

Inventory of BSM Higgs models: theory

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Outline

Purpose of the benchmark models

$M = 125$ GeV:

(a) Non-SM-Higgs-like objects consistent with 2011(-2012?) data

(b) SM-Higgs-like objects with modified couplings

→ interplay with Light mass Higgs subgroup

$M \neq 125$ GeV: Models to keep looking for
(Q: when should we stop looking at those?)

Discussion

Purpose of the benchmark models

Focus theory input to be most useful to experiments

- Provide well-defined targets for searches (e.g., spin-2 vs. spin-0)
- Find out the expt constraints on *well-motivated(?)* BSM models

Theorists like to recast expt Higgs results to test their favourite models; better to give expts what they need to do the full likelihood fit properly!

Feed into Light Mass Higgs subgroup:

constrained scenarios for Higgs coupling extraction fits

unconstrained fit has too many free parameters for early data

$M = 125$ GeV: Non-SM-Higgs-like objects

-Spin-2

-Spin-0 CP-odd (pseudoscalar)

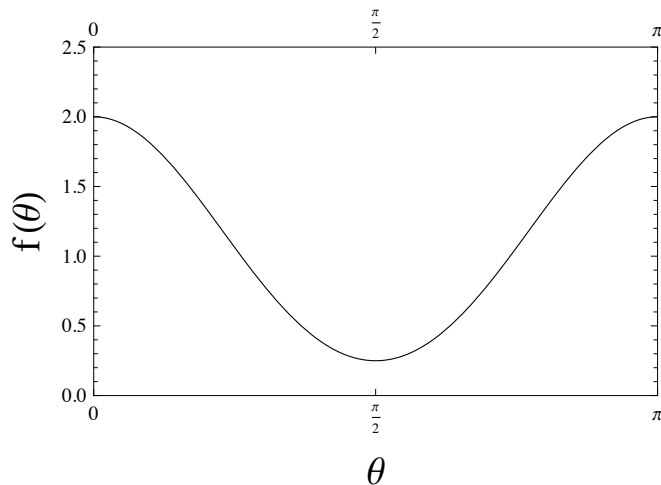
$M = 125$ GeV: Non-SM-Higgs-like objects: Spin-2

Test spin of Higgs-like object using angular distributions.

1) Diphoton signal: $gg \rightarrow X \rightarrow \gamma\gamma$ and/or $q\bar{q} \rightarrow X \rightarrow \gamma\gamma$

