

Adaptation of chemical dynamics codes to the GRID

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Our experience

- parallel and grid computing

- QCT on grid

- Parallel quantum dynamics

- On-the-fly QCT

Codes we have adapted

Codes we plan to adapt

Our GRID experience

GRID is not a cluster or supercomputer
is not always available
is not homogeneous
communication may be slow
some connections get disconnected

conventional parallel execution is not necessarily the best solution

EGEE

Software installation

not always smooth
versions that are “self-installing” are easier,
but even then we needed help from SZTAKI
keeping a cluster available for EGEE requires significant human effort
not easy – not everyone can have a person to devote a lot of time
to maintain such a connection
it would be helpful if the LCG software reached a stable level and would
be upgraded VERY rarely

Our GRID experience

P-GRADE

a parallelization and running environment developed
at SZTAKI (Inst. of Computational and Automation Research)
recently extended to provide GRID portal services

Operates in HUNGRID, a virtual organization within EGEE

We plan to maintain a server with a P-GRADE portal for the COMPCHEM VO

We have used P-GRADE for

parallelizing codes

quasiclassical trajectory calculations

quantum scattering: the time-independent 3-atom code

abc by Manolopoulos et al.

running our QCT code on HUNGRID

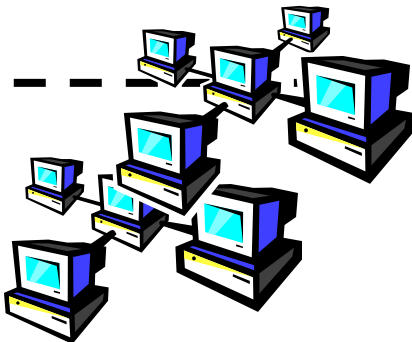
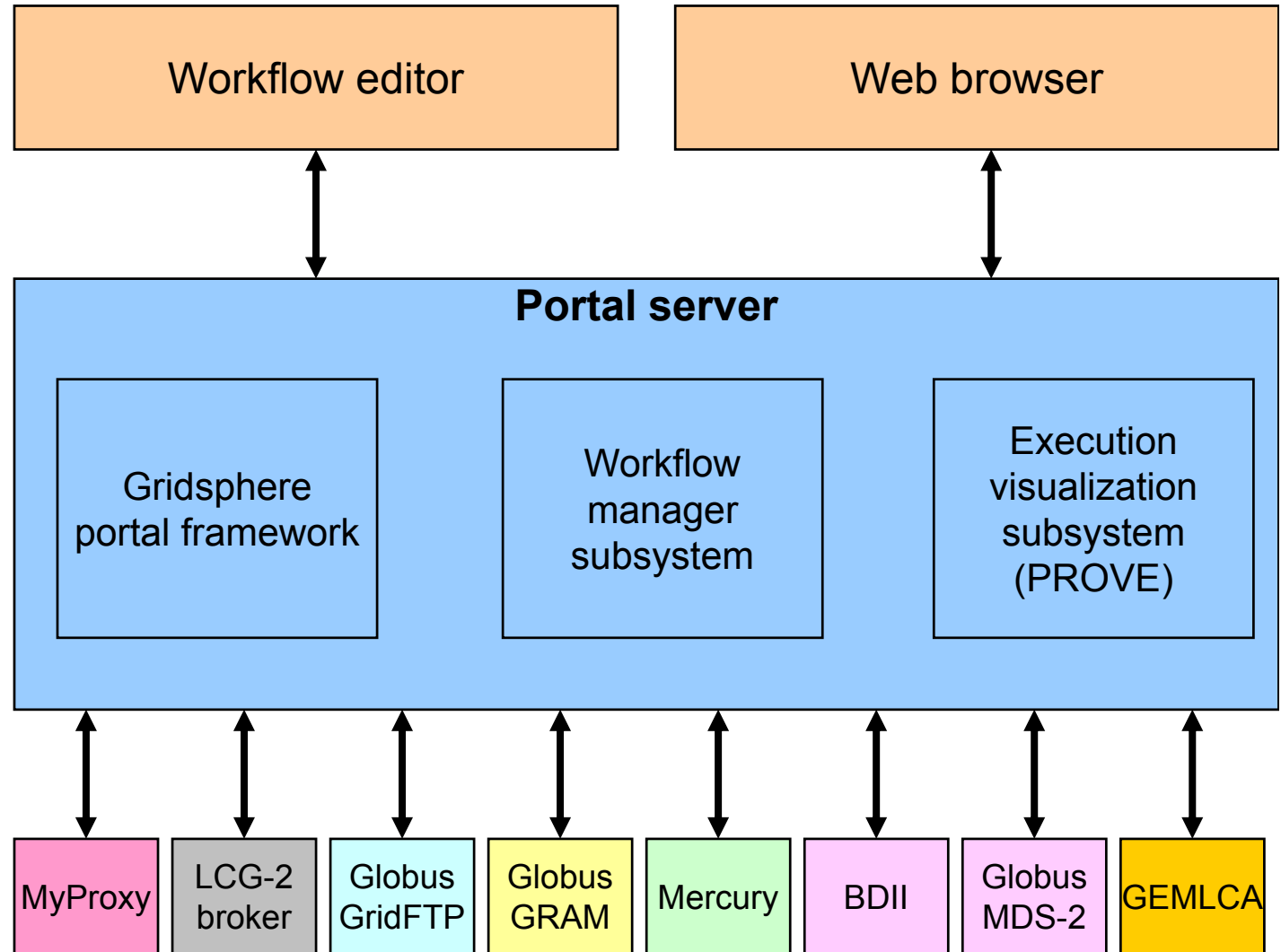
Á. Bencsura, G. Lendvay, Parallelization of reaction dynamics codes using P-GRADE: a case study, LNCS **3044**, 290-299, Springer, 2004.

Á. Bencsura, G. Lendvay, Parallelization of a quantum scattering code using P-GRADE: a case study, in: Distributed and parallel systems: clusters and grid computing, Kluwer International Series in Engineering and Computer Science, Vol, 777, Z. Juhász, P. Kacsuk, D. Kranzlmüller, Eds, pp. 121-128, Springer, 2004.

