

# Joint dataset analysis and dark matter constraints from dwarf galaxies

Savvas M. Koushiappas

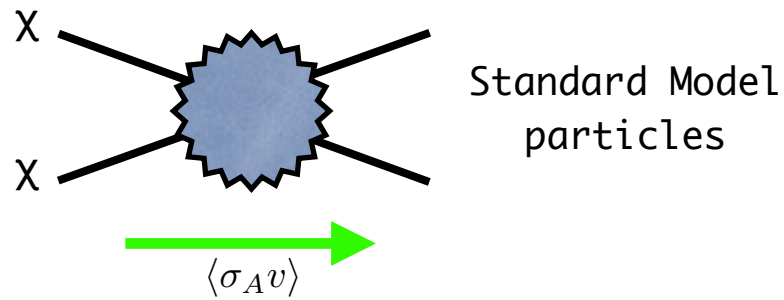




Based on Geringer-Sameth & SMK, PRL 107,241303, 2011, PRD 86, 021302(R), 2012, MNRAS 421, 1813 2011, MNRAS 425, 862 2012.

Alex Geringer-Sameth

**Thanks to Alex for slides**



If it annihilated in the early universe, it annihilates today

Look nearby, in high density regions: Dwarf galaxies

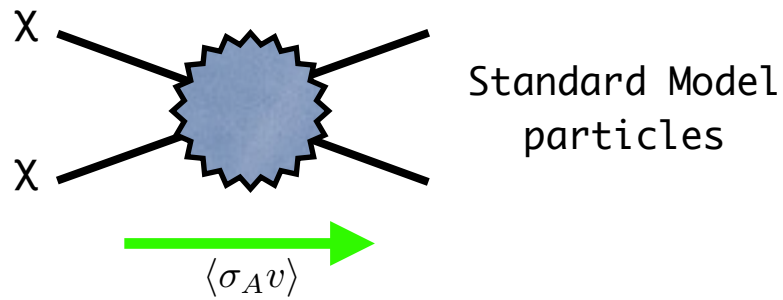


$$\sigma_{\perp} \propto f(v_c) \quad \text{Kinematic data}$$

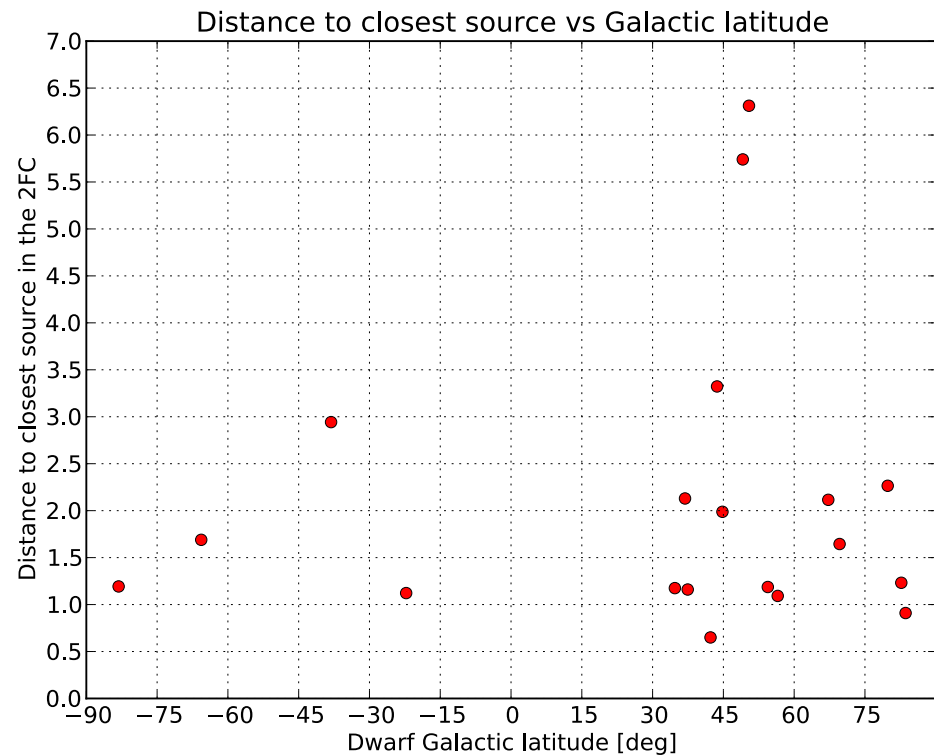
$$v_c \propto f(n[r]) \quad \text{Jeans equation}$$

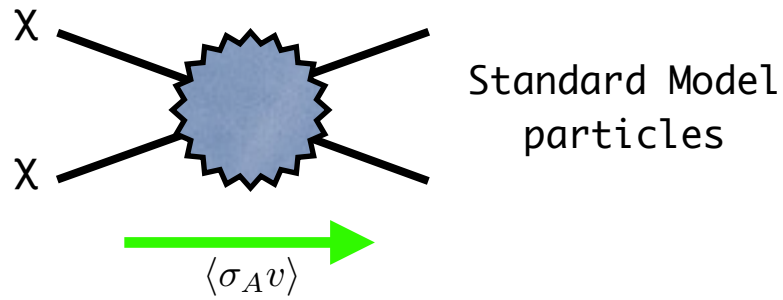
$$\Gamma_{\text{ann}} \propto \left[ \int_{\text{LOS}} n^2(r) d^3r \right]$$

