Light scalar at LHC: the Higgs or the dilaton?

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> > hep-ph/0708:1463 (today)

Outline

- Why is the Higgs so similar to the dilaton?
- Conformal theories at the TeV scale
- Dilaton couplings: Higgs-like: fermions and W/Z Higgs-unlike: massless gauge bosons, self couplings
- The dilaton at colliders: LEP, LHC, ILC.
- Things to do ...

Why is the Higgs so similar to the dilaton?

Because the dilaton couples to $T^{\mu}_{\mu} = \sum_{i} m_{i} \overline{\psi} \psi + \dots$

Because a light Higgs is also the dilaton

- SM interactions are approximately conformal down to the QCD scale
- Higgs mass term explicit breaking
- Higgs VEV spontaneous breaking

However, in general conformal invariance can be broken at a higher scale than the EW symmetry

 $\Lambda_{CFT} \sim 4\pi f$

The breaking of conformal invariance triggers EWSB $\Lambda_{EW}\sim 4\pi v < \Lambda_{CFT}$

The scales v and f are not the same, except for the Higgs

Conformal theories at the TeV scale

Classic example: walking technicolor (some doubted that the dilaton would be light)

Things changed with AdS/CFT and RS model, where there are plenty of examples of CFT's that are spontaneously broken

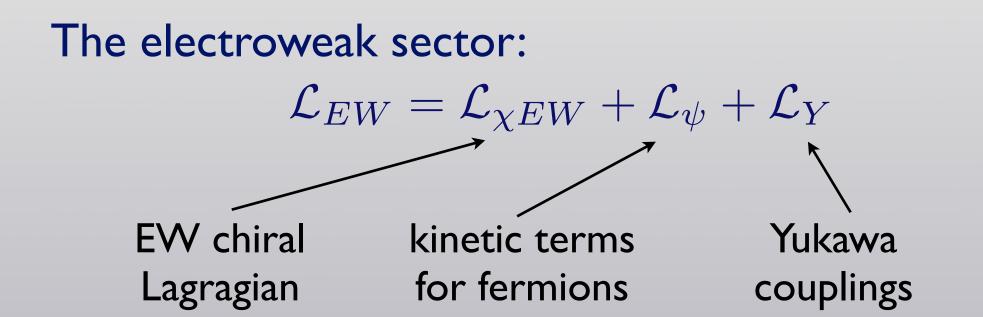
There is no doubt a small parameter controlling the dilaton mass exists in such theories

Dilaton couplings

Given the Lagrangian
$$\mathcal{L} = \sum_{i} g_i(\mu) \mathcal{O}_i(x)$$
,
the divergence of the scale current is:
 $\partial_\mu S^\mu = \sum_{i} g_i(\mu) (d_i - 4) \mathcal{O}_i(x) + \sum_{i} \beta_i(g) \frac{\partial}{\partial g_i} \mathcal{L}$

Including the dilaton field, $\chi(x)$, makes the Lagrangian formally scale invariant

$$g_i(\mu) \to g_i\left(\mu\frac{\chi}{f}\right)\left(\frac{\chi}{f}\right)^{4-d_i}$$



After replacing $\chi(x) \to f + \bar{\chi}(x)$ $\mathcal{L} = \left(\frac{2\bar{\chi}}{f} + \frac{\bar{\chi}^2}{f^2}\right) \left[m_W^2 W^+_\mu W^{-\mu} + \frac{1}{2}m_Z^2 Z_\mu Z^\mu\right] + \frac{\bar{\chi}}{f} \sum_{\psi} m_{\psi} \bar{\psi} \psi$

(The usual Higgs couplings rescaled by $\frac{v}{f}.$ Note only partial restoration of unitarity if f>v.)

Dilaton cubic self coupling

Suppose CS is explicitly broken: $\mathcal{L}_{CFT} + \lambda_{\mathcal{O}} \mathcal{O}(x)$

Usual spurion analysis gives $V(\chi) = \chi^4 \sum_{n=0}^{\infty} c_n(\Delta_{\mathcal{O}}) \left(\frac{\chi}{f}\right)^{n(\Delta_{\mathcal{O}}-4)} \underbrace{dim(\mathcal{O})}_{dim(\mathcal{O})}$

