

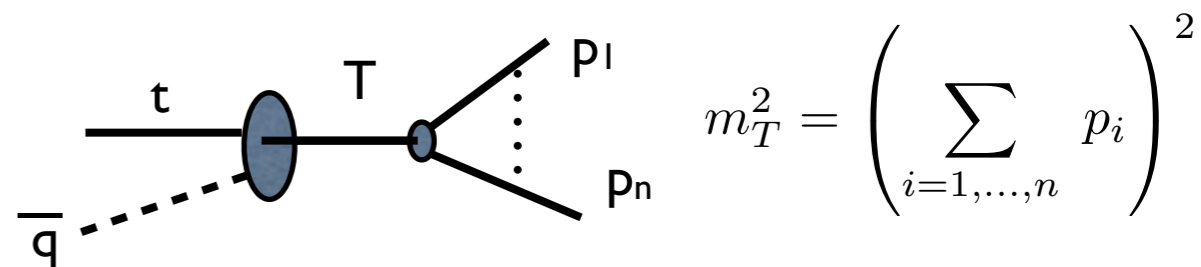
Anatomy of top production and decay, and impact on m_{top} measurement

LHC top WG meeting
CERN, July 19 2012

Michelangelo Mangano
CERN PH-TH

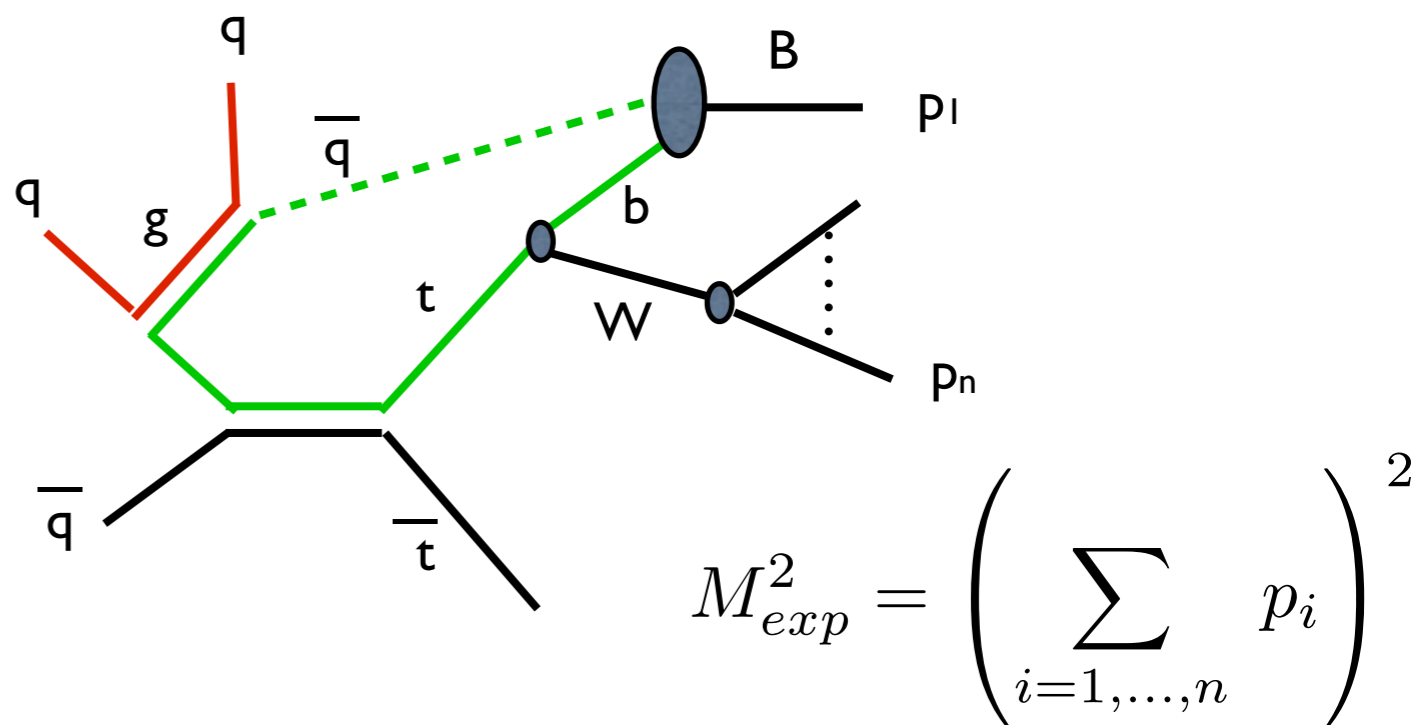
Definition of m_{top}

If $\Gamma_{\text{top}} < 1 \text{ GeV}$, top would hadronize before decaying. Same as b-quark



$$m_t = F_{\text{lattice/potential models}}(m_T, \alpha_{\text{QCD}})$$

But $\Gamma_{\text{top}} > 1 \text{ GeV}$, top decays before hadronizing. Extra antiquarks must be added to the top-quark decay final state in order to produce the physical state whose mass will be measured



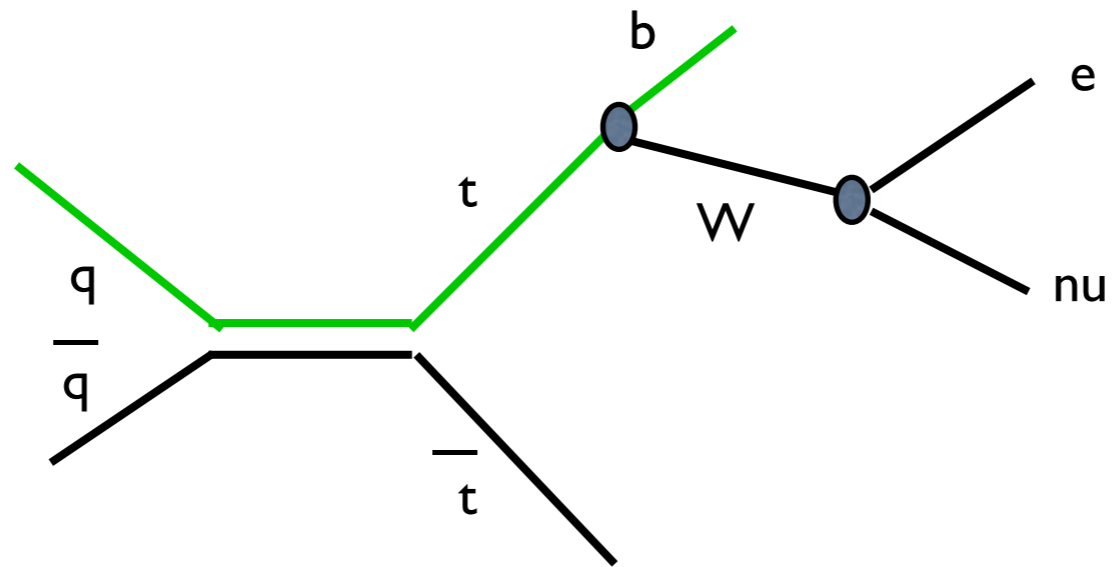
As a result, M_{exp} is not equal to $m_{\text{top}}^{\text{pole}}$, and will vary in each event, depending on the way the event has evolved.

The top mass extracted in hadron collisions is not well defined below a precision of $O(\Gamma_{\text{top}}) \sim 1 \text{ GeV}$

Goal:

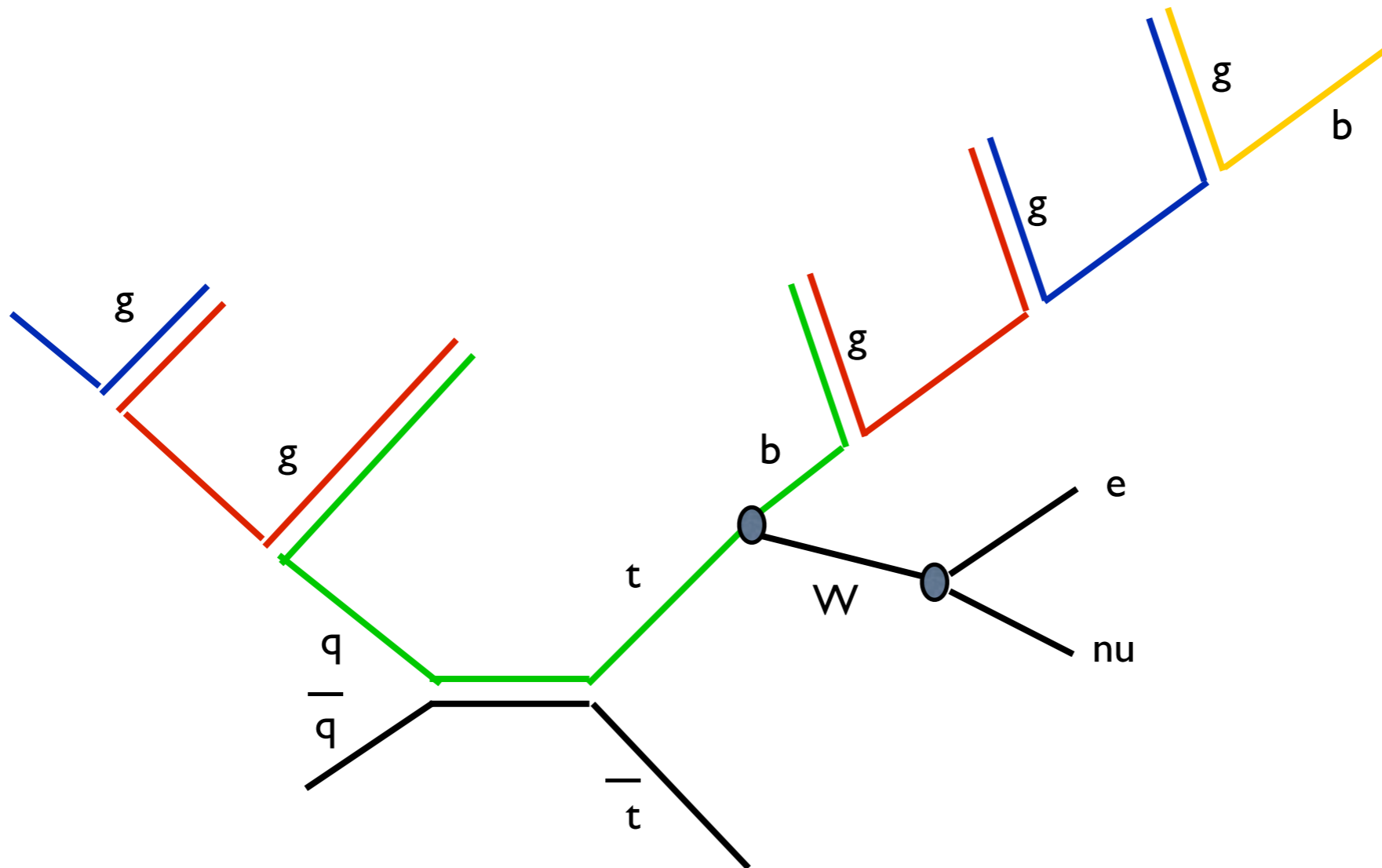
- correctly quantify the systematic uncertainty
- identify observables that allow to validate the theoretical modeling of hadronization in top decays
- identify observables less sensitive to these effects

