

Review on New Physics in Heavy Flavors: B-Meson Sector

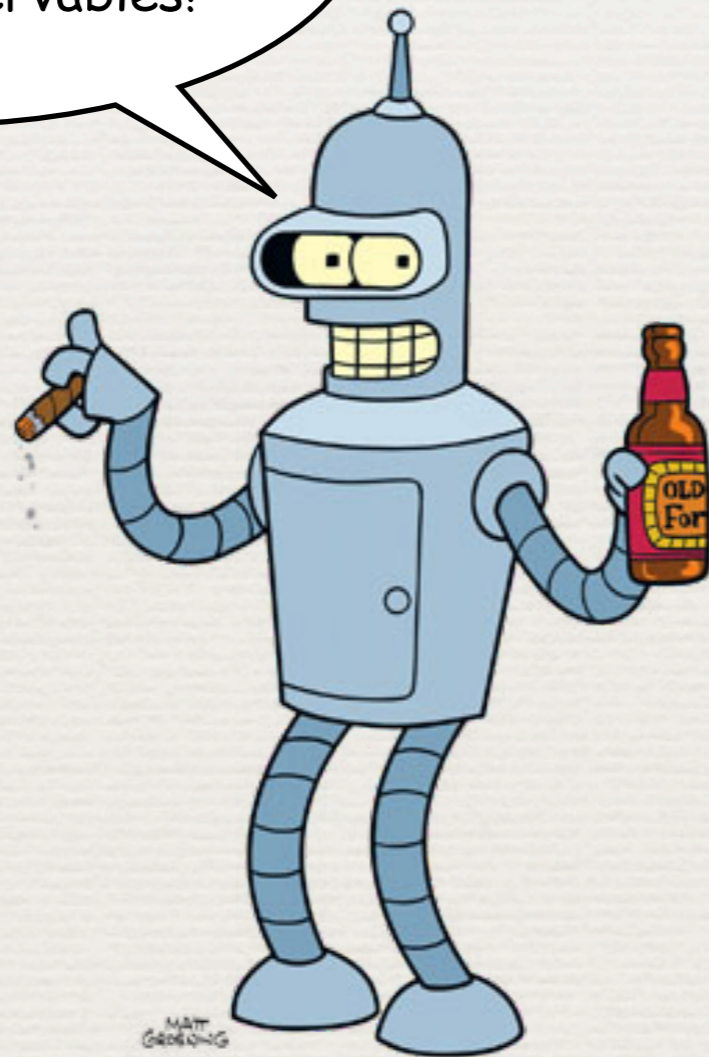
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University of Oxford

Recontres du Vietnam,
Quy Nhon, Vietnam,
15 - 21 July 2012

Score After 1fb^{-1} of LHCb Data

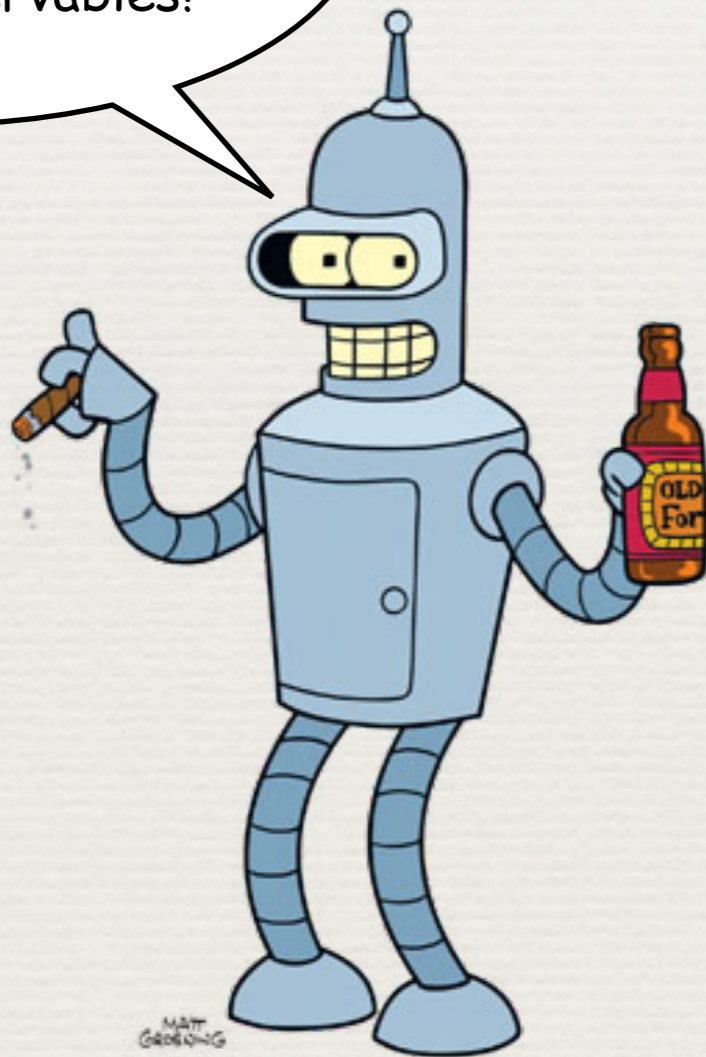
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great success:
textbook measurements of many
B-meson observables!



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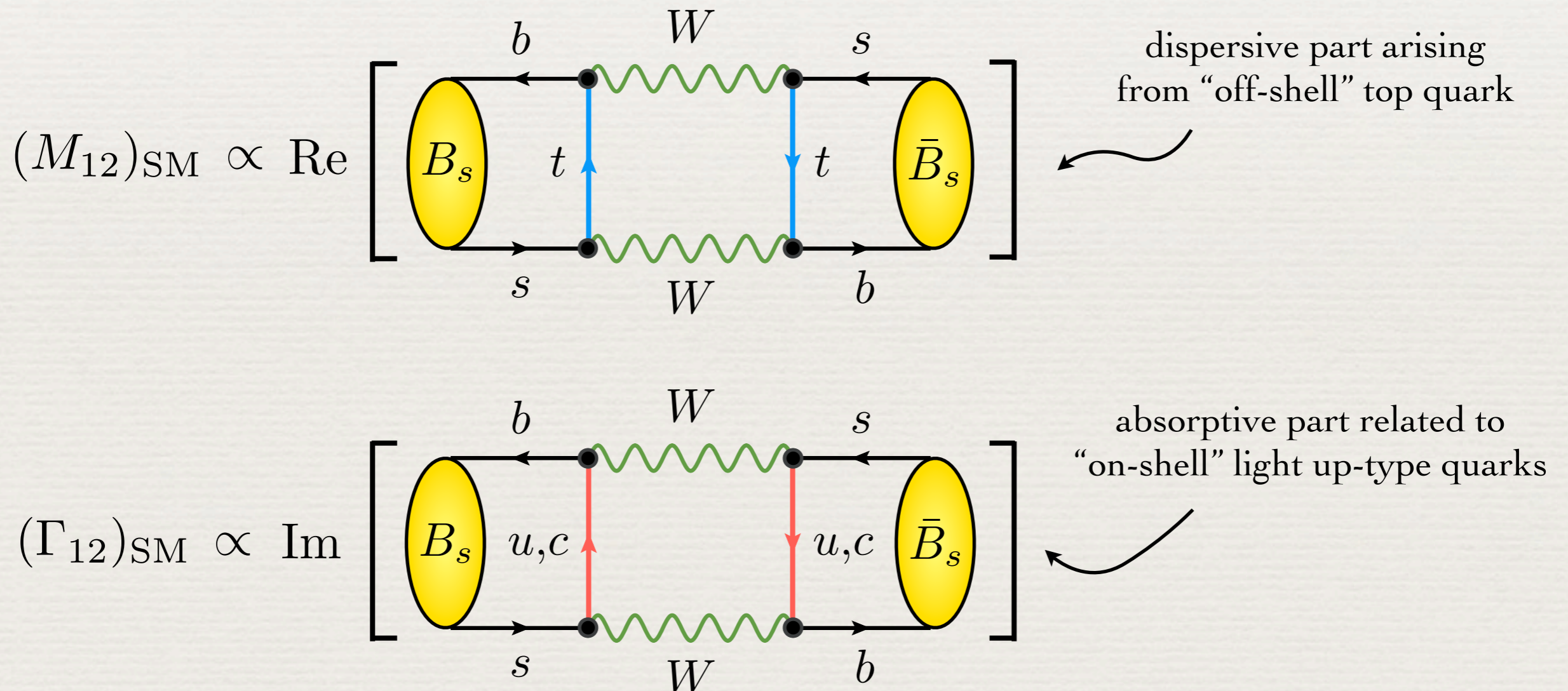
big disappointment:
where the @*#\\$ are the
signals of new physics?!



B-Meson Mixing

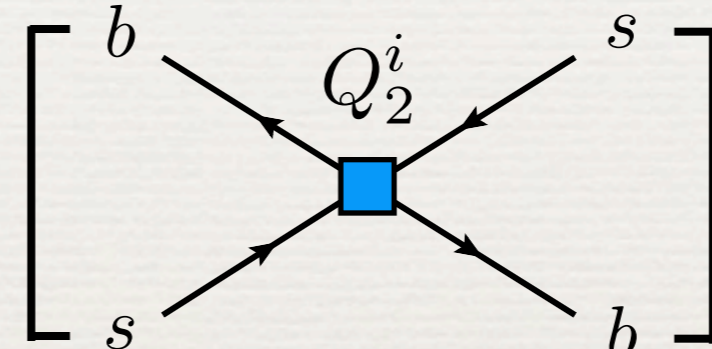
Standard Model & Beyond

- B_s - \bar{B}_s oscillations encoded in elements M_{12} & Γ_{12} of hermitian mass & decay rate matrices (CPT $\Rightarrow M_{11} = M_{22}$, $\Gamma_{11} = \Gamma_{22}$). In Standard Model (SM) leading effects due to electroweak box diagrams:



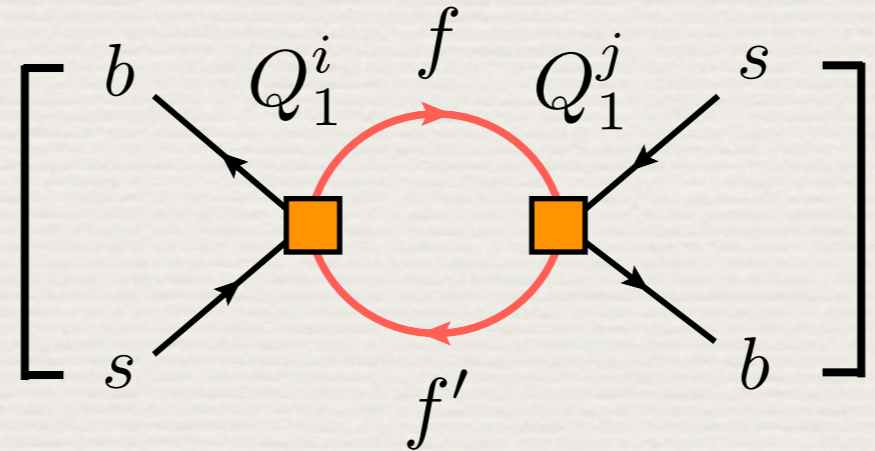
Standard Model & Beyond

- Generic, sufficiently heavy new physics (NP) in M_{12} (Γ_{12}) can be described via effective $\Delta B = 2$ ($\Delta B = 1$) interactions:

$(M_{12})_{\text{NP}} \propto C_2^i$

 $\sim \frac{1}{\Lambda_{\text{NP}}^2}$

very sensitive to new particles:
 SUSY, extra dimensions, ...

NP scale

$(\Gamma_{12})_{\text{NP}} \propto C_1^i C_1^j \text{Im}$

 $\sim \frac{1}{(4\pi)^2} \frac{1}{\Lambda_{\text{NP}}^4}$

free of NP (?), since coefficients would also
 give B decays into light final states X ($M_X < m_b$)

loop factor

Parameters & Observables

- Model-independent parametrization of NP effects in B_s system:

$$M_{12} = (M_{12})_{\text{SM}} + (M_{12})_{\text{NP}} = (M_{12})_{\text{SM}} R_M e^{i\phi_M},$$

$$\Gamma_{12} = (\Gamma_{12})_{\text{SM}} + (\Gamma_{12})_{\text{NP}} = (\Gamma_{12})_{\text{SM}} R_\Gamma e^{i\phi_\Gamma}$$

Expressed through $R_{M,\Gamma}$, $\phi_{M,\Gamma}$ & $(\phi_s)_{\text{SM}} = \arg(-(M_{12})_{\text{SM}}/(\Gamma_{12})_{\text{SM}})$, mass ΔM & width difference $\Delta\Gamma$, flavor-specific (e.g. semileptonic) CP asymmetry a_{fs}^s & CP-violating (CPV) phase $\phi_{\psi\phi}$ take form

$$\Delta M = (\Delta M)_{\text{SM}} R_M,$$

$$\Delta\Gamma \approx (\Delta\Gamma)_{\text{SM}} R_\Gamma \cos(\phi_M - \phi_\Gamma),$$

$$a_{fs}^s \approx (a_{fs}^s)_{\text{SM}} \frac{R_\Gamma}{R_M} \frac{\sin(\phi_M - \phi_\Gamma)}{(\phi_s)_{\text{SM}}},$$

$$\phi_{\psi\phi} = (\phi_{\psi\phi})_{\text{SM}} + \phi_M$$

Parameters & Observables

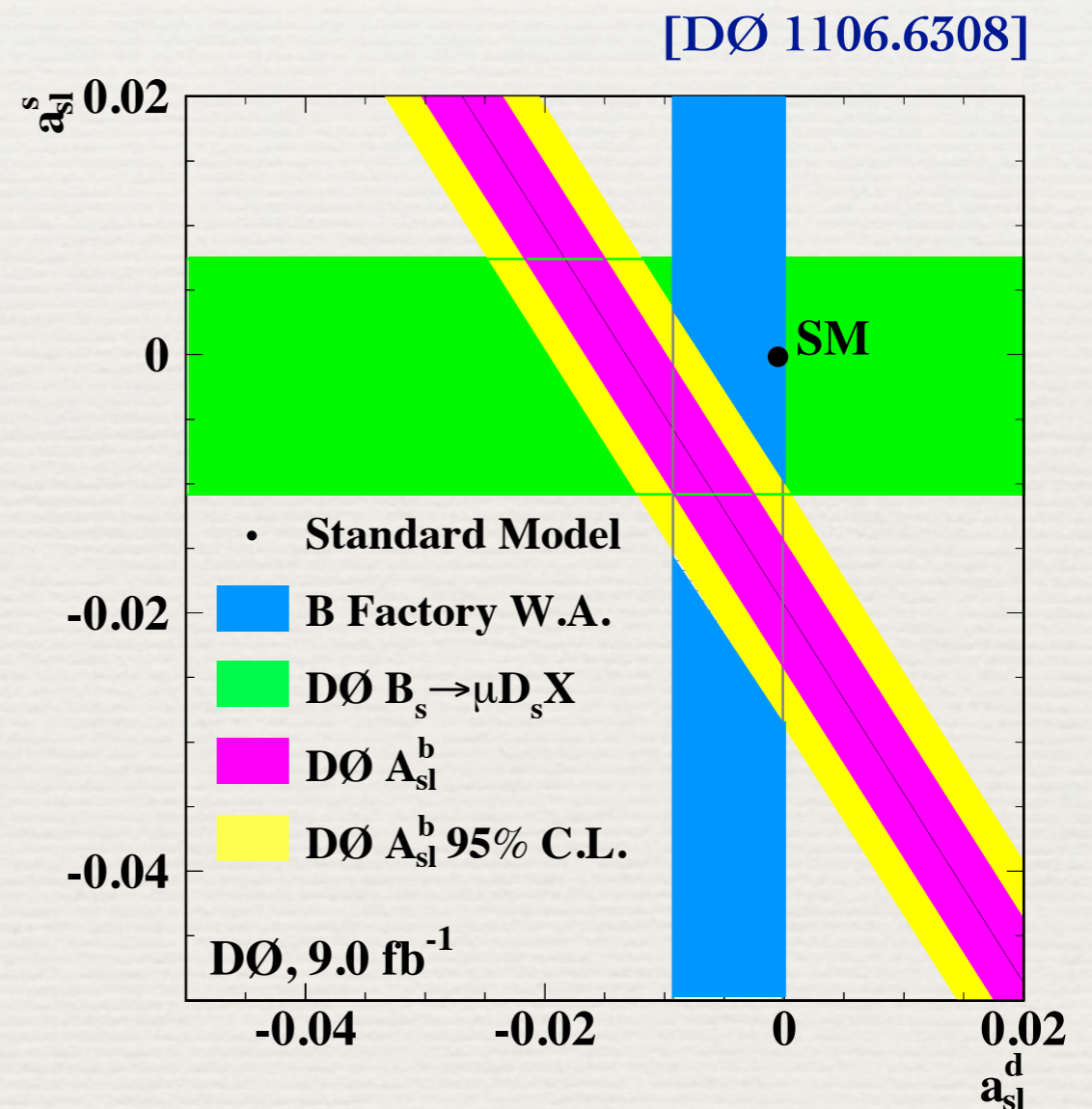
- Besides $\phi_{\psi\phi}$ (from mixed-induced, time-dependent CP asymmetry in $B_s \rightarrow \psi\phi$) & a_{fs}^s (from tree-level $B_s \rightarrow \mu^+ D_s^- X$ decay), there is a 3rd relevant CPV quantity in B sector, i.e., like-sign dimuon charge asymmetry A_{SL}^b :

$$A_{SL}^b = \frac{N_b^{++} - N_b^{--}}{N_b^{++} + N_b^{--}}$$

$$= C_d a_{fs}^d + (1 - C_d) a_{fs}^s,$$

$$N_b^{\pm\pm} = \# \text{ of events with } \mu^{\pm} \mu^{\pm},$$

$$C_d \approx [0.5, 0.6] \propto \text{production } B_d/B_s$$



SM Predictions vs. Data

	SM predictions [Lenz & Nierste, 1106.6308]	data before 2011	data at present
ΔM [ps ⁻¹]	17.3 ± 2.6	17.70 ± 0.08 [CDF]	17.73 ± 0.05 [CDF & LHCb]
$\Delta\Gamma$ [ps ⁻¹]	0.087 ± 0.021	$0.154^{+0.054}_{-0.070}$ (0.9 σ) [CDF & DØ]	0.116 ± 0.019 (1.0 σ) [LHCb]
$\phi_{\psi\phi}$ [°]	-2.1 ± 0.1	-44^{+17}_{-21} (2.3 σ) [CDF & DØ]	-0.11 ± 5.0 [LHCb]
A_{SL}^b [10 ⁻⁴]	-2.1 ± 0.4	-85 ± 28 (3.0 σ) [DØ]	-79 ± 20 (3.9 σ) [DØ]
a_{fs}^s [10 ⁻⁵] [†]	1.9 ± 0.3	-1200 ± 700 (1.7 σ)	-1300 ± 800 (1.5 σ)

[†]calculated from measured A_{SL}^b & $a_{\text{fs}}^s = (-4.7 \pm 4.6) \times 10^{-3}$ from BaBar & Belle

[HFAG, 1010.1589]

Implications of Present Data Set

- For $(M_{12})_{NP} \neq 0$, $(\Gamma_{12})_{NP} = 0$, fit to new data only slightly better than SM hypothesis ($\chi^2/\text{dofs} = 3.4/2$ vs. $\chi^2/\text{dofs} = 3.5/2$)

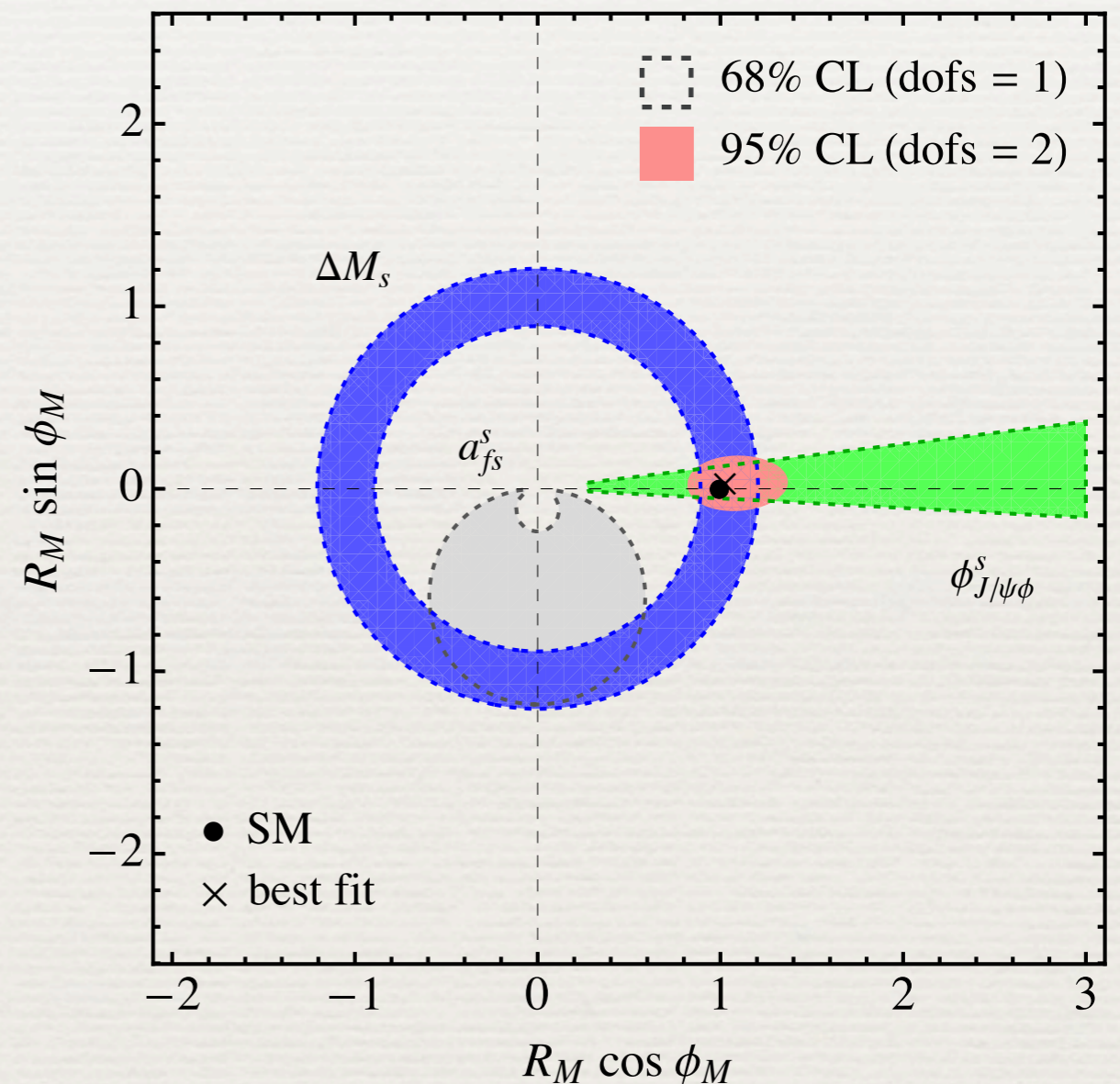
[Bobeth & UH, 1109.1826;
also Lenz, Nierste & CKMfitter, 1203.0238]

- In fact, for NP in M_{12} only & $a_{fs}^d = (a_{fs}^d)_{SM}$, A_{SL}^b measurement implies:

$$S_{\psi\phi} = \sin \phi_{\psi\phi} = -2.5 \pm 1.3$$

[see e.g. Dobrescu, Fox & Martin, 1005.4238;
Ligeti et al., 1006.0432; ...]

[UH, 1206.1230]



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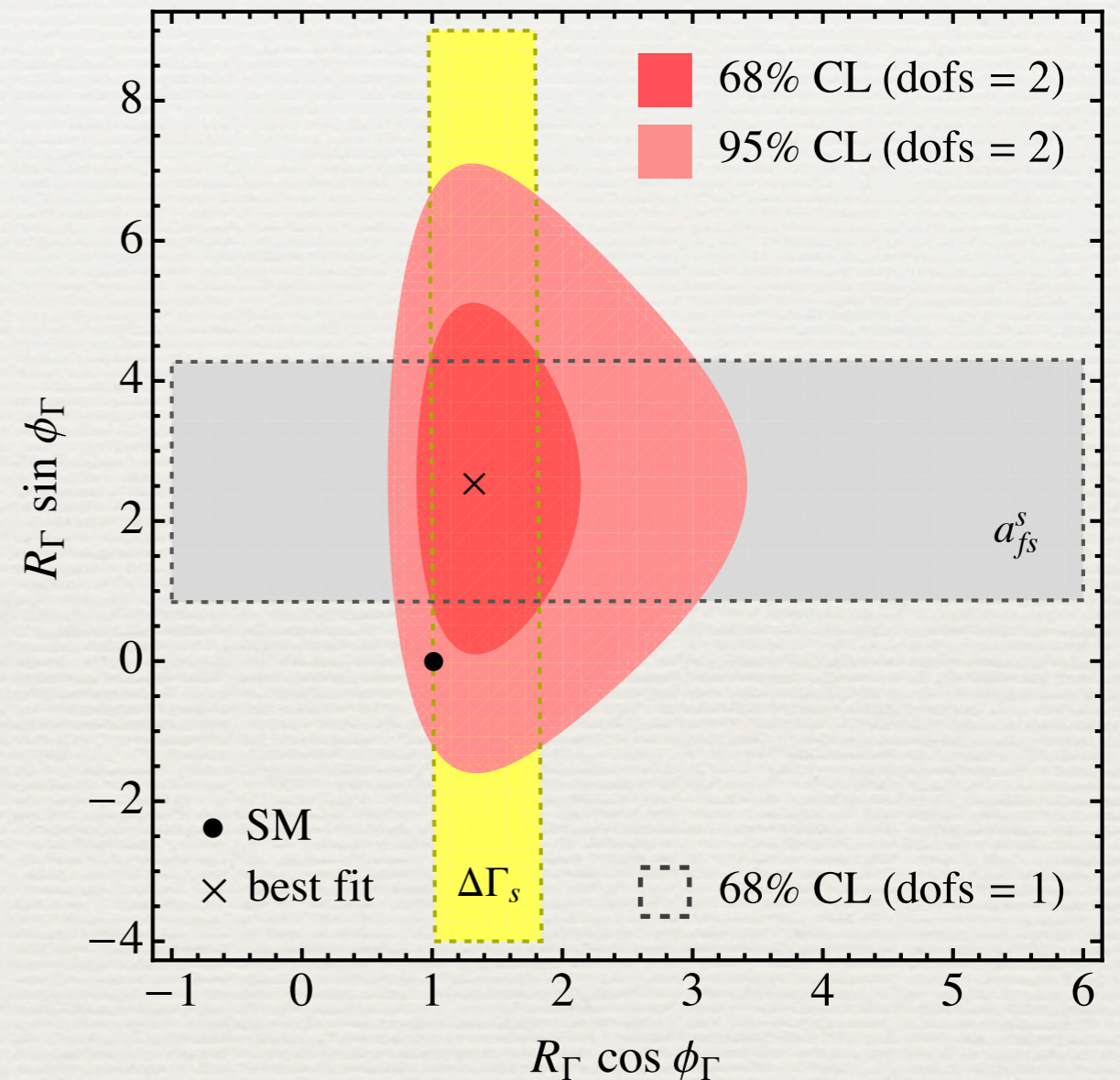
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- In fact, scenario with NP in Γ_{12} only, allows for significantly better fit ($\chi^2/\text{dofs} = 0.2/2$) than M_{12} -only assumption

[Bobeth & UH, 1109.1826]

[UH, 1206.1230]



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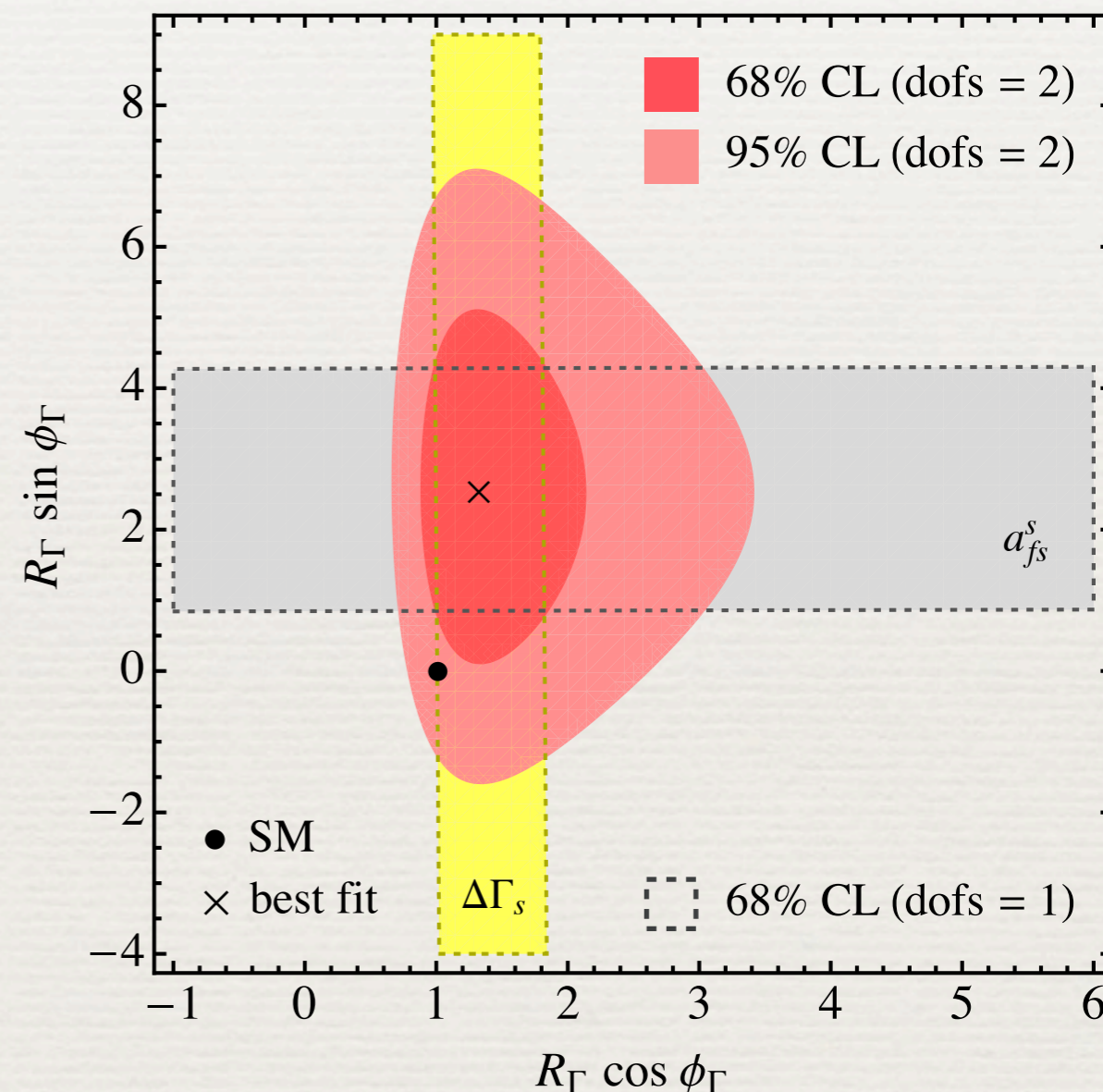
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[UH, 1206.1230]



Given latter result, worthwhile to ask: how big can NP in Γ_{12} be?

