

# New jet algorithms with OPAL: Theory update

- Motivation
- Reminder: Differential distributions analysed
  - Durham (' $k_t$ '), optionally with fixed  $E_{\min}$ -cut
  - Anti- $k_t$ , SIScone with fixed  $E_{\min}$ -cut - **problems !**
- **New calculations:** Inclusive rates
- New Anti- $k_t$  and SIScone analysis:
  - Measurement
  - Hadronisation correction (provisional)
  - Qualitative comparison with theory
- Conclusion
- Further steps

# Motivation

- Algorithms developed at hadron colliders
- Are studied also in ep (HERA, ZEUS)
- But not yet at  $e^+e^-$  collider
- $e^+e^-$  environment cleaner :
  - No underlying event
  - No pileup
  - No ISR/FSR interference
  - Event well measured in any direction
- So they should be studied qualitatively (then quantitatively) in  $e^+e^-$

# Reminder: Differential distributions analysed

- Durham algorithm: Measured to check consistency with OPAL (PR408)
  - Sensible agreement, some more detailed study required
- Durham algorithm with fixed  $E_{\min}$ -cut
  - Some region of three jet rate has moderate corrections and is described perturbatively
- Anti- $k_t$  algorithm with fixed  $E_{\min}$ -cut (w/o radius!)
  - Moderate corrections only in nonperturbative region
- SISCone algorithm with fixed  $E_{\min}$ -cut
  - Moderate corrections in perturbative three-jet region

# New calculations

- Hadron collisions: inclusive analysis with known hard scale (Atlas Z+jets Phys. Rev. D85 032009, W+Jets Phys. Rev. D85 092002) :
  - Fix R
  - Study jet rates as function of  $p_t$  ( $\hat{=} E_{\min}$ , e+e-), not of  $d_{\text{cut}}$  (as in OPAL Z.Phys. C63, 197)
- Calculations
  - Anti- $k_t$  algorithm including R parameter (-> next slide)
  - SISCone
  - Both for R=0.4, 0.5, 0.6, 0.7 (anti- $k_t$  ATLAS: 0.4, 0.6; CMS: 0.5, 0.7)  
and  $E_{\min}/Q=0.005 \dots 0.35$  (cut **relative** to cms energy)

# Anti- $k_T$ algorithm including radius $R$

$R$  = opening half angle

1. Depends on parameter  $E_{min}$
2. For every pair  $(p_k, p_l)$  of final-state particles compute the resolution variable

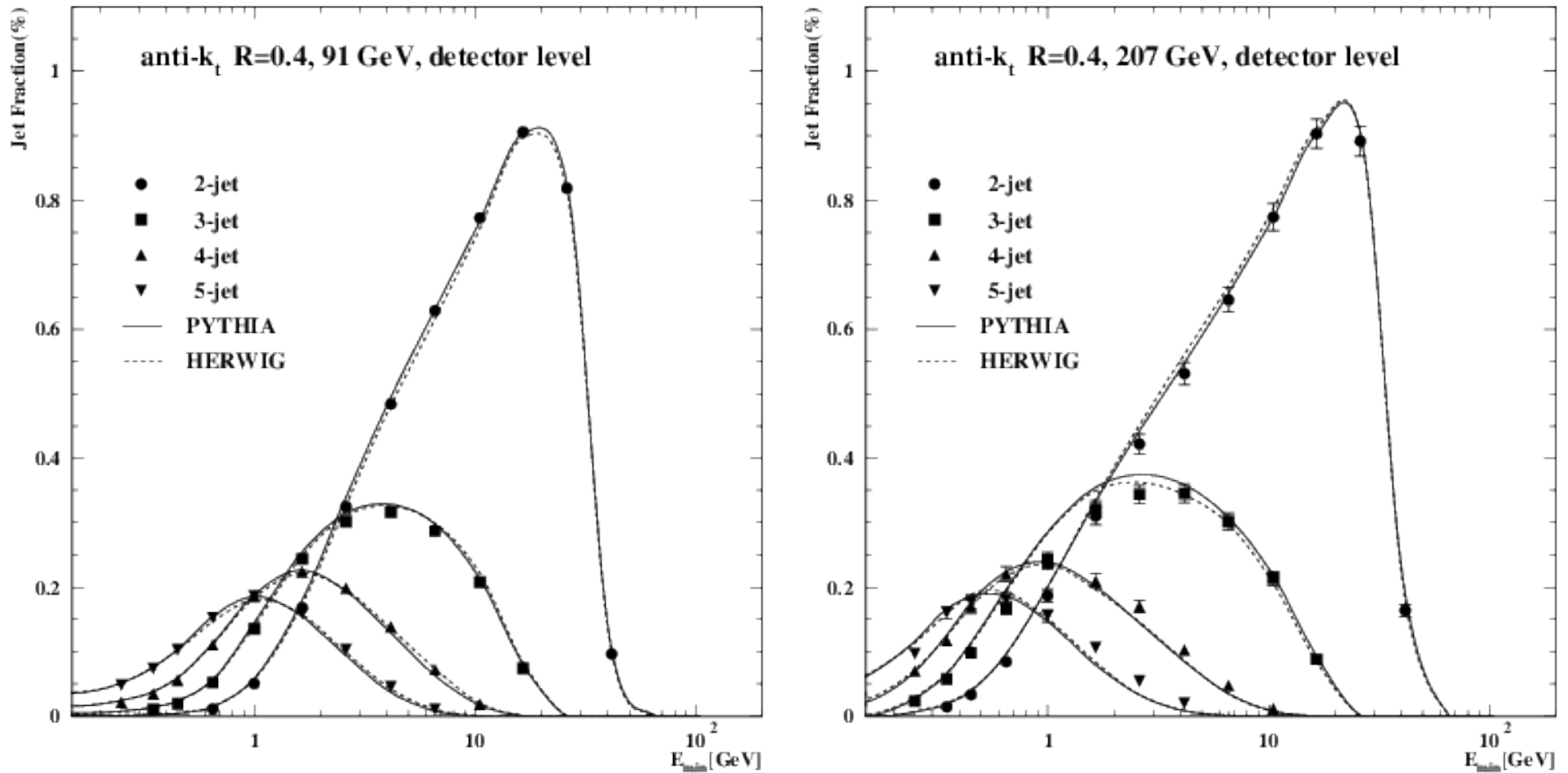
$$y_{kl} = 1/8 \min(E_k^{-2}, E_l^{-2})(1 - \cos\theta_{kl}) / (\mathbf{1 - \cos R})$$

3. If  $y_{ij}$  is the smallest value of  $y_{kl}$  then combine  $(p_i, p_j)$  into a single jet ('pseudo-particle') with momentum  $p_{ij}$ :

$$E_{ij} = E_i + E_j, \quad p_{ij} = (E_i + E_j)(p_i + p_j) / |p_i + p_j|$$

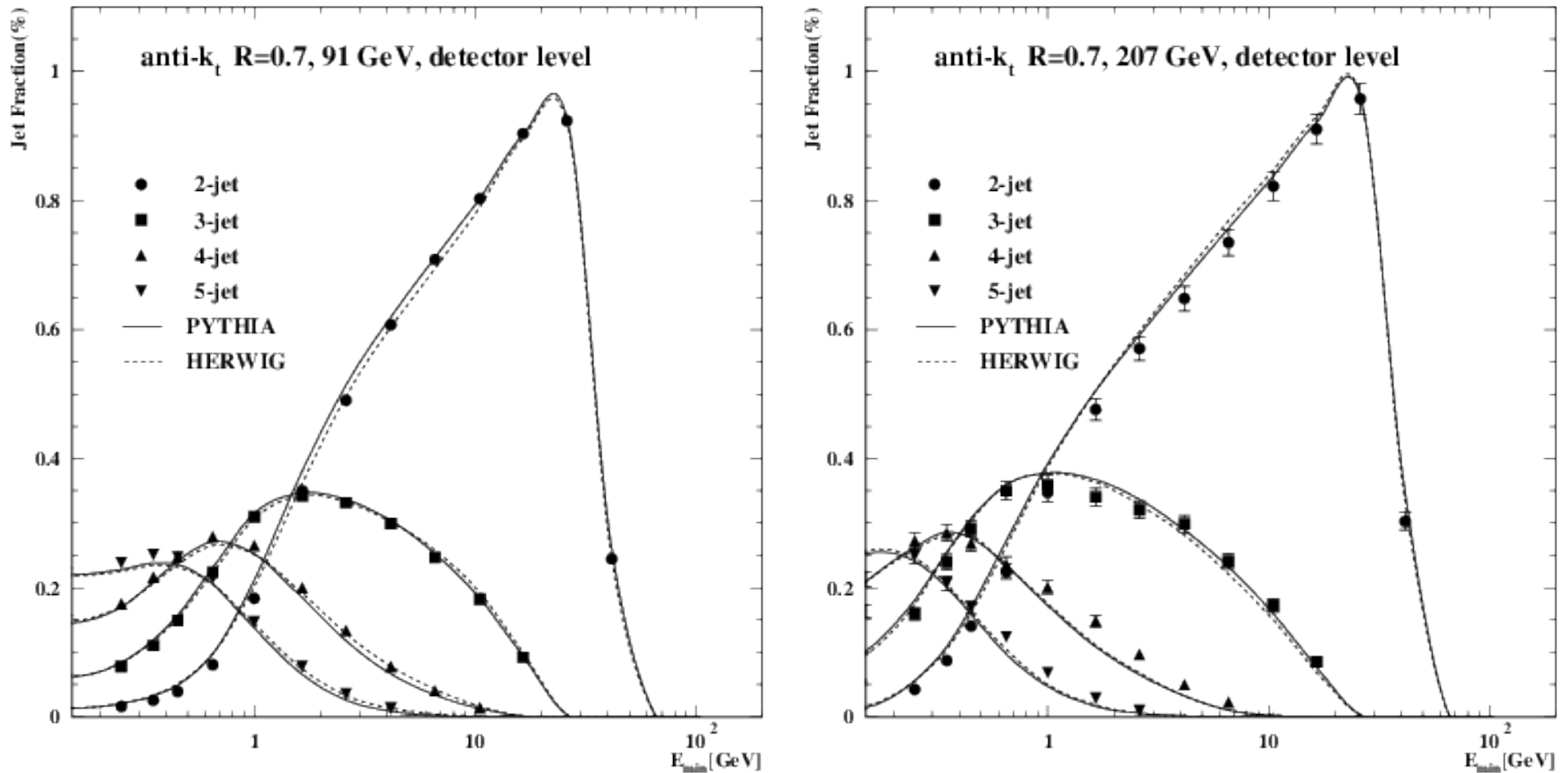
4. Repeat until no more changes
5. Only particles and pseudo-particles with  $E > E_{min}$  are taken as jets

# Measurement: anti- $k_t$ algorithm $R=0.4$ on detector level



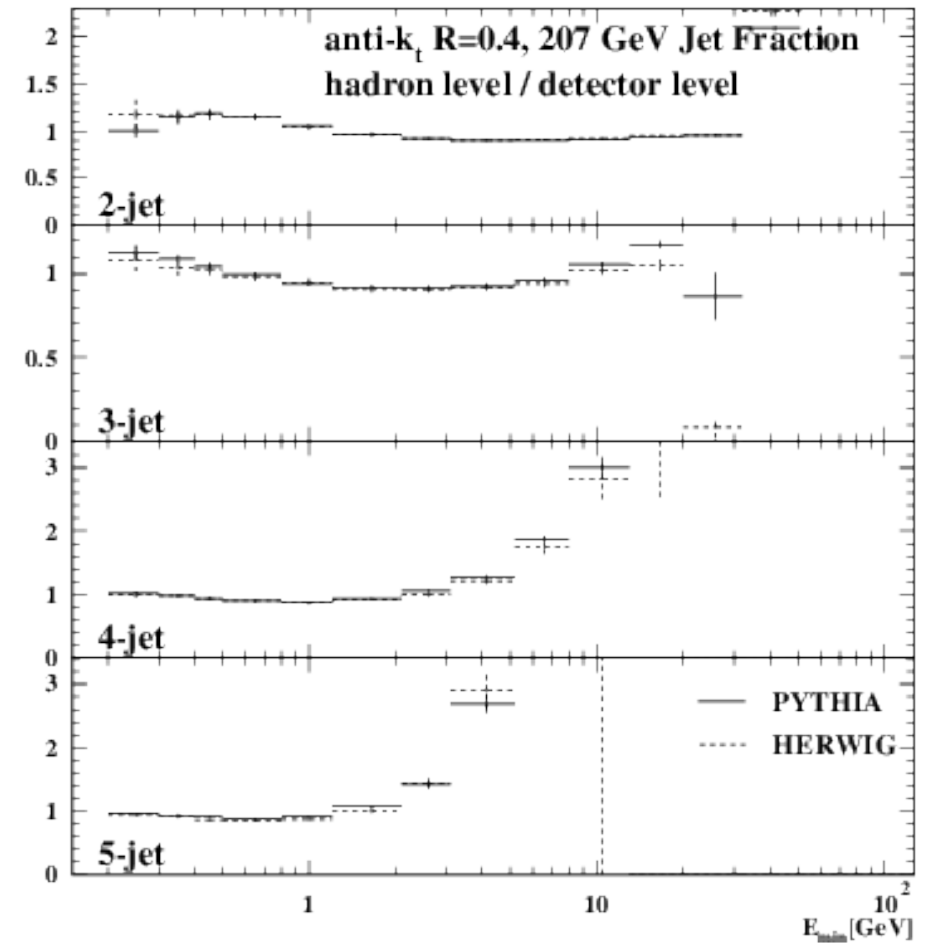
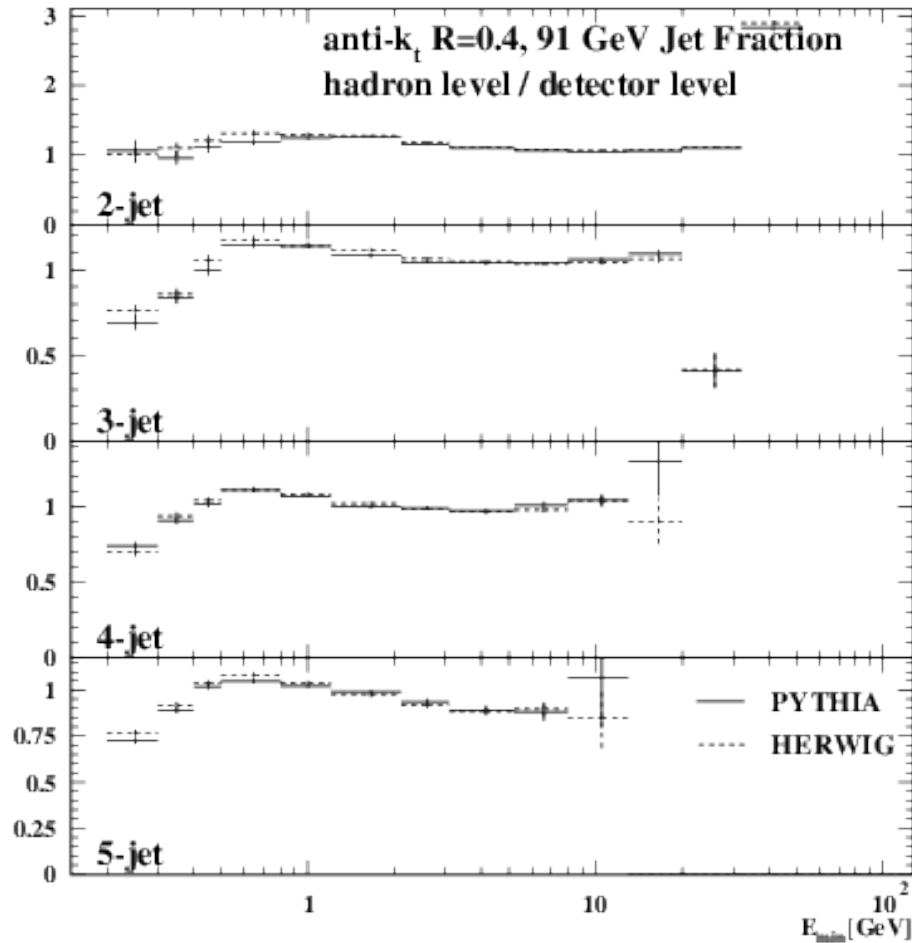
Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

