

JHU Generator for spin/CP measurements

Markus Schulze

Argonne National Laboratory

Yanyan Gao, Nhan Tran

Fermi National Accelerator Laboratory

Sara Bolognesi, Andrei Gritsan, Kirill Melnikov, Andrew Whitbeck

Johns Hopkins University

LHC Higgs Cross Section Workshop

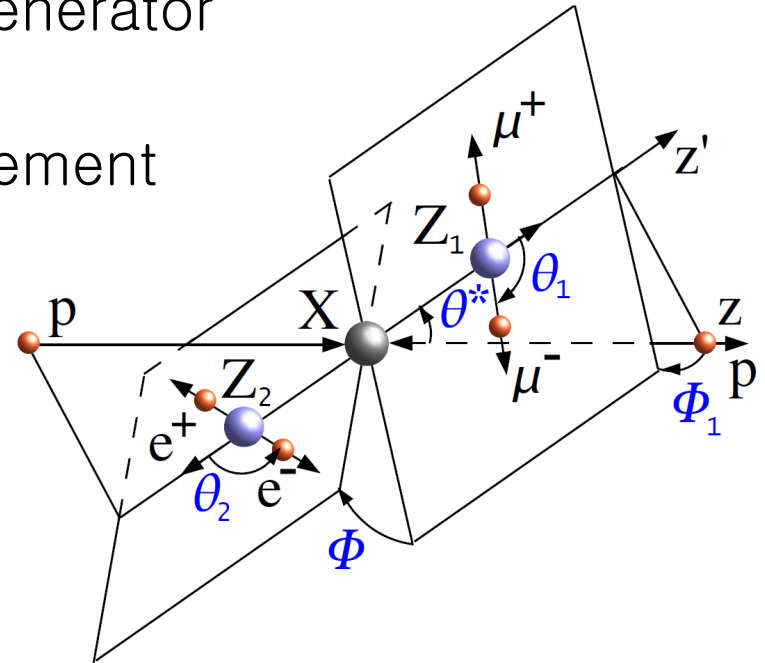
24.05.2012





introduction

- Short report on status of JHU generator for spin/CP measurements
- Relationship to MELA [Matrix Element Likelihood Analysis]



References:

Gao et al., PRD81,075022(2010); CMS PAS HIG-2011/027 (212q)

Publicly available code:

<http://www.pha.jhu.edu/spin>



generator basics

- A **MC program developed** to simulate production and decay of X with spin-zero, -one, or -two in $X \rightarrow VV$
 - Includes all spin correlations and all possible couplings
 - Inputs are general dimensionless couplings – calculates matrix elements
 - Both gg and $q\bar{q}$ production
 - Output in LHE format; e.g. can interface to Pythia for hadronization ^^
 - Available with CTEQ and MSTW PDF sets
 - All code publicly available: www.pha.jhu.edu/spin
- **List of final states for spin-0,1,2**
 - $X \rightarrow ZZ, WW, \gamma\gamma$
 - $Z \rightarrow ll, \nu\nu, \tau\tau, qq$
 - $W \rightarrow lv, \tau\nu, qq$
 - on-shell and off-shell modes included
- Latest updates soon publicly available

^^ Has already been done on CMS for some centrally produced samples



inputs and structures

- Inputs are dimensionless couplings for Lorentz-invariant structures for helicity analysis
 - Couplings can be re-written in another convention

Example: $X(J=0) \rightarrow VV$, inputs are a_1, a_2, a_3

$$A(H_{J=0} \rightarrow V_1 V_2) = v^{-1} \epsilon_1^{*\mu} \epsilon_2^{*\nu} \left(a_1 g_{\mu\nu} M_X^2 + a_2 q_\mu q_\nu + a_3 \epsilon_{\mu\nu\alpha\beta} q_1^\alpha q_2^\beta \right)$$



$$a_1 = g_1^{(0)} \frac{m_V^2}{m_X^2} + g_2^{(0)} \frac{2s}{m_X^2} + g_3^{(0)} \kappa \frac{s}{m_X^2}, \quad a_2 = -2g_2^{(0)} - g_3^{(0)} \kappa, \quad a_3 = -2g_4^{(0)}$$

$$A(X \rightarrow VV) = v^{-1} \left(g_1^{(0)} m_V^2 \epsilon_1^* \epsilon_2^* + g_2^{(0)} f_{\mu\nu}^{*(1)} f^{*(2),\mu\nu} + g_3^{(0)} f^{*(1),\mu\nu} f_{\mu\alpha}^{*(2)} \frac{q_\nu q^\alpha}{\Lambda^2} + g_4^{(0)} f_{\mu\nu}^{*(1)} \tilde{f}^{*(2),\mu\nu} \right)$$

