

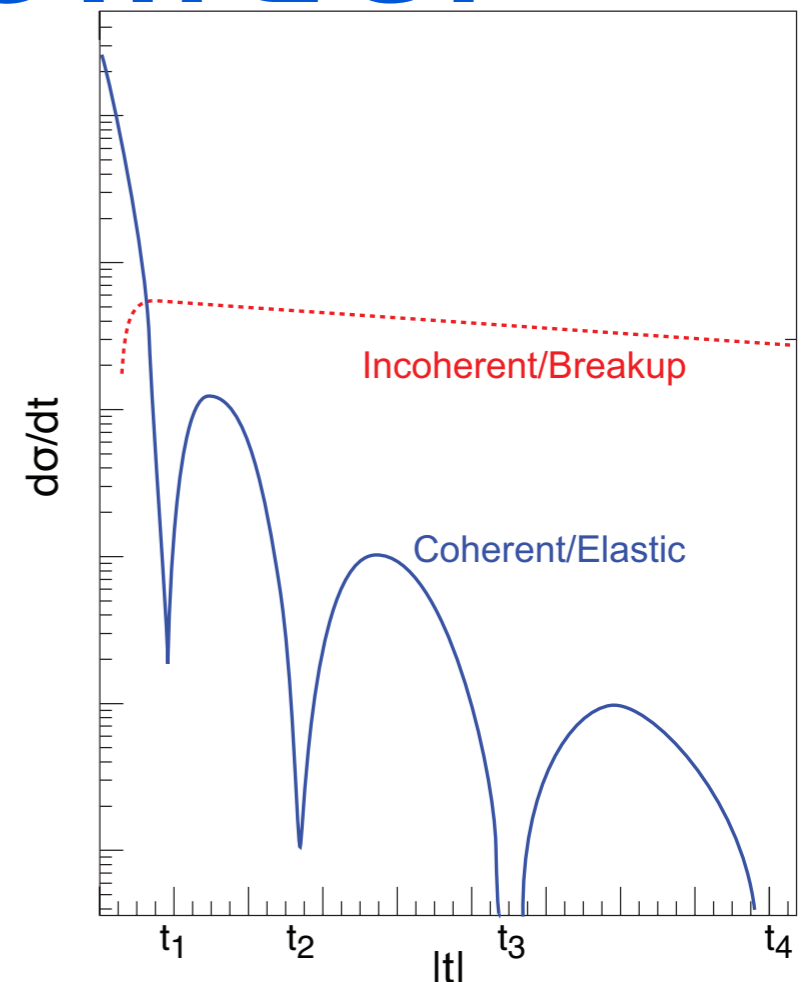
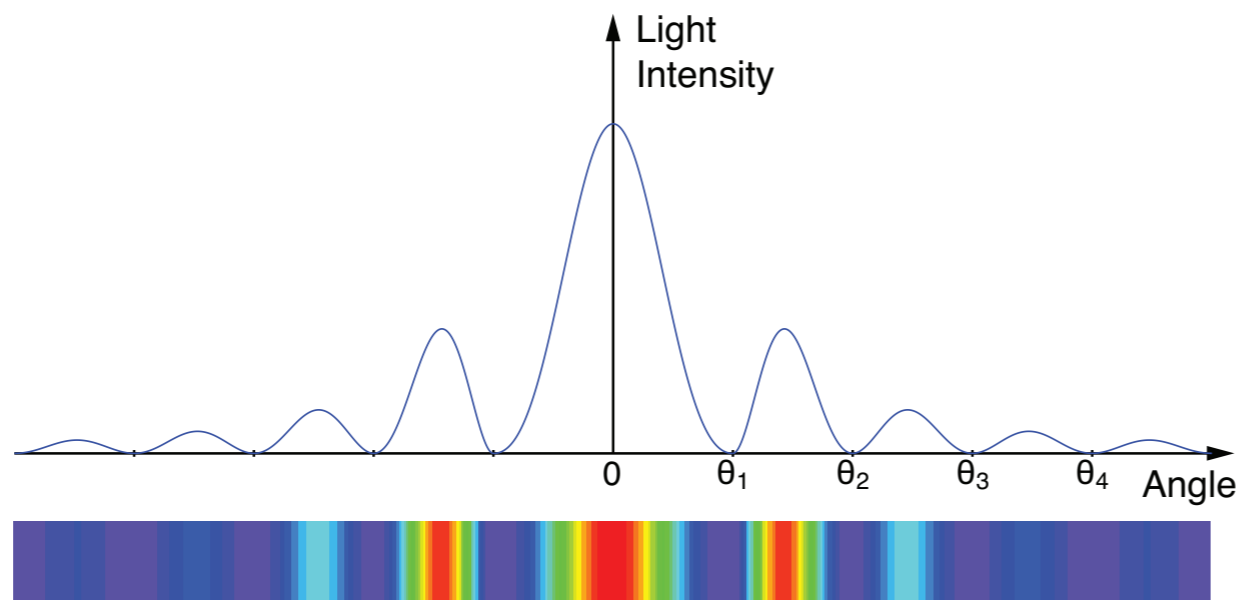
# eRHIC



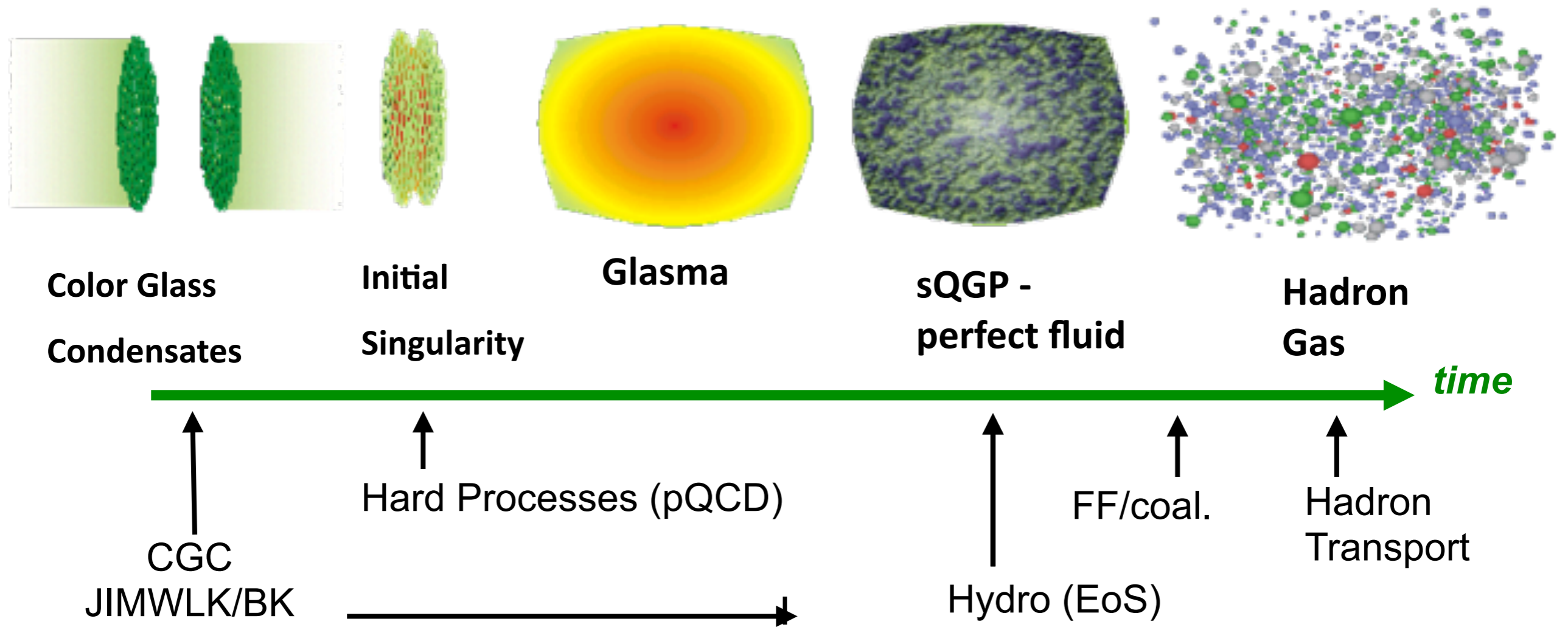
## understanding the nuclear initial state with an electron ion collider

hot quarks 2012

tobias toll



# “standard model of heavy ion collisions”



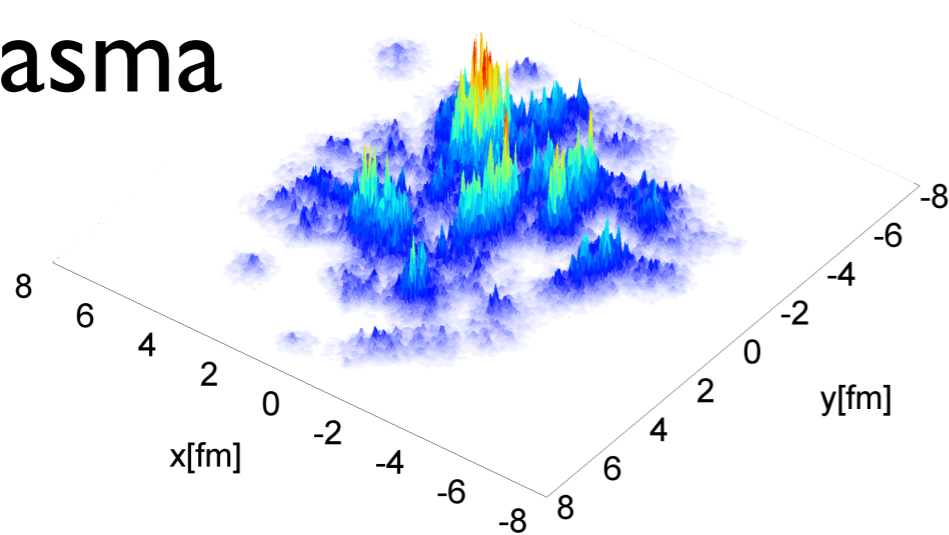
our **understanding** of some **fundamental** properties of the glasma, sQGP, and hadron gas depend strongly on our knowledge of the initial state!

# 3 conundrums of the initial state:

1. what is the spatial transverse distributions of gluons?
2. how much does the spatial distribution fluctuate?  
lumpiness, hot-spots etc.
3. how saturated is the initial state of the nucleus?

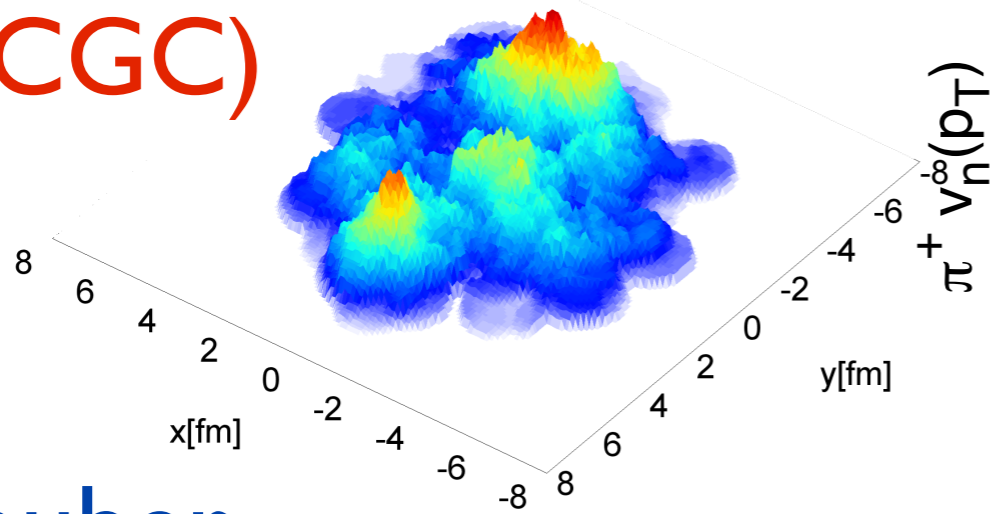
# is the sQGP a perfect fluid?

IP-Glasma

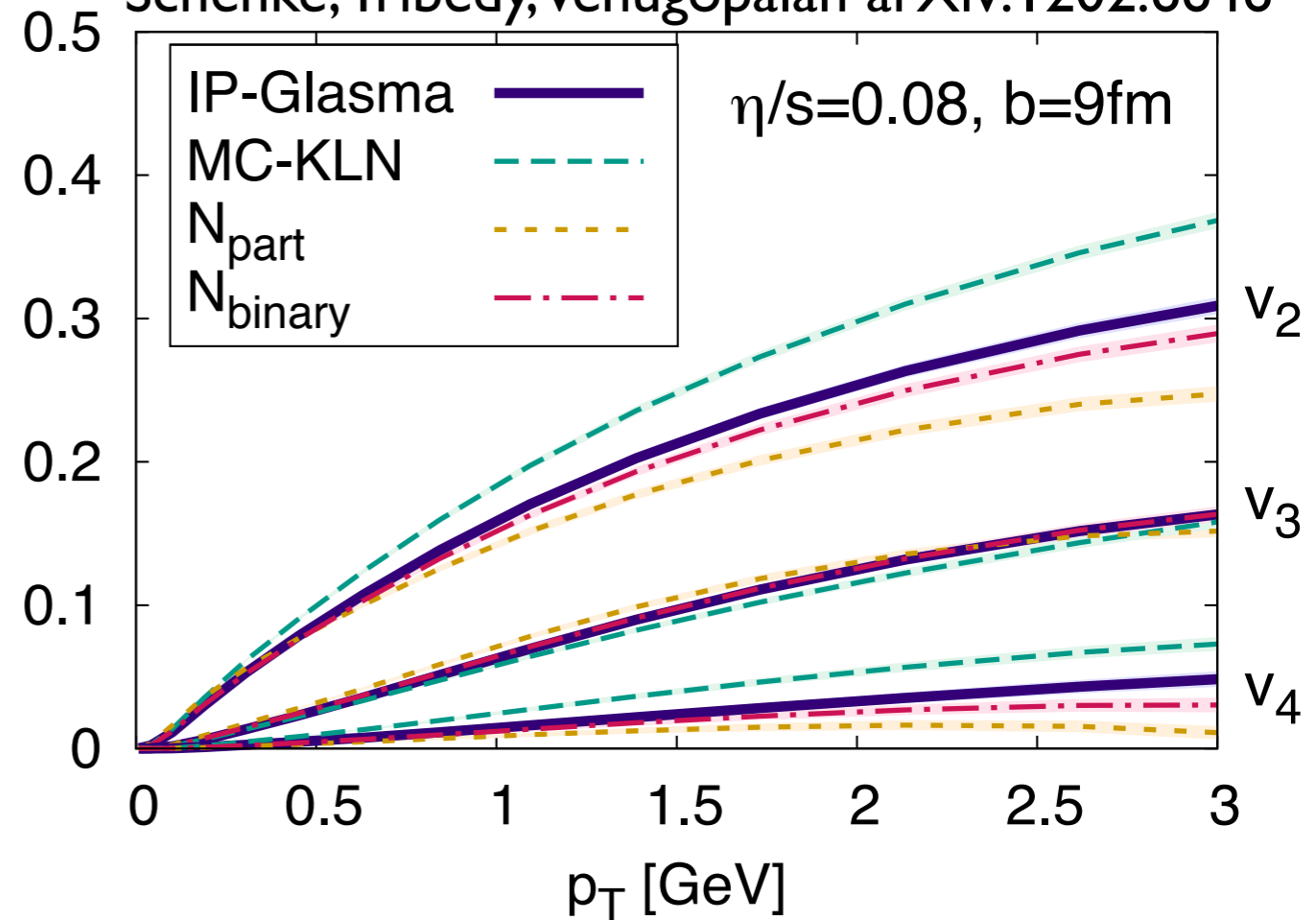


different initial states,  
different fluctuation scales

KLN(CGC)

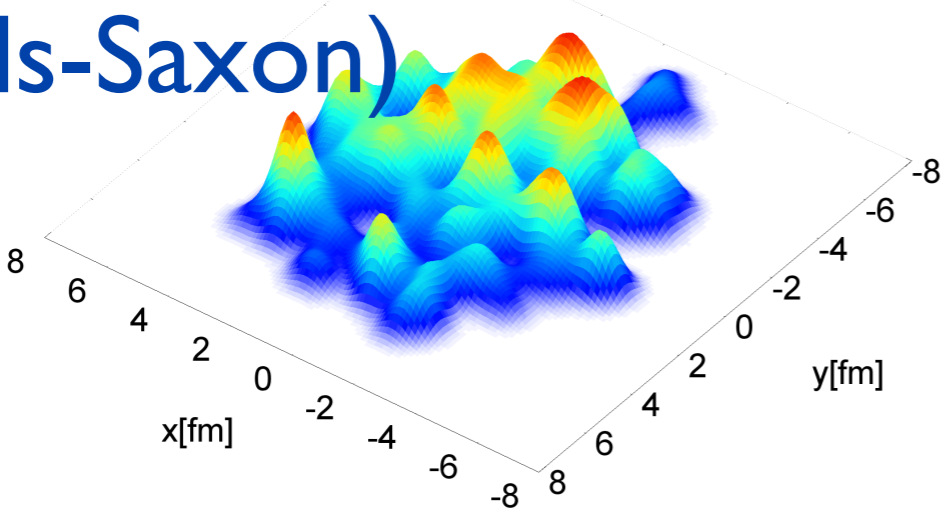


Schenke, Tribedy, Venugopalan arXiv:1202.6646



Glauber

Woods-Saxon)

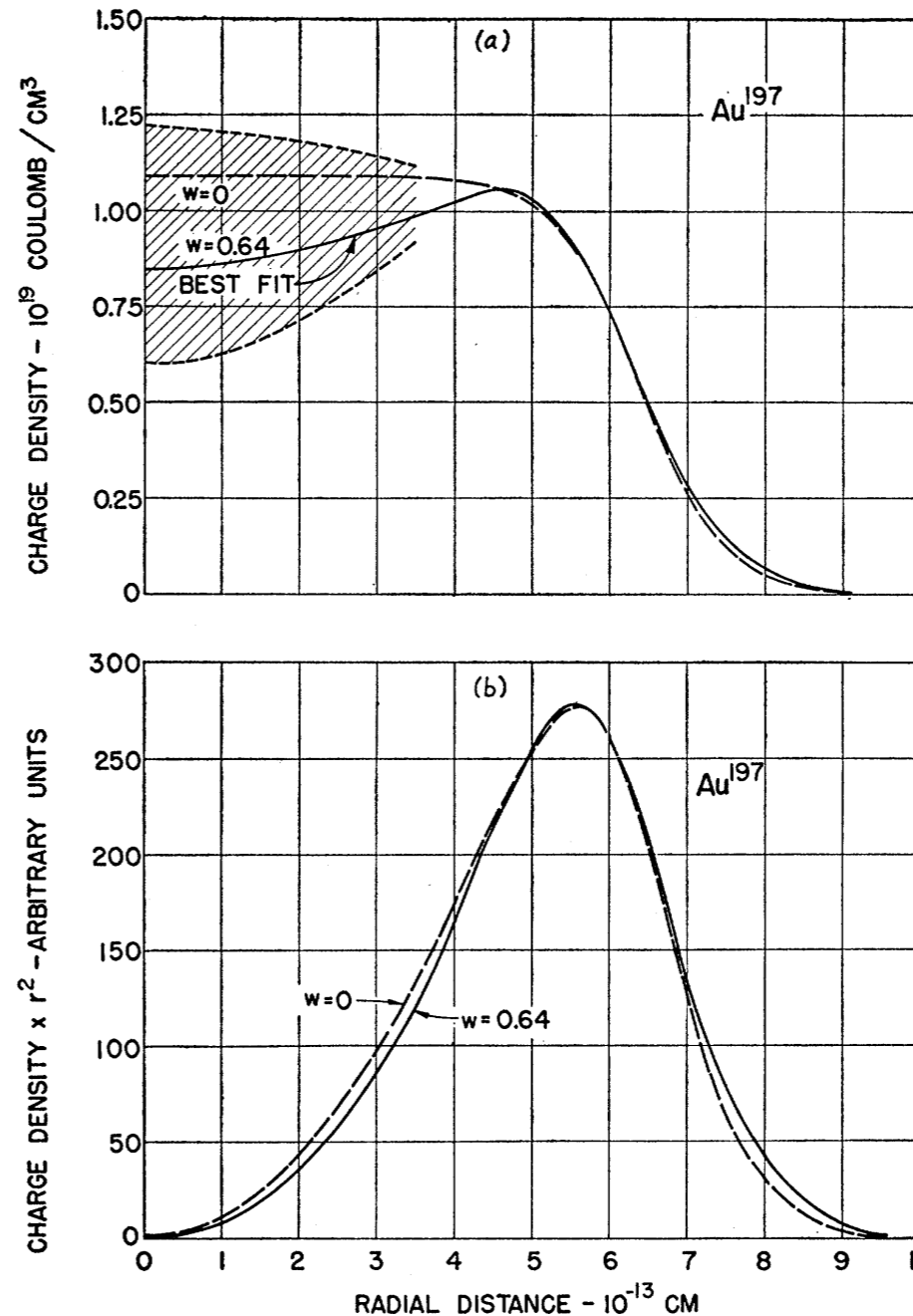
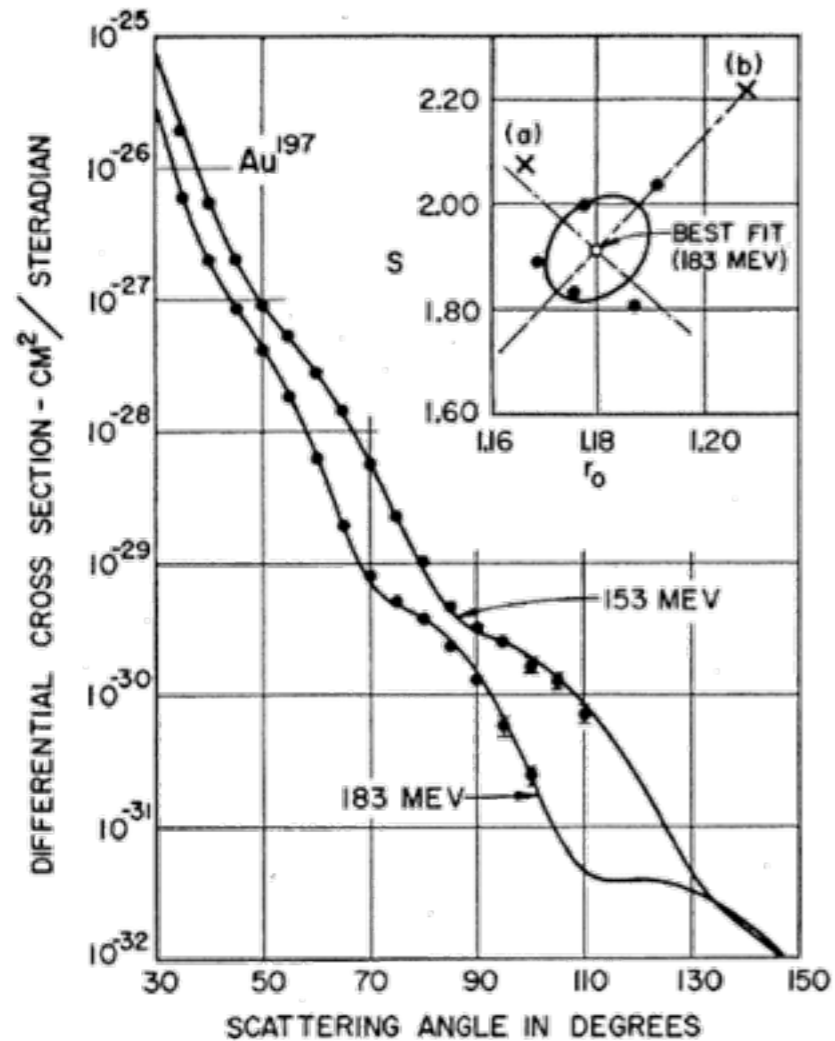


AdS/CFT predicts for a perfect fluid:  $\eta/s = 1/(4\pi) \sim 0.08$

wouldn't it be nice if we  
could measure the initial  
state directly?

# what has been measured?

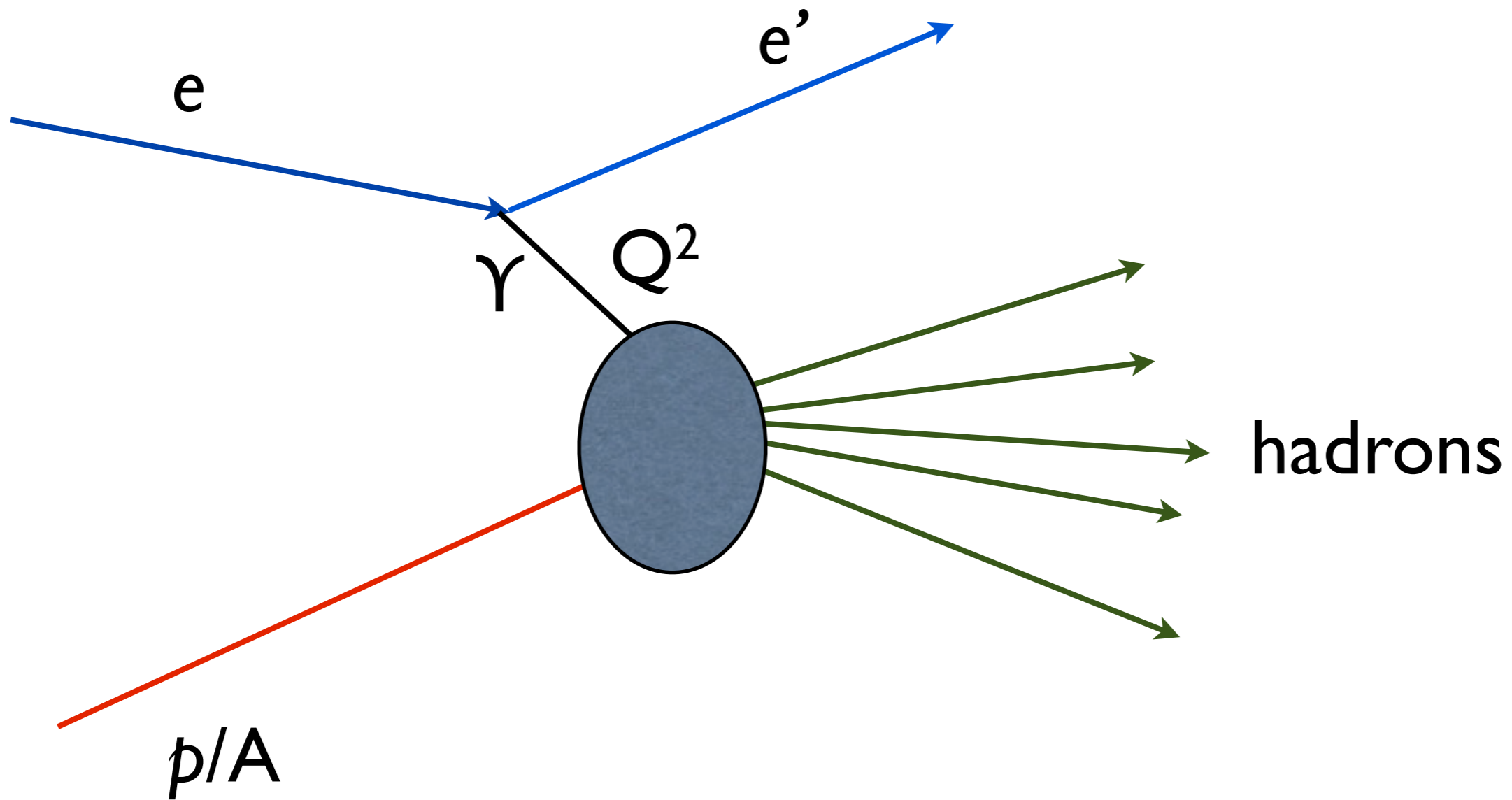
Hahn, Ravenhall, and Hofstadter,  
Phys Rev 101 (1956)



electron colliding with fixed ion target,  
large  $x$  charge distribution - no gluons!

