_{\phi} = \frac{1}{2}\dot{\phi}^2 + \frac{1}{2}(\nabla\phi)^2 + V(\phi)$$

$$\ddot{\phi} + 3H\dot{\phi} + \frac{dV}{d\phi} = 0$$

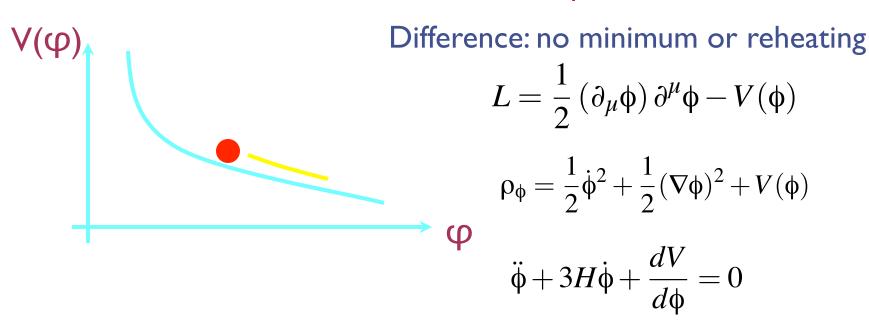


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Small slope

$$\rho_{\phi} \approx V(\phi) \approx constant$$

$$w = -\left[\frac{2V(\phi) - \dot{\phi}^2}{2V(\phi) + \dot{\phi}^2}\right]$$





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[Armendariz-Picon, Mukhanov, Steinhardt; Caldwell. ...

• At present there are no compelling models, although some success in embedding some of the above ideas within string theory.



## Are we Being Fooled by Gravity?

(Carroll, De Felice & M.T., Phys.Rev. **D71**: 023525 (2005) [astro-ph/0408081])

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One example - Brans-Dicke theories

$$S_{BD} = \int d^4x \sqrt{-g} \left[ \phi R - \frac{\omega}{\phi} \left( \partial_{\mu} \phi \right) \partial^{\mu} \phi - 2V(\phi) \right] + \int d^4x \sqrt{-g} L_m(\psi_i, g)$$

ω>40000 (Signal timing measurements from Cassini)

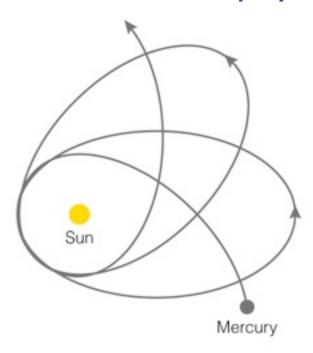
We showed that (with difficulty) can measure w<-1, even though no energy conditions are violated.



A related tale played out over 50 years over a century ago

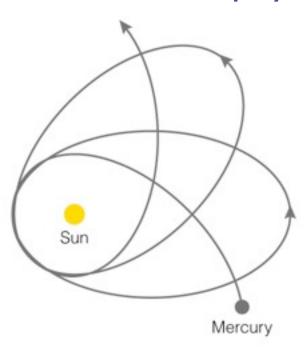


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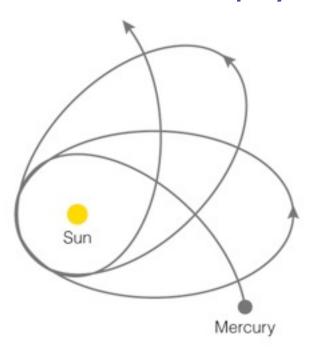


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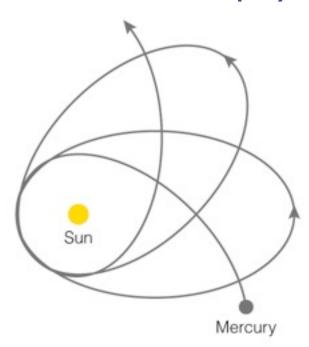


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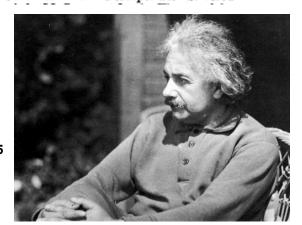




