

# Electroweak penguin decays as probes of physics beyond the Standard Model

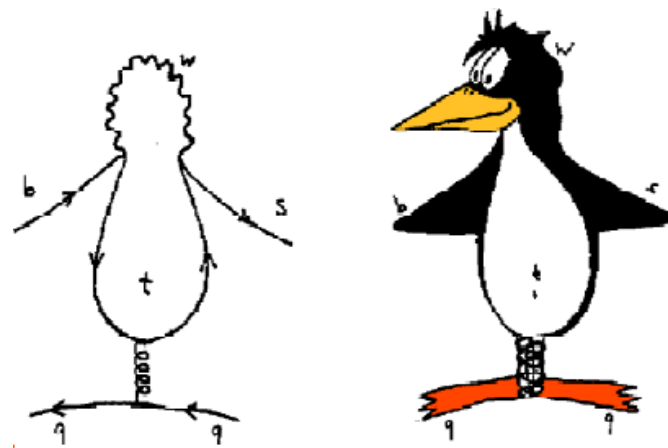
Mitesh Patel (Imperial College London)

LHC Seminar, 8<sup>th</sup> May 2012

on behalf of the LHCb Collaboration

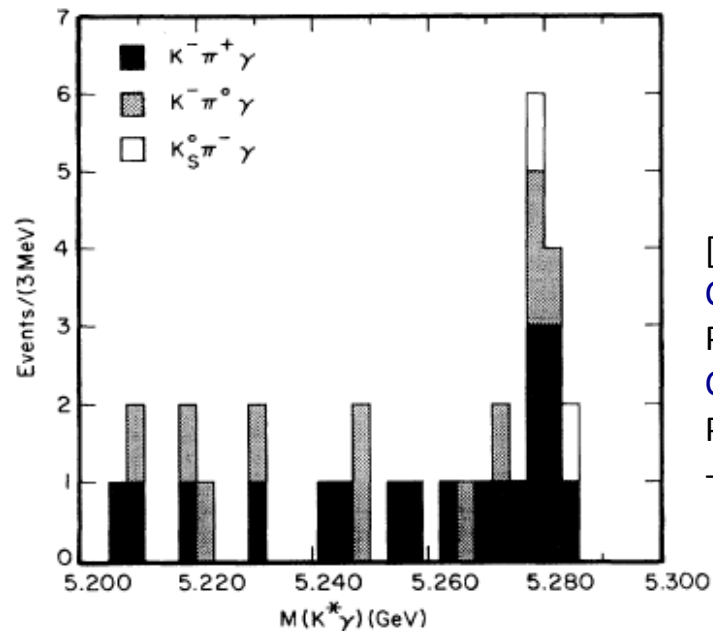
# The interest in EW penguins

- Standard Model has no tree level Flavour Changing Neutral Currents (FCNC)
- FCNC only occur as loop processes, proceed via penguin or box diagrams – sensitive to contributions from new (virtual) particles  
→ Probe masses  $> E_{\text{CM}}$  of the accelerator
- e.g.  $B^0 \rightarrow K^{*0} \gamma$  decay

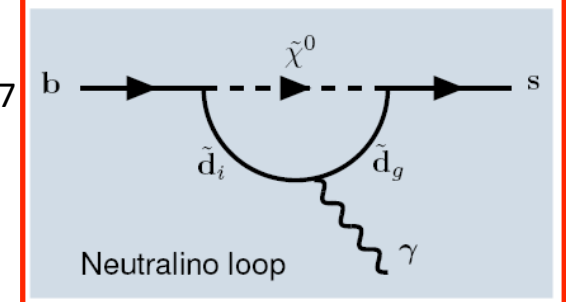
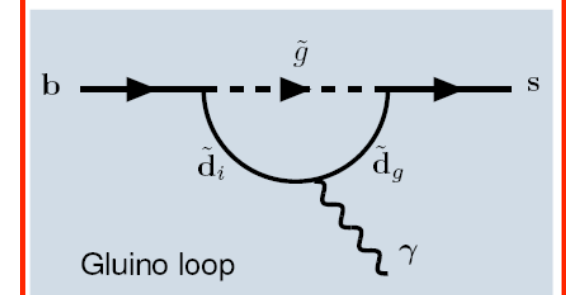
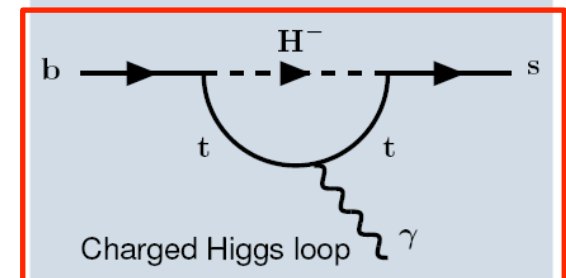
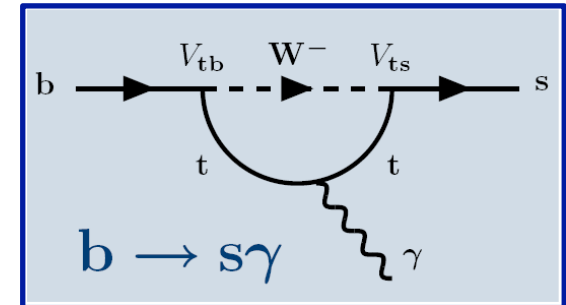


# A historical example – $B^0 \rightarrow K^{*0} \gamma$

- **In SM**: occurs through a dominating  $W$ - $t$  loop
- **Possible NP diagrams**:
- Observed by CLEO in 1993, two years before the direct observation of the top quark
  - BR was expected to be  $(2-4) \times 10^{-4}$
  - measured BR =  $(4.5 \pm 1.7) \times 10^{-4}$



[Phys.Rev.Lett. 71 (1993) 674 - Cited by 605 records  
 Phys.Rev.Lett. 74 (1995) 2885 - Cited by 836 records  
 Phys.Rev.Lett. 87 (2001) 251807 - Cited by 565 records]



# Theoretical Foundation

- The Operator Product Expansion is the theoretical tool that underpins rare decay measurements – rewrite SM Lagrangian as :

$$\mathcal{L} = \sum_i C_i O_i$$

- “Wilson Coefficients”  $C_i$ 
    - Describe the short distance part, can compute **perturbatively** in given theory
    - Integrate out the heavy degrees of freedom that can't resolve at some energy scale  $\mu$
  - “Operators”  $O_i$ 
    - Describe the long distance, **non-perturbative** part involving particles below the scale  $\mu$
    - Account for effects of strong interactions and are difficult to calculate reliably
- **Form a complete basis – can put in all operators from NP/SM**

- In *certain* observables the uncertainties on the operators cancel out – are then free from theoretical problems and measuring the Wilson Coefficients tells us about the heavy degrees of freedom – *independent of model*

# Observables in EW penguin decays

- Measuring branching fraction of EW penguin decays → information on mass, coupling
- Can also make a different class of measurements – probe the helicity structure :
  - If decay mediated by **Z boson** – expect **L&R-handed** contributions, measure ratio of the two
  - If decay mediated by **NP** – ?????
- Have two options :
  - (Only states with same polarisation/helicity can interfere) → measure time dependent CP violation where tag if have a **B** or a  $\bar{\text{B}}$
  - Use self-tagging channels e.g. sign of  $\text{K}^\pm$  from  $\text{K}^{*0} \rightarrow \text{K}\pi$  decay indicates whether had a **B** or  $\bar{\text{B}}$  → angular analysis

# Outline

- The LHCb detector and trigger
- Angular analysis of the decay  $B^0 \rightarrow K^* \mu \mu$
- The search for the decay  $B^+ \rightarrow \pi^+ \mu \mu$
- The isospin asymmetry in  $B \rightarrow K^* \mu \mu$  and  $B \rightarrow K \mu \mu$  decays
  - Shown in public for first time ... interesting results
- $A_{CP}$  in  $B^0 \rightarrow K^{*0} \gamma$

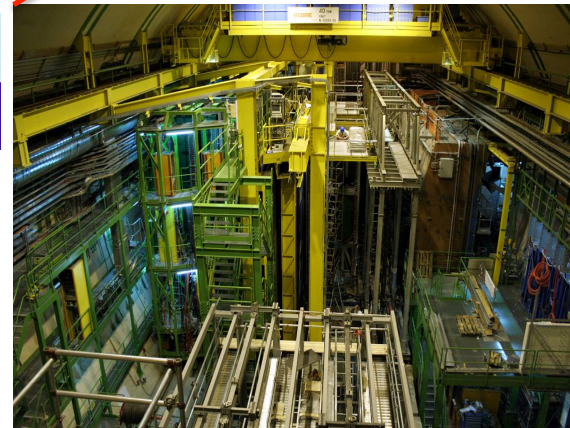
(All results from the full  $1\text{fb}^{-1}$  of integrated luminosity collected in 2011)

# The Experimental Environment

- LHC produces a huge number of B decays
  - $\sigma(b\bar{b}) = 280\mu\text{b}$  @ LHC, 7TeV (\*\*)  
(approx. linear with energy)
  - $\sigma(b\bar{b}) = 0.001\mu\text{b}$  @ B factories
- At the LHC  $\sigma(\text{pp, inelastic})$  @  $\sqrt{s}=7$  TeV  $\sim 60$  mb, only 1/200 events contains a b quark, looking for BR  $\sim 10^{-6}$ - $10^{-9}$  - enormous demands on detector and trigger

→ The LHCb experiment

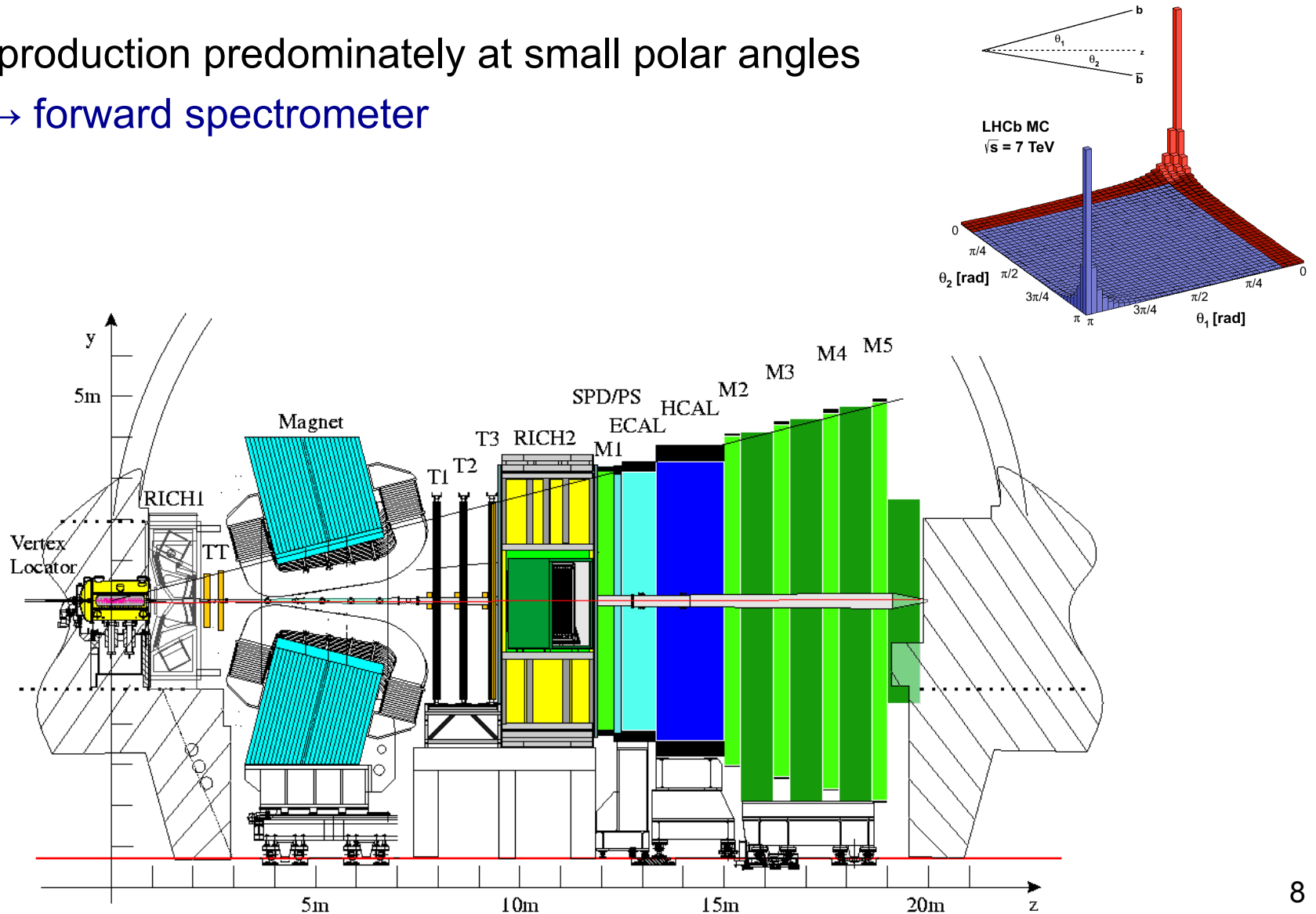
(\*\*) LHCb, Phys. Lett. B 694 (2010) 209-216





# The LHCb Experiment

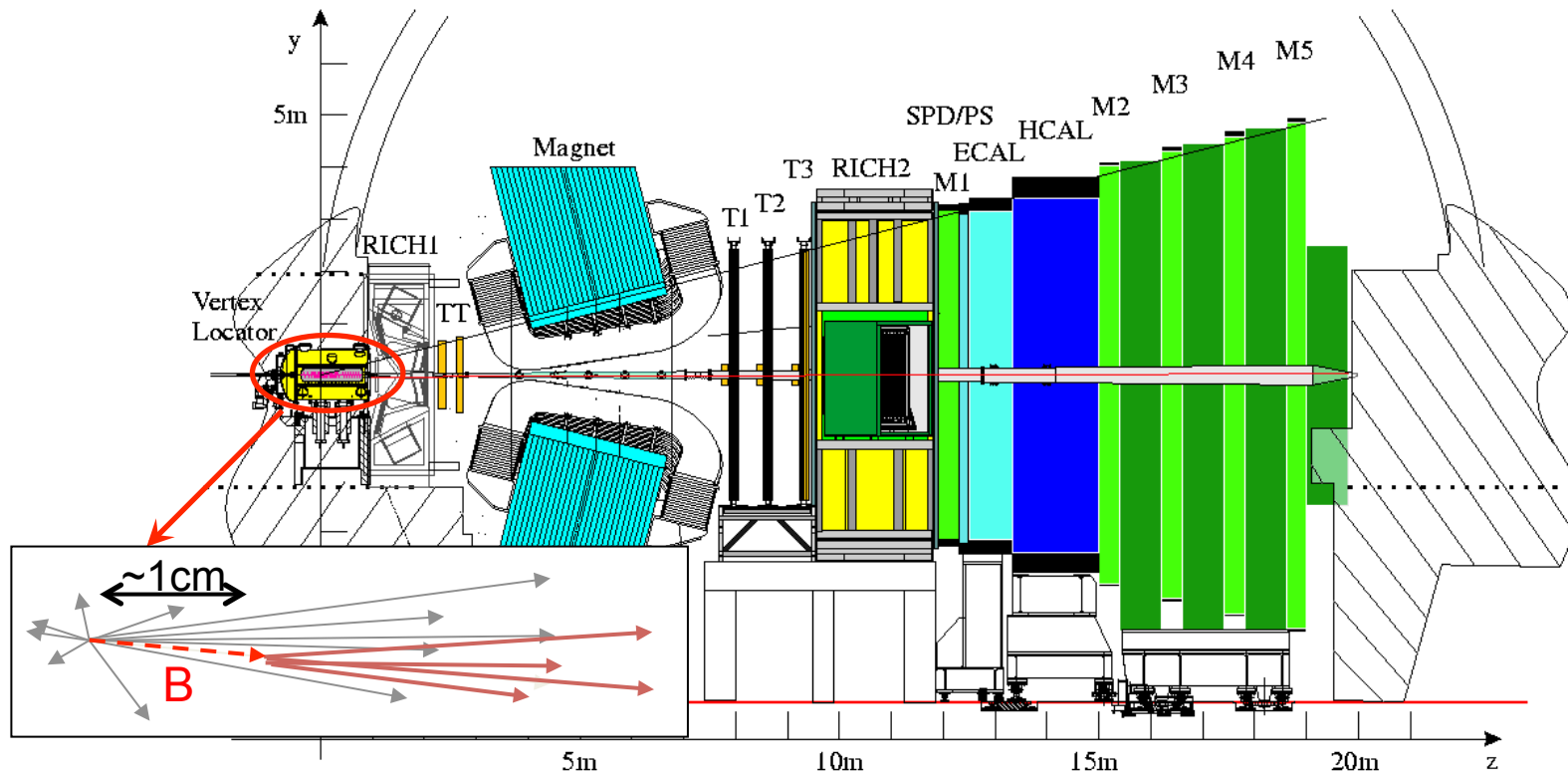
- b production predominately at small polar angles  
→ forward spectrometer





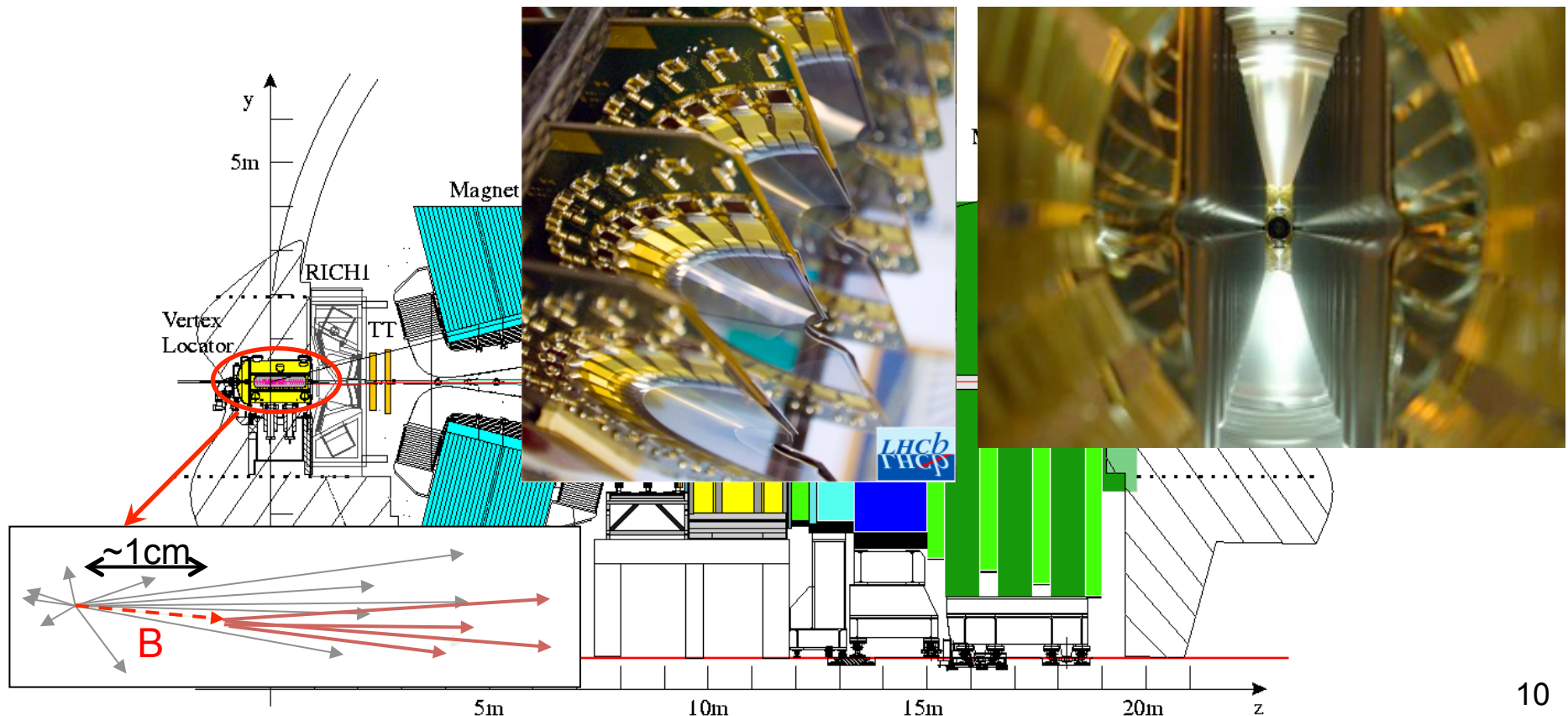
# The LHCb Experiment

- B lifetime → displaced secondary vertex
  - Need few interactions/event → operate at luminosity 10–50 times lower than central detectors
  - Vertex detector capable of picking out the displaced vertex



# The LHCb Experiment

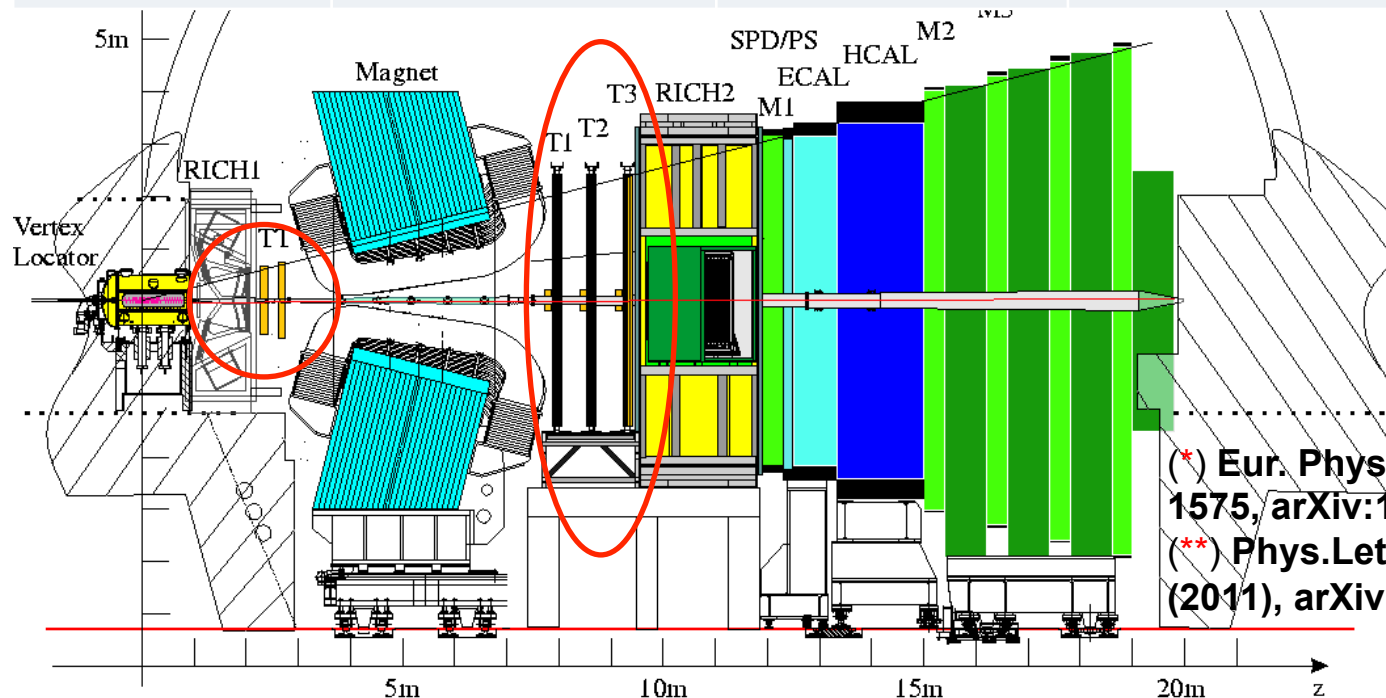
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# The LHCb Experiment