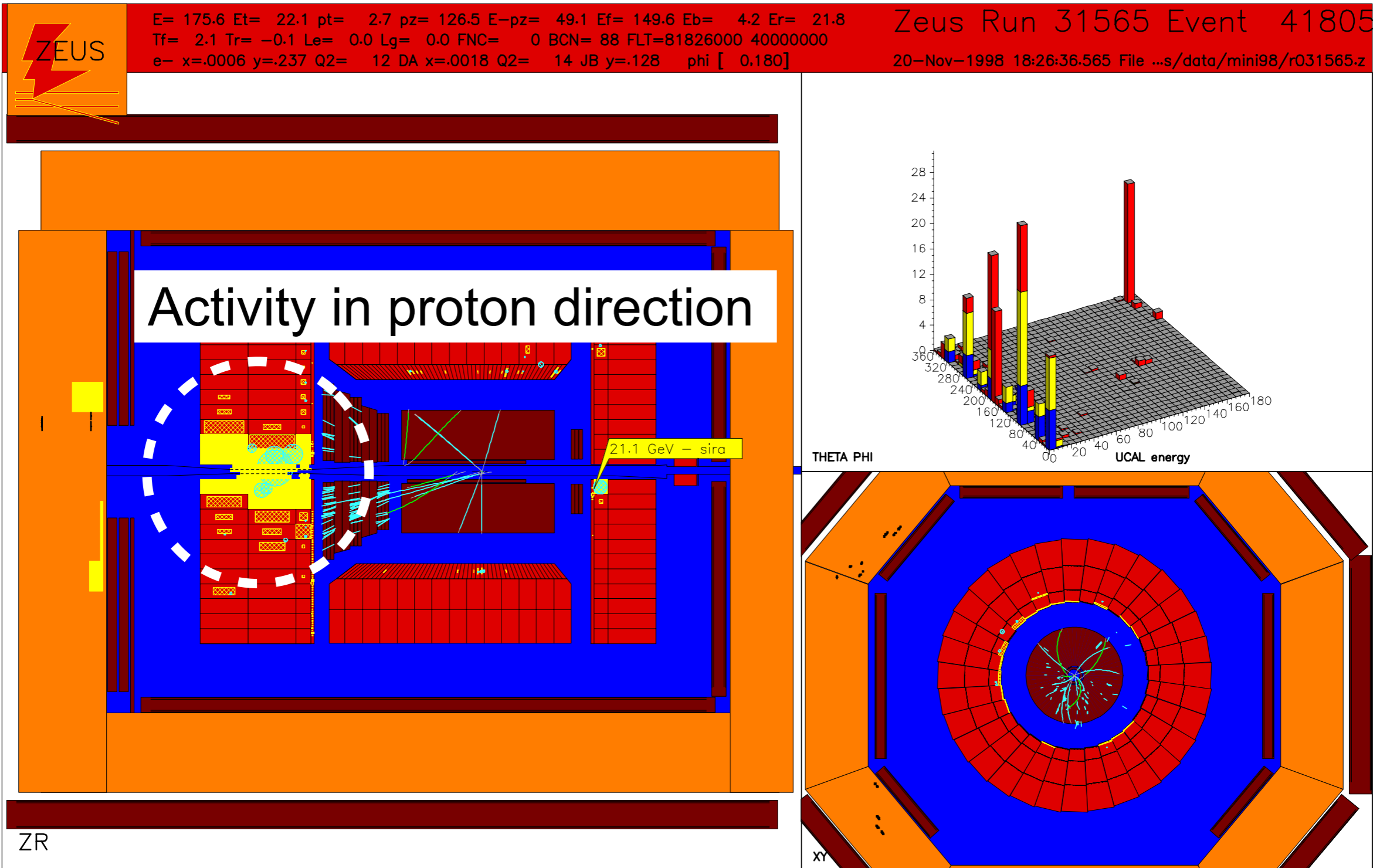
what can eRHIC do?

# DIS $ep$ and $eA$

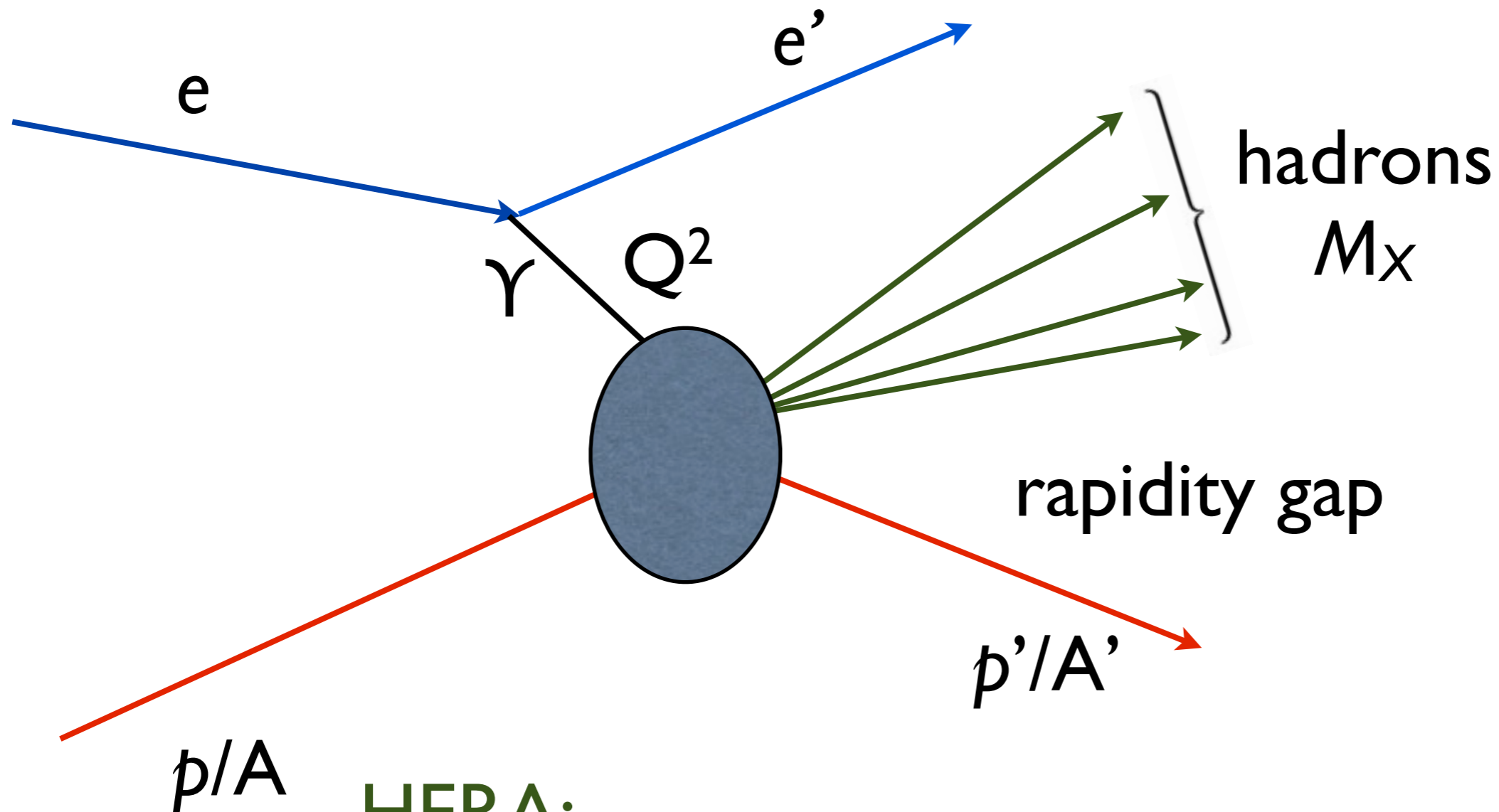




# DIS $ep$ and $eA$



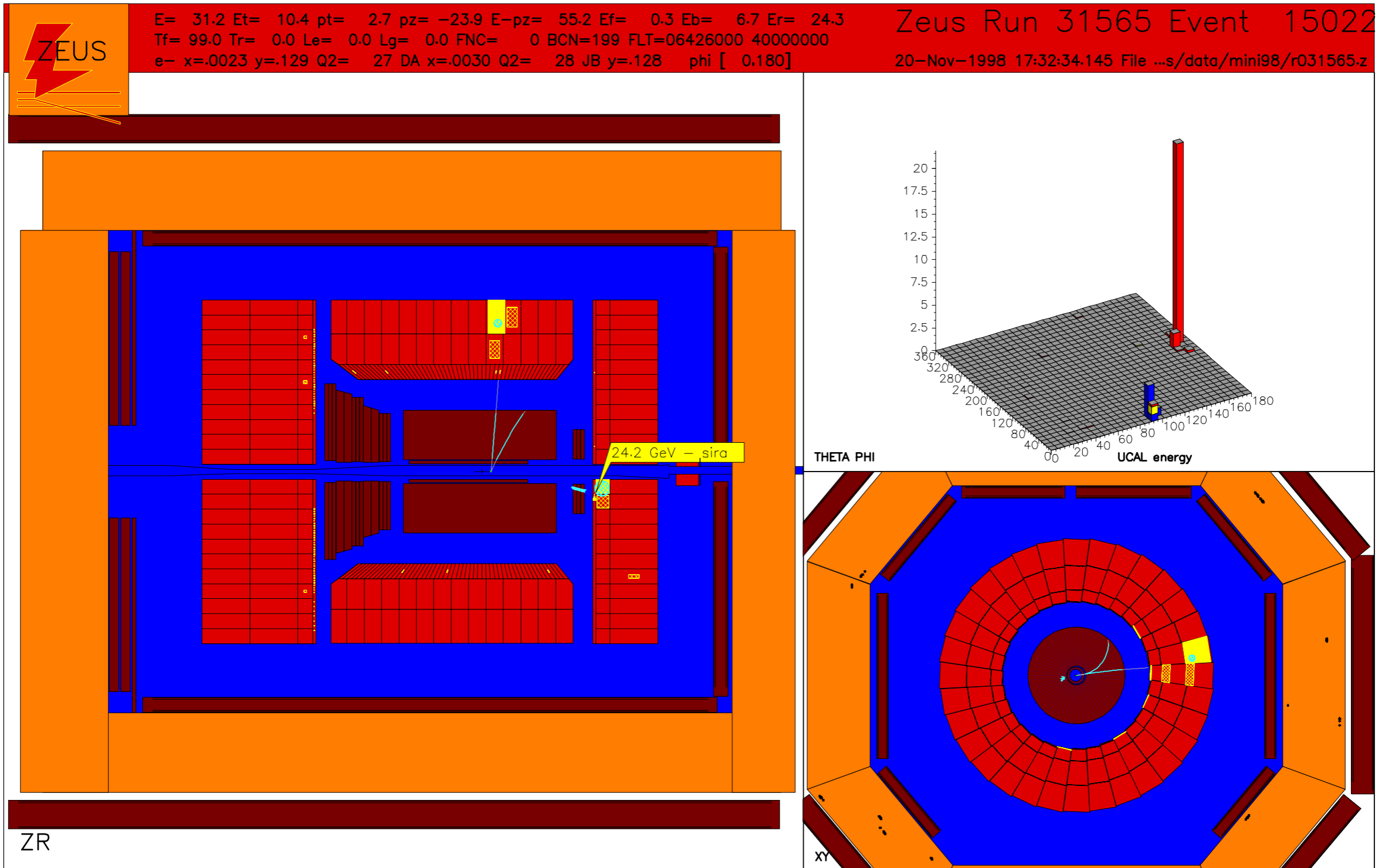
# diffraction $ep$ and $eA$



**HERA:**  
proton collides with electron at  
CMS energy  $\sim 300 m_p$ .  
in  $\sim 15\%$  of measured collisions  
proton stays intact!

**eRHIC  $e+A$ :**  
ion predicted to stay  
intact in  $25\%-40\%$  of  
events w. **saturation!**

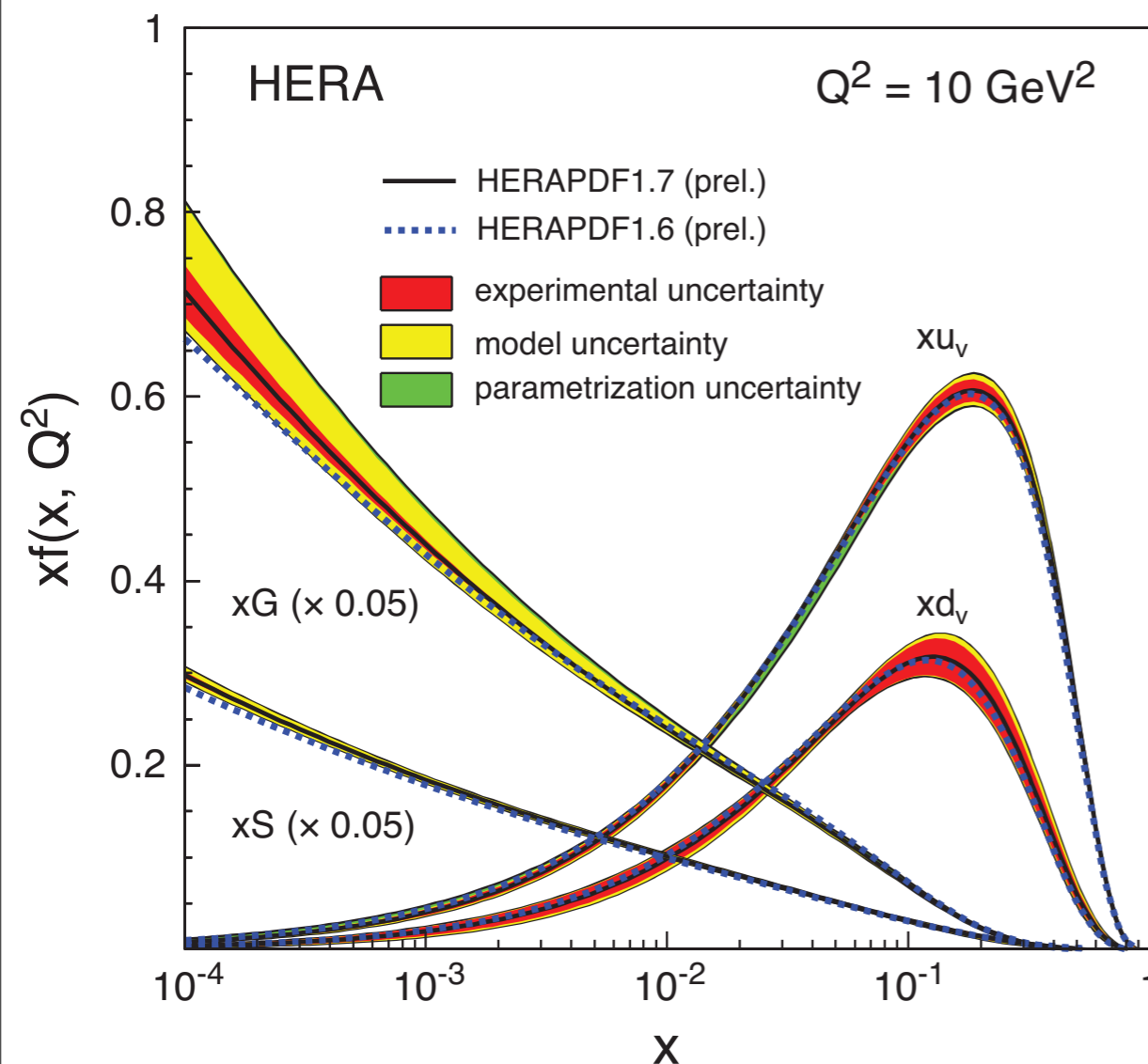
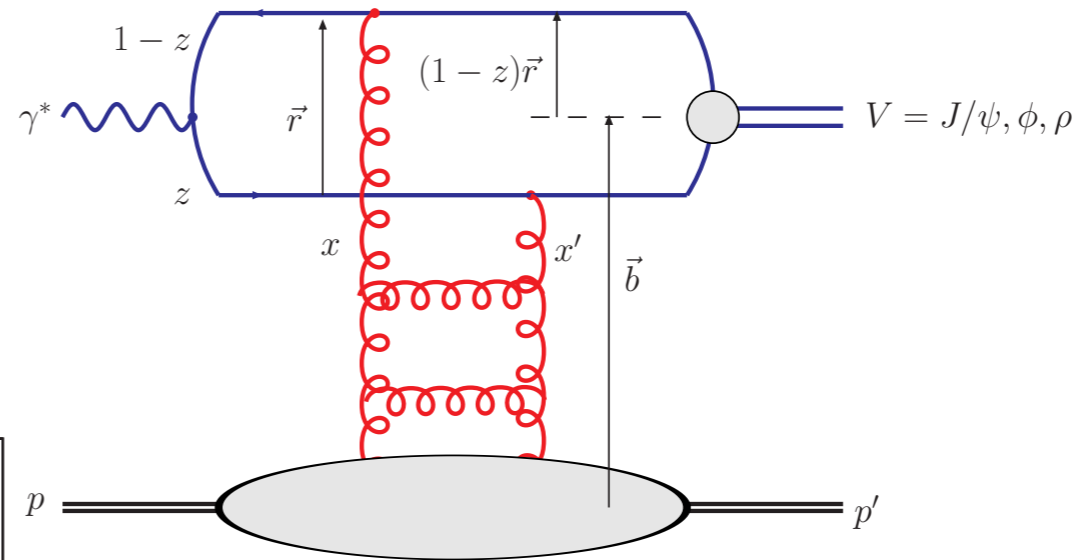
# diffraction $ep$ and $eA$



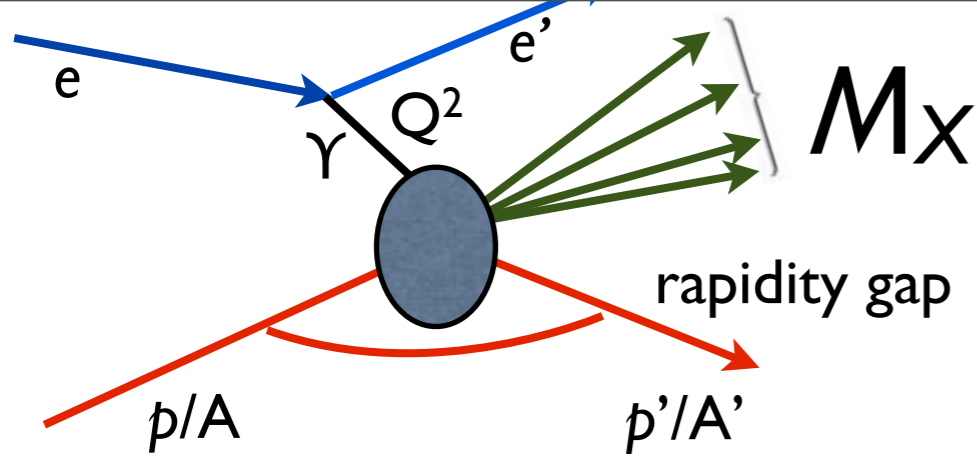
# why is diffraction so great?

diffraction sensitive to gluon momentum distributions<sup>2</sup>:

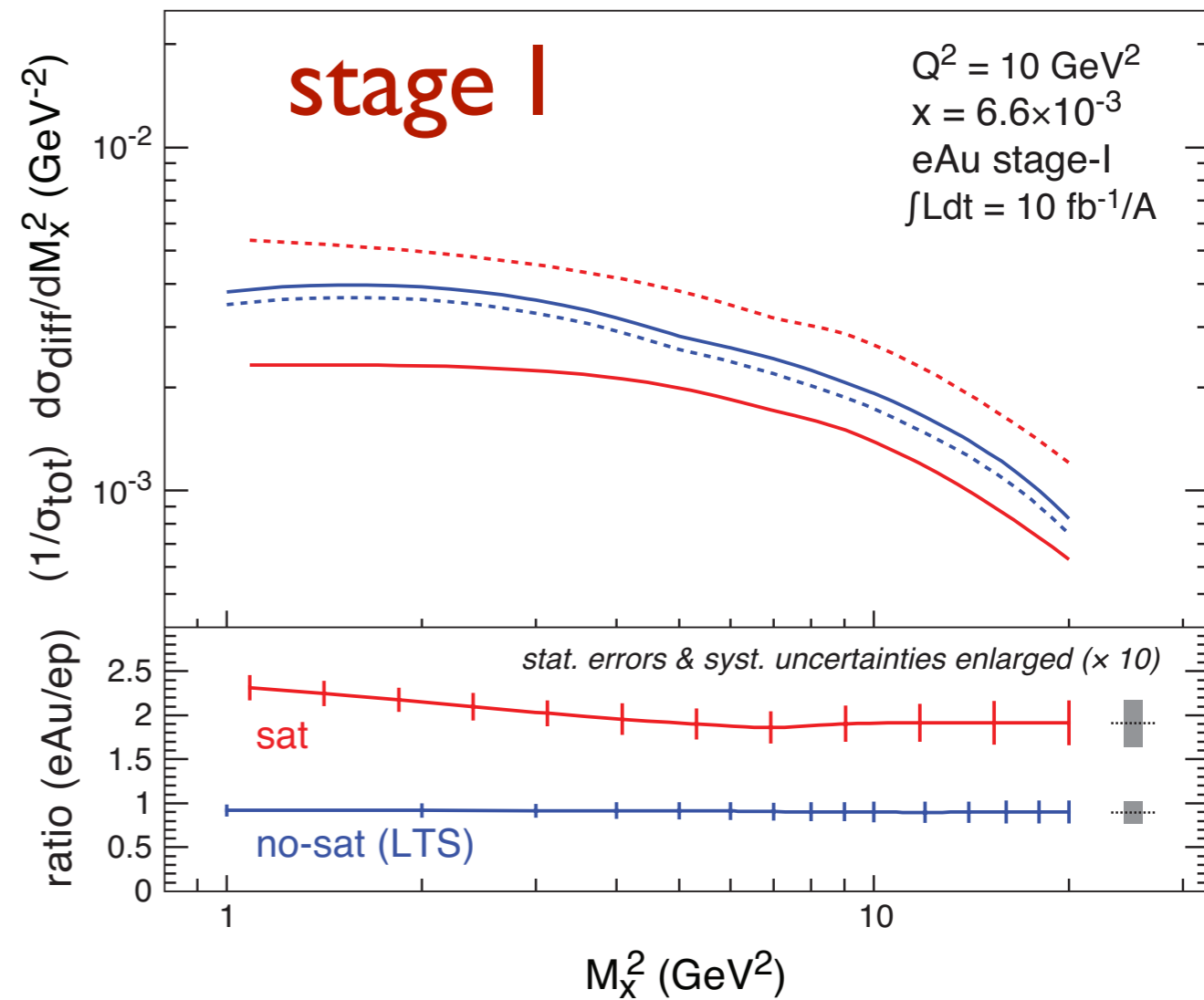
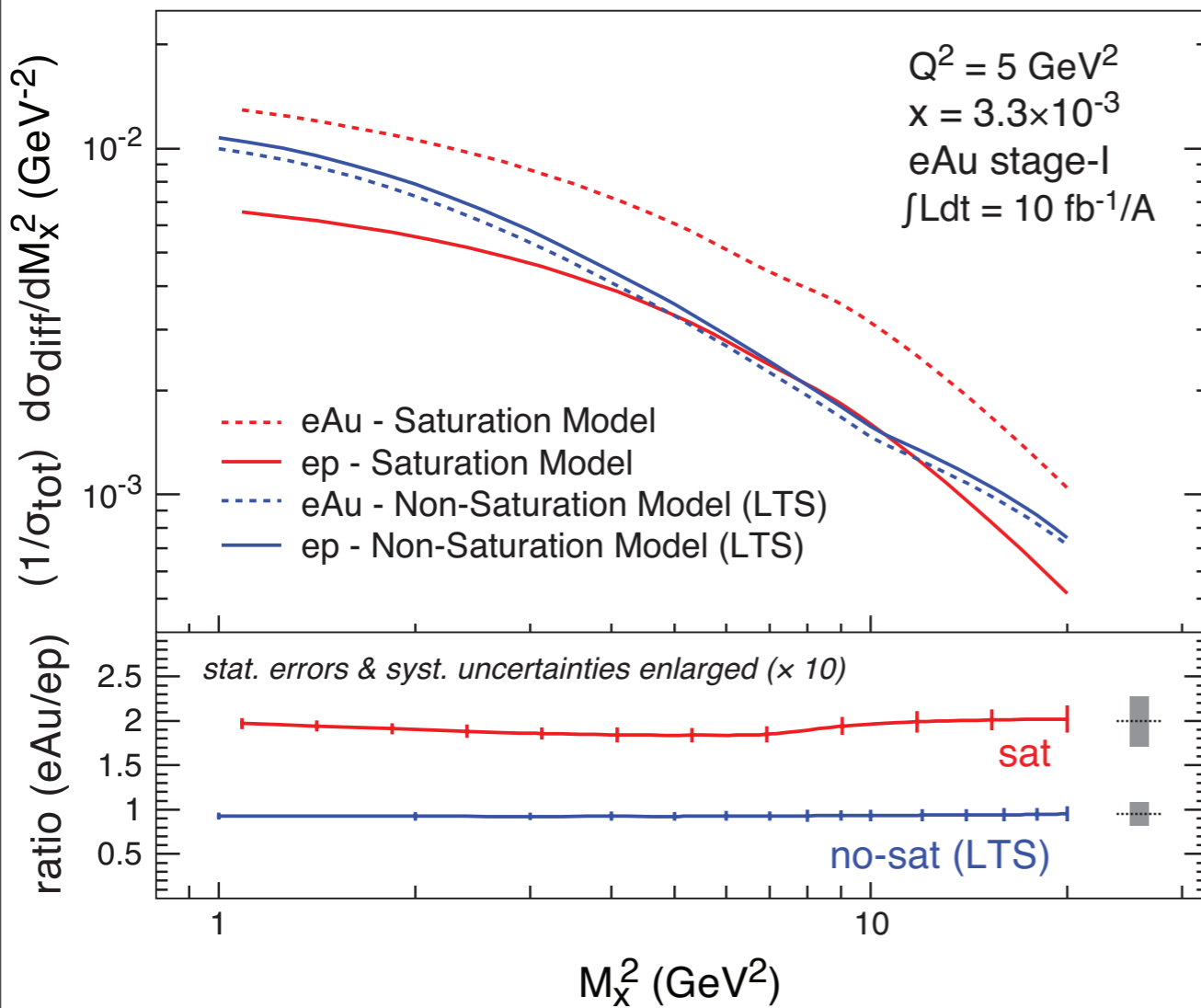
$$\sigma \propto g(x, Q^2)^2$$



how does the gluon distribution saturate at small  $x$ ?