J=1

$$A(X \rightarrow ZZ) = g_1^{(1)} [(\epsilon_1^* q)(\epsilon_2^* \epsilon_X) + (\epsilon_2^* q)(\epsilon_1^* \epsilon_X)] + g_2^{(1)} \epsilon_{\alpha\mu\nu\beta} \epsilon_X^\alpha \epsilon_1^{*,\mu} \epsilon_2^{*,\nu} \tilde{q}^\beta$$

J=2

$$A(X \rightarrow ZZ) = \Lambda^{-1} \epsilon_1^{*\mu} \epsilon_2^{*\nu} \left[c_1 (q_1 q_2) t_{\mu\nu} + c_2 g_{\mu\nu} t_{\alpha\beta} \tilde{q}^\alpha \tilde{q}^\beta + c_3 \frac{q_{2\mu} q_{1\nu}}{m_X^2} t_{\alpha\beta} \tilde{q}^\alpha \tilde{q}^\beta + 2c_4 (q_{1\nu} q_2^\alpha t_{\mu\alpha} + q_{2\mu} q_1^\alpha t_{\nu\alpha}) + c_5 t_{\alpha\beta} \frac{\tilde{q}^\alpha \tilde{q}^\beta}{m_X^2} \epsilon_{\mu\nu\rho\sigma} q_1^\rho q_2^\sigma + c_6 t^{\alpha\beta} \tilde{q}_\beta \epsilon_{\mu\nu\alpha\rho} q^\rho + \frac{c_7 t^{\alpha\beta} \tilde{q}_\beta}{m_X^2} (\epsilon_{\alpha\mu\rho\sigma} q^\rho \tilde{q}^\sigma q_\nu + \epsilon_{\alpha\nu\rho\sigma} q^\rho \tilde{q}^\sigma q_\mu) \right]$$