- Precision momentum resolution → mass resolution

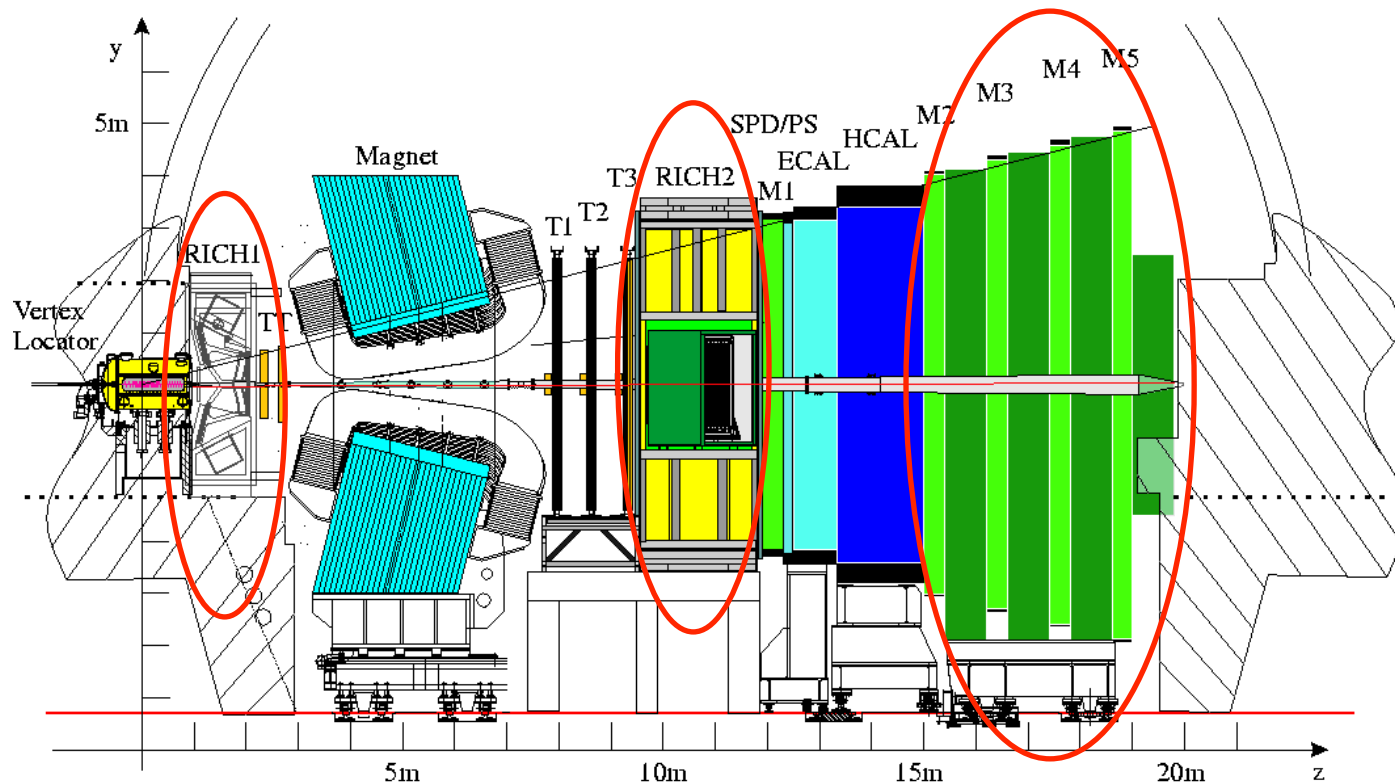
	LHCb	CMS	ATLAS
Momentum Resolution	$\delta p/p = 0.4-0.6\%$	$\delta p_T/p_T = 1-3\%$	$\delta p_T/p_T = 5-6\%$
Mass resolu $J/\psi \rightarrow \mu\mu$	13 MeV/c <sup>2</sup>	28 MeV/c <sup>2</sup> (*)	46 MeV/c <sup>2</sup> (**)



(\*) Eur. Phys.J. C71 (2011) 1575, arXiv:1011.4193  
 (\*\*) Phys.Lett. B697 (2011), arXiv:1104.3038v2

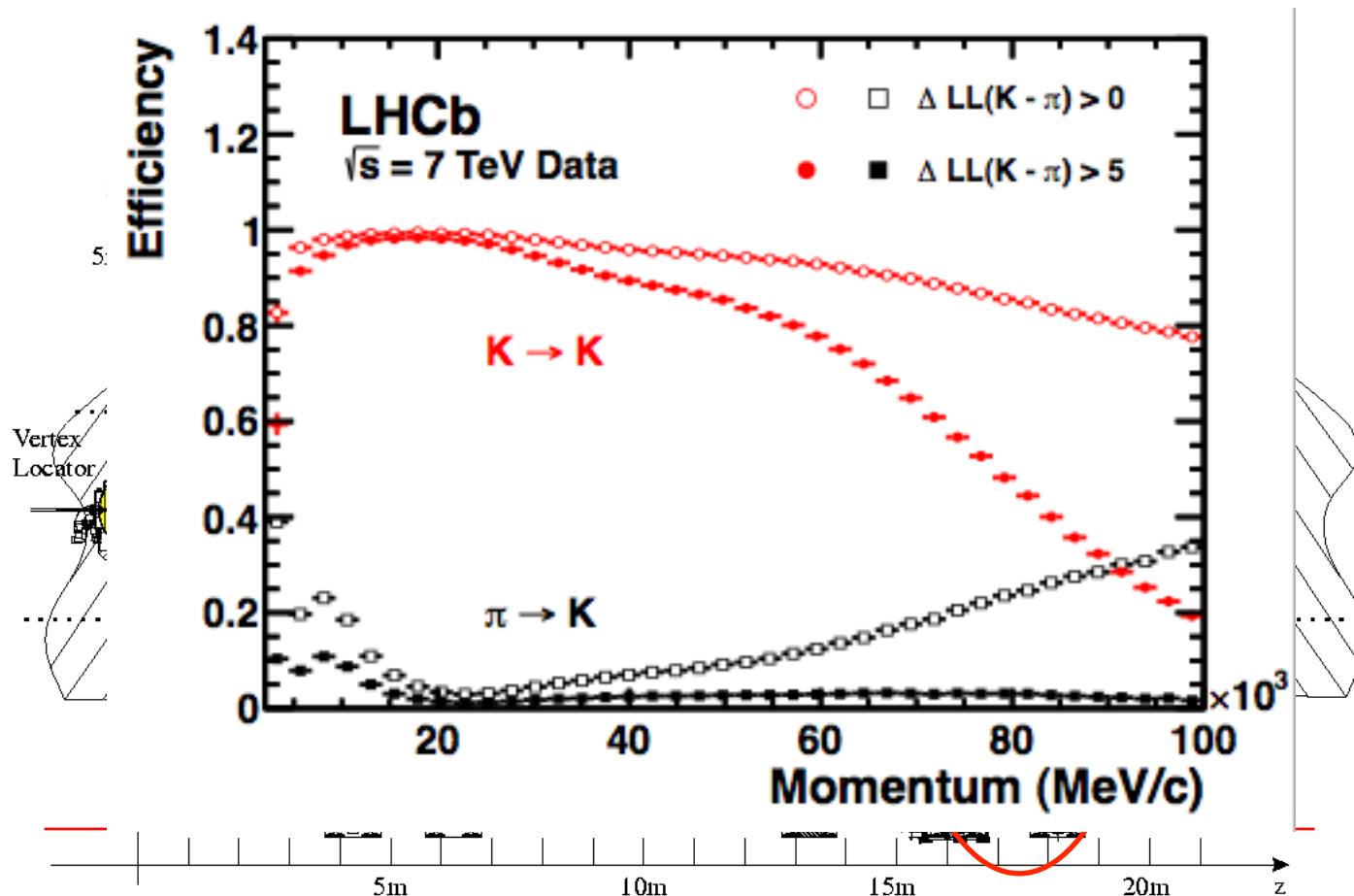
# The LHCb Experiment

- Events dominated by pions – separating kaons ( $\rightarrow$ RICH 1,2) produced in B events and muons ( $\rightarrow$ M1-5) critical

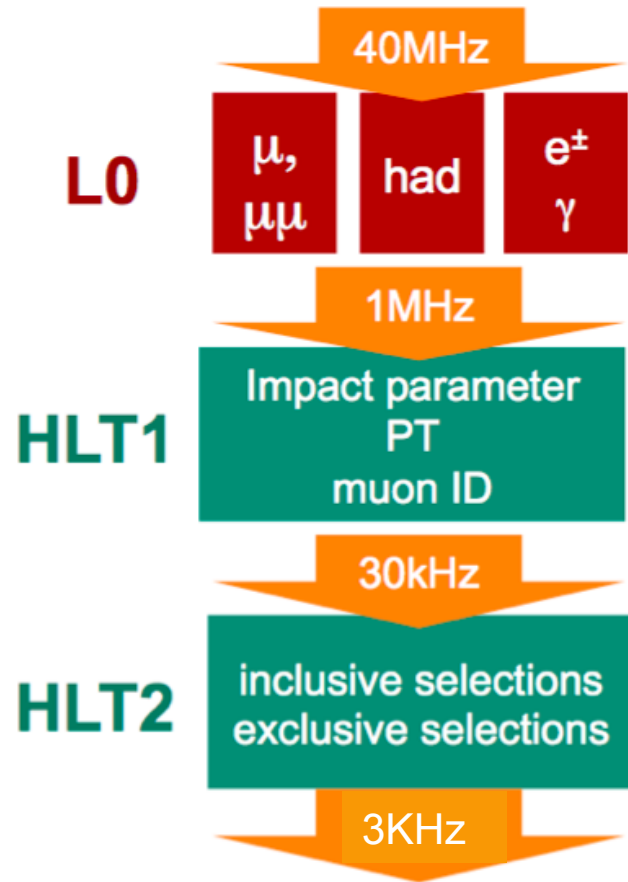


# The LHCb Experiment

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# The LHCb Trigger



- Small event size (60kB)  
→ large bandwidth
- Allows low thresholds

<b>L0 Hardware</b>	“high $p_T$ ” signals in calorimeter and muon systems
<b>HLT1 Software</b>	Partial reconstruction, selection based on one or two (dimuon) displaced tracks, muon ID
<b>HLT2 Software</b>	Global reconstruction (very close to offline) dominantly inclusive signatures – use MVA

+ Global Event Cuts for events with high multiplicity

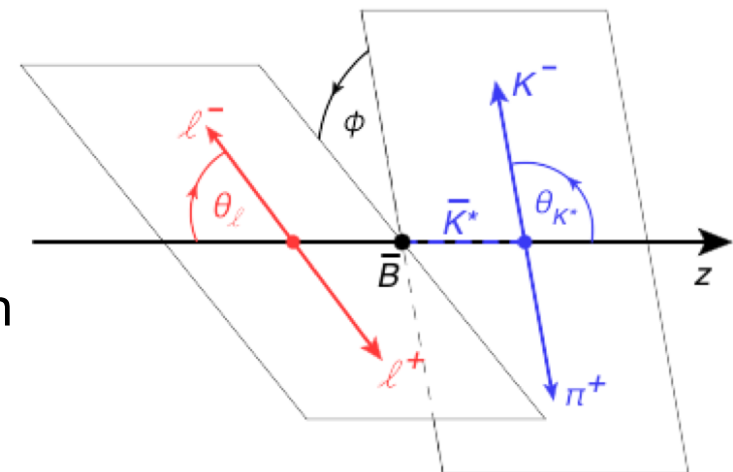
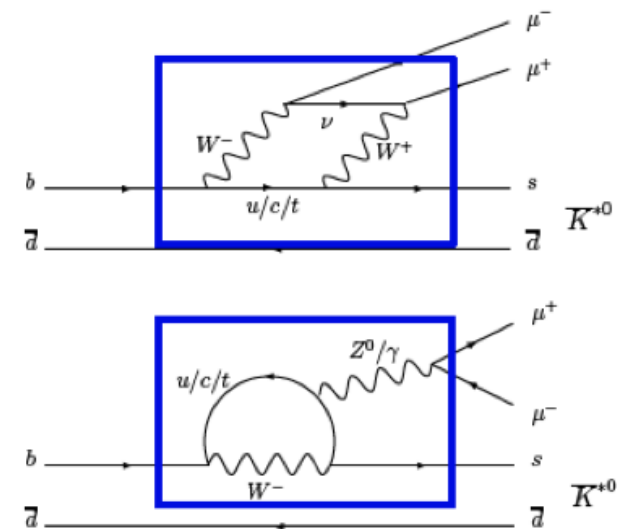
	Charm	Had. B	Lept. B
<b>Overall efficiency</b>	~10%	~40%	~75-90%

$$B^0 \rightarrow K^* \mu \mu$$



# $B^0 \rightarrow K^* \mu \mu$

- Flavour changing neutral current  $\rightarrow$  loop
- Sensitive to interference between  $O_{7\gamma}$ ,  $O_{9,10}$  and their primed counterparts
- Exclusive decay  $\rightarrow$  theory uncertainty from form factors
- Decay described by three angles,  $\theta_l$ ,  $\theta_K$  and  $\phi$ , and  $q^2 = m_{\mu\mu}^2$ , self-tagging  $\rightarrow$  angular analysis allows to probe helicity
- Multitude of angular observables in which uncertainties cancel to some extent e.g.  $A_{FB}$  – asymmetry in  $\theta_l$  distribution



# $B^0 \rightarrow K^{*0} \mu\mu$ – angular analysis

- Full angular distribution :

$$\begin{aligned} \frac{d^4\Gamma}{d\cos\theta_\ell d\cos\theta_K d\phi dq^2} \propto & I_1^s \sin^2\theta_K + I_1^c \cos^2\theta_K + (I_2^s \sin^2\theta_K + I_2^c \cos^2\theta_K) \cos 2\theta_\ell \\ & + I_3 \sin^2\theta_K \sin^2\theta_\ell \cos 2\phi + I_4 \sin 2\theta_K \sin 2\theta_\ell \cos \phi \\ & + I_5 \sin 2\theta_K \sin \theta_\ell \cos \phi \\ & + (I_6^s \sin^2\theta_K + I_6^c \cos^2\theta_K) \cos \theta_\ell + I_7 \sin 2\theta_K \sin \theta_\ell \sin \phi \\ & + I_8 \sin 2\theta_K \sin 2\theta_\ell \sin \phi + I_9 \sin^2\theta_K \sin^2\theta_\ell \sin 2\phi \end{aligned}$$

- Apply "folding" technique:  $\phi \rightarrow \phi + \pi$  for  $\phi < 0$ . This cancels terms with  $I_4, I_5, I_7, I_8$
- Fitting these angles allows access to angular observables where the hadronic uncertainties are under control :
  - $F_L$ , the fraction of  $K^{*0}$  longitudinal polarisation
  - $A_{FB}$ , the forward-backward asymmetry – and zero-crossing point
  - $S_3 \propto A_T^2(1-F_L)$ , the asymmetry in  $K^{*0}$  transverse polarisation
  - $A_{IM}$ , a T-odd CP asymmetry

# $B^0 \rightarrow K^* \mu \mu$ – angular analysis

- Full angular distribution :

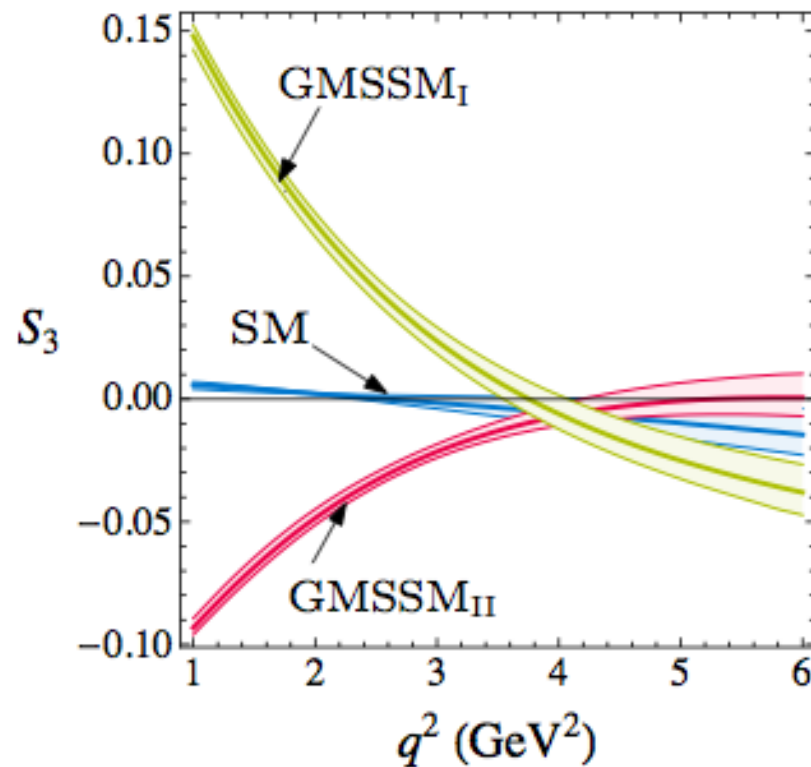
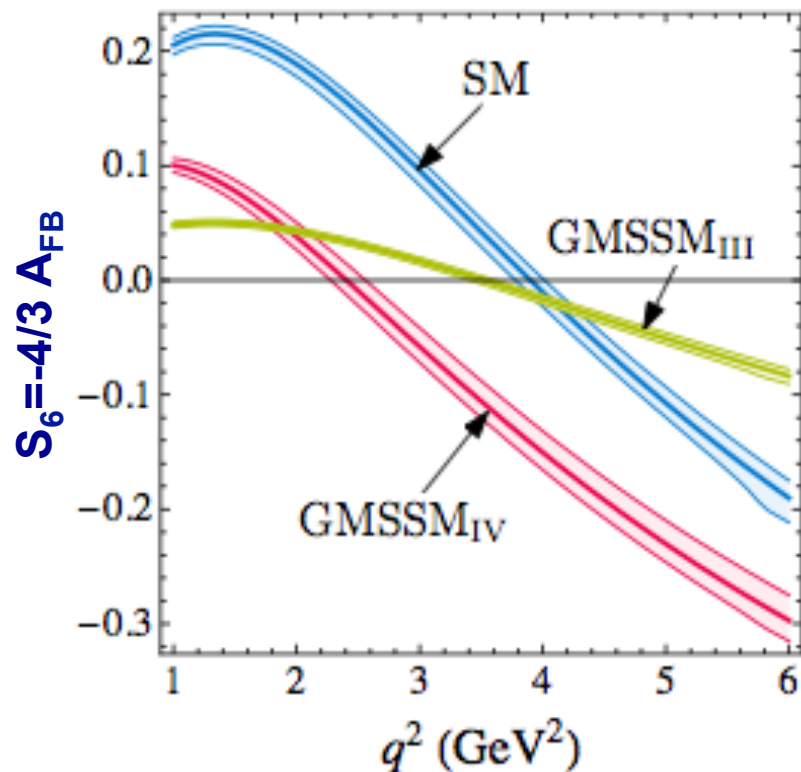
$$\begin{aligned} \frac{d^4\Gamma}{d\cos\theta_\ell d\cos\theta_K d\phi dq^2} \propto & F_L \cos^2\theta_K + \frac{3}{4}(1-F_L)(1-\cos^2\theta_K) + \\ & F_L \cos^2\theta_K (2\cos^2\theta_\ell) + \\ & \frac{1}{4}(1-F_L)(1-\cos^2\theta_K)(2\cos^2\theta_\ell - 1) + \\ & S_3(1-\cos^2\theta_K)(1-\cos^2\theta_\ell)\cos 2\phi + \\ & \frac{4}{3}A_{FB}(1-\cos^2\theta_K)\cos\theta_\ell + \\ & A_{Im}(1-\cos^2\theta_K)(1-\cos^2\theta_\ell)\sin 2\phi \end{aligned}$$

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# The interest in $B^0 \rightarrow K^* \mu \mu$

- Observables highly sensitive to NP contributions to  $C_7^{(\prime)}$ ,  $C_9^{(\prime)}$ ,  $C_{10}^{(\prime)}$

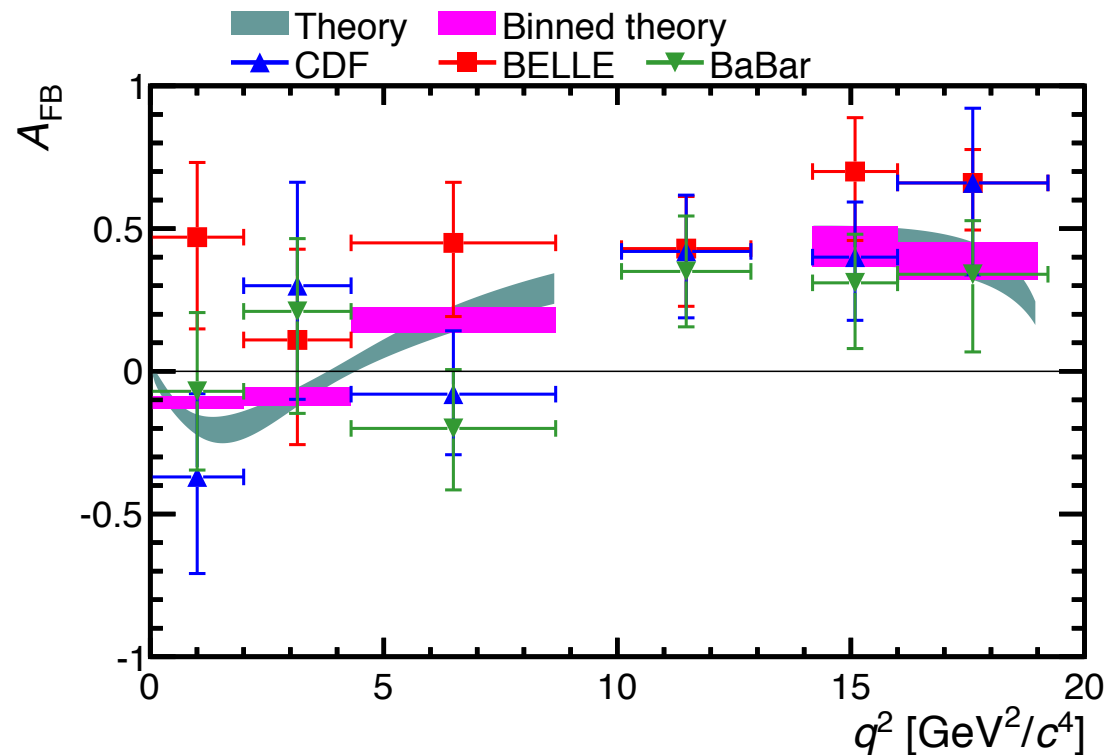
W.Altmannshofer et al. [arXiv:0801.1214]



