## Doubly resonant WW+jet signatures at the LHC

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Based on: J. Alwall, Ts. E, W-S. Hou & H. Yokoya, PRD86 (2012) 074029, Ts. E, W-S. Hou & H. Yokoya, PRD84 (2011) 094013

# Outline

- Introduction
- WW+jet signal
- Analysis method W-tagging  $CL_s$  method
- Numerical results
- Conclusions

## Introduction

Colored objects searched at the LHC

Diquarks, leptoquarks, excited quarks, squarks & gluino, colorons, axigluons, KK quarks & gluons, colored version of TC and other composite objects ....

CMS-PAS-EXO-12-016, [CMS collaboration] (2012)

- Most studies concentrate on individual resonances (Exception: SUSY & models with multiple resonances).
- ♦ Beyond SM theories usually predict not one but several resonances.
- $\diamond$  Heavier ones often cascade decay to lighter ones.

Purpose of the Talk

Report a study of the LHC prospect for color-octet SU(2)-singlet vector resonance accompanied by lighter color-octet SU(2)triplet (pseudo)scalar.



R.S. Chivukula et al hep-ph/9503202.

SU(2) singlet color-octet vector:  $\omega_8$ 

SU(2) triplet color-octet (pseudo)scalar:  $\pi_8$ 

 $M_{\omega_8} > M_{\pi_8} + M_W$ 

Appears in dynamical EWSB models: composite models colored version of technicolor, extra generation bound states



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#### Constraint on color-octet from CMS Dijet search with 4fb^-1

#### CMS-PAS-EXO-12-016, [CMS collaboration] (2012)



 $\diamond$  Dijet channel always present due to unitarity. Here  $A^{\sim}0.6$ .  $\diamond$  For  $\alpha_{\rm s}$  coupling, the coloron is excluded up to 3.28 TeV.

Relevant terms for octet vector & scalar (V & S)

$$\mathcal{L}_{\omega_{8}-\text{decay}} = \xi \frac{g_{s}}{\sqrt{2}} \bar{q}_{i} \gamma_{\mu} (T^{a})_{ij} q_{j} V_{a}^{\mu} + \frac{g_{W}}{\sqrt{m_{S}m_{V}}} \left[ f_{v} \epsilon^{\mu\nu\rho\sigma} \left( \partial_{\sigma} S_{a}^{\pm} \partial_{\rho} W_{\mu}^{\mp} + \partial_{\sigma} S_{a}^{0} \partial_{\rho} Z_{\mu} \right) V_{a\nu} + S_{a}^{\pm} \left( f_{a_{1}} m_{S} m_{V} V_{a}^{\mu} + f_{a_{2}} \partial^{\mu} V_{a\nu} \partial^{\nu} + f_{a_{3}} V_{a\nu} \partial^{\mu} \partial^{\nu} \right) W_{\mu}^{\mp} + S_{a}^{0} \left( f_{a_{1}} m_{S} m_{V} V_{a}^{\mu} + f_{a_{2}} \partial^{\mu} V_{a\nu} \partial^{\nu} + f_{a_{3}} V_{a\nu} \partial^{\mu} \partial^{\nu} \right) Z_{\mu} \right]$$

$$\hat{\sigma}_{q\bar{q}} \rightarrow \omega_{8} (\hat{s}) = \frac{32\pi^{3} \alpha_{s}^{2}}{9m_{\omega_{8}}^{2}} \xi^{2} \delta \left( 1 - \frac{m_{\omega_{8}}^{2}}{\hat{s}} \right)_{0.8}$$

$$\hat{\sigma}_{g\bar{q}} \rightarrow \omega_{8} (\hat{s}) = \frac{32\pi^{3} \alpha_{s}^{2}}{9m_{\omega_{8}}^{2}} \xi^{2} \delta \left( 1 - \frac{m_{\omega_{8}}^{2}}{\hat{s}} \right)_{0.8}$$

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$$\hat{\sigma}_{g\bar{q}} \rightarrow 0$$

$$\hat{\sigma}_{g\bar{q}}$$

CMS-PAS-EXO-12-016, [CMS collaboration] (2012)

Relevant terms for octet vector & scalar (V & S)



CMS-PAS-EXO-12-016, [CMS collaboration] (2012)



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Situation when  $\pi_8 o Wg$  is dominant

4  $q \bar{q} 
ightarrow \pi_8 \quad \pi_8 
ightarrow q \bar{q}, \ t \bar{t}$  are negligible.

