

# Measurement of top-antitop production with a veto on additional central jet activity

[arXiv:1203.5015](https://arxiv.org/abs/1203.5015) - Eur. Phys. J. C (2012) 72:2043

## Low-X 2012

Kiran Joshi

on behalf of the ATLAS collaboration

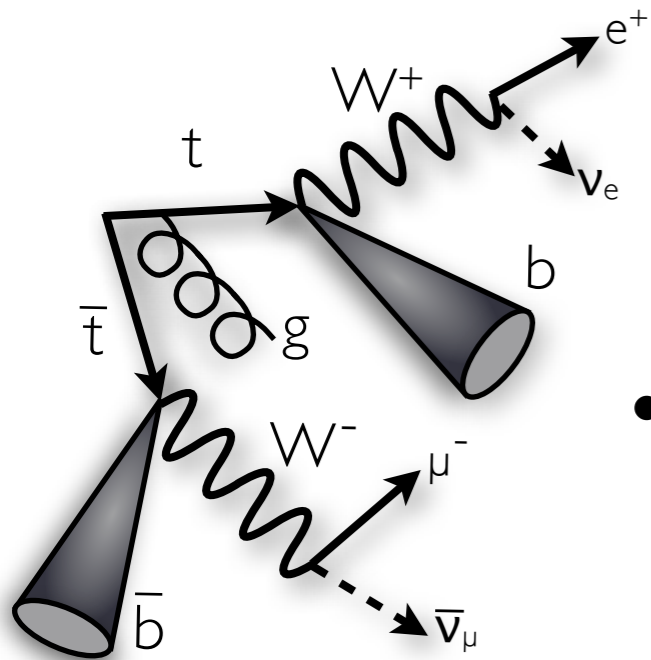
Outline:

- Motivation
- Object & event selection
- Variable definition
- Systematic uncertainties
- Results
- Summary



<http://atlas.ch>

# Why top-antitop events?



- Jet vetoes are useful tools for measuring QCD activity.

- Analyses of **top-antitop** final-states are good tests of the SM, and will be important **probes of new physics** at the LHC.

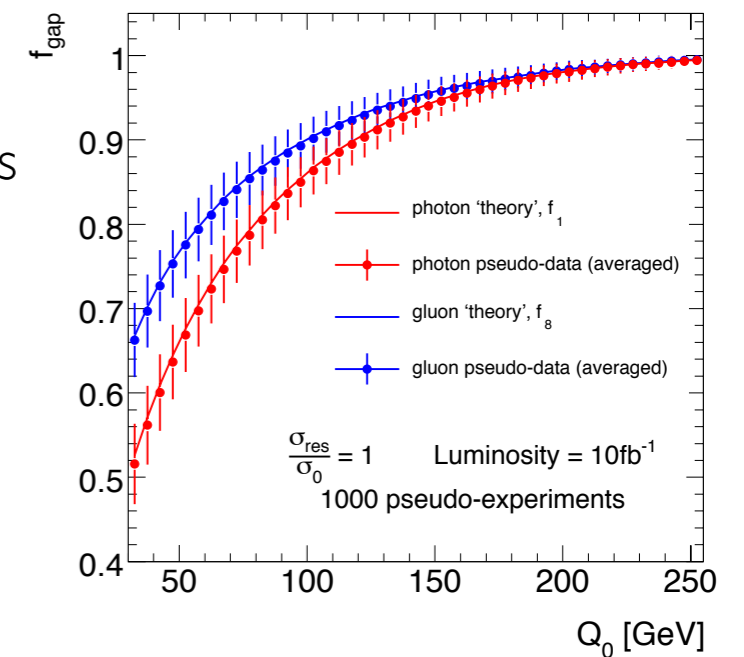
- E.g. properties of new heavy resonances, decaying to **tops**, could be measured by looking at the **associated QCD radiation**.

- Furthermore, interpretation of recent Tevatron results ( $A_{FB}$ ) are obscured by data-MC disagreement and uncertainties in modelling the top-antitop final state.

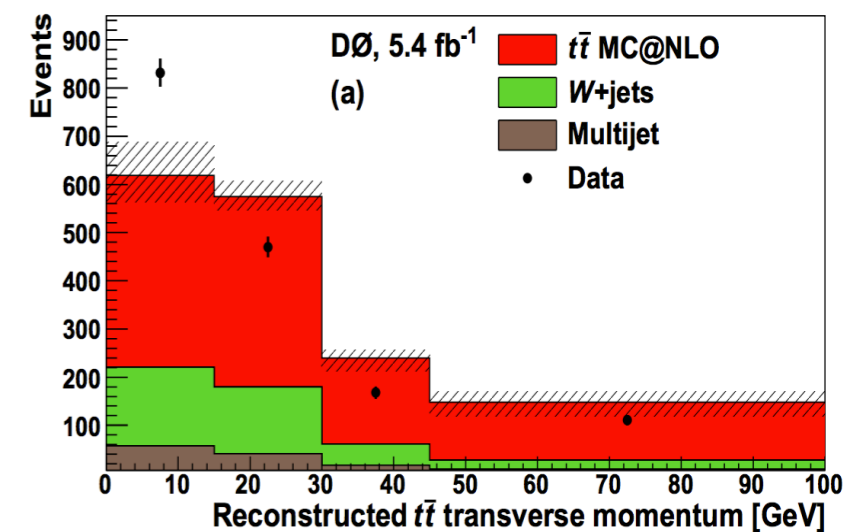
- Our aim to perform a precise measurement of QCD in **top-antitop** final-states, which are **not yet well-explored**.

(Sung Phys.Rev. D80 (2009) 094020)

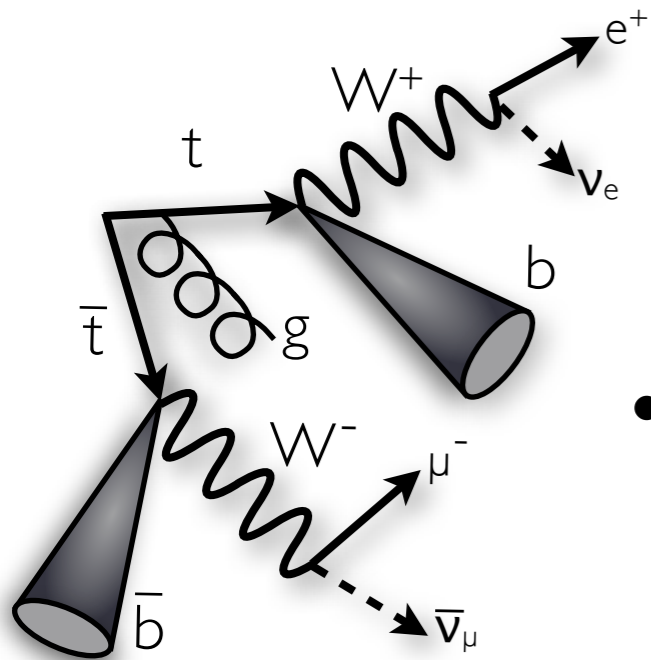
Ask et al. JHEP 1201 (2012) 018



D0 Collaboration Phys. Rev. D 84, 112005 (2011)



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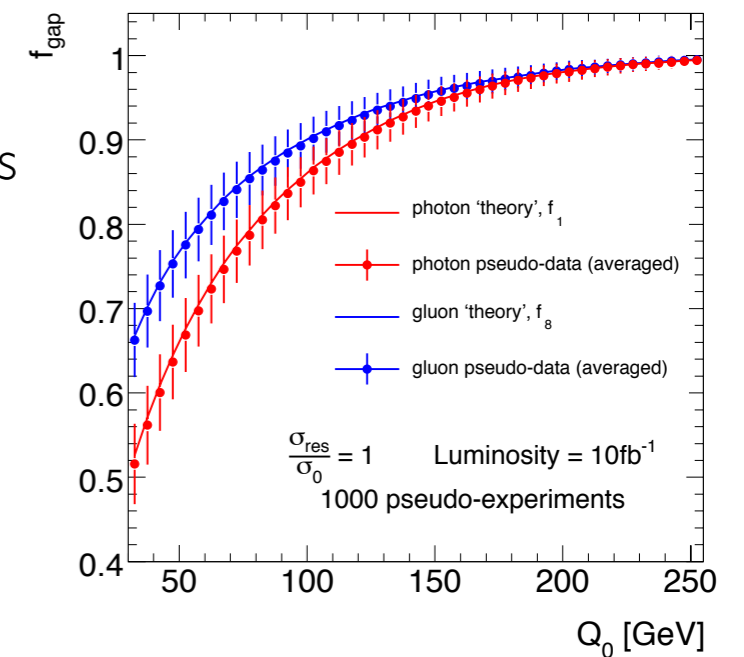
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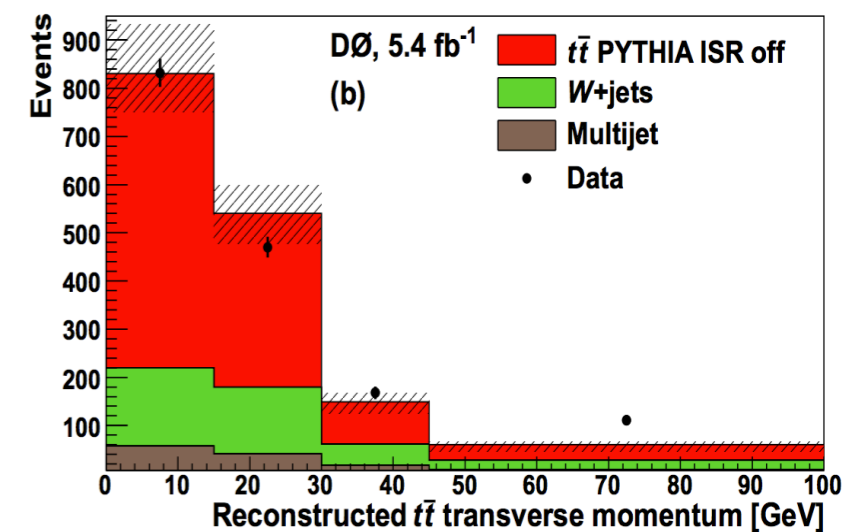
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# How do we identify tops?

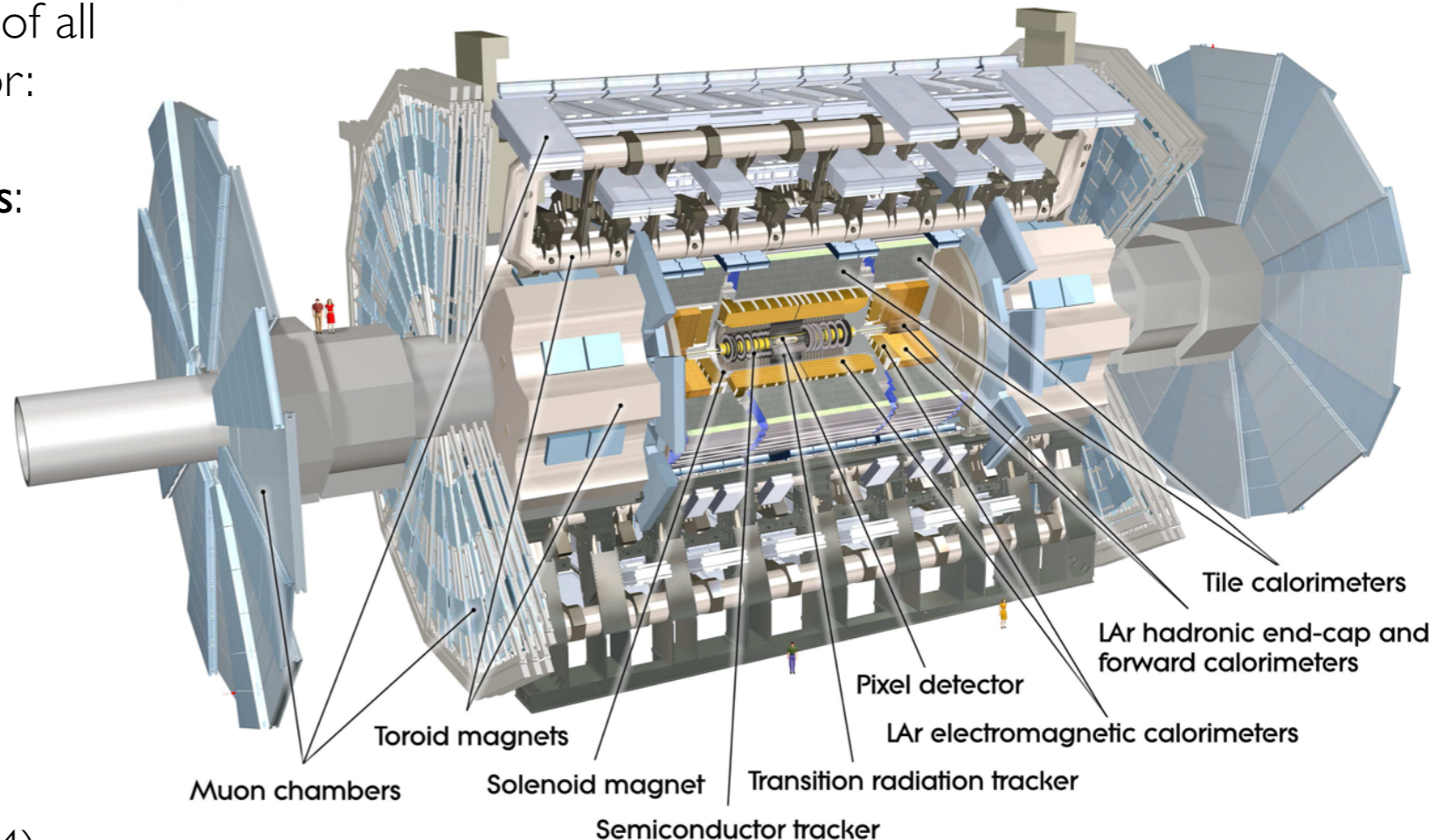
- Top-antitop final-state makes use of all subsystems of the ATLAS detector:

- High- $p_T$ , central, isolated **electrons**:  
 $p_T > 25 \text{ GeV}$ ,  $|\eta| < 2.47$   
(excluding  $1.37 < |\eta| < 1.52$ )

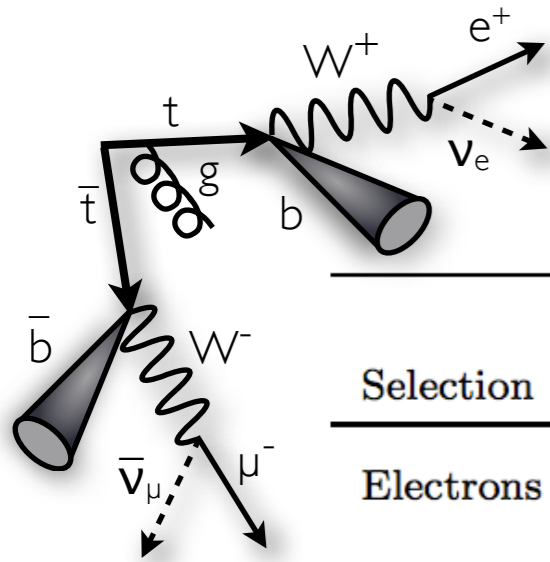
- High- $p_T$ , central, isolated **muons**:  
 $p_T > 20 \text{ GeV}$ ,  $|\eta| < 2.5$

- High- $p_T$ , central **jets**: (anti- $k_t$ ,  $R=0.4$ )  
 $p_T > 25 \text{ GeV}$ ,  $|y| < 2.4^*$

- \* Jets are matched to vertices. Only jets consistent with the **primary vertex** (containing b-jets and leptons) are used in the analysis.



