

STRINGY COSMOLOGY & THE LHC

KING'S
College
LONDON

University of London

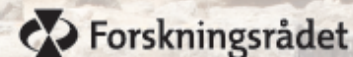
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KING'S COLLEGE LONDON & CERN-PH-TH



**London Centre
for Terauniverse
Studies (LCTS)
AdV 267352**

New Frontiers in Physics ICFP 2012

10-16 June 2012, Kolymbari, Crete, Greece



OUTLINE

- **MOTIVATION:** CURRENT STATUS OF COSMOLOGICAL & COLLIDER (LHC) DATA ON DARK SECTOR OF UNIVERSE
- **GENERIC ASPECTS OF STRING COSMOLOGIES - THE ROLE OF MODULI FIELDS**
- **DILATON DOMINANCE IN EARLY UNIVERSE**
- **MODIFICATION OF DARK MATTER ABUNDANCES vs STANDARD COSMOLOGY**

- **LHC SEARCHES OF SUPERSYMMETRY AND DILATON COSMOLOGIES**
- **LORENTZ & CPT VIOLATING STRINGY COSMOLOGIES & THE OBSERVED BARYON ASYMMETRY IN THE UNIVERSE – D-FOAM**
- **D-FOAM & THE UNIVERSE DARK SECTOR**

THE DARK SECTOR OF THE UNIVERSE

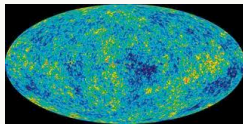
Current Energy Budget of the Cosmos

Observations from:

Supernovae Ia



CMB

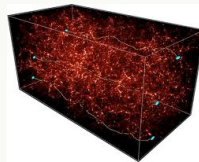


Baryon Acoustic Oscillations

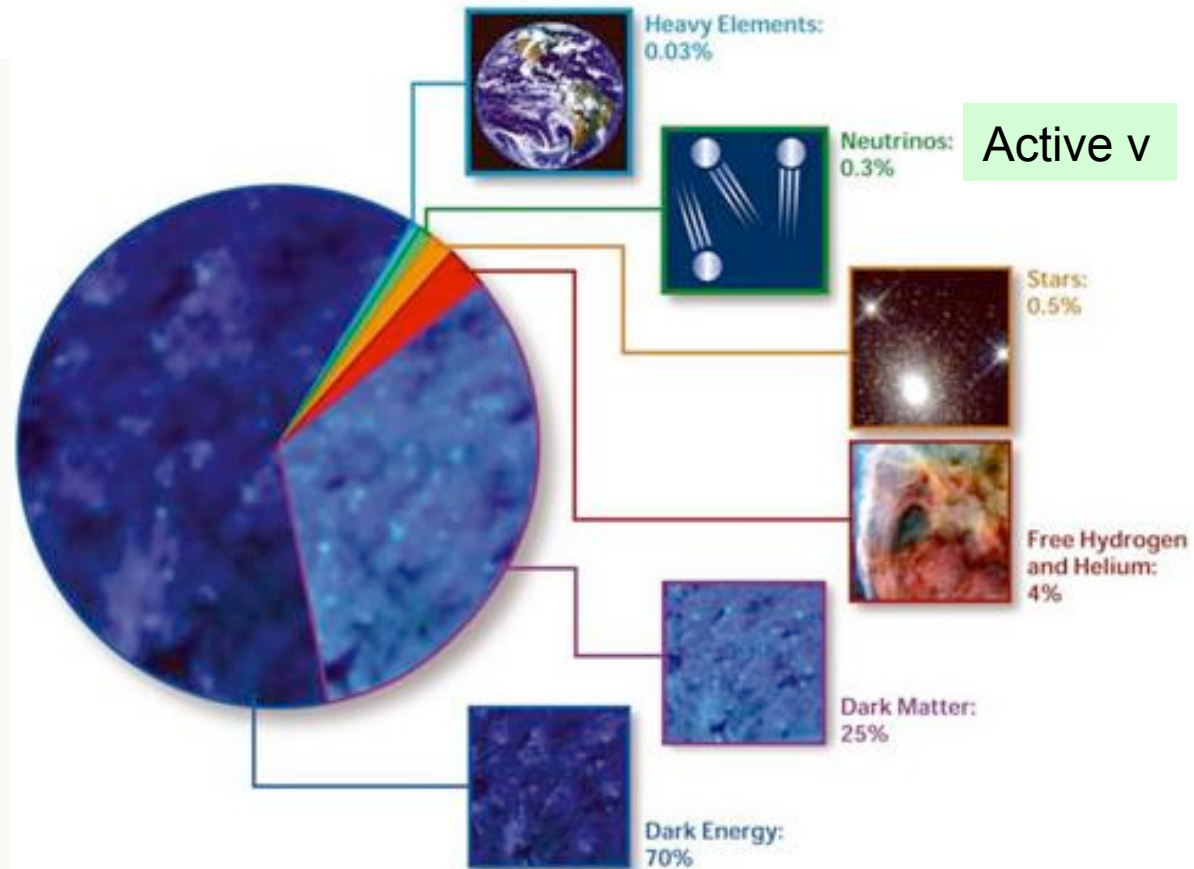


Galaxy Surveys

Structure Formation data



Strong & Weak lensing

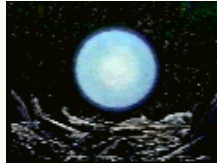


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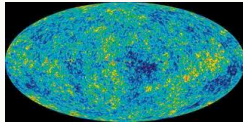
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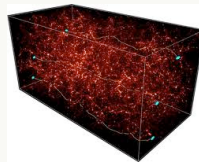


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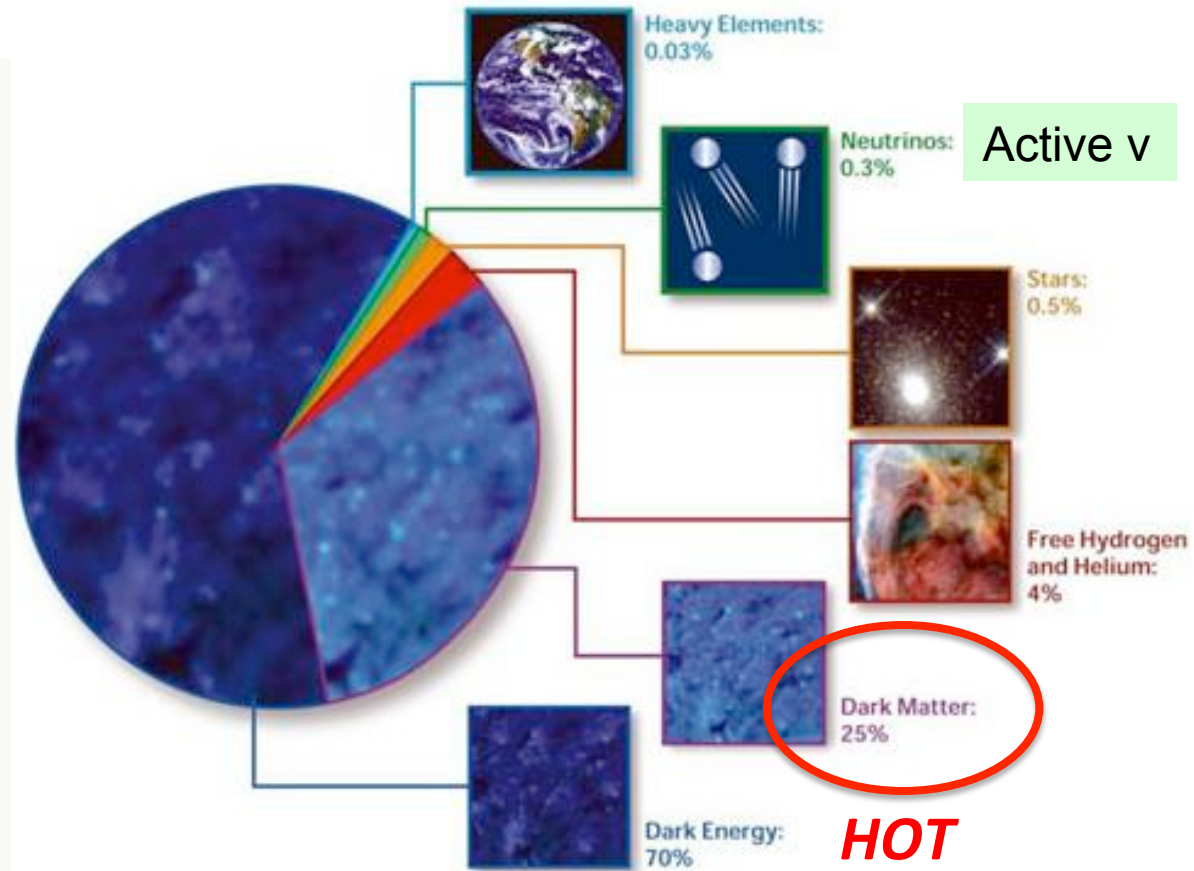


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HOT

WARM

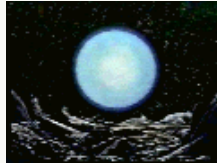
COLD

THE DARK SECTOR OF THE UNIVERSE

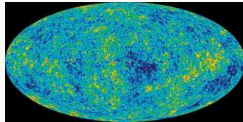
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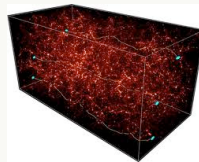


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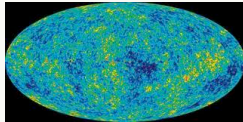
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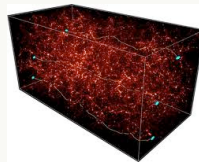


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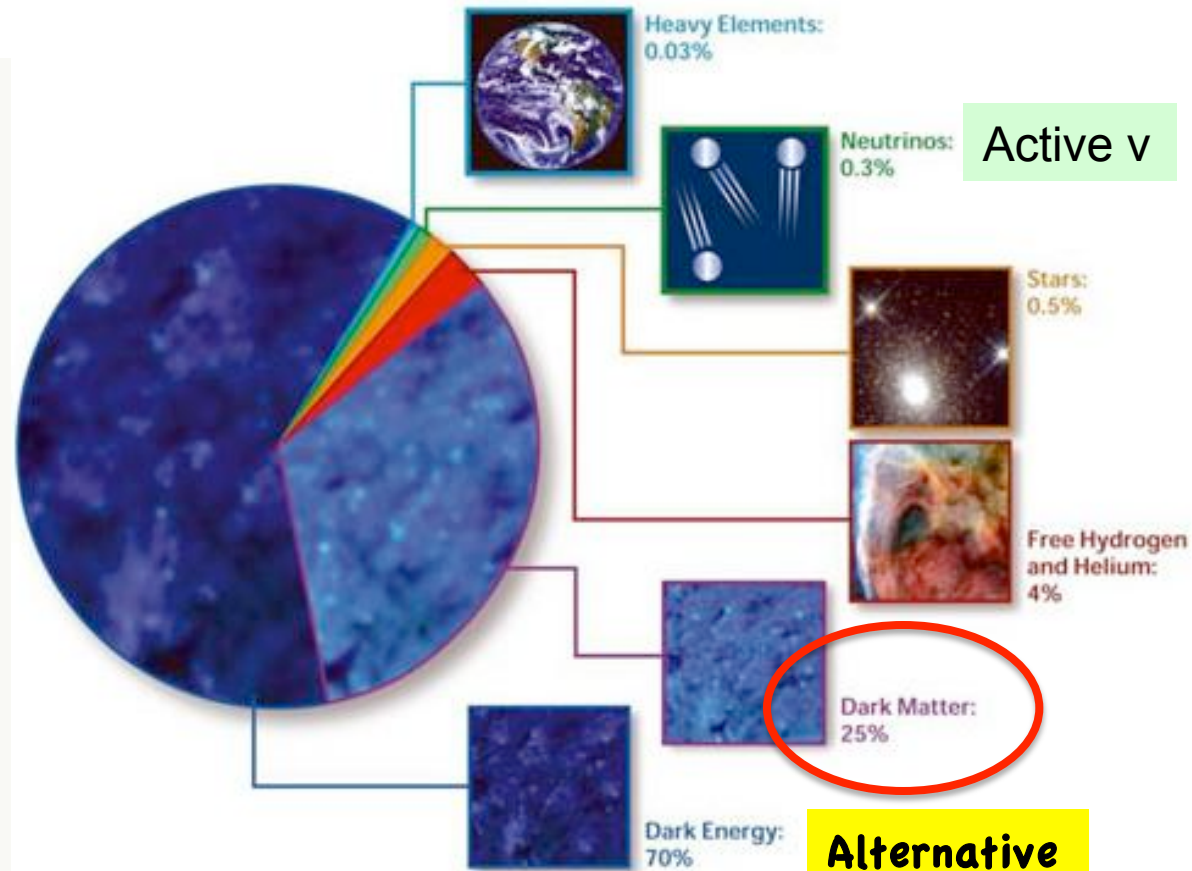


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Alternative theories of Gravity?

