

# How to measure multiple parton interactions

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# Disclaimer

- There's many things I will not do, like reviewing where we stand experimentally, talking about deep theoretical ideas, ...
- What I'll try to do instead is to sketch an experimental program of possible measurements with some very rough numbers.
- I will try to put them into perspective, with a very simple (too simple) idea of the underlying physics.
- And I will try not to carry coal to Newcastle ....

.... of course I'll fail in most of these aspirations ....

# Btw: Why are we actually interested?

- Pragmatists approach: Because MPI may spoil the fun in many discovery type measurements – take as example everything with a jet veto like WBF-Higgs production or  $H \rightarrow WW$ .
- Opportunists approach: Because they exist, can be easily calculated and even measured and because there are not many people right now who would like to embark on this, so a good, hassle-free project for myself and for my students.
- Idealists approach: Because this is some interesting corner of QCD we do not (yet?) understand and we owe it to ourselves.



# Outline

- **Introduction: A simple model**
  - Ingredients to estimate the importance of MPI/check for their visibility
- **Theory inputs: Some interesting processes**
  - A quick listing of those inclusive cross-section I personally find most interesting and/or entertaining.
  - What cuts would we use?
- **Flavouring it**
  - Going for heavy quarks

# Introduction: A simple model

*A birds eye view*

# A simple model

- Cross section for the production of a composed system Y+Z

$$d\sigma_{Y+Z} = d\sigma_{Y+Z}^{\text{dir}} + \frac{d\sigma_Y \otimes d\sigma_Z}{\sigma_{\text{eff}}}$$

- Direct components with textbook methods

$$d\sigma_X^{\text{dir}} = dx_1 dx_2 f(x_1, \mu_F) f(x_2, \mu_F) \cdot d\Phi_X |\mathcal{M}_{12 \rightarrow X}(\Phi_x; \mu_F, \mu_R)|^2$$

- Use of factorisation-theorems (PDFs)

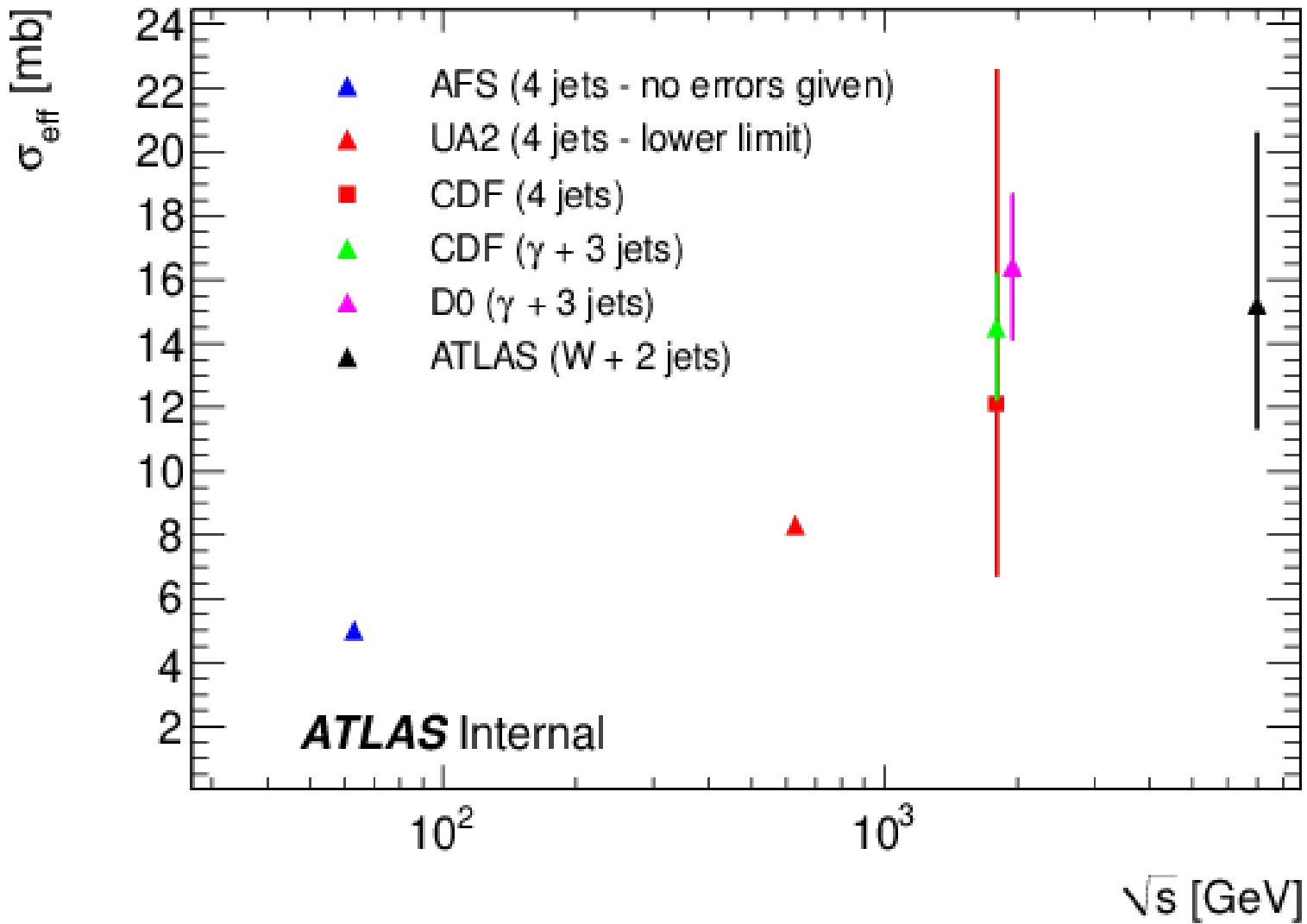
# A simple model (cont'd)

