Astroparticle physics :

II - The violent Universe



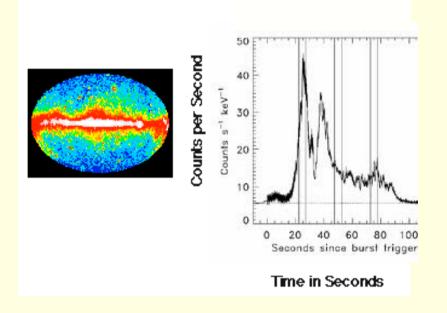
CERN Summer Student Lecture Programme 2012

Outline

- 1. The example of gamma ray bursts
- 2. The end of a star
- 3. The story of black holes
- 4. Supernovae explosions
- 5. Cosmic rays and cosmic accelerators

1. Some very energetic events in the Universe: The example of Gamma Ray Bursts (GRB)





Vela, US military satellite looking for gamma emission from Soviet nuclear explosions



Some orders of magnitude

Energy released by the GRB : approximately 10^{44} to 10^{47} J i.e. $M_{\odot}c^2$

Distance that light travels in 10 seconds: 3 000 000 km i.e. 0.02 au

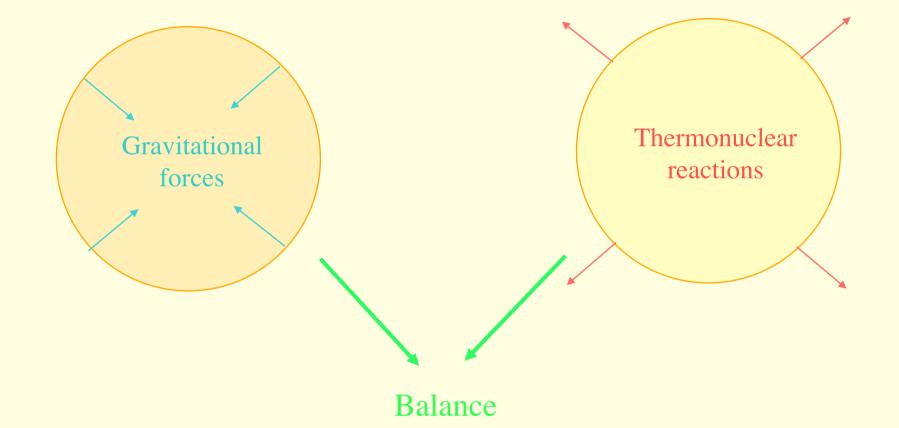
Hence the energy released occupies a very small volume on the scale of the Universe

 \rightarrow compact objects

e.g. black holes, neutron stars, white dwarfs

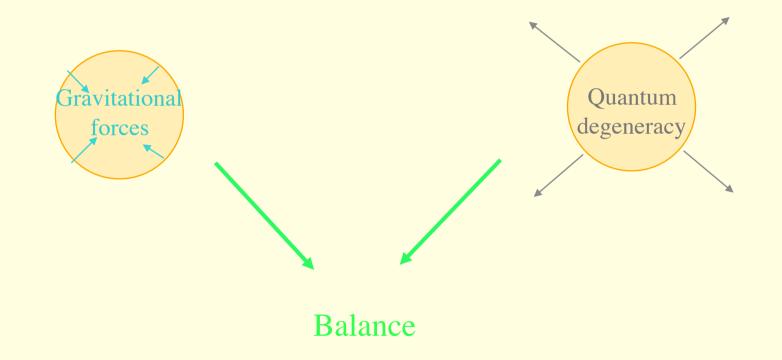
2. The end of a star

Some notions about star evolution (such as our Sun)



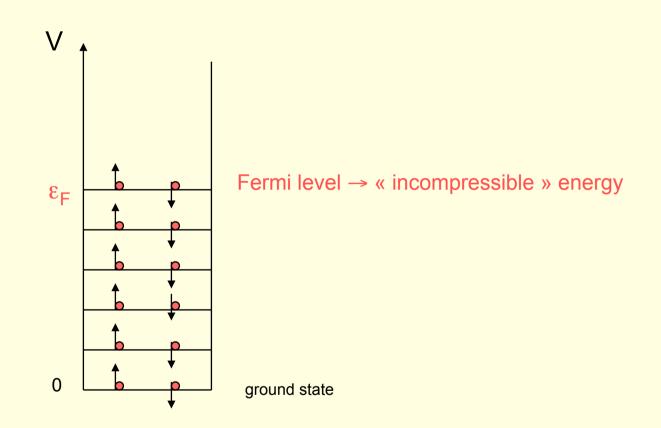
But when the nuclear fuel is exhausted, there is collapse under the effect of gravity \rightarrow FORMATION OF A COMPACT OBJECT

But when nuclear fuel becomes exhausted, quantum degeneracy comes to the rescue...

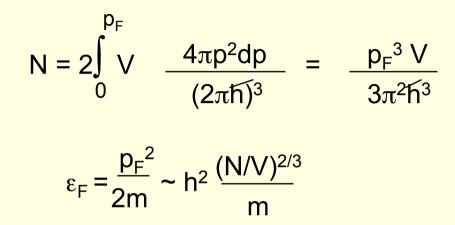


What is quantum degeneracy pressure?

Pauli principle: two fermions cannot be in the same state



A technical transparency



Hence the Fermi energy is larger for electrons than for neutrons.