- $A_{FB}$  zero crossing point particularly well predicted by theory

# (Pre-LHC) Experimental Status

- Babar, Belle, and CDF have all measured ang. asymm.  $A_{FB}$  :



- Measurements look consistent with each other but errors still large

Theory prediction from C. Bobeth et al. [arXiv:1105.0376] (and ref. therein)

BABAR: PRL 102, 091803 (2009); CDF: arXiv:1108.0695v1; Belle: PRL 103, 171801 (2009)

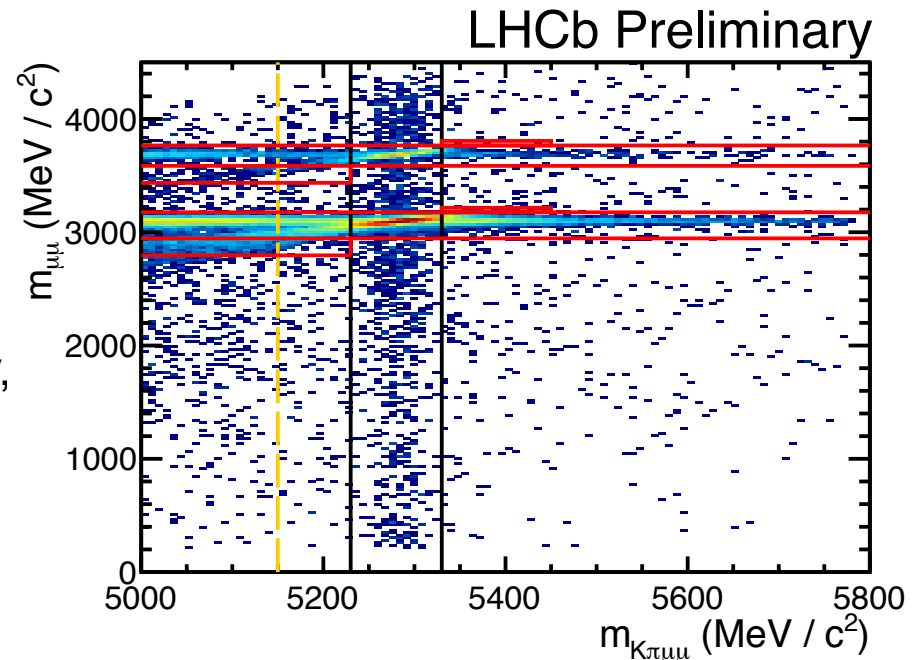
# LHCb Event Selection

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- Use a Boosted Decision Tree to make event selection
  - Signal sample –  $B^0 \rightarrow K^* J/\psi$  data ( $\sim 100\times$  more statistics than signal)
  - Bkgrd sample –  $B^0 \rightarrow K^* \mu\mu$  mass sideband events
  - Use information about the event kinematics, vertex and track quality, impact parameter and particle identification information

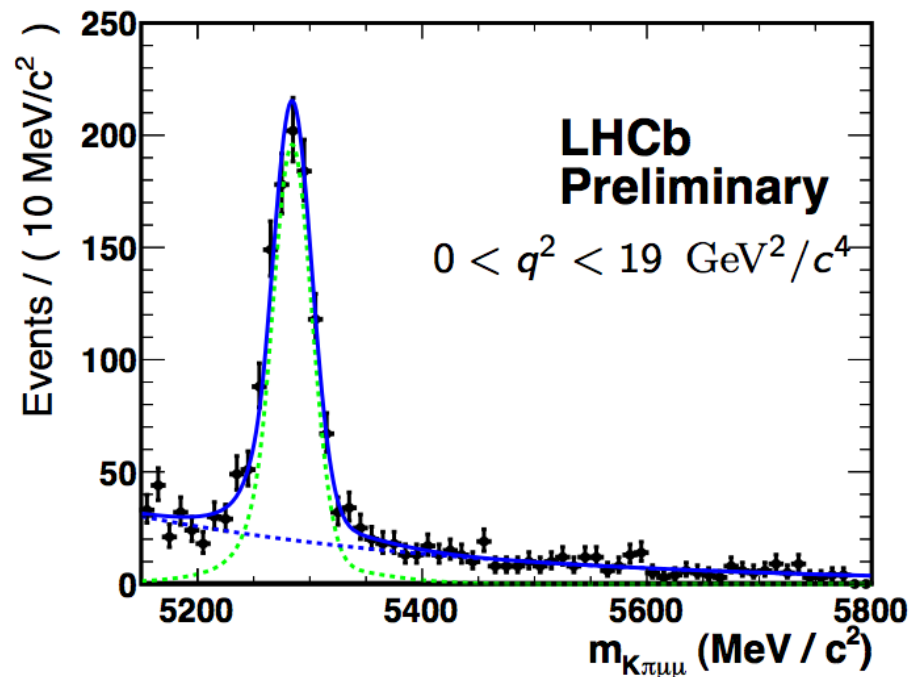
- Remove  $m_{\mu\mu}$  regions containing  $B^0 \rightarrow K^* J/\psi$ ,  $B^0 \rightarrow K^* \Psi(2S)$

- Number of peaking backgrounds treated with specific vetos
    - e.g.  $B^0 \rightarrow K^* J/\psi$  with  $\pi \leftrightarrow \mu$  swap
- total peaking bkgrds  $< 2\%$  of signal



# LHCb Event Selection

- With  $1.0 \text{ fb}^{-1}$  find  $900 \pm 34$  signal events (BaBar + Belle + CDF  $\sim 600$ )
- $B/S \approx 0.25$  in region  $5230 < m_{\text{K}\pi\mu\mu} < 5330 \text{ MeV}/c^2$
- Selection does not induce further biases in **angles** and  $q^2$  of reconstruction/trigger – biases that are introduced are primarily from detector geometry – easy to model

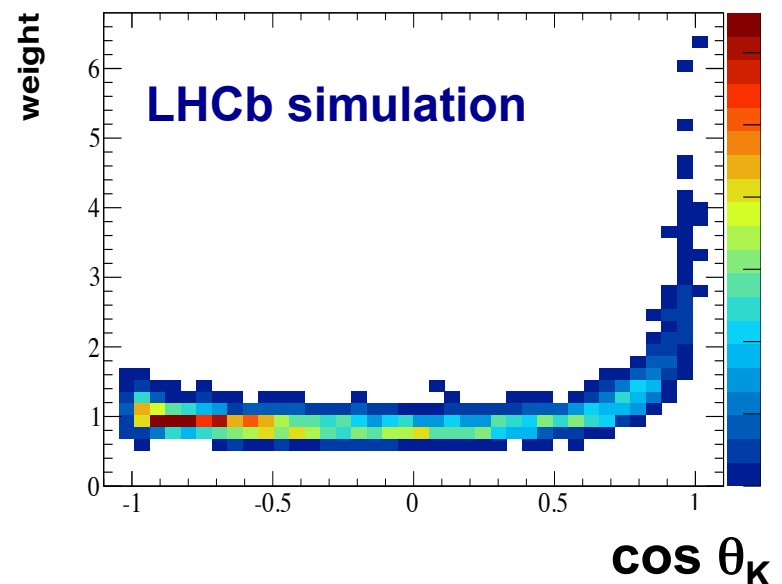
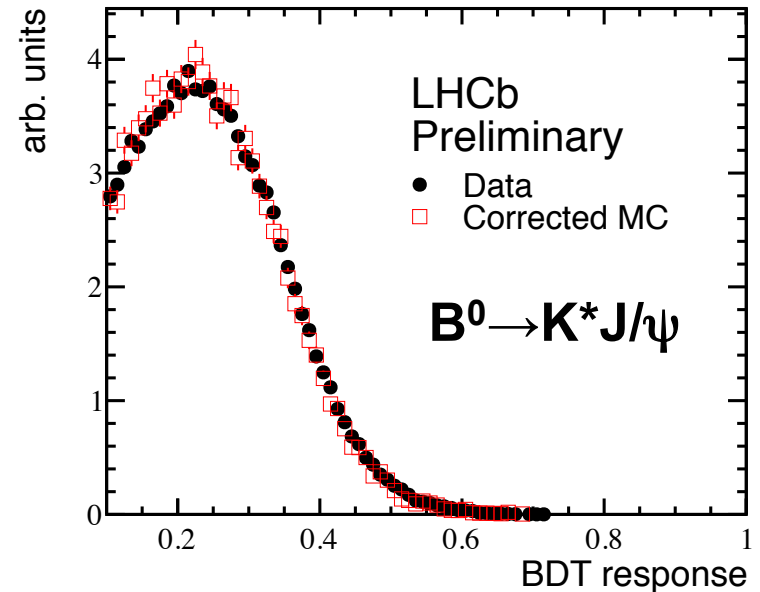


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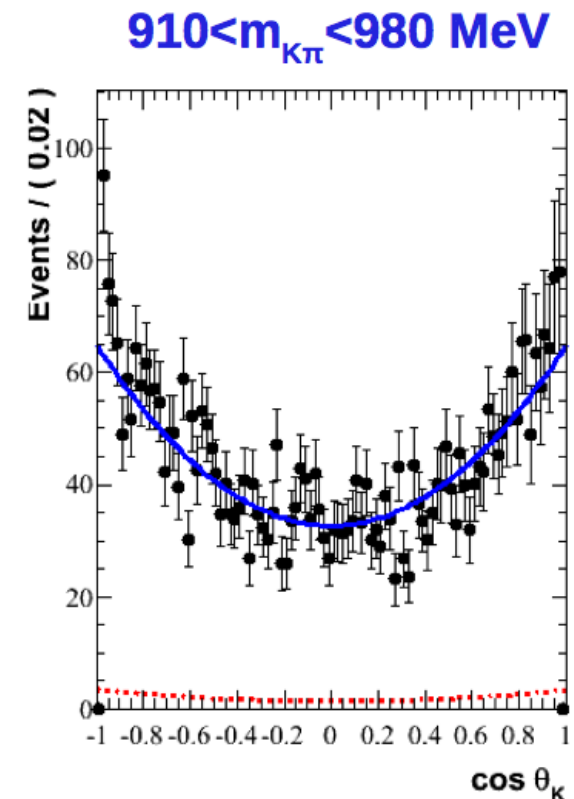
# Acceptance Correction

- Correct angular and  $q^2$  distributions for the effect of the detector and selection
- Use a binned acceptance correction derived from LHCb simulation
- Simulation quality verified with range of control channels which are selected from the data ( $B^0 \rightarrow K^* J/\psi$ ,  $J/\psi \rightarrow \mu\mu$ ,  $D^* \rightarrow D^0(K\pi)\pi$ )
  - Tracking efficiency
  - Hadron (mis-)identification probabilities
  - Muon (mis-)identification
  - Overall momentum and  $\eta$  distributions



# Fit Procedure and Validation

- Perform a unbinned maximum-likelihood fit to the mass and  $(\theta_l, \theta_K, \phi)$  distribution in bins of  $q^2$
- Toy simulation studies used to verify behaviour of fit
- Also validated on data using  $B^0 \rightarrow K^* J/\psi$ 
  - $A_{FB}$  consistent with zero, as expected
  - s-wave contribution induces an asymmetry in  $\cos \theta_K$  distribution,  $A_{FB}^K$
  - Variation of  $A_{FB}^K$  with  $m_{K\pi}$  matches BaBar data(\*\*) across  $m_{K\pi}$  range



(\*\*) BABAR: PRD 76, 031102 (2007)

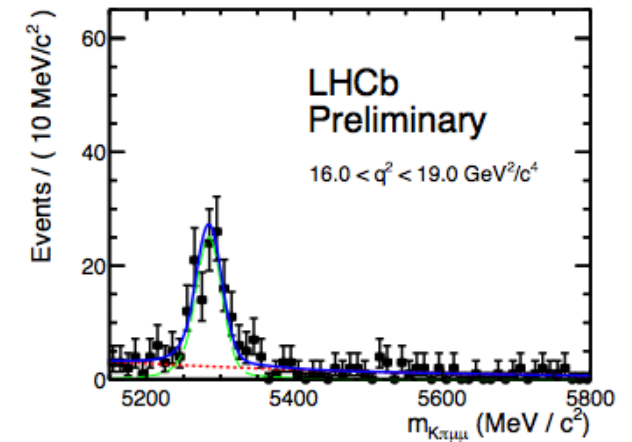
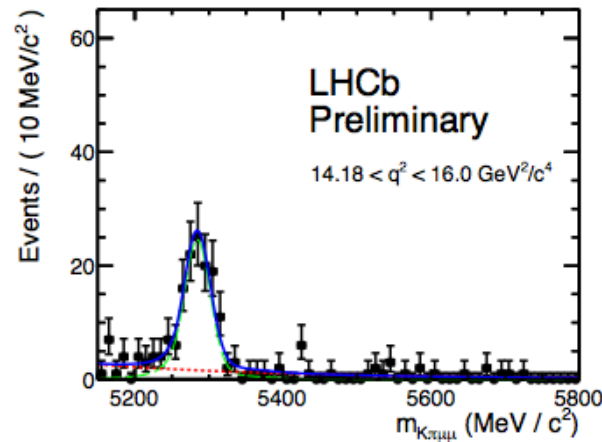
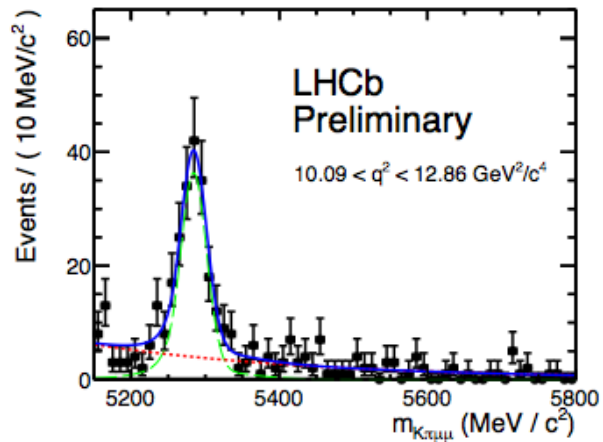
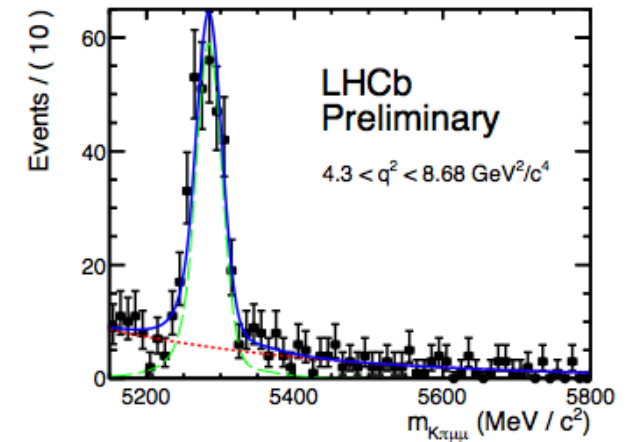
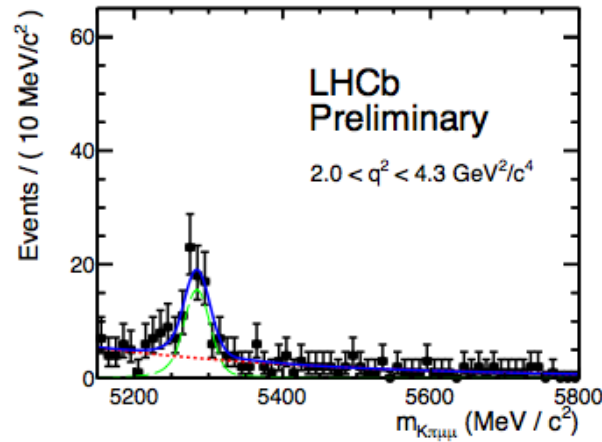
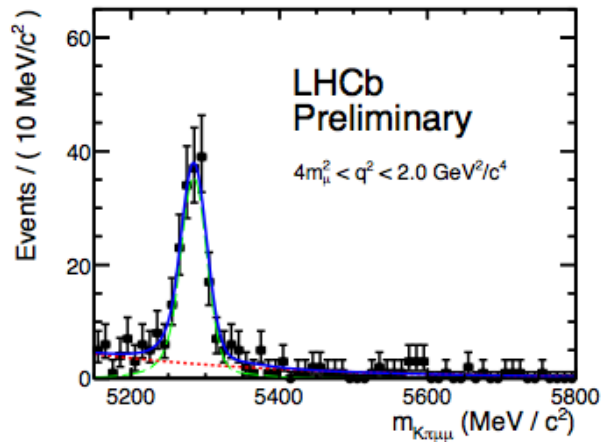
# Systematics

- Consider effects that are  $q^2$ -dependent or modify the angular distribution and might be incorrectly modelled by the simulation
  - Uncertainties on all of the data-driven corrections
  - Inclusion of an S-wave component
  - Knowledge of the detector acceptance
  - Variation of mass resolution with  $q^2$
  - Uncertainty from  $B(B^0 \rightarrow K^* J/\psi (\rightarrow \mu\mu))$
  - Variation of level/shape of residual peaking backgrounds
  - ...
- Effects are small, measurements are statistically dominated

# Event yields

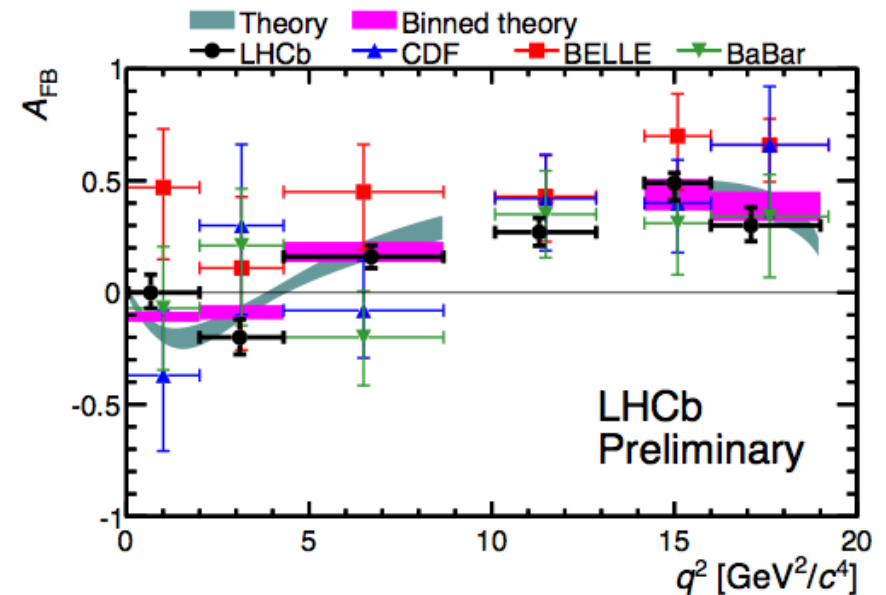
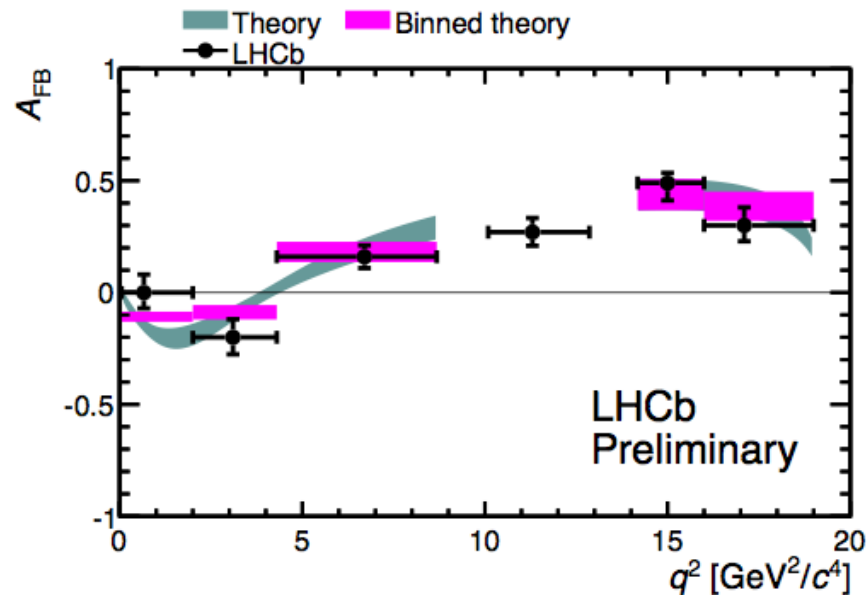
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- Observe events with  $>>5\sigma$  significance in each  $q^2$  bin



# Angular Analysis Results : $A_{FB}$

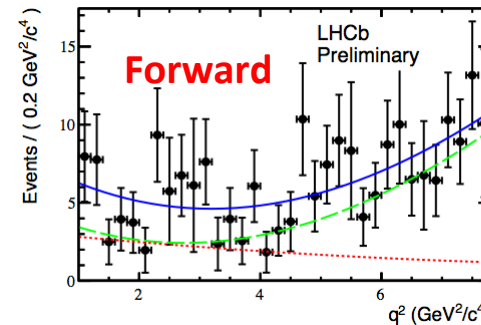
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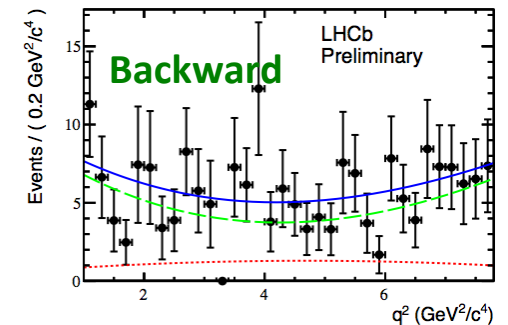
- Data points are centred at the average  $q^2$  of events in the relevant bin, as measured from the data
- Error bars include systematic uncertainties
- Theory prediction from C. Bobeth et al. [arXiv:1105.0376] (and references therein) – no prediction in region between resonances
- Most precise measurements to-date - consistent with the SM prediction

# $A_{FB}$ zero-crossing point

- The zero-crossing point,  $q_0^2$  extracted through a 2D fit to the forward- and backward-going  $m_{K\pi\mu\mu}$  and  $q^2$  distributions

