

$t\bar{t}$ +hard X hadroproduction with PowHel

Zoltán Trócsányi



University of Debrecen
and
MTA-DE Research Group

in collaboration with
A. Kardos, M.V. Garzelli
and
HELAC group

Tools for precision and discovery physics with top quarks, CERN
July 18, 2012

Outline

- ▶ Motivation
- ▶ Method
- ▶ Predictions
- ▶ Conclusions

Motivation

"The t -quark is special"

Top at the LHC

Present:

production cross section, mass, width, t - T mass difference, spin correlations, W helicity/polarization, V_{tb} , charge, charge asymmetry, anomalous couplings, FCNC, jet veto in tT

Future: discovery tool, coupling measurements

These require precise predictions of distributions at hadron level for

$pp \rightarrow tT + \text{hard } X$, $X = H, A, W, Z, \gamma, j, bB, 2j \dots$

(with decays, top is not detected)

Why should we care about NLO + PS?

- Hadrons in final state
- Closer to experiments, realistic analysis becomes feasible
- Decayed tops
- Parton shower can have significant effect (in Sudakov regions, at kinematic boundaries)
- For the user:
 - event generation is, faster than an NLO computation
 - (once the code is ready!)
 - ...but we deliver the events on request



...to distributions, full of pitfalls & difficulties



Cerro Torre Patagonia, courtesy of V Del Duca

There is a long way from loops and legs...

NLO subtractions

- ▶ Idea: exact calculation in the first two orders of pQCD
- ▶ Subtraction method

$$\begin{aligned} d\sigma_{\text{NLO}} &= [B(\Phi_n) + \mathcal{V}(\Phi_n) + R(\Phi_{n+1})d\Phi_{\text{rad}}] d\Phi_n \\ &= [B(\Phi_n) + V(\Phi_n) + (R(\Phi_{n+1}) - A(\Phi_{n+1})) d\Phi_{\text{rad}}] d\Phi_n \end{aligned}$$

$$\int d\Phi_n B(\Phi_n) = \sigma_{\text{LO}}$$

$$V(\Phi_n) = \mathcal{V}(\Phi_n) + \int d\Phi_{\text{rad}} A(\Phi_{n+1})$$

$$d\Phi_{n+1} = d\Phi_n d\Phi_{\text{rad}}, \quad d\Phi_{\text{rad}} \propto dt dz \frac{d\phi}{2\pi}$$

From NLO to NLO+PS

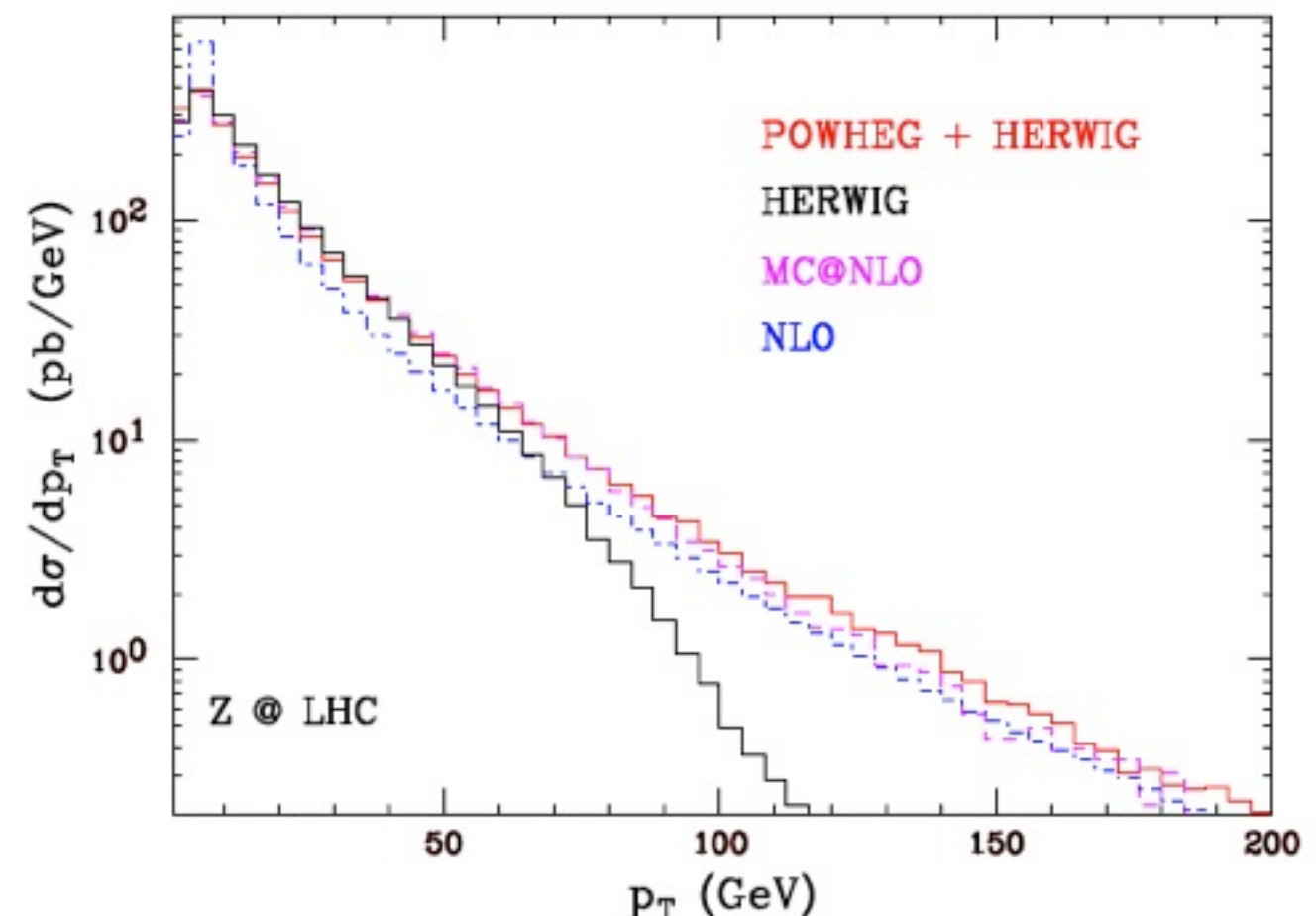
Idea: use NLO calculation as hard process as input for the SMC

Bottleneck: how to avoid double counting of first radiation w.r.to Born process

Solutions:

- **MCatNLO** [Frixione, Webber hep-ph/0204244]
- **POWHEG** [Nason hep-ph/0409146, Frixione, Nason, Oleari arXiv:0709.2092]

Result: PS events giving distributions exact to NLO in pQCD



[Nason, Ridolfi hep-ph/0606275]

Our choice: POWHEG-BOX with
HELAC-NLO for $t\bar{t}$ +hard X

PowHel

<http://www.grid.kfki.hu/twiki/bin/view/DbTheory/WebHome>

TWiki > DbTheory Web > TtjProd (2011-07-15, AdamKardos)

Top quark pair production in association with a jet

This page contains those event files which concern top quark pair production with a jet. The used code can be found here: [ttj.tgz](#).

TeVatron @ 1.96 TeV

1. $m_t = 172$ [GeV](#), $\mu = \mu_R = \mu_F = m_t$, [CTEQ6M](#) PDF, 2-loop running α_s , $p_{\text{bot}, \text{min}} = 5$ [GeV](#). This set was taken for comparison with Melnikov and Schulze(arXiv:1004.3284). [ttj-tev-01.tgz](#) (315 Mb)
2. $m_t = 174$ [GeV](#), $\mu = \mu_R = \mu_F = m_t$, [CTEQ6M](#) PDF, 2-loop running α_s , $p_{\text{bot}, \text{min}} = 5$ [GeV](#). This set was taken for comparison with Dittmaier, Uwer and Weinzierl(arXiv:0810.0452). [ttj-tev-02.tgz](#) (152 Mb)

LHC @ 7 TeV

1. $m_t = 172$ [GeV](#), $\mu = \mu_R = \mu_F = m_t$, [CTEQ6M](#) PDF, 2-loop running α_s , $p_{\text{bot}, \text{min}} = 5$ [GeV](#). To reproduce the predictions of arXiv:1101.2672. [ttj-lhc-01.tgz](#) (410 Mb)
2. $m_t = 172$ [GeV](#), $\mu = \mu_R = \mu_F = m_{\text{bot}}$ (for a precise definition please see arXiv:1101.2672), [CTEQ6M](#) PDF, 2-loop running α_s , $p_{\text{bot}, \text{min}} = 5$ [GeV](#). To reproduce the predictions of arXiv:1101.2672. [ttj-lhc-02.tgz](#) (397 Mb)

Our choice: POWHEG-BOX with HELAC-NLO for tT +hard X

- The POWHEG-BOX implements
 - FKS subtraction scheme
 - POWHEG method for matching
- HELAC-NLO provides tree and 1loop ME

[Alioli, Nason,
Oleari, Re
arXiv: 1002.2581]

- Processes in PowHel: *New!*

✓ tT and W^+W^-bB
✓ $tT+H/A$
✓ $tT+Z$
✓ $tT+jet$

Published

- $tT+X_1, X_2, X_3$ not yet public

[Bevilaqua et al,
arXiv: 1110.1499]

[Garzelli, Kardos,
Papadopoulos, ZT
arXiv: 1108.0387
arXiv: 1111.0610
arXiv: 1111.1444
arXiv: 1101.2672]

From standard SMC to POWHEG MC

SMC idea: use probabilistic picture of parton splitting in the collinear approximation, iterate splitting to high orders

► Standard MC first emission:

$$d\sigma_{\text{SMC}} = B(\Phi_n) d\Phi_n \left[\Delta_{\text{SMC}}(t_0) + \Delta_{\text{SMC}}(t) \underbrace{\frac{\alpha_s(t)}{2\pi} \frac{1}{t} P(z)}_{= \lim_{k_\perp \rightarrow 0} R(\Phi_{n+1})/B(\Phi_n)} \Theta(t - t_0) d\Phi_{\text{rad}}^{\text{SMC}} \right]$$

$\int B(\Phi_n) d\Phi_n = \sigma_{\text{LO}}$

► POWHEG MC first emission:

$$d\sigma = \bar{B}(\Phi_n) d\Phi_n \left[\Delta(\Phi_n, p_\perp^{\min}) + \Delta(\Phi_n, k_\perp) \frac{R(\Phi_{n+1})}{B(\Phi_n)} \Theta(k_\perp - p_\perp^{\min}) d\Phi_{\text{rad}} \right]$$

$$\bar{B}(\Phi_n) = B(\Phi_n) + V(\Phi_n) + \int \left[R(\Phi_{n+1}) - A(\Phi_{n+1}) \right] d\Phi_{\text{rad}}$$

$\int \bar{B}(\Phi_n) d\Phi_n = \sigma_{\text{NLO}}$ If σ_{LO} finite!

Accuracy of the POWHEG cross section

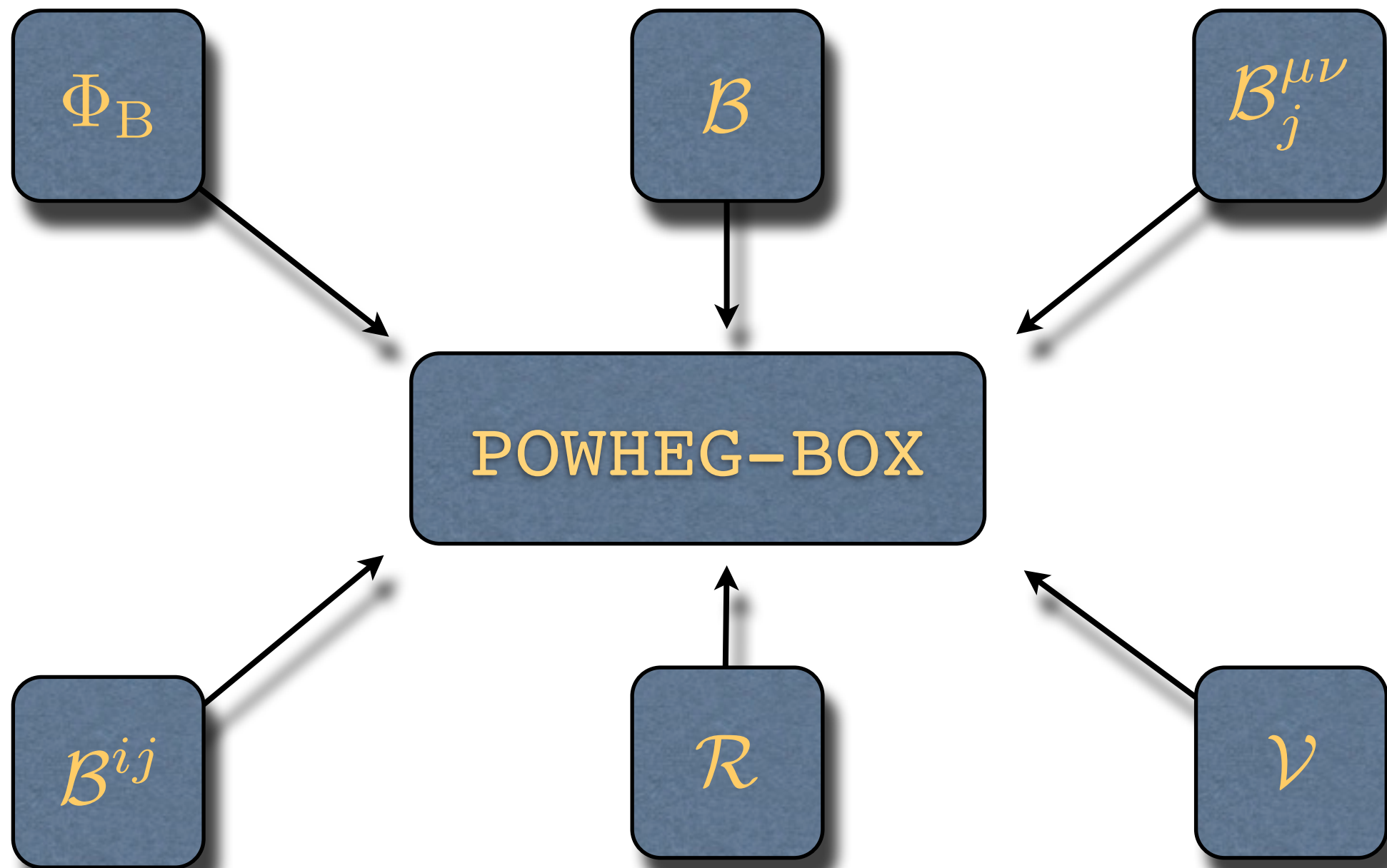
$$\frac{d\sigma_{\text{LHE}}}{dO} = \frac{d\sigma_{\text{NLO}}}{dO} + O(\alpha_s) \int d\Phi_R R(\Phi_R) \left[\delta(O(\Phi_R) - O) - \delta(O(\Phi_B) - O) \right]$$

Used:

$$\Delta\left(\Phi_B, k_{\perp}(\Phi_R)\right) \frac{\tilde{B}(\Phi_B)}{B(\Phi_B)} = 1 + O(\alpha_s)$$

Difference scales with the NLO K-factor

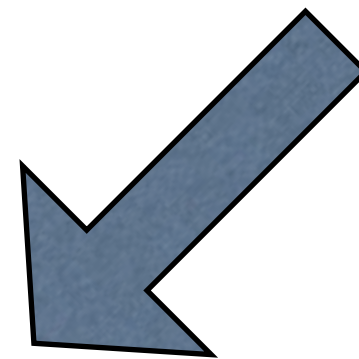
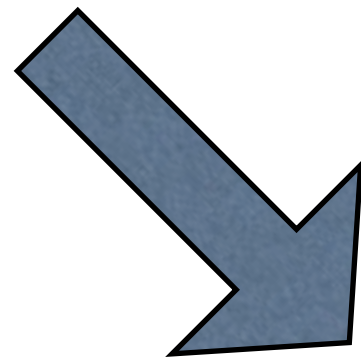
POWHEG-BOX framework