# Measurement: anti- $k_t$ algorithm $R=0.7$ on detector level



Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

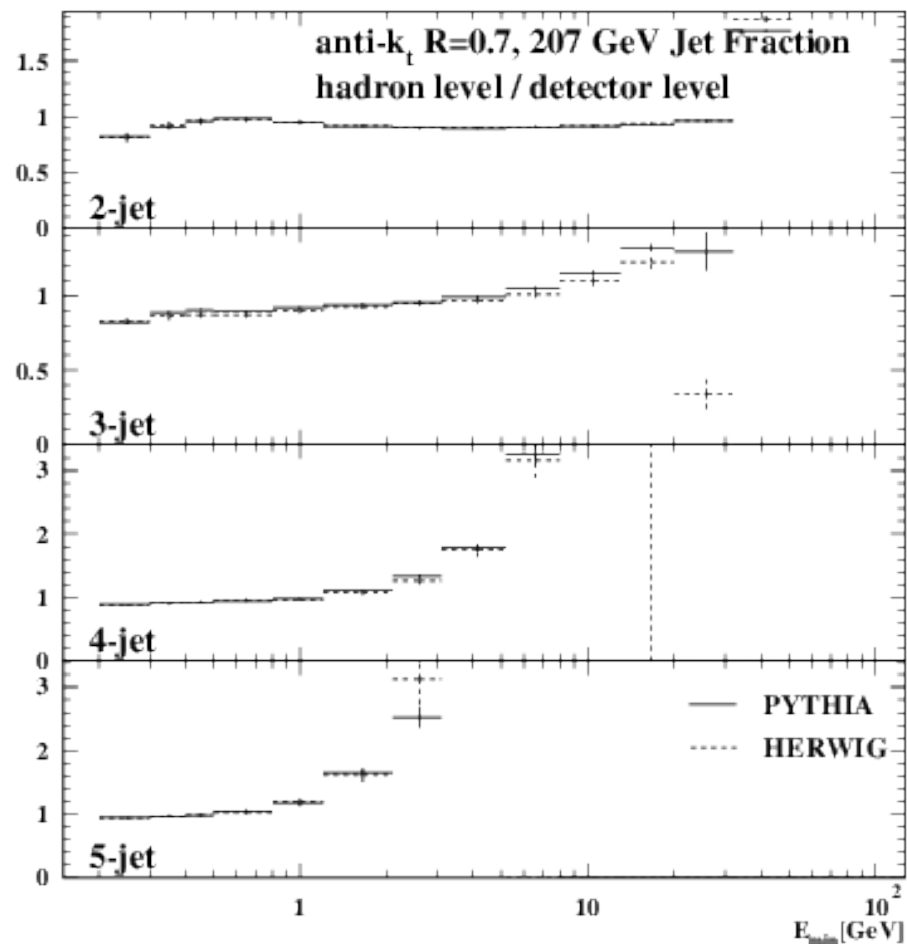
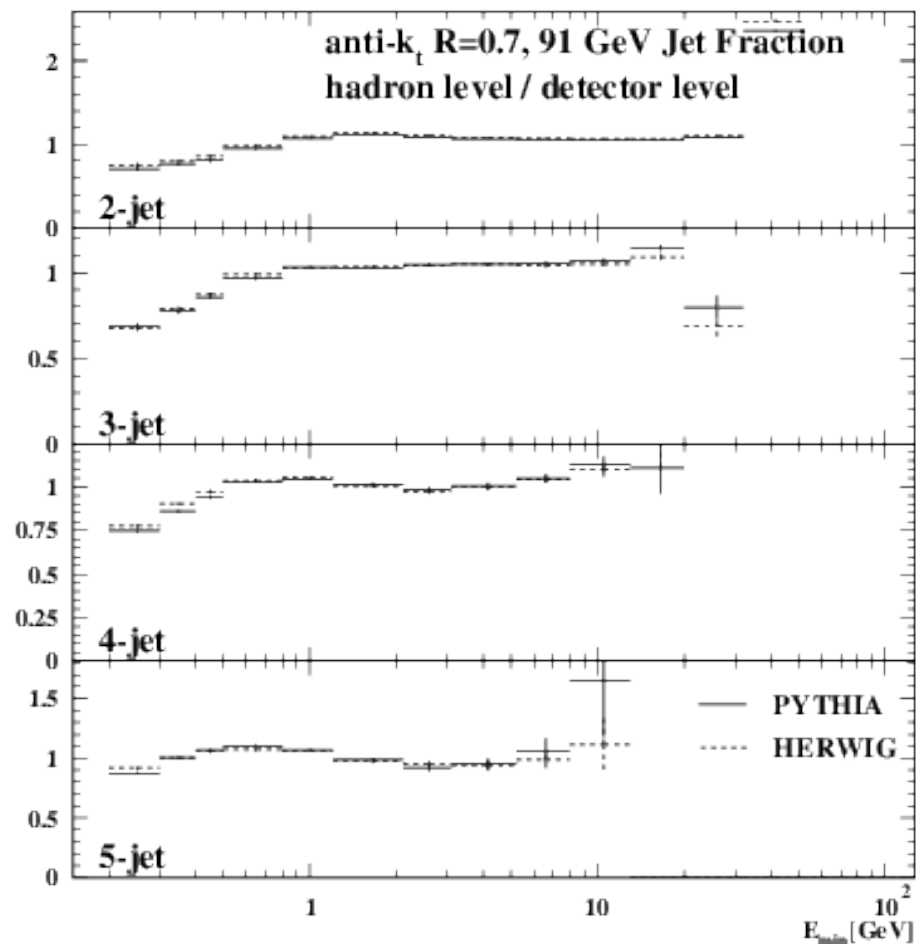
# Detector correction: anti- $k_t$ algorithm R=0.4



Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

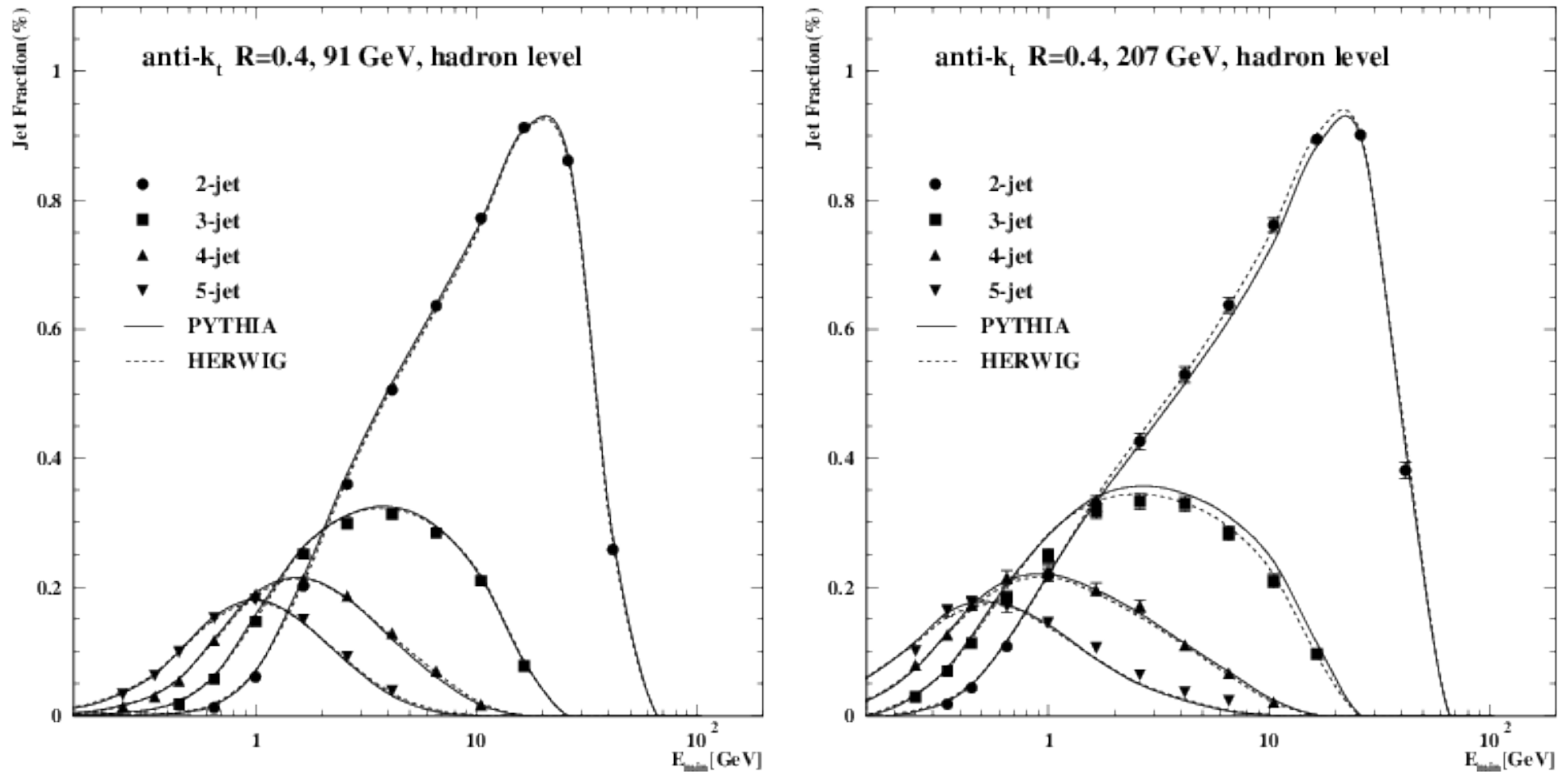


# Detector correction: anti- $k_t$ algorithm $R=0.7$



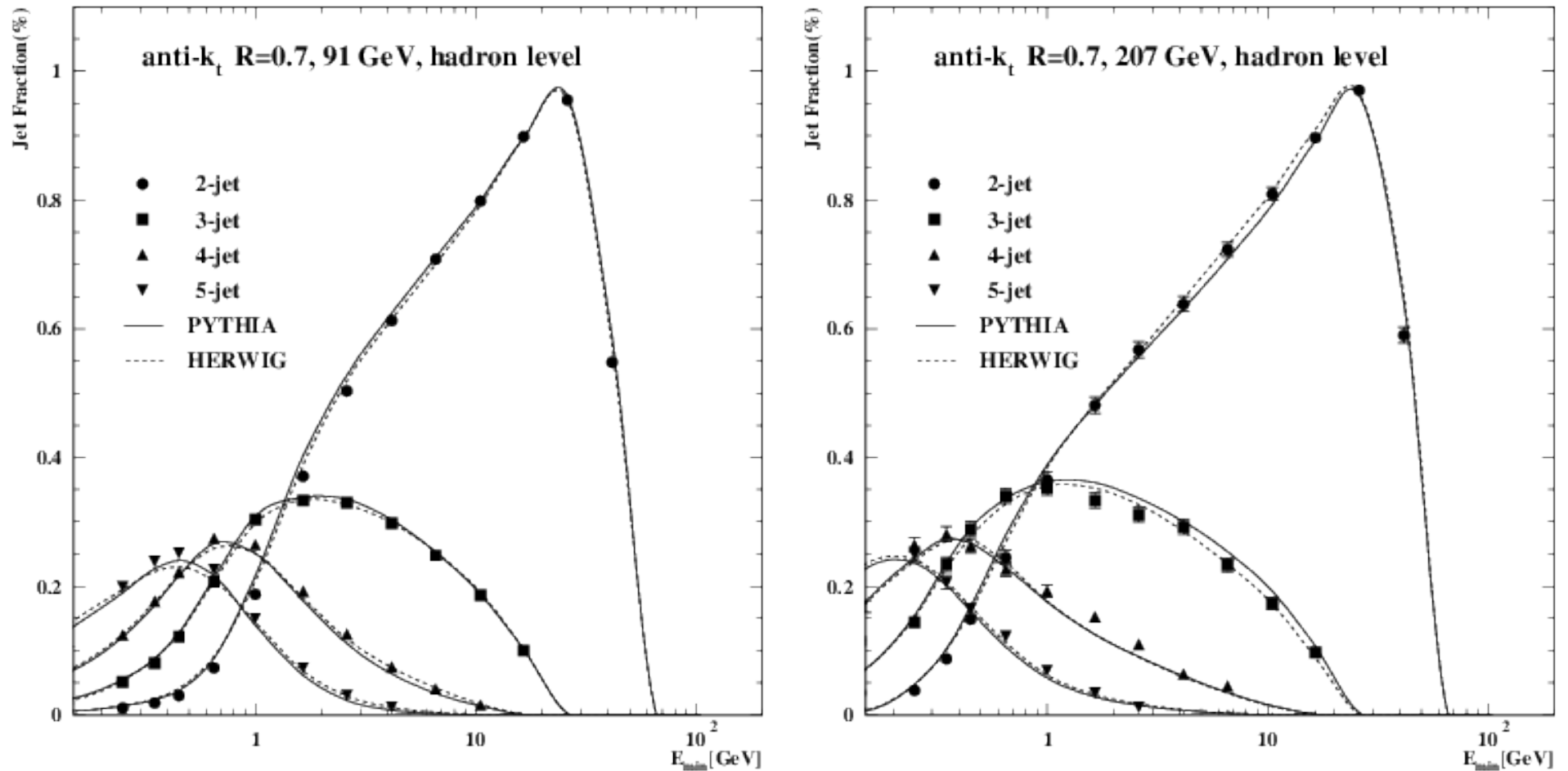
Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