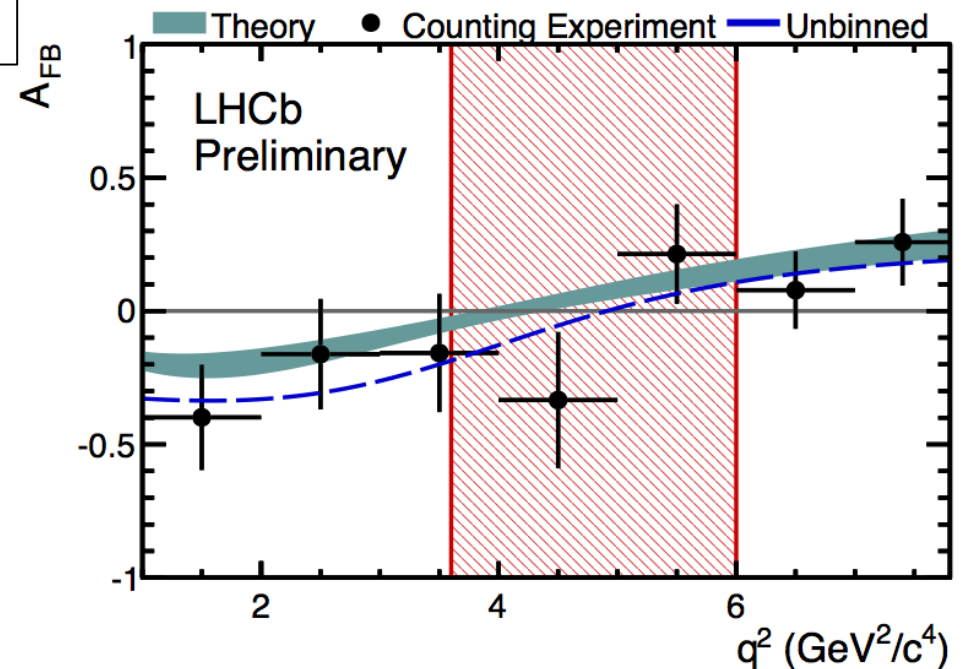


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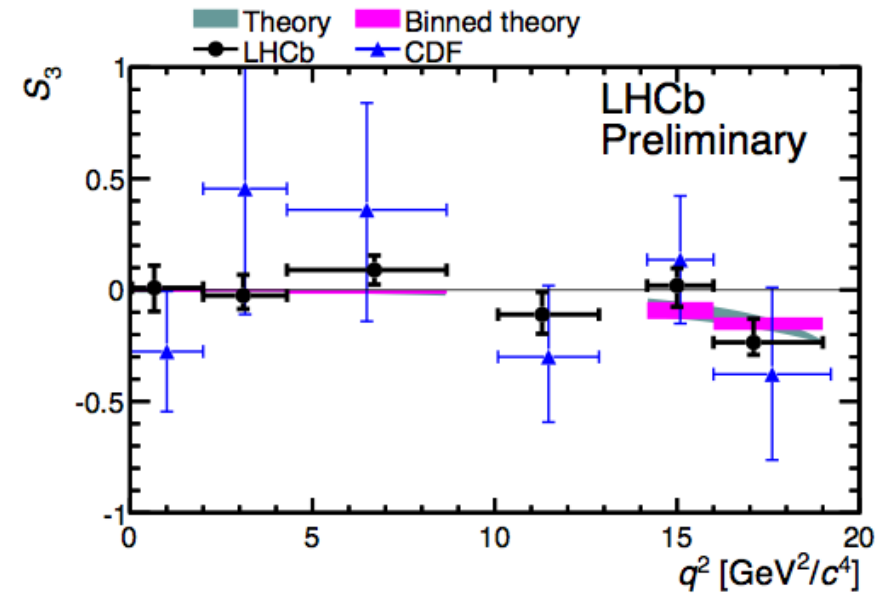
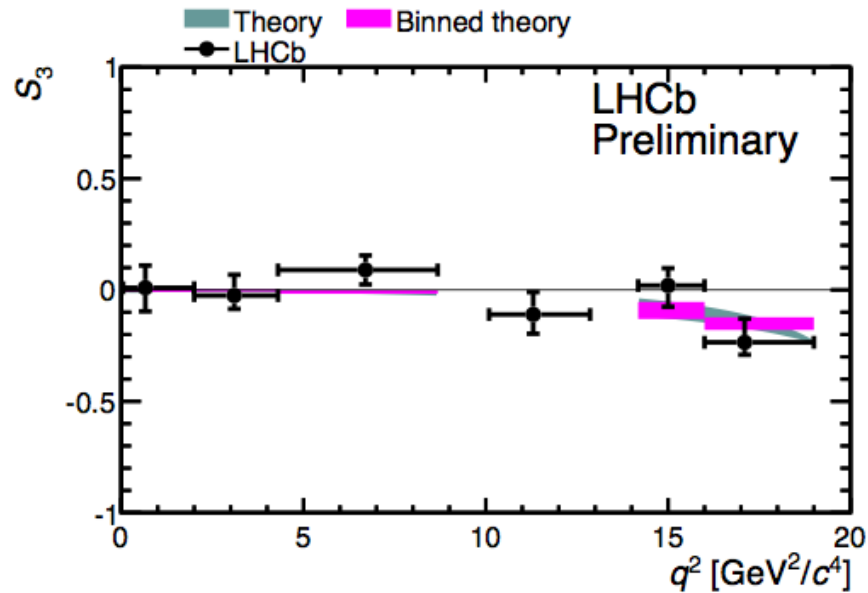
- The worlds first measurement of  $q_0^2$ , at  $q_0^2 = 4.9^{+1.1}_{-1.3}$  GeV<sup>2</sup>/c<sup>4</sup>

- Consistent with SM prediction [arXiv:1105.0376, Eur. Phys. J. C 41 (2005) 173-188, C47 (2006) 625-641]



# Angular Analysis Results : $S_3$

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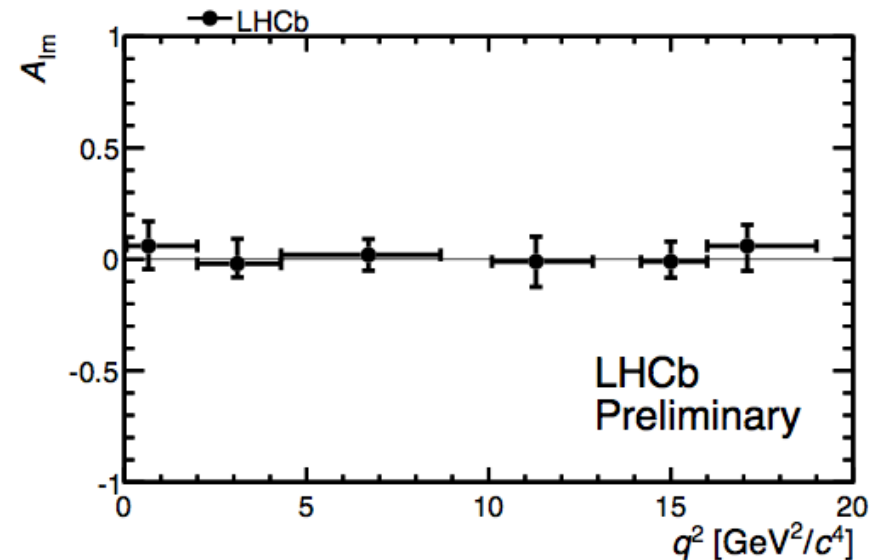
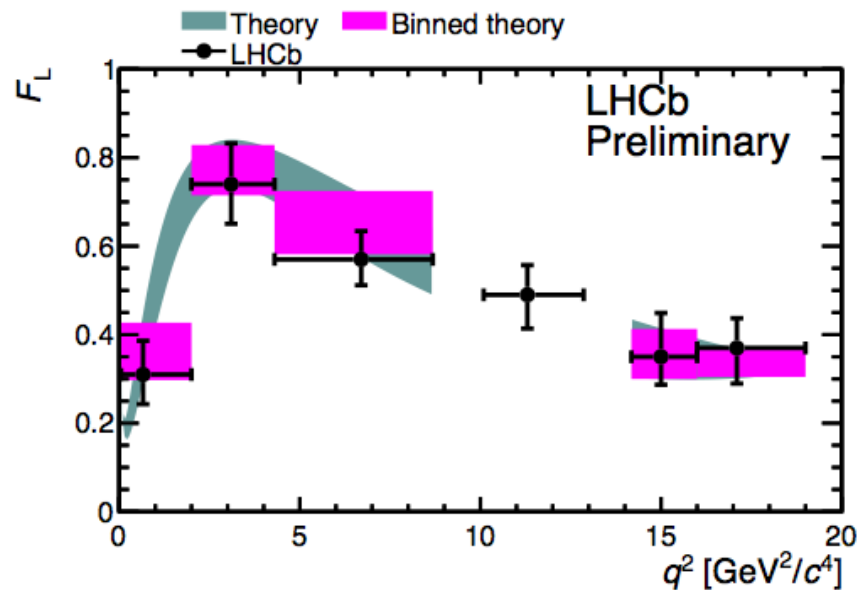


- $S_3 \propto A_T^2(1-F_L)$ , the asymmetry in  $K^{*0}$  transverse polarisation



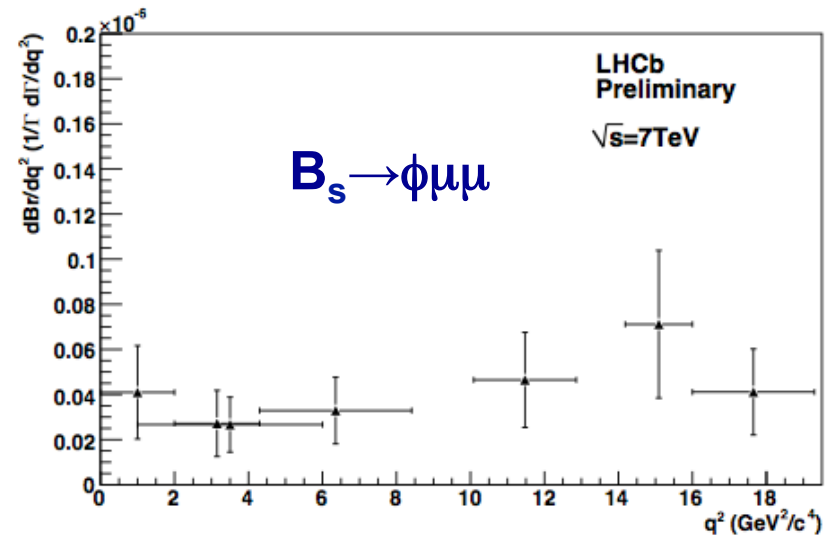
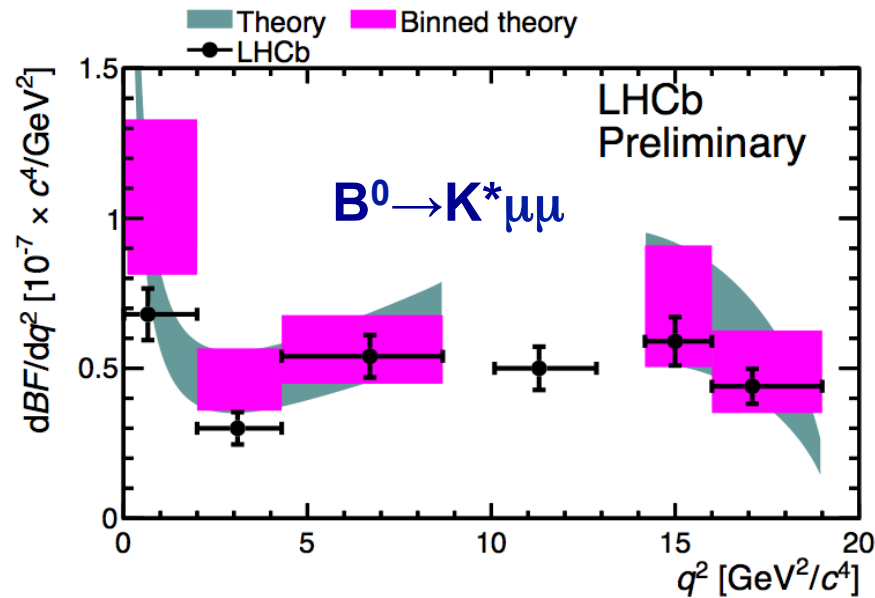
# Angular Analysis Results : $F_L, A_{Im}$

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- $F_L$ , the fraction of  $K^{*0}$  longitudinal polarisation
- $A_{Im}$ , a T-odd CP asymmetry
- No theory prediction for  $A_{Im}$  – expected to be  $O(10^{-3})$  in SM

# $B^0 \rightarrow K^* \mu\mu$ and $B_s \rightarrow \phi \mu\mu$ differential BF measurements



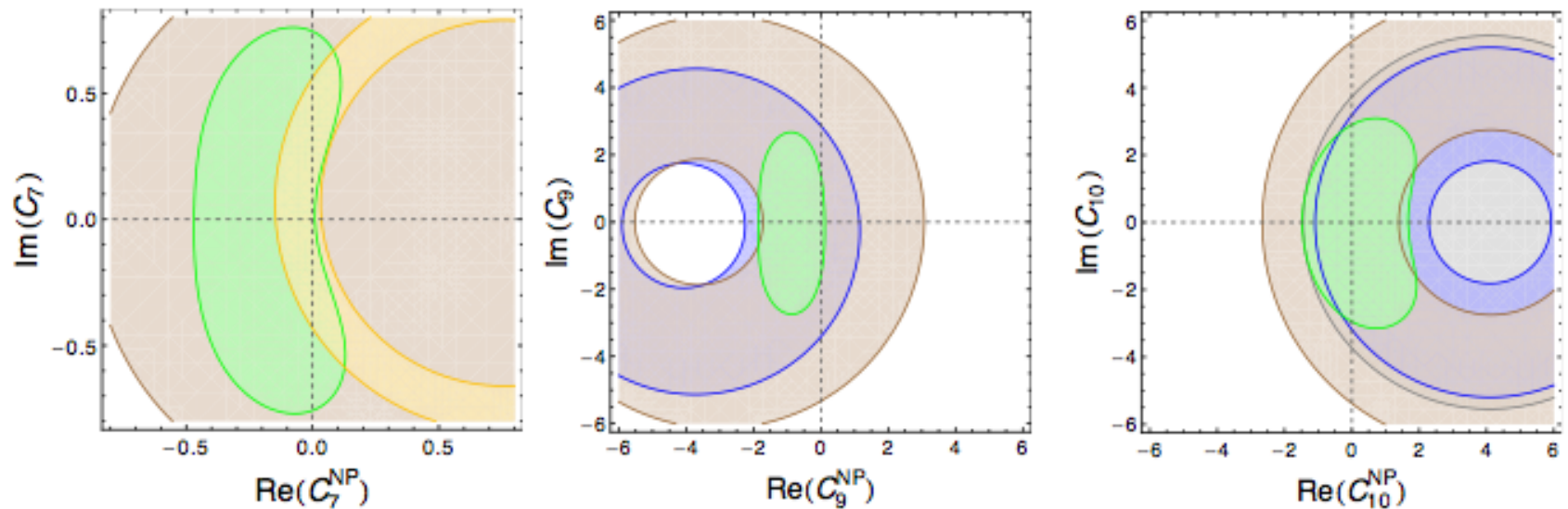
- Differential branching fraction is extracted by fitting the mass distribution and normalising to  $B^0 \rightarrow K^* J/\psi$ ,  $B_s \rightarrow \phi J/\psi$
- $B^0 \rightarrow K^* \mu\mu$  :  $900 \pm 34$  signal events LHCb-CONF-2012-008
- $B_s \rightarrow \phi \mu\mu$  :  $77 \pm 10$  signal events LHCb-CONF-2012-003
- These are the most precise measurements to-date and are consistent with SM expectations [J.Phys.G G29 (2003) 1103–1118]

# Constraints on $C_7$ , $C_9$ , $C_{10}$

D. Straub, arXiv:1111.1257, JHEP 1202:106

Varying 1 Wilson coefficient at a time.  $C_i = C_i^{\text{SM}} + C_i^{\text{NP}}$

\*preliminary\*



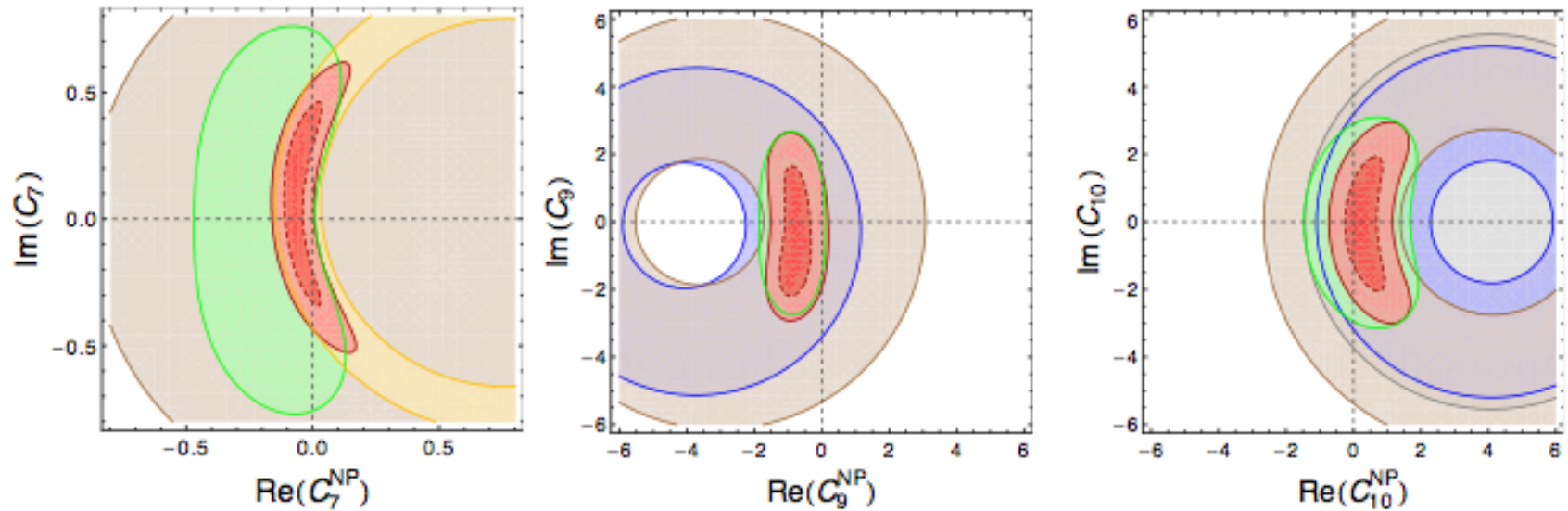
BR( $B \rightarrow X_s l^+ l^-$ )   BR( $B \rightarrow X_s \gamma$ )    $B \rightarrow K^* \mu^+ \mu^-$    BR( $B \rightarrow K \mu^+ \mu^-$ )   BR( $B_s \rightarrow \mu^+ \mu^-$ )

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$\text{BR}(B \rightarrow X_s l^+ l^-)$     $\text{BR}(B \rightarrow X_s \gamma)$     $B \rightarrow K^* \mu^+ \mu^-$     $\text{BR}(B \rightarrow K \mu^+ \mu^-)$     $\text{BR}(B_s \rightarrow \mu^+ \mu^-)$

- Good agreement with SM expectations
- Complementarity between observables crucial to break degeneracies

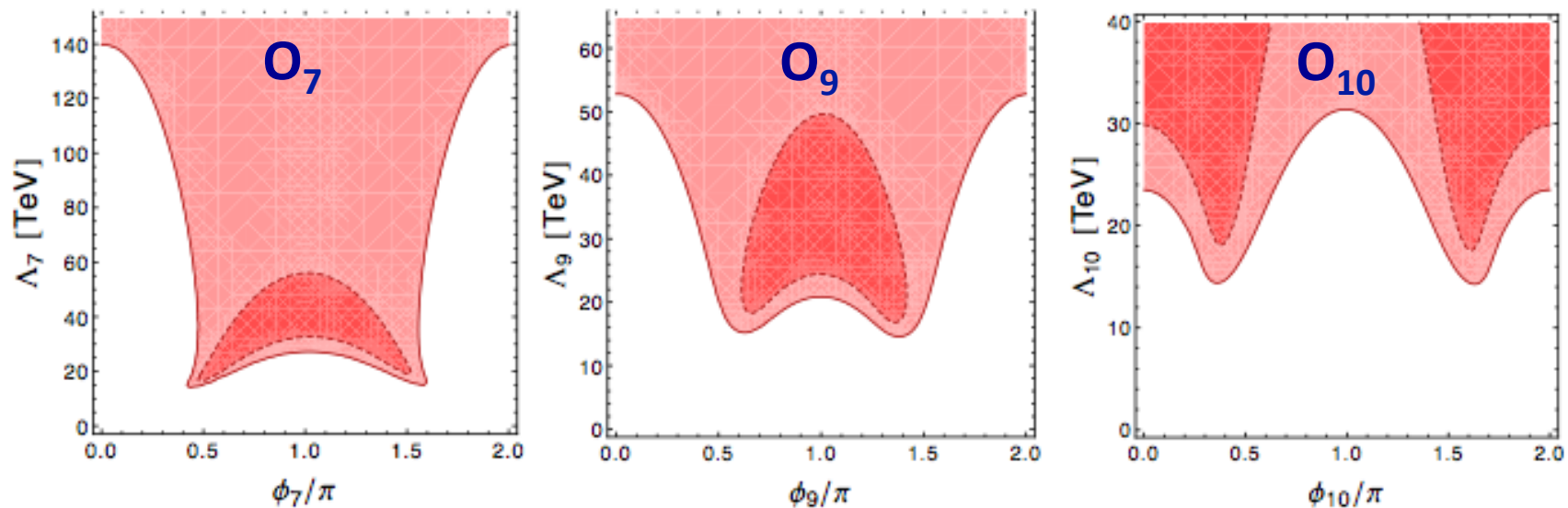
# Impact – with tree level FV

D. Straub, arXiv:1111.1257, JHEP 1202:106

Results can be interpreted as bounds on the scale of new physics:

$$\mathcal{L} = \mathcal{L}_{\text{SM}} + \sum_{j=7,9,10} \frac{e^{i\phi_j}}{\Lambda_j^2} \mathcal{O}_j$$

~tree level generic  
flavour violation



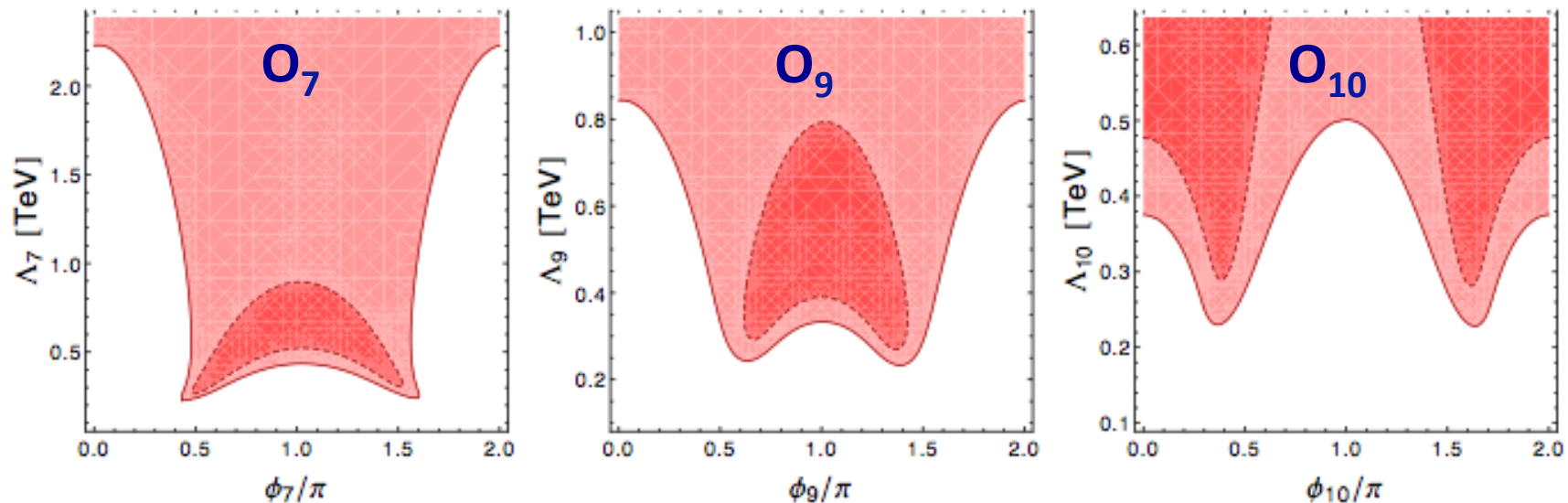
# Impact – with loop CKM-like FV

D. Straub, arXiv:1111.1257, JHEP 1202:106

Results can be interpreted as bounds on the scale of new physics:

$$\mathcal{L} = \mathcal{L}_{\text{SM}} - \sum_{j=7,9,10} \frac{V_{tb} V_{ts}^*}{16\pi^2} \frac{e^{i\phi_j}}{\Lambda_j^2} \mathcal{O}_j$$