PowHel framework

POWHEG-BOX

HELAC-NLO

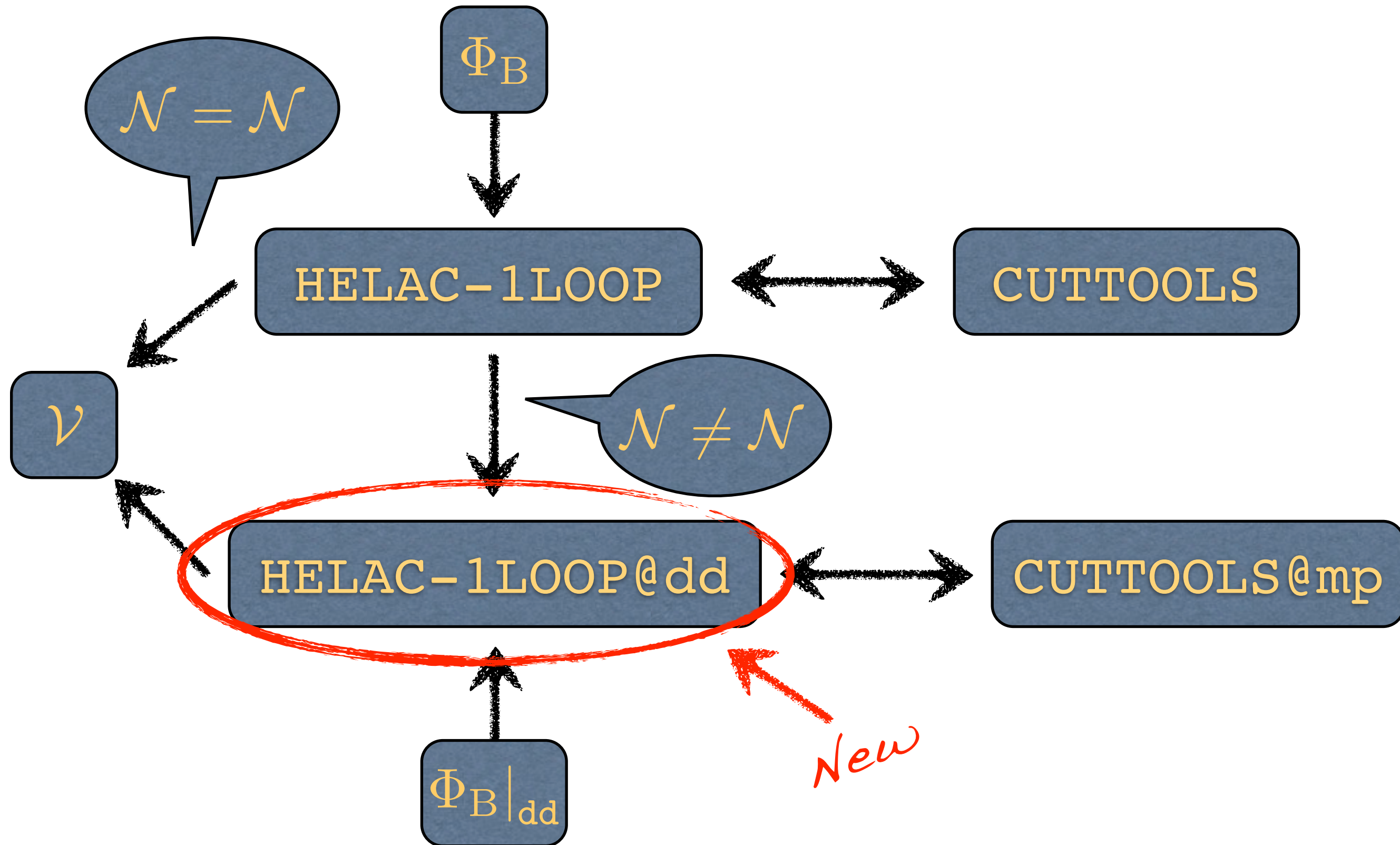


PowHel

RESULT of PowHel:

Les Houches file of Born and Born+1st radiation events (LHE) ready for processing with SMC followed by almost arbitrary experimental analysis

HELAC-1LOOP@dd framework



Checks of the NLO computation

- ✓ Check (implementation of) real emission squared matrix elements in POWHEG-BOX to those from HELAC-PHEGAS / MADGRAPH in randomly chosen phase space points
- ✓ Check (implementation of) virtual correction in POWHEG-BOX to those from HELAC-1Loop / GOSAM / MADLOOP in randomly chosen phase space points
- ✓ Check the ratio of soft and collinear limits to real emission matrix elements tends to 1 in randomly chosen kinematically degenerate phase space points

Each PowHel computation is an independent one of other NLO predictions for the process

(see e.g. arXiv: 1111.0610 for $t\bar{t}Z$ production)

What about spin-correlations?

Three approaches:

-
1. Complete at given order in PT: both resonant and non-resonant diagrams
 2. Narrow-width approximation (NWA): only resonant contributions (spin correlations kept)
 3. Decay-chain approximation (DCA): on-shell production times decay (off-shell and spin-correlation effects are lost)

"3" implemented naturally in NLO+SMC

How to decay heavy particles?

1. Decay at ME level:

- Resonant, non-resonant graphs with spin correlations
- CPU time increased
- Possible different (extra) runs

2. Decay in SMC (DCA):

- On-shell heavy objects
- Easy to evaluate
- No spin correlations, no off-shell effects

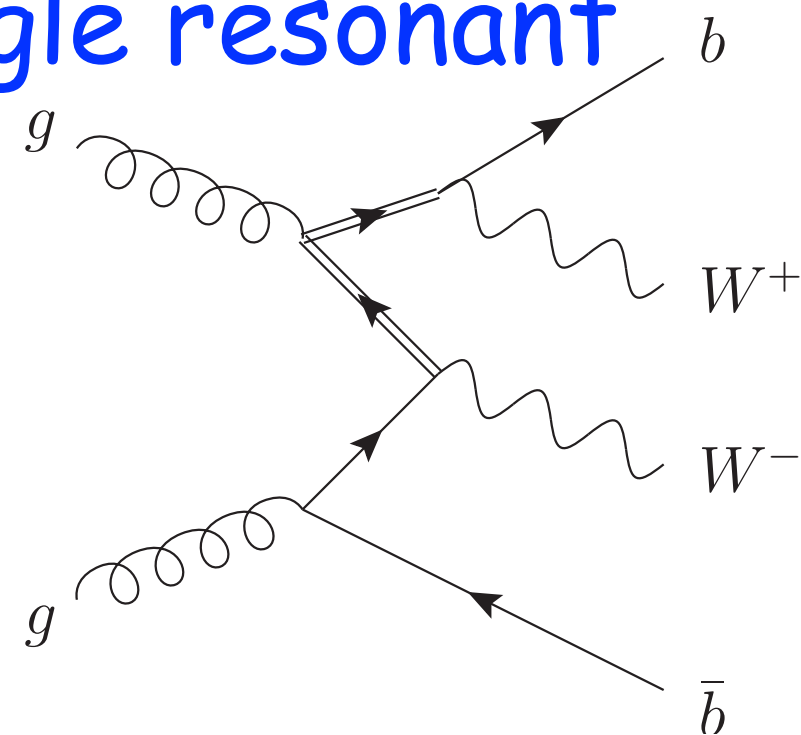
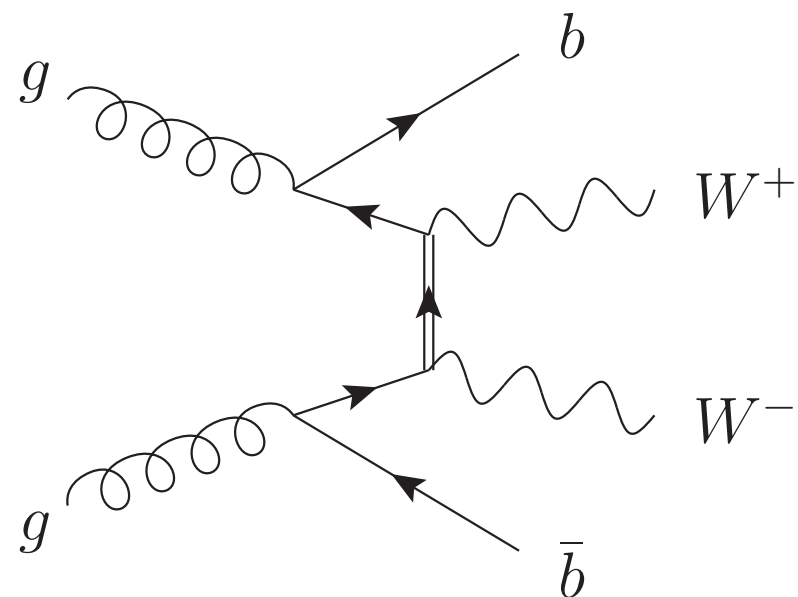
3. Decay with DECAYER (NWA):

- Post event-generation run *New!*
- With spin correlations and off-shell effects, but decays at LO accuracy
- CPU efficient

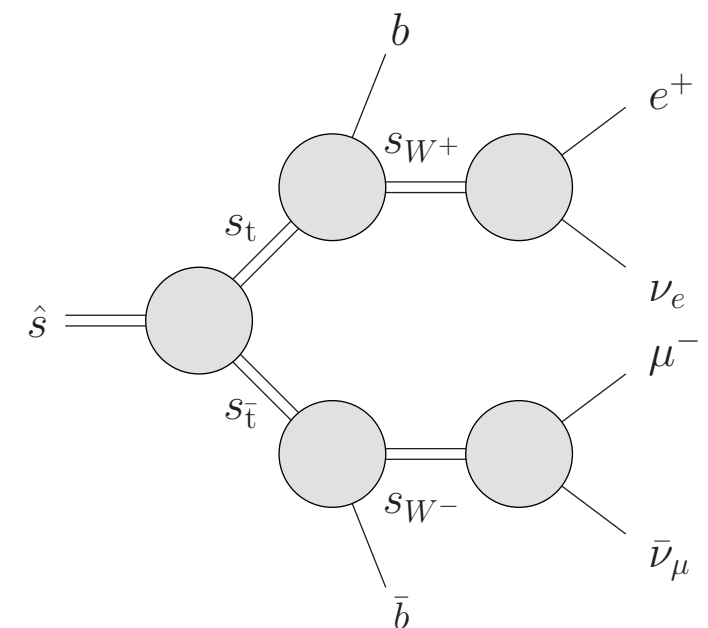
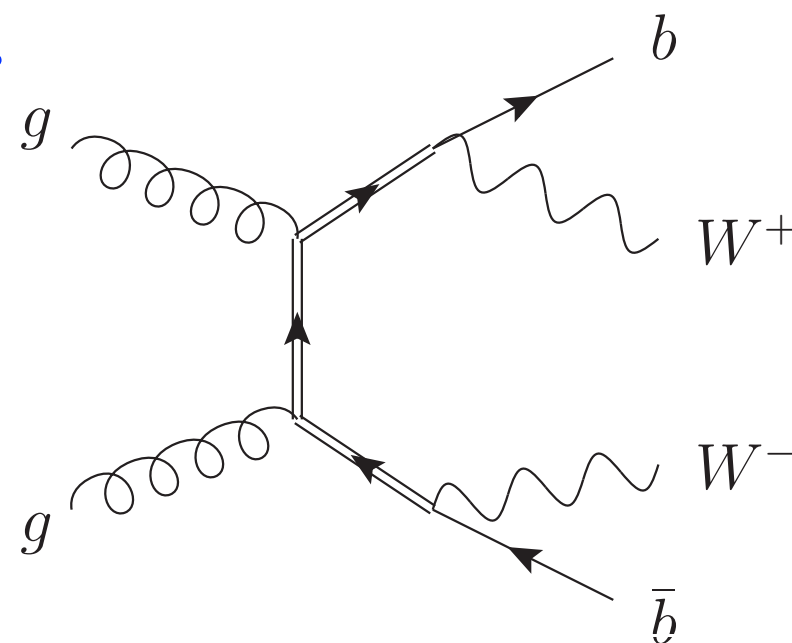
$W^+ W^- b \bar{b}$ production