Properties of the P-GRADE Portal

- General purpose, graphical, **workflow-oriented Grid portal**
Supports the development and execution of workflow-based Grid applications
- Grid services supported by the portal
 - MyProxy – proxy credential management
 - GridFTP – file transfer
 - GT2/GT3 GRAM – job execution
 - Mercury – job monitoring
 - PROVE – workflow & job execution visualization
 - BDII and MDS-2 – obtain information about resources
 - LCG-2 broker – resource selection
 - GEMMLCA – invoke legacy codes
- **Support for multi-grid workflows**
- GridSphere based
 - Easy to expand with new portlets
 - Easy to tailor to end-user needs

P-GRADE AS A GRID PORTAL



HunGrid: the Hungarian virtual organization within EGEE

KFKI

- 250 processors
- 3.4 TB HD

SZTAKI

- 26 processors
- 2 TB HD

ELTE

- 5 processors
- 1.5 TB HD

CRC

- 12 processors
- 1 TB HD



Planned: Uni. Veszprém (6), Univ. Miskolc (30), Univ. Szeged (50)

Parallel and GRID application of a quasiclassical trajectory code

Embarrassingly parallel problem

- calculate rate coefficients for elementary chemical reactions by simulating individual molecular collisions
- integrate a set of ordinary differential equations starting from many different initial conditions selected by Monte Carlo sampling

Parallel version - master-worker paradigm

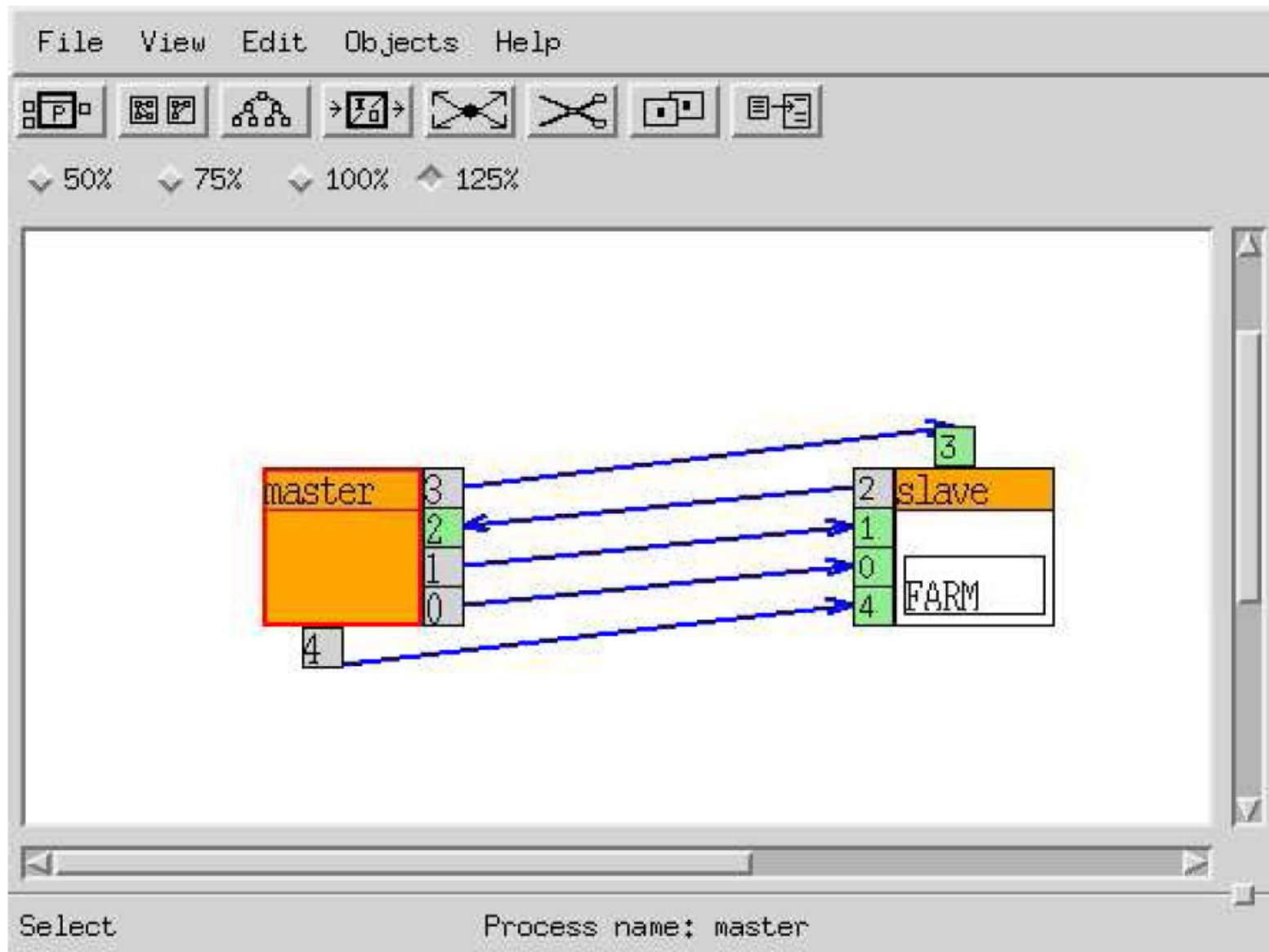
master

- reads system parameters
- forwards them to workers
- starts random number sequence, generates a seed for each worker
- LOOP**
- assigns the number of trajectories to each worker
- listens
- receives data
- assigns a new set of traj.s if needed