I. Hard Process



1. Hard Process

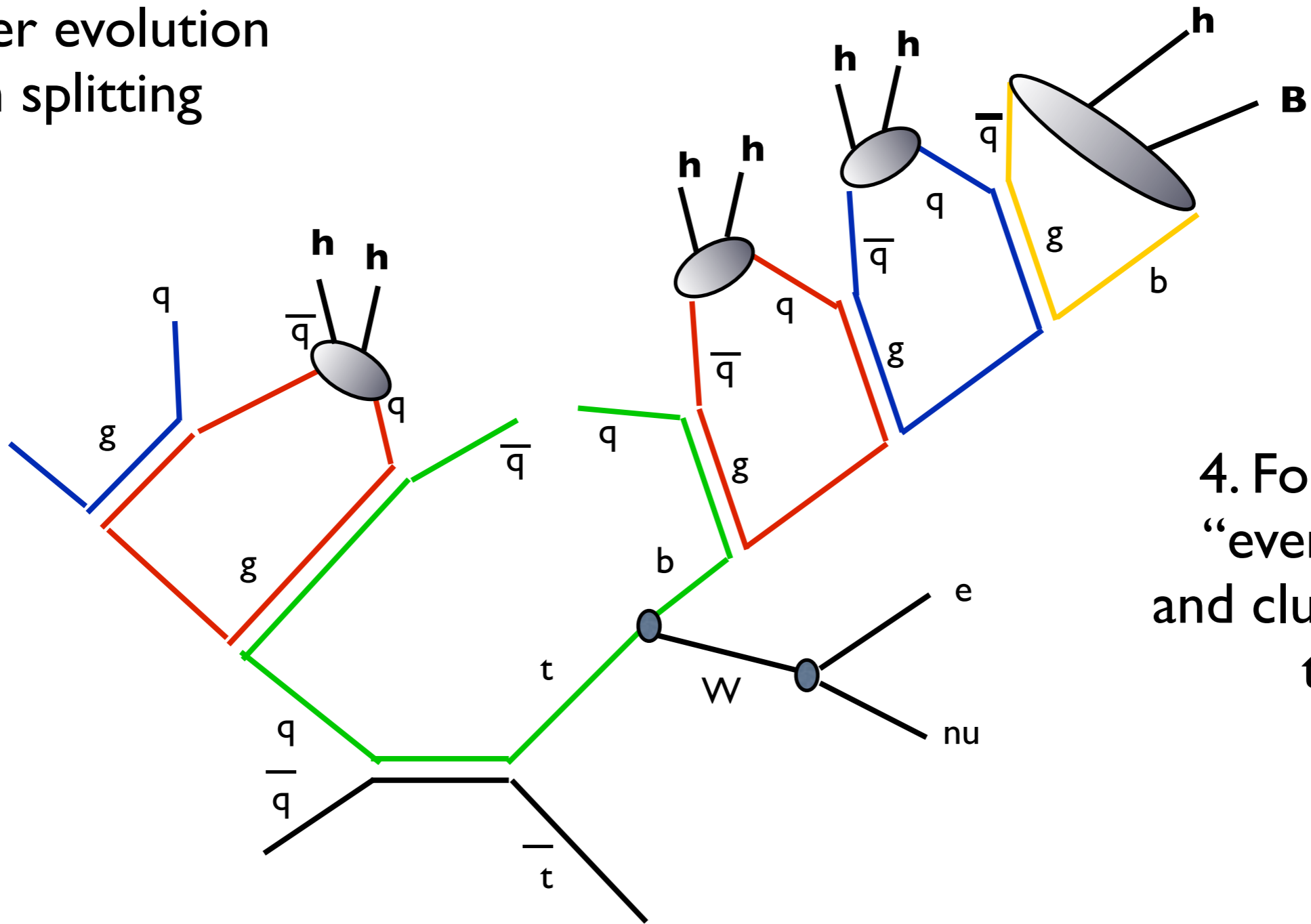
2. Shower evolution



1. Hard Process

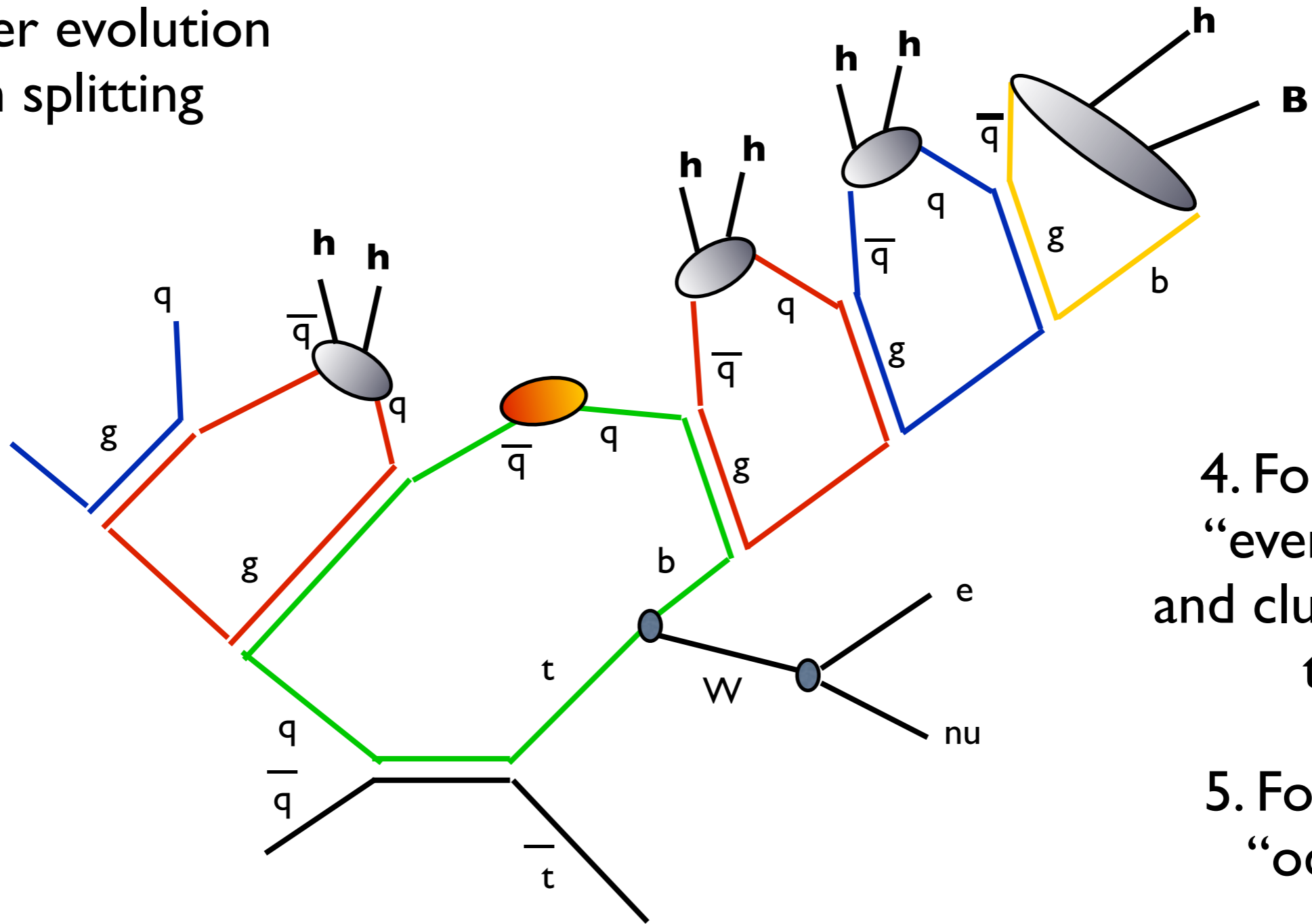
2. Shower evolution

3. Gluon splitting



4. Formation of
"even" clusters
and cluster decay
to hadrons

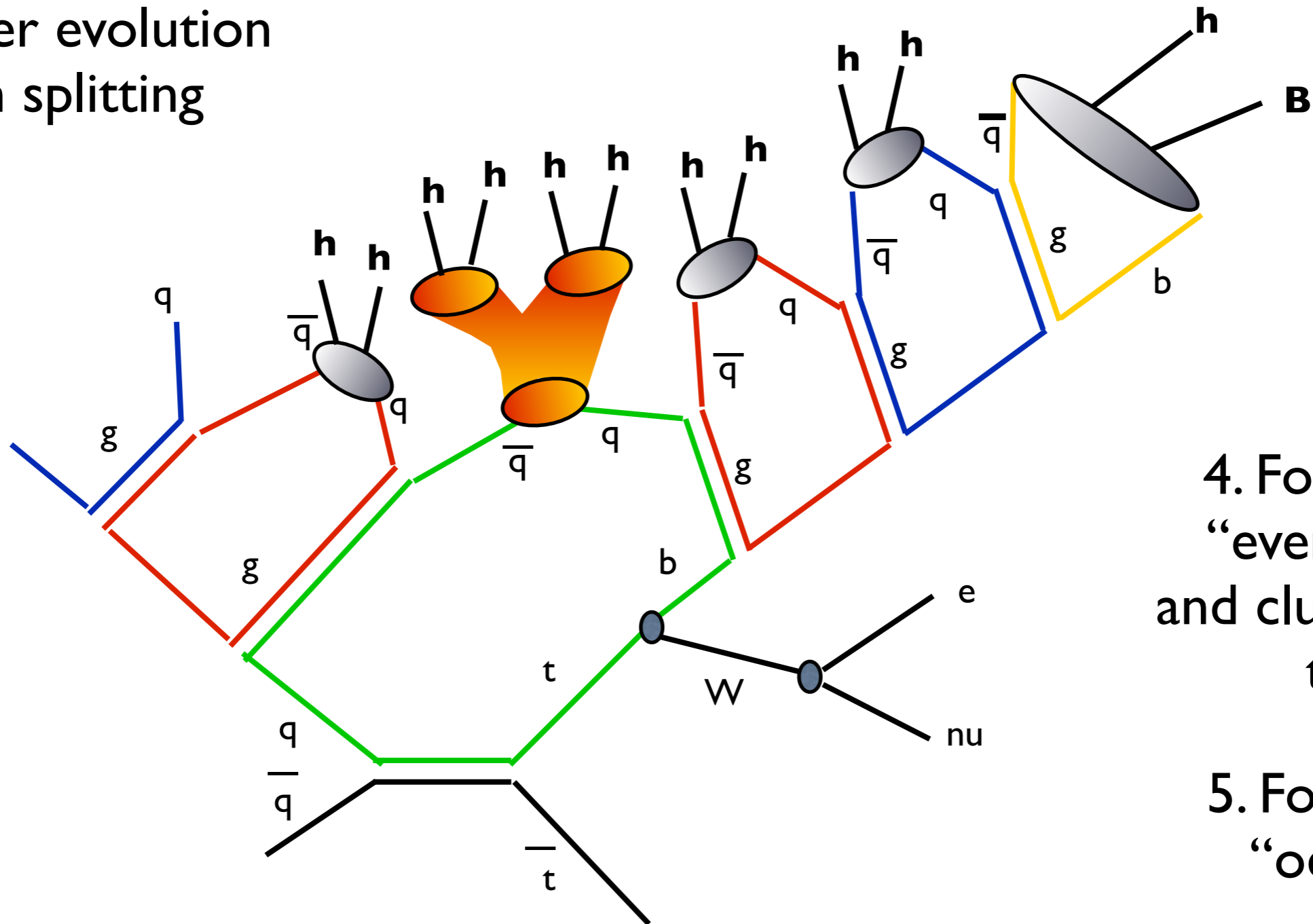
1. Hard Process
2. Shower evolution
3. Gluon splitting



