

## Hinchliffe's Rule



# The Fermi Lines 

Are they real?


## Hinchliffe's Rule:

If the title is a question, the answer is ' $n o$ '.

IS HINCHLIFFE'S RULE TRUE? •

## Boris Peon


#### Abstract

Hinchliffe has asserted that whenever the title of a paper is a question with a yes/no answer, the answer is always no. This paper demonstrates that Hinchliffe's assertion is false, but only if it is true.


## Fermi-LAT



## Disclaimer l've been doing collider physics....

Search for resonant top plus jet production in $t \bar{t}+$ jets events with detector in $p p$ collisions at $\sqrt{s}=7 \mathrm{TeV}$

Measurement of $Z Z$ production in $p p$ collisions at $\sqrt{\mathrm{s}}=7 \mathrm{TeV}$ and limits on anomalous $Z Z Z$ and $Z Z$ ? couplings with the ATLAS detector

Search for a heavy particle decaying to a top quark and a light quark in $p \bar{p}$ collisions at $\sqrt{s}=1.96 \mathrm{TeV}$

Search for pair-produced heavy quarks decaying to $\boldsymbol{W q}$ in the two-lepton channel at $\sqrt{s}=7 \mathrm{TeV}$ with the ATLAS detector

Search for same-sign top-quark production and fourth-generation down-type quarks in $p p$ collisions : $\sqrt{s}=7 \mathrm{TeV}$ with the ATLAS detector

Search for Dark Matter Candidates and Large Extra Dimensions in event photon and missing transverse momentum in $p p$ collision data at $\sqrt{s}=7 \mathrm{Te}$

ATLAS detector

Triangulating an exotic $T$ quark
Search for a heavy vector boson decaying to two gluons in $p \bar{p}$ collisions at $\sqrt{s}=1.96 \mathrm{TeV}$

Search for down-type fourth generation quarks with the ATLAS detector in events with one lepton and hadronically decaying $W$ bosons

## Outline

I. One line or two?
II. Source of the photons
III. Instrumental features

## Lines



$$
E_{\gamma}=m_{\chi}
$$

## Two lines, or not two lines?




$$
E_{\gamma}=m_{\chi}\left(1-\frac{M_{Y}^{2}}{4 m_{\chi}^{2}}\right)
$$

## Analysis

Two-line fit


Reg3 (ULTRACLEAN), $E_{\gamma}=129.6 \mathrm{GeV}$

$m_{x}=145$
$E_{Y}=130(\mathrm{YZ})$
$m_{x}=130$
$\mathrm{E}_{\mathrm{Y}}=110(\mathrm{YZ})$
$\mathrm{E}_{\mathrm{Y}}=130$ ( Y )

$$
\begin{aligned}
& m_{x}=130 \\
& E_{Y}=130(\mathrm{ry})
\end{aligned}
$$



Rajaraman, Tait, DW 1205.4723

## Source of the photons

## Where are they from?





NFW density profile centered at $(\ell, b)=\left(-1.5^{\circ}, 0^{\circ}\right)$

## Finkbiener\&Su 1206.1616

## The photons


$+125<$ Reco $\mathrm{E}_{\gamma}<135 \mathrm{GeV}$
$+105<$ Reco $\mathrm{E}_{\gamma}<115 \mathrm{GeV}$

Following results use a 3-degree circle. Results are ~ the same for larger regions

Rao \& DW 1210.4934

## Locations

## Rao \& DW 1210.4934



130 GeV Feature

+ Most likely position
--.-- $1 \sigma$ region
- $2 \sigma$ region

110 GeV Feature

+ Most likely position
..... $1 \sigma$ region
- $2 \sigma$ region

110+130 GeV Feature
$\star$ Most likely position
---.-1 $1 \sigma$ region

- $2 \sigma$ region


## Zoom: 1 sigma

## Rao \& DW 1210.4934



## Hypothesis tests

(1,b) fit far from GC $q \rightarrow$ negative

$$
q=-2 \log \frac{L(l=\hat{l}, b=\hat{b})}{L(l=0, b=0)}
$$

$(1, b)$ fit is close to 0,0
$q \rightarrow$ zero


## Locations

## Conclusion:

The photon locations are easily consistent with a single DM halo at the GC

## Instrumental issues

## photons



Could the peak photons be spurious? Are they different in some way?

## First idea

One-line fit


Isolate signal photons
Use energy cut
But
$S / B$ is not large.
Few signal photons.
Can we do better?

## sPlots

## discriminating <br> variable

## background

 signal
data


## sPlots

discriminating<br>variable

(pdfs factorize)

## background


unfolding variable

## signal


data


## sPlots

## discriminating <br> variable

## background


signal
(pdfs factorize)


## sPlots

$f_{\text {peak }}(x, y)=\frac{1}{\sqrt{2 \pi}} e^{-\frac{1}{2}(y-5)^{2}} \times \frac{10-x}{50}$



$$
f_{\text {non-peak }}(x, y)=\frac{x}{50}
$$

Whiteson 1208.3677


## sPlots

## Also works in a non-linear case!



## Performance




For true photon energy of 130 GeV

## Results



- incident angle $\theta$, measured with respect to the topface normal of the LAT,

- azimuth angle $\phi$, measured with respect to the topface normal of the LAT, folded as described in Eq. (15) of Ref. [11].


