

Diffractive Dijets Production HERA vs LHeC

Radek Žlebčík
Charles University
Prague

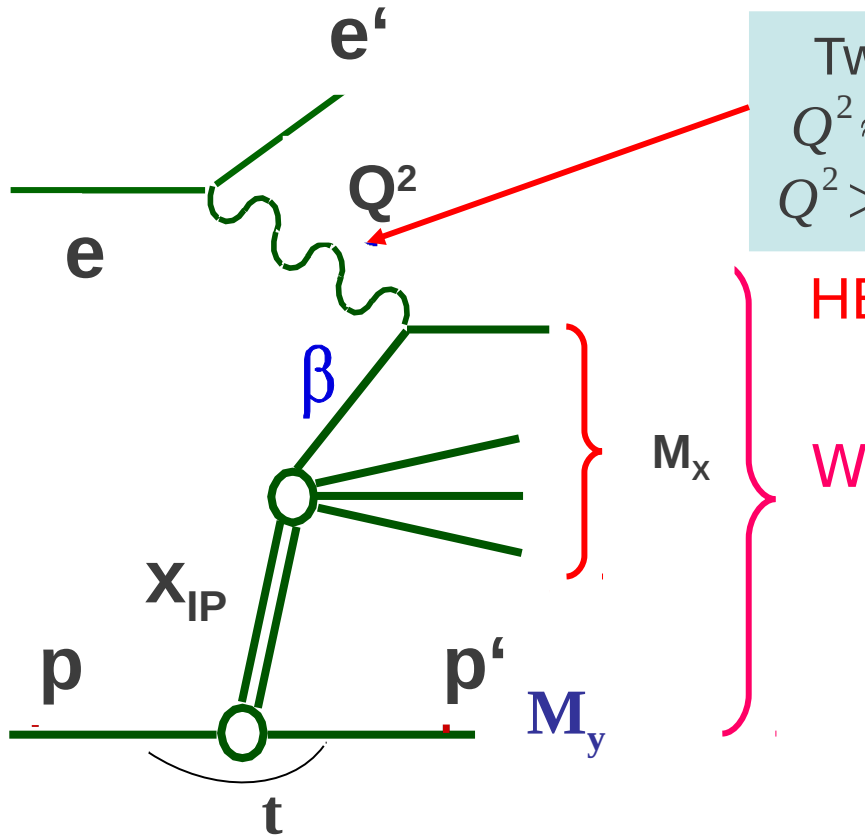
***CERN-ECFA-NuPECC
Workshop on the LHeC***



Chavannes-de-Bogis
Switzerland
June 14-15, 2012



Kinematics of Inclusive Diffraction



Two kinematic regions of diffractive events:
 $Q^2 \approx 0 \rightarrow$ photoproduction (PHO)
 $Q^2 \gg 0 \rightarrow$ deep inelastic scattering (DIS)

HERA: ~10% of low-x DIS events diffractive

Momentum fraction of the diffractive exchange

$$x_{IP} = \frac{q \cdot (p - p')}{q \cdot p} \approx \frac{Q^2 + M_X^2}{Q^2 + W^2} \approx 1 - \frac{E_{p'}}{E_p}$$

Fraction of exchange momentum entering hard subprocess

$$\beta = \frac{x}{x_{IP}} \approx \frac{Q^2}{Q^2 + M_X^2}$$

$M_Y = m_p$ proton stays intact, needs detector setup to detect protons

$M_Y > m_p$ proton dissociates, approx. 20 % in H1 LRG measurement

4-momentum transfer squared $t = (p - p')^2 \approx -p_T'^2$

Zero-order process $\gamma^* q \rightarrow q'$ dominates

Usually $x_{IP} \approx 0.01$ $|t| \ll 1 \text{ GeV}^2$

Factorization in Diffraction

QCD factorization holds for inclusive and exclusive processes if:

- photon is point-like (Q^2 is high enough)
 - higher twist corrections are negligible (problems for small Q^2 around $\beta \simeq 1$)
- QCD factorization theoretically proven for DIS (Collins 1998)

$$d\sigma^D(\gamma p \rightarrow Xp) = \sum_{parton_i} f_i^D(\beta, Q^2, x_{IP}, t) * d\hat{\sigma}^{\gamma i}(x, Q^2)$$

f_i^D DPDFs, obeys DGLAP evolution, process independent

$d\hat{\sigma}^{\gamma i}$ Process dependent partonic x-section, calculable within pQCD

In addition to DGLAP evolution, **Regge vertex factorization** is assumed:

$$f_i^D(\beta, Q^2, x_{IP}, t) = f_{IP/p}(x_{IP}, t) \cdot f_i^{IP}(\beta, Q^2)$$

$$f_{IP/p}(x_{IP}, t) = \frac{e^{Bt}}{x_{IP}^{2\alpha(t)-1}}$$

$$\alpha(t) = \alpha_0 + \alpha' t$$

Pomeron flux factor
Parametrization inspired
by „old“ Regge theory

Pomeron PDF
Obey DGLAP
evolution

DIS Dijets and DPDFs

$$f_i^D(\beta, Q^2, x_{IP}, t) \rightarrow f_i^D(z_{IP}, \mu_f^2, x_{IP}, t)$$

Pomeron four-momentum fraction entering hard matrix element

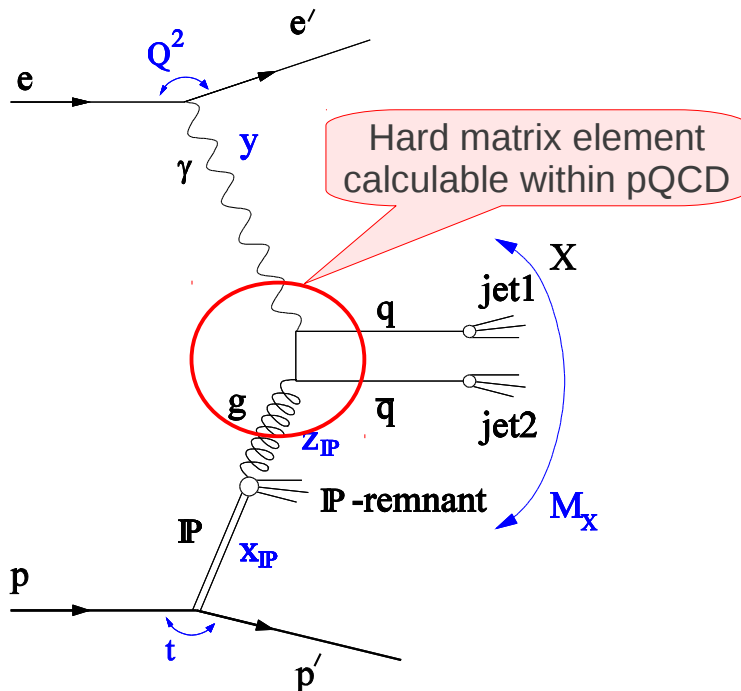
$$z_{IP} = \frac{Q^2 + M_{12}^2}{Q^2 + M_X^2}$$