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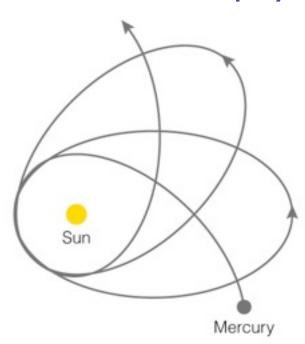
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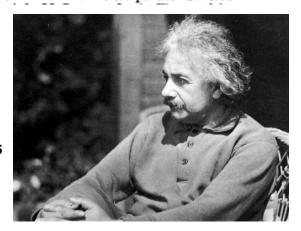




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"[General Relativity] explains ... quantitatively ... the secular rotation of the orbit of Mercury, discovered by Le Verrier, ... without the need of any special hypothesis.", SPAW, Nov 18, 1915



Could a similar story be unfolding today, with cosmic acceleration the canary in the mine, warning of the breakdown of gravity?





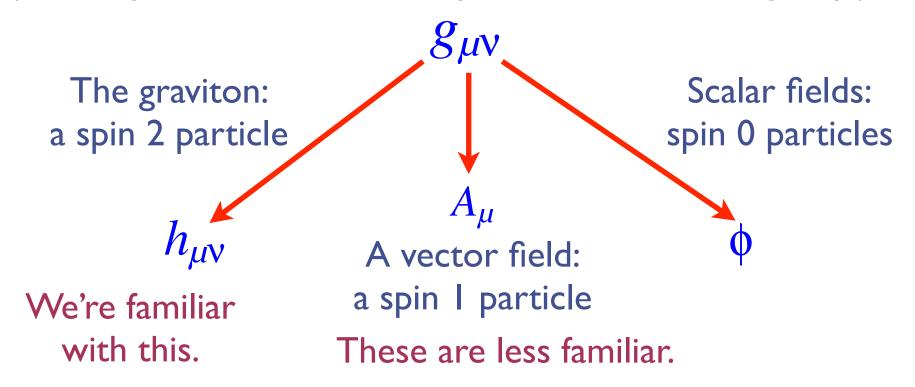
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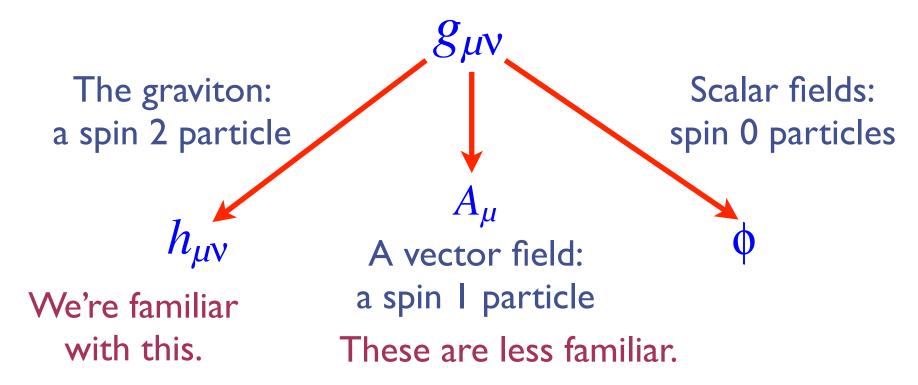


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Almost any other action will free some of them up





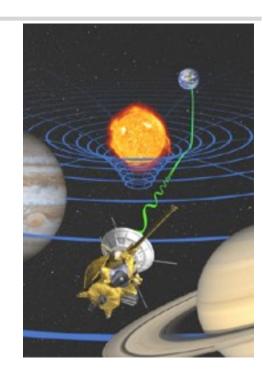
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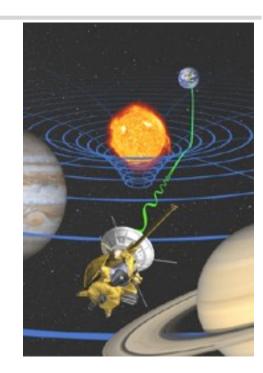
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### Issues with new d.o.f.