 $\pi_8$  is the color counter part of the Goldstones in dynamical models. Top quark often need additional mechanism.

 $\star m_{\pi_8} \gtrsim 600 \,\, {
m GeV}$  where the pair production is inefficient.

The lighter case has been studied for pair production in TC context.

 $\diamond$  The direct single production is suppressed.

 $\diamond$  The doubly resonant signal can be used to access both  $\omega_8$  and  $\pi_8$ .

 This is the main point of the work : We show it is possible that both resonances are probed by the single process. Collider signatures: Charged mode

$$B(\omega_8 \to \pi_8^{\pm} W^{\mp}) \simeq 2/3$$

$$\omega_8 \to \pi_8^{\pm} W_{(\text{soft})}^{\mp} \to W_{(\text{hard})}^{\pm} W_{(\text{soft})}^{\mp} g$$

- ♦ Hadronic: both "hard" and "soft" W decay hadronically. Difficult to distinguish from multijet QCD background.
- ♦ Dileptonic: both W's decay leptonically.
   Branching ratio ~ only 5%,
   hard to reconstruct the final states.
- ♦ Semileptonic: More promising. Two cases: Hard leptonic W with hadronic soft W Hard W-tagged jet with leptonic soft W

Assumption

# Neutral mode $B(\omega_8 \to \pi_8^0 Z) \simeq 1/3 \leftarrow \omega_8 \to \pi_8^0 Z_{(\text{soft})} \to Z_{(\text{hard})} Z_{(\text{soft})} g$

- ♦ Hard leptonic: highly collimated leptons-> only muon ch. useful  $Z_{(hard)}Z_{(soft)}g \rightarrow (\ell^+\ell^-)_{(hard)}(jj)_{(soft)}j$
- $\Leftrightarrow \text{ Hard hadronic: collimated dijet-> hard $W$-tag method can be used} Z_{(\text{hard})} Z_{(\text{soft})} g \to (jj)_{(\text{hard})} (\ell^+ \ell^-)_{(\text{soft})} j$



L.

2.

#### Find jets by the C/A algorithm with R = 0.8; keep the clustering history and momenta of clusters to be merged at each step.

 $\diamond$  Pruning: Rerun the clustering: at each step, check if the two clusters a and b satisfy the following:

 $z_{ab} \equiv \frac{\min(p_T^a, p_T^b)}{p_T^J} < z_{\rm cut} \qquad z_{\rm cut} = 0.1$ 

 $\Delta R_{ab} > D_{cut} \equiv \alpha \cdot \frac{M_J}{p_T^J} \qquad \alpha = 1$ if yes, the softer one is discarded. Here  $\Delta R_{ab} = \sqrt{\Delta \eta_{ab}^2 + \Delta \phi_{ab}^2}$  $\diamond$  Mass drop tagging: Require the pruned jet mass to satisfy 60 GeV <  $M_{\rm jet}$  < 100 GeV. The jet is tagged as a W candidate if there exists a mass drop

 $M_1/M_{\rm iet} < 0.4$ 

 $M_1$  is the mass of the hardest jet in the last step of the pruning.

#### Simulations



Hard W-tagged jet with soft leptonic W

Most promising channel:

 $\omega_8 \to \pi_8^{\pm} W_{(\text{leptonic}:\mu,e)}^{\mp}$ 

$$\pi_8^{\pm} \to W_{(hadronic)}^{\pm} + jet$$

Backgrounds

Main SM backgrounds: W + jets and semileptonic  $t\overline{t}$ . Irreducible background:  $W^{\pm} + W/Z + \text{jets}$  only few %.

