

*EW precision measurements at
the LHC: theory review*

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- CERN -

DIS 2013

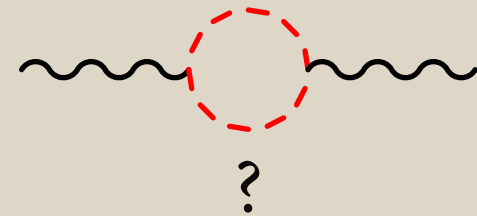
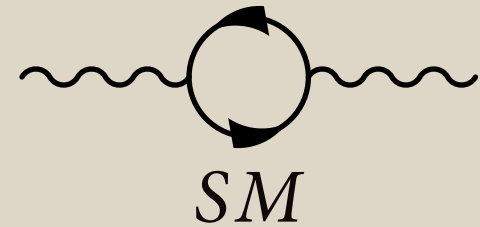
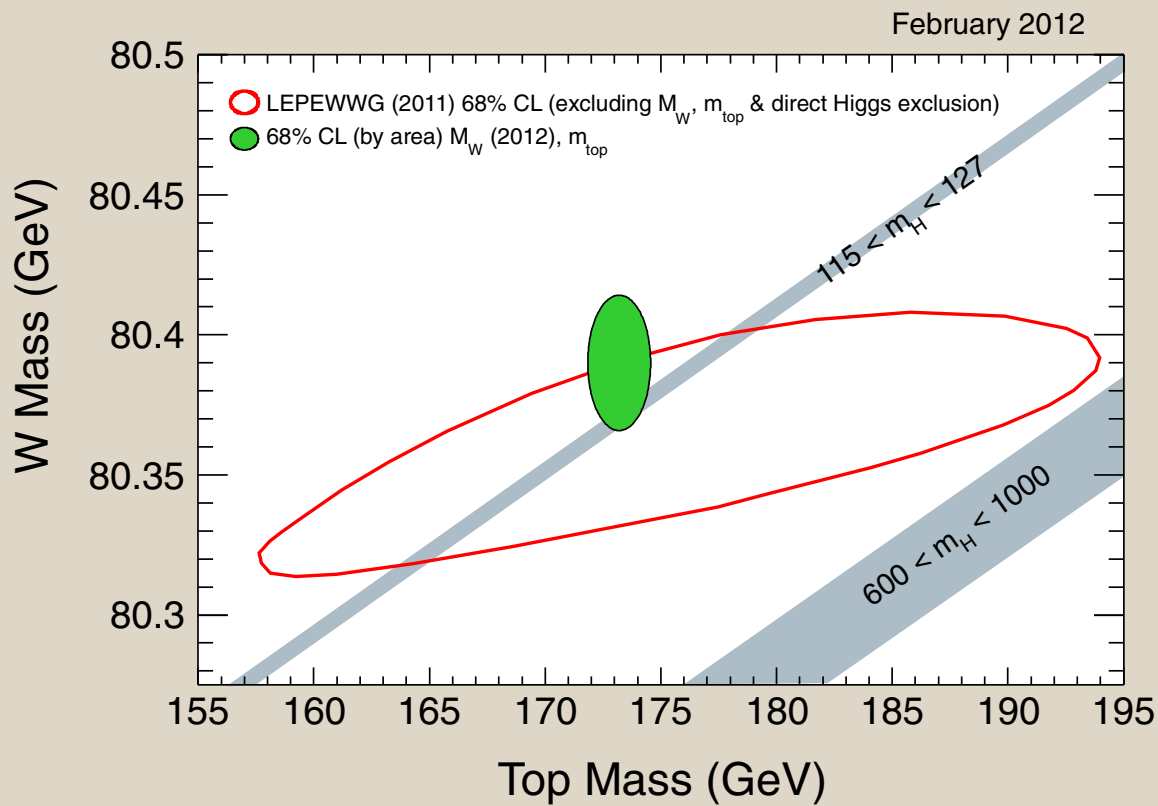
Marseille - April, 25 2013

Outline

- Precision physics at LHC
- Drell-Yan processes
- effects of mixed QED \otimes QCD radiative corrections
 - on W mass
 - on $\sin^2 \vartheta_W$
- conclusions.

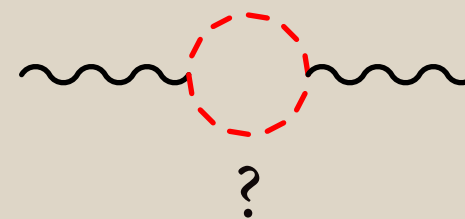
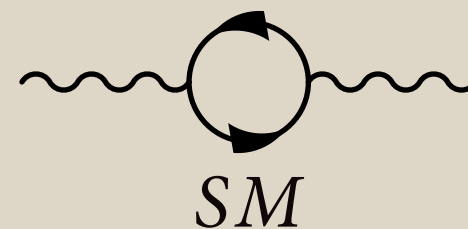
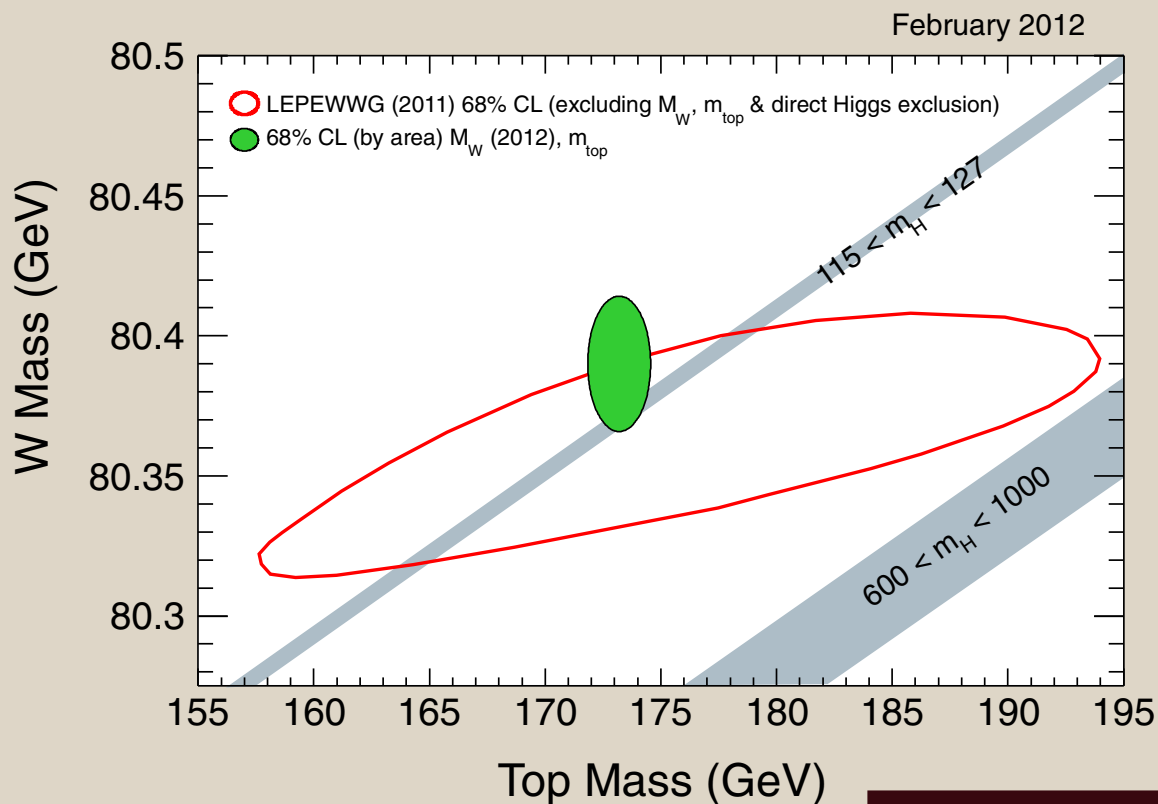
Precision tests of the Standard Model