NP in Γ_{12} : $(\bar{s}b)(\bar{\tau}\tau)$ Operators

- While any operator $(\bar{s}b)f$ with f leading to flavor-neutral final state of 2 or more fields & mass less than m_b can alter Γ_{12} , possible f 's in practice limited, because $B_s \rightarrow f$ & $B_d \rightarrow X_s f$ modes involving light states in final state strongly constrained. A exception are B decays to tau pairs

[see e.g. Dighe, Kundu & Nandi, 0705.4547, 1005.1629;
Bauer & Dunn, 1006.1629;
Alok, Baek & London, 1010.1333;
Kim, Seo & Shin, 1010.5123;
Bobeth & UH, 1109.1826; ...]

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- Can study size of NP in Γ_{12} using an effective theory containing a complete set of $(\bar{s}b)(\tau\bar{\tau})$ operators (A, B = L, R):

$$\mathcal{L}_{\text{eff}}^{\text{NP}} = \frac{4G_F}{\sqrt{2}} V_{ts}^* V_{tb} \sum_i C_i Q_i,$$

$$Q_{S,AB} = (\bar{s}P_A b)(\bar{\tau}P_B \tau),$$

$$Q_{V,AB} = (\bar{s}\gamma_\mu P_A b)(\bar{\tau}\gamma^\mu P_B \tau),$$

$$P_{L,R} = (1 \mp \gamma_5)/2,$$

$$Q_{T,A} = (\bar{s}\sigma_{\mu\nu} P_A b)(\bar{\tau}\sigma^{\mu\nu} P_A \tau)$$

NP in Γ_{12} : $(\bar{s}b)(\bar{\tau}\tau)$ Operators

- Assuming single operator dominance, calculation of

$$(\Gamma_{12})_{\text{NP}} \propto C_i C_j \text{Im} \left[\begin{array}{c} b \quad Q_i \quad \tau \quad Q_j \quad s \\ \swarrow \quad \searrow \quad \nearrow \quad \nwarrow \\ \square \quad \quad \square \\ \swarrow \quad \searrow \quad \nearrow \quad \nwarrow \\ s \quad \quad \tau \quad \quad b \end{array} \right]$$

translates into

$$(R_\Gamma)_{S,AB} < 1 + (0.4 \pm 0.1) |C_{S,AB}|^2,$$

$$(R_\Gamma)_{V,AB} < 1 + (0.4 \pm 0.1) |C_{V,AB}|^2,$$

$$(R_\Gamma)_{T,A} < 1 + (0.9 \pm 0.2) |C_{T,A}|^2$$

which implies that C_i 's have to be around 1 (i.e., size of leading SM current-current coefficient) or larger to describe data well

Bounds on $(\bar{s}b)(\bar{\tau}\tau)$ Operators

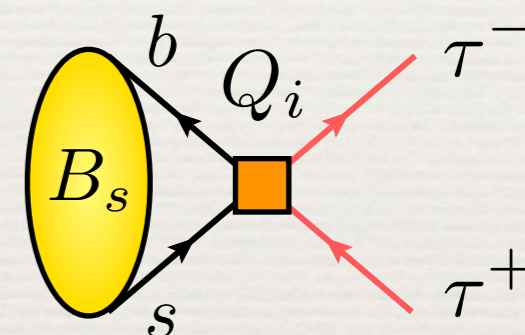
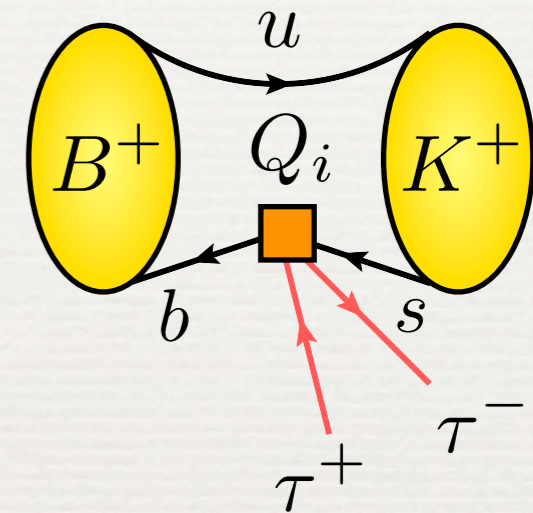
■ Direct constraints arise from

▶ $\text{Br}(B^+ \rightarrow K^+\tau^+\tau^-) < 3.3 \cdot 10^{-3}$ (90% CL)

[Flood for BaBar, PoS ICHEP2010, 234 (2010)]

▶ $\text{Br}(B_s \rightarrow \tau^+\tau^-) \lesssim 3\%$, $\text{Br}(B \rightarrow X_s\tau^+\tau^-) \lesssim 2.5\%$

[see e.g. Grossman, Ligeti & Nardi, hep-ph/9607473;
Dighe, Kundu & Nandi, 1005.4051;
Bobeth & UH, 1109.1826]



Bounds on purely leptonic & inclusive semileptonic Br's from $B_{d,s}$ lifetime ratio & contamination of $b \rightarrow cl\nu$ decays. LEP searches of $B \rightarrow X + E_{\text{miss}}$ & charm counting of comparable strength

■ Indirect constraints from $b \rightarrow s\gamma, l^+l^-$ relevant for tensor operators

Upper Bounds on Wilson Coefficients

	limit on $C_i(m_b)$	limit on Λ_{NP} for $C_i^\Lambda = 1$	process
S, AB	< 0.5	2.0 TeV	$B_s \rightarrow \tau^+\tau^-$
V, AB	< 0.8	1.0 TeV	$B^+ \rightarrow K^+\tau^+\tau^-$
T, L	< 0.06	3.2 TeV	$b \rightarrow s\gamma, l^+l^-$
T, R	< 0.09	2.8 TeV	$b \rightarrow s\gamma, l^+l^-$

- Assuming single operator dominance & complex C_i , one obtains quite loose bounds on scalar & vector operators, whereas tensor contributions are severely constrained, mostly due to $B \rightarrow X_s\gamma$

Present Data: $(\Gamma_{12})_{NP}$ Due to $b \rightarrow s\tau^+\tau^-$

- Upper limit on C_i translate into:

$$(R_\Gamma)_{S,AB} < 1.15,$$

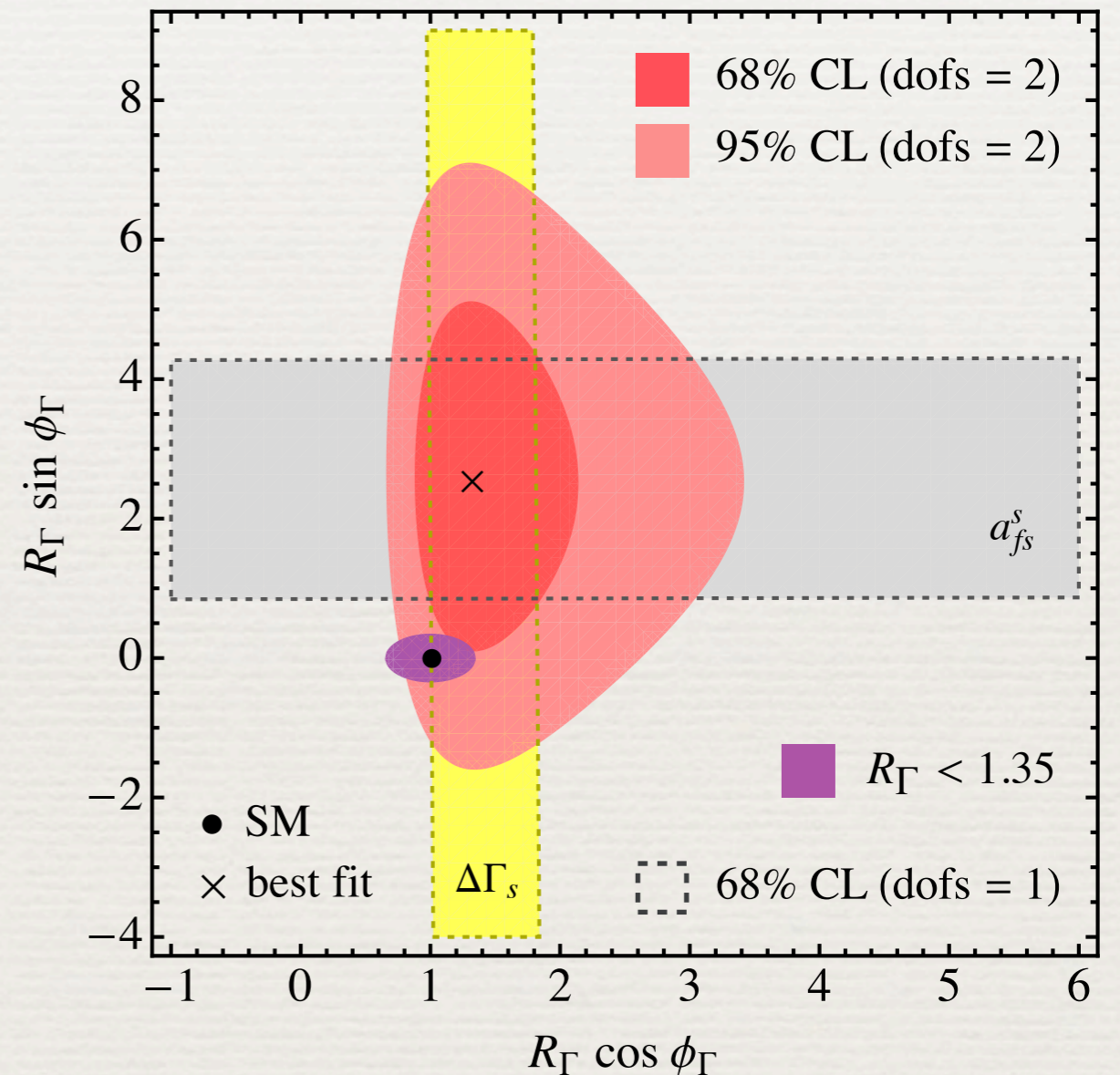
$$(R_\Gamma)_{V,AB} < 1.35,$$

$$(R_\Gamma)_{T,L} < 1.004,$$

$$(R_\Gamma)_{T,R} < 1.008$$

Largest correction due to vector operator can change $|\Gamma_{12}|_{SM}$ by 35%. Tension in B-meson sector can be relaxed, but effects are factor of around 10 too small to provide full explanation

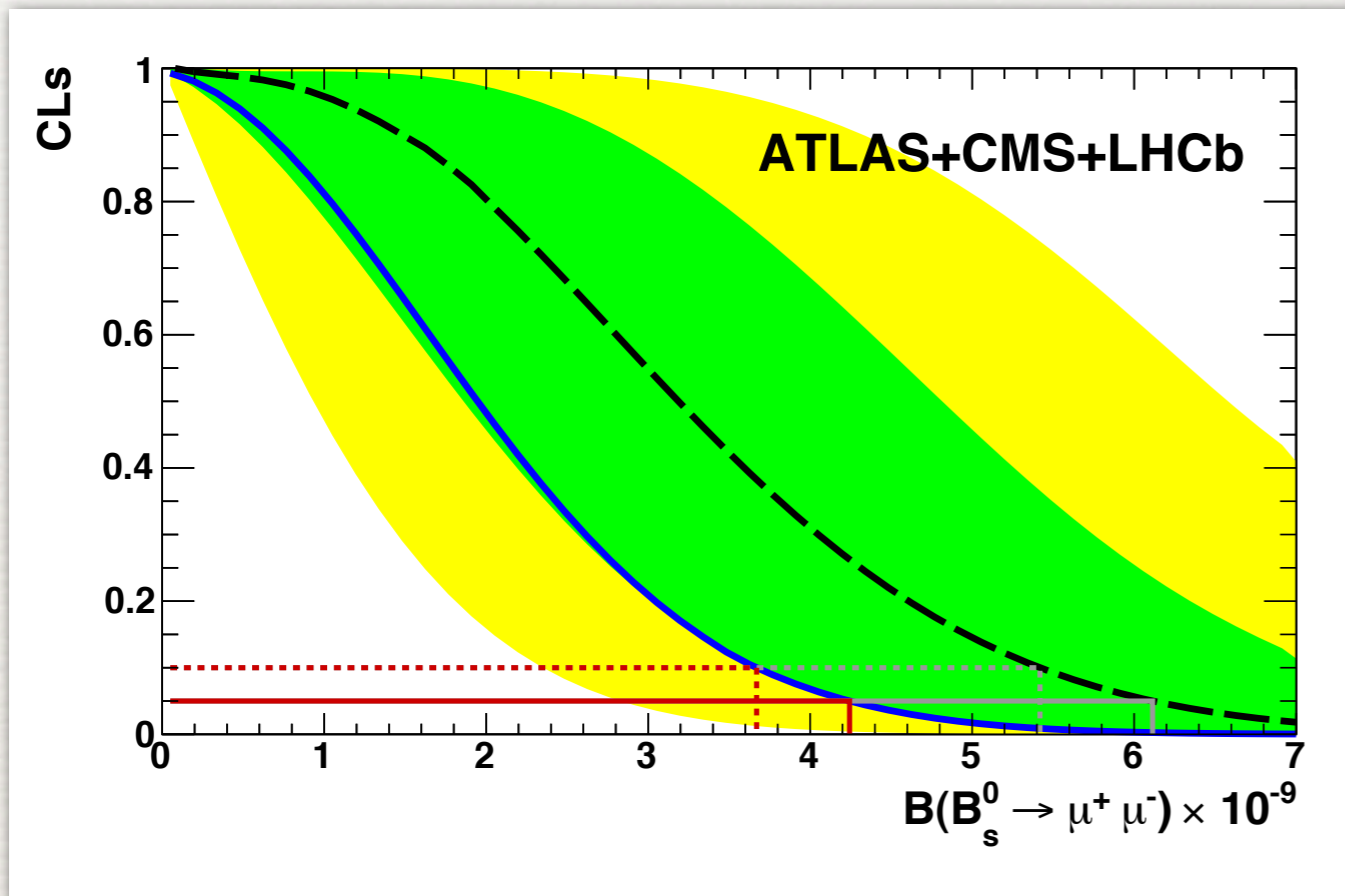
[UH, 1206.1230]



Rare B-Meson Decays

ATLAS, CMS & LHCb Cornering NP

[CMS-PAS-BPH-12-009]



95% CL bounds :

$$\text{Br}(B_s \rightarrow \mu^+ \mu^-) < 4.2 \cdot 10^{-9}$$

$$\text{Br}(B_d \rightarrow \mu^+ \mu^-) < 8.1 \cdot 10^{-10}$$

B_s ↙

↘ B_d

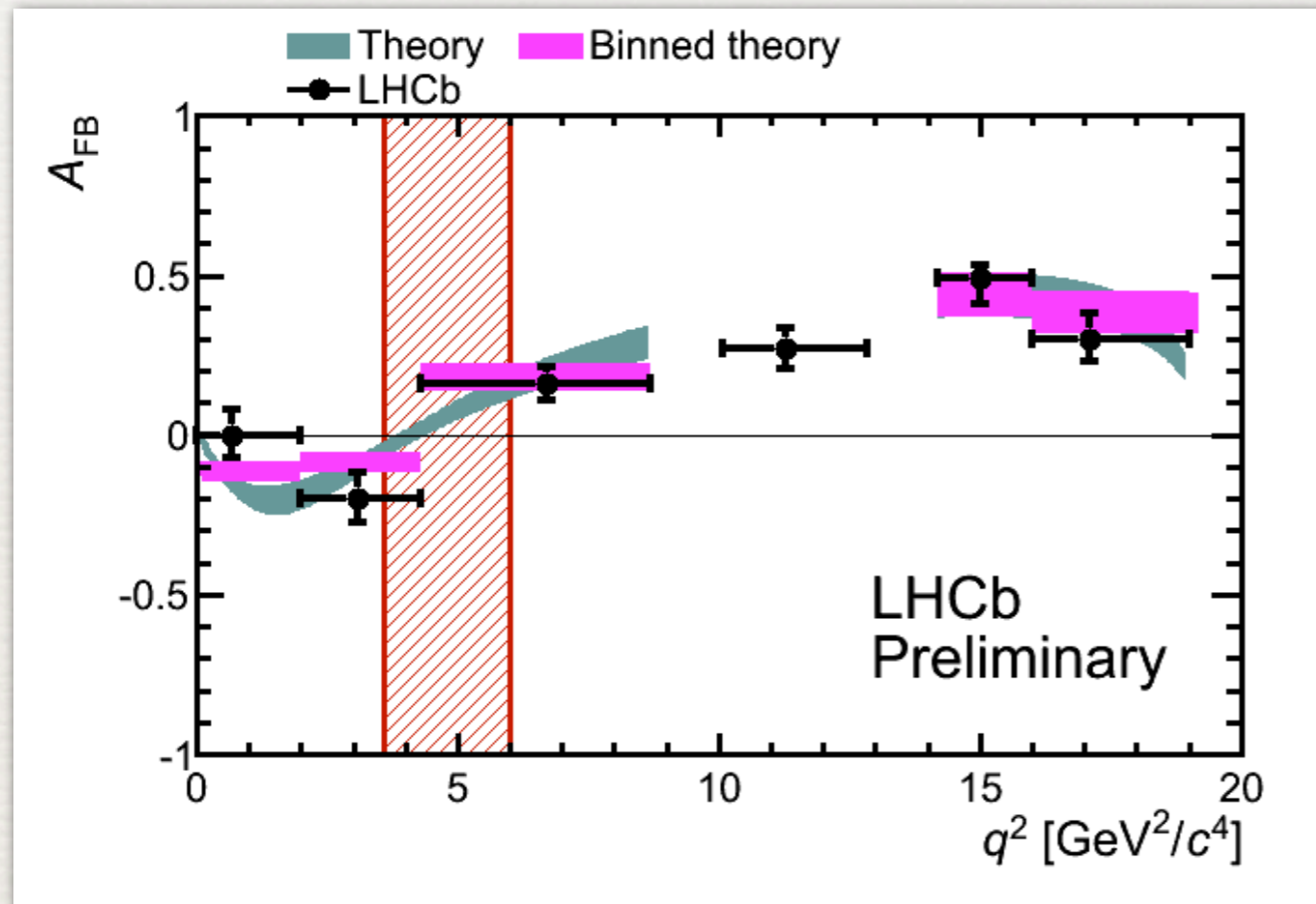
+40%

+900%

allowed relative to SM

LHCb Cornering NP

[LHCb-CONF-2011-038; LHCb-CONF-2012-008]



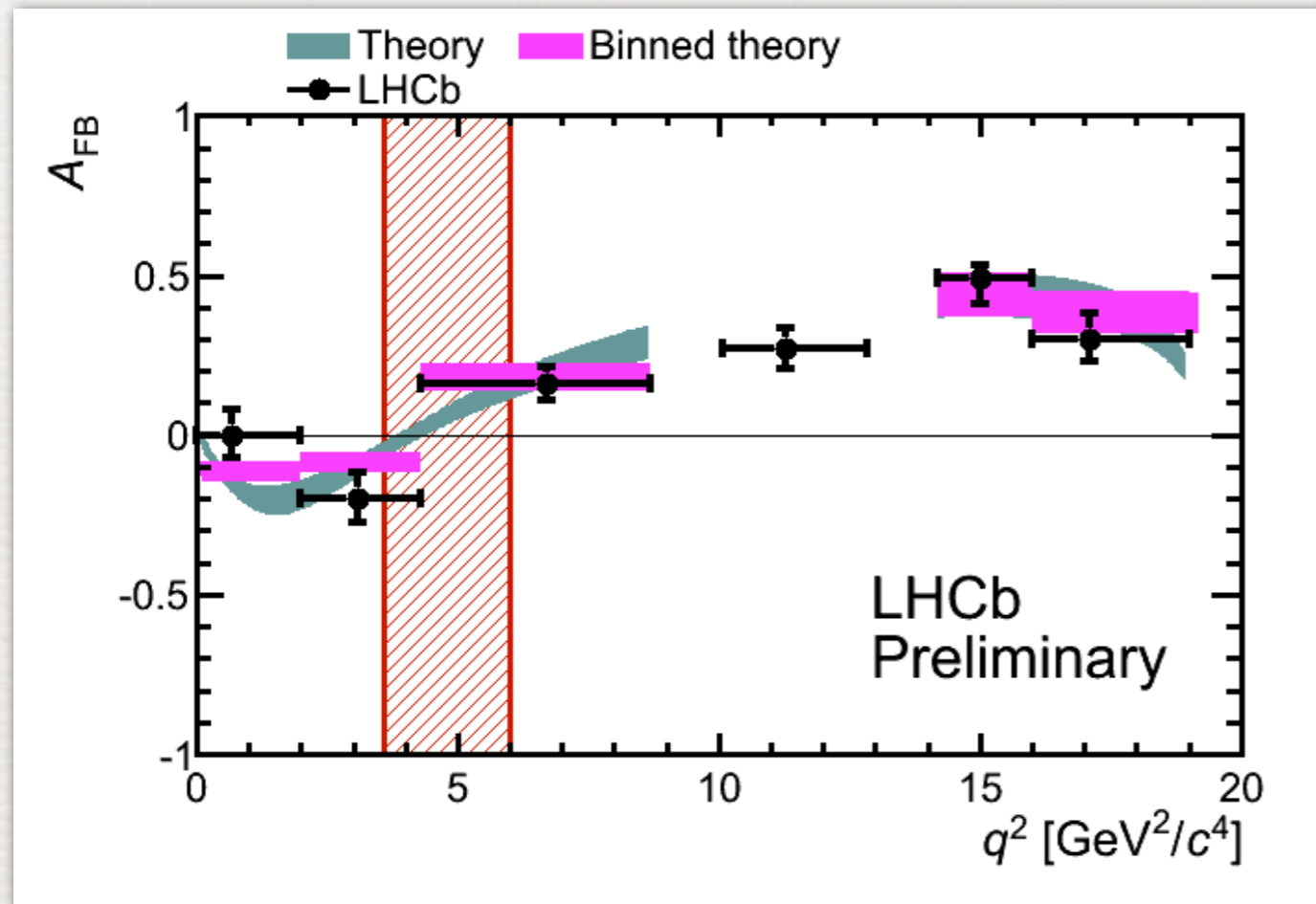
LHCb measurements of $B \rightarrow K^* \mu^+ \mu^-$ distributions show nice agreement with SM expectations



but $O(50\%)$ NP effects relative to SM amplitudes not ruled out yet

LHCb Cornering NP

[LHCb-CONF-2011-038; LHCb-CONF-2012-008]



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but $O(50\%)$ NP effects relative to SM amplitudes not ruled out yet

Spectacular NP effects excluded (unlikely), but in view of cleanness of rare B decays visible effects still possible

MSSM: Anatomy of Higgs Mass

- Tree-level mass of lightest CP-even Higgs maximized in decoupling limit $M_A \gg M_Z$ with $\tan\beta = t_\beta \gg 1$:

$$m_h^2 \approx M_Z^2 c_{2\beta}^2 \left(1 - \frac{M_Z^2}{M_A^2} s_{2\beta}^2 \right) \leq M_Z^2$$

- Large one-loop contributions arise from incomplete cancellation of top-quark & -squark loop