There are two limits in which there is a small parameter (a) λ_O small in units of *f*, (b) $|\Delta_O - 4| \ll 1$

$$V(\bar{\chi}) = \frac{1}{2}m^2\bar{\chi}^2 + \frac{\lambda}{3!}\frac{m^2}{f}\bar{\chi}^3 + \cdots$$
$$\lambda = \begin{cases} (\Delta_{\mathcal{O}} + 1) + \mathcal{O}(\lambda_{\mathcal{O}}) & \text{case (a)} \\ 5 + \mathcal{O}\left(|\Delta_{\mathcal{O}} - 4|\right) & \text{case (b)} \end{cases}$$

$$\lambda = \begin{cases} (\Delta_{\mathcal{O}} + 1) + \mathcal{O}(\lambda_{\mathcal{O}}) & \text{when } \lambda_{\mathcal{O}} \ll 1 \\ 5 + \mathcal{O}(|\Delta_{\mathcal{O}} - 4|) & \text{when } |\Delta_{\mathcal{O}} - 4| \ll 1 \end{cases}$$

The Higgs case, $\Delta_{\mathcal{O}} = 2$, checks out $\lambda = 3$

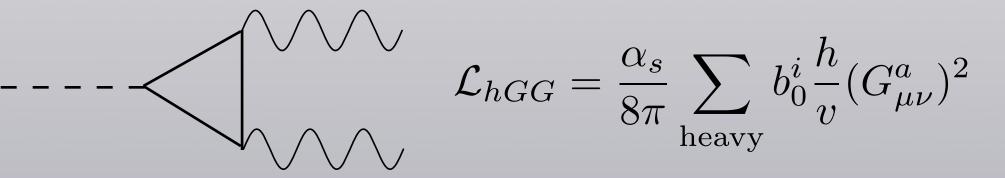
Irrelevant perturbations should not break conformal symmetry which implies an upper bound on the cubic

 $\lambda \leq 5$

saturated for nearly marginal operators

Couplings to massless gauge bosons

At zero momentum the Higgs/dilaton couplings are related to the conformal anomaly



If SM is embedded in a conformal theory

$$\sum_{\text{light}} b_0 + \sum_{\text{heavy}} b_0 = 0$$

$$\mathcal{L}_{\chi gg} = -\frac{\alpha_s}{8\pi} b_0^{\text{light}} \frac{\bar{\chi}}{f} (G^a_{\mu\nu})^2$$

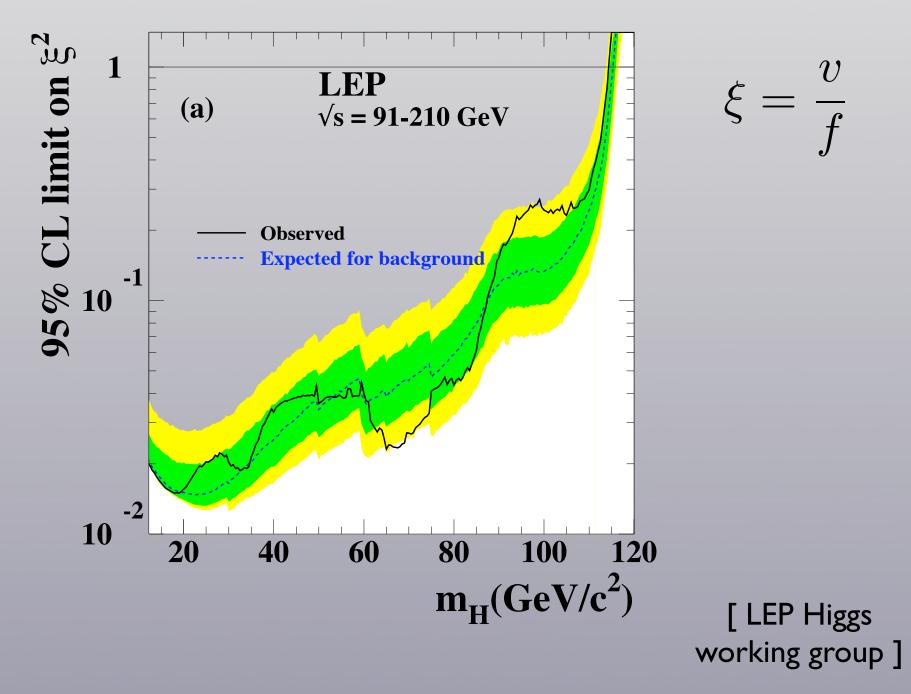
- Large enhancement of the dilaton-glue coupling possible, an order of magnitude compared to SM Higgs
- The coupling to the photons may be suppressed
- Not a clean dilaton signature since Higgs couplings can be altered by heavy particles as well
- An exact result for the couplings obtained using conformal compensator $\mathcal{L}_{\chi gg} = -\frac{\beta(g)}{2q} \frac{\bar{\chi}}{f} (G^a_{\mu\nu})^2$