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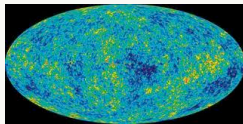
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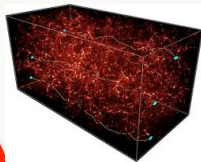


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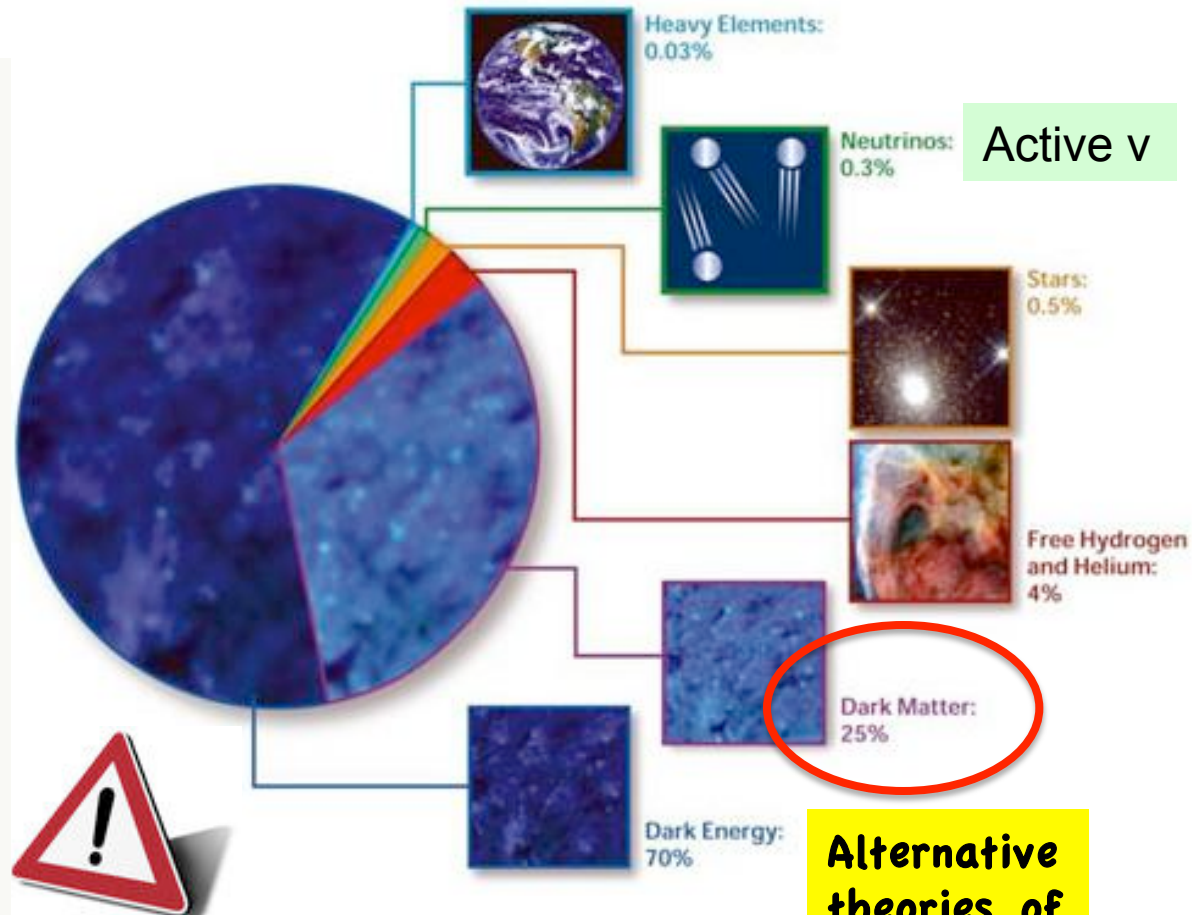
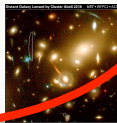


Galaxy Surveys

Structure Formation data



Strong & Weak lensing



Rule out simplest Alternative Gravity Models ?

Alternative theories of Gravity?

Several Candidates for Dark Matter (DM) – **NO CONCRETE** EXPLANATION YET!

PARTICLE PHYSICS CANDIDATES:

SUSY PARTNERS – MODEL DEPENDENT
(LSP: **Neutralinos**, Gravitinos ...)

AXIONS

STERILE (LIGHT keV) NEUTRINOS in ν MSM

D-MATTER (STRINGY) ...

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SUSY PARTICLE SPECTRUM

(□ = superpartners)

spin $\frac{1}{2}$	spin 0	spin 1	spin $\frac{1}{2}$
quark q_L, q_R	squark \tilde{q}_L, \tilde{q}_R	W_3, B	\tilde{W}_3, \tilde{B}
lepton l_L, l_R	slepton \tilde{l}_L, \tilde{l}_R	W^\pm	\tilde{W}^\pm
higgsino \tilde{H}_1, \tilde{H}_2	Higgs H_1, H_2	gluon g	gluino \tilde{g}
graviton (spin 2)	gravitino (spin 3/2)		

$\tilde{W}^\pm, \tilde{H}^\pm \iff \tilde{\chi}_1^\pm, \tilde{\chi}_2^\pm$ (charginos)
 $\tilde{B}, \tilde{W}_3, \tilde{H}_1, \tilde{H}_2 \iff \tilde{\chi}_1^0, \dots, \tilde{\chi}_4^0$ (neutralinos)

- R -parity: $R = (-1)^{3(B-L)+2s} \rightarrow$
 - R -parity conservation hinted but *not required* by proton stability
 - not a fundamental symmetry

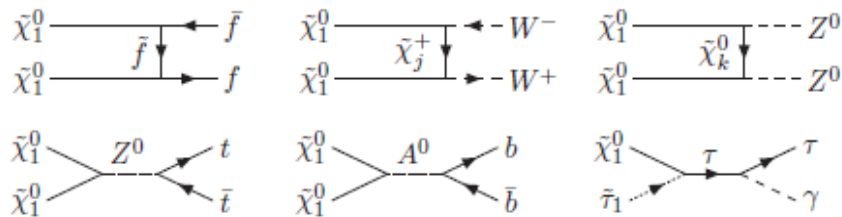
$R = \begin{cases} +1, & \text{for SM particles} \\ -1, & \text{for superpartners} \end{cases}$

- If R -parity is conserved:
 - SUSY-partners are always produced in pairs (R is a multiplicative quantum number)
 - Lightest SUSY-particle (LSP) is stable
 - should be colorless and neutral
 - weakly interacting \rightarrow escapes the detector undetectable \rightarrow large missing energy
 - dark matter candidate

Neutralino dark matter

Neutralino mass matrix in bino–wino–higgsino basis $\psi_j^0 = (-i\lambda', -i\lambda^3, \psi_{H_1}^0, \psi_{H_2}^0)$ is

$$\mathcal{M}_N = \begin{pmatrix} M_1 & 0 & -m_Z s_W c_\beta & m_Z s_W s_\beta \\ 0 & M_2 & m_Z c_W c_\beta & -m_Z c_W s_\beta \\ -m_Z s_W c_\beta & m_Z c_W c_\beta & 0 & -\mu \\ m_Z s_W s_\beta & -m_Z c_W s_\beta & -\mu & 0 \end{pmatrix}$$



M_1, M_2 : the U(1) and SU(2) gaugino

masses, μ : higgsino mass parameter, $s_W = \sin \theta_W$, $c_W = \cos \theta_W$, $s_\beta = \sin \beta$, $c_\beta = \cos \beta$ and $\tan \beta = v_2/v_1$ ($v_{1,2}$ v.e.v. of Higgs fields $H_{1,2}$).

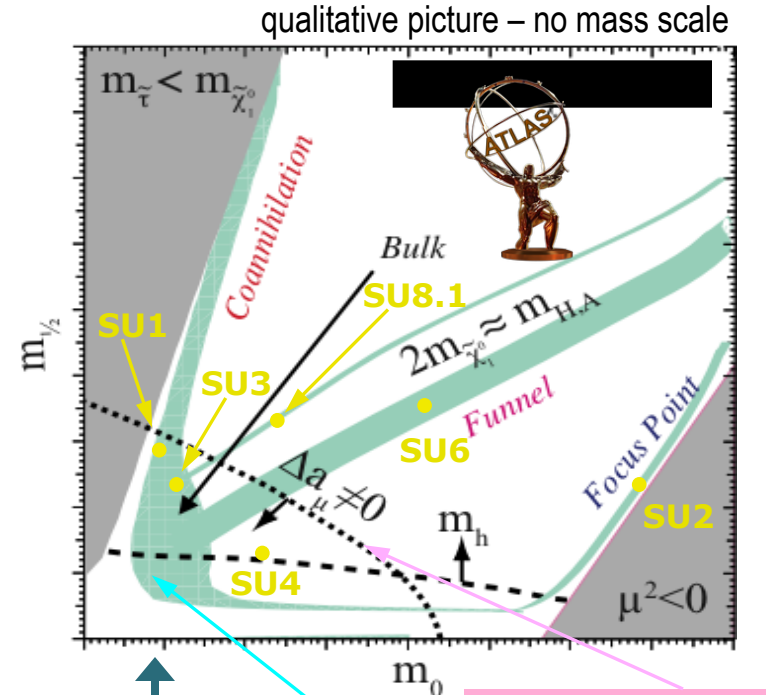
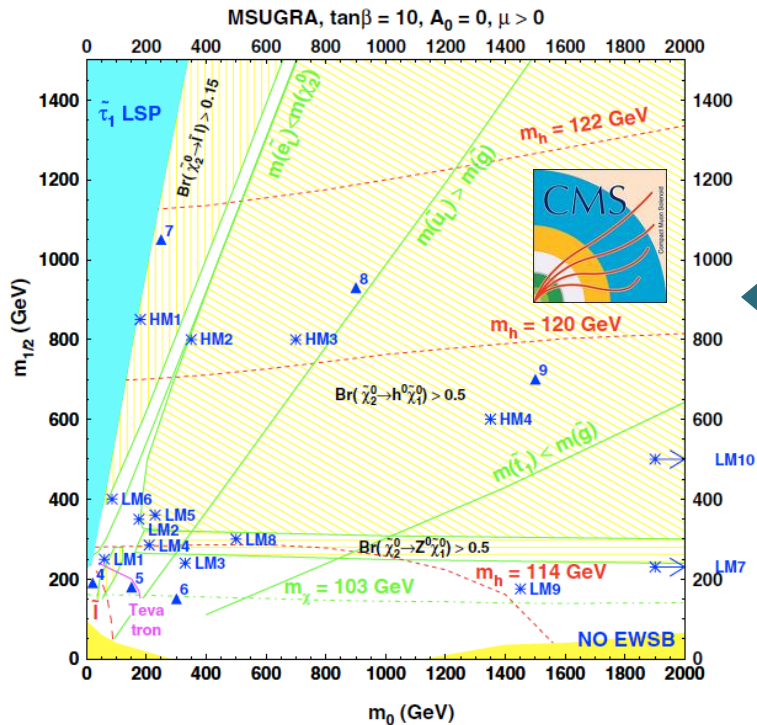
Matrix diagonalized by unitary mixing matrix N ,

$N^* \mathcal{M}_N N^\dagger = \text{diag}(m_{\tilde{\chi}_1^0}, m_{\tilde{\chi}_2^0}, m_{\tilde{\chi}_3^0}, m_{\tilde{\chi}_4^0})$, where $m_{\tilde{\chi}_i^0}$, $i = 1, \dots, 4$, are the (non-negative) masses of the physical neutralino states with $m_{\tilde{\chi}_1^0} < \dots < m_{\tilde{\chi}_4^0}$. The lightest neutralino is then:

$$\tilde{\chi}_1^0 = N_{11} \tilde{B} + N_{12} \tilde{W} + N_{13} \tilde{H}_1 + N_{14} \tilde{H}_2.$$