# eRHIC predictions: inclusive diffraction



can constrain models **a lot** with a few months of running!  
 already in **Stage I!**



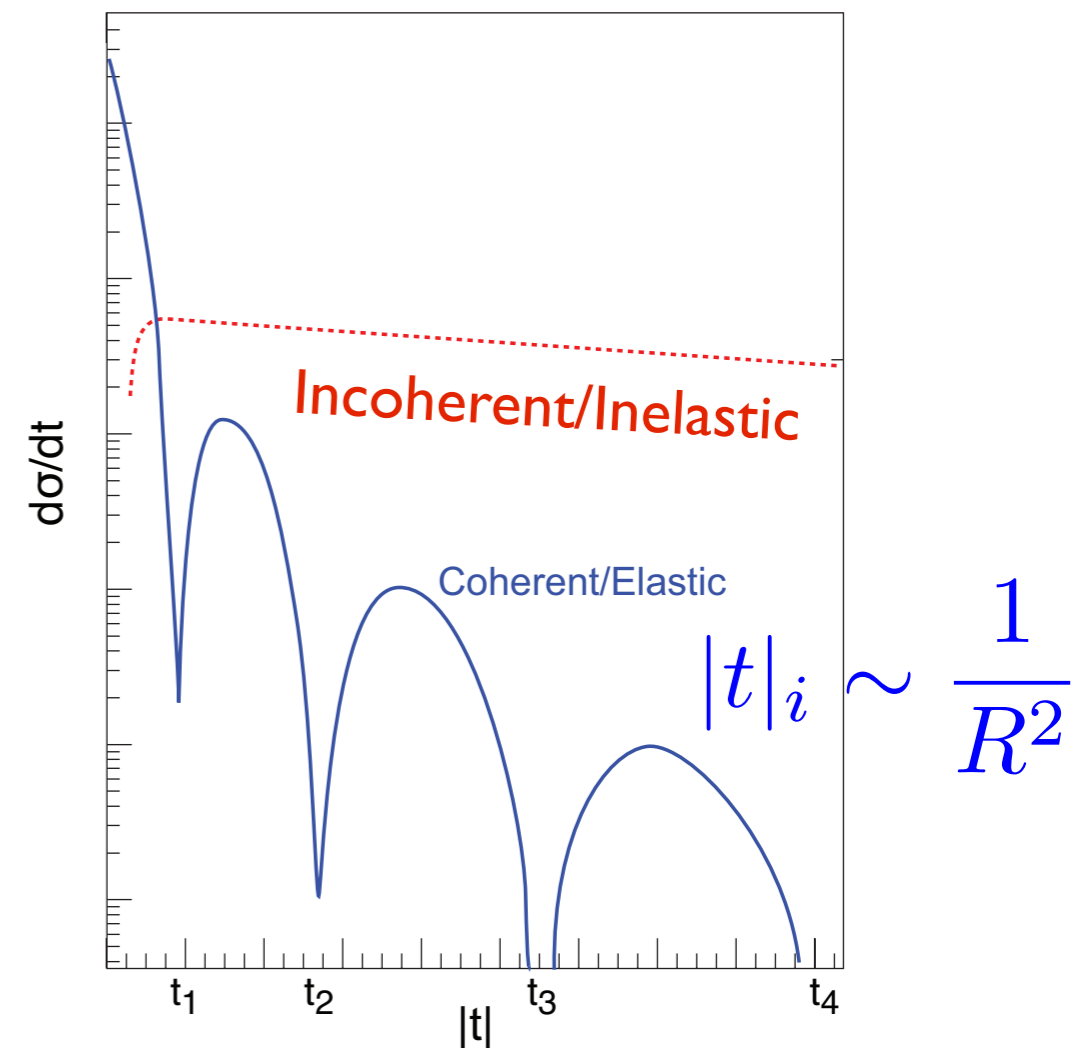
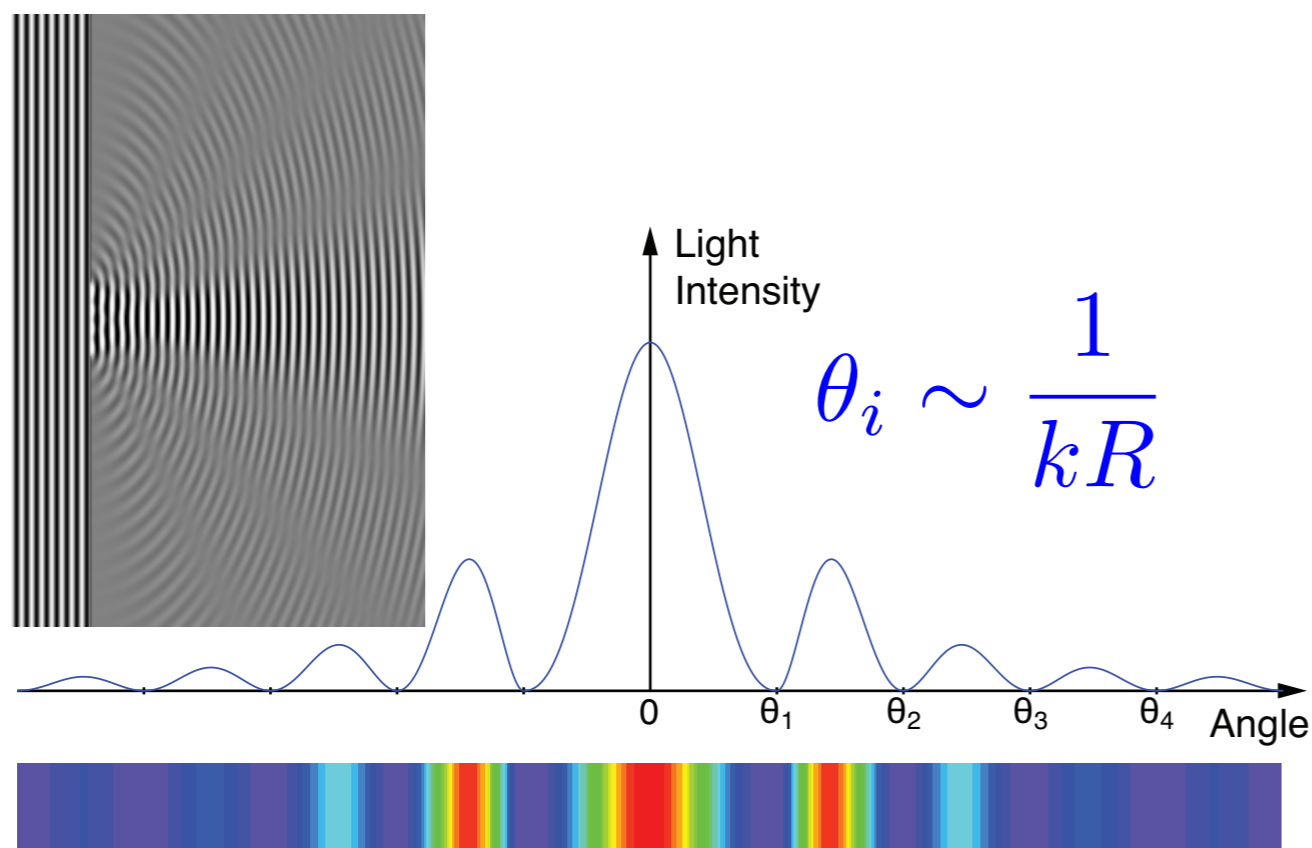
# why is diffraction so great?

sensitive to **spatial gluon distributions**

a projectile scattering off a nucleus of radius  $R$

-not a 'black disk', edge effects  
-inelastic scattering

light scattering elastically off a circular screen of radius  $R$



# incoherent Scattering

Good, Walker:

nucleus dissociates ( $f \neq i$ ):

$$\sigma_{\text{incoherent}} \propto \sum_{f \neq i} \langle i | \mathcal{A} | f \rangle^\dagger \langle f | \mathcal{A} | i \rangle$$

complete set

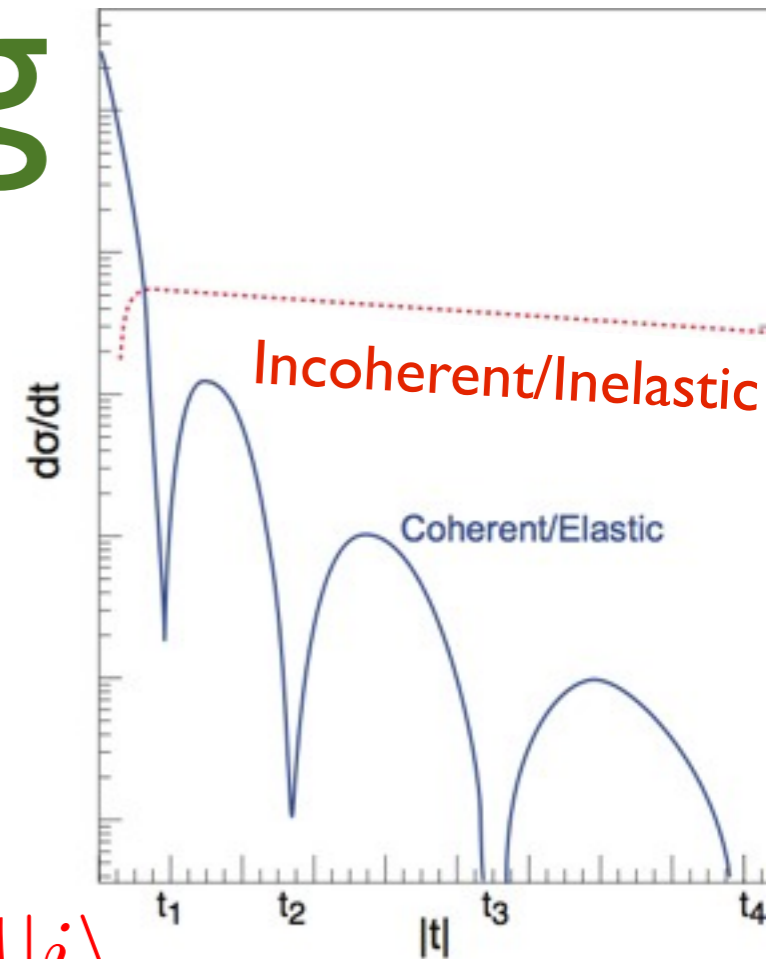
$$= \sum_f \langle i | \mathcal{A} | f \rangle^\dagger \langle f | \mathcal{A} | i \rangle - \langle i | \mathcal{A} | i \rangle^\dagger \langle i | \mathcal{A} | i \rangle$$

$$= \langle i | |\mathcal{A}|^2 | i \rangle - |\langle i | \mathcal{A} | i \rangle|^2 = \langle |\mathcal{A}|^2 \rangle - |\langle \mathcal{A} \rangle|^2$$

the incoherent CS is the variance of the amplitude!!

$$\frac{d\sigma_{\text{total}}}{dt} = \frac{1}{16\pi} \langle |\mathcal{A}|^2 \rangle$$

$$\frac{d\sigma_{\text{coherent}}}{dt} = \frac{1}{16\pi} |\langle \mathcal{A} \rangle|^2$$







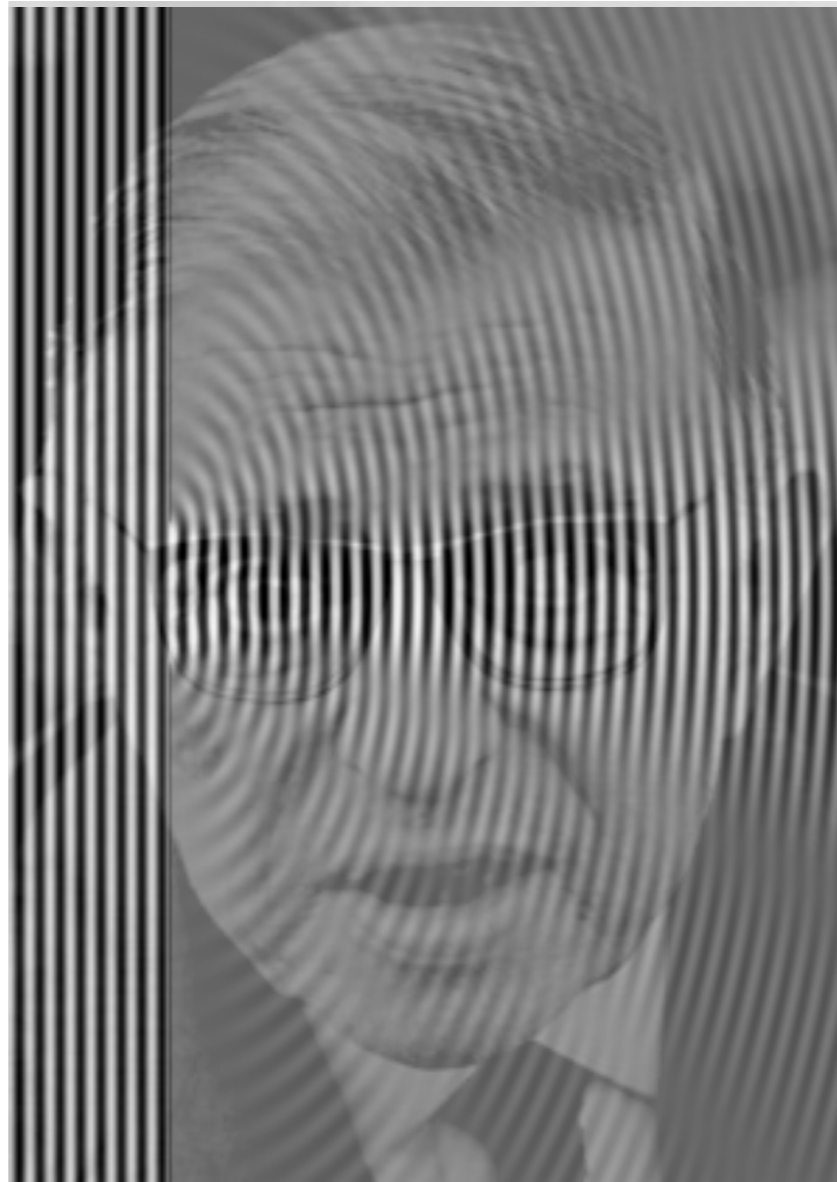
eRHIC predictions:

# new physics event generator

sartre

exclusive  
diffractive vector  
meson and DVCS  
production in

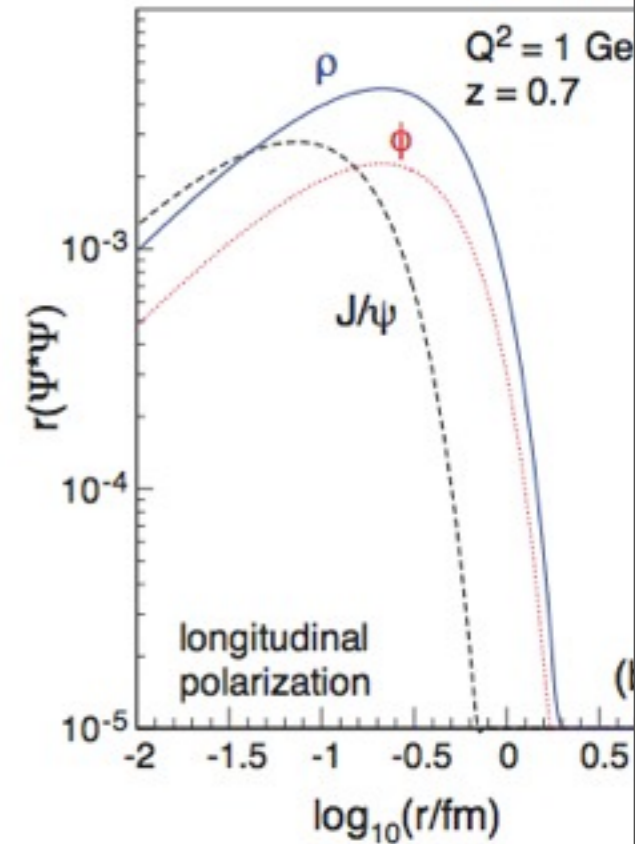
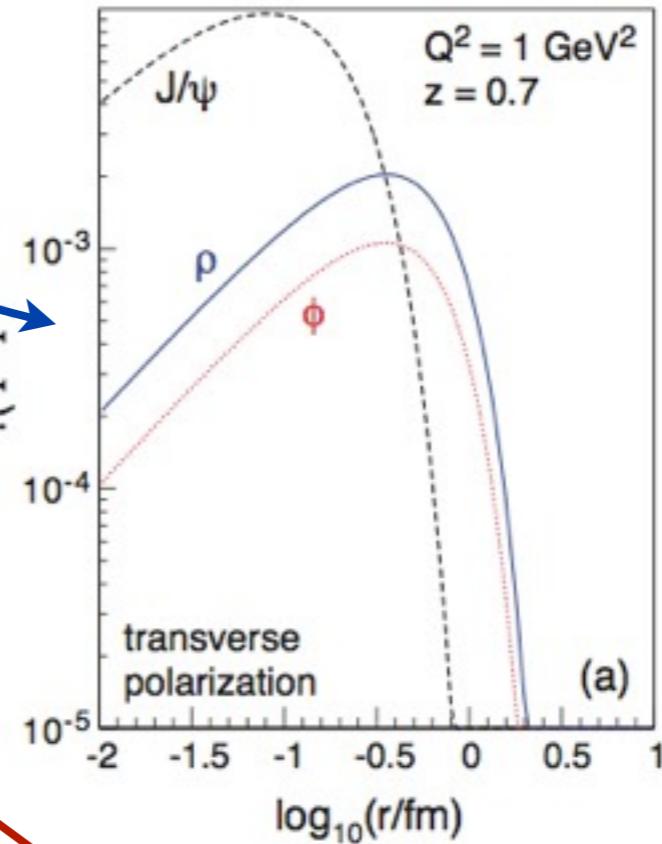
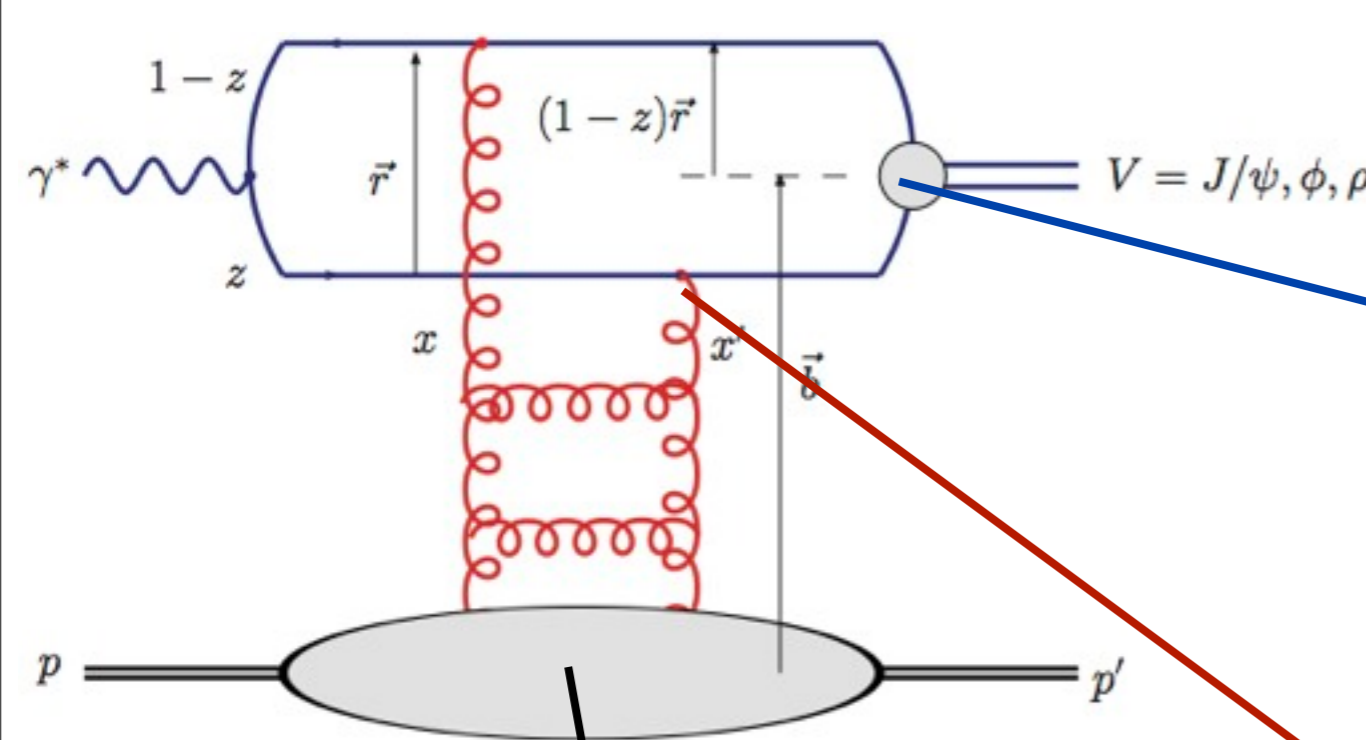
$eA$



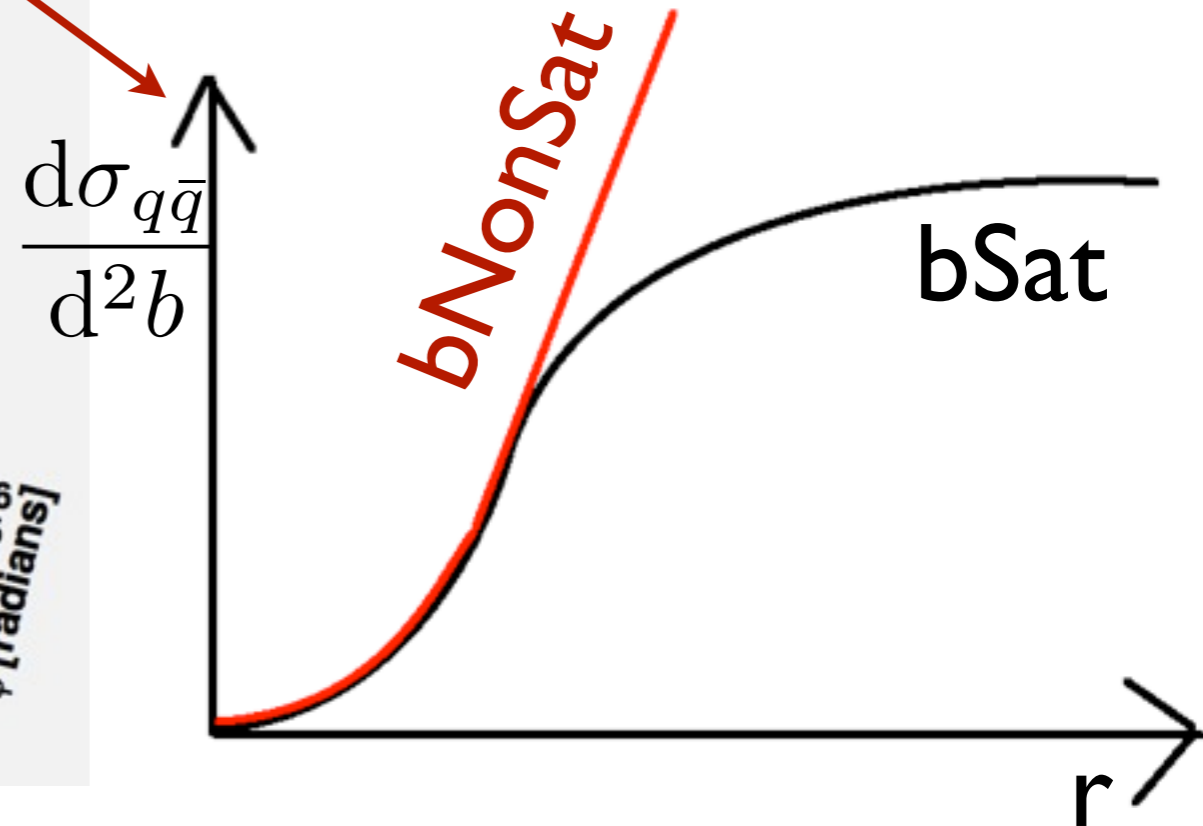
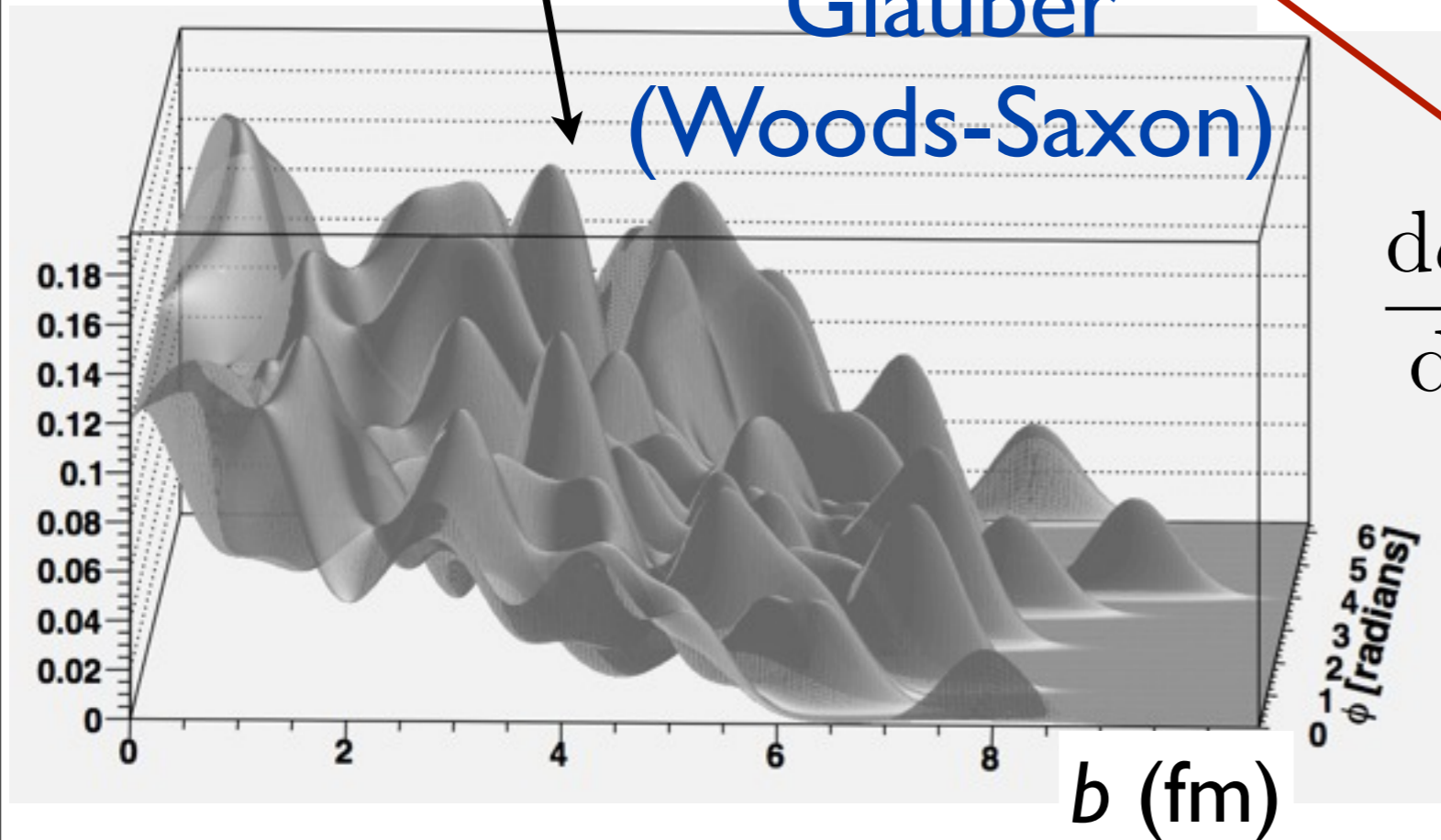
t. ullrich & t.t.