↘ a.k.a.  $J$

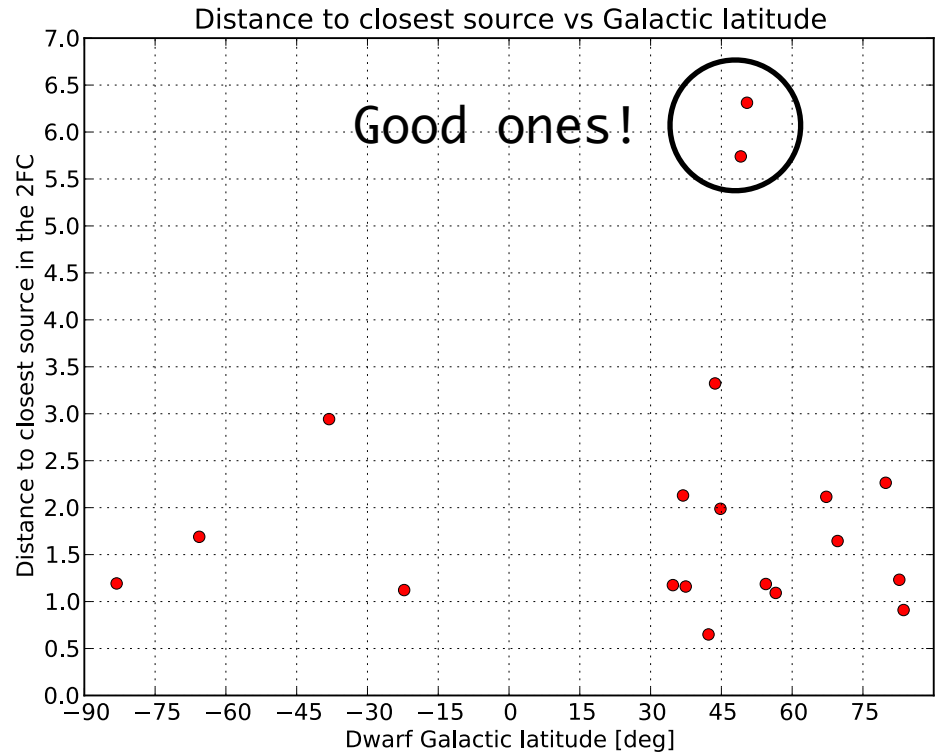


Look nearby, in high density regions: Dwarf galaxies





Look nearby, in high density regions: Dwarf galaxies



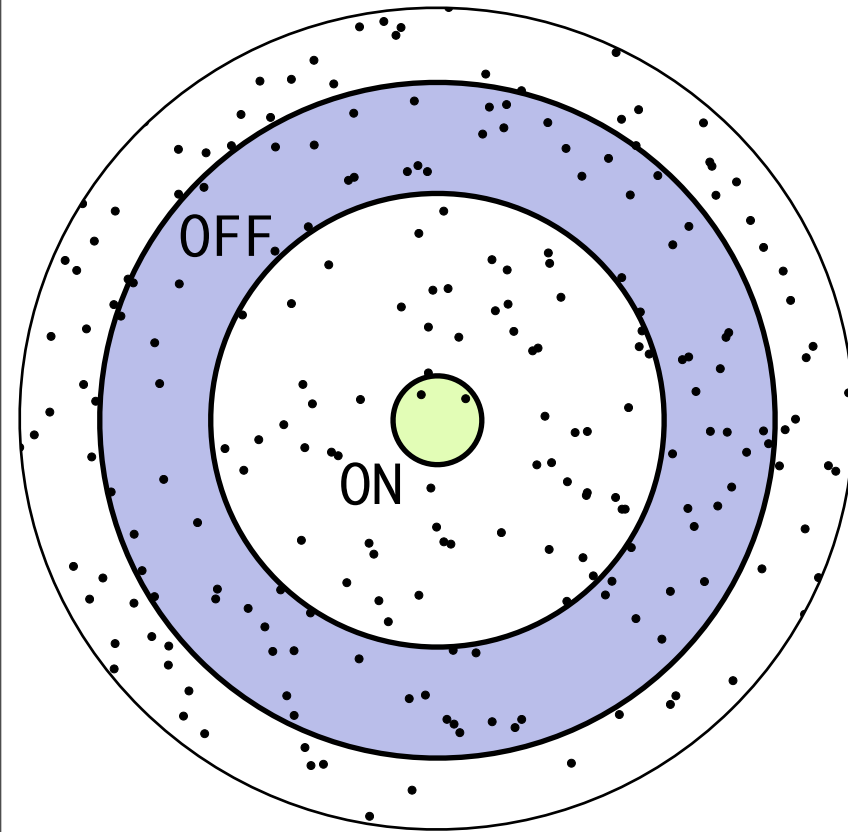
Analysis methods

ON/OFF

Profile likelihood

Photon weighting

# ON/OFF method (ACTs)



## Pros

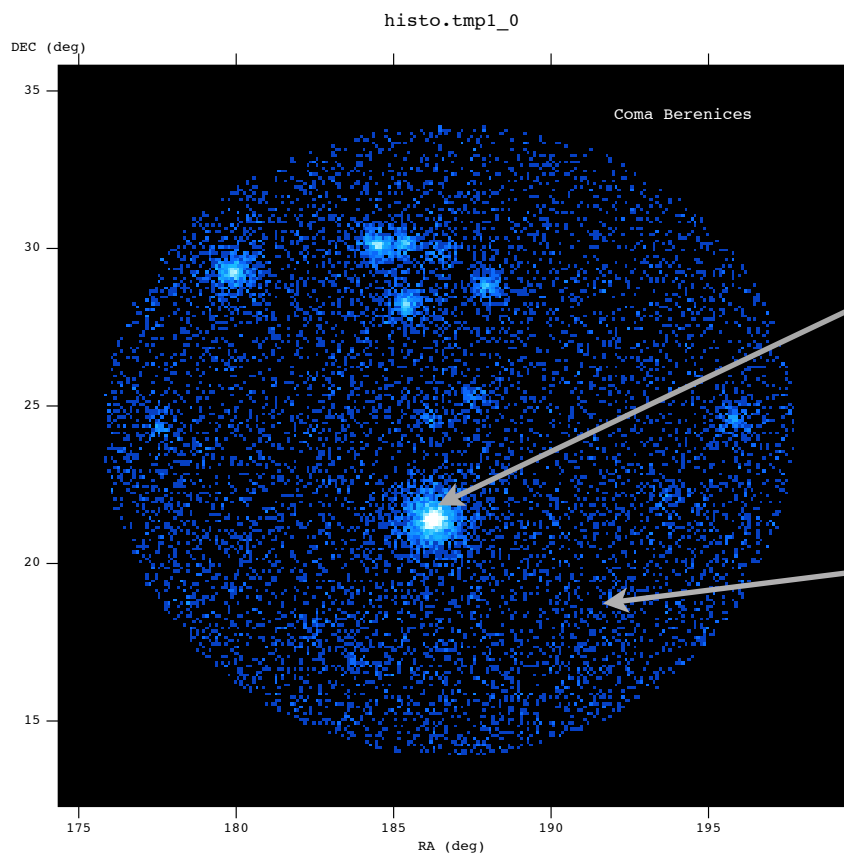
- Model independent

## Cons

- One dwarf at a time
- Assumptions on PDFs
- Ignores energy/spatial info
- Ignores DM spectrum
- Choice of ON radius/energy range
- Nearby sources

# Profile likelihood method (e.g Fermi collaboration studies)

1. Construct a theoretical model which in principle characterizes the background
2. Compute the signal/noise ratio (and place bound)



Background at  
this source

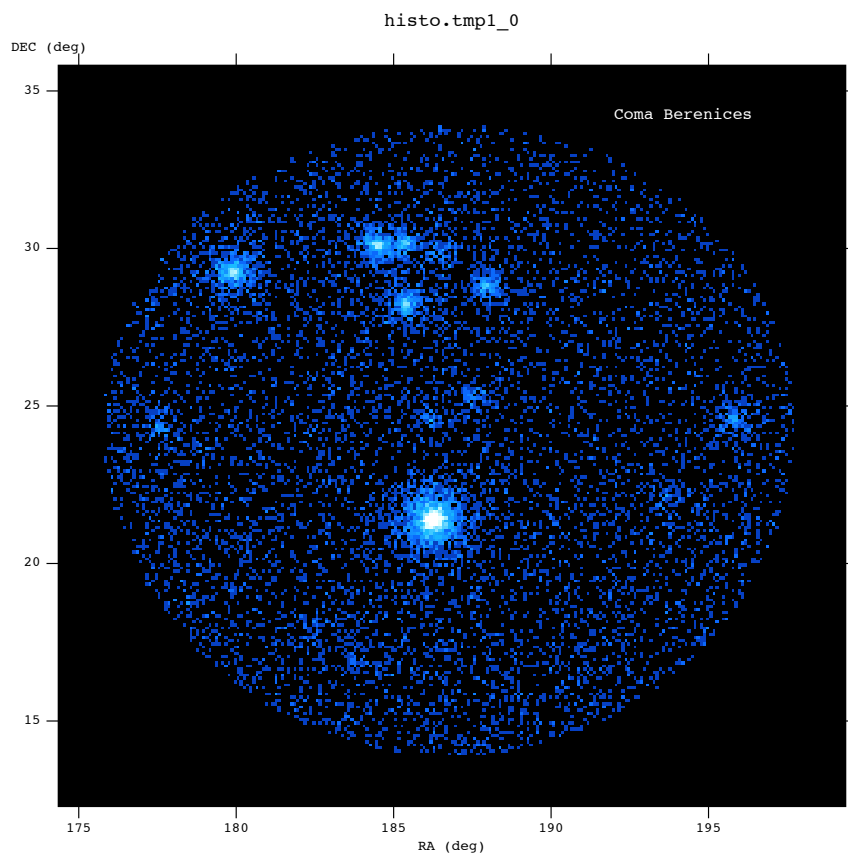
Computed by how much  
one understands this