SUSY model framework

- Minimal SuperSymmetric Standard Model (MSSM) contains >100 free parameters
 \rightarrow assume specific physically-motivated model (\exists gravity) for systematic studies
- Simplest: minimal SuperGravity (mSUGRA)**
 - local SUSY with soft breaking mediated by gravitational interactions
 - universal masses and couplings at GUT scale
 \rightarrow **5 free parameters:** $m_0, m_{1/2}, \tan\beta, A_0, \text{sgn}(\mu)$



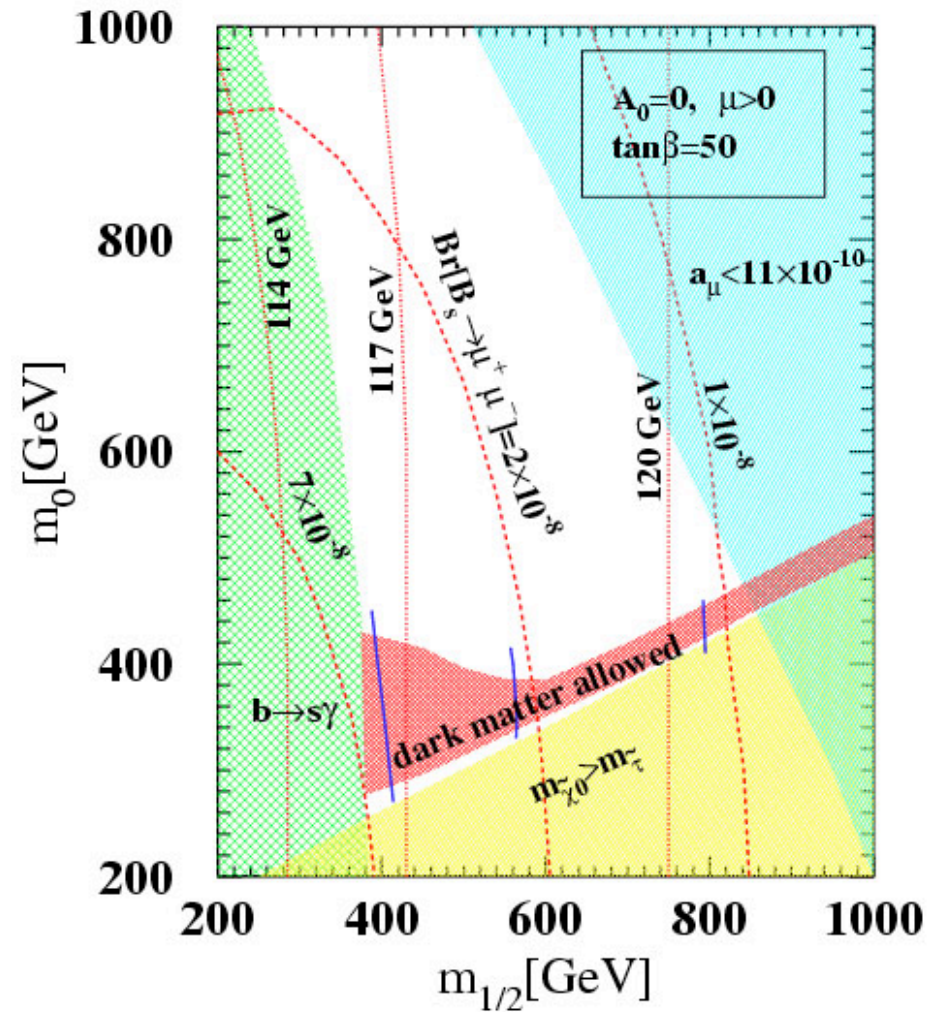
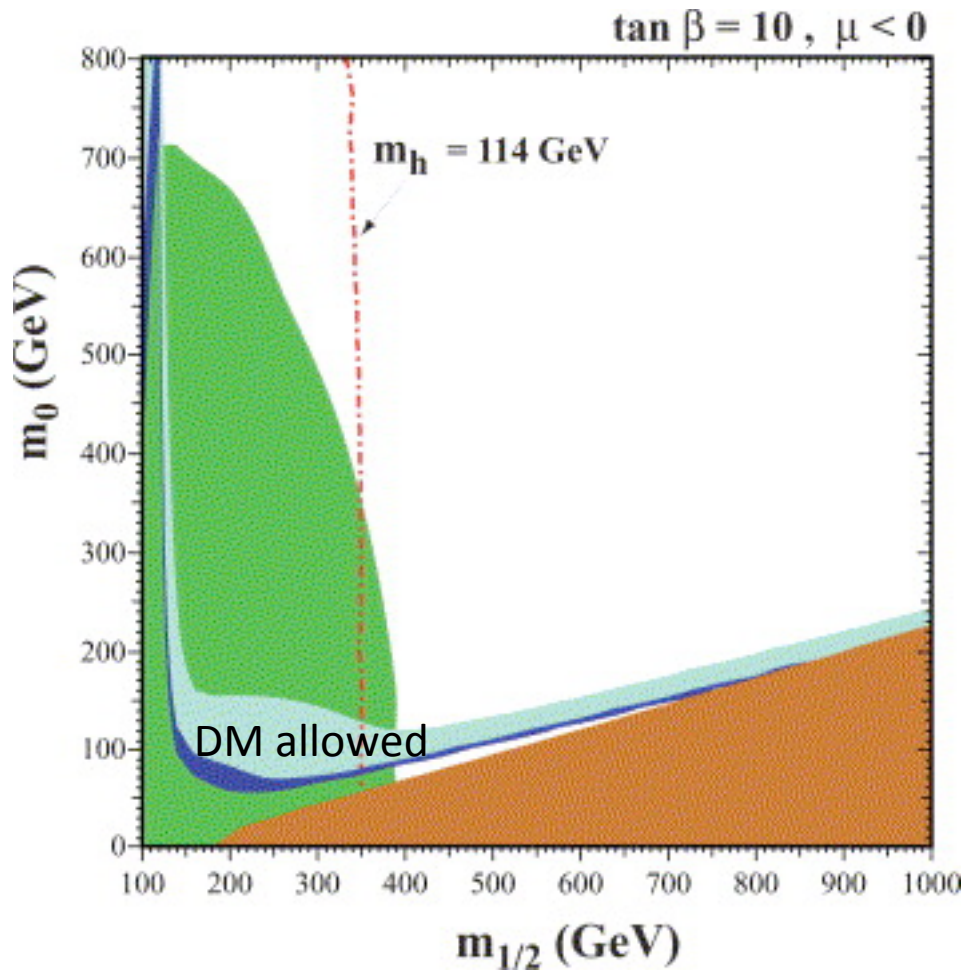
Benchmark points for detailed studies

WMAP constraints on neutralino relic density

Other models also investigated (not presented here)

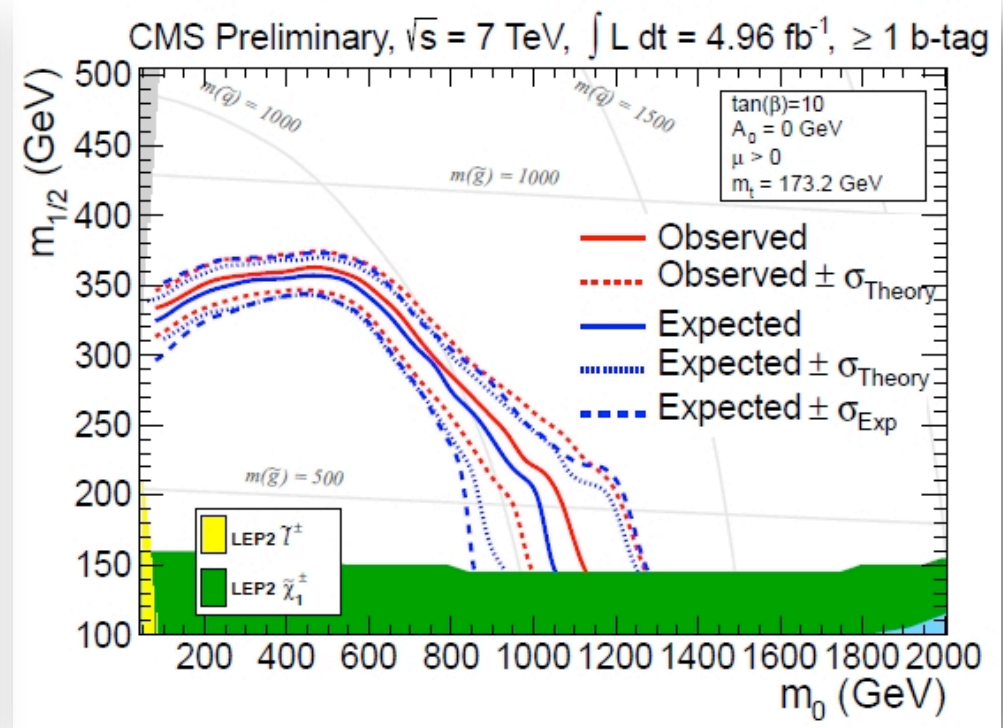
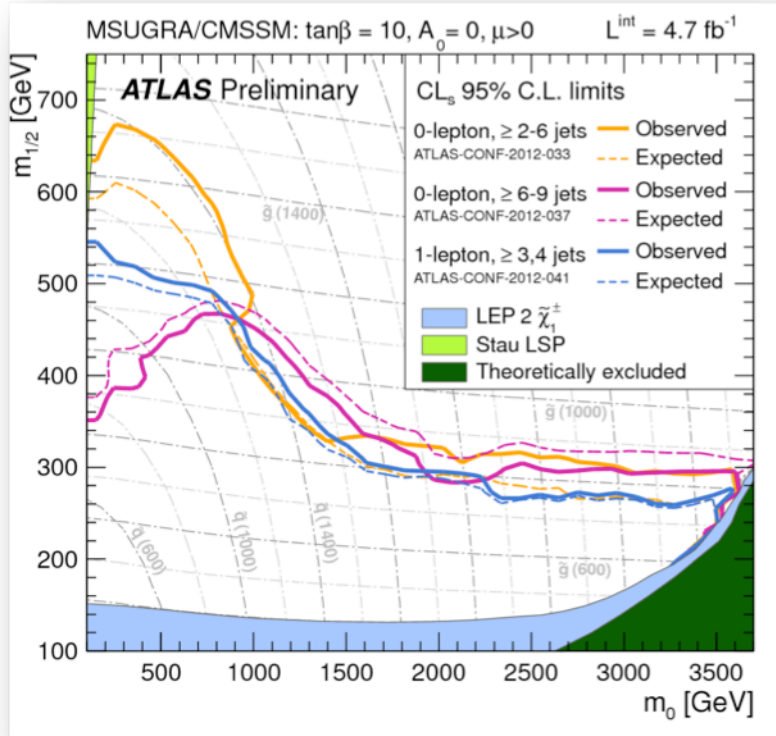
- GMSB: gauge messengers; light gravitino LSP
- AMSB: anomalies in SUGRA \mathcal{L} ; no flavour problem