# Measurement: anti- $k_t$ algorithm $R=0.4$ on hadron level



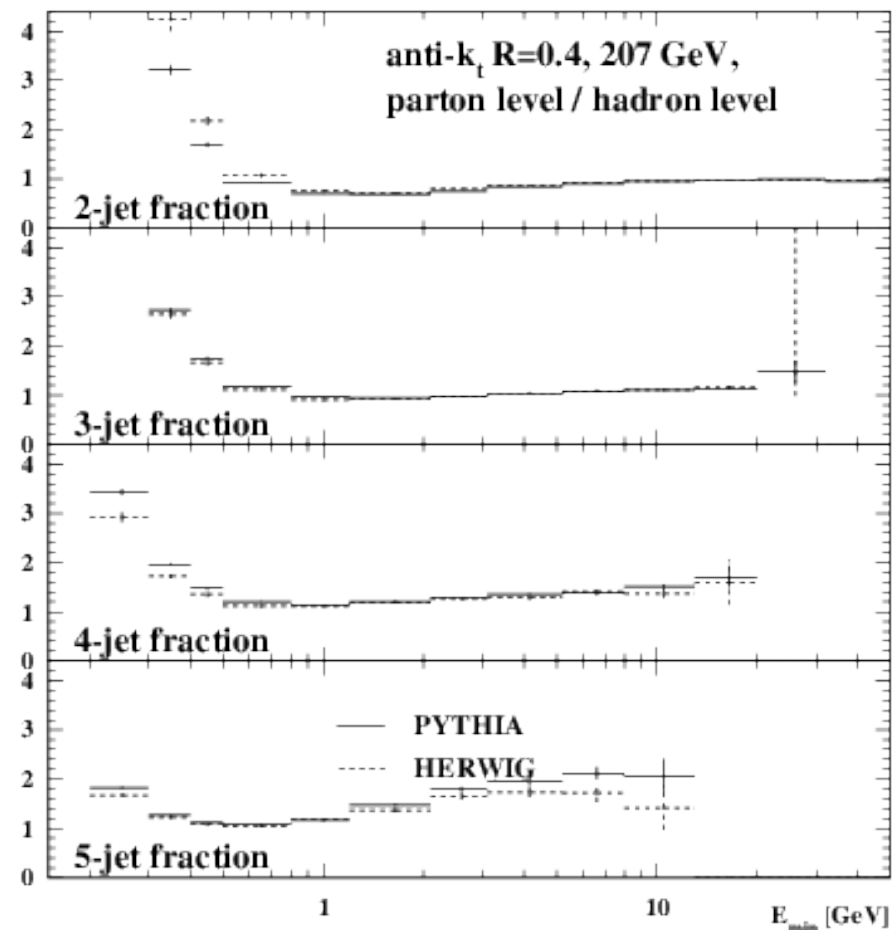
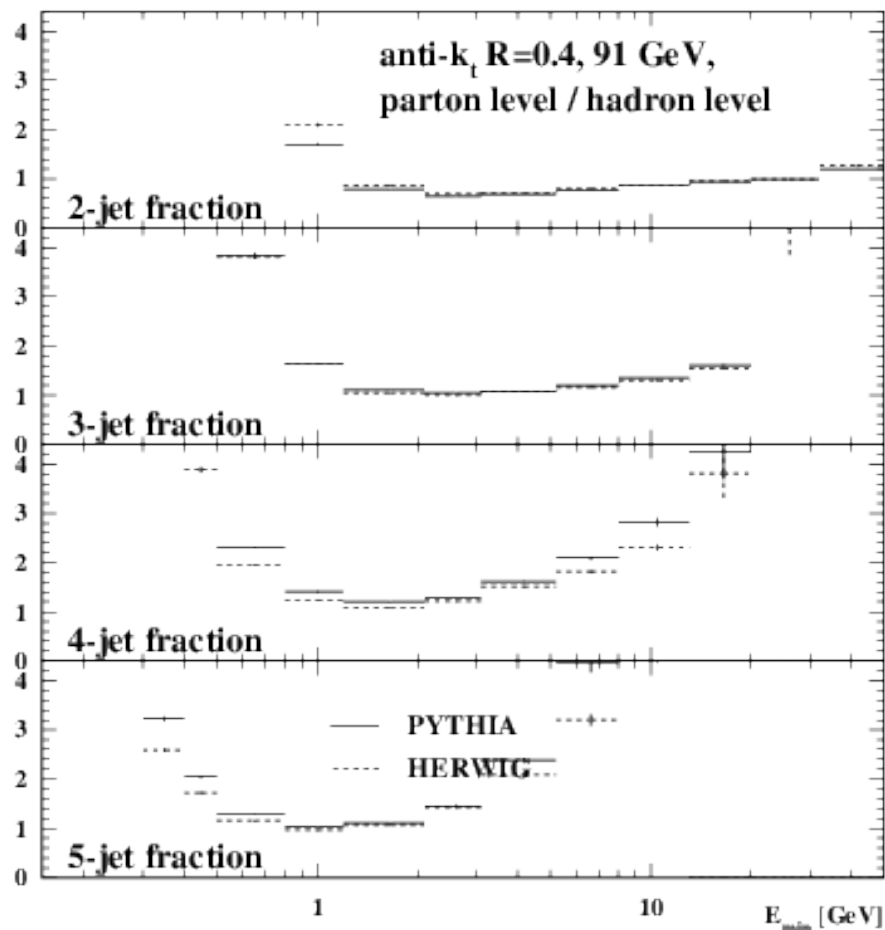
Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

# Measurement: anti- $k_t$ algorithm $R=0.7$ on hadron level



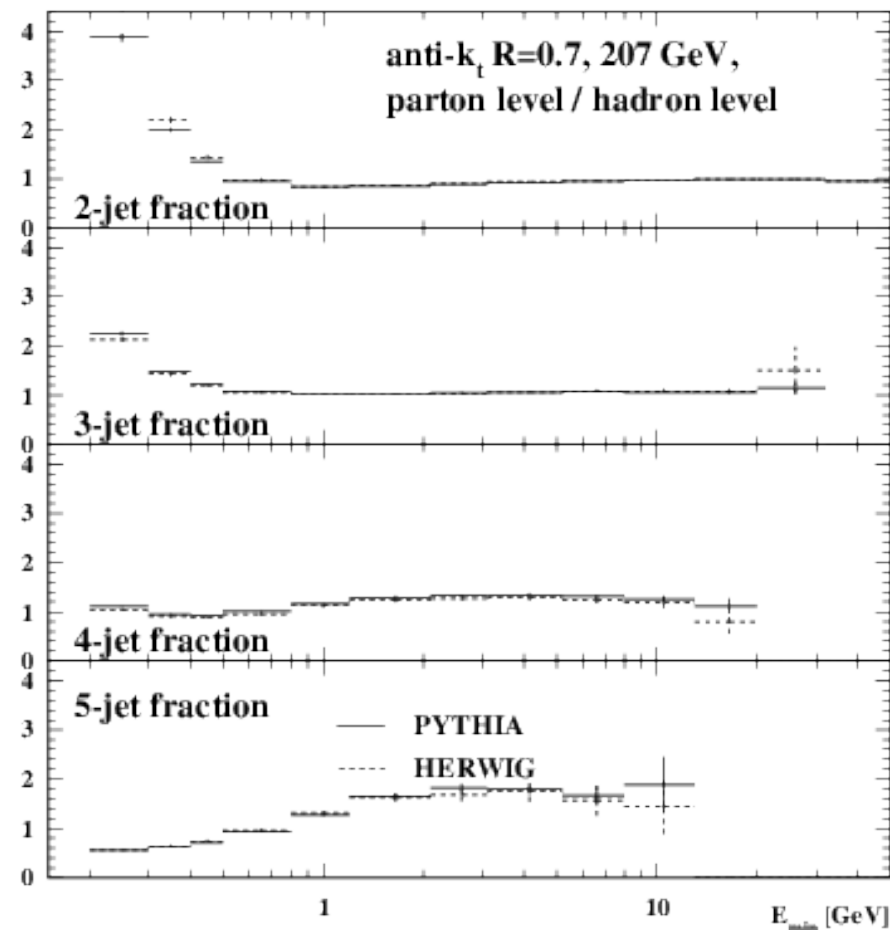
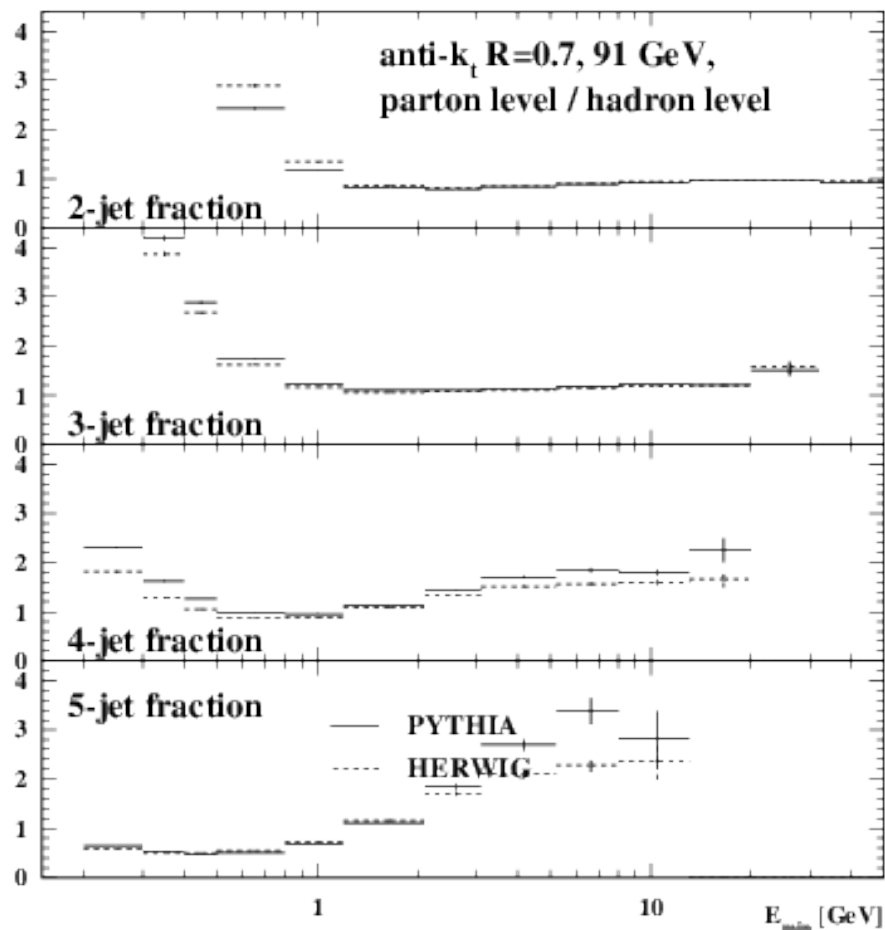
Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

# Hadronisation correction: anti- $k_t$ algorithm R=0.4



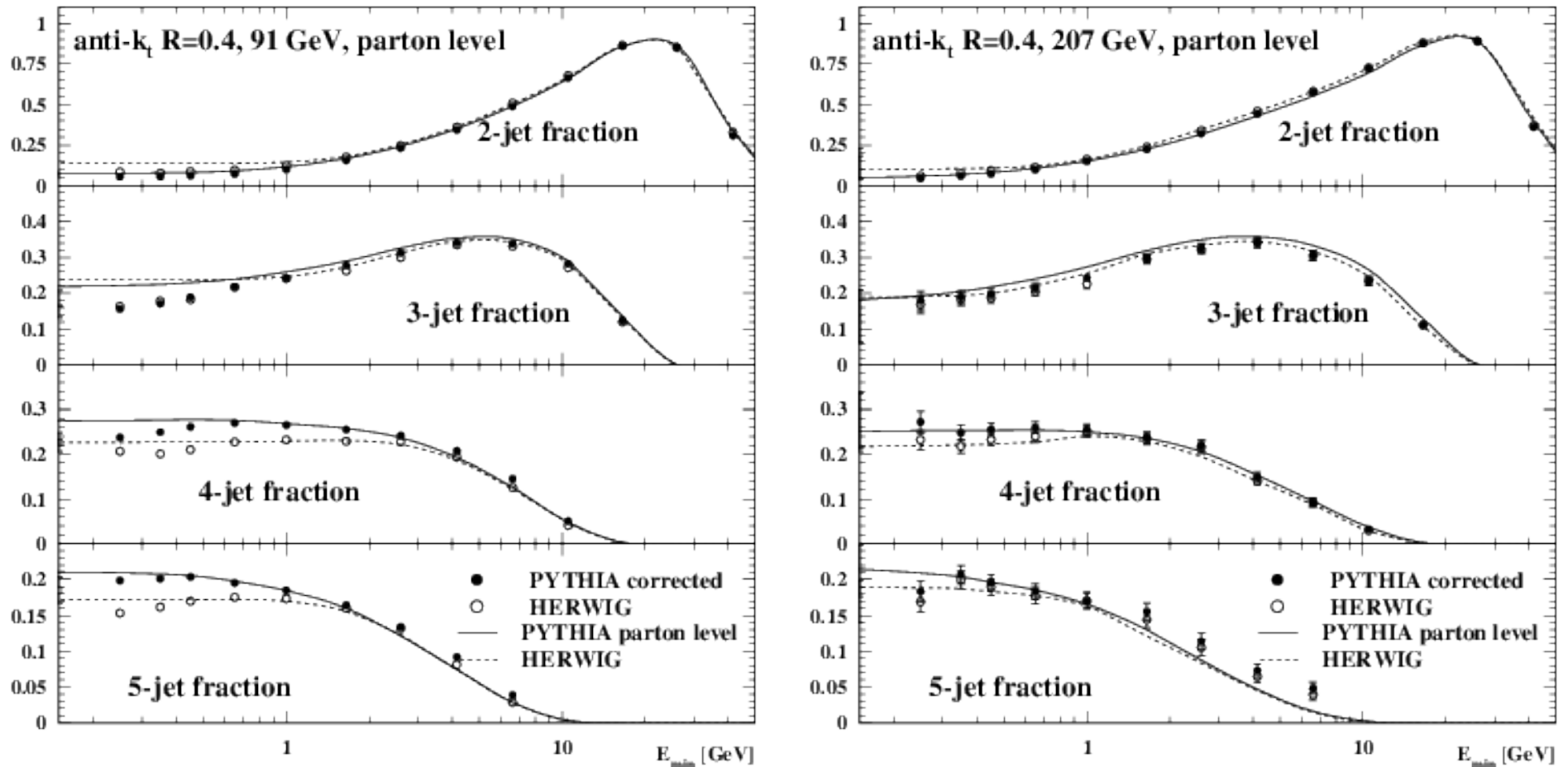
Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