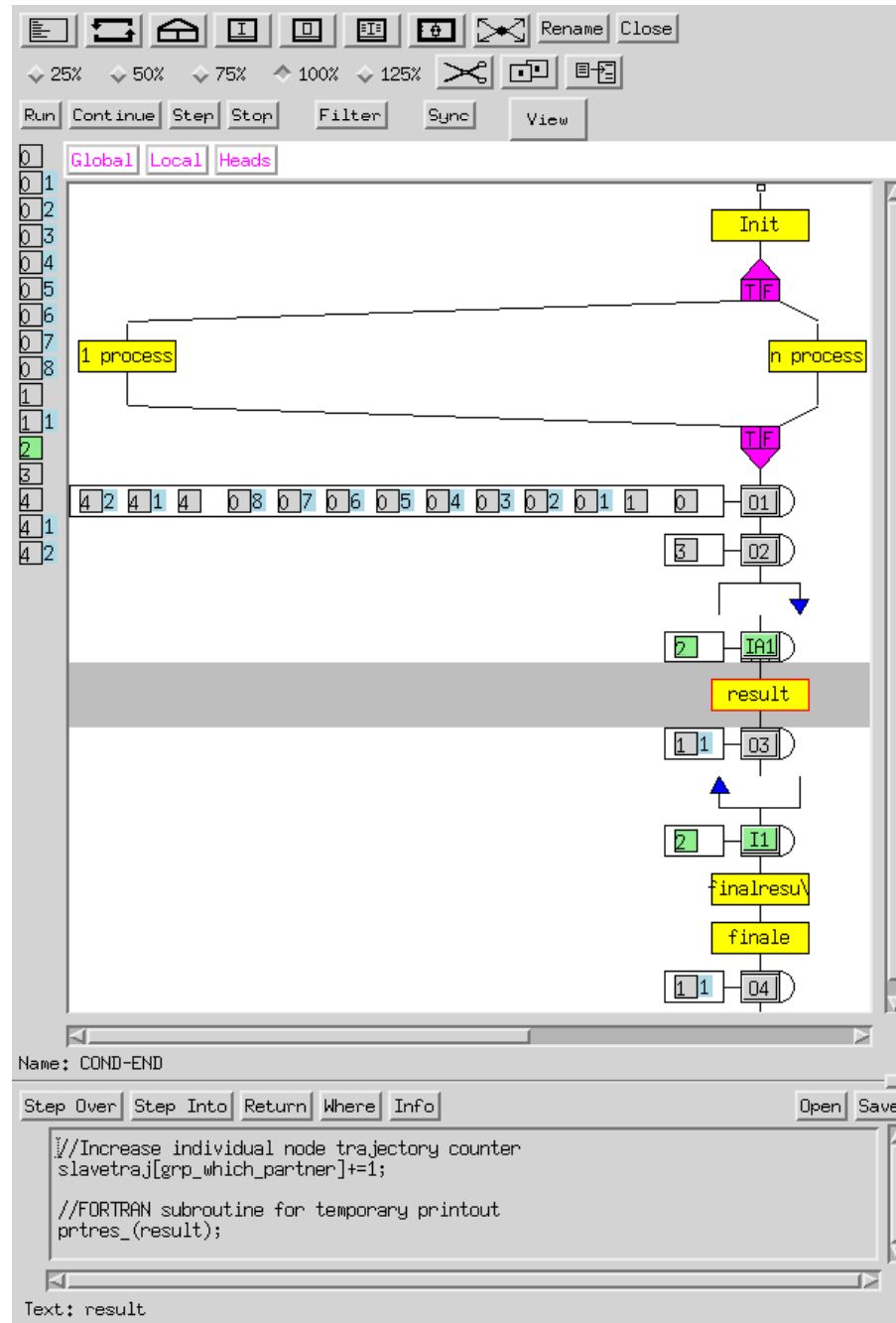
worker

- receives parameters
- receives seed
- receives # of traj.s to be done
- integrates the set of traj.s.
- sends results to master