4. Formation of
"even" clusters
and cluster decay
to hadrons

5. Formation of
"odd" cluster

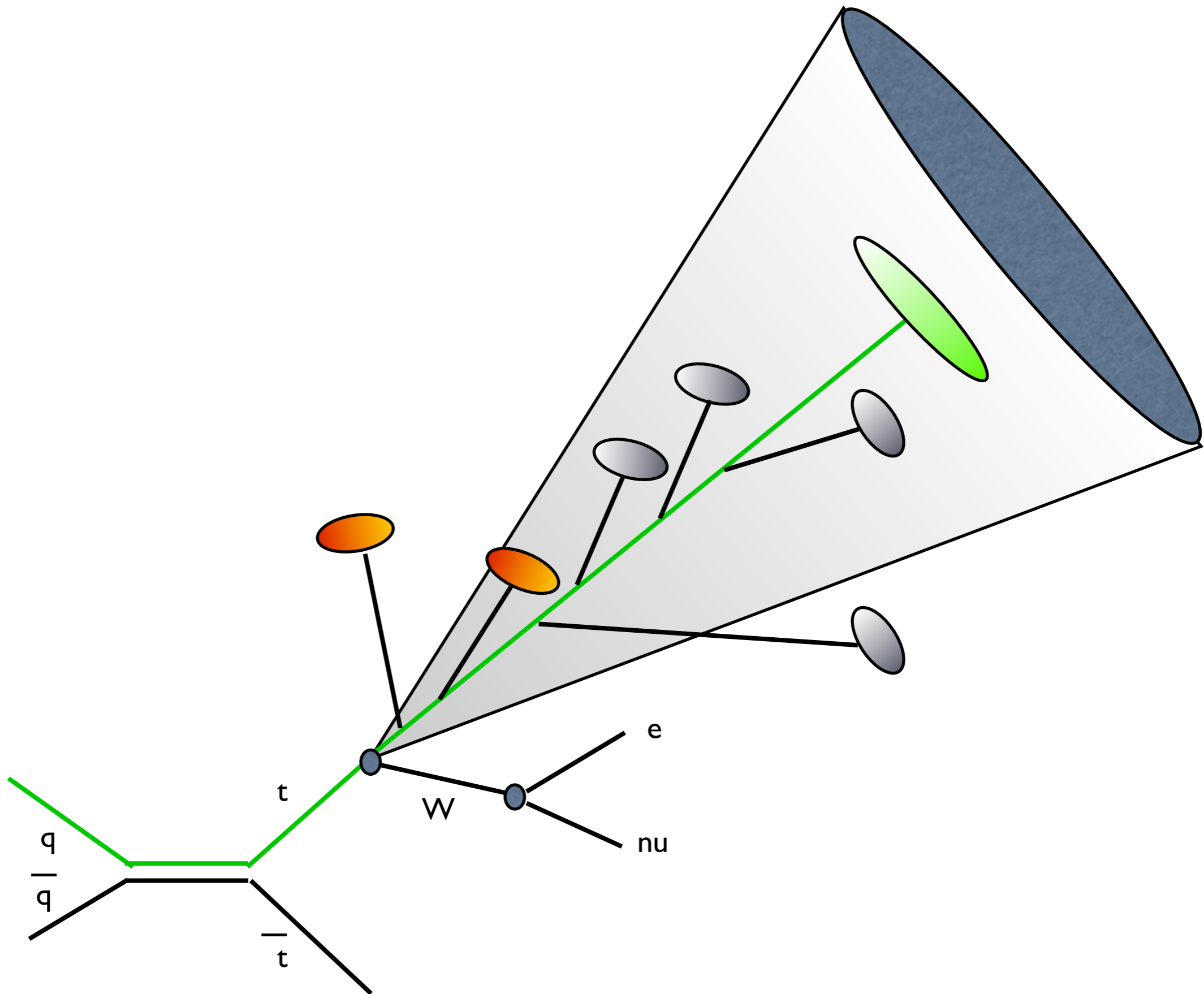
1. Hard Process
2. Shower evolution
3. Gluon splitting



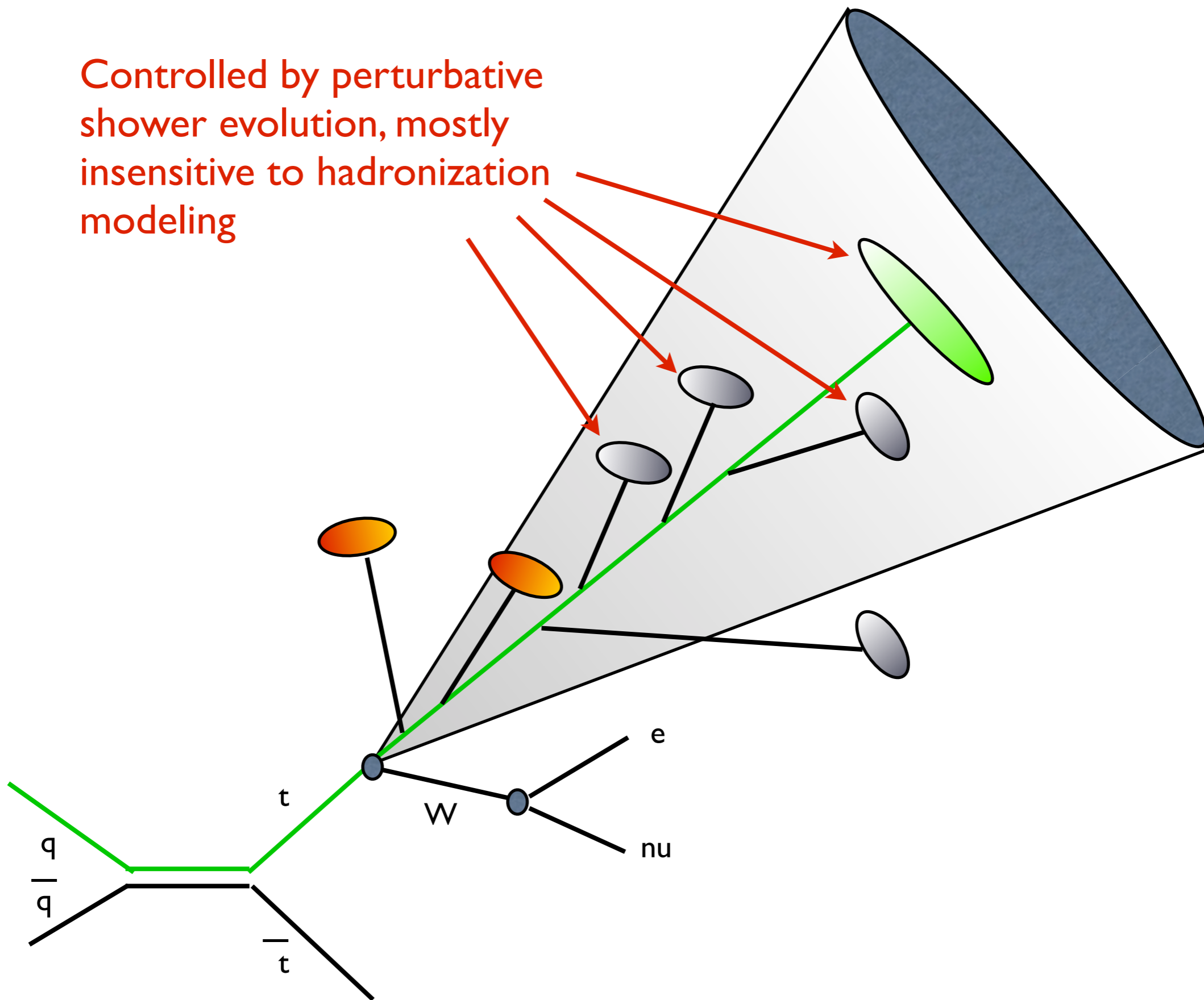
4. Formation of “even” clusters and cluster decay to hadrons

5. Formation of “odd” cluster

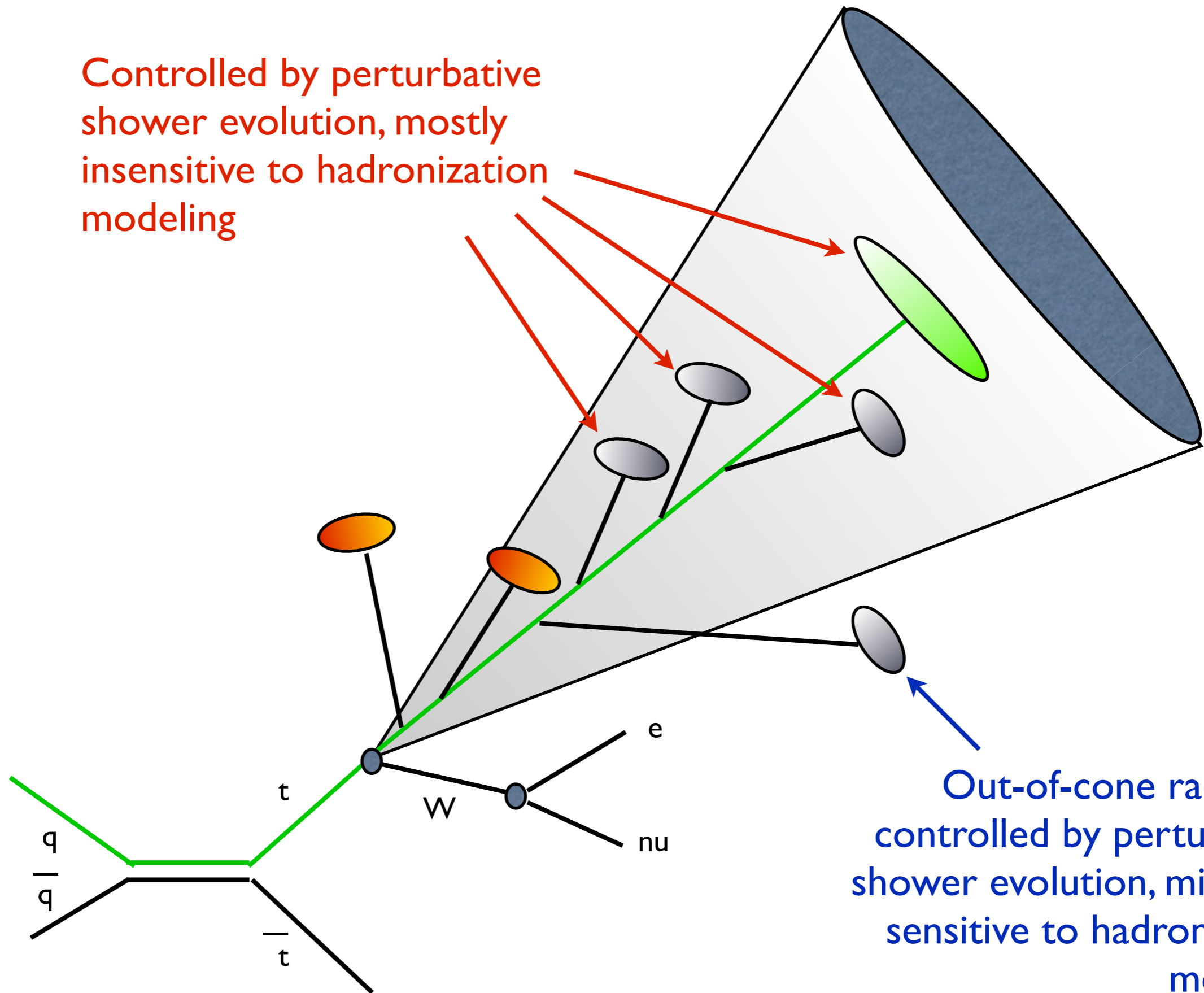
6. Decay of “odd” clusters, if large cluster mass, and decays to hadrons



Controlled by perturbative shower evolution, mostly insensitive to hadronization modeling



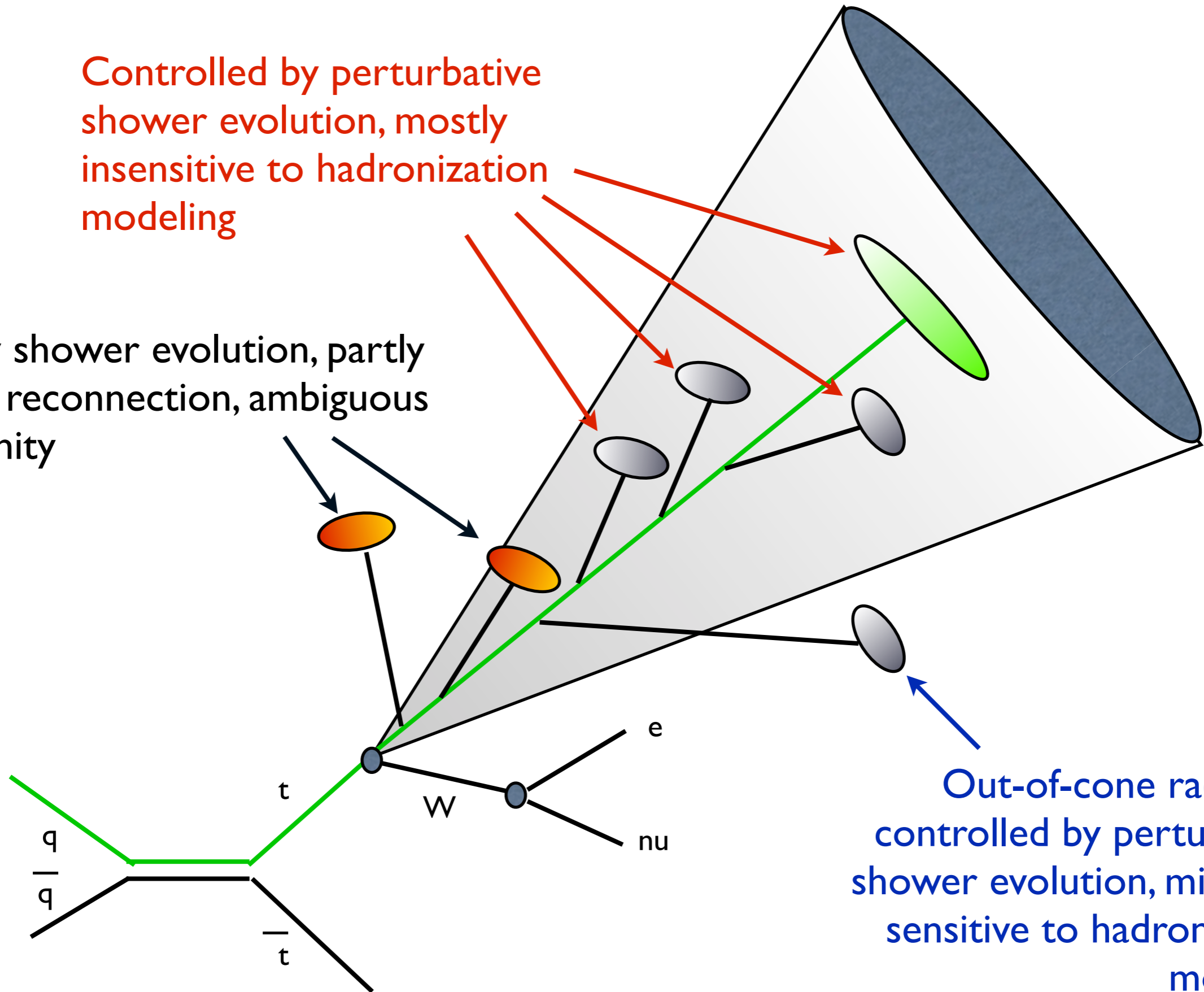
Controlled by perturbative shower evolution, mostly insensitive to hadronization modeling