# Hadronisation correction: anti- $k_t$ algorithm R=0.7



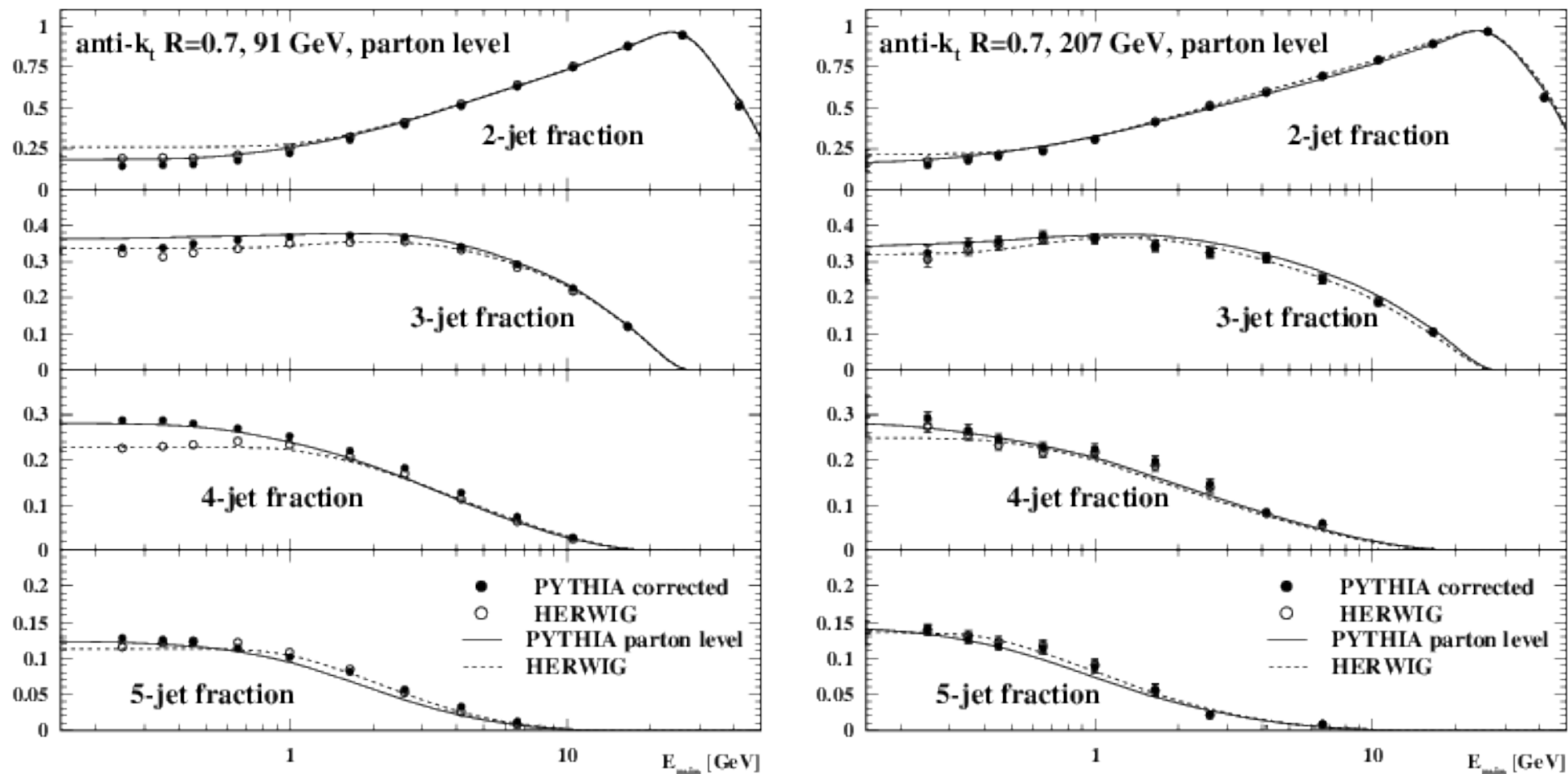
Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

# anti- $k_t$ algorithm $R=0.4$ on parton level



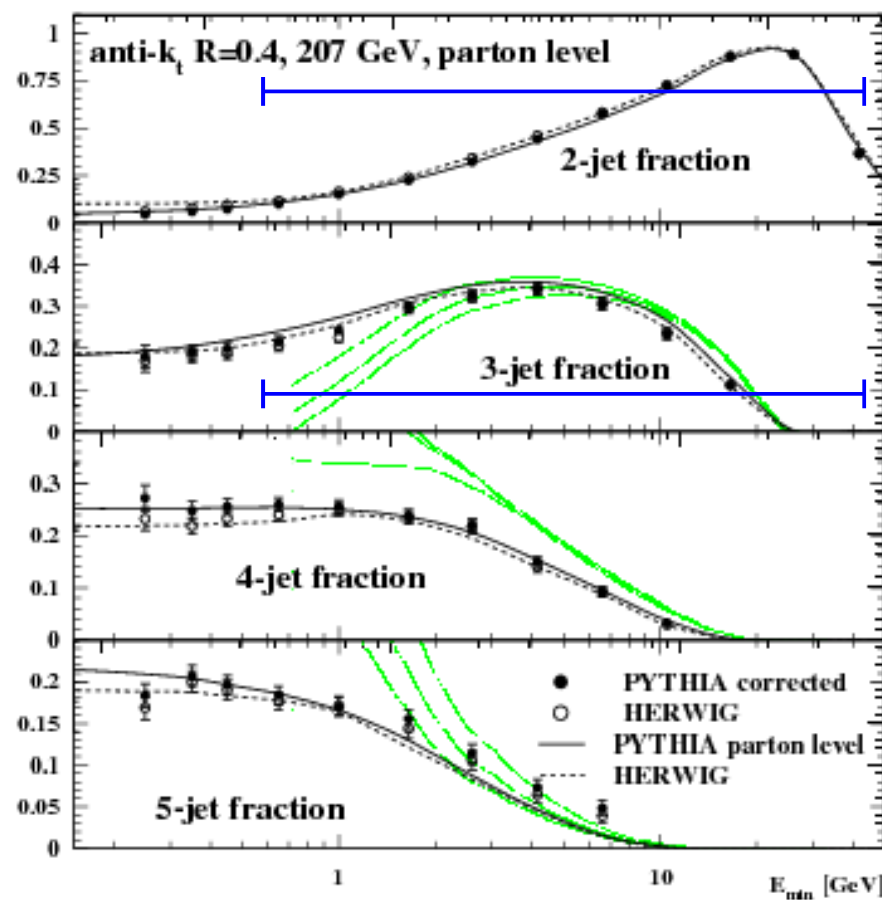
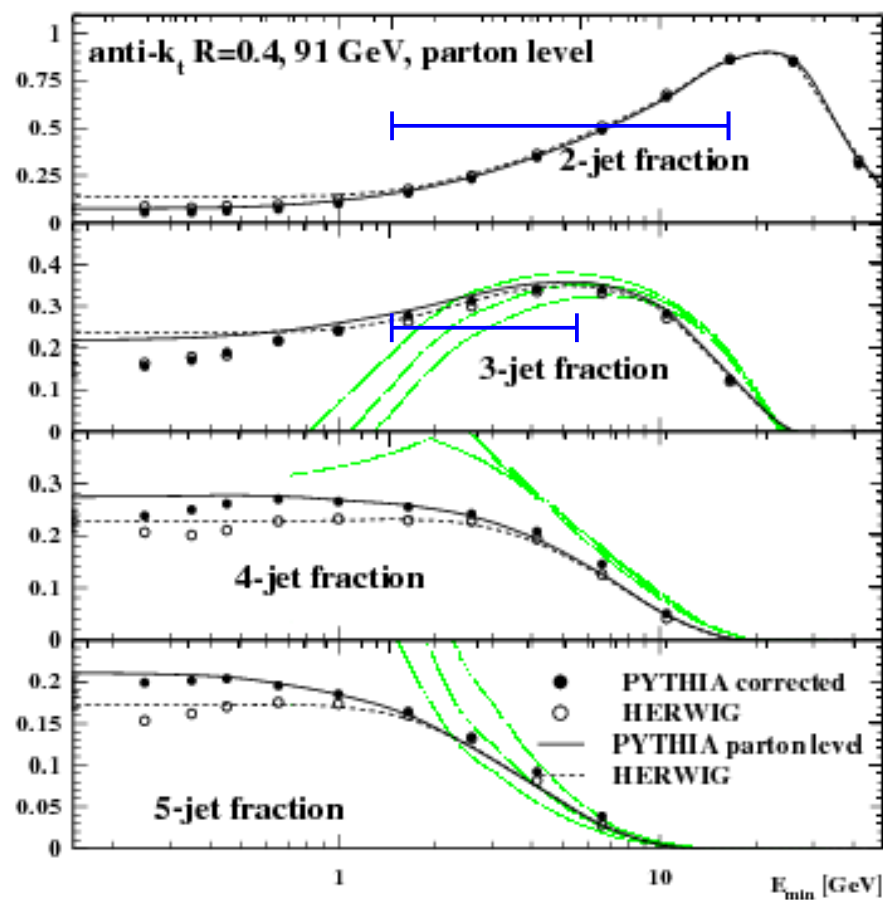
Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

# anti- $k_t$ algorithm $R=0.7$ on parton level



Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

# anti- $k_t$ algorithm $R=0.4$ on parton level +prediction

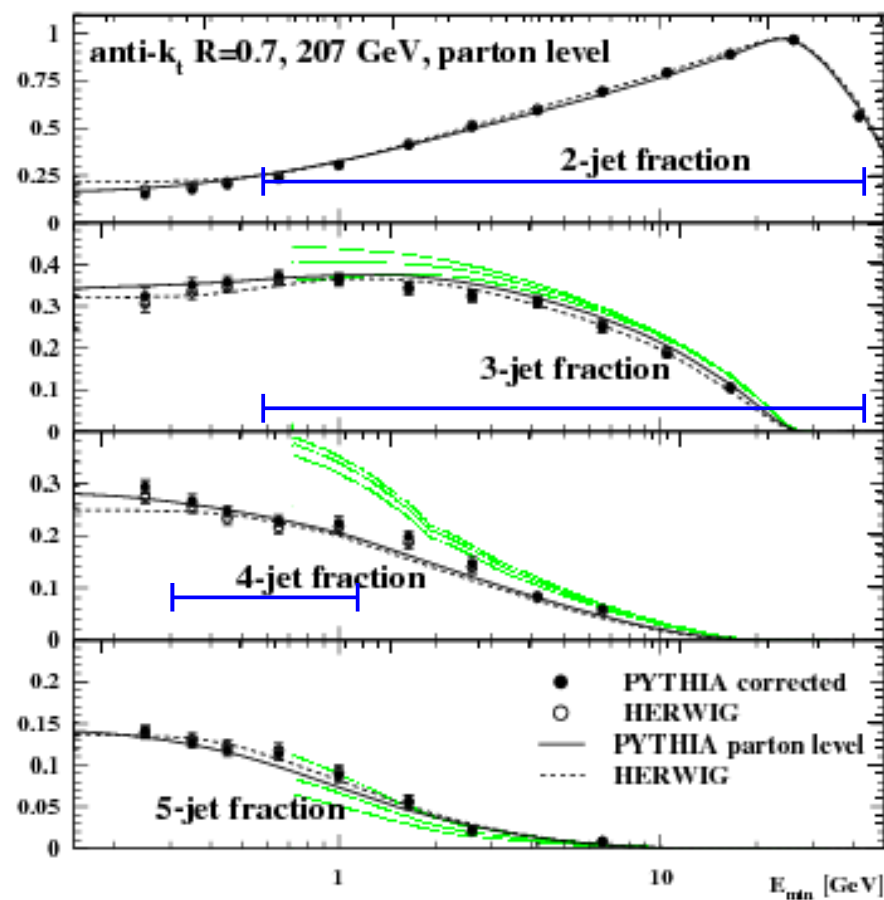
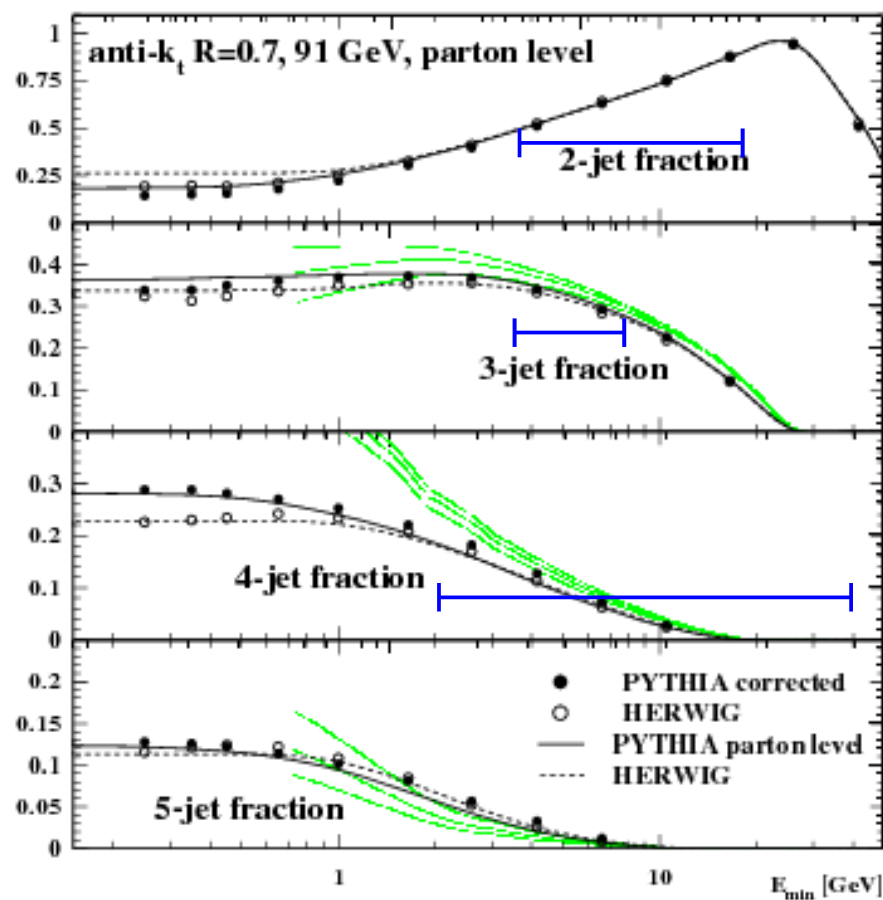


Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

Corrections < 20 %  $x_{\mu}=0.5, 1.0, 2.0$



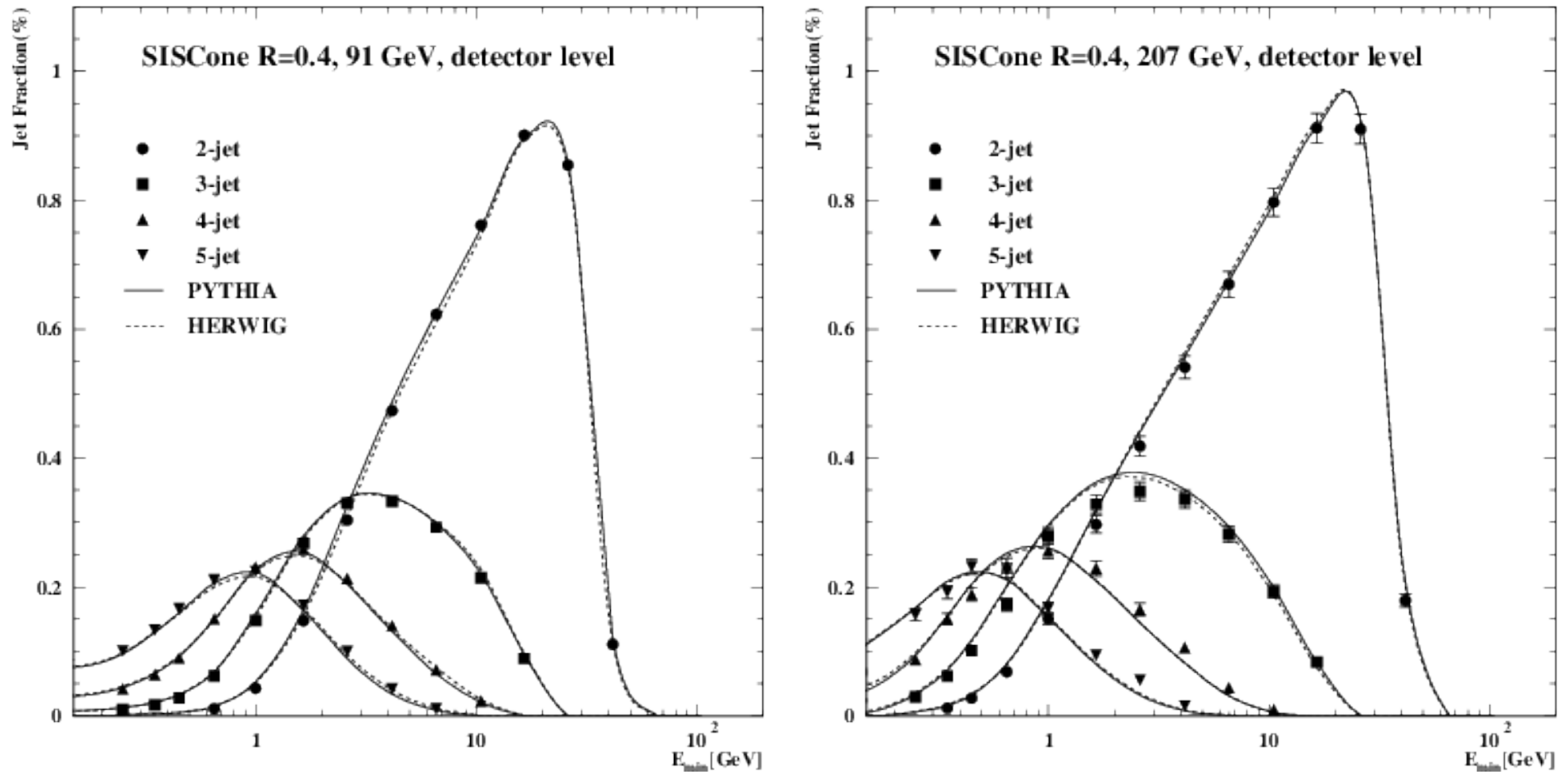
# anti- $k_t$ algorithm $R=0.7$ on parton level +prediction



Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

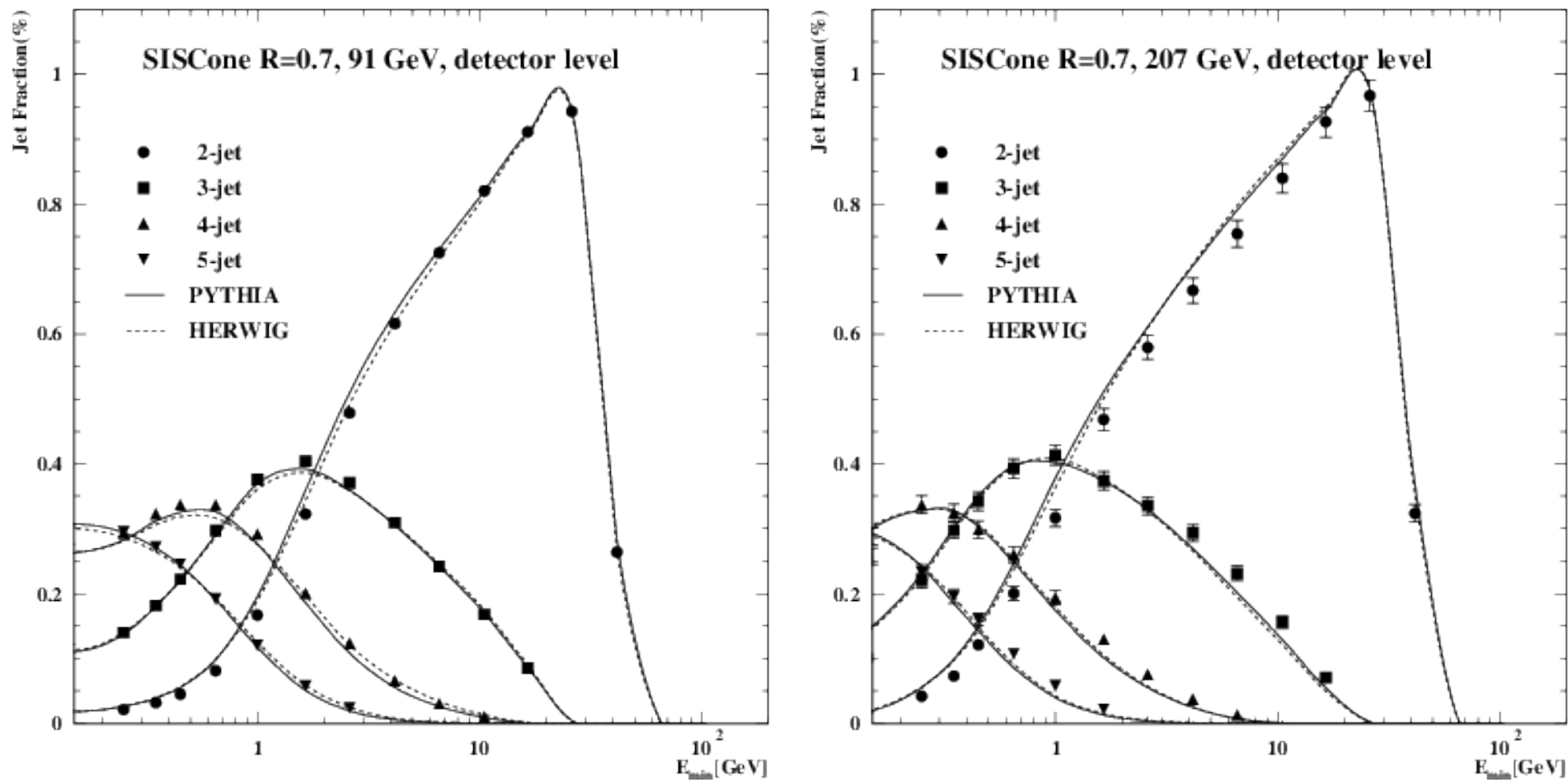
Corrections < 20 %  $x_{\mu}=0.5, 1.0, 2.0$

# Measurement: SIScone algorithm $R=0.4$ on detector level



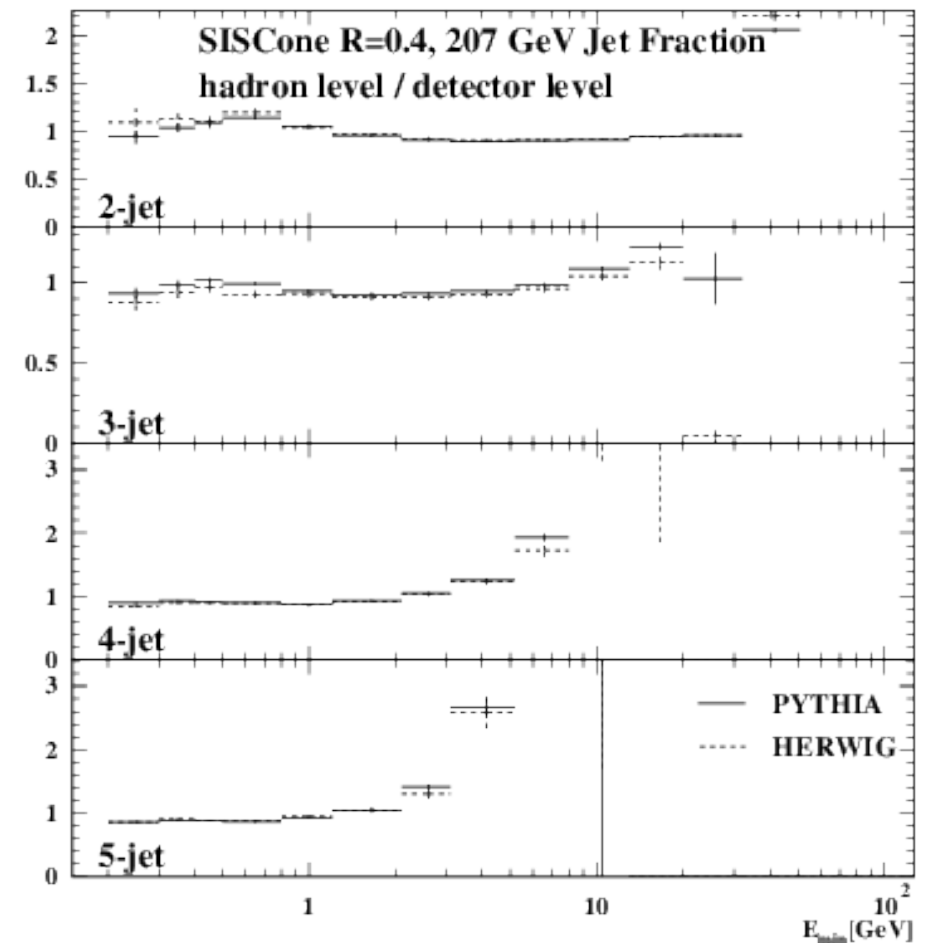
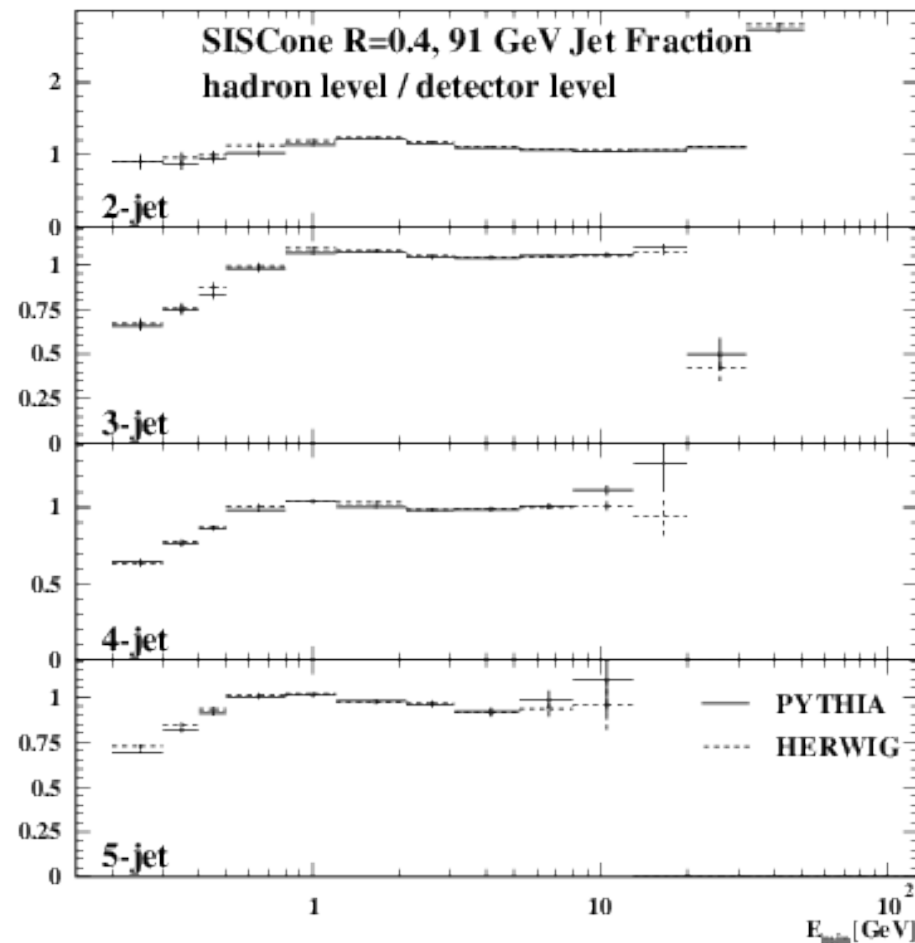
Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

