

A SYSTEMATIC APPROACH TO NEUTRINO MASS: EFFECTIVE OPERATOR ANALYSIS

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OVERVIEW



- Seesaw models archetypes of neutrino mass models
- Effective operators as a systematic approach to the problem of neutrino mass
- From operators back to models
 - Example: Zee-Babu Model
- How to test operators using the LHC

THE PROBLEM OF NEUTRINO MASS



- The experimental discovery that neutrinos have mass presents a theoretical problem that is simple enough to state:
 - Neutrino mass exists and it's small.
- The Standard Model (SM) predicts massless neutrinos, so the task for any neutrino mass model is to provide a mechanism for its existence and a 'natural' explanation for why it's so small (~6 orders of magnitude lighter than the electron).
- More accurate precision measurements, such as the first values of θ₁₃, put strong constraints on such models. This has already ruled some out (e.g. Zee Model), but many still remain.
- But before going onto look at how to approach all the possible models, I first want to go through the simplest example.

CLASSIC EXAMPLE: TYPE I SEESAW MODEL



- It is natural to add $v_R \sim (1,1,0)$ to the SM.

 $\lambda_{\nu}LH\nu_R + M\bar{\nu}_R\nu_R^c + h.c., \ \lambda_{\nu} = m/\langle H \rangle$

- Adding these terms is what is known as the Type I seesaw model and I'll briefly describe where the name comes from.
- The combination of these two terms leads to a mass matrix (for one generation):

$$\frac{1}{2}(\bar{\nu}_L \ (\bar{\nu}_R)^c) \begin{pmatrix} 0 & m \\ m & M \end{pmatrix} \begin{pmatrix} (\nu_L)^c \\ \nu_R \end{pmatrix}$$

CLASSIC EXAMPLE: TYPE I SEESAW MODEL

• Diagonalising yields two mass eigenstates:

$$m_{light} = -\frac{m^2}{M}$$
 $m_{heavy} = M$

• This can also be seen through a Feynman diagram:

- M is not protected by a gauge symmetry, meaning it can be very large. Increasing M decreases the lighter mass and so it is called the 'seesaw' mechanism.
- M~10¹¹ TeV is require to generate neutrino masses consistent with experiment. Accordingly, although its simplicity makes it theoretically favourable, this model is very hard to test experimentally.





TYPE II AND III



- If instead of adding ν_R, we add Φ~(1,3,2) or f_R~(1,3,0), then we can also introduce neutrino mass via a seesaw type mechanism. The two new models are the Type II and III Seesaw models respectively.
- Both models produce new physics at a lower energy scale and are in fact both being looked for at the LHC.





- It turns out the Seesaw Models have more in common than just their names and the fact they all explain the smallness of the observed neutrino masses using a seesaw mechanism.
- The easiest way to see this link is to look at all the diagrams.





Notice that all diagrams have the same external field content: LLHH

SEESAW MODELS - A COMMON THREAD?





What remains if we integrate out the heavy fields?

SEESAW MODELS - A COMMON THREAD?





SEESAW MODELS - A COMMON THREAD?





This is the simplest example of a neutrino mass effective operator - it captures the important details of all three seesaw models. It is usually represented as (Roman letters are *SU*(2) indices):

$$\mathcal{O}_1 = L^i L^j H^k H^l \epsilon_{ik} \epsilon_{jl}$$

TOWARDS EFFECTIVE OPERATORS



H

 $\mathcal{O}_1 = L^i L^j H^k H^l \epsilon_{ik} \epsilon_{il}$

- An effective operator is a non-renormalizable term that captures the essential ingredients of the model.
 - In the case of Majorana neutrino mass models the essential ingredient is the ΔL=2 requirement (satisfied by LⁱL^j for seesaw models).
 - It integrates out the new high energy physics, just like Fermi's four fermion theory of beta decay integrates out the W boson.