When the nuclear fuel is exhausted, gravitational collapse is first stopped by the quantum degeneracy of electrons :

Chandrasekhar limit

 $M_{WD} < 6 M_{\odot}/v^2$

If density becomes larger i.e. for more massive stars, then $e + p \rightarrow n + v$ and gravitational collapse is stopped by the quantum degeneracy of neutrons

WHITE DWARFS

NEUTRON STARS

Oppenheimer-Volkoff bound

 $M_{\rm NS}$ < 0.7 M_{\odot}

If the density is larger i.e. for even more massive stars, then the gravitational collapse leads to

BLACK HOLES

3. The story of black holes



One month after the publication of Einstein's theory, Schwarzschild found an isotropic solution of Einstein's equations

$$ds^{2} = (1 - \frac{2G_{N}M}{r}) dt^{2} - (1 - \frac{2G_{N}M}{r})^{-1} dr^{2} - r^{2}(d\theta^{2} + \sin^{2}\theta d\phi^{2})$$

It describes the exterior of a static star of mass M and radius R if

 $R > 2G_N M/c^2 \equiv R_S$ Schwarzschild radius

For the Sun, $R_s = 2.9$ km

If $R < R_s$, the star undergoes gravitational collapse: it falls in a finite time Into a state of infinite energy density.

Oppenheimer and Snyder, 1939

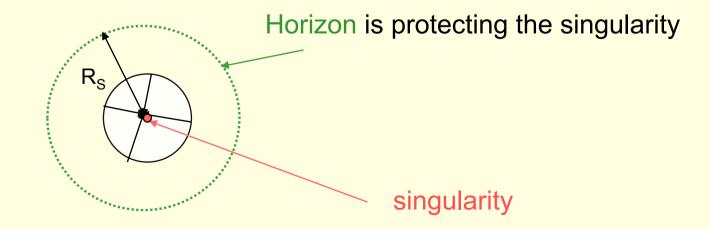
What is then the meaning of the Schwarschild radius?

Mitchell (1784) Laplace (1795)

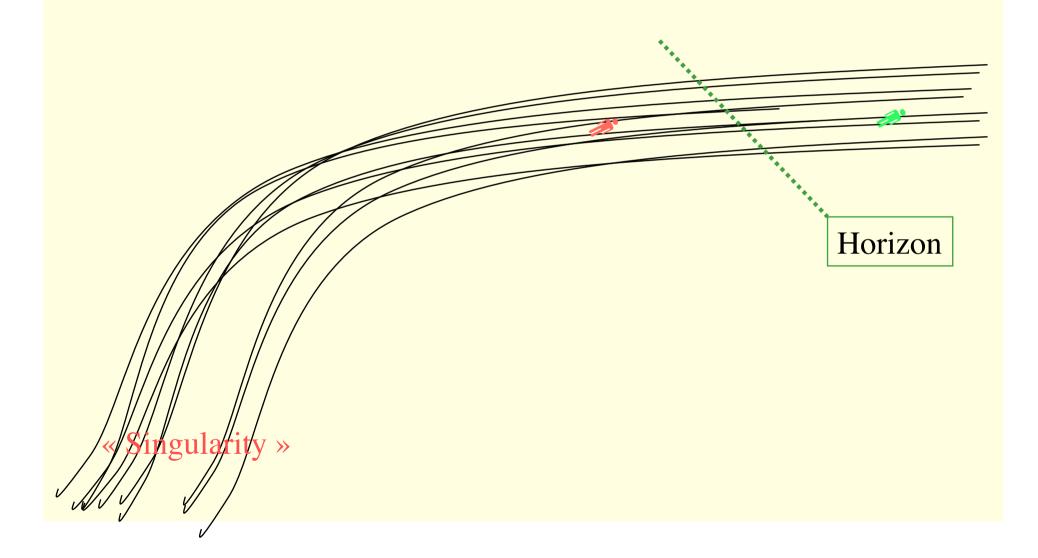
Classical condition for a body of mass m and velocity v to escape from a spherical star of mass M and radius R :