Spin-0: distribution of X decay products is flat in $\cos\theta^*$

Spin-2: distribution of X decay products is quartic in $\cos\theta^*$

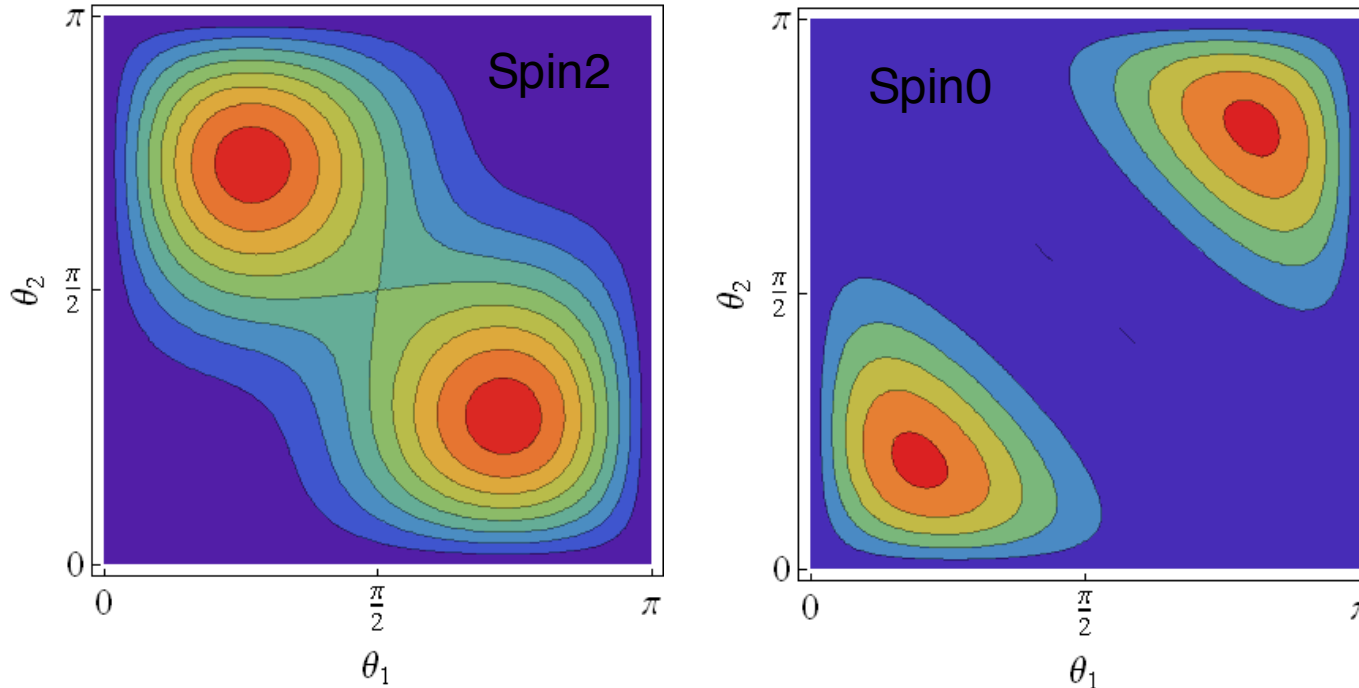


$$\frac{d\sigma}{d\Omega} \propto \frac{1}{4} + \frac{3}{2}\cos^2\theta + \frac{1}{4}\cos^4\theta$$

see, e.g., Ellis & Hwang [arXiv:1202.6660](https://arxiv.org/abs/1202.6660)

$M = 125$ GeV: Non-SM-Higgs-like objects: Spin-2

$$2) \quad gg \rightarrow X \rightarrow W^+W^- \rightarrow l^+l^-\bar{\nu}\nu$$



Spin-2 must be parity-even in coupling to $f\bar{f}$: $\sigma^{\mu\nu}$ tensor structure.

Spin-1: decay of on-shell spin-1 object to $\gamma\gamma$ is forbidden by Yang's theorem.

Q: what is needed from theorists?

Spin-2 $X \rightarrow ZZ^* \rightarrow 4f$, invariant mass distribution, off-shell?

$M = 125$ GeV: Non-SM-Higgs-like objects: Pseudoscalar

Models with two or more Higgs doublets contain a physical pseudoscalar (CP-odd Higgs) — e.g., A^0 in MSSM.

$gg \rightarrow A^0 \rightarrow \gamma\gamma$ can reproduce SM Higgs diphoton rate.

- 2HDM pseudoscalar (Type-I, -II, etc.)
- techni-pion (from technicolor)
- top-pion (from topcolor-assisted technicolor)
- pseudoscalar from condensing 4th generation
- more generic benchmark?

$A^0 WW$, $A^0 ZZ$ couplings are loop-induced: \ll SM.

→ look for absence of VBF $\rightarrow A^0$ and $A^0 \rightarrow WW/ZZ$.

same feature appears for non-vev-carrying CP-even H^0 in 2HDM.

CP-odd nature: coupling in Lagrangian is $A^0 F^{\mu\nu} \tilde{F}_{\mu\nu}$ (vs. $h^0 F^{\mu\nu} F_{\mu\nu}$).

Test CP-odd coupling from angular dist'n of converted photons?

Q: are angular distributions the same as for CP-odd $A^0 \rightarrow ZZ \rightarrow 4f$?

Q: are there any other handles, e.g., τ polarization?