 How many other ∆L=2 operators can be written down? Babu and Leung found there are 75

EFFECTIVE OPERATORS



15D Operator $\mathcal{O}_1 = L^i L^j H^k H^l \epsilon_{ik} \epsilon_{il}$

7 four fermion Operators

 $\mathcal{O}_2 = L^i L^j L^k e^c H^l \epsilon_{ij} \epsilon_{kl},$ $\mathcal{O}_3 = \{ L^i L^j Q^k d^c H^l \epsilon_{ij} \epsilon_{kl}, \ L^i L^j Q^k d^c H^l \epsilon_{ik} \epsilon_{jl} \},\$ $\mathcal{O}_4 = \{ L^i L^j \overline{Q}_i \overline{u}^c H^k \epsilon_{jk}, \ L^i L^j \overline{Q}_k \overline{u}^c H^k \epsilon_{ij} \},\$ $\mathcal{O}_5 = L^i L^j Q^k d^c H^l H^m \overline{H}_i \epsilon_{jl} \epsilon_{km},$ $\mathcal{O}_6 = L^i L^j \overline{\mathcal{Q}}_k \overline{u}^c H^l H^k \overline{H}_i \epsilon_{jl},$ $\mathcal{O}_7 = L^i Q^j \bar{e}^c \overline{Q}_k H^k H^l H^m \epsilon_{il} \epsilon_{jm},$ $\mathcal{O}_8 = L^i \bar{e}^c \bar{u}^c d^c H^j \epsilon_{ij}.$

12 9D Operators

 $\mathcal{O}_9 = L^i L^j L^k e^c L^l e^c \epsilon_{ij} \epsilon_{kl},$ $\mathcal{O}_{10} = L^i L^j L^k e^c Q^l d^c \epsilon_{ij} \epsilon_{kl},$ $\mathcal{O}_{11} = \{ L^i L^j Q^k d^c Q^l d^c \epsilon_{ij} \epsilon_{kl}, \ L^i L^j Q^k d^c Q^l d^c \epsilon_{ik} \epsilon_{jl} \},\$ $\mathcal{O}_{12} = \{ L^i L^j \overline{Q}_i \overline{u}^c \overline{Q}_j \overline{u}^c, \ L^i L^j \overline{Q}_k \overline{u}^c \overline{Q}_l \overline{u}^c \epsilon_{ij} \epsilon^{kl} \},\$ $\mathcal{O}_{13} = L^i L^j \overline{Q}_i \overline{u}^c L^l e^c \epsilon_{il},$ $\mathcal{O}_{14} = \{ L^i L^j \overline{Q}_k \overline{u}^c Q^k d^c \epsilon_{ij}, \ L^i L^j \overline{Q}_i \overline{u}^c Q^l d^c \epsilon_{jl} \},\$ $\mathcal{O}_{15} = L^i L^j L^k d^c \overline{L}_i \overline{u}^c \epsilon_{ik},$ $\mathcal{O}_{16} = L^i L^j e^c d^c \bar{e}^c \bar{u}^c \epsilon_{ii},$ $\mathcal{O}_{17} = L^i L^j d^c d^c \bar{d}^c \bar{u}^c \epsilon_{ii},$ $\mathcal{O}_{18} = L^i L^j d^c u^c \overline{u}^c \overline{u}^c \epsilon_{ij},$ $\mathcal{O}_{19} = L^i Q^j d^c d^c \bar{e}^c \bar{u}^c \epsilon_{ii},$ $\mathcal{O}_{20} = L^i d^c \overline{\mathcal{O}}_i \overline{u}^c \overline{e}^c \overline{u}^c.$