52 Born graphs

single resonant

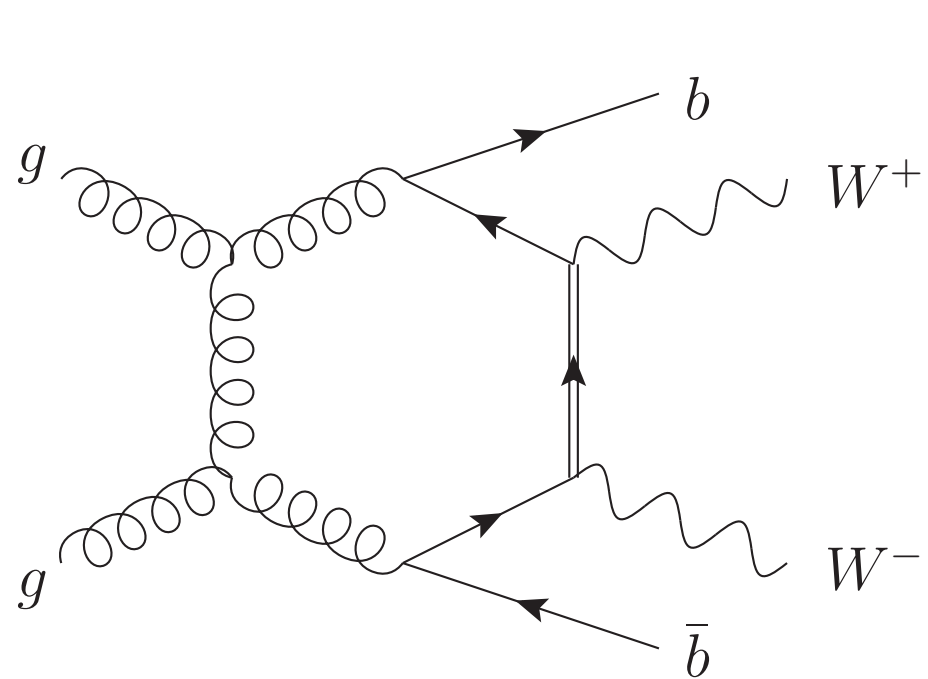


non-resonant

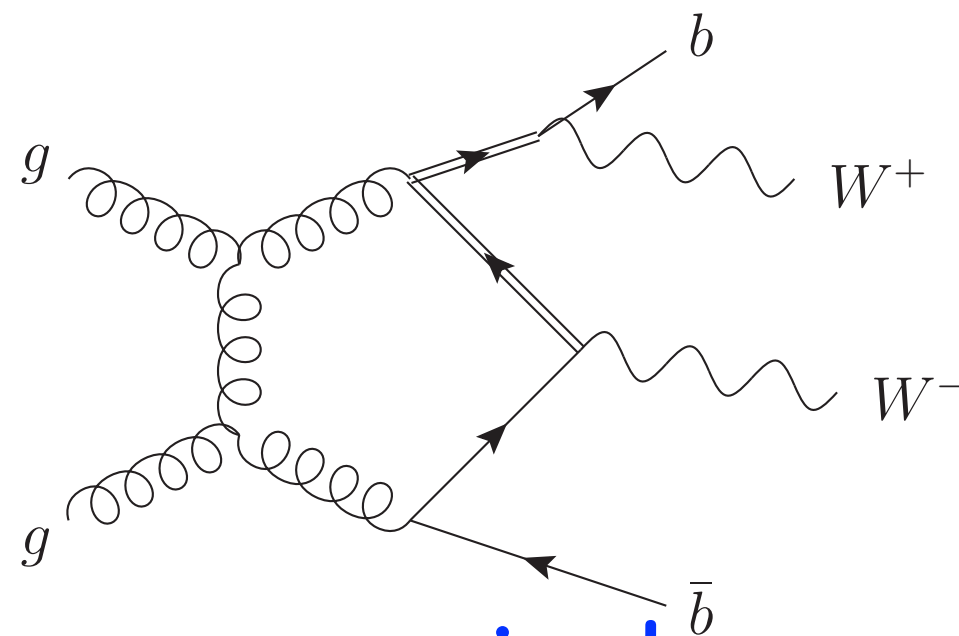


double resonant Born phase space

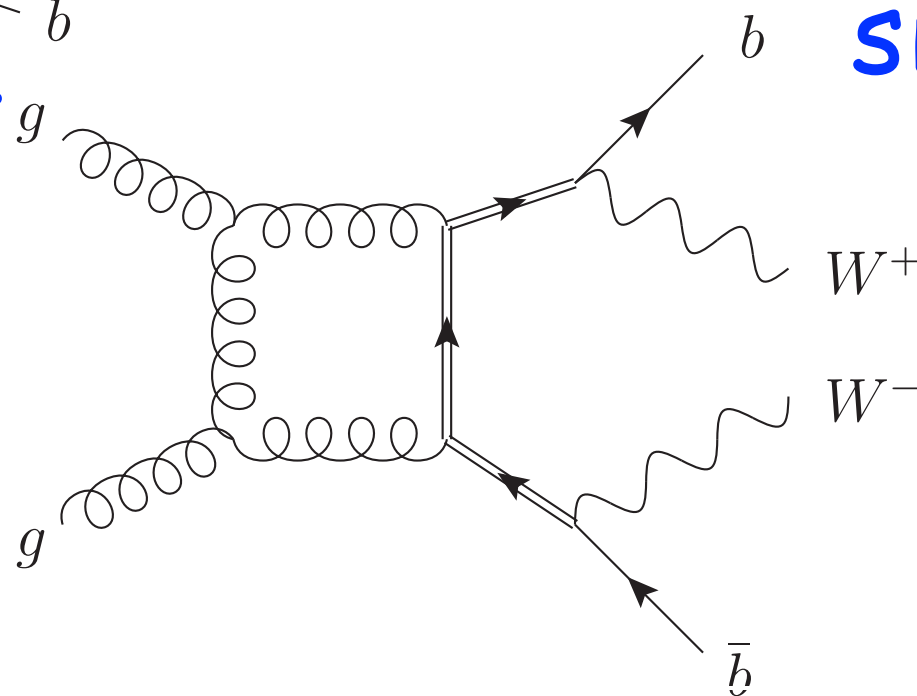
$\sim 1\text{k}$ one-loop graphs



non-resonant
hexagon

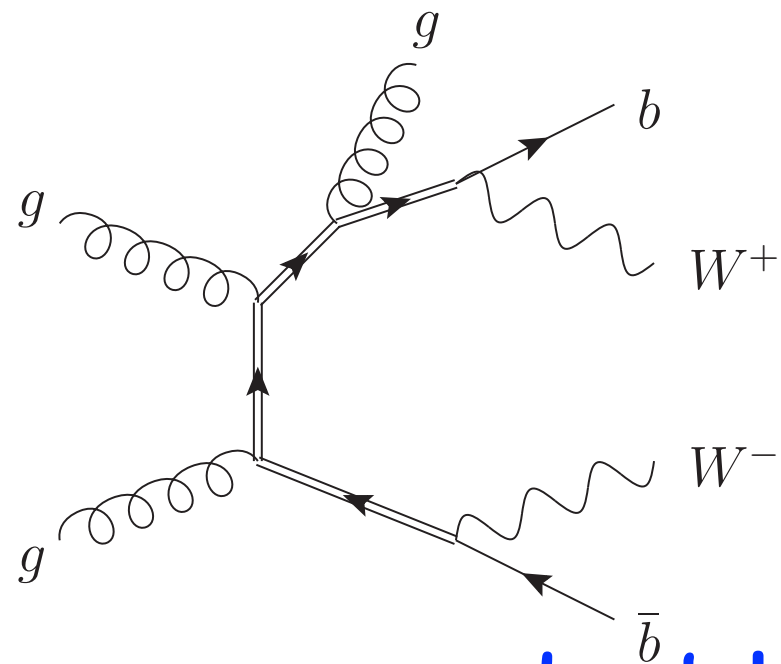


single resonant

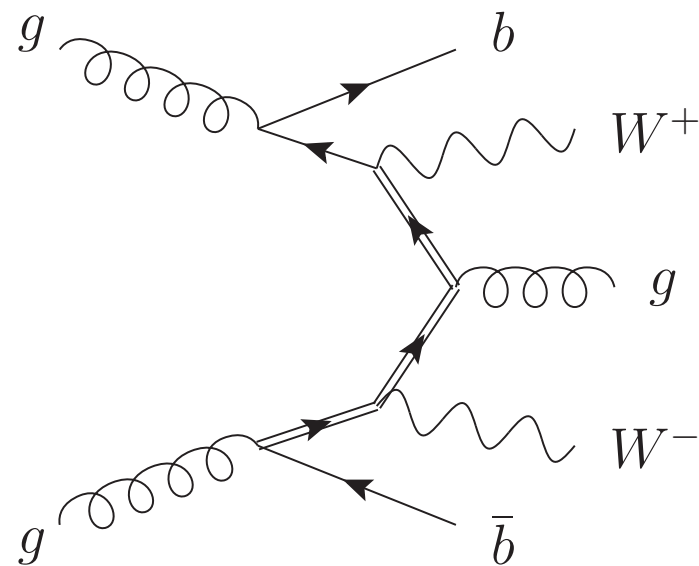
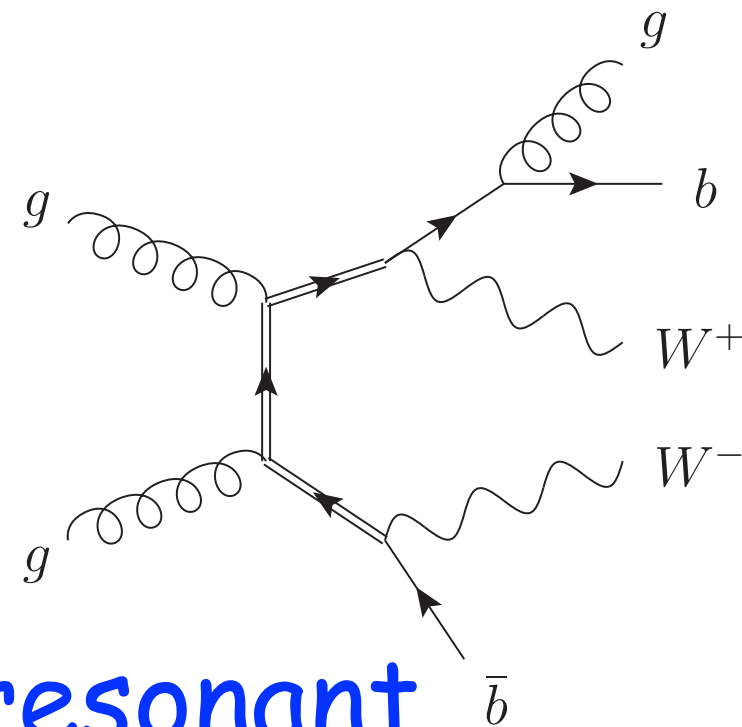


double resonant

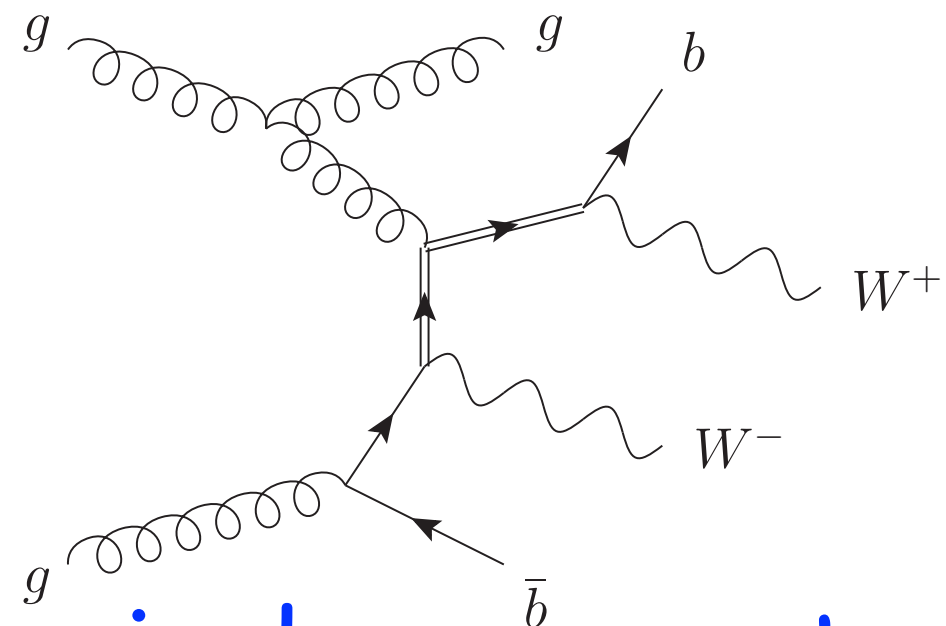
Real emissions also from b-quarks



double resonant



non-resonant



single resonant

$$pp \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu b \bar{b} + X$$

- Based on the full NLO calculation of the $W^+ W^- b \bar{b}$ [Bevilacqua et. al. arXiv:1012.4230], but new
- Uses
 - complex mass scheme (everywhere)
 - generation cut: $p_{\perp b} > 2\text{GeV}$, $m_{bB} > 1\text{GeV}$
 - suppression factors of the Born singular region
- Comparison of LHEF to NLO made for the 7 TeV LHC, with a setup listed in arXiv:1012.4230:
 - fixed scale $\mu = m_t$ and PDG parameters, CTEQ6M

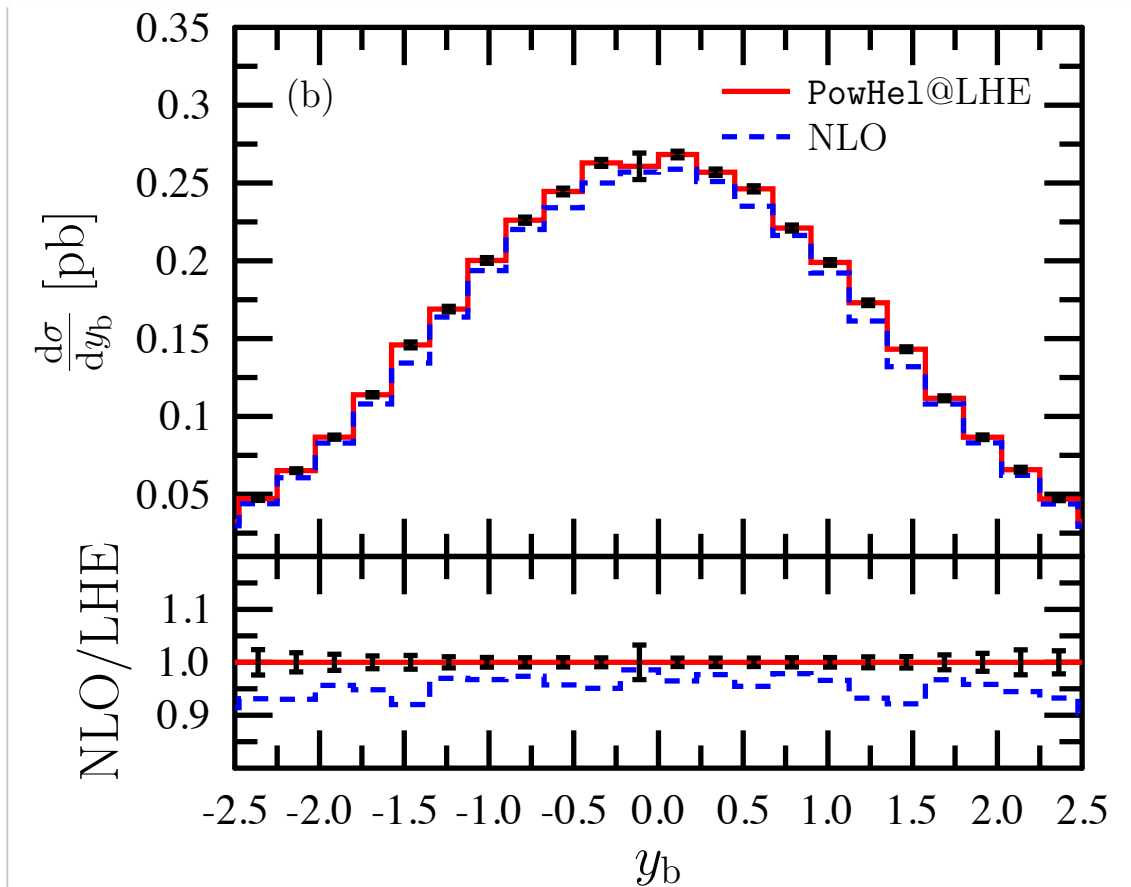
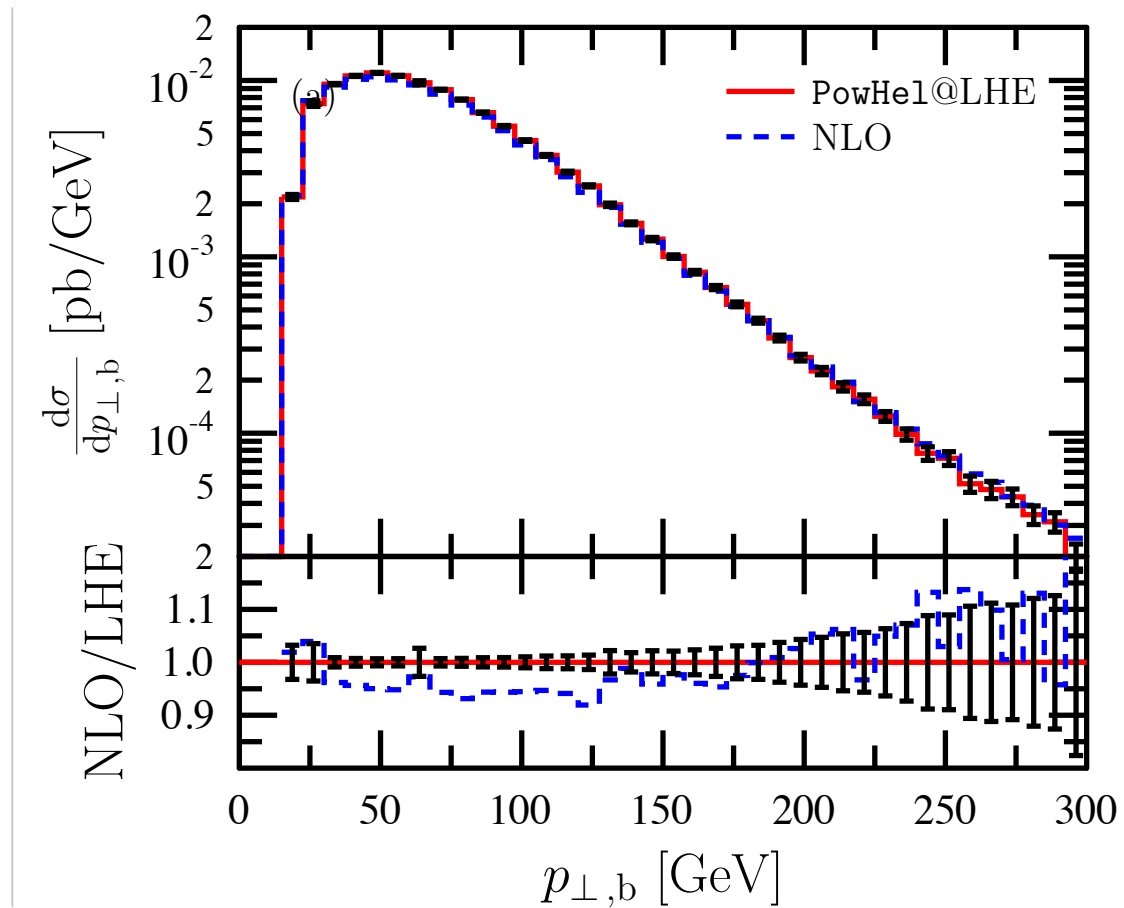
Accuracy of the POWHEG cross section

$$\frac{d\sigma_{\text{LHE}}}{dO} = \frac{d\sigma_{\text{NLO}}}{dO} + \mathcal{O}(\alpha_s) \int d\Phi_R R(\Phi_R) \left[\delta(O(\Phi_R) - O) - \delta(O(\Phi_B) - O) \right]$$