$M = 125$ GeV: SM-Higgs-like objects

- 4th generation SM [by now excluded??]
- Fermiophobic, gaugephobic, top-phobic, bottom-phobic, etc.
- light dilaton
- Composite Higgs/SILH parameterization
- SM Higgs mixed with a singlet
- SM Higgs with invisible decays to dark matter
- Type-I 2HDM
- Type-II, lepton-specific, flipped 2HDMs
- “democratic” 3HDM
- Benchmark with enhanced/unequal WW/ZZ couplings? (custodial breaking?)

$M = 125$ GeV: SM-Higgs-like objects: Strategy

Most straightforward extension of existing SM Higgs analysis is introducing rate-scaling factors to apply to existing signal shape templates.

SM Higgs search already uses overall scaling factor $\mu \equiv \sigma/\sigma_{SM}$.

Most features of BSM SM-Higgs-like models can be captured by this procedure.

Exception is anything that modifies distributions, like new production modes, or non-SM decays that contaminate signal or background shapes.

Possible meeting-point for theory and experiment:

Do the likelihood fit with larger sets of scaling factors μ_i .

Model predictions \rightarrow a few free parameters that control μ_i .

Specific models more constrained than completely-general fit.

Can actually say something useful before full Light Mass Higgs fit is achieved.

$M = 125$ GeV: SM-Higgs-like objects: Rescaled search

$\frac{\sigma_{NLO}}{\sigma_{SM}} \frac{\sigma_{SM}}{\sigma_{NLO}}$

The QCD NLO rescale trivially in the flavor universal limit.
 Not the EW NLO

$\Gamma(H \rightarrow f\bar{f}) = c^2 \Gamma^{SM}(H \rightarrow f\bar{f}),$
 $\Gamma(H \rightarrow VV) = a^2 \Gamma^{SM}(H \rightarrow VV),$
 $\Gamma(H \rightarrow gg) = c^2 \Gamma^{SM}(H \rightarrow gg),$
 $\Gamma(H \rightarrow \gamma\gamma) = \left(\frac{cI_\gamma + aJ_\gamma}{I_\gamma + J_\gamma} \right)^2 \Gamma^{SM}(H \rightarrow \gamma\gamma),$

$\simeq (1.26a - 0.26c)^2$
 for $m_H=125\text{GeV}$

- Q: correlations among the individual channels?
- Q: combination of individual rescaled channels?
- Q: combination of 7 and 8 TeV data sets?

$M = 125$ GeV: SM-Higgs-like objects: Models

1) 4th generation SM

- All Higgs couplings to SM particles are the same as in SM.
- New contributions in the gg , $\gamma\gamma$ loops from 4th-gen fermions: predicted with **no free parameters** (except for small dependence on 4th-gen masses).

Generalize this: all tree-level couplings same as SM, but new physics in loops: 2 free parameters,

$$R_g = \Gamma(h \rightarrow gg)/\Gamma^{\text{SM}}(h \rightarrow gg) = \sigma(gg \rightarrow h)/\sigma^{\text{SM}}(gg \rightarrow h),$$

$$R_\gamma = \Gamma(h \rightarrow \gamma\gamma)/\Gamma^{\text{SM}}(h \rightarrow \gamma\gamma).$$

Fit these 2 free parameters \rightarrow test for new physics only in loops.

4th gen: invisible decay to 4th-gen neutrinos also possible: reduces rate to all visible final states through invisible component of Higgs total width.

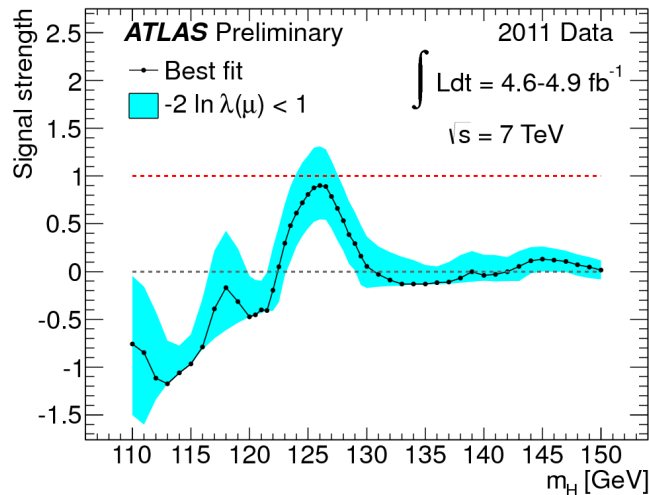
$M = 125$ GeV: SM-Higgs-like objects: Models