# Which events do we use?

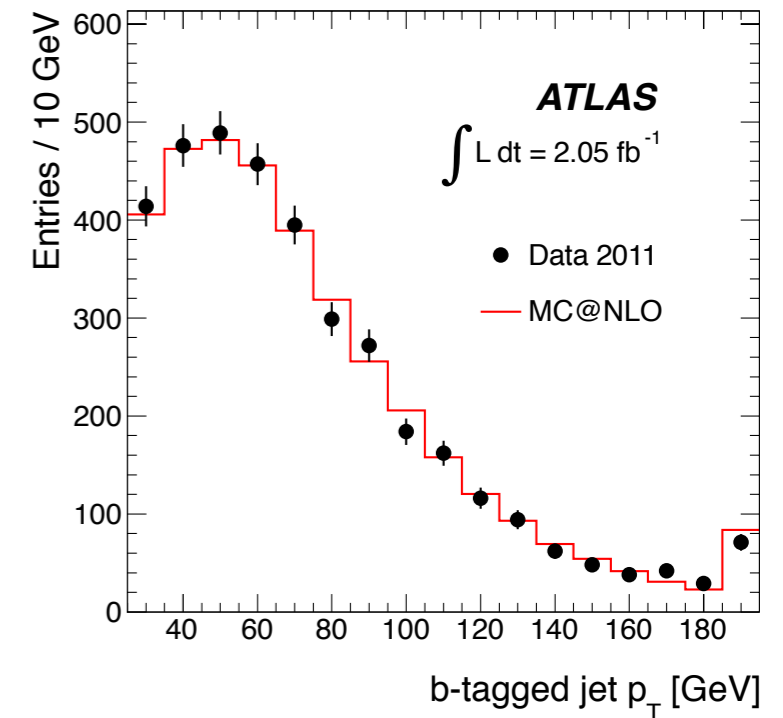
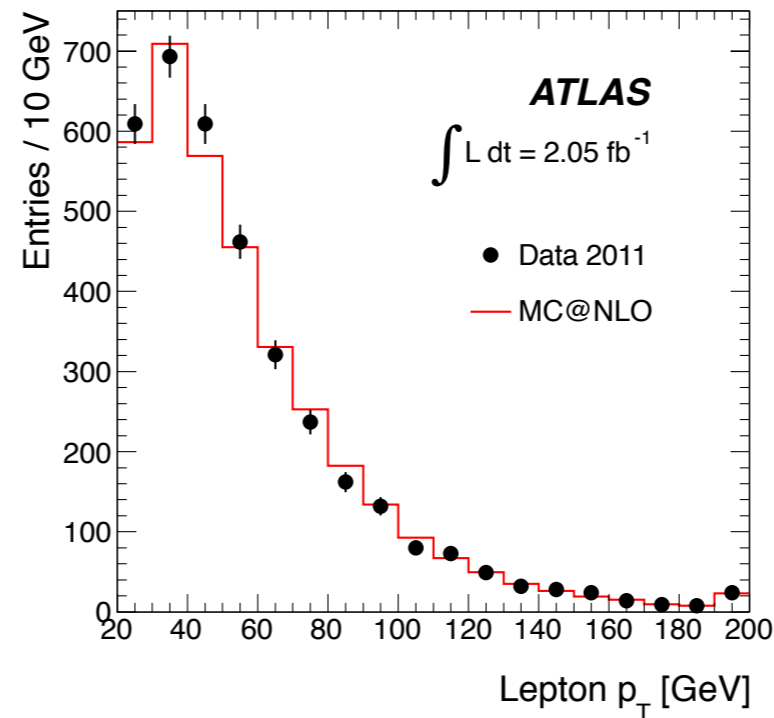
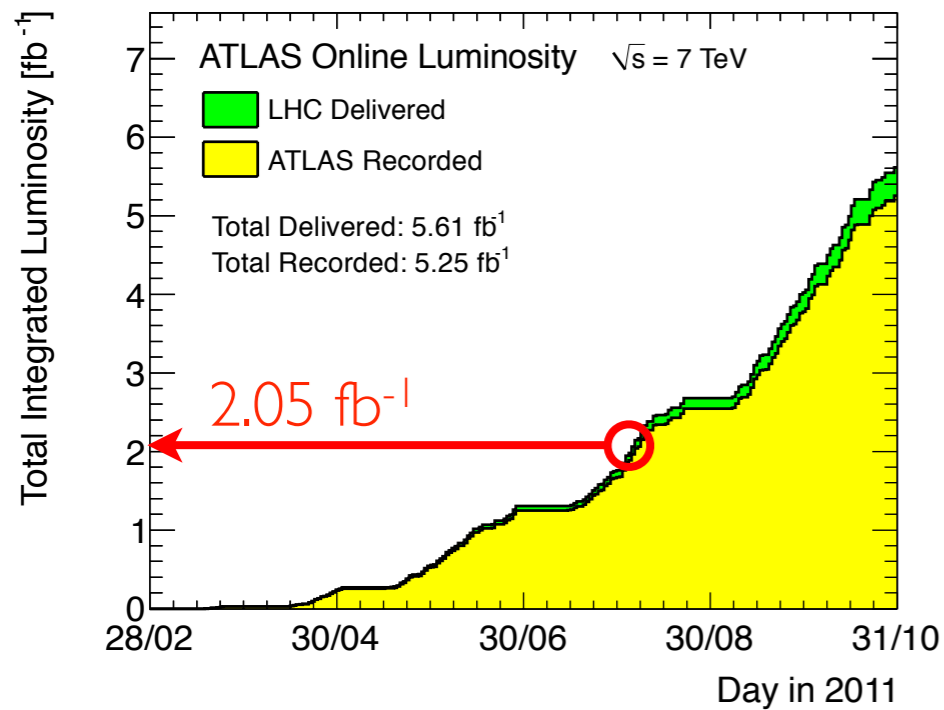


Selection	Channel		
	$ee$	$\mu\mu$	$e\mu$
Electrons	2 with $E_T > 25$ GeV, $ \eta  < 2.47$	–	1 with $E_T > 25$ GeV, $ \eta  < 2.47$
Muons	–	2 with $p_T > 20$ GeV, $ \eta  < 2.5$	1 with $p_T > 20$ GeV, $ \eta  < 2.5$
$E_T^{\text{miss}}$	$> 40$ GeV	$> 40$ GeV	–
$H_T$	–	–	$> 130$ GeV
$m_{\ell\ell}$	$> 15$ GeV $ m_{\ell\ell} - 91 \text{ GeV}  > 10 \text{ GeV}$	$> 15$ GeV $ m_{\ell\ell} - 91 \text{ GeV}  > 10 \text{ GeV}$	–
$b$ -tagged jets	At least 2 with $p_T > 25$ GeV, $ y  < 2.4$ , $\Delta R(j, \ell) > 0.4$		

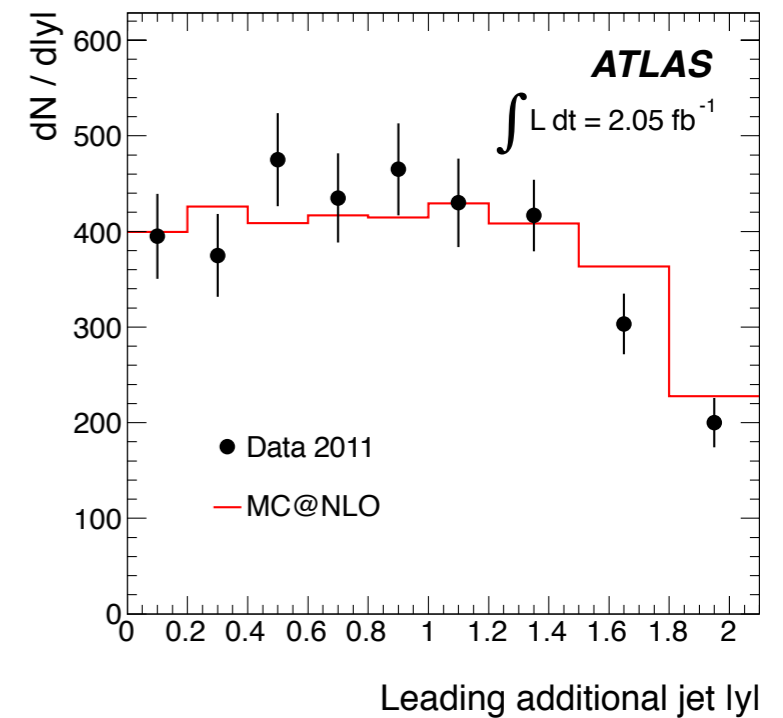
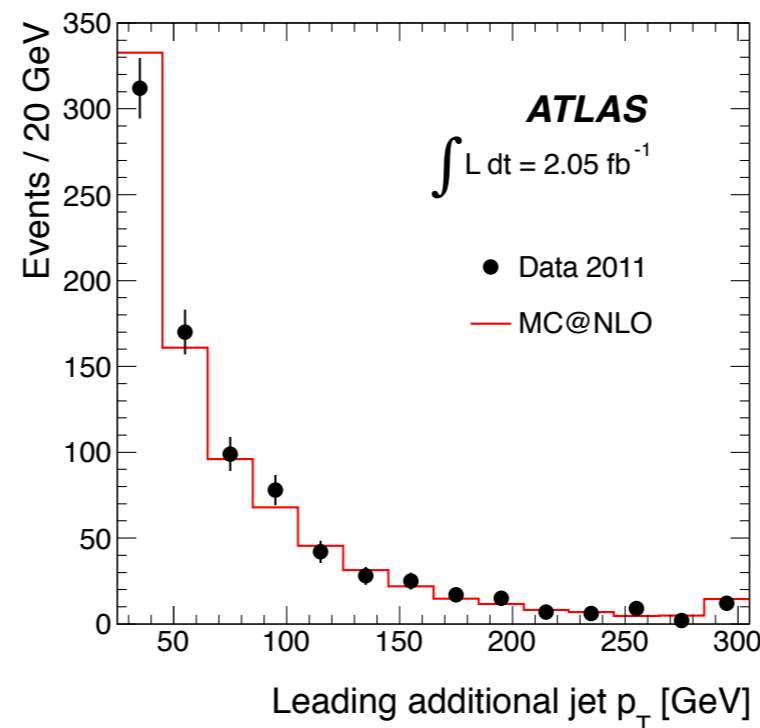
- $b$ -tagging algorithm based on impact parameter and secondary vertex information.
- Average per-jet efficiency of 70% for  $b$ -jets in simulated top-antitop events.
- Rejects  $\sim 99\%$  of jets originating from light quarks and gluons.



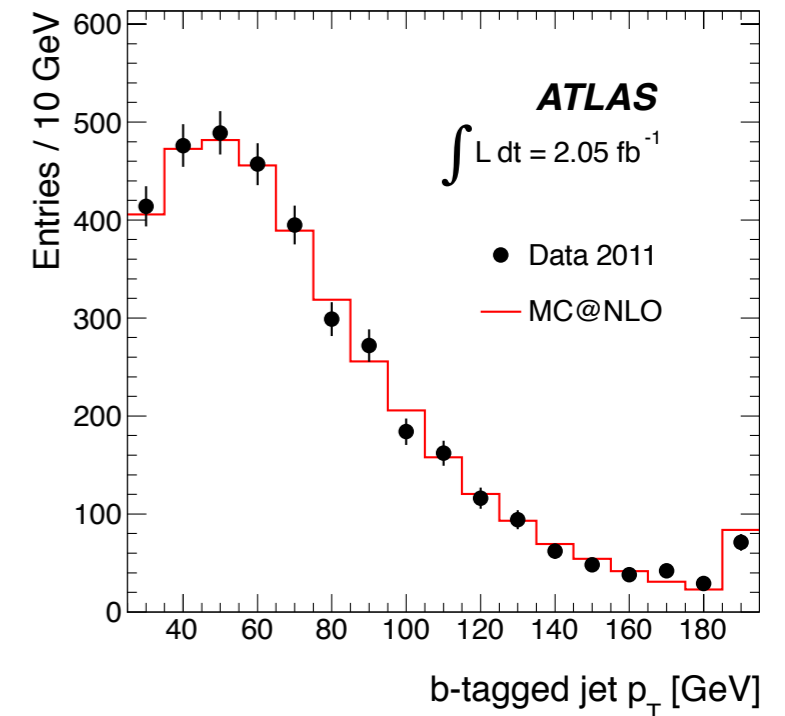
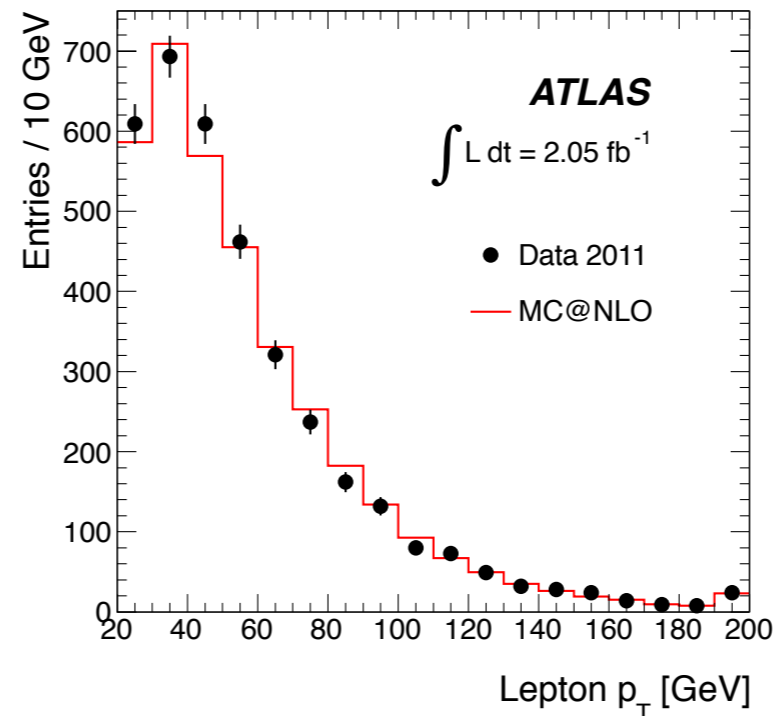
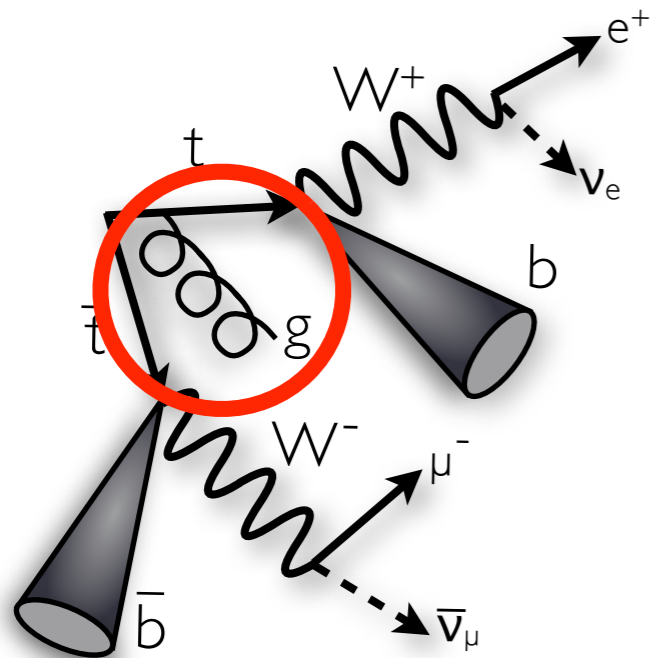
# Selected events



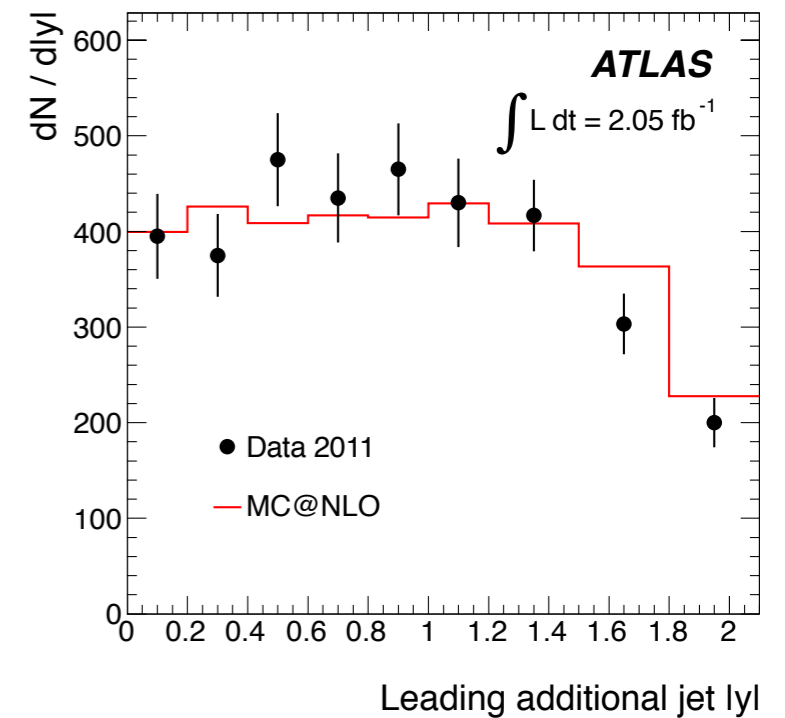
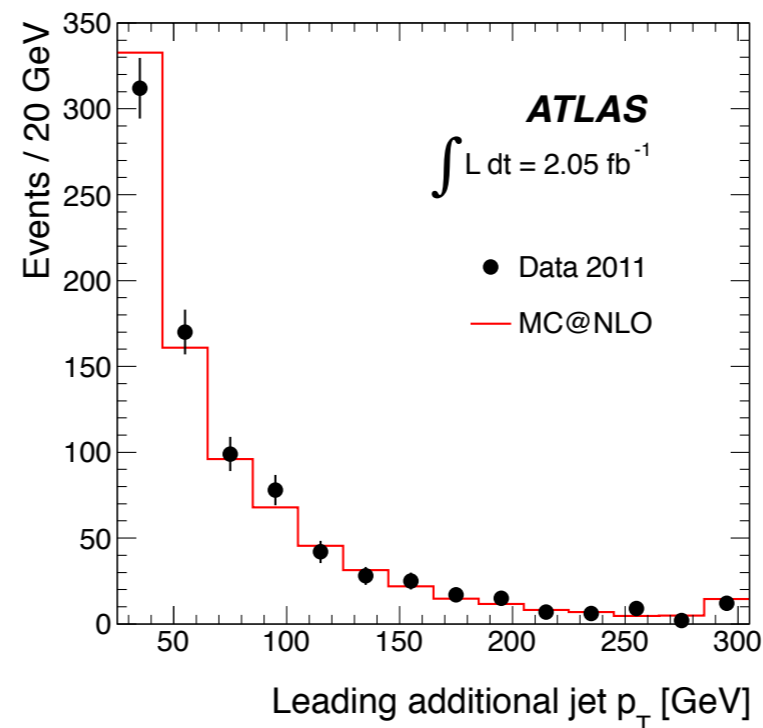
- **1773 top-antitop events** remain after selection.
- No backgrounds subtracted from data. (Total background contamination  $\sim 6\%$ .)
- Tight event selection provides a very pure sample of top-antitop events.