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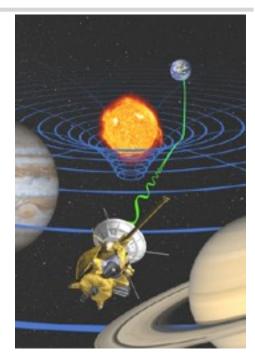
Another problem is that they can lead to instabilities because they are ghost-like (have the wrong sign kinetic terms.) If we were to take these seriously, they'd have negative energy!!

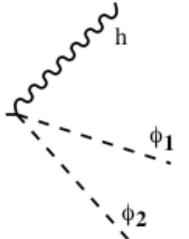
 Ordinary particles could decay into heavier particles plus ghosts

(Carroll, Hoffman & M.T., Phys. Rev. **D68**: 023509 (2003) [astro-ph/0301273])

Vacuum could fragment

(Cline, Jeon & Moore. (2004))









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- Should "resum" the theory about the relevant background, and the EFT of excitations around a nontrivial background is not the naive one.
- Also protects against local tests of gravity.





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So forces much smaller than gravitational strength within the Vainshtein radius - hence safe from 5th force tests.



(Carroll, Duvvuri, M.T. & Turner, *Phys.Rev.* **D70**: 043528 (2004) [astro-ph/0306438])



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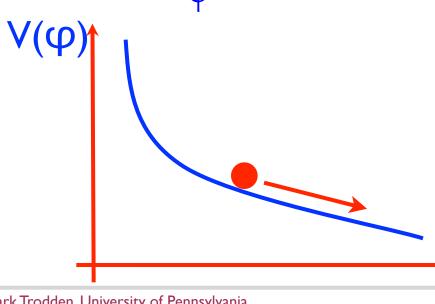
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Potential determined by the function f(R). Opens up the possibility of cosmologically interesting evolution.





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**BUT**: Disastrous disagreement with solar system constraints unless chameleon mechanism works - strongly restricts models!





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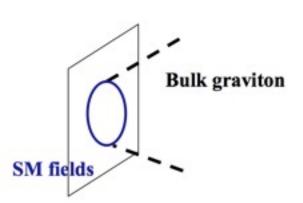
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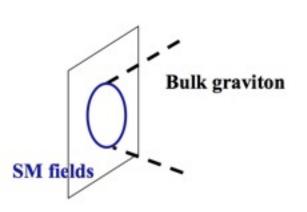
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Old example: DGP model. - Can get some degravitation, and some acceleration. But comes with some problems

[Dvali, Gabadadze & Porrati]

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Now proven to be ghost free, and investigations of the resulting cosmology - acceleration, degravitation, ... are underway, both as a gravity theory and as ... [Hassan & Rosen(2011]





In a limit yields novel and fascinating 4d EFT that many of us have been studying. Symmetry:  $\pi(x) \to \pi(x) + c + b_{\mu}x^{\mu}$ Relevant field referred to as the *Galileon* 

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Amazingly terms of galilean form are nonrenormalized. <u>Possibly</u> useful for particle physics & cosmology. We'll see. [Luty, Porrati, Ratazzi (2003); Nicolis, Rattazzi (2004); Hinterbichler, MT, Wesley (2012)]





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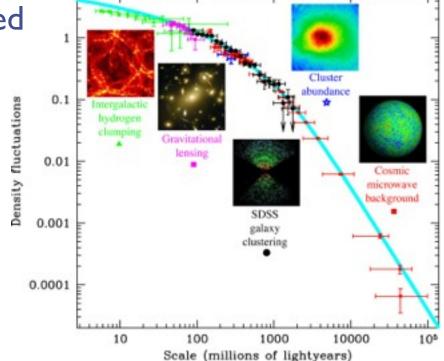
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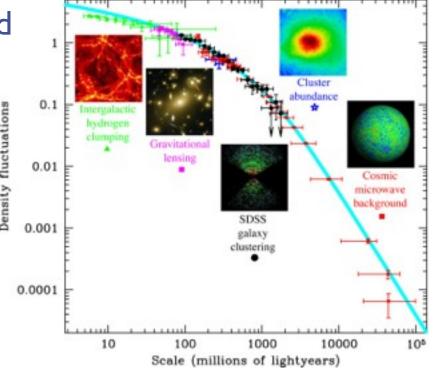
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[Lue, Scoccimarro & Starkman (2004); Bertschinger (2006); Bean, Bernat, Pogosian, Silvestri & MT (2006); Hu & Sawicki (2007); Jain & Zhang (2007); Zhang, Liguori, Bean, & Dodelson (2007,8); Reyes et al. (2010)]