Event selection cuts

- ♦ Exactly one isolated lepton (e or  $\mu$ ) with  $p_{\perp}$  > 20 GeV.
- $\diamond$  Missing  $E_T > 20 \text{ GeV}$ .
- $\diamond$  A W-tagged jet  $j_W$  with  $p_{\perp} > 200$  GeV.
- $\diamond$  A jet  $j_1$  with  $p_\perp > 200$  GeV.
- ♦ Invariant mass (reconstructed  $\pi_8$  mass)  $M(j_W, j_1) > 500$  GeV.





#### $\pi_8$ resonance mass in the hard *W*-tagged channel



♦ Here  $\xi = 0.2$  case is shown. Assumed  $B(\omega_8 - > \pi_8 W) = 100\%$ . ♦ Energy scale uncertainties of W and gluon jets -> Relatively large width



- $\diamond$  Leptonic W reconstruction needed for  $\omega_8$  mass reconstruction.
- $\diamond$  If multiple solutions, the missing  $\mathbf{E}_{\mathrm{T}}$  with lowest  $p_{z}$  is chosen.
- $\diamond$  if necessary adjust the magnitude of the missing  $\mathbf{E}_{\mathrm{T}}$  to bring the W mass back to the nominal value.

The  $CL_s$  method

 $\diamond$  We have used for our exclusion and 5sig. discovery potential calc.

Developed by LEP experiment & Standard method at the LHC. Used for the exclusion limits at the LHC.

Define:

$$CL_s \equiv P_{s+b}(Q \le Q_{obs})/P_b(Q \le Q_{obs})$$

P -probability of the chosen statistics Q less than the observed value. Q -chosen to be the likelihood ratio which can be expressed as:

$$Q = e^{-s_{tot}} + \prod_{i=1}^{N_{chan}} \left(1 + \frac{s_i}{b_i}\right)^{n_i}$$

 $N_{chan}$  -total # of bin,  $s_{tot}$  -total signal rate  $n_i$  -# of observed event in i-th bin  $s_i \ b_i$  -signal & background rate in i-th bin

Given confidence level CL is reached when  $CL \geq 1 - CL_s$ 

Used Roostat package



- ♦ Cross section exclusion limits in pb in the  $(\omega_8, \pi_8)$  mass plane in the hard *W*-tagged jet channel.
- $\diamond$  The exclusion regions for  $\omega_8$  with  $\xi$  set to 0.1 and 0.2 are indicated.
- $\diamond$  Uncertainty=Statistic(MC+Event #) + ~20% syst. from background est.

The exclusion reach from hard W-jet channel

♦ The reconstructed π<sub>8</sub> bump is used as resolution is higher.
 ♦ For ω<sub>8</sub> and π<sub>8</sub> mass difference close to M<sub>w</sub>, the LHC will be able to exclude ω<sub>8</sub> production at 95% CL up to m<sub>ω8</sub>=2100 GeV (1350 GeV)
 for ξ = 0.2 (0.1) with 20fb<sup>-1</sup> integrated luminosity for the 8 TeV LHC data.

The discovery reach

For the same mass splitting  $\omega_8$  and  $\pi_8$ , an  $\omega_8$  5 $\sigma$  discovery reach is possible for masses up to  $m_{\omega 8}$ =1400 GeV (900 GeV) for  $\xi = 0.2 (0.1)$ .

$$\omega_8 \to \pi_8^{\pm} W_{(\text{hadronic})}^{\mp}$$
 followed by  $\pi_8^{\pm} \to W_{(\text{leptonic}:\mu\,e)}^{\pm} + \text{jet}$ 

- $\diamond$  Unlike hard-W case, lacks energetic W-jet.
- ♦ Requires 2 jets from ₩->significant reduction of the main backgrounds.
- $\diamond$  Backgrounds are the same as the previous

Event selection cuts

- ♦ Exactly one isolated lepton (*e* or  $\mu$ ) with  $p_{\perp} > 50$  GeV.
- $\diamond$  Missing  $E_T > 50$  GeV.
- ♦ A reconstructed  $W_{\text{(leptonic)}}$  with  $p_{\perp}$  > 200 GeV.
- $\diamond$  A jet  $j_1$  with  $p_\perp > 200$  GeV.
- ♦ Invariant mass (reconstructed  $\pi_8$  mass)  $M(W_{lep}, j_1) > 500 \text{ GeV}$ .
- $\diamond$  A hadronic W reconstructed from two non-leading jets with

 $p_{\perp} > 20 \text{ GeV}$  & inv. mass between 50 and 110 GeV.