$\mathcal{O}_{22} = L^i L^j L^k e^c \overline{L}_k \overline{e}^c H^l H^m \epsilon_{il} \epsilon_{im},$ $\mathcal{O}_{23} = L^i L^j L^k e^c \overline{\mathcal{Q}}_k \bar{d}^c H^l H^m \epsilon_{il} \epsilon_{im},$ $\mathcal{O}_{24} = \{ L^i L^j Q^k d^c Q^l d^c H^m \overline{H}_i \epsilon_{jk} \epsilon_{lm}, \ L^i L^j Q^k d^c Q^l d^c H^m \overline{H}_i \epsilon_{jm} \epsilon_{kl} \},\$ $\mathcal{O}_{25} = L^i L^j Q^k d^c Q^l u^c H^m H^n \epsilon_{im} \epsilon_{in} \epsilon_{kl},$ $\mathcal{O}_{26} = \{ L^i L^j Q^k d^c \overline{L}_i \overline{e}^c H^l H^m \epsilon_{il} \epsilon_{km}, \ L^i L^j Q^k d^c \overline{L}_k \overline{e}^c H^l H^m \epsilon_{il} \epsilon_{im} \},\$ $\mathcal{O}_{27} = \{ L^i L^j Q^k d^c \overline{Q}_i \overline{d}^c H^l H^m \epsilon_{il} \epsilon_{km}, L^i L^j Q^k d^c \overline{Q}_k \overline{d}^c H^l H^m \epsilon_{il} \epsilon_{im} \},\$ $\mathcal{O}_{28} = \{ L^i L^j Q^k d^c \overline{Q}_i \overline{u}^c H^l \overline{H}_i \epsilon_{kl}, L^i L^j Q^k d^c \overline{Q}_k \overline{u}^c H^l \overline{H}_i \epsilon_{il},$ $L^{i}L^{j}Q^{k}d^{c}\overline{Q}_{l}\overline{u}^{c}H^{l}\overline{H}_{i}\epsilon_{ik}\},$ $\mathcal{O}_{29} = \{ L^i L^j Q^k u^c \overline{Q}_k \overline{u}^c H^l H^m \epsilon_{il} \epsilon_{jm}, \ L^i L^j Q^k u^c \overline{Q}_l \overline{u}^c H^l H^m \epsilon_{ik} \epsilon_{jm} \},$ $\mathcal{O}_{30} = \{ L^i L^j \overline{L}_i \overline{e}^c \overline{Q}_k \overline{u}^c H^k H^l \epsilon_{il}, \ L^i L^j \overline{L}_m \overline{e}^c \overline{Q}_n \overline{u}^c H^k H^l \epsilon_{ik} \epsilon_{il} \epsilon^{mn} \},\$ $\mathcal{O}_{31} = \{ L^i L^j \overline{Q}_i \overline{d}^c \overline{Q}_k \overline{u}^c H^k H^l \epsilon_{jl}, \ L^i L^j \overline{Q}_m \overline{d}^c \overline{Q}_n \overline{u}^c H^k H^l \epsilon_{ik} \epsilon_{jl} \epsilon^{mn} \},$ $\mathcal{O}_{32} = \{ L^i L^j \overline{Q}_i \overline{u}^c \overline{Q}_k \overline{u}^c H^k \overline{H}_i, \ L^i L^j \overline{Q}_m \overline{u}^c \overline{Q}_n \overline{u}^c H^k \overline{H}_i \epsilon_{ik} \epsilon^{mn} \},\$ $\mathcal{O}_{33} = \bar{e}^c \bar{e}^c L^i L^j e^c e^c H^k H^l \epsilon_{ik} \epsilon_{il},$ $\mathcal{O}_{34} = \overline{e}^c \overline{e}^c L^i Q^j e^c d^c H^k H^l \epsilon_{ik} \epsilon_{il},$ $\mathcal{O}_{35} = \bar{e}^c \bar{e}^c L^i e^c \overline{Q}_i \bar{u}^c H^j H^k \epsilon_{ik},$ $\mathcal{O}_{36} = \bar{e}^c \bar{e}^c Q^i d^c Q^j d^c H^k H^l \epsilon_{ik} \epsilon_{il},$ $\mathcal{O}_{37} = \overline{e}^c \overline{e}^c Q^i d^c \overline{Q}_i \overline{u}^c H^j H^k \epsilon_{ik},$ $\mathcal{O}_{38} = \bar{e}^c \bar{e}^c \overline{Q}_i \bar{u}^c \overline{Q}_j \bar{u}^c H^i H^j,$ $\mathcal{O}_{39} = \{ L^i L^j L^k L^l \overline{L}_i \overline{L}_j H^m H^n \epsilon_{jm} \epsilon_{kl}, \ L^i L^j L^k L^l \overline{L}_m \overline{L}_n H^m H^n \epsilon_{ij} \epsilon_{kl},$ $L^{i}L^{j}L^{k}L^{l}\overline{L}_{i}\overline{L}_{m}H^{m}H^{n}\epsilon_{jk}\epsilon_{ln}, \ L^{i}L^{j}L^{k}L^{l}\overline{L}_{p}\overline{L}_{q}H^{m}H^{n}\epsilon_{ij}\epsilon_{km}\epsilon_{ln}\epsilon^{pq}\},$ $\mathcal{O}_{40} = \{ L^i L^j L^k Q^l \overline{L}_i \overline{Q}_i H^m H^n \epsilon_{km} \epsilon_{ln}, \ L^i L^j L^k Q^l \overline{L}_i \overline{Q}_l H^m H^n \epsilon_{im} \epsilon_{kn},$ $L^{i}L^{j}L^{k}Q^{l}\overline{L}_{l}\overline{Q}_{i}H^{m}H^{n}\epsilon_{jm}\epsilon_{kn}, L^{i}L^{j}L^{k}Q^{l}\overline{L}_{i}\overline{Q}_{m}H^{m}H^{n}\epsilon_{jk}\epsilon_{ln},$ $L^{i}L^{j}L^{k}Q^{l}\overline{L_{i}}\overline{Q_{m}}H^{m}H^{n}\epsilon_{jl}\epsilon_{kn}, L^{i}L^{j}L^{k}Q^{l}\overline{L_{m}}\overline{Q_{i}}H^{m}H^{n}\epsilon_{jk}\epsilon_{ln},$ $L^{i}L^{j}L^{k}Q^{l}\overline{L}_{m}\overline{Q}_{i}H^{m}H^{n}\epsilon_{jl}\epsilon_{kn}, \ L^{i}L^{j}L^{k}Q^{l}\overline{L}_{m}\overline{Q}_{n}H^{m}H^{n}\epsilon_{ij}\epsilon_{kl},$ $L^{i}L^{j}L^{k}Q^{l}\overline{L}_{m}\overline{Q}_{n}H^{p}H^{q}\epsilon_{ip}\epsilon_{jq}\epsilon_{kl}\epsilon^{mn},$ $L^{i}L^{j}L^{k}Q^{l}\overline{L}_{m}\overline{Q}_{n}H^{p}H^{q}\epsilon_{ip}\epsilon_{lq}\epsilon_{jk}\epsilon^{mn}\},$ $\mathcal{O}_{41} = \left\{ L^i L^j L^k d^c \overline{L}_i \overline{d}^c H^l H^m \epsilon_{jl} \epsilon_{km}, \ L^i L^j L^k d^c \overline{L}_l \overline{d}^c H^l H^m \epsilon_{ij} \epsilon_{km} \right\},$ $\mathcal{O}_{42} = \{ L^i L^j L^k u^c \overline{L}_i \overline{u}^c H^l H^m \epsilon_{il} \epsilon_{km}, \ L^i L^j L^k u^c \overline{L}_l \overline{u}^c H^l H^m \epsilon_{ij} \epsilon_{km} \},\$ $\mathcal{O}_{43} = \{ L^i L^j L^k d^c \overline{L}_l \overline{u}^c H^l \overline{H}_i \epsilon_{jk}, \ L^i L^j L^k d^c \overline{L}_j \overline{u}^c H^l \overline{H}_i \epsilon_{kl},$ $L^{i}L^{j}L^{k}d^{c}\overline{L}_{l}\overline{u}^{c}H^{m}\overline{H}_{n}\epsilon_{ij}\epsilon_{km}\epsilon^{ln}\},$ $\mathcal{O}_{44} = \{ L^i L^j Q^k e^c \overline{Q}_i \overline{e}^c H^l H^m \epsilon_{il} \epsilon_{km}, \ L^i L^j Q^k e^c \overline{Q}_k \overline{e}^c H^l H^m \epsilon_{il} \epsilon_{jm},$ $L^{i}L^{j}Q^{k}e^{c}\overline{Q}_{l}\overline{e}^{c}H^{l}H^{m}\epsilon_{ij}\epsilon_{km}, L^{i}L^{j}Q^{k}e^{c}\overline{Q}_{l}\overline{e}^{c}H^{l}H^{m}\epsilon_{ik}\epsilon_{jm}\},$ $\mathcal{O}_{45} = L^i L^j e^c d^c \overline{e}^c \overline{d}^c H^k H^l \epsilon_{ik} \epsilon_{il},$ $\mathcal{O}_{46} = L^i L^j e^c u^c \bar{e}^c \bar{u}^c H^k H^l \epsilon_{ik} \epsilon_{il},$