Useful for checking

Difference scales with the NLO K-factor

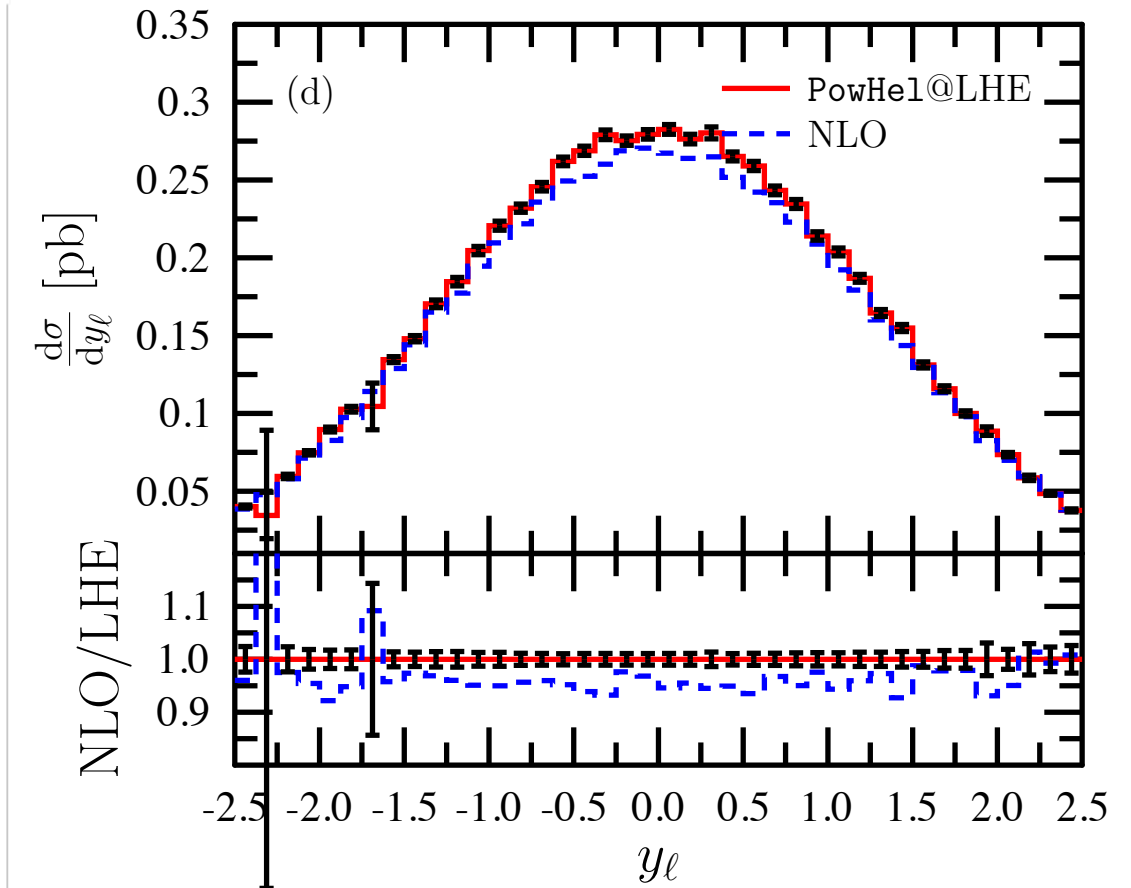
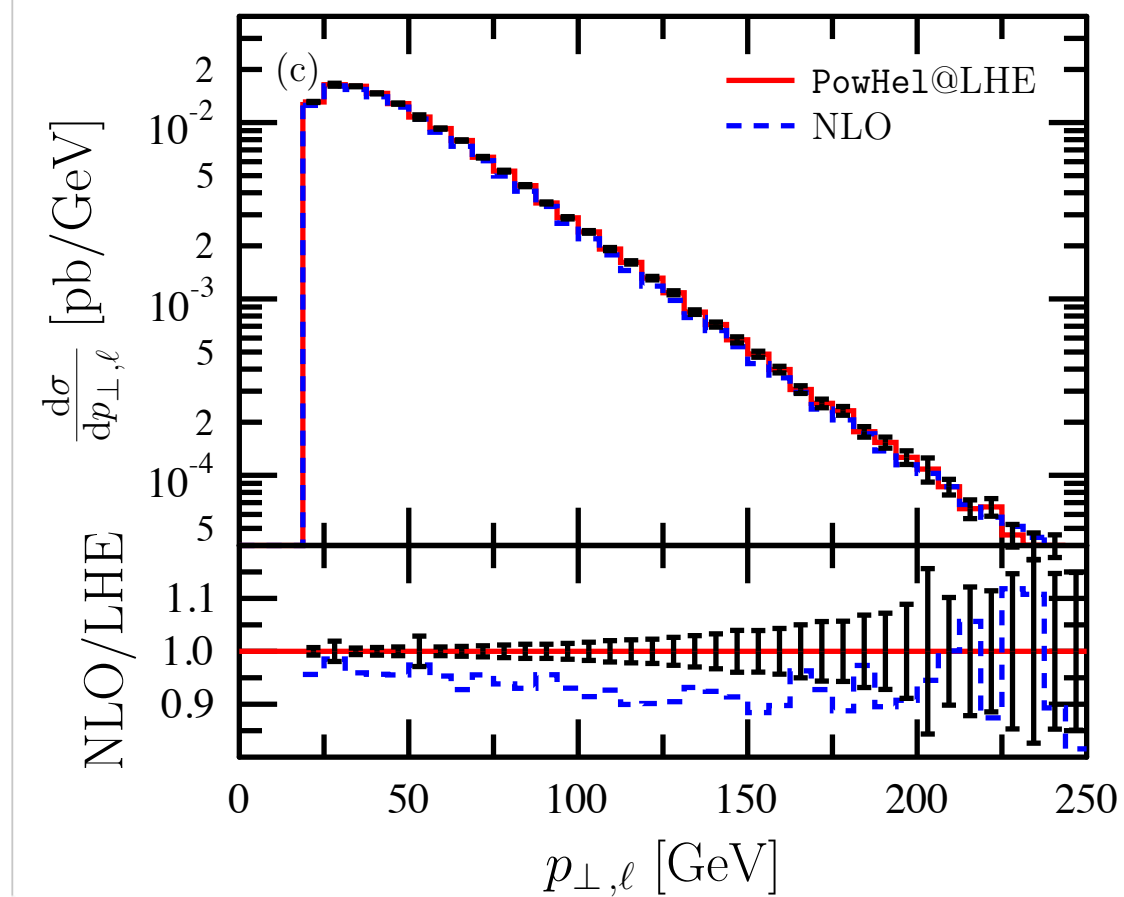
$$pp \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu b \bar{b} + X$$



Transverse momentum and rapidity distribution for the b
at 7TeV LHC

agreement is within 5%, Remember: $\sigma_{\text{LHE}} = \sigma_{\text{NLO}} + O(\alpha_s)$ Finite
[inclusive NLO K-factor is large (~ 1.5)]

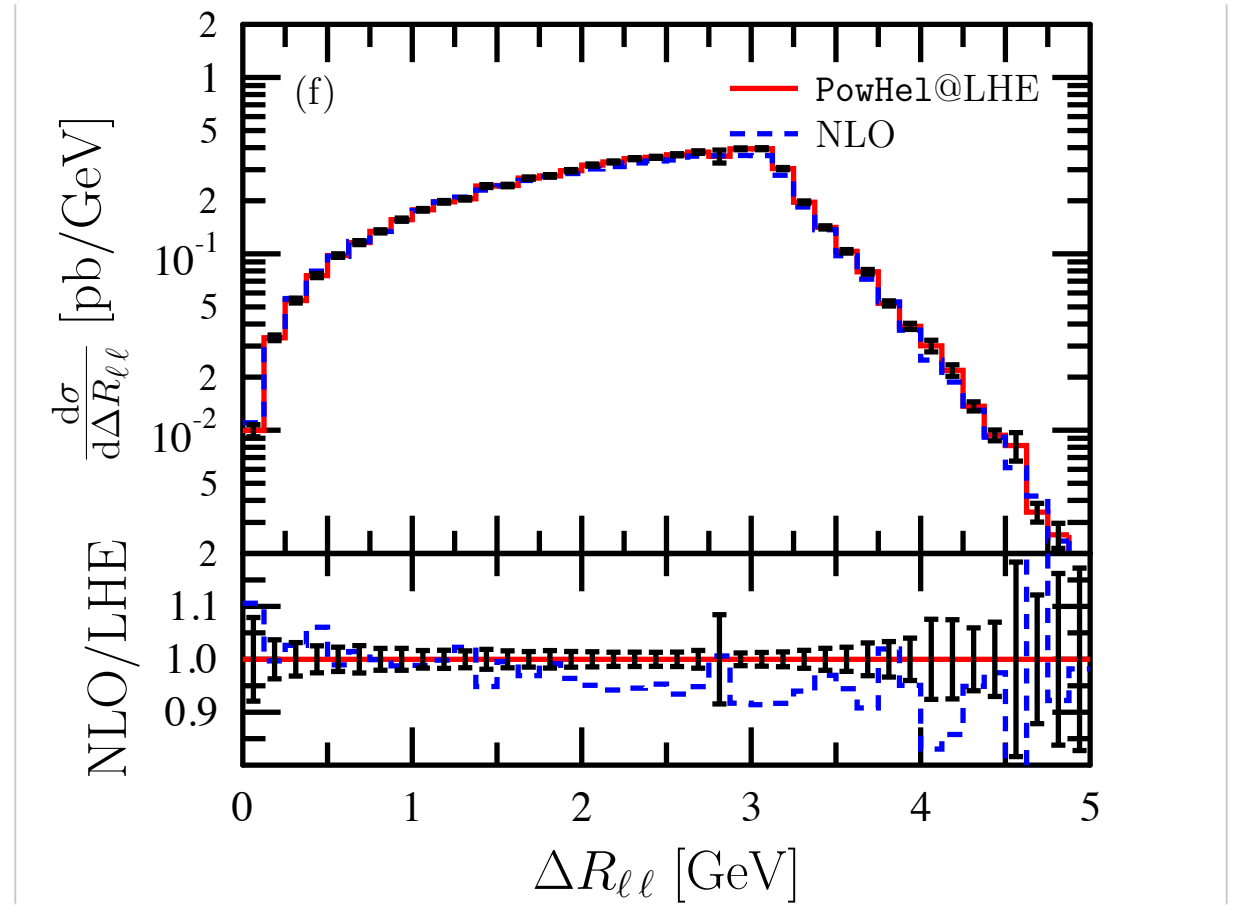
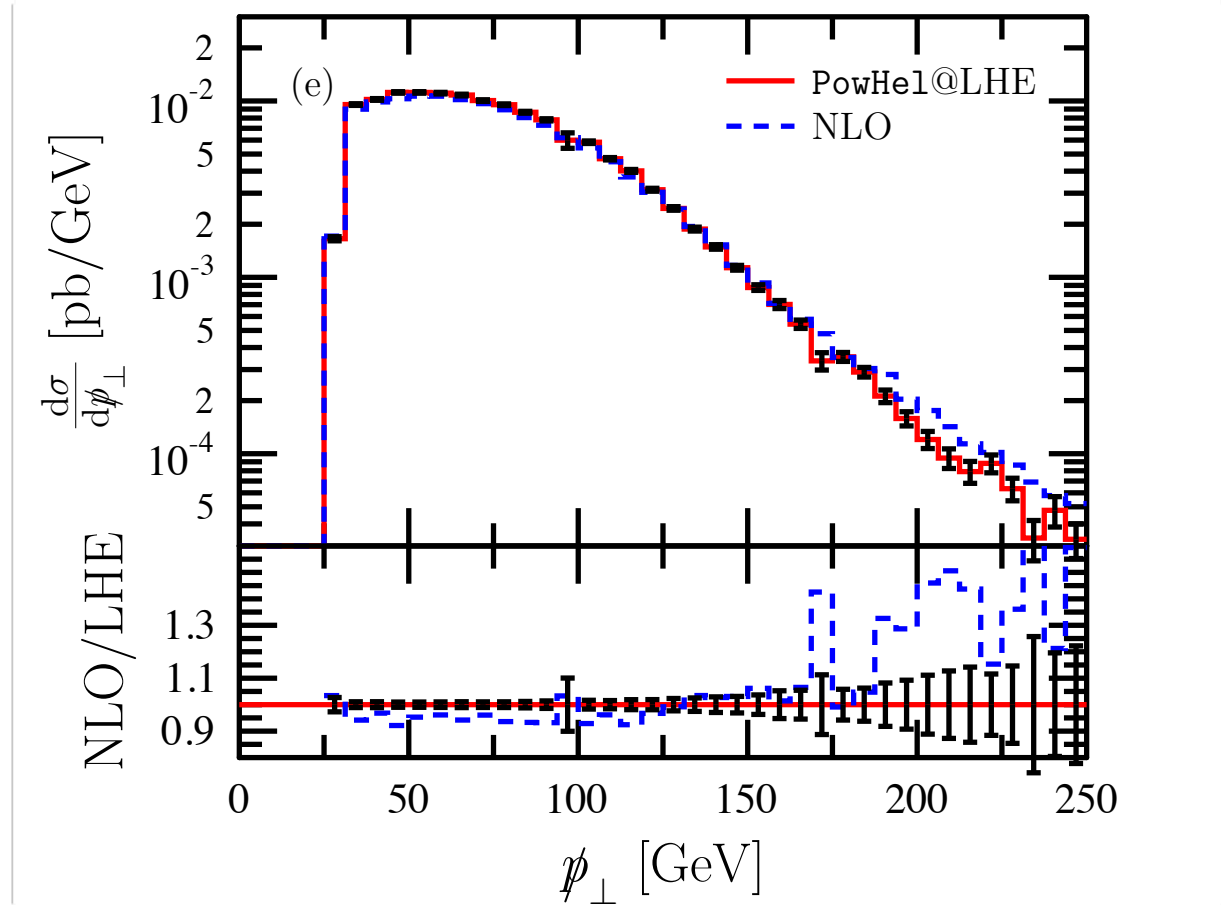
$$pp \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu b \bar{b} + X$$



Transverse momentum, rapidity of the positron at 7TeV
LHC

agreement is within 10%, Remember: $\sigma_{\text{LHE}} = \sigma_{\text{NLO}} + O(\alpha_s)$ Finite
[inclusive NLO K-factor is large (~ 1.5)]

$$pp \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu b \bar{b} + X$$



Missing transverse momentum, R-separation of the charged leptons at 7TeV LHC

missing pT differ above 150 GeV, $\sigma_{LHE} = \sigma_{NLO} + O(\alpha_s)$ Finite

differential NLO K-factor > 2 (3) above 150 (200) GeV

$$pp \rightarrow t \bar{t} + Z, H, A, \text{jet}$$

Similar, or better agreement between NLO and LHE
(discussed elsewhere)

Predictions

$$pp \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu b \bar{b} + X$$

Predictions for LHC at 7 TeV

Goal:

to check effect of various approximations to decays
and provide reliable predictions at hadron level

Cuts:

- anti- k_\perp , $R=0.4$
- $|\eta_{\text{trk}}|, |\eta_j| < 5, |\eta_{b\text{-jet}}| < 3, |\eta_l| < 2.5$
- $p_\perp^j, p_\perp^l > 20 \text{ GeV}, p_\perp > 30 \text{ GeV},$
- $\Delta R_{jl} > 0.4$
- at least one anti-b, b-jet, one isolated l^+ and l^-

Inclusive cross sections

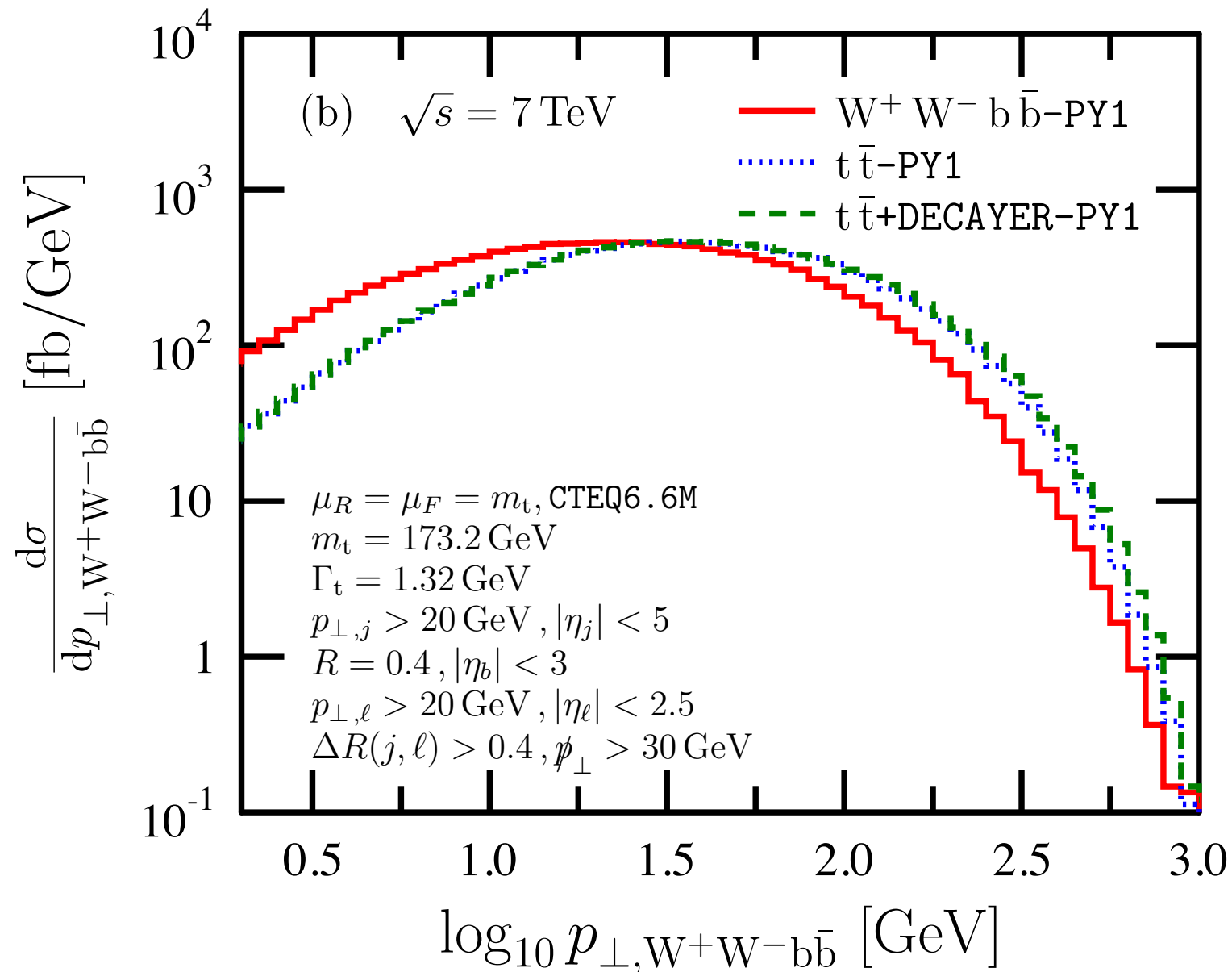
Effect of the PS/SMC:

	cuts (1–6)	cuts (1–6) + jet veto
σ_{LHE} (fb)	844 ± 3	460 ± 2
σ_{PS} (fb)	689 ± 3	416 ± 2
σ_{SMC} (fb)	633 ± 3	406 ± 2