♦ Here  $\xi = 0.2$  case is shown. Assumed B( $\omega_8 \rightarrow \pi_8 W$ )=100%. ♦ The invariant mass width is larger than hard W-jet case



♦ The energy of the hadronic *W* is rescaled to get the correct *W* mass, keeping  $\eta$ ,  $\phi$  and p<sub>⊥</sub> fixed.





- ♦ Cross section exclusion limits in pb in the  $(ω_8, π_8)$  mass plane in the hard leptonic *W* channel.
- ♦ The exclusion regions for  $\omega_8$  with  $\xi$  set to 0.1 and 0.2 are indicated.

The exclusion reach from hard leptonic W channel

For  $\omega_8$  and  $\pi_8$  mass difference close to  $M_W$ , the LHC will be able to exclude  $\omega_8$  production at 95% CL up to  $m_{\omega 8}$ =1800 GeV (1300 GeV) for  $\xi = 0.2$  (0.1) with 20fb<sup>-1</sup> integrated luminosity for the 8 TeV LHC data.

The discovery reach

For the same mass splitting  $\omega_8$  and  $\pi_8$ , an  $\omega_8$  5 $\sigma$ discovery reach is possible for masses up to  $m_{\omega 8}$ =1300 GeV for  $\xi = 0.2$ . For  $\xi = 0.1$  no discovery is possible in the studied range. Soft leptonic Z with hard Z jet

 $\omega_8 \rightarrow \pi_8^0 Z_{(\text{leptonic:}\mu\,e)}$  followed by  $\pi_8^0 \rightarrow Z_{(\text{hadronic})} + \text{jet}$   $\diamond$  Promising: leptonic Z constructioncase lacks energetic W-jet  $\diamond t\bar{t}$  is negligible if 2-lep inv. mass required to be close to Z mass.  $\diamond$  However: 3X smaller BR to leptons, 2X smaller total BR, worse cut efficiency.

Event selection cuts

- ♦ Exactly two isolated leptons of same flavor with opposite sign  $(e \text{ or } \mu)$  with  $p_{\perp} > 20 \text{ GeV}$  and  $|M(1^{+}1^{-}) M_{Z}| < 15 \text{ GeV}$ .
- ♦ Missing  $E_T < 50$  GeV.
- $\diamond$  A *W*-tagged  $j_{\rm Z}$  with  $p_{\perp} > 200$  GeV.
- $\diamond$  A jet  $j_1$  with  $p_\perp > 200$  GeV.
- ♦ Invariant mass (reconstructed  $\pi_8$  mass)  $M(j_Z, j_1) > 500$  GeV.

### Conclusions

- Study of the LHC prospects for color-octet SU(2)-singlet vector accompanied by color-octet SU(2)-triplet (pseudo)scalar using jet tools is presented.
- ♦ Demonstrated both resonances  $\omega_8$  and  $\pi_8$  can be searched upto  $m_{\omega 8}$ =1400 GeV (900 GeV) and exclude  $m_{\omega 8}$ =2100 GeV (1350 GeV) for  $\xi = 0.2$  (0.1) for 20fb<sup>-1</sup> integrated luminosity for the 8 TeV LHC data.
- ♦ The signal being doubly resonant is crucial for substantially reducing the main background.
- ♦ The most efficient channel is soft leptonic W and hard Wjet
- ♦ If π<sub>8</sub> is not accessible in direct production, due to its weak couplings to light generations, with sizable  $ω_8 → π_8 W$ , the doubly resonant signal opens possibility to both signal in a single stroke.