See also talk by Alex Drlica-Wagner



# Profile likelihood method (e.g Fermi collaboration studies)

1. Construct a theoretical model which in principle characterizes the background
2. Compute the signal/noise ratio (and place bound)



## Pros

- Combined analysis of dwarfs is easy
- Uses all information available
- Handles sources, complicated fields of view

## Cons

- Model dependent (many free parameters)

# Photon weighting

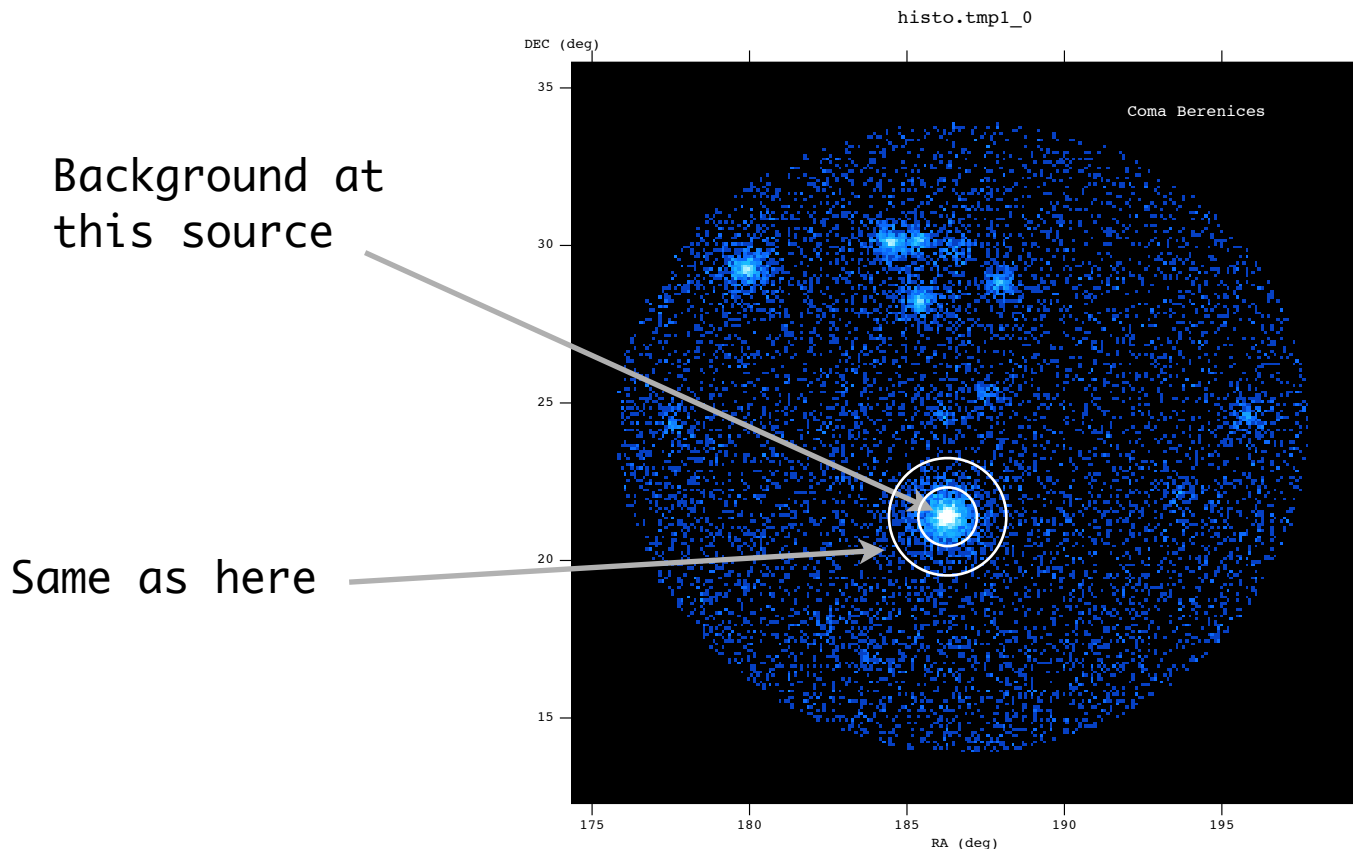
## Main assumption:

Whatever the processes are which give rise to the photon events nearby each source, these same processes are also at work along the direction of the dwarf.

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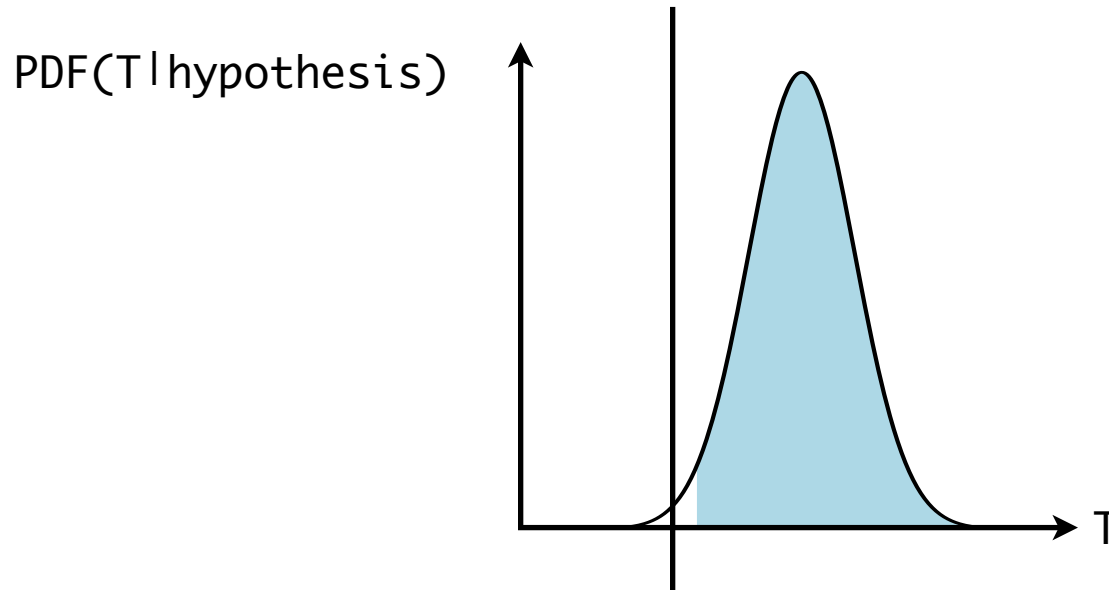


Alex Geringer-Sameth & Koushiappas, PRL 107,241303, 2011 & PRD 86, 021302(R) 2012.