$$M_W = \sqrt{\frac{\pi\alpha}{\sqrt{2}G_\mu \sin^2 \vartheta_W} \frac{1}{\sqrt{1 - \Delta r(m_{\text{top}}, m_H, \dots)}}}$$



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LHC?

Drell-Yan for precision physics at LHC

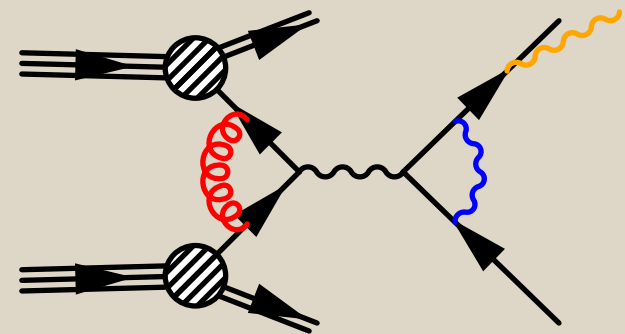
NC/CC Drell - Yan processes at LHC:

extraction of PDFs / luminosity monitoring / calibration of detectors / M_W ($\Delta M_W^{LHC} \lesssim 15$ MeV or better), Γ_W , $\sin^2 \vartheta_W$ / background for BSM / ...

- clear experimental signature;
- integrated luminosity at the end of 2012 $\rightarrow \mathcal{L} \sim 20 \text{ fb}^{-1}$

- $\sigma_{W \rightarrow l\nu}^{tot} \sim 10 \text{ nb}$
 $\Rightarrow \sim 2 \cdot 10^8 W$ in the data

- $\sigma_{Z \rightarrow l\bar{l}}^{tot} \sim 1 \text{ nb}$
 $\Rightarrow \sim 2 \cdot 10^7 Z$ in the data

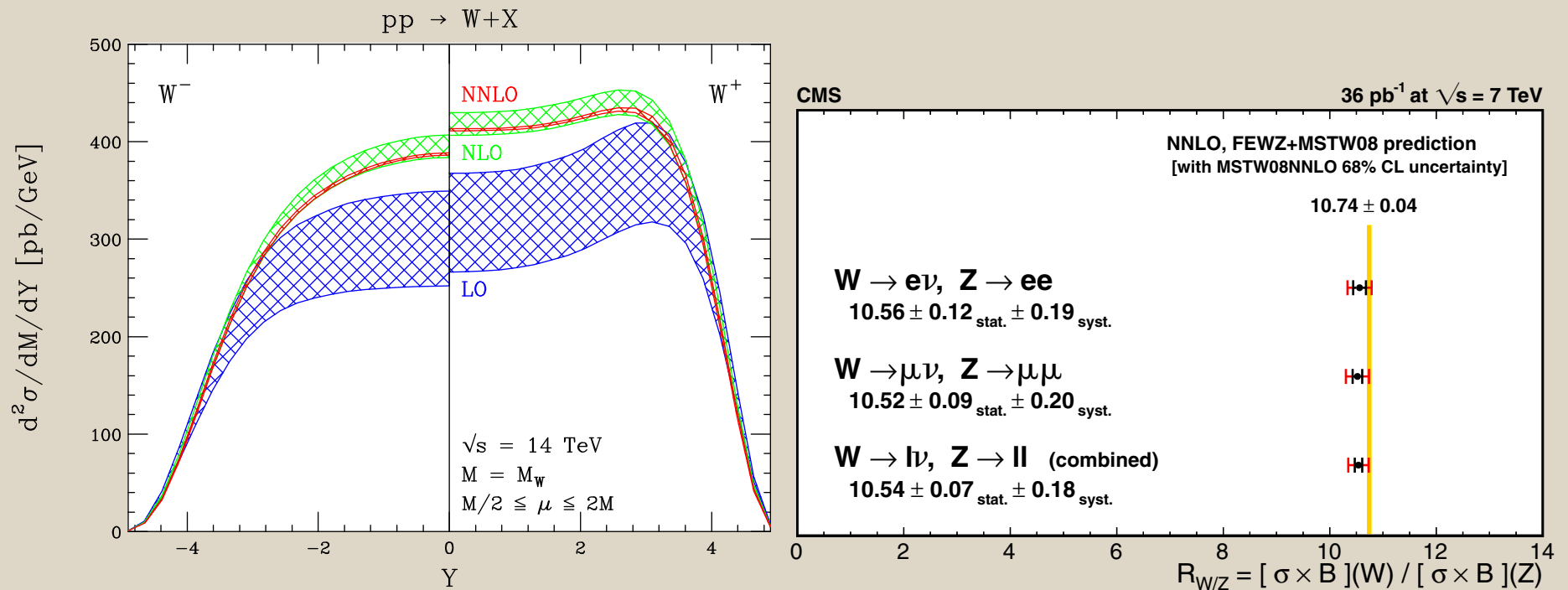


Experimental accuracy at LHC for DY total cross section $\sim 1 \%$

Exact QCD NNLO

$$\sigma = \sigma_0 + \sigma_{\alpha_s} + \sigma_{\alpha} + \sigma_{\alpha_s^2} + \dots$$