Effect of the different decays:

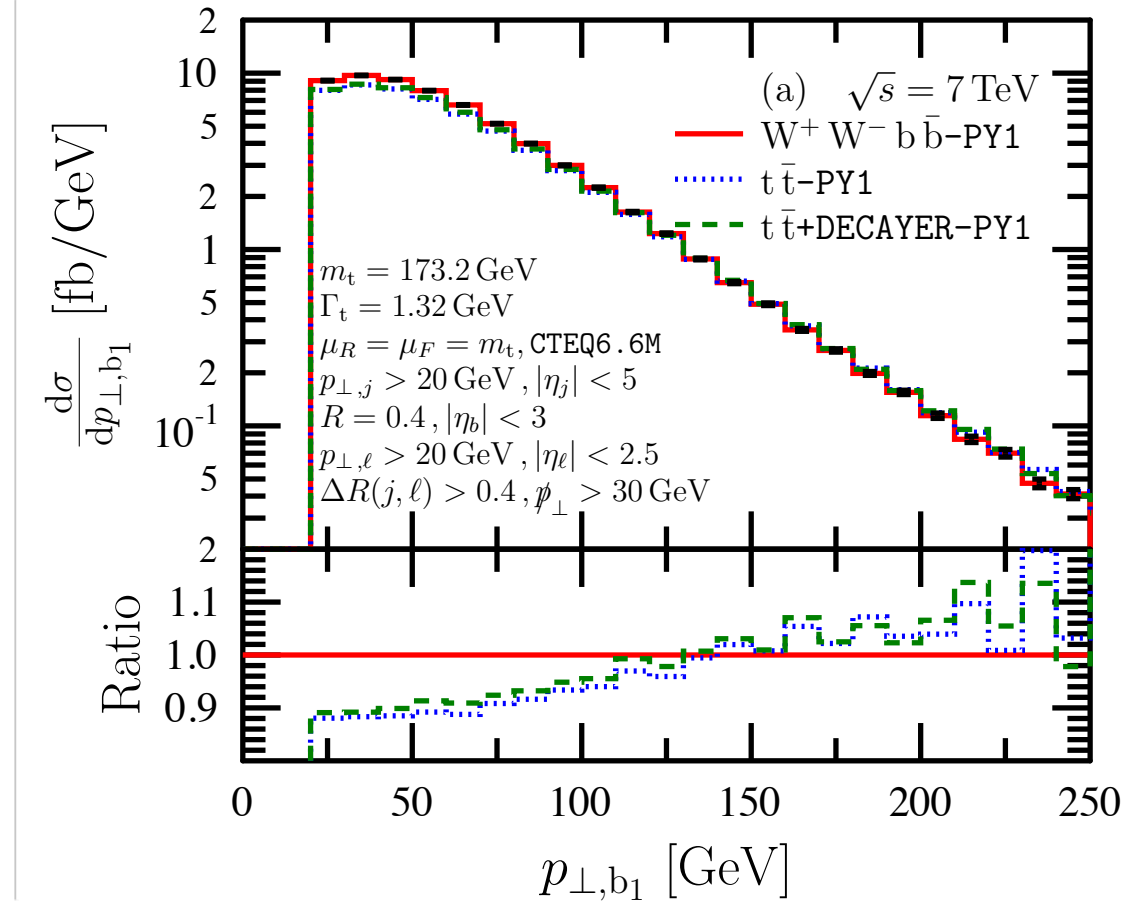
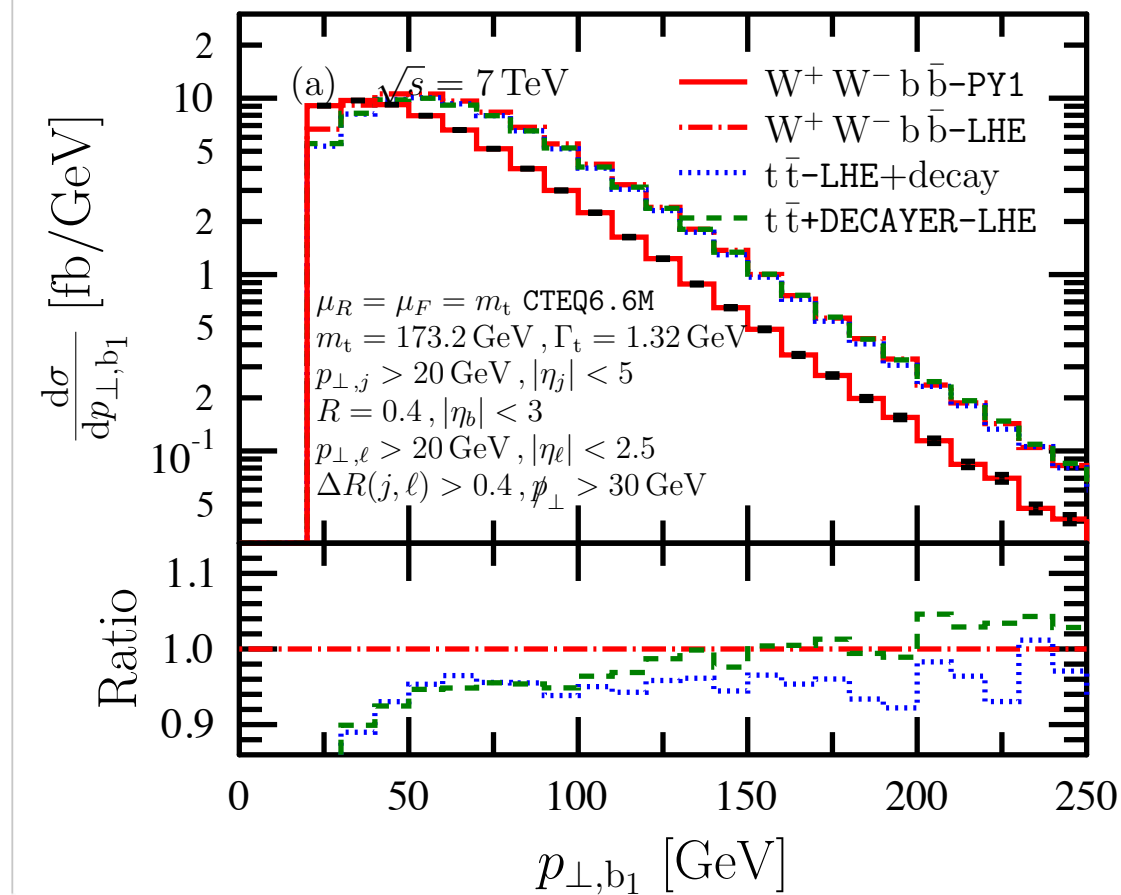
R/case	case 1	case 2	case 3
$\sigma(R = 0.4)$ (fb)	651.1 ± 2.8	572.5 ± 0.3	574.8 ± 0.5
$\sigma(R = 1.2)$ (fb)	685.9 ± 3.3	623.7 ± 0.3	623.1 ± 0.5

$$pp \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu b \bar{b} + X$$



Sudakov suppression at small p_{\perp} , main source of
 difference is origin of first radiation:
 from b in $WWb\bar{b}$, from t in $t\bar{t}$

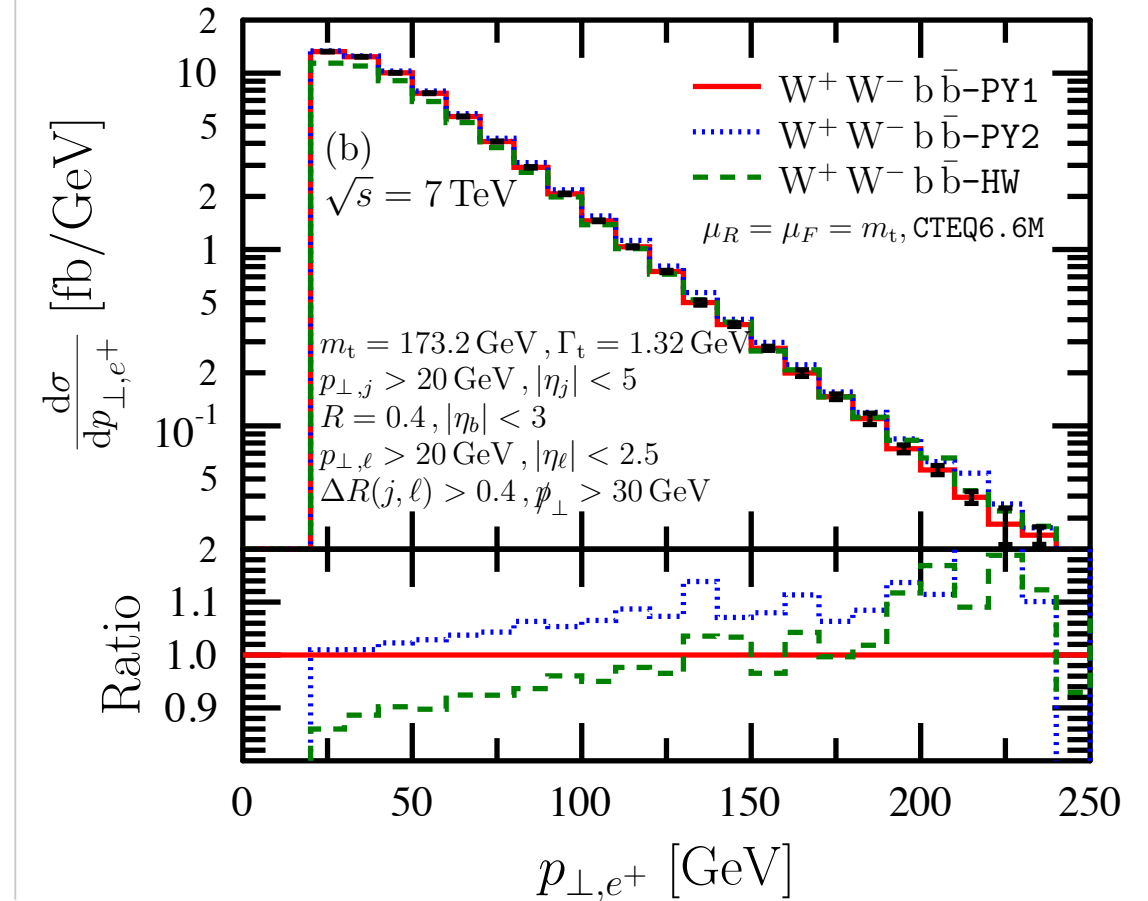
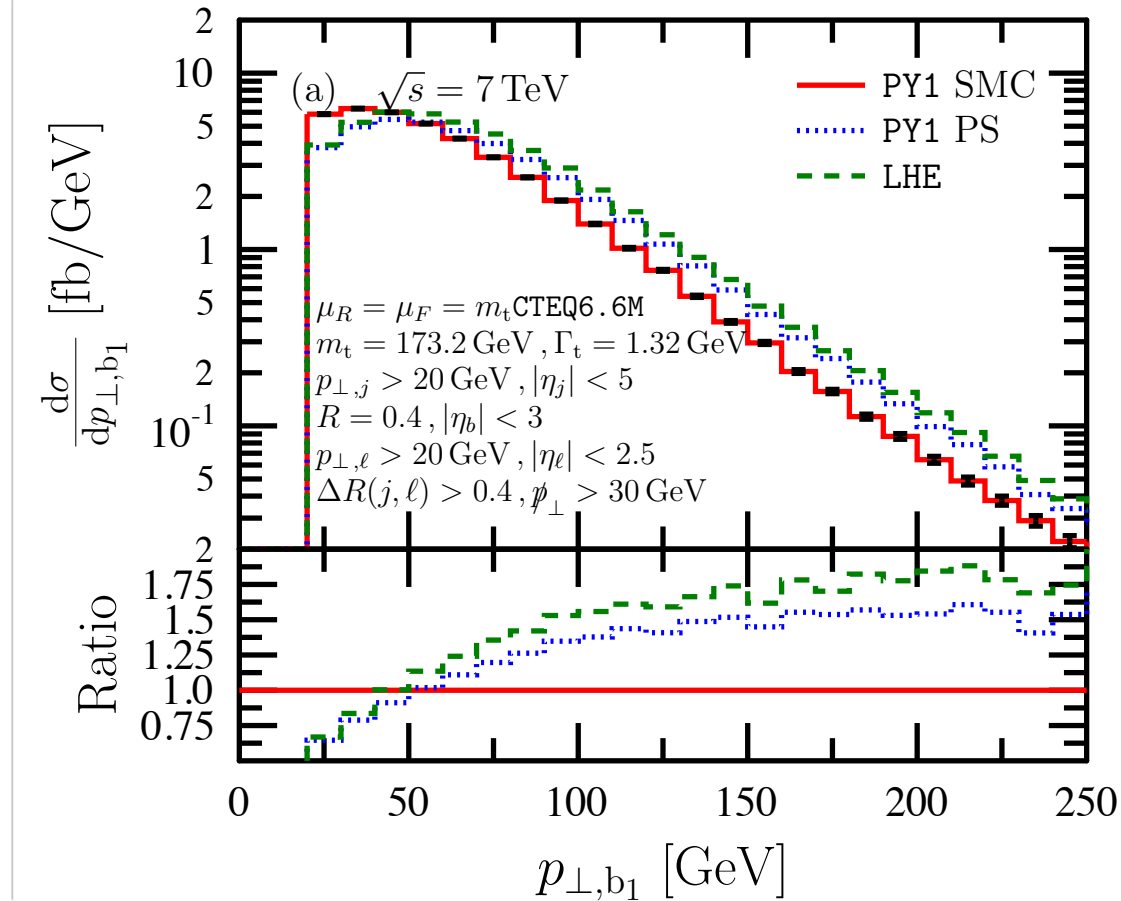
$$pp \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu b \bar{b} + X$$