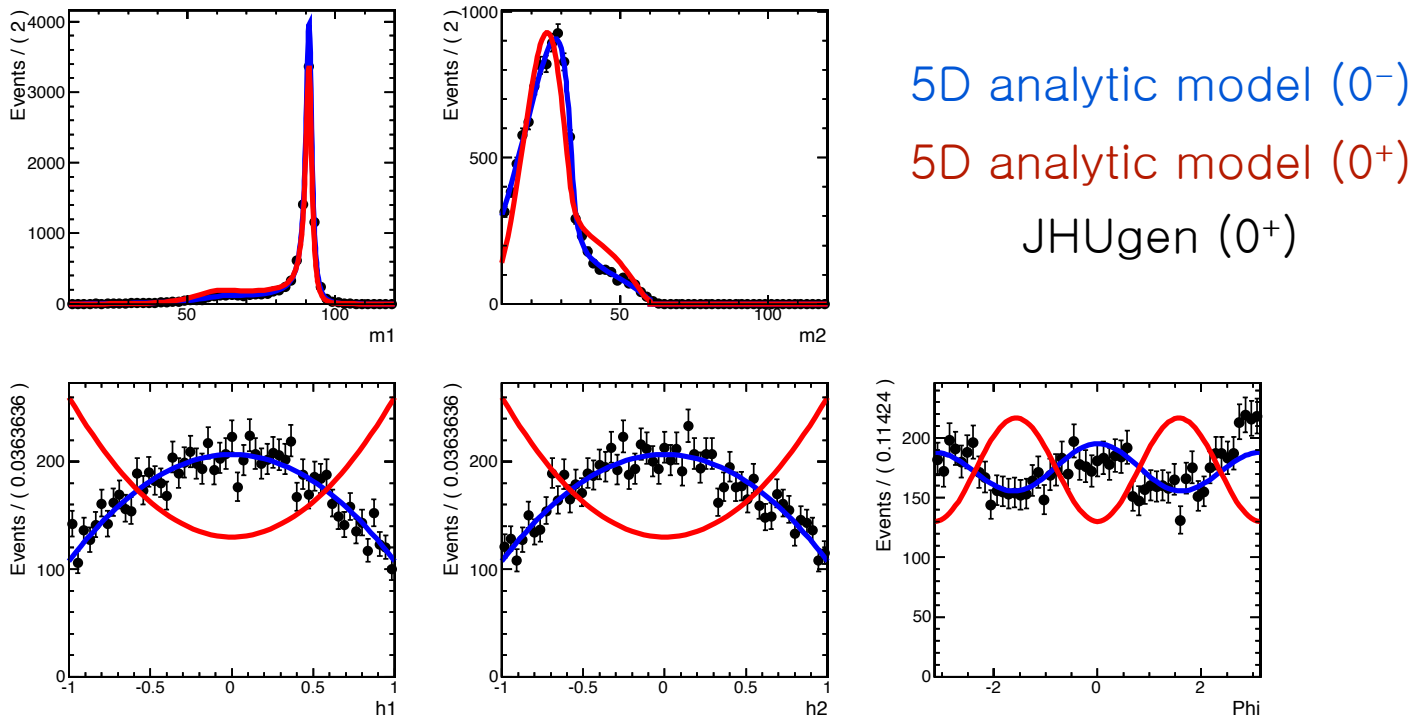


validation: spin-0

- Analytic expression contains both off-shell Z masses

$$\frac{d\Gamma_{J=0}}{\Gamma dm_1 dm_2 d\cos\theta_1 d\cos\theta_2 d\Phi} \propto \beta \times \frac{m_1^3}{(m_1^2 - M_Z^2)^2 + M_Z^2 \Gamma_Z^2} \frac{m_2^3}{(m_2^2 - M_Z^2)^2 + M_Z^2 \Gamma_Z^2} \times \left[\frac{d\Gamma_{J=0}}{\Gamma d\cos\theta_1 d\cos\theta_2 d\Phi}(m_1, m_2, \cos\theta_1, \cos\theta_2, \Phi) \right]$$