Out-of-cone radiation, controlled by perturbative shower evolution, minimally sensitive to hadronization modeling

Controlled by perturbative shower evolution, mostly insensitive to hadronization modeling

Partly shower evolution, partly color reconnection, ambiguous paternity



Out-of-cone radiation, controlled by perturbative shower evolution, minimally sensitive to hadronization modeling

$$m_{\text{top}}^2 \text{ “=” } (p_W + p_{\text{b-jet}})^2$$

“=” : this relation defines a template distribution, whose shape depends on $m_{\text{top}}^{\text{MC}}$

$$p_{\text{b-jet}} = p_{\text{jet}}(\text{even clusters}) + p_{\text{jet}}(\text{odd clusters})$$

define “jet” as clusters within $\Delta R < 0.4$ from b-quark direction

$$m_{\text{top}}^2 \text{ “=” } (p_W + p_{\text{b-jet}})^2$$

“=” : this relation defines a template distribution, whose shape depends on $m_{\text{top}}^{\text{MC}}$

$$p_{\text{b-jet}} = p_{\text{jet}}(\text{even clusters}) + p_{\text{jet}}(\text{odd clusters})$$

define “jet” as clusters within $\Delta R < 0.4$ from b-quark direction

Will now study the contribution of odd clusters, and its event-by-event dependence

- cluster multiplicity
- gg vs qqbar initial state
- dependence on p_{top}
- LHC vs Tevatron

$$m_{\text{top}}^2 \text{ “=” } (p_W + p_{\text{b-jet}})^2$$

“=” : this relation defines a template distribution, whose shape depends on $m_{\text{top}}^{\text{MC}}$

$$p_{\text{b-jet}} = p_{\text{jet}}(\text{even clusters}) + p_{\text{jet}}(\text{odd clusters})$$

define “jet” as clusters within $\Delta R < 0.4$ from b-quark direction

Will now study the contribution of odd clusters, and its event-by-event dependence

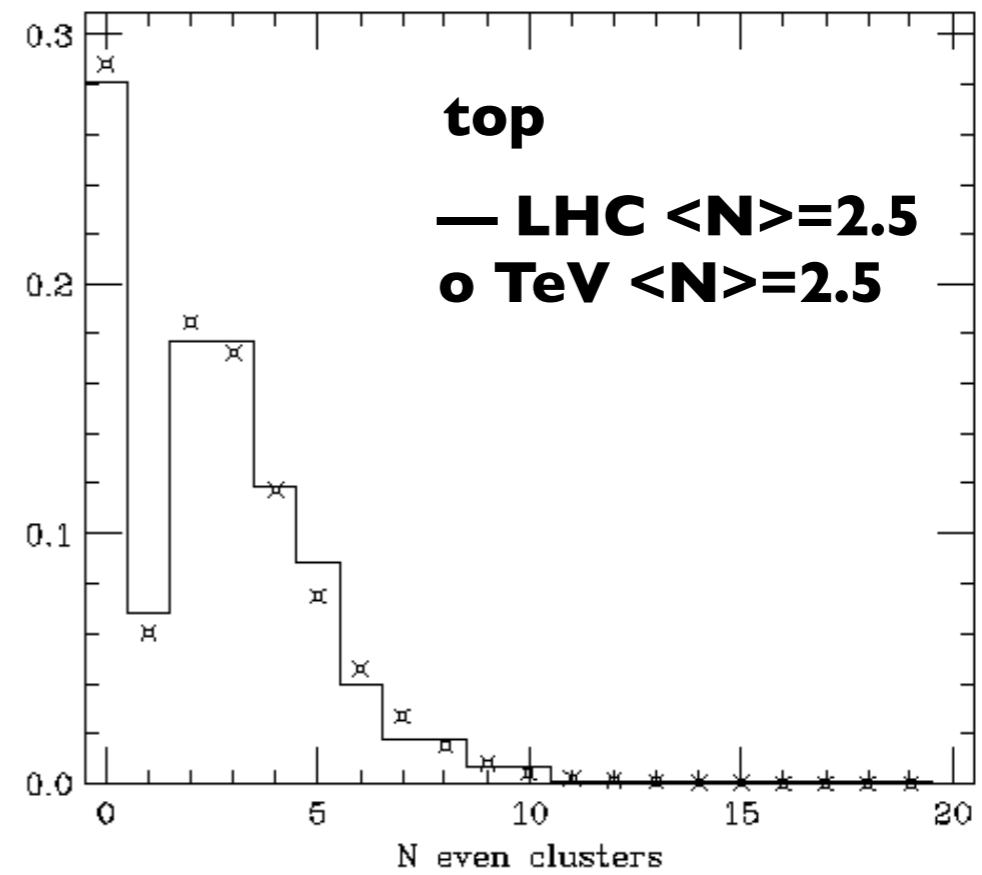
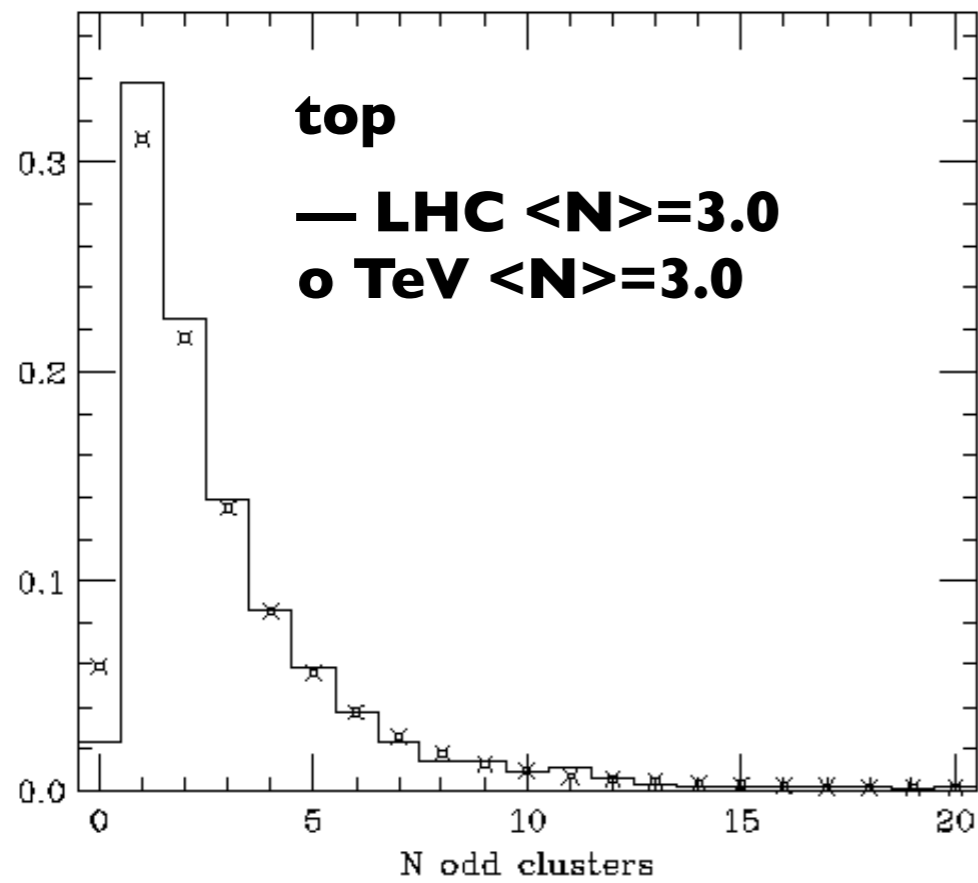
- cluster multiplicity
- gg vs qqbar initial state
- dependence on p_{top}
- LHC vs Tevatron

Notation:

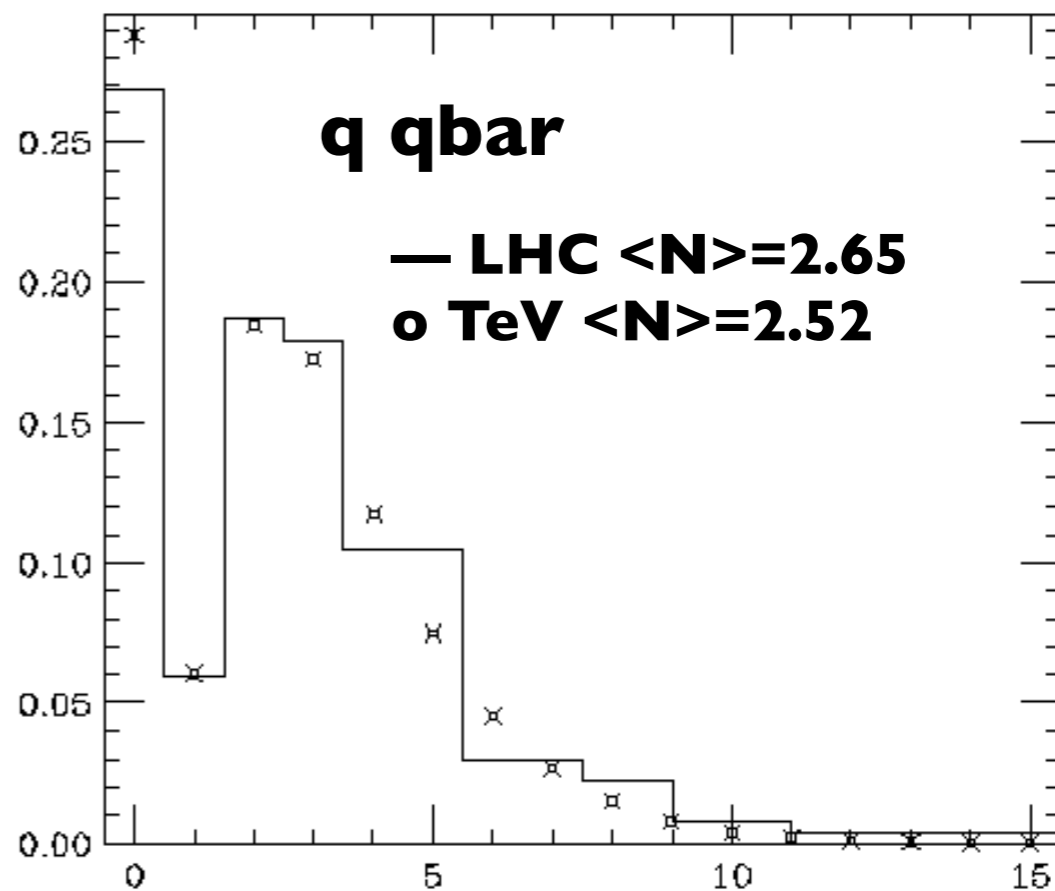
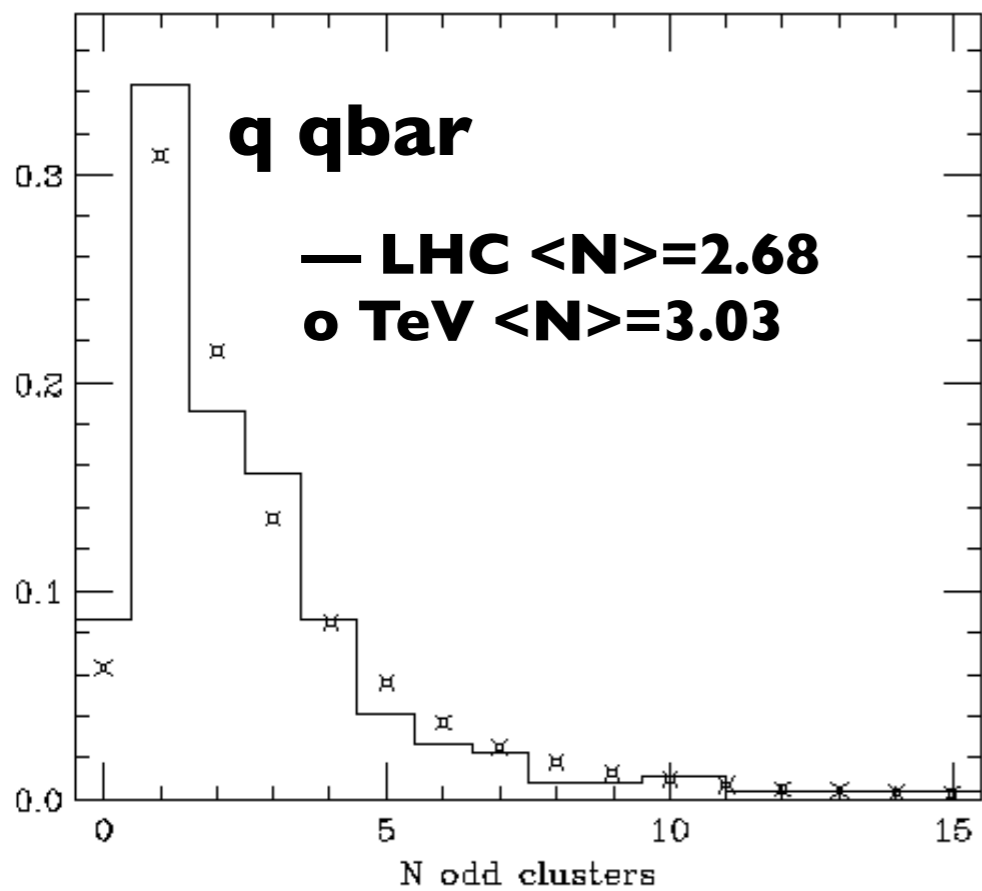
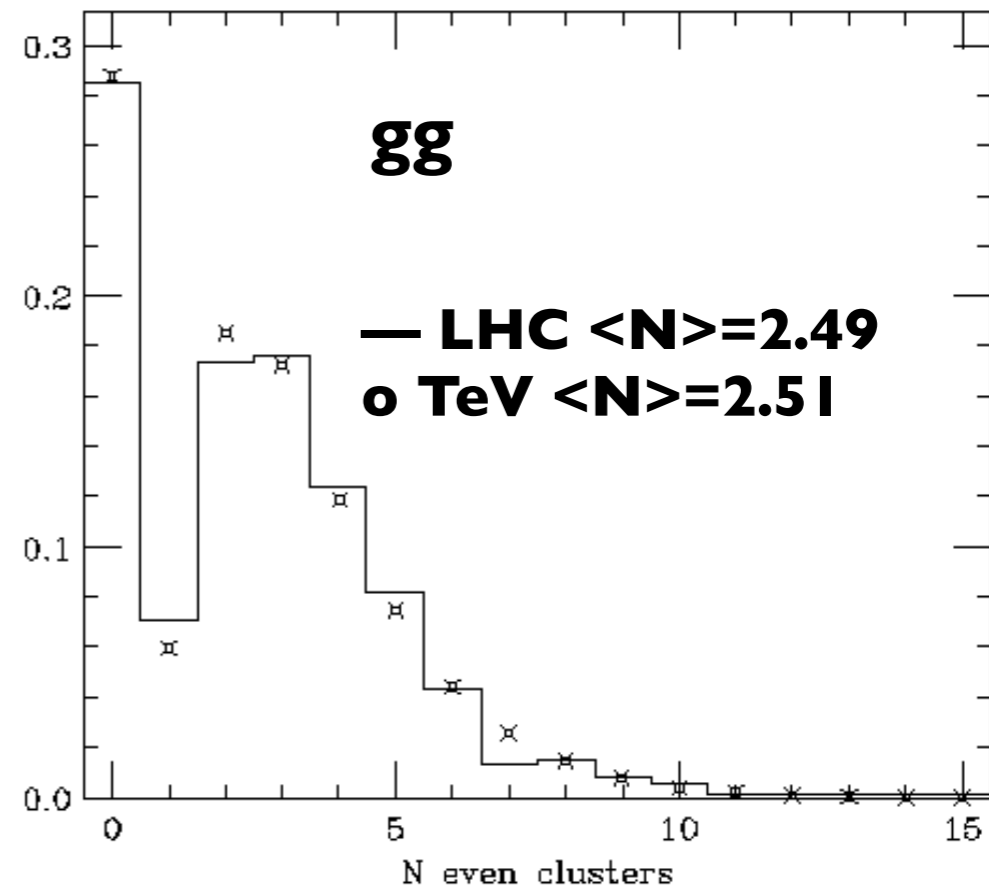
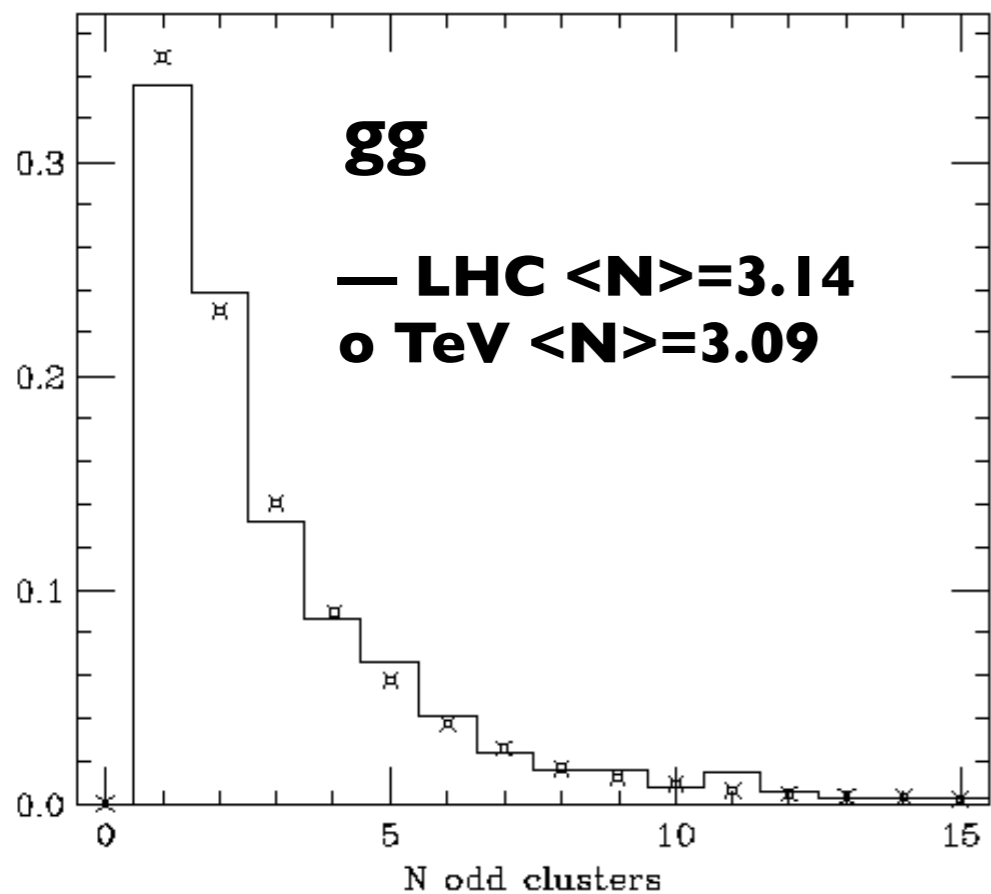
$m_{\text{top}}(\text{E+O})$: include both even and odd clusters

$m_{\text{top}}(\text{E})$: include only even

Cluster multiplicities

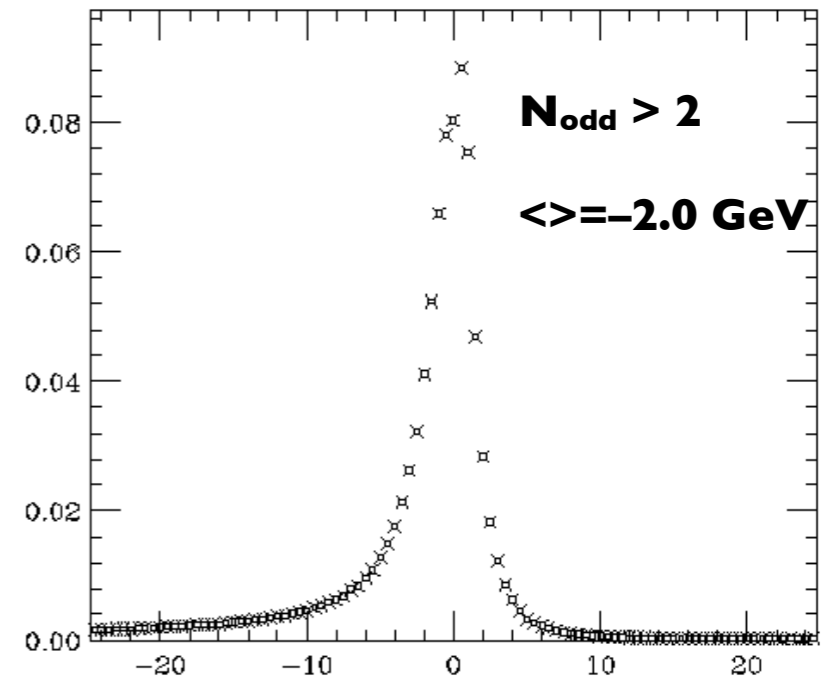
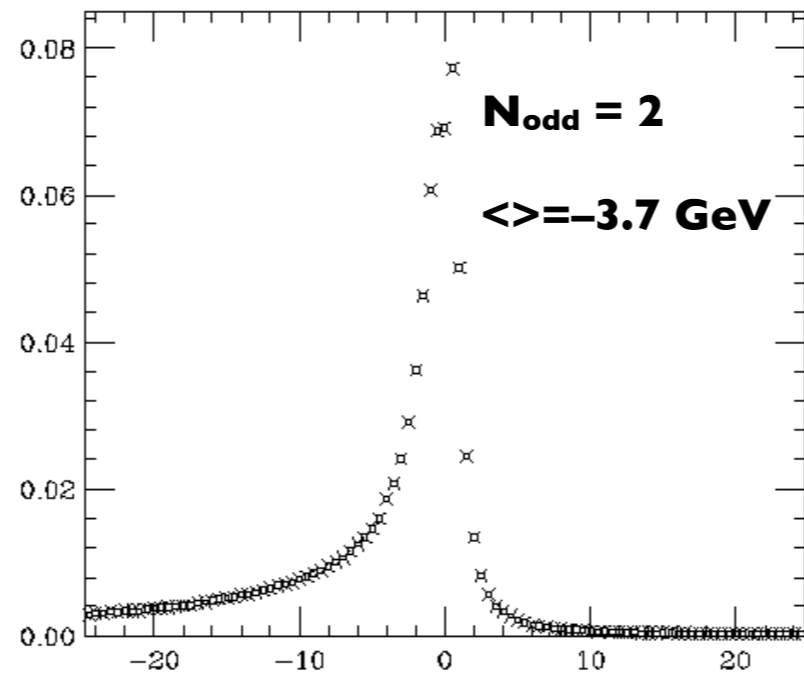
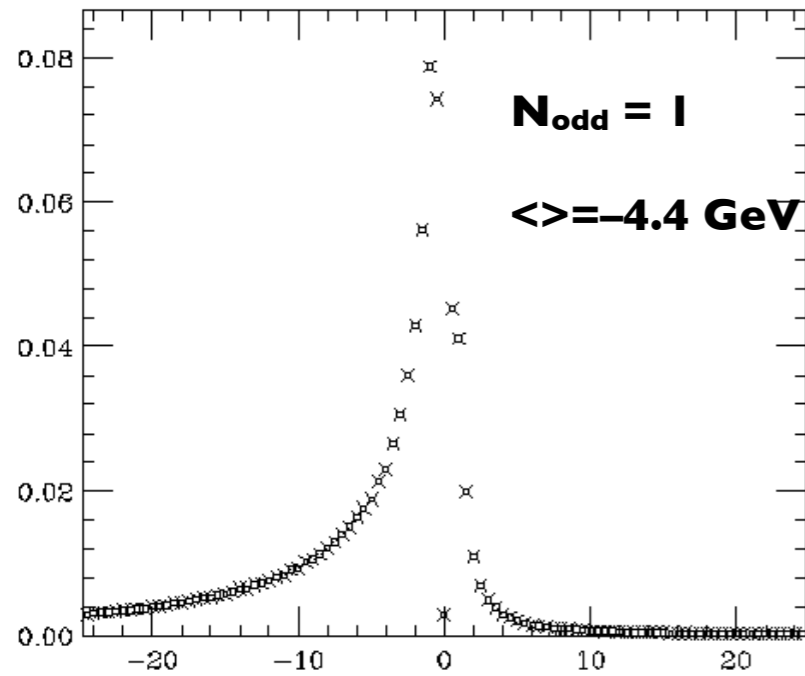