Transverse momentum of b-jet before/after SMC
at 7TeV LHC

Effect of NWA vs DCA negligible
full vs NWA small

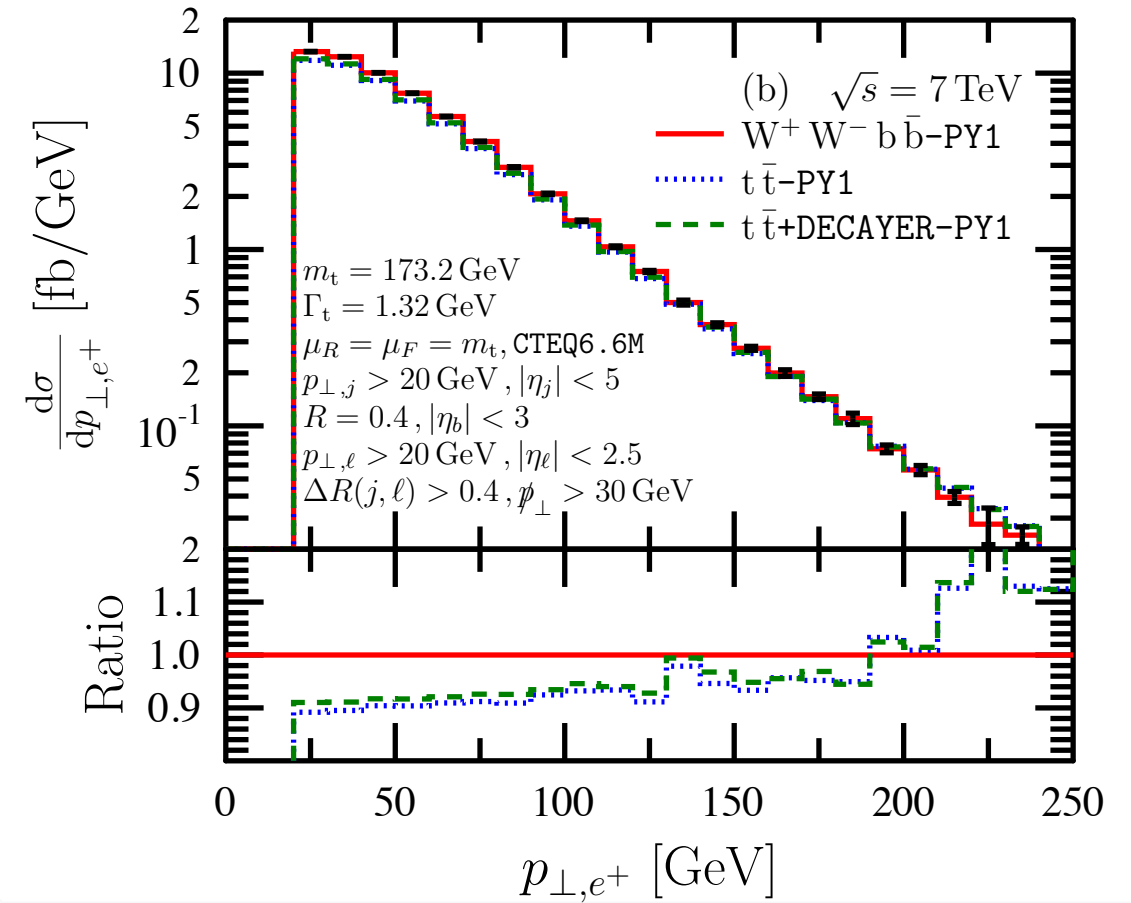
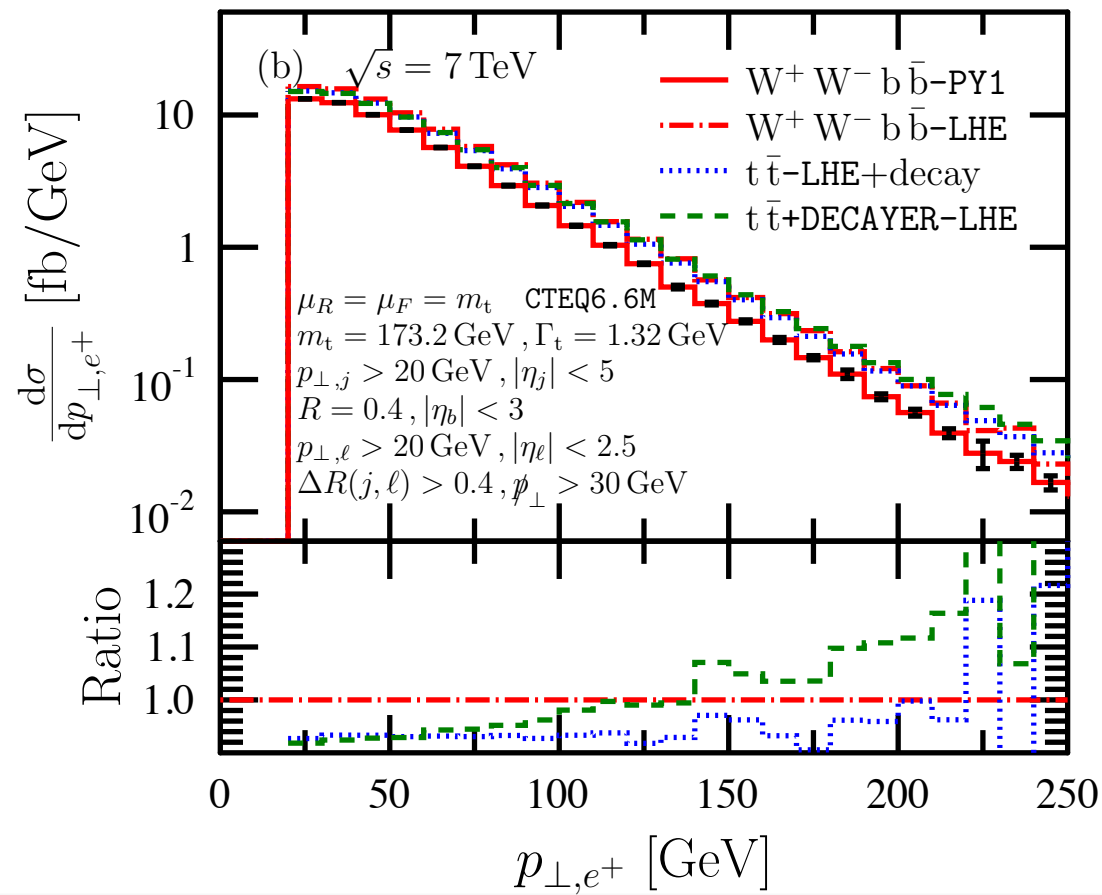
$$pp \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu b \bar{b} + X$$



Transverse momentum of b-jet before/after PS/SMC
at 7TeV LHC

Effect of PS 0-20%,
hadronization large

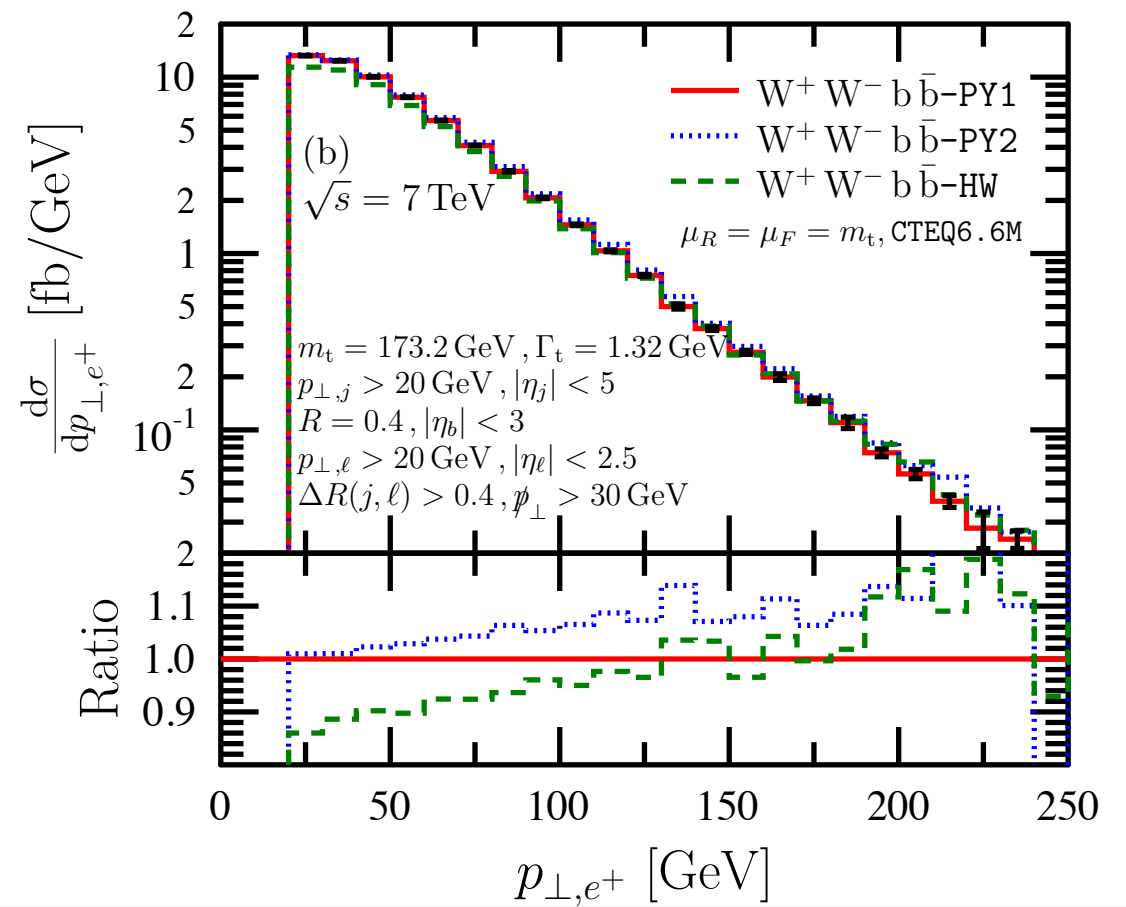
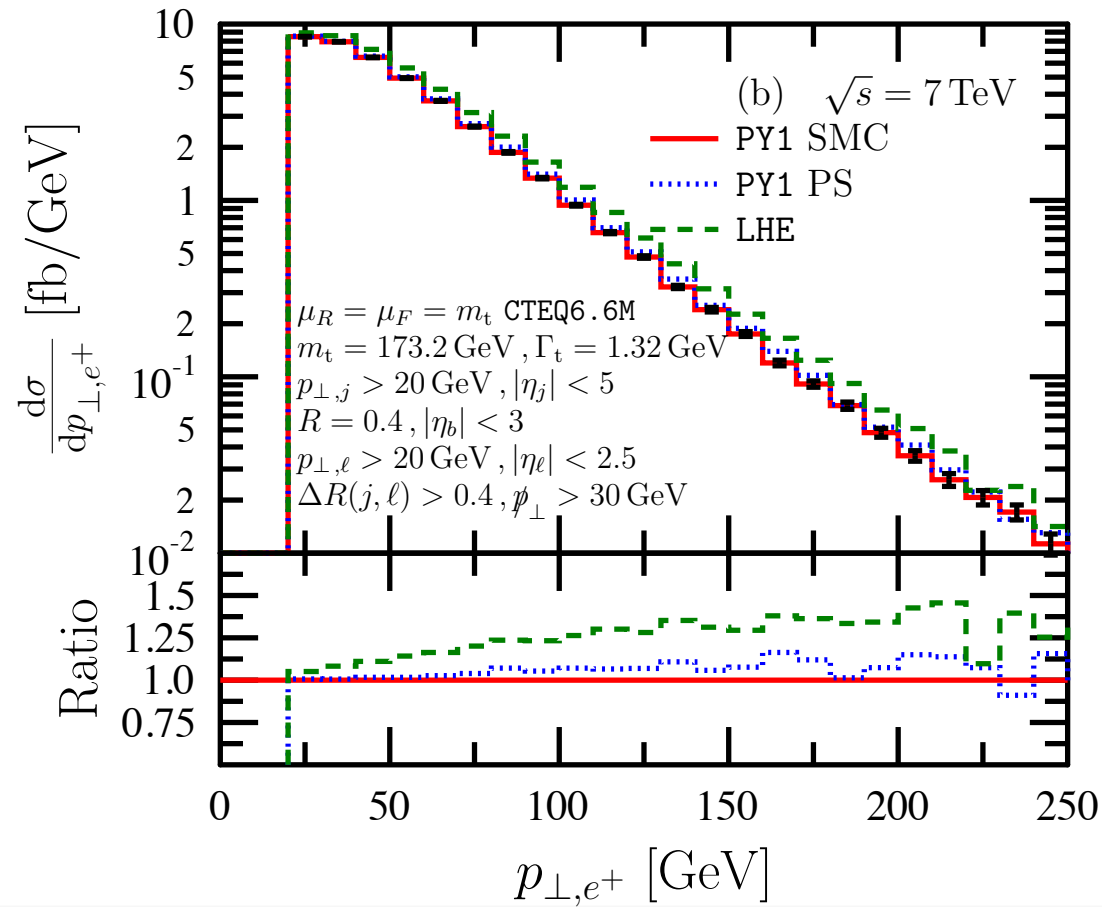
$$pp \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu b \bar{b} + X$$



Transverse momentum of positron before/after SMC
at 7TeV LHC

Effect of NWA vs DCA negligible
full vs NWA small

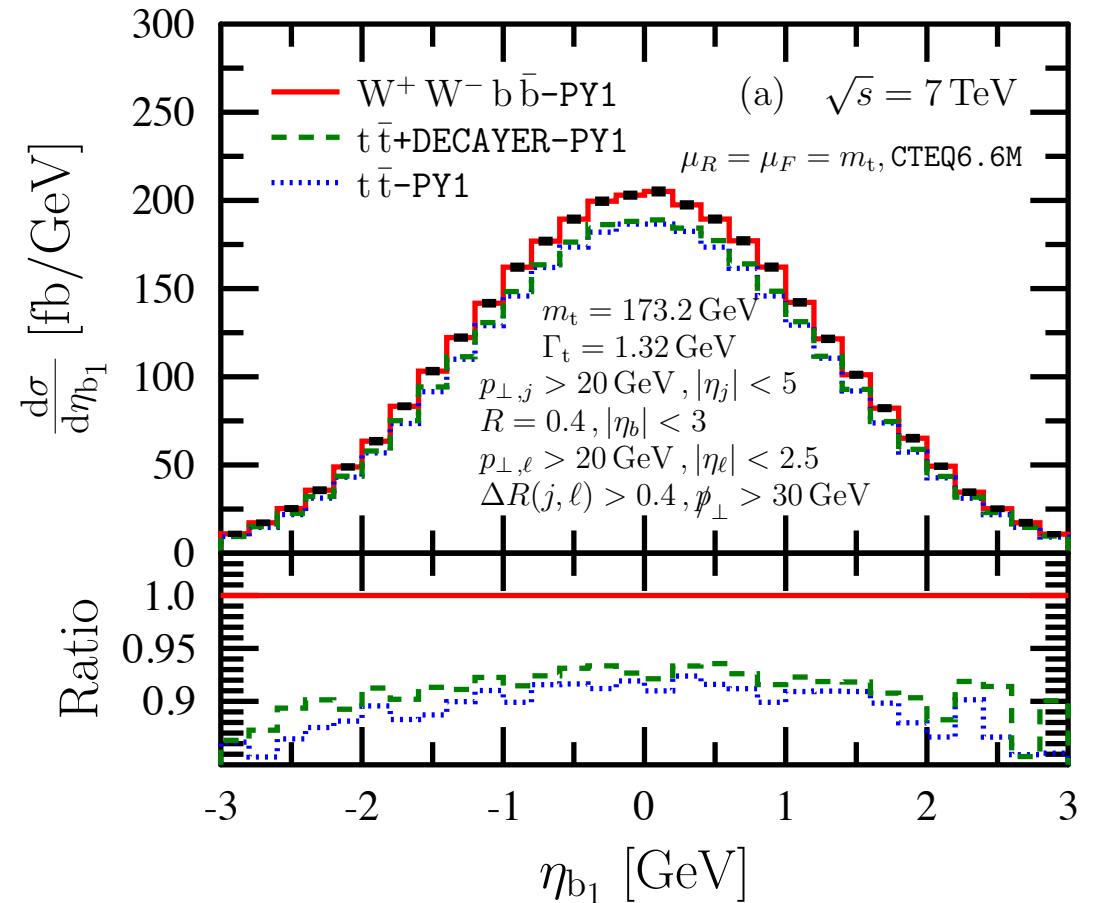
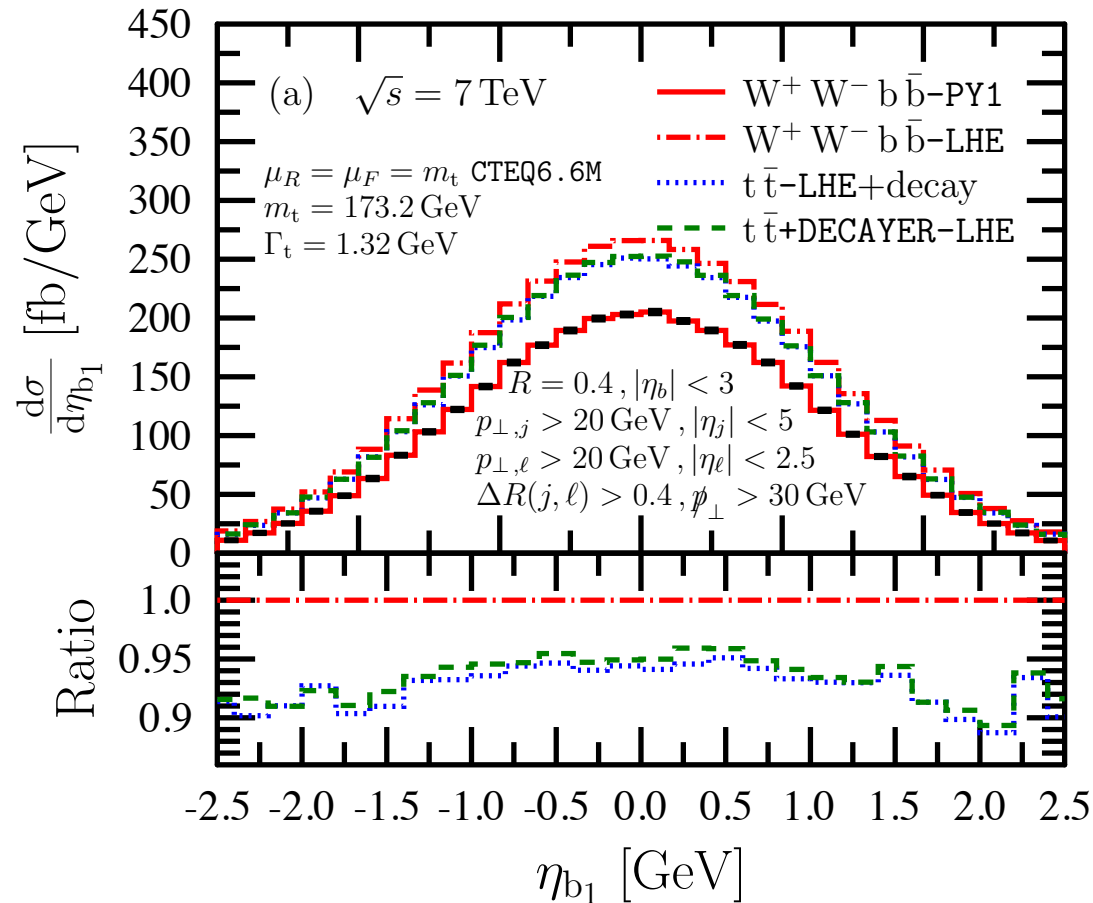
$$pp \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu b \bar{b} + X$$