# Searches/Limits = Hypothesis testing



e.g.  $T = \begin{cases} \text{number of photons (ON/OFF)} \\ \text{LR (profile likelihood)} \end{cases}$

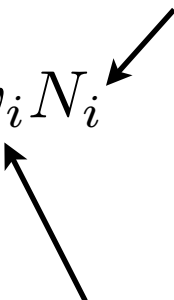


# Choosing a test statistic

Weight dwarfs according  
to expected signal and  
expected background

$$T = \sum_{i \in \text{dwarfs}} w_i N_i$$

observed counts


$$w_i \propto \frac{\text{exposure} \times J}{\text{background}}$$

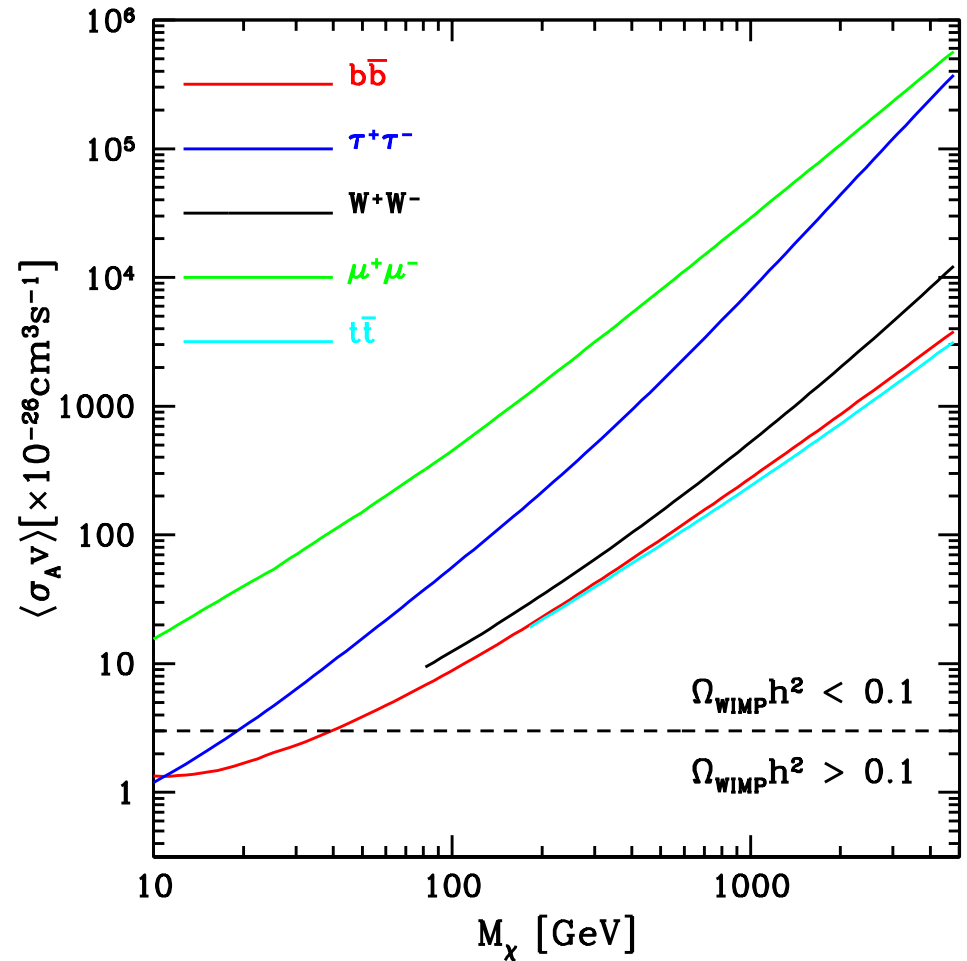
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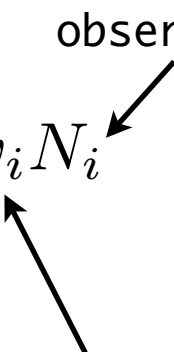


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observed counts

$$w_i \propto \frac{\text{exposure} \times J}{\text{background}}$$


Include spatial and spectral information:

each photon gets a weight

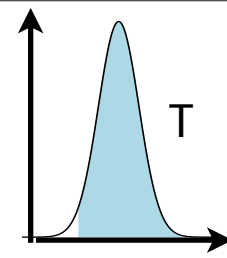
$$T = \sum_{i \in \text{photons}} w(Q_i)$$


sum over all events from all dwarfs

Weight of photon is based on:

- Which dwarf it came from
  - Energy
  - Angular separation from location of dwarf
- }  $Q_i$

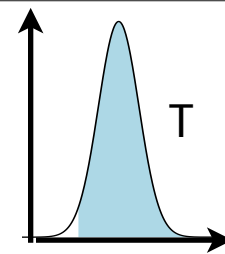
PDF of  $T = \sum_{i \in \text{photons}} w(Q_i)$



$$T = \sum_{\text{dwarfs}} \left\{ \begin{array}{l} \text{weights of DM} \\ \text{photons} \end{array} \right\} + \left\{ \begin{array}{l} \text{weights of bg} \\ \text{photons} \end{array} \right\}$$

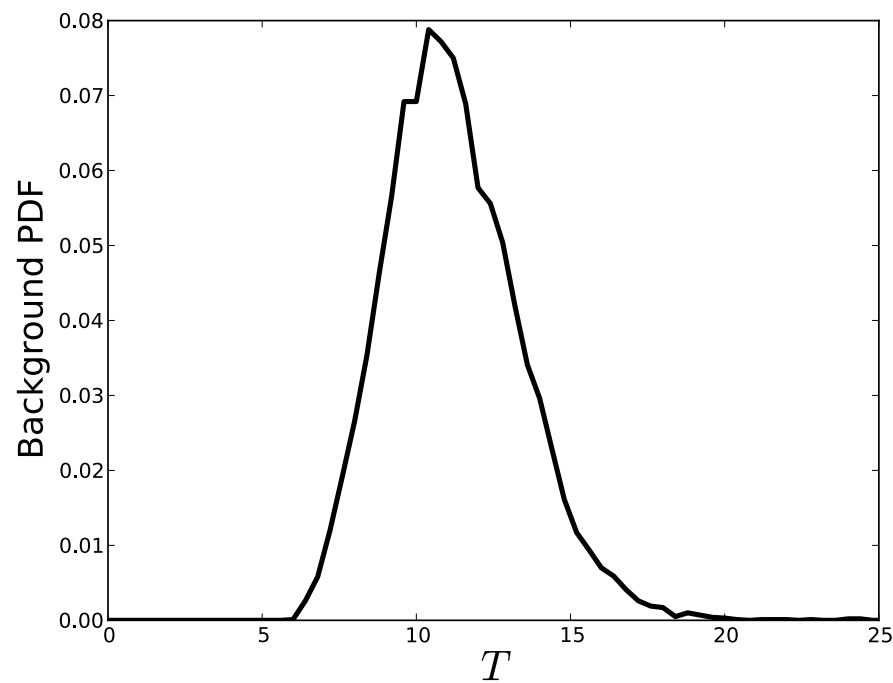
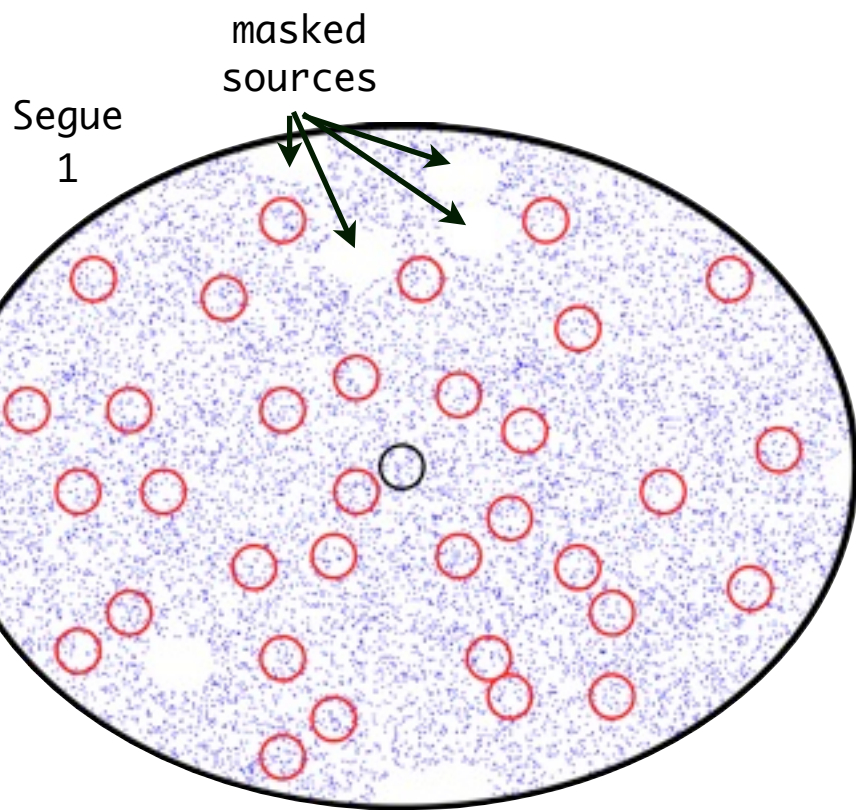


