Limit Setting

The binned likelihood function is shown in the equation below.

$$\ell(\operatorname{datd} N_{j}, \theta_{i}) = \prod_{k=1}^{N_{bin}} \frac{\mu_{k}^{n_{k}} e^{-\mu_{k}}}{n_{k}!} \prod_{i=1}^{N_{sys}} G(\theta_{i}, \mu_{\theta_{i}}, \sigma_{\theta_{i}})$$

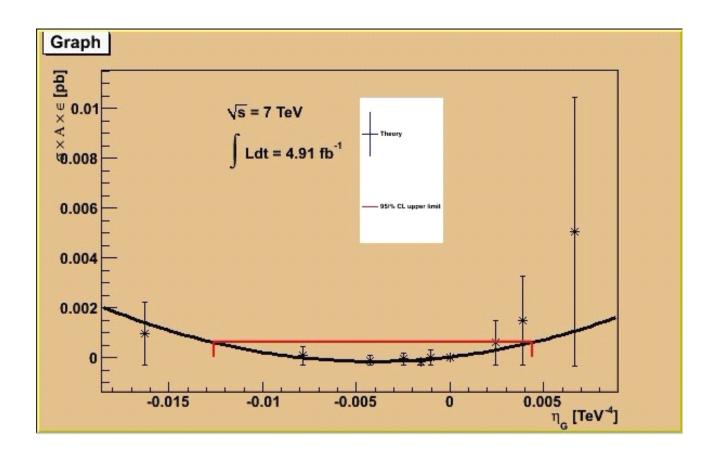
Employing Bayesian statistics we use equation below and treat G(θ i, 0, 1) as nuisance parameters θ i with Gaussian priors to incorporate the effects of systematic uncertainty.

$$\ell(data \mid \sigma B) = \int \ell(\sigma B, \theta_{1,...,}\theta_{N}) d\theta_{1,...,} d\theta_{N}$$

$$0.95 = \frac{\int_{0}^{(\sigma B)95} \ell'(\sigma B) \pi(\sigma B) d(\sigma B)}{\int_{0}^{\infty} \ell'(\sigma B) \pi(\sigma B) d(\sigma B)}$$

$$\sigma_{tot} = \sigma_{SM} + \eta_G \sigma_{int} + \eta_G^2 \sigma_G$$
$$S = (\sigma_{tot} - \sigma_{SM}) \times A \times \varepsilon$$

- The signal acceptance, defined by requiring that the two signal photons pass the pT and n cuts at the truth level.
- The signal efficiency, defined as the percentage of events within the acceptance which are selected after all selection cuts



$$\eta_G = F/M_s^4$$

$$F = 1, (GRW);$$

$$F = \begin{cases} \log(\frac{M_s^2}{M^2}) & n=2\\ \frac{2}{n-2} & n>2 \end{cases}, (HLZ);$$

$$F = \frac{2\lambda}{m-2} = \pm \frac{2}{m-2}, (Hewett).$$

ADD	GRW	Hewett	HLZ				
Parameter			n=3	n=4	n=5	n=6	n=7
etaG	0.0126	0.0126	0.0126				
Ms	2.98475	2.66611	3.5495	2.985	2.697	2.510	2.374