# Selected events



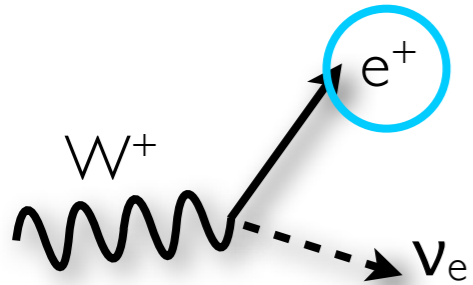
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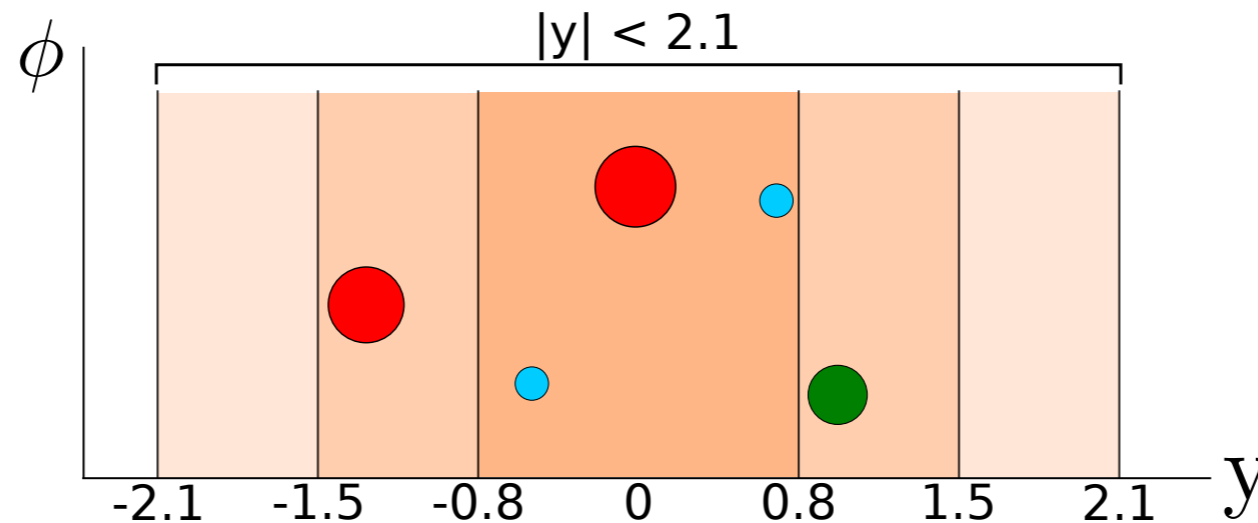
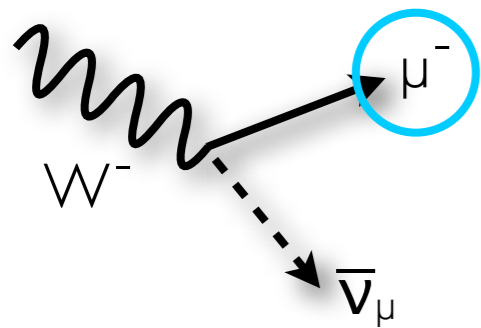
# Jet vetoing in top-antitop events

- Study the fraction of  $t\bar{t}$  events that do **NOT** contain an additional jet, in a central rapidity interval, with  $p_T > Q_0$ :

$$f(Q_0) = \frac{n(Q_0)}{N}$$



- Dileptonically-decaying top-antitop events provide a clean environment to probe the additional radiation.
- Jets originating from **b-quarks** are **easily distinguished** from additional jets using b-tagging.
- No complications from jet combinatorics**, like in lepton+jets channel analyses.

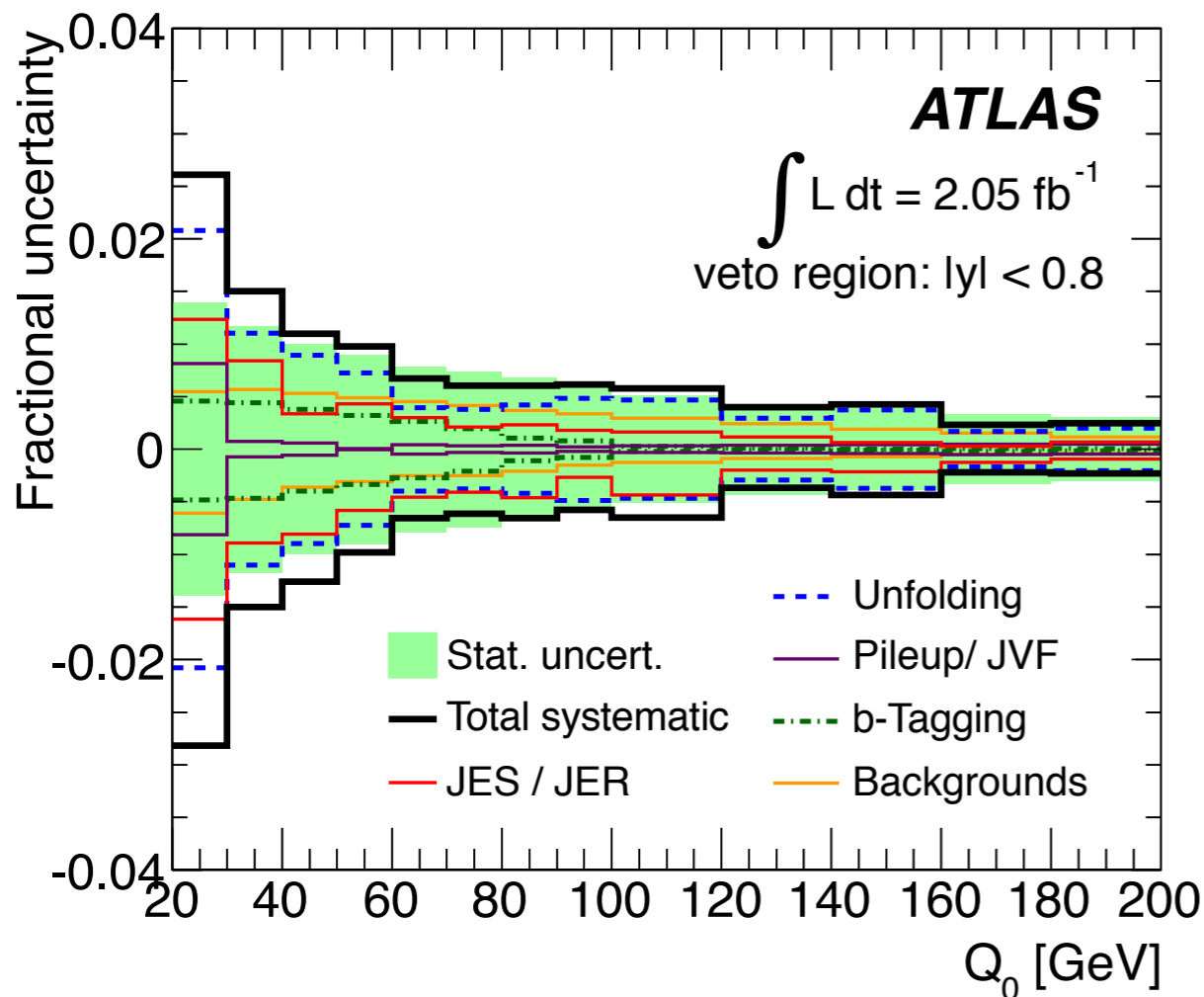


- Measured data corrected for detector effects and presented in a fiducial region.

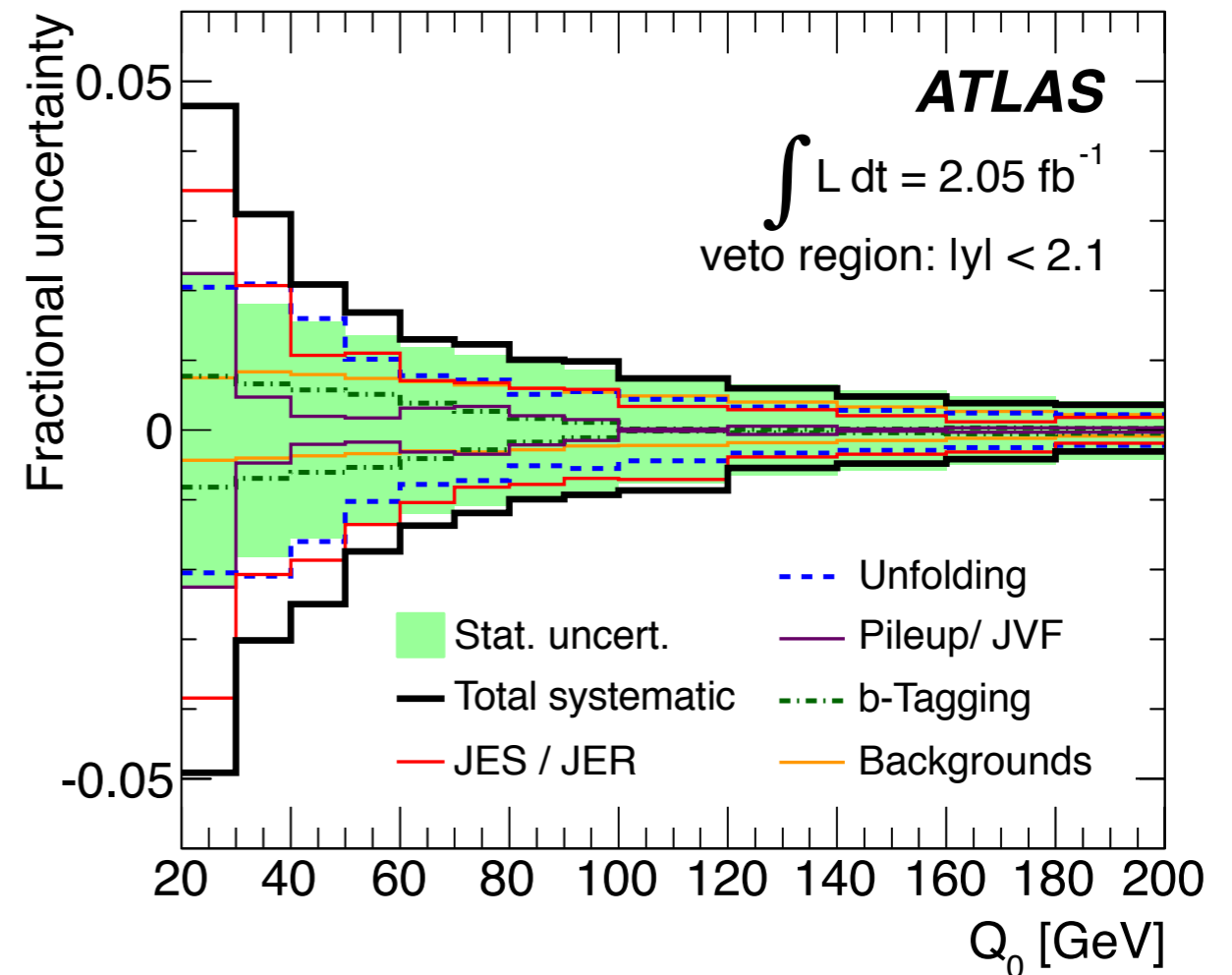


# Systematic uncertainties

- Many uncertainties cancel in the ratio. Those affecting the additional jet(s) do not.
- Pileup under control. Backgrounds, b-tagging uncertainties very small.
- Data corrected to particle-level with a point-by-point technique:  $C(x) = \frac{f^{truth}(x)}{f^{reco}(x)}$ ;  $x = Q_0$

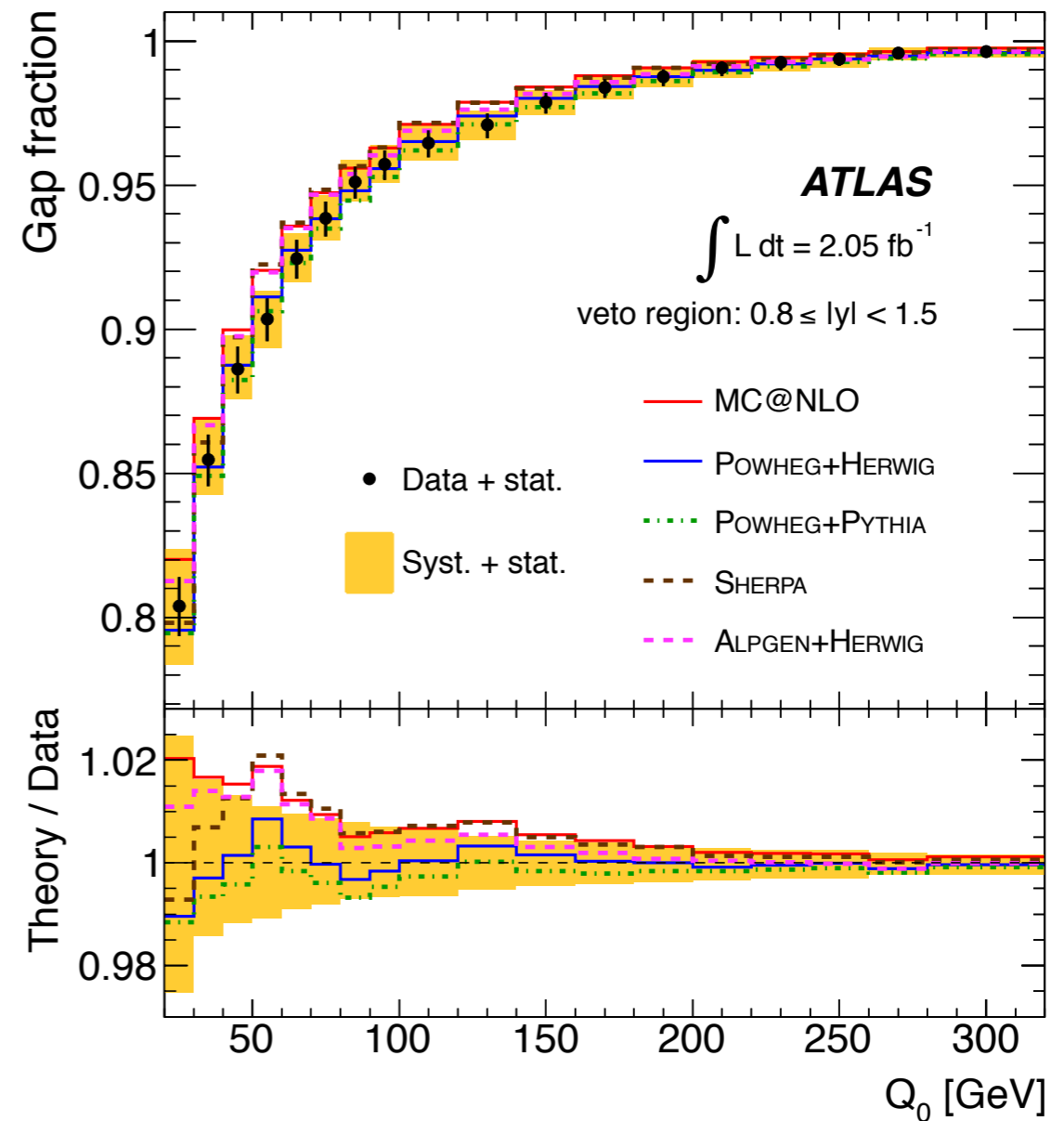
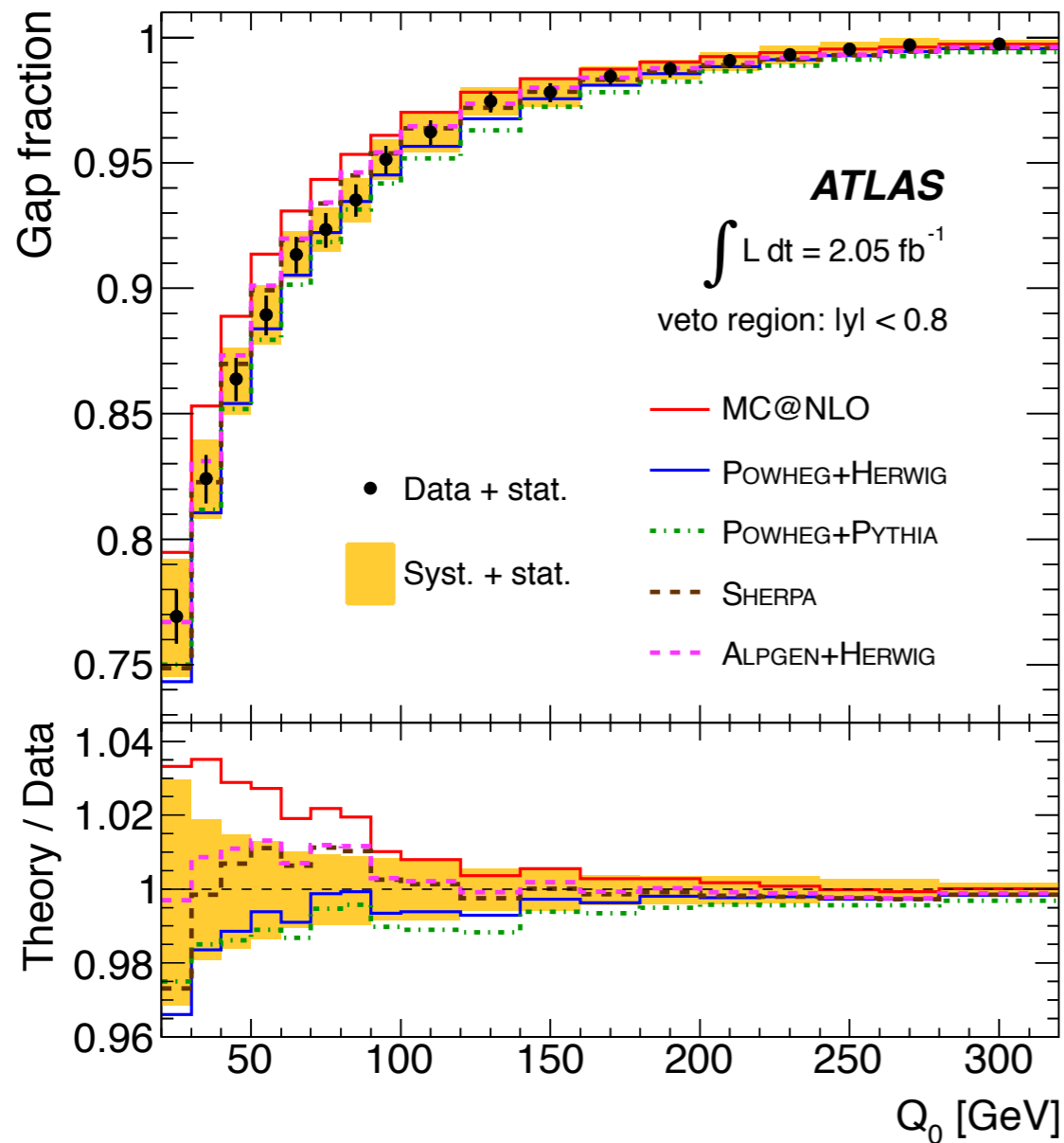


Unfolding uncertainty largest for  $|y| < 0.8$ .  
 Jets well-measured in very central region.