- Compare signal model to signal simulation



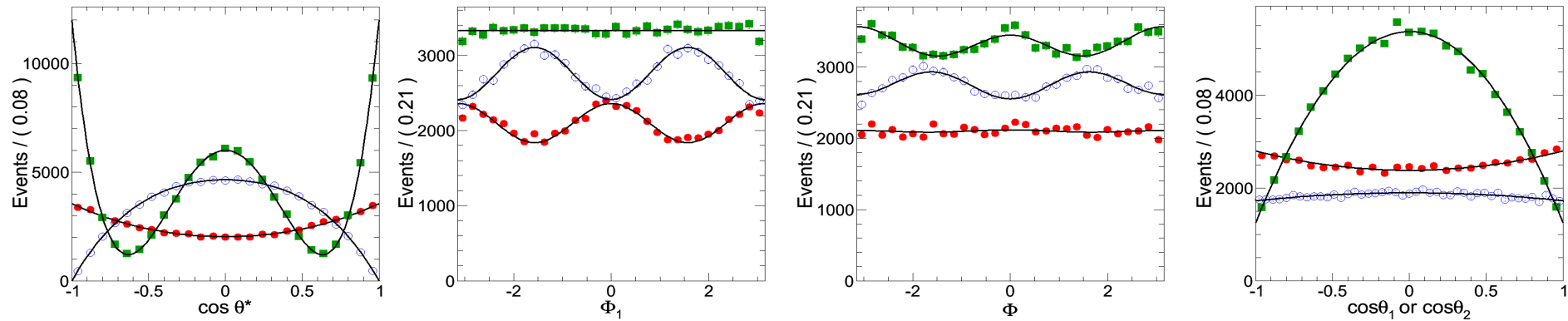


validation: spin-2

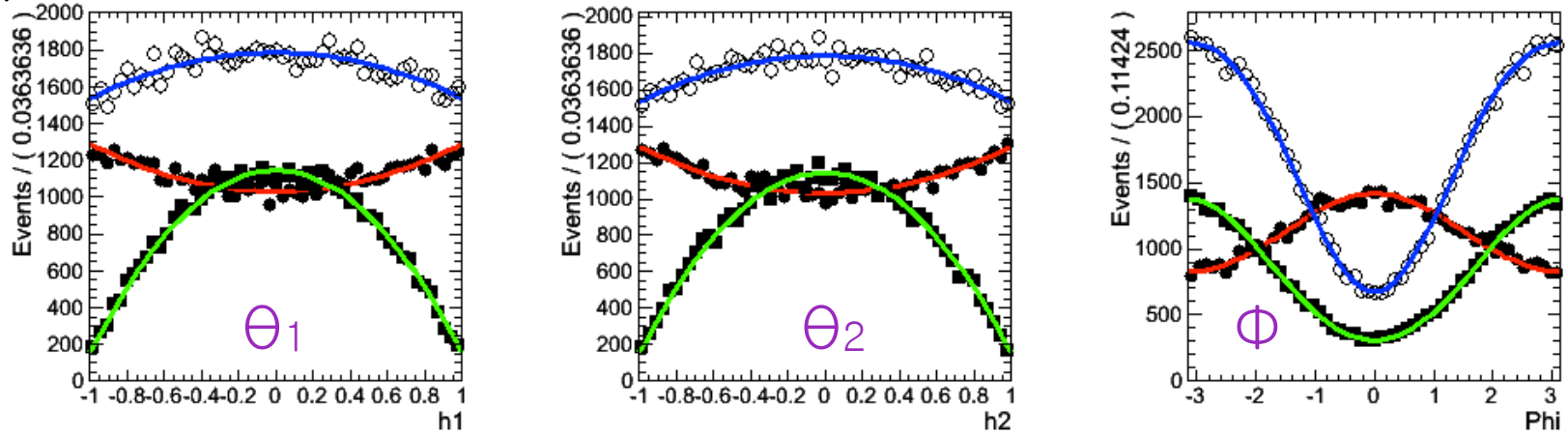
More validation, various spin-2 hypotheses

$$J^P = 2^+ \text{ (minimal)}, 2^+ \text{ (longitudinal)}, 2^-$$

ZZ Example: Good agreement for both ZZ and WW modes

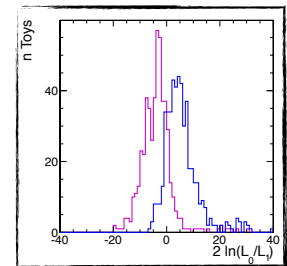
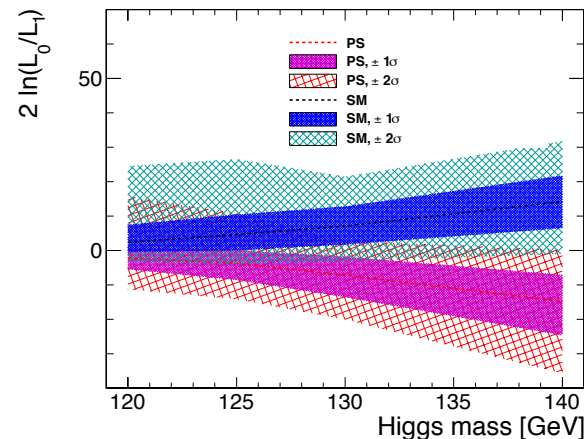
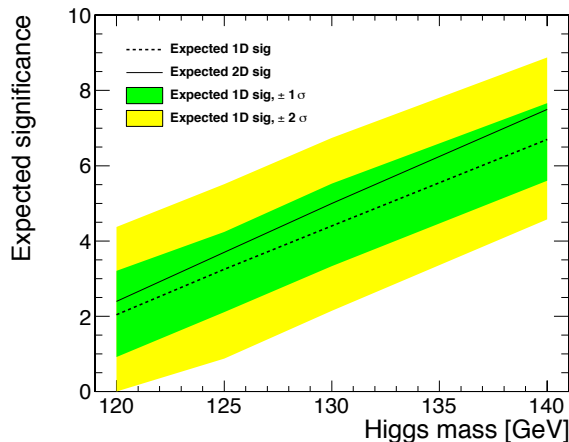