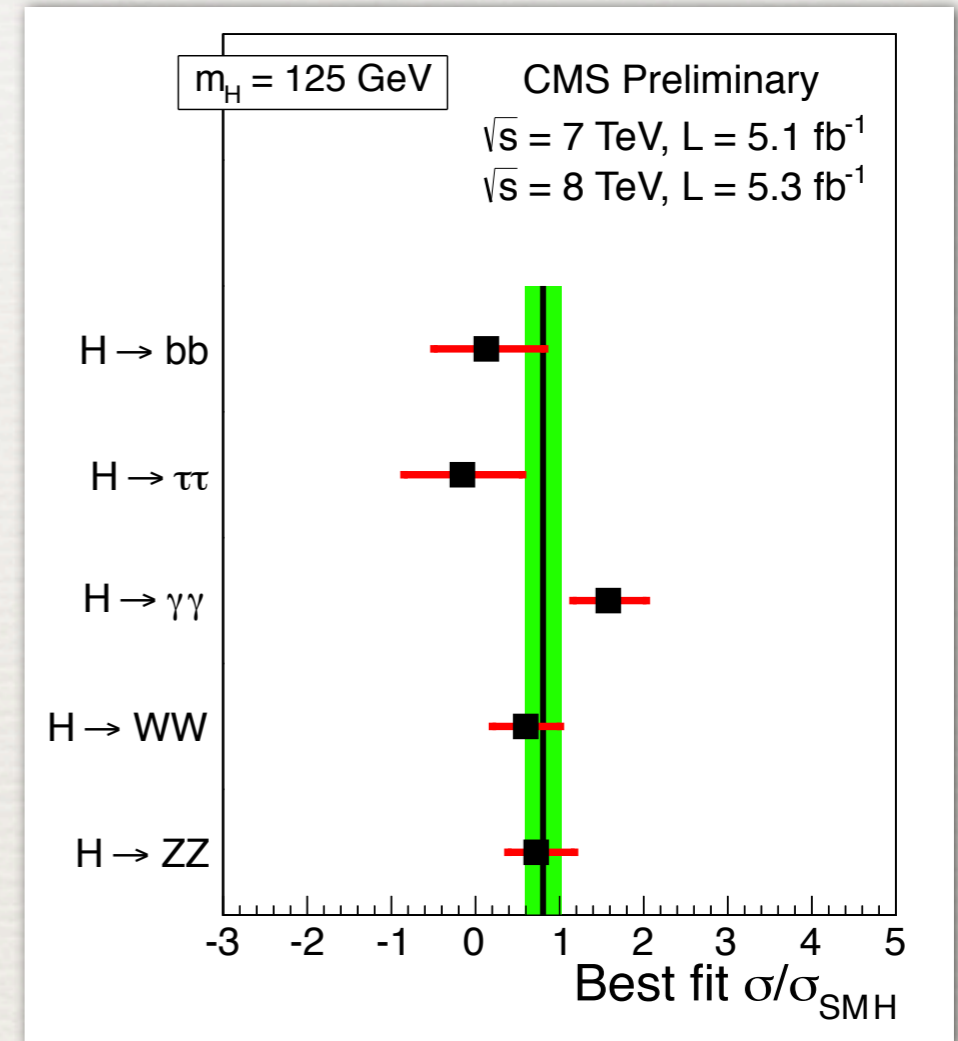
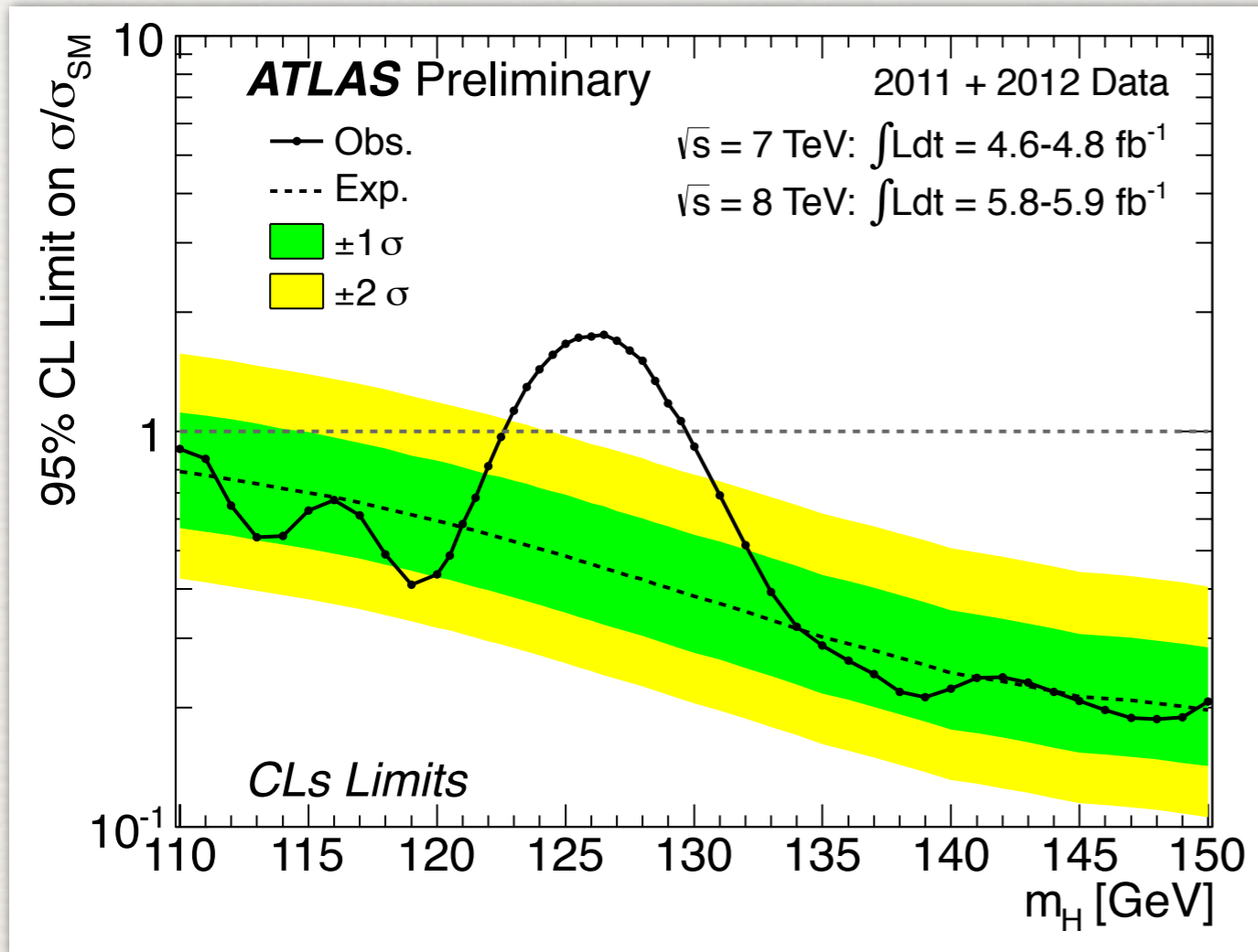
$$(\Delta m_h^2)_{\tilde{t}} \approx \frac{3\sqrt{2}G_F}{2\pi^2} m_t^4 \left[-\ln \left(\frac{m_t^2}{m_{\tilde{t}}^2} \right) + \frac{X_t^2}{m_{\tilde{t}}^2} \left(1 - \frac{X_t^2}{12m_{\tilde{t}}^2} \right) \right]$$

that can make m_h sufficiently heavy if $m_{\tilde{t}} = \sqrt{m_{\tilde{t}1} m_{\tilde{t}2}} \gg m_t$ and/or $X_t = A_t - \mu/t_\beta$ close to maximal $|X_t| = \sqrt{6} m_{\tilde{t}}$. Two-loop effects break symmetry $X_t \leftrightarrow -X_t$ & allow larger value of m_h for $\text{sgn}(X_t M_3) = +1$

MSSM: Anatomy of Higgs Mass

[ATLAS-CONF-2012-093]

[CMS-HIG-12-020]

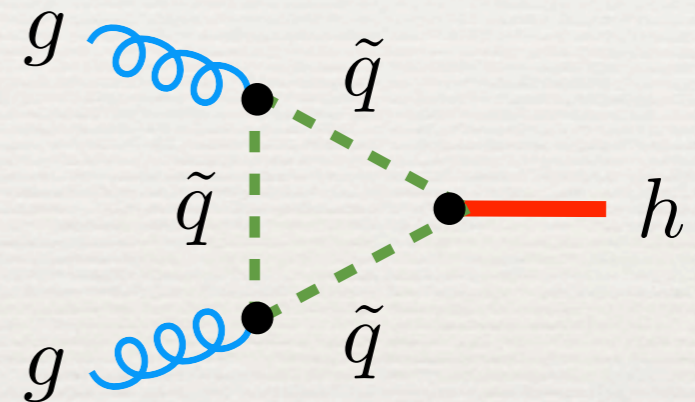


- In MSSM, Higgs with mass of around 125 GeV clearly not natural. Will be agnostic about issue & assume fine-tuned region of MSSM parameter space realized with $M_A \gg M_Z$ & $t\beta$ & trilinear term A_t large. Are there other observable consequences?

MSSM: Dissecting Higgs Production

- Structure of MSSM corrections to $gg \rightarrow h$ & $h \rightarrow \gamma\gamma$ can be easily understood by studying case of soft Higgs. In decoupling limit one finds for stop & sbottom contributions to hgg vertex:

$$\kappa_{\tilde{q}} \approx \frac{1}{4} m_q^2 \frac{\partial}{\partial m_q^2} \ln [\det (\mathcal{M}_{\tilde{q}}^2)]$$



$$\approx \begin{cases} \frac{m_t^2}{4} \left(\frac{1}{m_{\tilde{t}_1}^2} + \frac{1}{m_{\tilde{t}_2}^2} - \frac{X_t^2}{m_{\tilde{t}_1}^2 m_{\tilde{t}_2}^2} \right), & \tilde{q} = \tilde{t} \\ -\frac{m_b^2 X_b^2}{4m_{\tilde{b}_1}^2 m_{\tilde{b}_2}^2}, & \tilde{q} = \tilde{b} \end{cases}$$

MSSM: Dissecting Higgs Production

- Assuming degenerate stops & neglecting sbottom-loop effects, shift in Higgs production cross section hence approximately given by:

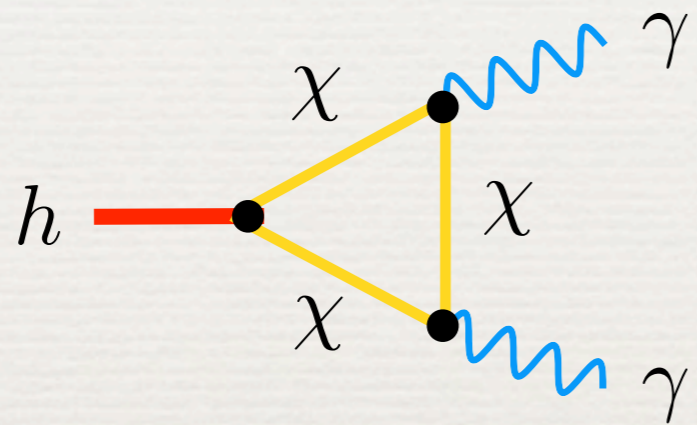
$$R_h \approx (1 + \kappa_{\tilde{t}})^2 \approx \begin{cases} 1 + \frac{m_t^2}{m_{\tilde{t}}^2}, & X_t = 0 \\ 1 - 2 \frac{m_t^2}{m_{\tilde{t}}^2}, & X_t = \sqrt{6} m_{\tilde{t}} \end{cases}$$

As Higgs-boson mass around 125 GeV calls for close to maximal mixing, natural to expect suppression of $gg \rightarrow h$. In fact, this is exactly what happens in wide ranges of MSSM parameter space

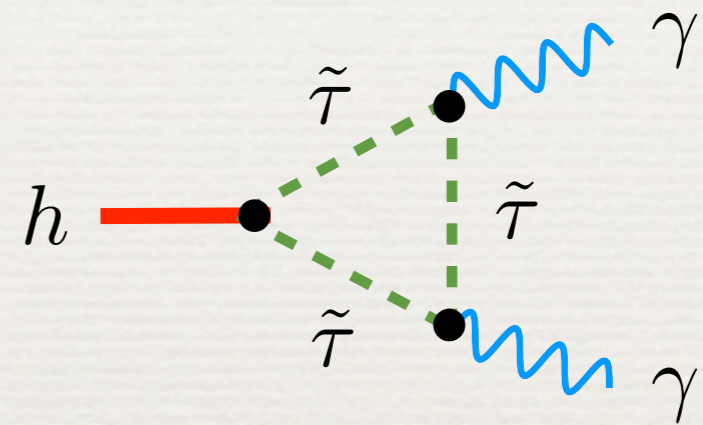
[see for example Dermisek & Low, hep-ph/0701235; Cacciapaglia et al., 0901.0927]

MSSM: Dissecting Higgs Decay to Diphotons

- For $M_A \gg M_Z$, charged Higgs effects are strongly suppressed, but chargino & stau loops can have notable impact on diphoton rate:



$$\kappa_\chi \approx \text{sgn} [\det (\mathcal{M}_\chi)] \frac{2}{t_\beta} \frac{M_W^2}{m_\chi^2}$$

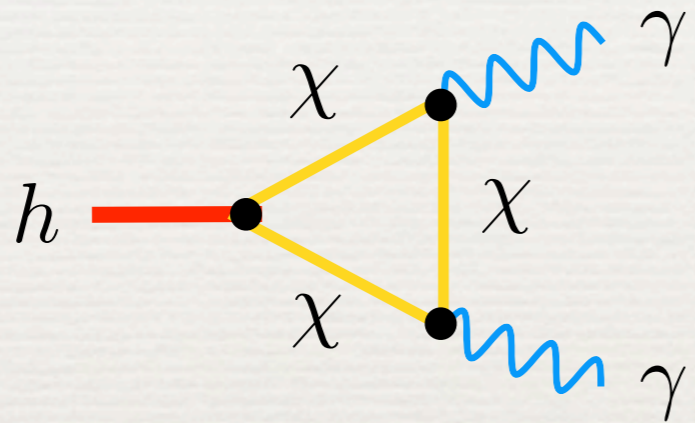


$$\kappa_{\tilde{\tau}} \approx -\frac{m_\tau^2 X_\tau^2}{4m_{\tilde{\tau}_1}^2 m_{\tilde{\tau}_2}^2}$$

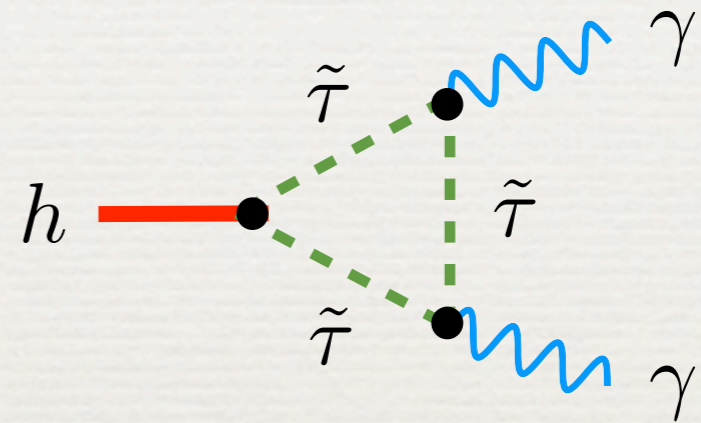
[see for example Djouadi et al., hep-ph/9612362; Carena et al., 1112.3336; 1205.5842]

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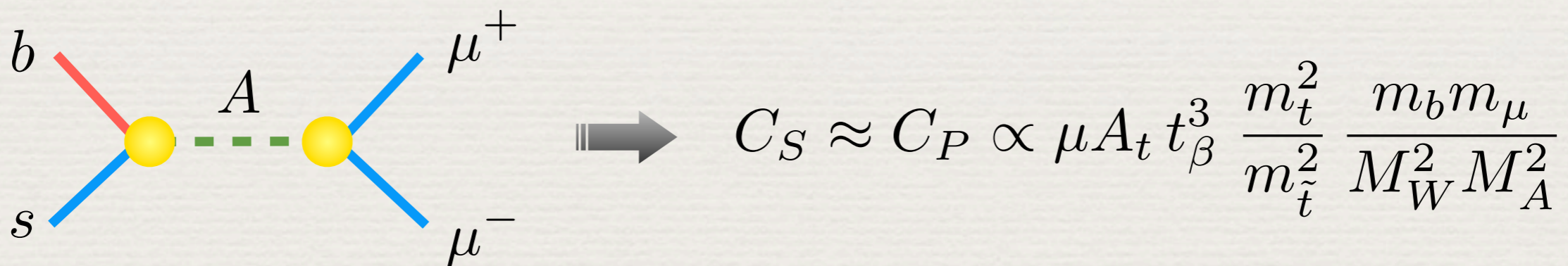
$$\kappa_{\tilde{\tau}} \approx -\frac{m_\tau^2 X_\tau^2}{4m_{\tilde{\tau}_1}^2 m_{\tilde{\tau}_2}^2}$$

Unlike chargino effects, stau loops not t_β suppressed. In fact, $R_\gamma > 1$ needs light stau with large mixing $X_\tau = A_\tau - \mu t_\beta$, which is most easily achieved for $t_\beta \gg 1$ & μ significantly above weak scale

MSSM: Anatomy of $B_s \rightarrow \mu^+ \mu^-$

- In large- t_β regime, rare purely leptonic B_s decay receives dominant corrections from neutral Higgs double penguins:

$$R_{\mu^+ \mu^-} = \frac{\text{Br}(B_s \rightarrow \mu^+ \mu^-)}{\text{Br}(B_s \rightarrow \mu^+ \mu^-)_{\text{SM}}} \approx 1 - 13.2 C_P + 43.8 (C_S^2 + C_P^2)$$



Term linear in pseudoscalar coefficient C_P due to interference with semileptonic axial-vector SM contribution. Data prefers $C_P > 0$

[see for example Babu & Kolda, hep-ph/9900476]

MSSM: Anatomy of $B_s \rightarrow \mu^+\mu^-$

- In fact, upper bound on branching ratio of $B_s \rightarrow \mu^+\mu^-$ translates into two-sided limit on product μA_t . For example, $R_{\mu^+\mu^-} < 1.3$ gives

$$-\frac{0.6}{\text{TeV}^2} \lesssim \frac{\mu A_t}{m_{\tilde{t}}^2 M_A^2} \left(\frac{t_\beta}{50}\right)^3 \lesssim \frac{5.2}{\text{TeV}^2}$$

Inequality shows that for $\text{sgn}(\mu A_t) = +1$ constraint from $B_s \rightarrow \mu^+\mu^-$ more easily evaded. For $\mu A_t > 0$ rate below SM. Taking

$$\frac{\mu A_t}{m_{\tilde{t}}^2 M_A^2} \left(\frac{t_\beta}{50}\right)^3 \approx \frac{2.3}{\text{TeV}^2}$$

for example implies suppression by about 50%

Slice of MSSM Parameter Space

- Above suggests that parameter space with $\mu > 0$ & $A_t > 0$ is least constrained & may lead to interesting effects. Fix relevant MSSM parameters to following weak-scale values

$$t_\beta = 60, \quad M_A = 1 \text{ TeV}$$

$$\tilde{m}_{Q_3} = 1.5 \text{ TeV}, \quad \tilde{m}_{u_3} = 1.5 \text{ TeV}$$

$$\tilde{m}_{L_3} = 325 \text{ GeV}, \quad \tilde{m}_{l_3} = 325 \text{ GeV}, \quad A_\tau = 500 \text{ GeV}$$

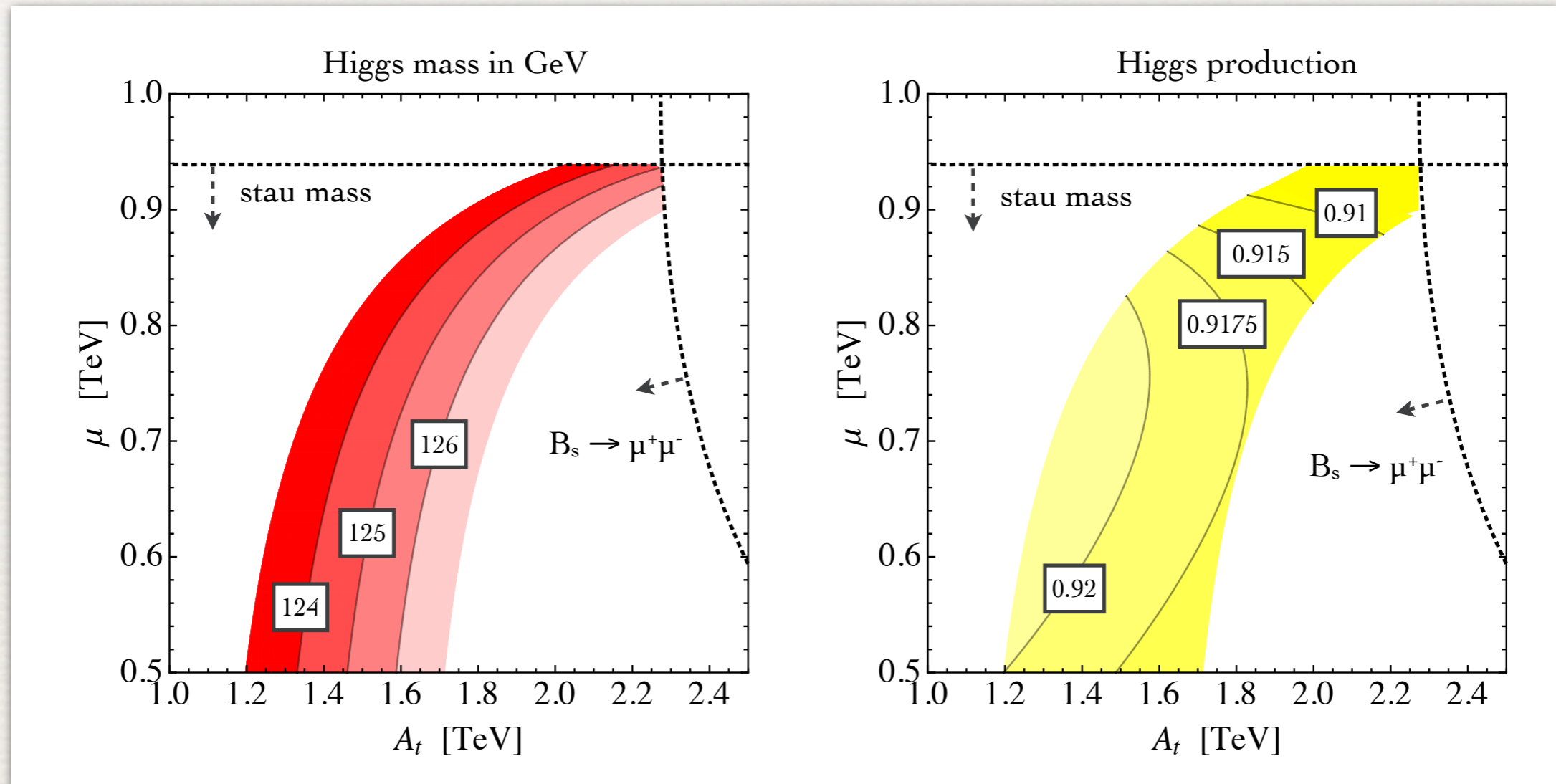
$$M_1 = 100 \text{ GeV}, \quad M_2 = 300 \text{ GeV}, \quad M_3 = 1.2 \text{ TeV}$$

& vary trilinear term A_t & Higgsino mass parameter μ

[see also Carena et al., 1112.3336; 1205.5842]

A_t - μ Planes: m_h & R_h

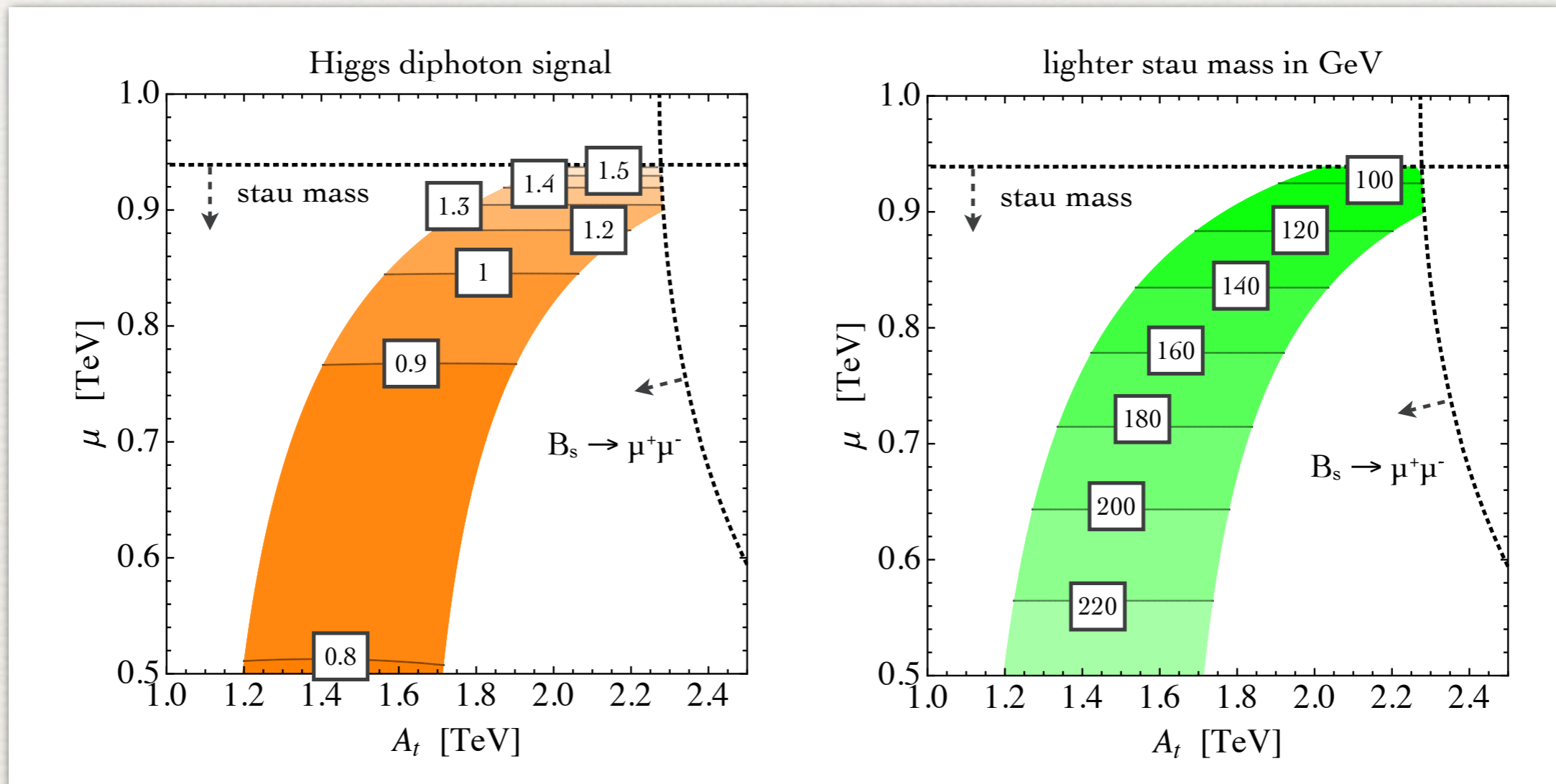
[UH & Mahmoudi, 1208.xxxx]



- Higgs mass determination & lower limit on stau mass of 92 GeV (LHCb bound on $B_s \rightarrow \mu^+\mu^-$) bound μ (A_t) from above. In preferred parameter space, Higgs production smaller than SM by about 10%

A_t - μ Planes: $R_{\gamma\gamma}$ & $m_{\tilde{\tau}_1}$

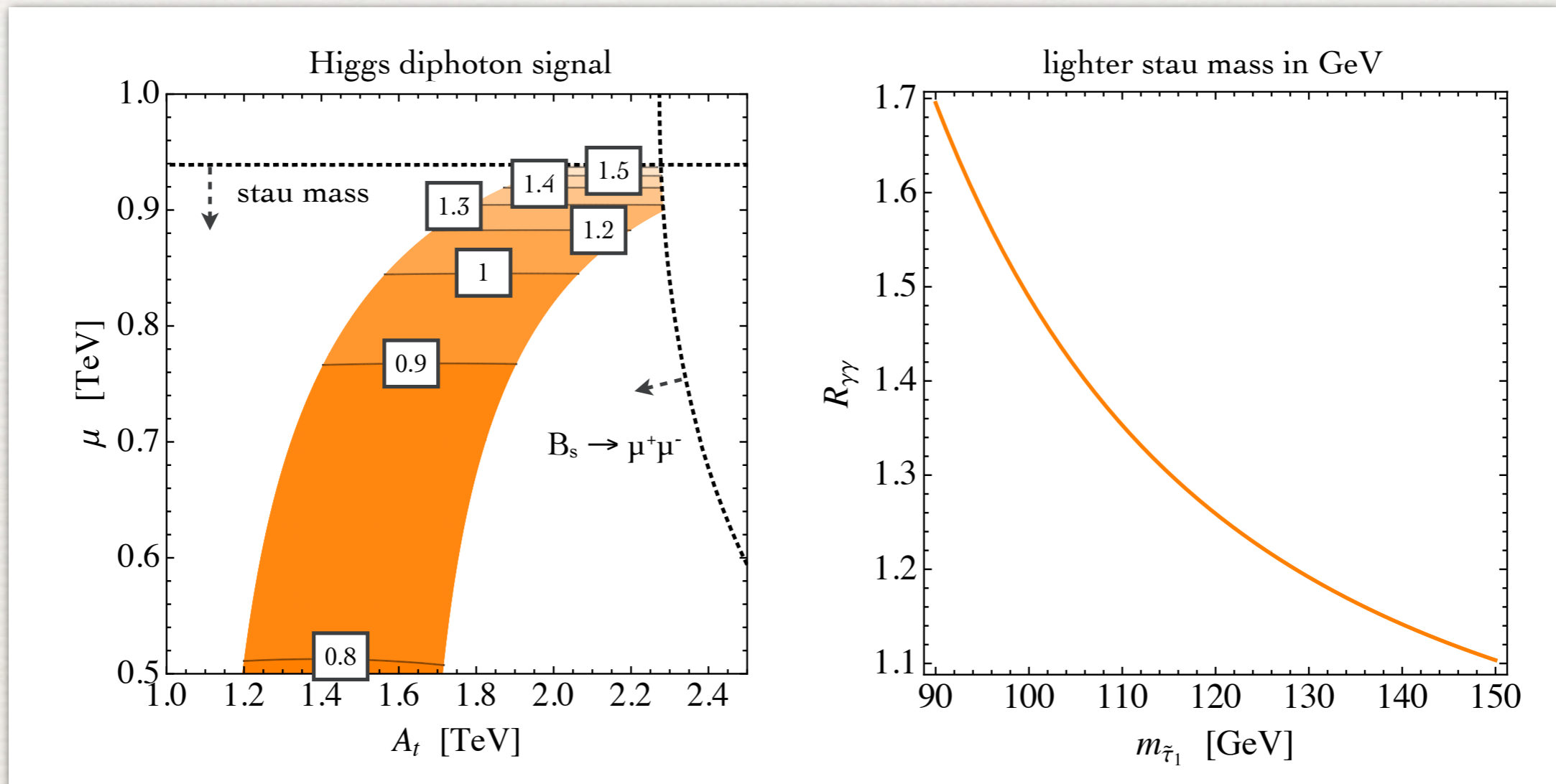
[UH & Mahmoudi, 1208.xxxx]



- Enhancement in diphoton rate strongly correlated with mass of lighter stau mass eigenstate & μ parameter. Can find upper bound on $R_{\gamma\gamma}$ as function of $m_{\tilde{\tau}_1}$ & absolute limit of $R_{\gamma\gamma} \lesssim 1.7$