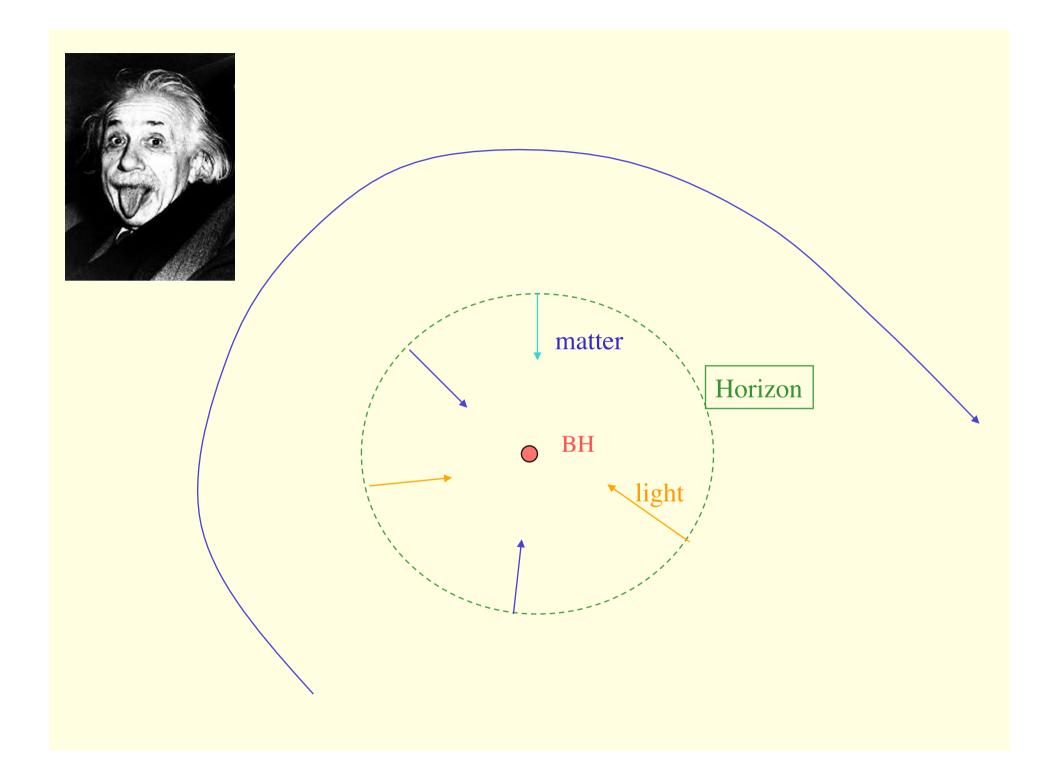
$$\frac{1}{2} mv^2 > \frac{G_N Mm}{R}$$

Hence even light (v=c) cannot escape if R < 2 $G_NM/c^2 = R_S$

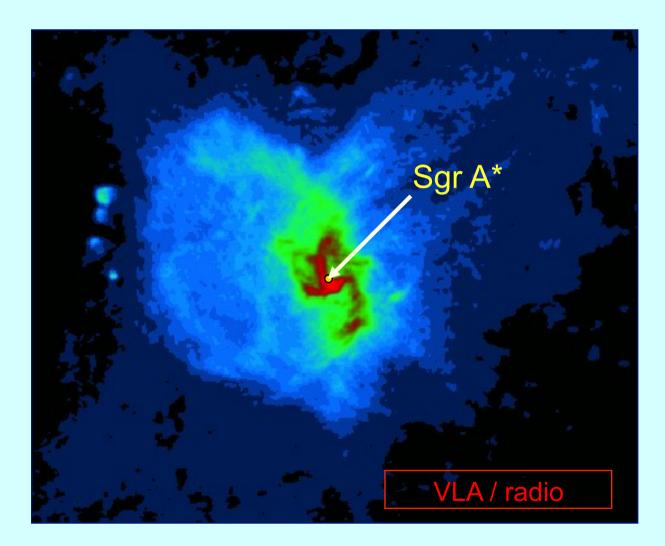


A comparison to understand the notion of (Schwarschild) horizon : the waterfall.





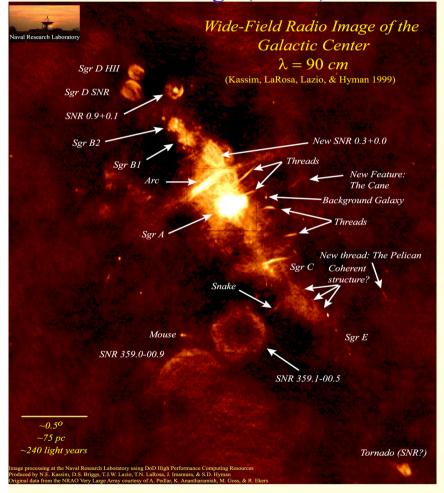
From « black holes » to black holes...



At the centre of our own galaxy, a source emits very energetic particles

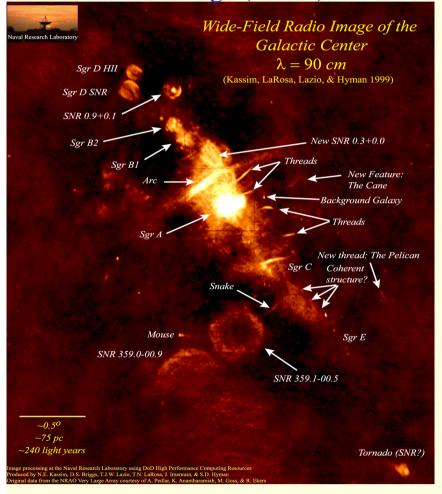
Let us come closer!

Radio image (90 cm)

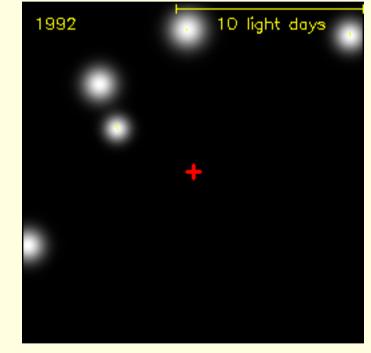


Let us come closer!

Radio image (90 cm)



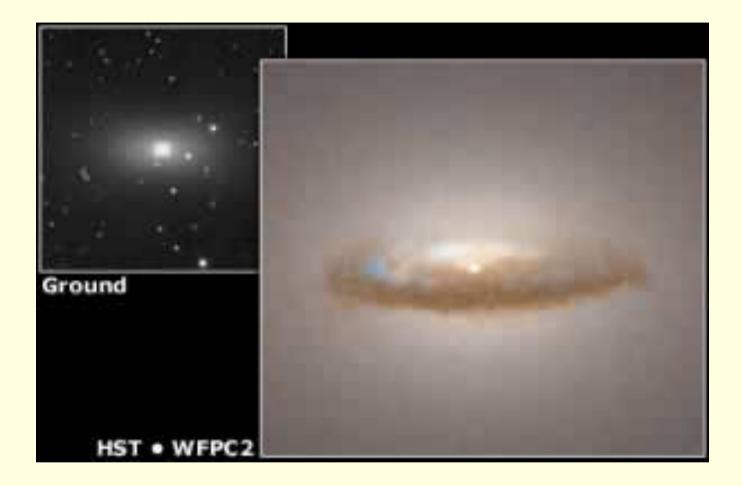
Infrared (1.6 μ m < λ <3.5 μ m) NAOS/CONICA



Black hole of mass of the order of 3 million solar masses

Why is the central black hole associated with the emission of energetic particles?