~loop level CKM-like  
flavour violation

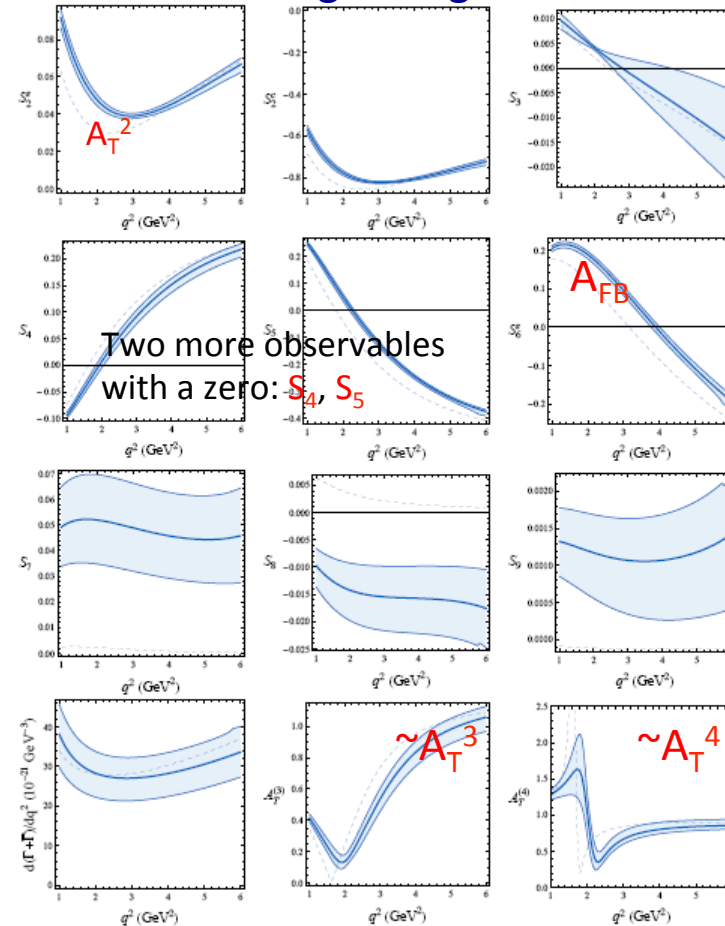


- Bounds are weaker in the presence of CP violation beyond the CKM
- Reason: only CP-averaged observables
- Measurement of CP asymmetries would be welcome

# $B^0 \rightarrow K^* \mu\mu$ – Outlook

- Measurement of  $B^0 \rightarrow K^* \mu\mu$  CP asymmetry in progress
- More data will enable a full angular fit to extract complete information from  $B^0 \rightarrow K^* \mu\mu$  decays  
 → host of theoretically well calculable observables
- Angular analysis of  $B^+ \rightarrow K^+ \mu\mu$  decays also in progress

CP-averaged angular coeff.



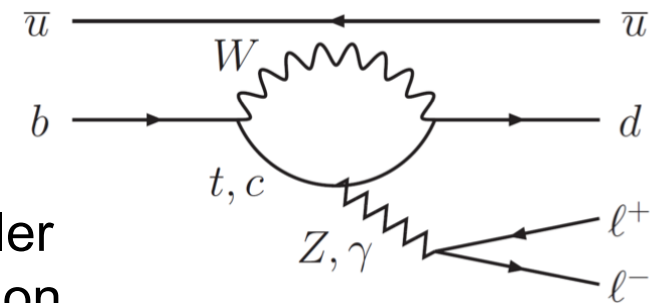
W.Altmannshofer et. al. [arXiv:0801.1214]

# The search for $B^+ \rightarrow \pi^+ \mu^+ \mu^-$



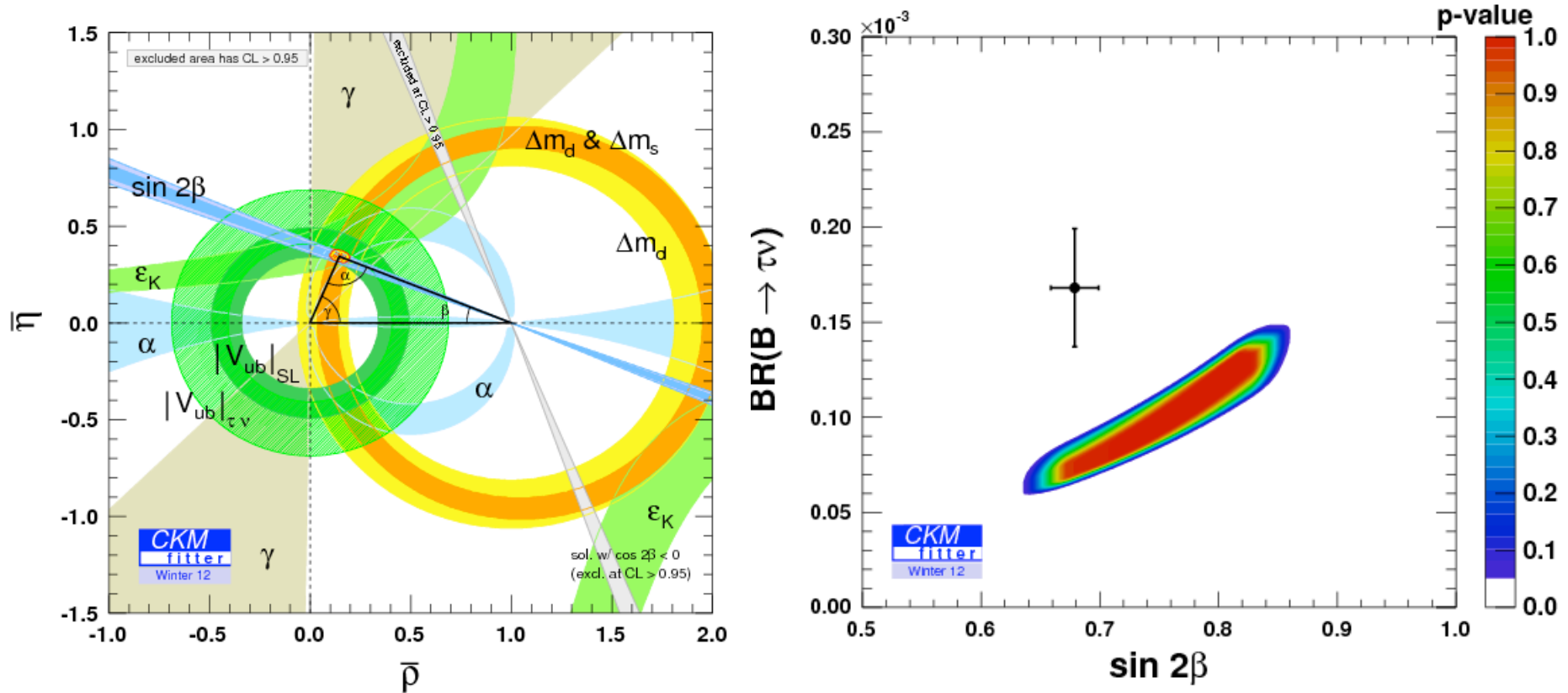
# The search for $B^+ \rightarrow \pi^+ \mu^+ \mu^-$

- The  $B^+ \rightarrow \pi^+ \mu^+ \mu^-$  decay is a  $b \rightarrow d$  transition
- In the SM the branching fraction is  $\sim 25x$  smaller than the well known  $B^+ \rightarrow K^+ \mu^+ \mu^-$  ( $b \rightarrow s$ ) transition and can be enhanced in new physics models
- SM prediction:  $B(B^+ \rightarrow \pi^+ \mu^+ \mu^-) = (1.96 \pm 0.21) \times 10^{-8}$  (\*)
- Previous best limit from Belle:  $B(B^+ \rightarrow \pi^+ \mu^+ \mu^-) < 6.9 \times 10^{-8}$  (90% CL) (\*\*)
- While ratio CKM elements  $V_{ts}/V_{td}$  known from oscillation measurements, this decay probes  $V_{ts}/V_{td}$  in above penguin decays
- Measure branching fraction to determine coupling



(\*) Hai-Zhen et al., Comm in Theo Ph 50 (2008) 696  
(\*\*) J.T. Wei et al., Phys. Rev. D78 (2008) 011101

# Motivation – tension in the CKM picture



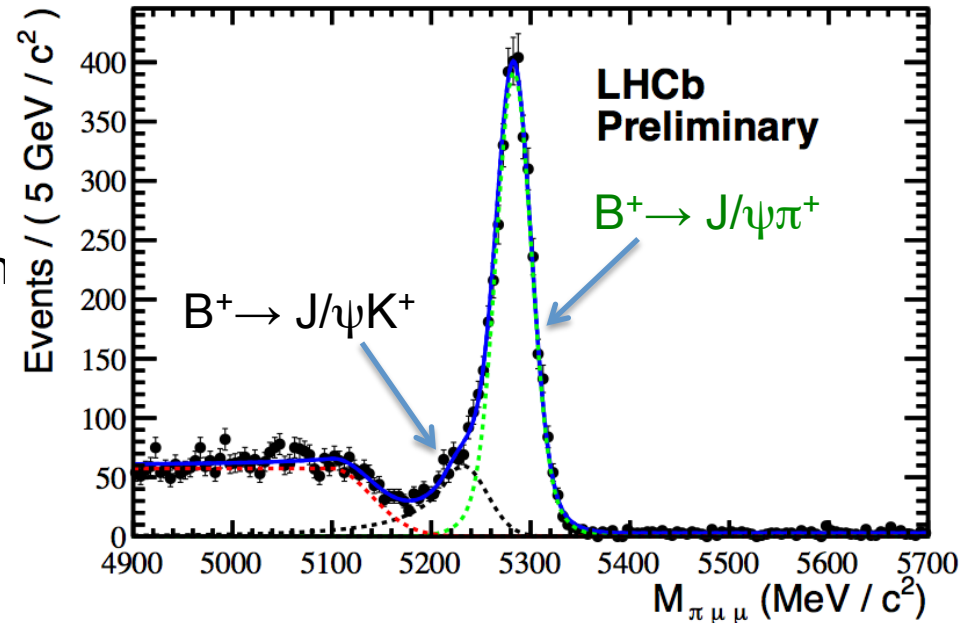
- Tension between  $\sin 2\beta$  and  $V_{ub}|_{B \rightarrow \tau\nu}$  measurements and global fit
- Information from comparing angle to opposite side
- LHCb will improve measurement angle  $\gamma \rightarrow$  alternative measurements of  $V_{ts}/V_{td}$  also of interest

# $B^+ \rightarrow \pi^+ \mu^+ \mu^-$ Analysis

- Main issue: separating  $B^+ \rightarrow \pi^+ \mu^+ \mu^-$  from misidentified  $B^+ \rightarrow K^+ \mu^+ \mu^-$

- Use BDT to make selection:

- kinematic properties of the B candidate and daughters
- particle identification information handled separately
- $B^+ \rightarrow (J/\psi, \Psi(2S))K^+$  vetoes
- peaking backgrounds negligible

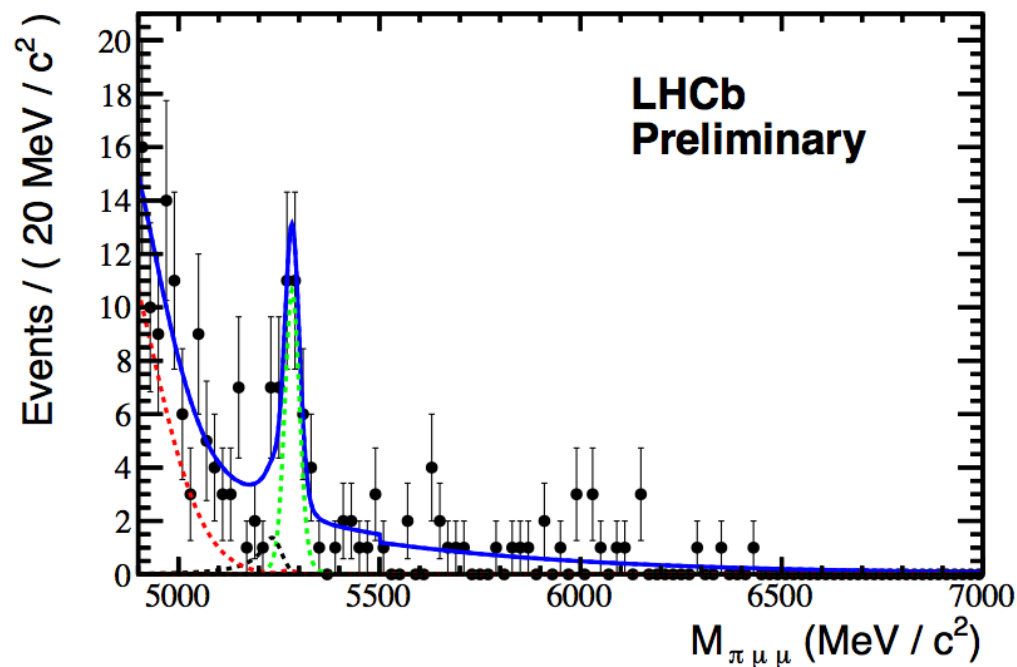


- Fitting

- Use  $B^+ \rightarrow J/\psi K^+$  events to define signal shape and, under  $\pi^+ \mu^+ \mu^-$  hypothesis, shape of mis-identified events
- Components for partial reconstructed B decays and combinatorial bkgnd
- Validate by separating  $B^+ \rightarrow J/\psi K^+$  and  $B^+ \rightarrow J/\psi \pi^+$  decays
- Normalise branching fraction using  $B^+ \rightarrow J/\psi K^+$

# Result

- With  $1.0 \text{ fb}^{-1}$  LHCb finds  $25.3^{+6.7}_{-6.4} B^+ \rightarrow \pi^+ \mu^+ \mu^-$  signal events
  - $5.2\sigma$  excess above background



- $B(B^+ \rightarrow \pi^+ \mu^+ \mu^-) = (2.4 \pm 0.6(\text{stat}) \pm 0.2(\text{syst})) \times 10^{-8}$ , within  $1\sigma$  of SM pred.
- The rarest B decay ever observed

# Isospin Asymmetry in $B \rightarrow K^{(*)} \mu^+ \mu^-$

- Results shown in public for first time
- Will shortly be available in LHCb paper : [LHCb-PAPER-2012-011](#)

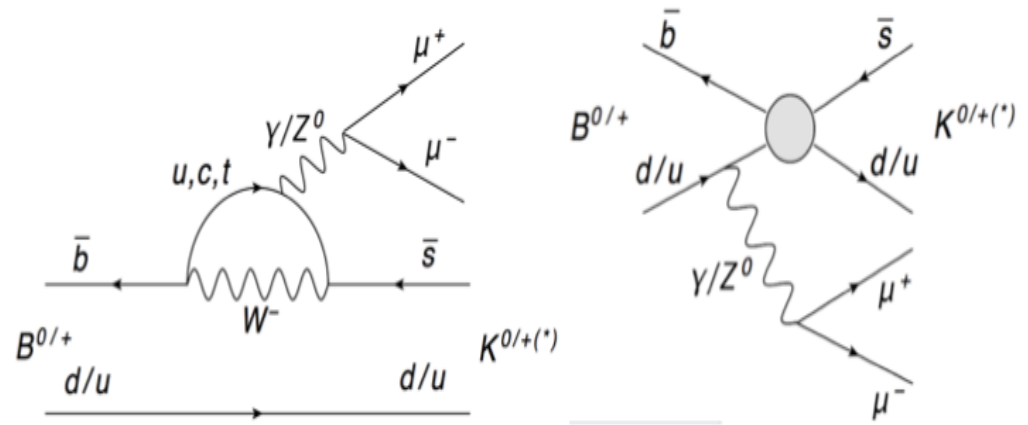
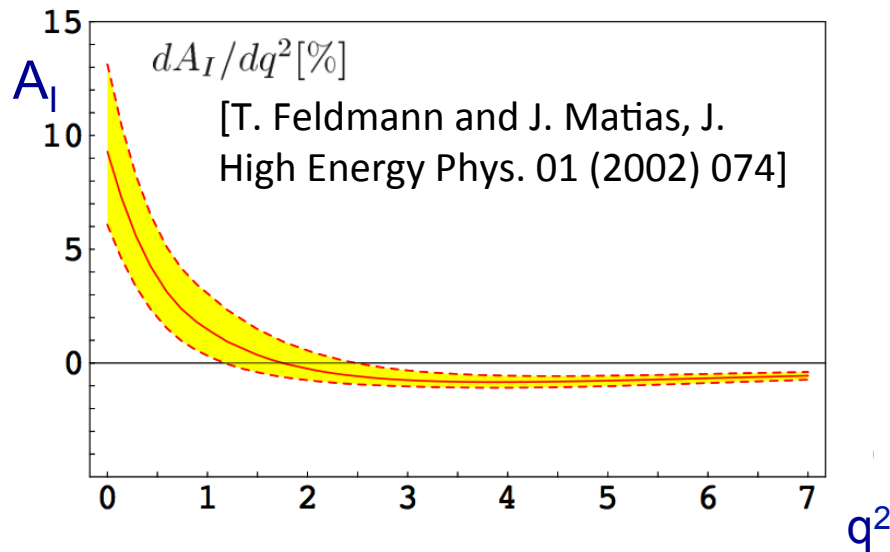
# Isospin Asymmetry

- The isospin asymmetry of  $B \rightarrow K^{(*)} \mu^+ \mu^-$ ,  $A_I$  is defined as:

$$A_I = \frac{\mathcal{B}(B^0 \rightarrow K^{(*)0} \mu^+ \mu^-) - \frac{\tau_0}{\tau_+} \mathcal{B}(B^\pm \rightarrow K^{(*)\pm} \mu^+ \mu^-)}{\mathcal{B}(B^0 \rightarrow K^{(*)0} \mu^+ \mu^-) + \frac{\tau_0}{\tau_+} \mathcal{B}(B^\pm \rightarrow K^{(*)\pm} \mu^+ \mu^-)}$$

can be more precisely predicted than the branching fractions

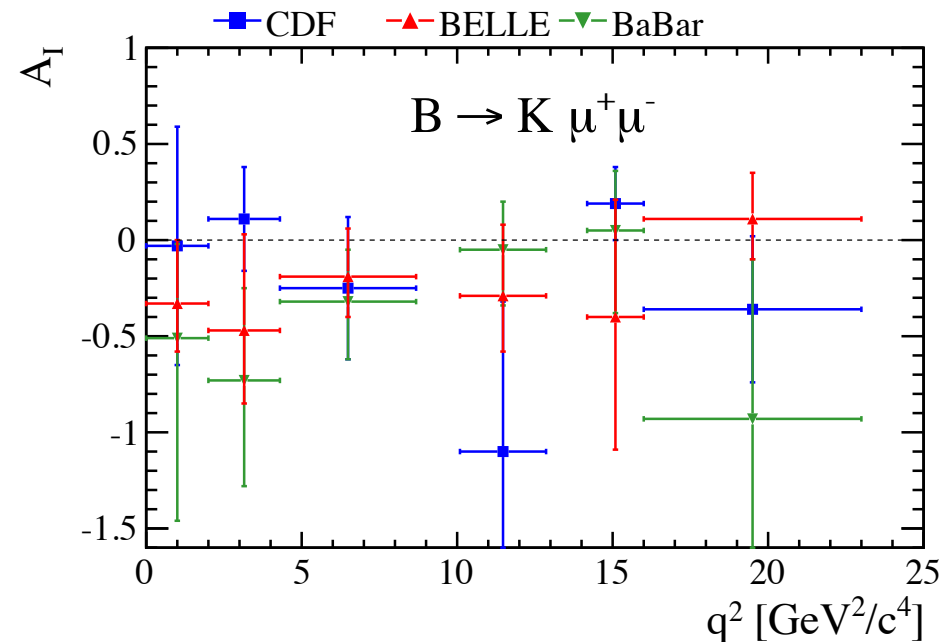
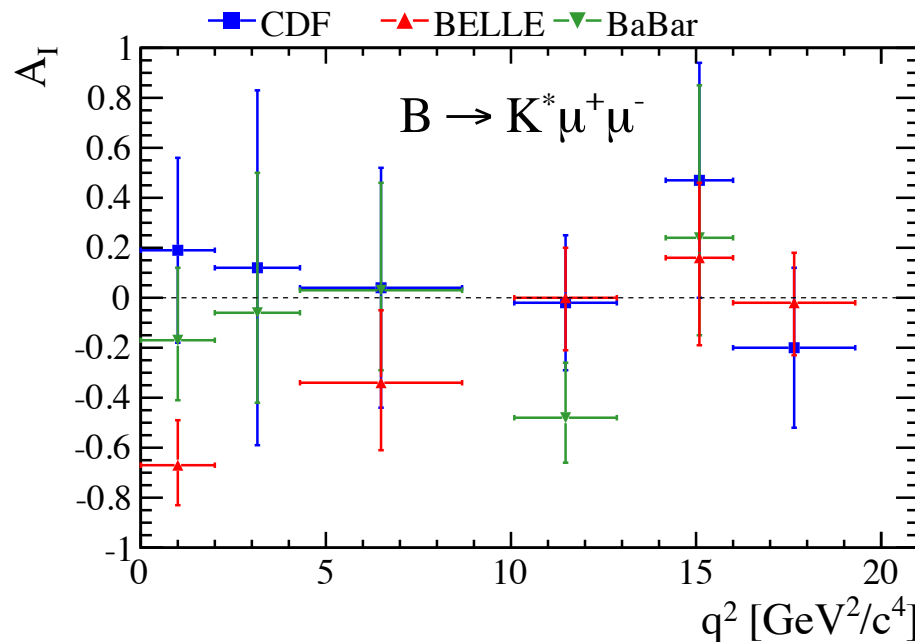
- $A_I$  is expected to be very close to zero in the SM e.g. for  $B \rightarrow K^* \mu^+ \mu^-$ :



