GGI 2012 NEUTRINO WORKSHOP

NEUTRINO COSMOLOGY





OUTLINE

> Effective number of neutrinos

> CMB and BBN data/theory predictions

> Right-handed neutrinos are necessary in...

> the best of all models: U(1) for everone

> Joint constraints on milliweak interactions (CMB-BBN-LHC)

> Summary and Conclusions

Work done in collaboration with: Anchordoqui, Antoniadis, Huang, Lust, Taylor, Vlcek PRL 108 (2012) 081805 and arXiv:1206.2537

EFFECTIVE NUMBER OF NEUTRINOS > Most straightforward variation of Standard Big-Bang Cosmology rightarrow energy contributed by new relativistic particles "X" > When X's don't share in energy released by e^{\pm} annihilation - convenient to account for extra contribution to SM energy density by normalizing it to that of an equivalent neutrino species $\rho_X \equiv \Delta N_{\nu} \rho_{\nu} = \frac{7}{8} \Delta N_{\nu} \rho_{\gamma} \qquad (\text{with } \Delta N_{\nu} = N_{\nu} - 3)$ Steigman, Schramm, and Gunn, PLB66 (1977) 202 > For each additional relativistic degree of freedom: if $T_X = T_{\nu} \Rightarrow \begin{cases} \Delta N_{\nu} = 1 & \text{for } X = \text{any two - component fermion} \\ \Delta N_{\nu} = 4/7 & \text{for } X = \text{scalar} \end{cases}$ > If X's have decoupled even earlier and have failed to profit from heating when various other particle-antiparticle pairs annihilated (or unstable particles decayed) contribution to $\Delta N_{
u}$ from each such particle will be $\left\{ \substack{<1\<4/7}
ight\}$

CAAB > Basic equation: $\frac{\Delta N_{\nu}^{\text{eff}}}{N_{\nu}^{\text{eff}}} \simeq 2.45 \frac{\Delta (\Omega_m h^2)}{\Omega_m h^2} - 2.45 \frac{\Delta z_{\text{eq}}}{z_{\text{eq}}} \Big|$ > $\Delta(\Omega_m h^2)$ from galaxy distributions and precise H_0 measurements SDSS Collaboration, MNRAS 401 (2010) 2148 Riess et al., ApJ 699 (2009) 539 > Wilkinson Microwave Anisotropy Probe - $N_{ u}^{ m eff}=4.34^{+0.86}_{-0.88}~(2\sigma)$ WMAP Collaboration, ApJS 192 (2011) 18 > Atacama Cosmology Telescope $\blacktriangleright N_{ u}^{ m eff} = 4.56 \pm 0.75 \; (68\% { m CL})$ ACT Collaboration, ApJ 739 (2011) 52 > South Pole Telescope - $N_{ u}^{ m eff}=3.86\pm0.42~(1\sigma)$ SPT Collaboration, ApJ 743 (2011) 28 > WMAP + SPT [ACP] + H(z) = $N_{\nu}^{\text{eff}} = 3.5 \pm 0.3 \ (1\sigma) [3.7 \pm 0.4 \ (1\sigma)]$

Moresco, Verde, Pozzetti, Jimenez, Cimatti, arXiv:1201.6658

CORNEINED LIKELIHOOD ANALYSIS

WMAP7 + ACP + HST



- Planck will reach sensitivity of 0.26 (see Georg Lecture from Monday)

R.D.O.F. & CAAB

- > Competition between gravitational potential and pressure gradients is responsible for peaks and troughs in CMB TT power spectrum
- Redshift @ matter-radiation equality z_{eq} = 2.4 × 10⁴ Ω_mh²/(t/t')²_{post} affects time (redshift) duration over which this competition occurs
 If radiation content is increased matter-radiation equality
 - is delayed and occurs closer to recombination epoch
- > This implies universe is younger @ recombination with a correspondingly smaller sound horizon S*

> Since location of nth peak
 scales roughly as nπD_{*}/s_{*}
 ➡ peaks shift to larger l
 and with greater separation
 > Key issue here: parameter degeneracy

multiple parameters affect same feature



BBN

> Primordial ⁴He abundance is driven by decoupling of weak interaction (when neutrinos go out of equilibrium)

$$Y_p \propto e^{-(m_n - m_p)/T_{\text{dec}}}$$

 $ightarrow T_{
m dec}$ determined via $\Gamma(T_{
m dec}) = H(\overline{T_{
m dec}})$

$$T_{\rm dec}^5 \ (g/M_W)^4 M_{Pl} \sim \sqrt{N} \ T_{\rm dec}^2$$

(with
$$M_W \sim 100 \; {
m GeV}$$
)