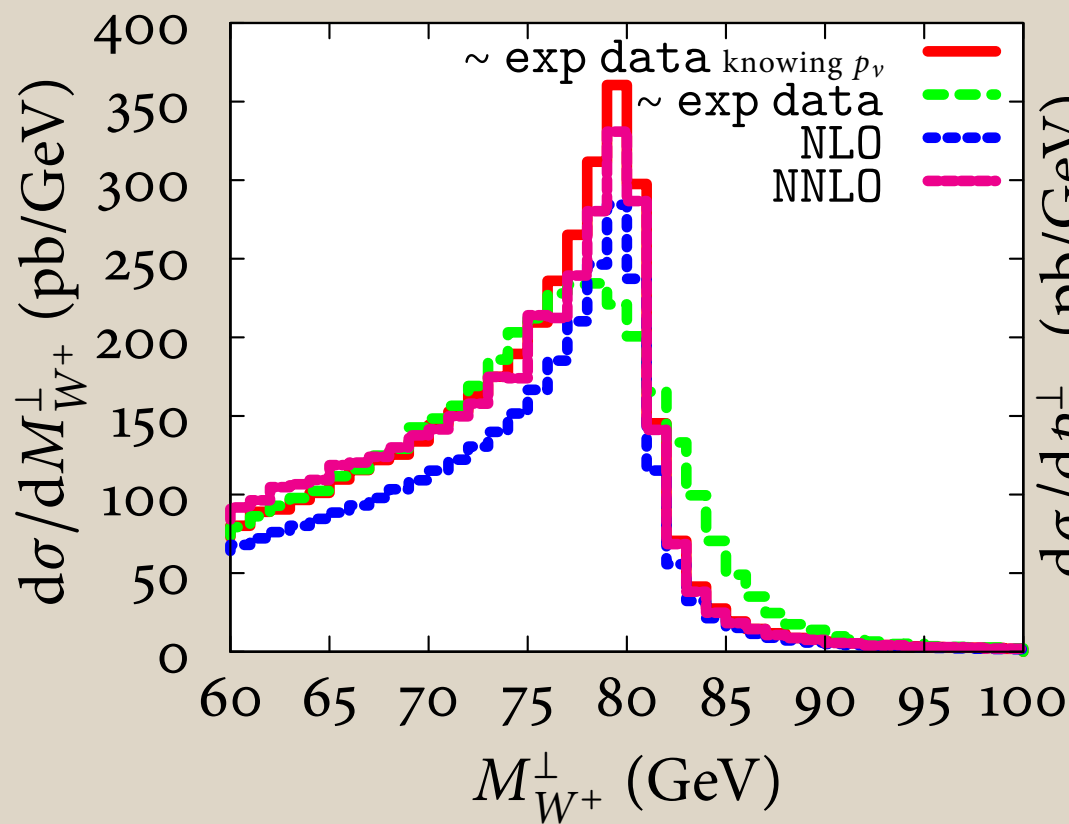
- $O(\alpha_s)^2 \longrightarrow$ DYNNLO Catani & al., PRL 103 (2009) 082001
- $O(\alpha_s)^2 \oplus O(\alpha_{EW}) \longrightarrow$ FEWZ Petriello & al., PRD86 (2012) 094034
PRD74 (2006) 114017



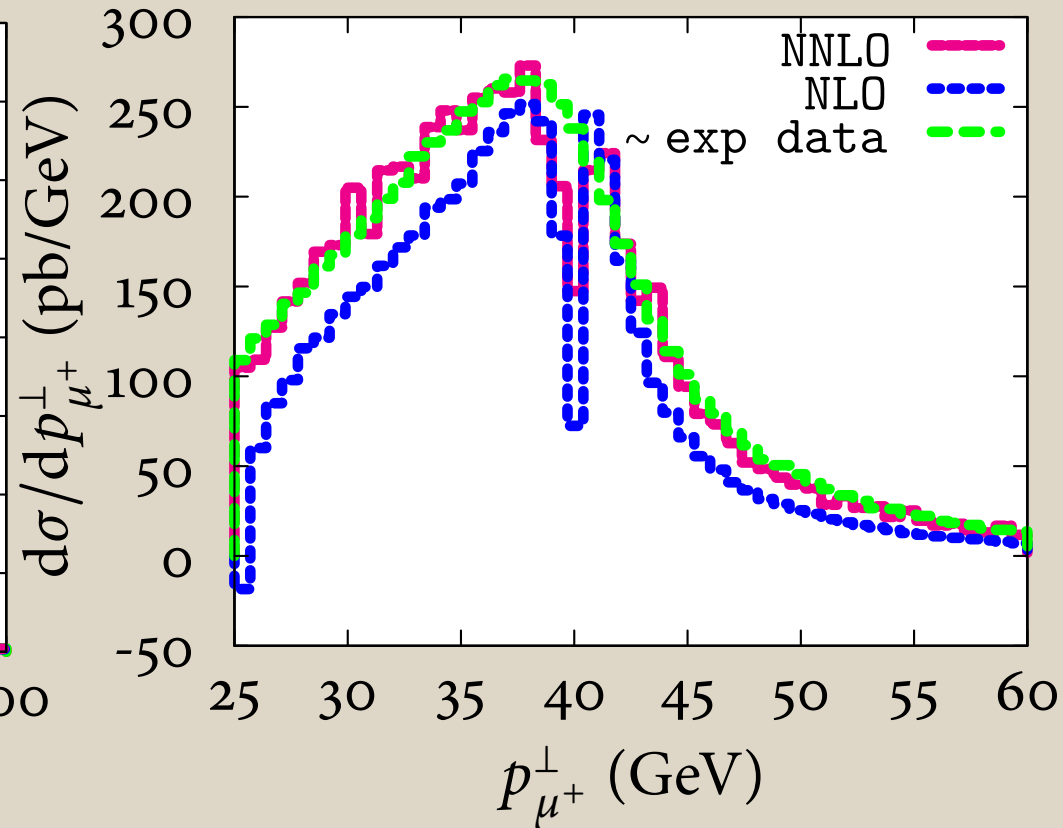
W Mass measurement

$$\sigma_{NNLO}^{\text{exp cut}} = \begin{cases} 3270 \pm 50 \text{ pb} & (\text{if } M_W = 80.5 \text{ GeV}) \\ 3258 \pm 50 \text{ pb} & (\text{if } M_W = 80.4 \text{ GeV}) \end{cases}$$

can't use inclusive quantities!