WW





- Program based on helicity amplitude formalism to characterize resonances
 - Improved separation of signal and background for improved sensitivity
 - Hypothesis separation for a newly discovered resonance
 - Direct measurement of couplings
- Comprehensive introduction can be found [here](#)
- The latest: current efforts in implementing MELA analysis into CMS RooStats–based framework





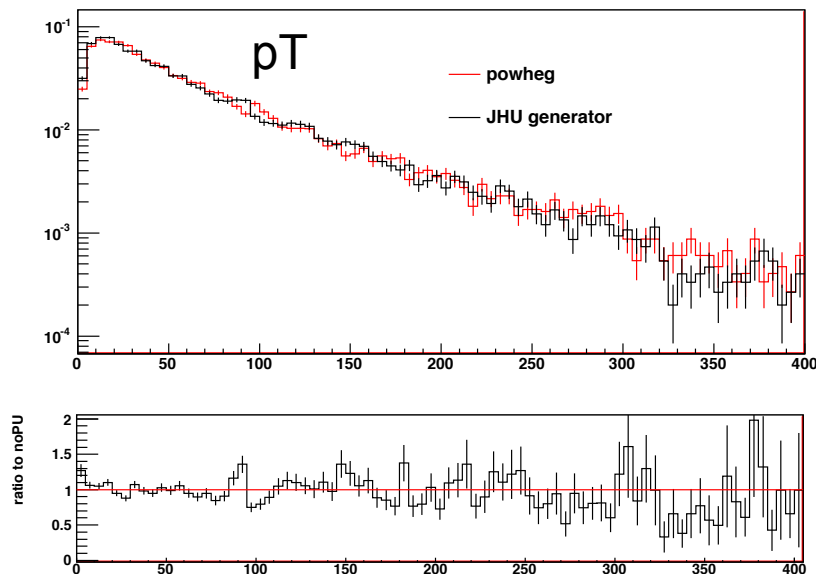
JHU+Pythia interface

- Powheg currently used for ggH production
- A comparison of Powheg+Pythia and JHU+Pythia samples in 2l2q final state with $m_H (J^P = 0^+) = 300$ GeV
 - Tests both lepton and hadronic Z
 - GEN level comparisons, inside detector acceptance with analysis-like cuts

pT distribution comparison:

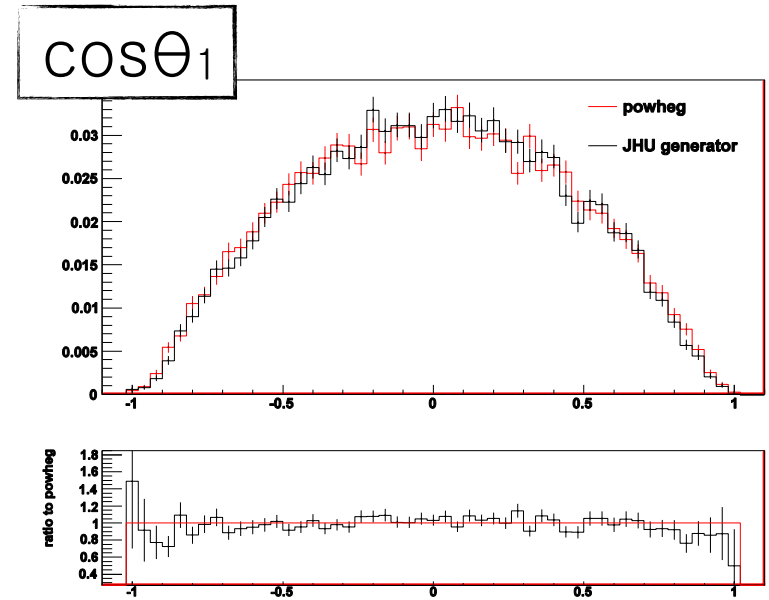
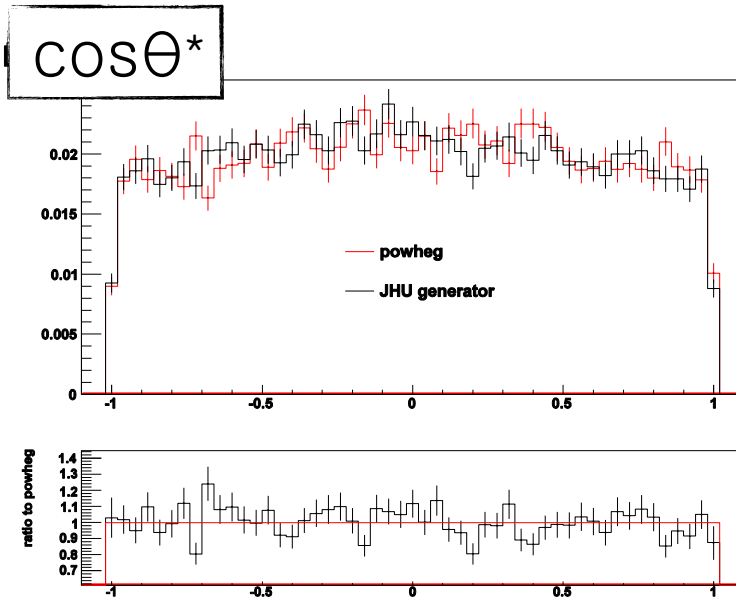
Pythia does a reasonable job of reproducing NLO pT distribution