Various choices of hard scale exist

$$\mu_f^2 = (E_T^{\text{jet1}})^2$$

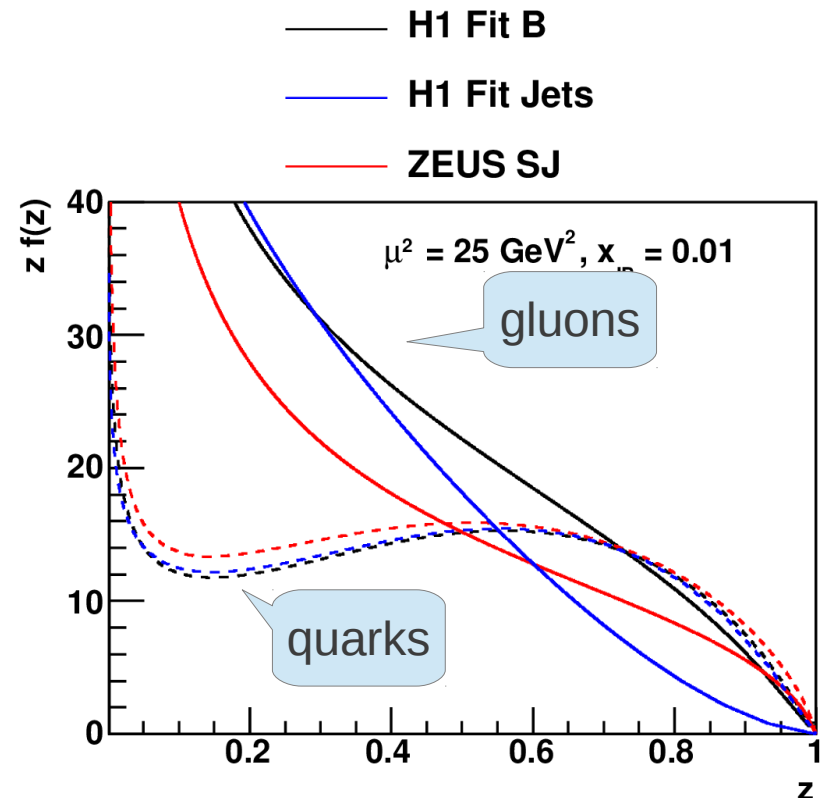
$$\mu_f^2 = Q^2 + (E_T^{\text{jet1}})^2$$

$$\mu_f^2 = (E_T^{\text{jet1}})^2 + 4m_q^2$$



First-order process $\gamma^* g \rightarrow q \bar{q}$ dominates

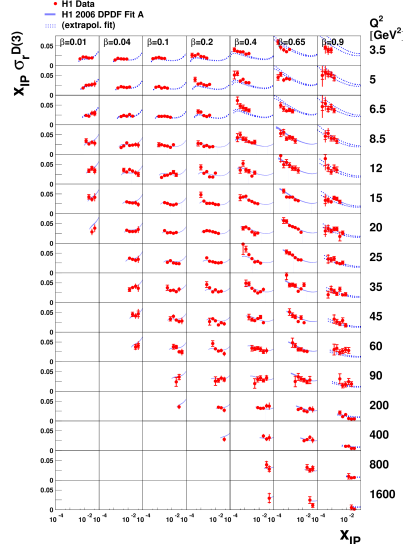
Large discrepancies between recent fits for gluon contribution



Dijets Are Useful

- For diffraction identified by LRG t is not measured, known only upper limit

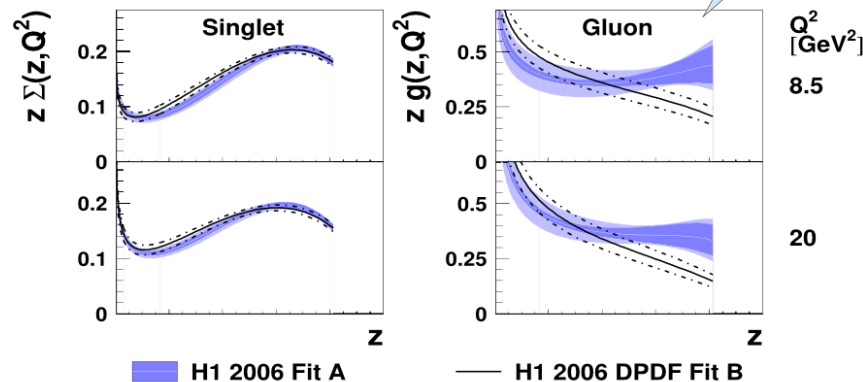
Inclusive measurement $\sigma_r(\beta, Q^2, x_{IP})$



QCD fit

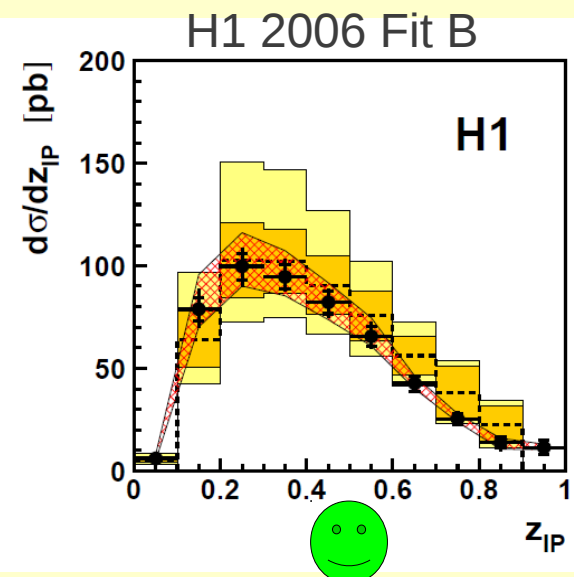
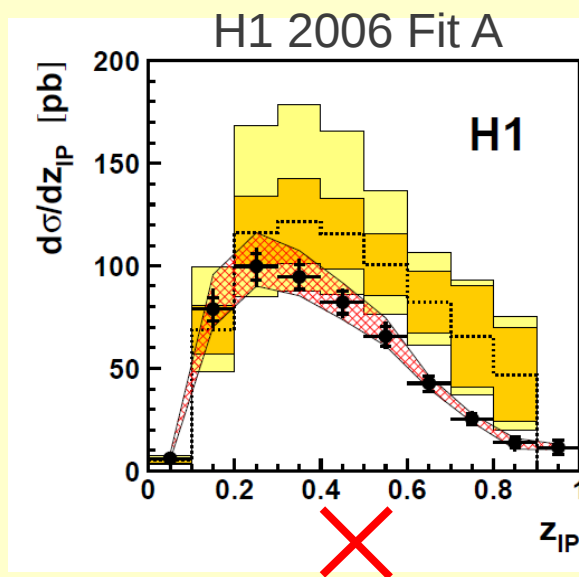


Two fits with different parametrization but equal χ^2



Let's see the predictions for DIS dijets data

Dijet measurement determines, due to high fraction of BGF processes, gluon-PDF much better !



