

# Measurements of the inclusive cross section and of differential distributions in top quark pair production

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**University of Manchester**

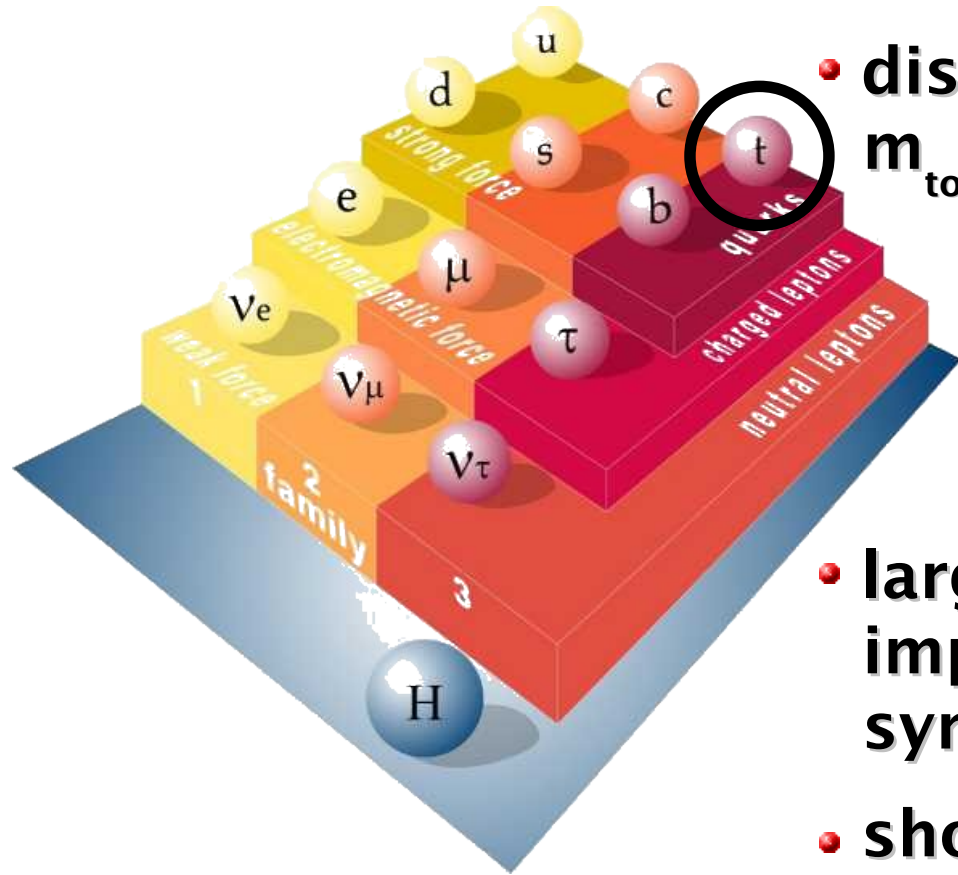
**on behalf of**



**36<sup>th</sup> International Conference on High-Energy Physics  
Melbourne  
05/07/2012**

# The Top Quark

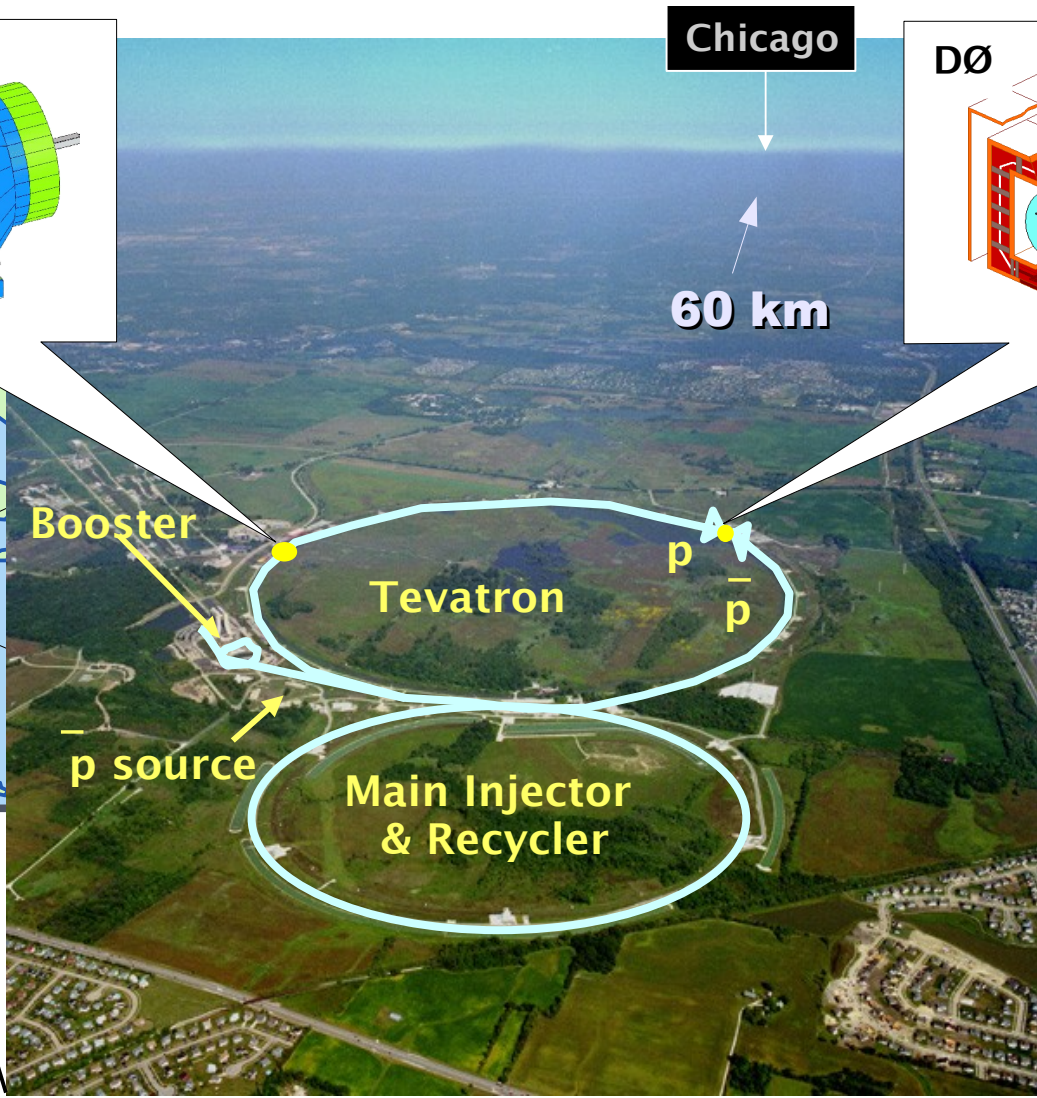
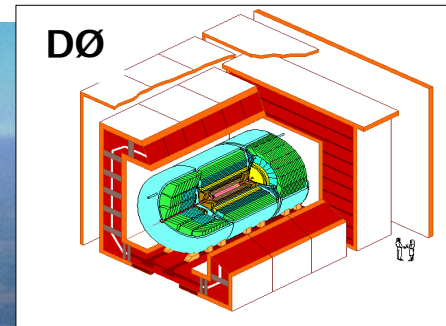
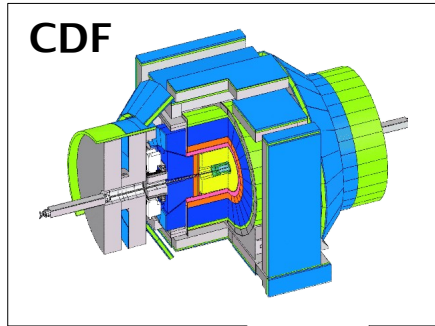
- needed as isospin partner of bottom quark
- discovered in 1995 by CDF and DØ:  $m_{\text{top}} \sim \text{gold atom}$




- large coupling to Higgs boson  $\sim 1$ : important role in electroweak symmetry breaking?
- short lifetime:  $\tau \sim 5 \cdot 10^{-25} \text{ s} \ll \Lambda_{\text{QCD}}^{-1}$ : decays before fragmenting  
→ observe “naked” quark

**Is the top quark the particle as predicted by the SM?**

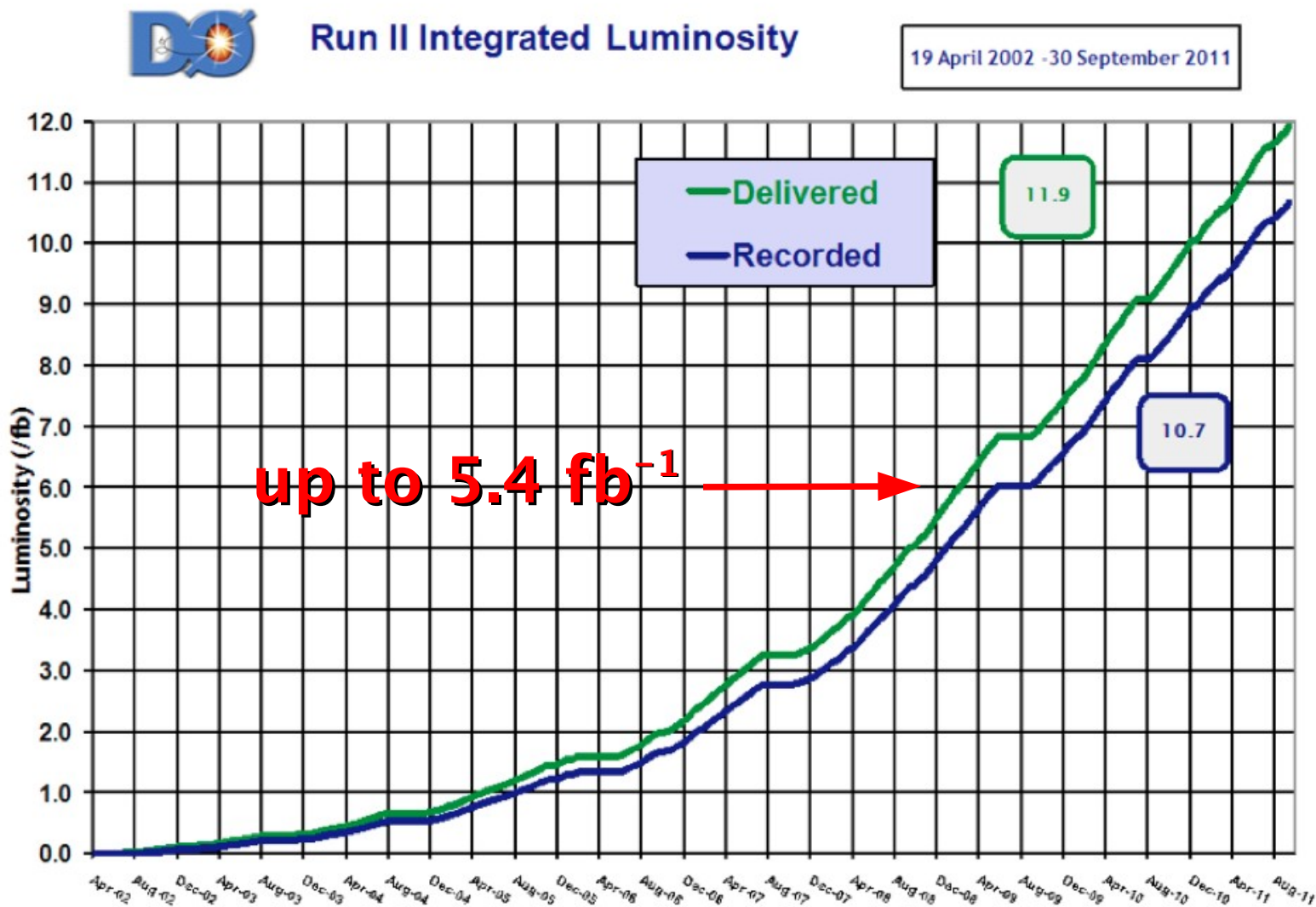
# The Tevatron at FERMILAB: $p\bar{p}$ Collisions



$p$    $\bar{p}$   
 $\sqrt{s} = 1.96 \text{ TeV}$   
 $\Delta t = 396 \text{ ns}$   
 Run I 1987 (92)–95  
 Run II 2001–11: 100x larger dataset  
 at increased energy

**Is the top quark the particle as predicted by the Standard Model?**

# Tevatron Integrated Luminosity



**Thanks to accelerator and computing divisions!**

# Outline

**Inclusive production cross section**

**Differential cross section**

**Top mass**

**Lorentz invariance violation**

**Conclusions**

# Outline

**Inclusive production cross section**

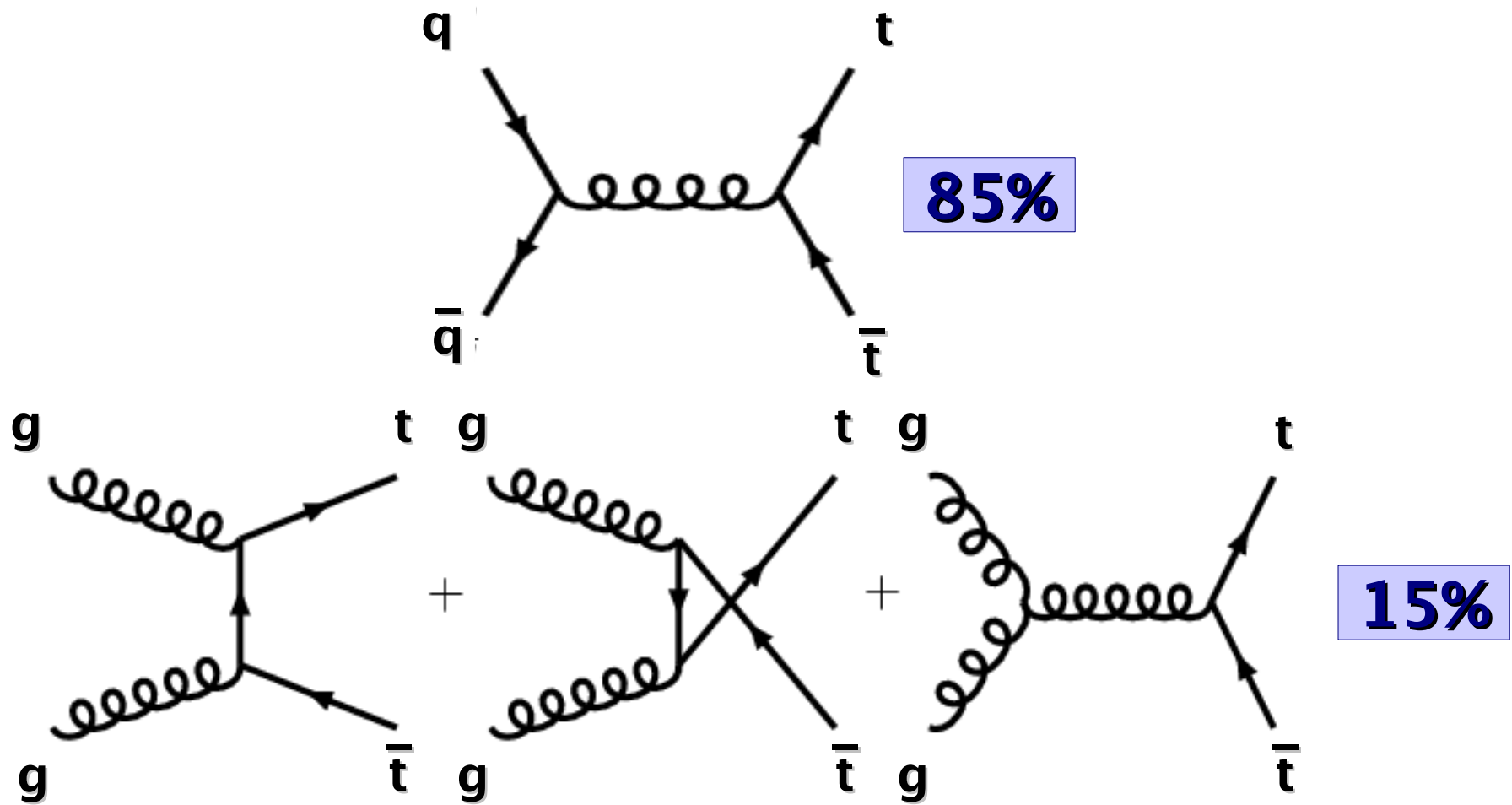
**Differential cross section**

**Top mass**

**Lorentz invariance violation**

**Conclusions**

# Top Quark Pair Production



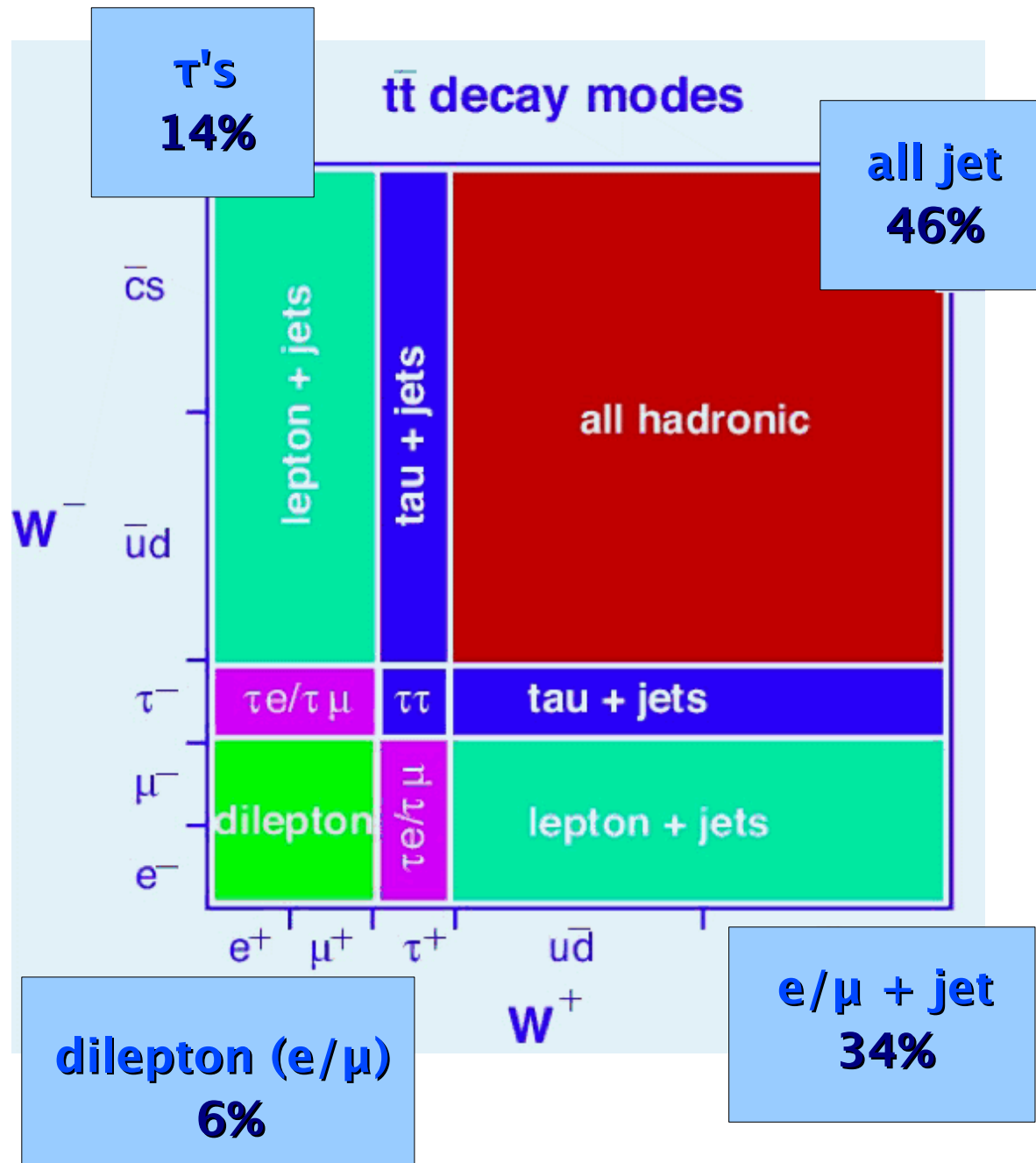
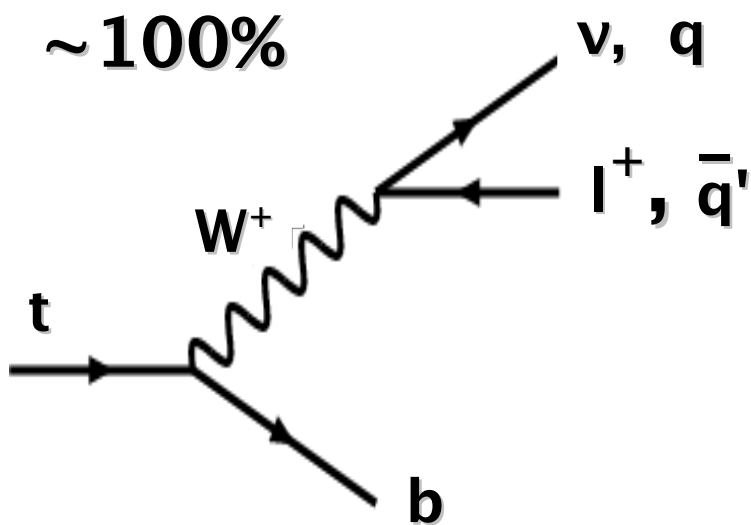
PRD 78, 034003 (2008)

$$\sigma_{t\bar{t}} = 7.46^{+0.48}_{-0.67} \text{ pb in NNLO}_{\text{approx}}$$

( $m_{\text{top}} = 172.5 \text{ GeV}$ )