A_t - μ Planes: $R_{\gamma\gamma}$ & $m_{\tilde{\tau}_1}$

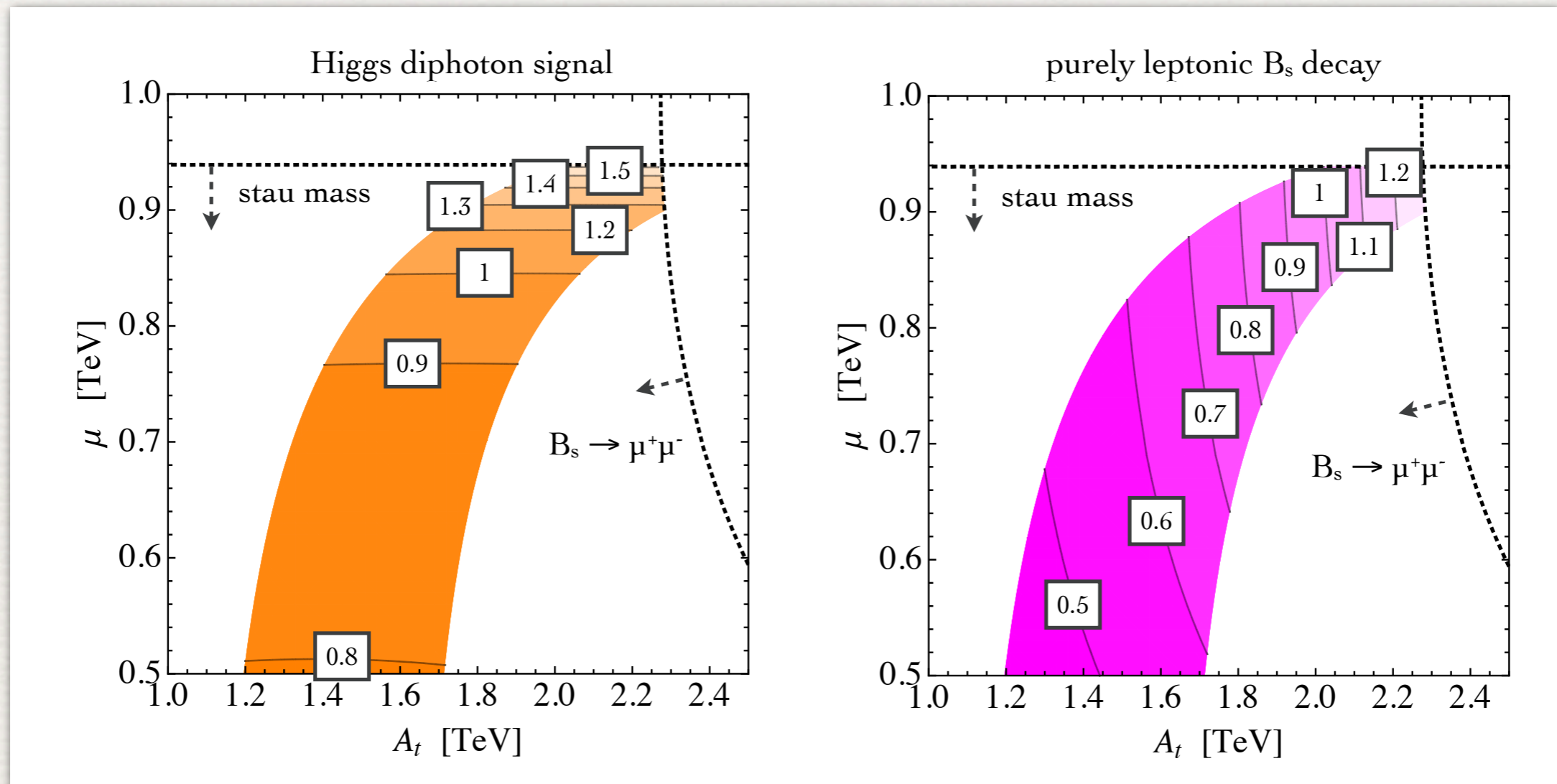
[UH & Mahmoudi, 1208.xxxx]



- Enhancement in diphoton rate strongly correlated with mass of lighter stau mass eigenstate & μ parameter. Can find upper bound on $R_{\gamma\gamma}$ as function of $m_{\tilde{\tau}_1}$ & absolute limit of $R_{\gamma\gamma} \lesssim 1.7$

A_t - μ Planes: $R_{\gamma\gamma}$ & $R_{\mu^+\mu^-}$

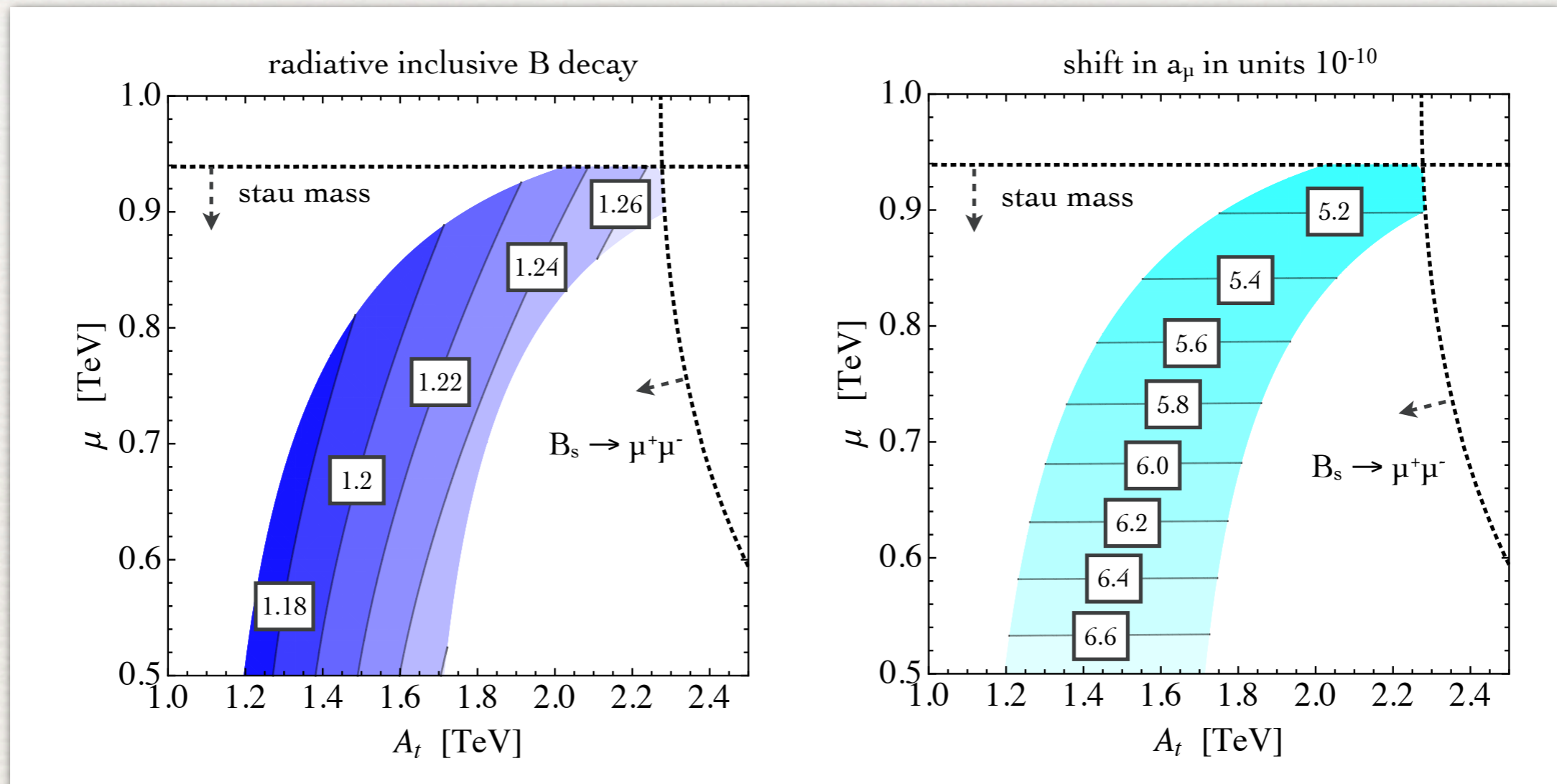
[UH & Mahmoudi, 1208.xxxx]



- Increases in & depletions of $R_{\gamma\gamma}$ & $B_s \rightarrow \mu^+\mu^-$ branching ratio occur simultaneously. Stringent link can be broken by further decoupling heavy Higgses, $M_A \gg 1$ TeV

A_t - μ Planes: R_{X_s} & Δa_μ

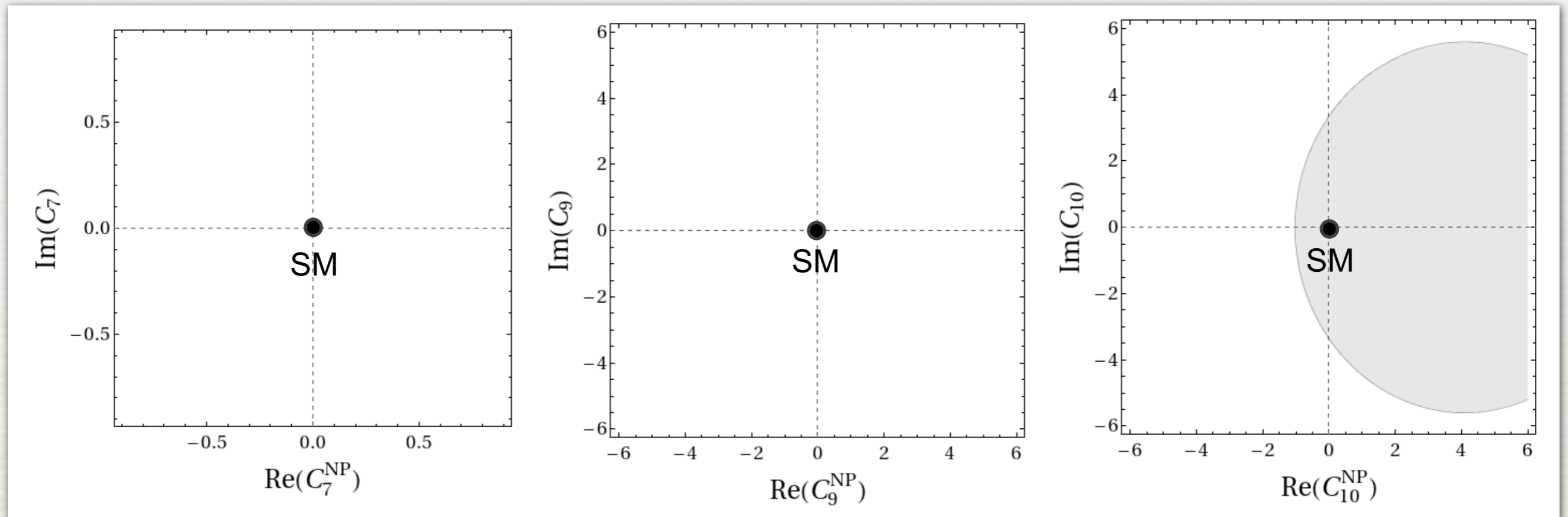
[UH & Mahmoudi, 1208.xxxx]



- Branching ratio of $B \rightarrow X_s \gamma$ enhanced by (20-30)%, which can be probed with improved theoretical & experimental accuracy. Tension in anomalous magnetic moment of muon reduced

Constraints On Left-Handed (LH) Currents

[Altmannshofer & Straub, 1206.0273]

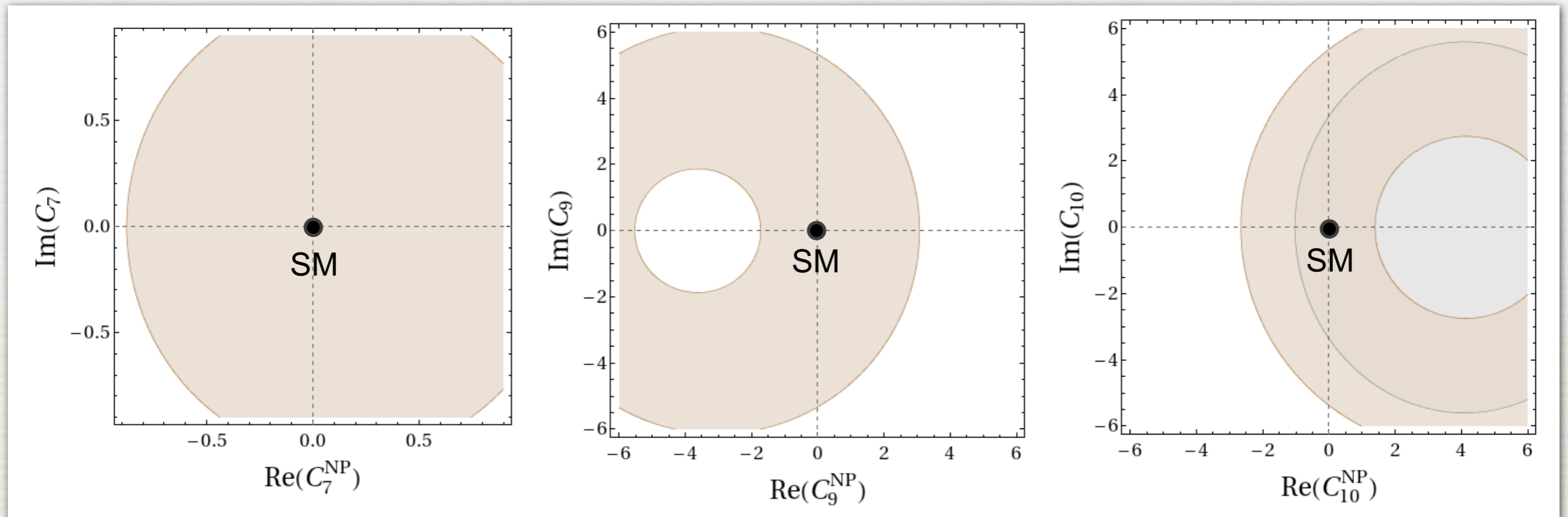


● $B_s \rightarrow \mu^+ \mu^-$

[see also Beaujean et al., 1205.1838;
Hurth & Mahmoudi, 1207.0688;
Descotes-Genon et al., 1207.2753;
as well as other groups & older works for similar studies]

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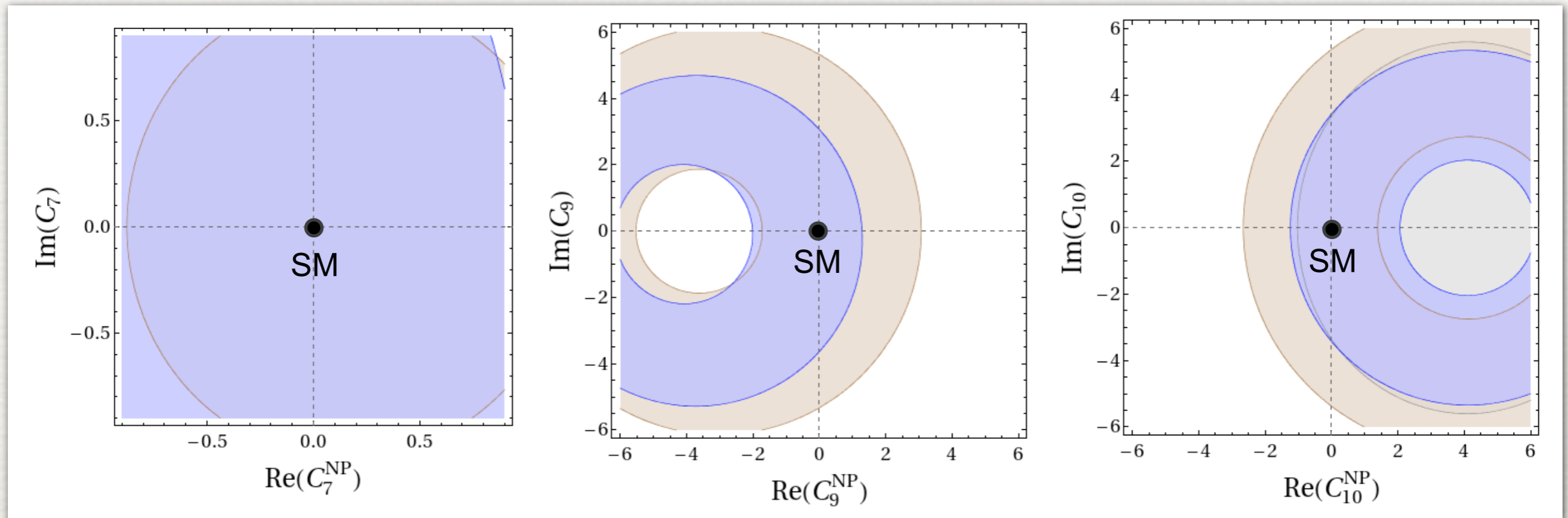


● $B_s \rightarrow \mu^+\mu^-$ ● $B \rightarrow X_s\mu^+\mu^-$

[see also Beaujean et al., 1205.1838;
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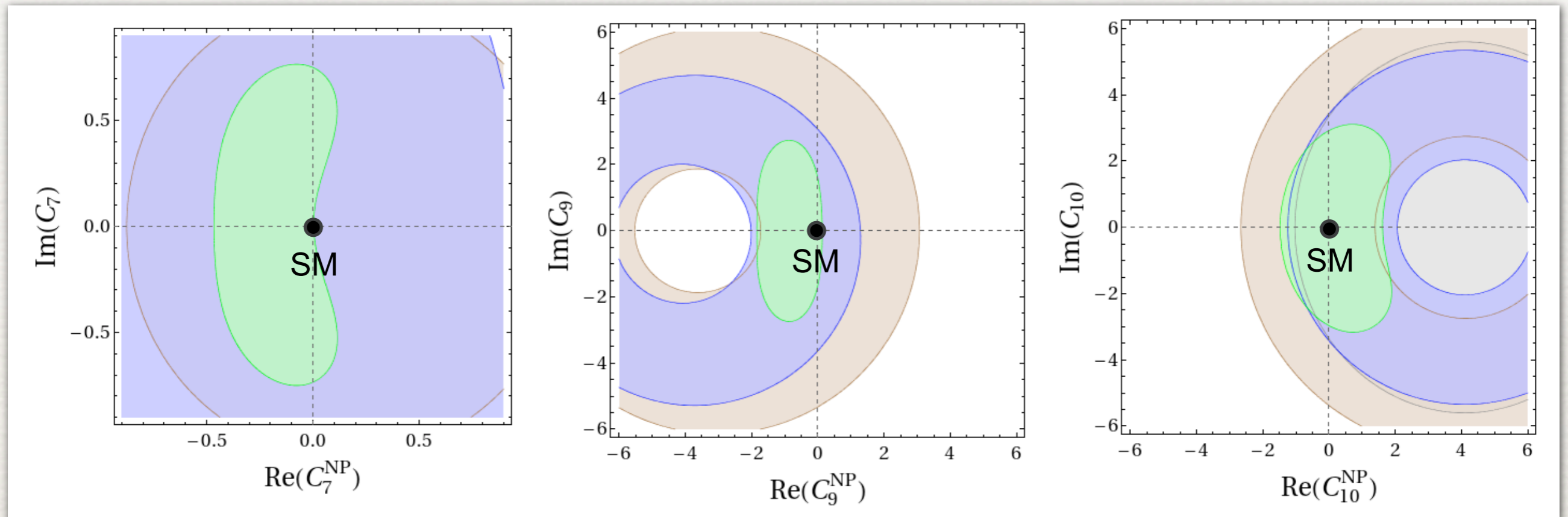


● $B_s \rightarrow \mu^+\mu^-$ ● $B \rightarrow X_s\mu^+\mu^-$ ● $B \rightarrow K\mu^+\mu^-$

[see also Beaujean et al., 1205.1838;
Hurth & Mahmoudi, 1207.0688;
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Constraints On Left-Handed (LH) Currents

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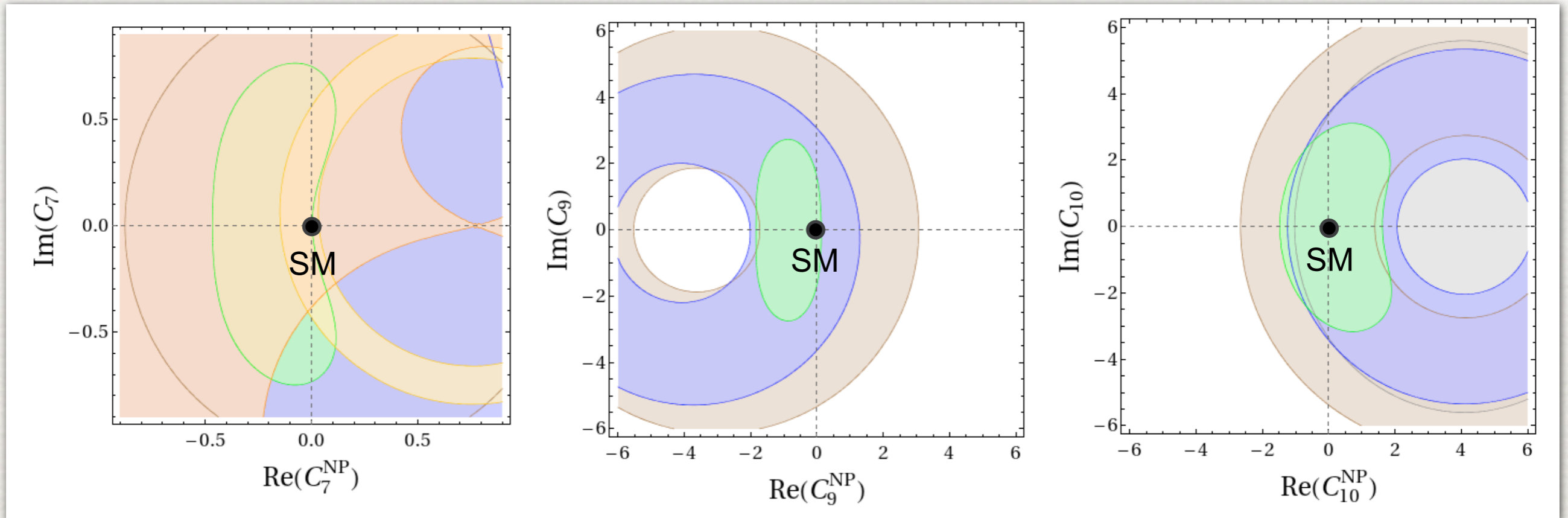


● $B_s \rightarrow \mu^+\mu^-$ ● $B \rightarrow X_s\mu^+\mu^-$ ● $B \rightarrow K\mu^+\mu^-$ ● $B \rightarrow K^*\mu^+\mu^-$

[see also Beaujean et al., 1205.1838;
Hurth & Mahmoudi, 1207.0688;
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Constraints On Left-Handed (LH) Currents

[Altmannshofer & Straub, 1206.0273]

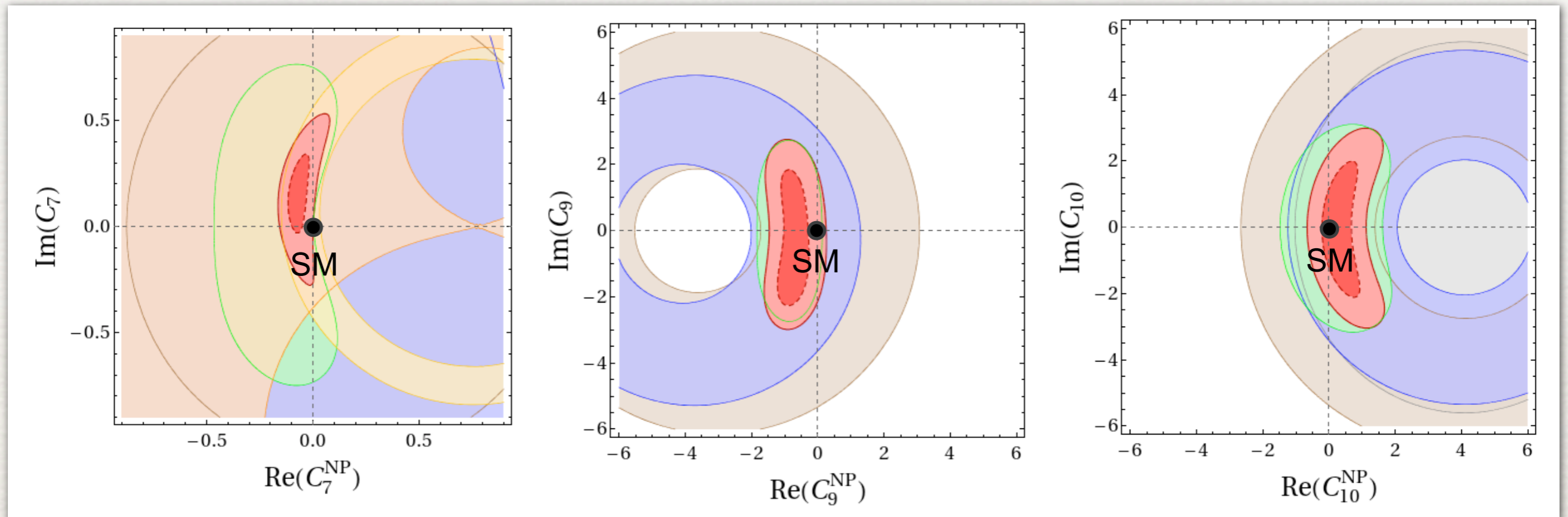


$B_s \rightarrow \mu^+\mu^-$
 $B \rightarrow X_s \mu^+\mu^-$
 $B \rightarrow K \mu^+\mu^-$
 $B \rightarrow K^* \mu^+\mu^-$
 $B \rightarrow X_s \gamma$

[see also Beaujean et al., 1205.1838;
 Hurth & Mahmoudi, 1207.0688;
 Descotes-Genon et al., 1207.2753;
 as well as other groups & older works for similar studies]

Constraints On Left-Handed (LH) Currents

[Altmannshofer & Straub, 1206.0273]



● $B_s \rightarrow \mu^+\mu^-$ ● $B \rightarrow X_s\mu^+\mu^-$ ● $B \rightarrow K\mu^+\mu^-$ ● $B \rightarrow K^*\mu^+\mu^-$ ● $B \rightarrow X_s\gamma$

- Data shows reasonable agreement with SM: $\chi^2/\text{dofs} = 21.8/24$
- Need to measure CP-violating observables to better determine imaginary parts of Wilson coefficients

Implications for NP Scale

[Altmannshofer & Straub, 1206.0273]

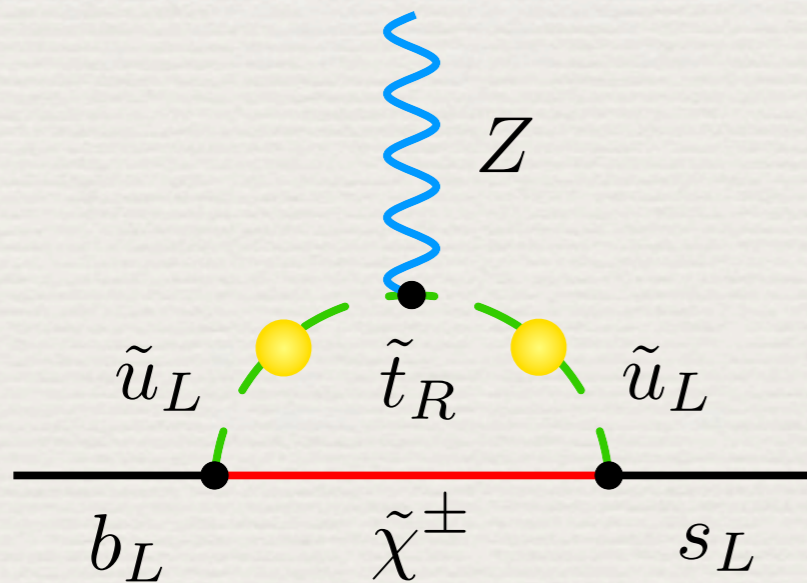
Operator	Λ_{NP} [TeV] for $ C_i = 1$			
	+	-	+i	-i
$Q_7 = \frac{m_b}{e} (\bar{s} \sigma_{\mu\nu} P_R b) F^{\mu\nu}$	69	270	43	38
$Q'_7 = \frac{m_b}{e} (\bar{s} \sigma_{\mu\nu} P_L b) F^{\mu\nu}$	46	70	78	47
$Q_9 = (\bar{s} \gamma_\mu P_L b) (\bar{\ell} \gamma^\mu \ell)$	29	64	21	22
$Q'_9 = (\bar{s} \gamma_\mu P_R b) (\bar{\ell} \gamma^\mu \ell)$	51	22	21	23
$Q_{10} = (\bar{s} \gamma_\mu P_L b) (\bar{\ell} \gamma^\mu \gamma_5 \ell)$	43	33	23	23
$Q'_{10} = (\bar{s} \gamma_\mu P_R b) (\bar{\ell} \gamma^\mu \gamma_5 \ell)$	25	89	24	23
$Q_S^{(\prime)} = \frac{m_b}{m_{B_s}} (\bar{s} P_{R(L)} b) (\bar{\ell} \ell)$	93	93	98	98
$Q_P = \frac{m_b}{m_{B_s}} (\bar{s} P_R b) (\bar{\ell} \gamma_5 \ell)$	173	58	93	93
$Q'_P = \frac{m_b}{m_{B_s}} (\bar{s} P_L b) (\bar{\ell} \gamma_5 \ell)$	58	173	93	93