Transverse momentum of positron before/after PS/SMC
 at 7TeV LHC

Effect of PS 0-20%,
 hadronization small

$$pp \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu b \bar{b} + X$$

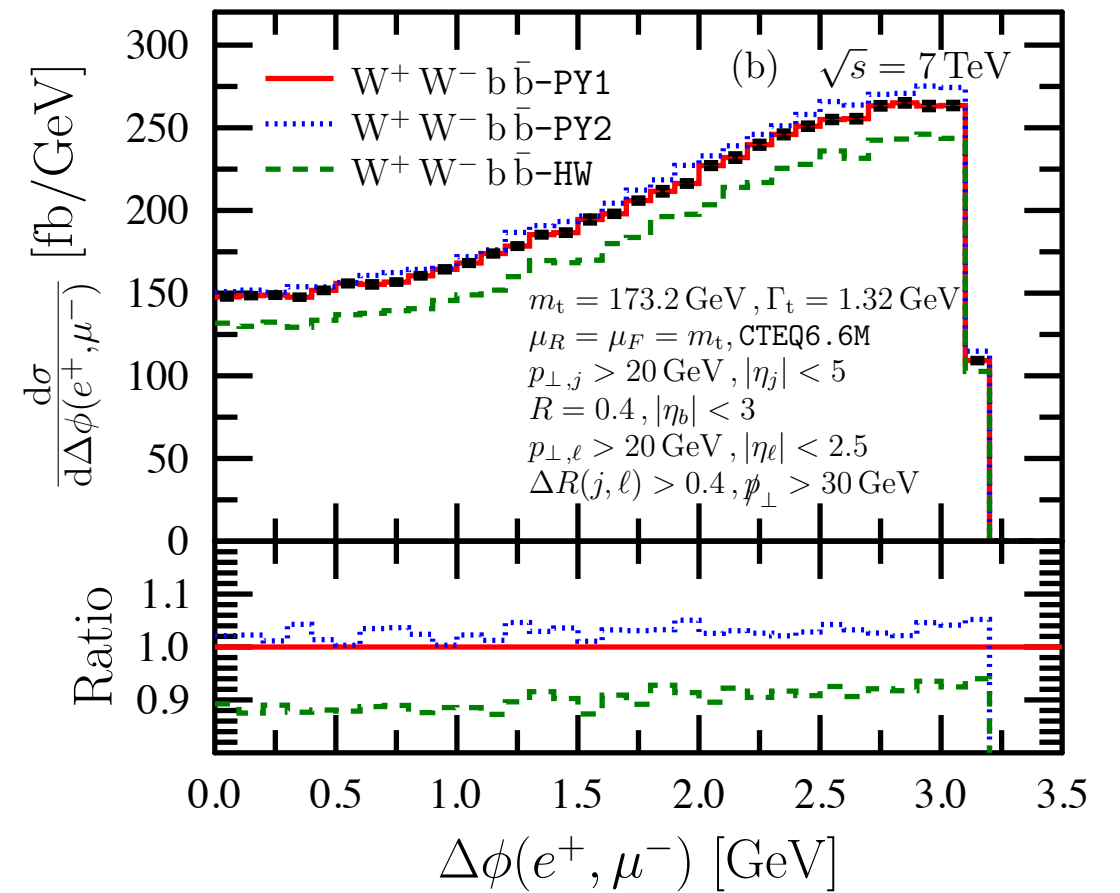
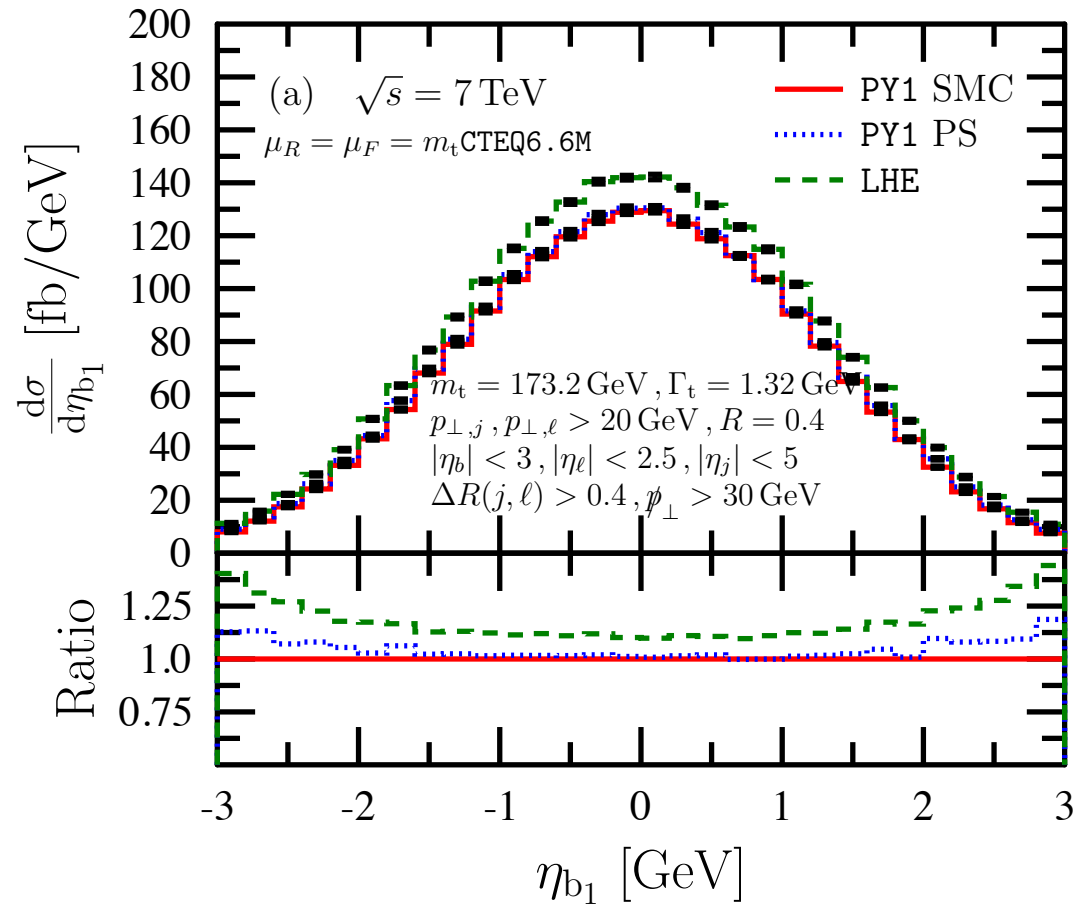


Pseudorapidity of b-jet before/after SMC
at 7TeV LHC

Effect of NWA vs DCA negligible

full vs NWA differ mainly in normalization, slightly in shape

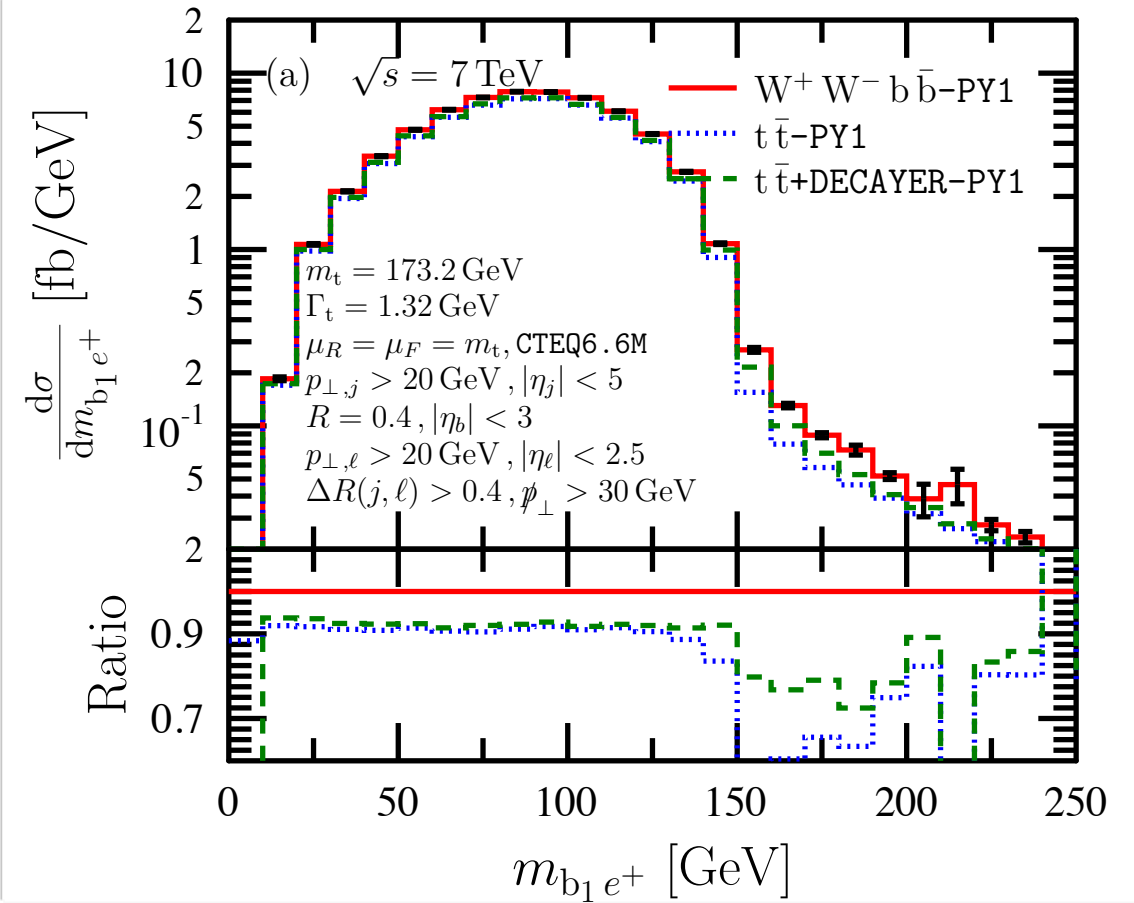
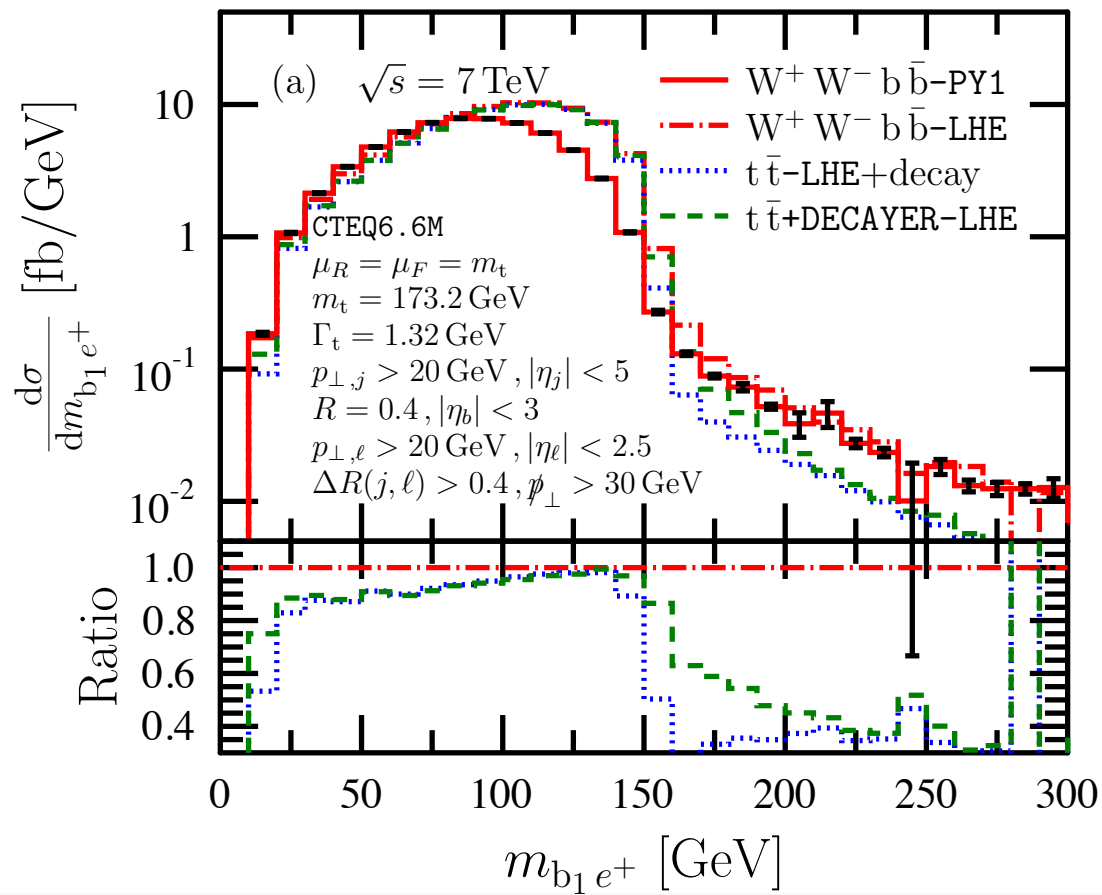
$$pp \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu b \bar{b} + X$$



Pseudorapidity of b-jet before/after PS/SMC
 at 7TeV LHC

Effect of PS 15-20%,
 hadronization small

$$pp \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu b \bar{b} + X$$

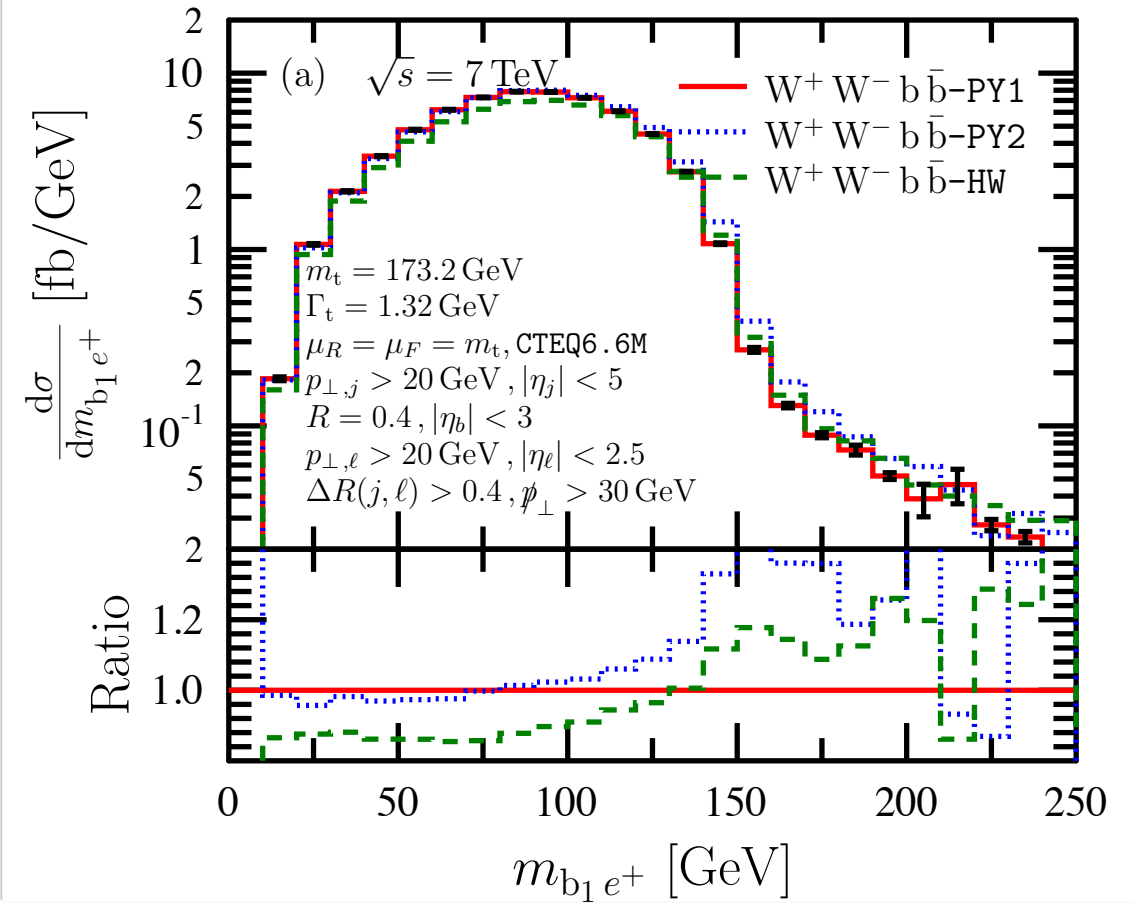
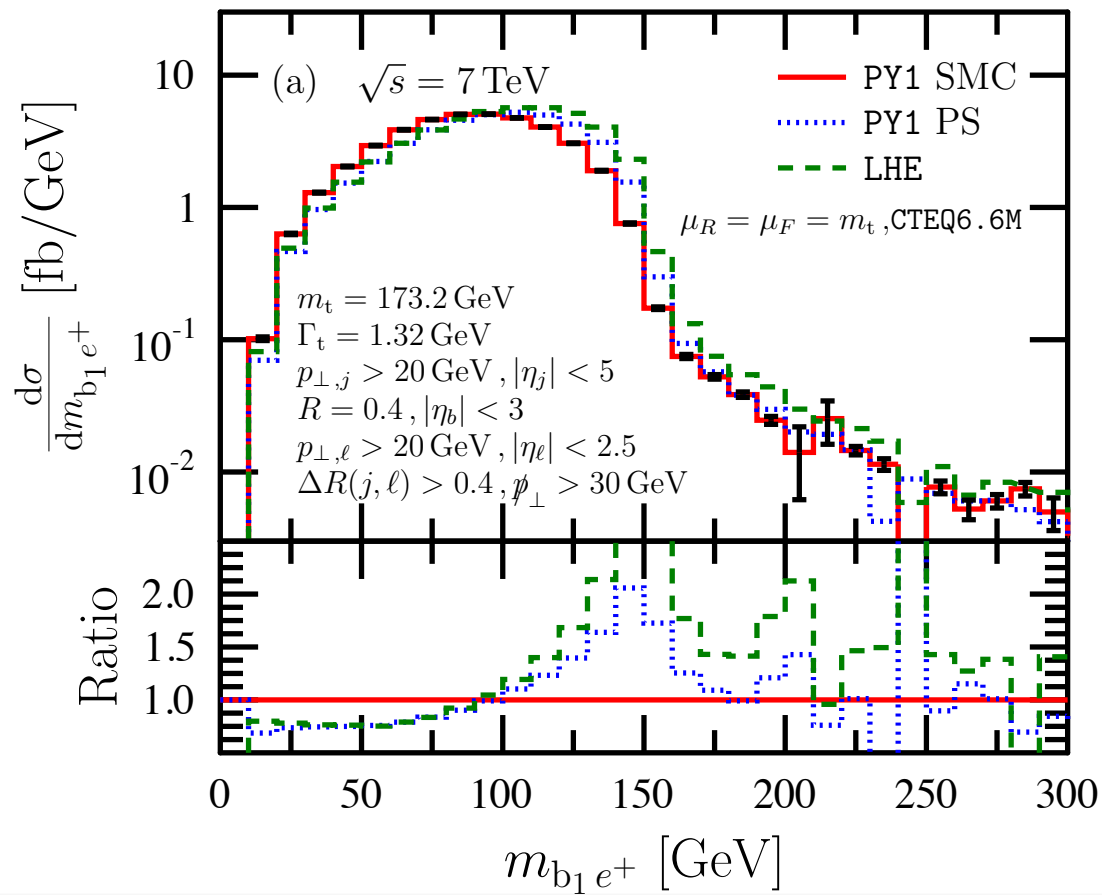