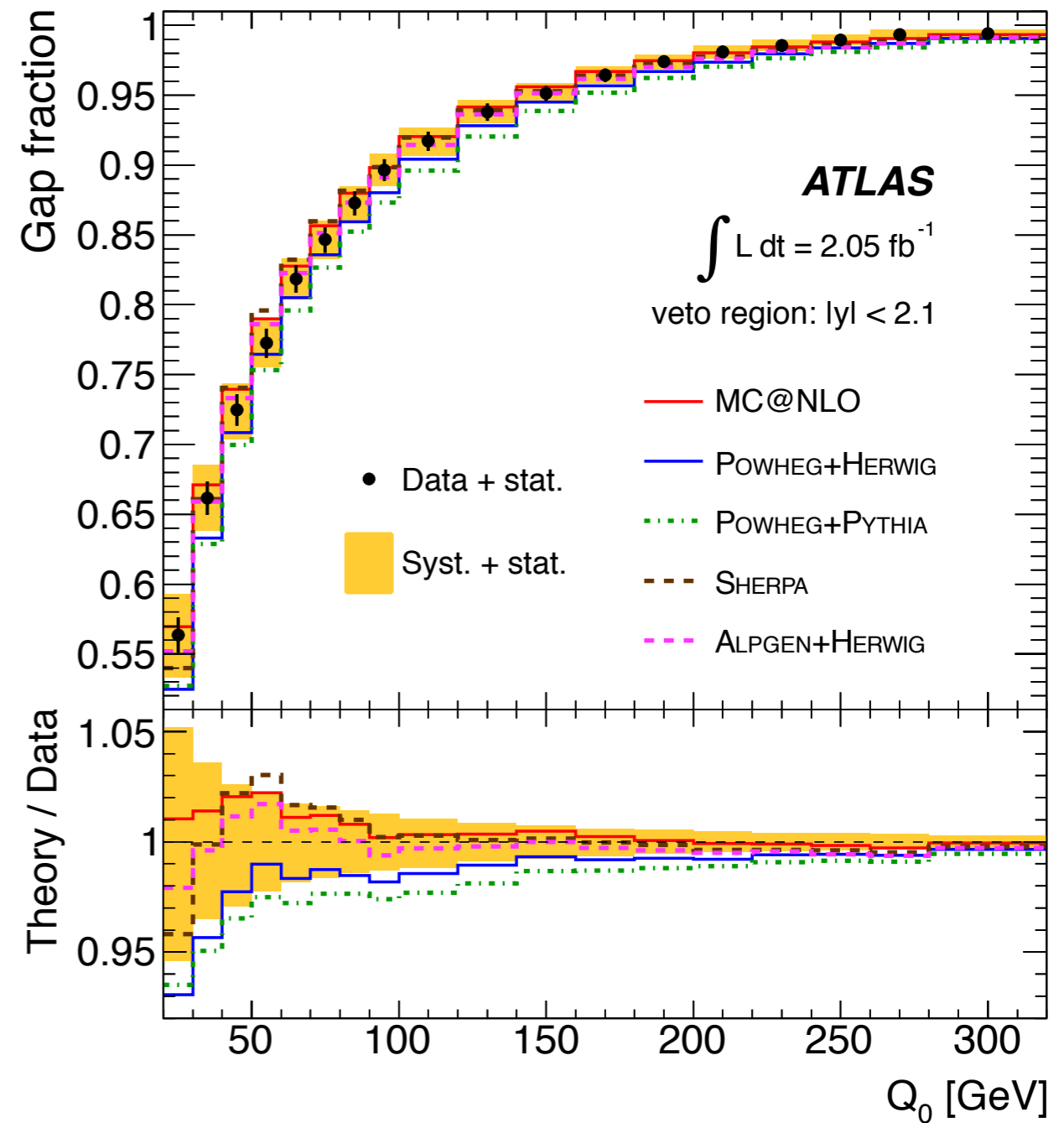
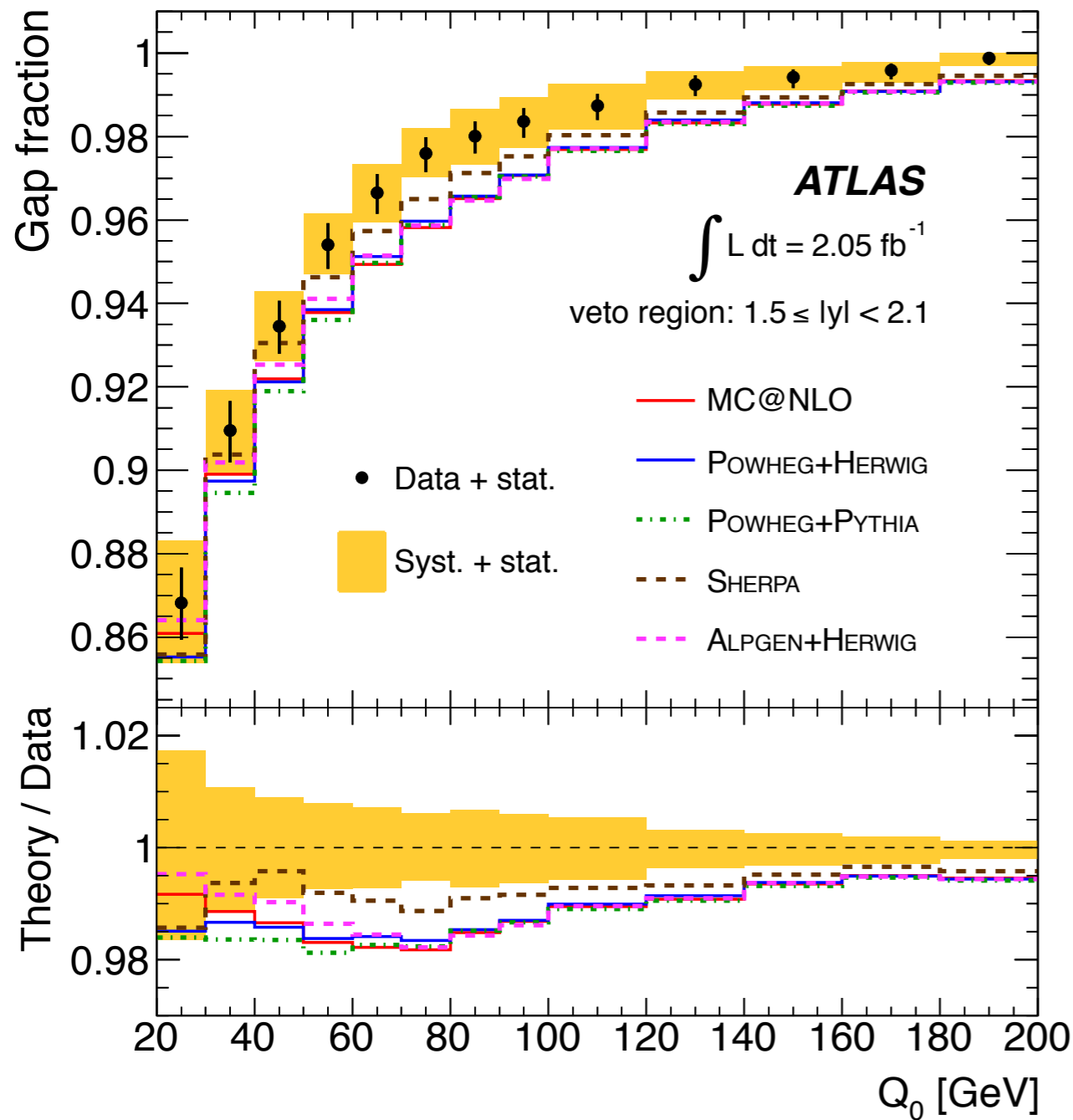
JES and JER dominate for  $|y| < 2.1$ .  
 Total systematic uncertainty  $\sim 1\%$  at  $Q_0 = 100 \text{ GeV}$

# Central jet vetoes



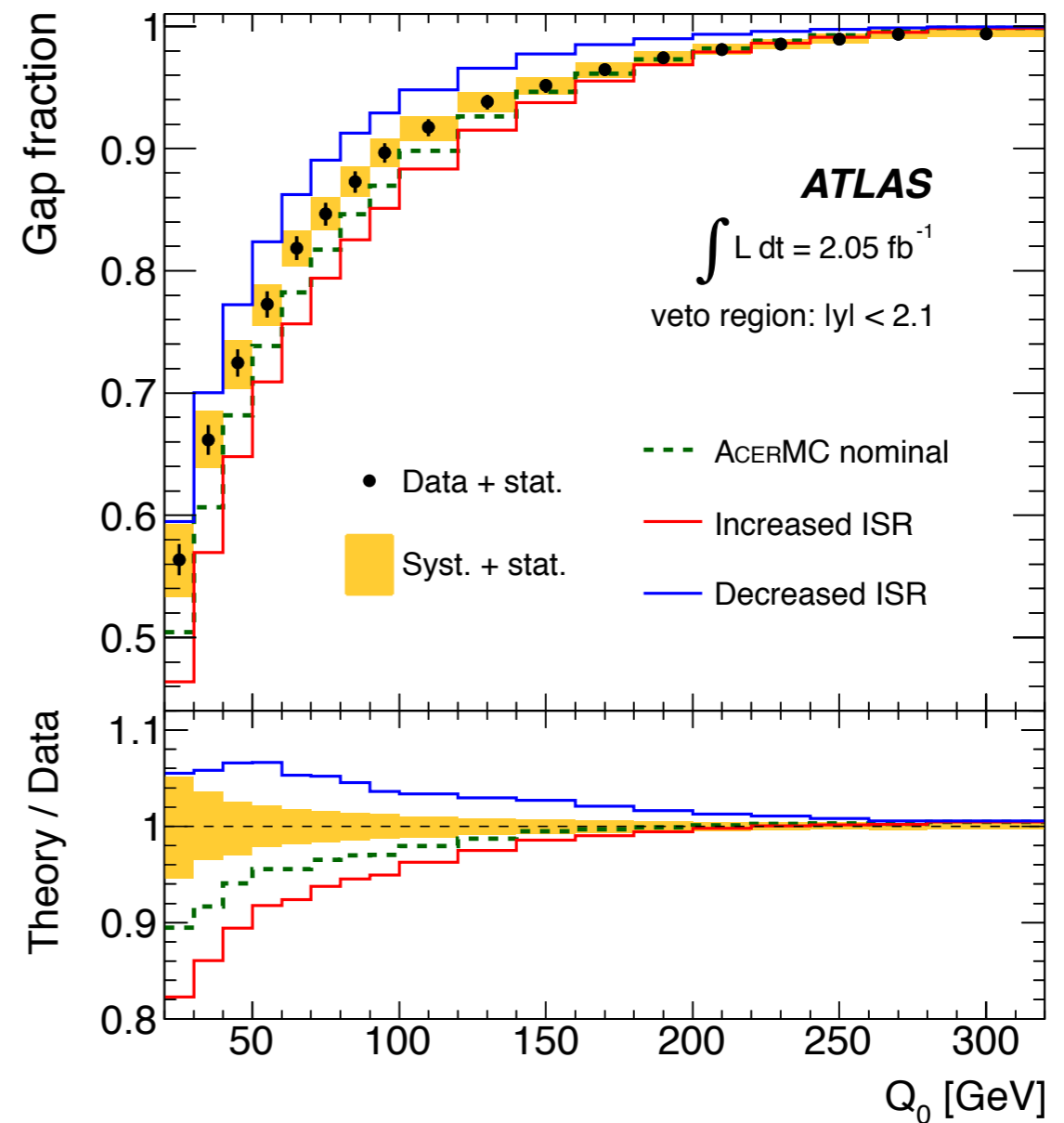
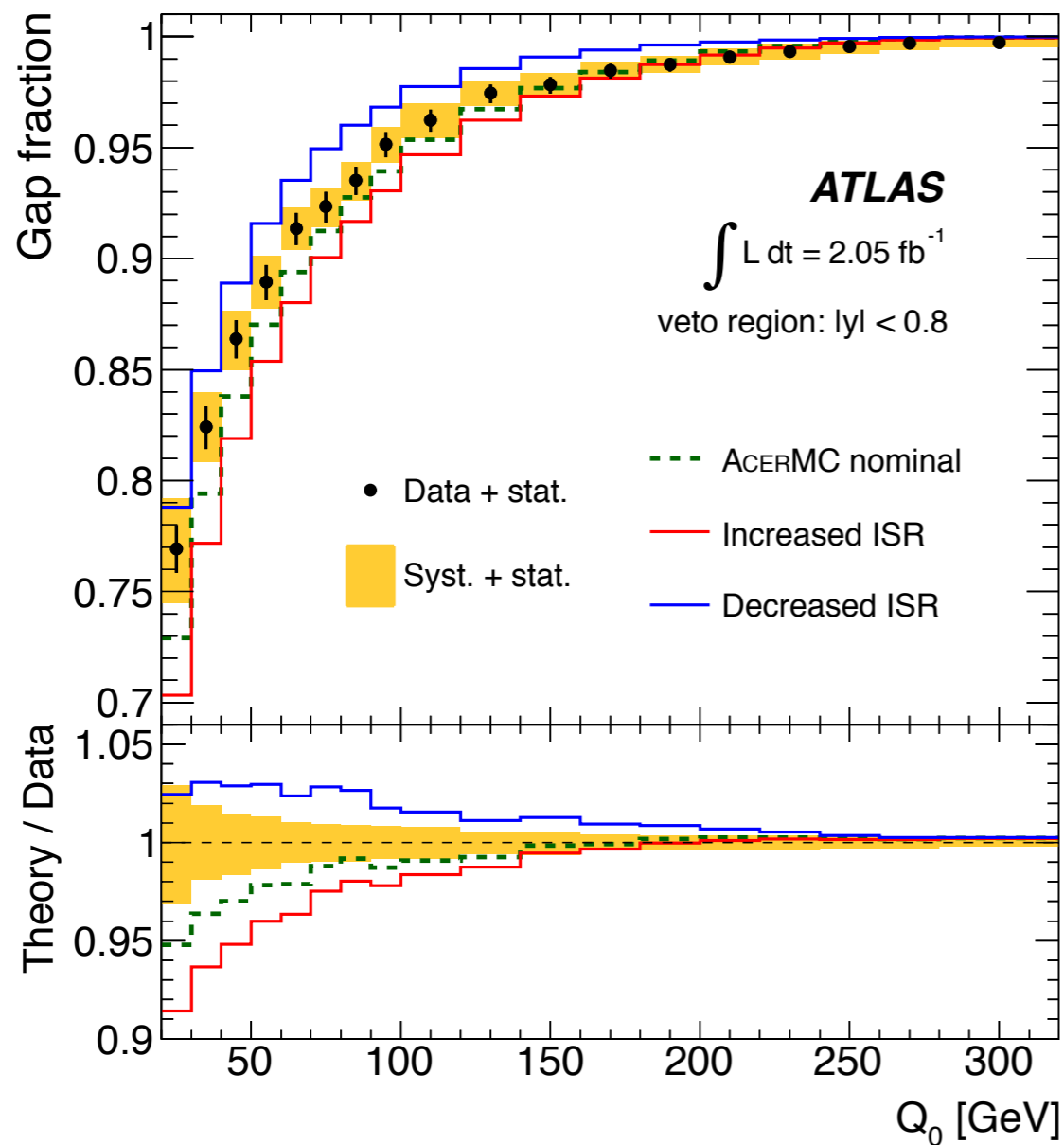
- Data compared to NLO+PS (MC@NLO, POWHEG) and ME+PS (SHERPA, ALPGEN) generators.
- MC@NLO slightly underestimates amount of additional radiation with  $|y| < 0.8$ .
- Gap fraction **sensitive** to “dead zone” in HERWIG shower. *Mangano et al. JHEP 01(2007)013*

# Jet vetoes in more forward regions



- All Monte Carlos **overestimate** the amount of additional radiation in the  $1.5 \leq |y| < 2.1$  region.
- General description of the data in the most inclusive,  $|y| < 2.1$ , region is very good.

# Modelling uncertainty in top-antitop events



- Modelling uncertainties can obscure interpretation of new physics results.
- Large variation band. **Uncertainty is too conservative.**
- These variations are now **constrained** by data.

# Summary

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- **First** corrected measurement of **QCD** activity in **top-antitop** final states. [arXiv:1203.5015](#)
- Data fully corrected in four rapidity regions.
  - Corrected data submitted to HEPDATA. Rivet routine available to access the analysis result.
- Small experimental uncertainty. **High-precision** measurement.
- State-of-the-art generators give a good description of the additional radiation.
- Slight **data-MC deviation** in most-**forward region**,  $1.5 \leq |y| < 2.1$ .
- Data has been used to **constrain** the size of **uncertainties on modelling of additional radiation**.

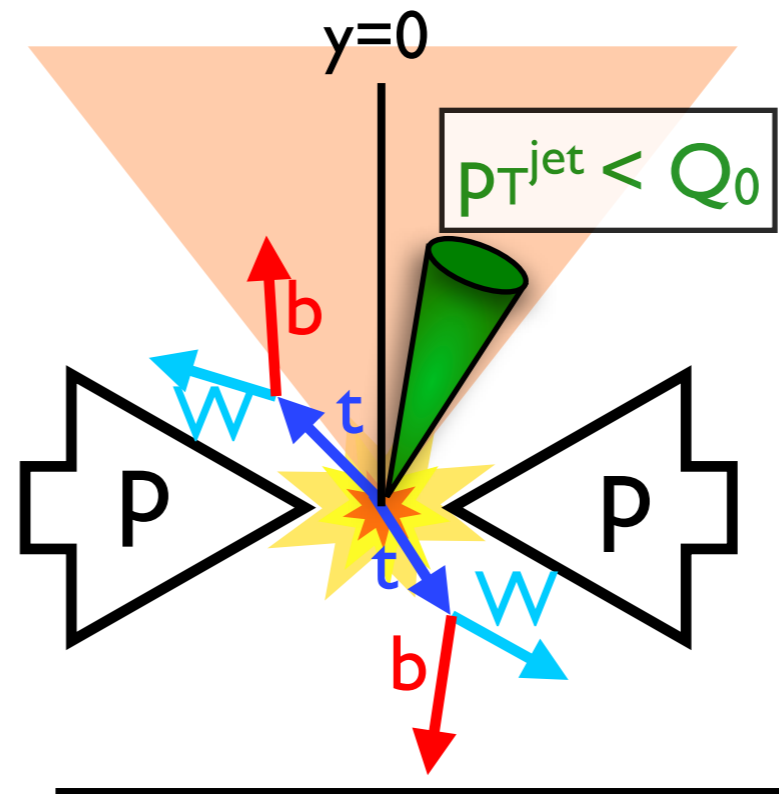
## Potential further study

- Extend to further-forward jets. (More BFKL-like?)
- Gap fraction in bins of  $M_{t\bar{t}}$ ,  $p_T^{t\bar{t}}$ .