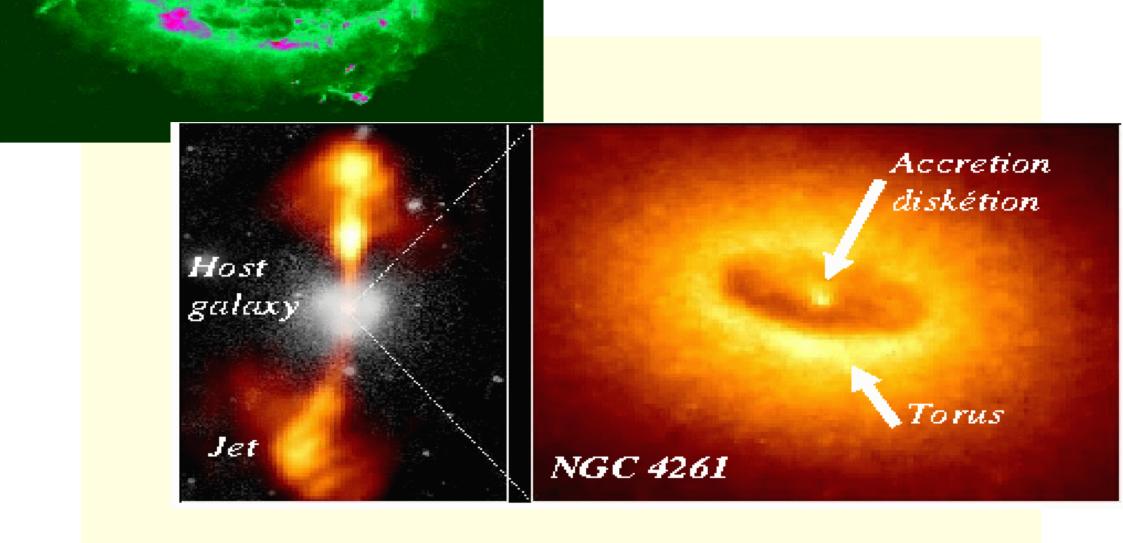
Because matter falling into the black hole is undergoing a very intense activity.

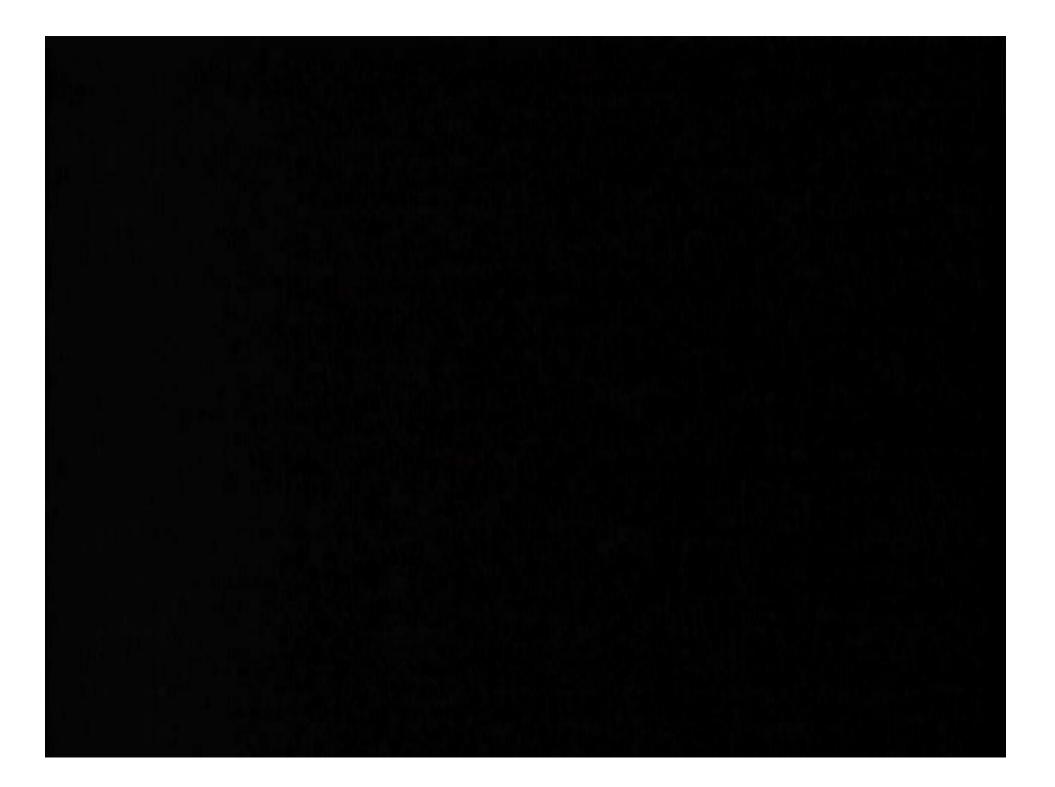


Torus of dust surrounding a black hole



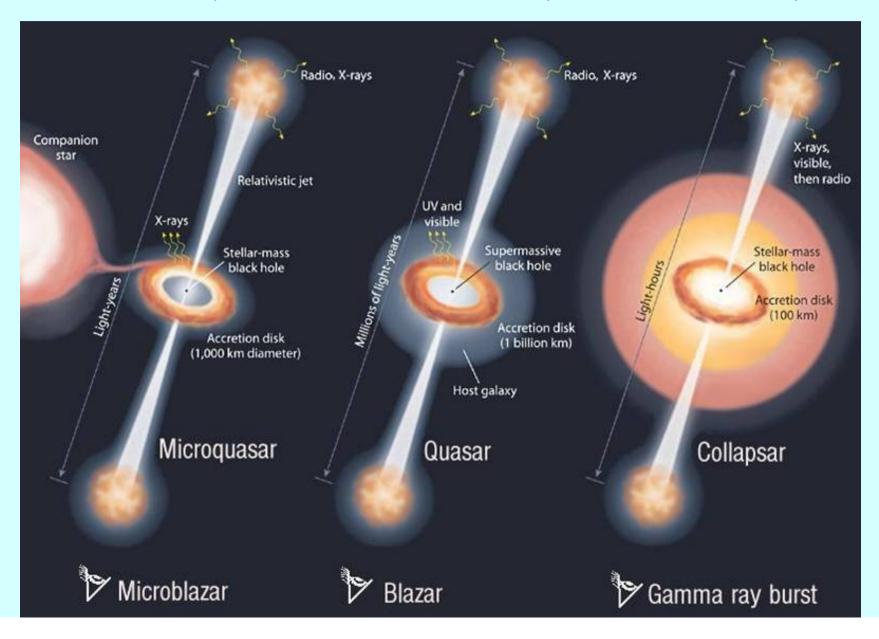
A jet of particles associated with a black hole of M87 galaxy





We still have to understand fully the accretion (disk, torus) and ejection phenomena present around a black hole.