# eRHIC predictions:

sartre dipole model with **glauber** **bSat** and **bNonSat**

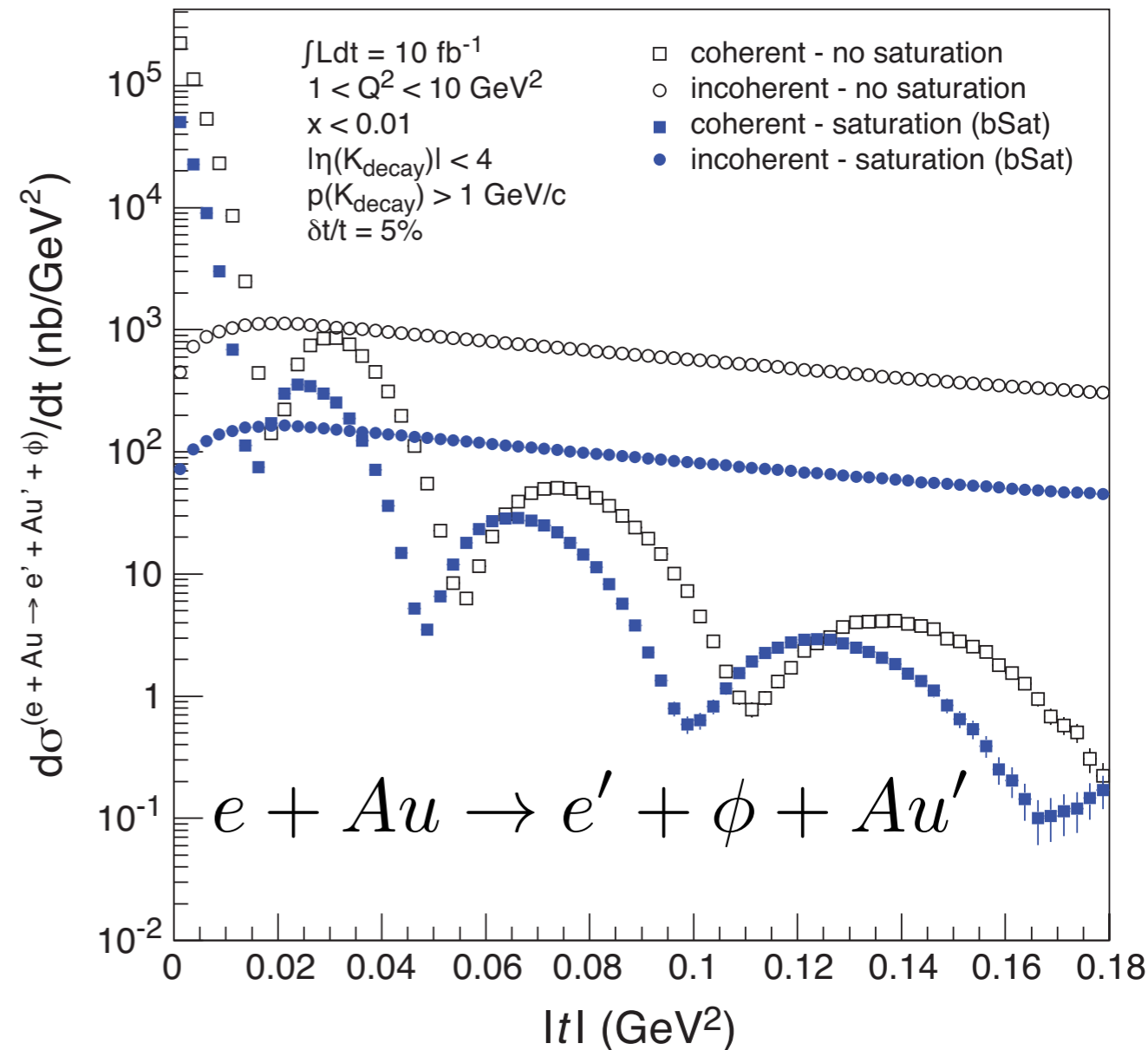
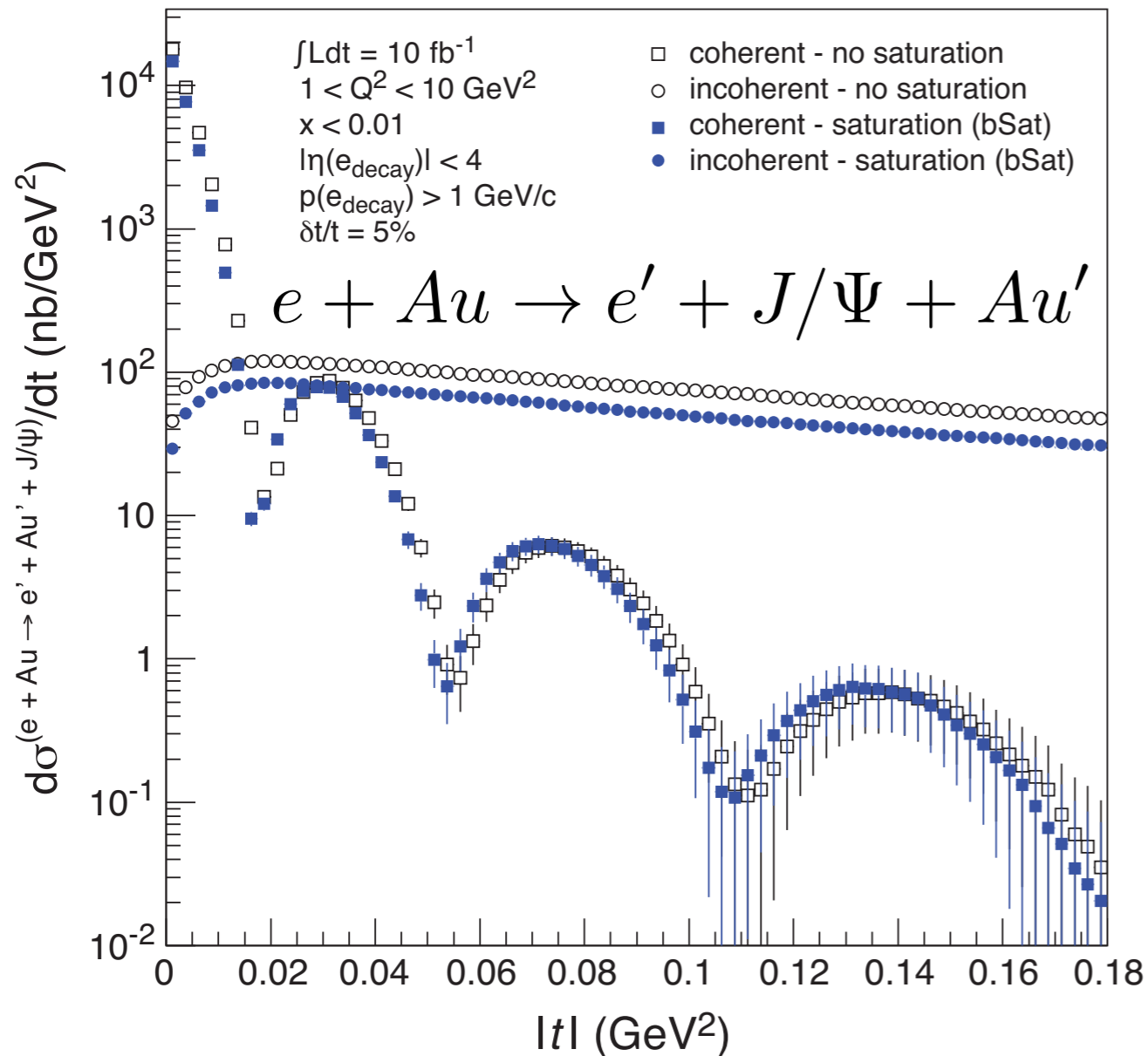


**Glauber  
(Woods-Saxon)**



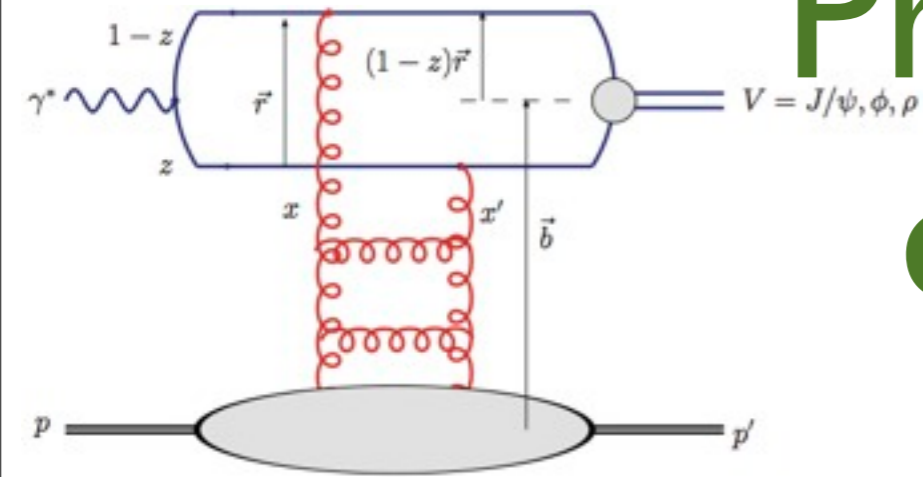
# eRHIC predictions:

## exclusive diffraction with Sartre



Can constrain models **a lot** with a few months of running!  
First 4 dips obtainable.

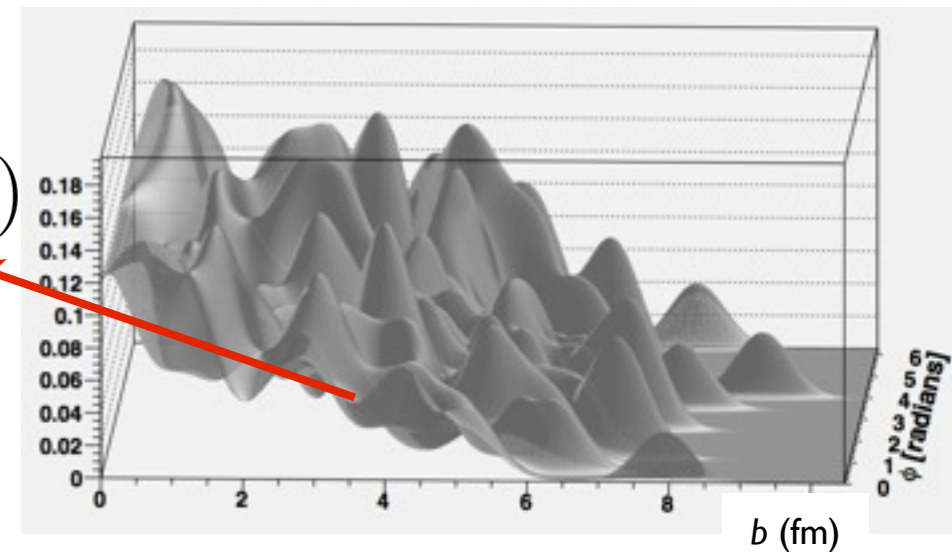
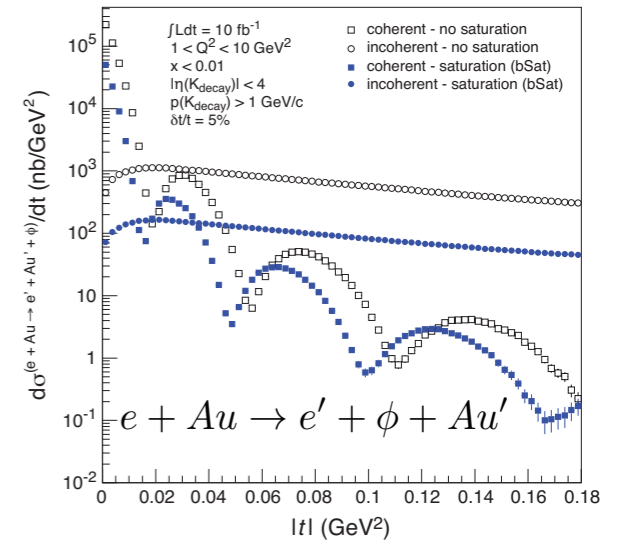
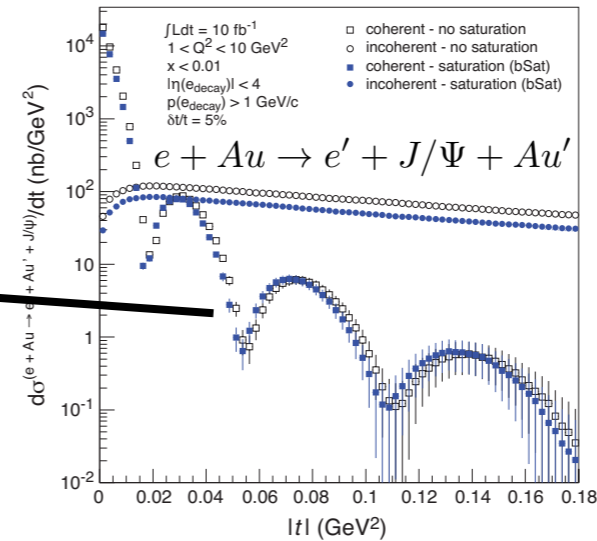
# Probing the **spatial** gluon distribution at eRHIC



$$\frac{d\sigma}{dt} = \frac{1}{16\pi} |A(\Delta)|^2$$

$$\Delta \simeq \sqrt{-t}$$

$A(\Delta) \sim \text{Fourier}(\text{Wave Overlap} \cdot \text{Dipole Model}(b))$

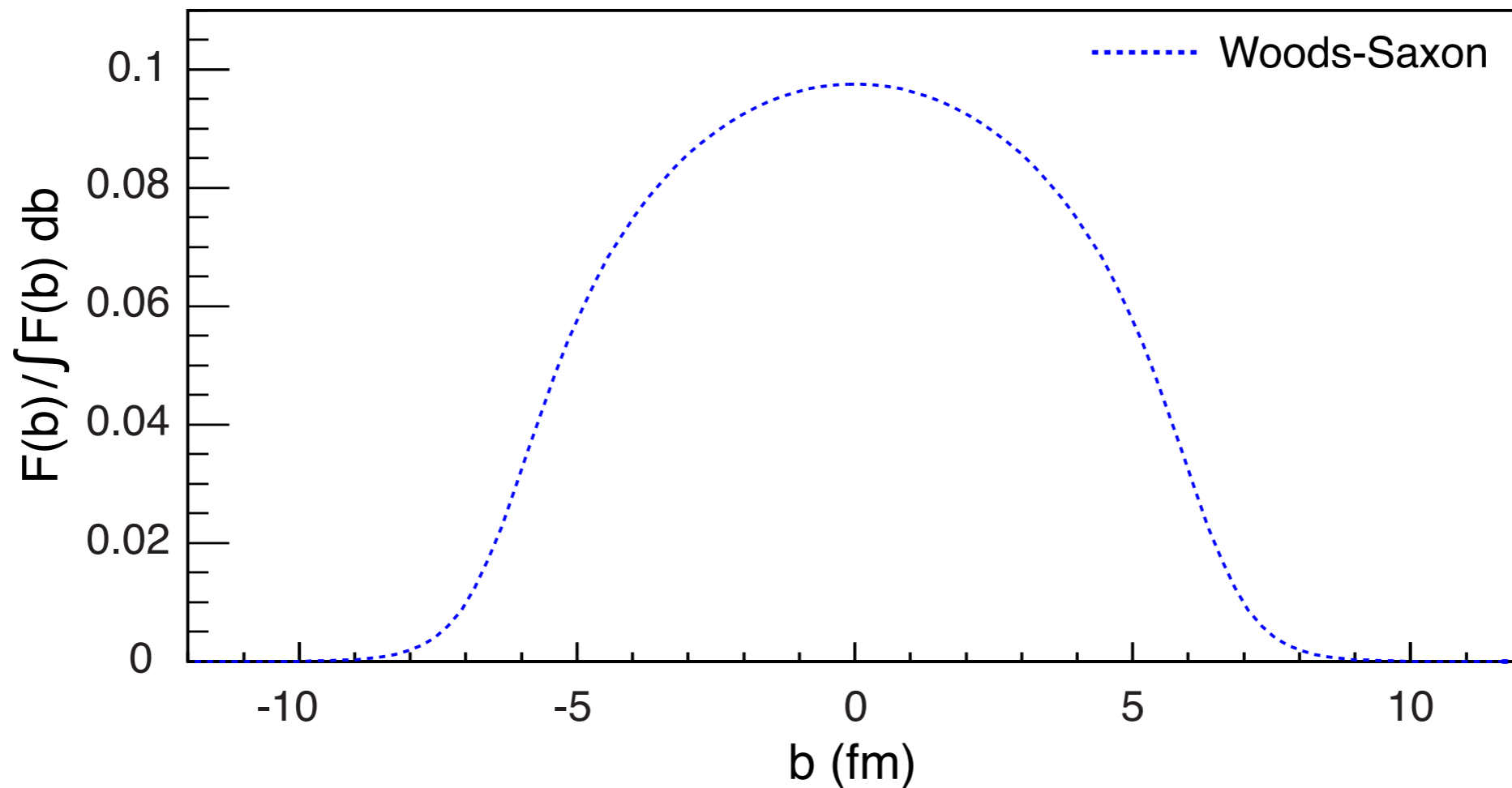
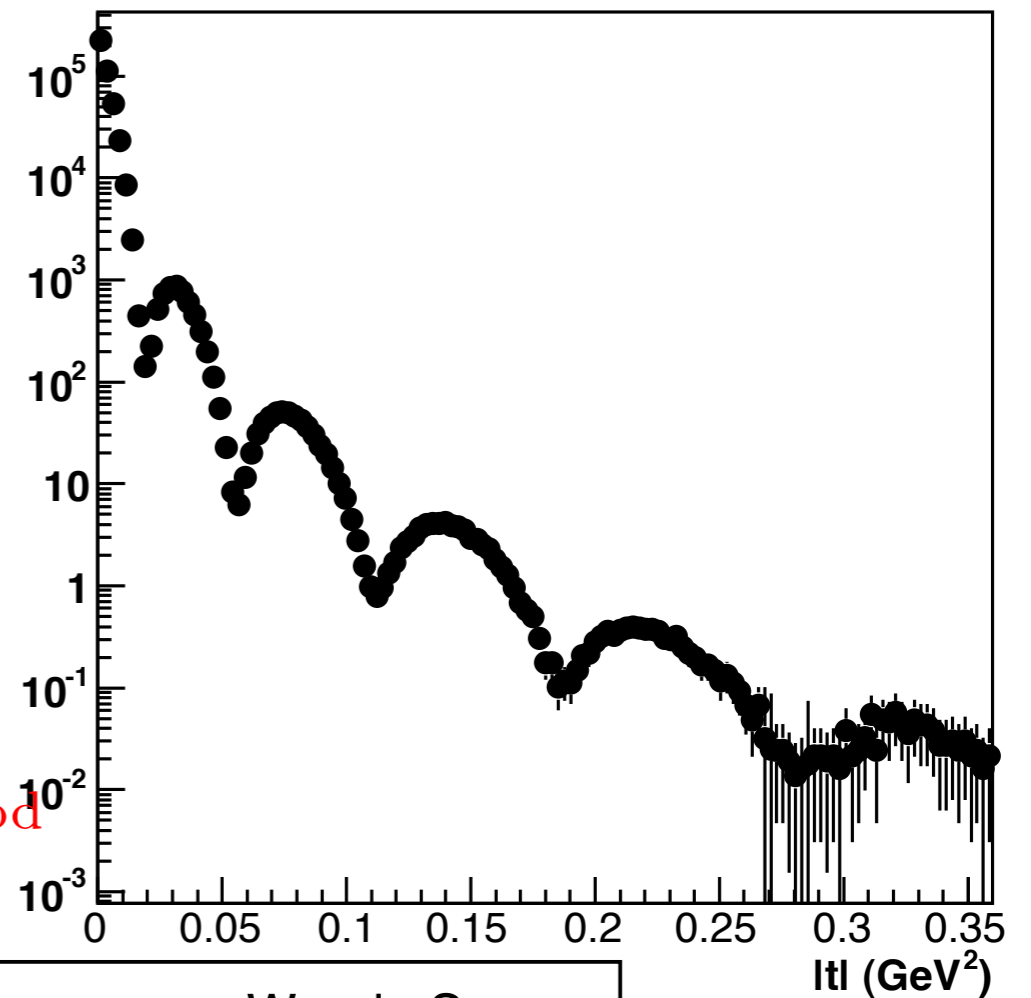


Fourier transform again to retain spatial distribution:

$$F(b) = \frac{1}{2\pi} \int_0^\infty d\Delta \Delta J_0(\Delta b) \sqrt{\left. \frac{d\sigma_{\text{coherent}}}{dt}(\Delta) \right|_{\text{mod}}}$$