PDF of  $T = \sum_{i \in \text{photons}} w(Q_i)$

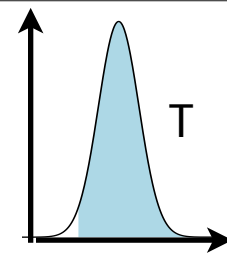


$T = \sum_{\text{dwarfs}} \left\{ \begin{array}{l} \text{weights of DM} \\ \text{photons} \end{array} \right\} + \left\{ \begin{array}{l} \text{weights of bg} \\ \text{photons} \end{array} \right\}$

Background found by sampling in region around each dwarf



PDF of  $T = \sum_{i \in \text{photons}} w(Q_i)$



$$T = \sum_{\text{dwarfs}} \left\{ \begin{array}{l} \text{weights of DM} \\ \text{photons} \end{array} + \begin{array}{l} \text{weights of bg} \\ \text{photons} \end{array} \right\}$$

number of DM photons (Poisson random variable)

$$T_{\text{sig}} = \sum_{i=1}^N W_i$$

weight of each DM photon  
(Poisson random variable)

Compound Poisson  
distribution

## Choosing weights

$$w_Q = \log \left( 1 + \frac{s_Q}{b_Q} \right)$$

signal  
background

For each infinitesimal  
bin in  $Q = \{\nu, E, \theta\}$

### INGREDIENTS

DM annihilation  
spectrum

+

Instrument response  
(effective area, PSF)

+

astrophysical  
background

$$s_Q = J \frac{\langle \sigma v \rangle}{8\pi M_\chi^2} \frac{dN_\gamma(E)}{dE} \epsilon(E) \text{PSF}(E, \theta) dE d\Omega(\theta)$$

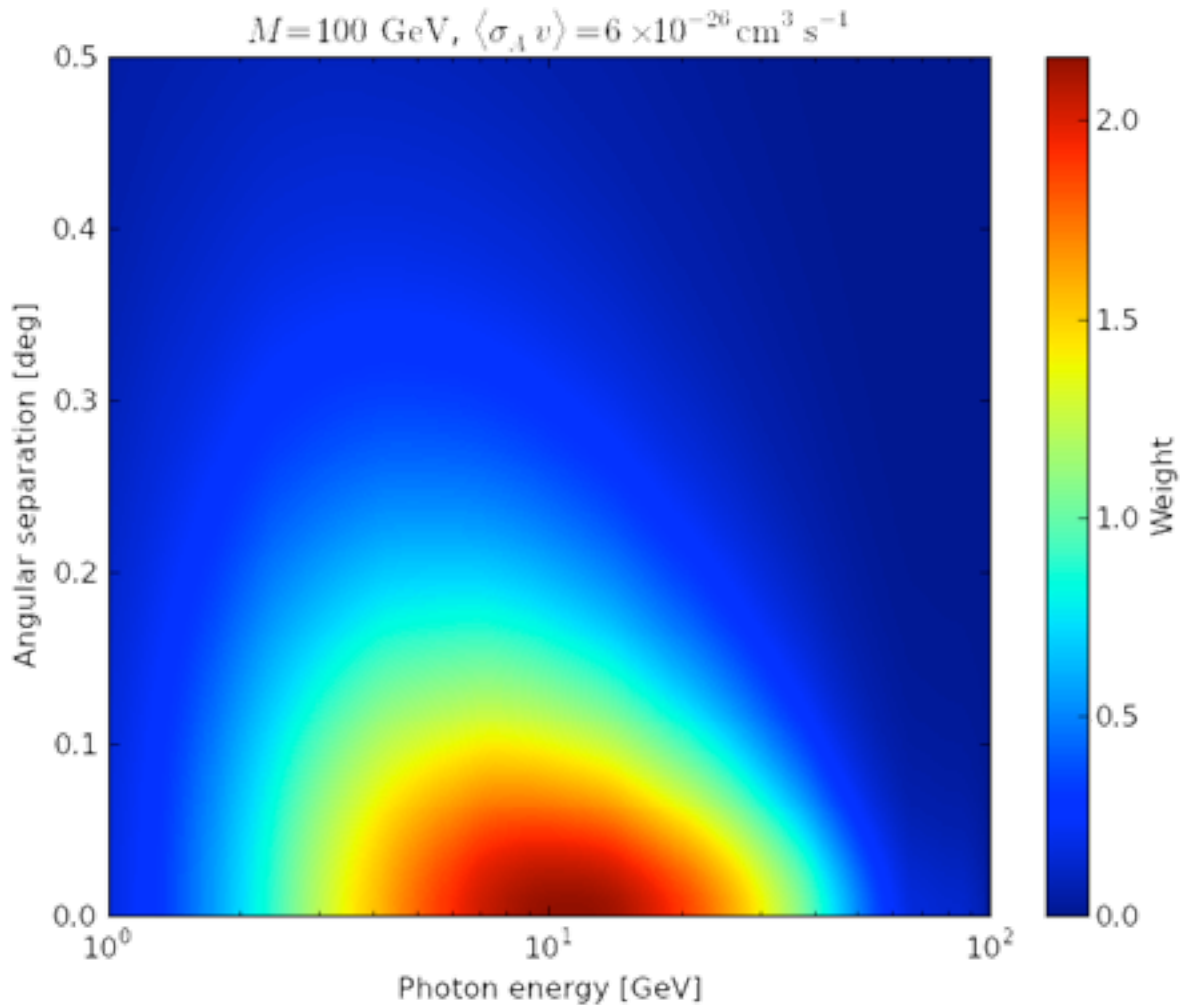
# Choosing weights

$$w_Q = \log \left( 1 + \frac{s_Q}{b_Q} \right)$$

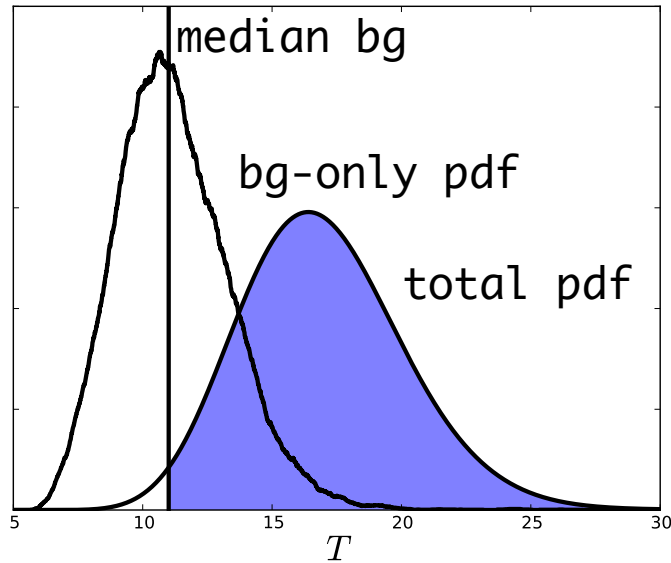
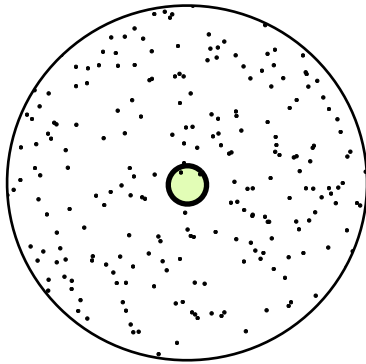
← signal  
← background