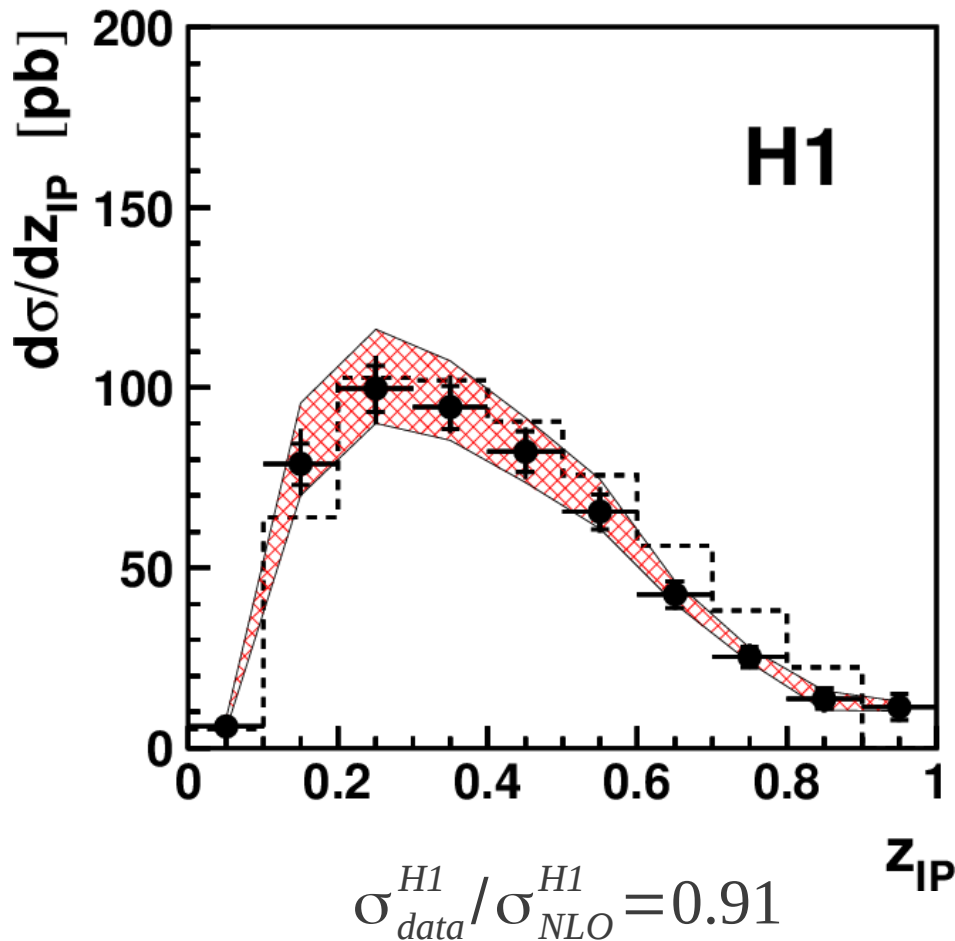
H1 vs ZEUS for DIS Dijets

- Factorization within theoretical scale uncertainties holds for both collaboration for H1 2006 Fit B (used in rest of presentation)
- H1 and ZEUS data compatible

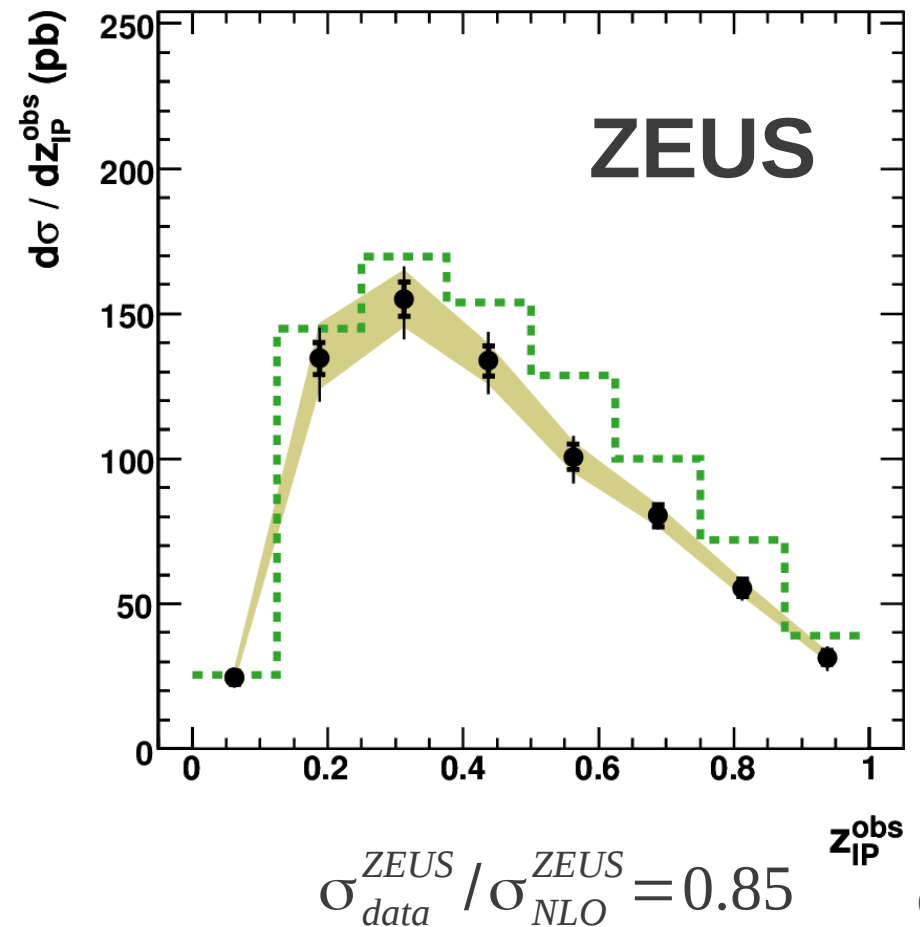
Large theoretical scale uncertainties
not plotted (see previous slide)

$$\frac{\sigma_{data}^{H1} / \sigma_{NLO}^{H1}}{\sigma_{data}^{ZEUS} / \sigma_{NLO}^{ZEUS}} = 1.06$$