will depend on p_ν

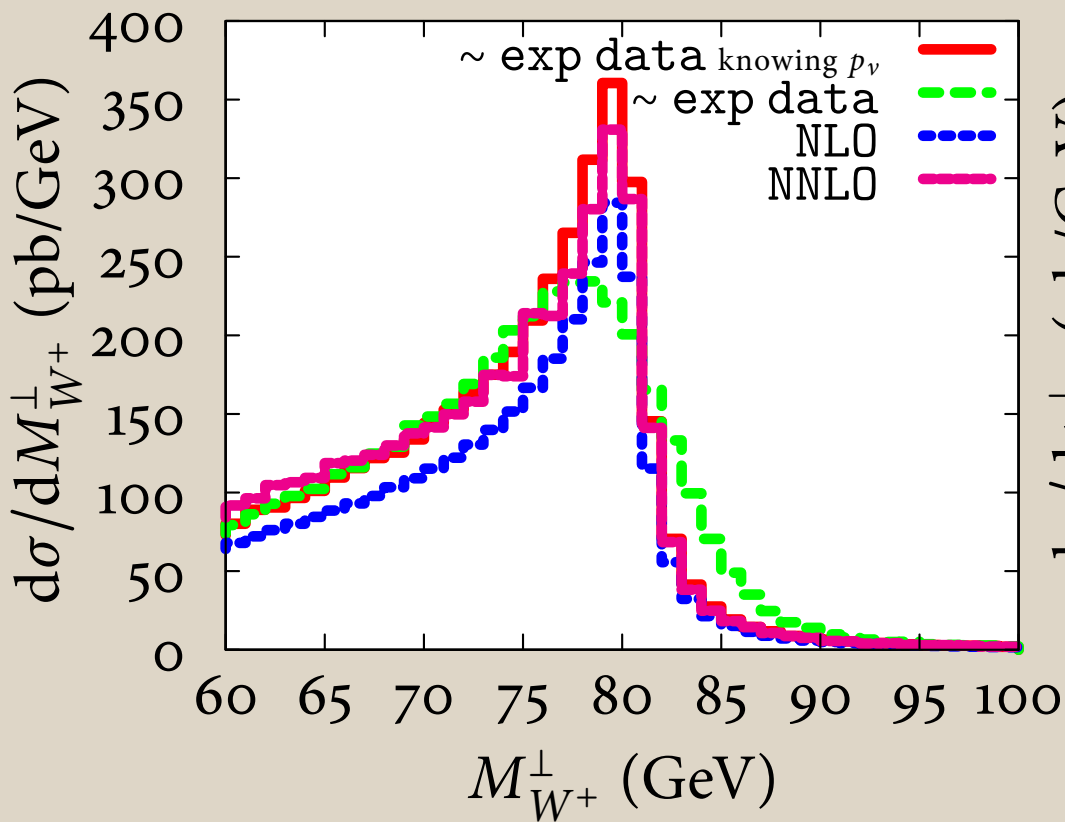


not IR safe

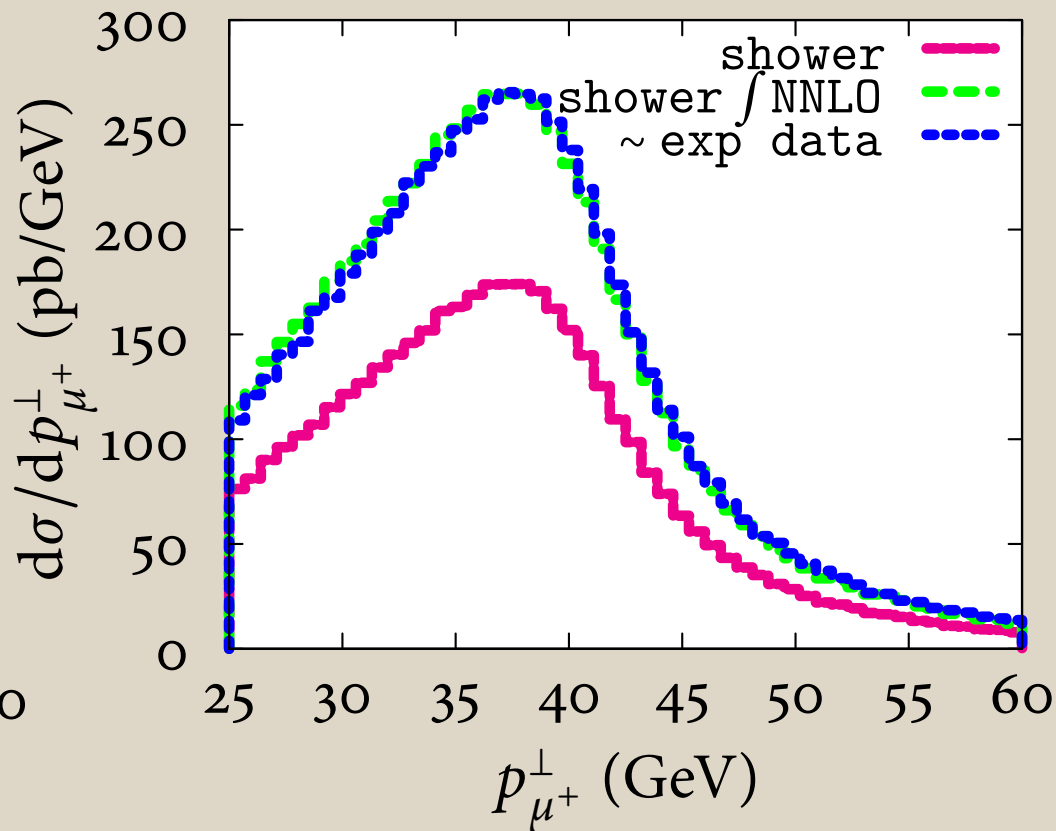
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(at least) NLO on total σ .