Representation of the master-worker communication in P-GRADE



P-GRADE
graphical
representation of
the master loop



P-GRADE
graphical
representation of
the slave process

Global Local Heads

0 1
0 2
0 3
0 4
0 5
0 6
0 7
0 8
1 1
1 1
2
3
4
4 1
4 2

Start

I1

I2

Init_traj

Calc_traj

O1

I3

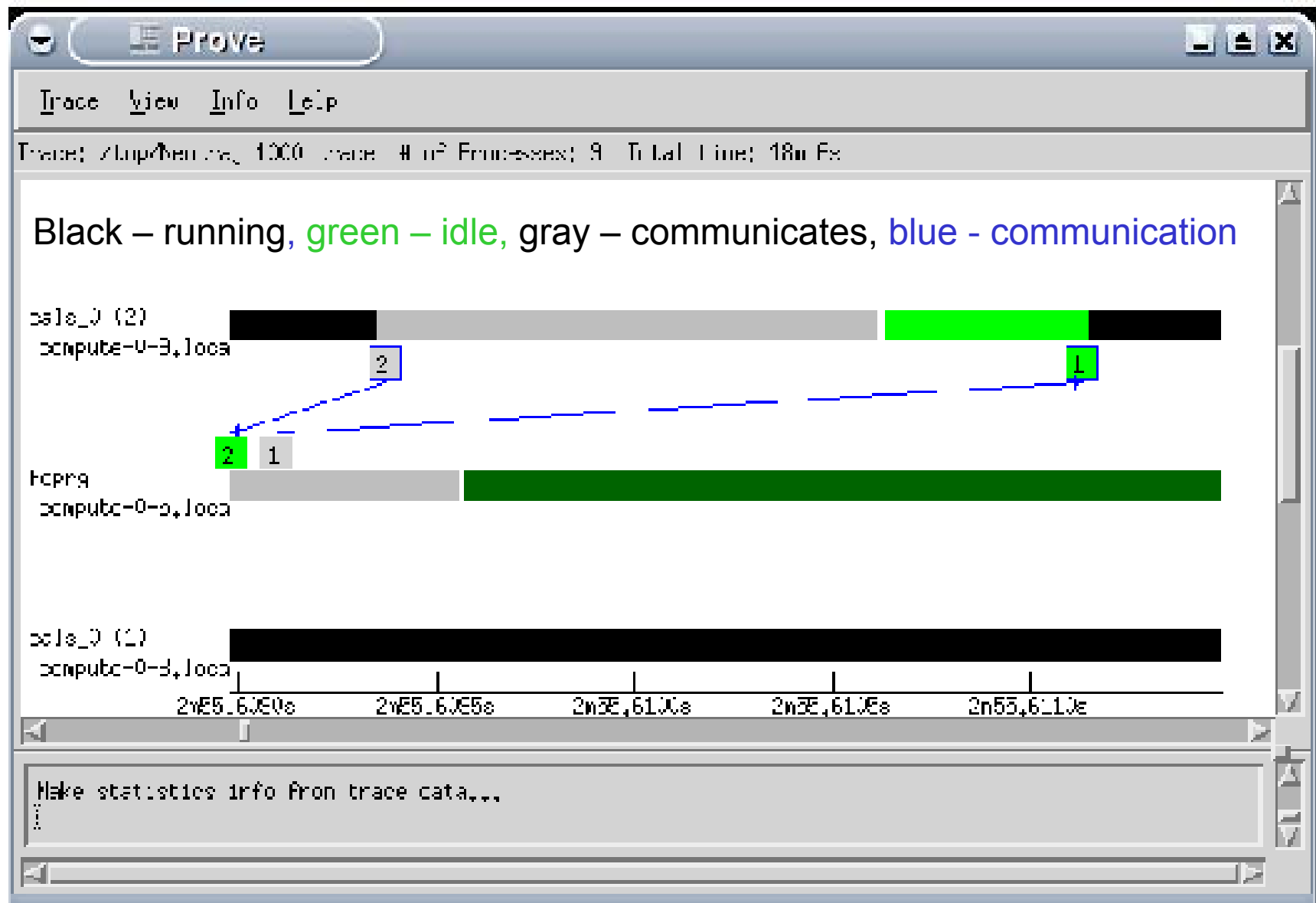
Finish

Step Over Step Into Return Where Info Open Save

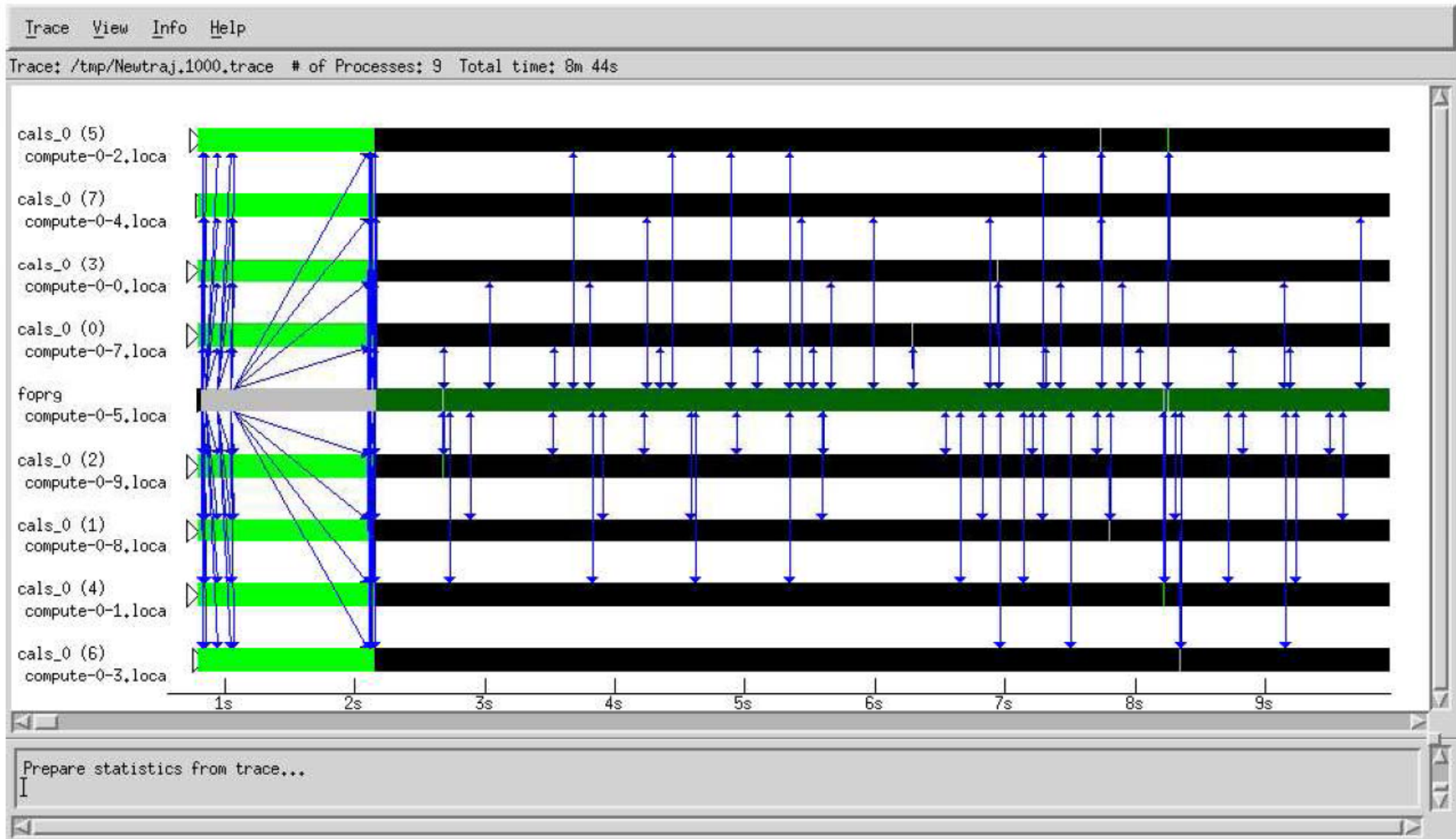
```
SlaveTrajCount++;  
  
// Put the current trajectory number to the result array I  
result[0]=SlaveTrajCount;  
  
//FORTRAN subroutine traj(res(),NumOfSlaveTraj)  
traj_(result, &NumOfSlaveTraj);  
  
//Debug print out  
//grp_printf("Last Random Number %f (%d) \n",seltb_.f.ranod,pg_id);
```