COSMOLOGICALLY-ALLOWED MSSM REGIONS

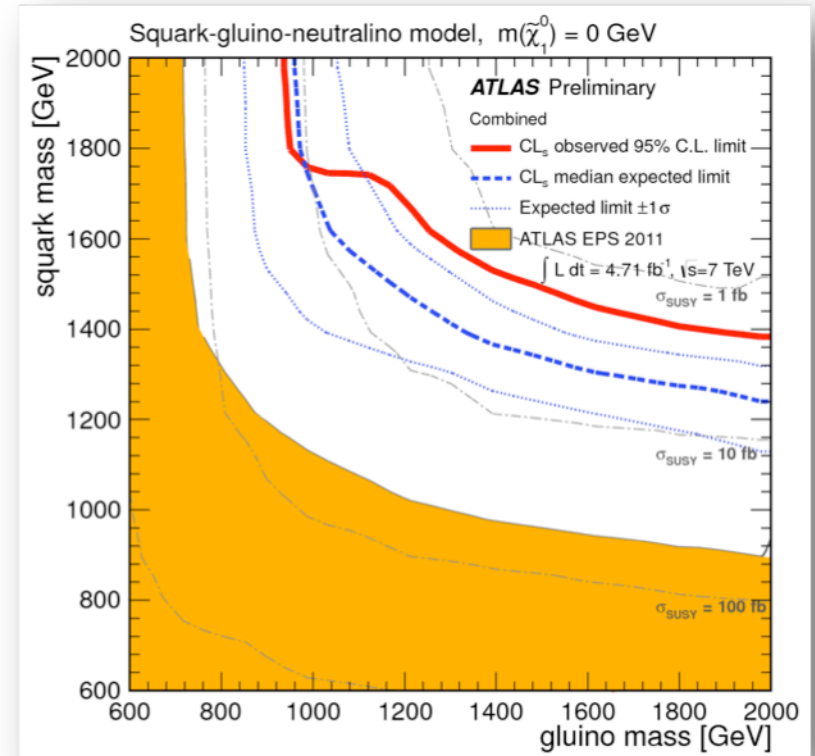
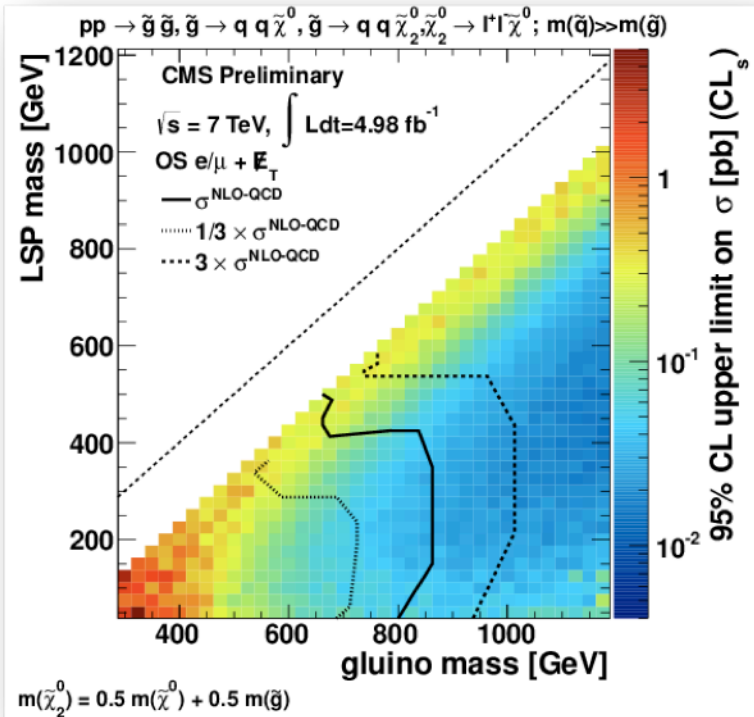


Several Candidates for Dark Matter (DM)–NO CONCRETE EXPLANATION YET !

LHC SEARCHES FOR MSSM: SEEM TO RULE OUT @ PRESENT COSMOLOGICALLY-ALLOWED REGIMES FOR SUSY DM

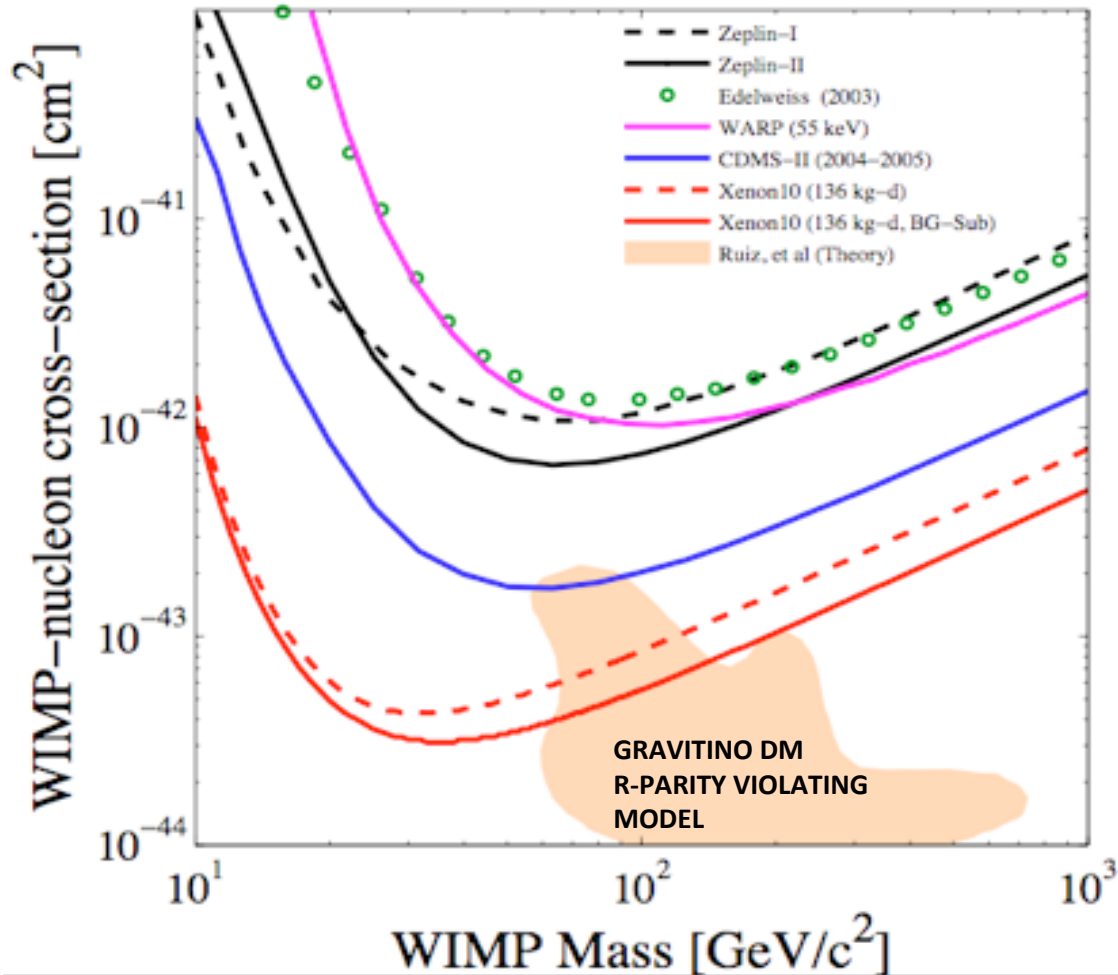


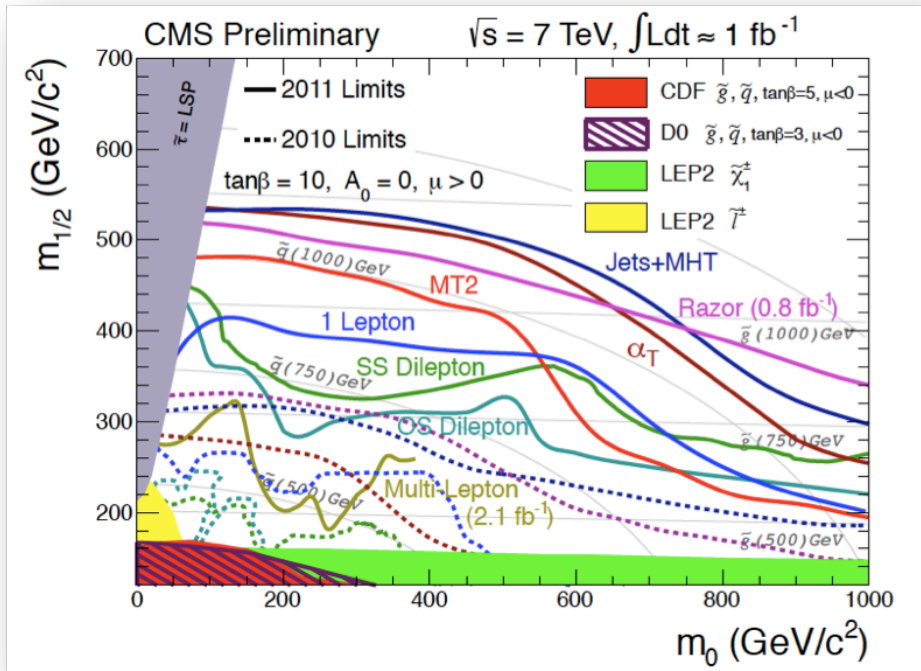
SUSY EXCLUSION PLOTS @ LHC



DIREDCT DM SEARCHES: ALSO CONSTRAINT STRONGLY SUSY DM

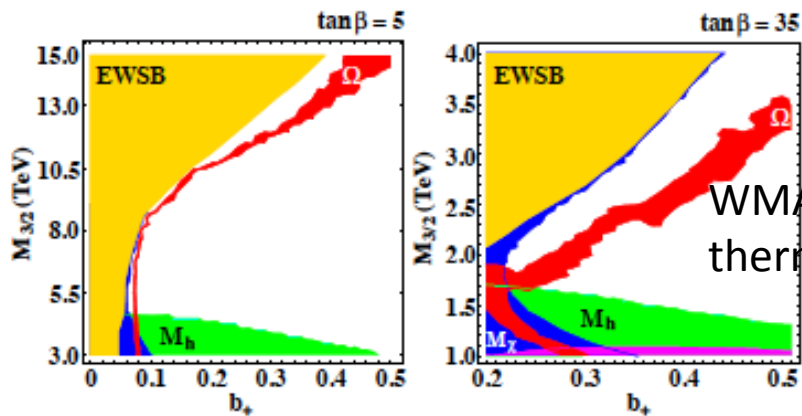
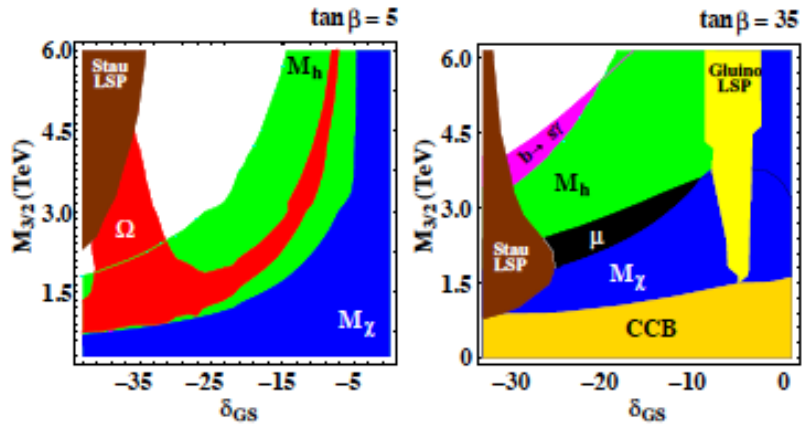
Spin-Independent Exclusion Limits (90% C.L.)





SO... IS
minimal SUSY
ruled out as
Dark Matter
CANDIDATE?

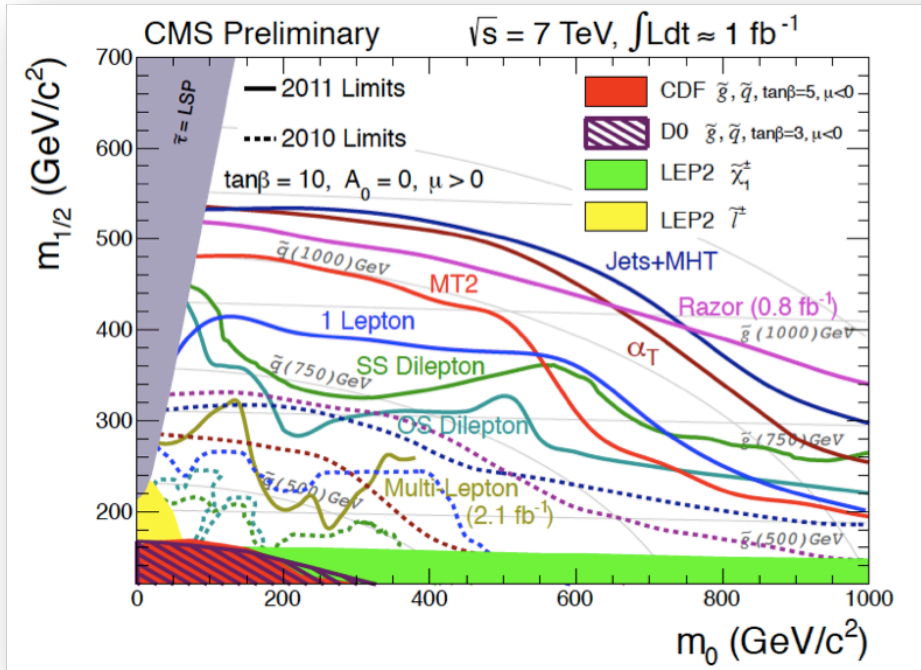




MOTIVATION FOR STUDYING ...STRINGY COSMOLOGIES

Non-thermal DM characterises several stringy models, e.g. Heterotic Strings \rightarrow **very different parameter spaces** for SUSY
WMAP constraints can be evaded