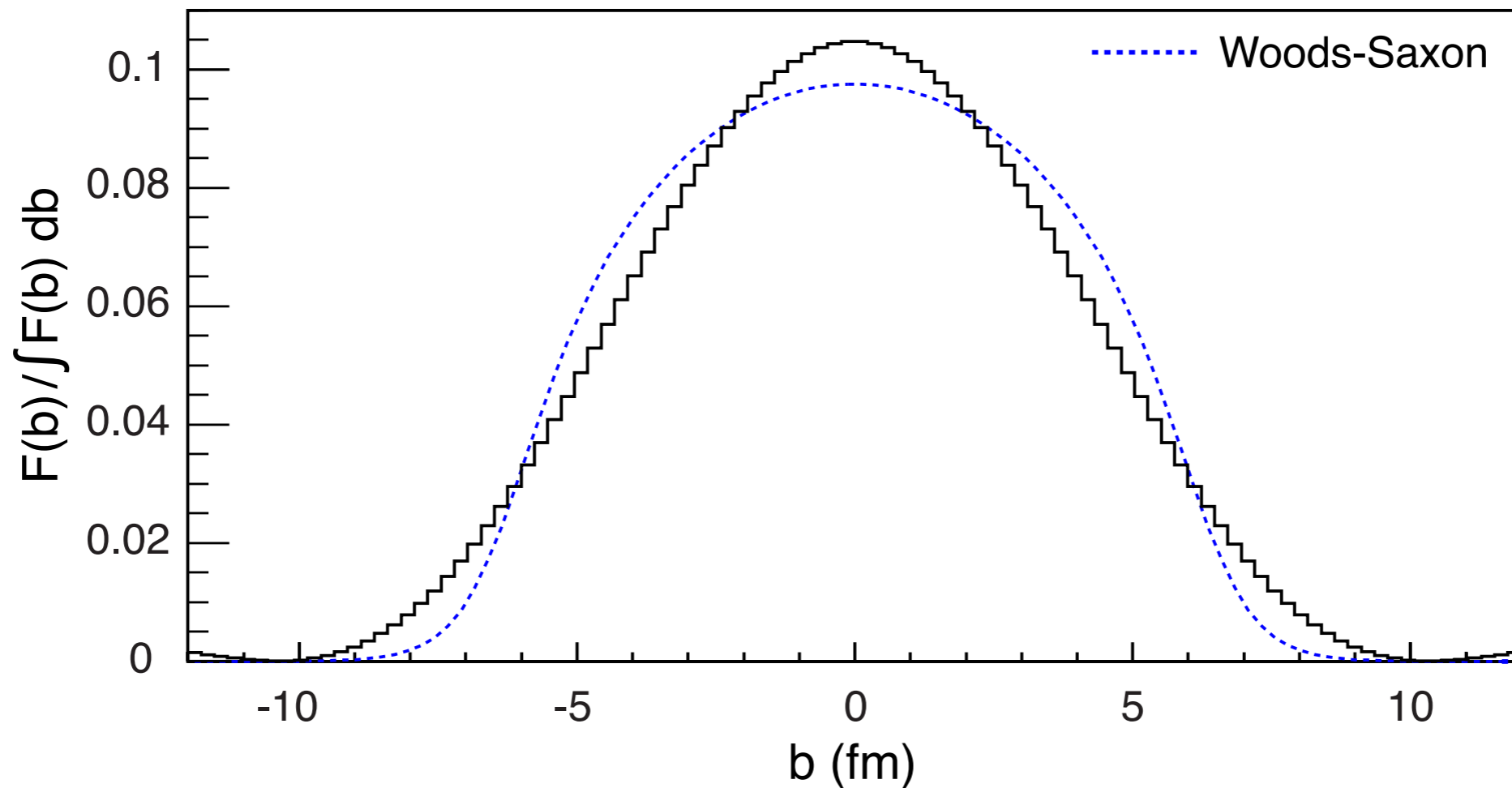
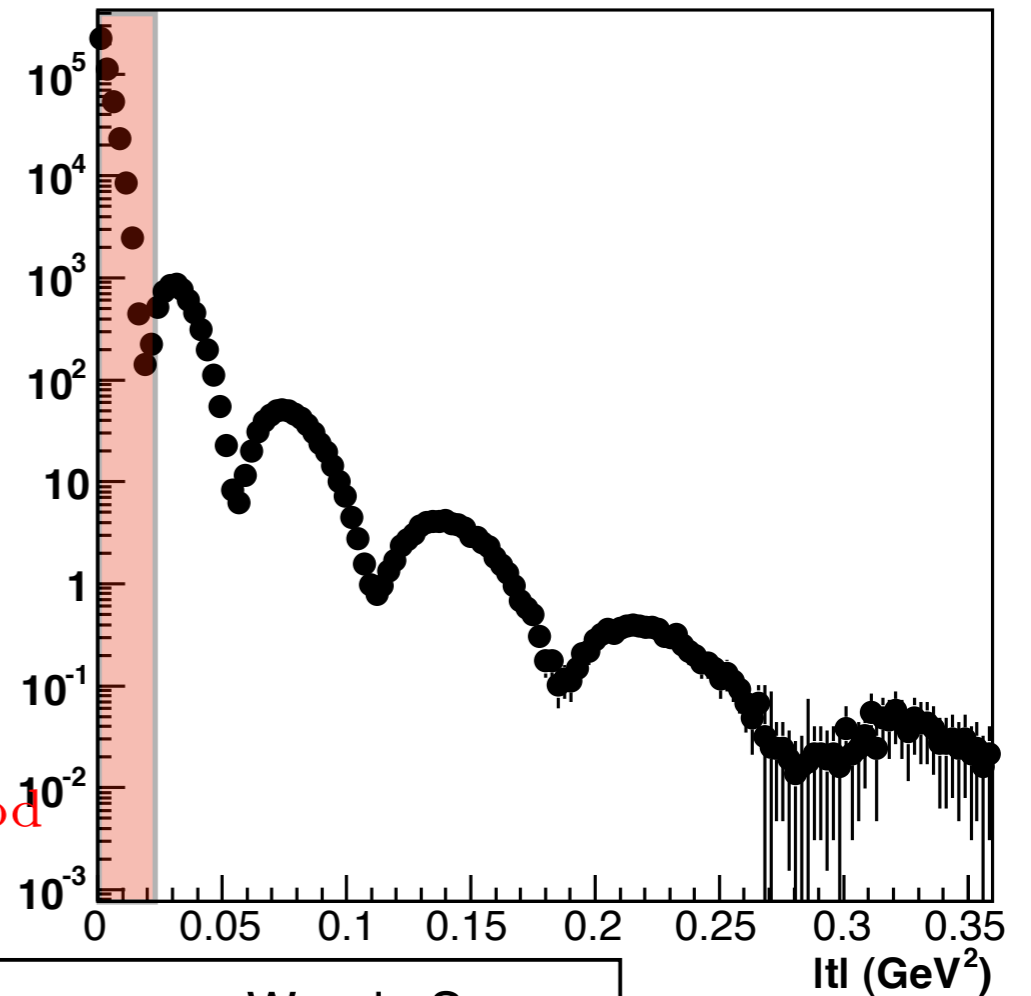
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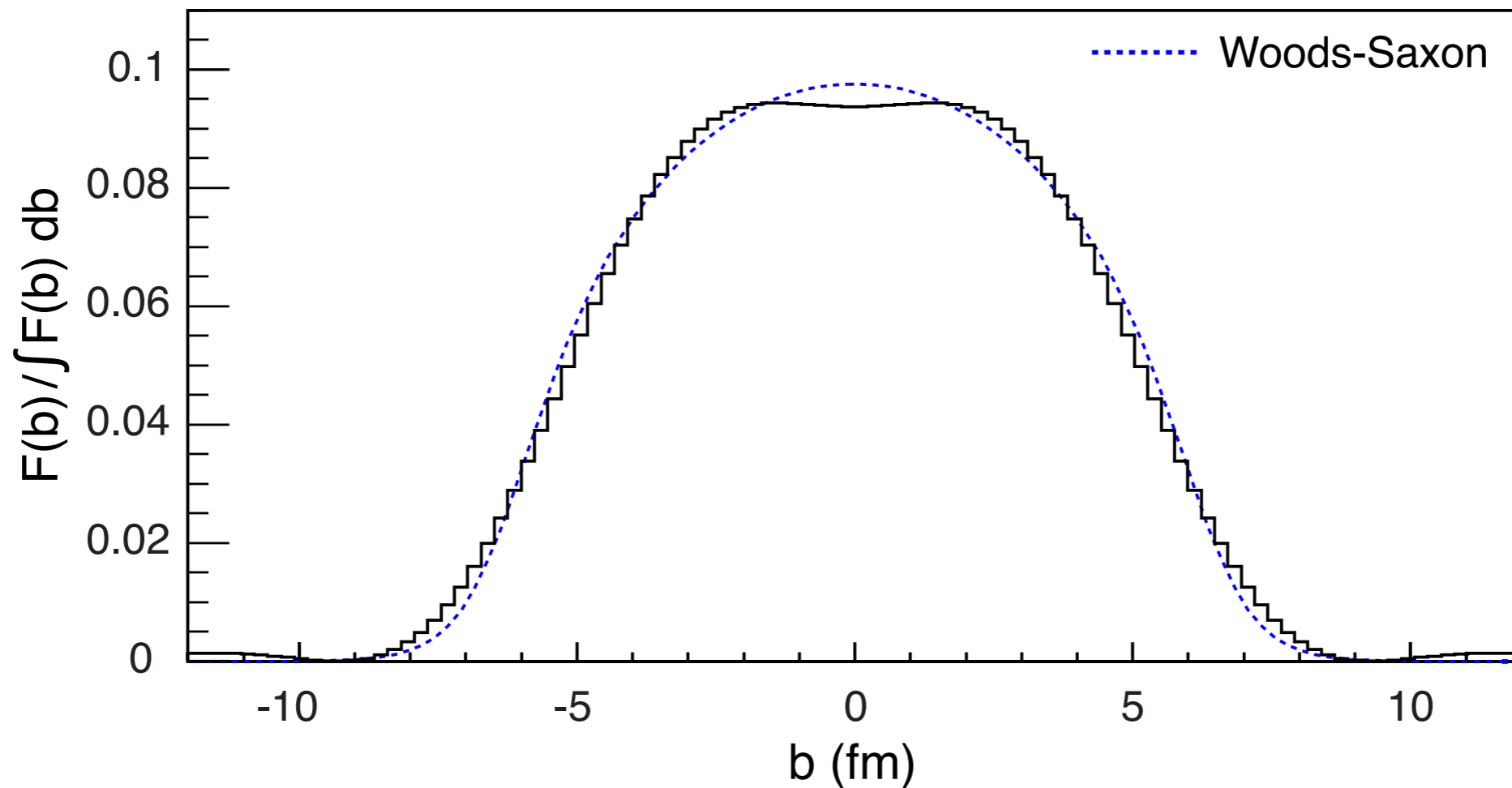
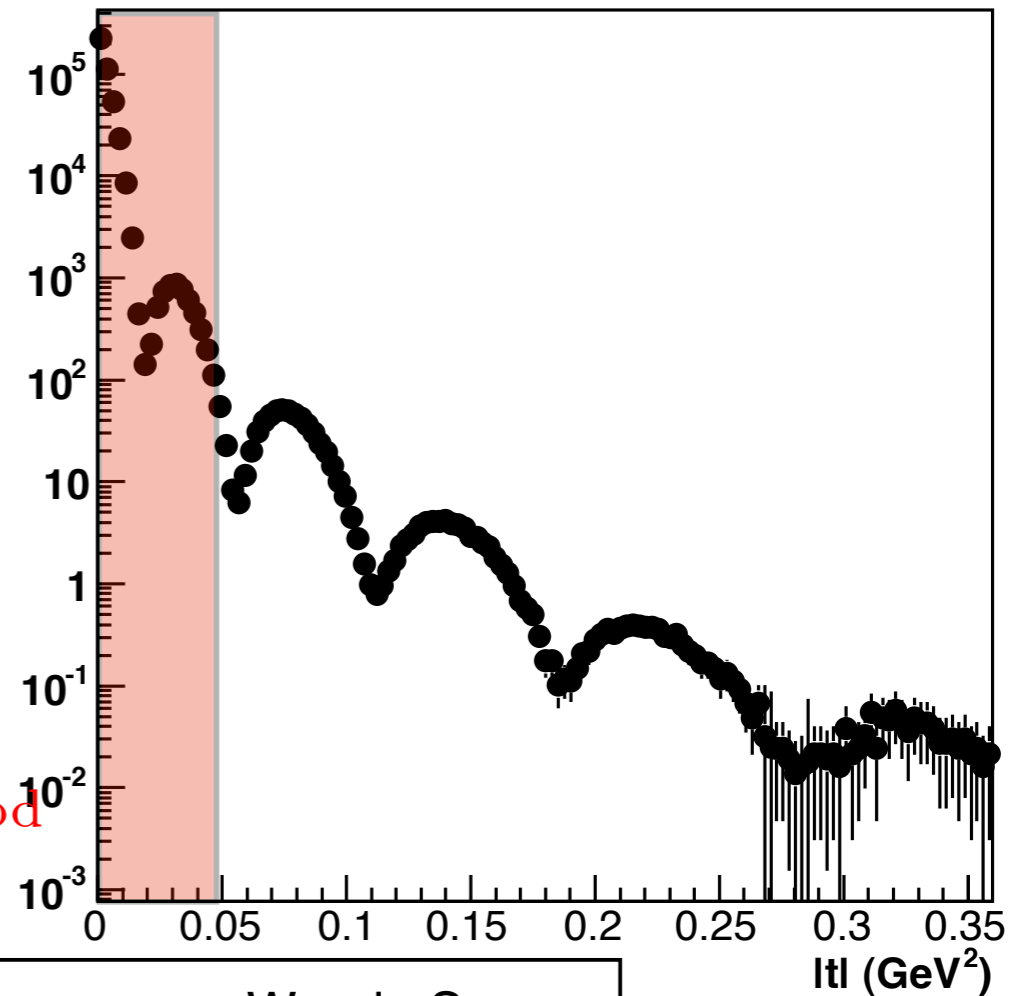
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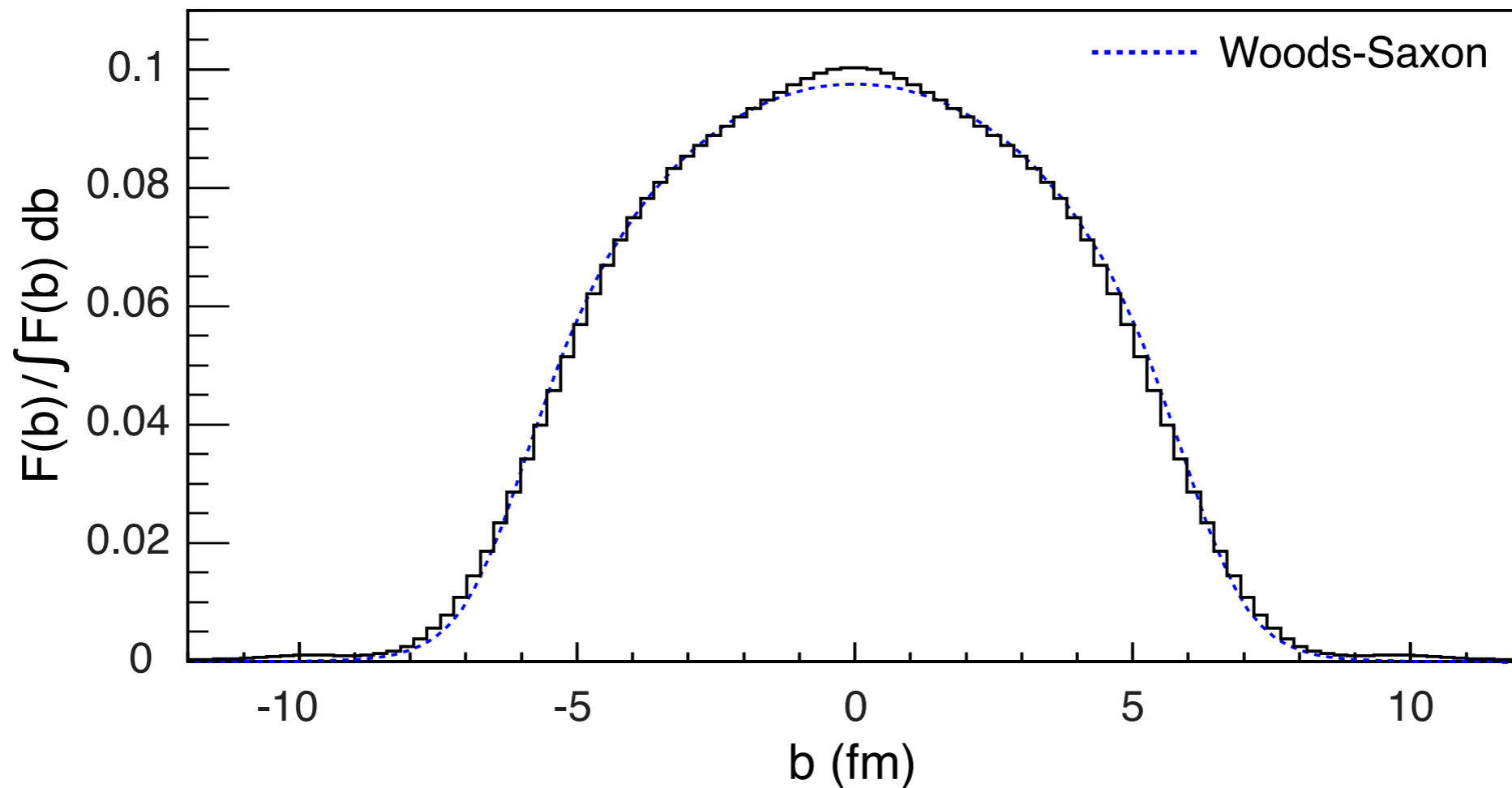
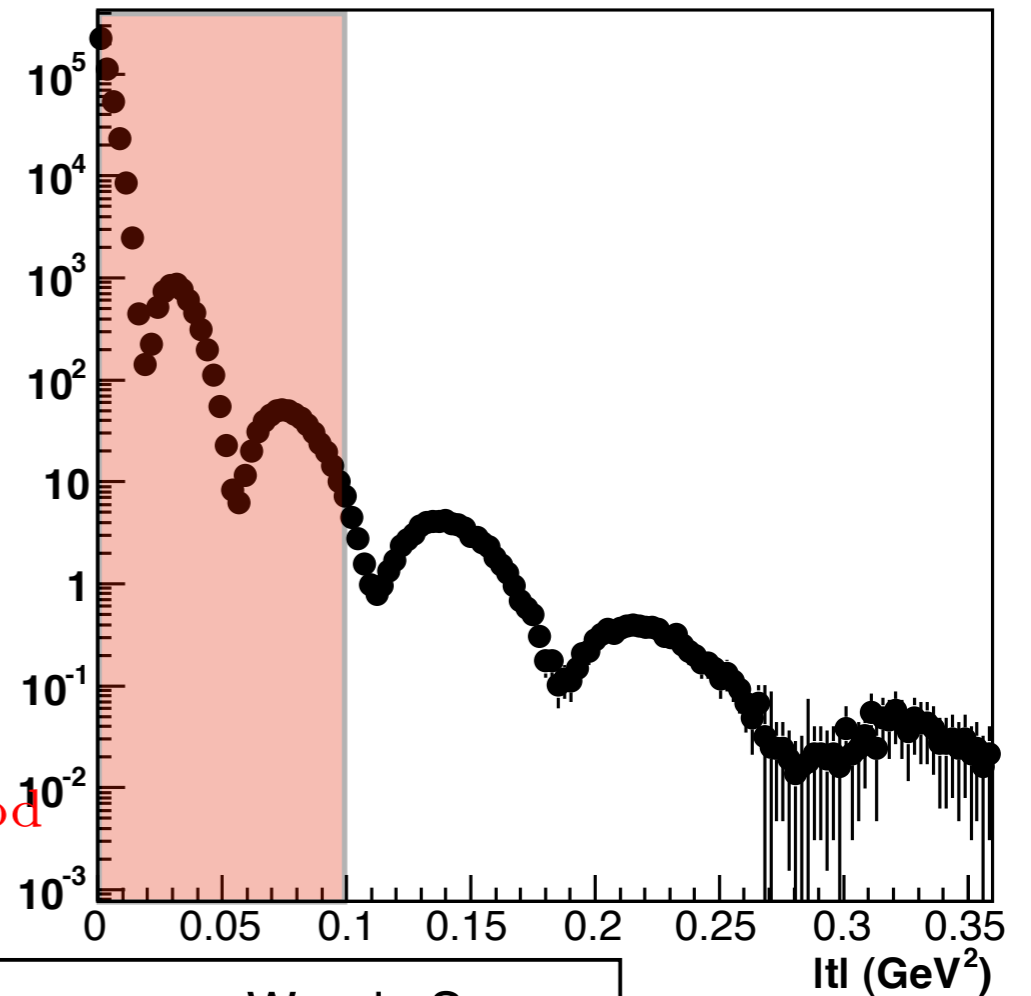
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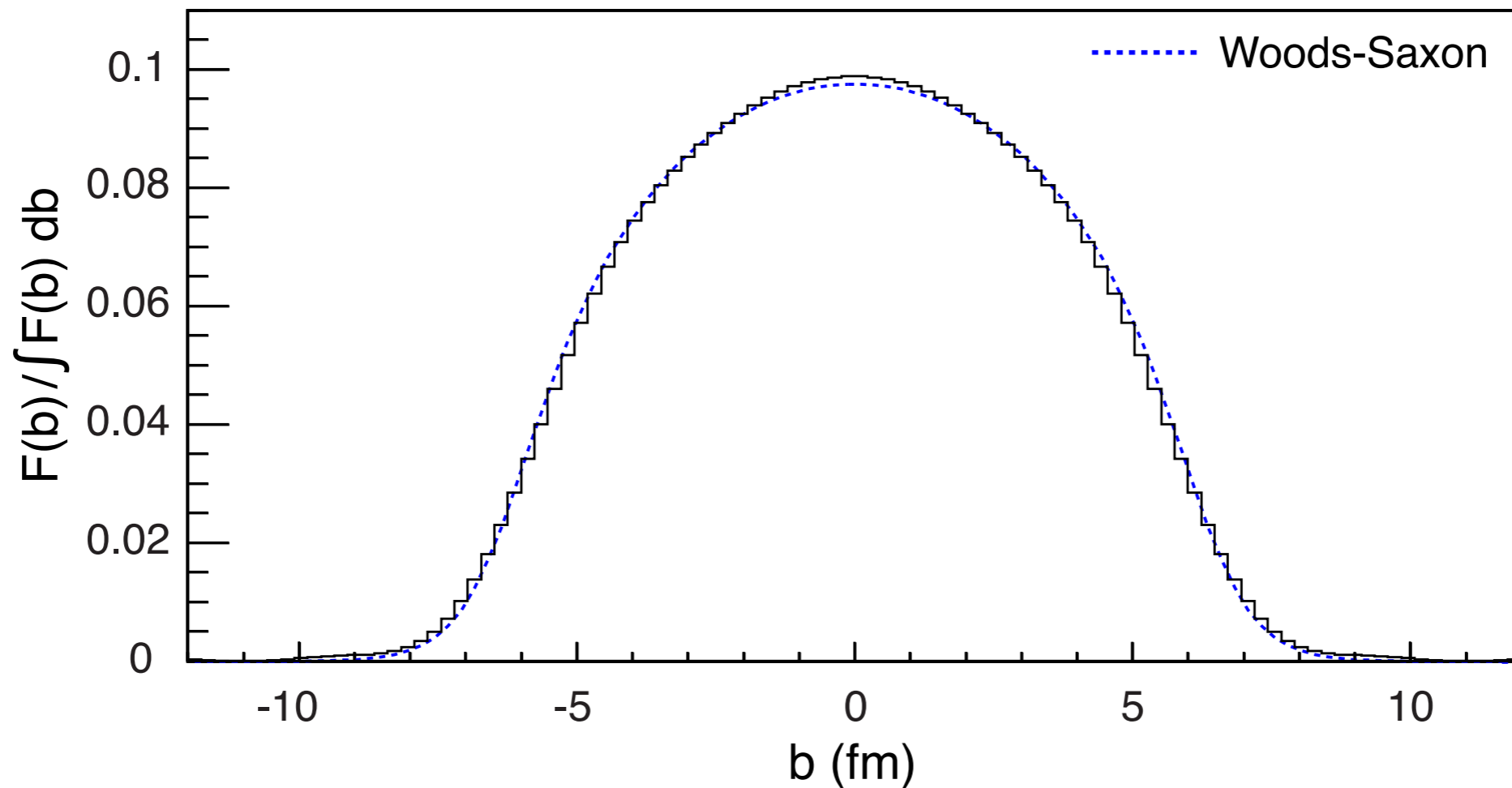
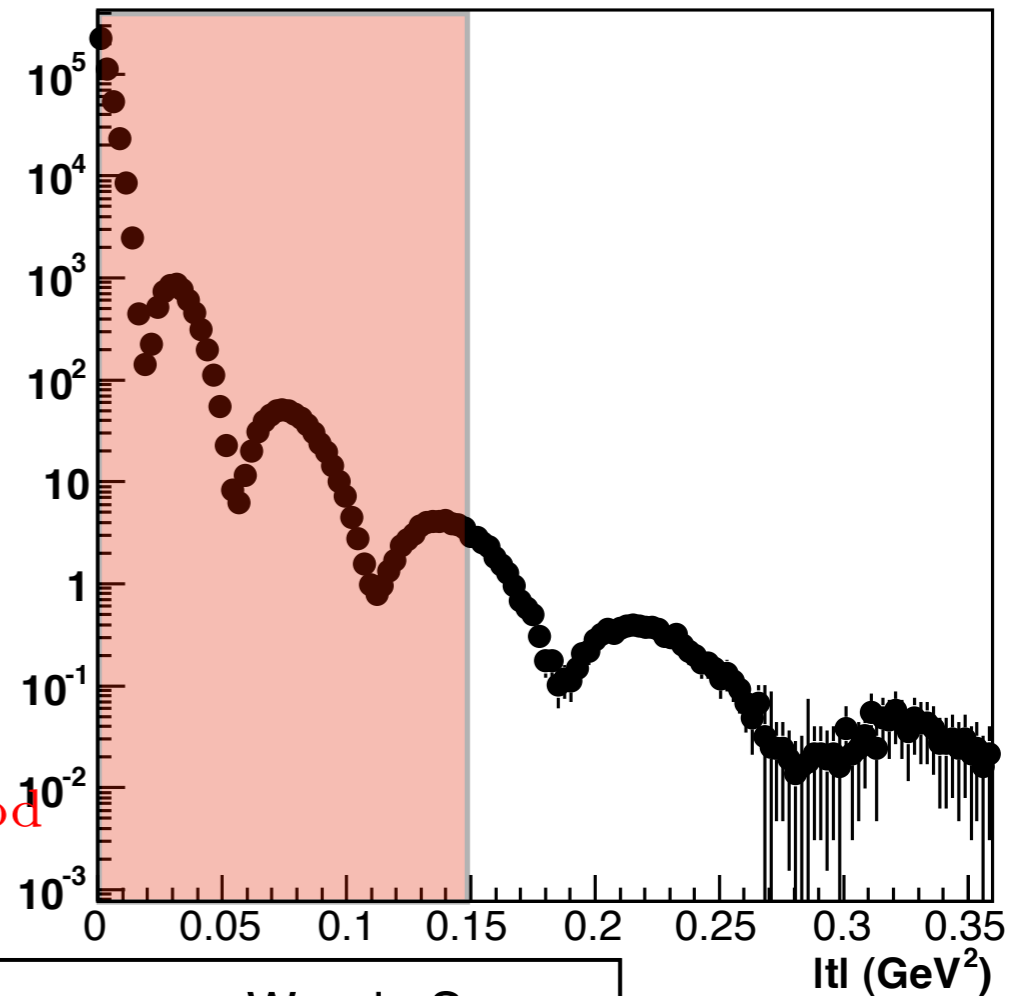
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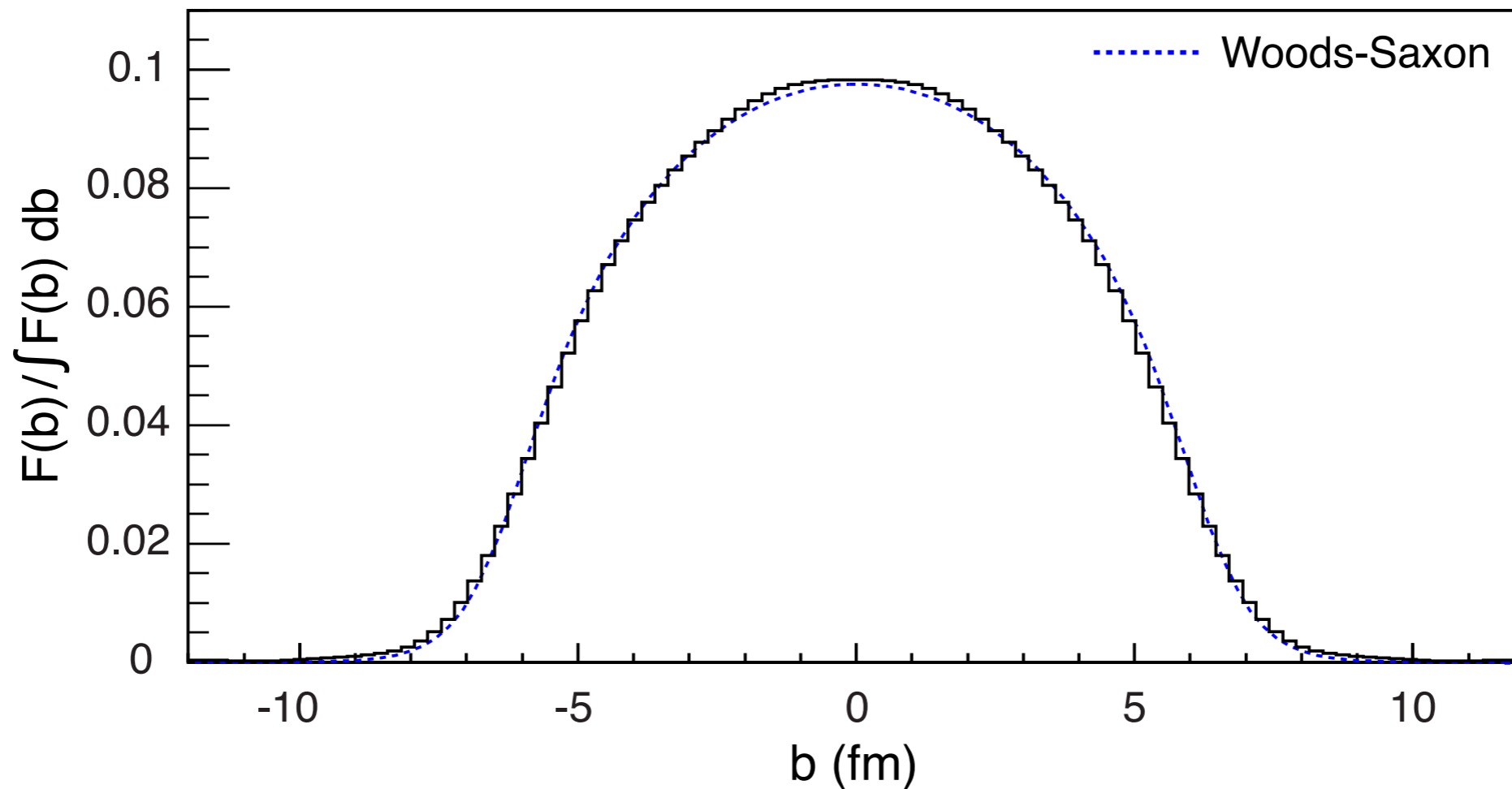
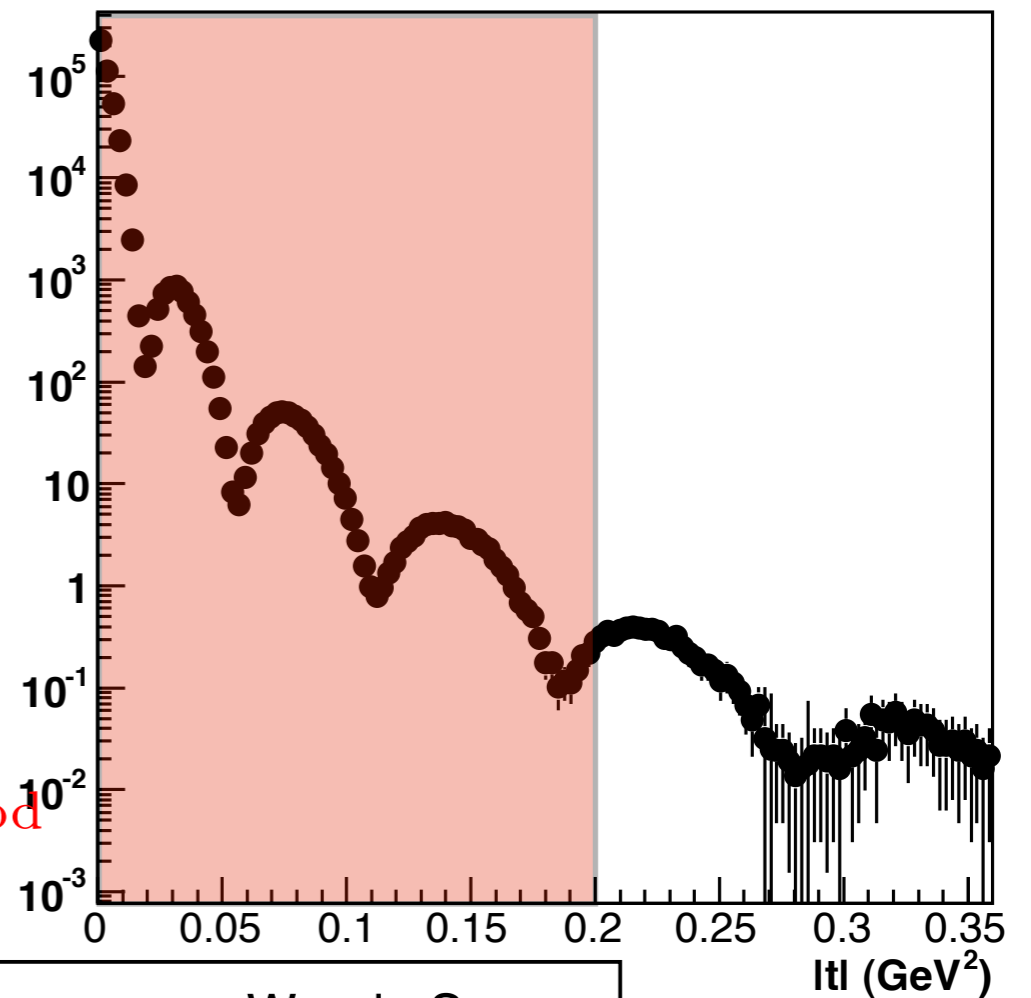
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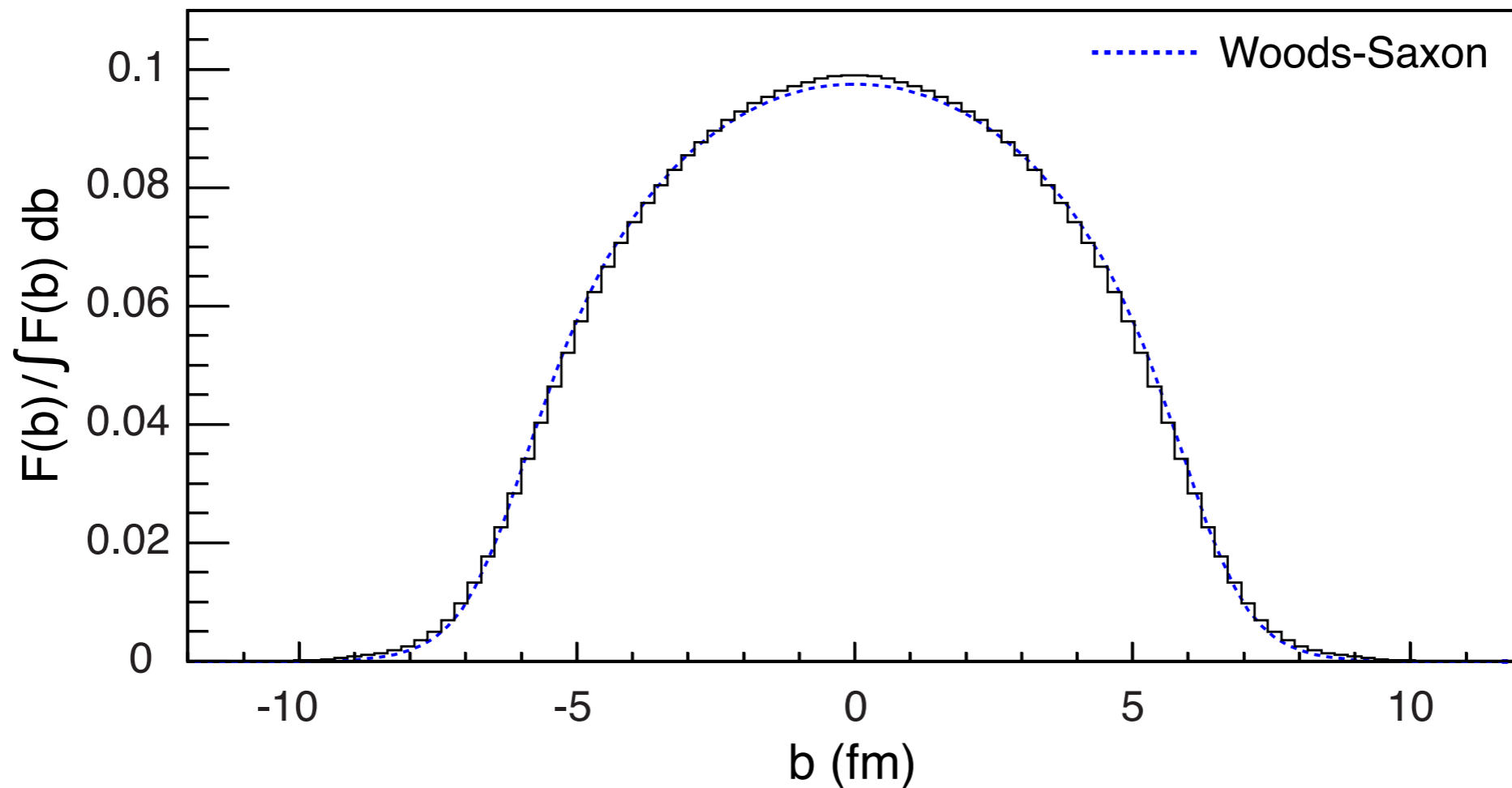
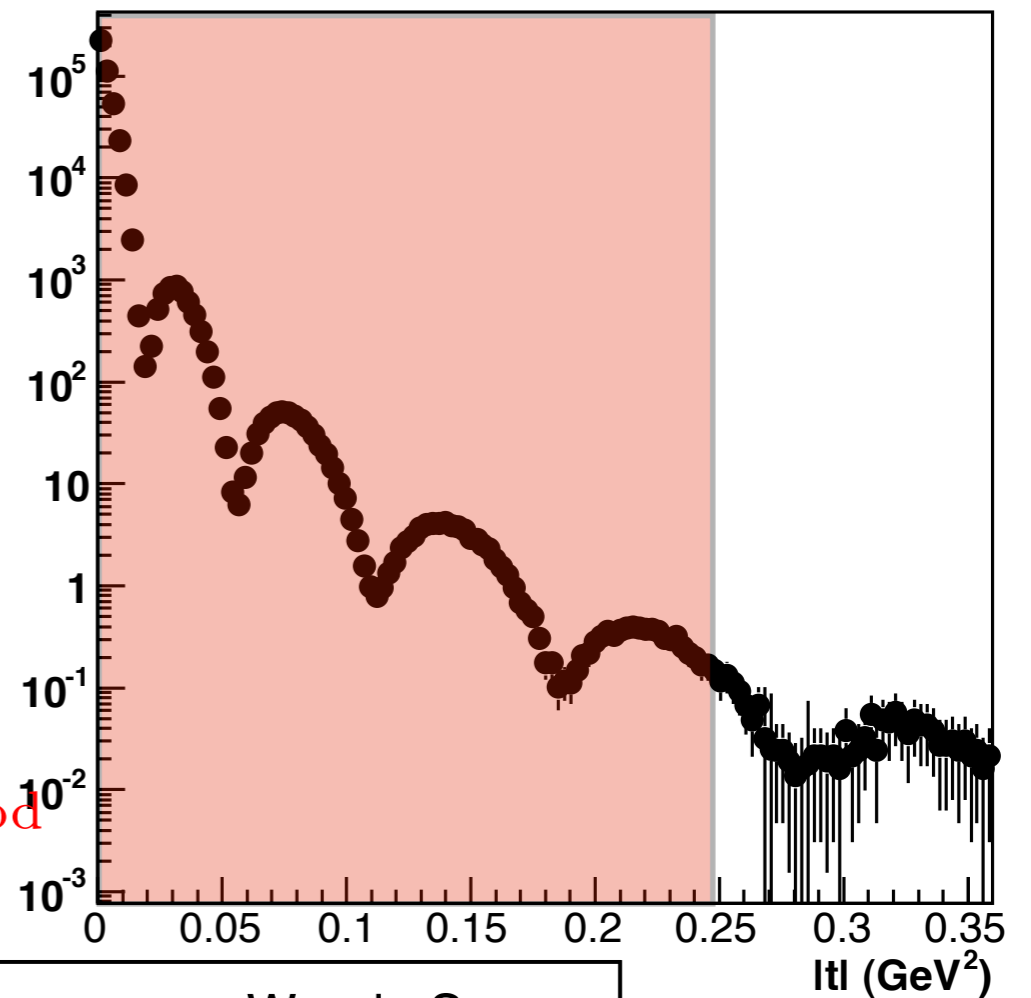