Text: Calc_traj

Processor utilization and communication when the job runs

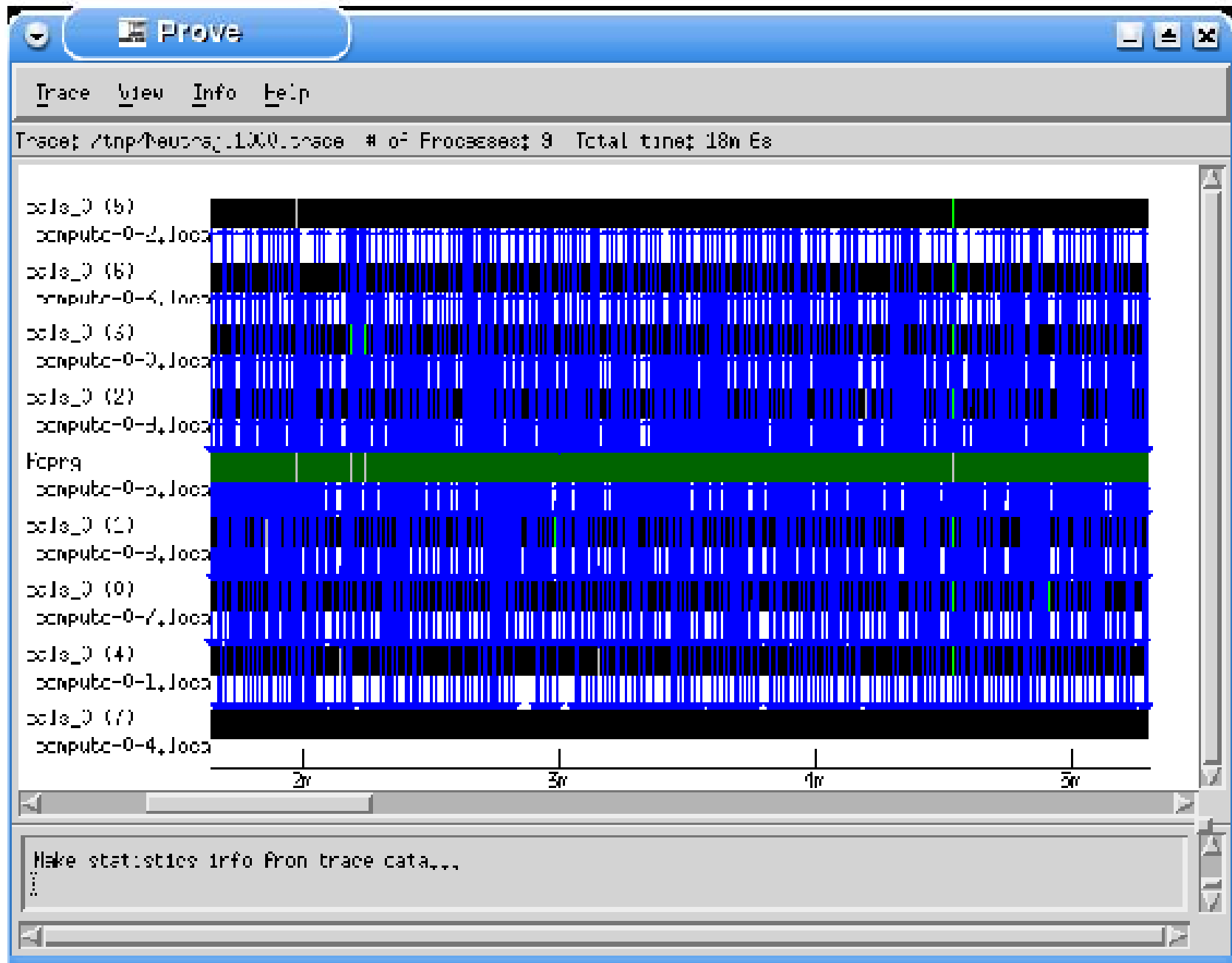


The first 10 seconds of a run on 8 processors
master is in the center row



Black – running, green – idle, gray – communicates, blue - communication

A longer time-segment



Parallel and GRID application of a QCT code

GRID version – in principle the parallel version could be submitted more efficient (less human effort) is if several independent copies of the code are submitted
each submitted job has its own input
monitoring of progress is done manually
we have some experience now on how to design a code to do maintain progress status

Potential surfaces for reaction dynamics

Traditional way:

calculate many points, generally over a regular grid,

fit to analytical or spline-type function

Advantage: can use high-level ab initio

Disadvantage: tedious, hard to generalize to polyatomics, each channel

need to be taken care of

difficult to ensure symmetry of equivalent atoms

very hard to find analytical functions for multi-channel reactions in

polyatomic systems

Direct dynamics:

calculate energies and derivatives “on the fly” using electronic structure

theory at every geometry the dynamical calculation requires

Advantage: automatic, no dimensional constraint, includes all reaction channels

Disadvantage: computationally demanding

- can only be done with “cheap” electronic structure theory

Possible remedy:

1. reparametrized semiempirical methods

2. introduction of corrections to match high-level ab initio

Parallel version of a triatomic quantum scattering code (abc – time-independent method using hyperspherical coordinates)

Calculate S-matrix for a chemical reaction

$$|S_{ij}|^2 = P_{ij}$$

Coupled-channel equations solved for many energies
set of second-order partial differential equations
log-derivative propagation

Original setup of the abc code

- 1 calculate basis
- 2 do the propagation for many energies simultaneously
 - a) in each sector calculate potential matrix elements
 - b) step the wavefunction from sector to sector
 - simultaneously for each energy

Parallel version of a triatomic quantum scattering code

Modified algorithm devoted for parallel run on a cluster (is now coded)

- 1 set up basis
- 2 calculate matrix elements for each sector (done in parallel)
- 3 distribute potential matrix elements
- 4 do the propagation – parallel: each node does a certain number of energies

A simplified version has been completed

GRID version (development in progress)

separate matrix element calculation from propagation

First run - preparation

- 1 set up basis
- 2 calculate matrix elements for each sector
- 3 create a file of potential matrix elements

Subsequent runs – production calculation

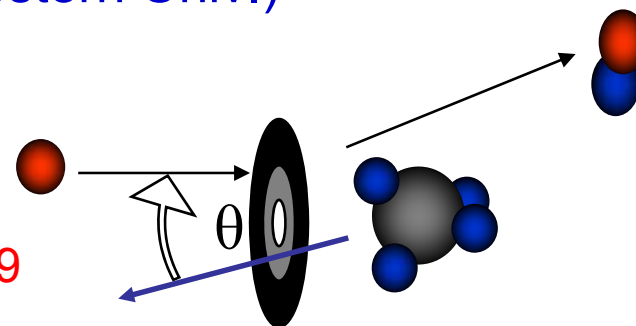
- 1 set up basis
- 2 read potential matrix elements
- 3 do the propagation – each unit does a certain number of energies

On-the-fly QCT dynamics of the $\text{H} + \text{CD}_4 \rightarrow \text{HD} + \text{CD}_3$ reaction with the Schatz group (Northwestern Univ.)

Zare lab experiments (2003-2006)

Detect preferred stripping

E_{coll} (eV)	1.2	1.95
$\langle \cos\theta \rangle$	-0.07 ± 0.10	-0.20 ± 0.09



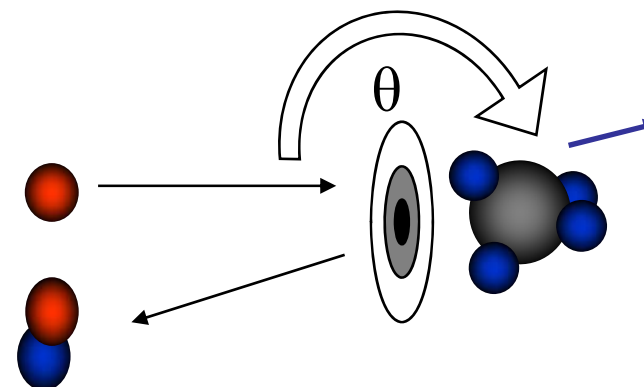
CD₃ backward scattered

Earlier trajectory studies using an empirical potential surface (1974-75)

Predicted rebound mechanism

E_{coll} (eV)	1.73	~ 2
$\langle \cos\theta \rangle$	$+0.28/+0.57$	$+0.5$

Small impact parameters preferred



CD₃ forward scattered

Can we understand the difference?