# Measurement: SIScone algorithm R=0.7 on detector level



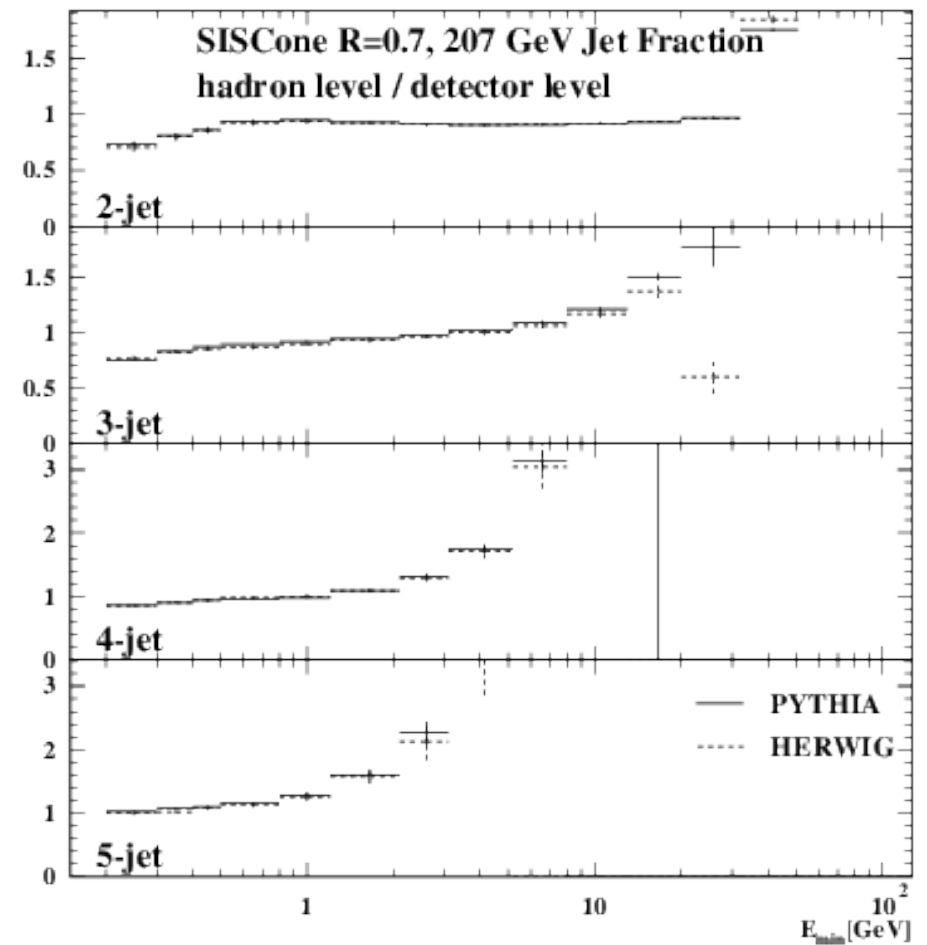
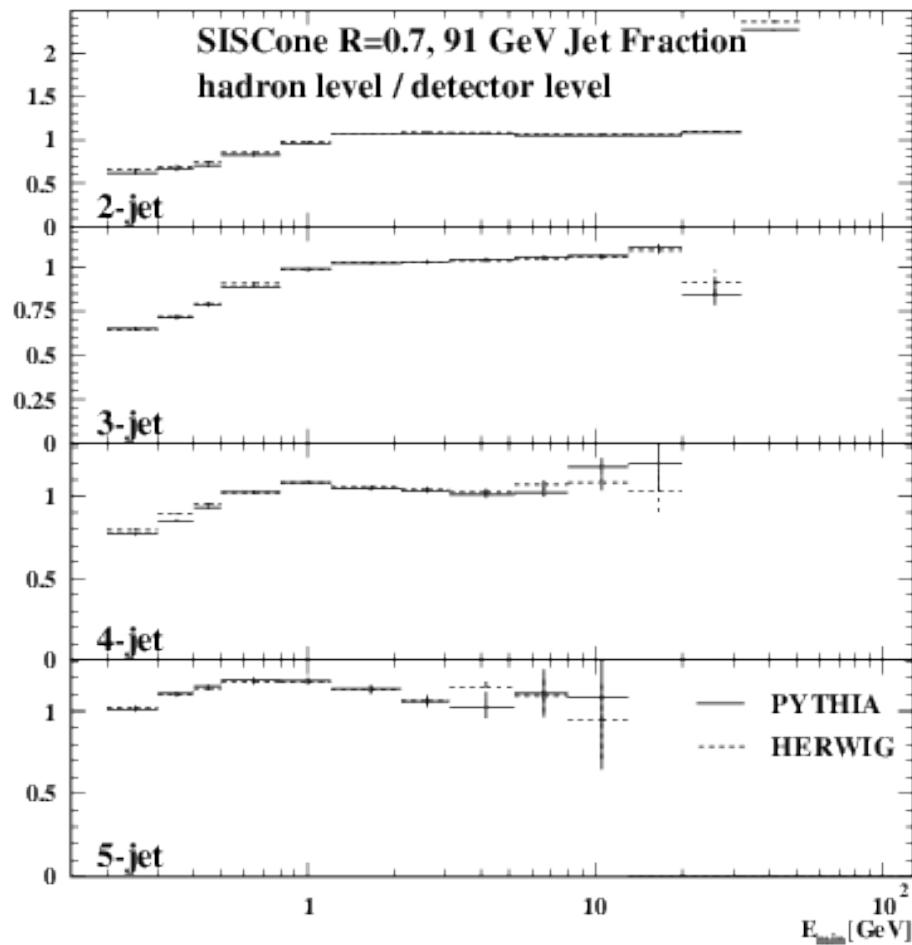
Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

# Detector correction: SIScone algorithm R=0.4



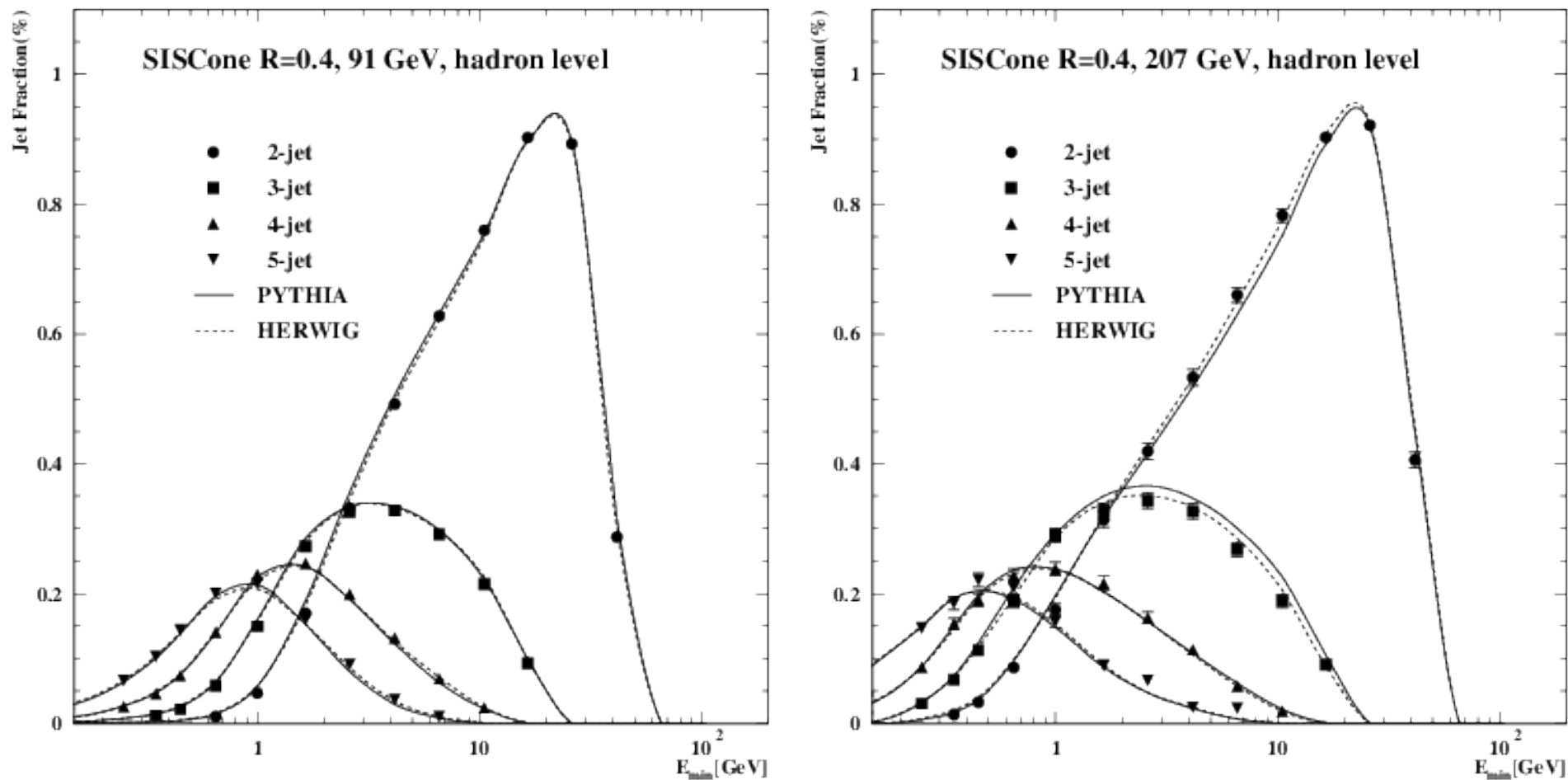
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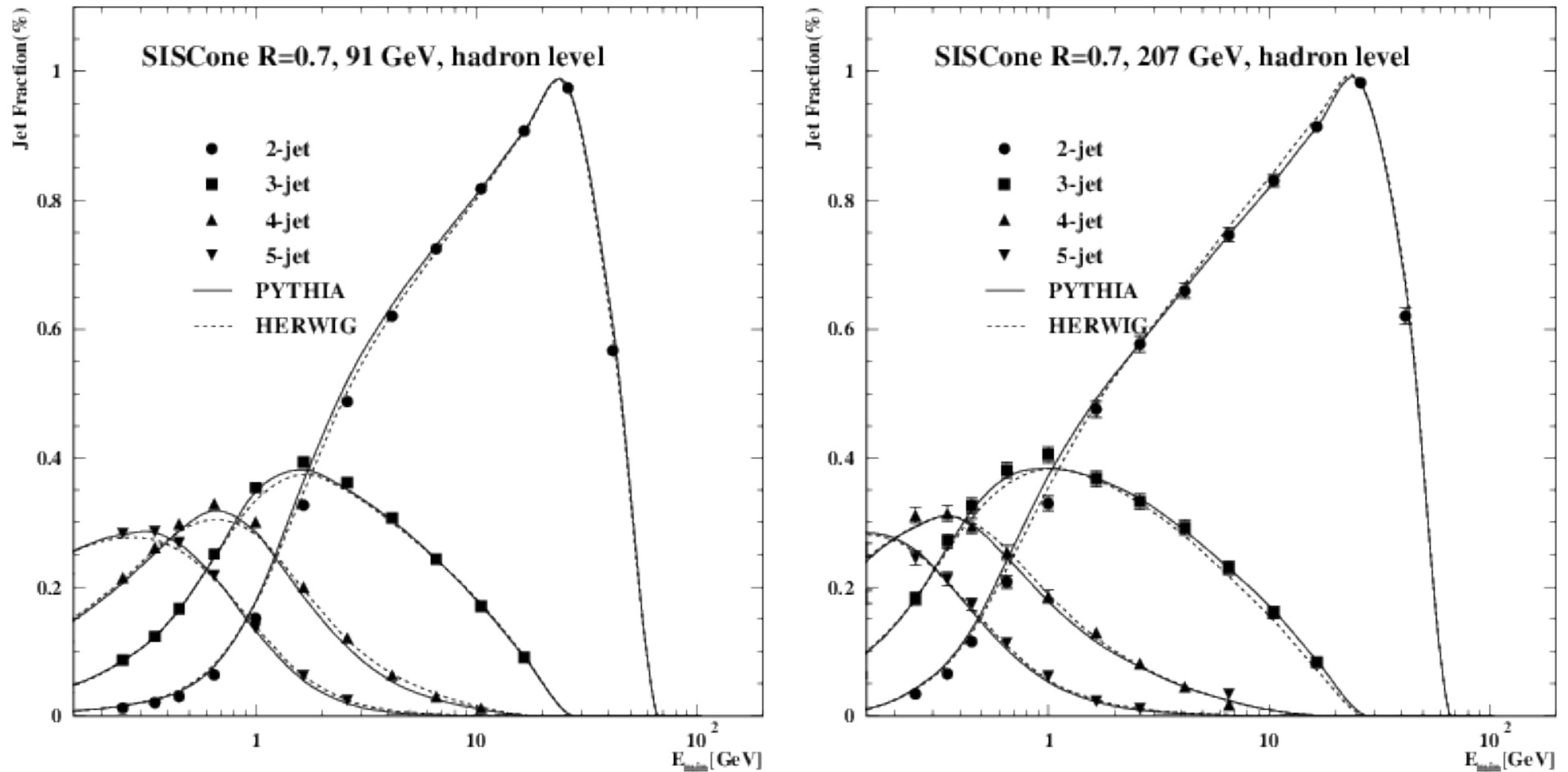
Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

# Measurement: SISCone algorithm $R=0.4$ on hadron level



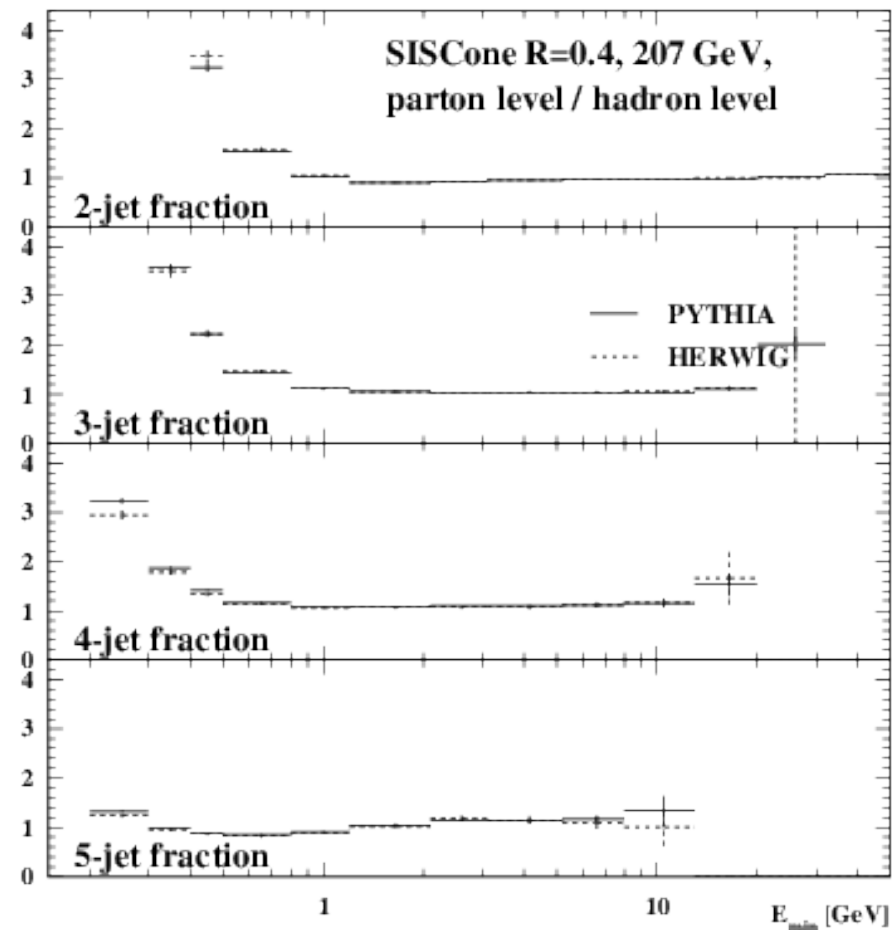
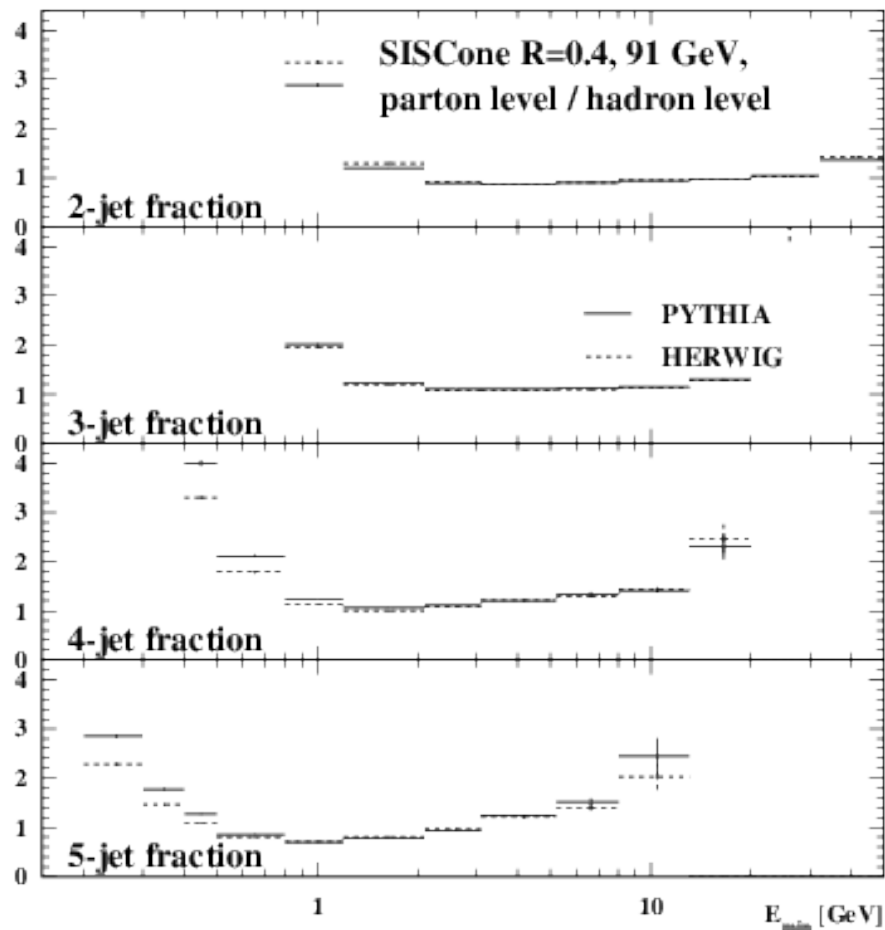
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Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