# Top Pair Signatures

## top decay:





# Lepton+Jets Topological Cross Section

powerful test of QCD and search for new physics

- kinematic properties allow separation between signal and background

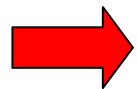
use variables such as:

energy-dependent quantities:

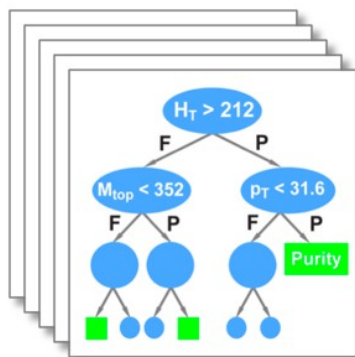
- e.g. transverse mass of leptonic top

angular dependent:

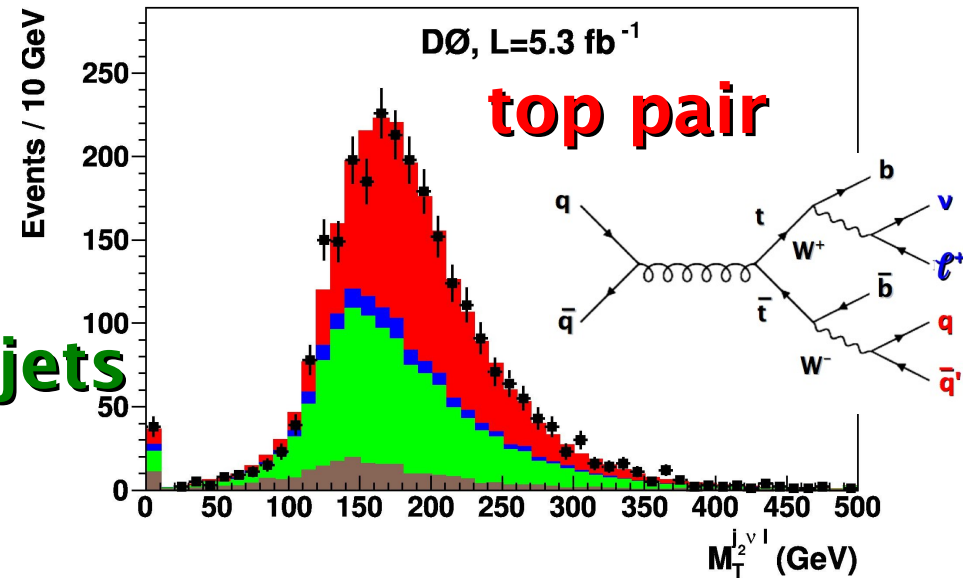
- e.g. sphericity



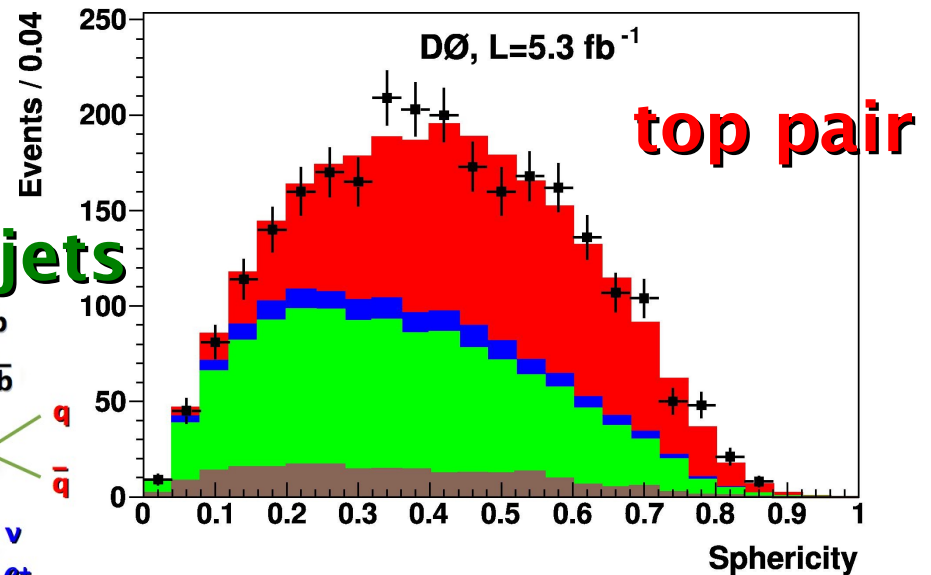
Random Forests of Boosted Decision Trees



W+jets



W+jets



# Lepton+Jets Topological Cross Section

powerful test of QCD and search for new physics

- kinematic properties allow separation between signal and background

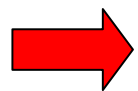
use variables such as:

energy-dependent quantities:

- e.g. transverse mass of leptonic top

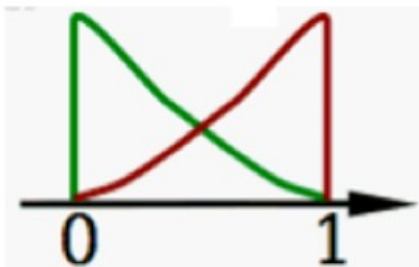
angular dependent:

- e.g. sphericity

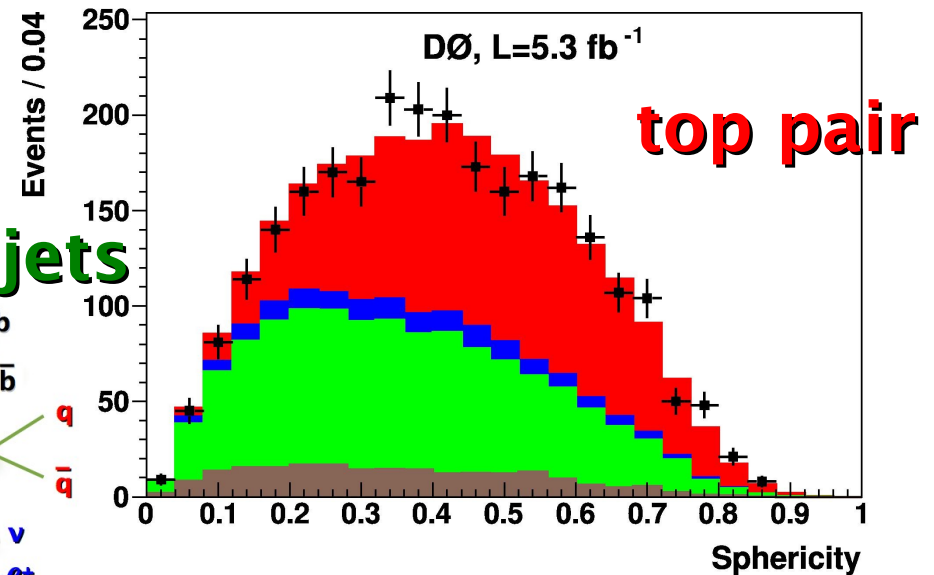
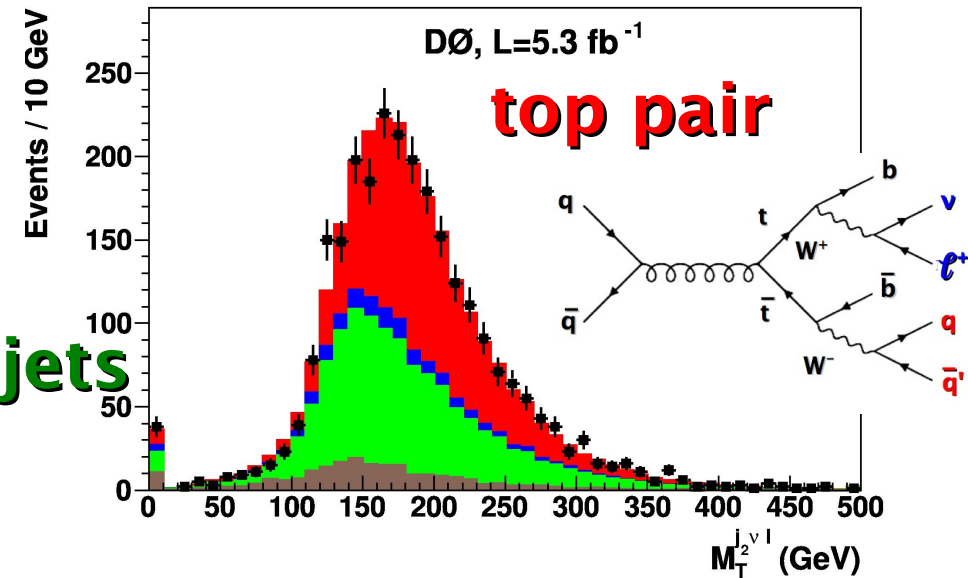
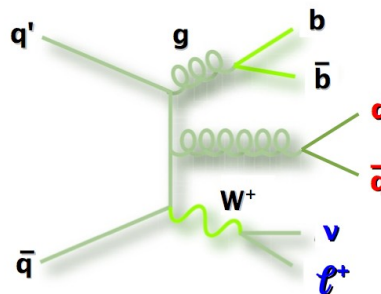


Random Forests of Boosted Decision Trees

background signal



W+jets

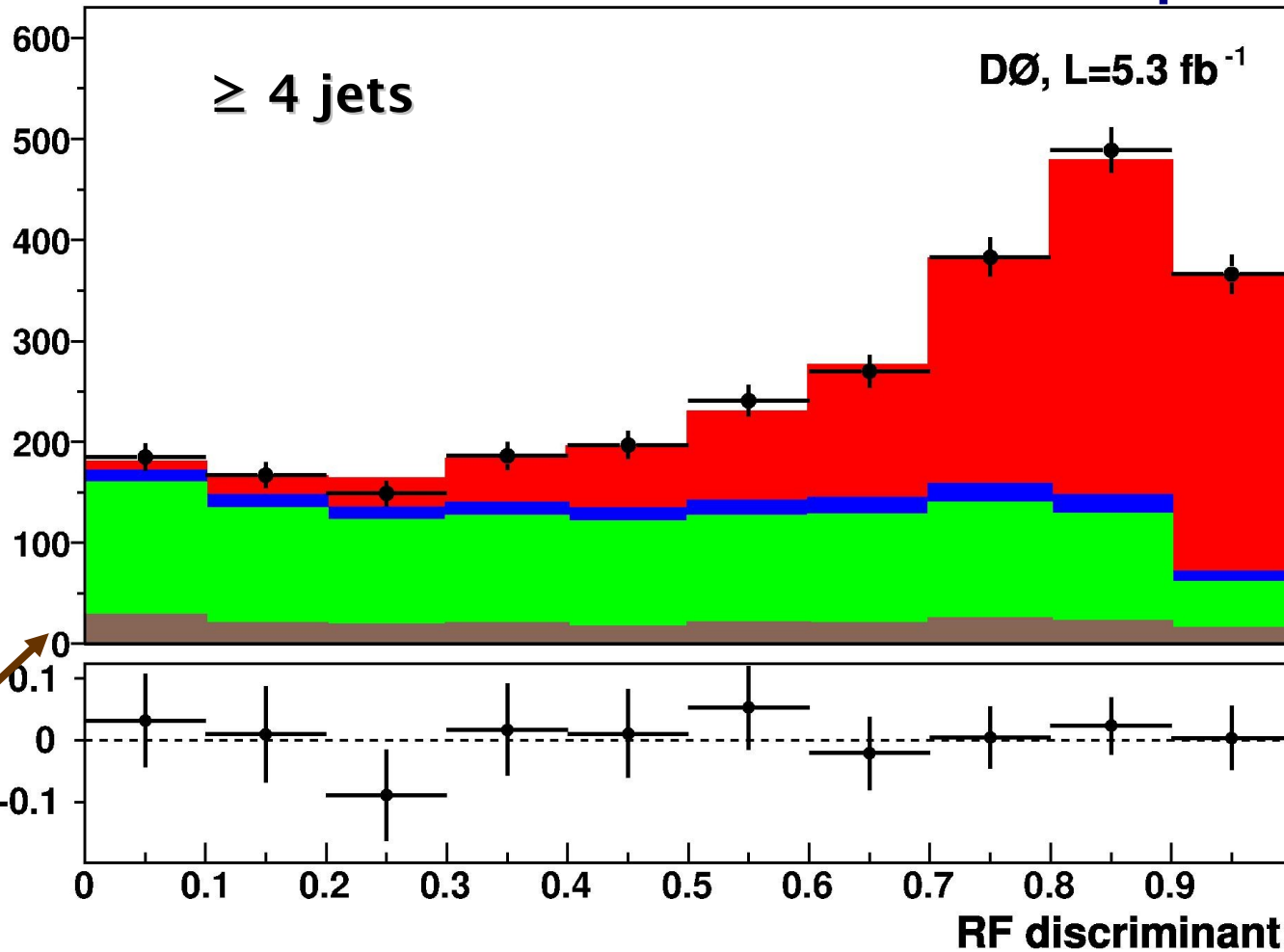


# Lepton+Jets Topological Cross Section

up to 6 variables



Events / 0.1



W+jets

top pair



combine:  
2 jets  
3 jets  
≥ 4 jets  
e and μ

multijets

$m_{\text{top}} = 172.5 \text{ GeV}$

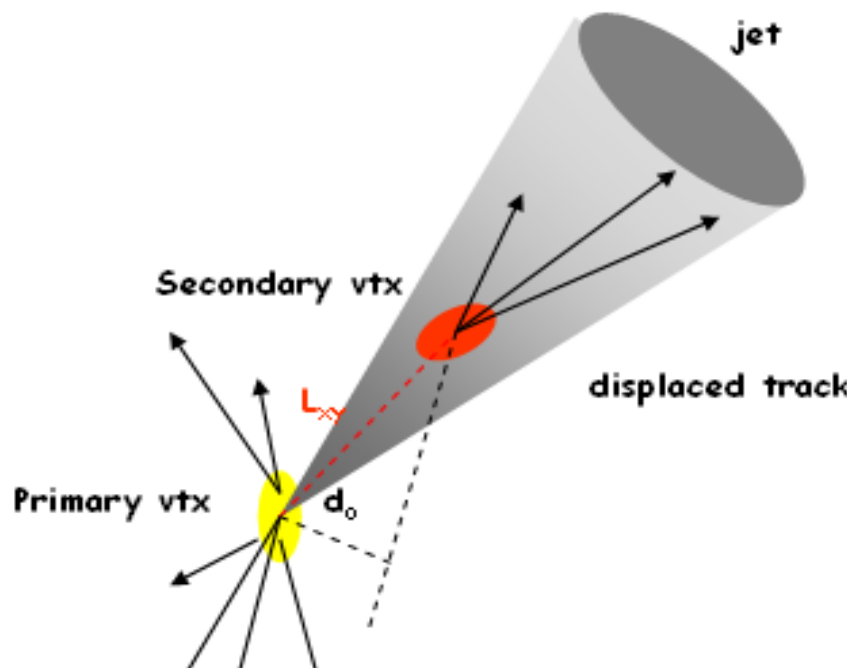
$$\sigma_{t\bar{t}} = 7.68^{+0.71}_{-0.64} \text{ (stat+syst+lumi) pb}$$

# b-tagging

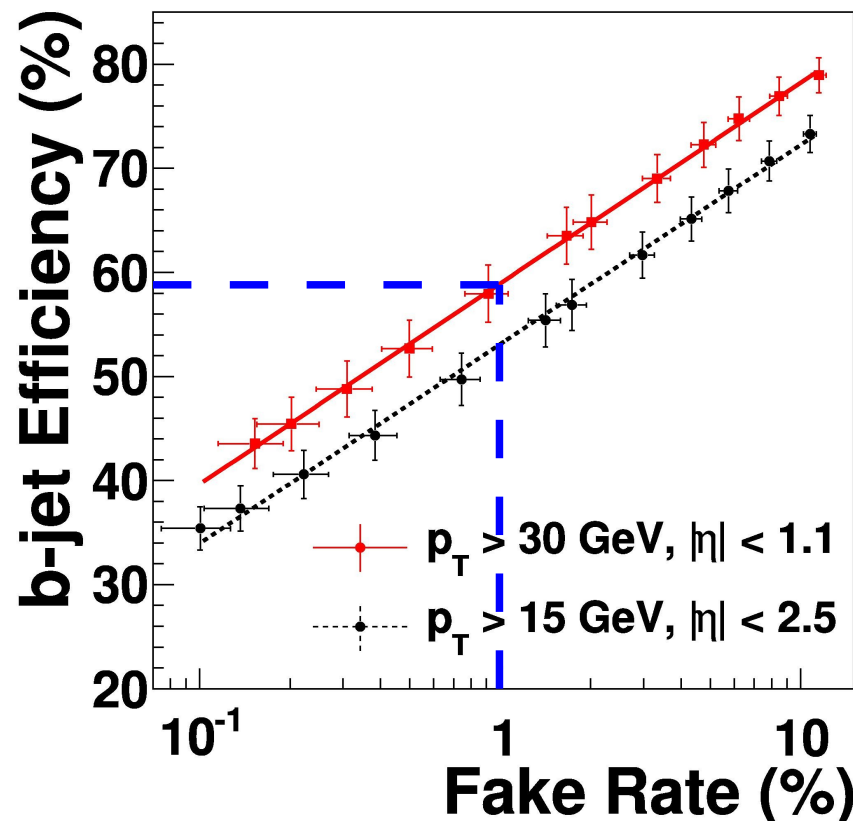
Nucl. Instrum. Meth. A 620, 490 (2010)



- B hadron lifetime  $\tau \sim 1$  ps
- B hadrons travel  $L_{xy} \sim 3$  mm before decay



- secondary vertex tagger
- 45% b-jet tagging efficiency (with fake rate of 1%)



- form a 7-variable neural network
- b-jet tagging efficiency 59% (with fake rate of 1%)