Comparison of several PES helps us to reveal the connection of dynamics and features of the underlying potential surface

Potential surfaces for $\text{H} + \text{CH}_4 \rightarrow \text{H}_2 + \text{CH}_3$

Analytical PES

Jordan and Gilbert (JG): attempt to make all four H atoms equivalent – (see Manthe)

Espinoza-Garcia (EG): JG PES + high-level ab initio data

Canonical variational transition state theory to match thermal rate coefficients

centered on the minimum energy path

Numerical PES – get energy *on the fly* from electronic structure theory at every geometry

MSINDO1: INDO-type semiempirical quantum chemistry method (K. Jug et al.)
too high barrier

Reparametrized MSINDO1 (MSINDO1-SRP):

the atom-pair parameters of MSINDO1 are modified to the best match of the ab initio barrier height, saddle point geometry and reaction enthalpy

B3LYP/6-31G** (B3LYP):

standard electronic structure method based on density functional theory is known to give very good equilibrium geometries for organic molecules
barrier heights are generally in error of 3-10 kcal/mol

Methods used in the quasiclassical trajectory calculations

Quasiclassical initial conditions

CD₄ in vibrational ground state

an **intramolecular trajectory** with one quantum of energy in each mode is generated starting from the harmonic normal mode assumption
when collisions are initialized, random phases of this trajectory are selected

Trajectory code: separate custom-designed codes for

- 1) generating initial conditions
- 2) trajectory integration
- 3) analysis of trajectory results

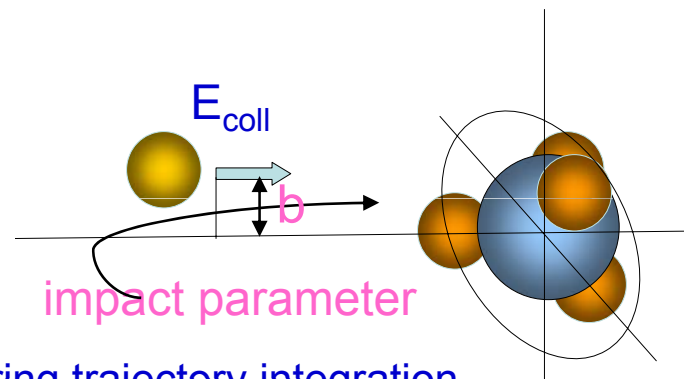
Direct dynamics trajectories:

electronic structure code is called **at every time step** during trajectory integration

10,000 trajectories at each collision energy to get a few hundred reactive

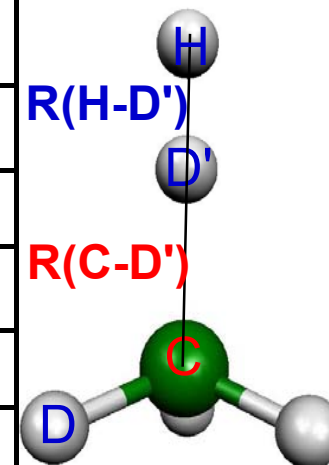
B3LYP: 4-6 trajectory/day/processor

Calculate reactive cross sections, angular distributions, product state distributions



The properties of the saddle point on five PESs

Parameter	RCCSD(T)/ aug-cc- pVTZ ^a	B3LYP /6-31G**	EG	MSINDO	reparamet- rized MSINDO
R(C-D)/Å	1.0854	1.087	1.094	1.077	1.078
R(C-D')/Å	1.3991	1.412	1.331 ^b	1.272	1.327
R(H-D')/Å	0.8970	0.894	0.931 ^b	0.932	0.834
<DCD'/°	103.12	103.4	107.4	107.1	106.0
Imaginary frequency /cm ⁻¹	1437i	1132i	1293i	2261i	720i
ΔE_{barr} /kcal mol ⁻¹	14.78	9.4	12.9	28.6	15.4
$\Delta E_{\text{react}}_1$ /kcal mol ⁻¹	3.0	1.9	2.8	-1.1	2.8

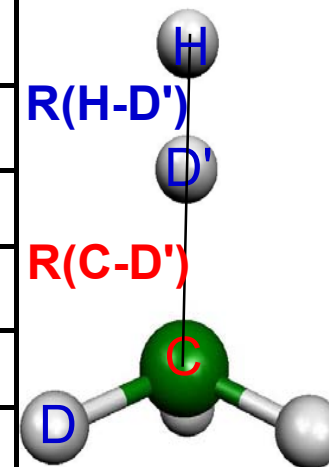


^aBowman et al, J.Chem.Phys. 124, 021104 (2006)

Barrier is late, C-D'-H collinear – vibrationally unexcited products expected

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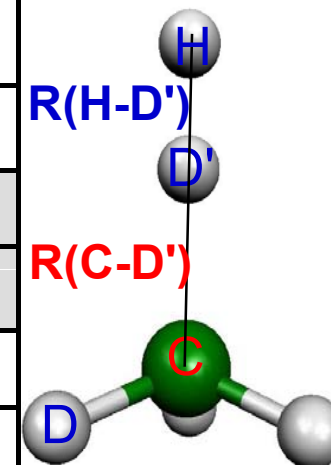


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Both the EG and B3LYP barrier is too low, B3LYP is worse – enhanced reactivity?

The location of the barrier is better on B3LYP

CD₃ angular distributions at two collision energies



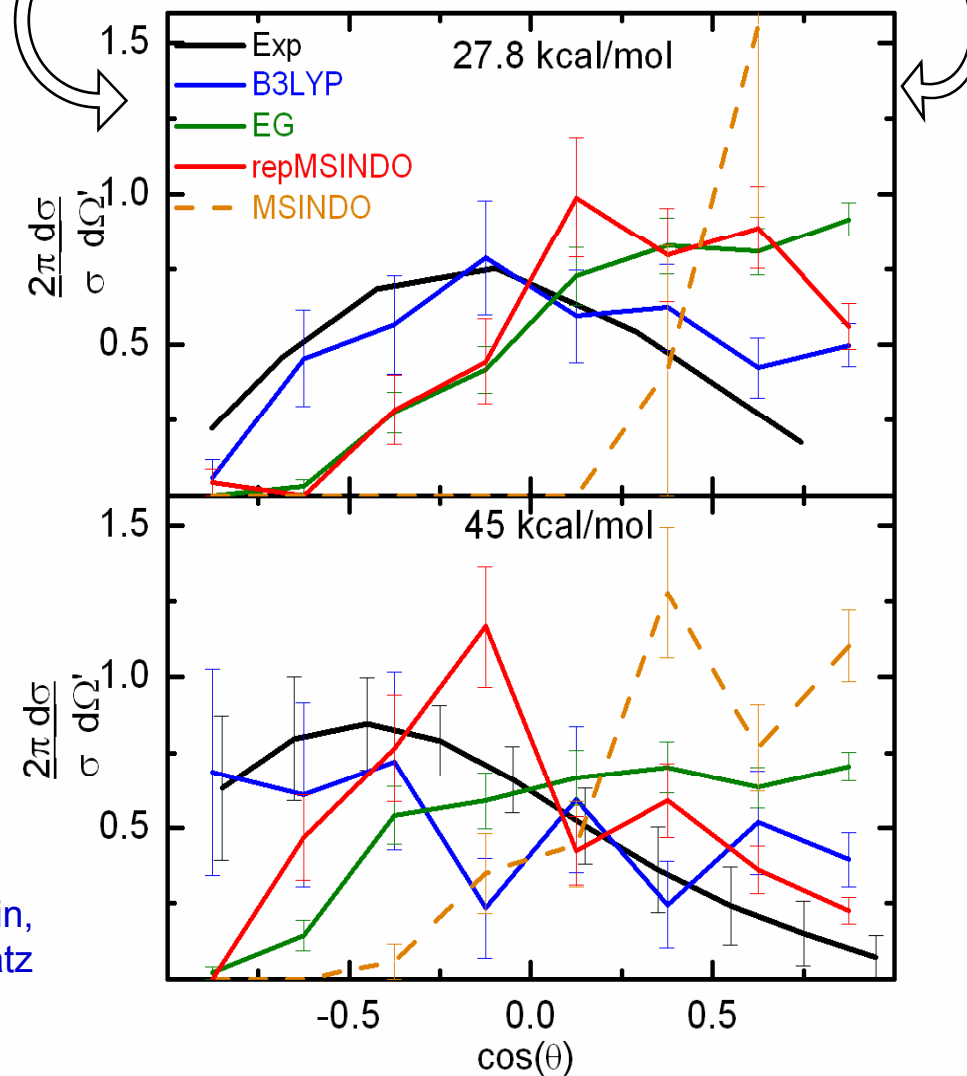
Experiment
sideways and backward
scattering