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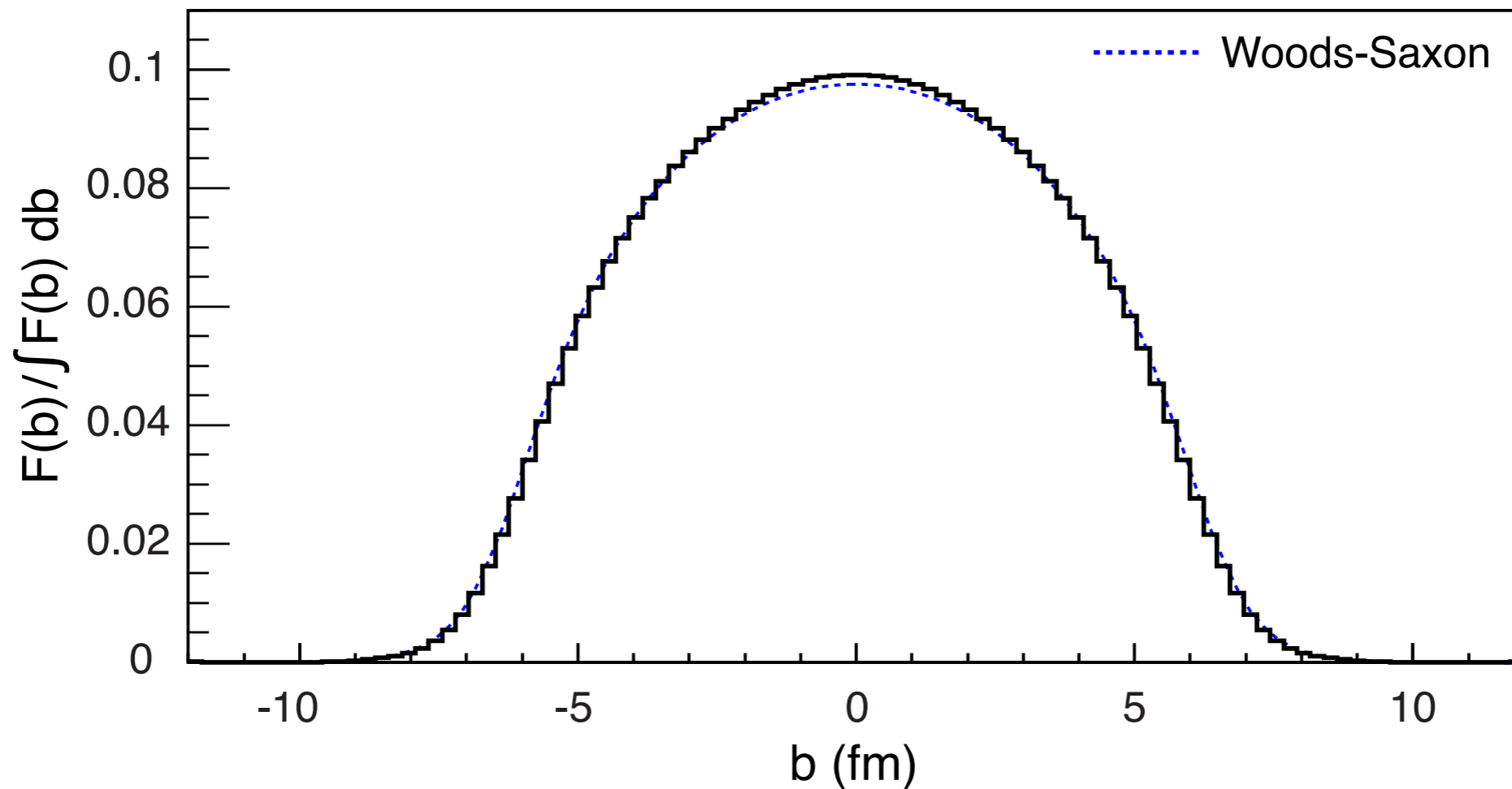
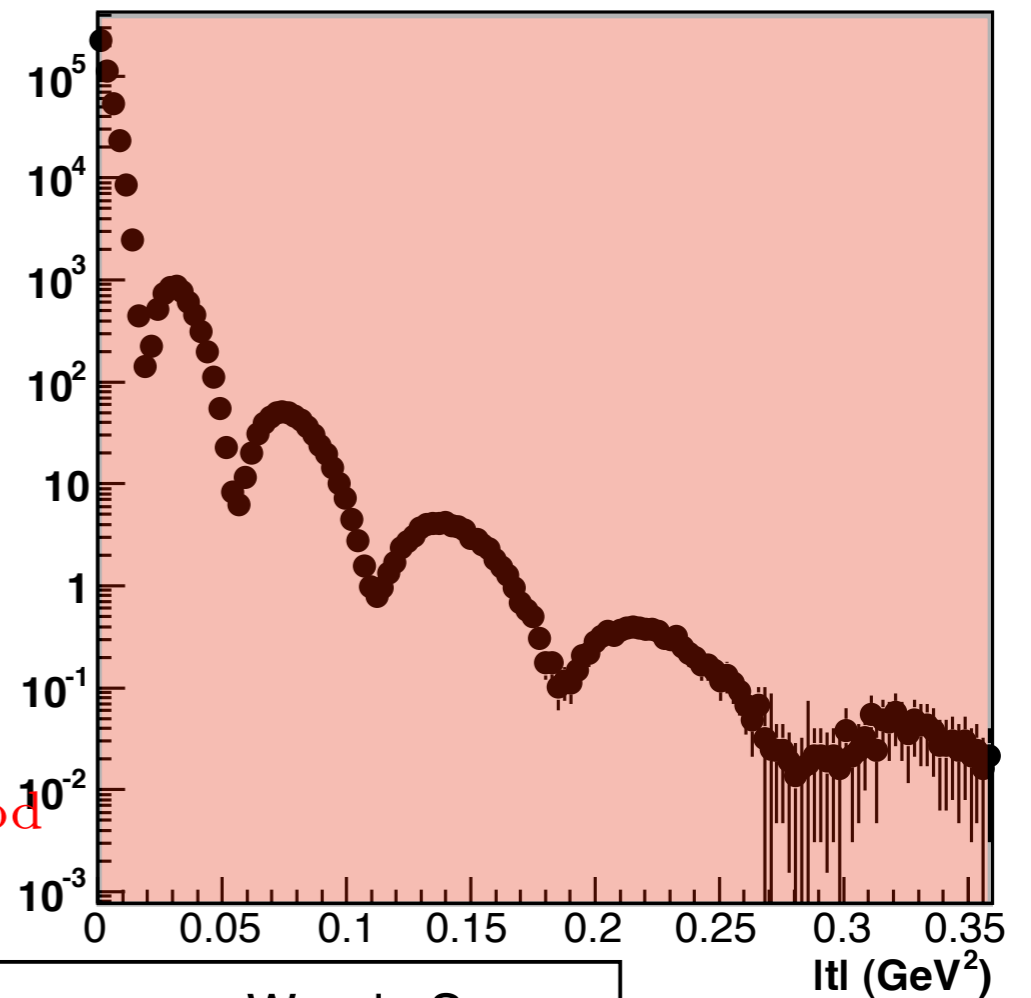
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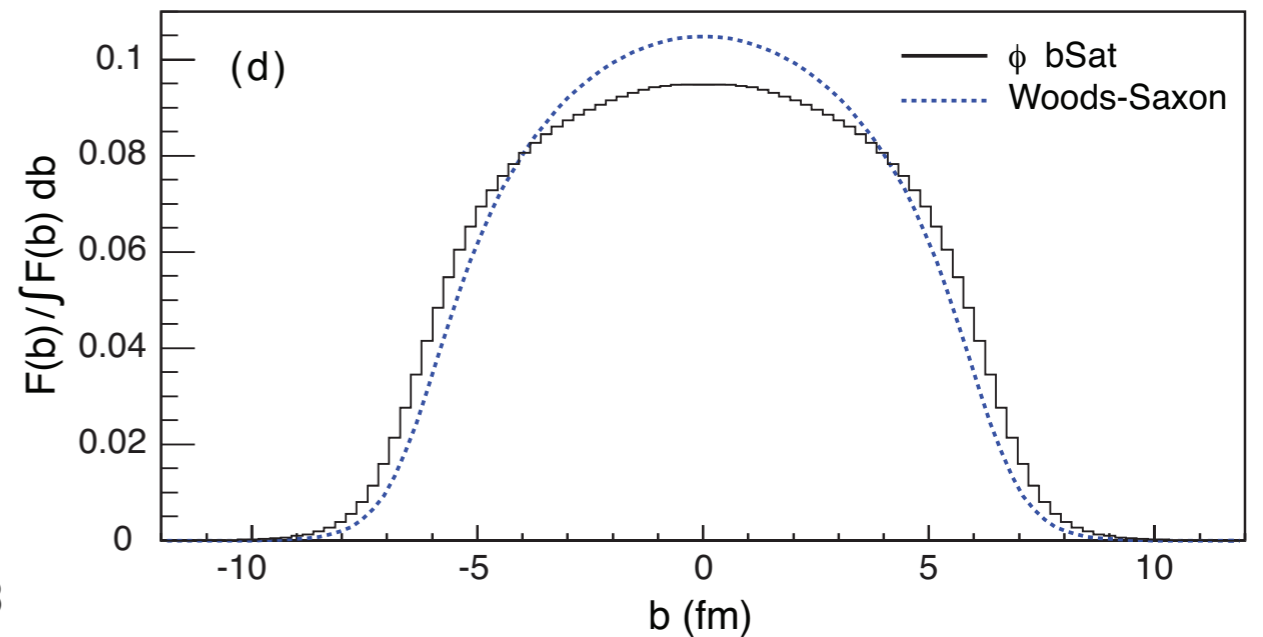
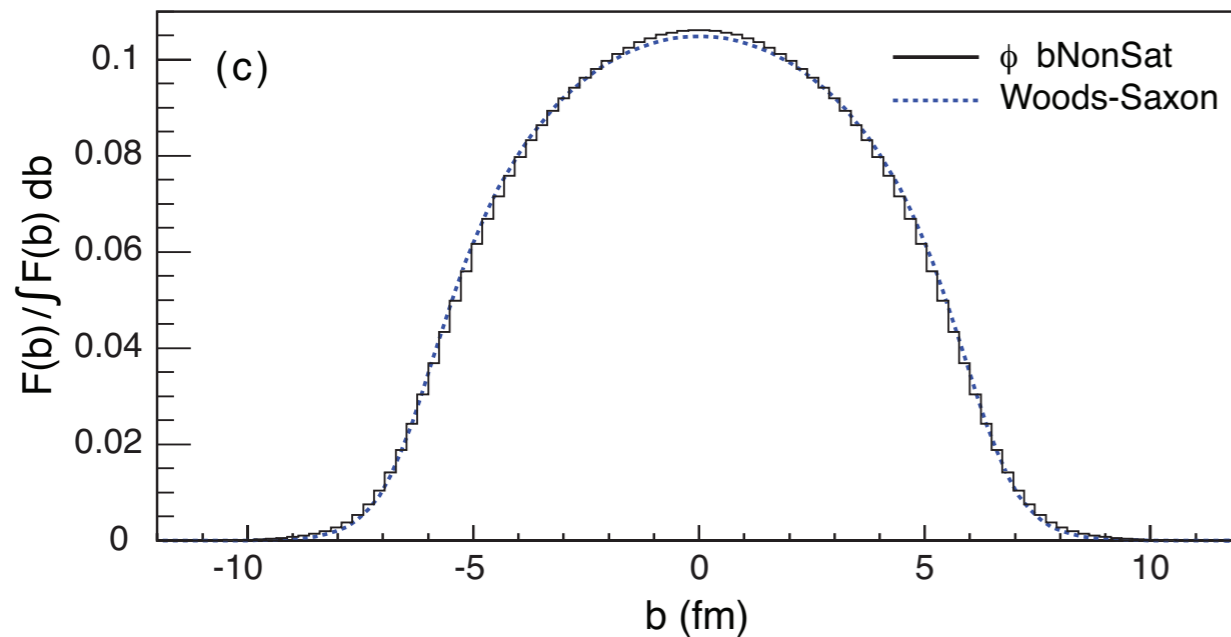
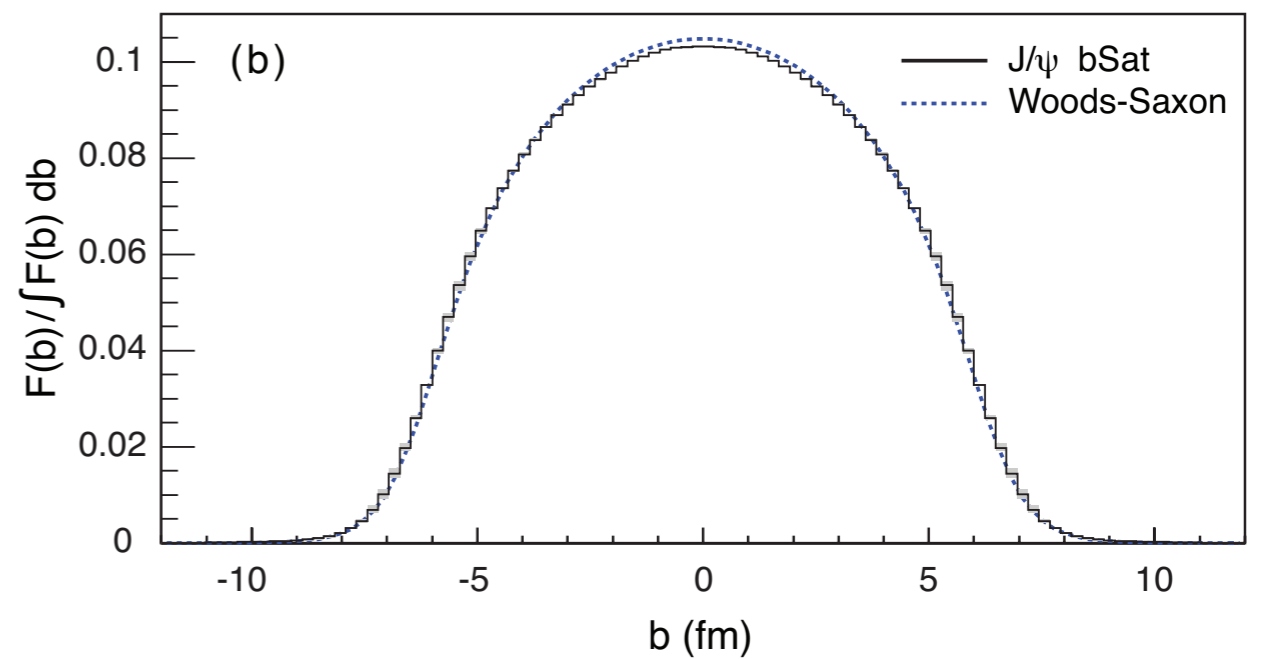
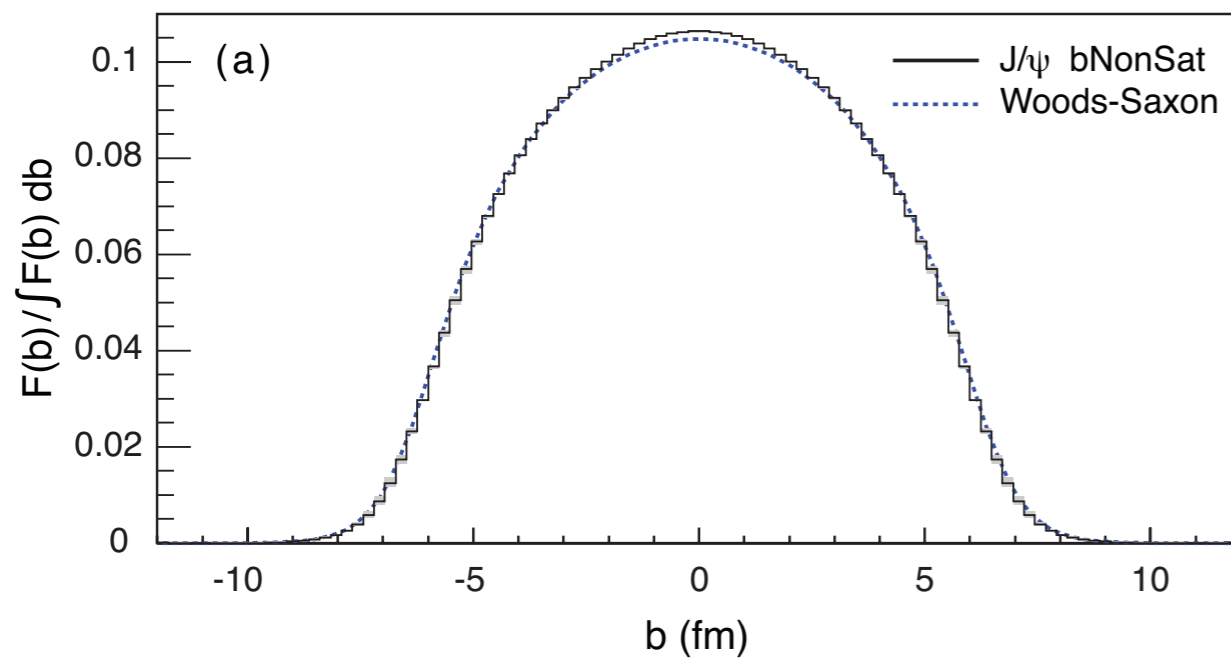
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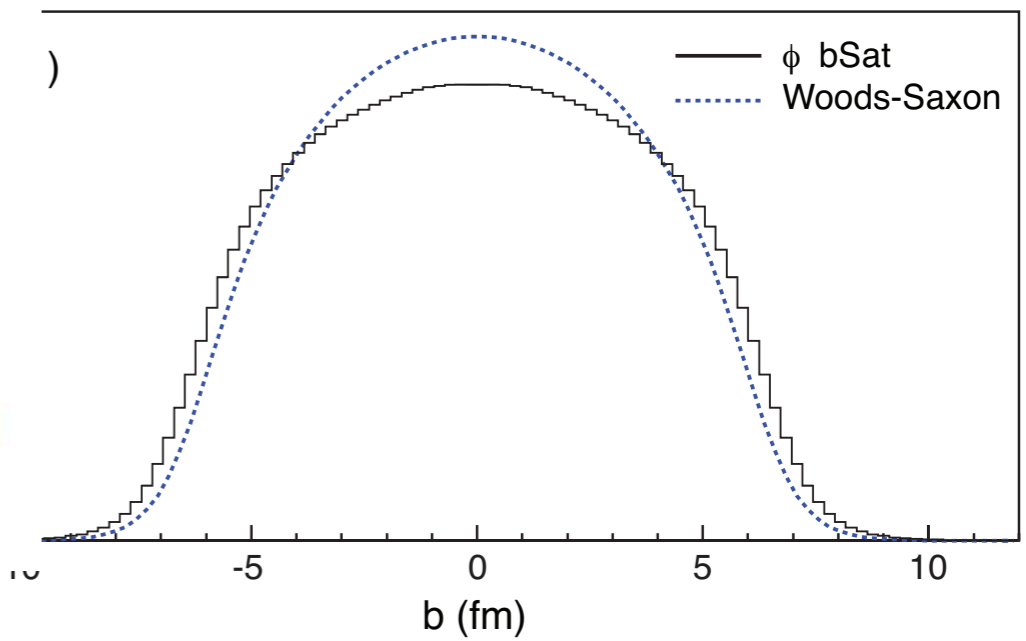
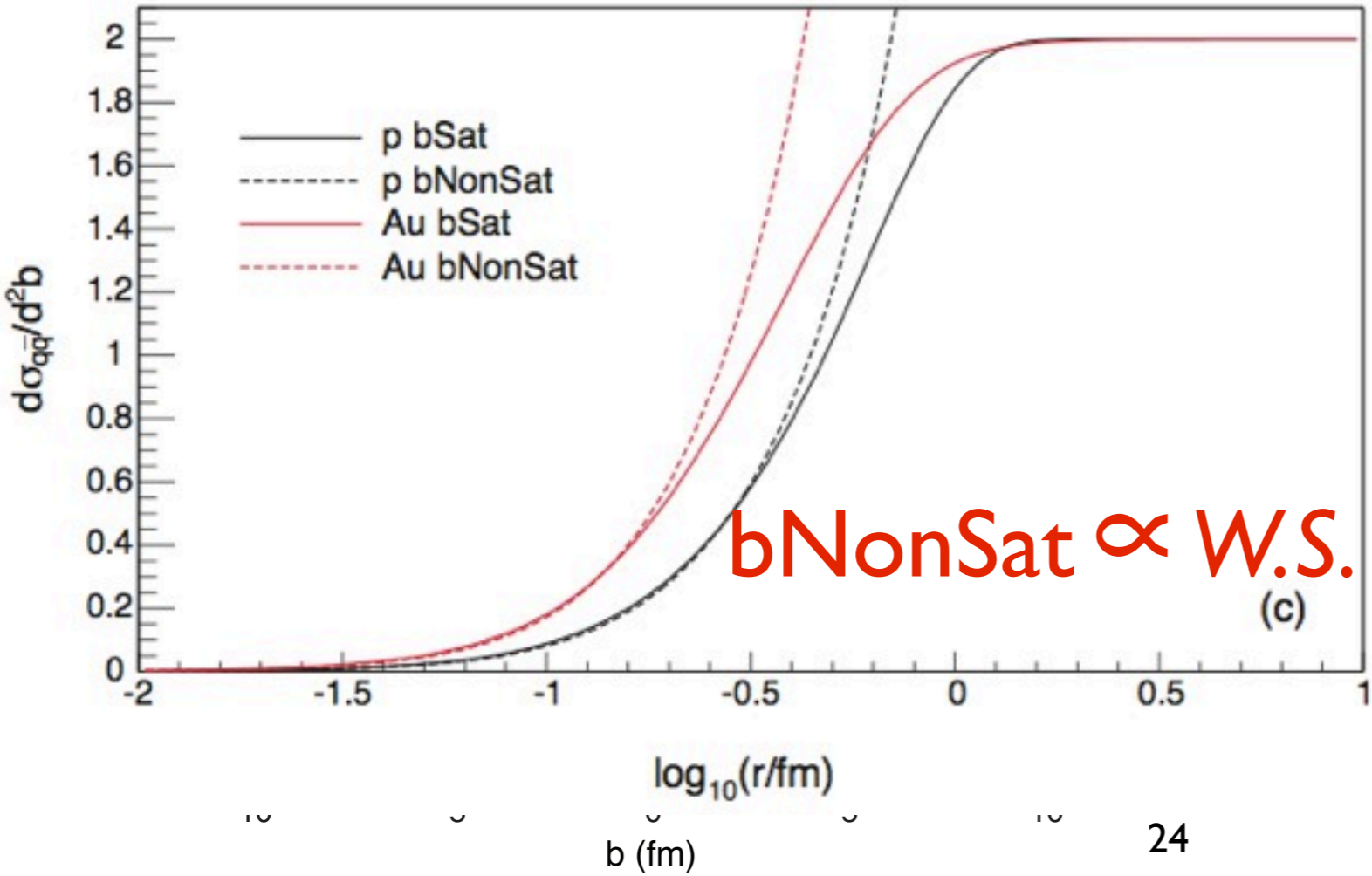
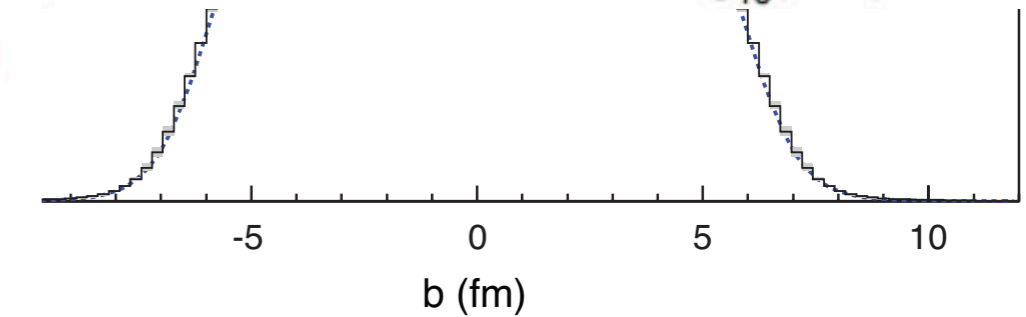
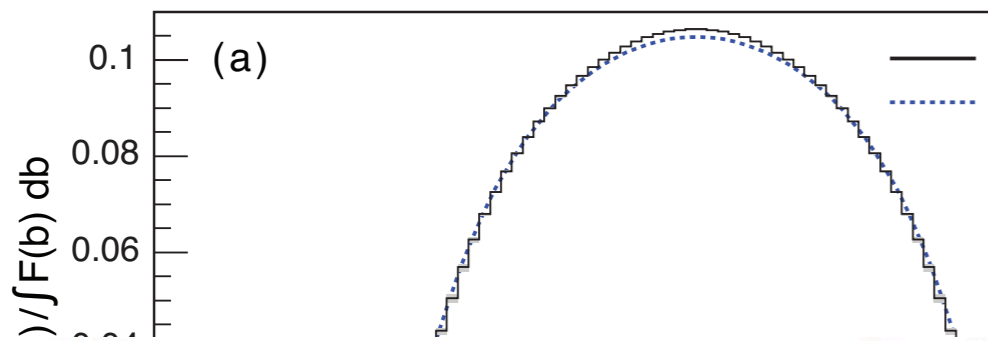
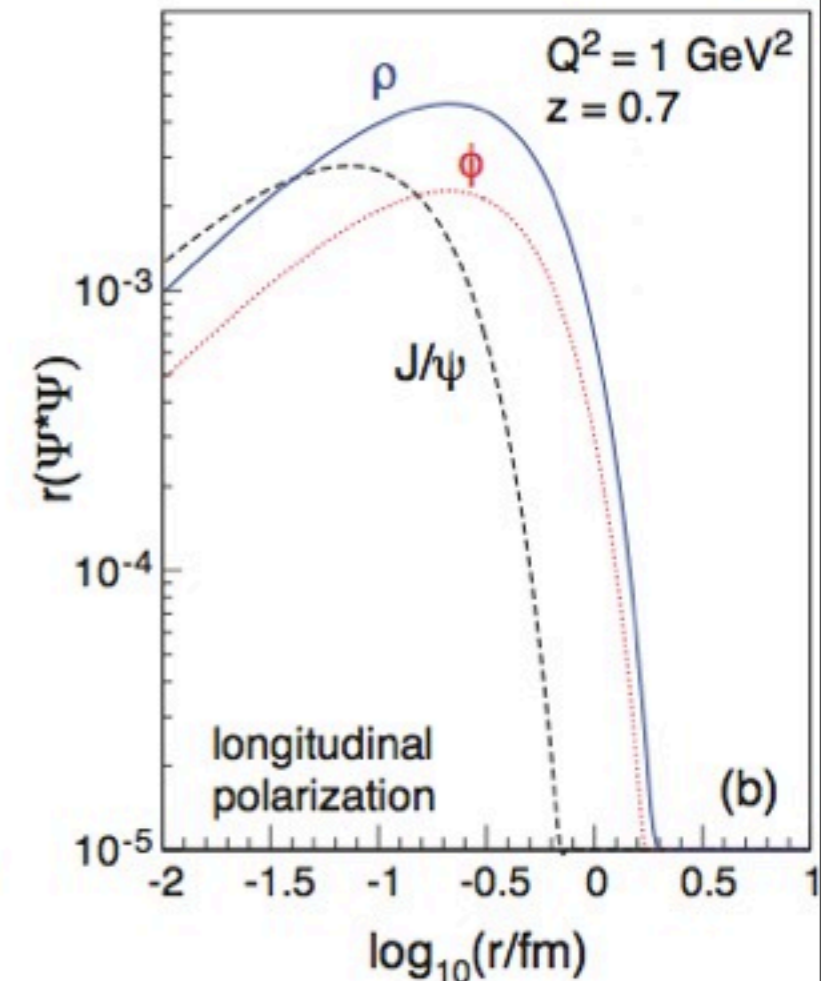
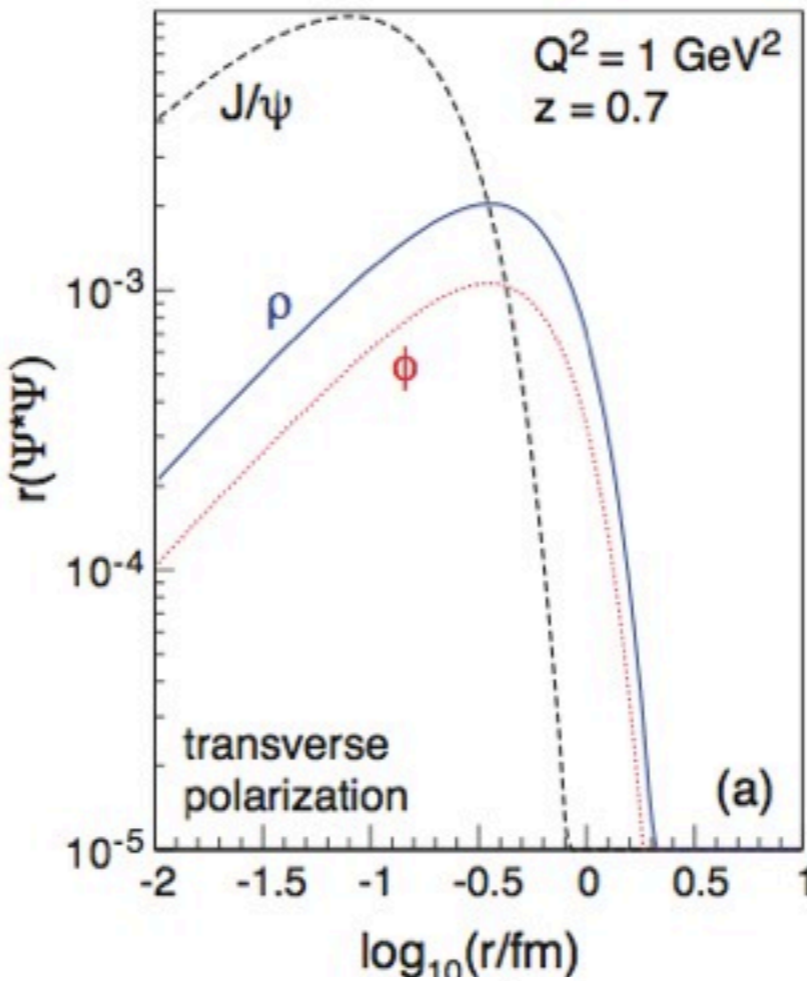
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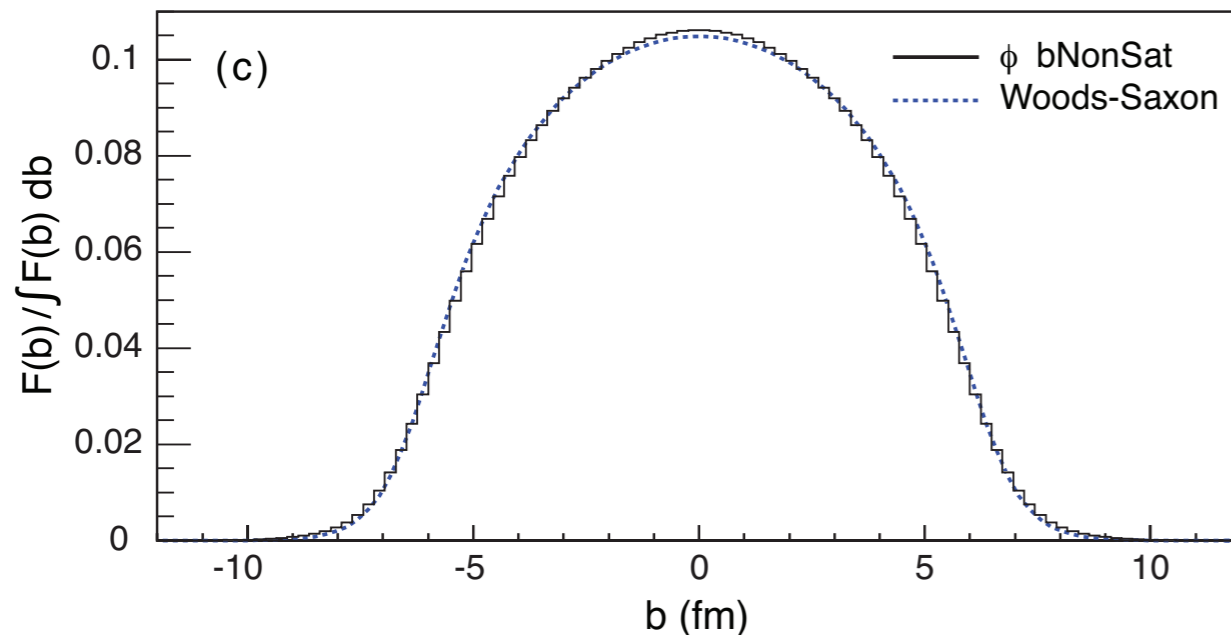
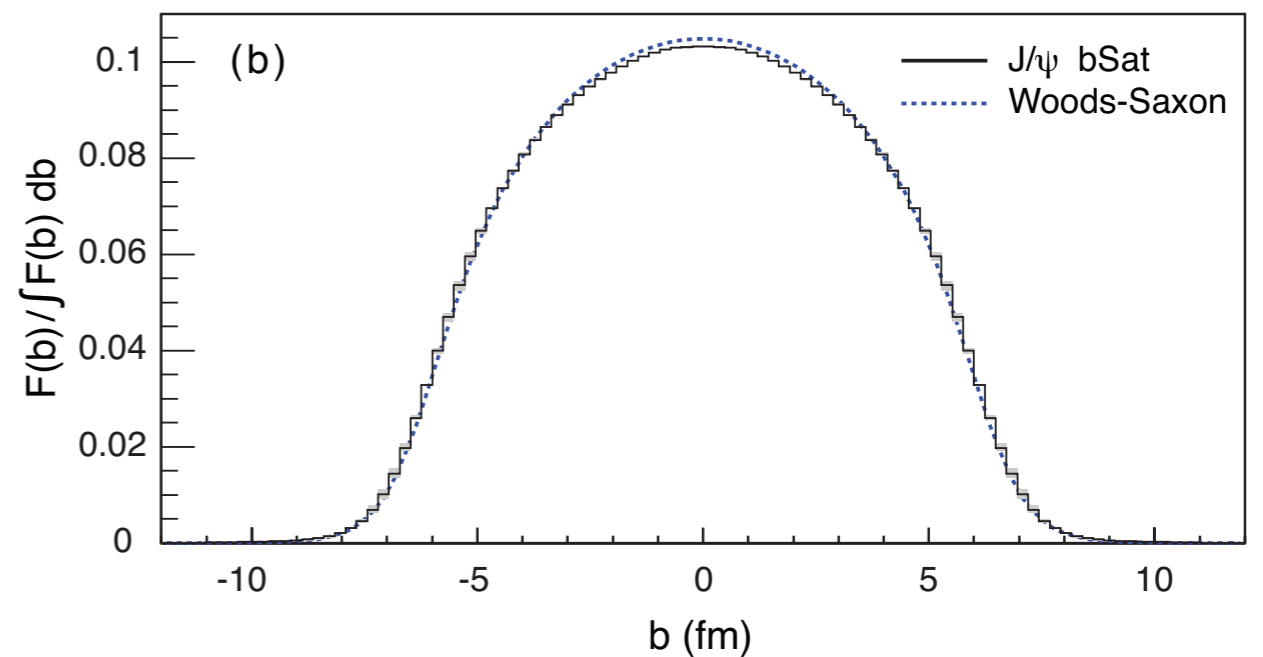
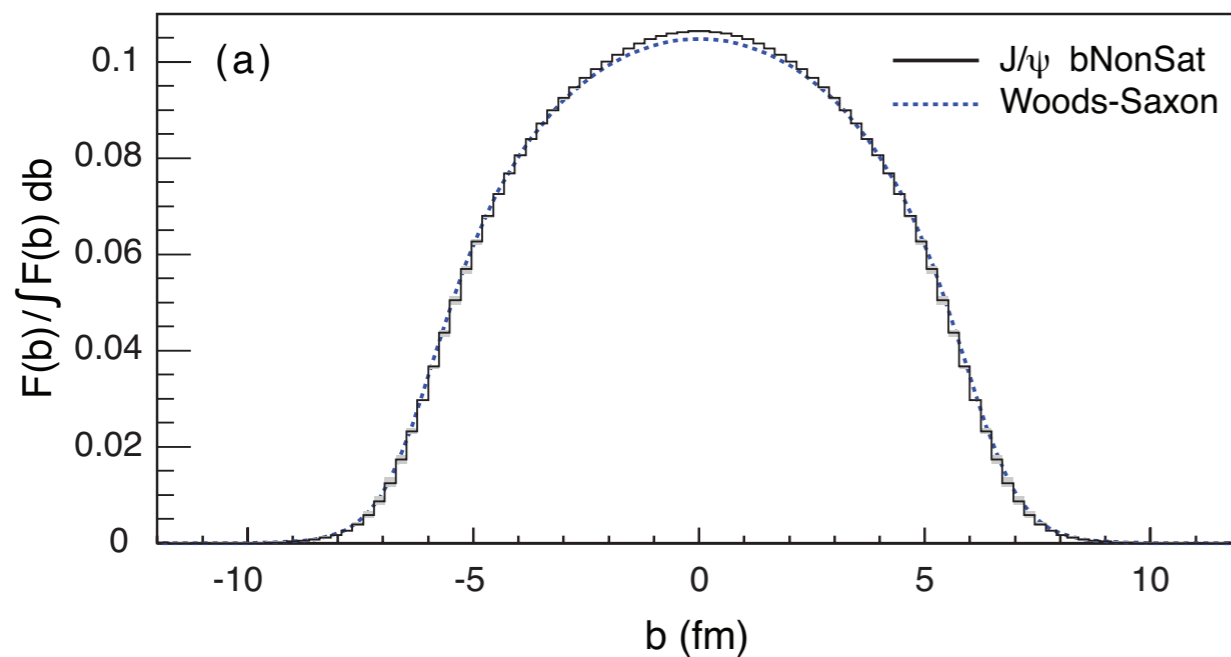
# Probing 1 distribu