For BBN F
$$T\sim 5~{
m MeV}~~$$
 $N\sim 10$

 $\succ Y_p$ increases with N

> Observationally inferred primordial fractions of baryonic mass in ⁴He have been constantly favoring $N_
u^{
m eff} \lesssim 3$

simha and steigman, JCAP 06 (2008) 016

BBN OBSERVATIONS

>Unexpectedly - recent determination of primordial 4He mass fraction

leads to $Y_p = 0.2565 \pm 0.0010(\text{stat}) \pm 0.0050(\text{syst})$

 $(2\sigma$ higher than value given by standard BBN)

For $\tau_n = 878 \pm 0.8 \text{ s} = N_{\nu}^{\text{eff}} = 3.80^{0.80}_{-0.70} (2\sigma)$ Izotov and Thuan, ApJ 710 (2010) L67 >4He observed primordial abundance has relative large systematic errors Aver, Olive, and Skillman, JCAP 1103 (2011) 043 $\succ Y_p$ is predicted with precision of $\sim 0.2\%$ D, 3He, and 7Li with precisions of roughly 5%, 4% and 8% because of very precise measurement \blacktriangleright constraint on $N_{
u}^{
m eff}$ from D/H is competitive with that from Y_p > Setting aside 4He constraints and combining CMB with BBN theory and observed D/H $N_{\nu}^{\text{eff}} = 3.9 \pm 0.44 \ (1\sigma)$ Nollett and Holder, arXiv:1112.2683





PICTORIAL REPRESENTATION OF D-BRANE CONSTRUCT



MODEL PARAMETERS

- > 3 couplings g_B, g_L, g_{I_R}
- > 3 Euler angles field rotation to coupling diagonal in Y fixes 2 angles
- > Orthogonal nature of rotation one constraint on couplings

$$\frac{1}{g_Y^2} = \left(\frac{1}{2g_L}\right)^2 + \left(\frac{1}{6g_B}\right)^2 + \left(\frac{1}{2g_{I_R}}\right)^2$$

> Baryon number coupling g_B
fixed to be 1/√6 of SU(3) coupling at U(3) unification
→ determined elsewhere via RG running
> 2 remaining d.o.f. allow further rotation leaving in addition to Y
Z' to couple to B (super-heavey string scale)
Z'' to couple to linear combinaion of B - L and I_R
-- only boson masses are free --

THE DRAMATIS PERSONAE

Index	Fields	Sector	$SU(3)_C \times SU(2)_L$	$U(1)_B$	$U(1)_L$	$U(1)_{I_R}$	$U(1)_Y$	g'	g''
1	U_R	$3 \rightarrow 1^*$	(3,1)	$\frac{1}{3}$	0	$\frac{1}{2}$	$\frac{2}{3}$	0.368	-0.028
2	D_R	$3 \rightarrow 1$	(3,1)	$\frac{1}{3}$	0	$-\frac{1}{2}$	$-\frac{1}{3}$	0.368	-0.209
3	L_L	$4 \rightarrow 2$	(1,2)	0	1	0	$-\frac{1}{2}$	0.143	0.143
4	E_R	$4 \rightarrow 1$	(1, 1)	0	1	$-\frac{1}{2}$	-1	0.142	0.262
5	Q_L	$3 \rightarrow 2$	(3,2)	$\frac{1}{3}$	0	0	$\frac{1}{6}$	0.368	-0.119
6	N_R	$4 \rightarrow 1^*$	(1, 1)	0	1	$\frac{1}{2}$	0	0.143	0.443
	Н	$2 \rightarrow 1$	(1, 2)	0	0	$\frac{1}{2}$	$\frac{1}{2}$	2.5×10^{-4}	0.090
- Yukawa	x = -Y	$T_d^{ij} ar Q_i H$	$D_j - Y_u^{ij} \epsilon^{ab} \bar{Q}_{ia}$	$H_b^{\dagger} U_j$	$-Y_\ell^{ij}$.	$ar{L}_i H E_j$	$_{j}+Y_{ u}^{ij}$	$\epsilon^{ab}ar{L}_{ia}H^{\dagger}_{b}.$	$N_j + \text{h.c.}$
LAA, Antoniadis, Goldberg, Huang, Lüst, and Taylor, PRD 85 (2012) 086003									
riday, June 22, 12									

OBTAINING DECOUPLING TEAMPERATURE

> Adiabatic reheating of all particles except ν_R 'S after decoupling gives relation

$$\Delta N_{\nu}^{\text{eff}} = 3 \left(\frac{N(T_{\text{end}})}{N(T_{\text{dec}})} \right)^{4/3}$$