EG
mostly forward scattered

B3LYP
close to experiment

MSINDO
badly fails

repMSINDO is
better

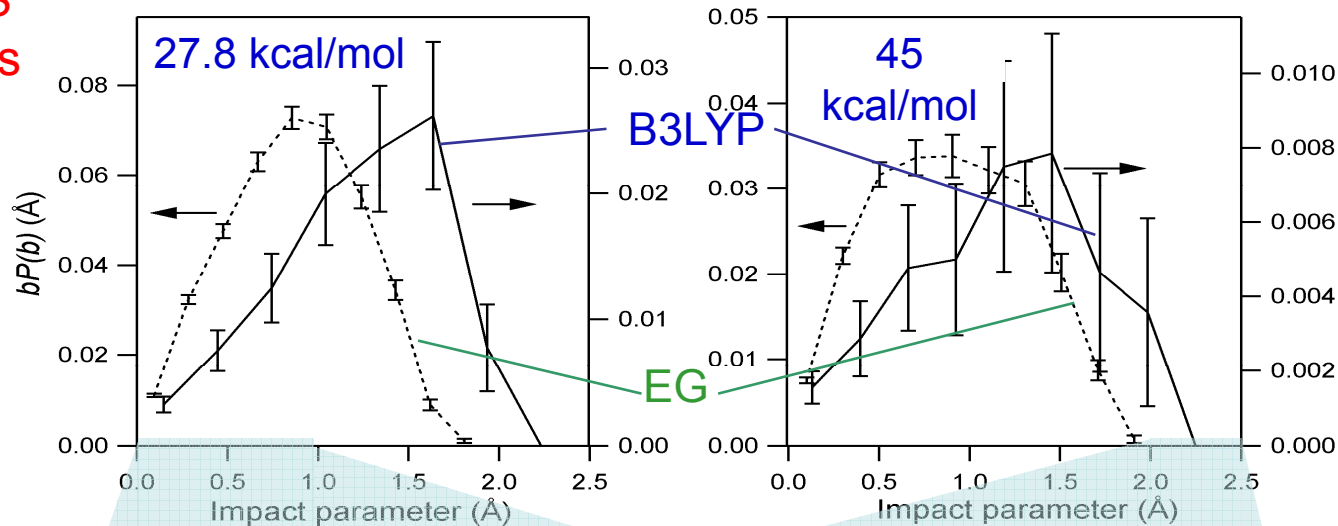


J. P. Camden, H.A. Bechtel, D.J. Brown, M.R. Martin,
R. N. Zare, W. Hu, G. Lendvay, D. Troya, G.C. Schatz
J. Am. Chem. Soc. **127**, 11898 (2005).

OPACITY FUNCTIONS
at two collision energies

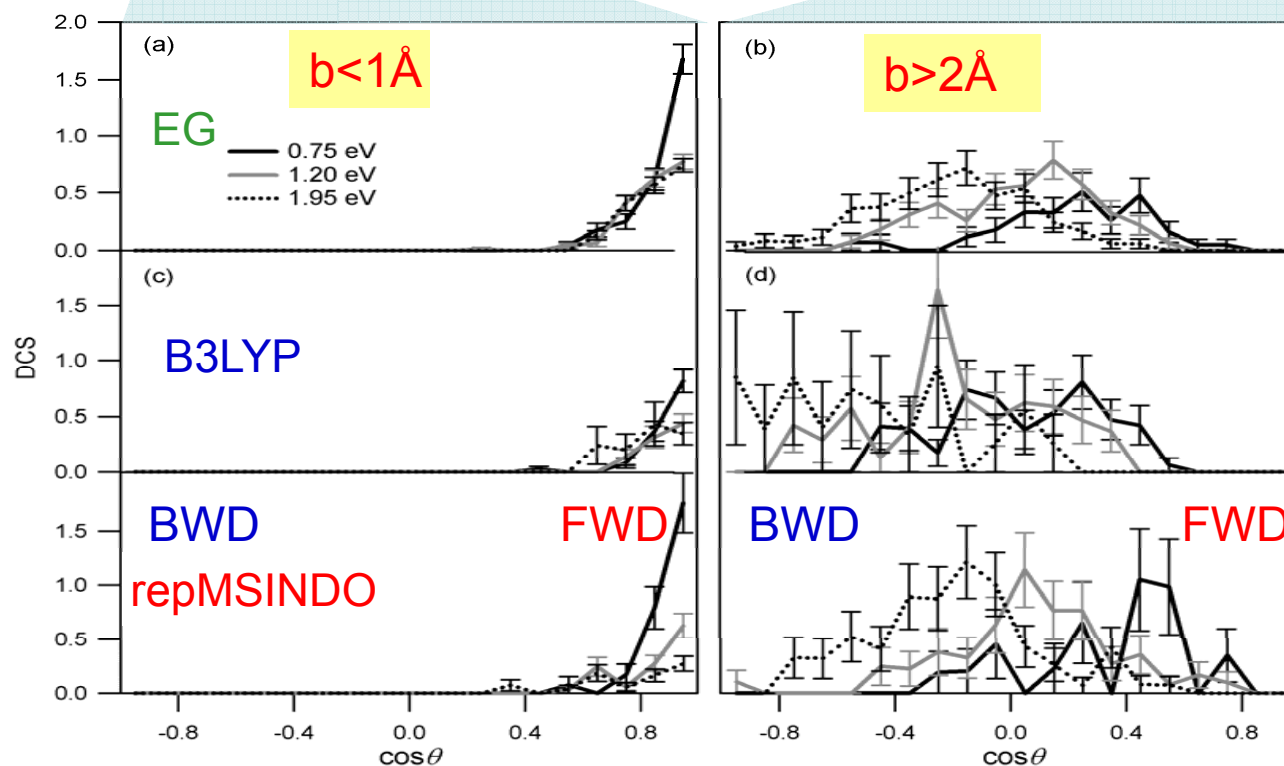
B3LYP:
large-impact
parameter collisions
dominate