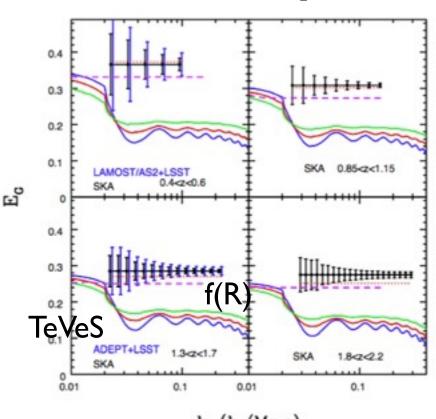




### **Theory**



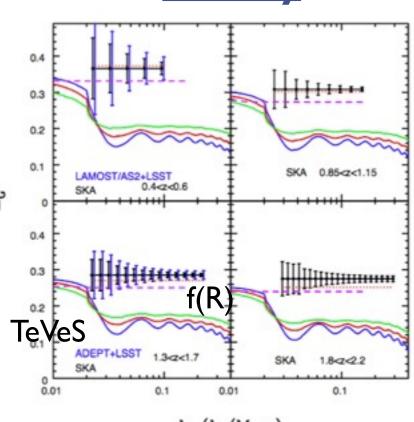
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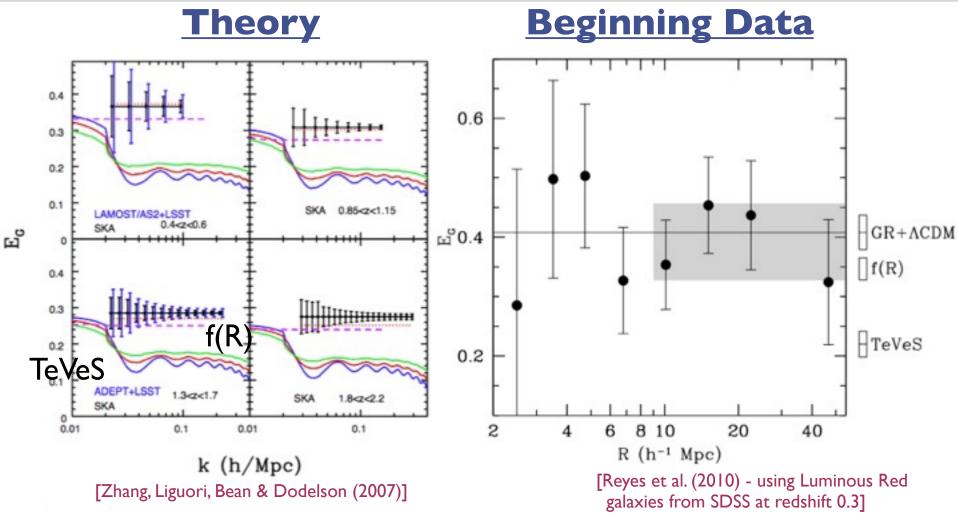
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### **Beginning Data**