# Backup slides



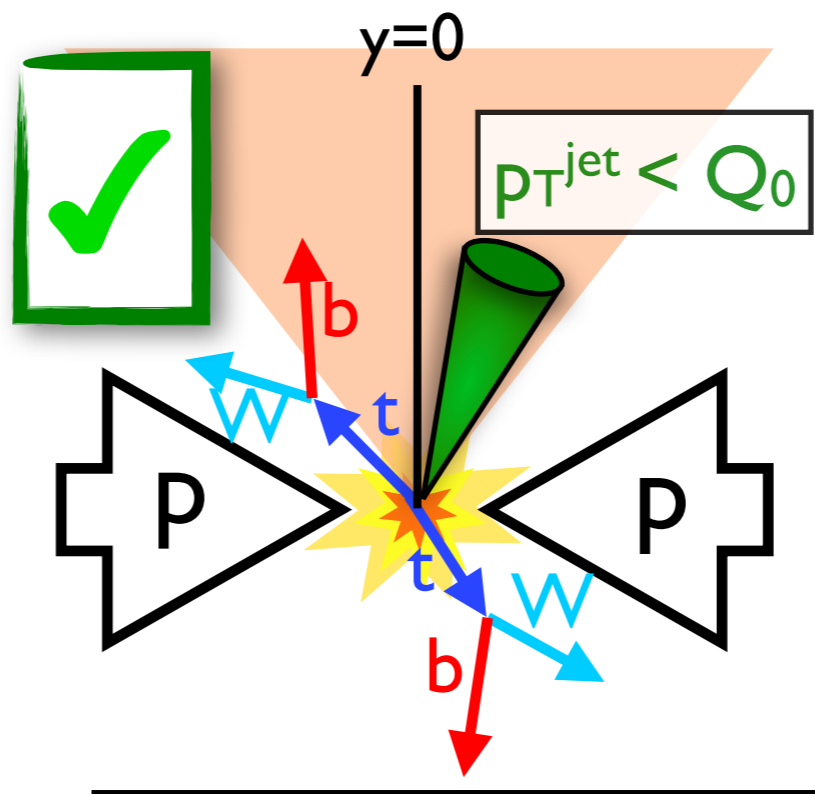
# Gap fraction



Fixed rapidity  
interval

# Gap fraction

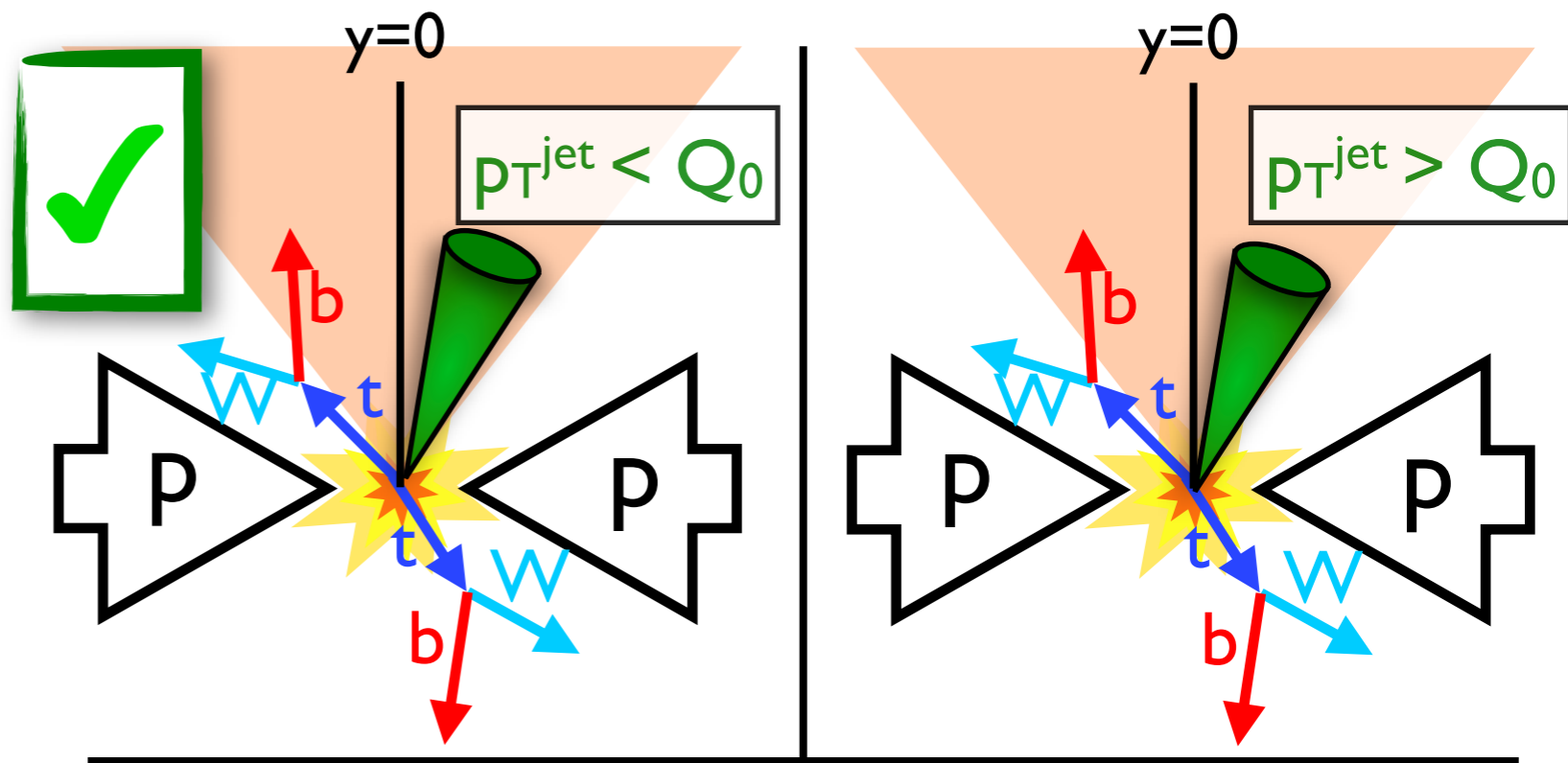
Fraction =  $1/1$



Fixed rapidity interval

# Gap fraction

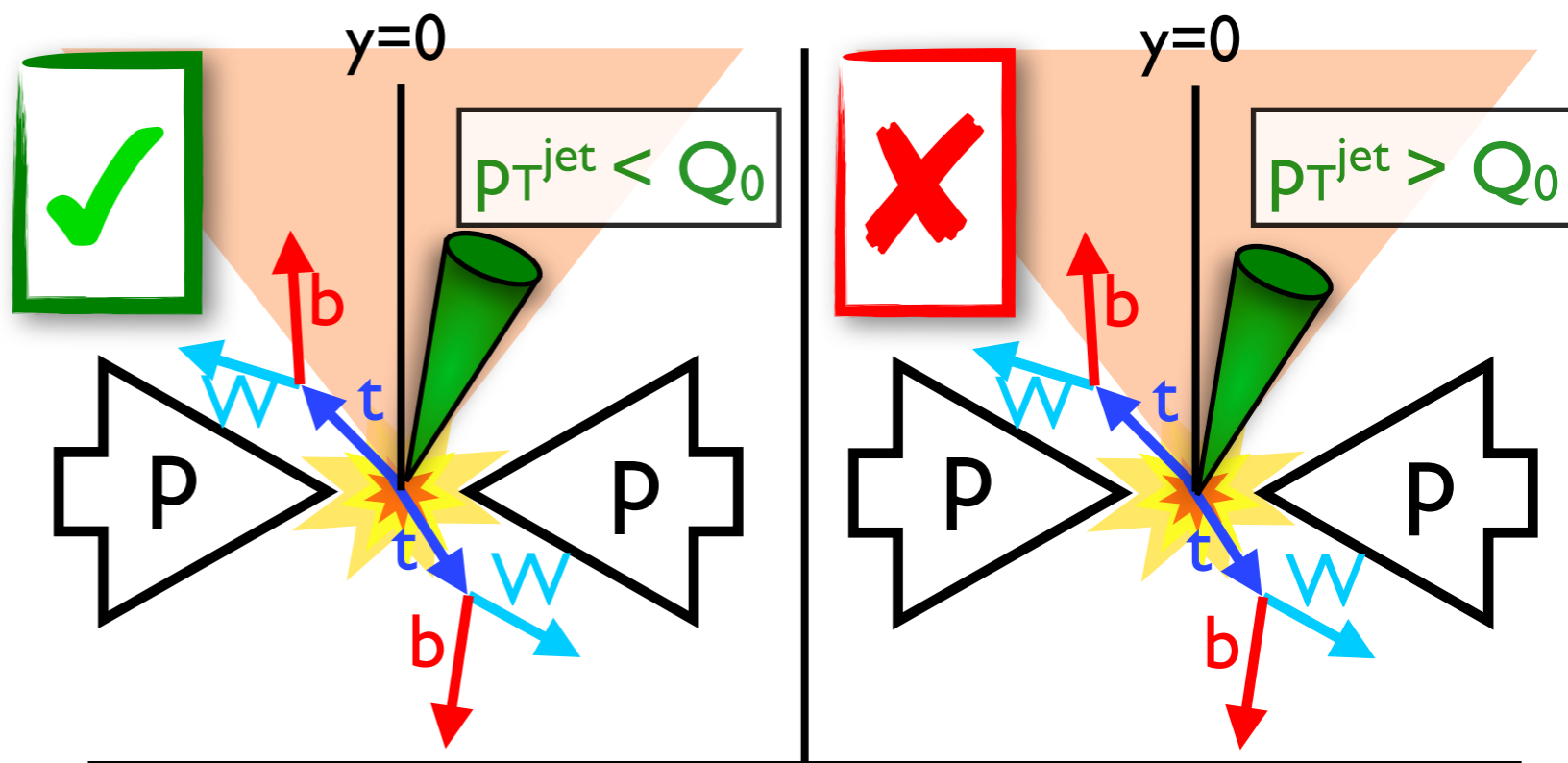
Fraction =  $1/1$



Fixed rapidity interval

# Gap fraction

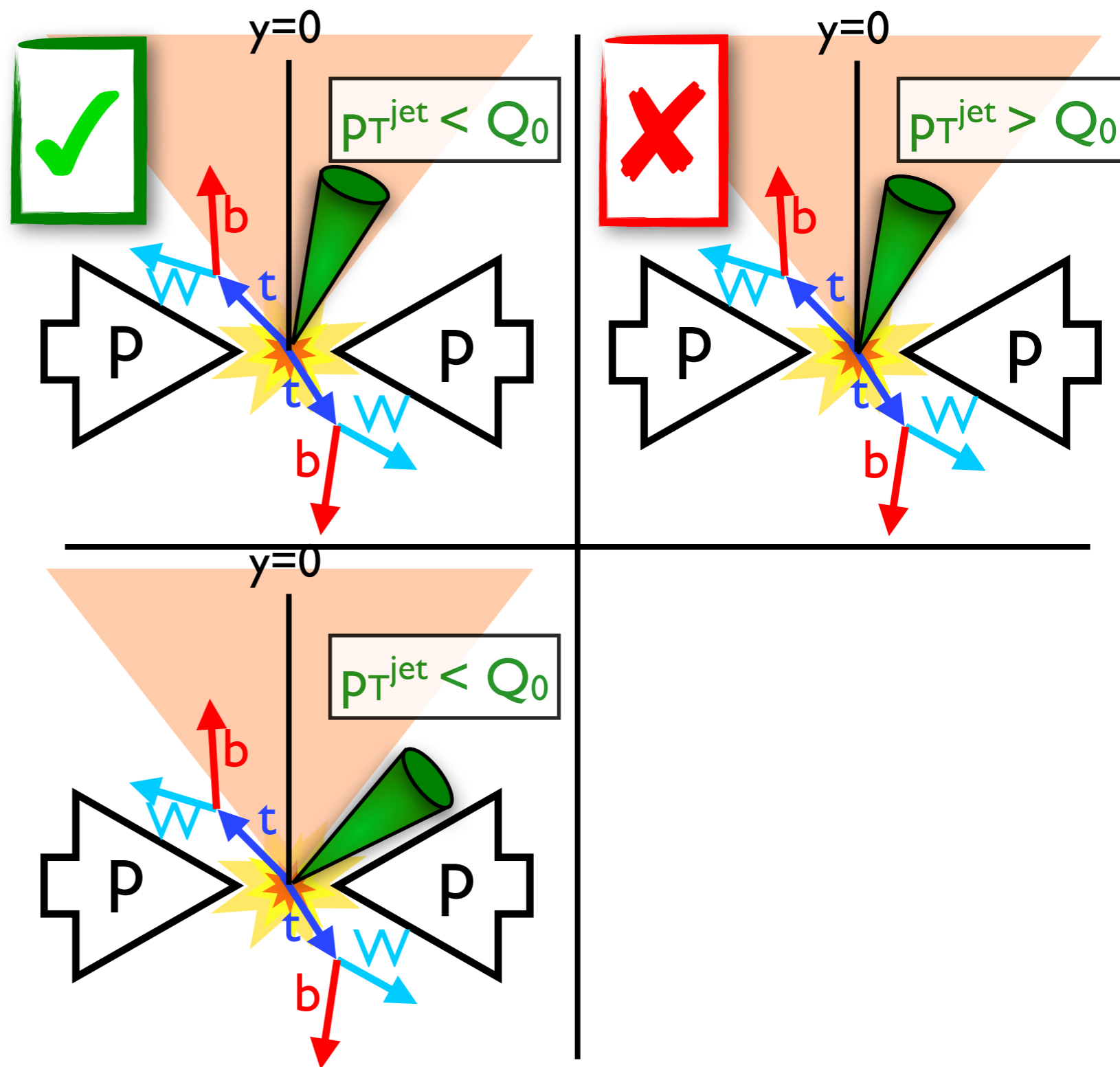
Fraction = 1/2



Fixed rapidity interval

# Gap fraction

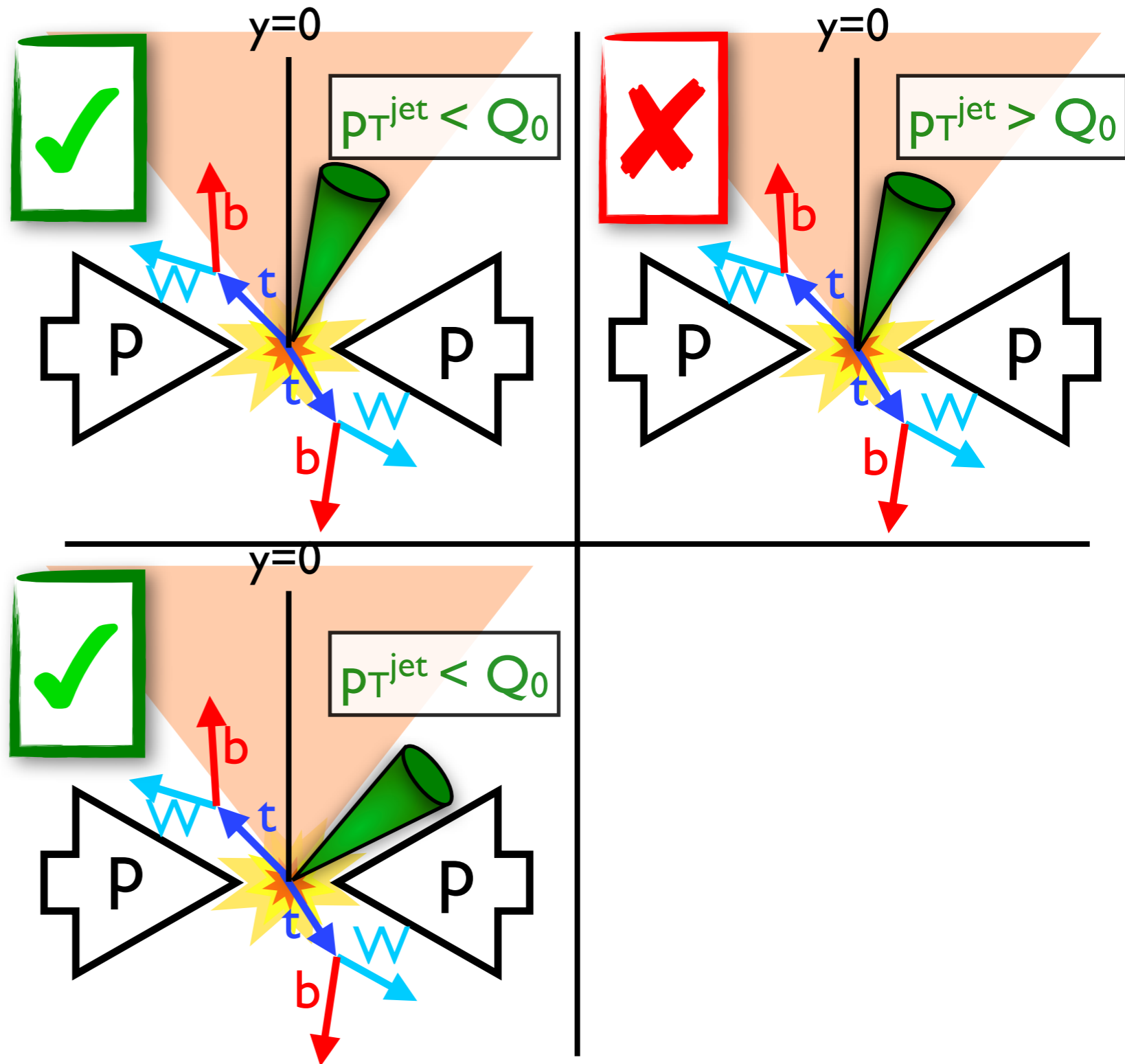
Fraction = 1/2



Fixed rapidity interval

# Gap fraction

Fraction = 2/3

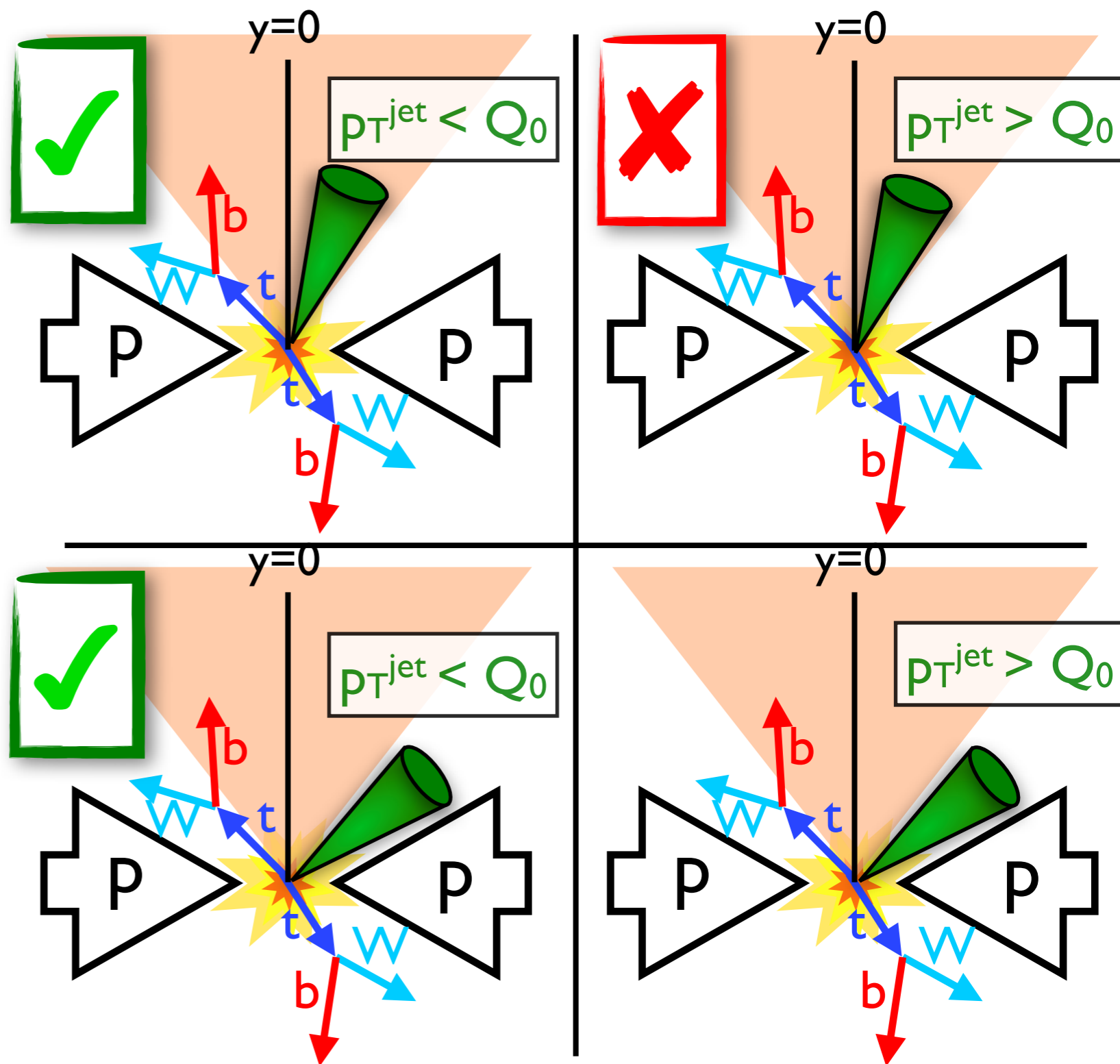


Fixed rapidity interval



# Gap fraction

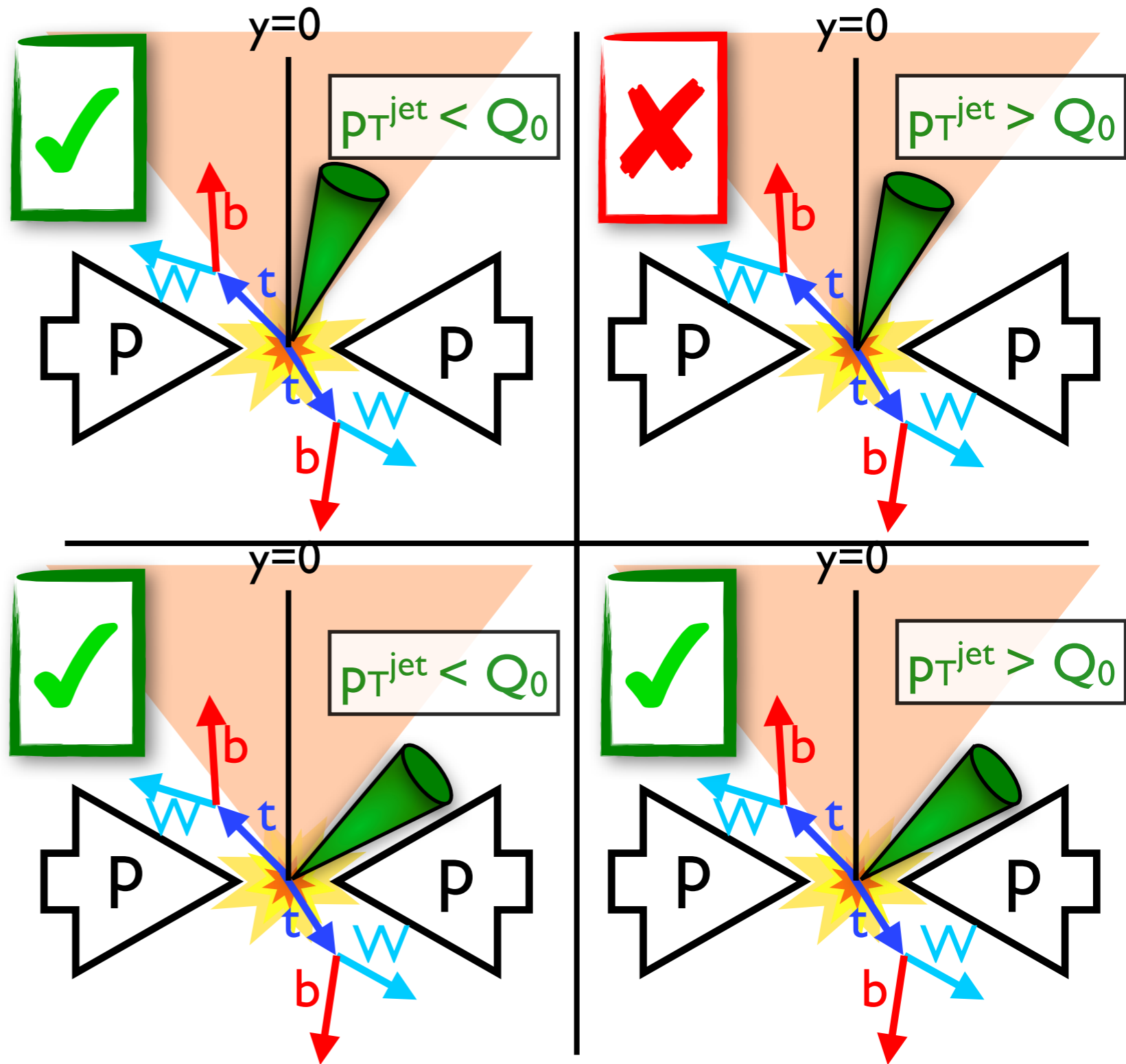
Fraction = 2/3



Fixed rapidity interval

# Gap fraction

Fraction = 3/4



Fixed rapidity interval

# Gap fraction

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- The gap fraction can be expressed as a ratio of cross sections:

$$f(Q_0) = \frac{n(Q_0)}{N} = \frac{\sigma_{t\bar{t}+0 \text{ jet}}^f}{\sigma_{t\bar{t}}^f} = 1 - \frac{\sigma_{t\bar{t}+\geq 1 \text{ jet}}^f}{\sigma_{t\bar{t}}^f}$$

$\sigma_{t\bar{t}}^f$  = fiducial cross section for dilepton top-antitop events