Matching QCD NLO w shower

Normalization at α_s

Shapes of high p_\perp

Reduced dependence on $\mu_{R/F}$

Shapes of low p_\perp

Realistic events

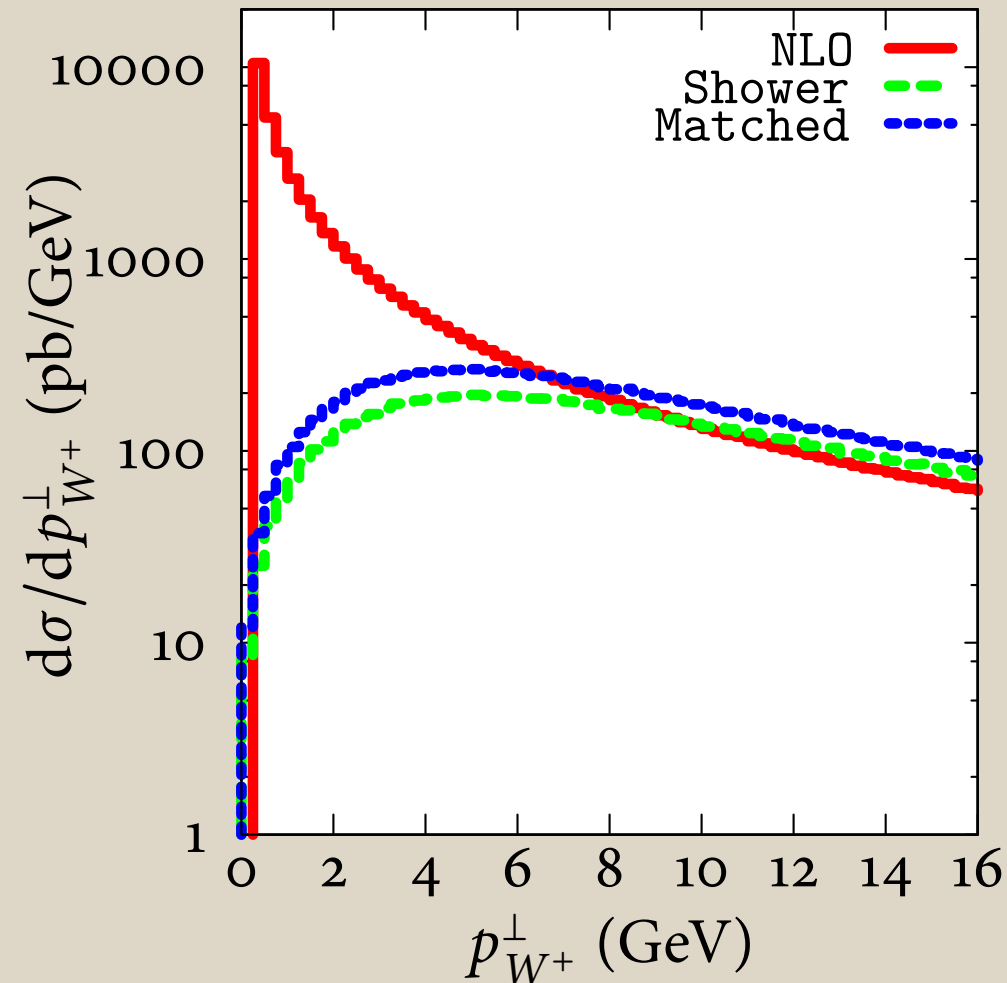
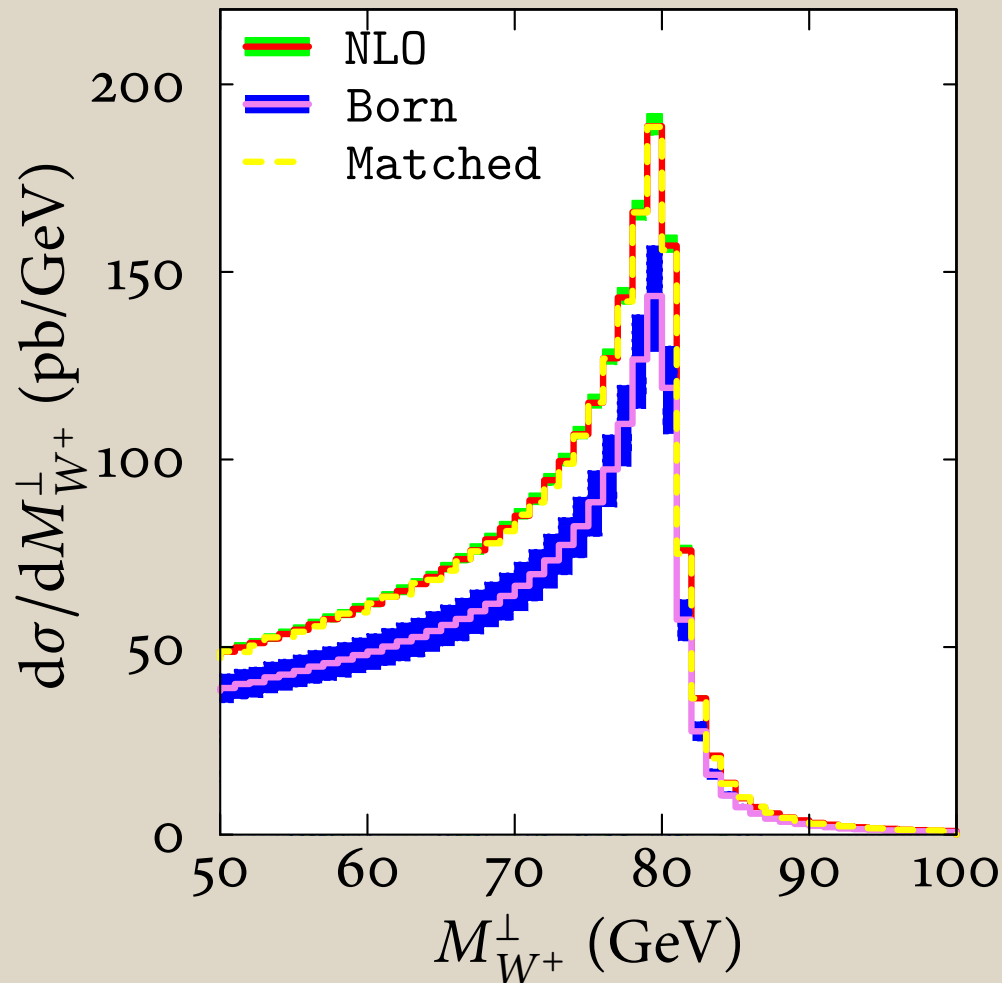
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EW NLO w $n\gamma$