2) SM Higgs mixed with a singlet:

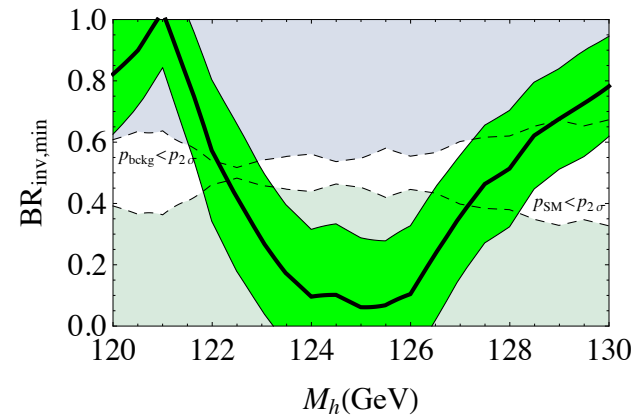
Overall 1-parameter scaling of all couplings by $0 \leq a \leq 1$.

BRs stay unchanged; rates scaled by $a^2 \equiv \mu = \sigma/\sigma_{SM}$

– SM Higgs with unobserved/invisible decays (e.g. to dark matter) fits into the same framework: production rates unchanged; BRs scaled by $\Gamma_{SM}/(\Gamma_{SM} + \Gamma_{new}) \equiv \mu = \sigma/\sigma_{SM}$ unless new decay mode is picked up by SM signal/background selections and modifies kinematic shapes.



ATLAS-CONF-2012-019



Espinosa et al to appear

$M = 125$ GeV: SM-Higgs-like objects: Models

3) Light dilaton: pseudo-goldstone boson of spontaneously-broken scale invariance (EWSB from conformal strong-dynamics theory)

Phenomenologically: a hybrid of previous two frameworks.

– All tree-level SM couplings scaled by a common factor $a \equiv v/f$.

– New stuff in gg , $\gamma\gamma$ loops from conformal-breaking scale: large loop scaling factors R_g , R_γ , predicted by model.

$$R_g = 140 \times (v/f)^2, R_\gamma = 2.43 \times (v/f)^2 \text{ for } M_\chi = 125 \text{ GeV}$$

Only **1 free parameter**, $a \equiv v/f$. observed $\gamma\gamma$ rate $\rightarrow f \simeq 900$ GeV

No SM-like limit: VBF suppressed, $WW/\gamma\gamma \simeq 0.5 \times$ SM

Could generalize framework by allowing free R_g , R_γ .

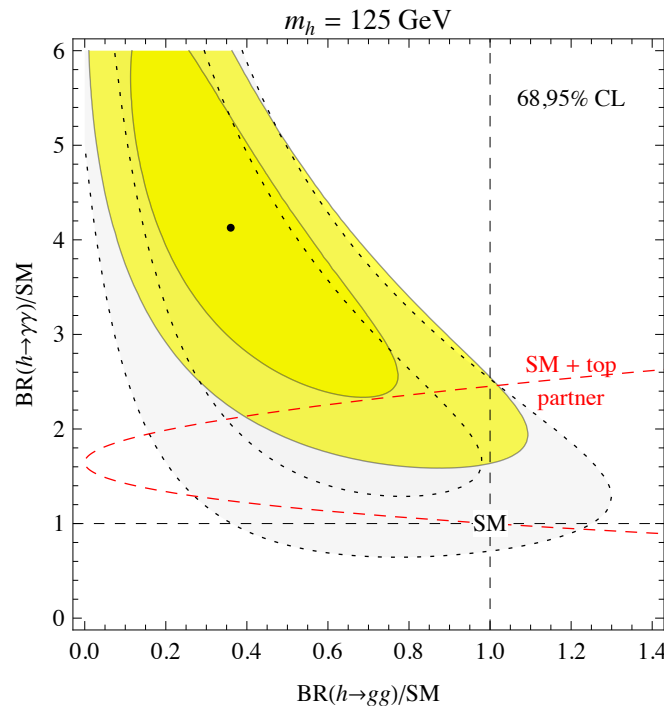
(Unique prediction above relies on assumption that SM gauge interactions are part of the conformal sector at higher energies.)