## INGREDIENTS

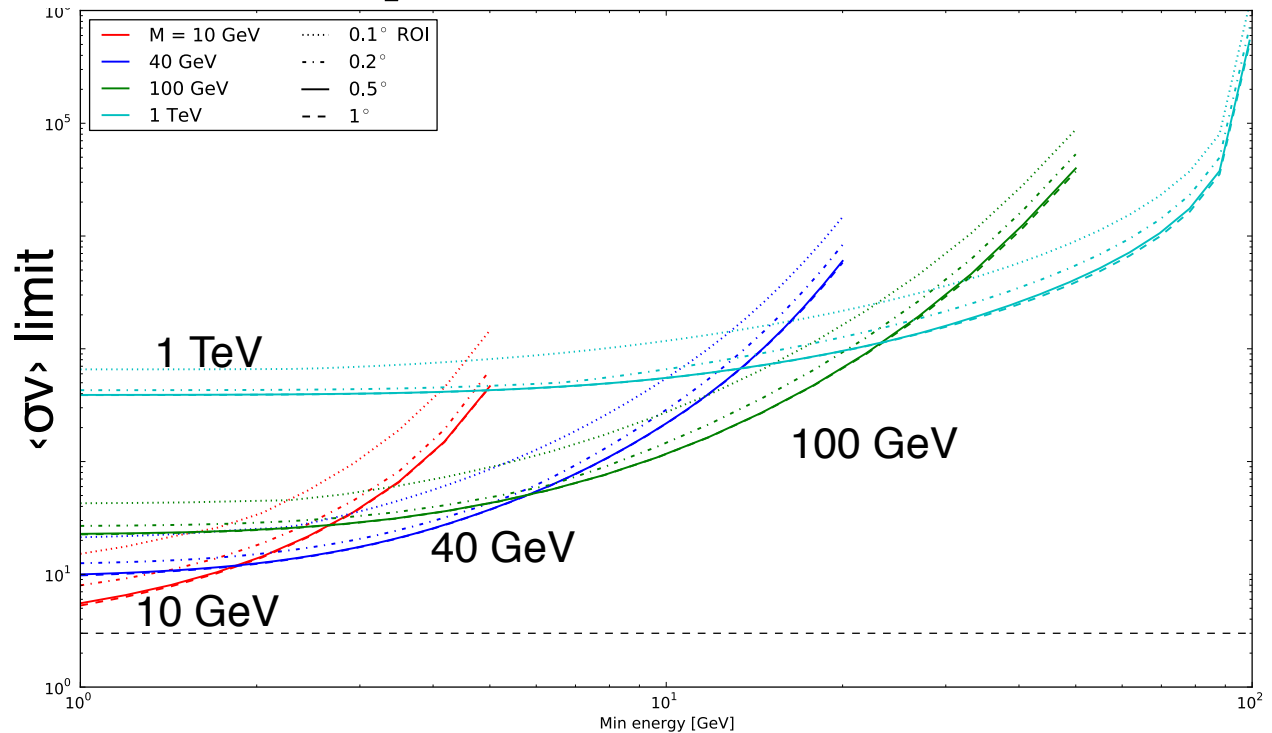
DM annihilation spectrum  
+  
Instrument response  
(effective area, PSF)  
+  
astrophysical  
background



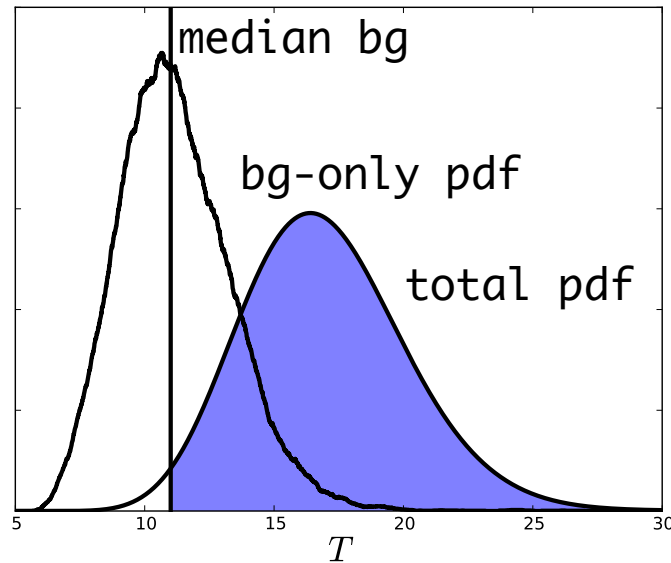
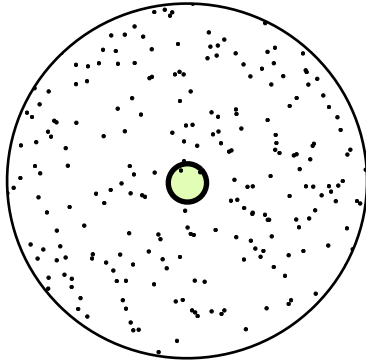
# Expected limits