Cluster multiplicities

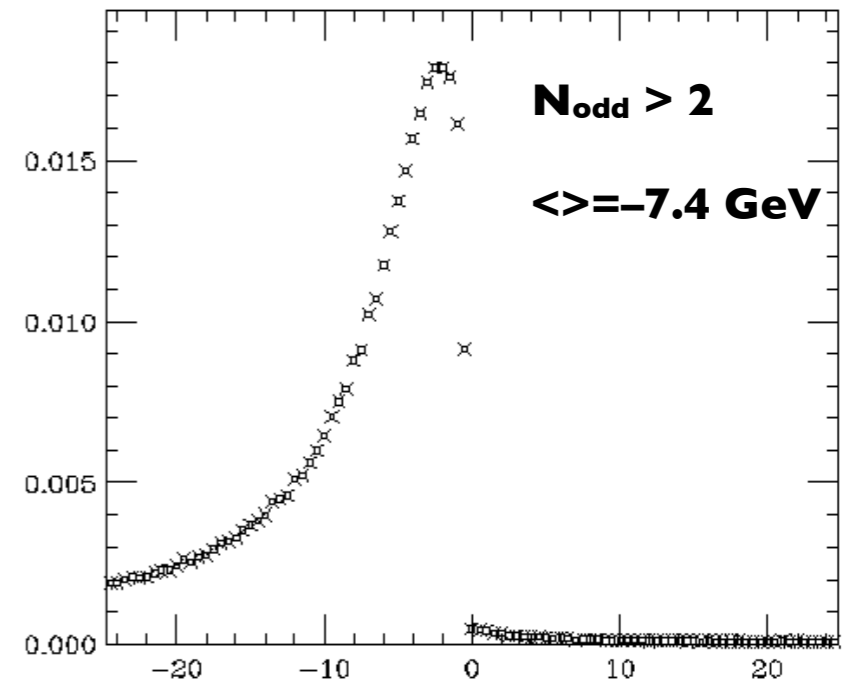
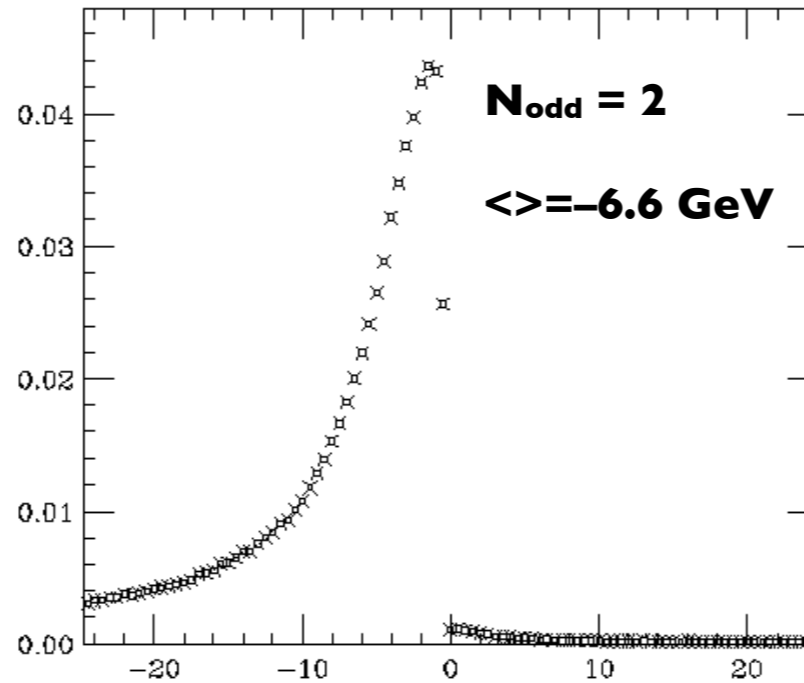
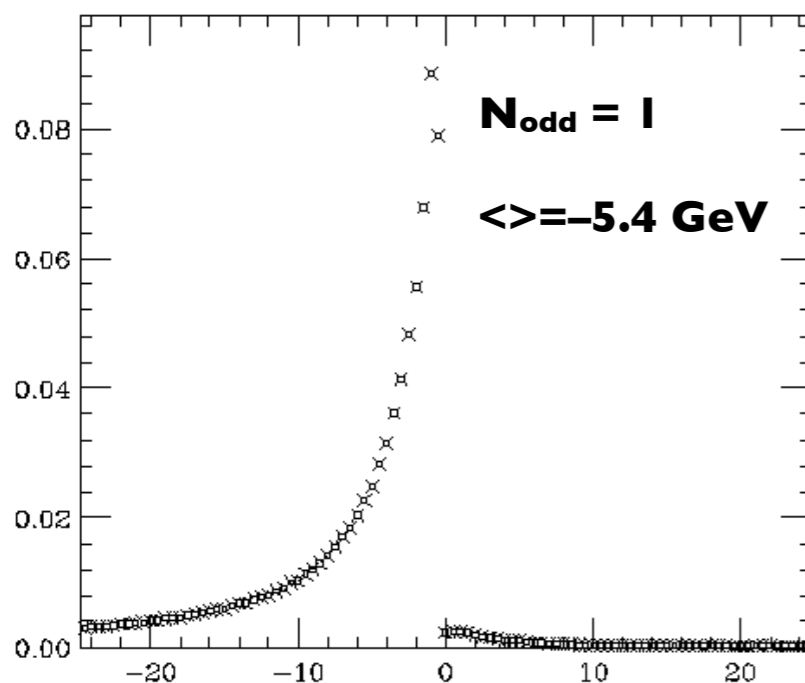


m_{top} vs cluster multiplicities

$m_{\text{top}}(\text{E+O}) - 172.5$

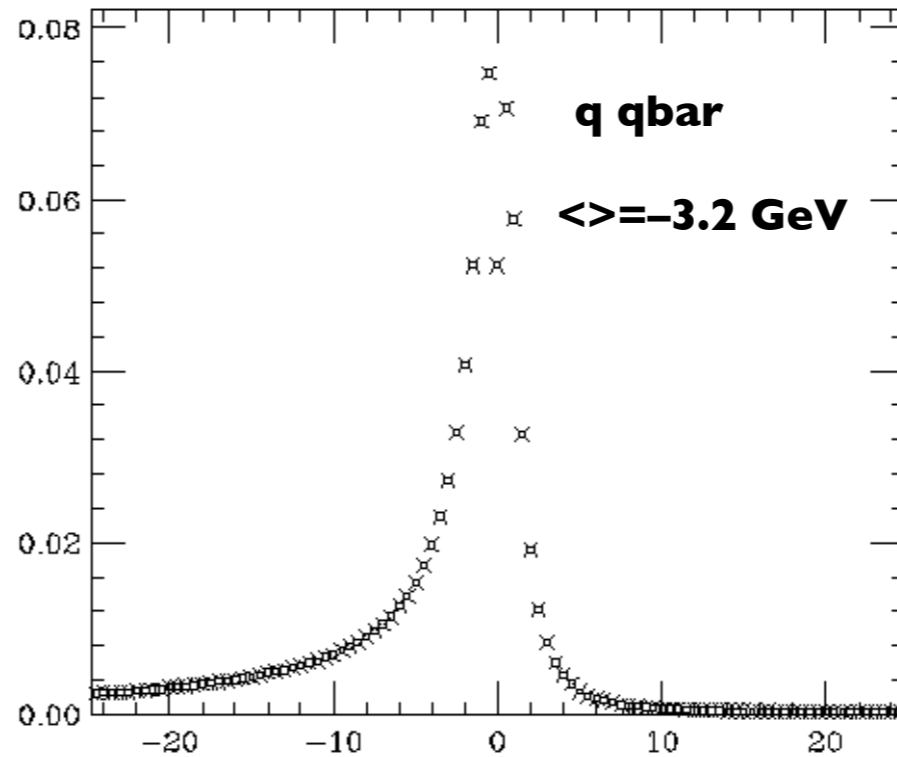
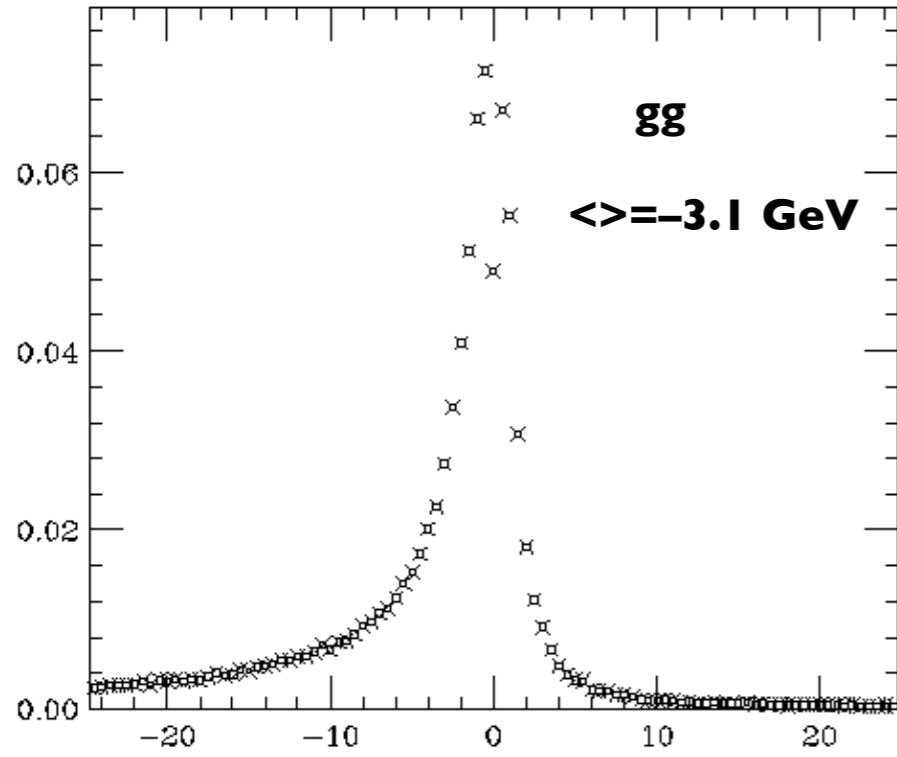