40 11D Operators

 $\mathcal{O}_{21} = \{L^i L^j L^k e^c Q^l u^c H^m H^n \epsilon_{ij} \epsilon_{km} \epsilon_{ln}, \ L^i L^j L^k e^c Q^l u^c H^m H^n \epsilon_{il} \epsilon_{jm} \epsilon_{kn} \}, \quad \mathcal{O}_{47} = \{L^i L^j Q^k Q^l \overline{Q}_i \overline{Q}_j H^m H^n \epsilon_{km} \epsilon_{ln}, \ L^i L^j Q^k Q^l \overline{Q}_i \overline{Q}_k H^m H^n \epsilon_{jm} \epsilon_{ln}, \ L^j L^j Q^k Q^l \overline{Q}_i \overline{Q}_k H^m H^n \epsilon_{jm} \epsilon_{ln} \}$ $L^{i}L^{j}Q^{k}Q^{l}\overline{Q}_{k}\overline{Q}_{l}H^{m}H^{n}\epsilon_{im}\epsilon_{jn}, L^{i}L^{j}Q^{k}Q^{l}\overline{Q}_{i}\overline{Q}_{m}H^{m}H^{n}\epsilon_{jk}\epsilon_{ln},$ $L^{i}L^{j}Q^{k}Q^{l}\overline{Q}_{i}\overline{Q}_{m}H^{m}H^{n}\epsilon_{jn}\epsilon_{kl}, \ L^{i}L^{j}Q^{k}Q^{l}\overline{Q}_{k}\overline{Q}_{m}H^{m}H^{n}\epsilon_{ij}\epsilon_{ln},$ $L^{i}L^{j}Q^{k}Q^{l}\overline{Q}_{k}\overline{Q}_{m}H^{m}H^{n}\epsilon_{il}\epsilon_{jn}, \ L^{i}L^{j}Q^{k}Q^{l}\overline{Q}_{p}\overline{Q}_{q}H^{m}H^{n}\epsilon_{ij}\epsilon_{km}\epsilon_{ln}\epsilon^{pq},$ $L^{i}L^{j}Q^{k}Q^{l}\overline{Q}_{p}\overline{Q}_{q}H^{m}H^{n}\epsilon_{ik}\epsilon_{im}\epsilon_{ln}\epsilon^{pq},$ $L^{i}L^{j}Q^{k}Q^{l}\overline{Q}_{p}\overline{Q}_{q}H^{m}H^{n}\epsilon_{im}\epsilon_{jn}\epsilon_{kl}\epsilon^{pq}\},$ $\mathcal{O}_{48} = L^i L^j d^c d^c \overline{d}^c \overline{d}^c H^k H^l \epsilon_{ik} \epsilon_{jl},$ $\mathcal{O}_{49} = L^i L^j d^c u^c \overline{d}^c \overline{u}^c H^k H^l \epsilon_{ik} \epsilon_{jl},$ $\mathcal{O}_{50} = L^i L^j d^c d^c \overline{d}^c \overline{u}^c H^k \overline{H}_i \epsilon_{ik},$ $\mathcal{O}_{51} = L^i L^j u^c u^c \overline{u}^c \overline{u}^c H^k H^l \epsilon_{ik} \epsilon_{il},$ $\mathcal{O}_{52} = L^i L^j d^c u^c \overline{u}^c \overline{u}^c H^k \overline{H}_i \epsilon_{ik},$ $\mathcal{O}_{53} = L^i L^j d^c d^c \overline{u}^c \overline{u}^c \overline{H}_i \overline{H}_i,$ $\mathcal{O}_{54} = \{ L^i Q^j Q^k d^c \overline{Q}_i \overline{e}^c H^l H^m \epsilon_{jl} \epsilon_{km}, \ L^i Q^j Q^k d^c \overline{Q}_j \overline{e}^c H^l H^m \epsilon_{il} \epsilon_{km},$ $L^{i}Q^{j}Q^{k}d^{c}\overline{Q}_{l}\overline{e}^{c}H^{l}H^{m}\epsilon_{im}\epsilon_{jk}, L^{i}Q^{j}Q^{k}d^{c}\overline{Q}_{l}\overline{e}^{c}H^{l}H^{m}\epsilon_{ij}\epsilon_{km}\},$ $\mathcal{O}_{55} = \{ L^i Q^j \overline{Q}_i \overline{Q}_k \overline{e}^c \overline{u}^c H^k H^l \epsilon_{il}, \ L^i Q^j \overline{Q}_j \overline{Q}_k \overline{e}^c \overline{u}^c H^k H^l \epsilon_{il},$ $L^{i}Q^{j}\overline{Q}_{m}\overline{Q}_{n}\overline{e}^{c}\overline{u}^{c}H^{k}H^{l}\epsilon_{ik}\epsilon_{jl}\epsilon^{mn}\},$ $\mathcal{O}_{56} = L^i Q^j d^c d^c \overline{e}^c \overline{d}^c H^k H^l \epsilon_{ik} \epsilon_{il},$ $\mathcal{O}_{57} = L^i d^c \overline{Q}_i \overline{u}^c \overline{e}^c \overline{d}^c H^j H^k \epsilon_{ik},$ $\mathcal{O}_{58} = L^i u^c \overline{Q}_j \overline{u}^c \overline{e}^c \overline{u}^c H^j H^k \epsilon_{ik},$ $\mathcal{O}_{59} = L^i Q^j d^c d^c \overline{e}^c \overline{u}^c H^k \overline{H}_i \epsilon_{jk},$ $\mathcal{O}_{60} = L^i d^c \overline{Q}_i \overline{u}^c \overline{e}^c \overline{u}^c H^j \overline{H}_i.$ List due to Babu and Leung • There are 15 others they didn't originally list So in total 75 operators