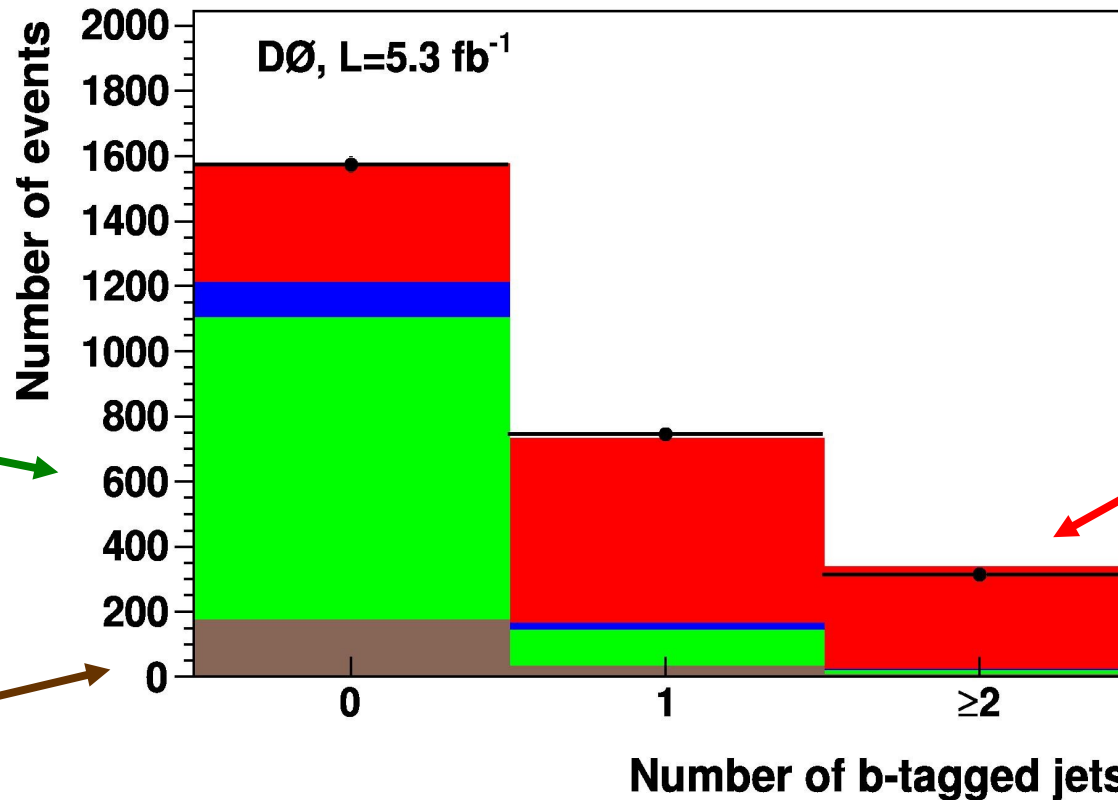
# Lepton+Jets Cross Section with b-tagging



very powerful tool to reduce the background

W+jets

top pair

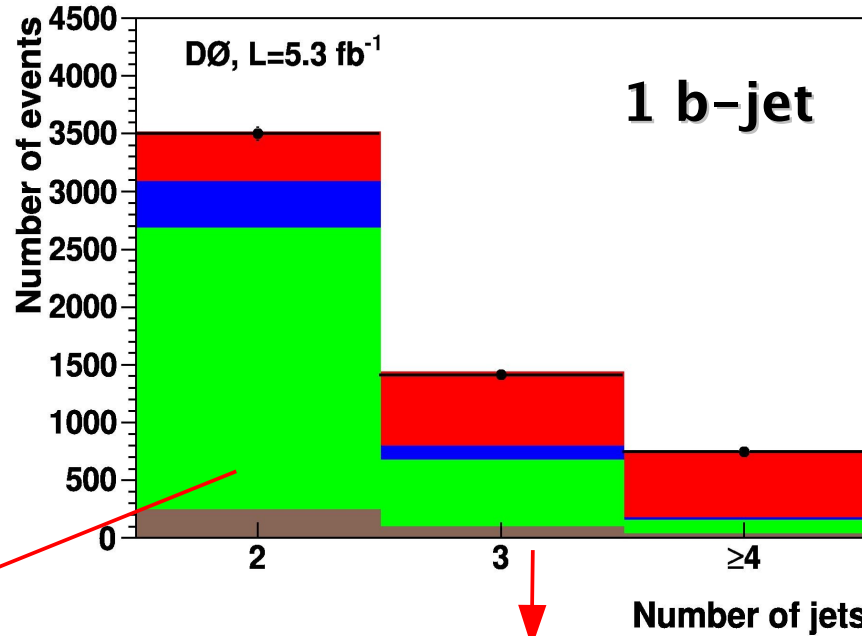


multijets

$$\sigma_{t\bar{t}} = 8.13^{+1.02}_{-0.90} \text{ (stat+syst+lumi) pb}$$

$$m_{\text{top}} = 172.5 \text{ GeV}$$

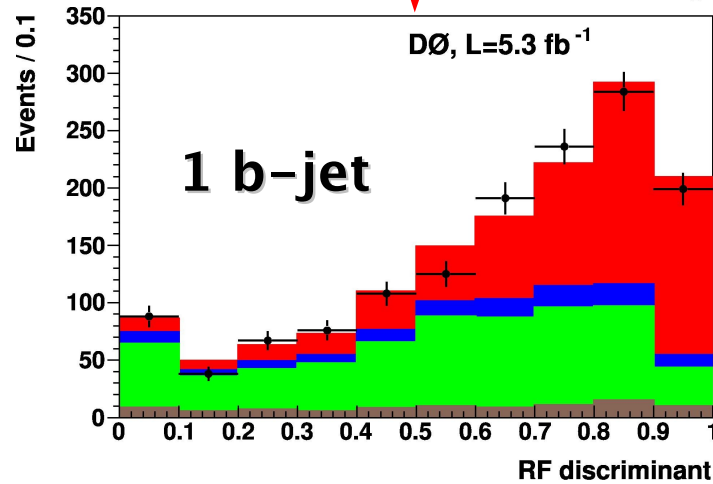
# Combined Method



Phys. Rev. D 84, 012008 (2011)

binned maximum likelihood fit  
(systematics included as nuisance parameters)

combine:  
2, 3,  $\geq 4$  jets  
0, 1,  $\geq 2$  b-jets  
e and  $\mu$



“counting”

W+jets & heavy flavor scale factor  $f_H$

systematically limited:

- luminosity
- JES and JER
- b-tagging

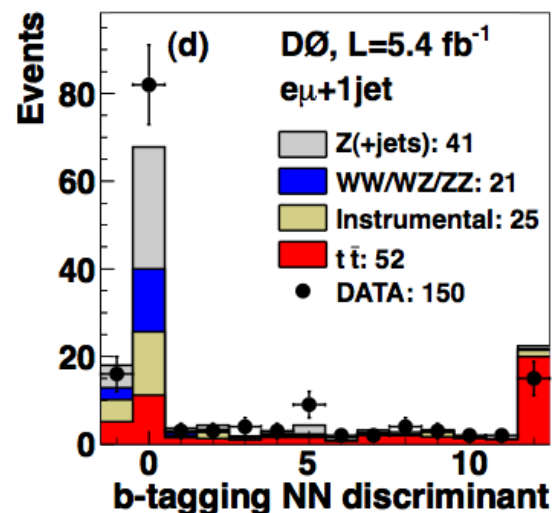
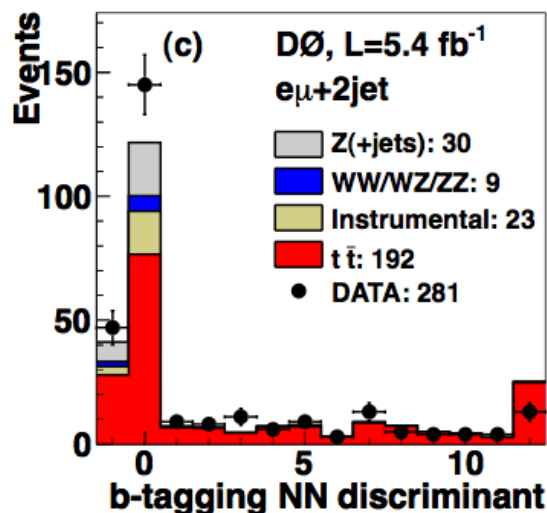
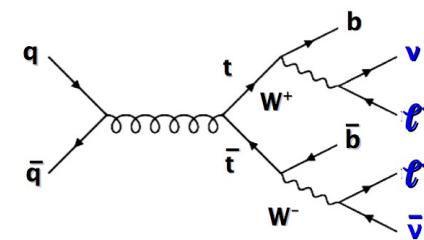
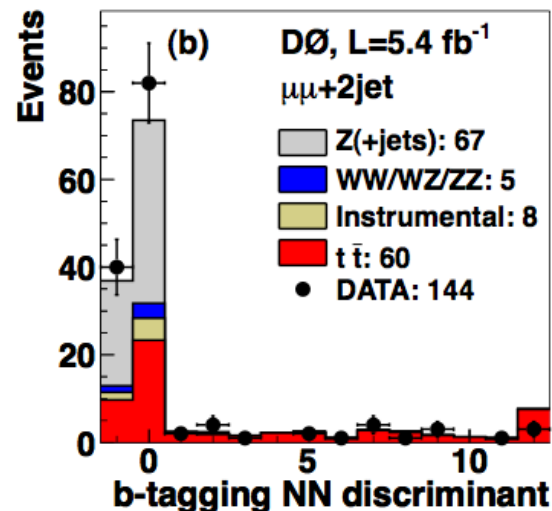
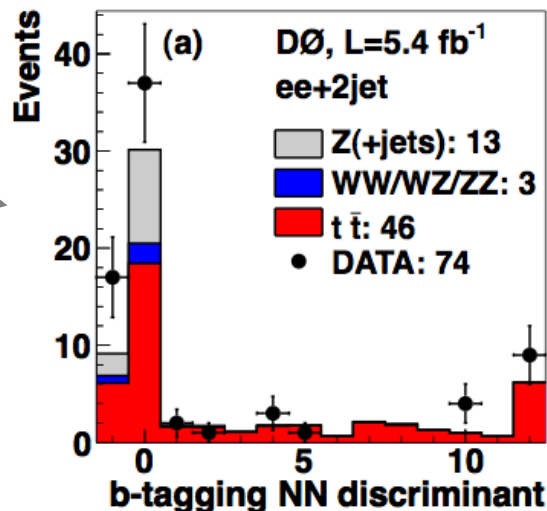
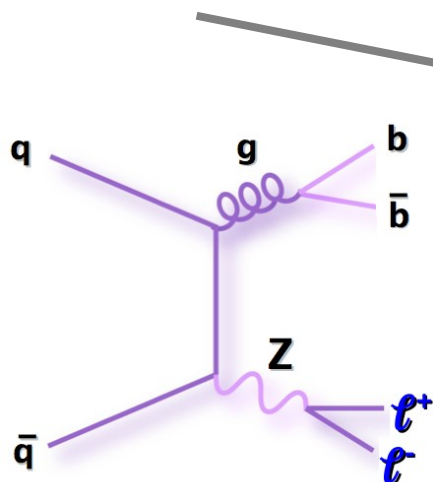
$$\sigma_{tt} = 7.78^{+0.77}_{-0.64} \text{ (stat+syst+lumi) pb}$$

$m_{top} = 172.5 \text{ GeV}$

$\pm 9\%$

# Dilepton Cross Section with b-tagging

Z+jets



**top pair**

Phys. Lett. B  
 704, 403 (2011)

$m_{\text{top}} = 172.5 \text{ GeV}$

$$\sigma_{t\bar{t}} = 7.36^{+0.90}_{-0.79} \text{ (stat+syst+lumi) pb}$$

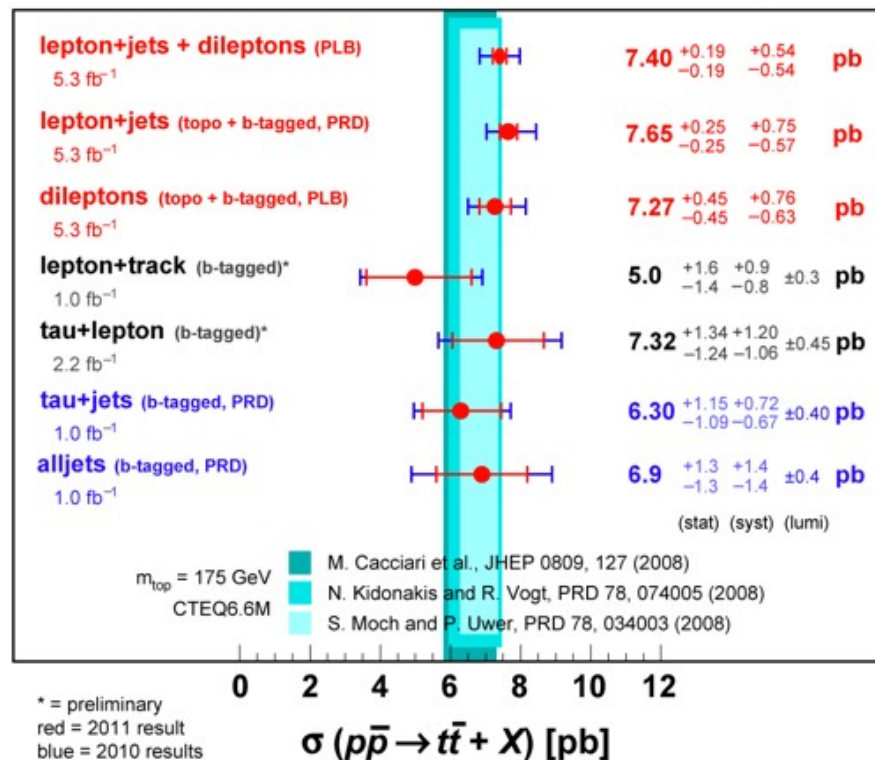
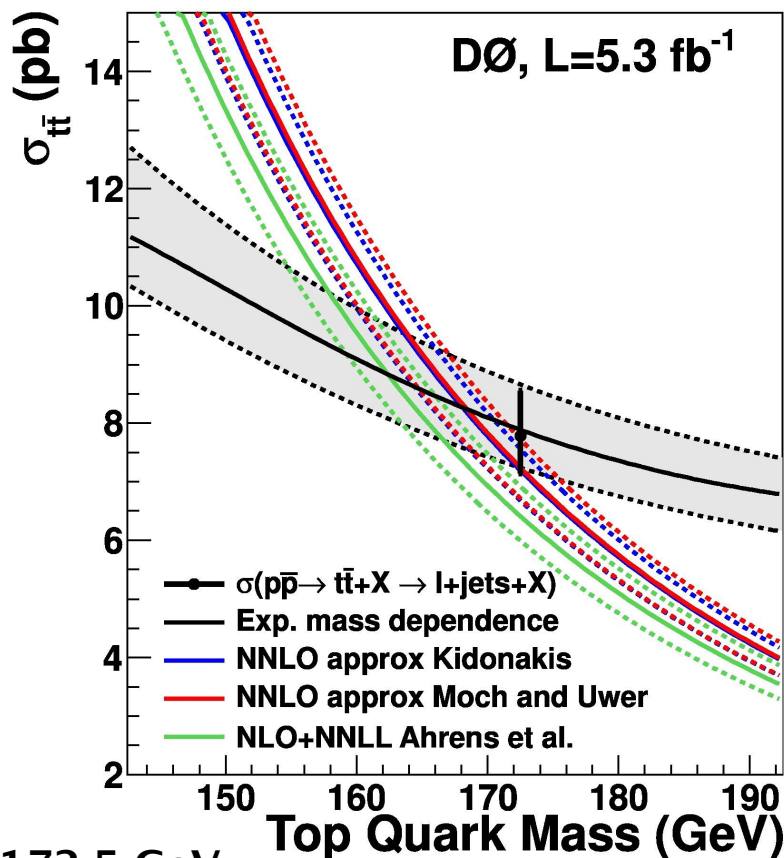
**$\pm 11\%$**

# Top Pair Production Cross Sections

## Combination: l+jets and dilepton

DØ Run II

July 2011



all channels measured except for  $\tau_{had} \tau_{had}$

$$\sigma_{t\bar{t}} = 7.56^{+0.63}_{-0.56} \text{ (stat+syst+lumi) pb}$$

**± 8%**

→ good agreement with higher order QCD calculations



# Outline

**Inclusive production cross section**

**Differential cross section**

**Top mass**

**Lorentz invariance violation**

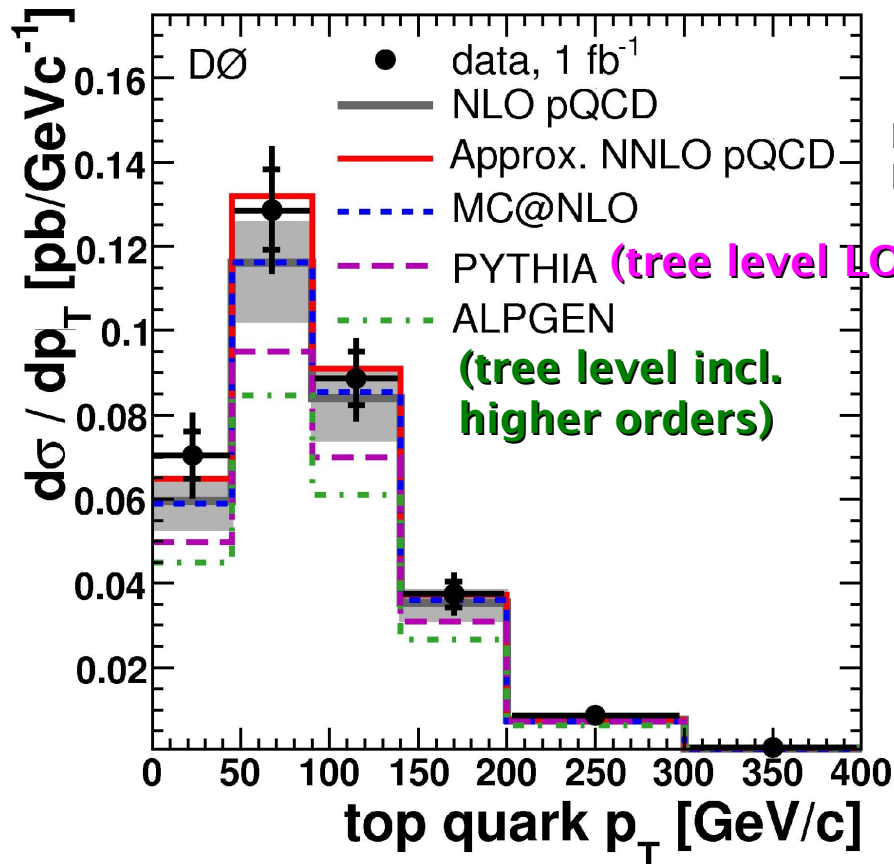
**Conclusions**

# Differential Cross Section



- important test of NLO QCD
- unfolding of distributions

Phys. Lett. B 693, 515 (2010)



Kidonakis, Vogt,  
Phys. Rev. D78, 074005 (2008)

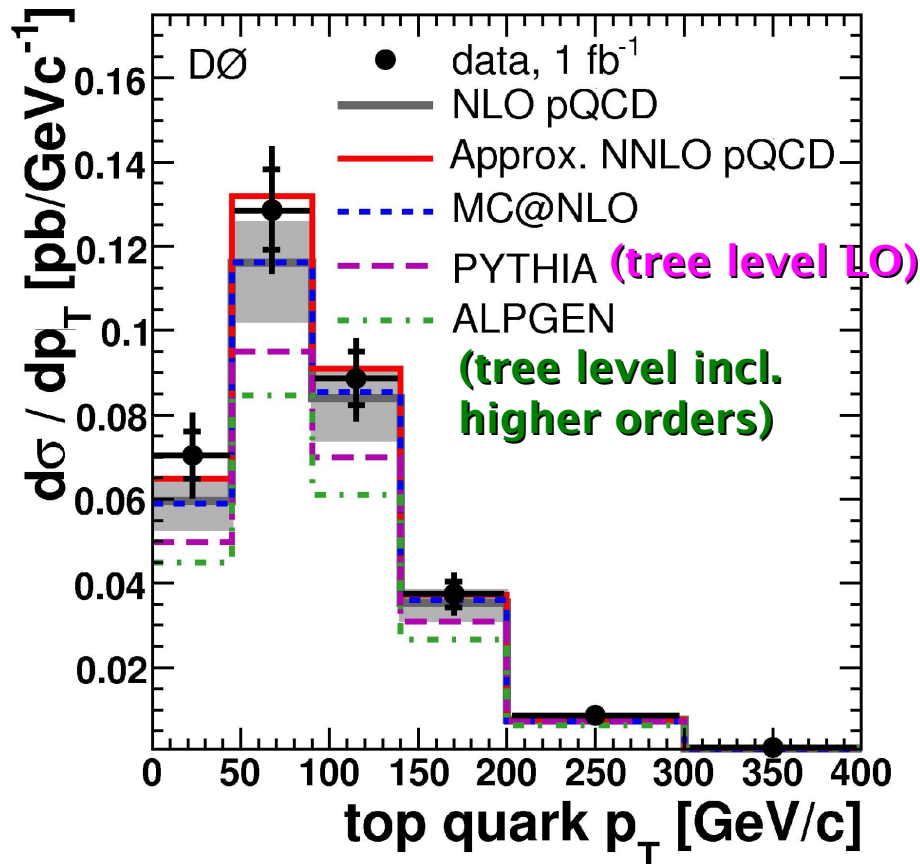
- need NLO QCD to describe normalisation correctly