> $T_{\rm end}$ = temperature at end of reheating phase

> $N(T) = r(T)(N_{\rm B} + \frac{7}{8}N_{\rm F})$ = effective number of r.d.o.f. at T

> r(T)=1 for Lepton/photon and $r(T)=s(T)/s_{
m SB}$ for qg plasma

►
$$N(T_{\text{dec}}) = 37 \ r(T_{\text{dec}}) + 14.25$$

 $> N(T_{\rm end}) = 10.75$

LATTICE QCD

> Lower T coincides with most rapid rise of entropy



QUARK-HADRON CROSSOVER TRANSITION > Excess r.d.o.f. within 1σ of central value of each if $0.46 < \Delta N_{\nu}^{\text{eff}} < 1.08$ \rightarrow 23 < $N(T_{\rm dec})$ < 44 $\rightarrow 0.24 < r(T_{\rm dec}) < 0.80$ > From lattice QCD study - this translates to a temperature range $175 \text{ MeV} < T_{\text{dec}} < 250 \text{ MeV}$ Bazavov et al., PRD 80 (2009) 014504 > Decoupling of ν_R occurs when ν_R m.f.p. \geq horizon size $\Rightarrow \Gamma^{\text{int}}(T_{\text{dec}}) = H(T_{\text{dec}})$ Thermal equilibrium \rightarrow int = scatt + ann Chemical equilibrium \rightarrow int = ann $H(T) = 1.66 \langle N(T) \rangle^{1/2} T^2 / M_{\rm Pl}$

AS A CHECK ...

behavior of trace anomaly

(which is very sensitive to behavior in crossover region)



and our range for $T_{\rm dec}$ straddles this region \checkmark Including $s~\blacktriangleright~0.18 < r(T) < 0.63$

CROSS SECTIONS

- > All is fixed except for Z' and Z'' masses
- > For interaction rate
 - take average over angles and thermal average over energies \simeq 2.0 $G_{\text{eff}}^2 T^5$

> By setting in turn

one arrives at two values of $T_{
m dec}$

 $G_{\text{eff}}^2 \sim \sum G_i^2$ with $4\frac{G_i}{\sqrt{2}} = \frac{g_6' g_i'}{M_{\pi'}^2} + \frac{g_6'' g_i''}{M_{\pi''}^2}$

 $\Gamma^{\rm scat}(T)$

 $\Gamma^{\text{ann}}(T) = H(T) \simeq 10.4 T^2 / M_{\text{Pl}}$

and

 $\Gamma^{\rm ann}(T) \simeq 0.50 \ G_{\rm eff}^2 \ T^5$

 $\Gamma^{\rm ann}(T) + \Gamma^{\rm scatt}(T) = H(T) \simeq 10.4 \ T^2/M_{\rm Pl}$

Chemical equilibrium $\rightarrow T_{\rm dec} = 2.75 \ (G_{\rm eff}^2 \ M_{\rm Pl})^{-1/3}$

Thermal equilibrium $\rightarrow T_{\rm dec} = 1.60 \ (G_{\rm eff}^2 \ M_{\rm Pl})^{-1/3}$ > When each of these is required to Lie between 175 MeV and 250 MeV \blacksquare allowed regions of Z' and Z'' masses are defined in each case

CONSTRAINTS



- > These two estimates should serve to bracket size of actual effect
- > Designation of B corresponds to Z' and B L to Z''

LAA and Goldberg, PRL 108 (2012) 081805

ZOONN OUT



Friday, June 22, 12

SUMMARY AND CONCLUSIONS

- □ We developed dynamic explanation of recent hints that relativistic component of energy during BBN and CMB epochs is equivalent to about 1 extra Weyl neutrino
- \Box We work within (string base) $U(3)_C imes SU(2)_L imes U(1)_R imes U(1)_L$ gauge theory \square Model endowed with 3U(1) gauge symmetries coupled to B, L, I_R \square Rotation of gauge fields to basis exactly diagonal in Yand very nearly diagonal in B-L and Bfixes all mixing angles and gauge couplings \square Requiring B-L current be anomaly free implies existence of 3 right-handed Weyl neutrinos □ Task then reverts to explain why there are not 3 additional r.d.o.f. \Box We find that for certain ranges of M_B and M_{B-L} decoupling of ν_R 's occurs during course of quark-hadron crossover transition \blacktriangleright just so that they are only partially reheated compared to $u_L's$ Corresponding upper and lower bounds on gauge field masses yield ranges to be probed at LHC