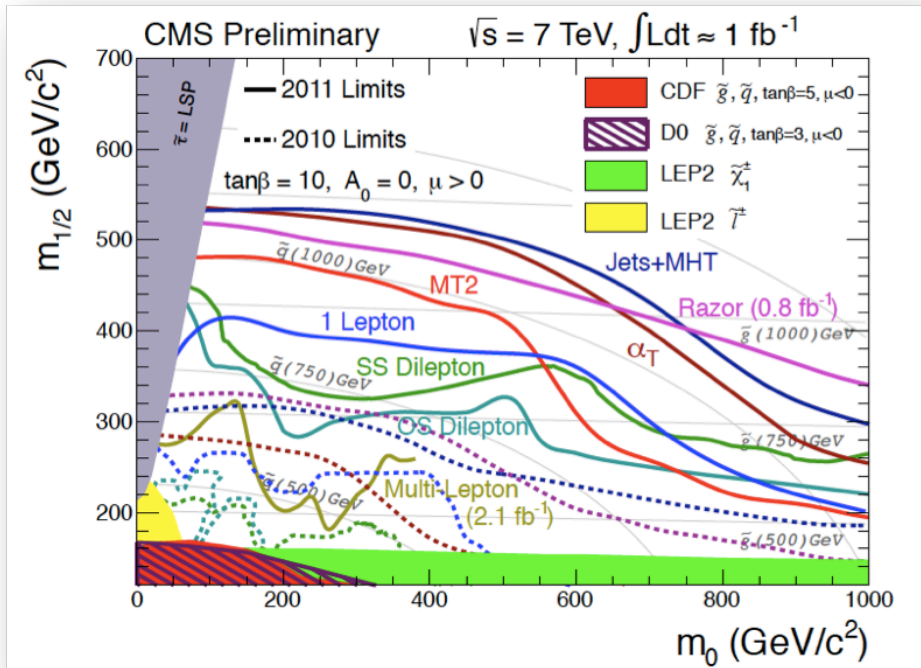




MOTIVATION FOR STUDYING ...STRING COSMOLOGIES

Running **Dilaton** or **Moduli** Fields
in **String Cosmology** increase
cosmologically allowed
parameter space & push even
minimal SUSY partner masses **higher**





This Talk

Running **Dilaton** or **Moduli** Fields in **String Cosmology** increase cosmologically allowed parameter space & push even minimal SUSY partner masses higher

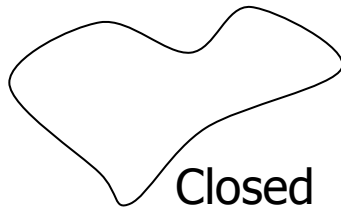
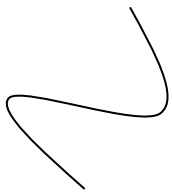


**MOTIVATION
FOR STUDYING
...STRING
COSMOLOGIES**

What is String Theory?

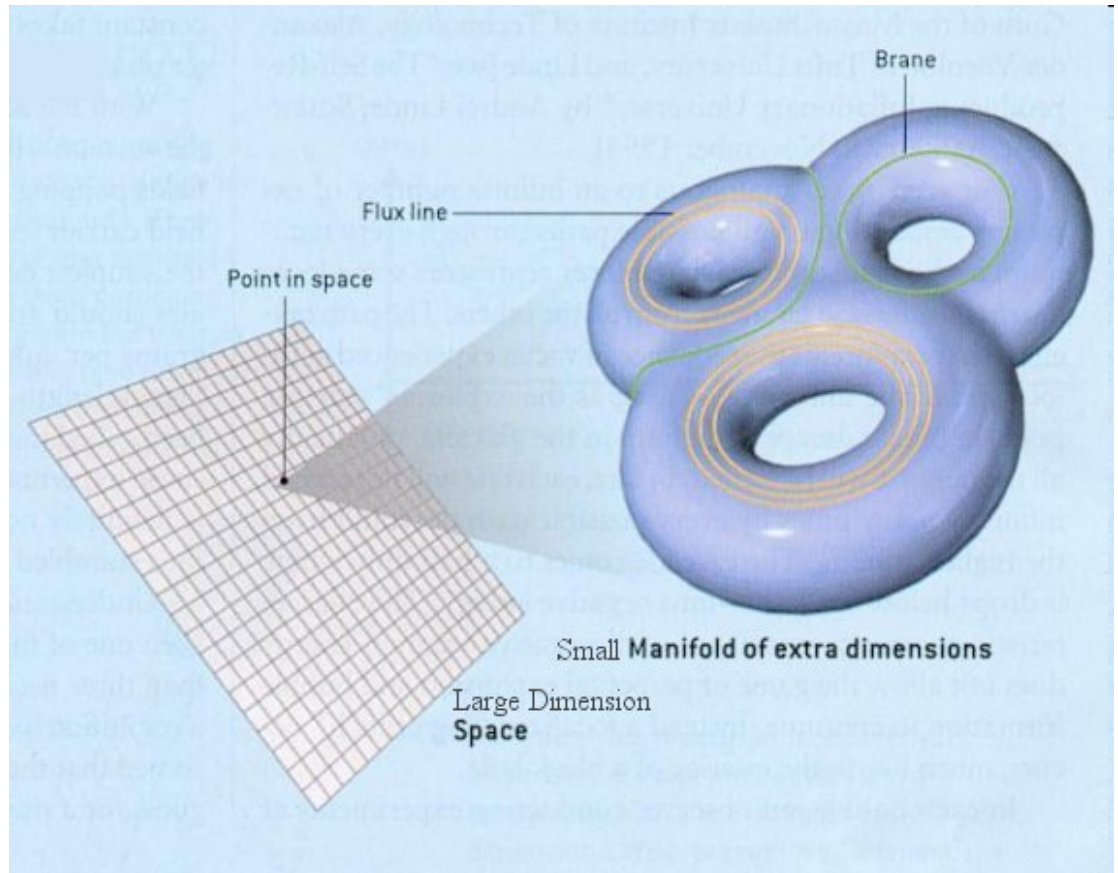
Fundamental Excitations are not point-like but one-dimensional (strings)

Open



Closed

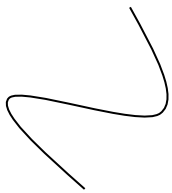
ONE VERSION :
Strings live in Large Four space-time dimensions but have extra dimensions
``Curled-up`` in small-size but of complicated Geometry spaces



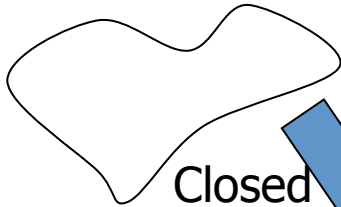
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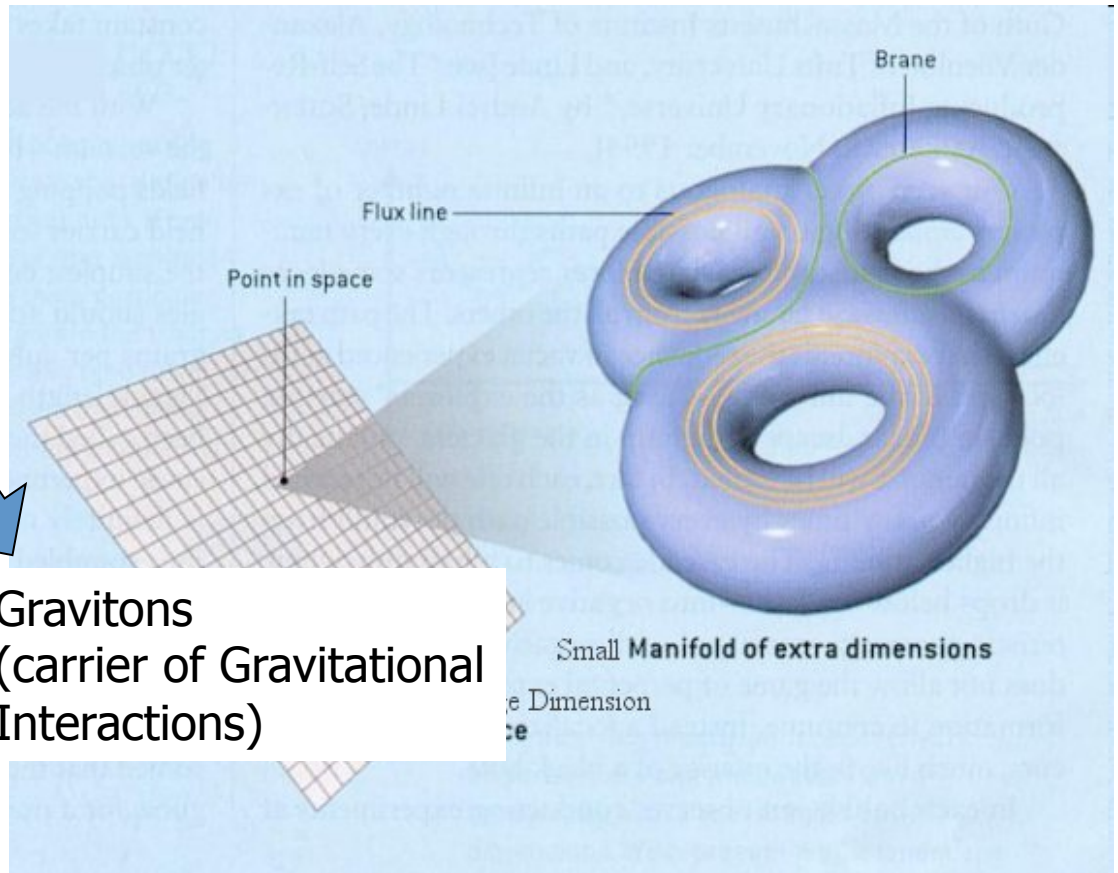


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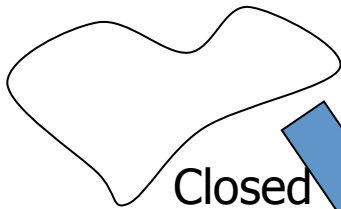
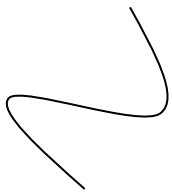
Gravitons
(carrier of Gravitational Interactions)



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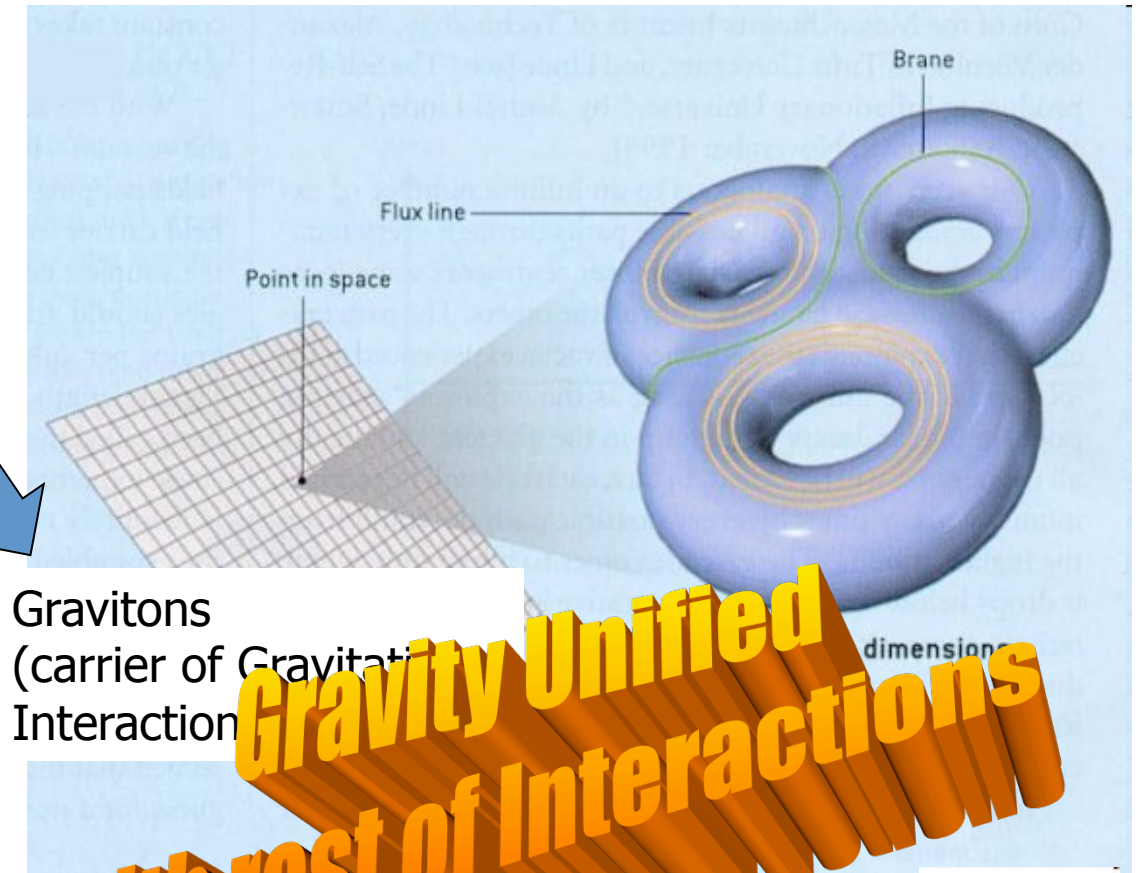
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Gravitons
(carrier of Gravitational Interaction)