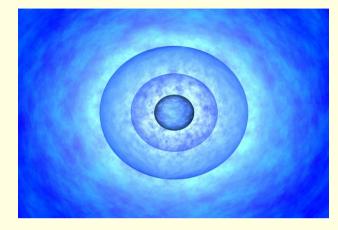
One finds black holes as the building blocks of many astronomical systems where violent phenomena take place



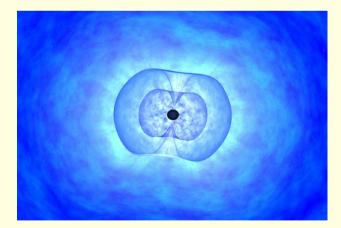
A model for (long) gamma ray bursts



A massive star ends its existence with an explosion



Its inner core collapses into a black hole



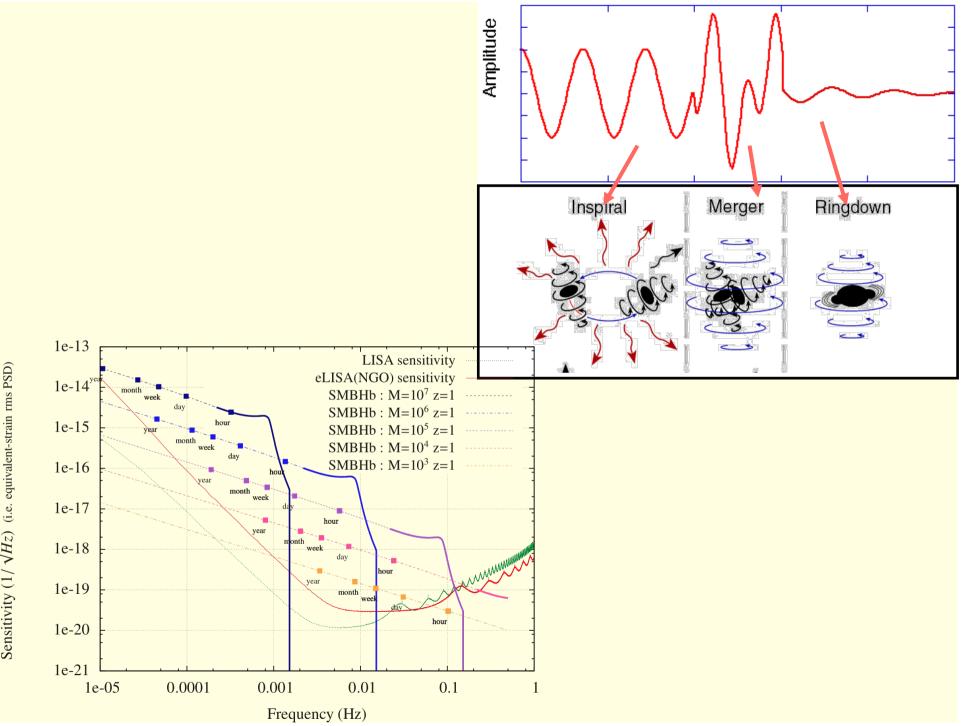


Collapse is not uniform. There is creation of a jet of particles This jet interacts with the outer layers of the star, which accelerates the particles.



Black holes and gravitational waves

Among the science open to LISA, one of the most remarkable events is the merger of two supermassive black holes during the collision of two galaxies.



Sensitivity $(1/\sqrt{Hz})$ (i.e. equivalent-strain rms PSD)

4. Supernova explosíons

Modern theory of supernovae was initiated by Zwicky and Baade in the 30s

Classification of supernovae according to spectroscopy:

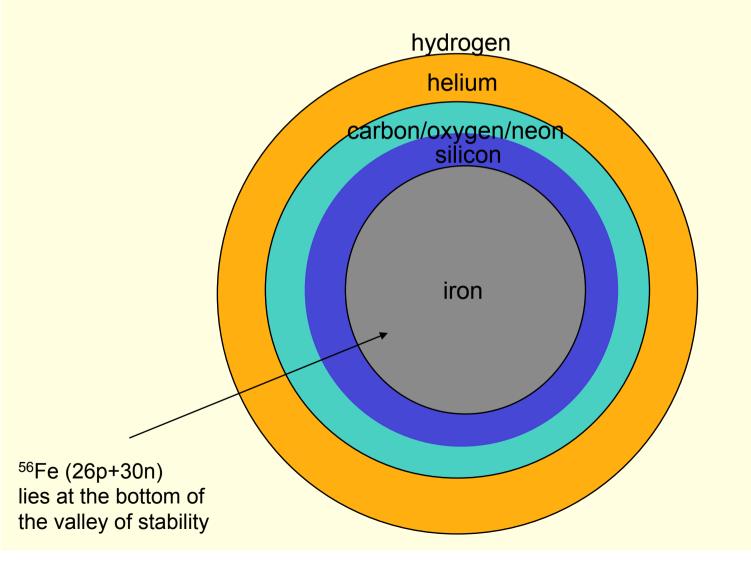
I : Hydrogen lines are absent

- la: intermediate mass elements
- Ib: Helium line present
- Ic: Helium lines weak or absent