Dependence on energy range and size of central ROI



## Expected limits

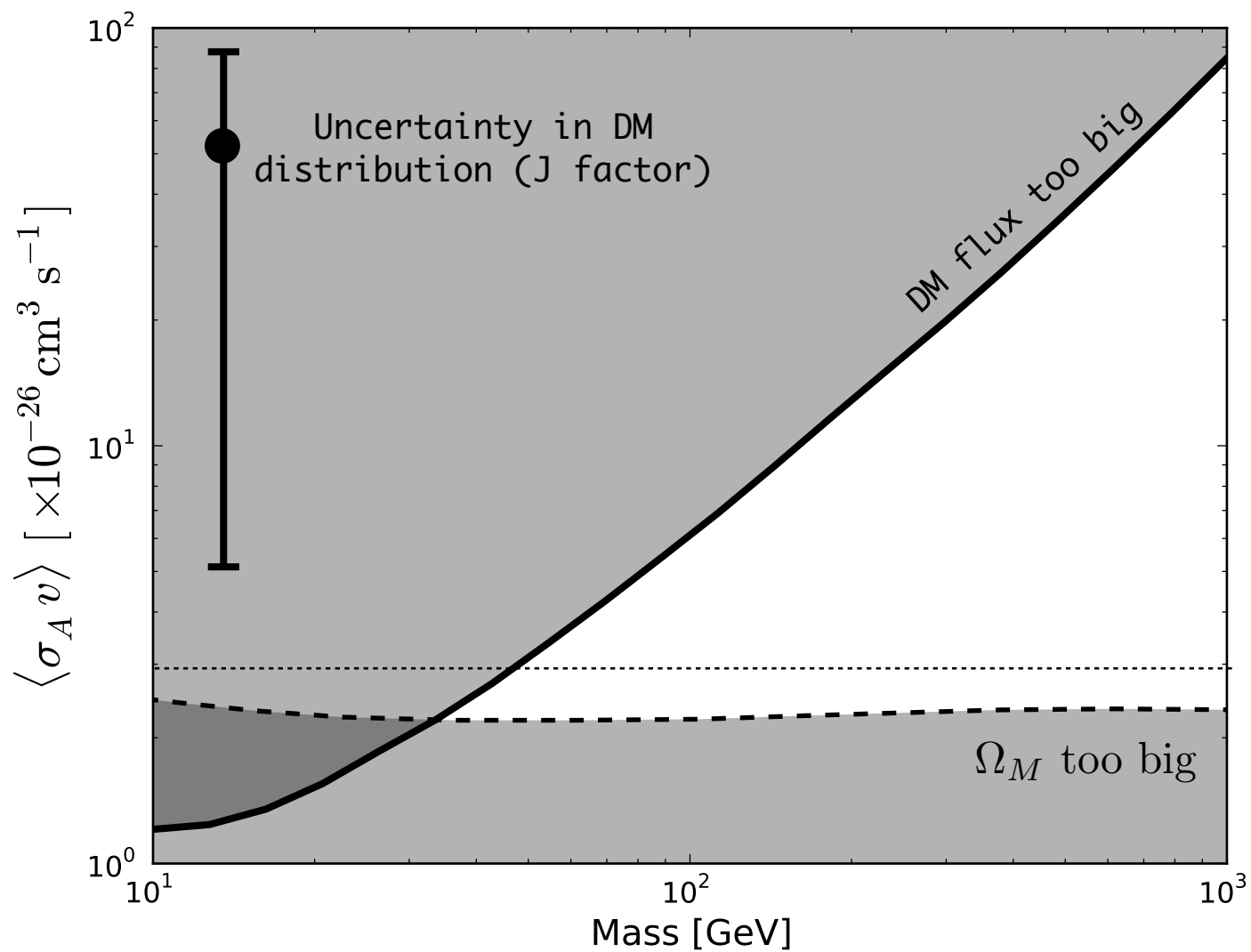


See also the talk by Alex Drlica-Wagner

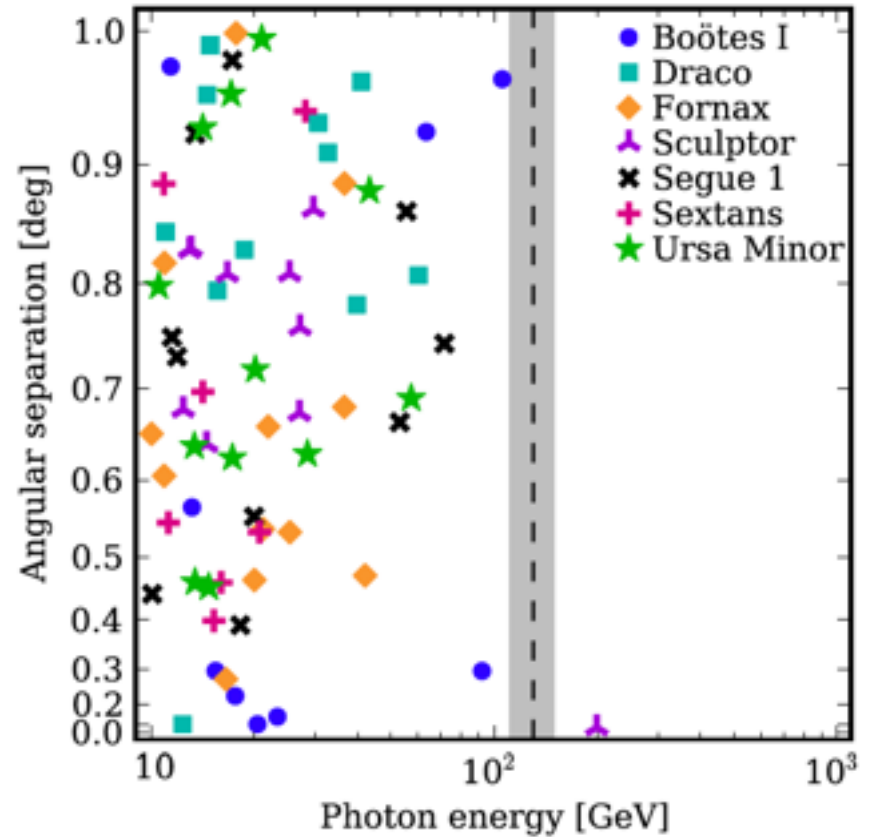
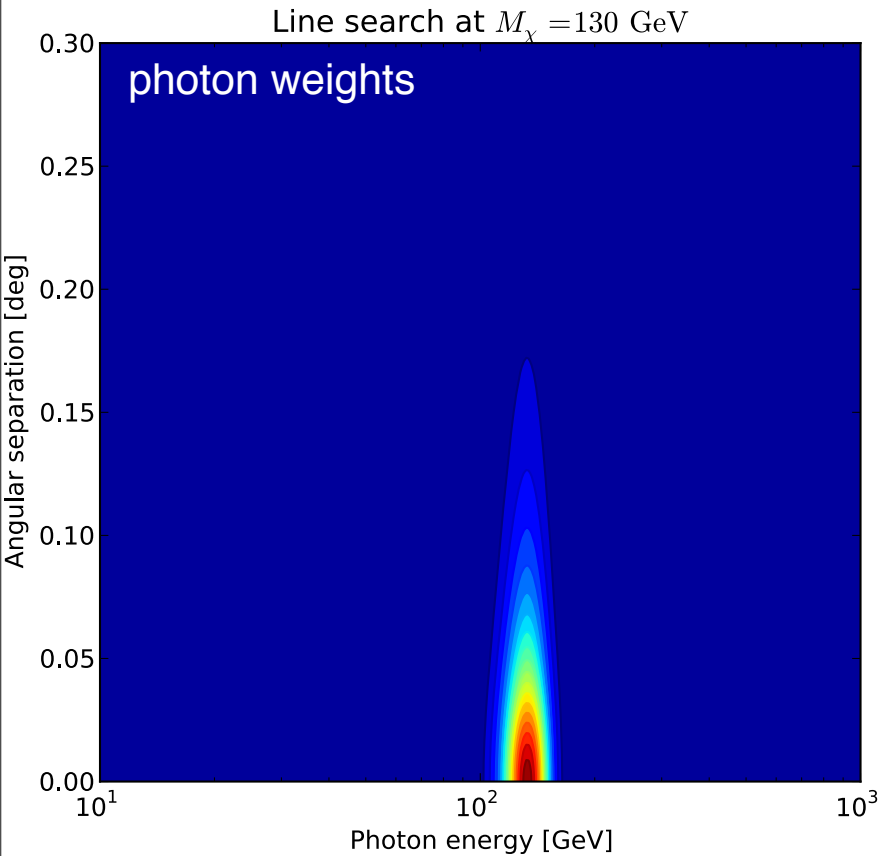
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### In general:

1. Derive PDF of  $T$  under null hypothesis (no dark matter)
2. Sum weights of all photons within central ROI ( $T^*$ )
3. Significance = Probability that  $T < T^*$  if null hypothesis is true (e.g., if there is 99.7% chance that  $T < T^*$  then we have a 3 sigma detection).