- Bounds not as strong as those from $K-\bar{K}$ & $B-\bar{B}$ mixing, but for generic NP with strong coupling, scales above 20 TeV are probed

Two-Sided Limits on $B_s \rightarrow \mu^+ \mu^-$

[Altmannshofer & Straub, 1206.0273]

$C_{7,9,10}$	\mathbb{R}	\mathbb{C}			\mathbb{R}	\mathbb{C}
$C'_{7,9,10}$			\mathbb{R}	\mathbb{C}	\mathbb{R}	\mathbb{C}
$\text{Br}(B_s \rightarrow \mu^+ \mu^-) [10^{-9}]$	[1.9, 5.2]	[1.1, 4.6]	[1.1, 4.2]	[0.9, 4.6]	< 4.6	< 4.2



LHC bound on $B_s \rightarrow \mu^+ \mu^-$ can be saturated without (pseudo)scalar operators. Experiments only now start to probe NP in Z-penguins that enters through semileptonic operators

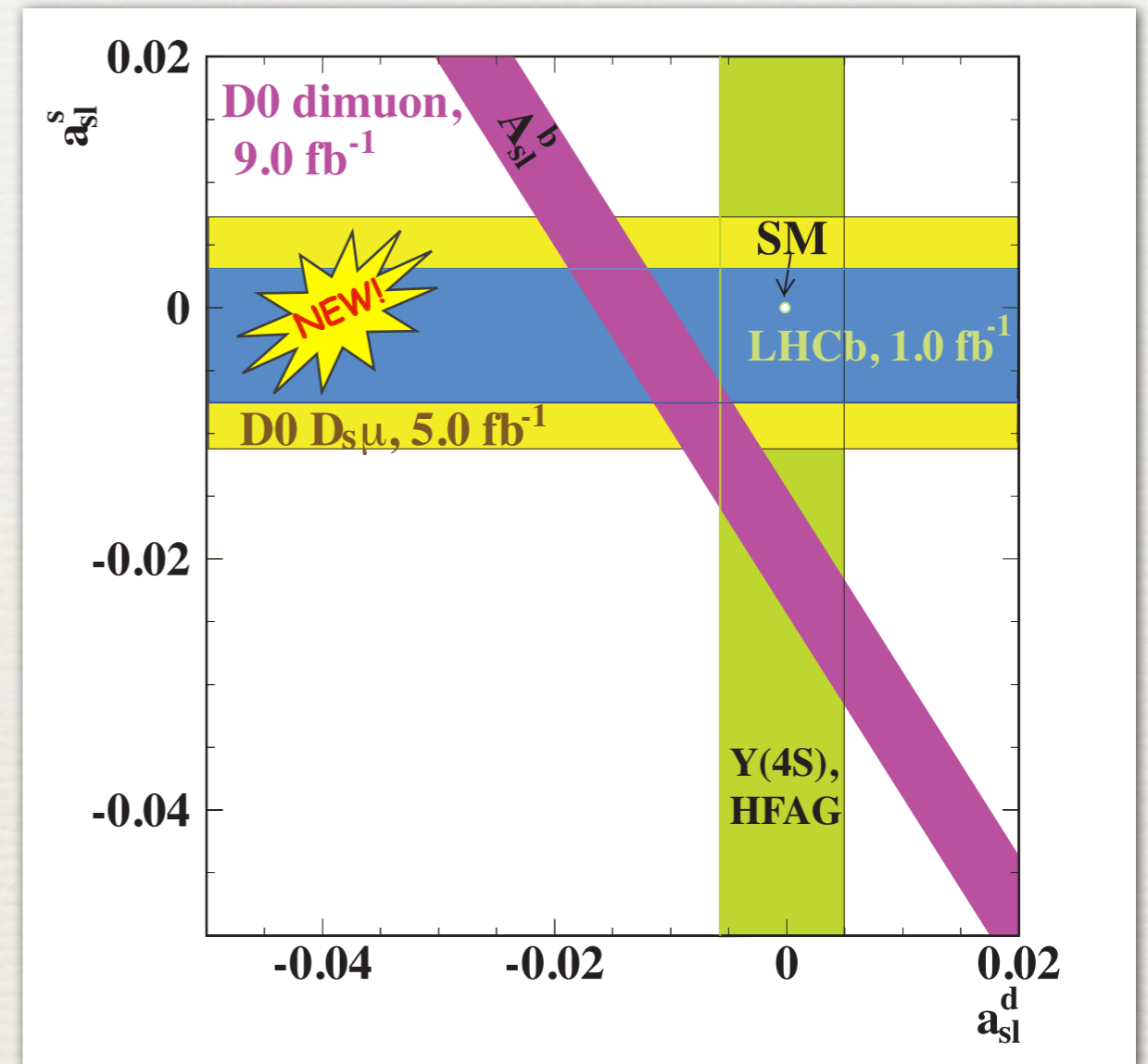
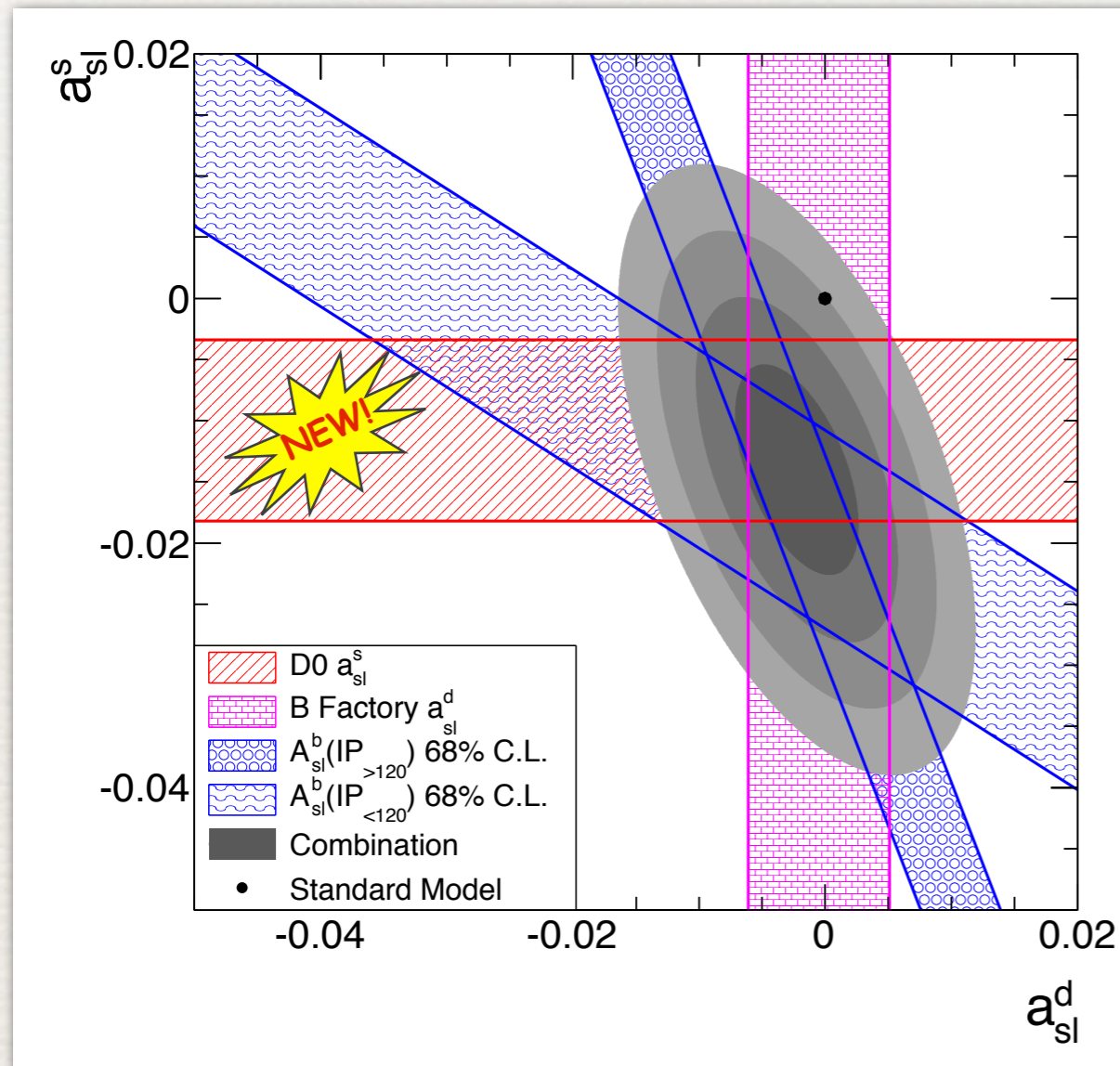
Conclusions

- B-mixing data shows good overall agreement with SM. Large A_{SL}^b requires NP in Γ_{12}^s and/or Γ_{12}^d , which is very difficult to construct. Further refined measurements of CP asymmetries needed to establish origin (statistical fluctuation or NP) of $\Delta B = 2$ anomaly
- First $(1-5) \text{ fb}^{-1}$ of LHC data took hope for spectacular effects in rare B decays. But at moment data not precise enough to exclude NP contaminations of $O(50\%)$. This still leaves room for visible & interesting effects, in particular, if CP violating
- Only synergy between high- & low- p_T observations may give us key to solving puzzles of fundamental physics. LHCb precision measurements of B-mixing observables, $B_s \rightarrow \mu^+\mu^-$, $B \rightarrow K^*l^+l^-$, angle γ , ... crucial in endeavour

New Data on CP asymmetry in B_s Mixing

[DØ, 1207.1769]

[LHCb-CONF-2012-022]



- Recent determinations of a_{fs}^s by DØ & LHCb agree with each other & SM within errors. Further improvements needed to clarify origin of A_{SL}^b anomaly

Best-Fit Solutions to Data

	before 2011	in 2012
R_M	1.05 ± 0.16	1.04 ± 0.16
ϕ_M [°]	-46 ± 19	-0.4 ± 5.0
R_Γ	3.3 ± 1.5	3.4 ± 1.8
ϕ_Γ [°]	7 ± 30	56 ± 22

- Even before measurements of B_s -mixing observables by LHCb, a perfect 4-parameter fit ($\chi^2=0$) to data required large corrections in Γ_{12} . New data set favors both enhanced magnitude R_Γ & phase ϕ_Γ

If NP in M_{12} , Which Kind?

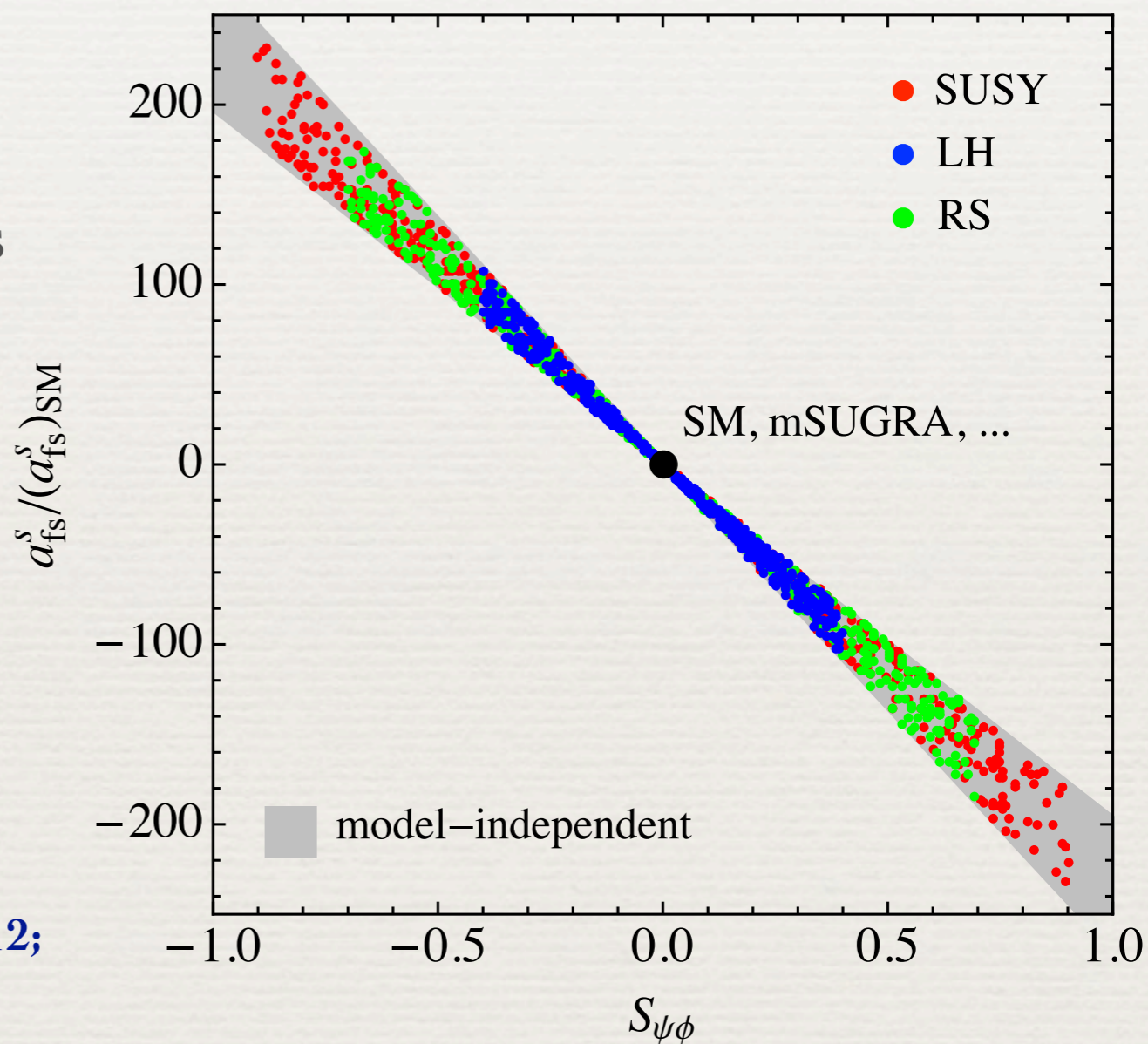
- In all NP models without direct CPV in decay (like SUSY, little Higgs (LH), Randall-Sundrum (RS) scenarios, ...), observables a_{fs}^s & $S_{\psi\phi}$ strongly correlated:

$$\frac{a_{fs}^s}{(a_{fs}^s)_{SM}} \approx -240 \frac{S_{\psi\phi}}{R_M},$$

$$R_M = 1.05 \pm 0.16$$

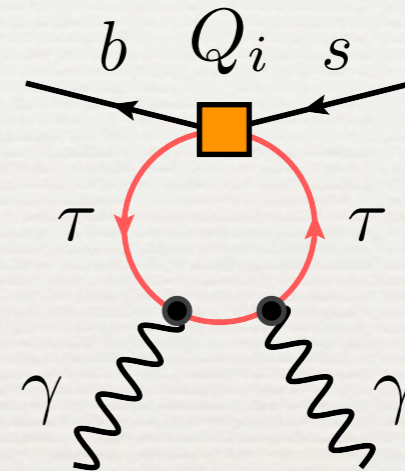
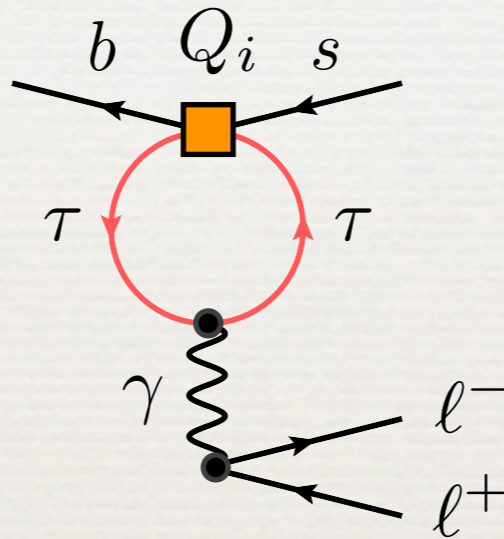
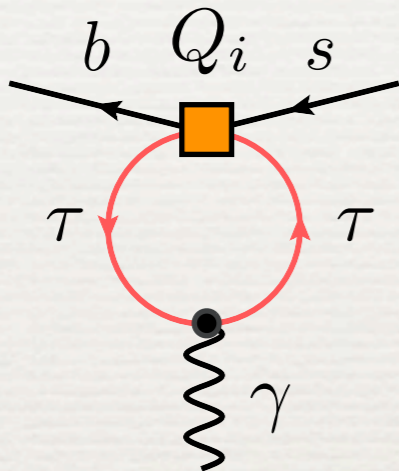
[see e.g. Ligeti, Papucci & Perez, hep-ph/0604112;
 Blanke et al., 0805.4393, 0809.1073;
 Altmannshofer et al., 0909.1333;
 Casagrande et al., 0912.1625; ...]

[schematic plot]



Bounds on $(\bar{s}b)(\bar{\tau}\tau)$ Operators

- Indirect constraints due to operator mixing & matrix elements:[†]



$$Q_{T,R} \rightarrow Q_7,$$

$$Q_{V,LA} \rightarrow Q_9,$$

$$Q_{S,AB} \rightarrow \vec{\epsilon}_1 \cdot \vec{\epsilon}_2,$$

$$Q_{T,L} \rightarrow Q'_7$$

$$Q_{V,RA} \rightarrow Q'_9$$

$$Q_{S,AB}, Q_{V,AB} \rightarrow \vec{\epsilon}_1 \times \vec{\epsilon}_2$$

Bounds on C_i 's derived by taking into account measurements of $B \rightarrow X_s \gamma$ (Br), $B \rightarrow K^* \gamma$ (Br, S, A_I), $B \rightarrow X_s l^+ l^-$ (Br), $B \rightarrow K l^+ l^-$ (Br), $B \rightarrow K^* l^+ l^-$ (Br, A_{FB} , F_L) & upper limit on $B_s \rightarrow \gamma \gamma$ (Br)

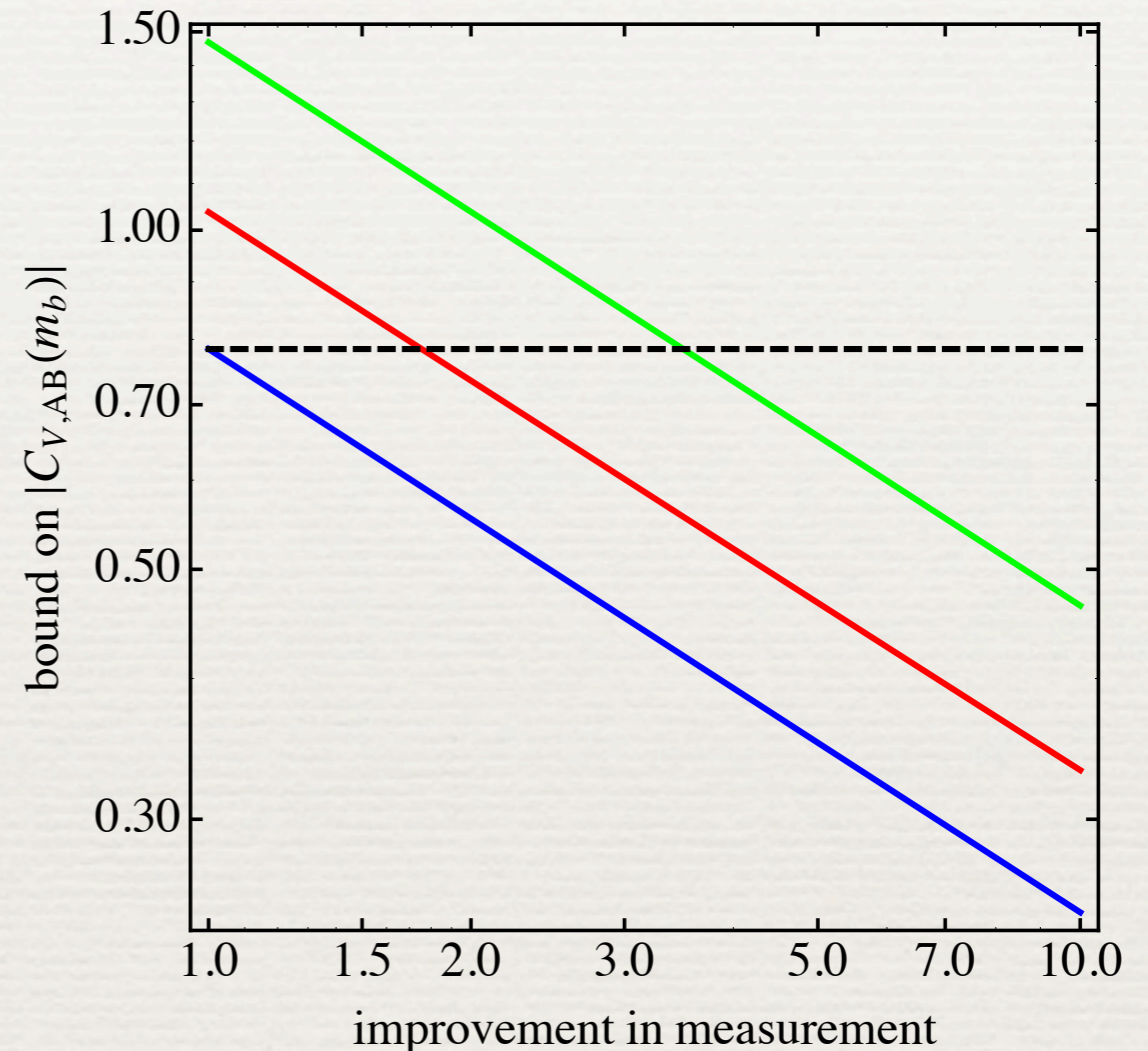
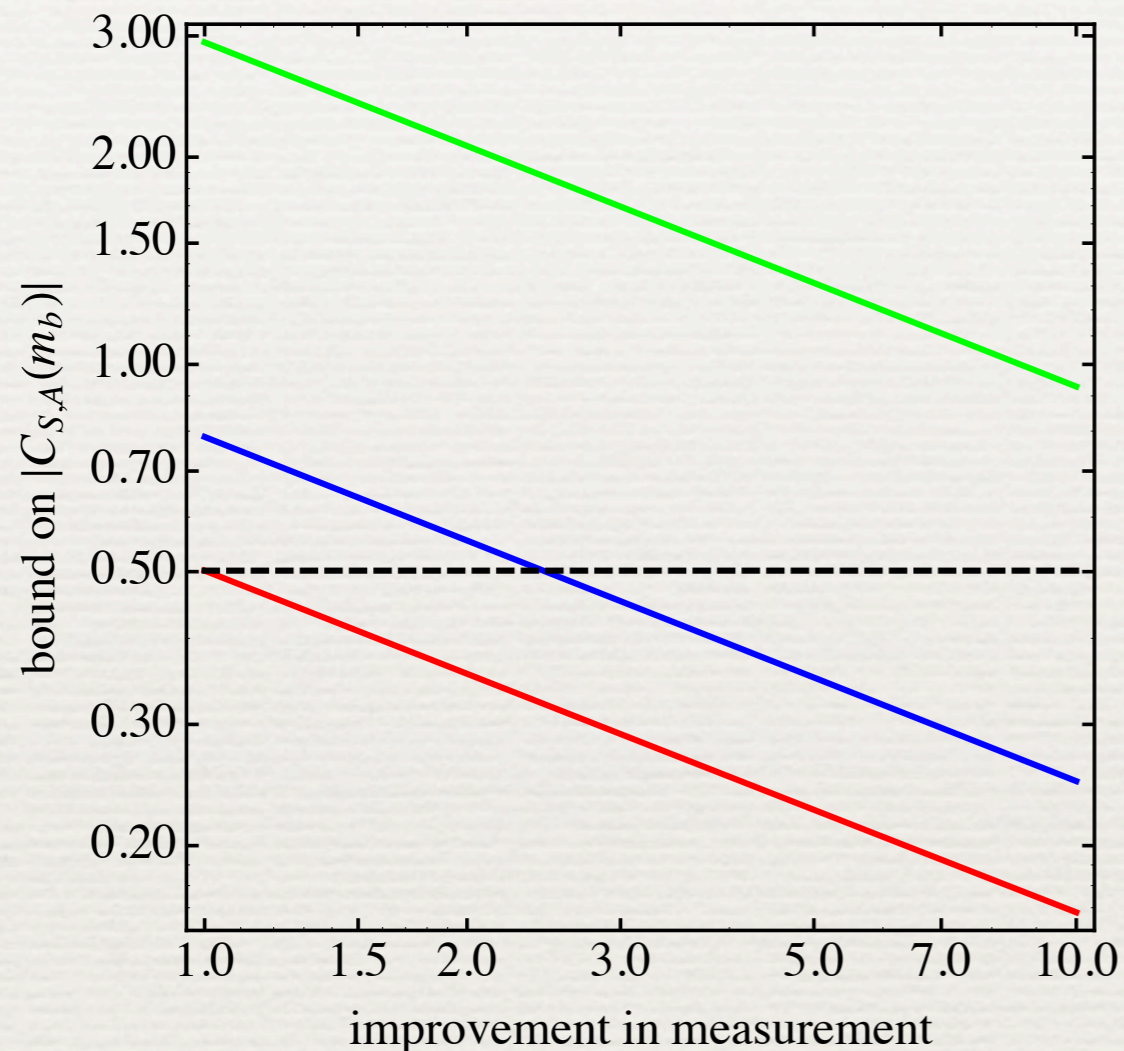
[†] $Q_{S,AB}$ does not mix into $b \rightarrow s \gamma$, $l^+ l^-$ but has non-zero $b \rightarrow s \gamma \gamma$ elements

Details on Bounds on Wilson Coefficients

$C_i(m_b)$	$B^+ \rightarrow K^+\tau^+\tau^-$	$B_s \rightarrow \tau^+\tau^-$	$B \rightarrow X_s\tau^+\tau^-$	$b \rightarrow s\gamma, l^+l^-$	$B_s \rightarrow \gamma\gamma$
S, AB	< 0.8	$\lesssim 0.5$	$\lesssim 2.9$	—	$< 3.4, 2.3$
V, AB	< 0.8	$\lesssim 1.0$	$\lesssim 1.5$	$< 1.1, 1.0$	< 5.9
T, A	< 0.4	—	< 0.4	$< 0.06, 0.09$	—
7	—	—	—	< 0.23	< 2.2
7'	—	—	—	< 0.20	< 1.9
9	—	—	—	< 2.0	—
9'	—	—	—	< 1.7	—

Future (?) Bounds on Wilson Coefficients

[UH, 1206.1230]



— $\text{Br}(B_s \rightarrow \tau^+\tau^-)$ — $\text{Br}(B^+ \rightarrow K^+\tau^+\tau^-)$ — $\text{Br}(B \rightarrow X_s\tau^+\tau^-)$

at present: $\lesssim 3\%$

$< 3.3 \cdot 10^{-3}$

$\lesssim 2.5\%$

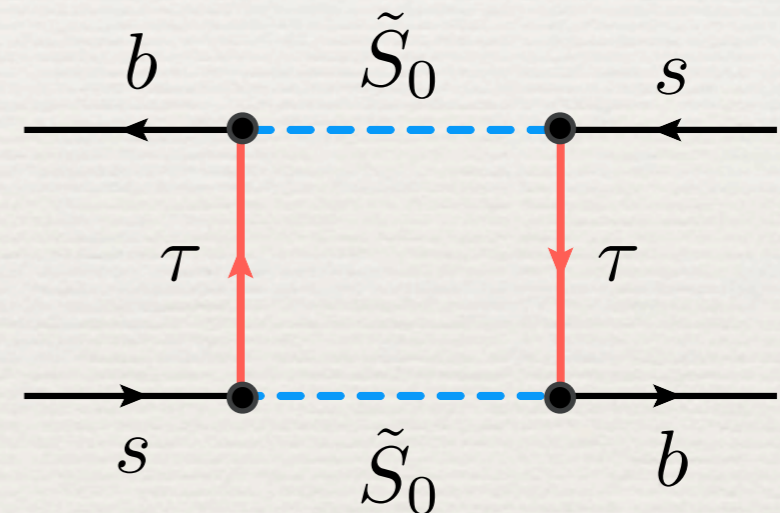
Lepto-Quark Contributions to Γ_{12}

- For SU(2) singlet scalar lepto-quarks (LQs) relevant coupling

$$\mathcal{L}_{\text{LQ}} \ni (\lambda_{R\tilde{S}_0})_{ij} (\bar{d}_j^c P_R e_i) \tilde{S}_0 + \text{h.c.}$$

leads to $\Delta B = 1$ & $\Delta B = 2$ interactions

$$\mathcal{L}_{\text{eff}} \ni -\frac{(\lambda_{R\tilde{S}_0})_{32}(\lambda_{R\tilde{S}_0})_{33}}{2M_{\tilde{S}_0}^2} Q_{V,RR}$$