$\sigma_{t\bar{t}+0 \text{ jet}}^f$  = fiducial cross section for dilepton top-antitop events with no additional radiation with  $p_T > Q_0$ , in the rapidity interval.

$\sigma_{t\bar{t}+\geq 1 \text{ jet}}^f$  = fiducial cross section for dilepton top-antitop events with **at least one jet** with  $p_T > Q_0$ , in the rapidity interval.

# Unfolding

---

- Distributions corrected back to particle-level:
- Jets defined with anti- $k_t$  algorithm.  $R=0.4$ , using all interacting final-state particles (no muons or neutrinos). Jets must have  $p_T > 25$  GeV,  $|y| < 2.4$ .
  - b-jets defined by  $\Delta R(\text{jet}, \text{B-hadron}) < 0.3$ .
- Leptons defined using stables truth particles.
  - Kinematic cuts as for reconstructed objects.
- Missing  $E_T$  defined as vector sum of all final-state neutrinos.
- $H_T$  calculated as scalar summed  $p_T$  of selected leptons and good jets.
- Event selection applied as outlined on slide 5 in ee,  $\mu\mu$  and  $e\mu$  channels.

# Unfolding

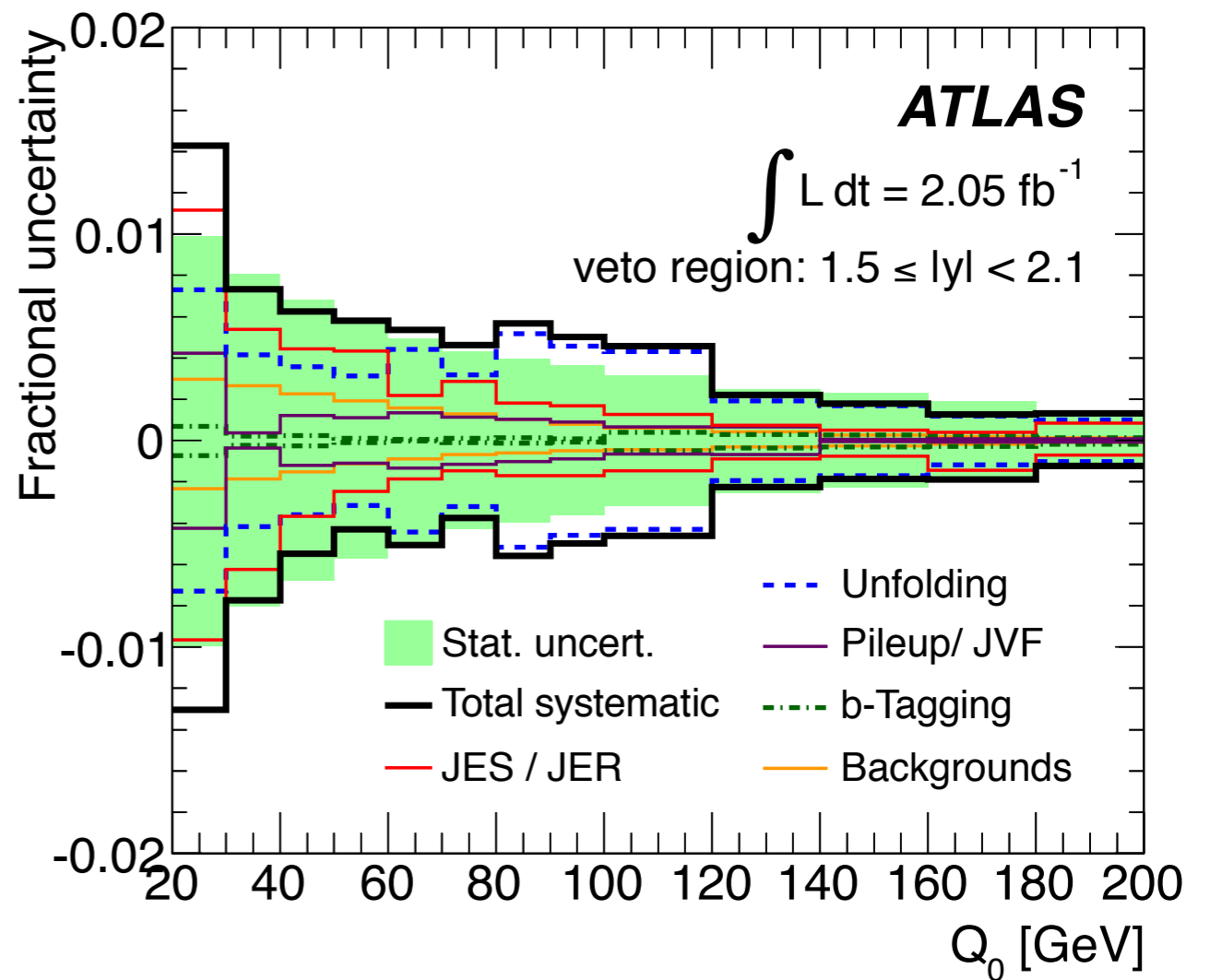
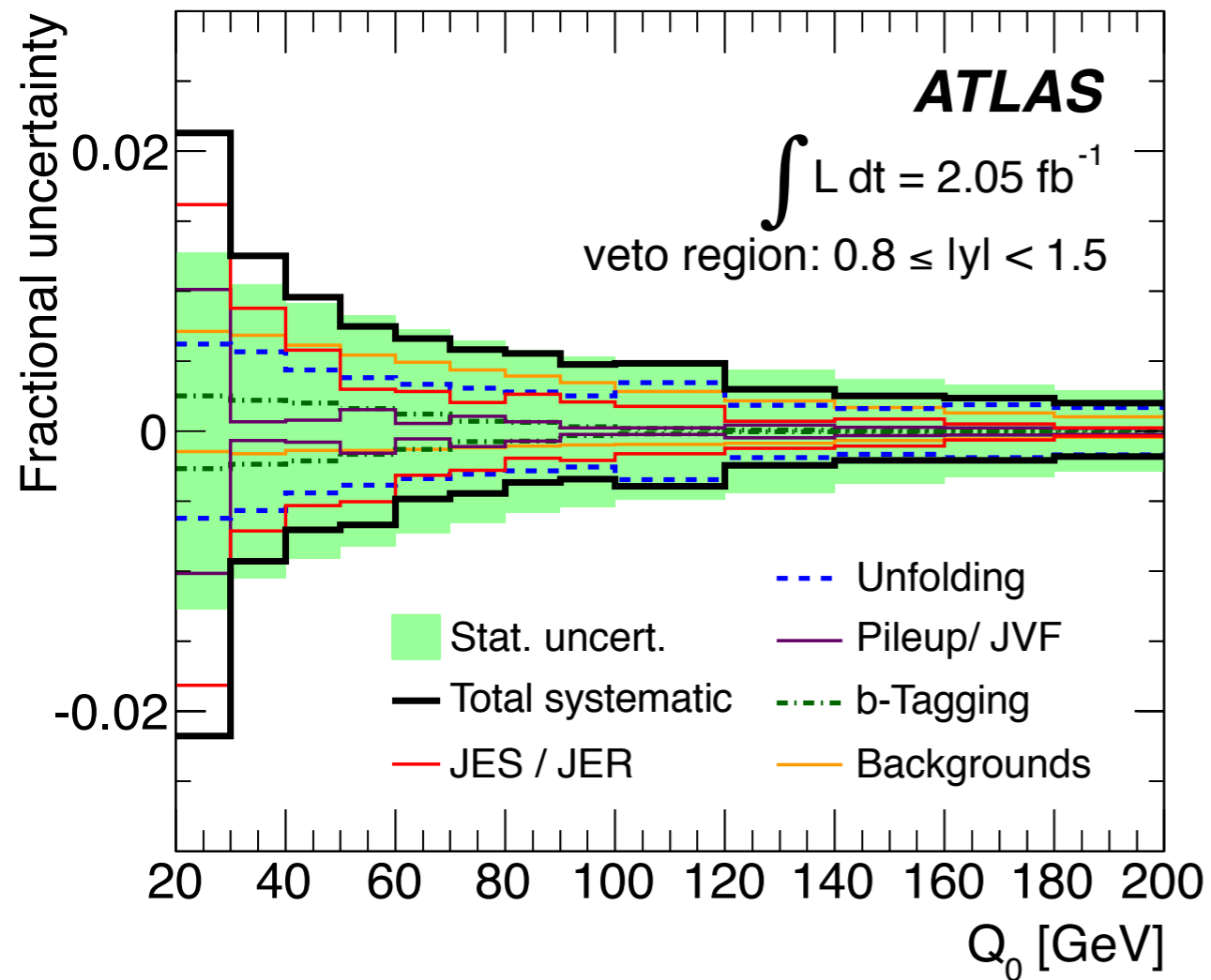
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- Data corrected using point-by-point technique.
- At each value of  $Q_0 / Q_{sum}$ , a correction factor is defined using MC events, as:

$$C(x) = \frac{f^{truth}(x)}{f^{reco}(x)}; \quad x = Q_0, Q_{sum}$$

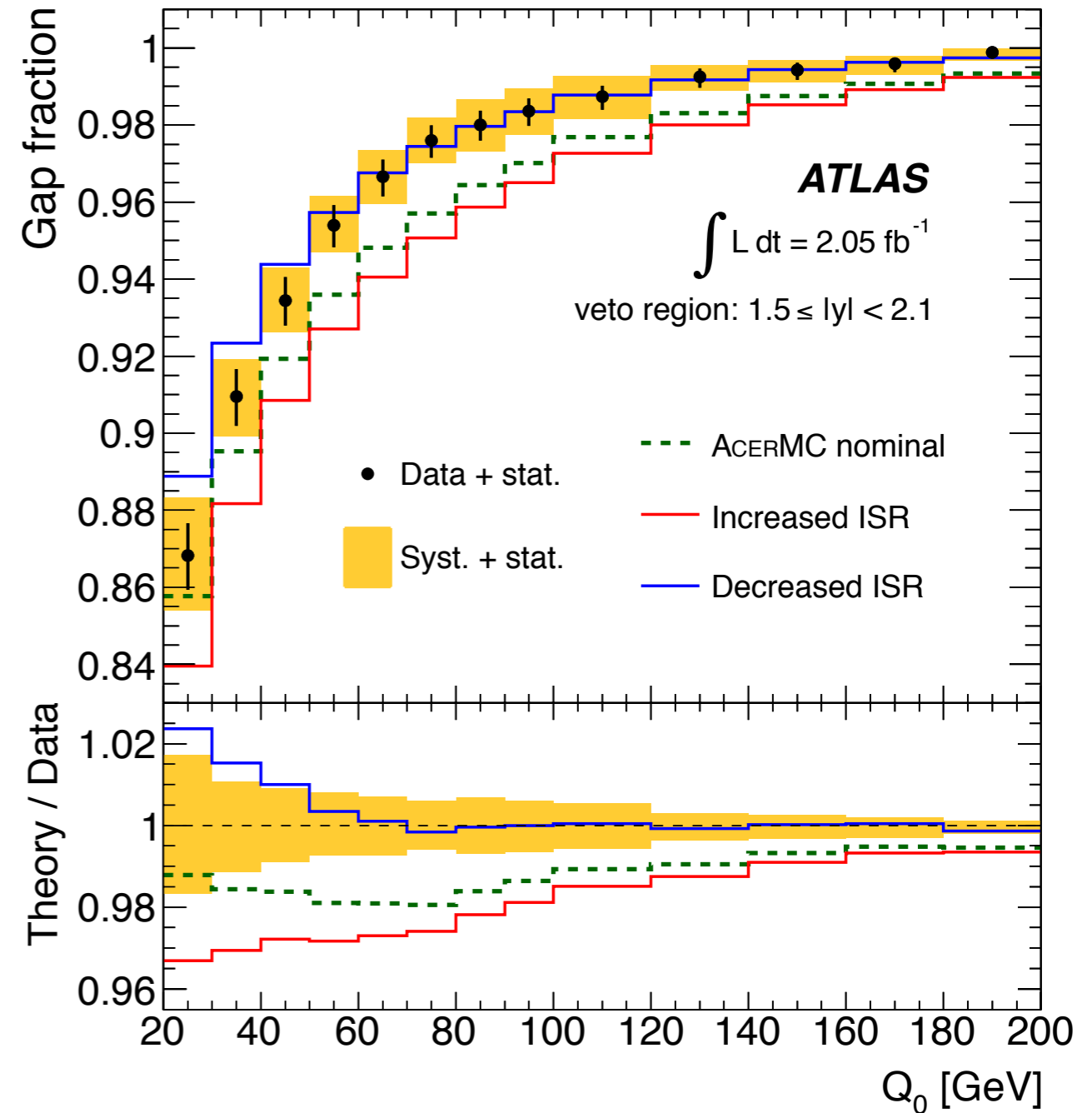
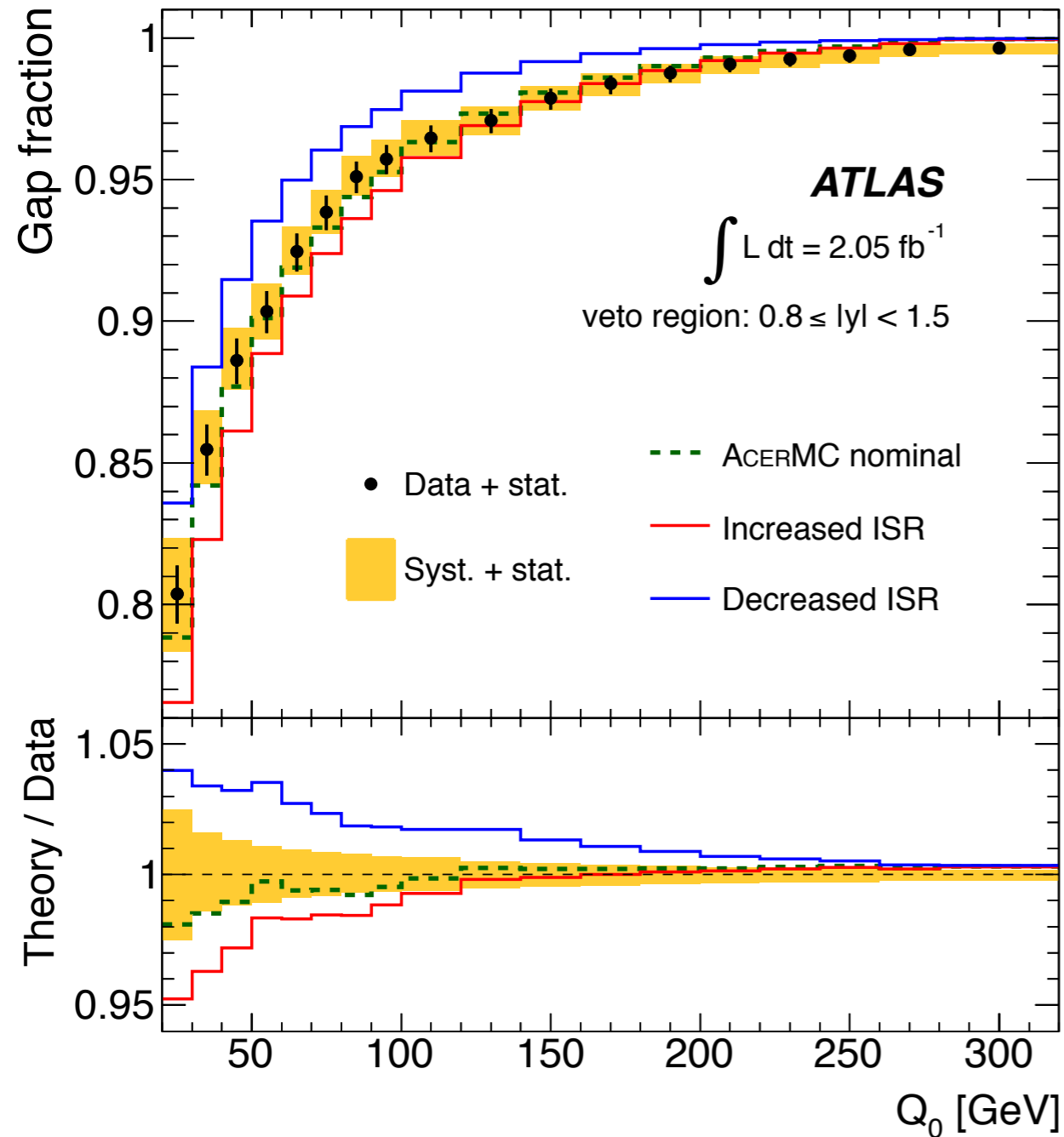
- Default correction factors taken from **MC@NLO**.
- Systematic uncertainty due physics modelling assessed by comparing to correction factors produced with POWHEG+Pythia & POWHEG+HERWIG.
- Uncertainty taken to be the largest of:
  - Difference between MC@NLO and either POWHEG sample.
  - Statistical uncertainty in the POWHEG+HERWIG.

# Systematic uncertainties

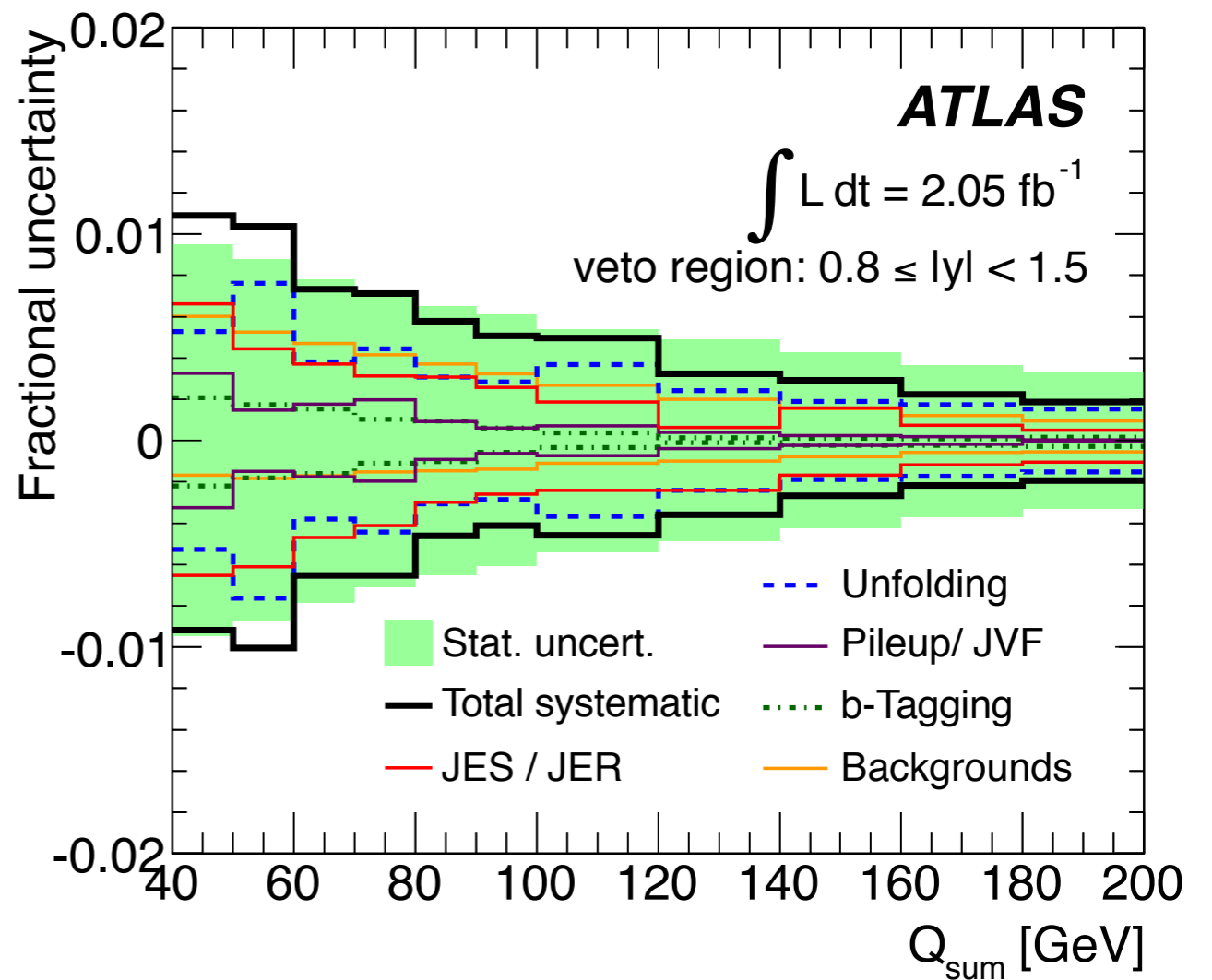
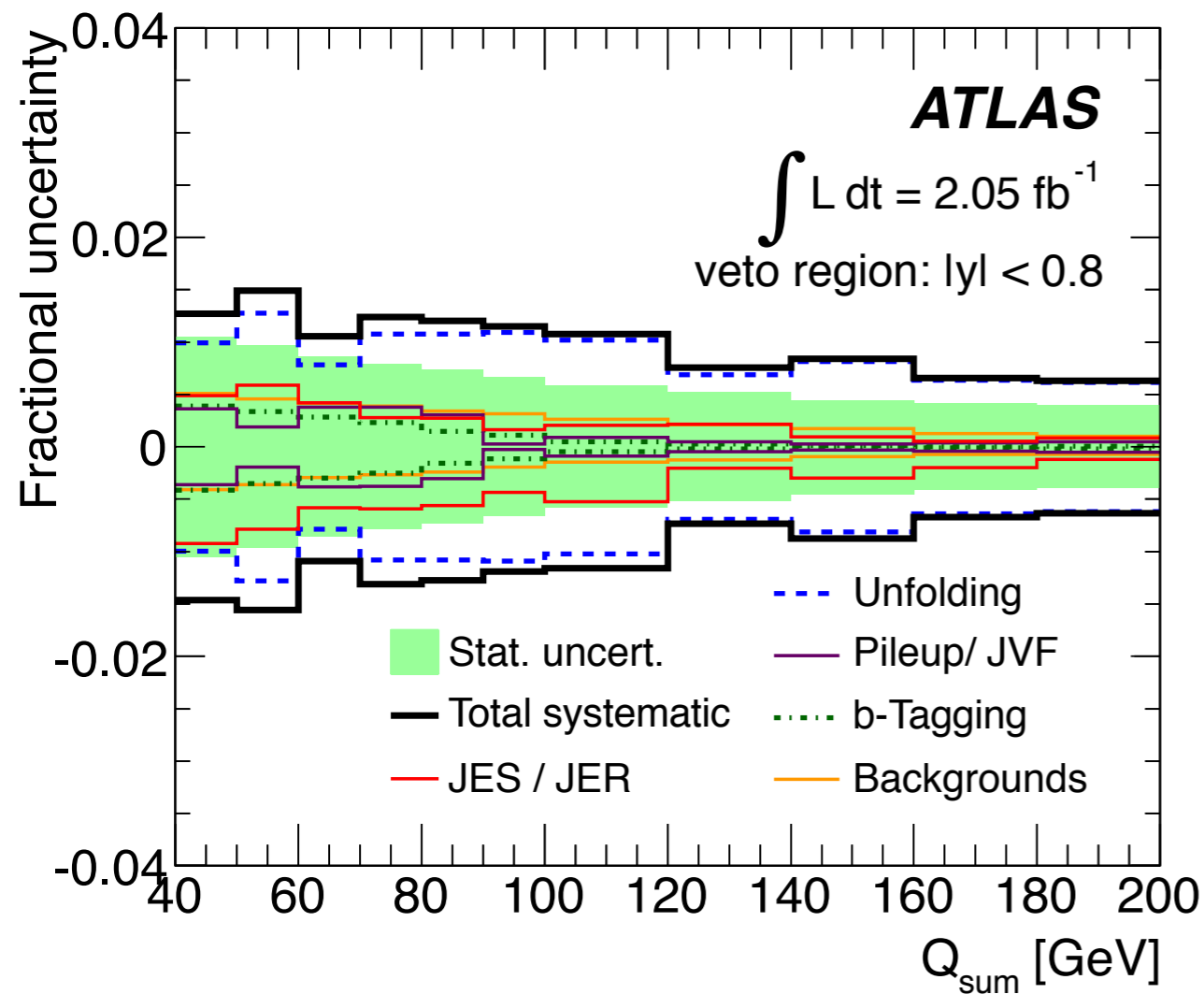




# Results: ISR variations in forward regions

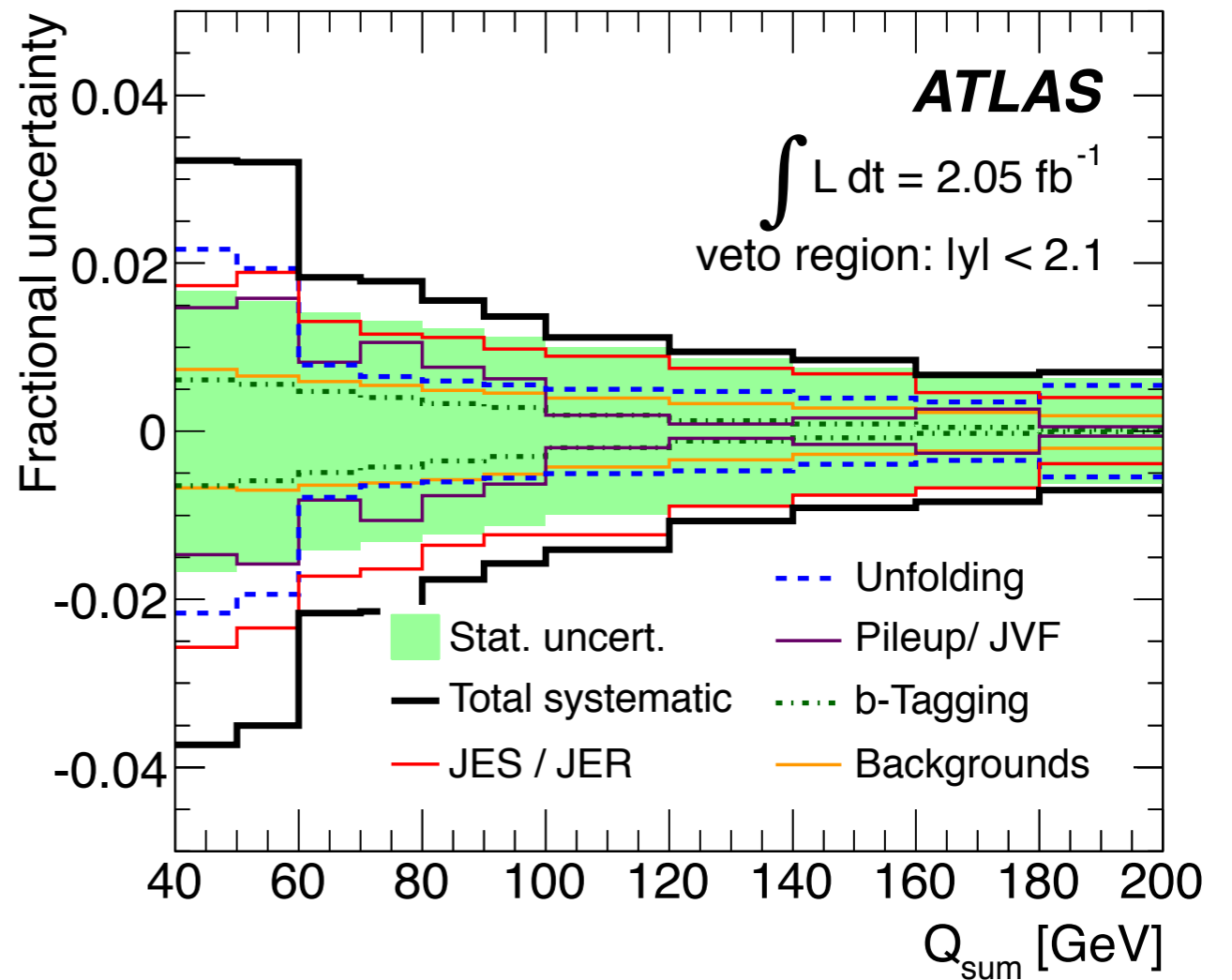
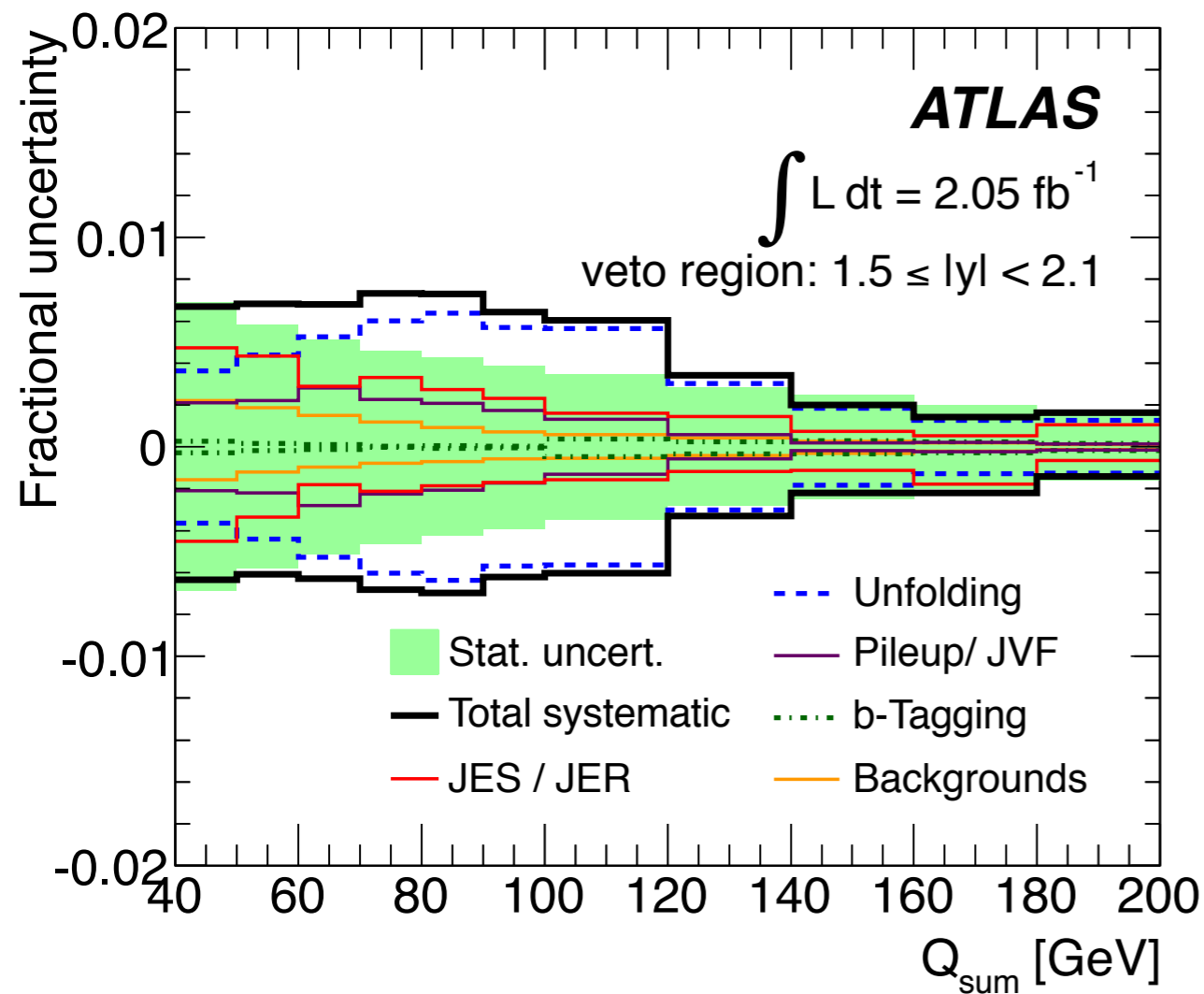