Eur. Phys. J. C51 (2007) 549



Eur. Phys. J. C52 (2007) 813

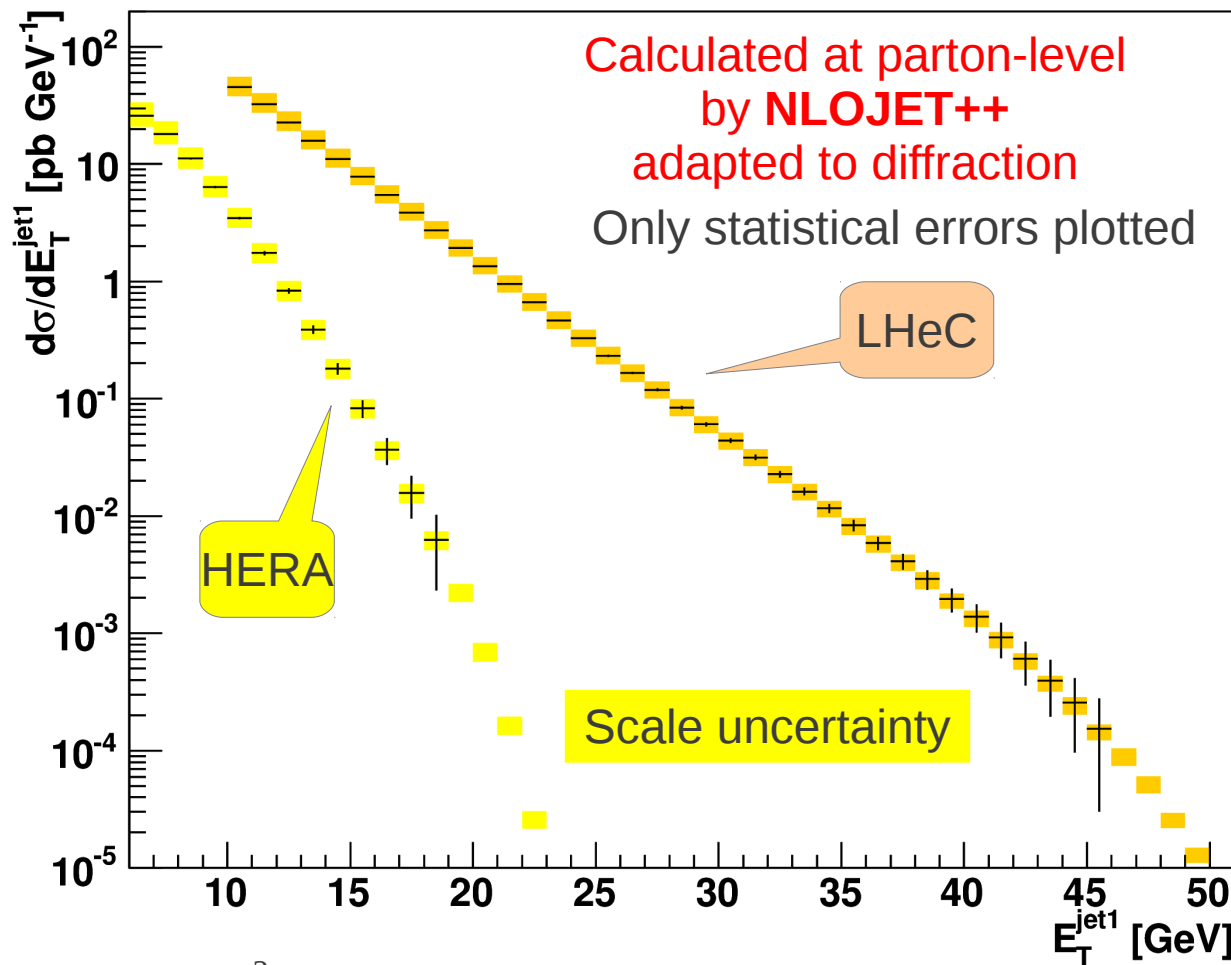
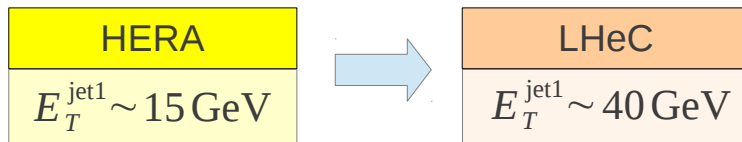


Plotted correlated (color band) and uncorrelated data errors

DIS Dijets HERA vs LHeC

Comparison of Synthetic Data

- Higher CMS energy makes higher scales accessible



$Q^2 > 4$ for LHeC reduced σ by $\sim 20\%$

920 + 27.5 HERA (400 pb^{-1})

$$Q^2 > 4 \text{ GeV}^2 \wedge 0.1 < y < 0.7$$

$$x_{IP} < 0.03 \wedge |t| < 1 \text{ GeV}^2$$

$$M_Y < 1.6 \text{ GeV}$$

$$E_T^{\text{jet1}} > 6 \text{ GeV}$$

$$E_T^{\text{jet2}} > 4 \text{ GeV}$$

$$-1 < \eta^{\text{jets}} < 2$$

7000 + 60 LHeC (10 fb^{-1})