# Differential Cross Section

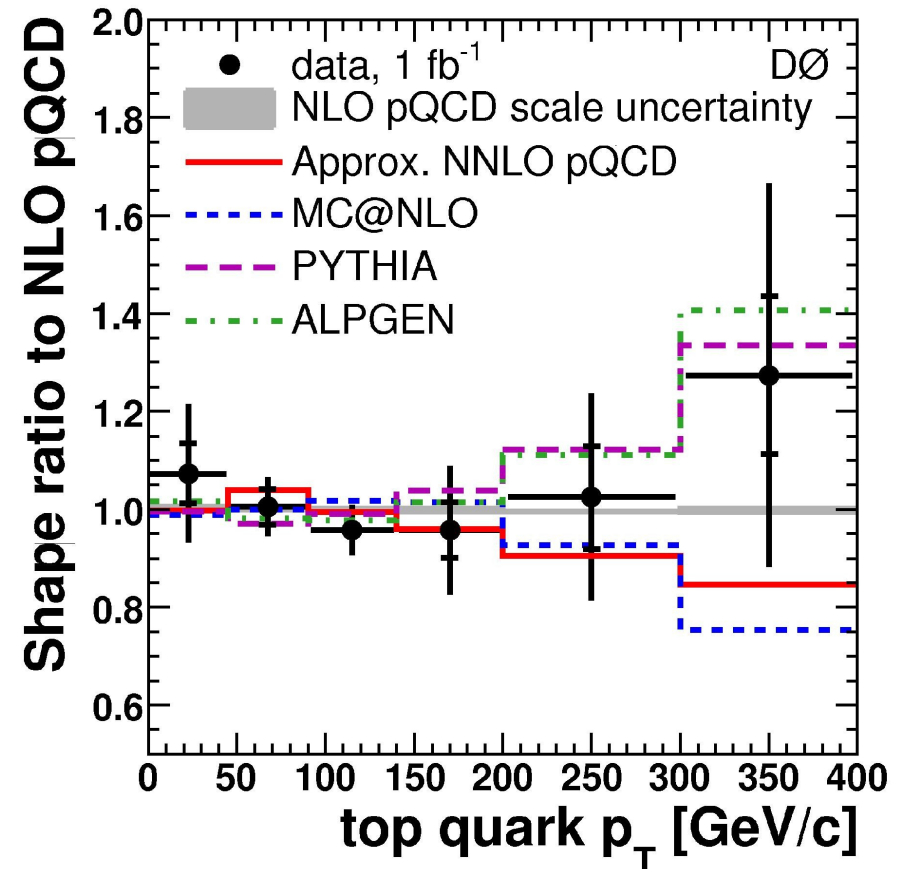


- important test of NLO QCD
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Phys. Lett. B 693, 515 (2010)



- need NLO QCD to describe normalisation correctly



- shape described well by PYTHIA and ALPGEN

# Outline

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**Conclusions**

# What mass do we measure?

$$\mathcal{L} = \dots - \bar{\psi} M \psi \left(1 + \frac{H}{v}\right) \dots$$

- LO QCD: free parameter
- NLO QCD: dependent on the renormalisation scale  $M$

$m_{\text{top}}$

"Bare" parameters of QCD:

$g_s, m_u, m_d, m_s, m_c, m_b, m_t$

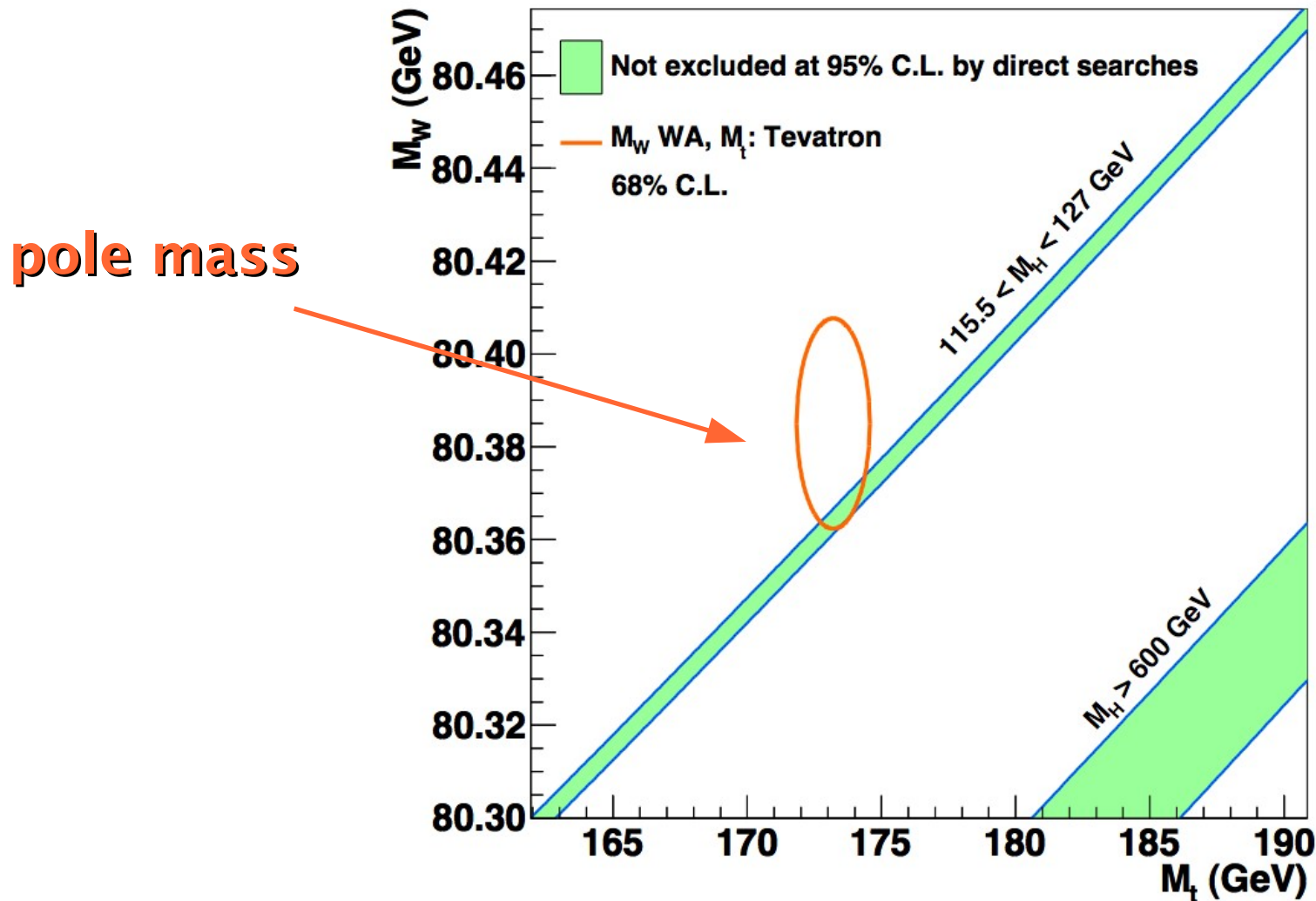
Renormalised parameters of QCD:

$g_s(M), m_u(M), m_d(M), m_s(M), m_c(M), m_b(M), m_t(M)$

**the concept of quark mass is convention-dependent!**

# Important to know...

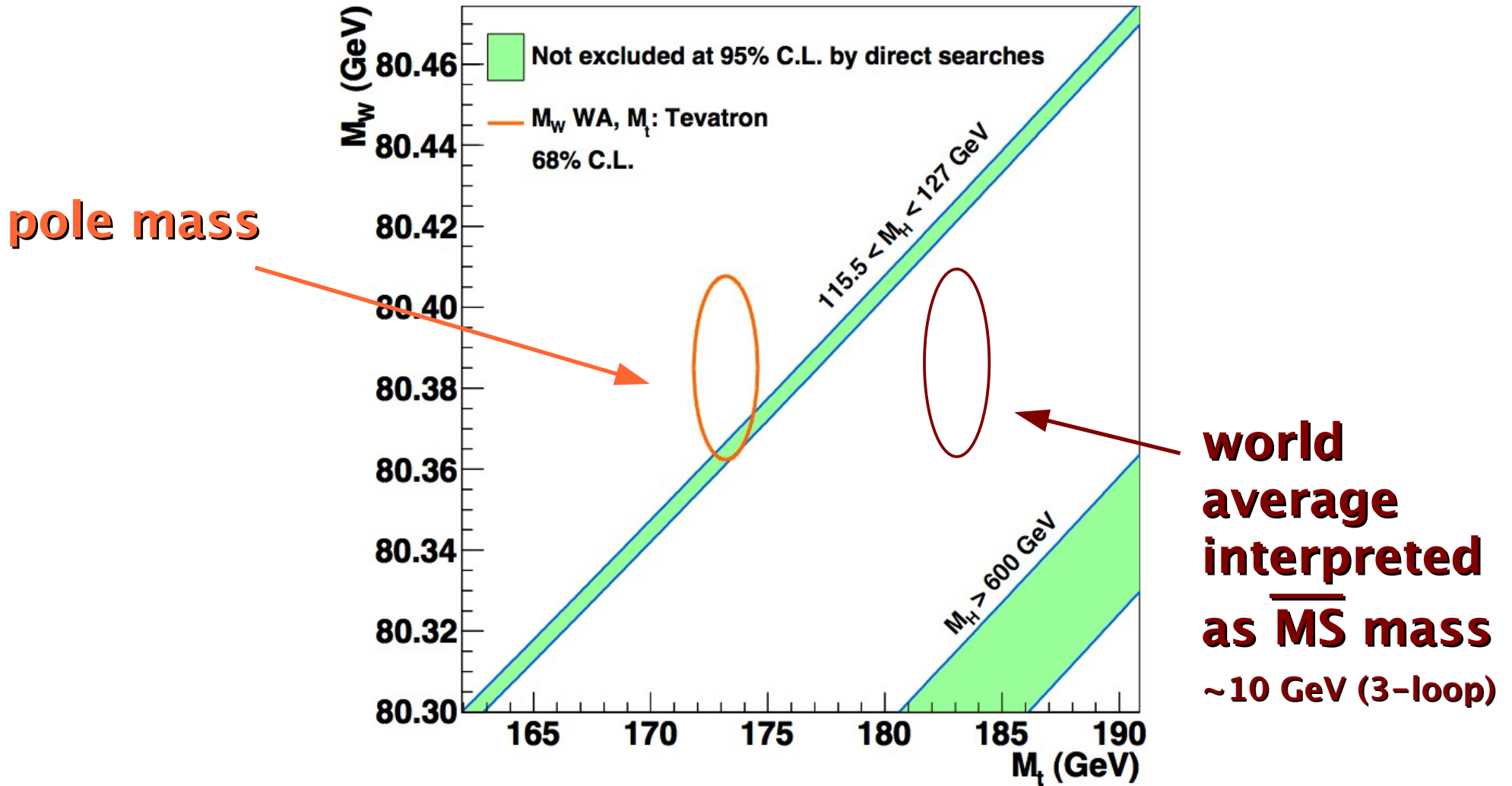
- measurement reconstructing decay products: depends on MC mass details
- how does MC mass relate to pole mass or running mass scheme?



- can we measure pole or  $\overline{MS}$  mass in direct and well-defined way?

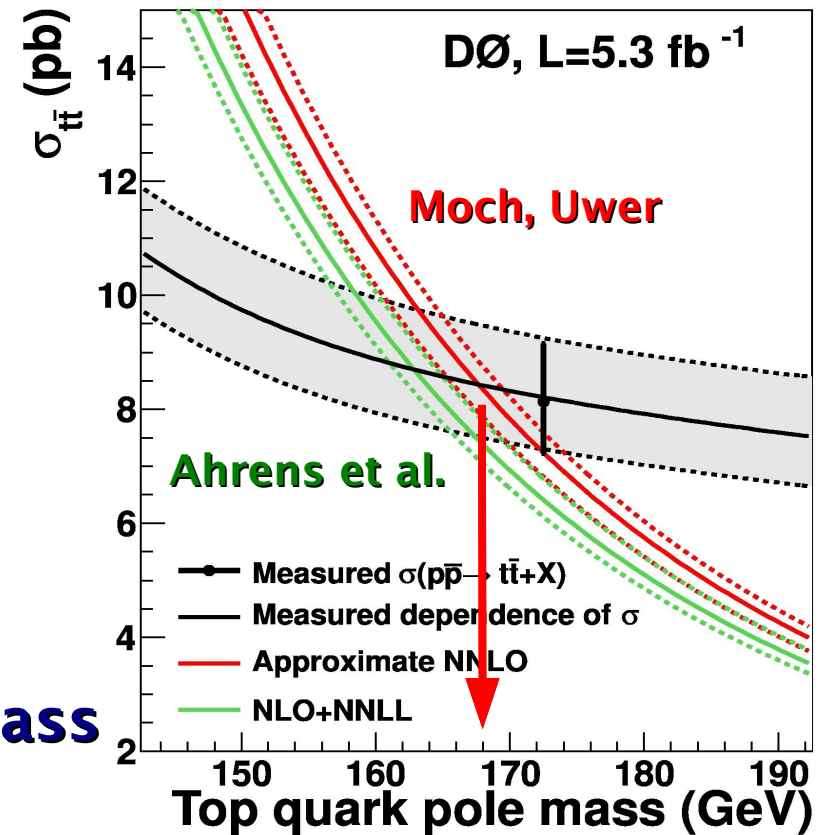
# Important to know...

- measurement reconstructing decay products: depends on MC mass details
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- can we measure pole or  $\overline{MS}$  mass in direct and well-defined way?

# Top Quark Pole Mass



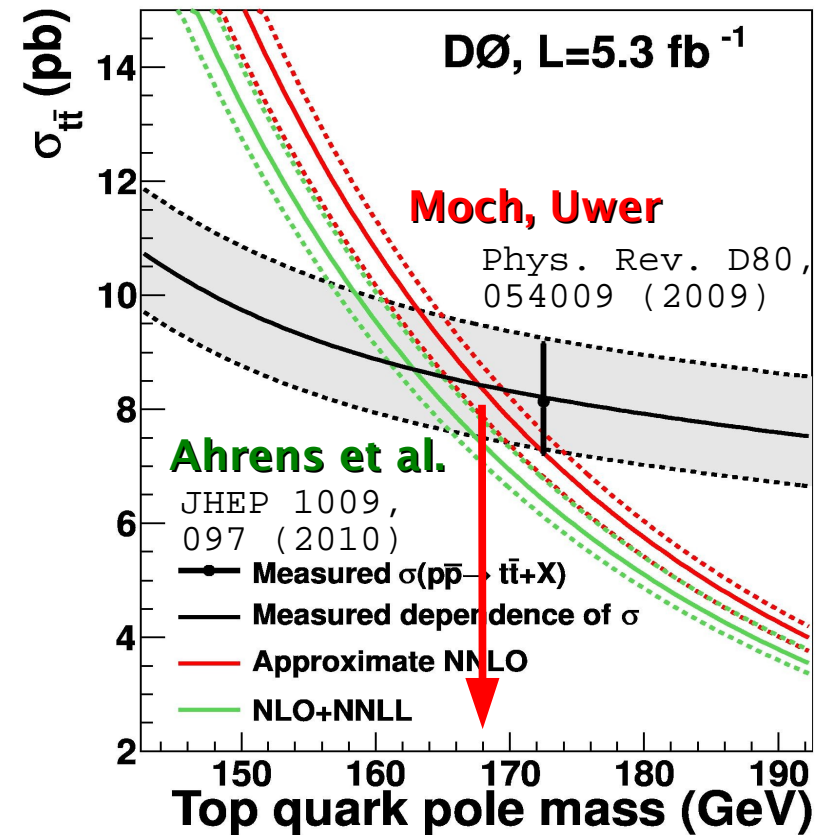
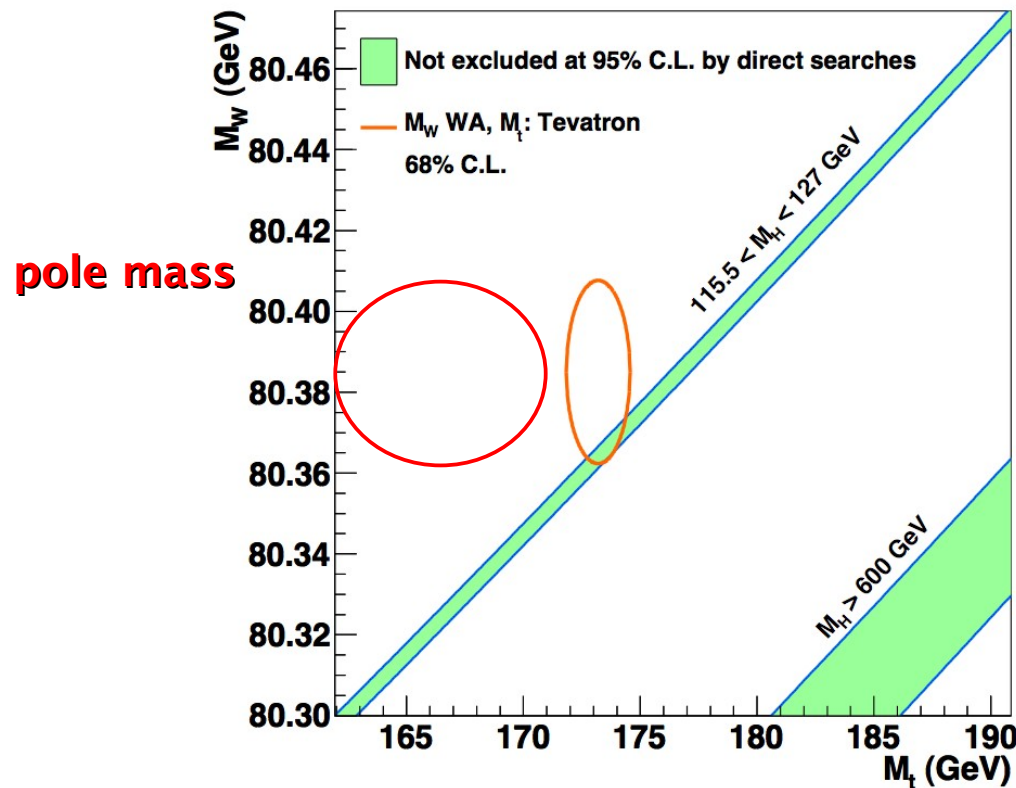
**MC mass = pole mass**