Gravity Unified with rest of Interactions



STRING MODULI FIELDS

SCALAR FIELDS WITH POTENTIAL FUNCTIONS CHARACTERIZED BY CONTINUOUS FAMILIES OF GLOBAL MINIMA

– Their expectation value labels STRING BACKGROUNDS

STRING MODULI INCLUDE:

(i) **THE DILATON FIELD**, Φ , WHOSE STABILIZED $\langle\Phi\rangle$ IS ASSOCIATED WITH THE STRING COUPLING $g_s = e^{\langle\Phi\rangle} \rightarrow$ **4-d Gauge couplings**

We shall consider: *non-stabilized dilatons in Non-Equilibrium Cosmologies & study (dilution) effects on Dark Matter (DM) if Dilaton dominance at DM decoupling*
 \rightarrow effects on Collider Searches for Supersymmetry

Lahanas, NEM, Nanopoulos
Lahanas, Spanos

(ii) SCALAR FIELDS ASSOCIATED WITH **EXTRA** DIMENSIONS

with **no classical** potential (i.e. generated by string loop corrections, suppressed by powers of g_s and with **Planck scale suppressed couplings** to matter.

The expectation values of the moduli classically describe the **size** and **configuration** of the **curled up extra dimensions**.

We shall consider: *MASSIVE STABILISED MODULI decaying before Big Bang Nucleosynthesis (BBN)* **\rightarrow significant sources of “non-thermal” Dark Matter**
 \rightarrow effects on collider searches for Supersymmetry.

Acharya, Kane, Kuflik ...

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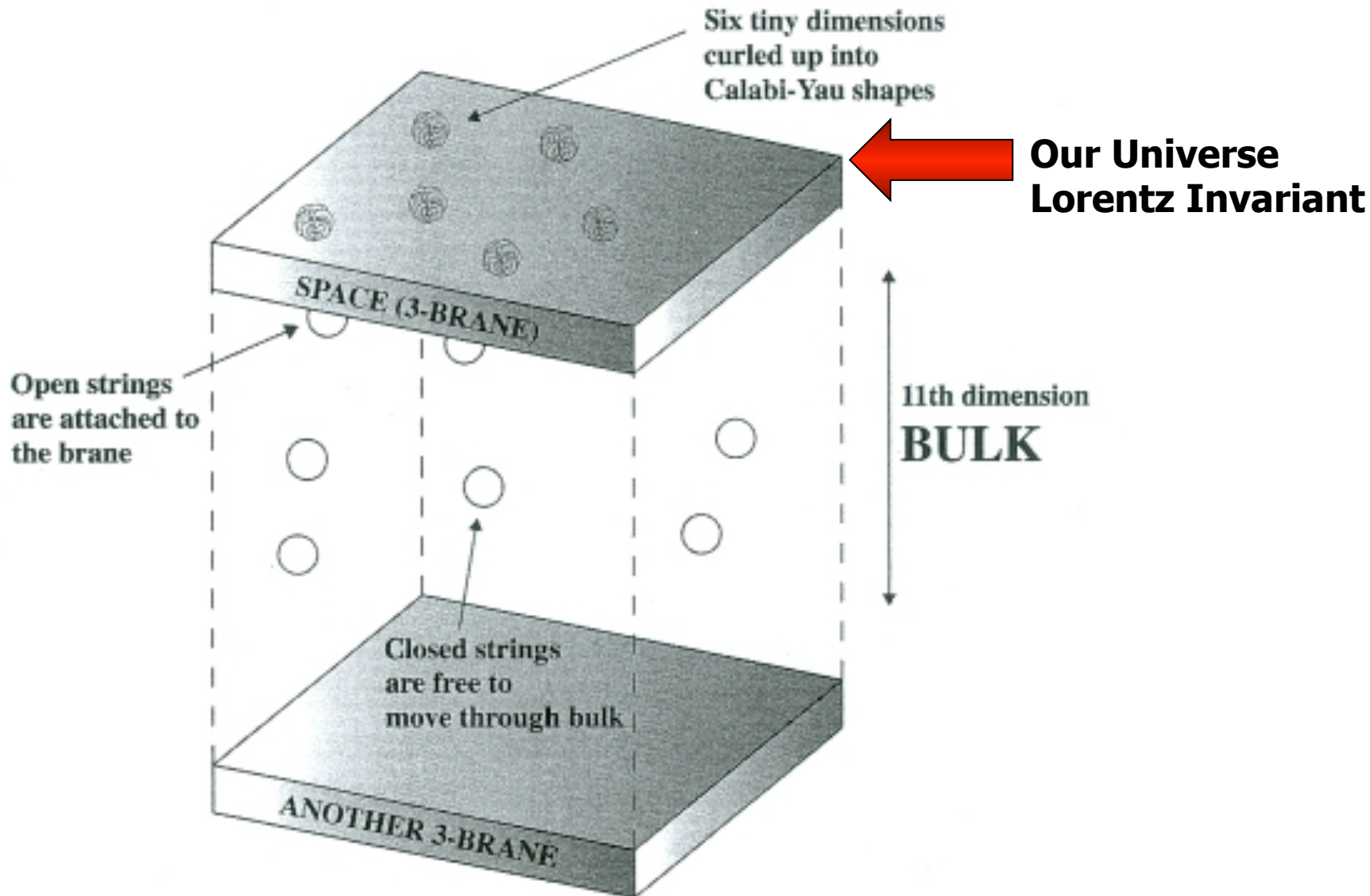
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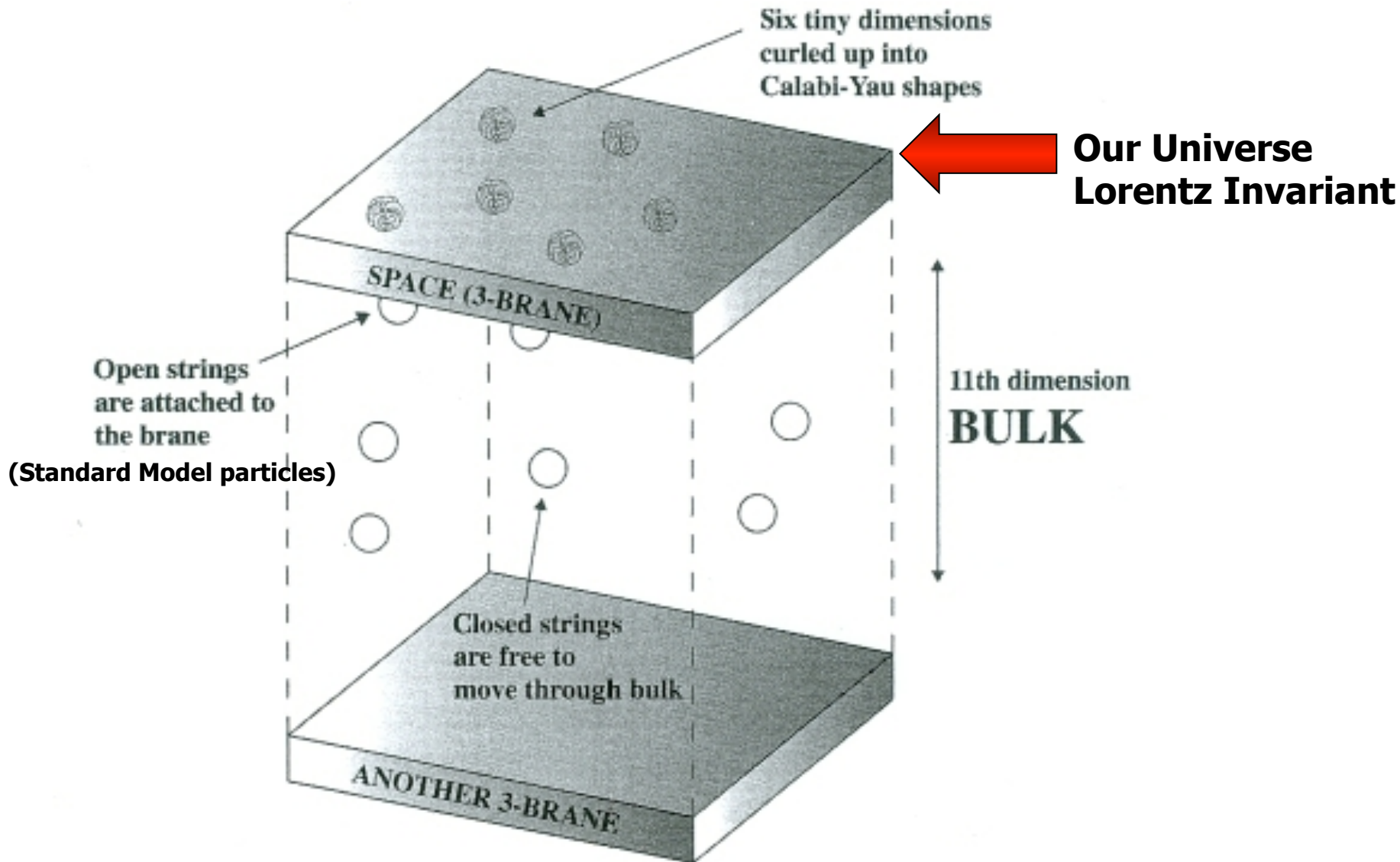
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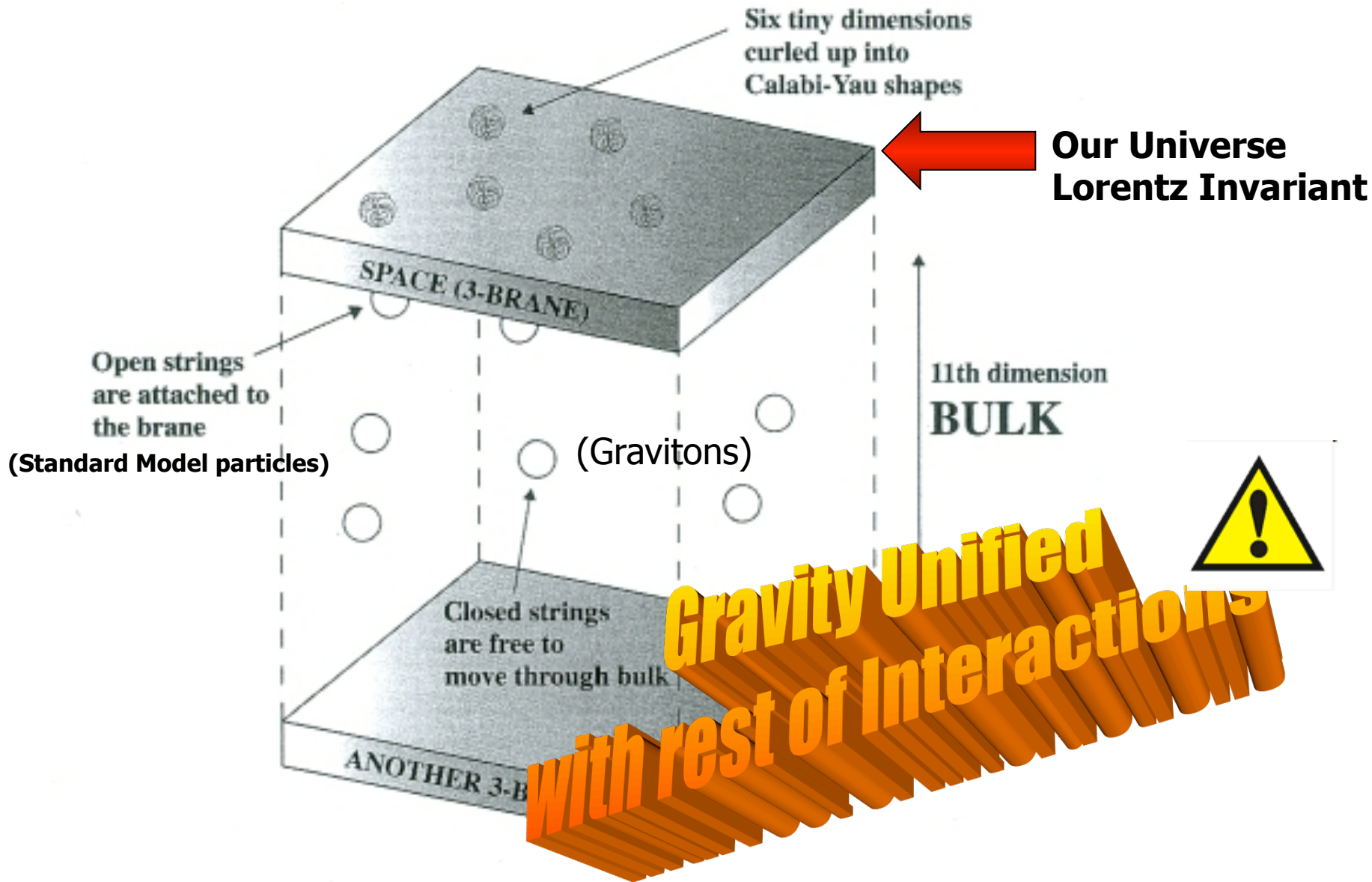
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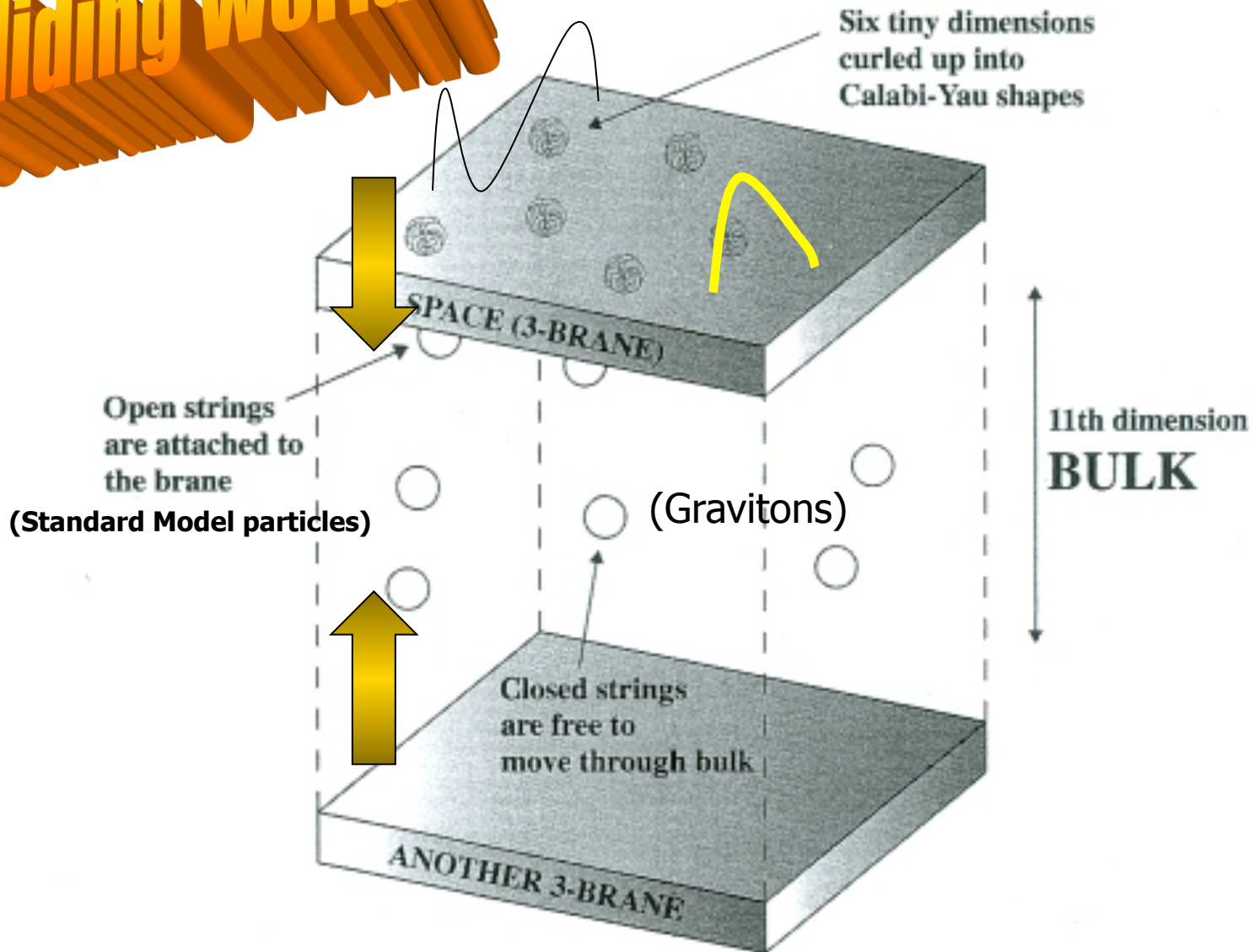