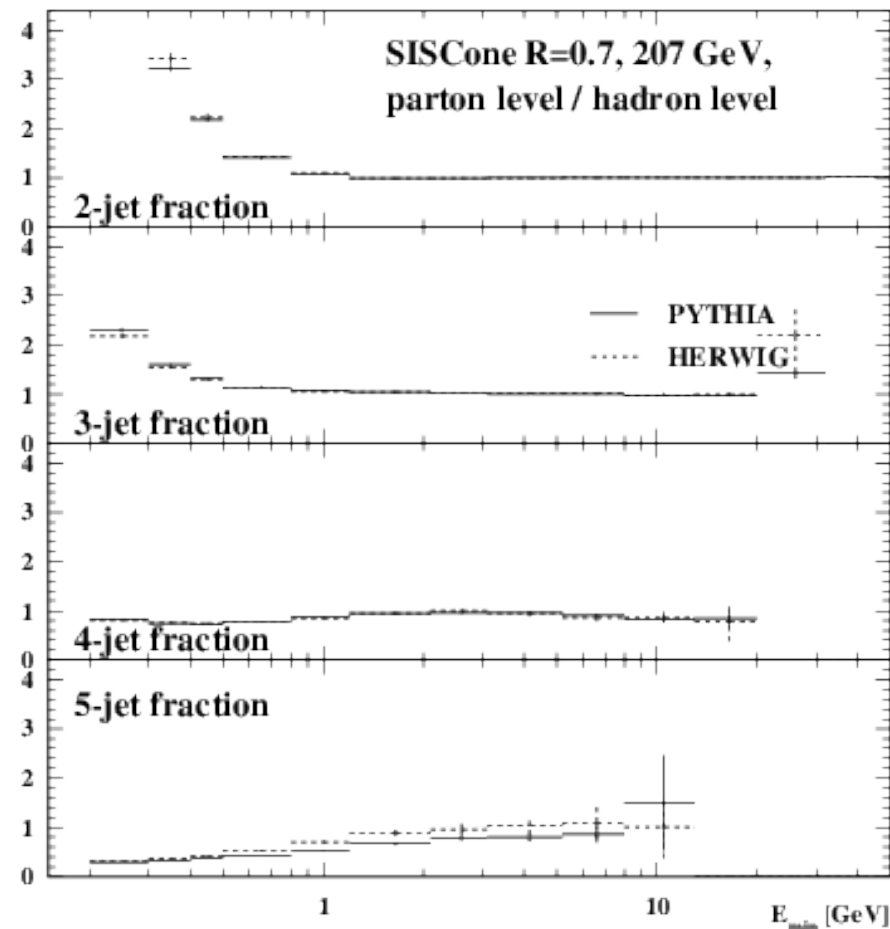
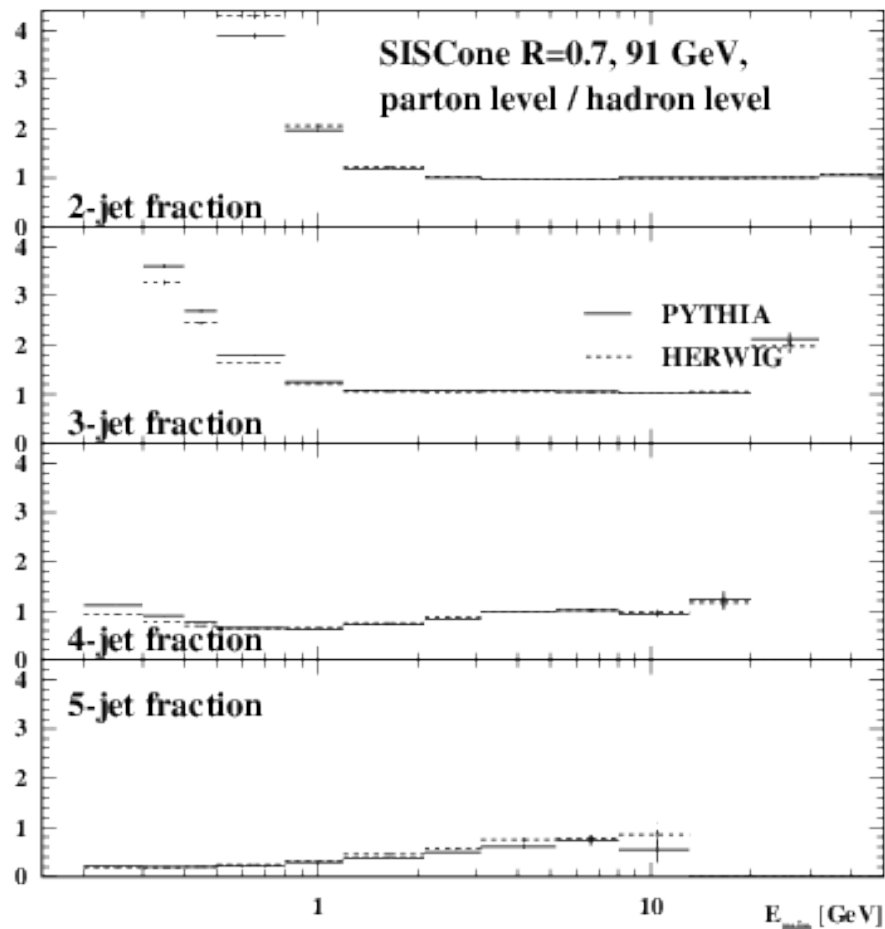
# Hadronisation correction: SIScone algorithm R=0.4



Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

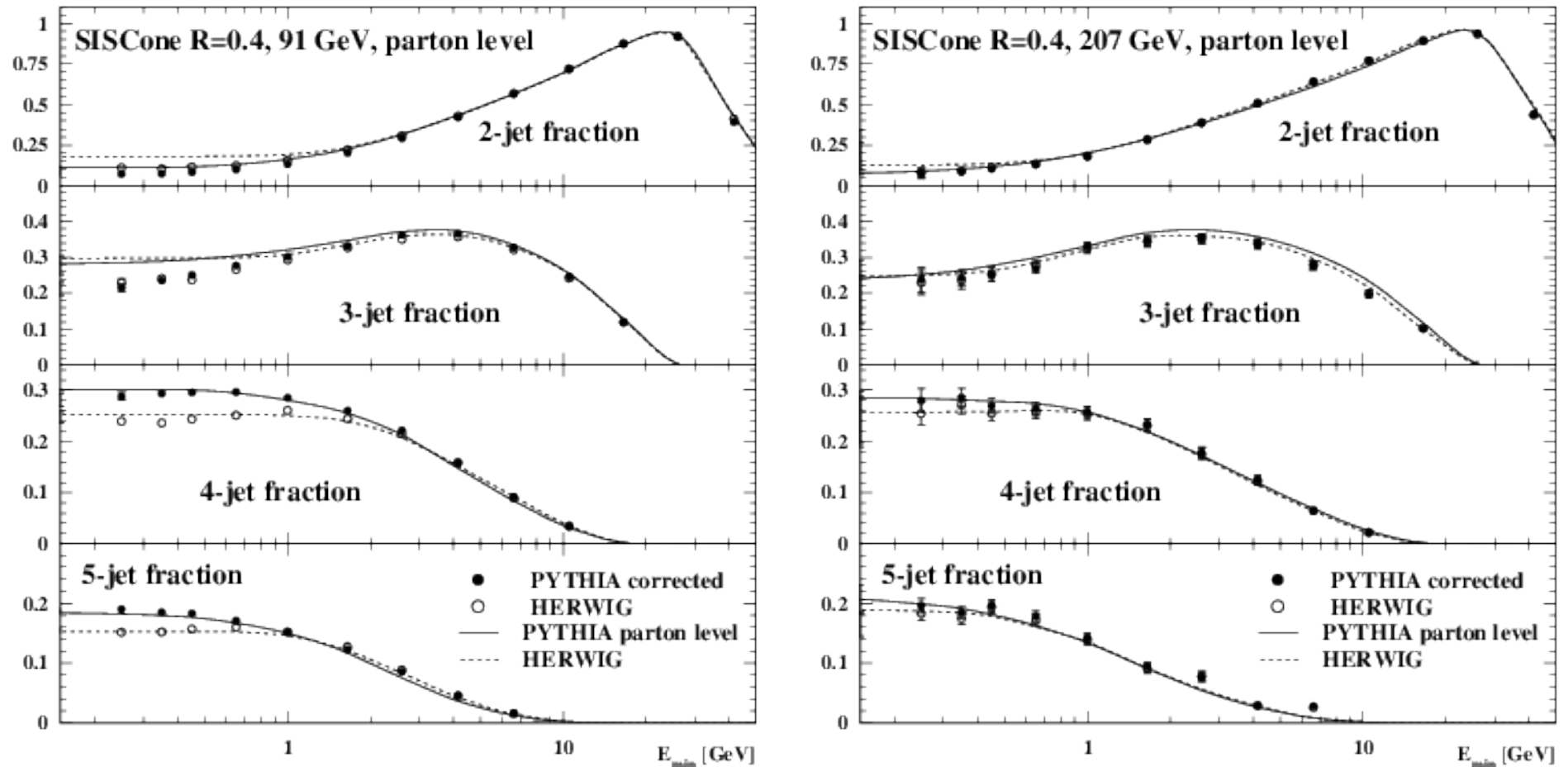


# Hadronisation correction: SIScone algorithm R=0.7



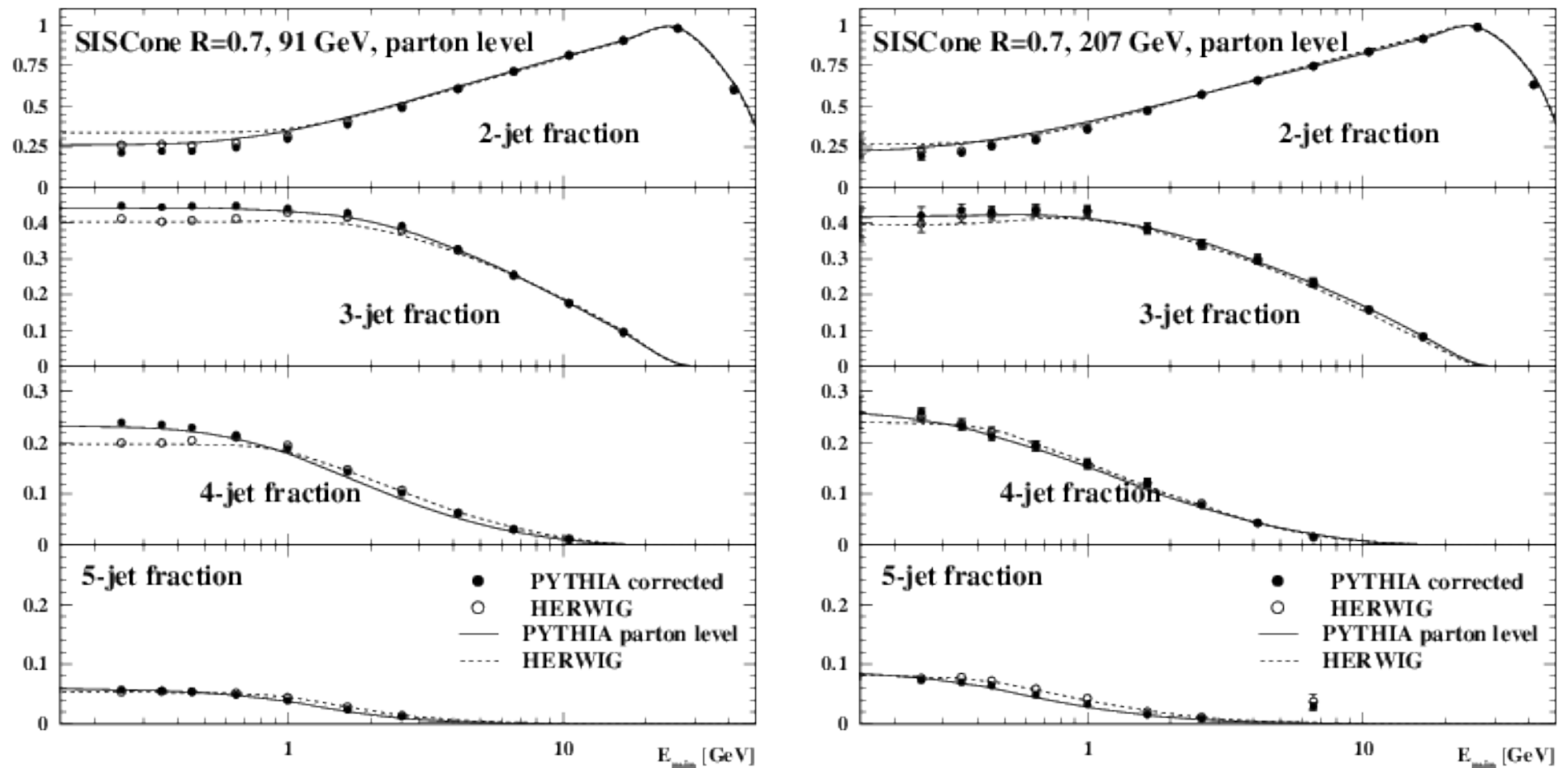
Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