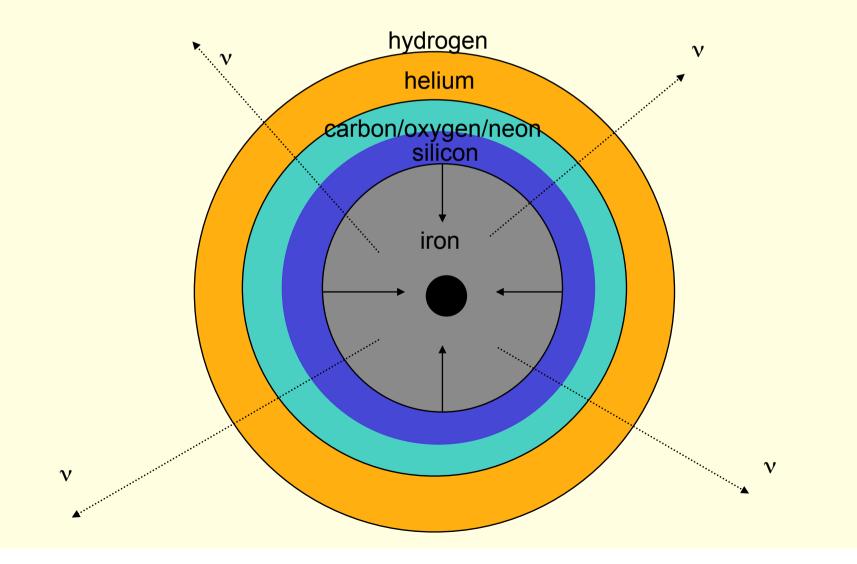
II : Hydrogen lines are present

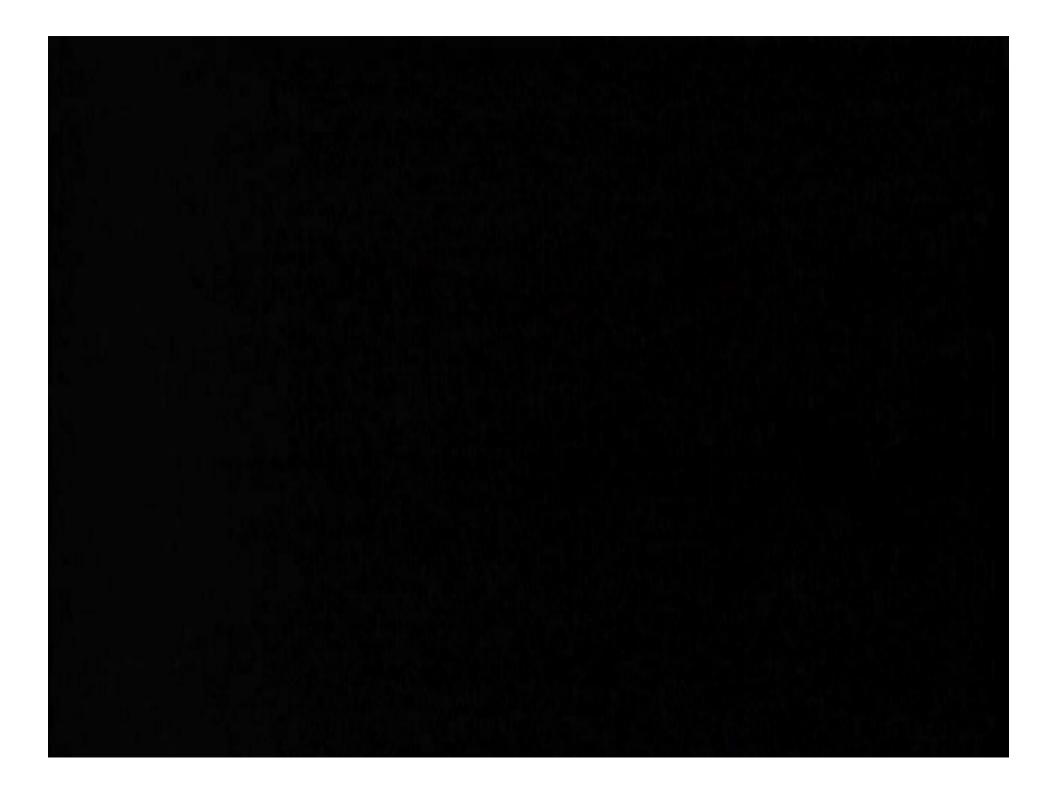
Supernovae of type II

Pre-supernova stars (M>8 M_{\odot}) have an onion-like structure

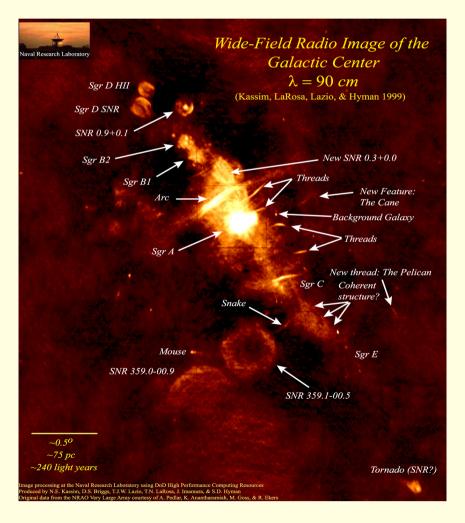


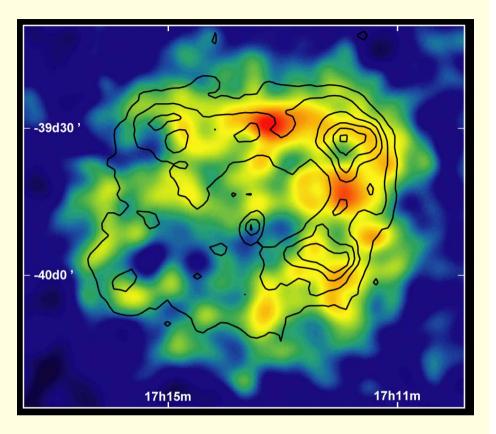
As Si is burned, the mass of the Fe core increases. The density increase turns the electrons relativistic and favours $e+p \rightarrow n+v$. This diminishes the electron degeneracy pressure and leads to a collapse of the core.