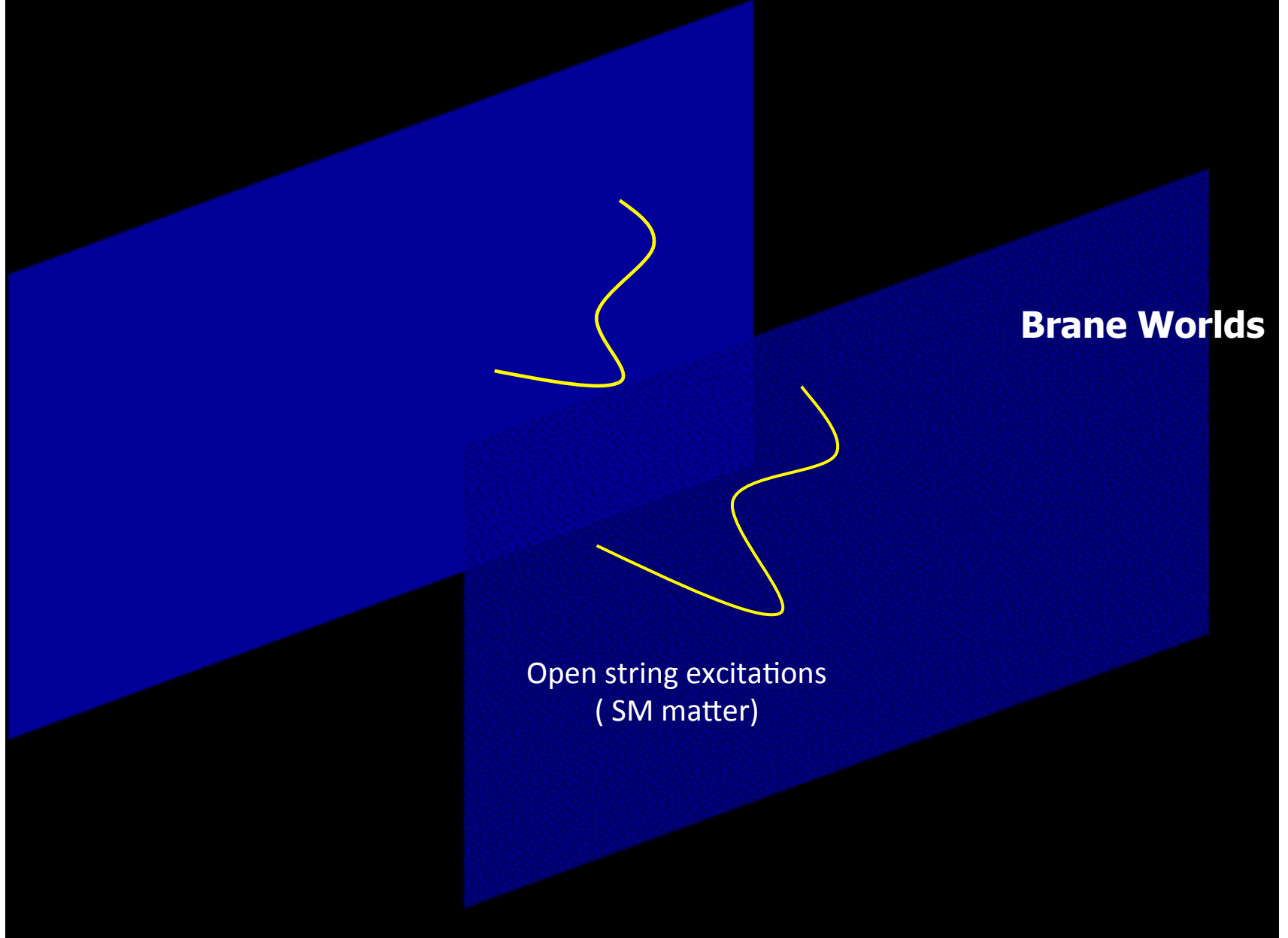
SECOND VERSION OF STRING THEORY (BRANE-THEORY):



ANTOHER VERSION: COLLIDING BRANE WORLDS :

Colliding Worlds

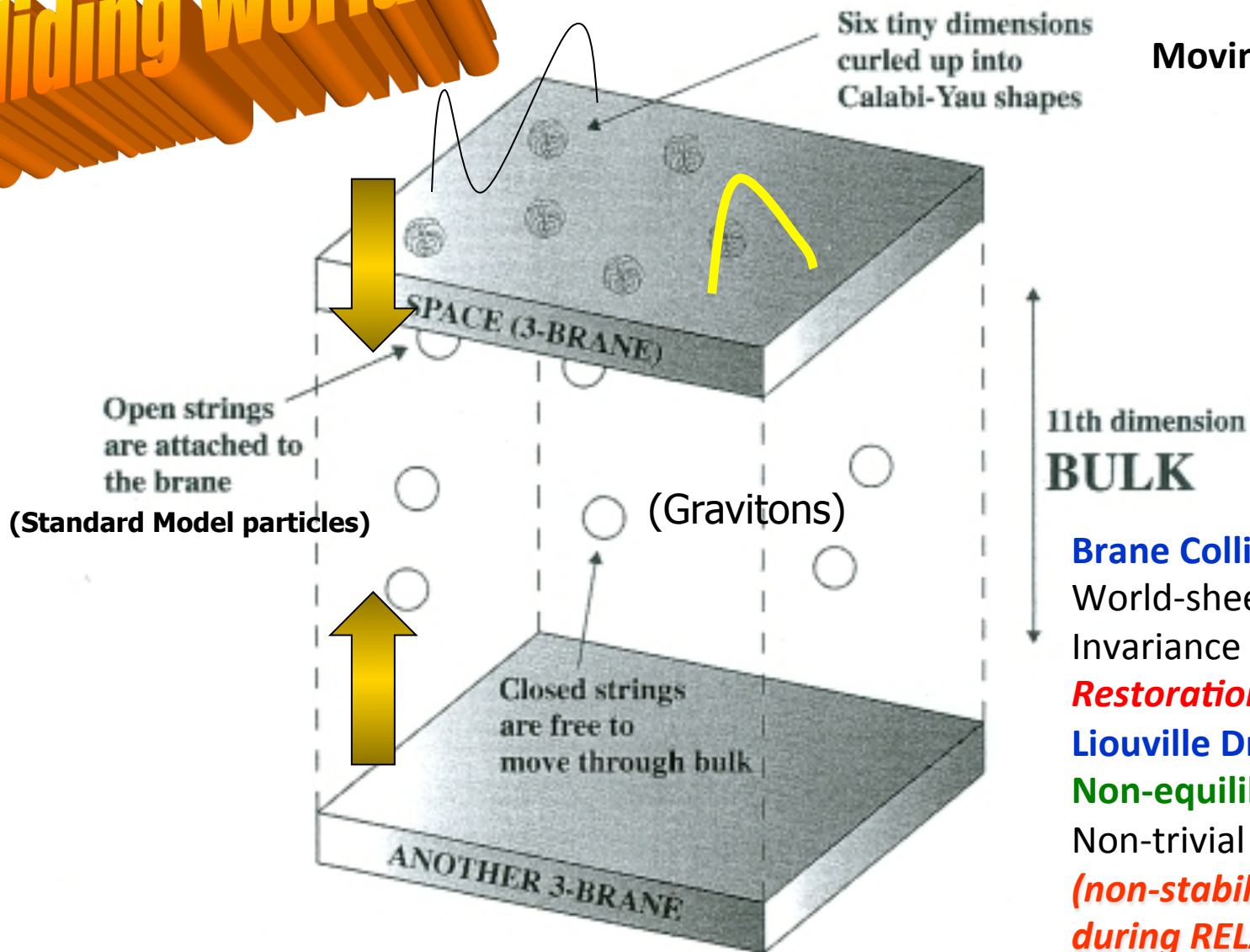




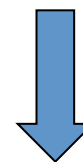
Colliding & Bouncing Brane world Cosmology