Invariant mass of positron and b-jet before/after SMC
at 7 TeV LHC

Effect of NWA vs DCA small

full vs NWA ~10% below, ~30% above 150 GeV

$$pp \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu b \bar{b} + X$$

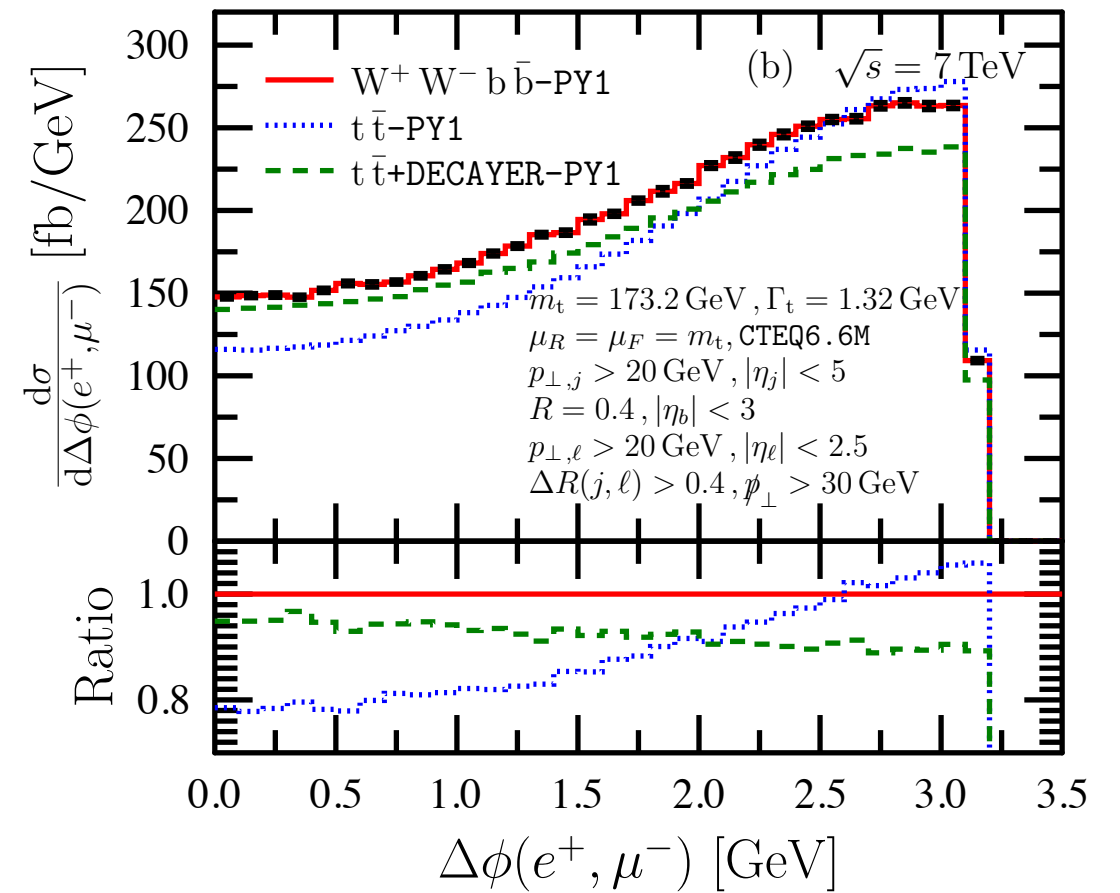
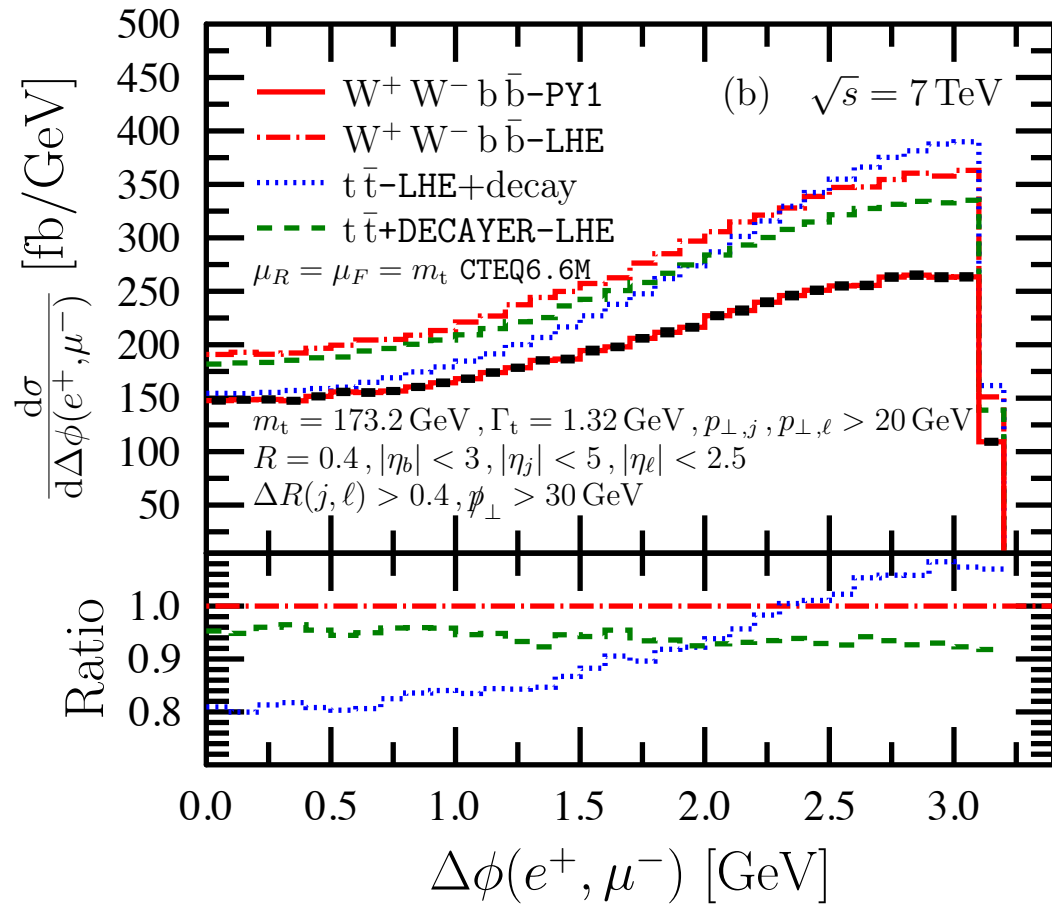


Invariant mass of positron and b-jet before/after PS/
SMC at 7 TeV LHC

Effect of PS 0-20%,

hadronization in general small, but large at kinematic boundary

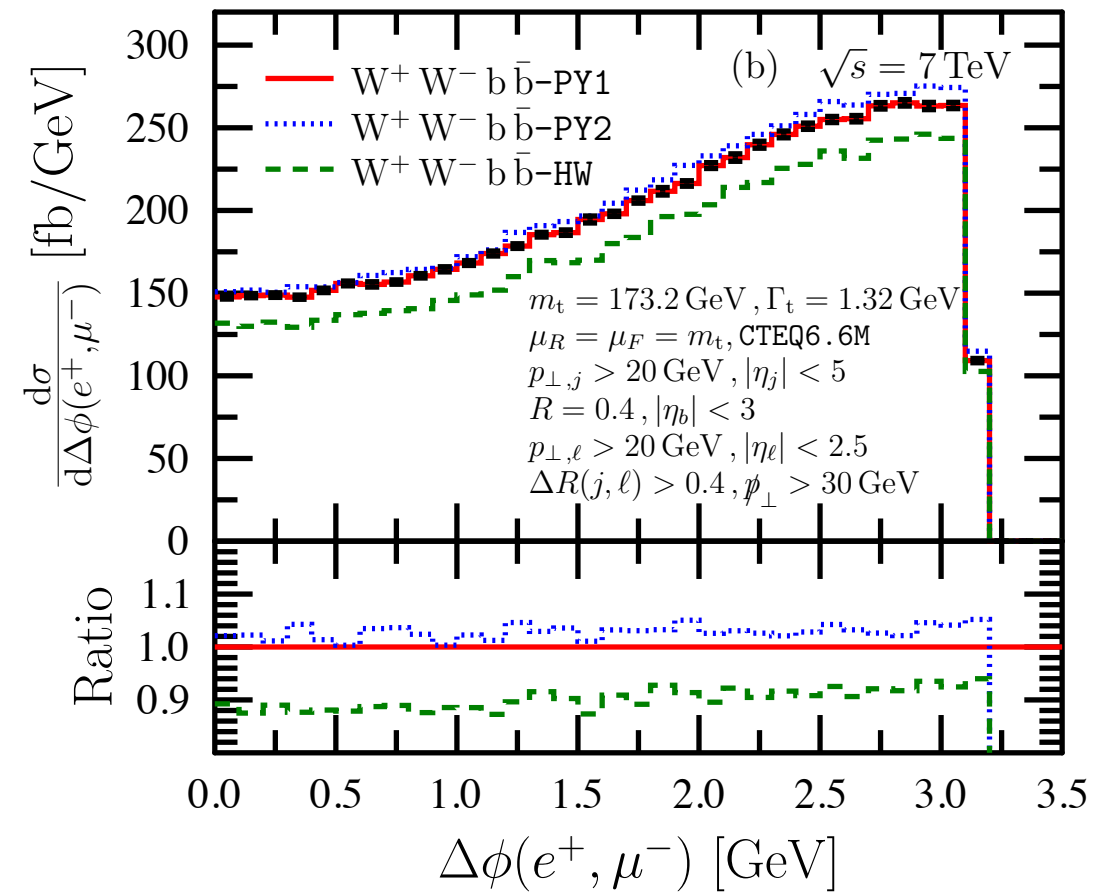
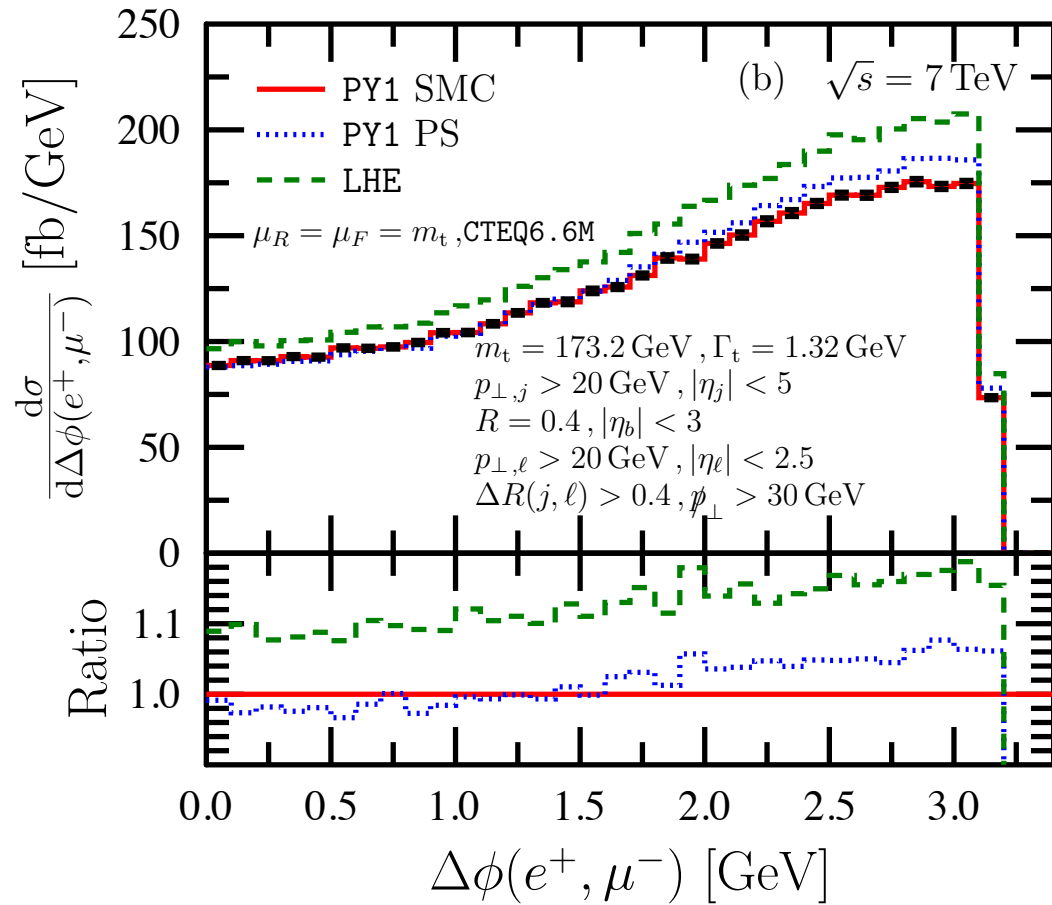
$$pp \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu b \bar{b} + X$$



Azimuthal separation of positron and muon before/after
SMC at 7TeV LHC

Only distribution where NWA vs DCA differ (among 32)
full - NWA similar in shape

$$pp \rightarrow e^+ \nu_e \mu^- \bar{\nu}_\mu b \bar{b} + X$$



Azimuthal separation of positron and muon before/after
PS/SMC at 7 TeV LHC

Effect of PS 10%,
hadronization small

$$pp \rightarrow t \bar{t} + Z, H, A, \text{jet}$$

(discussed elsewhere)

Conclusions and outlook

Conclusions

- ✓ First applications of POWHEG-Box to $pp \rightarrow t\bar{t} + \text{hard } X$ processes
- ✓ SME's obtained from HELAC-NLO
- ✓ NLO cross sections are reproduced
- ✓ PowHel LH events are reliable
- ➡ Effects of decays and showers are often important, depending on process, observable, shower setup and selection
- ✓ LHE event files for $pp \rightarrow t\bar{t}$, $t\bar{t}H/A$, $t\bar{t}\text{jet}$, $t\bar{t}Z$, $W^+W^-b\bar{b}$ processes available
- ➡ Predictions for LHC with NLO+PS accuracy

Room for improvement

- ➡ Study scale choices and dependences
- ➡ Study dependence on PDF
- ➡ NLO decays in DECAYER
- ➡ Make accuracy quantitative
- ➡ Improve efficiency of event generation if remnant large
- ➡ Extension to further processes...

Implemented Processes

✓ + T

✓ + T + Z

✓ + T + H/A

✓ + T + j

✓ WWbB

* + T + ... (not yet public)

The end