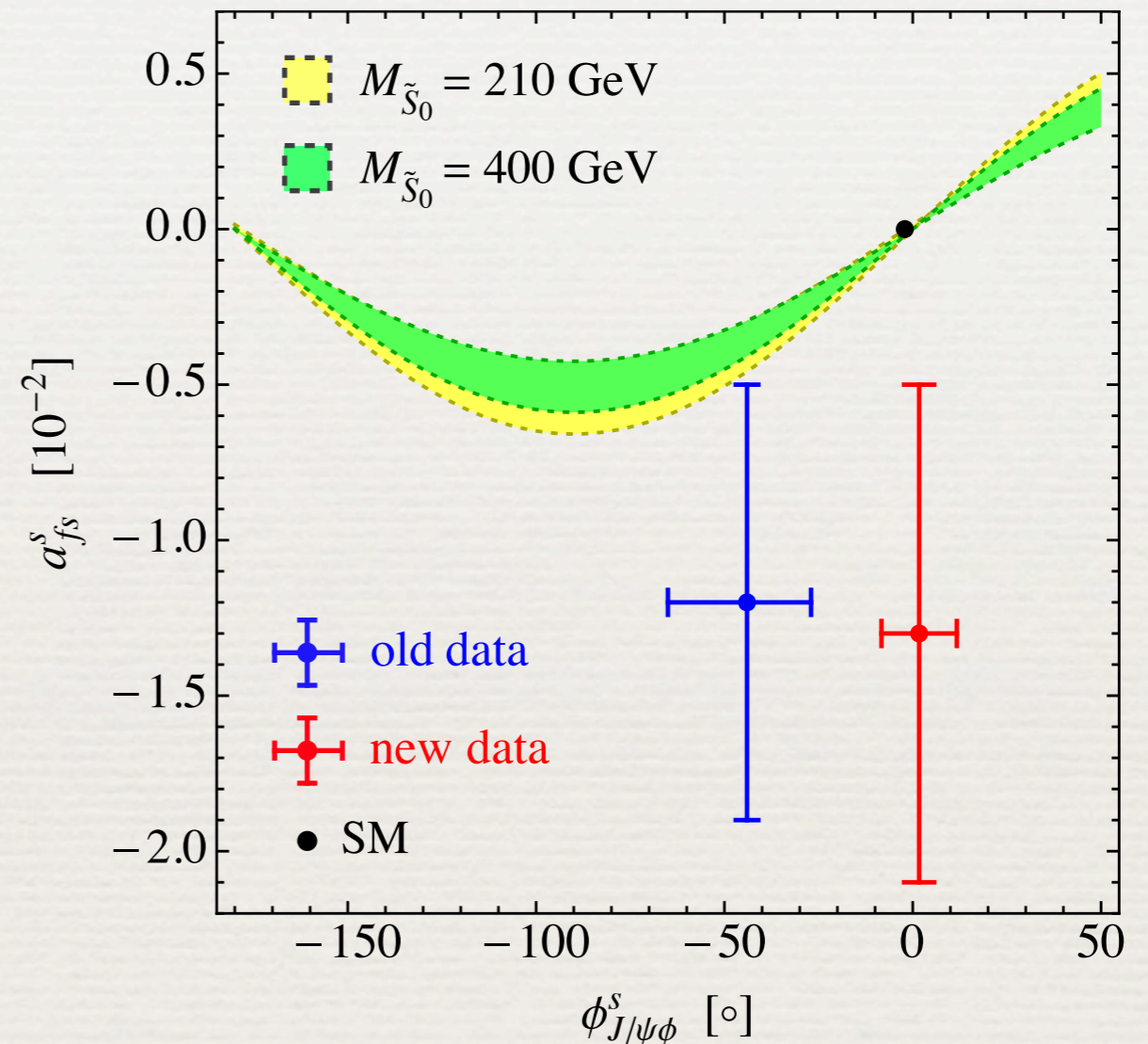
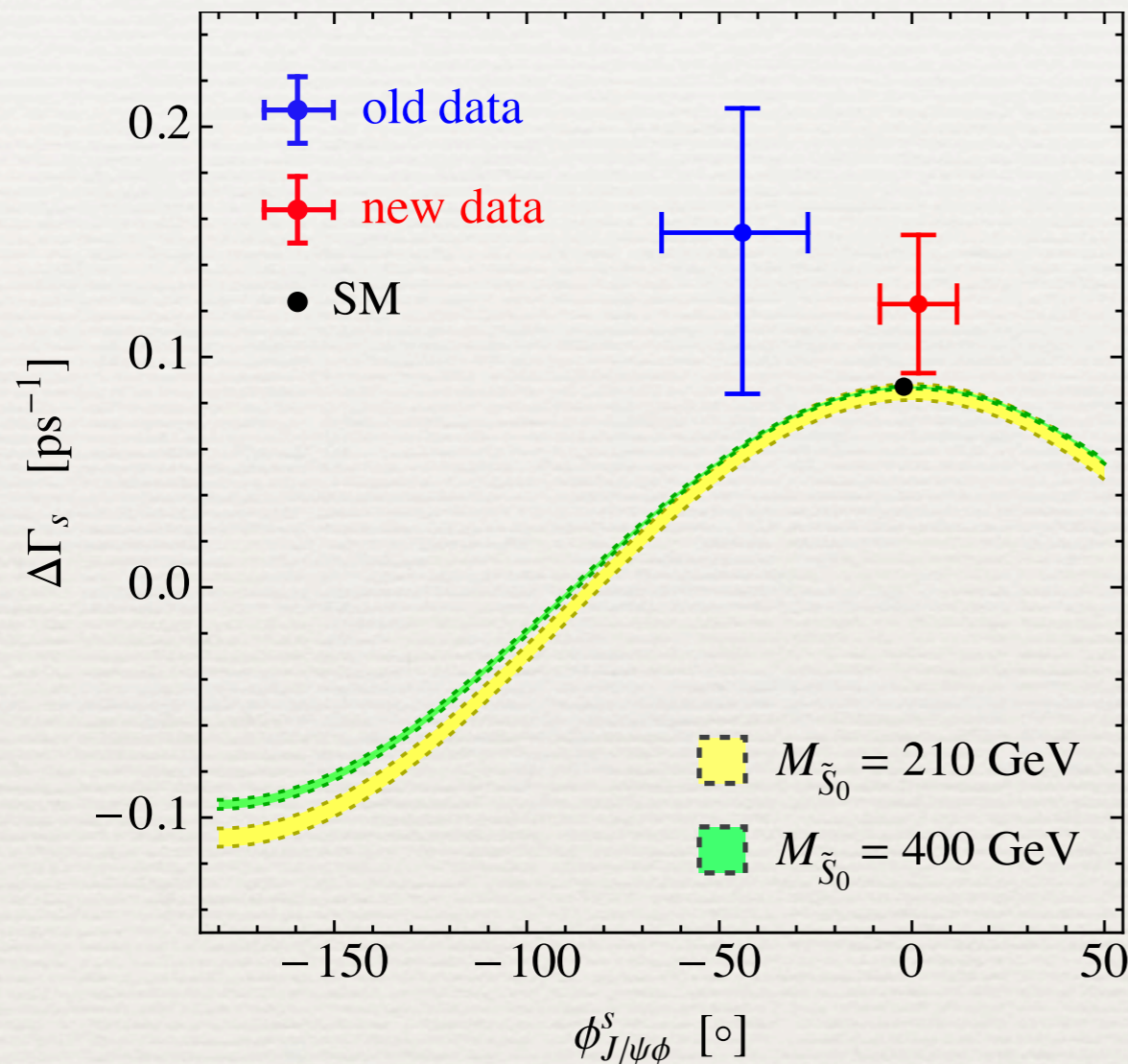


which give a real ratio (btw. $r_{\text{SM}} \approx -200$)

$$r_{\text{LQ}} = \frac{(M_{12})_{\text{LQ}}}{(\Gamma_{12})_{\text{LQ}}} = 2084 \left(\frac{M_{\tilde{S}_0}^2}{250 \text{ GeV}} \right)$$

Predictions for SU(2) Singlet Scalar LQs

[Bobeth & UH, 1109.1826]



- Even a light LQ fails to describe data & parameter space shrinks further for heavier LQs. Visible cosine-, sine-like correlations & $\Delta\Gamma < (\Delta\Gamma)_{SM}$ model-independent feature

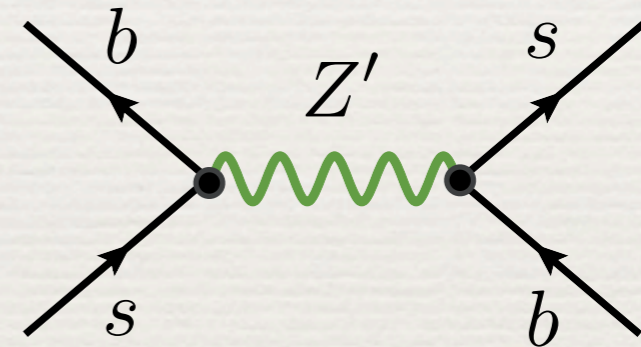
Z' Contributions to Γ_{12}

- For left-handed Z' boson relevant couplings

$$\mathcal{L}_{Z'} \ni \frac{g}{\cos \theta_W} \left[(\kappa_{sb}^L \bar{s} \gamma^\mu P_L b + \text{h.c.}) + \kappa_{\tau\tau}^L \bar{\tau} \gamma^\mu P_L \tau \right] Z'_\mu$$

give rise to $\Delta B = 1$ & $\Delta B = 2$ interactions

$$\mathcal{L}_{\text{eff}} \ni -\frac{8G_F}{\sqrt{2}} \frac{M_Z^2}{M_{Z'}^2} \kappa_{sb}^L \kappa_{\tau\tau}^L Q_{V,LL}$$

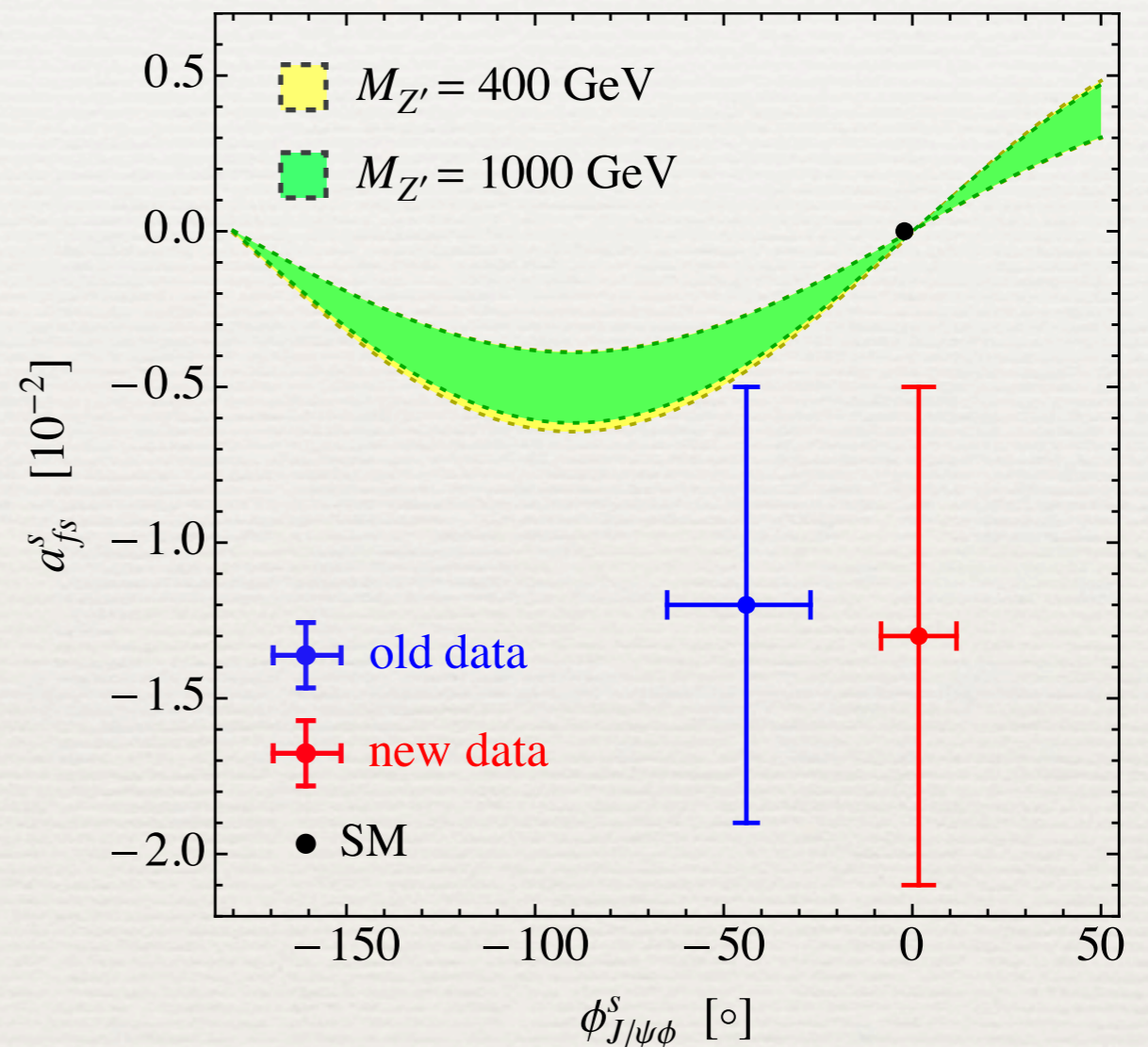
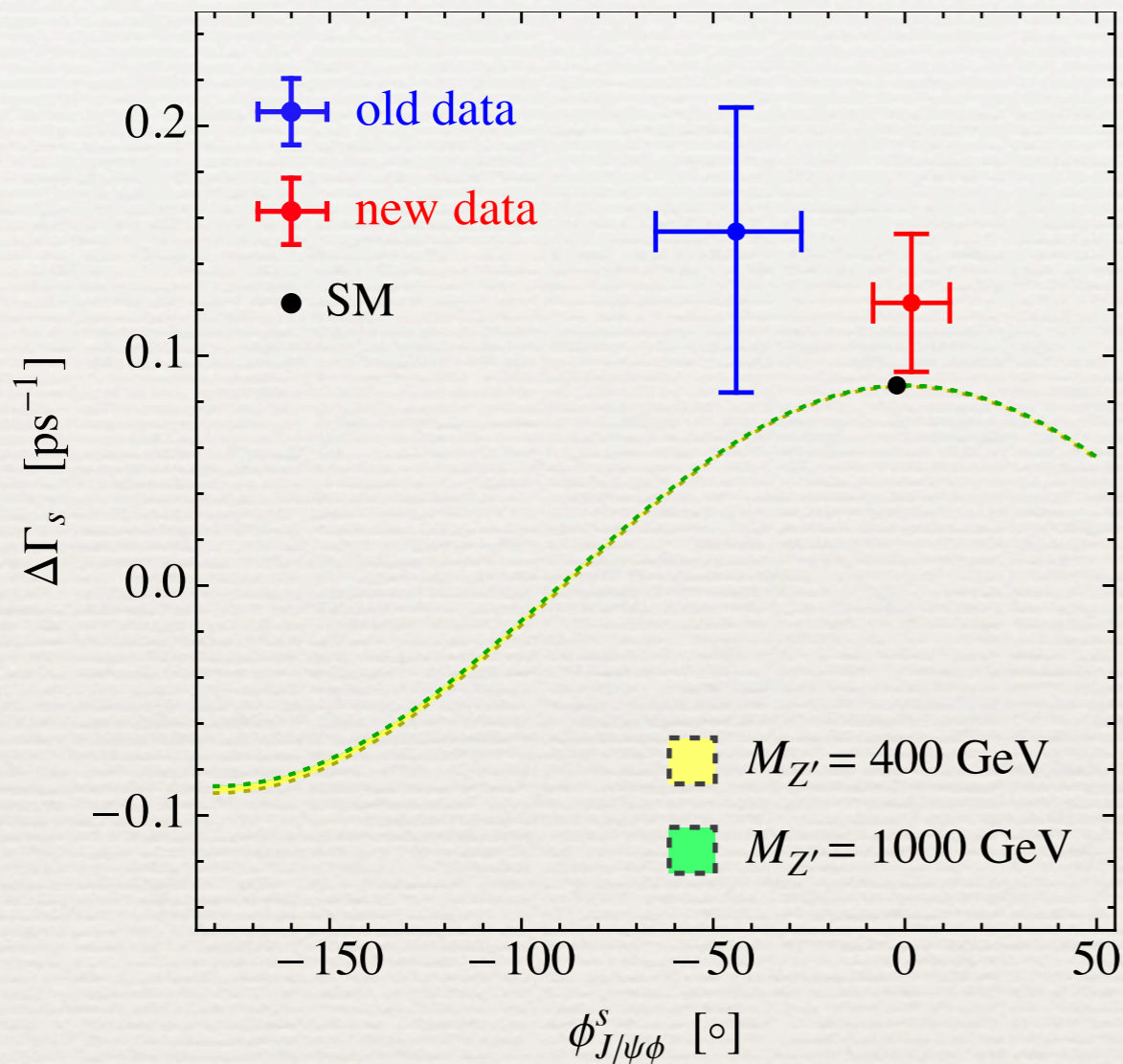


which again produce a real ratio

$$r_{Z'} = \frac{(M_{12})_{Z'}}{(\Gamma_{12})_{Z'}} = 6.0 \cdot 10^5 \left(\frac{M_{Z'}}{250 \text{ GeV}} \frac{1}{\kappa_{\tau\tau}^L} \right)^2$$

Predictions for Left-handed Z'

[Bobeth & UH, 1109.1826]

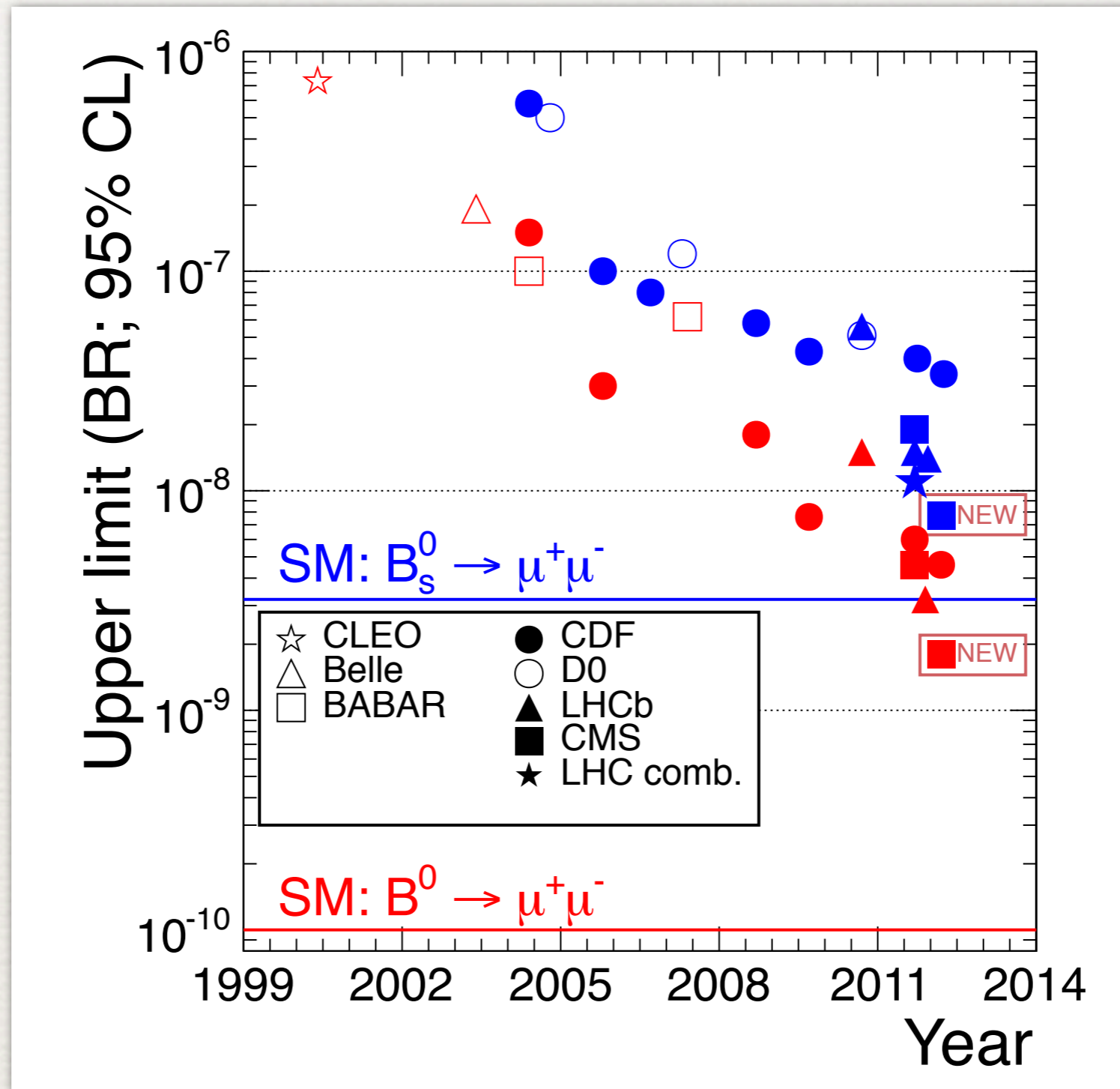


- Left-handed Z' provides an even worse description of data than LQs. Model-independent correlations & $\Delta\Gamma < (\Delta\Gamma)_{\text{SM}}$ also present in case of new neutral vector boson

Further Comments on NP in $\Gamma_{12}^{s,d}$

- Bounds on $(\bar{s}b)(\bar{\tau}\mu)$ are stronger by roughly a factor of 7 than those on $(\bar{s}b)(\bar{\tau}\tau)$ operators, since $\text{Br}(B^+ \rightarrow K\tau^\pm\mu^\mp) < 7.7 \cdot 10^{-5}$ compared to $\text{Br}(B^+ \rightarrow K^+\tau^+\tau^-) < 3.3 \cdot 10^{-3}$. Hence, contributions from $(\bar{s}b)(\bar{\tau}\mu)$ operators cannot improve fit to B_s data notable
- An contribution from $(\bar{d}b)(\bar{\tau}\tau)$ operators to Γ_{12}^d large enough to explain data excluded by bound $\text{Br}(B \rightarrow \tau^+\tau^-) < 4.1 \cdot 10^{-3}$. Case of $\tau^\pm\mu^\mp$ final state even less favorable
- My naive guess is that $(\bar{d}b)(\bar{c}c)$ operators are heavily constrained (should be numerically smaller than QCD/electroweak penguins in SM) by exclusive B decays & thus also cannot resolve tension in B-mixing sector. A dedicated analysis is however missing

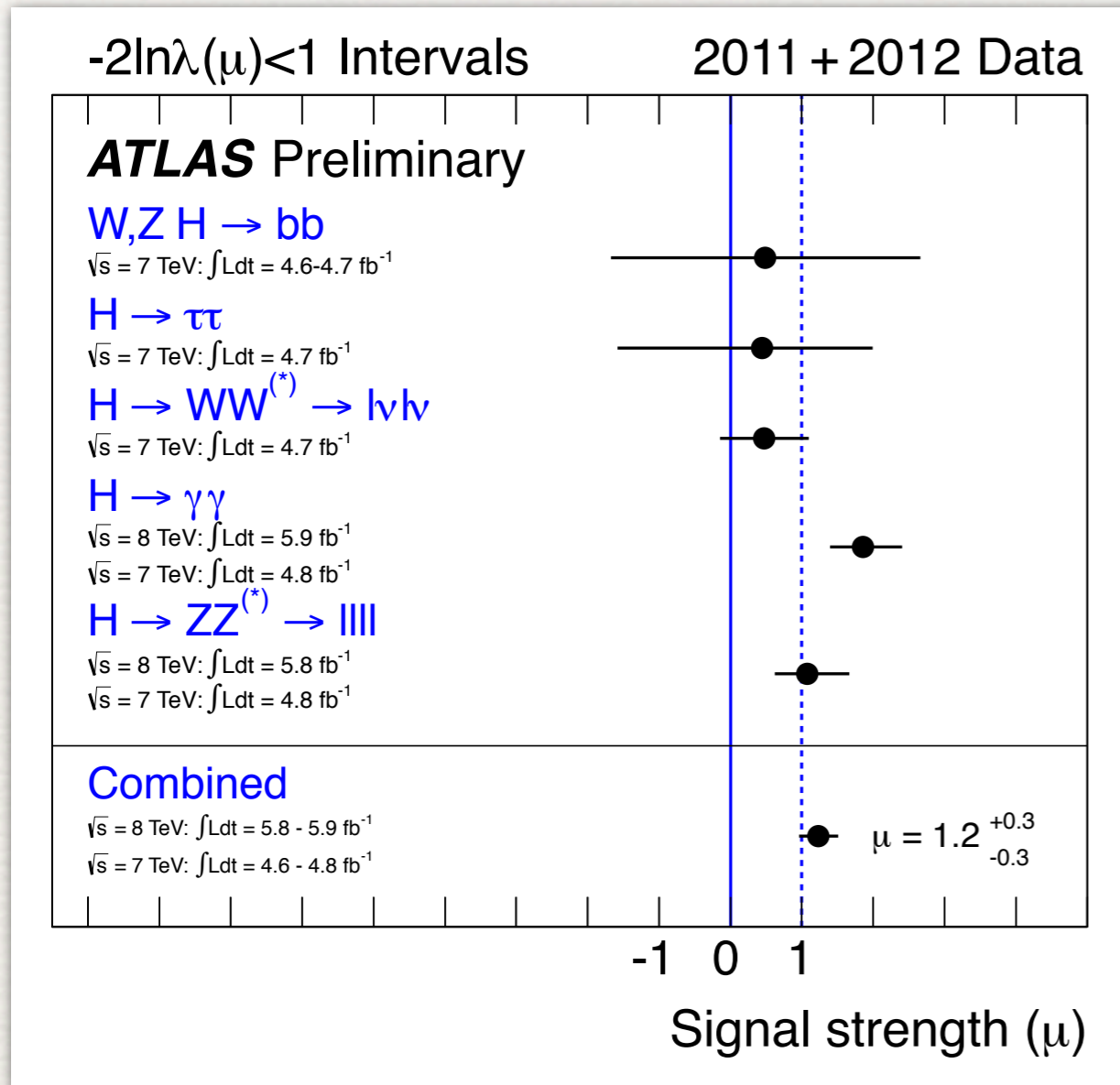
Timeline of $B_{s,d} \rightarrow \mu^+\mu^-$