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EFFECTIVE OPERATORS



- The list realises basically all existing models for neutrino mass, e.g. O_3 can give rise to an *R*-parity violating SUSY model.
- While the list is long, there is a straightforward recipe for its construction: can't violate baryon number (constraints too strong); must have a $\Delta L=2$ term; and then can add Higgs or $\Delta L=\Delta B=0$ number conserving terms.
- A key feature is that the list is finite because 13D operators generate a mass too small to be consistent with atmospheric data.
 - De Gouvea and Jenkins have shown 25 are already strongly disfavoured and that many are testable at LHC and upcoming measurements (e.g. oscillation and neutrinoless double beta decay).
 - After talking to Babu at ICHEP, Ray and I are planning to investigate the possibility that in fact 11D operators may also be inconsistent this would reduce the list from 75 to 20 operators!
- So the approach is to pick an operator that can be tested with existing experiments, generate all possible models from it and set constraints.



- I've shown how you can go from models to operators, but not how to go from an operator back to all the models it can generate.
- The question of how to go from operators back to models in general was answered by Paul Angel's thesis last year (a Masters student of Ray), where he provided a step by step procedure for generating one and two loop models.
 - Note that only O₁ generates tree level models. Loop models don't have the seesaw mechanism, but rather they explain the smallness of neutrino masses through loop suppression.
 - It is assumed, but has yet to be proved, that three loop models are inconsistent with the data.
- Rather than go through Paul's procedure I will give an example:

 $\mathcal{O}_9 = L^i L^j L^k e^c L^l e^c \epsilon_{ij} \epsilon_{kl}$



$\mathcal{O}_9 = L^i L^j L^k e^c L^l e^c \epsilon_{ij} \epsilon_{kl}$

Write as a vertex

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Use Paul's method to e.g. complete with scalars (several possible UV completions)



Close the excess fermion lines, here using Higgs, and rearrange

L

L

ec

L

- Thus we have gone from an operator to a model:
- A similar procedure can be used for any operator to create models involving either scalars or scalars and fermions in the UV completion.
- Incidentally the model generated here happens to be the Zee-Babu Model, which was known before the effective operators. Kenji Hamano and I are currently working on a ZBM search at ATLAS, so I'll say a few words on the status of this analysis.