- Cross section for the production of a composed system Y+Z

$$d\sigma_{Y+Z} = d\sigma_{Y+Z}^{\text{dir}} + \frac{d\sigma_Y \otimes d\sigma_Z}{\sigma_{\text{eff}}}$$

- DPS contribution parametrised by  $\sigma_{\text{eff}}$ , a process-independent quantity
- May have two-parton PDFs instead of  $f(x_1, \mu_F)$
- This means: an idea of factorisation  
(but there is no theorem here, or anything, it is just an ansatz!)

# Energy dependence of $\sigma_{\text{eff}}$





# So: What's the strategy?

- In a first step, establish whether indeed  $\sigma_{\text{eff}}$  is
  - Process- and cut-independent
- Then, try to extract properties of  $f(y,z,\mu)$ :
  - Naïve factorisation:  $f(y,z,\mu) = (1-y-z) f(y,\mu)f(z,\mu)$
  - Is this true? More complicated form in  $y, z$ ?
  - Or rather two scales?
  - Connection to other perturbative objects?
- Measure DPS in a plethora of combinations

# Some fun processes to look at

(all at leading order, no loops)

Final state	Cut = 10 GeV	20 GeV	30 GeV
$W^- \rightarrow l\nu$		4.2 nb	
$W^+ \rightarrow l\nu$		6 nb	
$Z \rightarrow ll$		1 nb	
$tt$		94 pb	
$bb$	10 $\mu\text{b}$	1 $\mu\text{b}$	0.2 $\mu\text{b}$
$jj$	2.5 mb	0.2 mb	0.05 mb
$j\gamma$	650 nb	75 nb	20 nb
$\gamma\gamma$	420 pb	60 pb	20 pb

# Some fun combinations to look at

(all at leading order, no loops)

Final state	Direct contribution (2 → 4)	DPS contribution (4 → 4)
W-W-jj	1 fb (QCD) 2.5 fb (full)	1 fb
W+W+jj	2 fb (QCD) 5 fb (full)	2 fb
ttW+	10 fb	0.03 fb
ttW-	4 fb	0.02 fb
W+bb	1200 fb (QCD)	300 fb (really?)
W-bb	700 fb (QCD)	200 fb (really?)
Zbb	820 fb (QCD)	50 fb (really?)

- All bosons decay into one lepton species only, b-jets with  $p_t = 20 \text{ GeV} / D=0.4$
- All numbers generated yesterday night – I was really puzzled by some.
- Needs checking! I did super simple scale choices etc..

→ And of course, the “classical combinations” jjjj, jjjy, jjbb, jybb ....

# Typical observables

- For b-jets it would be interesting to see, if we can push the pt to lower values, maybe by looking for b-hadrons only (they fragment fairly hard, with  $\langle x \rangle = 0.8$  or so)
- In general we will check for pt-balances, in the spirit of Yuri's talk or how it was done in Elli's analysis.
- It may be useful to also normalise the pt-imbalance on the scalar average of the two pt's – in some cases this may cancel nasty systematics.
- For W-bosons missing Et is a bit tricky – correlation of leptons instead (two leptons for WW, lepton-jet system for Wjj?)
- In case we can reconstruct two-imbbalances the relative angle between both may be helpful to reduce contamination from  $2 \rightarrow 4$  processes.
- We should also try to look for patterns in rapidity differences of the 4 objects or the two scatter systems.

# Summary

- In my opinion, in the foreseeable future, the **physics of MPI will be driven by experiment** – there are still too many question marks in theory (factorisation? which PDFs? how to put things into numbers/simulations?)
- So, in a first step, I think we should go and check/falsify the simplistic picture outlined here – after all, this is the scientific principle (falsification, positivism, Ockham's razor or other posh words)
- We will most likely achieve a breakthrough through brute force only – **many processes, many differing phase space configurations, scales, and x-values.**
- Basically we need to **look for patterns of how the simplistic picture breaks down.**
- We will – hopefully – be able to do nifty after that.