$bP(b)$ vs b

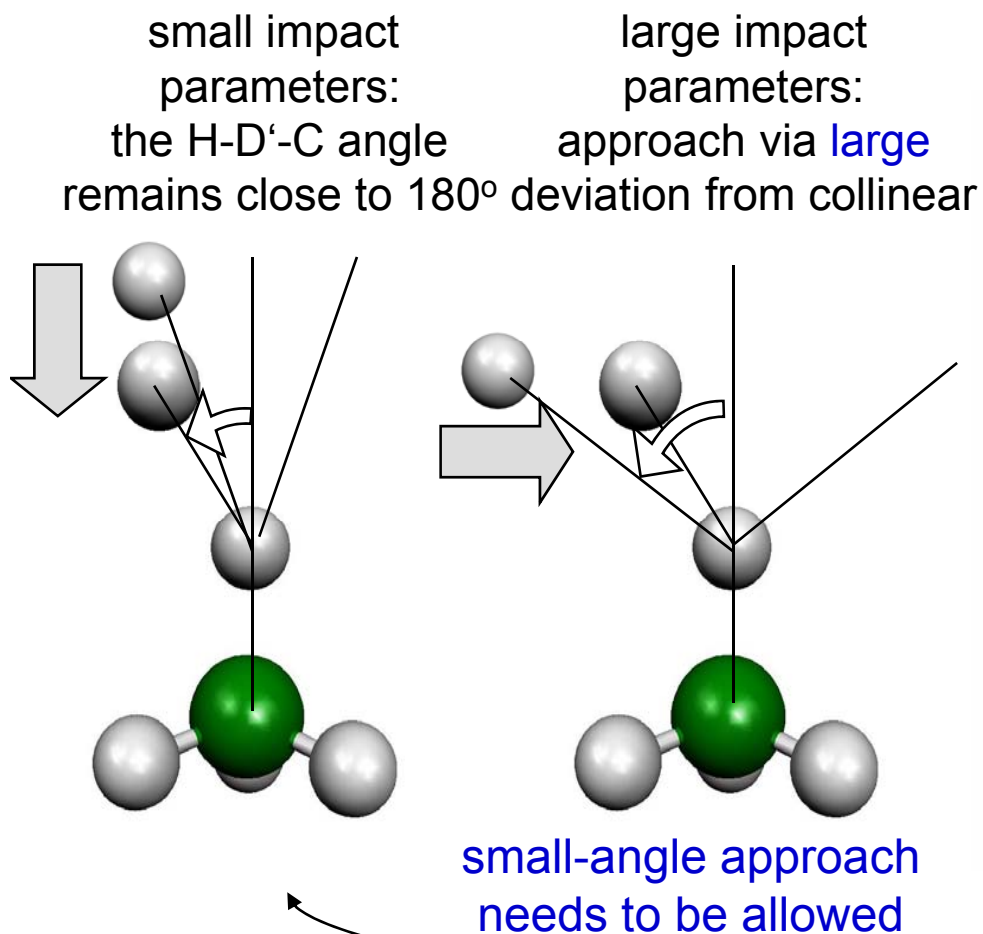


Angular distributions
at small and large
impact parameters

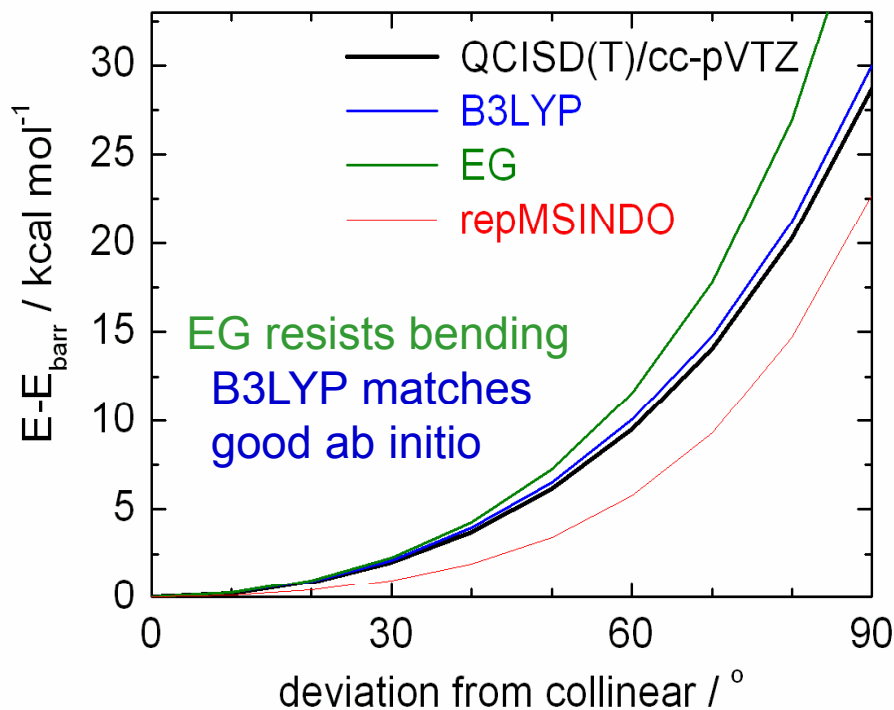
Small b :
forward scattering
Large b :
sideways
and on B3LYP
backward scattering



Reactive collisions at large impact parameters and the cone of acceptance



Potential energy change when the H-D'-C angle changes at the saddle point



B3LYP allows bent approach

On EG H can proceed only close to the collinear "channel"

SUMMARY

Codes we have

- trajectory code for grid
 - can do direct dynamics if the electronic structure code is available on the grid
- parallel triatomic quantum scattering code
 - has run parallel on a cluster

Experience we have

- code parallelization
 - for clusters
 - for supercomputers
 - for grid
- use P-GRADE for all this
- EGEE software

What we plan to do

- routine connection to the COMCHEM portal
- install the most recent LCG2 software
- set up a P-GRADE server
- adapt a chemical reaction mechanism reduction code on the grid

Acknowledgments

Parallel, grid and computer issues

Ákos Bencsura

Institute of Structural Chemistry, Hungarian Academy of Sciences

Direct dynamics QCT project

Wenfang Hu, Diego Troya, and George C. Schatz

Northwestern University

Dick Zare and his group – experiments and motivation