Radio

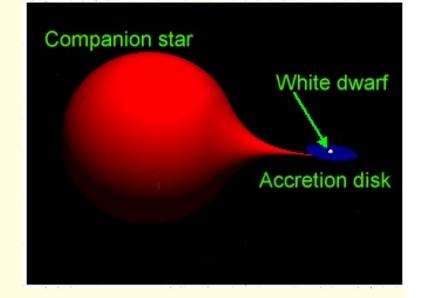




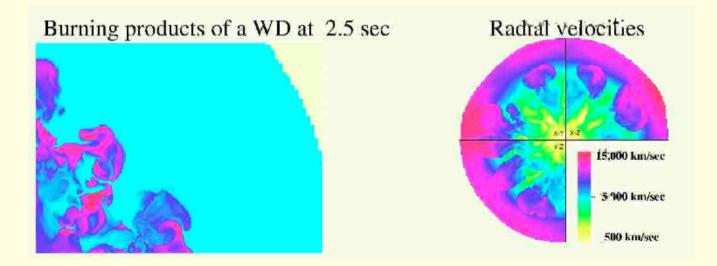
HESS

Supernovae of type la

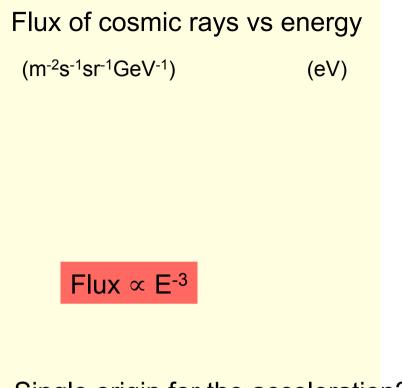
Thermonuclear explosion of white dwarfs:



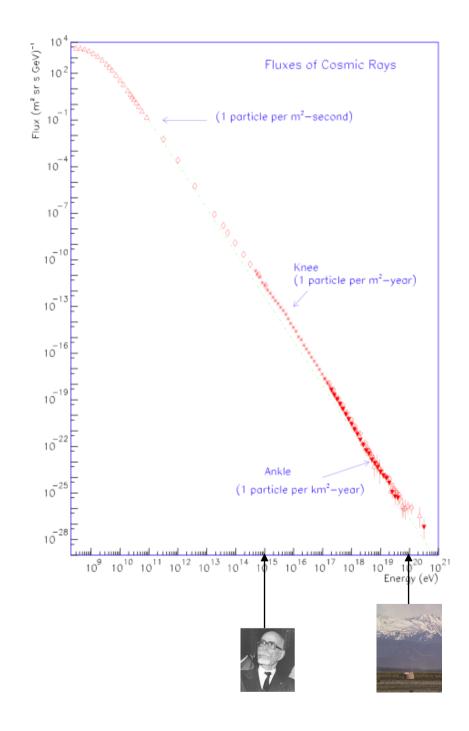
A carbon-oxygen white dwarf accretes matter (from a companion star) which causes its mass to reach the Chandrasekhar limit: the central core collapses making the carbon burn and causing a wave of combustion that completely disrupts the star.



5. Cosmíc rays and cosmíc acceleration



Single origin for the acceleration?



One easily obtain a power law spectrum $E^{-\gamma}$ if the particles have many encounters where they increase their energy.



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Proof If a test particle of energy E_0 acquires a fraction ξ of its energy at each encounter, then after n encounters:

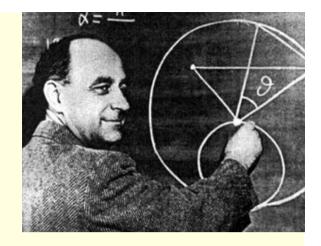
 $E_n = E_0 (1 + \xi)^n$

i.e. n encounters necessary to accelerate the particle to energy E: $n = \frac{ln(E/E_0)}{ln(1+\xi)}$

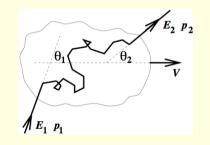
Define \mathcal{P}_{esc} as the probability to escape the acceleration region per encounter, $(1 - \mathcal{P}_{esc})^k$ is the probability of remaining in the region after k encounters and the number of particles accelerated beyond energy E is

$$\begin{split} \mathsf{N}(\mathsf{>E}) &\propto \sum_{k=n}^{\infty} (1 - \mathcal{P}_{esc})^k = (1 - \mathcal{P}_{esc})^n / \mathcal{P}_{esc} \\ \\ \mathsf{N}(\mathsf{>E}) &\propto \frac{1}{\mathcal{P}_{esc}} \left(\frac{\mathsf{E}}{\mathsf{E}_0}\right)^{-\alpha} \\ \\ &\alpha = -\frac{\mathsf{ln}(1 - \mathcal{P}_{esc})}{\mathsf{ln}(1 + \xi)} \sim \frac{\mathcal{P}_{esc}}{\xi} \end{split}$$

Fermi mechanism



Fermi (1949) proposes that cosmic rays are accelerated by scattering off magnetized clouds



A technical transparency

Consider in the lab frame an ultra-relativistic cosmic ray of energy E_1 and momentum $p_1 = E_1/c$

In the cloud frame

$$\beta = V/c$$

E'₁ = $\gamma E_1(1 - \beta \cos \theta_1)$
 $\gamma = 1/\sqrt{1-\beta^2}$

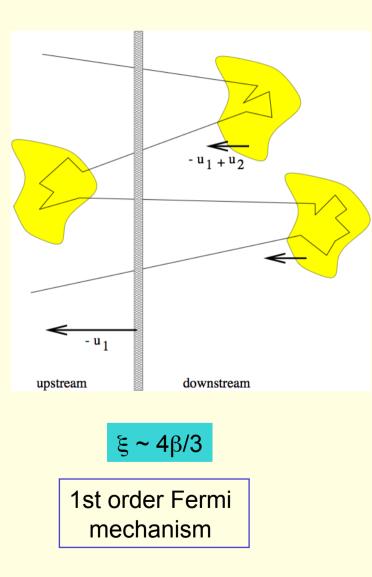
Because scattering is collisionless in the cloud, the final energy E'₂ is equal to E'₁

Back to the lab frame
$$E_2 = \gamma E'_2 (1 + \beta \cos\theta'_2)$$

Then $\xi = \frac{\Delta E}{E} = \frac{E_2 - E_1}{E_1} = \frac{1 - \beta \cos\theta_1 + \beta \cos\theta'_2 - \beta^2 \cos\theta_1 \beta \cos\theta'_2}{1 - \beta^2} - 1$
Since $\frac{d\mathcal{P}}{d\cos\theta_1} = \frac{c - V \cos\theta_1}{2c} < \cos\theta_1 > = -\beta/3$
 $\frac{d\mathcal{P}}{d\cos\theta'_2} = \text{cst} < \cos\theta'_2 > = 0$
2nd order Fermi mechanism