- use b-tagged cross section since less dependent on mass
- difference due to MC mass interpretation is included into systematics

$$m_t^{\text{pole}} = 166.7^{+5.2}_{-4.5} \text{ GeV} \quad \pm 2.9\%$$



# Top Quark Pole Mass



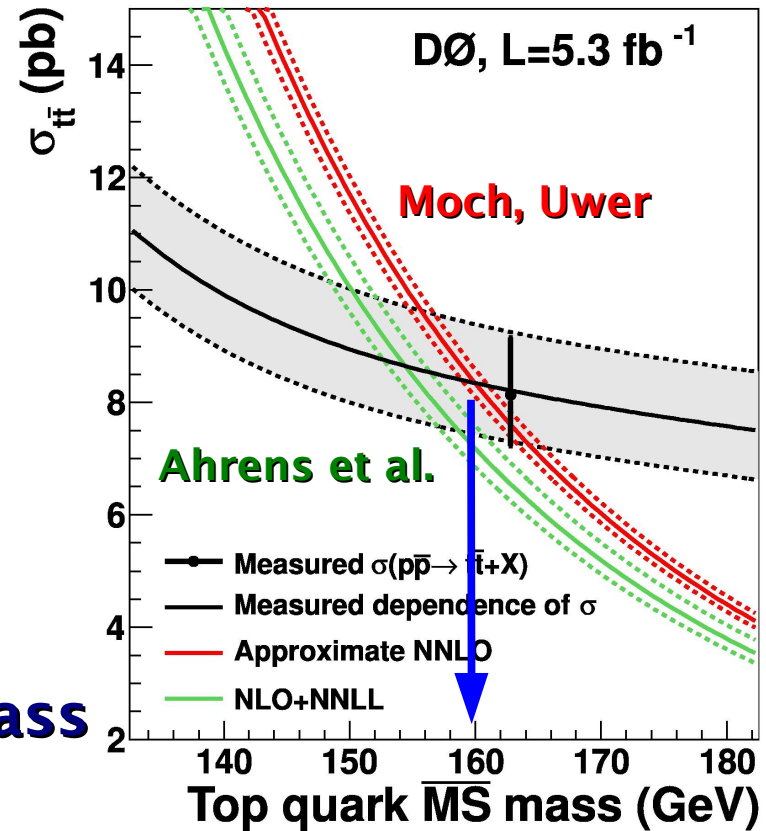
- use b-tagged cross section since less dependent on mass
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$$m_t^{\text{pole}} = 166.7^{+5.2}_{-4.5} \text{ GeV} \quad \pm 2.9\%$$

- $1\sigma$  consistent with Tevatron average:  $m_t = 173.3 \pm 1.1 \text{ GeV}$

# Top Quark $\overline{\text{MS}}$ Mass

**better convergence of higher order resummation**



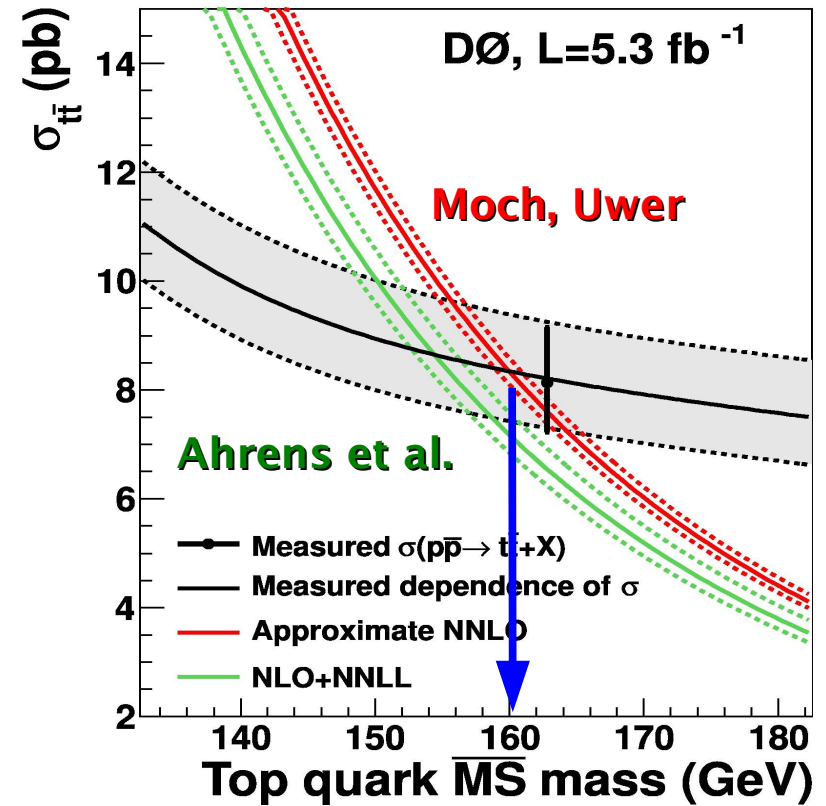
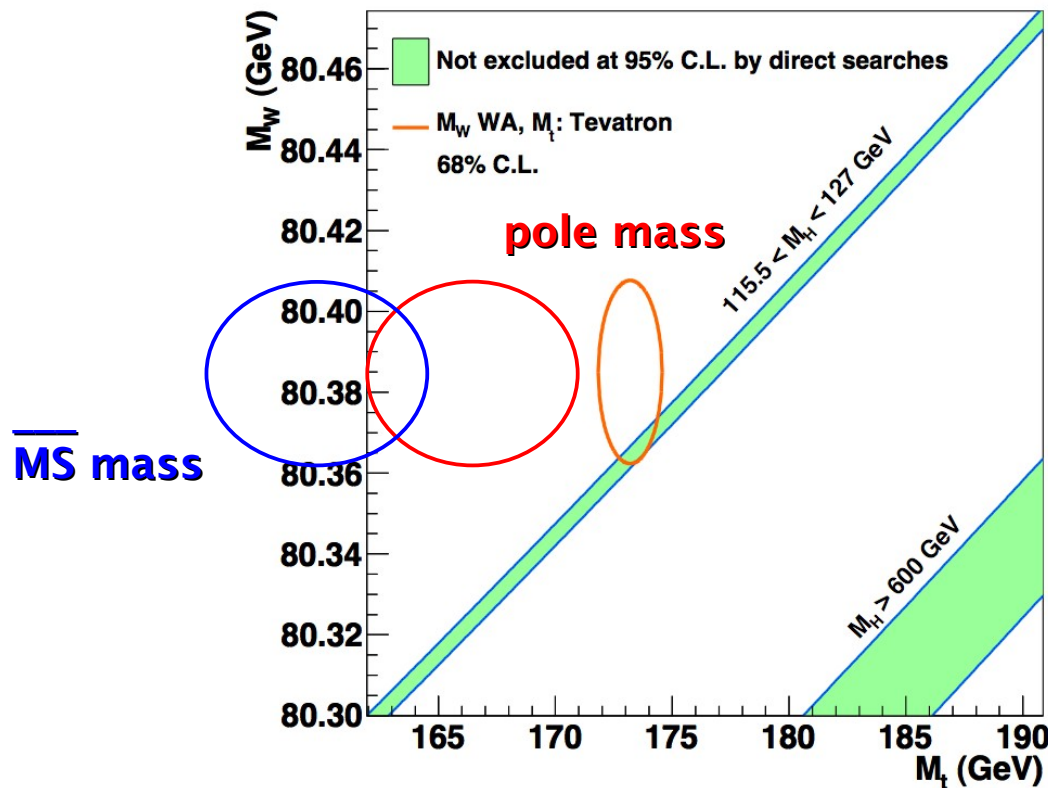
**MC mass = pole mass**

- **first extraction of  $\overline{\text{MS}}$  mass taking selection efficiency into account**

$$m_t^{\overline{\text{MS}}} = 160.0^{+4.8}_{-4.3} \text{ GeV}$$

**$\pm 2.8\%$**

# Top Quark $\overline{\text{MS}}$ Mass



- first extraction of  $\overline{\text{MS}}$  mass taking selection efficiency into account

$$m_t^{\overline{\text{MS}}} = 160.0^{+4.8}_{-4.3} \text{ GeV} \quad \pm 2.8\%$$

- $2\sigma$  consistent with Tevatron average:  $m_t = 173.3 \pm 1.1 \text{ GeV}$
- Tevatron average is more consistent with a pole mass!

# Outline

**Inclusive production cross section**

**Differential cross section**

**Top mass**

**Lorentz invariance violation**

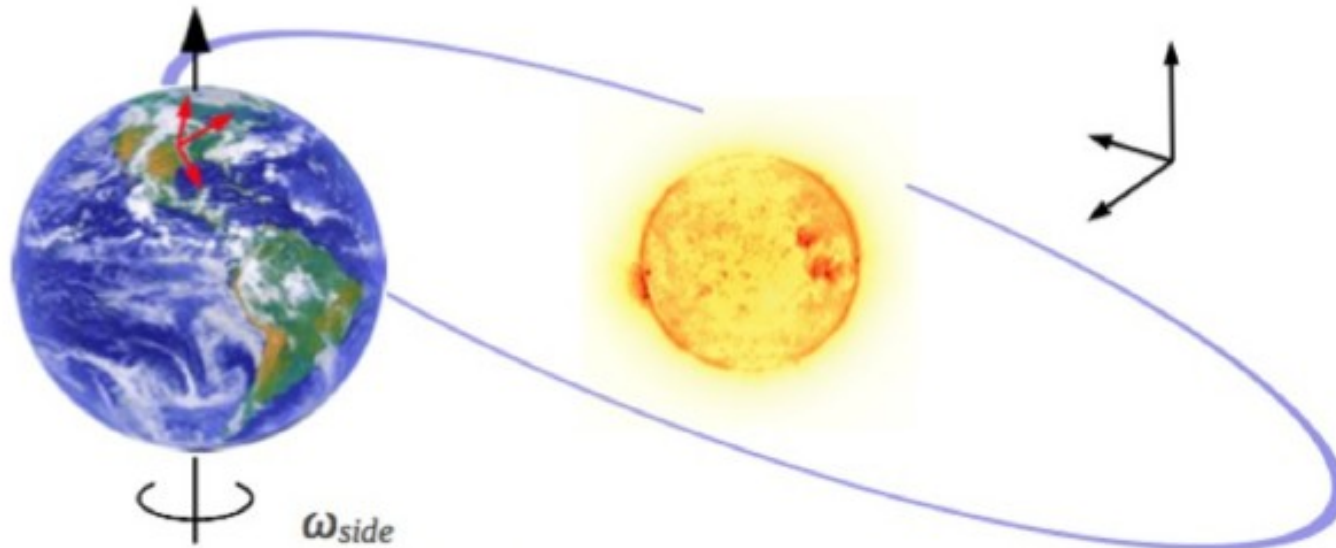
**Conclusions**

# Search for Lorentz invariance violation

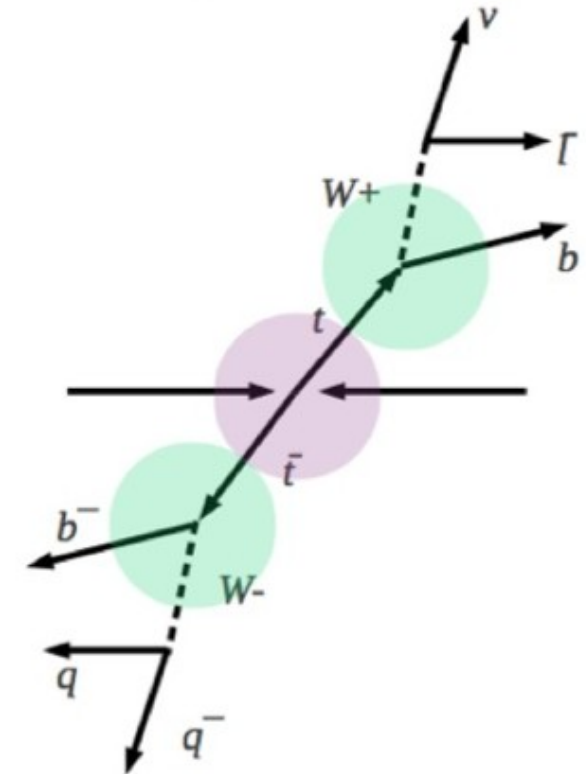
## General Lorentz invariance violating terms added to SM Lagrangian:

$$|M|^2 = \underbrace{P F \bar{F}}_{\text{Standard Model}} + \underbrace{(c_R + c_L)_{\mu\nu} (\delta P_p + \delta P_v)^{\mu\nu} F \bar{F}}_{\text{Production Corrections}} + \underbrace{(c_L)_{\mu\nu} (P(\delta F)^{\mu\nu} \bar{F} + P F (\delta \bar{F})^{\mu\nu})}_{\text{Decay Corrections}}$$

symmetric traceless matrices:  
strength of Lorentz invariance violation



$$C_{L(R)}^{\text{Apparatus}} = \hat{R}(\omega_{side} t)_{(\text{Sun} \rightarrow \text{Apparatus})} C_{L(R)}^{\text{Sun}}$$

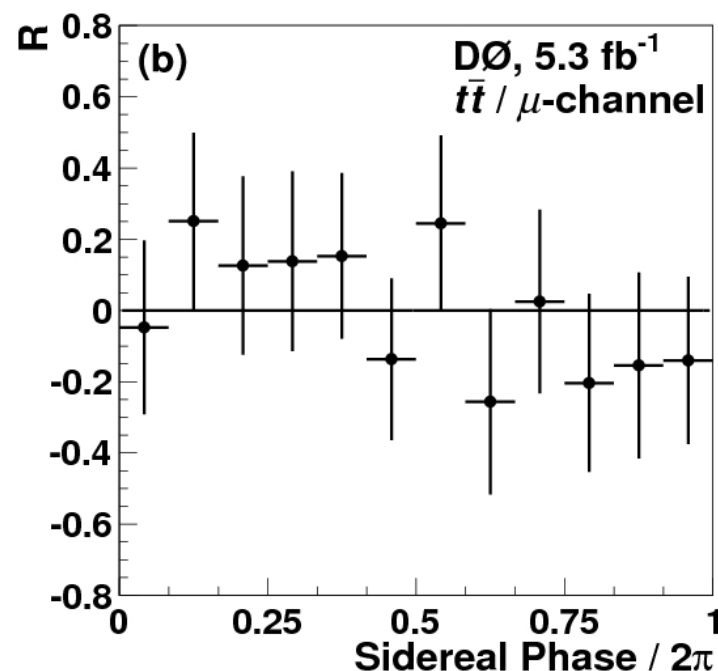
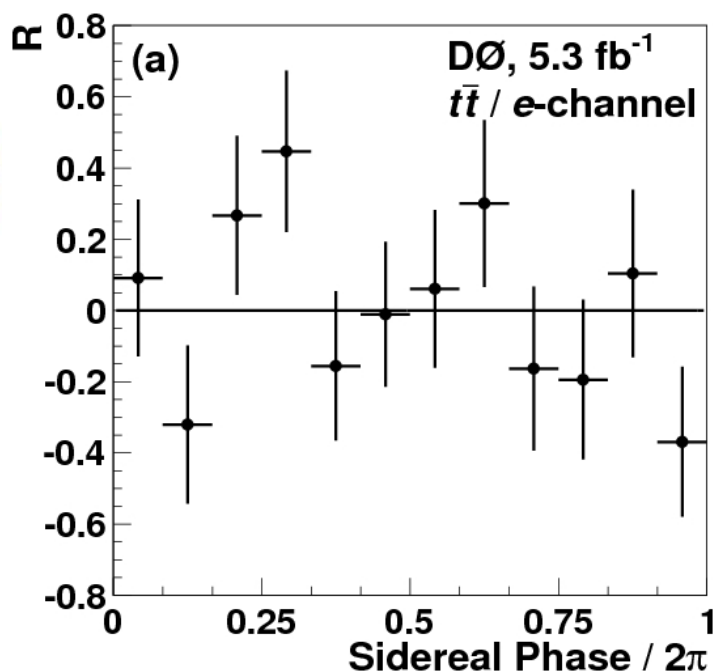


# Search for Lorentz invariance violation

$$N_i \approx N_{\text{tot}} \frac{\mathcal{L}_i}{\mathcal{L}_{\text{int}}} [1 + f_s f_{\text{SME}}(\phi_i)]$$

- >  $\mathcal{L}_i$  is the integrated luminosity over appropriate bin of sidereal phase  $\phi_i$
- >  $f_s$  is the fraction of signal ( $t\bar{t}$ ) events

$$R_i \equiv \frac{1}{f_s} \left( \frac{N_i / N_{\text{S+B}}}{\mathcal{L}_i / \mathcal{L}_{\text{int}}} - 1 \right)$$



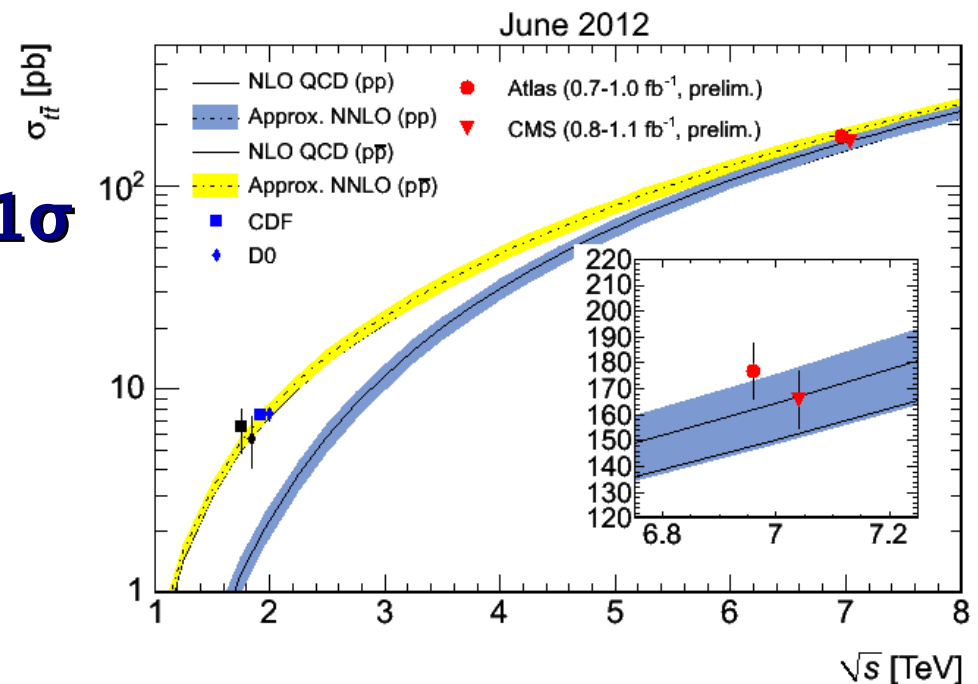
→ no indication of time dependence of  $t\bar{t}$  cross section

→ first constraints on LIV in free quark sector  $(c_L)_{XX}$ ,  $(c_L)_{XY}$ , ... ,  $(c_R)_{XX}$ , ...