- Asymmetry has been measured in  $K^* \gamma$  decay modes, agrees with SM

# Experimental Status

- CDF, Belle and Babar have all measured  $A_1$  :



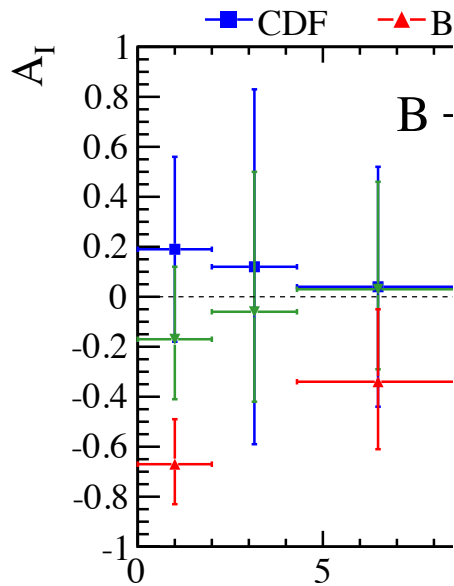
- For  $B \rightarrow K^* \mu^+ \mu^-$  results are consistent with the SM
- There is still some tension for  $B \rightarrow K \mu^+ \mu^-$
- Deficit in  $K_S \mu \mu$  events  $\rightarrow$  large negative  $A_1$  (with large uncertainty)

[B. Aubert et al., submitted to Phys. Rev. D, arXiv:1204.3933]  
 [J.-T. Wei et al. Phys. Rev. Lett. 103 (2009) 171801, arXiv:0804.4770]  
 [CDF, Phys.Rev.Lett. 107 (2011) 201802, arXiv:1204.3933]

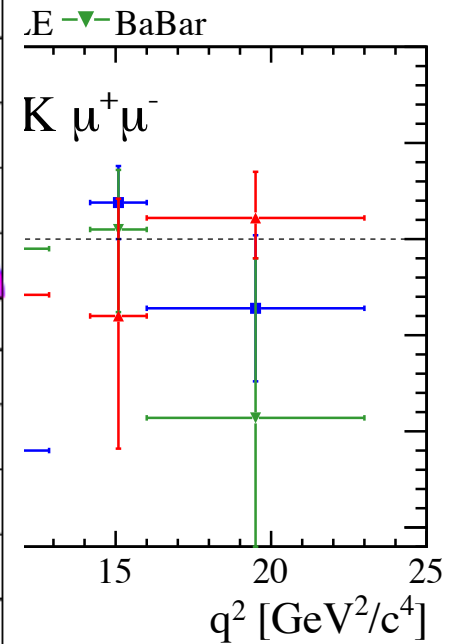
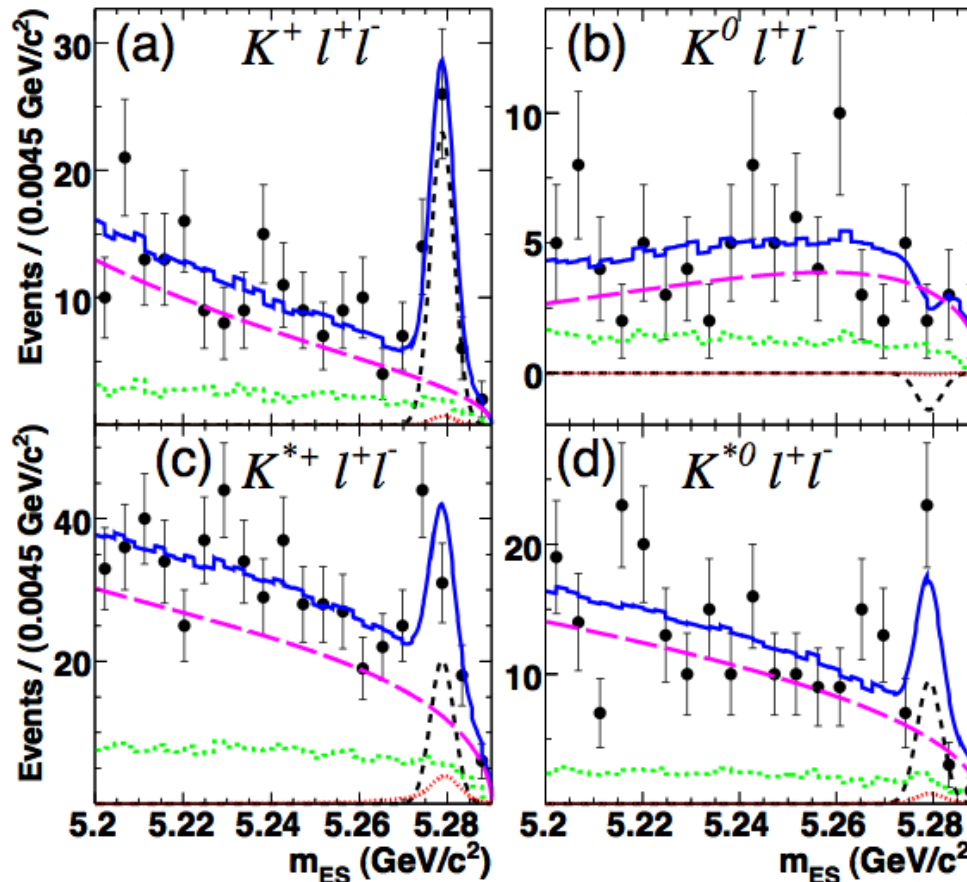
# Experimental Status

Babar, Phys. Rev. Lett. 102 (2008) 091803, arXiv:0807.4119

- CDF, Belle



- For  $B \rightarrow K^* \mu$
- There is sti
- Deficit in  $K_S \mu \mu$  events  $\rightarrow$  large negative  $A_1$  (with large uncertainty)



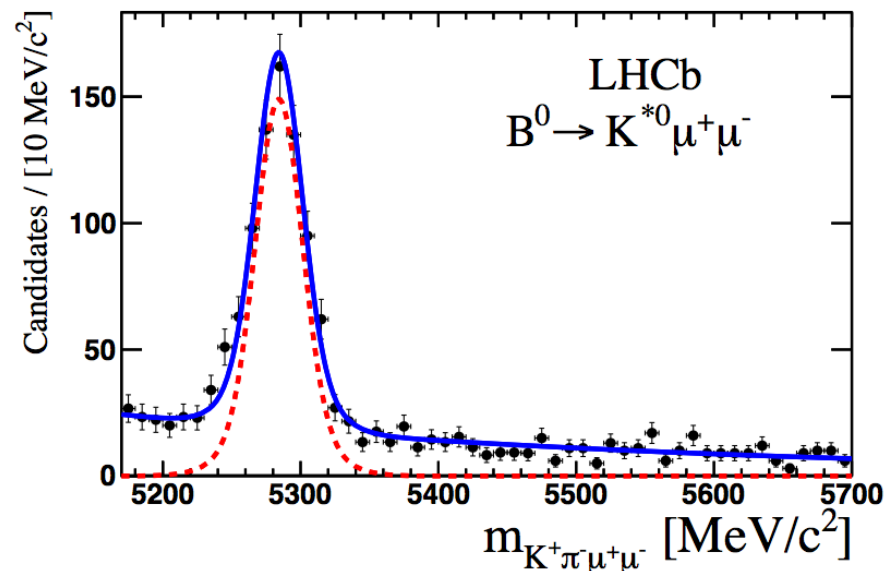
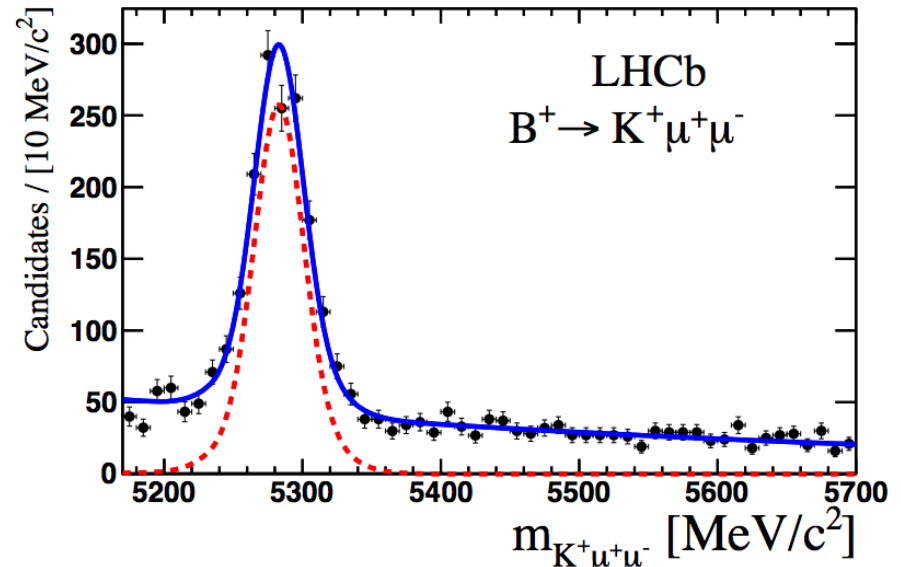
ubert et al., submitted to Phys. D, arXiv:1204.3933 ]  
 . Wei et al. Phys. Rev. Lett. 103  
 9) 171801, arXiv:0804.4770]  
 [CDF, Phys.Rev.Lett. 107 (2011)  
 201802, arXiv:1204.3933]



# LHCb Analysis

Preliminary

- Measure differential branching fraction of four decay modes:
  - $B^+ \rightarrow (K^{*+} \rightarrow K_S^0 \pi^+) \mu^+ \mu^-$
  - $B^0 \rightarrow (K^0 \rightarrow K_S^0) \mu^+ \mu^-$
  - $B^0 \rightarrow K^{*0} \mu^+ \mu^-$
  - $B^+ \rightarrow K^+ \mu^+ \mu^-$
- $K_S^0$  are reconstructed through the  $K_S^0 \rightarrow \pi^+ \pi^-$  decay mode
- The  $K^{*+}$  and  $K_S^0$  channels have a lower reconstruction efficiency and a lower visible branching fraction
- The  $K^{*0}$  and  $K^+$  channels much more copious



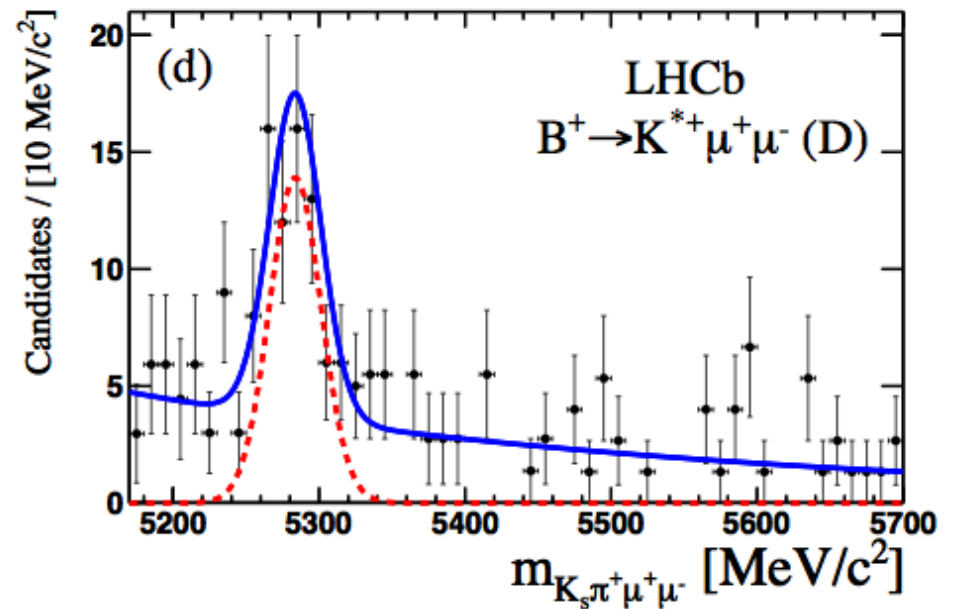
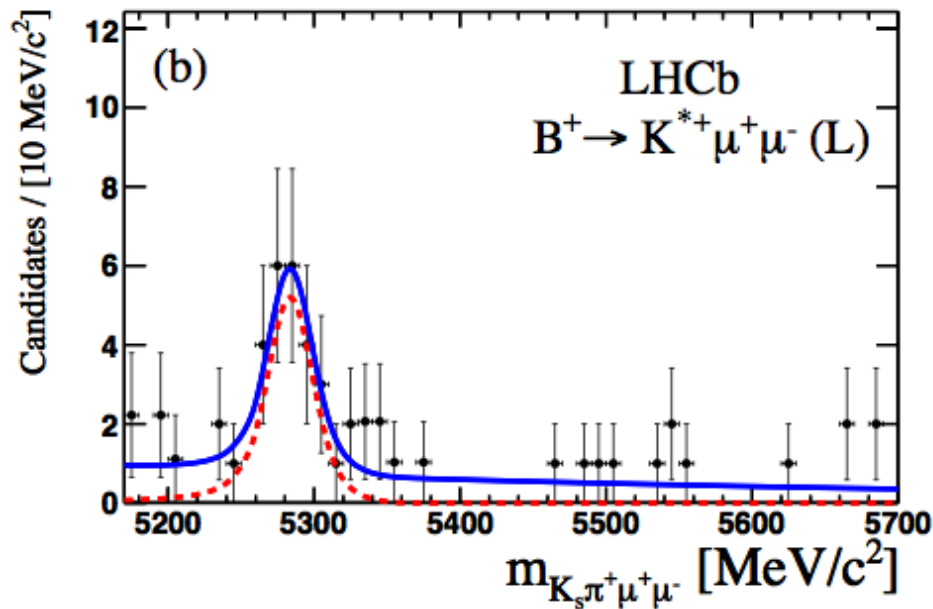
# LHCb Analysis

- The channels involving a  $K_S^0$  are split into two categories based on how the  $K_S^0$  is reconstructed – “long” (L) and “downstream” (D)
  - L-events have less background – use cut-based selection
  - D-events – use BDT selection
  - Insofar as possible, use similar selections for  $K^+$  channels
- Correction for detector and selection effects again made with simulation (verified to reproduce the data)
- $B \rightarrow K^{(*)}(J/\psi \rightarrow \mu^+ \mu^-)$  decays are used to normalise branching fraction for each decay to cancel systematic uncertainties
- Determine  $A_l$  by combining the likelihoods of the relevant decay modes

# $B(B^+ \rightarrow K^{*+} \mu^+ \mu^-)$

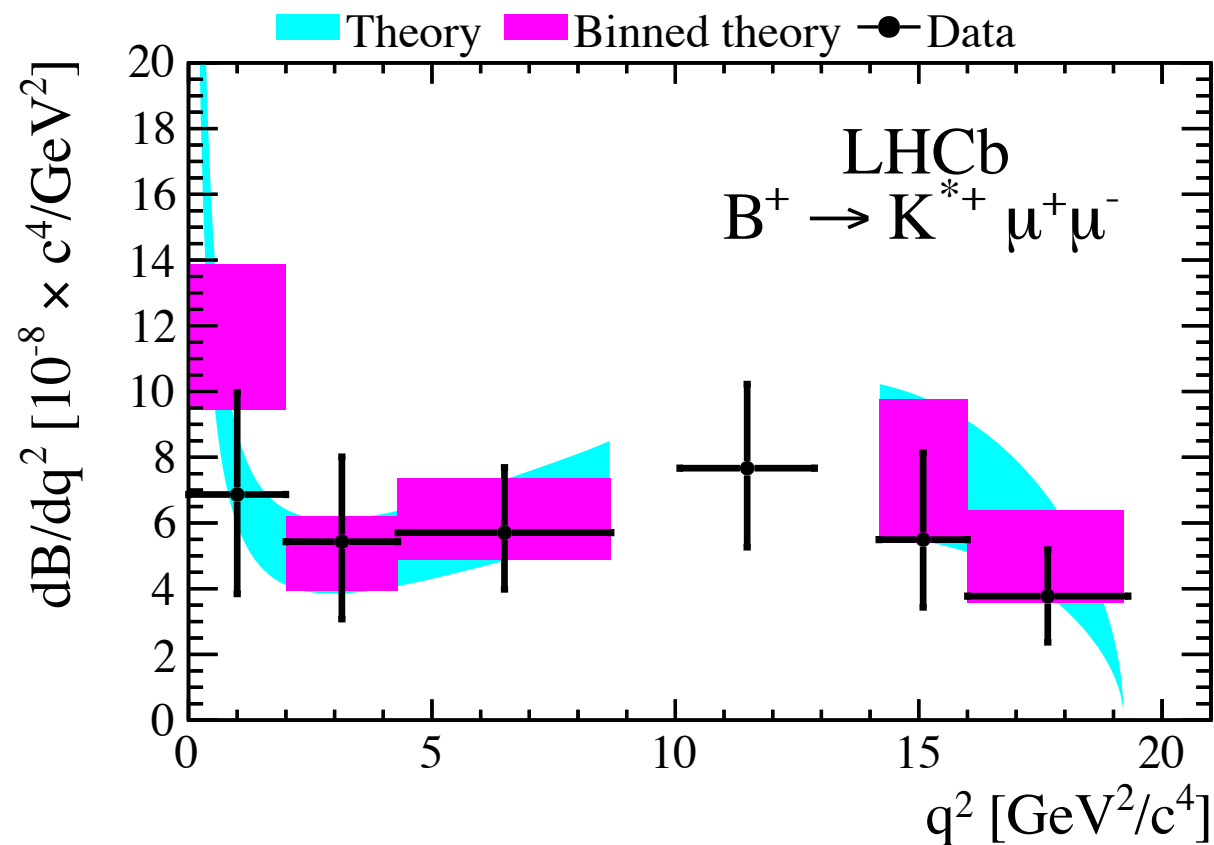
- LHCb measurement:  $B(B^+ \rightarrow K^{*+} \mu^+ \mu^-) = (1.16 \pm 0.19) \times 10^{-6}$
- Cf. PDG  $B(B^+ \rightarrow K^{*+} \mu^+ \mu^-) = (1.16 \pm 0.30) \times 10^{-6}$

Preliminary



$$dBF/dq^2(B^+ \rightarrow K^{*+}\mu^+\mu^-)$$

- Measurements are consistent with the SM :

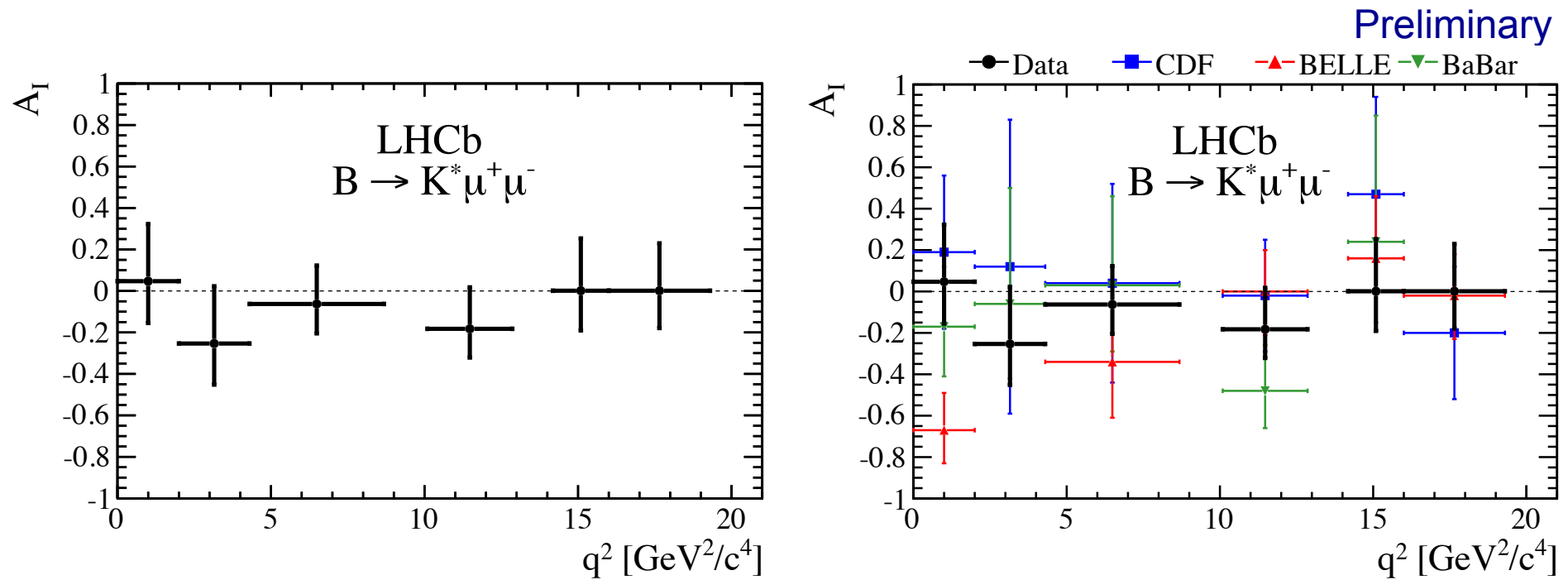


Preliminary

Theory prediction from [C. Bobeth, G. Hiller, and D. van Dyk, JHEP (2011) 067, arXiv:1105.0376]