# Systematic uncertainties: $Q_{\text{sum}}$



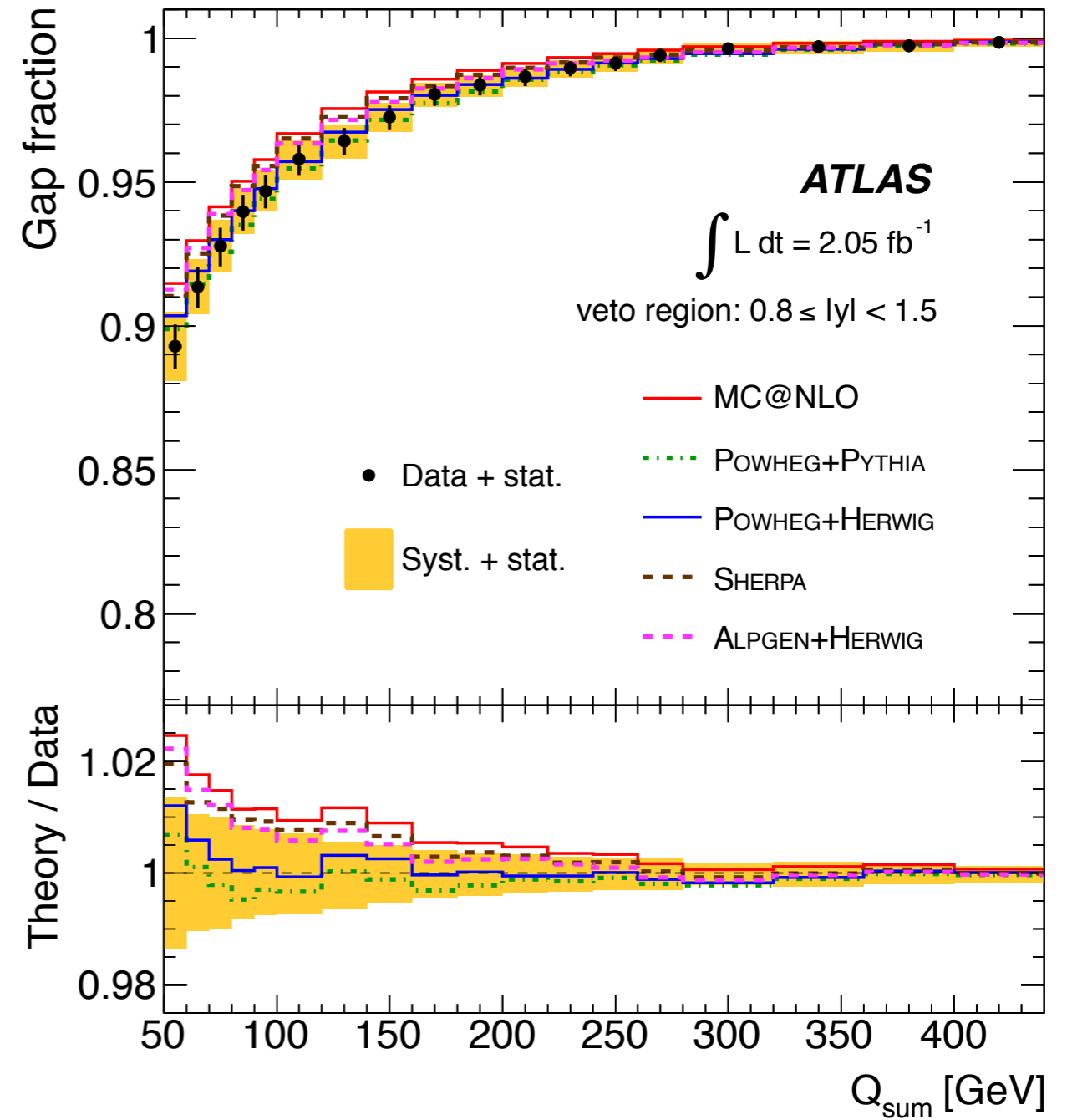
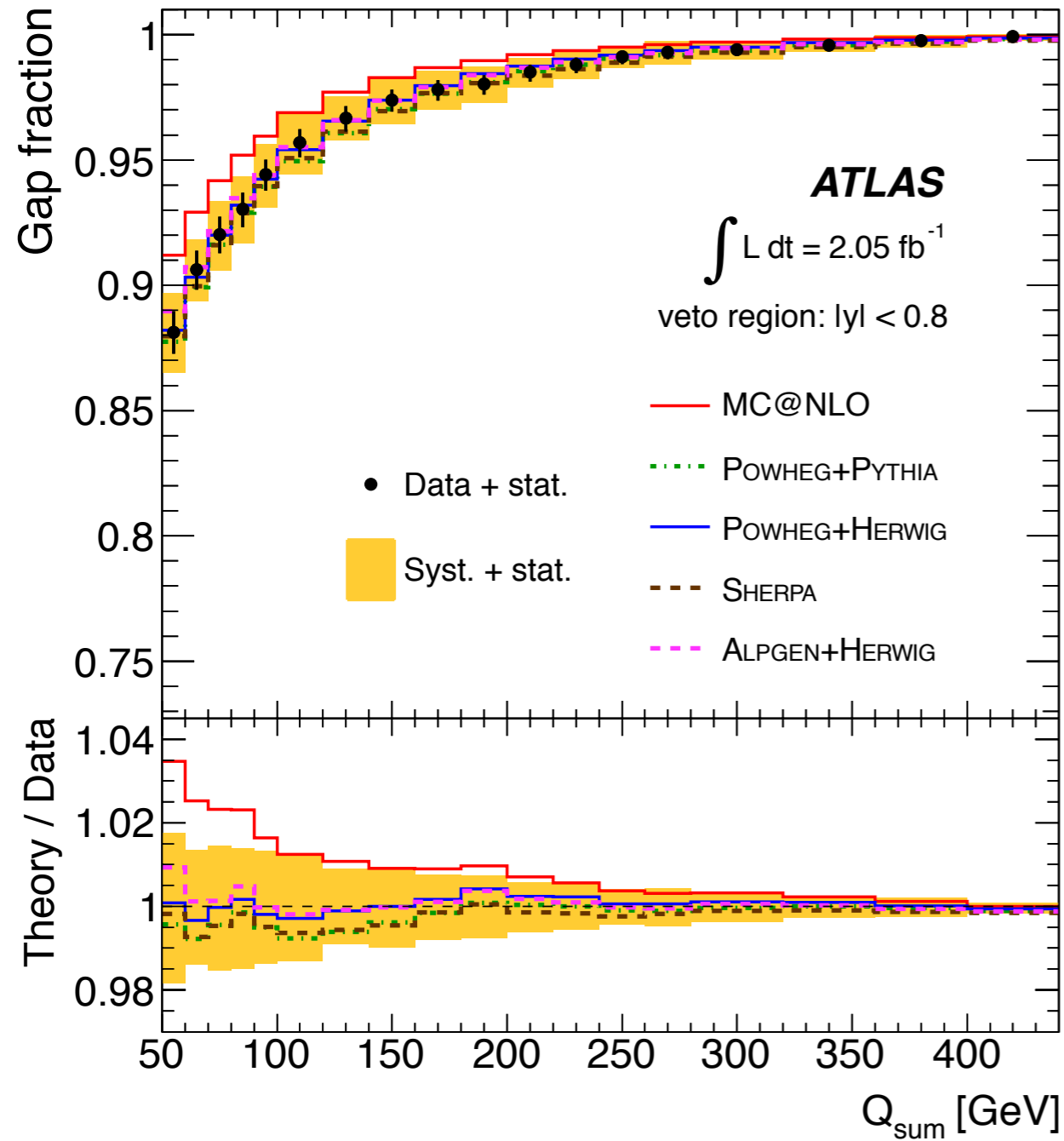
$Q_{\text{sum}}$  = scalar-summed  $p_T$  of all jets in veto region:  $f(Q_{\text{sum}}) = \frac{n(Q_{\text{sum}})}{N}$

# Systematic uncertainties: $Q_{\text{sum}}$



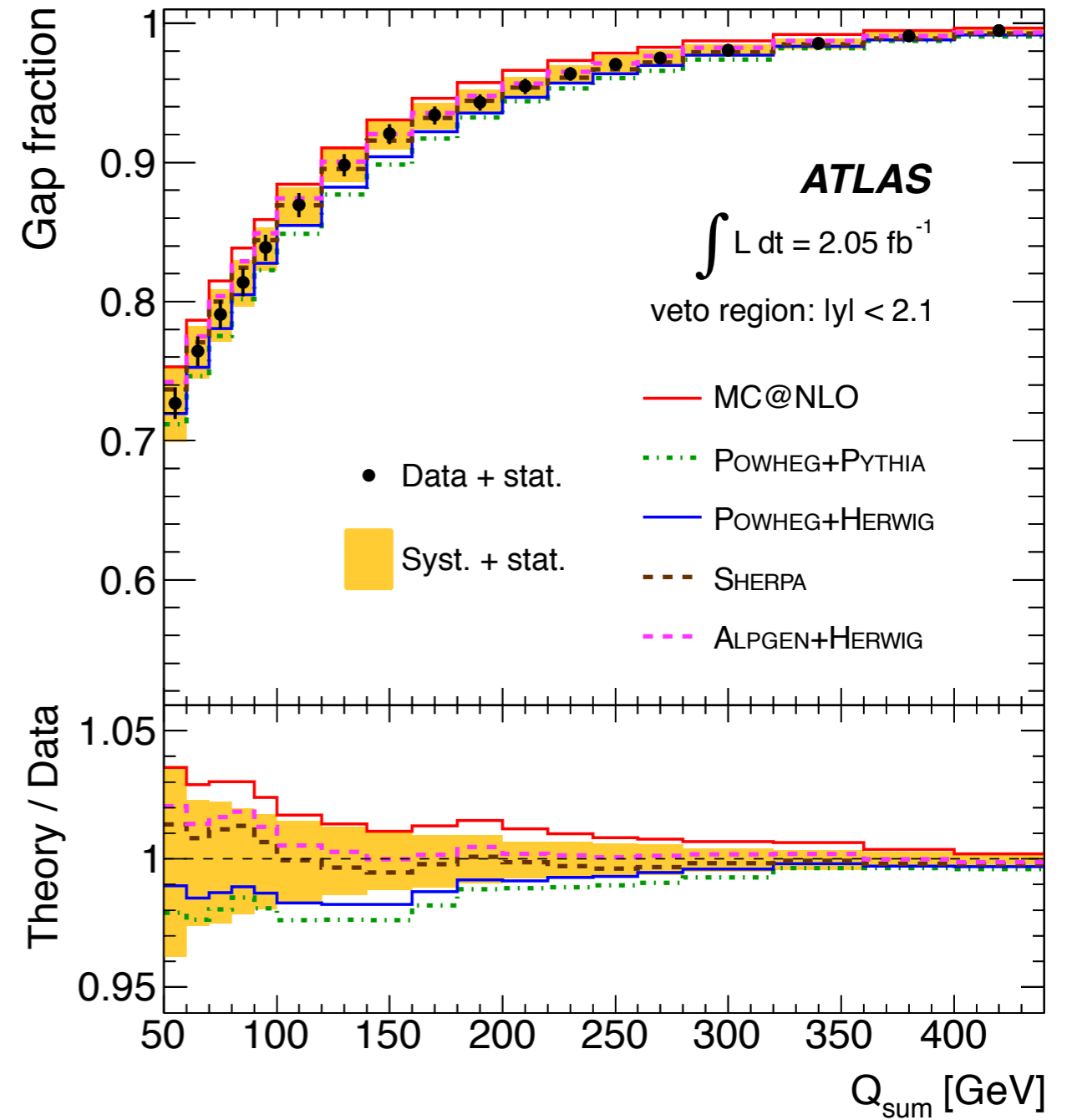
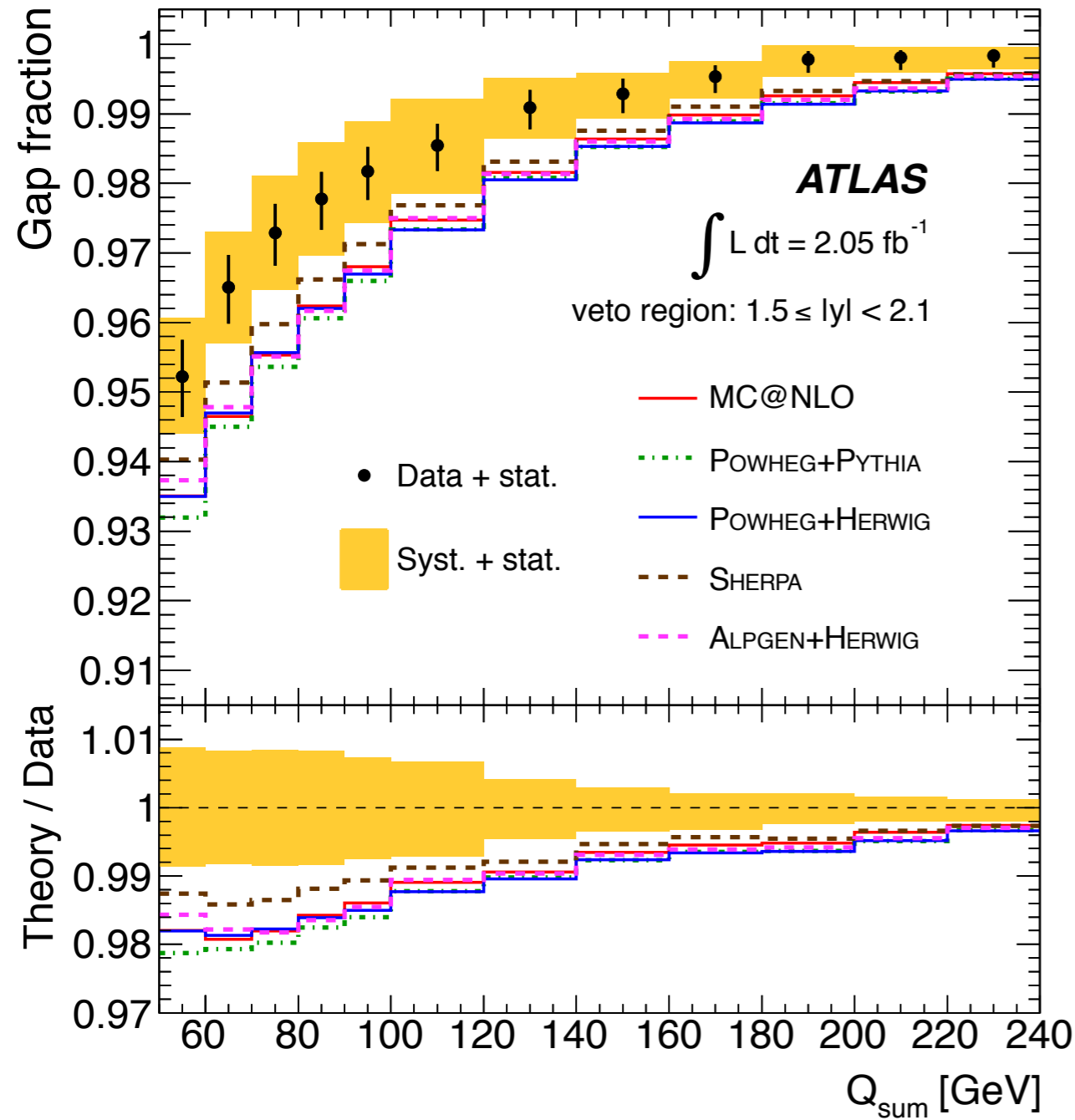
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