$$F(b) = \frac{1}{2\pi} \int_0^\infty d r(\Psi^* \Psi)$$

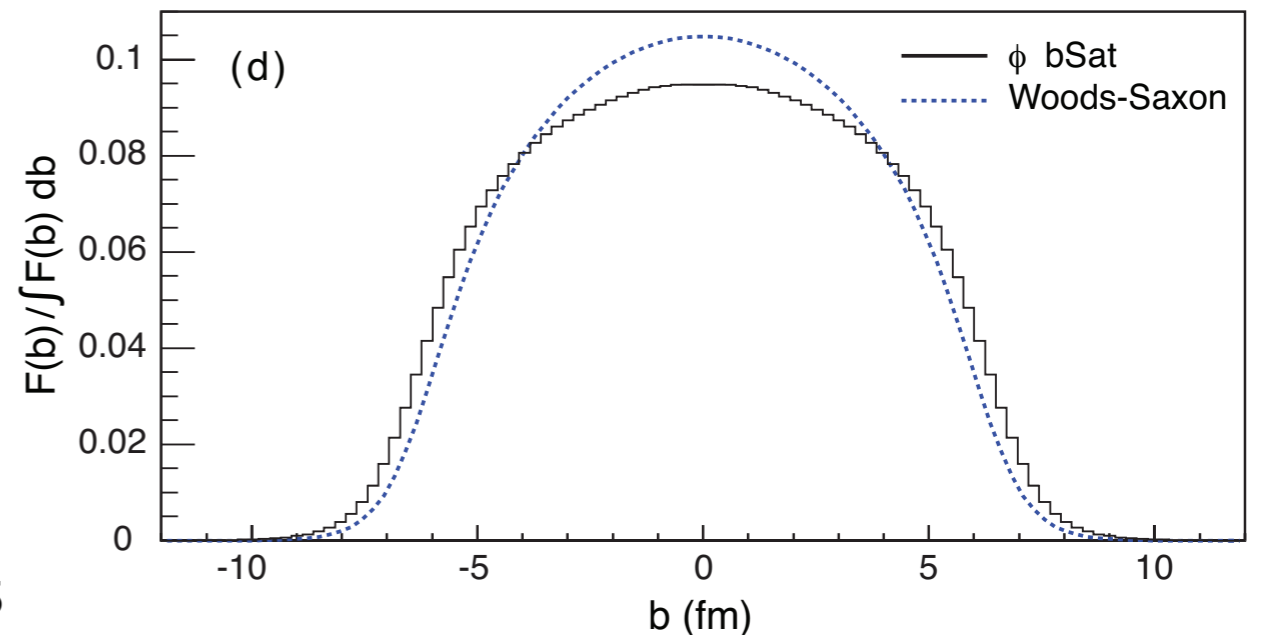


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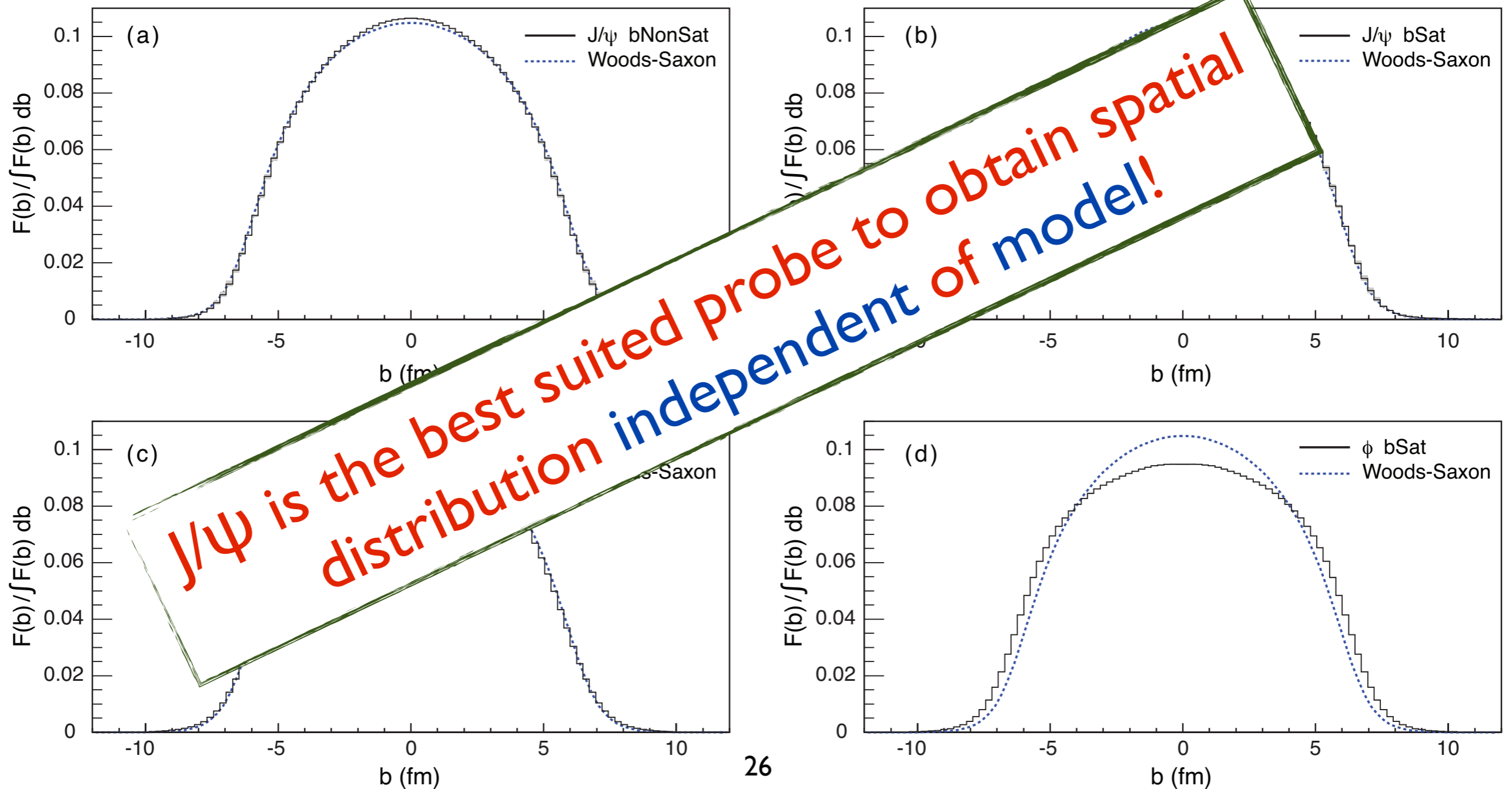
25





# Probing the **spatial** gluon distribution at eRHIC

$$F(b) = \frac{1}{2\pi} \int_0^\infty d\Delta \Delta J_0(\Delta b) \sqrt{\frac{d\sigma_{\text{coherent}}}{dt}(\Delta)}_{\text{mod}}$$



# summary

diffraction in eA is a great tool for measuring:

1. a signal for gluon saturation
2. gluon spatial distribution in nuclei

saturation signal, day 1 measurement via  
diffractive/total ratio

gluon spatial distributions in nuclei available in a model  
independent way via exclusive heavy vector mesons, s.a.  $J/\psi$