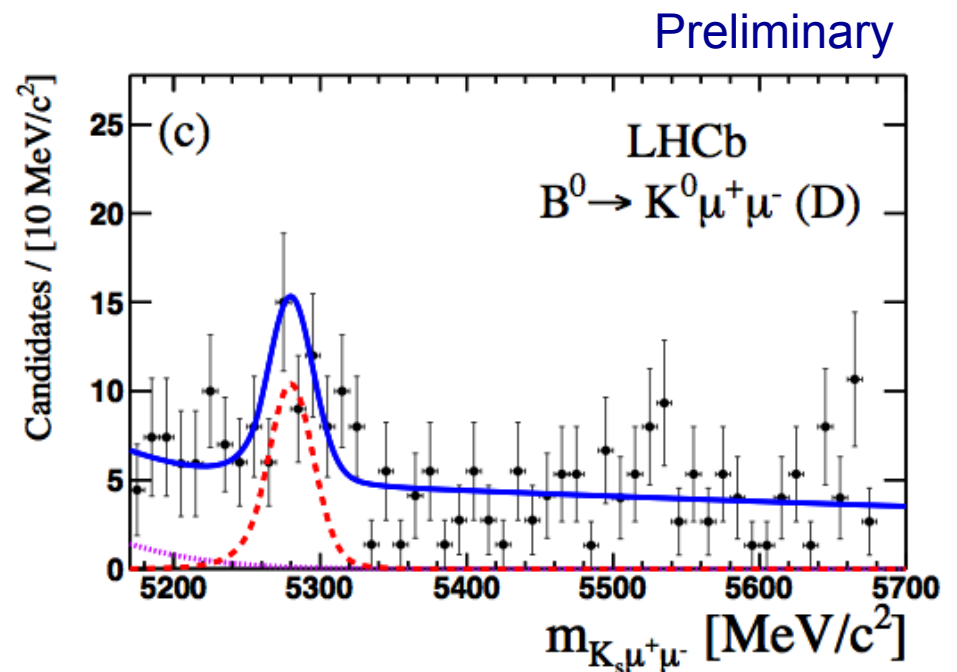
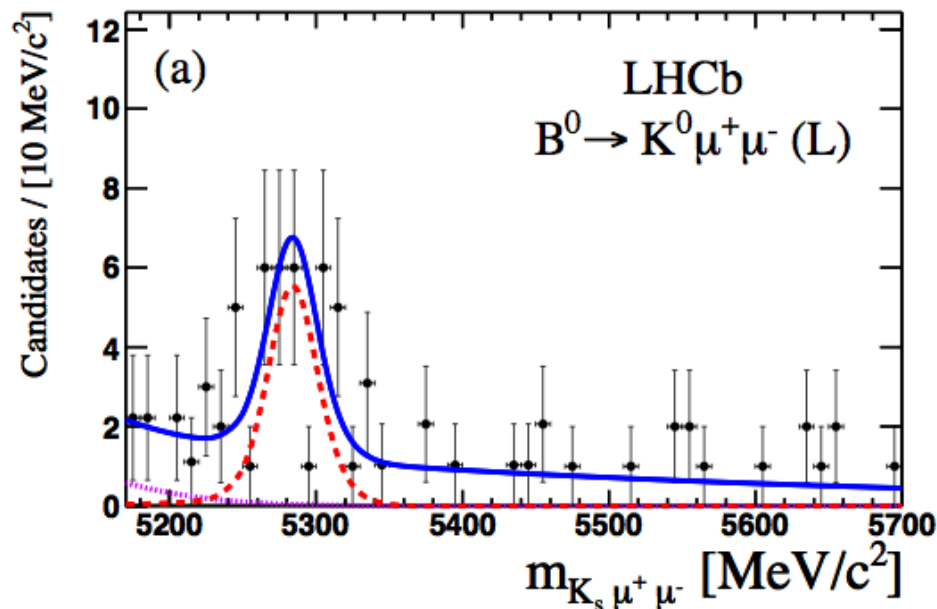
# $A_1$ for $B \rightarrow K^* \mu^+ \mu^-$

- $A_1$  for  $B \rightarrow K^* \mu^+ \mu^-$  is consistent with zero, as predicted by the SM
- LHCb results in agreement with previous measurements



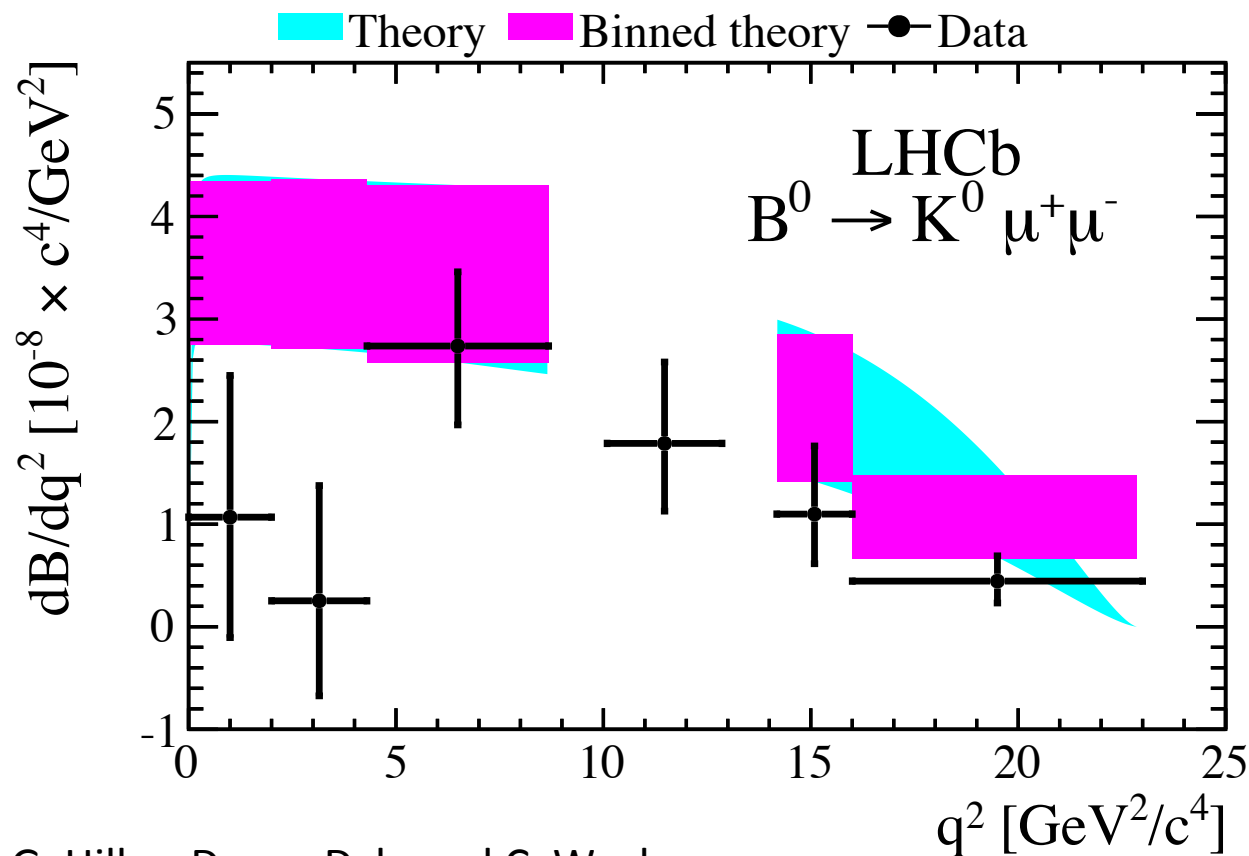
# $B(B^0 \rightarrow K^0 \mu^+ \mu^-)$

- Assuming a factor two for  $K^0 \rightarrow K_S^0$  and accounting for  $K_S^0 \rightarrow \pi^+ \pi^-$  branching fraction :
- LHCb measurement:  $B(B^0 \rightarrow K^0 \mu^+ \mu^-) = (3.1^{+0.7}_{-0.6}) \times 10^{-7}$
- cf PDG  $B(B^0 \rightarrow K^0 \mu^+ \mu^-) = (4.5 \pm 1.1) \times 10^{-7}$   
 $B(B^0 \rightarrow K^0 | \mu^+ \mu^-) = (3.1^{+0.8}_{-0.7}) \times 10^{-7}$
- $5.7\sigma$  excess above background



# $dBF/q^2(B^0 \rightarrow K^0 \mu^+ \mu^-)$

- There is a deficit of  $B^0 \rightarrow K^0 \mu^+ \mu^-$  signal in the  $q^2$  regions which are not adjacent to the charmonium resonances



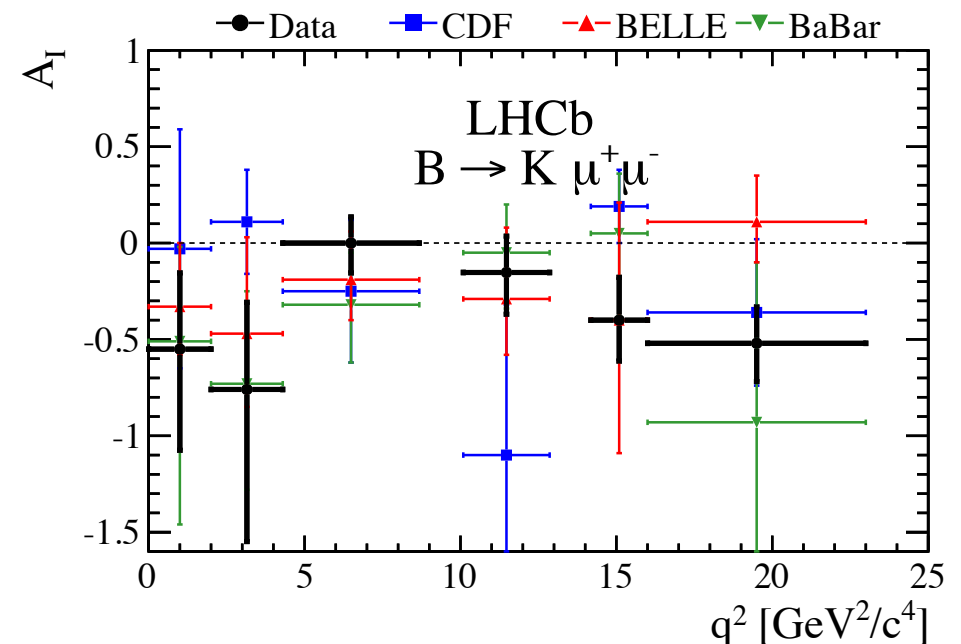
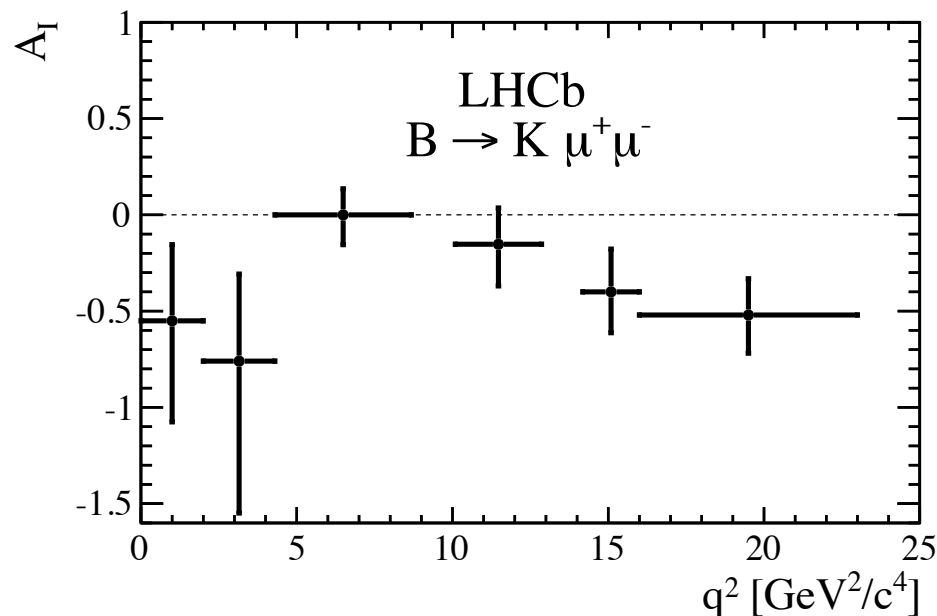
Preliminary

C. Bobeth, G. Hiller, D. van Dyk, and C. Wacker,  
JHEP 1201 (2012) 107, arXiv:1111.2558.

# $A_I$ for $B \rightarrow K \mu^+ \mu^-$

- As a result,  $A_I$  for  $B \rightarrow K \mu^+ \mu^-$  tends to sit below the SM prediction
- Results agree with previous measurements but nearly all measurements of  $A_I$  are negative
- Ignoring the small correlation of (syst) errors between each  $q^2$  bin, the significance of the deviation from zero integrated across  $q^2$  is  $4.4\sigma$  (from LHCb alone)

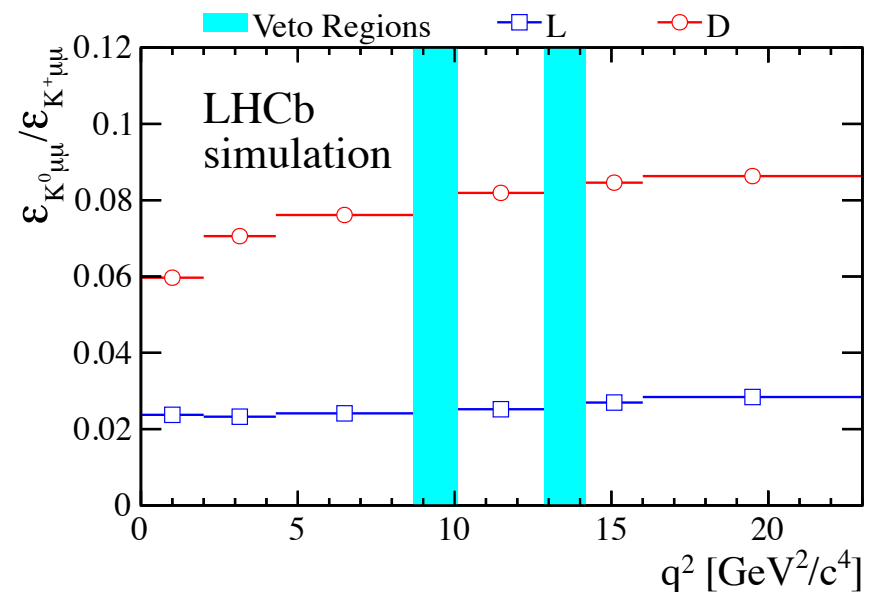
Preliminary





# Cross checks

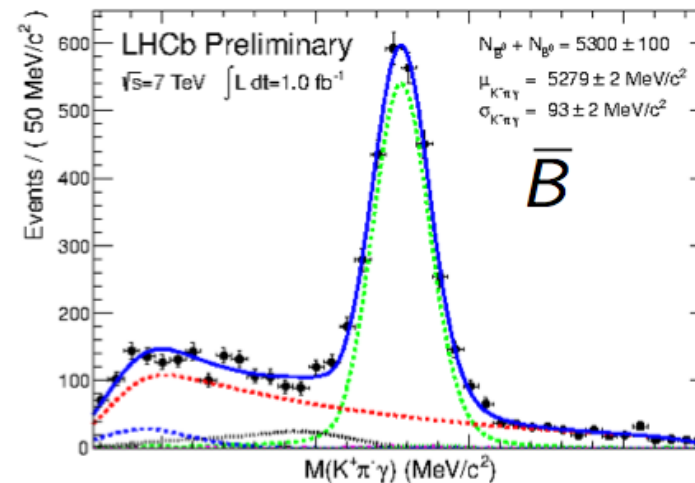
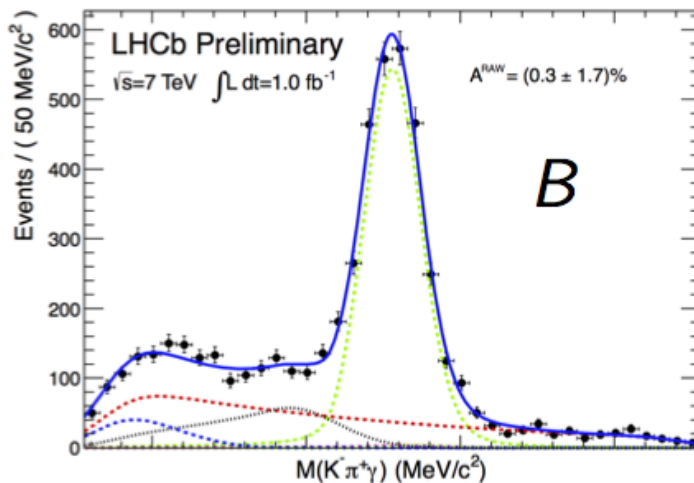
- Hard to imagine some expt'al issue that effects the  $K^0$  decays but not the  $K^{*+}(\rightarrow K^0\pi^+)$
- Normalise BF to  $J/\psi K^+$  and  $J/\psi K^0$ 
  - is only the shape of the relative efficiency that the measurement is sensitive to
    - Most significant effect seen in  $A_1$  is at high  $q^2$  – where efficiency is very close to that in  $J/\psi$  regions
    - At low  $q^2$ , harder  $K_S^0$ , longer flight distance, decay beyond tracking stations and are not reconstructed – essentially geometry



$$A_{CP}(B^0 \rightarrow K^* \gamma)$$

# $A_{CP}(B^0 \rightarrow K^* \gamma)$

- CLEO's 10 events in 1993  $\rightarrow$  LHCb's 5300 in 2011
  - Can expect another two orders of magnitude increase in the next decade with LHCb upgrade
- Probe CP violation in  $b \rightarrow s \gamma$  via the exclusive mode  $B^0 \rightarrow K^* \gamma$ 
  - SM prediction:  $A_{CP} = -0.006 \pm 0.004$   
(Previous best measurement:  $A_{CP} = -0.016 \pm 0.022 \pm 0.007$  [BaBar] )
- Fit for raw asymmetry
  - Subtract  $B^0$  production asymmetry,  $K\pi$  detection asymmetry
- $A_{CP}(B^0 \rightarrow K^* \gamma) = -0.008 \pm 0.017$  (stat)  $\pm 0.009$  (syst)



# Conclusions

- World's most precise measurements of angular observables and differential branching fraction in  $B^0 \rightarrow K^* \mu^+ \mu^-$  decays
  - Scale of any NP contributions  $O(10\text{TeV})$  or NP has CKM like flavour suppression
- First observation of  $B^+ \rightarrow \pi^+ \mu \mu$ , consistent with SM expectation
- Isospin asymmetry  $A_I$  [LHCb-PAPER-2012-011 to be submitted to JHEP]
  - $B \rightarrow K^* \mu^+ \mu^-$ ,  $A_I$  results consistent with zero, as expected in SM
  - $B \rightarrow K \mu^+ \mu^-$ ,  $A_I$  results sit below the SM expectation in the  $q^2$  region below  $4.3 \text{ GeV}^2/c^4$  and above  $16 \text{ GeV}^2/c^4$
- $A_{CP}$  in  $B^0 \rightarrow K^* \gamma$  in good agreement with SM
- LHCb will improve these measurements and has many more measurements in prospect with the 2012 data

# Backup

$q^2$ (GeV <sup>2</sup> /c <sup>4</sup> ) range	Signal Yield	Background Yield
$4m_\mu^2 < q^2 < 2.00$	$162.4 \pm 14.2$	$27.7 \pm 3.8$
$2.00 < q^2 < 4.30$	$71.4 \pm 10.7$	$37.1 \pm 4.1$
$4.30 < q^2 < 8.68$	$270.5 \pm 18.8$	$58.8 \pm 5.5$
$10.09 < q^2 < 12.90$	$167.0 \pm 14.9$	$41.7 \pm 4.5$
$14.18 < q^2 < 16.00$	$113.0 \pm 11.7$	$17.1 \pm 3.0$
$16.00 < q^2 < 19.00$	$115.0 \pm 12.4$	$23.9 \pm 3.6$
$1.00 < q^2 < 6.00$	$195.2 \pm 16.9$	$75.8 \pm 6.0$
$4m_\mu^2 < q^2 < 19.00$	$900.0 \pm 34.4$	$206.2 \pm 10.3$

Table 1: The signal and background yields resulting from a fit to the  $K^+\pi^-\mu^+\mu^-$  invariant mass distributions of  $B^0 \rightarrow K^{*0}\mu^+\mu^-$  candidates in the six  $q^2$ -bins used in the analysis, the theoretically ‘favoured’  $1 < q^2 < 6$  GeV<sup>2</sup>/c<sup>4</sup> range and in the full  $q^2$ -range.

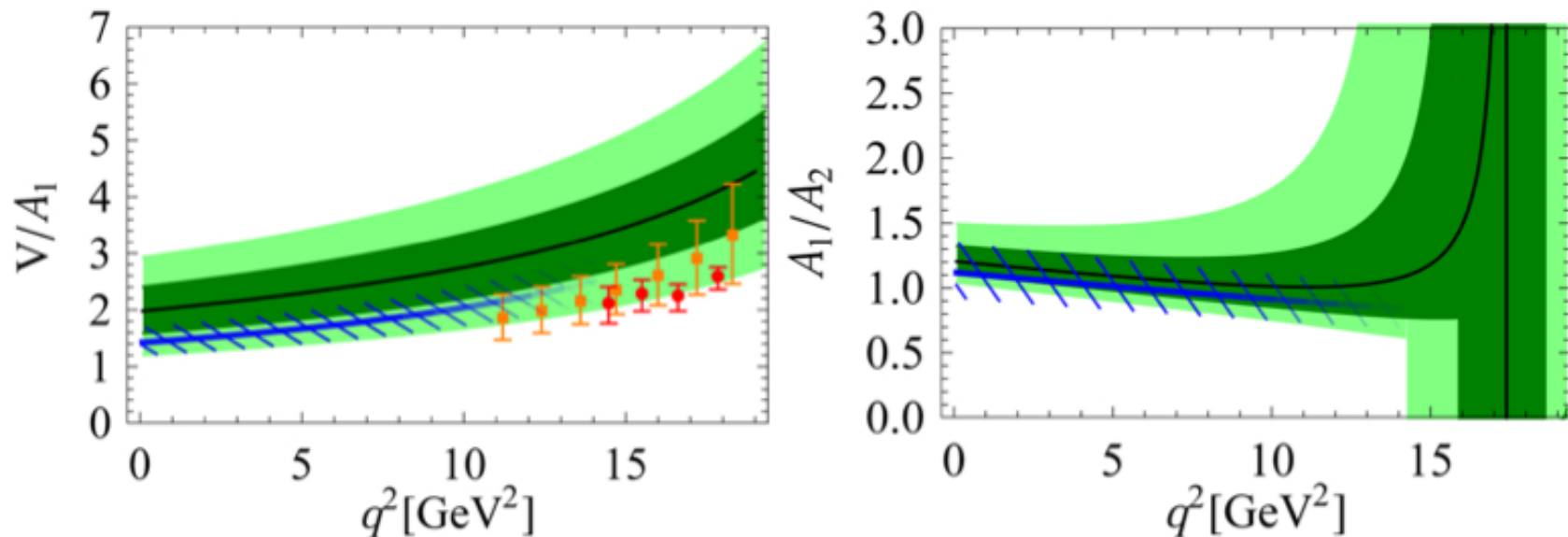
$q^2$ range (GeV <sup>2</sup> /c <sup>4</sup> )	$dBF/dq^2$ ( $\times 10^{-7}$ GeV <sup>-2</sup> c <sup>4</sup> )	$A_{\text{FB}}$	$F_{\text{L}}$	$A_{\text{Im}}$	$2S_3$
$0.05 < q^2 < 2.00$	$0.68 \pm 0.07 \pm 0.05$	$0.00^{+0.08+0.01}_{-0.07-0.01}$	$0.31^{+0.07+0.03}_{-0.06-0.03}$	$0.06^{+0.11+0.00}_{-0.10-0.03}$	$0.02^{+0.20+0.00}_{-0.21-0.03}$
$2.00 < q^2 < 4.30$	$0.30 \pm 0.05 \pm 0.02$	$-0.20^{+0.08+0.01}_{-0.07-0.03}$	$0.74^{+0.09+0.02}_{-0.08-0.04}$	$-0.02^{+0.10+0.05}_{-0.06-0.01}$	$-0.05^{+0.18+0.05}_{-0.12-0.01}$
$4.30 < q^2 < 8.68$	$0.54 \pm 0.05 \pm 0.05$	$0.16^{+0.05+0.01}_{-0.05-0.01}$	$0.57^{+0.05+0.04}_{-0.05-0.03}$	$0.02^{+0.07+0.01}_{-0.07-0.01}$	$0.18^{+0.13+0.01}_{-0.13-0.01}$
$10.09 < q^2 < 12.89$	$0.50 \pm 0.06 \pm 0.04$	$0.27^{+0.06+0.02}_{-0.06-0.01}$	$0.49^{+0.06+0.03}_{-0.07-0.03}$	$-0.01^{+0.11+0.02}_{-0.11-0.03}$	$-0.22^{+0.20+0.02}_{-0.17-0.03}$
$14.18 < q^2 < 16.00$	$0.59 \pm 0.07 \pm 0.04$	$0.49^{+0.04+0.02}_{-0.06-0.05}$	$0.35^{+0.07+0.07}_{-0.06-0.02}$	$-0.01^{+0.08+0.04}_{-0.07-0.02}$	$0.04^{+0.15+0.04}_{-0.19-0.02}$
$16.00 < q^2 < 19.00$	$0.44 \pm 0.05 \pm 0.03$	$0.30^{+0.07+0.04}_{-0.07-0.01}$	$0.37^{+0.06+0.03}_{-0.07-0.04}$	$0.06^{+0.09+0.03}_{-0.10-0.05}$	$-0.47^{+0.21+0.03}_{-0.10-0.05}$
$1.00 < q^2 < 6.00$	$0.42 \pm 0.04 \pm 0.04$	$-0.18^{+0.06+0.01}_{-0.06-0.02}$	$0.66^{+0.06+0.04}_{-0.06-0.03}$	$0.07^{+0.07+0.02}_{-0.07-0.01}$	$0.10^{+0.15+0.02}_{-0.16-0.01}$

Table 2: Central values for, and statistical and systematic uncertainties on, the differential branching fraction,  $A_{\text{FB}}$ ,  $F_{\text{L}}$ ,  $A_{\text{Im}}$  and  $S_3$  in bins of  $q^2$ . The first uncertainty is statistical and the second systematic.