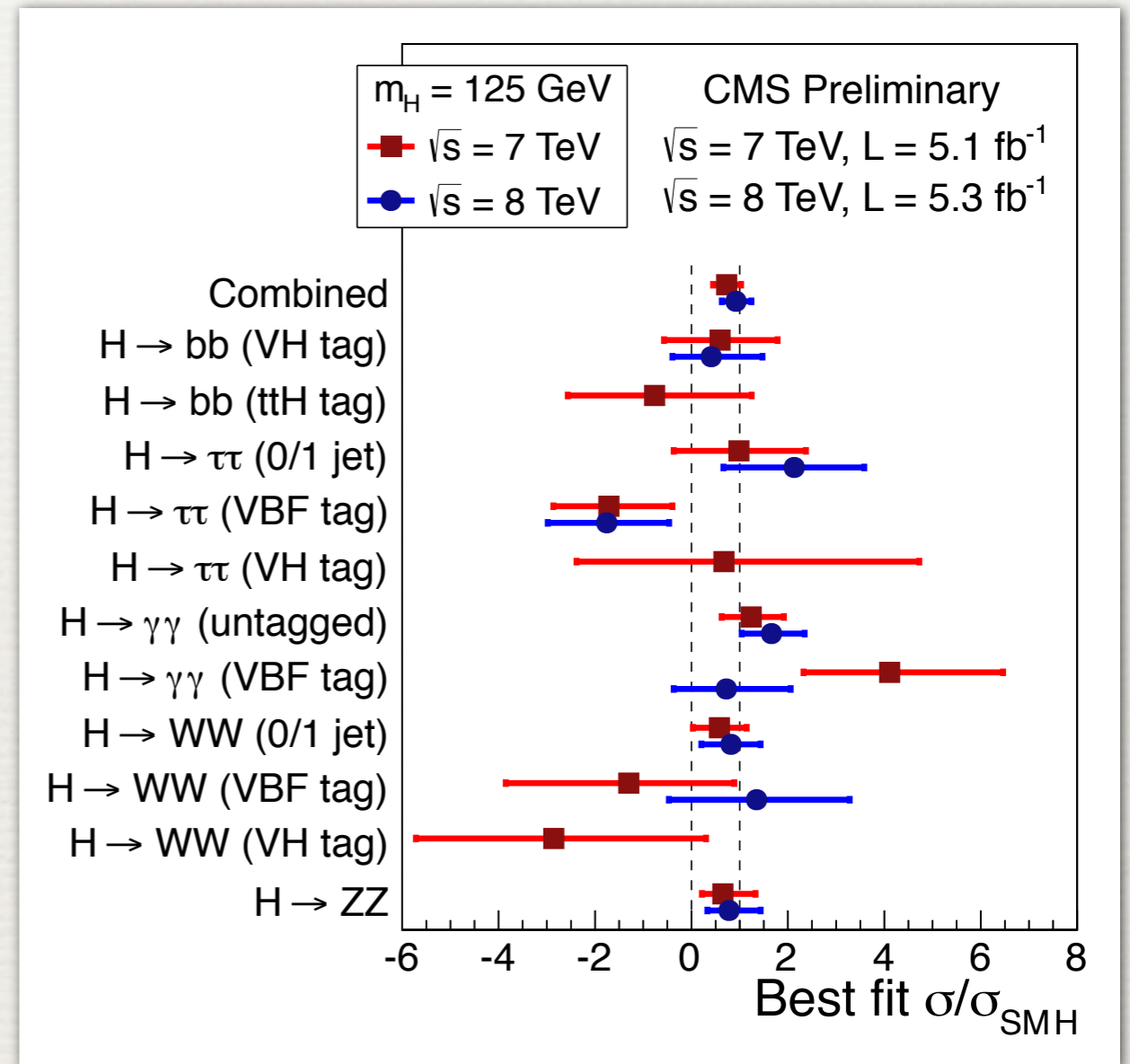
<http://cms.web.cern.ch/org/cms-papers-and-results>

Higgs: 2011 vs. 2012 Data

[ATLAS-CONF-2012-093]



[CMS-HIG-12-020]



- Both ATLAS & LHC see excess in $h \rightarrow \gamma\gamma$, but size of effect smaller in 2012 than 2011 data. Altogether 2012 data looks more SM like

MSSM: Anatomy of Higgs Mass

- For large t_β there are further contributions from sbottom & stau sector that can be relevant ($\tilde{f} = \tilde{b}, \tilde{\tau}$):

$$(\Delta m_h^2)_{\tilde{f}} \approx - \frac{N_c^{\tilde{f}}}{\sqrt{2}G_F} \frac{y_f^4}{48\pi^2} \frac{\mu^4}{m_{\tilde{f}}^4}$$

where $N_c^{\tilde{b}, \tilde{\tau}} = 3, 1$. Corrections are negative & quartic in Higgsino mass μ . Their impact is minimized for $\text{sgn}(\mu M_{3,2}) = +1$

[see for example Carena et al., hep-ph/9504316, hep-ph/9508343; Haber et al., hep-ph/9609331]

MSSM: Anatomy of $B \rightarrow X_s \gamma$

- In parameter region of interest, dominant MSSM contributions to inclusive radiative B decay stems from loops with stop & higgsino-like chargino:

$$R_{X_s} = \frac{\text{Br}(B \rightarrow X_s \gamma)}{\text{Br}(B \rightarrow X_s \gamma)_{\text{SM}}} \approx 1 - 2.55 \Delta C_7 + 1.57 (\Delta C_7)^2$$



For $t_\beta = 50$, $m_{\tilde{t}} = |\mu| = 1 \text{ TeV}$ & $|A_t| = 2 \text{ TeV}$, MSSM rate enhanced (suppressed) by around 20% relative to SM for $\text{sgn}(\mu A_t) = +1$ (-1)

MSSM: Anatomy of a_μ

- Throughout parameter space of interest, dominant contribution to muon anomalous magnetic moment arises from chargino-sneutrino diagrams:

$$\Delta a_\mu^\chi \propto \frac{G_F M_W^2}{\sqrt{2}\pi^2} \mu M_2 t_\beta \frac{m_\mu^2}{m_{\tilde{\nu}}^4}$$

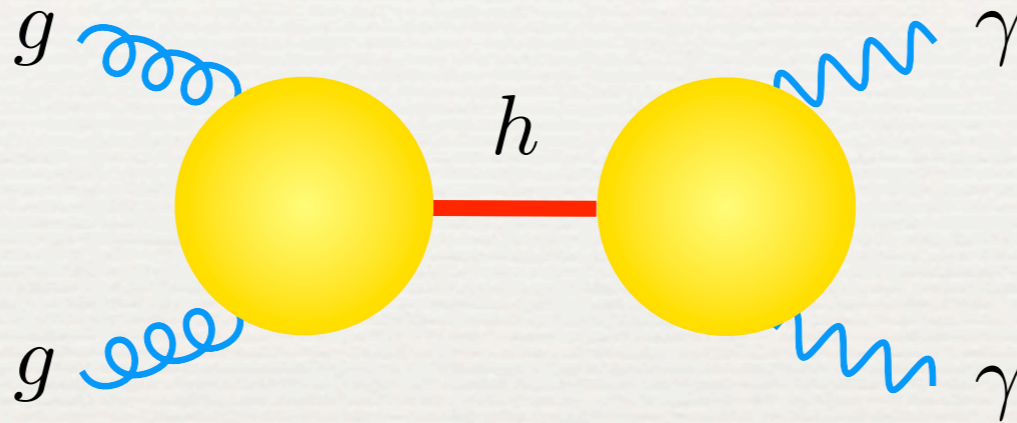
For $t_\beta = 50$, $m_{\tilde{\nu}} = |\mu| = 1$ TeV & $|M_2| = 0.2$ TeV, one has numerically

$$\Delta a_\mu^\chi \approx \text{sgn}(\mu M_2) 7.5 \cdot 10^{-10}$$

meaning that for $\mu M_2 > 0$ tension between experimental result & SM prediction is reduced

[see for example Moroi, hep-ph/9512396]

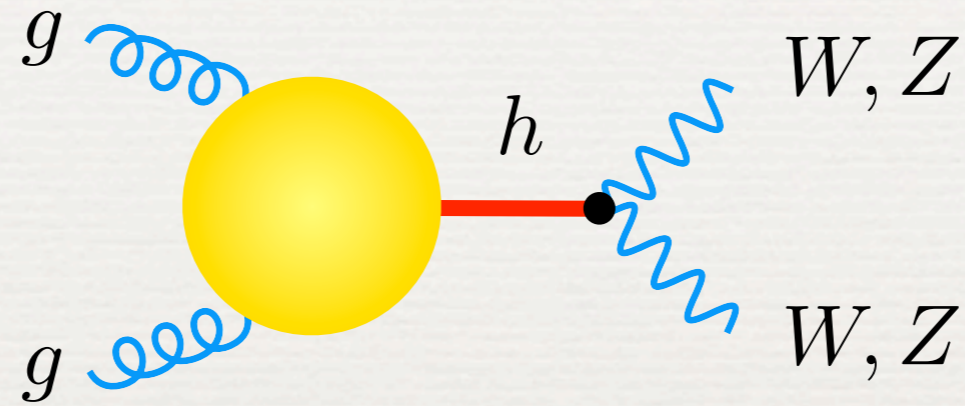
Master Formula for $pp \rightarrow \gamma\gamma$



$$R_{\gamma\gamma} \approx 1 + 0.33 \left(\frac{m_t^2}{m_{\tilde{t}_1}^2} + \frac{m_t^2}{m_{\tilde{t}_2}^2} - \frac{m_t^2 X_t^2}{m_{\tilde{t}_1}^2 m_{\tilde{t}_2}^2} \right) - 0.43 \frac{m_b^2 X_b^2}{m_{\tilde{b}_1}^2 m_{\tilde{b}_2}^2} \\ + 0.10 \frac{m_\tau^2 X_\tau^2}{m_{\tilde{\tau}_1}^2 m_{\tilde{\tau}_2}^2} + 1.63 \operatorname{sgn}(\mu M_2) \frac{1}{t_\beta} \frac{M_W^2}{m_{\chi_1} m_{\chi_2}} - 2.46 \frac{M_Z^2}{M_A^2}$$

- Large non-decoupling corrections arise from fact that for Higgs of around 125 GeV branching fraction of Higgs to $b\bar{b}$ is about 60%

Master Formula for $pp \rightarrow WW, ZZ$

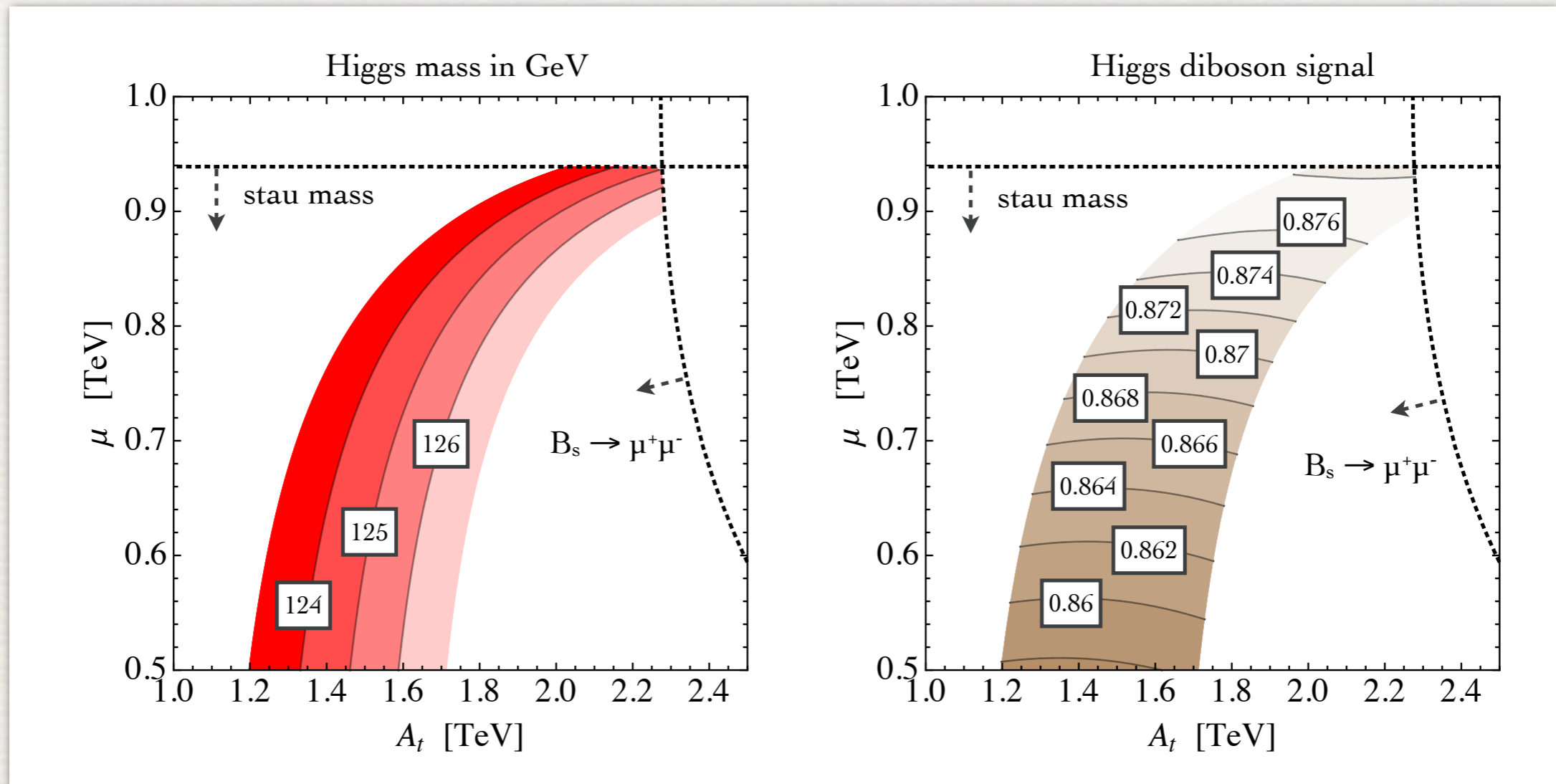


$$R_{VV} \approx 1 + 0.46 \left(\frac{m_t^2}{m_{\tilde{t}_1}^2} + \frac{m_t^2}{m_{\tilde{t}_2}^2} - \frac{m_t^2 X_t^2}{m_{\tilde{t}_1}^2 m_{\tilde{t}_2}^2} - \frac{m_b^2 X_b^2}{m_{\tilde{b}_1}^2 m_{\tilde{b}_2}^2} \right) - 2.46 \frac{M_Z^2}{M_A^2}$$

- Also massive vector-boson channels plagued by non-decoupling corrections associated to $\text{Br}(h \rightarrow b\bar{b}) \approx 60\%$

A_t - μ Planes: m_h & $R_{WW,ZZ}$

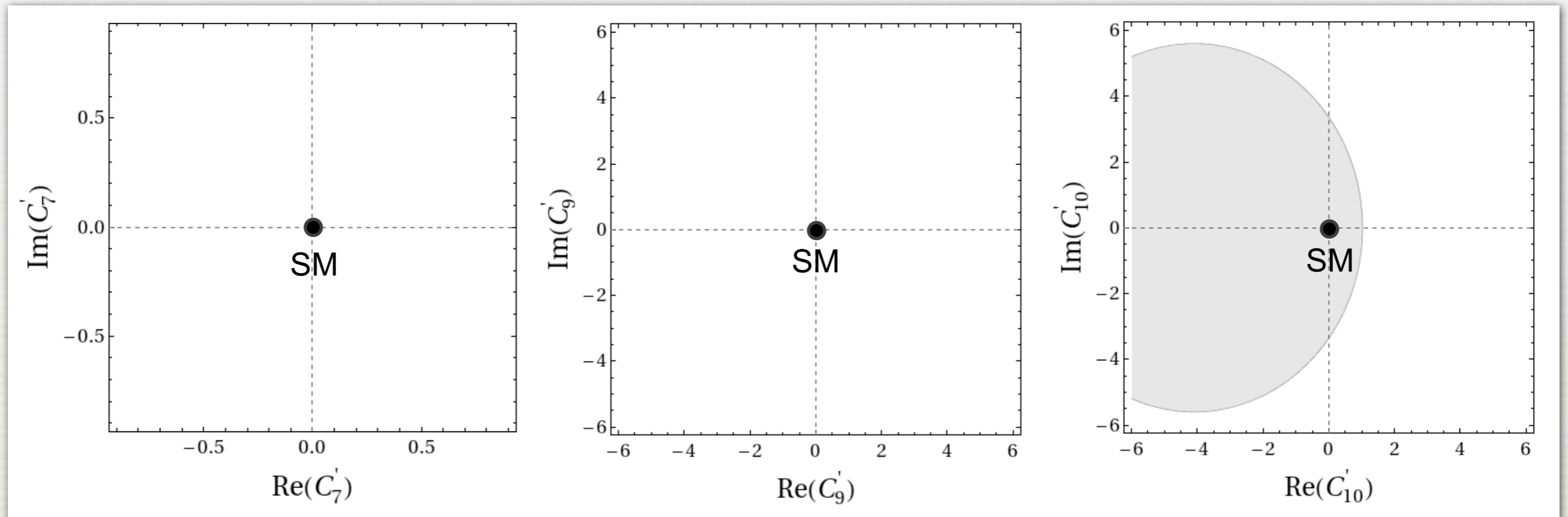
[UH & Mahmoudi, 1208.xxxx]



- Production of Higgs boson times decay to electroweak dibosons reduced with respect to SM by about (10-15)%

Constraints On Right-Handed (RH) Currents

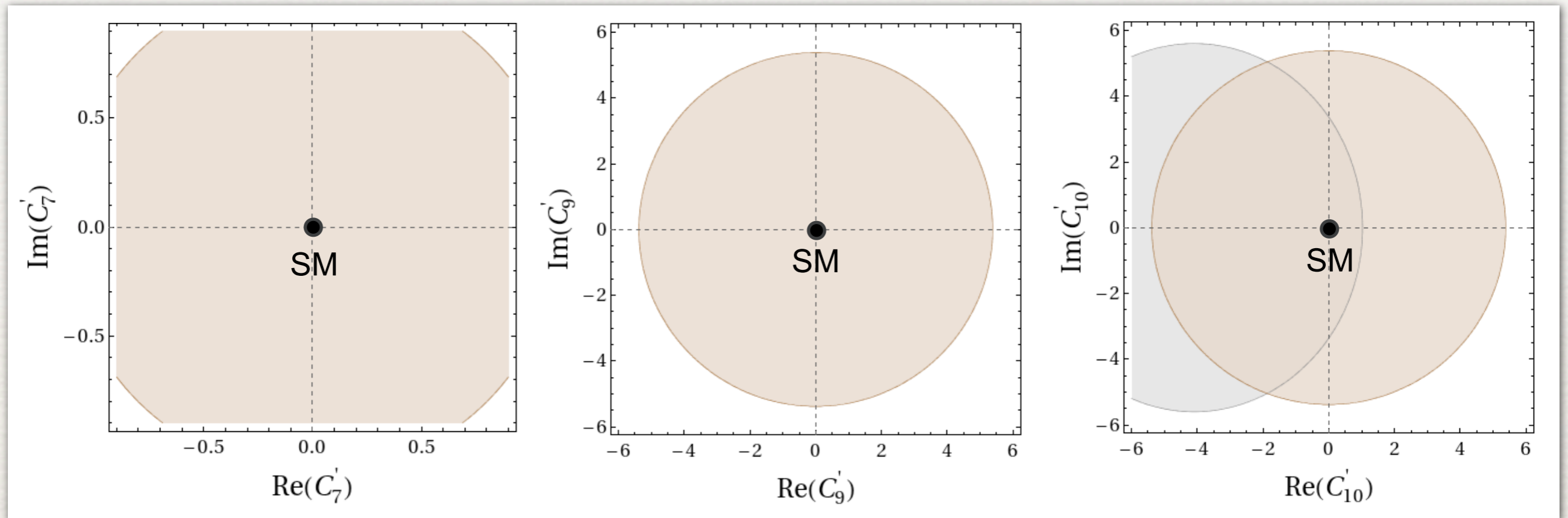
[Altmannshofer & Straub, 1206.0273]



● $B_s \rightarrow \mu^+ \mu^-$

Constraints On Right-Handed (RH) Currents

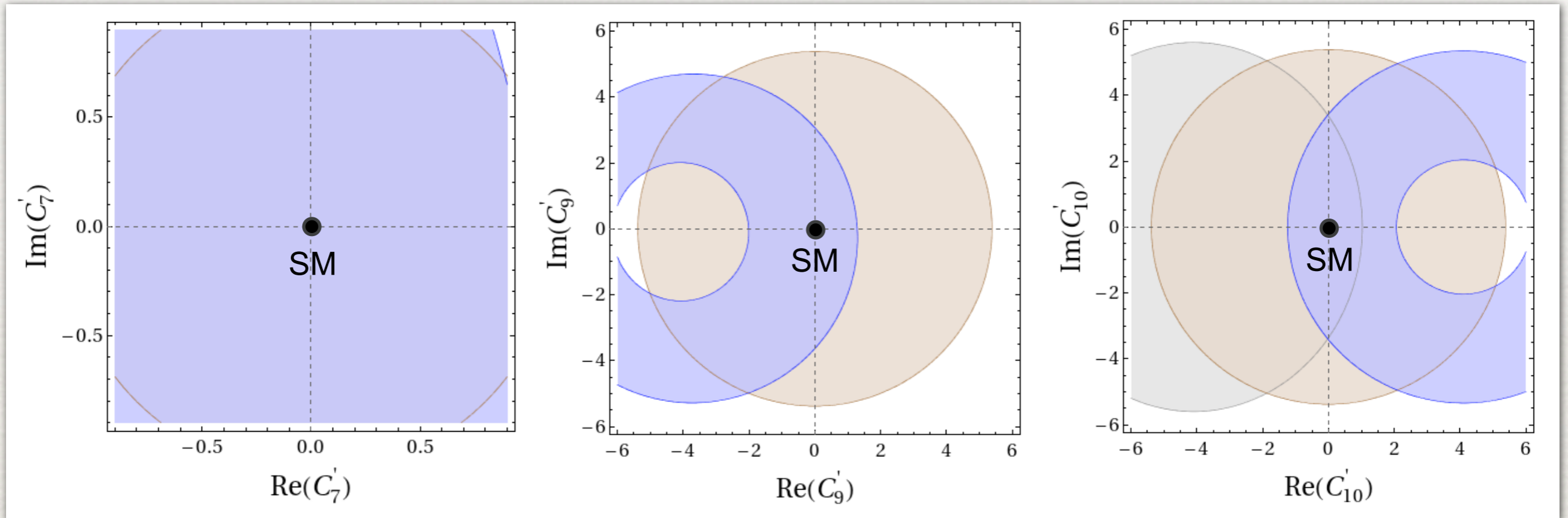
[Altmannshofer & Straub, 1206.0273]



● $B_s \rightarrow \mu^+\mu^-$ ● $B \rightarrow X_s\mu^+\mu^-$

Constraints On Right-Handed (RH) Currents

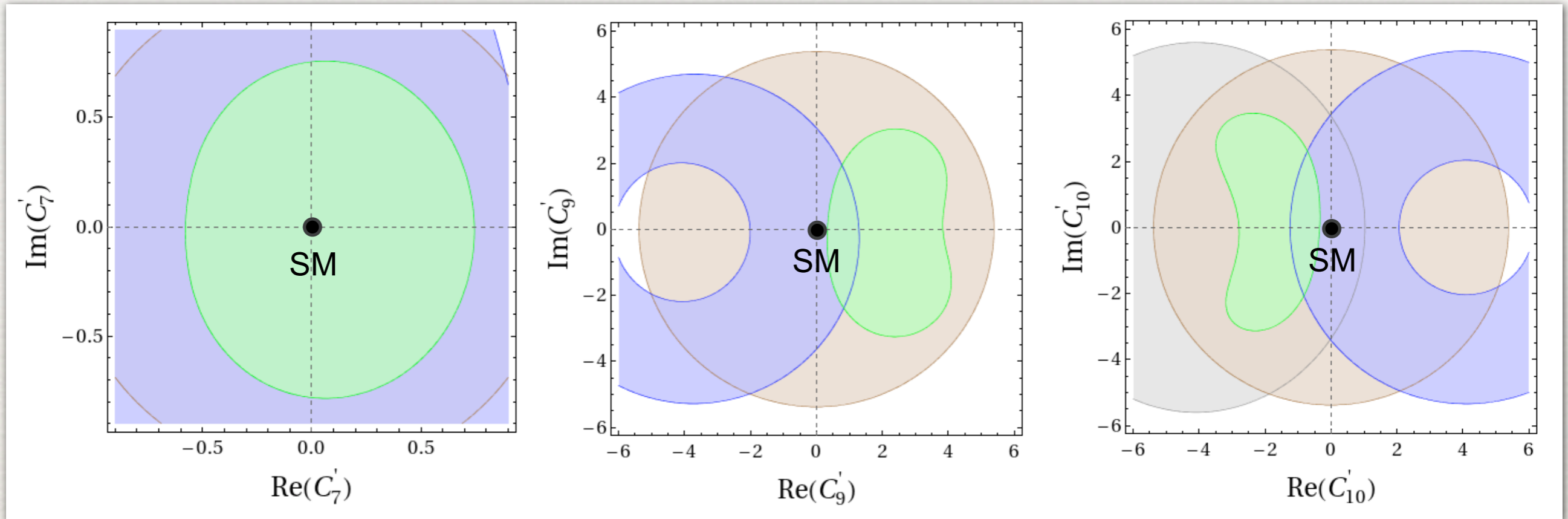
[Altmannshofer & Straub, 1206.0273]



● $B_s \rightarrow \mu^+\mu^-$ ● $B \rightarrow X_s\mu^+\mu^-$ ● $B \rightarrow K\mu^+\mu^-$

Constraints On Right-Handed (RH) Currents

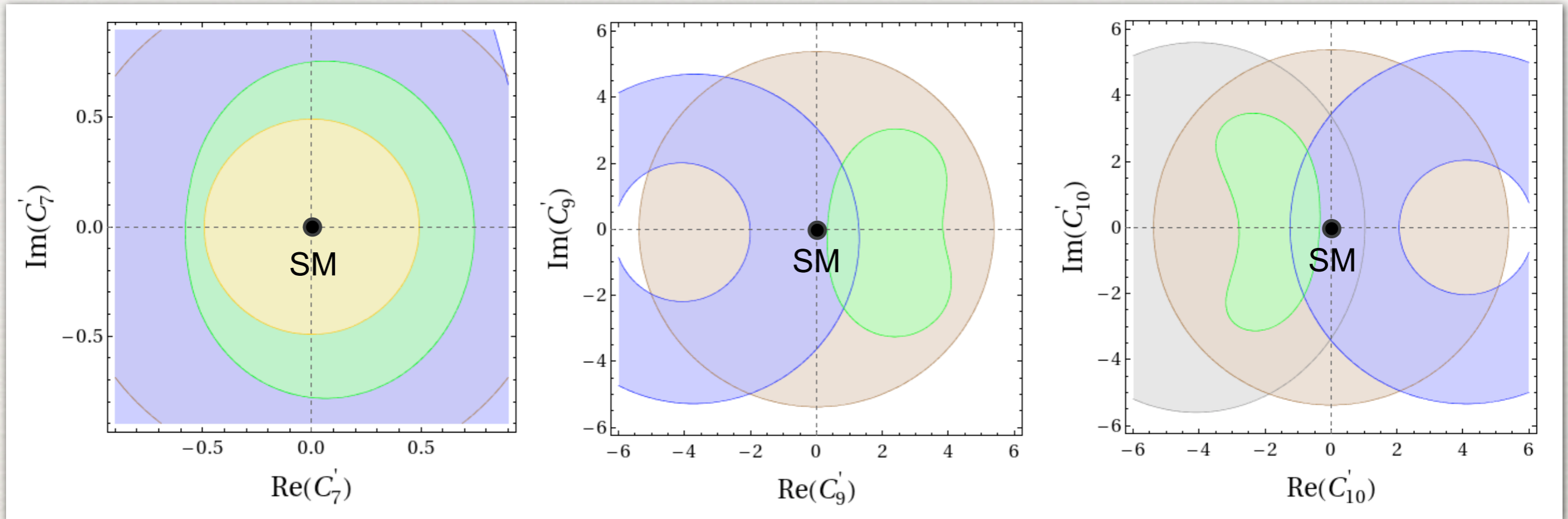
[Altmannshofer & Straub, 1206.0273]



● $B_s \rightarrow \mu^+ \mu^-$
 ● $B \rightarrow X_s \mu^+ \mu^-$
 ● $B \rightarrow K \mu^+ \mu^-$
 ● $B \rightarrow K^* \mu^+ \mu^-$

Constraints On Right-Handed (RH) Currents

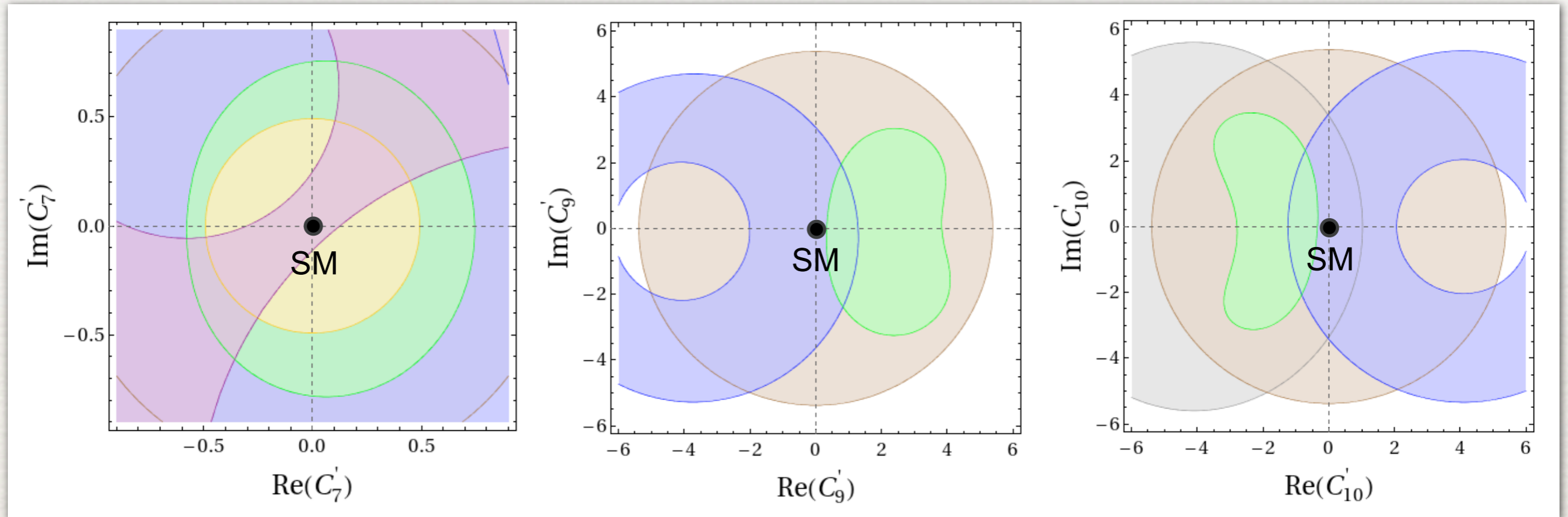
[Altmannshofer & Straub, 1206.0273]