Normalization at α_{EW}

$\Delta M_W^{NLO} \sim 100 \text{ MeV}$

$\Delta M_W^{n\gamma} \sim 10 \text{ MeV}$



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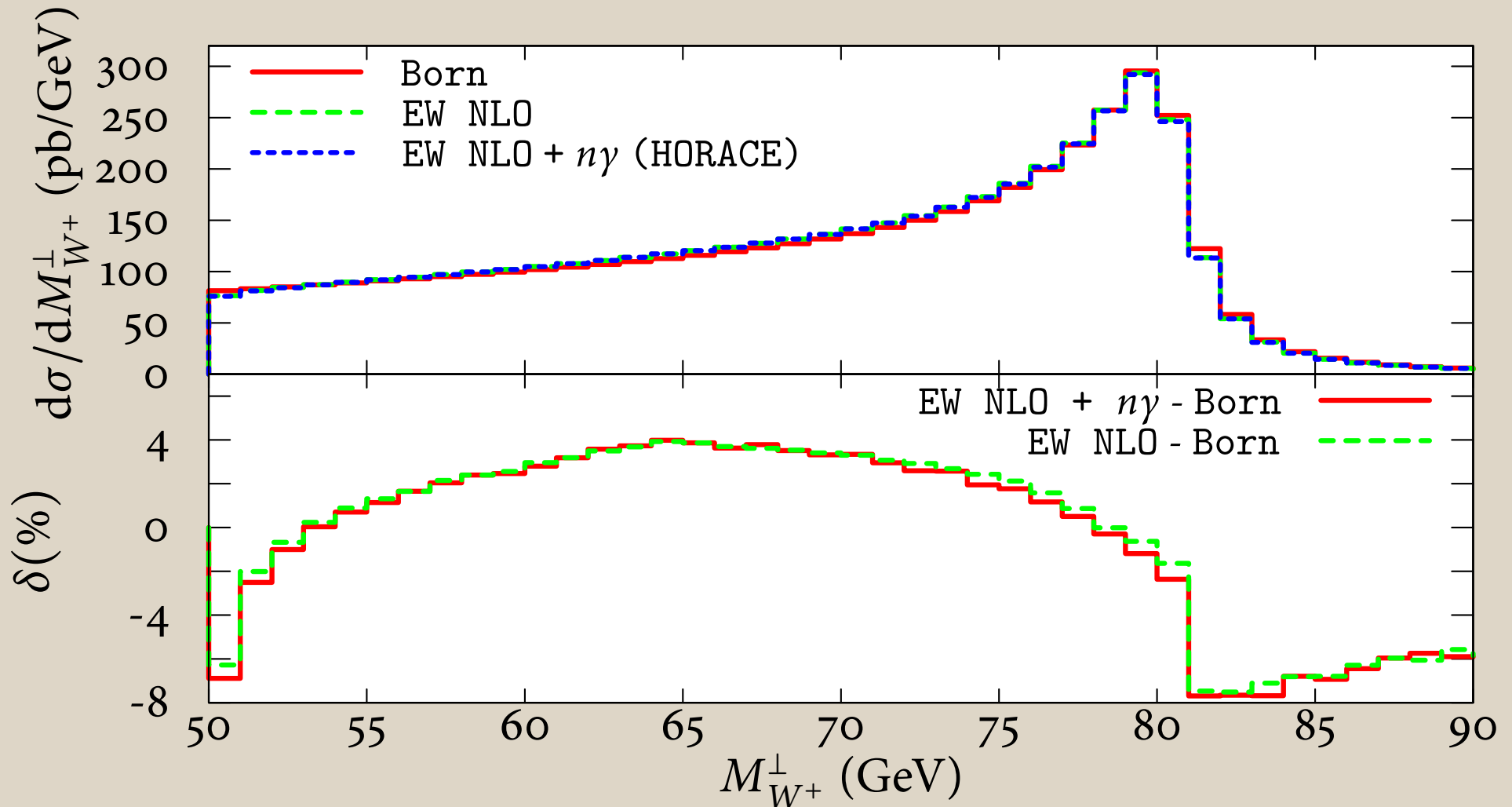
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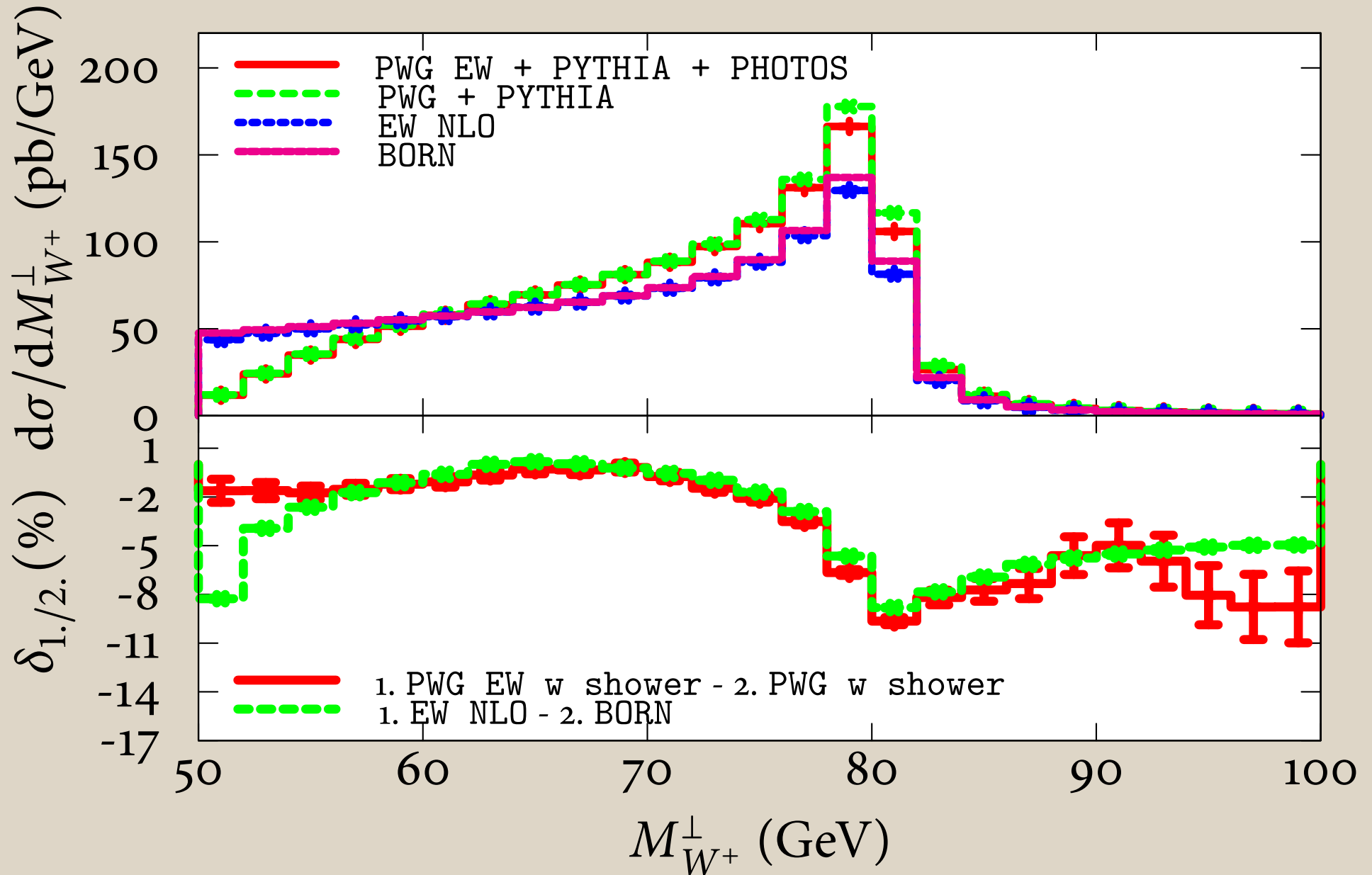
Carloni & al. PRD69 (2004) 037301