$M = 125$ GeV: SM-Higgs-like objects: Models

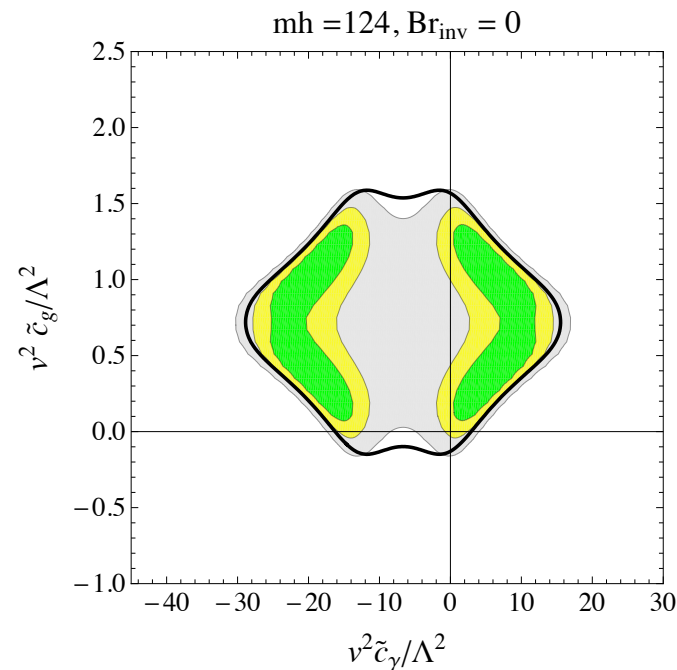
Could generalize framework by allowing free R_g, R_γ .

(Unique prediction above relies on assumption that SM gauge interactions are part of the conformal sector at higher energies.)

$$\mathcal{L} = -\frac{\tilde{c}_\gamma e^2}{32\pi^2\Lambda^2} H^\dagger H F_{\mu\nu} F^{\mu\nu} - \frac{\tilde{c}_g g_s^2}{32\pi^2\Lambda^2} H^\dagger H G_{\mu\nu}^a G^{a\mu\nu}$$



Giardino et al [arXiv:1203.4254](https://arxiv.org/abs/1203.4254)