$$Q^2 > 2 \text{ GeV}^2 \wedge 0.1 < y < 0.7$$

$$x_{IP} < 0.01 \wedge |t| < 1 \text{ GeV}^2$$

$$M_Y < 1.6 \text{ GeV}$$

$$E_T^{\text{jet1}} > 10 \text{ GeV}$$

$$E_T^{\text{jet2}} > 6.5 \text{ GeV}$$

$$-3 < \eta^{\text{jets}} < 3$$

$$Q^2 > 2 \text{ GeV}^2 \rightarrow \theta_{el} < 178.5^\circ$$

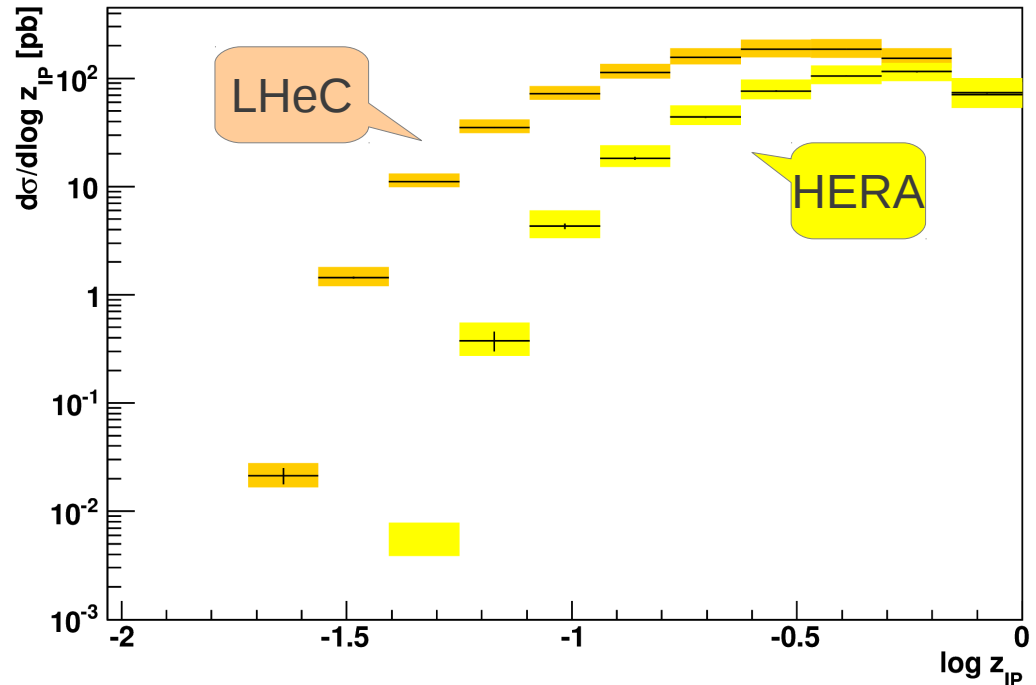
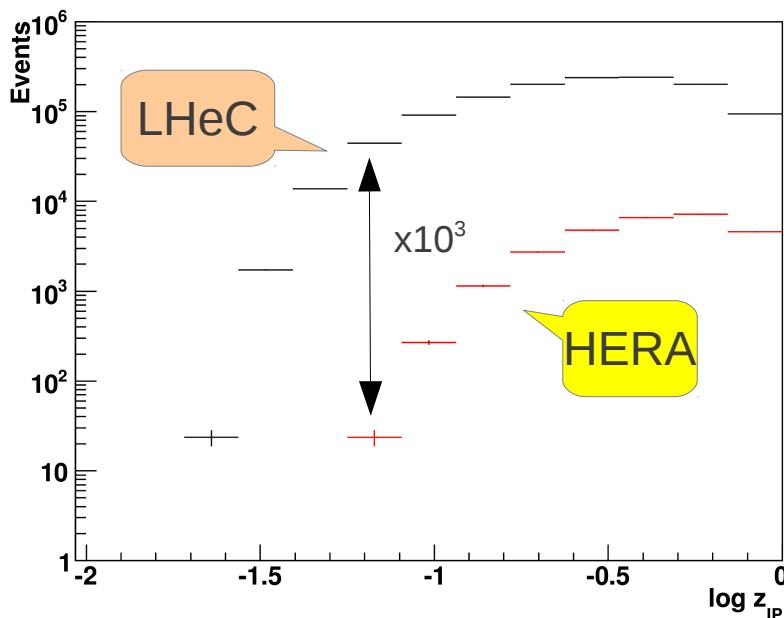
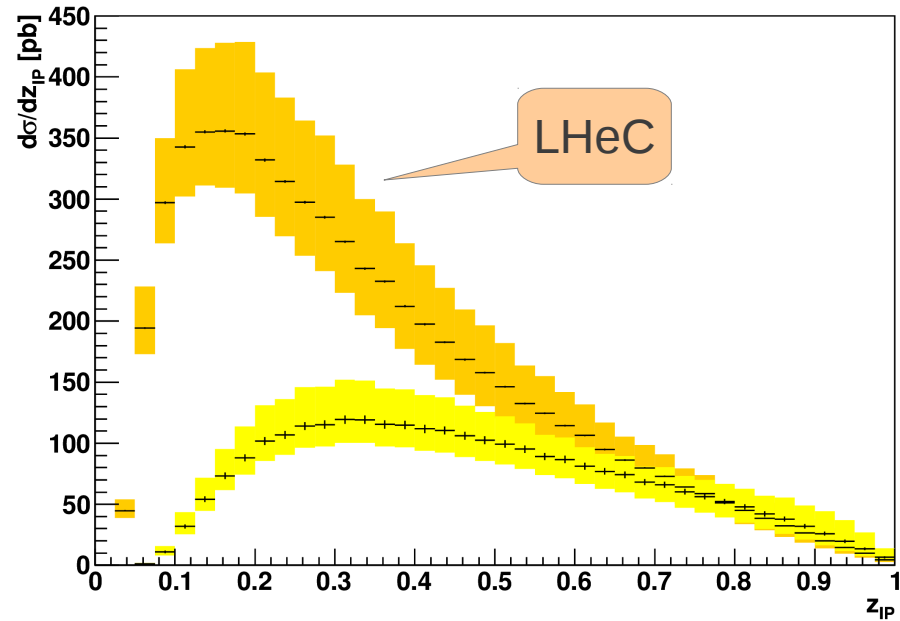
$$Q^2 > 4 \text{ GeV}^2 \rightarrow \theta_{el} < 176.5^\circ$$

DIS Dijets HERA vs LHeC

- At LHeC much higher statistics for small z_{IP} , where gluon-PDF weakly constrained from inclusive measurement, dominates
- High z_{IP} and low Q^2 region sensitive to the possible higher twist effect
- Access to small z_{IP} depends on ability of measurement of small E_T jets

$$z_{IP}^{\min} \simeq \frac{(E_T^{\text{jet1}(\min)} + E_T^{\text{jet1}(\min)})^2}{x_{IP}^{\max} y^{\max} s}$$

HERA	LHeC
$z_{IP} \sim 0.07$	$z_{IP} \sim 0.02$



Diffractive Dijet Photoproduction

Direct

No photon remnant

$x_\gamma = 1$ (at parton-level)

Dominant for high Q^2
(near DIS region)

- Division of γ -PDF to point- and hadron-like part depends on starting scale in DGLAP evol. of the fit

Resolved

photon remnant

$x_\gamma < 1$

Dominant for low Q^2 , γ -PDF introduced:

Point like-part

Generated by inhomogeneous term in DGLAP for photon, dom.:

$0.2 < x_\gamma < 1$

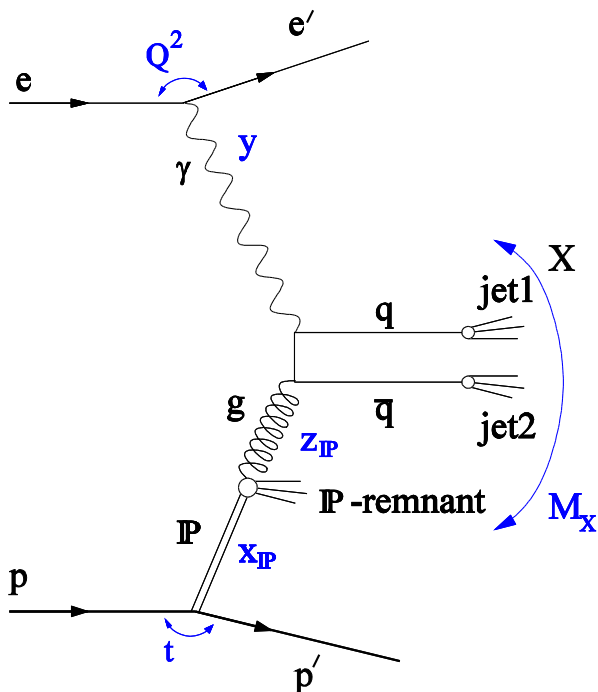
Suppression of ~ 0.6

Hadron-like part

Photon fluctuated into hadronic bounded state, dominates for:

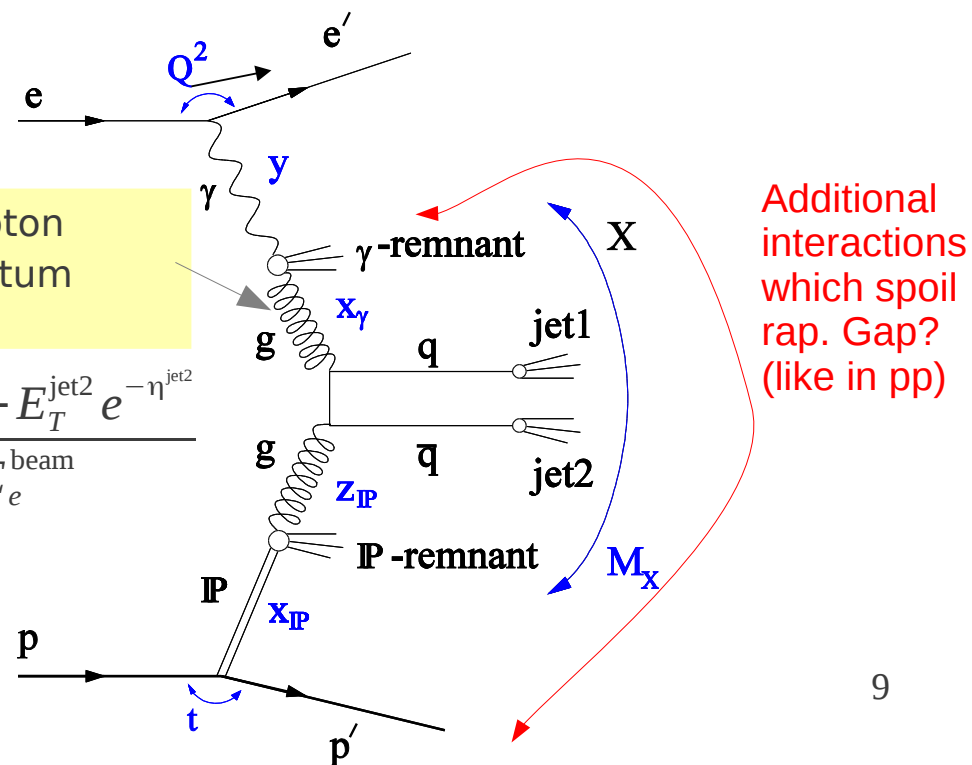
$x_\gamma < 0.2$

Suppression of 0.34



x_γ - photon momentum fraction

$$x_\gamma = \frac{E_T^{\text{jet1}} e^{-\eta^{\text{jet1}}} + E_T^{\text{jet2}} e^{-\eta^{\text{jet2}}}}{2y E_e^{\text{beam}}}$$



H1 vs ZEUS for PHO Dijets

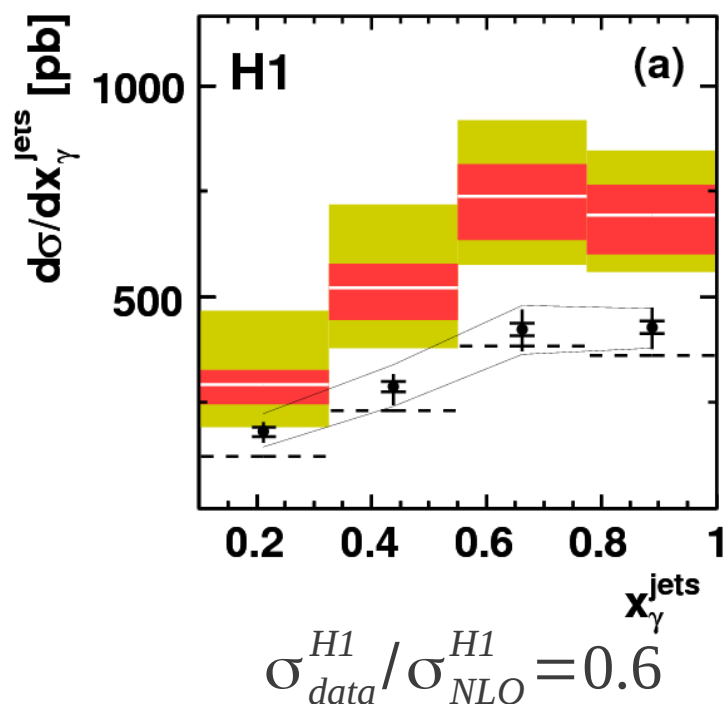
- Factorization breaking **observed by H1** but **do not observed by ZEUS**
- Data of both collaborations seem to be incompatible

The newest theoretical prediction of suppression by KKMR for γ -PDF
 Quarks – 0.71 (0.75) , for $E_T^{jet1} > 5 \text{ GeV}$ ($E_T^{jet1} > 7.5 \text{ GeV}$)
 Gluons – 0.53 (0.55) H1 (ZEUS)

EJP 66 (2010), 373

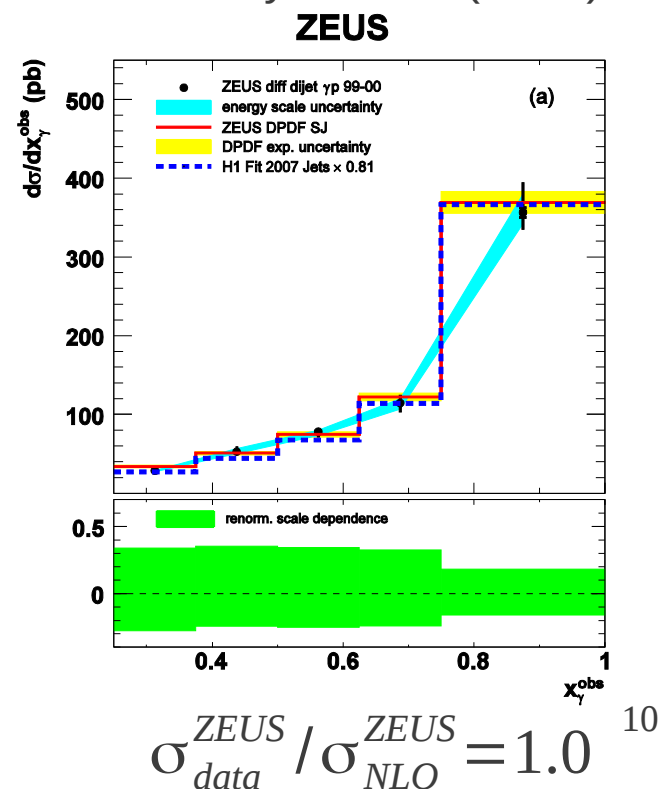
- The suppression is supposed to be stronger at low scales and low x_γ