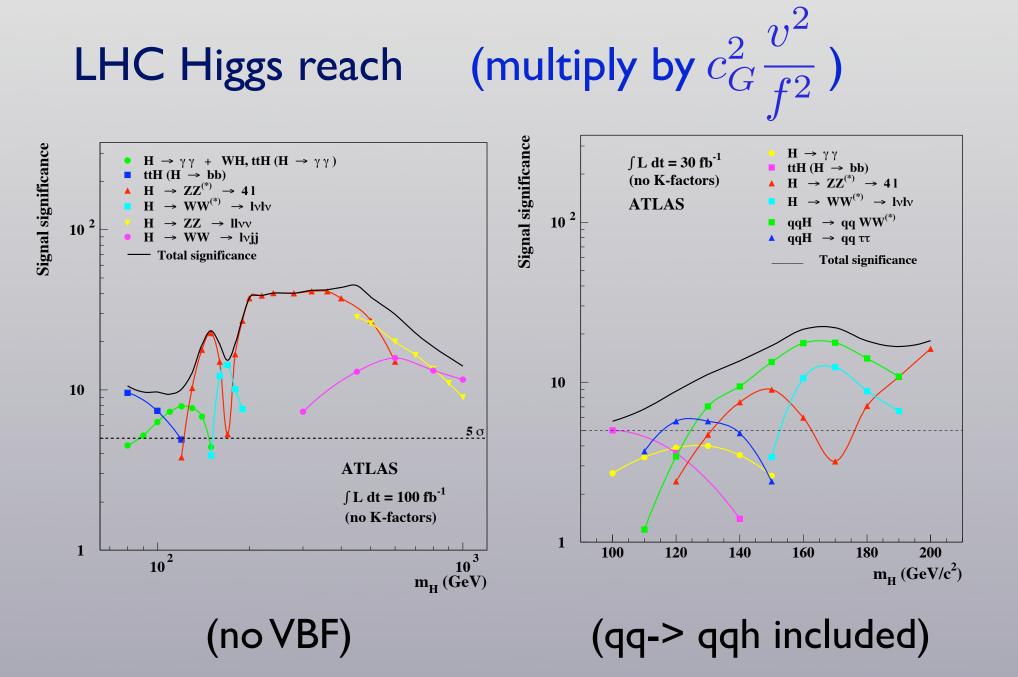
The dilaton at colliders

Branching ratios to fermions and WW, ZZ same as Higgs The crucial parameters are f and mcomplete Lagrangian also has three couplings: λ , c_G , c_{EM}

- LEP: bounds if $v^2/f^2 > 0.1 0.01$
- LHC: discovery that could be easier or harder than the Higgs case depending on the ratio v/fand the strength of the χgg , $\chi \gamma \gamma$ couplings, crude measurement of v/f
- ILC: precise measurements of f via couplings of gauge bosons, branching ratios, total width, a chance to measure the cubic