$m_{\text{top}}(\text{E}) - 172.5$

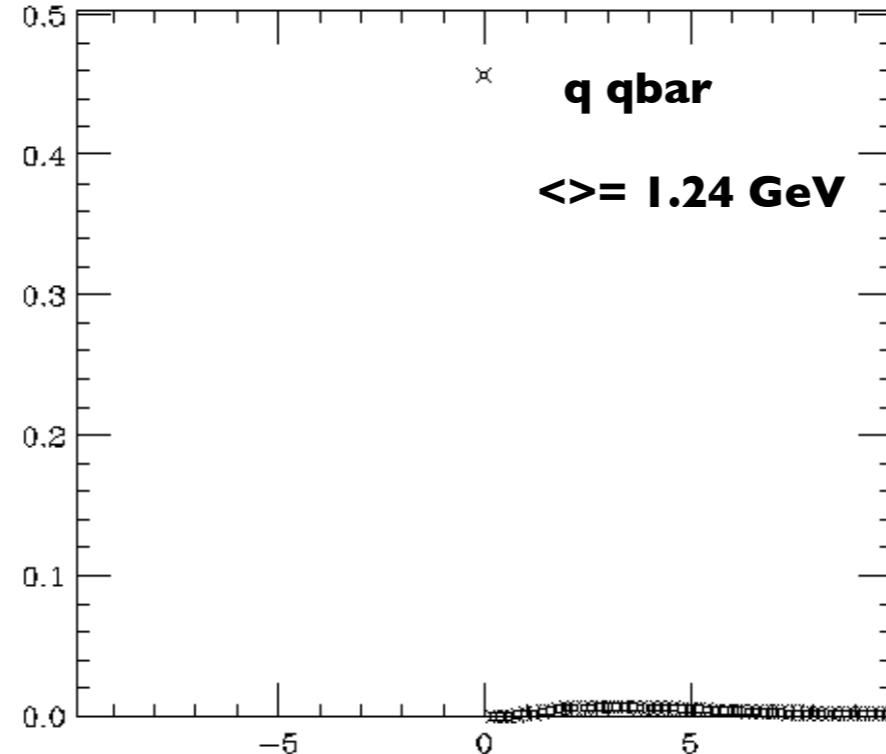
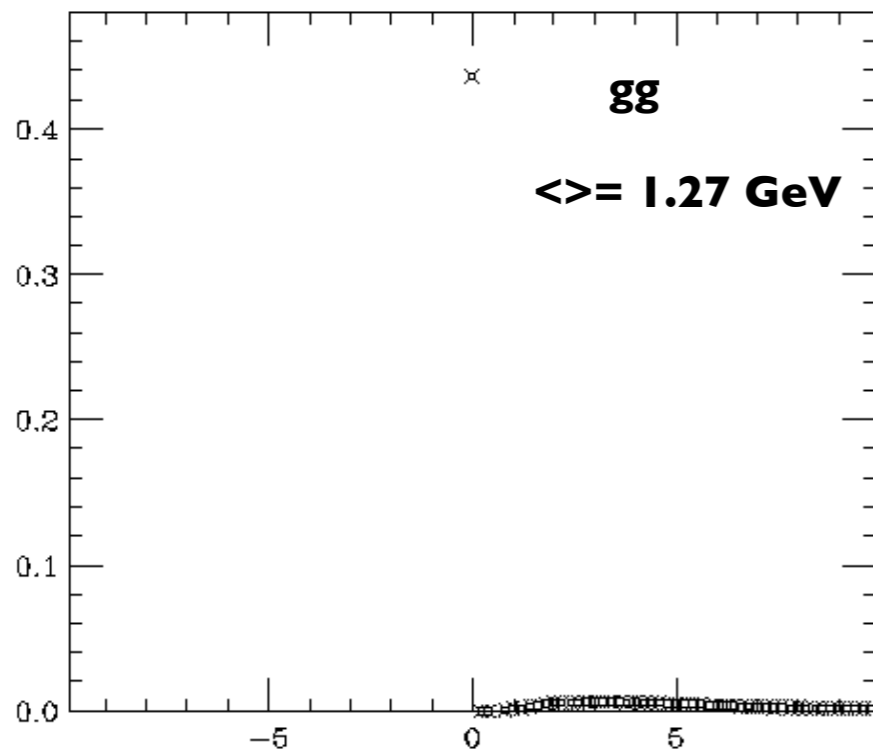


m_{top} vs initial state

$m_{\text{top}}(\text{E+O}) - 172.5$



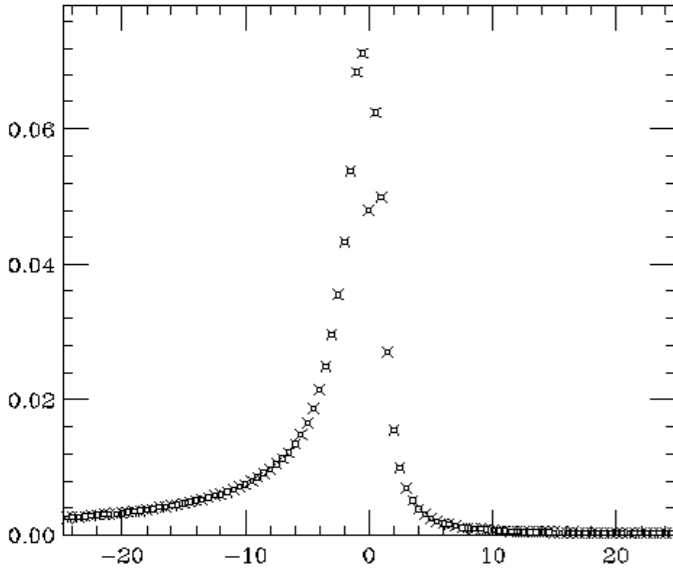
$m_{\text{top}}(\text{E+O}) - m_{\text{top}}(\text{E})$



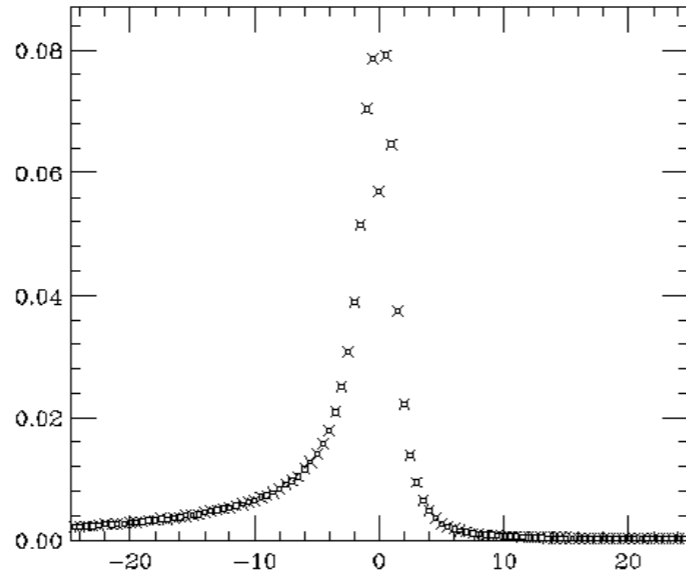
m_{top} vs $pt(\text{top})$

$m_{\text{top}}(\text{E+O}) - 172.5$

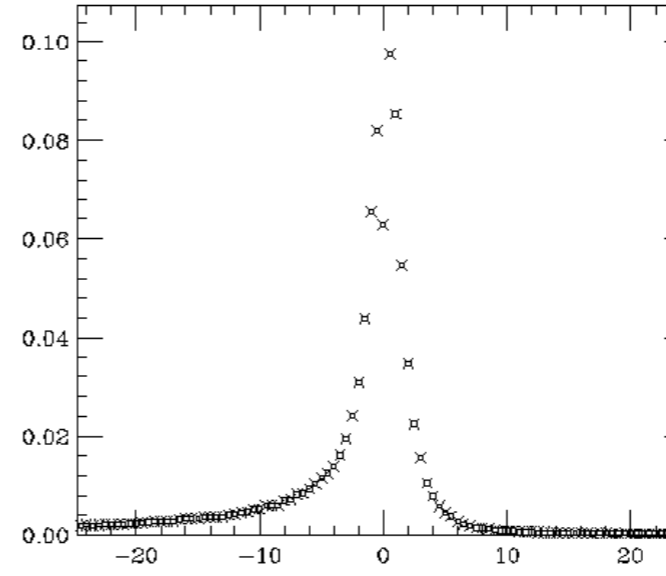
$pt < 100 \text{ GeV} \langle \rangle = -3.5 \text{ GeV}$



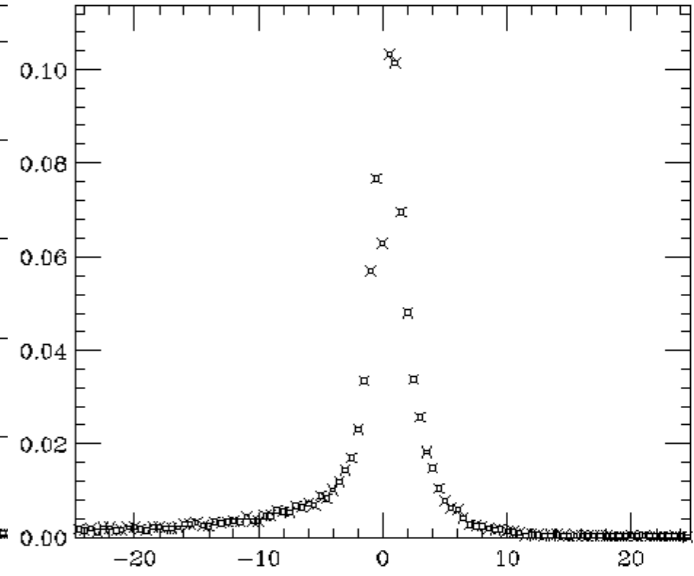
$100 < pt < 200 \langle \rangle = -2.8 \text{ GeV}$



$200 < pt < 300 \langle \rangle = -1.95 \text{ GeV}$

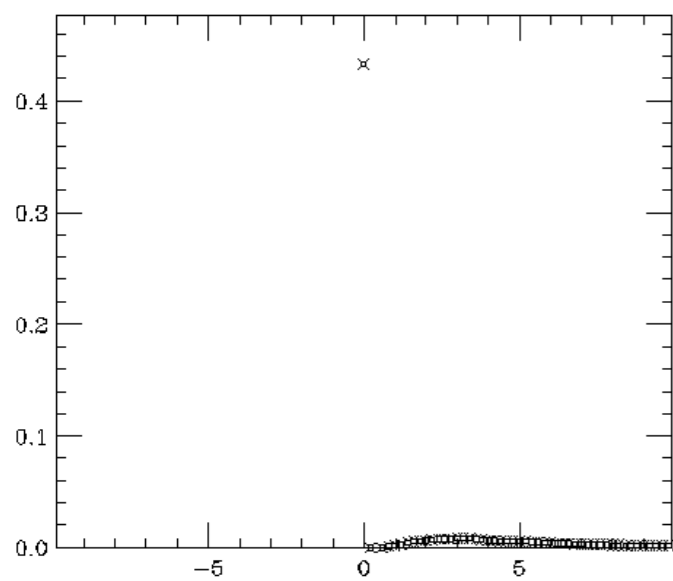


$pt > 300 \langle \rangle = -0.98 \text{ GeV}$

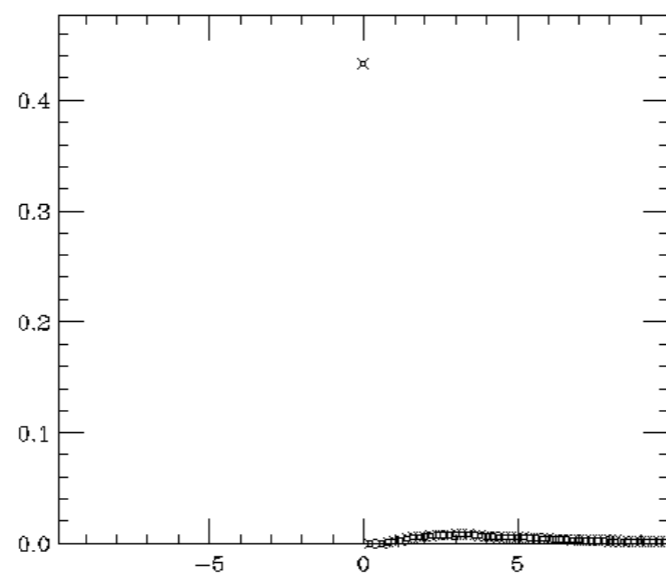


$m_{\text{top}}(\text{E+O}) - m_{\text{top}}(\text{E})$

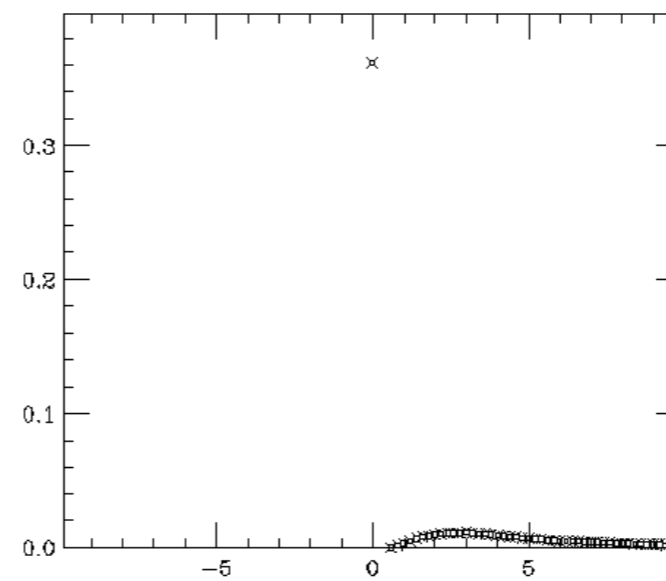
$pt < 100 \text{ GeV} \langle \rangle = 1.08 \text{ GeV}$