Eur. Phys. J. C68 (2010) 381



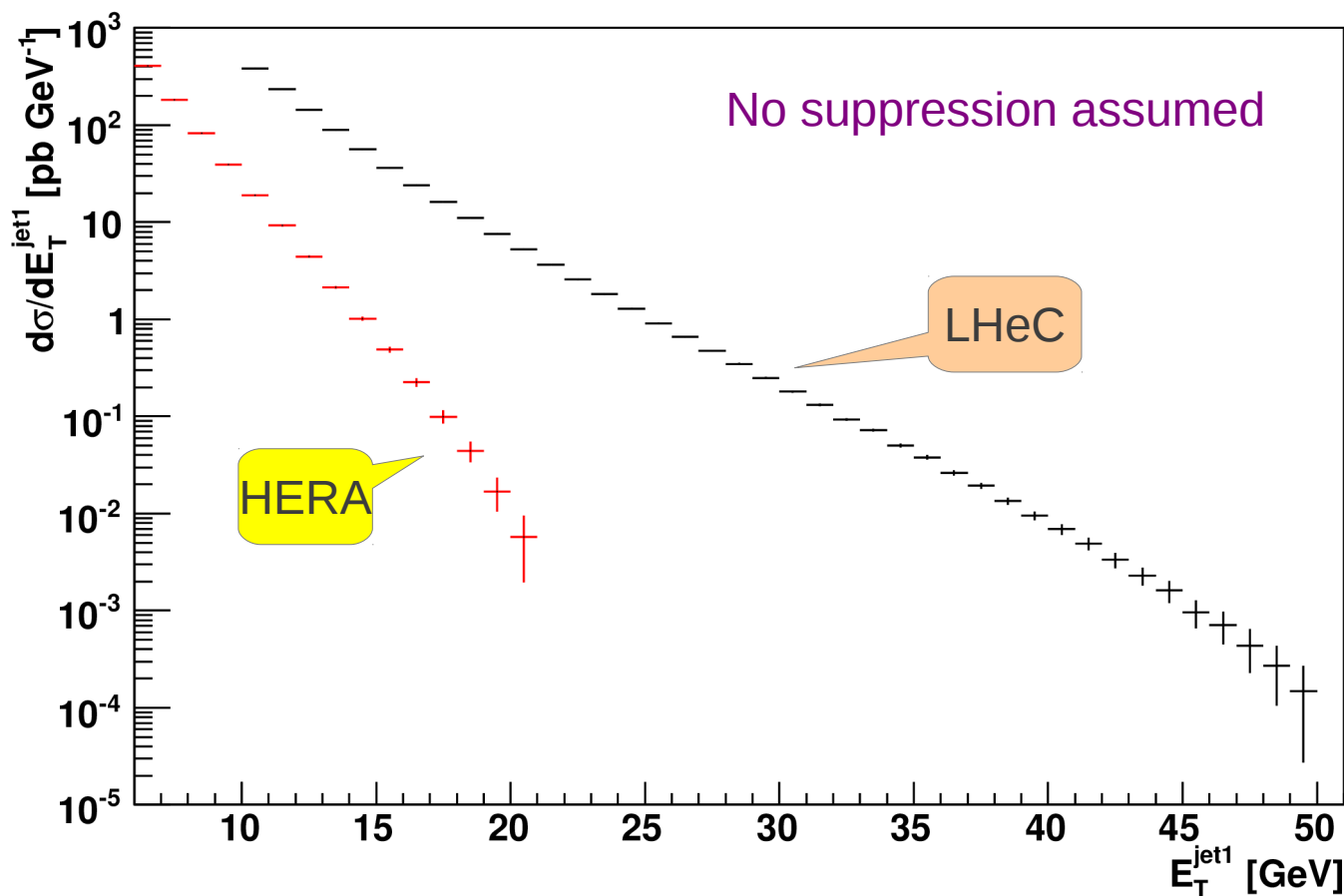
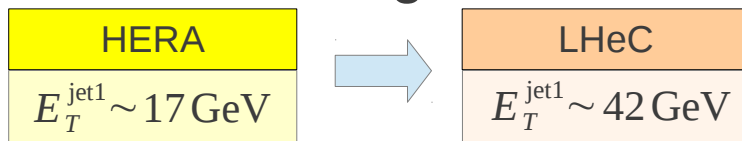
$$\frac{\sigma_{data}^{H1} / \sigma_{NLO}^{H1}}{\sigma_{data}^{ZEUS} / \sigma_{NLO}^{ZEUS}} = 0.6$$

Nucl. Phys. B381 (2010)



PHP Dijets HERA vs LHeC

- Due to much higher E_T^{jet} jets at LHeC is LHeC better tool to investigate possible factorisation breaking



Calculated at parton-level
by **Frixione NLO**
adapted to diffraction

920 + 27.5 HERA (400 pb^{-1})

$$Q^2 < 2 \text{ GeV}^2 \wedge 0.2 < y < 0.8$$

$$x_{IP} < 0.03 \wedge |t| < 1 \text{ GeV}^2$$

$$M_Y < 1.6 \text{ GeV}$$

$$E_T^{\text{jet1}} > 6 \text{ GeV}$$

$$E_T^{\text{jet2}} > 4 \text{ GeV}$$

$$-1 < \eta^{\text{jets}} < 2$$

7000 + 60 LHeC (10 fb^{-1})

$$Q^2 < 2 \text{ GeV}^2 \wedge 0.2 < y < 0.8$$

$$x_{IP} < 0.01 \wedge |t| < 1 \text{ GeV}^2$$

$$M_Y < 1.6 \text{ GeV}$$

$$E_T^{\text{jet1}} > 10 \text{ GeV}$$

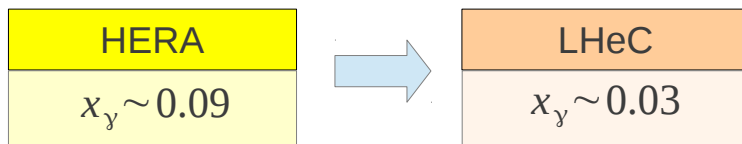
$$E_T^{\text{jet2}} > 6.5 \text{ GeV}$$

$$-3 < \eta^{\text{jets}} < 3$$

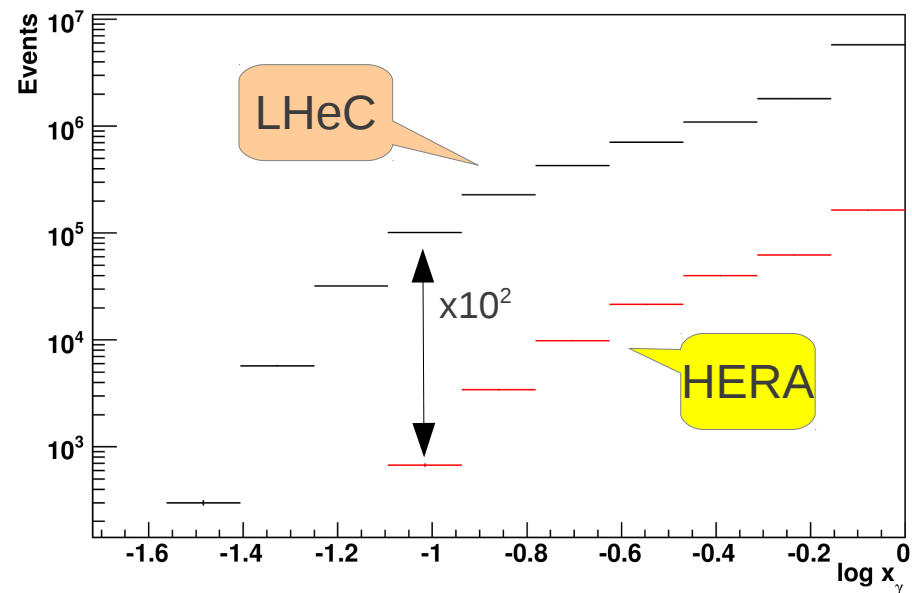
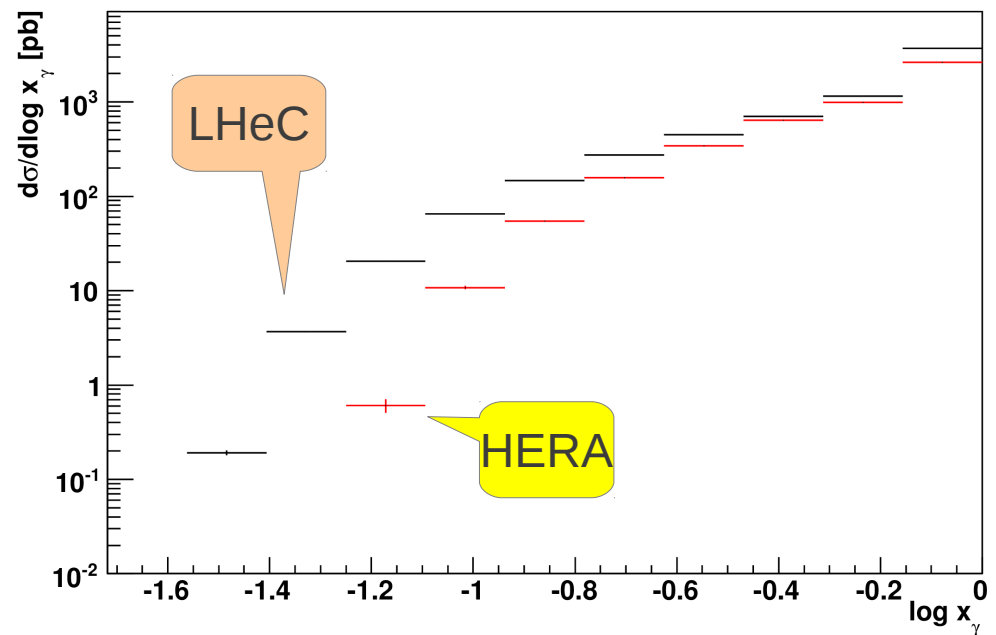
Only statistical errors of synthetic data depicted
No acceptance and detector smearing effects take into account