Current prescription is to reweight Powheg based on HqT anyway.
Can do the same for JHUGen



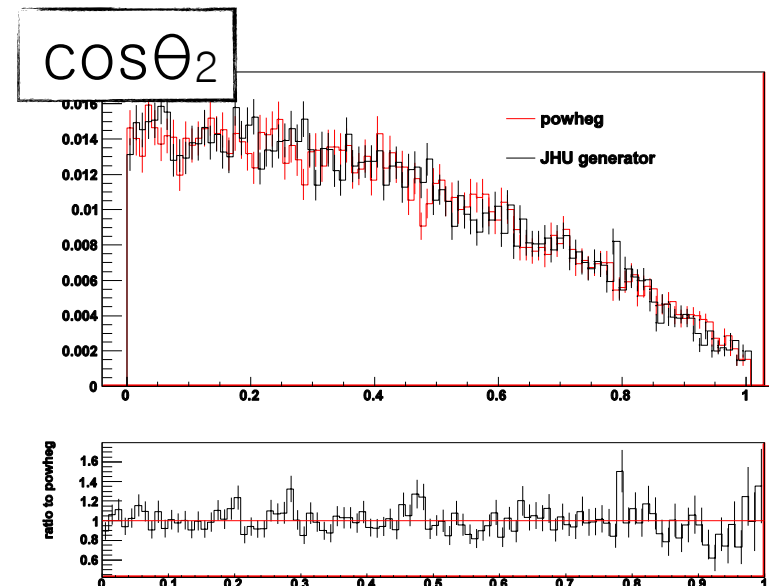


more Powheg vs JHU



Generally good agreement between
JHU+Pythia and Powheg+Pythia

Residual differences in kinematic
distributions at \sim few % level coming
for PDFs and NLO treatment





generator options – discussion

- Consider various options for generator for spin/CP studies
 - use JHUGen
 - analytically re-weight Powheg samples
 - numerically re-weight Powheg samples
 - extend JHUGen
- Option: use JHUGen
 - simplest option, just generate LHE files and interface with Pythia and detector simulation
 - generate a sample per hypothesis, require statistically independent samples anyway
 - at the point of discovery, we are working in a narrow mass range, would be a manageable amount of samples
 - good agreement w.r.t. Powheg+Pythia, both Powheg and JHUGen would require reweight with HqT



generator options – discussion

- Option: re-weight Powheg samples
 - practically, assign a weight for each event for each signal hypothesis w.r.t. the SM Higgs
 - analytically: use the ideal angular distributions to find weights for different hypotheses, advantage is very fast
 - requires some work on the phenomenological side
 - numerically: use JHUGen ME calculation to create event-by-event weights
 - $\text{weight} = \text{ME}(\text{hypothesis X}) / \text{ME}(\text{SM Higgs})$
 - technically is a bit awkward and requires some work to create such an interface
 - no statistically independent samples for proper statistical treatment
- Option: extend JHUGen
 - when we enter the systematically dominated regime, could extend JHUGen to NLO using same formalism



backup