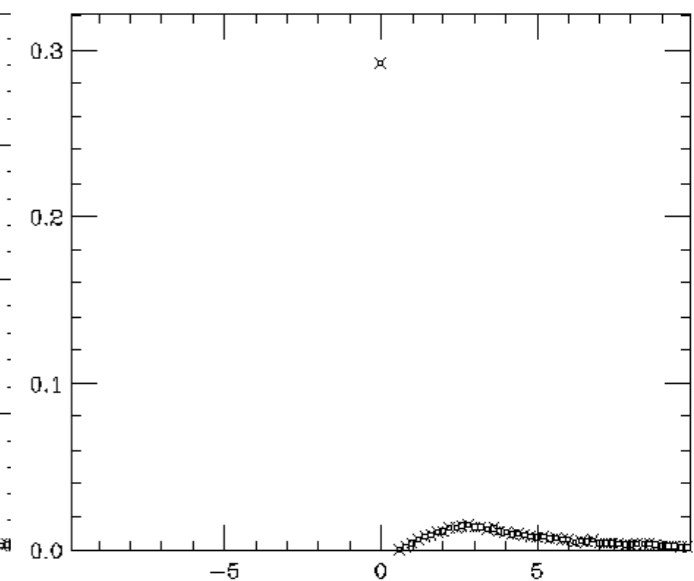
$100 < pt < 200 \langle \rangle = 1.38 \text{ GeV}$



$200 < pt < 300 \langle \rangle = 1.83 \text{ GeV}$



$pt > 300 \langle \rangle = 2.24 \text{ GeV}$



Observations and Further theory studies

Observations and Further theory studies

- The impact of “odd” clusters amount to corrections of $O(\text{GeV})$. A good fraction of the energy associated to odd clusters is legitimately associated to the b jet itself, so the non-perturbative uncertainty affects only a fraction of this contribution to m_{top} .

Observations and Further theory studies

- The impact of “odd” clusters amount to corrections of $O(\text{GeV})$. A good fraction of the energy associated to odd clusters is legitimately associated to the b jet itself, so the non-perturbative uncertainty affects only a fraction of this contribution to m_{top} .
- The conclusion that NP systematics is below 1 GeV appears supported by this preliminary study

Observations and Further theory studies

- The impact of “odd” clusters amount to corrections of $O(\text{GeV})$. A good fraction of the energy associated to odd clusters is legitimately associated to the b jet itself, so the non-perturbative uncertainty affects only a fraction of this contribution to m_{top} .
- The conclusion that NP systematics is below 1 GeV appears supported by this preliminary study
- Distributions of odd clusters is similar at Tevatron and LHC => correlated systematics

Observations and Further theory studies

- The impact of “odd” clusters amount to corrections of $O(\text{GeV})$. A good fraction of the energy associated to odd clusters is legitimately associated to the b jet itself, so the non-perturbative uncertainty affects only a fraction of this contribution to m_{top} .
- The conclusion that NP systematics is below 1 GeV appears supported by this preliminary study
- Distributions of odd clusters is similar at Tevatron and LHC => correlated systematics
- Extend study to more hadronization models (e.g. HWG++, Pythia, Sherpa)

Observations and Further theory studies

- The impact of “odd” clusters amount to corrections of $O(\text{GeV})$. A good fraction of the energy associated to odd clusters is legitimately associated to the b jet itself, so the non-perturbative uncertainty affects only a fraction of this contribution to m_{top} .
- The conclusion that NP systematics is below 1 GeV appears supported by this preliminary study
- Distributions of odd clusters is similar at Tevatron and LHC => correlated systematics
- Extend study to more hadronization models (e.g. HWG++, Pythia, Sherpa)
- Extend study to MC with gluon emission described by matrix elements for $t\bar{t} + \text{jets}$

Observations and Further theory studies

- The impact of “odd” clusters amount to corrections of $O(\text{GeV})$. A good fraction of the energy associated to odd clusters is legitimately associated to the b jet itself, so the non-perturbative uncertainty affects only a fraction of this contribution to m_{top} .
- The conclusion that NP systematics is below 1 GeV appears supported by this preliminary study
- Distributions of odd clusters is similar at Tevatron and LHC => correlated systematics
- Extend study to more hadronization models (e.g. HWG++, Pythia, Sherpa)
- Extend study to MC with gluon emission described by matrix elements for $t\bar{t} + \text{jets}$
- Include finite-width effects

Observations and Further theory studies

- The impact of “odd” clusters amount to corrections of $O(\text{GeV})$. A good fraction of the energy associated to odd clusters is legitimately associated to the b jet itself, so the non-perturbative uncertainty affects only a fraction of this contribution to m_{top} .
- The conclusion that NP systematics is below 1 GeV appears supported by this preliminary study
- Distributions of odd clusters is similar at Tevatron and LHC => correlated systematics
- Extend study to more hadronization models (e.g. HWG++, Pythia, Sherpa)
- Extend study to MC with gluon emission described by matrix elements for $t\bar{t} + \text{jets}$
- Include finite-width effects
- Compare these findings with a MC study under the assumption of a hadronized top (lifetime $> 1/\text{GeV}$). See next page

**Possible studies to clarify the meaning of the mass
being measured**

Possible studies to clarify the meaning of the mass being measured

- Let the top quark hadronize in the MC, before it decays.
 - model the top hadron decay (e.g. using the spectator model)
 - compare m_{top} measured on this MC sample (m^{MC}_{H}), to m_{top} measured on a standard sample with top decaying before hadronization (m^{MC}_{Q})
 - The top-meson mass m_{T} is a well defined quantity, which can be theoretically related to the top quark pole or $\overline{\text{MS}}$ masses.
 - If the analysis shows that $m^{\text{MC}}_{\text{H}} = m^{\text{MC}}_{\text{Q}} + \Delta m$, it is legitimate to argue that $m_{\text{T}} = m^{\text{exp}}_{\text{Q}} + \Delta m$, where $m^{\text{exp}}_{\text{Q}}$ is the experimentally determined mass. From m_{T} one can then extract, e.g., $m_{\text{t}}^{\text{pole}}$

Possible studies to clarify the meaning of the mass being measured

- Let the top quark hadronize in the MC, before it decays.
 - model the top hadron decay (e.g. using the spectator model)
 - compare m_{top} measured on this MC sample (m^{MC}_{H}), to m_{top} measured on a standard sample with top decaying before hadronization (m^{MC}_{Q})
 - The top-meson mass m_{T} is a well defined quantity, which can be theoretically related to the top quark pole or $\overline{\text{MS}}$ masses.
 - If the analysis shows that $m^{\text{MC}}_{\text{H}} = m^{\text{MC}}_{\text{Q}} + \Delta m$, it is legitimate to argue that $m_{\text{T}} = m^{\text{exp}}_{\text{Q}} + \Delta m$, where $m^{\text{exp}}_{\text{Q}}$ is the experimentally determined mass. From m_{T} one can then extract, e.g., $m_{\text{t}}^{\text{pole}}$
- The expectation is that $\Delta m = \mathcal{O}(\Lambda_{\text{QCD}})$, and the systematics (color reconnection, top-meson decay model) are of similar size

Possible studies to clarify the meaning of the mass being measured

- Let the top quark hadronize in the MC, before it decays.
 - model the top hadron decay (e.g. using the spectator model)
 - compare m_{top} measured on this MC sample (m^{MC}_{H}), to m_{top} measured on a standard sample with top decaying before hadronization (m^{MC}_{Q})
 - The top-meson mass m_{T} is a well defined quantity, which can be theoretically related to the top quark pole or $\overline{\text{MS}}$ masses.
 - If the analysis shows that $m^{\text{MC}}_{\text{H}} = m^{\text{MC}}_{\text{Q}} + \Delta m$, it is legitimate to argue that $m_{\text{T}} = m^{\text{exp}}_{\text{Q}} + \Delta m$, where $m^{\text{exp}}_{\text{Q}}$ is the experimentally determined mass. From m_{T} one can then extract, e.g., $m_{\text{t}}^{\text{pole}}$
- The expectation is that $\Delta m = \mathcal{O}(\Lambda_{\text{QCD}})$, and the systematics (color reconnection, top-meson decay model) are of similar size
- Test whether m_{T} is independent of the analysis chosen to extract m_{top}

Possible studies to probe/validate the MC systematics

Possible studies to probe/validate the MC systematics

- Use simple analyses, based on purely kinematical definitions of m_{top} (no matrix-element likelihoods, etc)

Possible studies to probe/validate the MC systematics

- Use simple analyses, based on purely kinematical definitions of m_{top} (no matrix-element likelihoods, etc)
- Focus on doubly-b-tagged events, dilepton final states. To limit experimental syst's (MET, etc), may consider $m(\text{lepton}+\text{b-jet})$ instead of $m(\text{W}+\text{b-jet})$

Possible studies to probe/validate the MC systematics

- Use simple analyses, based on purely kinematical definitions of m_{top} (no matrix-element likelihoods, etc)
- Focus on doubly-b-tagged events, dilepton final states. To limit experimental syst's (MET, etc), may consider $m(\text{lepton}+\text{b-jet})$ instead of $m(\text{W}+\text{b-jet})$
- Implement the study above in a full-fledged MC/DetSim analysis, extracting the impact of odd clusters on a realistic experimental analysis.

Possible studies to probe/validate the MC systematics

- Use simple analyses, based on purely kinematical definitions of m_{top} (no matrix-element likelihoods, etc)
- Focus on doubly-b-tagged events, dilepton final states. To limit experimental syst's (MET, etc), may consider $m(\text{lepton}+\text{b-jet})$ instead of $m(\text{W}+\text{b-jet})$
- Implement the study above in a full-fledged MC/DetSim analysis, extracting the impact of odd clusters on a realistic experimental analysis.
- Can e.g. reweight the events with different cluster multiplicity, to explore the sensitivity to hadronization modeling

Possible studies to probe/validate the MC systematics

- Use simple analyses, based on purely kinematical definitions of m_{top} (no matrix-element likelihoods, etc)
- Focus on doubly-b-tagged events, dilepton final states. To limit experimental syst's (MET, etc), may consider $m(\text{lepton}+\text{b-jet})$ instead of $m(\text{W}+\text{b-jet})$
- Implement the study above in a full-fledged MC/DetSim analysis, extracting the impact of odd clusters on a realistic experimental analysis.
- Can e.g. reweight the events with different cluster multiplicity, to explore the sensitivity to hadronization modeling
- Measure m_{top} :
 - as a function of $p_{\text{T}}(\text{top})$
 - as a function of $\eta(\text{b-jet})$
 - separately for top and \bar{t}
 - varying the jet algorithm to define the b-jet (e.g. use larger cones, to vary the dependence on the amount of energy associated to “odd” clusters)