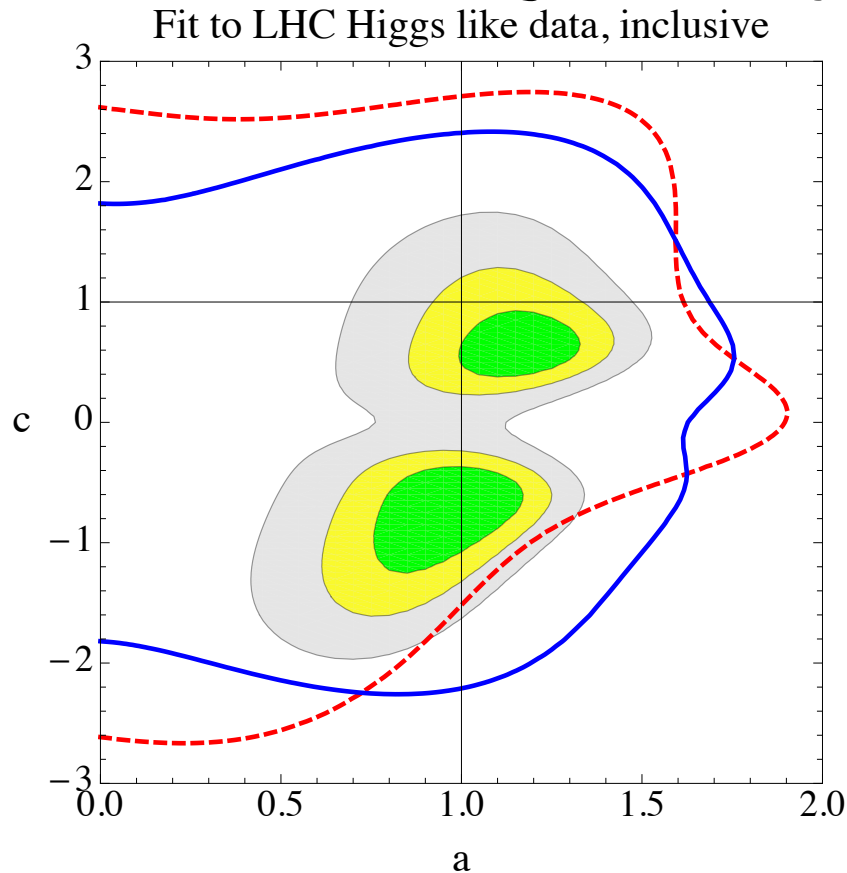


Espinosa et al to appear

$M = 125$ GeV: SM-Higgs-like objects: Models

4) Effective Lagrangian for minimal scalar coupled to EWSB:
(appears in composite-Higgs models): 2 free parameters

hWW , hZZ couplings scaled by a , $h\bar{f}f$ couplings scaled by c



Fermiophobic is $c = 0$, $a = 1$

Gaugephobic is $c = 1$, $a = 0$

Type-I 2HDM: almost the same.

$$a = \sin(\beta - \alpha)$$

$$c = \cos \alpha / \sin \beta$$

H^+ gives small additional contribution to $h \rightarrow \gamma\gamma$ loop

Espinosa, Grojean, Mühlleitner & Trott, 1202.3697 [hep-ph]

$M = 125$ GeV: SM-Higgs-like objects: Models

5) Type-II, lepton-specific, “flipped” 2HDMs:

2 free parameters plus small contribution of H^\pm to $h \rightarrow \gamma\gamma$ loop

$$hWW, hZZ \sim a = \sin(\beta - \alpha)$$

$$\text{Type-II: } h\bar{t}t \sim c_1 = \cos\alpha / \sin\beta; h\bar{b}b, h\tau\tau \sim c_2 = -\sin\alpha / \cos\beta$$

has a top-phobic limit

$$\text{Leptonic: } h\bar{t}t, h\bar{b}b \sim c_1; h\tau\tau \sim c_2 \quad \text{has a tau-phobic limit}$$

$$\text{Flipped: } h\bar{t}t, h\tau\tau \sim c_1; h\bar{b}b \sim c_2 \quad \text{has a bottom-phobic limit}$$

Can expand framework by mixing h with inert singlet or doublet, or generalizing to $h\bar{t}t \sim c_1, h\bar{b}b \sim c_2, h\tau\tau \sim c_3$.

see, e.g., Barger, Logan & Shaughnessy, PRD79, 115018 (2009)

$M \neq 125$ GeV: Models to keep looking for

It's nice to have a no-parameter model as a target, but there are not a lot of these.

- 4th-generation SM [ruled out??]

1-parameter models with suppressed rates to WW , ZZ :

- SM-like Higgs mixed with a singlet
 - the orthogonal combination has to be somewhere...
- SM-like Higgs with invisible decays to dark matter
- Dilaton with higher conformal-breaking scale
 - weaker couplings to SM

Other models:

- Top-Higgs with decays to top-pions
- General 2HDM frameworks
 - coupling sum rules of h and H could provide an ultimate exclusion target

Discussion

- Plans to define our benchmark models
- What needs to be provided from the theory side
- ...