PHP Dijets HERA vs LHeC

- From theory is expected the suppression factor should be x_γ - dependent
- Neither** HERA experiment has seen such dependence (due to resolution and smearing?)
- At small scales and small x_γ the resolved part of γ -PDF is not negligible and it is supposed to be suppressed by pp-like rapidity gap survival probability factor (0.34 for ep at HERA, see KKMR)



With electron tagger much smaller $\langle Q^2 \rangle$
 Higher fraction of theoretically interesting
resolved part



Conclusions

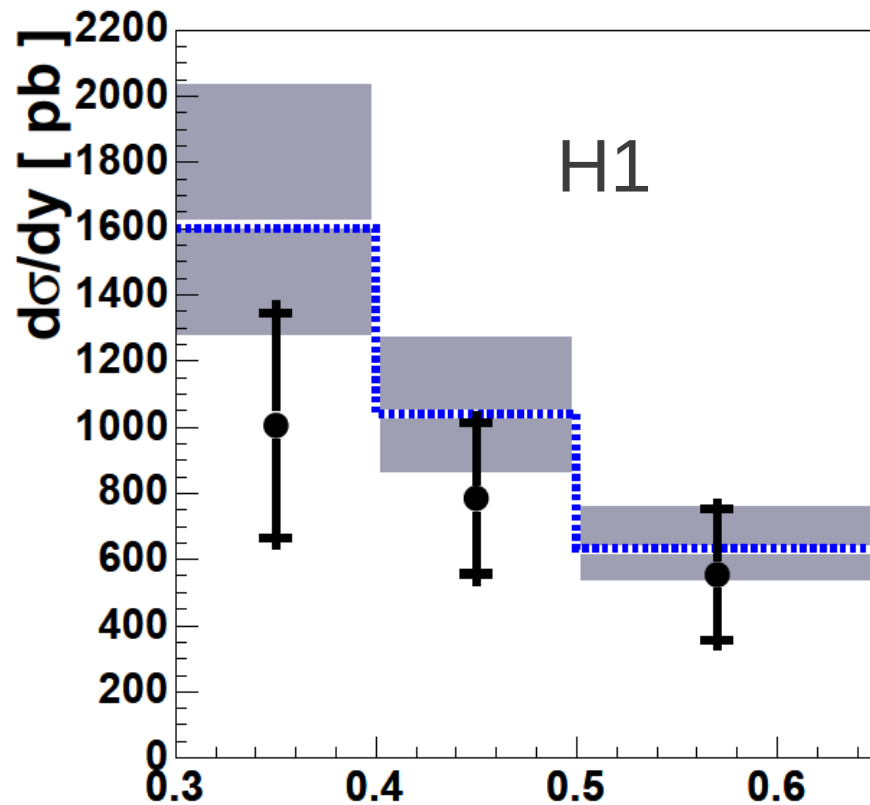
- DIS dijet measurement at LHeC can improve gluon-DPDF precision, mainly for very small z_{IP} (not accessible by HERA)
- High-energy high-luminosity LHeC data can allow more precise studies of diffractive factorization breaking specially in “problematic” photoproduction region
- Inconsistencies between HERA collaborations concerning of factorization can be definitely solved because only one experiment at LHeC will exist 😊 .

D* in Diffractive Photoproduction

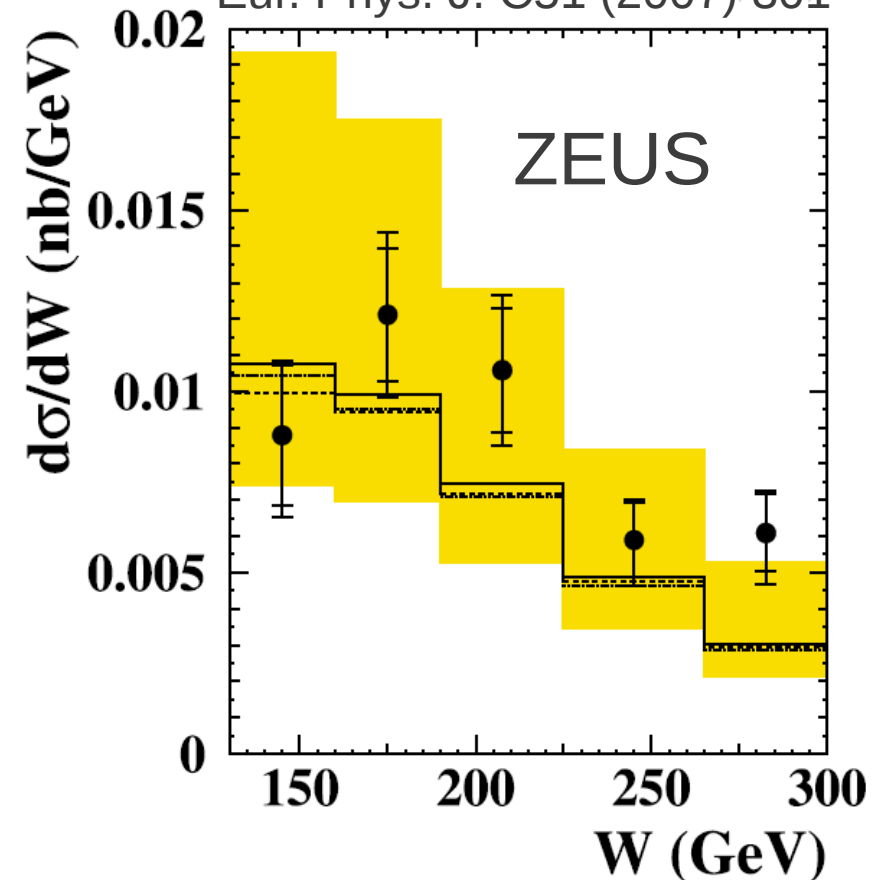
Low statistics in measurement of both collaborations

Does the factorization hold here?

Eur. Phys. J. C50 (2007) 1



Eur. Phys. J. C51 (2007) 301



$$\frac{\sigma_{data}^{H1} / \sigma_{NLO}^{H1}}{\sigma_{data}^{ZEUS} / \sigma_{NLO}^{ZEUS}} = 0.55 \pm 0.21$$

Hopefully LHeC measurement could answer