## variables




## Whiteson

1208.3677

## External issues?




Whiteson
1208.3677

- the magnetic field in which the LAT is immersed, as parameterized by the McIlwain $B$ and $L$ parameters [14],


## Reconstruction




Whiteson
1208.3677



## Other sources

## Earth's limb is a powerful control region.

Are there other regions?

## Ołher sources



Earth's limb is a powerful control region.

Are there other regions?
The Sun!

## Solar region



## Find galactic coord of solar photons



## Solar region




Find galactic coord of solar photons


## Solar region



## Find galactic coord of solar photons



## Common features

(1) Find common values of instr. variables across peaks: GC / Limb / Sun
(2) Examine remainder of sky

Do those instrumental features produce a peak at 130?

GC

## Sun

## Sky-GC-Sun



## DNA ...



## Common features?




Limb


## Limb



Sun


Sun



GC


## Sun



## Limb



Sky-GC-Sun
Sky-GC-Sun, All



## theta

GC


Gal. Center, $\theta \in[30,45] \mathrm{deg}$

Theta [30,45]

Sun



Limb


Limb, $\theta \in[30,45]$ deg


Sky-GC-Sun
Sky-GC-Sun, All


Sky-GC-Sun, $\theta \in[30,45]$ deg



## theta

## GC



Gal. Center, $\theta \in[30,45]$ deg

Theta [30,45]

Sun



Limb


Limb, $\theta \in[30,45]$ deg


Sky-GC-Sun
Sky-GC-Sun, All


Sky-GC-Sun, $\theta \in[30,45]$ deg


## Discussion

## Theta restriction

- reveals Limb peak, feature in Sky-GC-Sun
- reduces GC, Solar peaks

What is going on? One possibility:

- correlation of Theta and some other not-yet-identified var X
- Sun/Limb/GC sweep out different paths in theta-X space
- particular geometry of Limb correlated to other variable X, effectively restricts Theta
- we see a hint in the sky spectrum just from theta if we could identify X , might enhance feature in sky


## Conclusions

## Supporting evidence

Features

- strong stat power

Locations

- consistent with GC

No clear instrumental issue

- identified so far


## Concerns

Background assumptions

- fair to assume featureless?

No Continuum

- requires some theory gymnastics

Limb, solar, sky signals

- needs resolution
- some strange theta issues


## Backup

## Lines!



## Other thetas: 0-30



## Other thetas: 45-60



Sky_G_G-Sun

Limb, $\operatorname{Not}(\theta \in[45,60]$ deg $)$



Sky-GC-Sun, $\operatorname{Not}(\theta \in[45,60] \operatorname{deg})$


## Sun binning




## Sun Zoom

## deltaR<5





## sPlots

Given pdfs for two sources $f_{1}(y)$, and $f_{2}(y)$ in the discriminating variable $y$, one can construct a histogram in another unfolding variable $x$ using weights for each source class, $s P_{1}$ and $s P_{2}$, defined as:

$$
\begin{aligned}
s P_{1}(y) & =\frac{\mathbf{V}_{11} f_{1}(y)+\mathbf{V}_{12} f_{2}(y)}{N_{1} f_{1}(y)+N_{2} f_{2}(y)} \\
s P_{2}(y) & =\frac{\mathbf{V}_{21} f_{1}(y)+\mathbf{V}_{22} f_{2}(y)}{N_{1} f_{1}(y)+N_{2} f_{2}(y)} \\
\mathbf{V}_{a b}^{-1} & =\sum_{i=1}^{N} \frac{\left(N_{1}+N_{2}\right) f_{a}\left(y_{i}\right) f_{b}\left(y_{i}\right)}{\left(N_{1} f_{1}\left(y_{i}\right)+N_{2} f_{2}\left(y_{i}\right)\right)^{2}}
\end{aligned}
$$

## Questions

- Are the two features consistent with emission from a single source?
- Are the features consistent with emission from a dark matter halo at the galactic center?


## Hypothesis tests

(1,b) fit far from GC $\mathrm{q} \rightarrow$ negative

$$
q=-2 \log \frac{L(l=\hat{l}, b=\hat{b})}{L(l=0, b=0)}
$$

(1,b) fit is close to 0,0
$q \rightarrow$ zero


## Hypothesis tests

separate fits are better $q \rightarrow$ larger

## joint fit is better

$q \rightarrow$ smaller


## Sensitivity

## Whiteson

 1208.3677
## Discriminating var



## Unfolding var

Background: flat
Signal: delta func at 0.5


## Sensitivity

Discriminating var


## Unfolding var

Background: flat
Signal: delta func at 0.5


## angles




## Angles





## Angles



## Angles




## Hypothesis tests

## (1,b) fit far from GC

 $q \rightarrow$ negative$$
q=-2 \log \frac{L(l=\hat{l}, b=\hat{b})}{L(l=0, b=0)}
$$

$(1, b)$ fit is close to 0,0
$q \rightarrow$ zero


$$
-2 \log \frac{L_{130}(\uparrow, \hat{b})}{L_{130}(0,0)}
$$



$$
-2 \log \frac{L_{110}(\uparrow, \widehat{b})}{L_{110}(0,0)}
$$