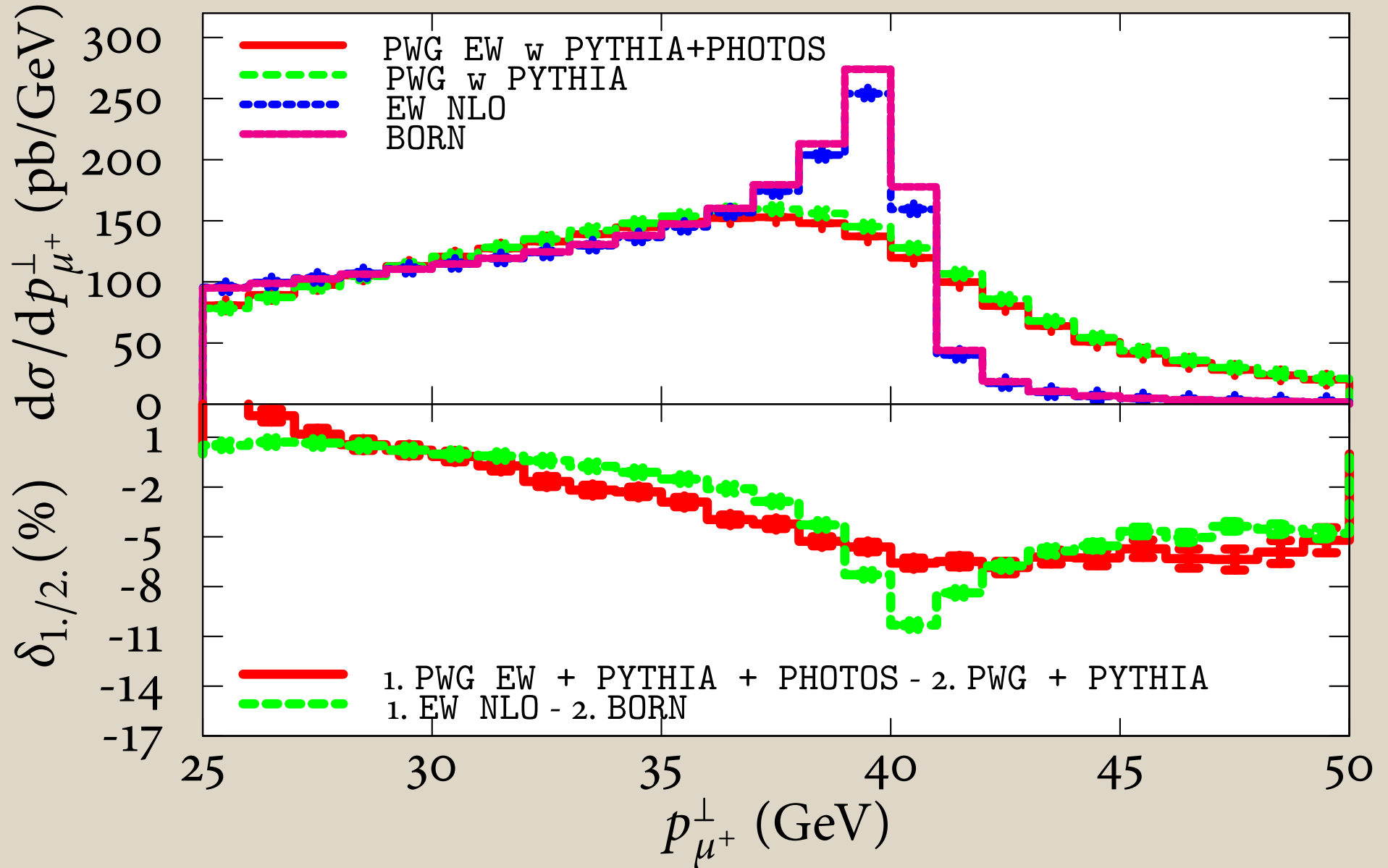


Exact NLO \otimes shower corrections

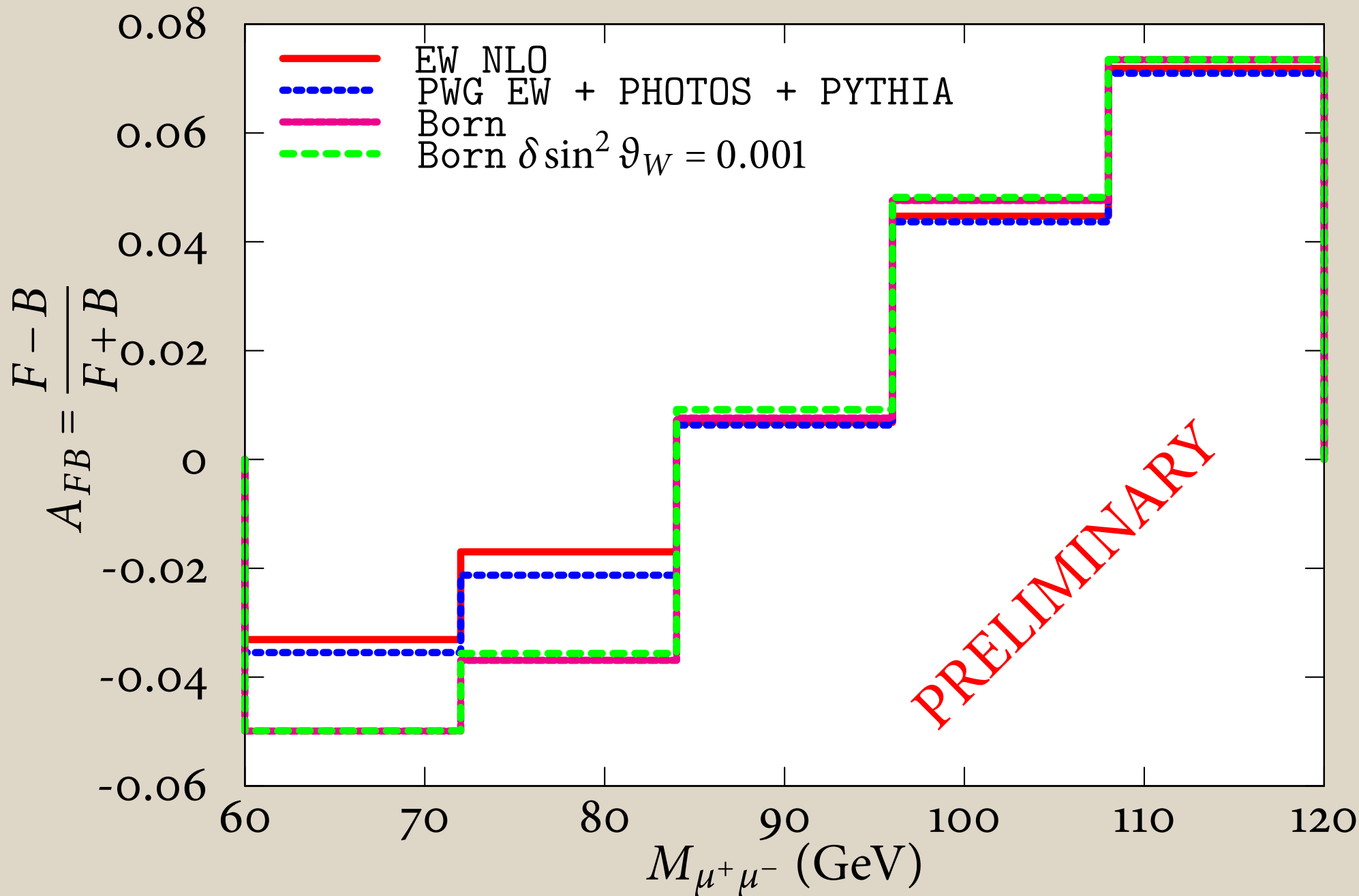
$$\sigma = \sigma_0 + \sum_{n \geq 2} a_s^n \alpha_s^n L^{2n} \sigma_{\alpha_s} + \dots + \sum_{n \geq 2} a^n \alpha^n L^{2n} \sigma_\alpha + \dots + \sum_{n \geq 1, m \geq 1} a_s^n \alpha_s^n L^{2n} a^m \alpha^m L^{2m} + \dots$$

- $O(\alpha_s) \otimes$ QCD shower
 - POWHEG-BOX JHEP 1006 (2010) 043
 - (a) MC@NLO JHEP 0206 (2002) 029
 - SHERPA JHEP 04 (2011) 24
- $O(\alpha_{EW}) \otimes$ QED shower
 - HORACE JHEP 0612 (2006) 016
 - Z/WINHAC \otimes SANC Acta Phys.Polon B40 (2009)
 - PHOTOS EPJC45:97-107,2006
- $O(\alpha_s) \otimes$ QCD resummation $\oplus \gamma$ FSR \rightarrow RESBOSa PRL 93:042001(2004)
- $(O(\alpha_s) \oplus O(\alpha_{EW})) \otimes$ QE/CD shower \rightarrow POWHEG-BOX
 - W_{ew} -BMNNP JHEP 1204 (2012) 037 / arXiv:1302.4606
 - W_{ew} -BW PRD85 (2012) 093003





Z Forward/Backward asymmetry $\Rightarrow \sin^2 \vartheta_W$



Conclusions

- LHC will integrate a huge statistics
→ high precision EW measurements will be possible;
- QCD NLO and QCD Parton shower are fundamental to describe data;
- QCD NNLO is important on inclusive quantities (and in high p_{\perp} tails);
- EW NLO and QED shower needed for precision physics
- for really precise measurements QCD \otimes QED not negligible;
→ estimate of effects on M_W and $\sin^2 \vartheta_W$.

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THANK YOU!