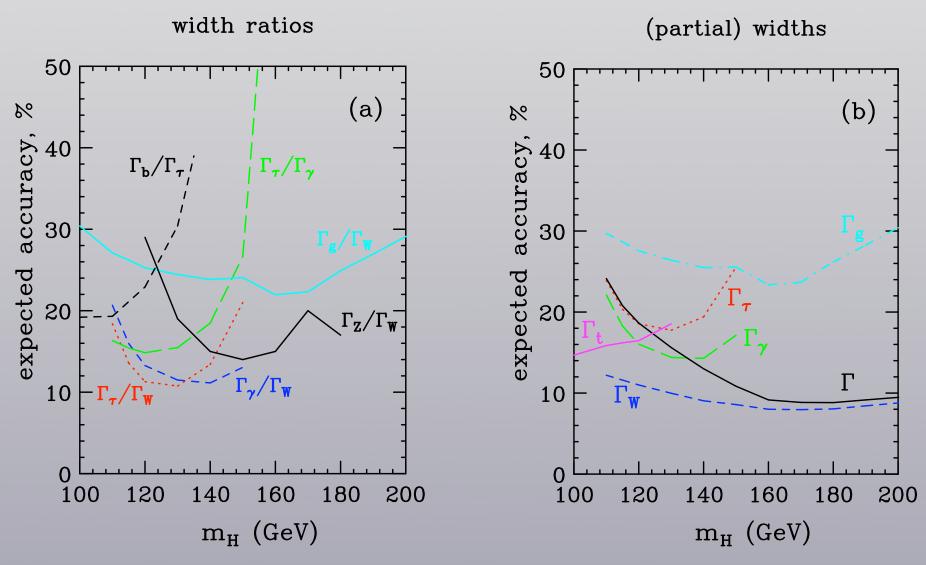
LEP bounds





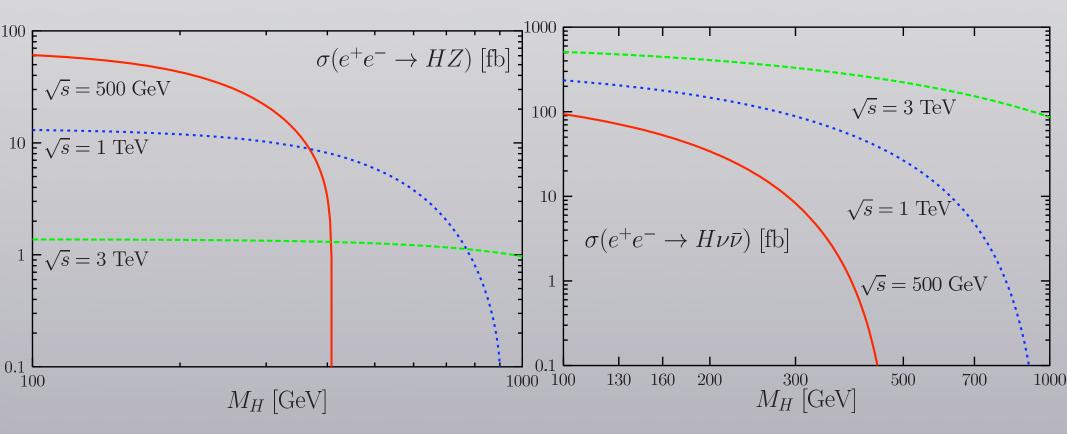
[S.Asai et al. hep-ph/0402254]

LHC Higgs properties



[M. Duhrssen et al., PRD 70, 113009]

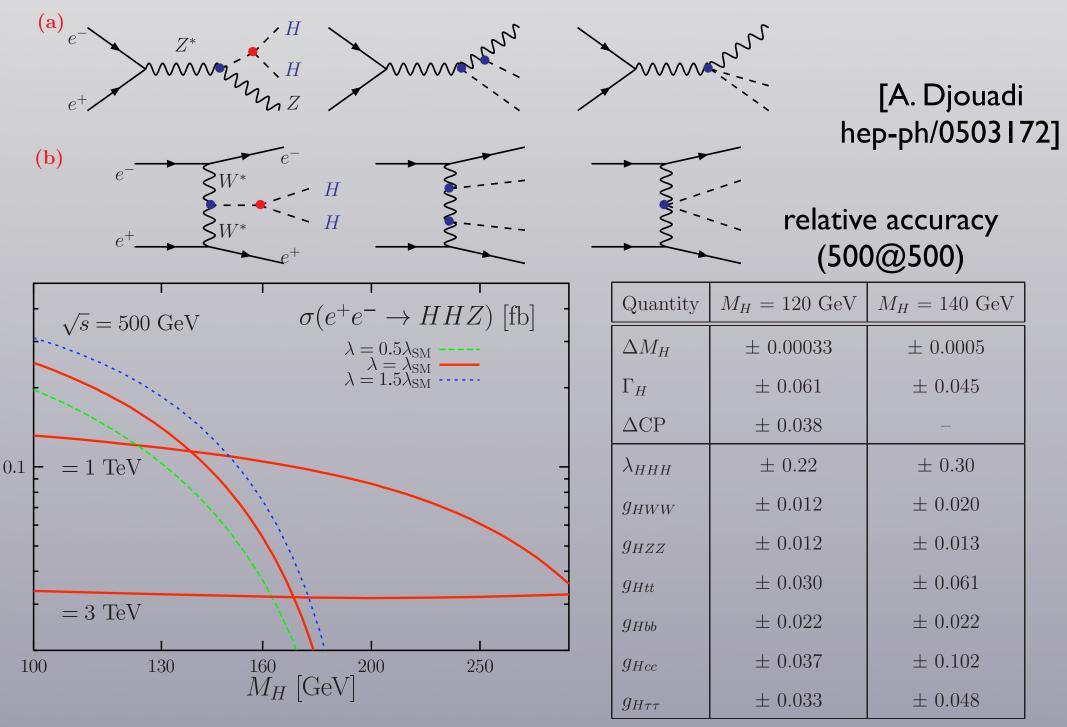
ILC Higgs production



(For the dilaton rescale by v^2/f^2)

[A. Djouadi hep-ph/0503172]

ILC 2 Higgs production



Things to do ...

- Accurate estimates and search strategies at the LHC, what is the best way to determine the decay constant?
- A bound on the cubic coupling, what happens if there are several sources of symmetry breaking?
- What can we learn at the ILC?
- Dilaton mass in nearly conformal gauge theories
- Partial unitarization vs masses of heavy states
- Model-dependent questions