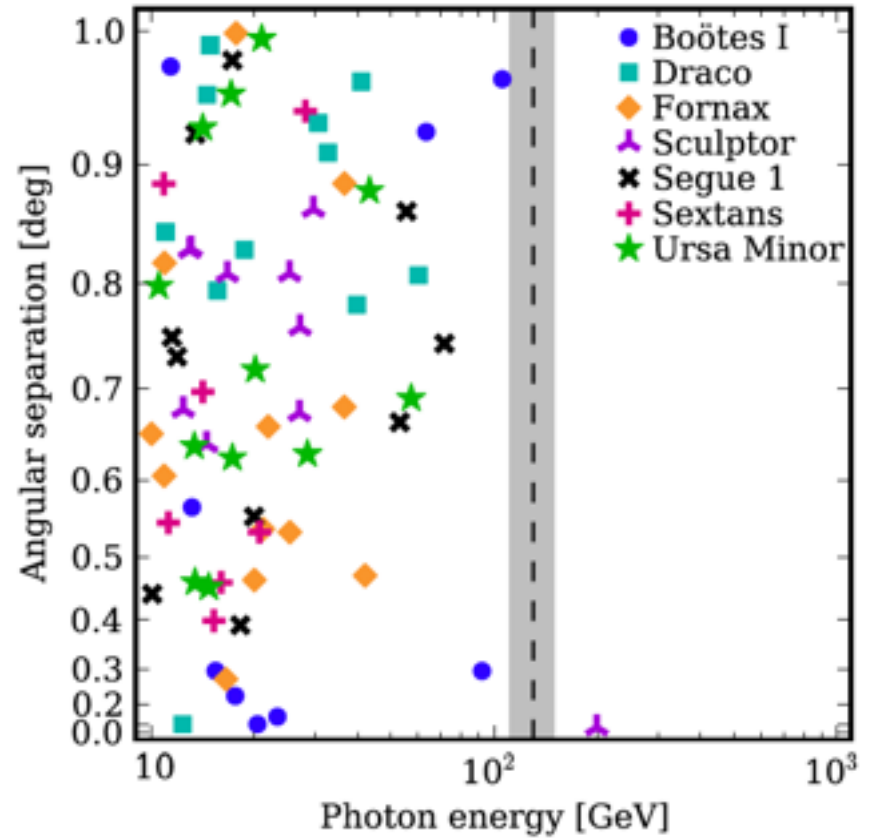
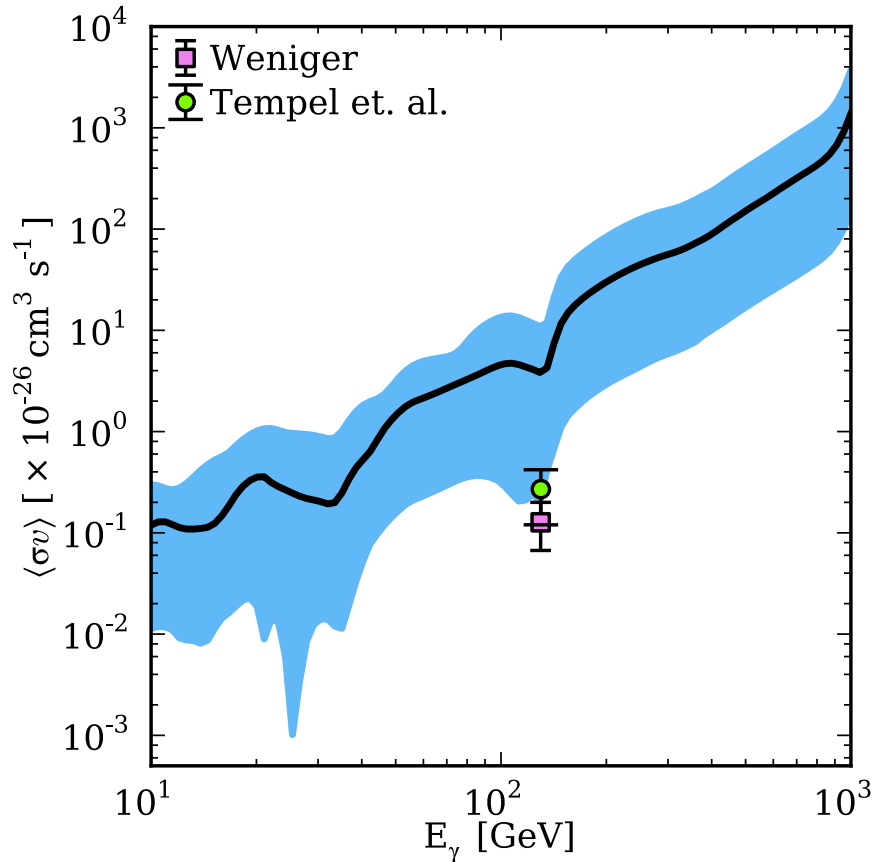
# Change DM spectrum: optimal weights for a line search



Geringer-Sameth & SMK, PRD 86, 021302(R), 2012

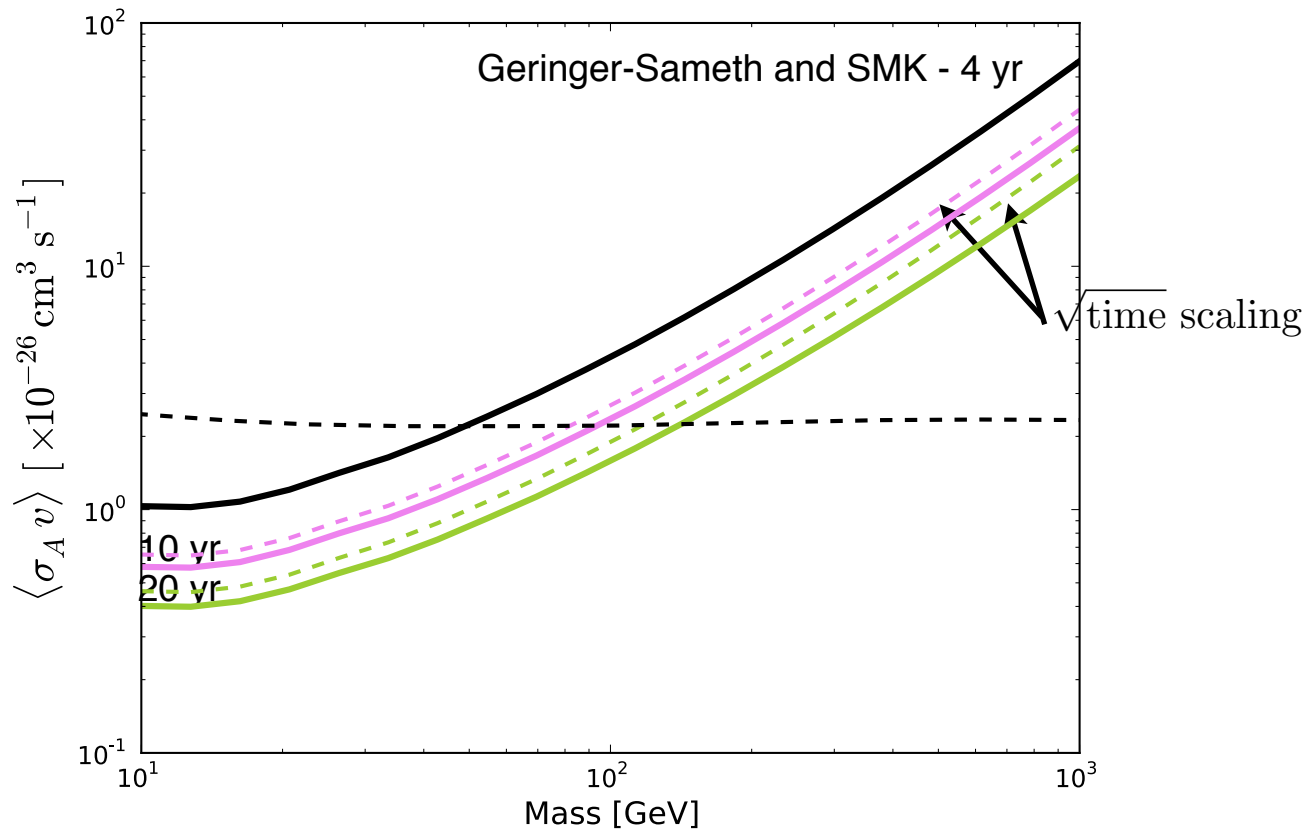


# Change DM spectrum: optimal weights for a line search



Geringer-Sameth & SMK, PRD 86, 021302(R), 2012

# Conclusion and predicting the future



Stay tuned for results in the high-mass ( $> \text{TeV}$ ) regime using a stacked dwarf analysis with **VERITAS**...