Background	Background Level (%)	Signal Loss (%)
$B^0 \rightarrow K^{*0} \mu^+ \mu^-$ (with $K \leftrightarrow \pi$ )	$0.85 \pm 0.02$	0.11
$B^0 \rightarrow K^{*0} J/\psi$ (with $\pi \leftrightarrow \mu$ )	$0.27 \pm 0.08$	0.05
$B^0 \rightarrow K^{*0} J/\psi$ (with $K \leftrightarrow \mu$ )	$0.00 \pm 0.00$	0.03
$B_s^0 \rightarrow \phi \mu^+ \mu^-$	$1.23 \pm 0.50$	0.32
$B^+ \rightarrow K^+ \mu^+ \mu^-$	$0.14 \pm 0.03$	–
Total	$2.49 \pm 0.51$	0.52

# Theoretical control of form factors

- Recent paper uses experimental results to make a fit to the form factor ratios  $V/A_1$  and  $A_1/A_2$  - green bands show the 1 and  $2\sigma$  contours
- Blue band shows form factor ratio extracted from light cone sum rules
- Red and orange points show ratio extracted from lattice calculations

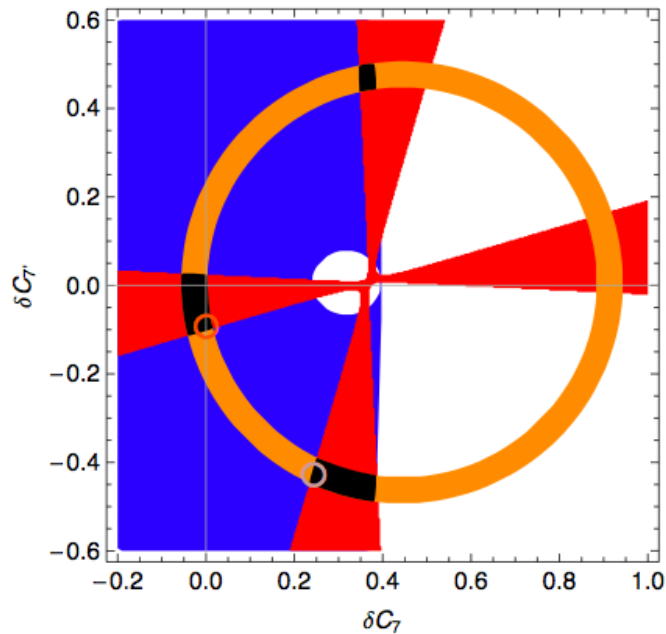




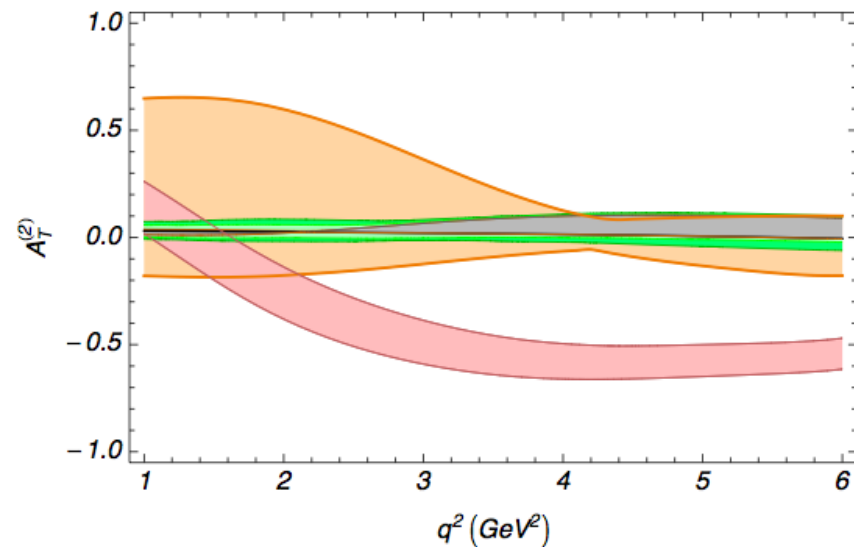
# The interest in $A_T^2$

- $C_7$  and  $C_7'$  are constrained by  $b \rightarrow s\gamma$  processes. Even in the SM-like allowed region can still have large sensitivity to  $C_7'$  through  $A_T^2$
- $S_3$  is related to  $A_T^2$  through  $S_3 = 1/2(1 - F_L)A_T^2$

[S. Descotes-Genon et. al., arXiv:1104.3342]

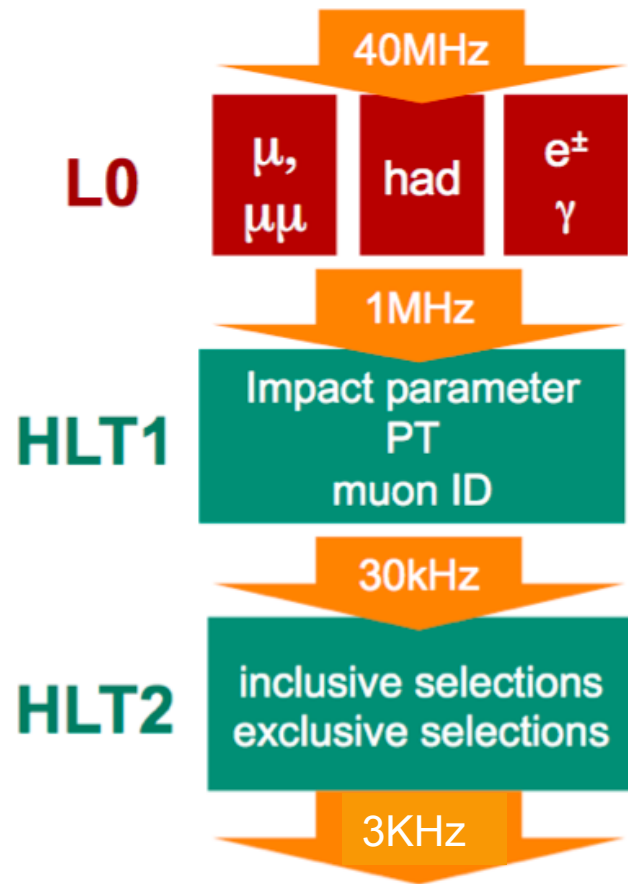


$A_I(K^{*0}\gamma)$ ,  $S_{K^{*0}\gamma}$ ,  $B(b \rightarrow s\gamma)$



Non-SM like region  
SM-like region

# Muon Triggers



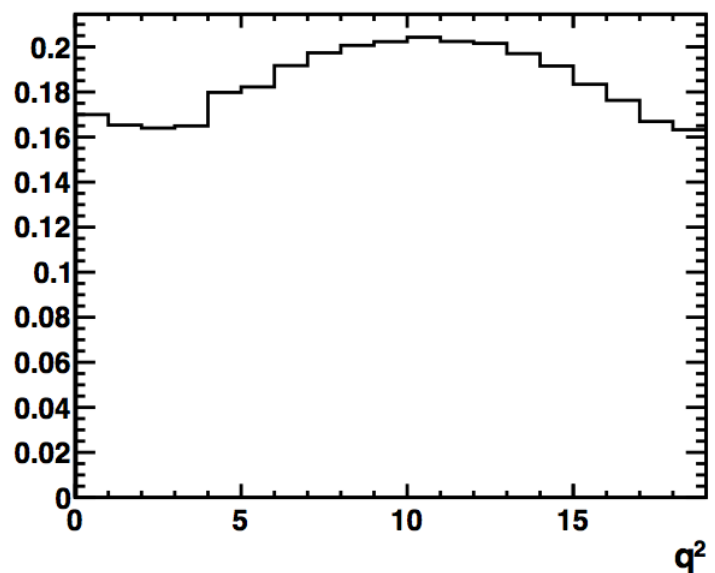
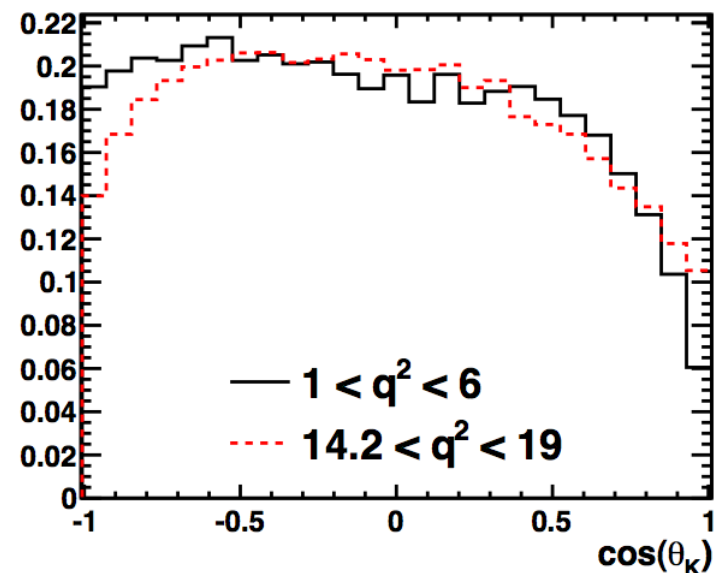
<b>L0 Hardware</b>	Single- $\mu$ : $p_T > 1.5 \text{ GeV}/c$ Di- $\mu$ : 2 clean muons $p_{T1} > 0.56 \text{ GeV}/c$ $p_{T2} > 0.48 \text{ GeV}/c$
<b>HLT1 Software</b>	Single- $\mu$ : $p_T > 0.8 \text{ GeV}/c$ IP > 0.11mm, IPS > 5 Single- $\mu$ : $p_T > 1.8 \text{ GeV}/c$ (no IP)
<b>HLT2 Software</b>	Dimuon: $M_{\mu\mu} > 4.7 \text{ GeV}/c^2$ Several MVA lines with $p_T$ and vertex displacement cuts

+ Global Event Cuts for events with high multiplicity

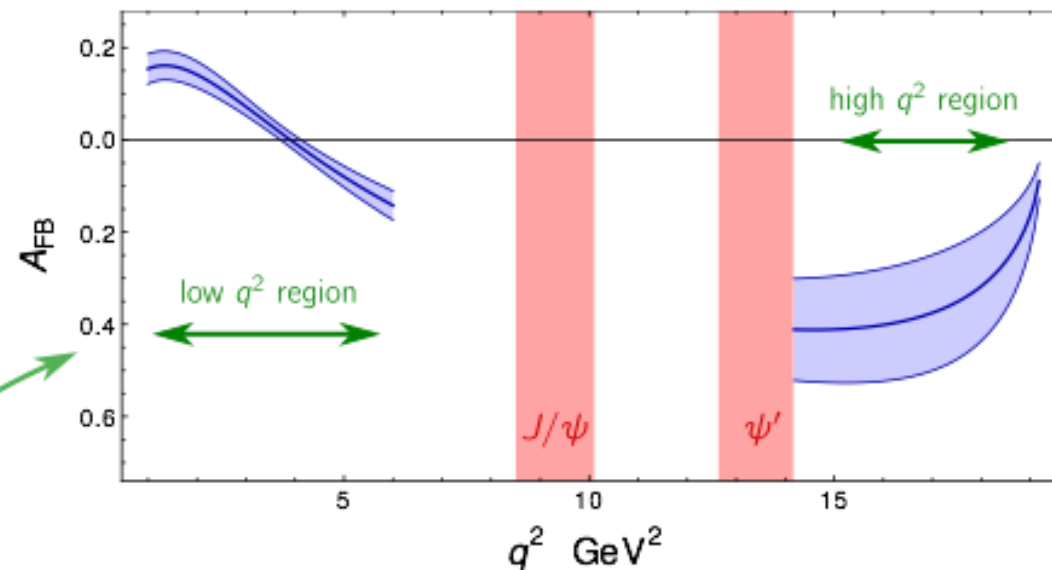
- ~1 kHz given to the muon lines
- $p_T$  cuts on muon lines kept very low  $\rightarrow$  trigger efficiency very high

# Acceptance Correction

- Correct angular and  $q^2$  distributions for the effect of the detector and selection
  - $\mu p > 3\text{GeV}/c \rightarrow$  effect on  $\theta_l$
  - IP forward-going hadrons  $\rightarrow$  effect on  $\theta_K$
- Use a binned acceptance correction derived from LHCb simulation
- Simulation quality verified with range of control channels ( $B^0 \rightarrow K^* J/\psi$ ,  $J/\psi \rightarrow \mu\mu$ ,  $D^{*+} \rightarrow D^0(K\pi)\pi$ )
  - Tracking efficiency
  - Hadron (mis-)identification probabilities
  - Muon (mis-)identification
  - Overall momentum and  $\eta$  distributions



# $B \rightarrow K^* \ell^+ \ell^-$ : low vs. high $q^2$



- QCDF: non-factorizable corrections to  $O(\alpha_s)$
- LCSR: form factors with correlated uncertainties to all orders in  $\Lambda/m_b$

[Beneke et al. (2001, 2004); Ball, Zwicky (2004); Altmannshofer et al. (2008); Khodjamirian et al. (2010)]

- OPE in powers of  $\Lambda_{\text{QCD}}/\sqrt{q^2}$
- Non-perturbative corrections beyond form factors negligible
- form factors poorly known

[Grinstein, Pirjol (2004); Bharucha et al. (2008); Bobeth et al. (2010); Beylich et al. (2011)]

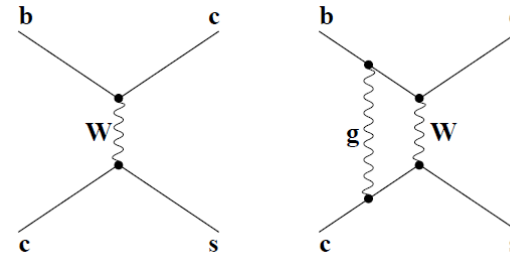
# Operators (1)

- Operators

- Current-current operators [ (V-A) ]

$$Q_1 = (\bar{b}_\alpha \gamma_\mu P_L q_\beta) (\bar{q}'_\beta \gamma^\mu P_L q''_\alpha),$$

$$Q_2 = (\bar{b} \gamma_\mu P_L q) (\bar{q}' \gamma^\mu P_L q'').$$



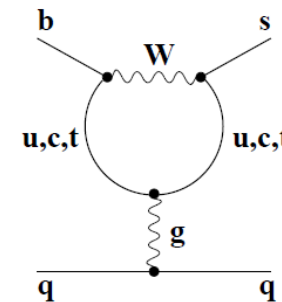
- Gluonic penguin operators [ (V-A) and (V+A) ]

$$Q_3 = (\bar{b} \gamma_\mu P_L q) \sum_{q'} (\bar{q}' \gamma^\mu P_L q'),$$

$$Q_4 = (\bar{b}_\alpha \gamma_\mu P_L q_\beta) \sum_{q'} (\bar{q}'_\beta \gamma^\mu P_L q'_\alpha),$$

$$Q_5 = (\bar{b} \gamma_\mu P_L q) \sum_{q'} (\bar{q}' \gamma^\mu P_R q'),$$

$$Q_6 = (\bar{b}_\alpha \gamma_\mu P_L q_\beta) \sum_{q'} (\bar{q}'_\beta \gamma^\mu P_R q'_\alpha);$$



# Operators (2)

- Operators

- Current-current operators [ (V-A) ]

$$Q_1 = (\bar{b}_\alpha \gamma_\mu P_L q_\beta) (\bar{q}'_\beta \gamma^\mu P_L q'_\alpha),$$

$$Q_2 = (\bar{b} \gamma_\mu P_L q) (\bar{q}' \gamma^\mu P_L q').$$

- Gluonic penguin operators [ (V-A) and (V+A) ]

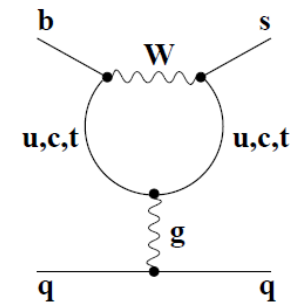
$$Q_3 = (\bar{b} \gamma_\mu P_L q) \sum_{q'} (\bar{q}' \gamma^\mu P_L q'),$$

$$Q_4 = (\bar{b}_\alpha \gamma_\mu P_L q_\beta) \sum_{q'} (\bar{q}'_\beta \gamma^\mu P_L q'_\alpha),$$

$$Q_5 = (\bar{b} \gamma_\mu P_L q) \sum_{q'} (\bar{q}' \gamma^\mu P_R q'),$$

$$Q_6 = (\bar{b}_\alpha \gamma_\mu P_L q_\beta) \sum_{q'} (\bar{q}'_\beta \gamma^\mu P_R q'_\alpha);$$

$$\left. \begin{aligned} Q_2(\bar{b} \rightarrow \bar{c} s \bar{s}) &= (\bar{b} \gamma_\mu P_L c) (c \gamma^\mu P_L \bar{s}), \\ Q_2(\bar{b} \rightarrow \bar{c} d \bar{d}) &= (\bar{b} \gamma_\mu P_L c) (c \gamma^\mu P_L \bar{d}), \\ Q_2(\bar{b} \rightarrow \bar{c} u \bar{s}) &= (\bar{b} \gamma_\mu P_L c) (u \gamma^\mu P_L \bar{s}), \\ Q_2(\bar{b} \rightarrow \bar{c} u \bar{d}) &= (\bar{b} \gamma_\mu P_L c) (u \gamma^\mu P_L \bar{d}), \\ Q_2(\bar{b} \rightarrow \bar{u} c \bar{s}) &= (\bar{b} \gamma_\mu P_L u) (c \gamma^\mu P_L \bar{s}), \\ Q_2(\bar{b} \rightarrow \bar{u} c \bar{d}) &= (\bar{b} \gamma_\mu P_L u) (c \gamma^\mu P_L \bar{d}), \\ Q_2(\bar{b} \rightarrow \bar{u} u \bar{s}) &= (\bar{b} \gamma_\mu P_L u) (u \gamma^\mu P_L \bar{s}), \\ Q_2(\bar{b} \rightarrow \bar{u} u \bar{d}) &= (\bar{b} \gamma_\mu P_L u) (u \gamma^\mu P_L \bar{d}). \end{aligned} \right\}$$



# Operators (3)

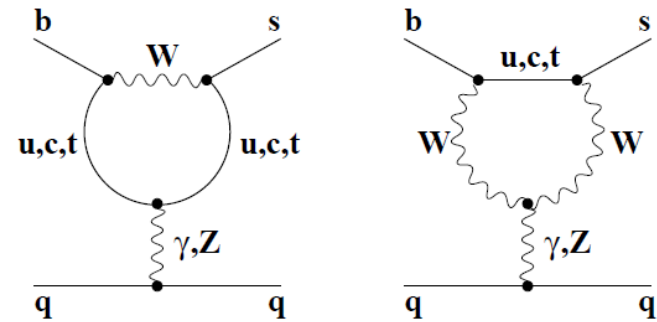
## – Electroweak penguin operators

$$Q_7 = \frac{3}{2} (\bar{b} \gamma_\mu P_L q) \sum_{q'} e_{q'} (\bar{q}' \gamma^\mu P_R q'),$$

$$Q_8 = \frac{3}{2} (\bar{b}_\alpha \gamma_\mu P_L q_\beta) \sum_{q'} e_{q'} (\bar{q}'_\beta \gamma^\mu P_R q'_\alpha),$$

$$Q_9 = \frac{3}{2} (\bar{b} \gamma_\mu P_L q) \sum_{q'} e_{q'} (\bar{q}' \gamma^\mu P_L q'),$$

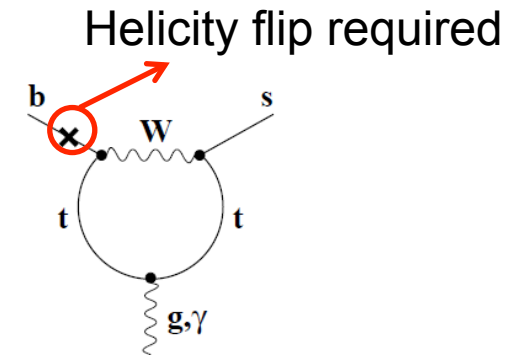
$$Q_{10} = \frac{3}{2} (\bar{b}_\alpha \gamma_\mu P_L q_\beta) \sum_{q'} e_{q'} (\bar{q}'_\beta \gamma^\mu P_L q'_\alpha);$$



## – Magnetic penguin operators

$$Q_{7\gamma} = \frac{e}{8\pi^2} m_b [\bar{b} \sigma^{\mu\nu} (1 + \gamma_5) q] F_{\mu\nu},$$

$$Q_{8g} = \frac{g_s}{16\pi^2} m_b [\bar{b}_\alpha \sigma^{\mu\nu} (1 + \gamma_5) T_a^{\alpha\beta} q_\beta] G_{\mu\nu}^a;$$



# Operators (4)

– Semi-leptonic penguin operators

$$Q_{9V} = (\bar{b}\gamma_\mu P_L q)(\bar{\ell}\gamma^\mu \ell),$$

$$Q_{10A} = (\bar{b}\gamma_\mu P_L q)(\bar{\ell}\gamma^\mu \gamma_5 \ell),$$

$$Q_S = (\bar{b}\gamma_\mu P_R q)(\bar{\ell}\ell),$$

$$Q_P = (\bar{b}\gamma_\mu P_R q)(\bar{\ell}\gamma_5 \ell),$$

– Here,

- $Q_{9V}$  represents cases with leptons in a vector final state
- $Q_{10A}$  represents cases with leptons in an axial final state

–  $Q_{S,P}$  only relevant for  $B \rightarrow \ell\ell$  decays

– Note haven't drawn out the box diagram

– Throughout, (with NP) operators could be replaced with a right-handed version  $Q'$  where instead of  $P_L$ , have  $P_R$