# Conclusions

## Highlights of top pair production physics:

- top pair production cross section  
8% precision, many channels analyzed, good agreement with NLO QCD predictions, no new physics observed
- differential cross section is investigated  
e.g. top quark transverse momentum, powerful QCD tests
- pole and  $\overline{\text{MS}}$  mass  
pole mass agrees with Tevatron combination within  $1\sigma$
- top quark production as expected in SM  
new tests using NNLO+NNLL calculations: 3% uncertainty

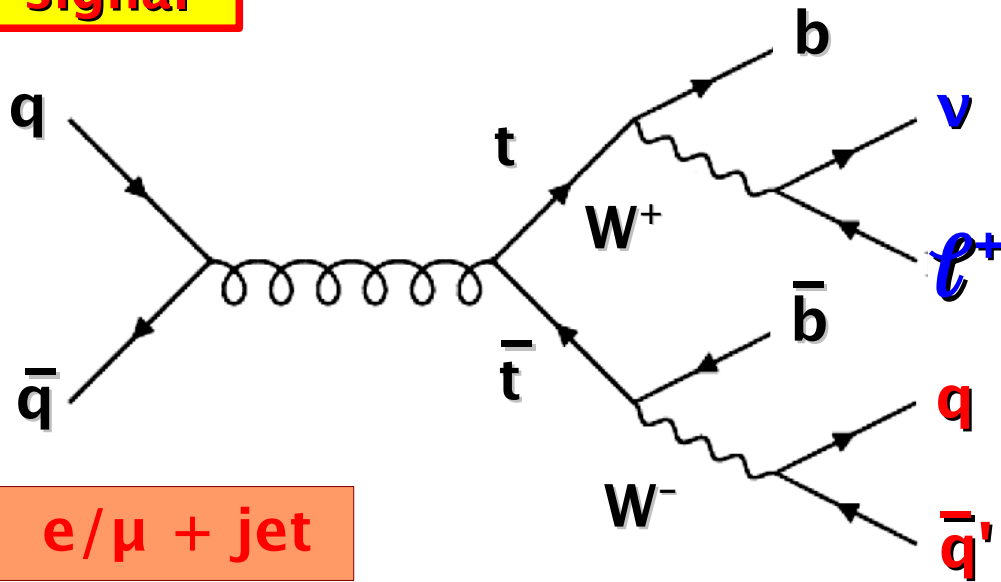


# Backup



# Lepton+jets Signatures

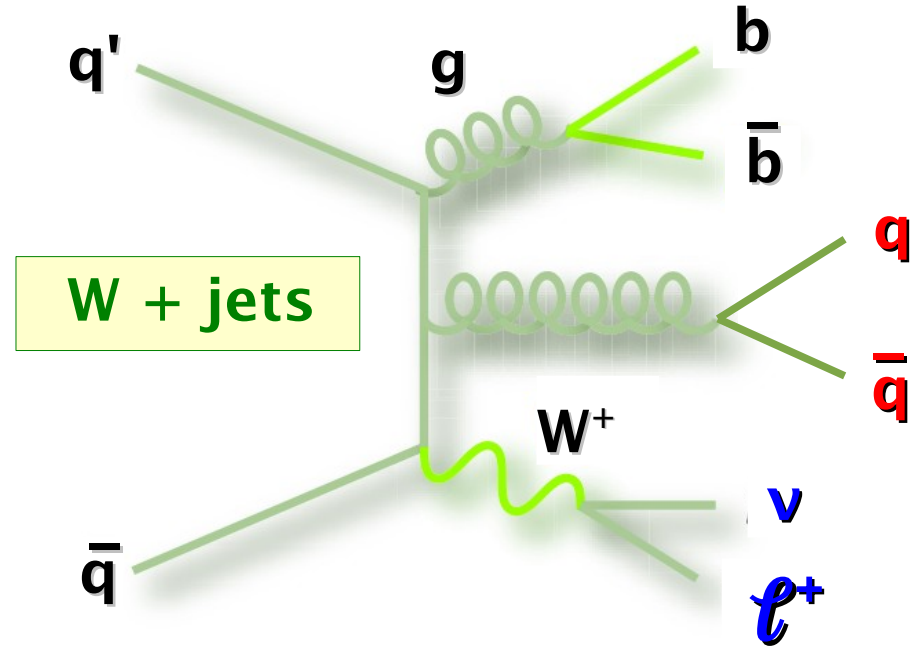
**signal**



**e/ $\mu$  + jet**

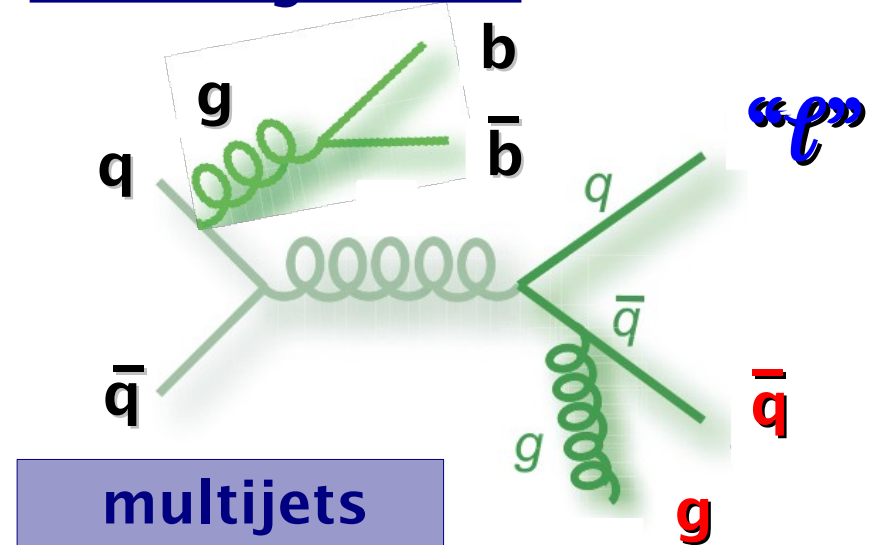
3000 times higher rate

**background**

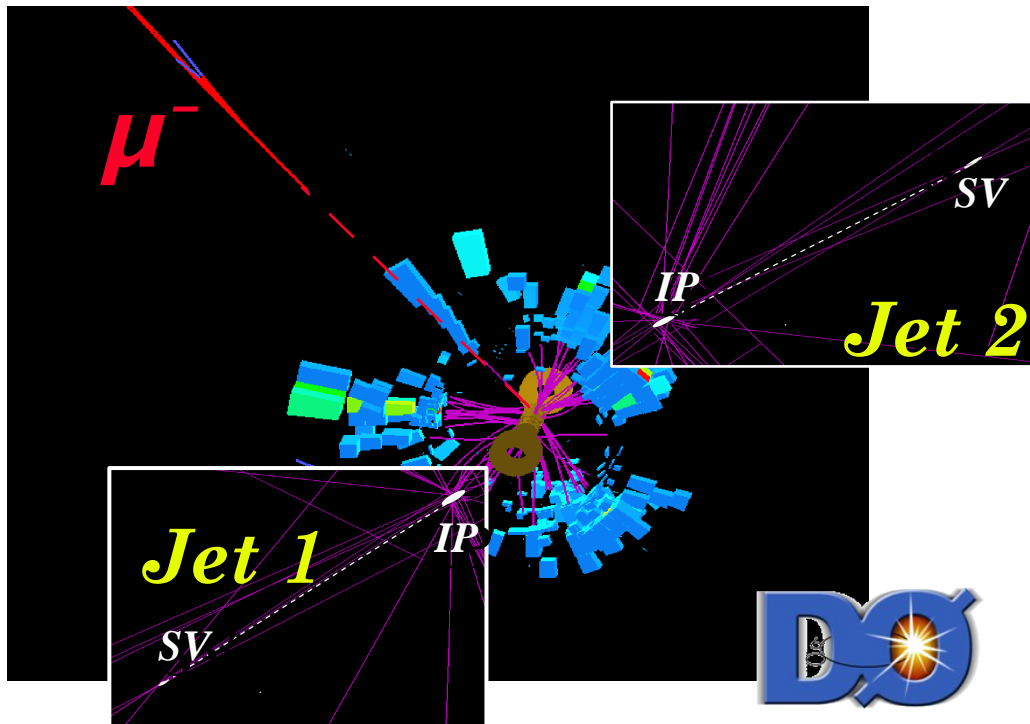


**W + jets**

$10^{10}$  times higher rate

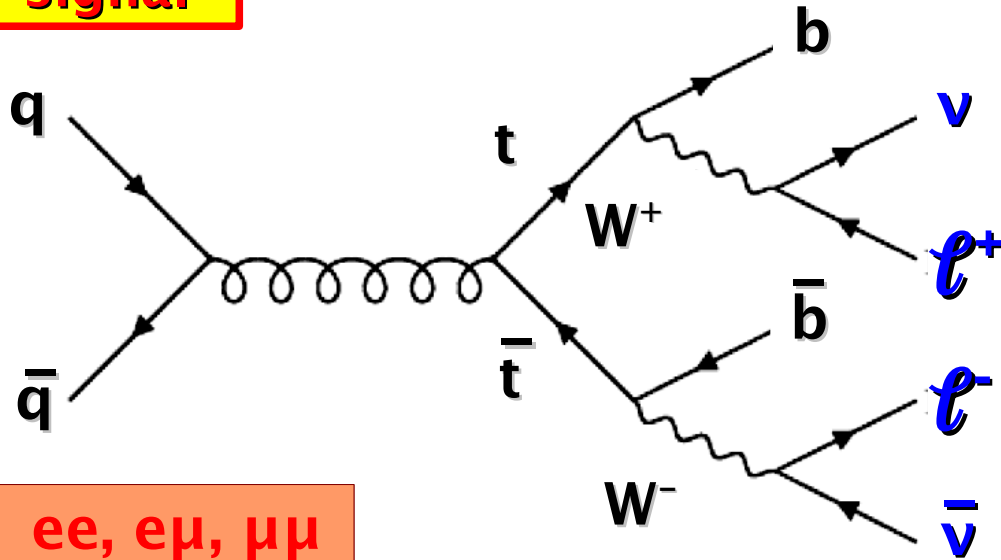


**multijets**



# Dilepton Signatures

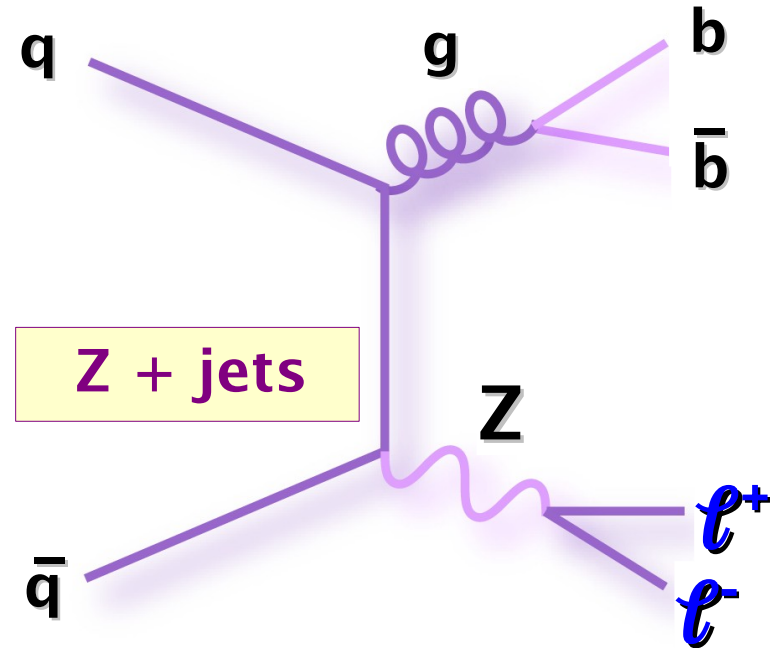
signal



$ee, e\mu, \mu\mu$

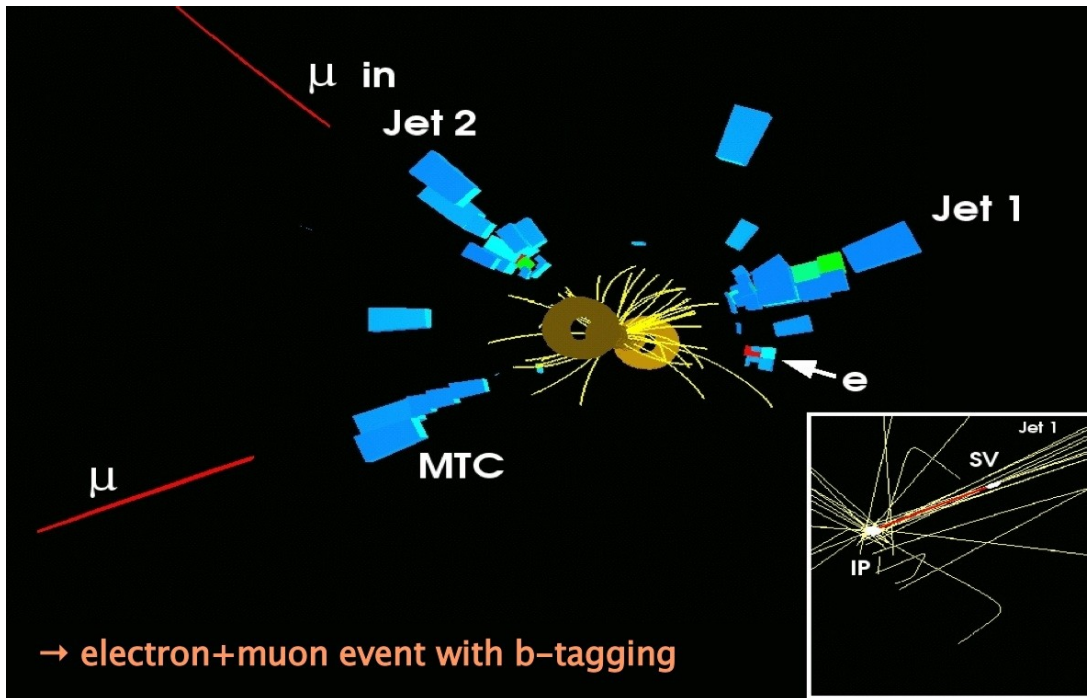
background

300 times higher rate



Z + jets

- less statistics
- less background



→ electron+muon event with b-tagging



# Top Pair Production Cross Section

- check if production rate is as expected in the SM
- test of the underlying theory: QCD
- powerful search for new physics beyond the SM

Measurement:

$$\sigma = (N_{\text{obs}} - N_{\text{bg}}) / (\epsilon L)$$

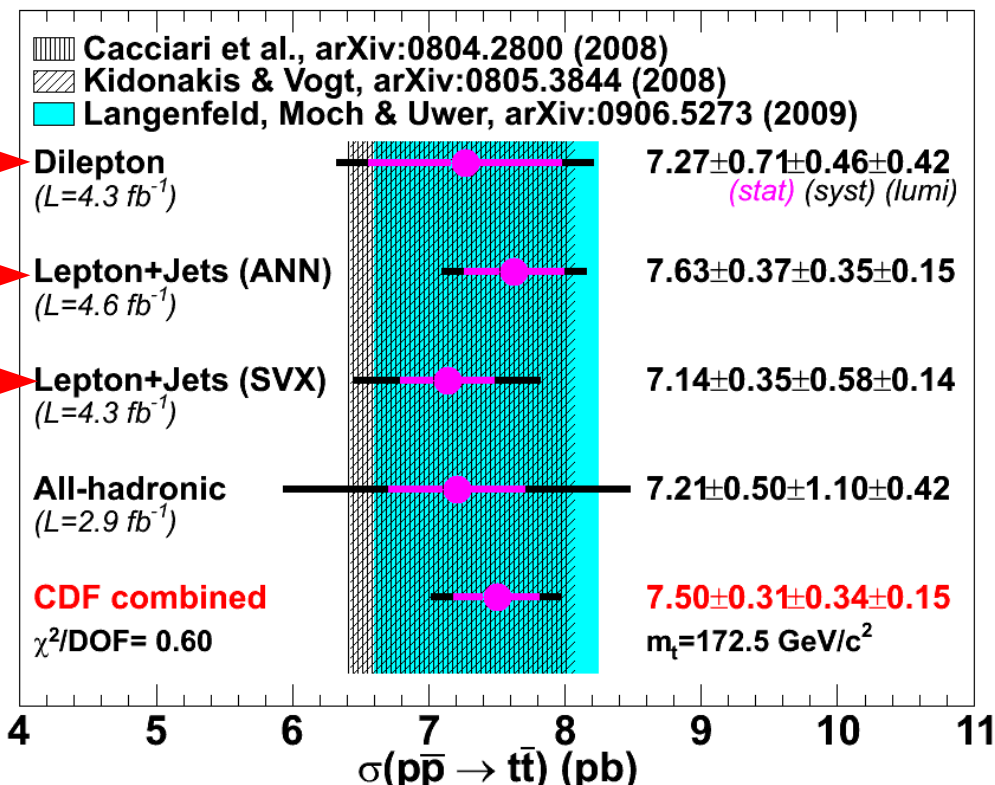
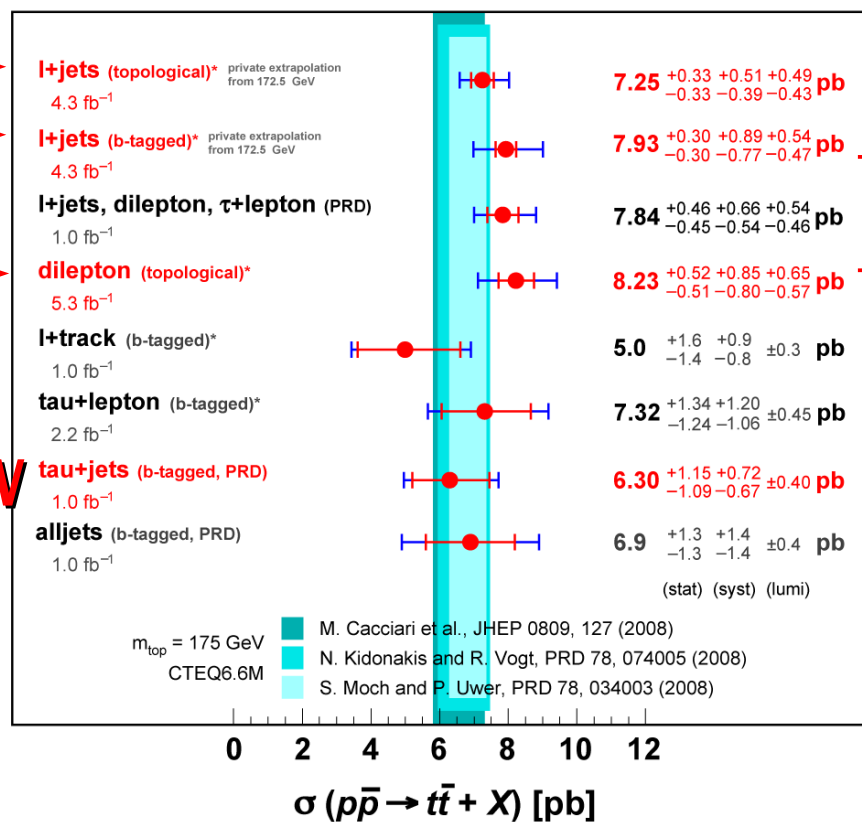
5.4 fb<sup>-1</sup>

# Top Pair Production Cross Sections



DØ Run II \* = preliminary

August 2010



**NEW** MET+2, 3, ≥ 4 jets (orthogonal)

all channels measured except for  $\tau_{had} \tau_{had}$

**combination: ±6% !**

⇒ good agreement with SM in all channels

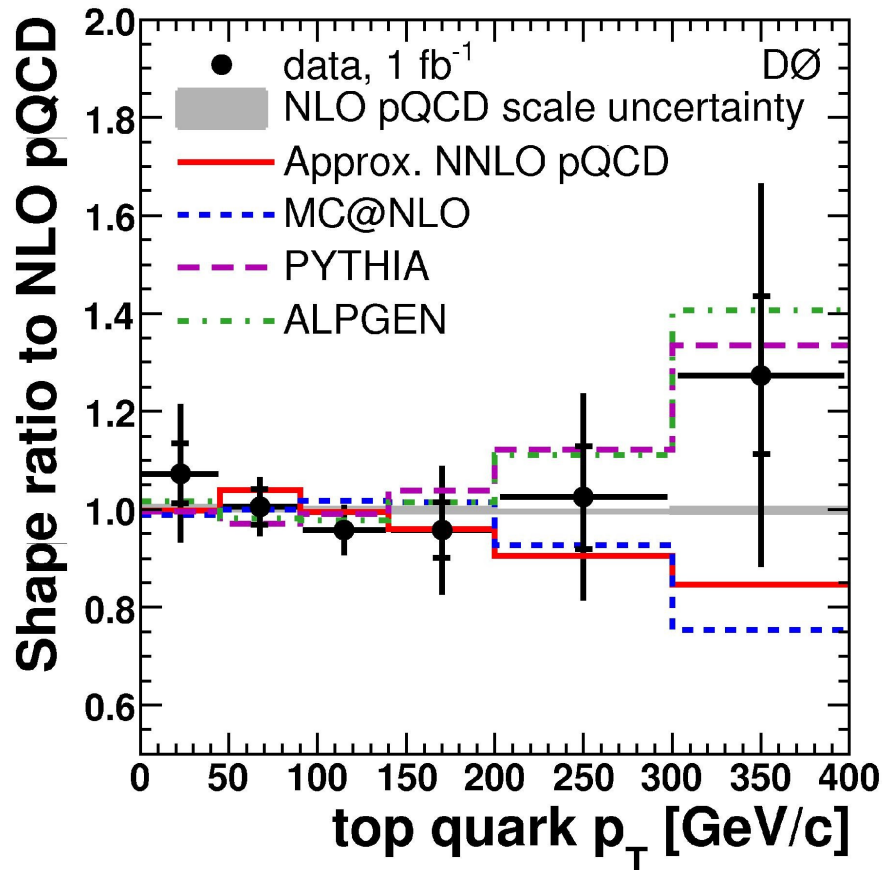
# Differential Cross Section



- important test of NLO QCD
- unfolding of distributions

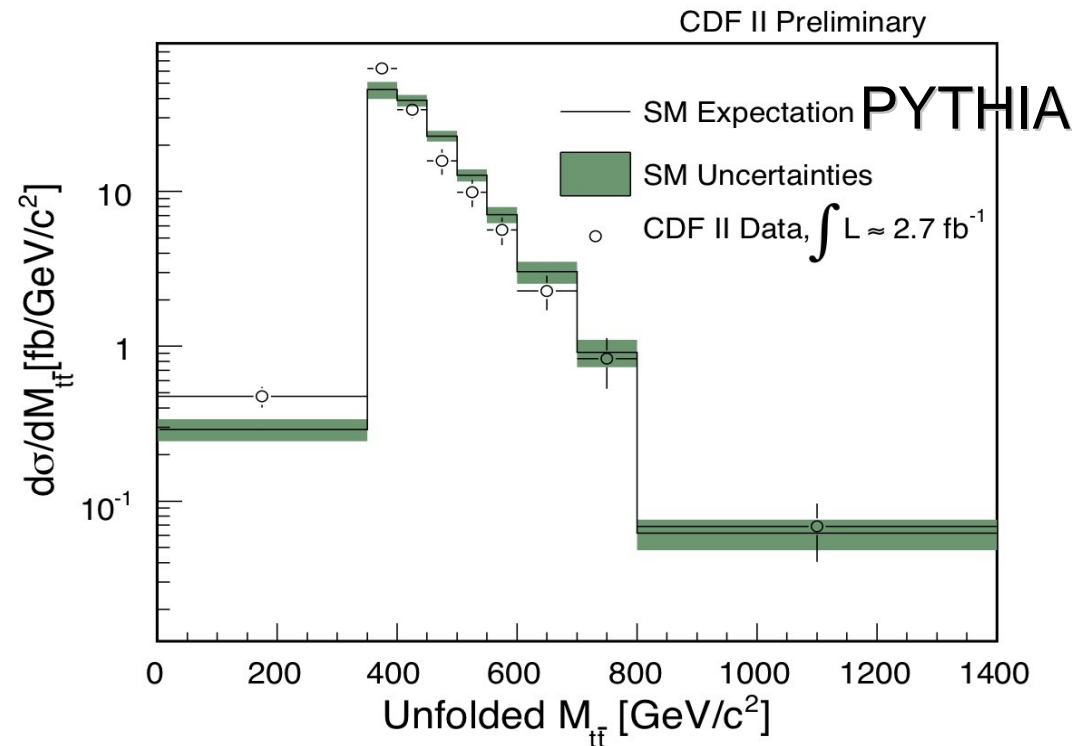


arXiv:1001.1900 [hep-ex]