THE ZEE-BABU MODEL





- The model introduces two new particles: singly charged h~(1,1,2) and doubly charged k~(1,1,4).
- Kenji and I have joined the same-sign dilepton analysis as it was determined this analysis can strongly constrain the k particle. The most up to date results from this analysis were presented at ICHEP and the limits (unfortunately no discovery) should be published shortly.
- We also have people working on a Type III Seesaw analysis and hope to have results out this year.
- Undoubtedly the LHC is a rich source of constraints on many of these models, especially leptonic analyses currently underway in exotics.

Like-sign incl: Results Lytken's parallel talk at ICHEP

20 GeV

120

100

Slide taken from Else

+ Data 2011

Jon-prompt

Charge flips

ATLAS Preliminary

 $\sqrt{s} = 7 \text{ TeV}$

Ldt = 4.7 fb

In bins of like-sign mass, using 4.7 fb⁻¹:

						-	s loo
Sample	Number of electron pairs with $m(e^{\pm}e^{\pm})$					-	80 -
	> 15 GeV	> 100 GeV	> 200 GeV	> 300 GeV	> 400 GeV		
Prompt	93.6 ± 9.4	52.9 ± 5.7	13.6 ± 1.6	4.0 ± 0.6	1.3 ± 0.2	ī	
Non-prompt	75 ± 29	29 ± 12	6.0 ± 2.8	$0.6^{+1.0}_{-0.6}$	$0.0^{+0.2}_{-0.0}$		40
Charge flips and conversions	161 ± 25	86 ± 13	21.0 ± 3.5	7.9 ± 1.4	3.5 ± 0.8	_	20
Sum of backgrounds	330 ± 39	169 ± 19	40.6 ± 4.7	$12.4^{+1.8}_{-1.7}$	$4.8^{+0.9}_{-0.8}$		
Data	329	171	38	10	3		
Number of muon pairs with $m(\mu^{\pm}\mu^{\pm})$						о С	60 - I
	> 15 GeV	> 100 GeV	> 200 GeV	> 300 GeV	> 400 GeV	20 (Ē 🕇
Prompt	205 ± 26	90 ± 11	21.8 ± 2.8	5.8 ± 0.9	2.2 ± 0.4	airs /	50— E
Non-prompt	42 ± 14	12.1 ± 4.6	1.0 ± 0.6	$0.0^{+0.3}_{-0.0}$	$0.0^{+0.3}_{-0.0}$	on pa	40
Charge flips	$0.0^{+4.9}_{-0.0}$	$0.0^{+2.5}_{-0.0}$	$0.0^{+1.8}_{-0.0}$	$0.0^{+1.7}_{-0.0}$	$0.0^{+1.7}_{-0.0}$	Mu	30
Sum of backgrounds	247^{+30}_{-29}	102 ± 12	$22.8^{+3.4}_{-2.9}$	$5.8^{+1.9}_{-0.9}$	$2.2^{+1.7}_{-0.4}$		20
Data	265	111	29	6	2		



All mass bins consistent with SM only hypothesis

CONCLUSION



- Effective operators provide a systematic way to approach neutrino mass, operating at the boundaries of both theory and experiment.
- Our group is contributing to that goal with the Type III Seesaw and ZBM LHC analyses and may ultimately move to look at other operators and models.
- But there are many more models left to analyse and this represents a great opportunity to use our involvement with the LHC, and also draw on many upcoming precision measurements.
- Ruling out other operators can indirectly give weight to favourable models like the Type I Seesaw or perhaps reveal nature isn't 'natural' as we thought.