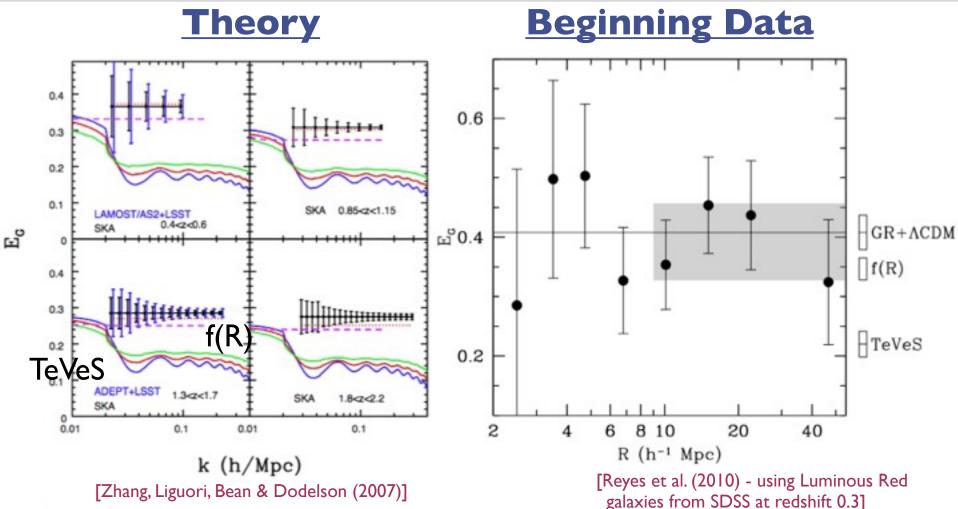


### Confronting Data





## Confronting Data



(GR:  $E_G$  = 0.4. Data:  $E_G$  = 0.39+-0.96). Expect a lot more of this from DES, LSST, ...







J. Feng & M. Trodden, Scientific American, November 2010.



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This has been quite interesting recently. In some ways this can be tested through the structure formation measurements I just mentioned. But there are other ways.



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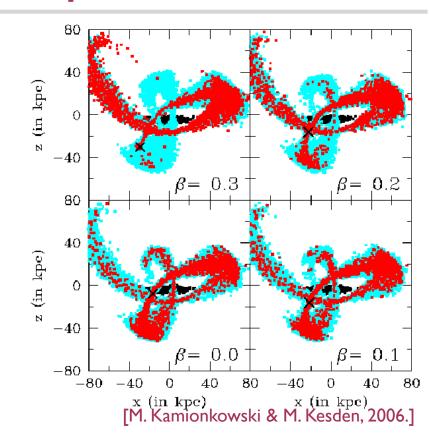






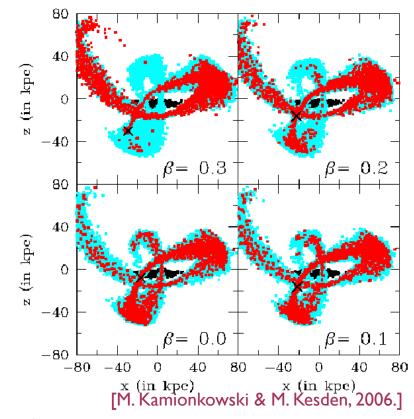










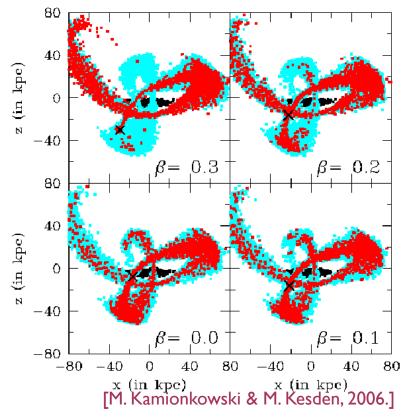


Another example of using astrophysics to probe the fundamental laws of nature



Can we test whether dark matter and regular matter feel the same long-range forces. Can we improve on Galileo?





Another example of using astrophysics to probe the fundamental laws of nature

Clearly, there is room for contributions to this field from many different aspects of the experimental and observational program.





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Thank You!





Suppose we want to know the the field that a source generates within the Vainshtein radius of some large body (like the sun, or earth)

Perturbing the field and the source

yields



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Thus, if we canonically normalize the kinetic term of the perturbations, we raise the effective strong coupling scale, and, more importantly, heavily suppress the coupling to matter!