- need NLO QCD to describe normalisation correctly

PRL 102, 222003 (2009)



- no deviation from the SM

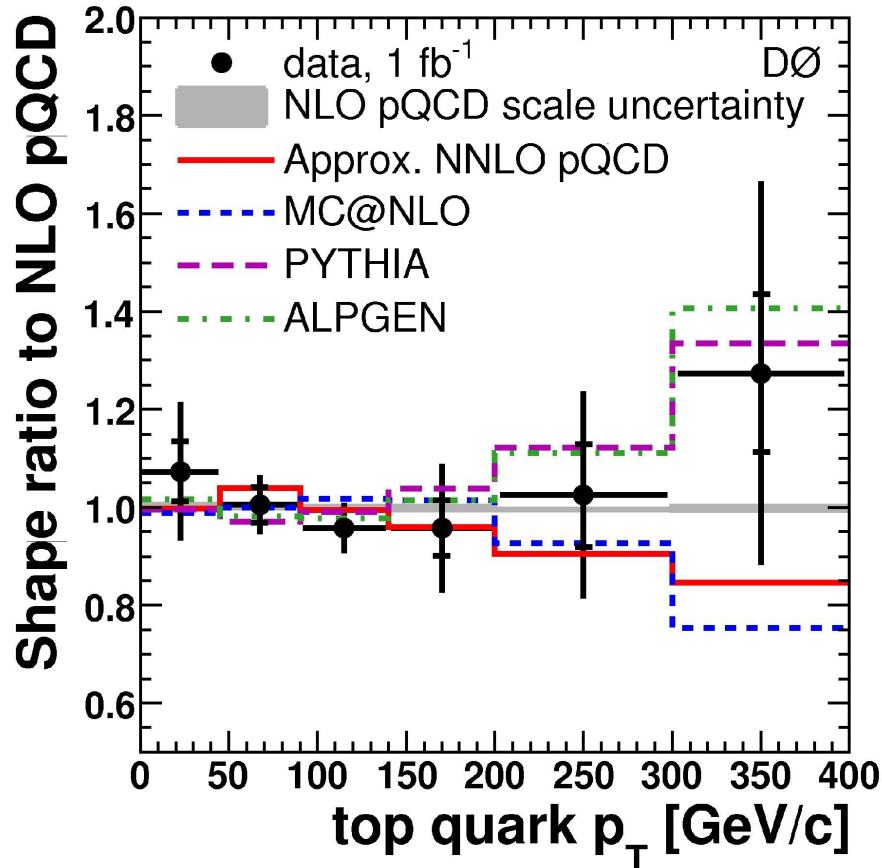
# Differential Cross Section



- important test of NLO QCD
- unfolding of distributions

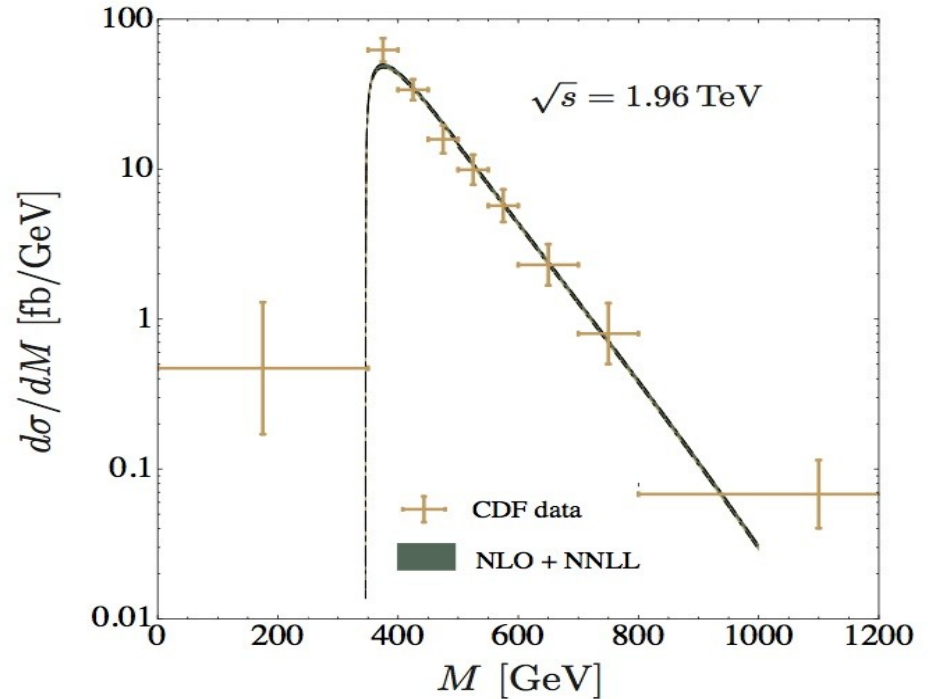


arXiv:1001.1900 [hep-ex]



- need NLO QCD to describe normalisation correctly

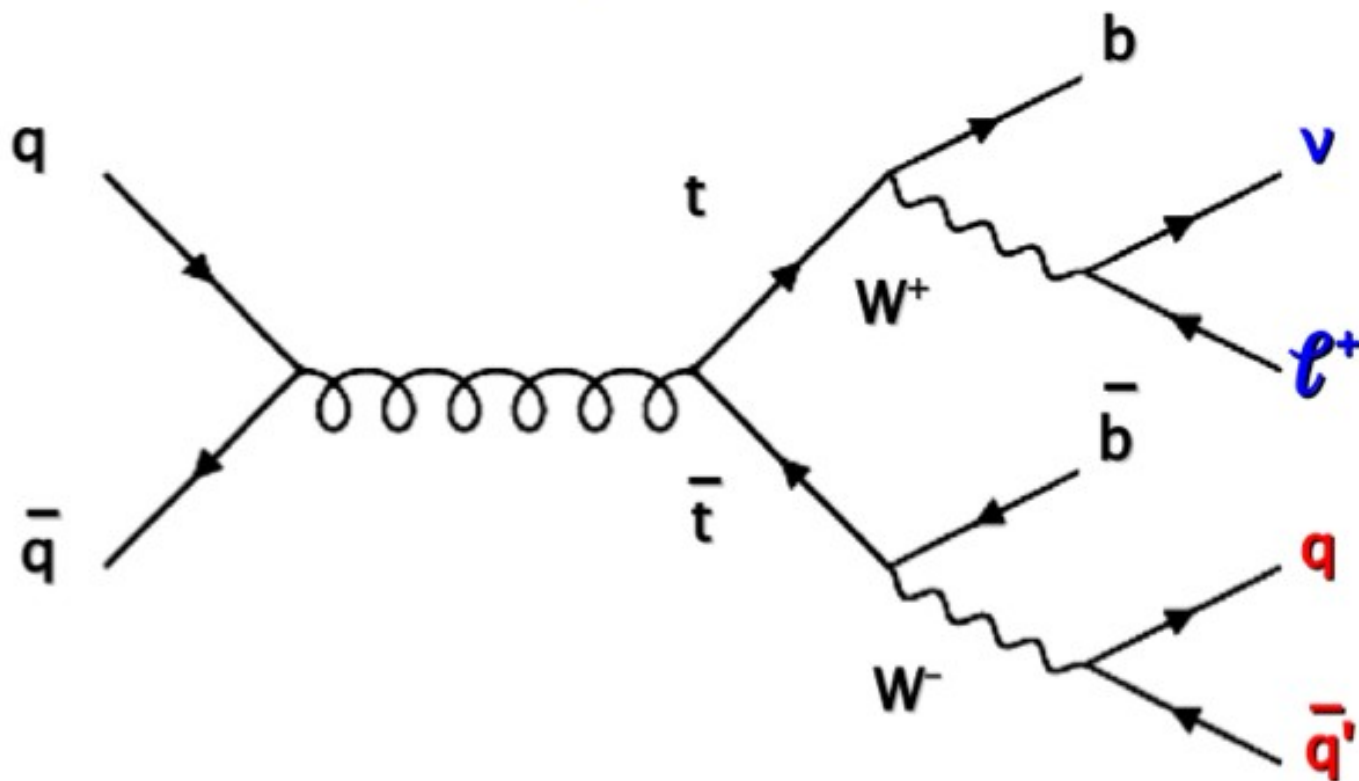
Ahrens, Ferroglia, Neubert, Pecjak, Yang  
arXiv:1006.4682 [hep-ph]



- no deviation from the SM
- NLO+NNLL: **improvement**

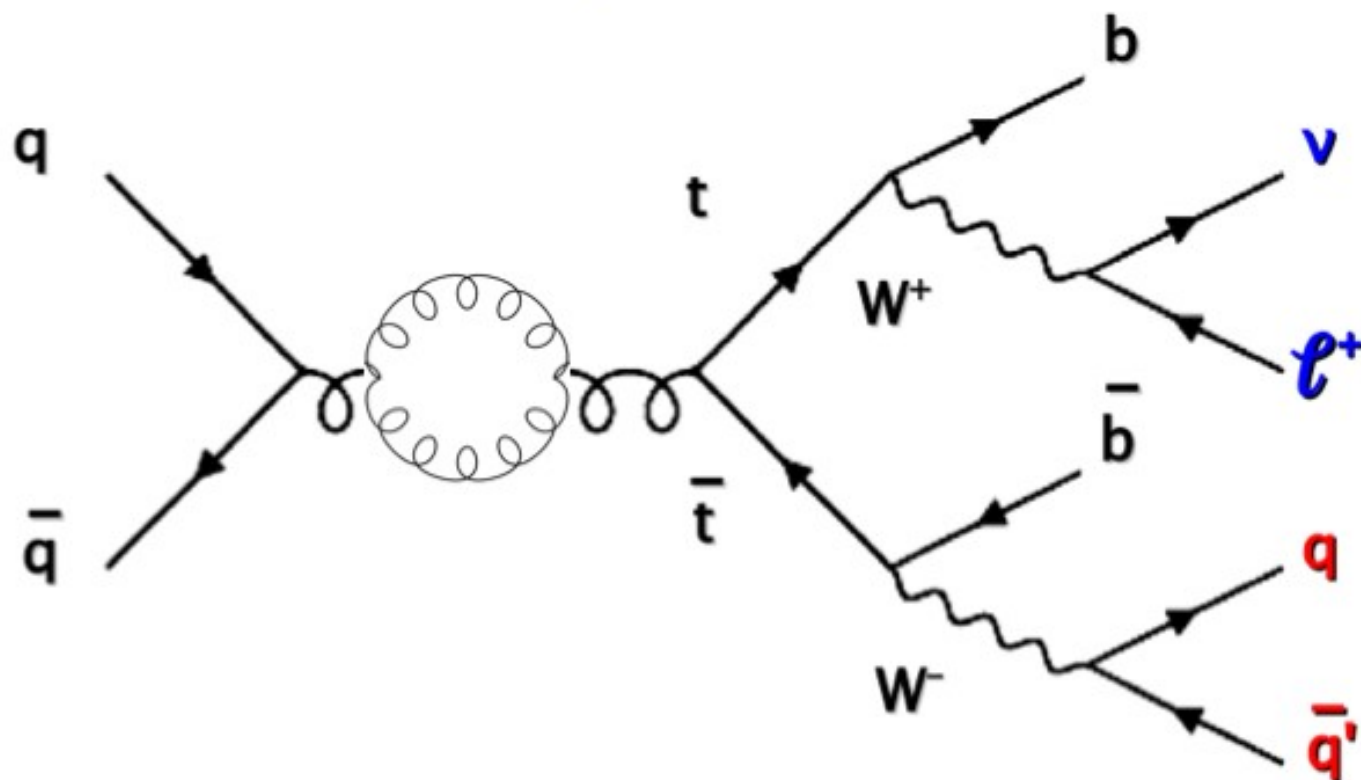
# Which top mass does a LO MC contain?

- matrix element in LO QCD



# Which top mass does a LO MC contain?

- matrix element in LO QCD

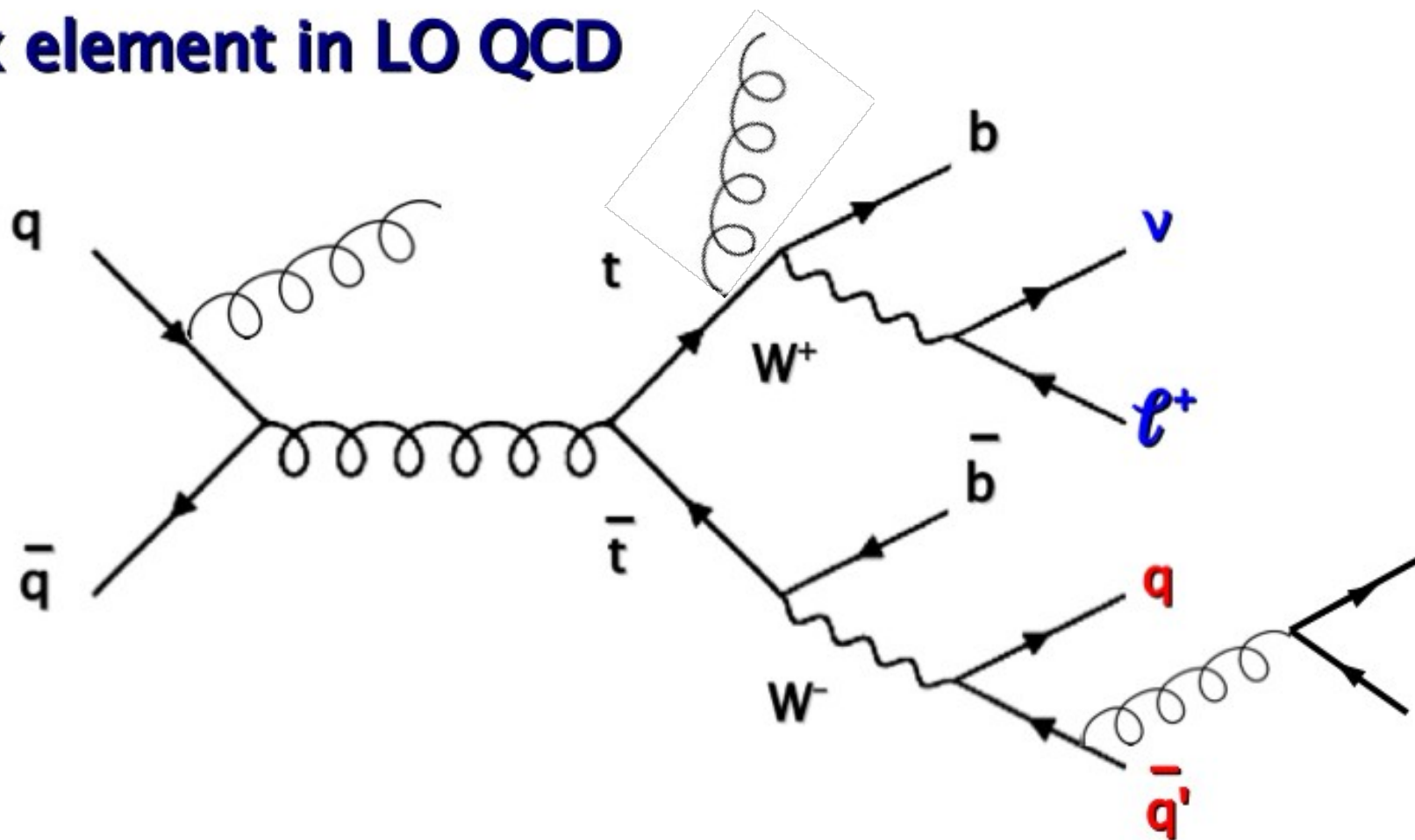


- parton showers simulate higher orders, i.e. **not** only radiating additional gluons!