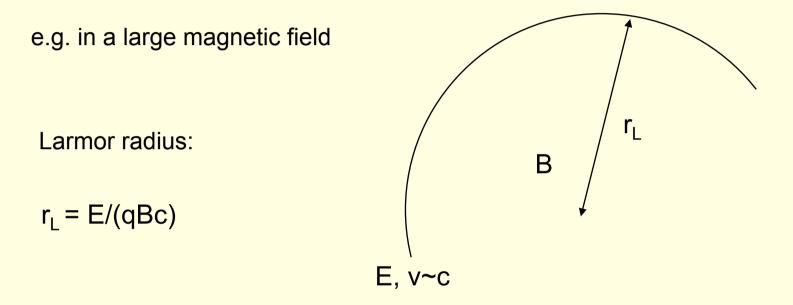
 \mathbb{R}

Because the second order is too small, alternate model where the particle multiply crosses a shock front such as induced by supernova explosions.



A complementary view of acceleration sites: Hillas diagram

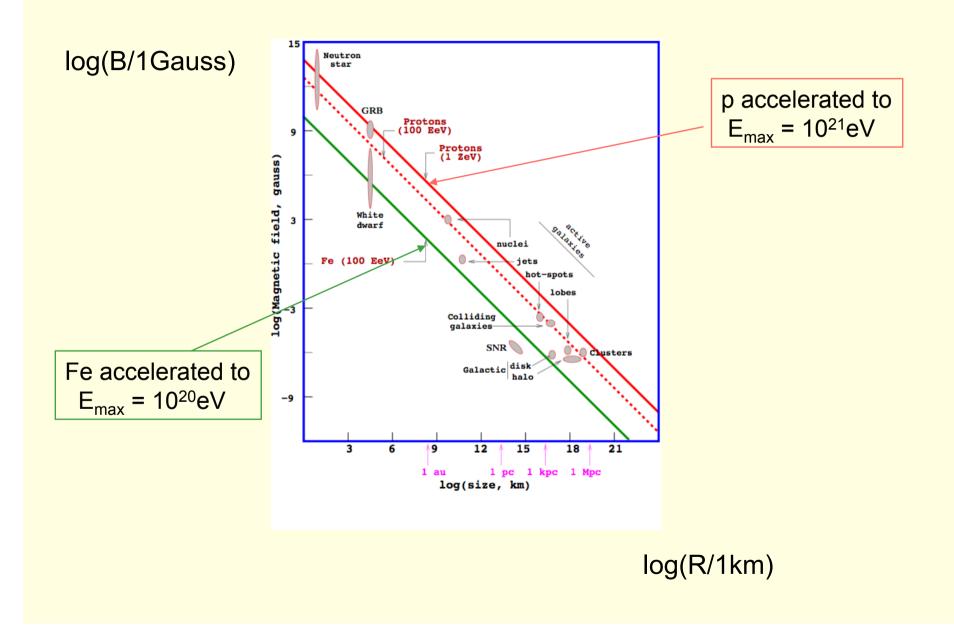
A particle may not stay for ever in an acceleration site



When the energy E increases, r_L may become larger than the size R of the accelerating site.

$$E < E_{max} = qBcR = Z \frac{B}{1\mu G} \frac{R}{1Mpc} 9.3x10^{20}eV$$

q=Ze



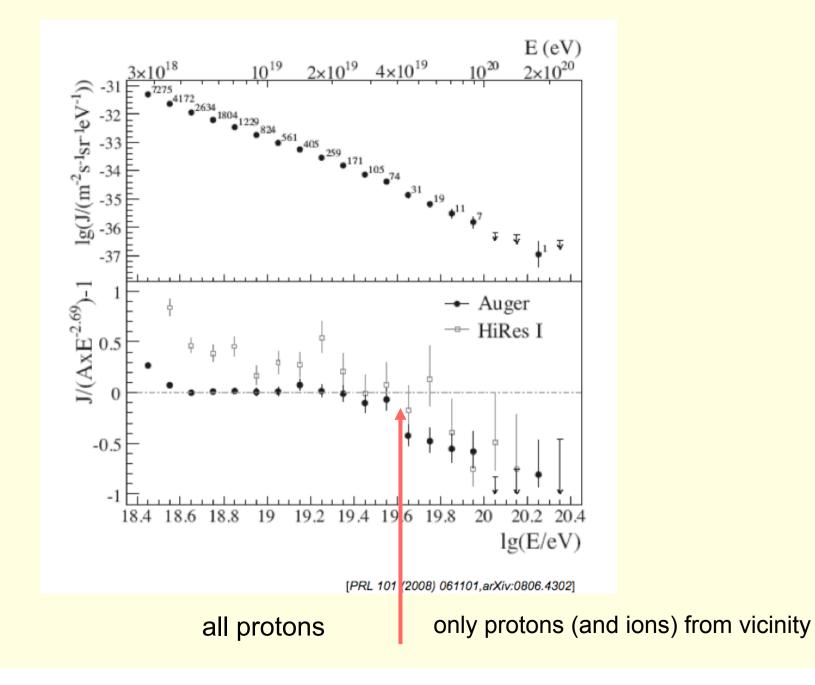
The Greisen-Zatsepin-Kuzmin (GZK) effect

Protons of the highest energy (around 10²⁰ eV) interact with the photons of CMB

 $p\gamma \rightarrow pe^+e^$ $p\gamma \rightarrow \pi N$

The Universe is opaque to such protons.

Protons of the highest energy observed on Earth can only come from its vicinity (sources not further than 100 Mpc).



Observation by Auger of anisotropies for the cosmic rays of the highest energy?

→Necessary to have more statistics and probably more energetic particles to identify the sources