# SISCone algorithm $R=0.4$ on parton level



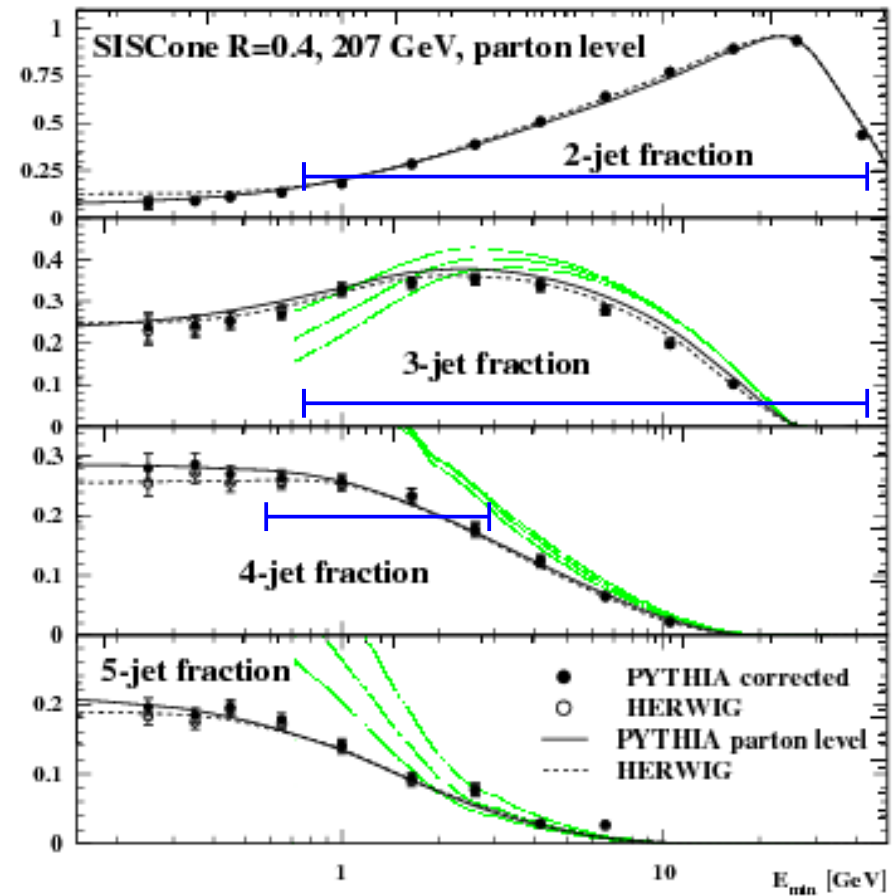
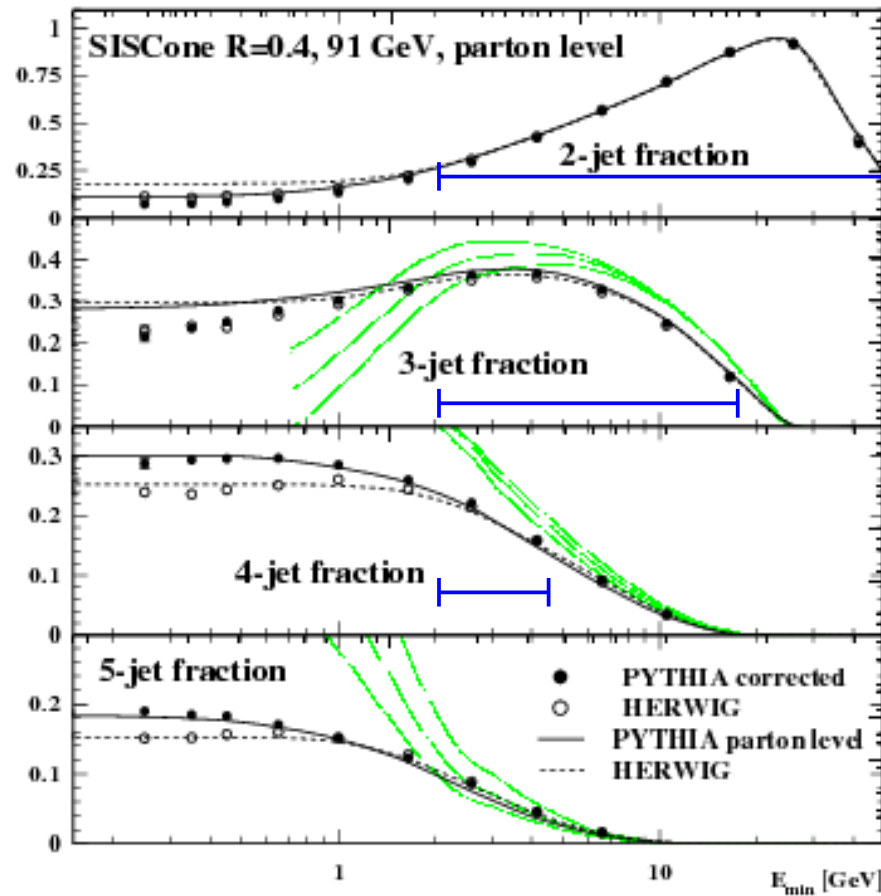
Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

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Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

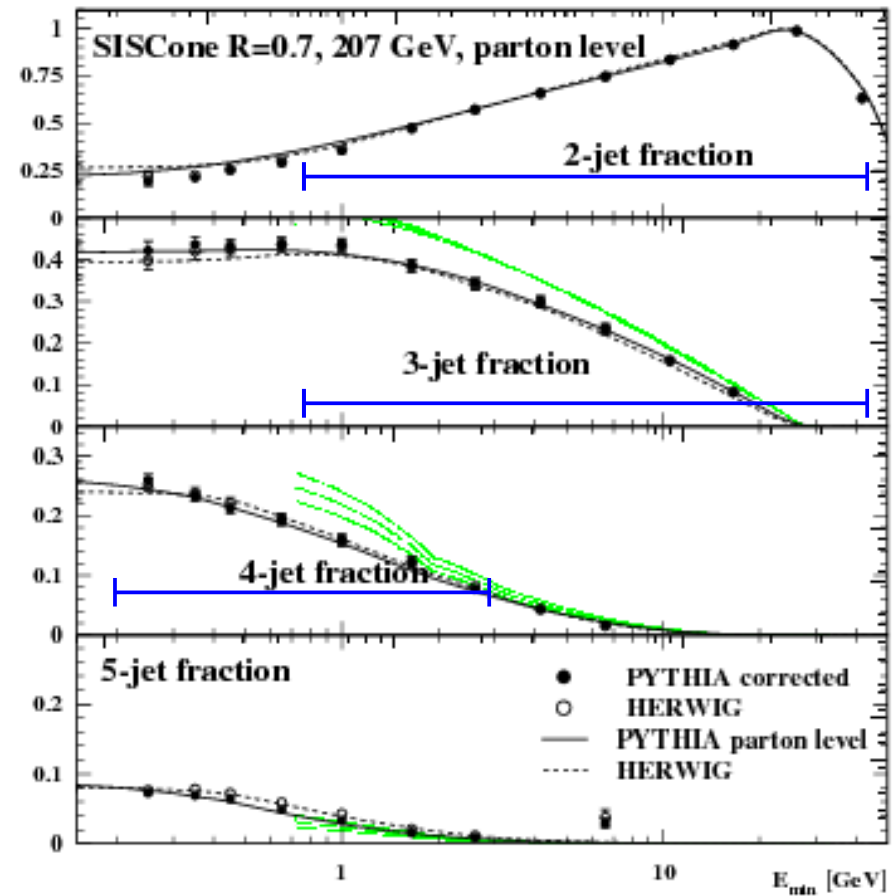
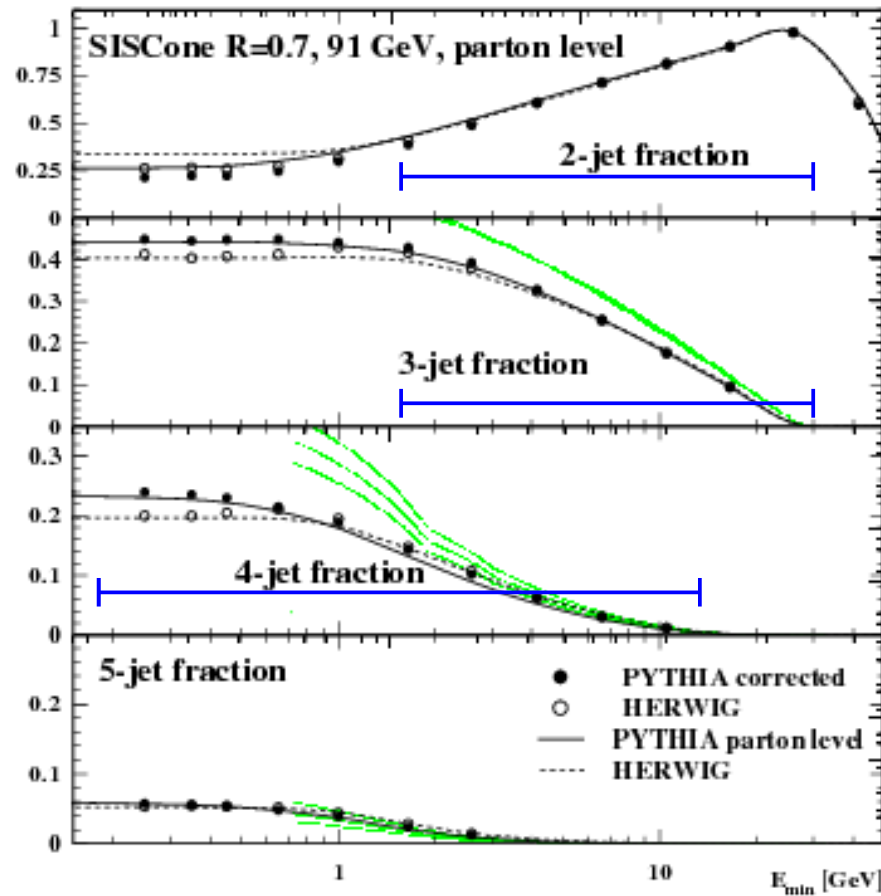
# SISCone algorithm $R=0.4$ on parton level + prediction



Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

Corrections < 20 %  $x_u = 0.5, 1.0, 2.0$

# SISCone algorithm $R=0.7$ on parton level +prediction



Jet fraction vs. absolute  $E_{\min}$  cut [GeV]

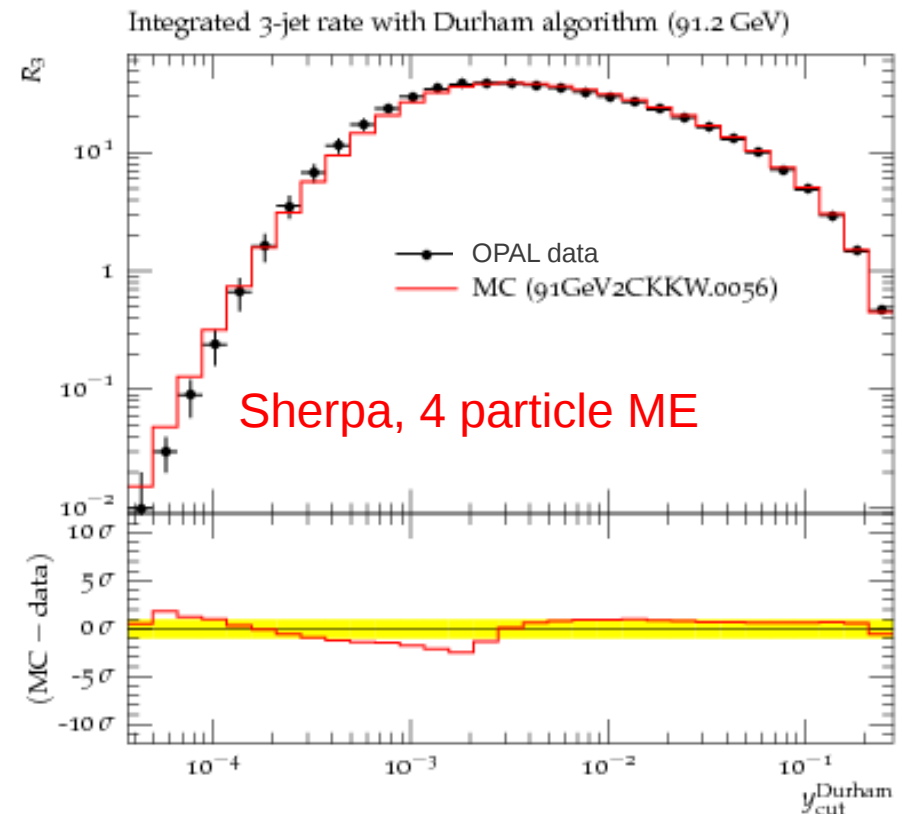
Corrections  $< 20\%$   $x_u = 0.5, 1.0, 2.0$

# Conclusion

- Inclusive 2-5 jet rates measured with anti- $k_t$  and SISCone algorithms, for radii 0.4, 0.5, 0.6, 0.7, in dependence of  $E_{\min}$
- Detector- and hadronisation corrections smallest for  $E_{\min} \sim 2\text{GeV}$ , studies  $E_{\min} = 7\text{GeV}$  (my first talk) not adequate
- Suitable fit ranges for
  - Anti- $k_t$  : 2- and 3-jet rates
  - SISCone: 2-, 3- and 4-jet rates
- Three- to five-jet rates : Theory implemented and compared qualitatively with the data (two-jet soon)
  - Agreement in suitable  $E_{\min}$  ranges
  - Theory uncertainties smaller for higher  $E_{\min} \sim 5\text{ GeV}$

# Further Steps: Hadronisation correction

- Hadronisation correction employing modern Monte Carlo generator SHERPA – reliable perturbative treatment of high multiplicities + parton shower (with Jan Winter, Frank Siegert, Hendrik Hoeth)
- OPAL tune via PROFESSOR – will discuss inputs soon !



# Further Steps : Which Analyses ?

- Proposal Stefan Kluth :
  - Study more radius values  $\sim 0.2\text{--}0.9$ . In case small corrections are found : Ask Stefan Weinzierl for calculations
  - Study differential distributions (my 1st talk) with  $E_{\min} \sim 2 \text{ GeV}$ , ask Stefan Weinzierl for calculations
- My Proposal :
  - Stick to analogy with hadron collider studies
  - Avoid further theory iterations