● $B_s \rightarrow \mu^+\mu^-$
 ● $B \rightarrow X_s\mu^+\mu^-$
 ● $B \rightarrow K\mu^+\mu^-$
 ● $B \rightarrow K^*\mu^+\mu^-$
 ● $B \rightarrow X_s\gamma$

Constraints On Right-Handed (RH) Currents

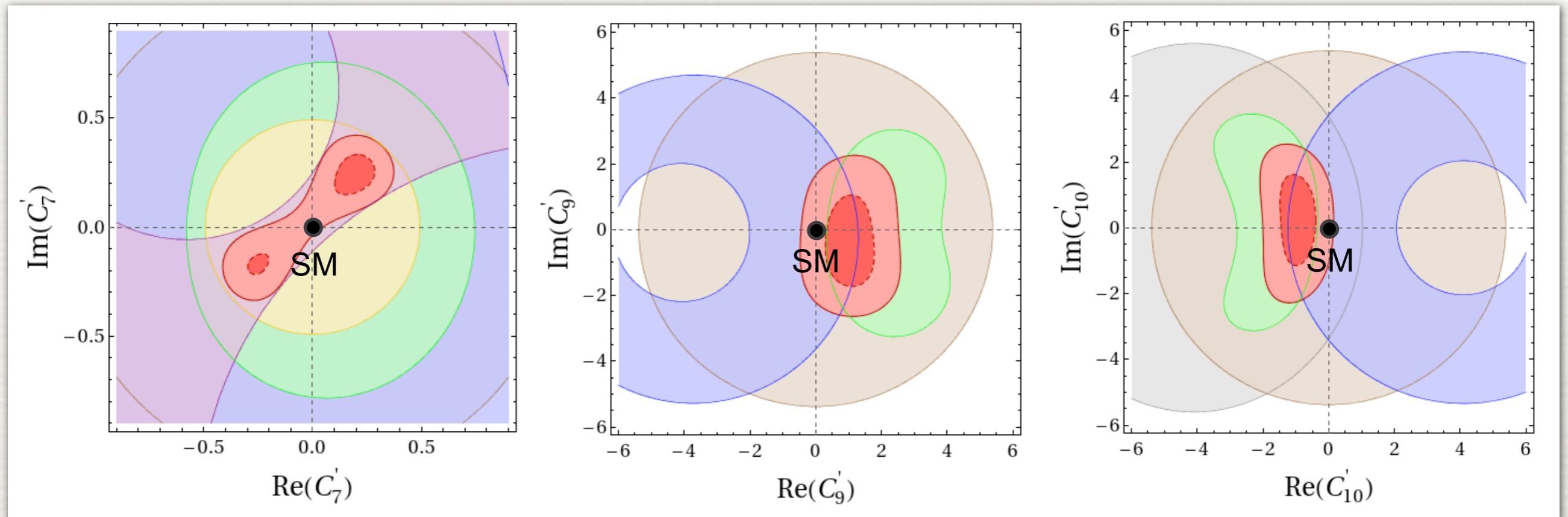
[Altmannshofer & Straub, 1206.0273]



- $B_s \rightarrow \mu^+\mu^-$ ● $B \rightarrow X_s\mu^+\mu^-$ ● $B \rightarrow K\mu^+\mu^-$ ● $B \rightarrow K^*\mu^+\mu^-$ ● $B \rightarrow X_s\gamma$
- $B \rightarrow K^*\gamma$

Constraints On Right-Handed (RH) Currents

[Altmannshofer & Straub, 1206.0273]

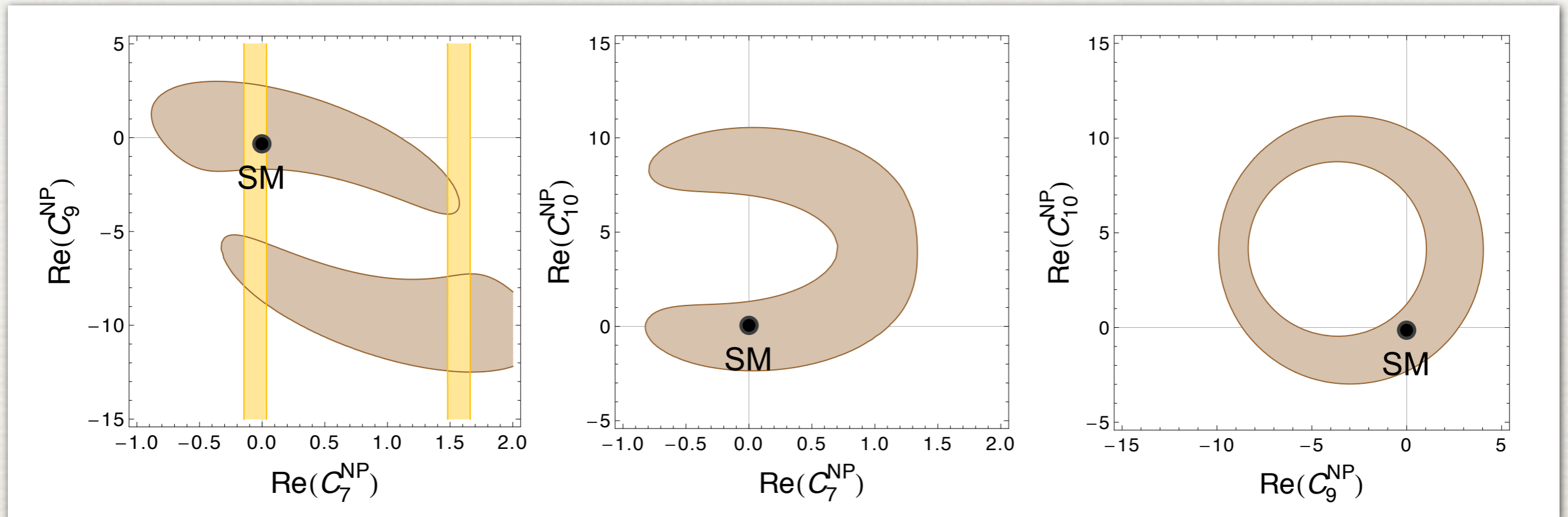


- $B_s \rightarrow \mu^+ \mu^-$ ● $B \rightarrow X_s \mu^+ \mu^-$ ● $B \rightarrow K \mu^+ \mu^-$ ● $B \rightarrow K^* \mu^+ \mu^-$ ● $B \rightarrow X_s \gamma$
- $B \rightarrow K^* \gamma$

■ Different exclusive decays provide complementary information

Constraints On Pairs of Wilson Coefficients

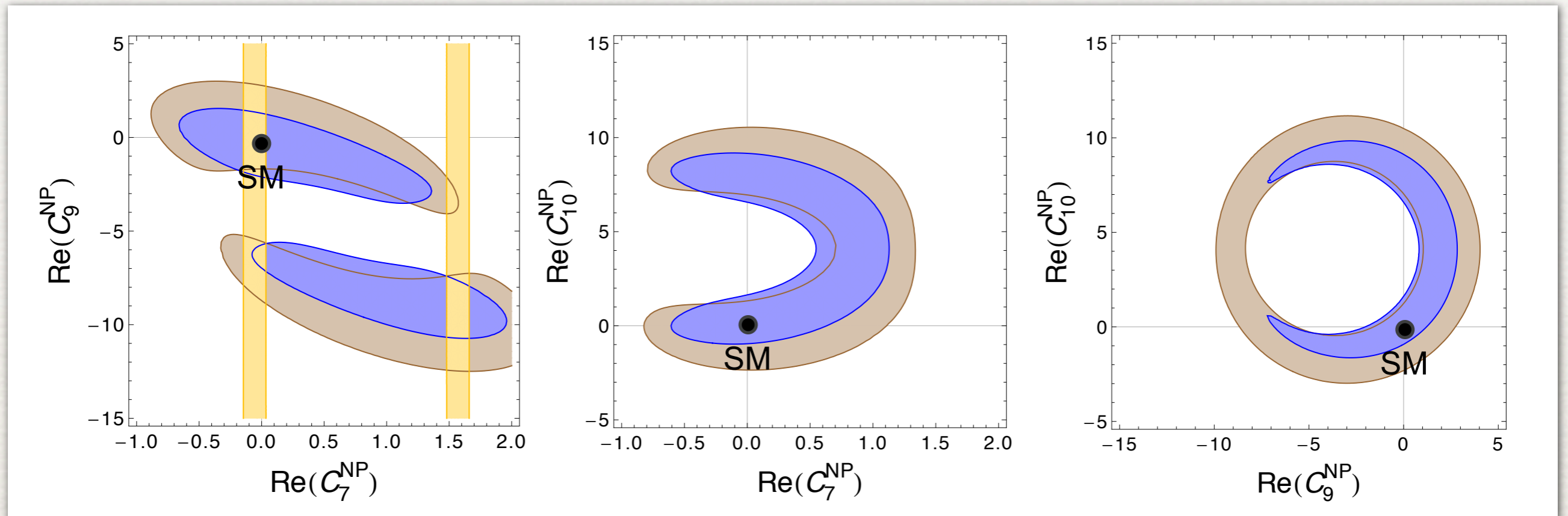
[Altmannshofer, Paradisi & Straub, 1111.1257]



● $\text{Br}(B \rightarrow X_s \mu^+ \mu^-)$ ● $\text{Br}(B \rightarrow X_s \gamma)$

Constraints On Pairs of Wilson Coefficients

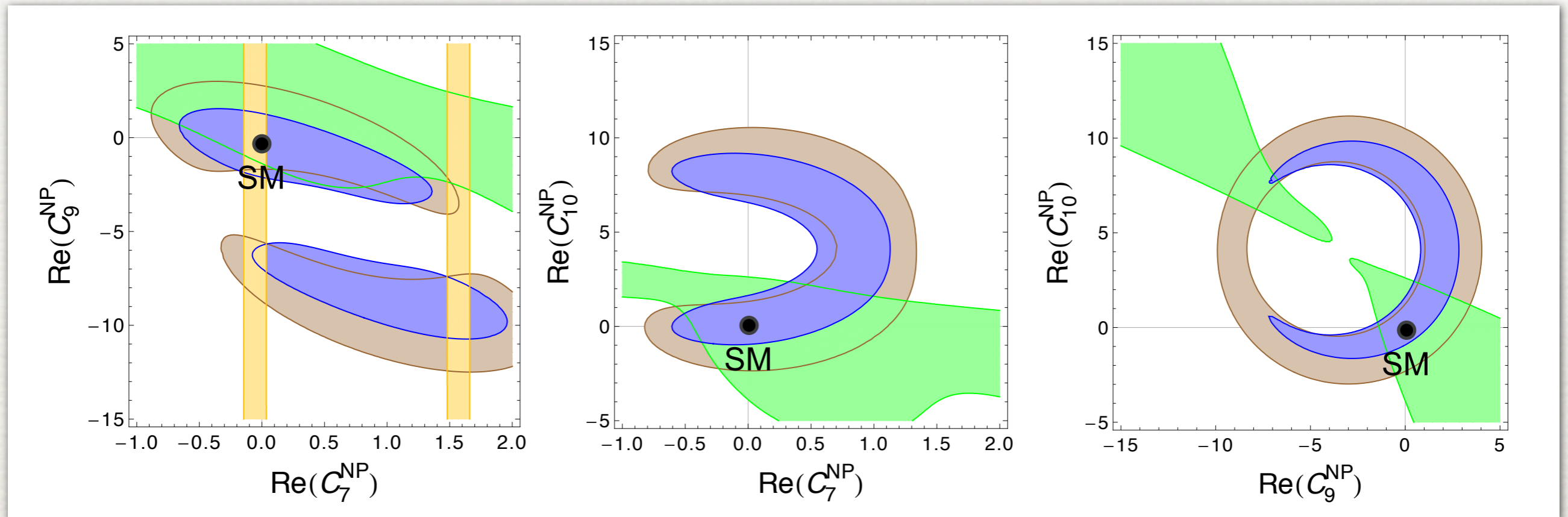
[Altmannshofer, Paradisi & Straub, 1111.1257]



● $\text{Br}(B \rightarrow X_s \mu^+ \mu^-)$
 ● $\text{Br}(B \rightarrow X_s \gamma)$
 ● $\text{Br}(B \rightarrow K^* \mu^+ \mu^-)$

Constraints On Pairs of Wilson Coefficients

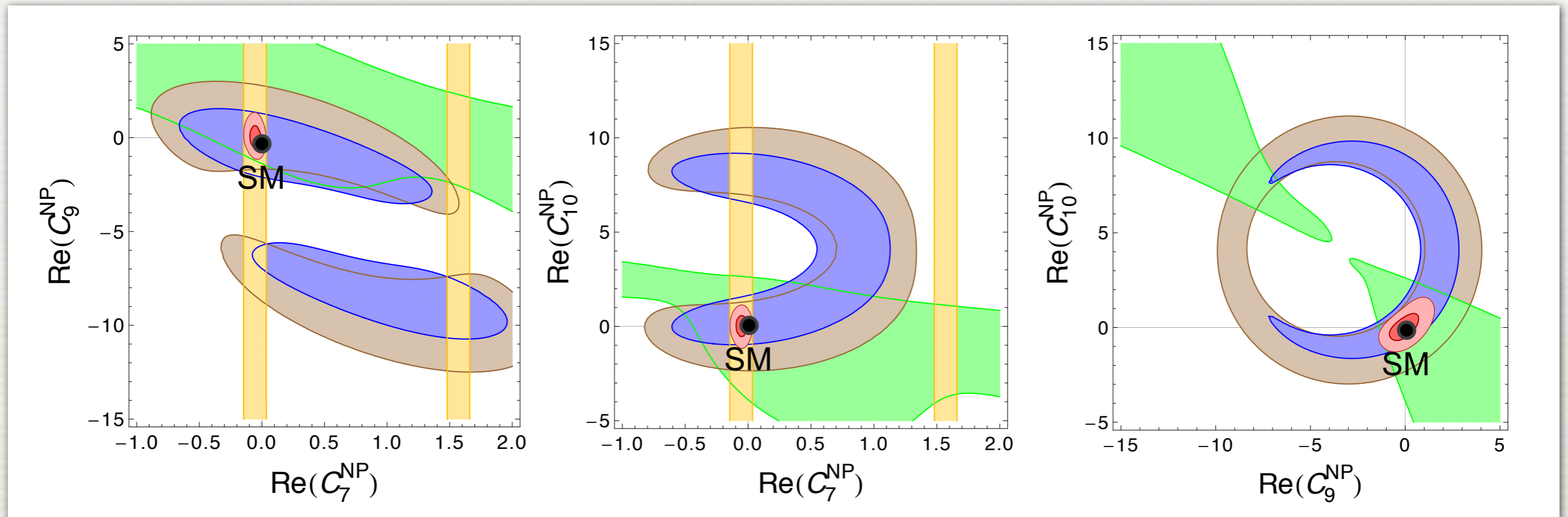
[Altmannshofer, Paradisi & Straub, 1111.1257]



● $\text{Br}(B \rightarrow X_s \mu^+ \mu^-)$
 ● $\text{Br}(B \rightarrow X_s \gamma)$
 ● $\text{Br}(B \rightarrow K^* \mu^+ \mu^-)$
 ● $A_{\text{FB}}(B \rightarrow K^* \mu^+ \mu^-)$

Constraints On Pairs of Wilson Coefficients

[Altmannshofer, Paradisi & Straub, 1111.1257]

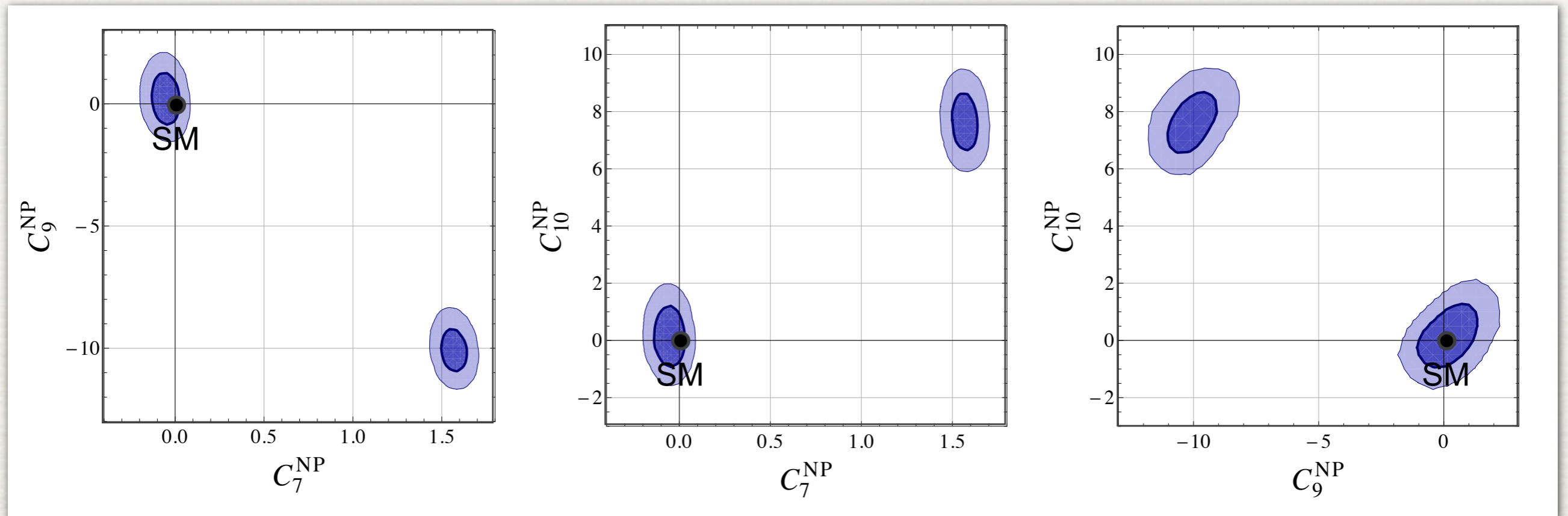


● $\text{Br}(B \rightarrow X_s \mu^+ \mu^-)$ ● $\text{Br}(B \rightarrow X_s \gamma)$ ● $\text{Br}(B \rightarrow K^* \mu^+ \mu^-)$ ● $A_{\text{FB}}(B \rightarrow K^* \mu^+ \mu^-)$

- Exclusive $b \rightarrow s \mu^+ \mu^-$ data (in particular angular distributions) breaks degeneracies & excludes various mirror solutions

Disfavored Mirror Solutions

[Altmannshofer, Paradisi & Straub, 1111.1257]

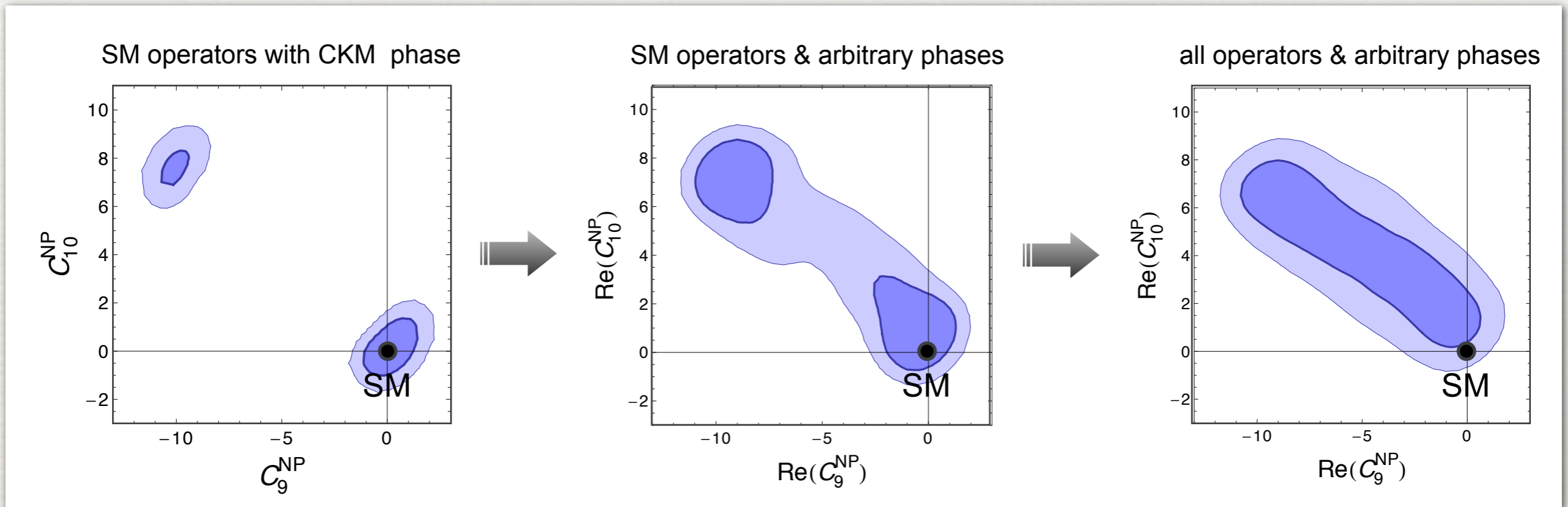


■ Flipped-sign solutions:

- ▶ $C_{7,9,10} = -C_{7,9,10}^{\text{SM}}$ cannot be excluded, but ...
- ▶ $C_7 = -C_7^{\text{SM}}$ disfavored by $\text{Br}(B \rightarrow X_s \mu^+ \mu^-)$
- ▶ $C_{9,10} = -C_{9,10}^{\text{SM}}$ disfavored by $A_{\text{FB}}(B \rightarrow K^* \mu^+ \mu^-)$

Impact of Assumptions on Constraints

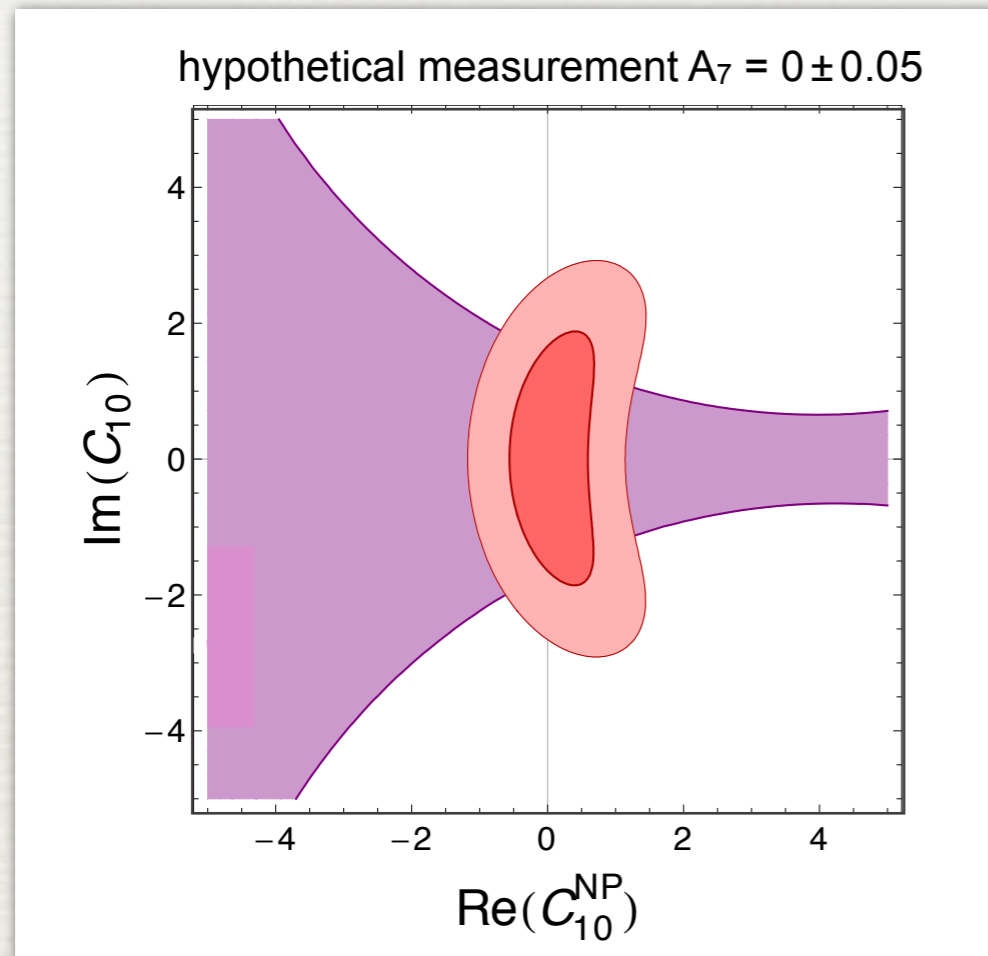
[Altmannshofer, Paradisi & Straub, 1111.1257]



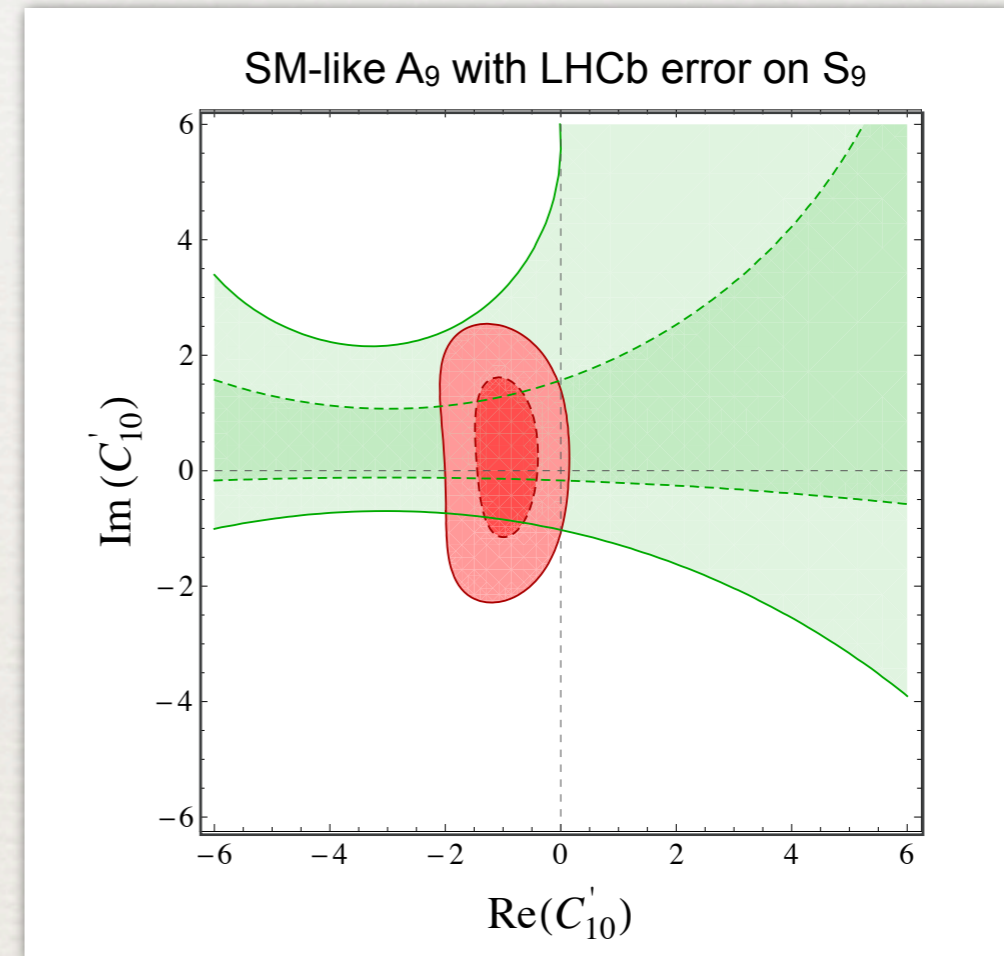
- Constraints significantly weakened by allowing for additional phase and/or chirality-flipped operators. Need more data (in particular on CP-violating observables) to break degeneracies

Future (?) Impact of CP-violating Observables

[Straub, talk at Moriond EW 2012]



[Altmannshofer & Straub, 1206.0273]



- CP-violating observables such as A_7 & A_9 provide constraints that are orthogonal in plane of Wilson coefficients to those of CP-conserving observables like A_{FB} , F_L , S_3 , ...