# Which top mass does a LO MC contain?

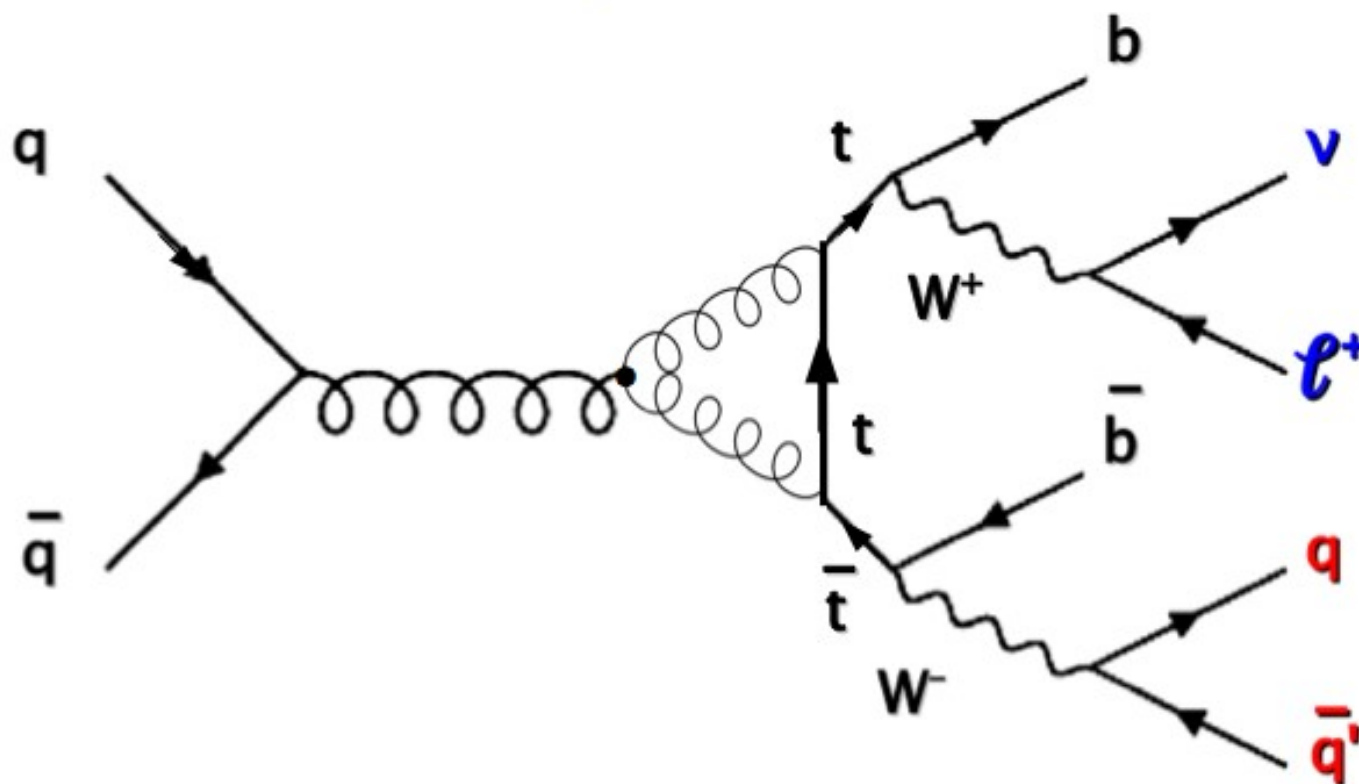
- matrix element in LO QCD



- parton showers simulate higher orders,

# Which top mass does a LO MC contain?

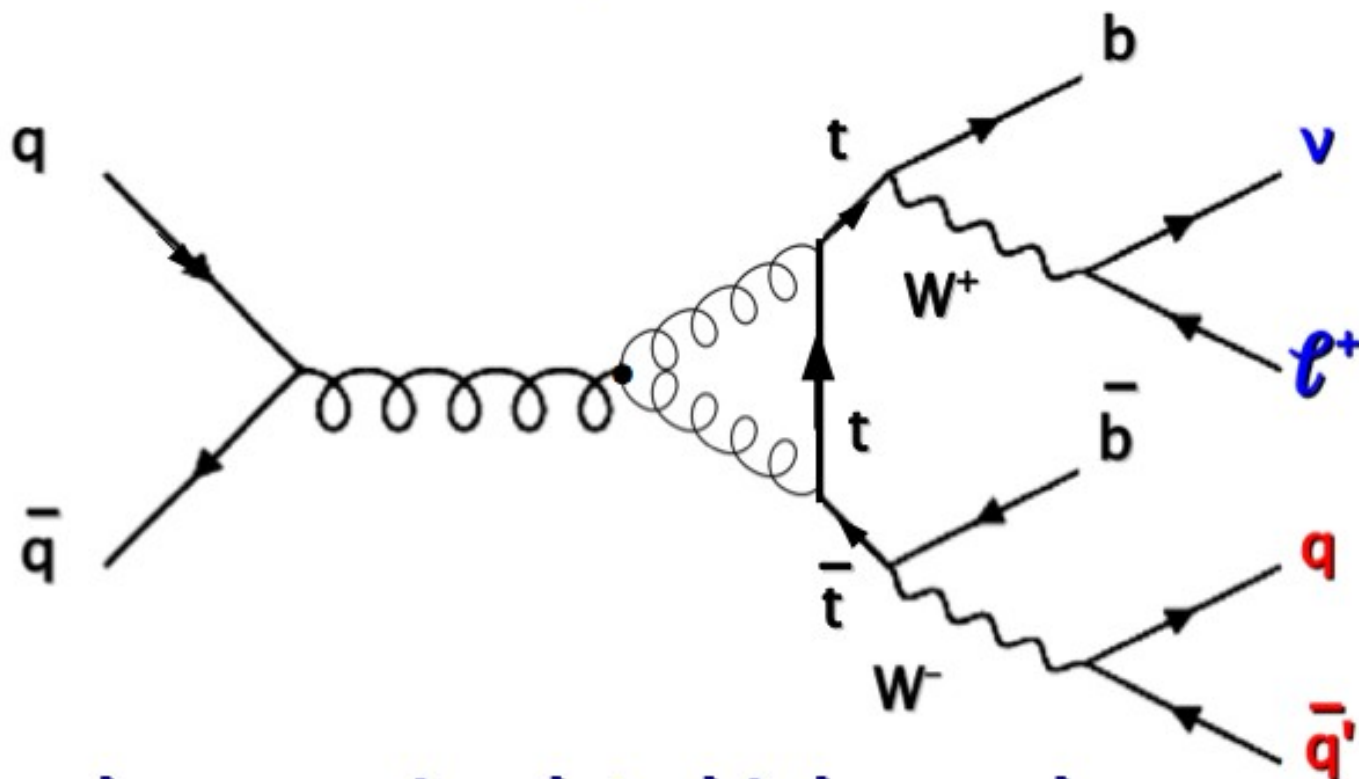
- **matrix element in LO QCD**



- **parton showers simulate higher orders, i.e. **not** only radiating additional gluons!**

# Which top mass does a LO MC contain?

- matrix element in LO QCD



- parton showers simulate higher orders, i.e. **not** only radiating additional gluons! (LL)

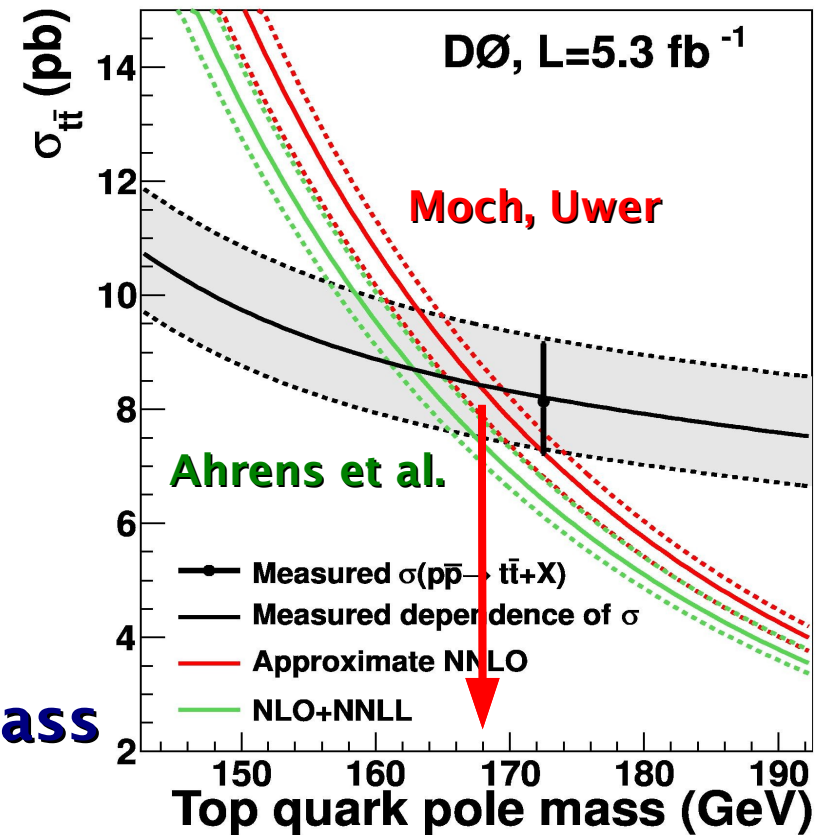
**⇒ very hard to answer...**

- arguments that it should be close to pole mass

# Top Quark Pole Mass

arXiv:1104.2887 [hep-ex]

Theoretical prediction	$m_t^{\text{pole}}$ (GeV)	$\Delta m_t^{\text{pole}}$ (GeV)
MC mass assumption	$m_t^{\text{MC}} = m_t^{\text{pole}}$	$m_t^{\text{MC}} = m_t^{\overline{\text{MS}}}$
NLO [12]	$164.8^{+5.7}_{-5.4}$	-3.0
NLO+NLL [13]	$166.5^{+5.5}_{-4.8}$	-2.7
NLO+NNLL [14]	$163.0^{+5.1}_{-4.6}$	-3.3
Approximate NNLO [15]	$167.5^{+5.2}_{-4.7}$	-2.7
Approximate NNLO [16]	$166.7^{+5.2}_{-4.5}$	-2.8



**MC mass = pole mass**

- use  $b$ -tagged cross section since less dependent on mass
- difference due to MC mass interpretation is included into systematics

$$m_t^{\text{pole}} = 166.7^{+5.2}_{-4.5} \text{ GeV} \quad \pm 2.9\%$$

- $1\sigma$  consistent with Tevatron average:  $m_t = 173.3 \pm 1.1 \text{ GeV}$

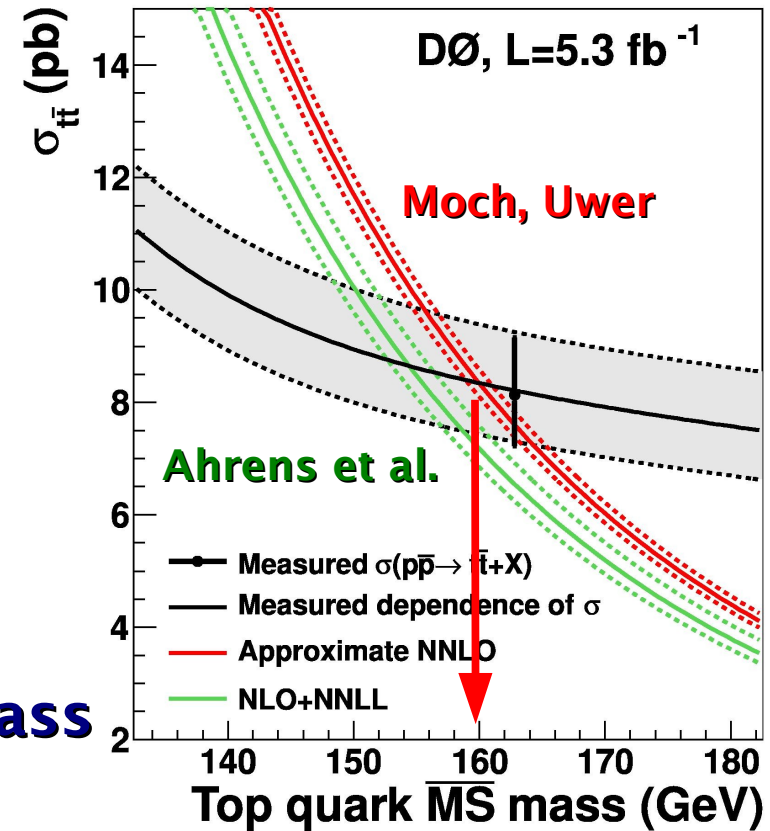
# Top Quark $\overline{\text{MS}}$ Mass

**better convergence of higher order resummation**

Theoretical prediction	$m_t^{\overline{\text{MS}}} \text{ (GeV)}$	$\Delta m_t^{\overline{\text{MS}}} \text{ (GeV)}$
MC mass assumption	$m_t^{\text{MC}} = m_t^{\text{pole}}$	$m_t^{\text{MC}} = m_t^{\overline{\text{MS}}}$
NLO+NNLL [14]	$154.5^{+5.0}_{-4.3}$	-2.9
Approximate NNLO [15]	$160.0^{+4.8}_{-4.3}$	-2.6

arXiv:1104.2887 [hep-ex]

**MC mass = pole mass**



- **first extraction of  $\overline{\text{MS}}$  mass taking selection efficiency into account**

$$m_t^{\overline{\text{MS}}} = 160.0^{+4.8}_{-4.3} \text{ GeV} \quad \pm 2.8\%$$

- **2 $\sigma$  consistent with Tevatron average:  $m_t = 173.3 \pm 1.1 \text{ GeV}$**
- **Tevatron average is more consistent with a pole mass!**

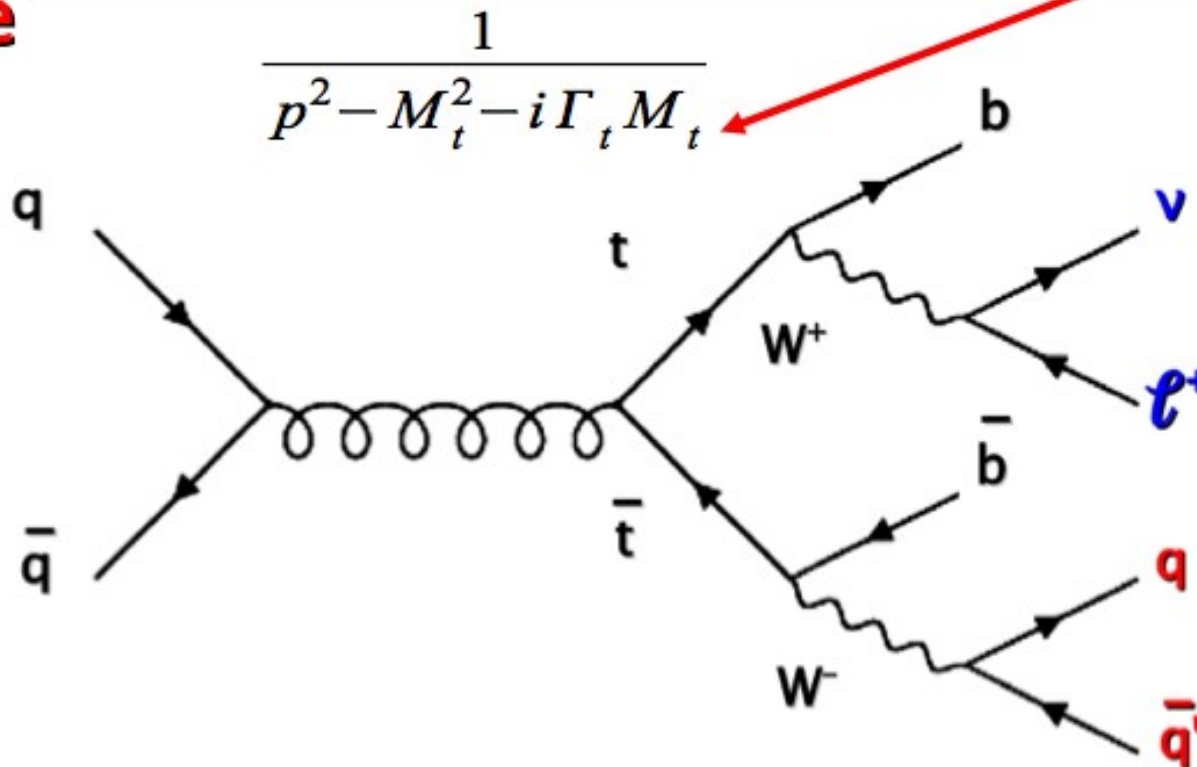
# Different Top Mass Definitions

hep-ph/0001002

$$\bar{m}_t \equiv m_t^{\overline{\text{MS}}} \quad (m_t) = \frac{M_t}{1 + \frac{4}{3\pi} \alpha_s(M_t)}$$

**pole mass**

**$\overline{\text{MS}}$  scheme**



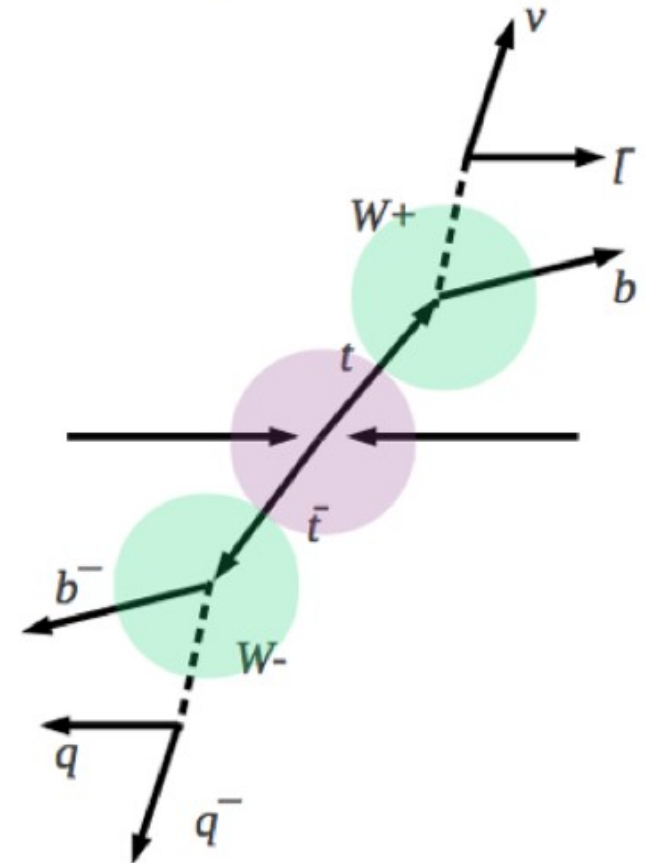
**$\Rightarrow$  difference between  $\overline{\text{MS}}$  and pole mass is  $\approx 10\text{GeV}...$**

# Search for Lorentz invariance violation

- General Lorentz-violating terms added to SM Lagrangian
  - Effective field theory treatment for LV
  - Not constrained to be the same for all particle species

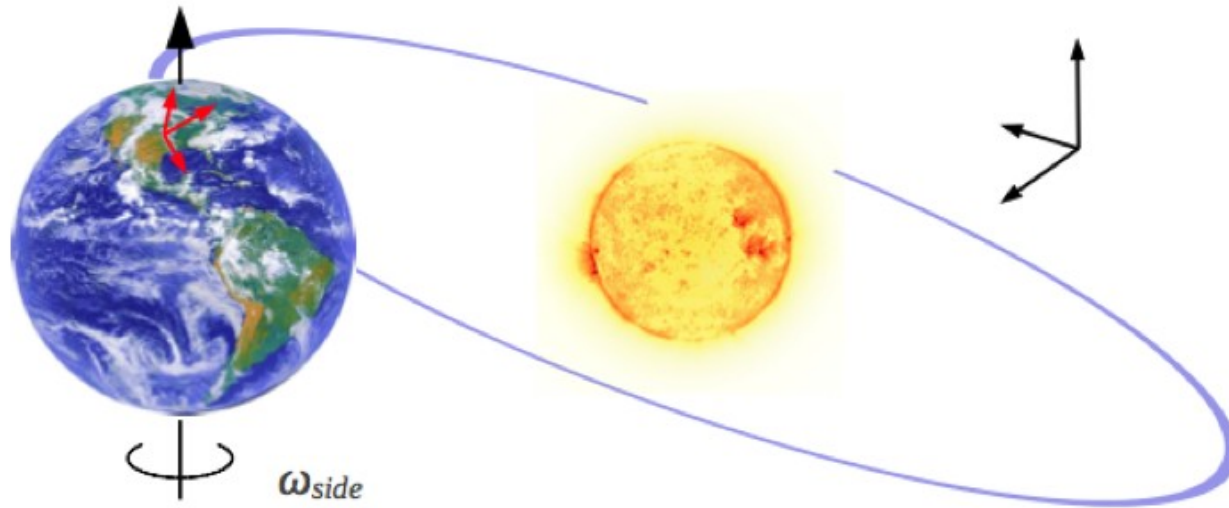
$$|M|^2 = \overbrace{P F \bar{F}}^{\text{Standard Model}} + \overbrace{(c_R + c_L)_{\mu\nu} (\delta P_p + \delta P_v)^{\mu\nu} F \bar{F}}^{\text{Production Corrections}} + \overbrace{(c_L)_{\mu\nu} (P(\delta F)^{\mu\nu} \bar{F} + P F (\delta \bar{F})^{\mu\nu})}^{\text{Decay Corrections}}$$

- $c_R$  and  $c_L$  are symmetric, traceless matrices containing coefficients which parametrize the strength of Lorentz violation in the top quark sector
- Set limits on elements of  $c_R$  and  $c_L$ , as well as linear combinations  
 $c = c_L + c_R$  and  $d = c_L - c_R$ .
- Top sector only accessible to high-energy particle colliders
  - Tight limits already set on LV other particle sectors



# Search for Lorentz invariance violation

- GOAL: Estimate components of  $c_R$  and  $c_L$  matrices



$$c_{L(R)}^{\text{Apparatus}} = \hat{R}(\omega_{\text{side}} t)_{(\text{Sun} \rightarrow \text{Apparatus})} c_{L(R)}^{\text{Sun}}$$

SM extension

- D-Zero events projected onto different components of SME matrices  $c_R$  and  $c_L$ 
  - Varies with sidereal frequency as detector rotates with Earth
  - Unique signature!
  - Time-dependent event rate.