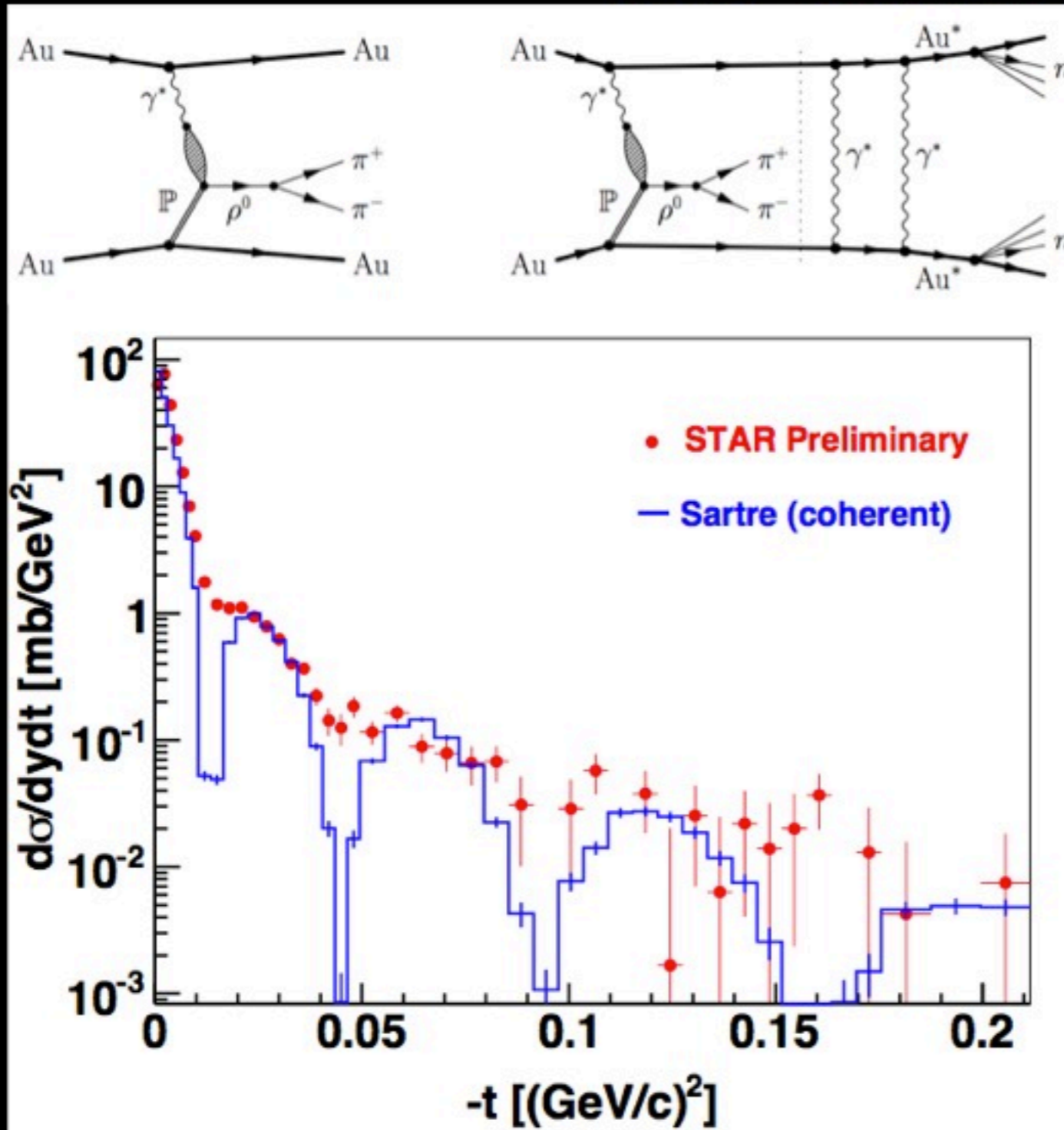
eRHIC truly an ultra high resolution femtoscope for  
probing the initial state of nuclei

back up

# What is being measured?

## Coherent Diffraction ( $\gamma^*+IP$ ) in UPC at RHIC

Slide from J.H. Lee,  
Analysis: R. Debb



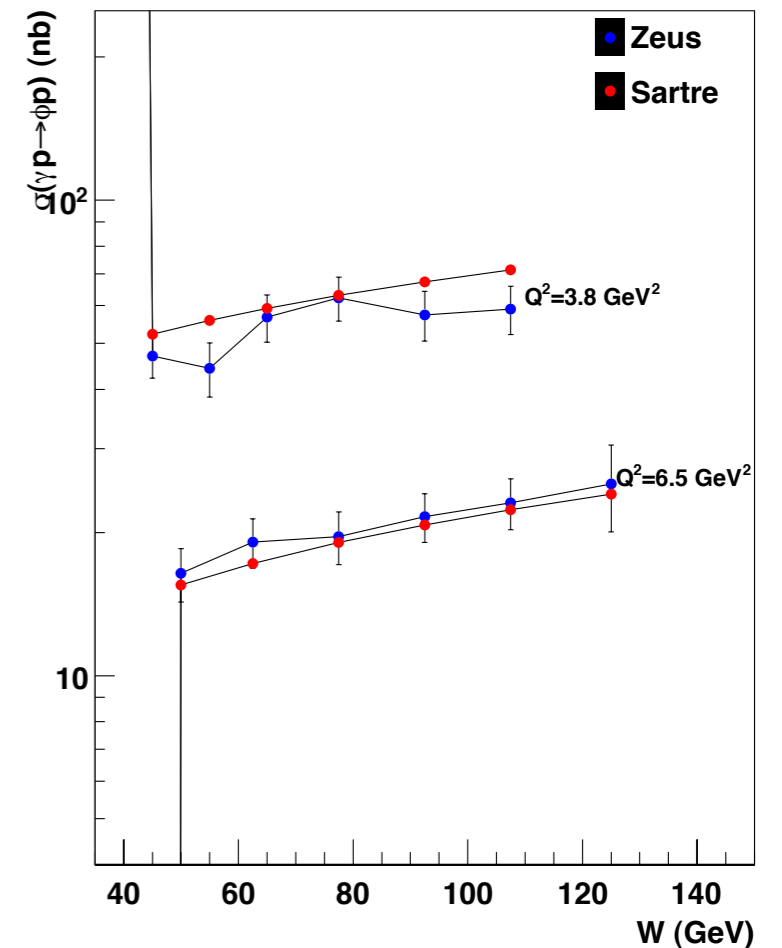
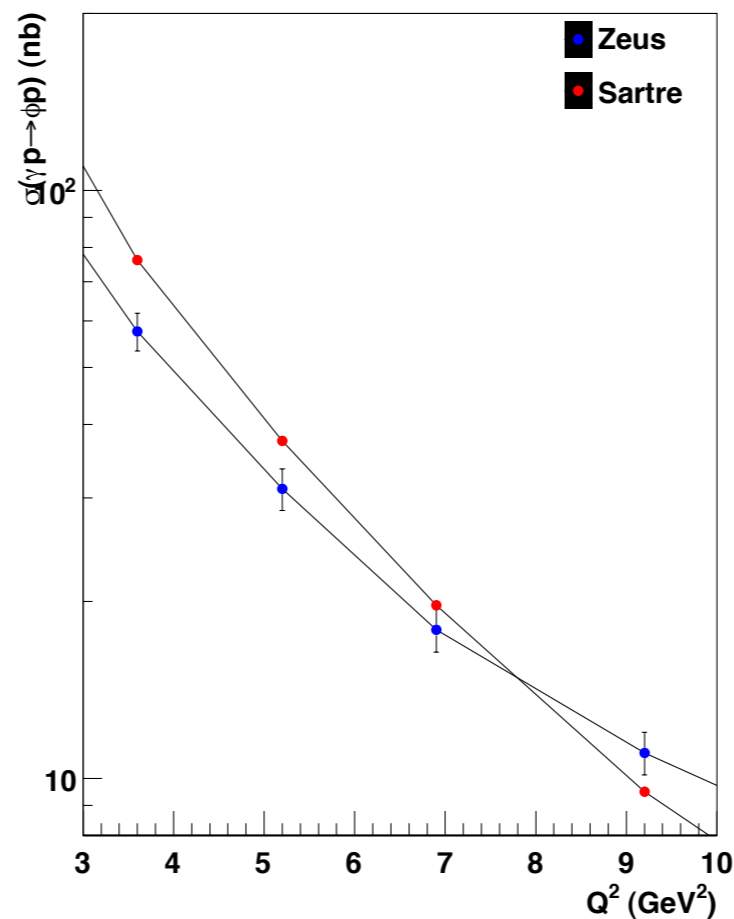
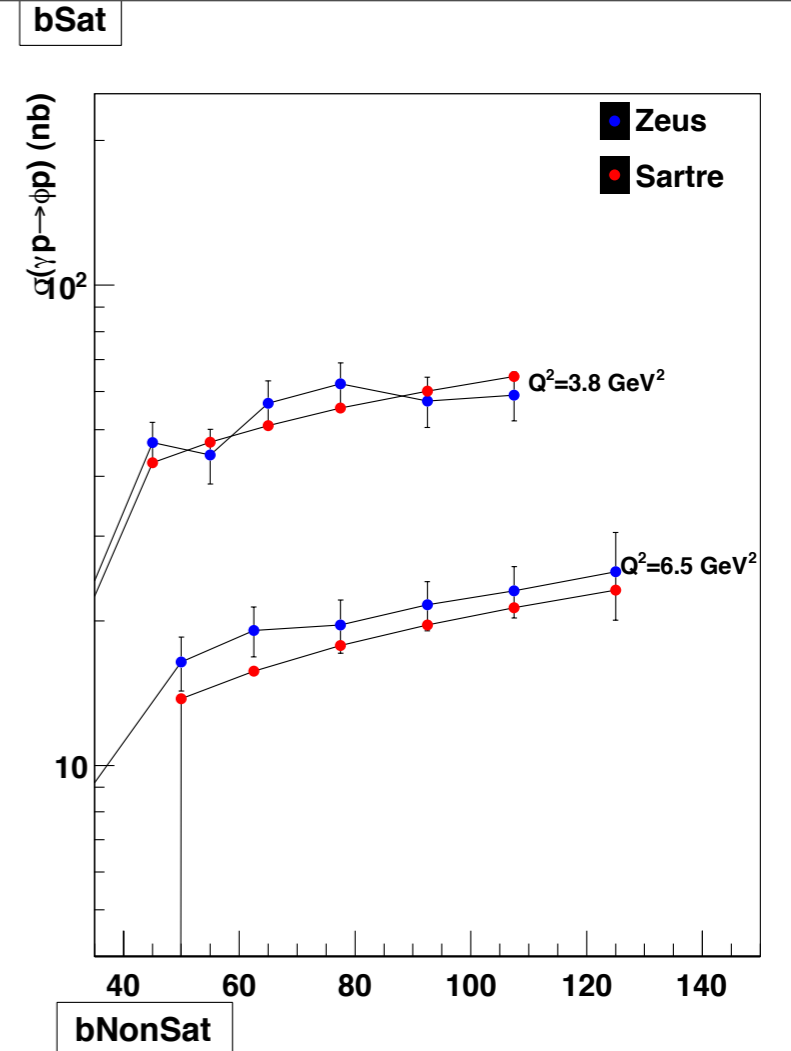
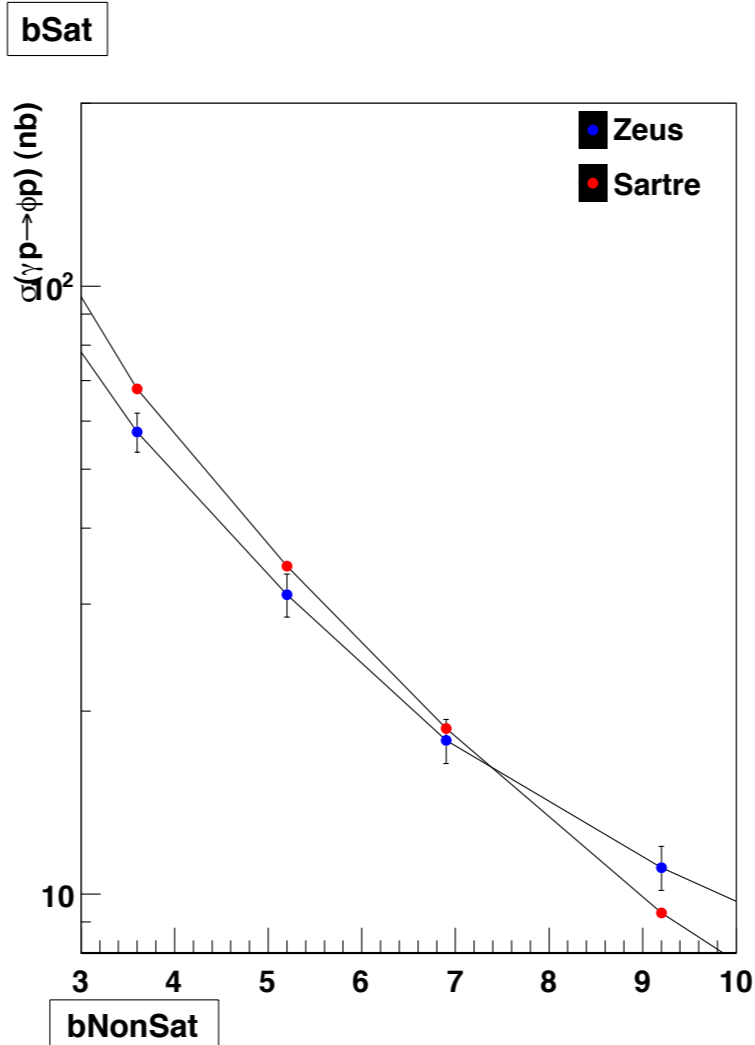
- Coherent diffractive  $\rho$  production in Au + Au at  $\sqrt{s_{NN}}=200$  GeV
  - Data: STAR/RHIC Ultra-peripheral AuAu Collision
  - Simulation: Sartre
- No  $t$ -smearing in Sartre

# bSat vs. bNonSat at HERA

$\phi$  — mesons

No distinguishing power!

eRHIC can probe the difference!



# Probing the **spatial** gluon distribution at eRHIC

Amplitude is a Fourier transform from position to momentum space:

$$\langle \mathcal{A}_{T,L}(Q^2, \Delta, x_{\mathcal{P}}) \rangle_{\Omega} = \int \pi r dr dz b db (\Psi_V^* \Psi)_{T,L}(Q^2, r, z) \\ J_0([1-z]r\Delta) J_0(b\Delta) \left\langle \frac{d\sigma_{q\bar{q}}}{d^2\mathbf{b}} \right\rangle_{\Omega}(x_{\mathcal{P}}, r, b)$$

**Cross-section:**

$$\frac{d\sigma}{dt} = \frac{1}{16\pi} \left| \langle \mathcal{A}_{T,L}(Q^2, \Delta, x_{\mathcal{P}}) \rangle_{\Omega} \right|^2$$

**Fourier transform again to retain spatial distribution:**

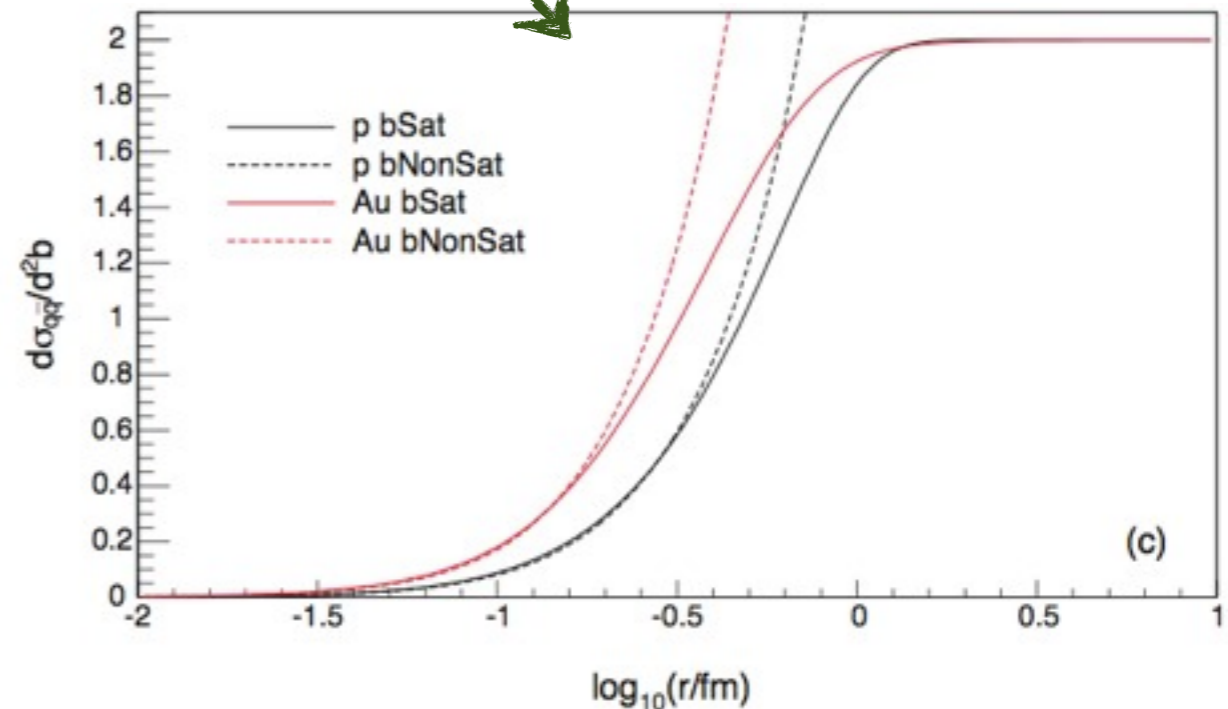
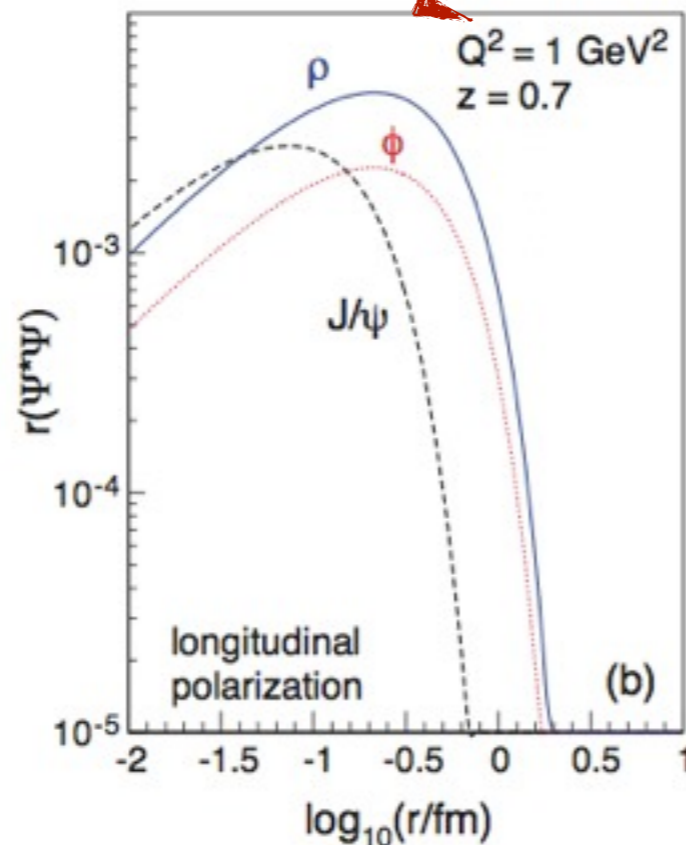
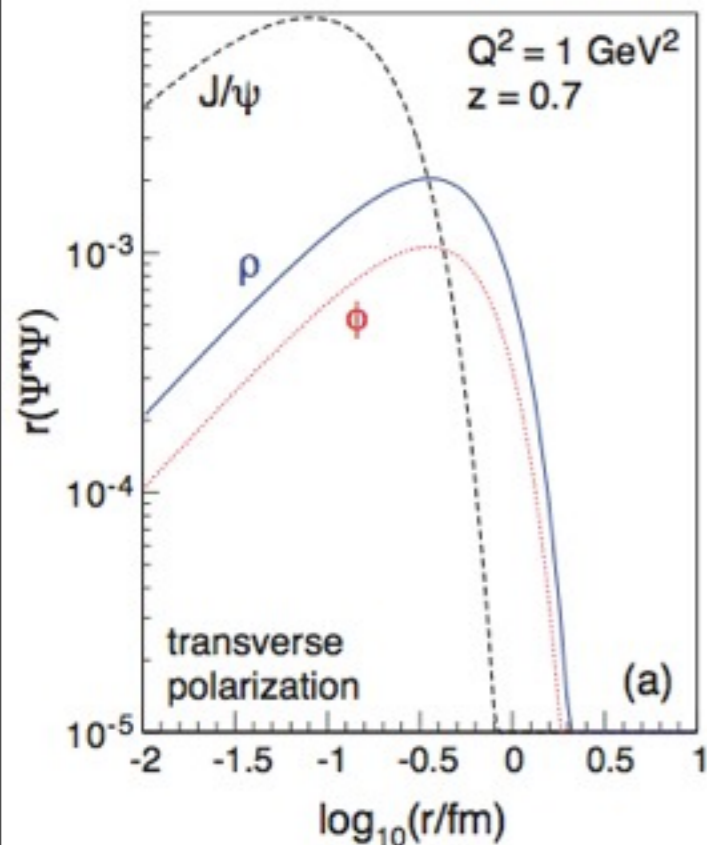
$$F(b) = \frac{1}{2\pi} \int_0^{\infty} d\Delta \Delta J_0(\Delta b) \sqrt{\left. \frac{d\sigma_{\text{coherent}}}{dt}(\Delta) \right|_{\text{mod}}}$$

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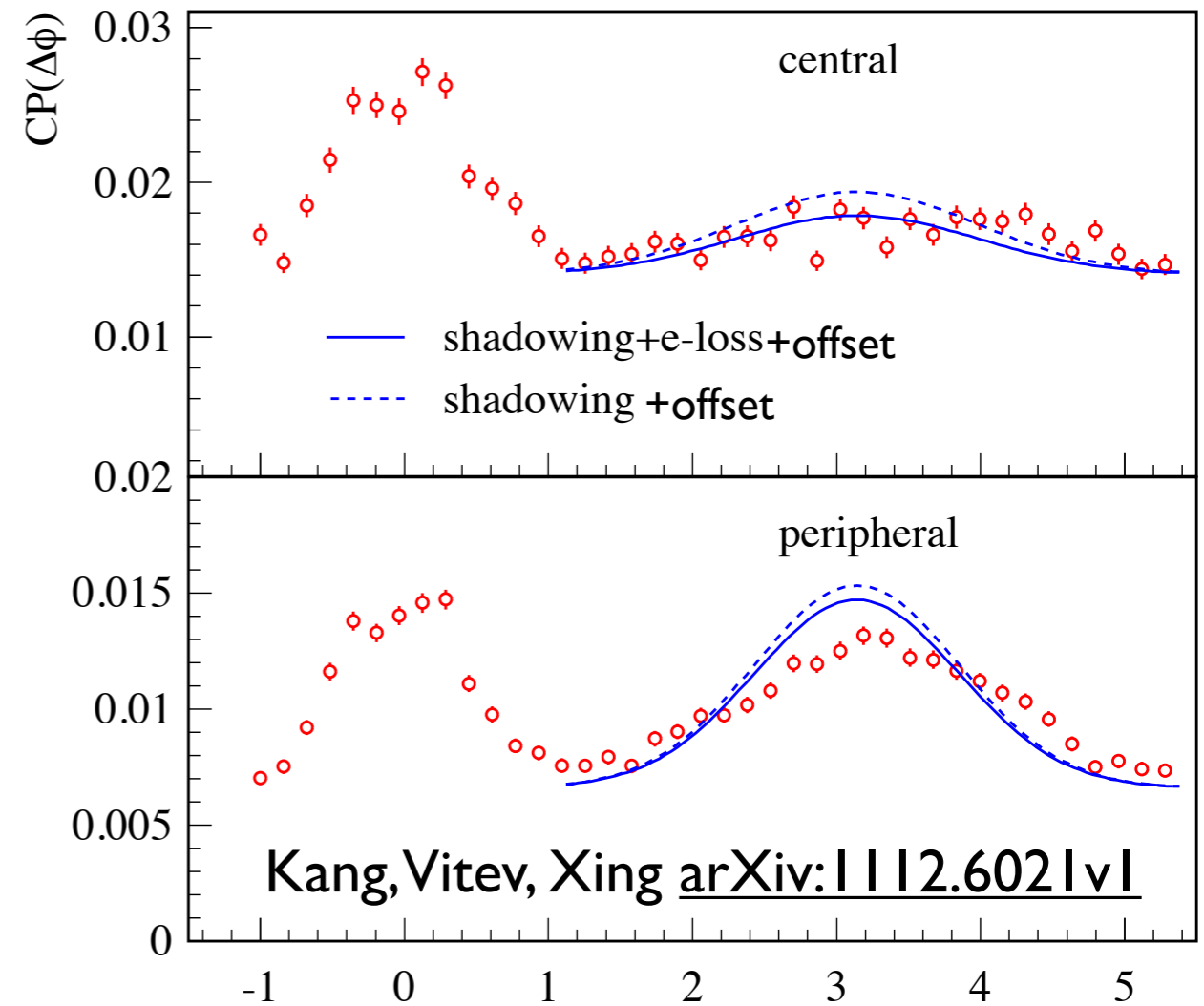
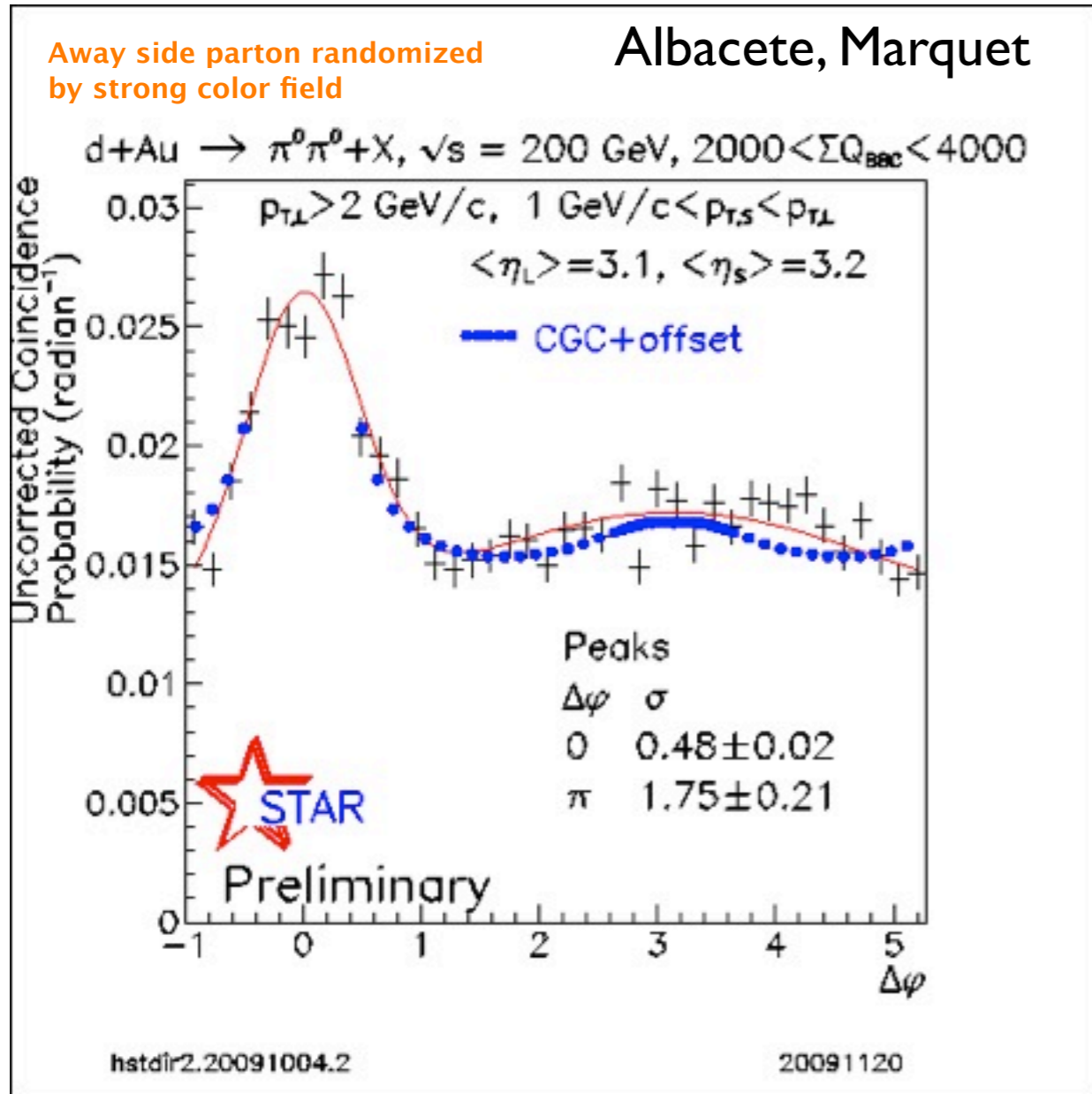
$$J_0([1-z]r\Delta) J_0(b\Delta) \left\langle \frac{d\sigma_{q\bar{q}}}{d^2\mathbf{b}} \right\rangle_{\Omega}(x_P, r, b)$$



# 1 question, 2 answers

Initial state saturation model

Initial and final state multiple scattering



$$\langle q_{\perp}^2 \rangle_{dAu} = \langle q_{\perp}^2 \rangle_{pp} + \Delta \langle q_{\perp}^2 \rangle_{\Delta\phi}$$

How saturated is the initial state?