ANTOHER VERSION: COLLIDING BRANE WORLDS :

Colliding Worlds



Moving Brane Worlds



Target-space
Supersymmetry
Breaking,



Brane Collision (Bounce)

World-sheet Conformal
Invariance violation

Restoration by:

Liouville Dressing,

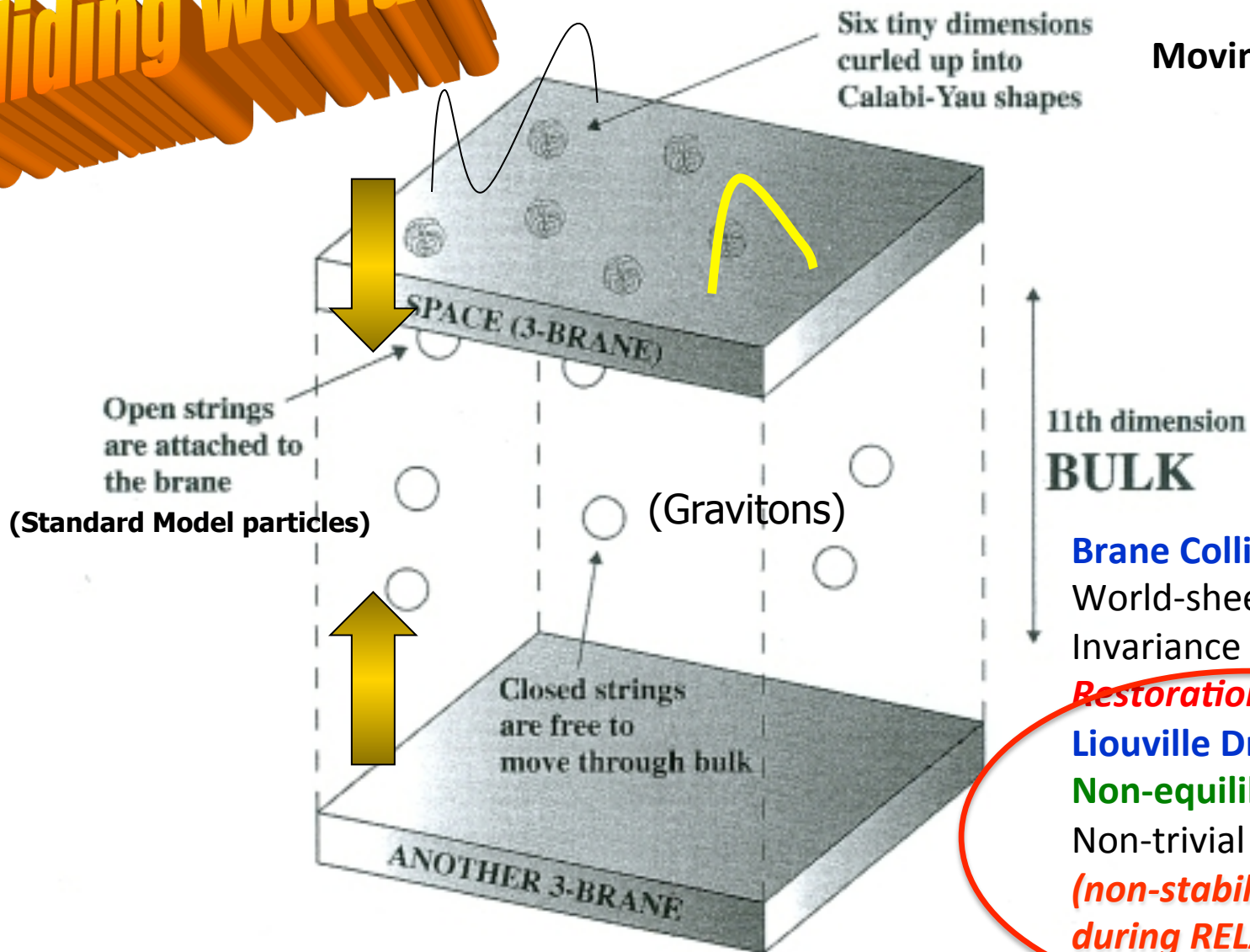
Non-equilibrium strings

Non-trivial time dependent

(non-stabilized) DILATONS
during **RELAXATION**

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Colliding Worlds



Moving Brane Worlds



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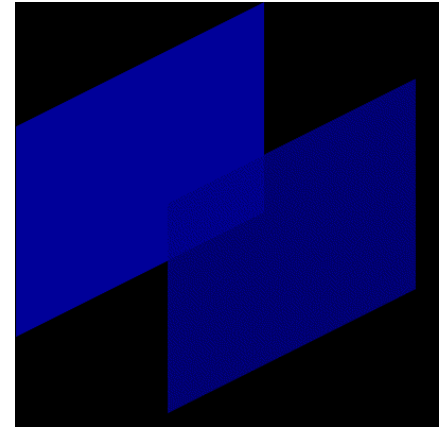
Liouville Dressing,
Non-equilibrium strings

Non-trivial time dependent
(non-stabilized) DILATONS
during RELAXATION

COLLIDING BRANE WORLDS:

BRANE RECOIL (BOUNCE)-INDUCED
DEPARTURES FROM CONFORMAL INVARIANCE
DUE TO RECOILING BRANE WORLDS

$$\mathcal{V}_{\text{recoil}} = \int_{\partial\Sigma} U_J X^0 \Theta_\varepsilon(X^0) \partial_n X^J, \\ J = \text{BULK index},$$



DILATON IN THIS CASE:

Liouville – mode φ dressing \rightarrow restoration of
world-sheet conformal invariance :

$$\Phi(\varphi) = Q(\varphi) \varphi$$

GLOBALY DESTABILIZED DILATON
...Relevant for Cosmology

“Running” Central charge deficit
in identical Brane-Worlds recoil case:

$$Q^2 = \frac{(\vec{U}_J^2)^2}{t^2 + t_P^2} \\ \varphi = -\sqrt{2} t$$

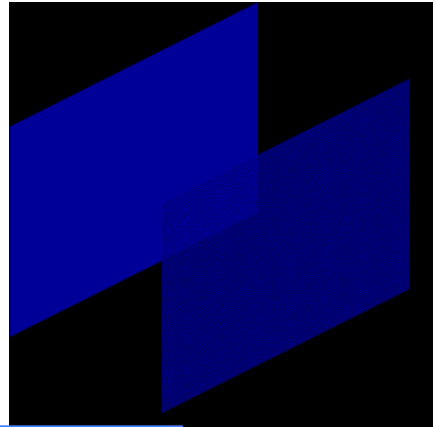
Gravanis, NEM

$t =$ Minkowski time

$\Phi \rightarrow$ constant
 $t \gg t_p$
relaxation
process

COLLIDING BRANE WORLDS:

BRANE RECOIL (BOUNCE)-INDUCED
DEPARTURES FROM CONFORMAL INVARIANCE
DUE TO RECOILING BRANE WORLDS



$$\mathcal{V}_{\text{recoil}} = \int_{\partial\Sigma} U_J X^0 \Theta_\varepsilon(X^0) \partial_n X^J, \\ J = \text{BULK index,}$$

*Bulk Recoil velocity of Brane World,
non-conformal, anomalous dimension - $\varepsilon^2/2$*

DILATON IN THIS CASE:

Liouville – mode φ dressing \rightarrow restoration of
world-sheet conformal invariance :

$$\Phi(\varphi) = Q(\varphi) \varphi$$

GLOBALLY DESTABILIZED DILATON
...Relevant for Cosmology

“Running” Central charge deficit
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relaxation
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Basic Liouville Equation-Relaxation

$$\frac{d^2}{d\varphi^2} g^i + Q(\varphi) \frac{d}{d\varphi} g^i = \beta^i + \dots$$

$$\varphi = -\sqrt{2} \times (\text{FRW time})$$

Background fields:
 $G_{\mu\nu}, A_\mu, \Psi \dots$

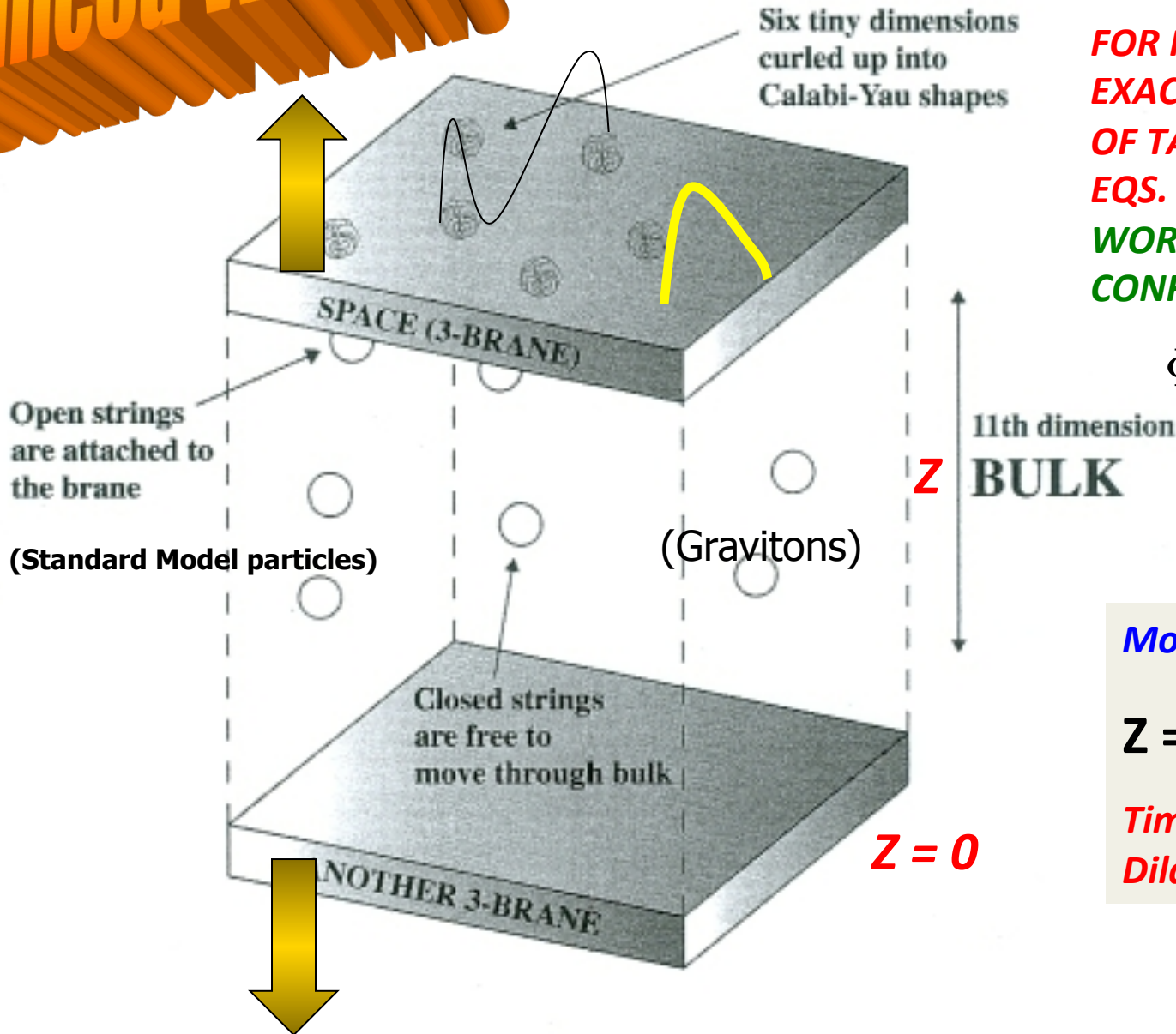
World-Sheet
Renormalization Group
(wsRG) of g^i

NEAR A world sheet RG FIXED POINT: near equilibrium,
e.g. **late Universe**

TIME-DEPENDENT DILATONS IN ADIABATICALLY MOVING (BOUNCED) BRANES:

Bounced Worlds

Rizos, NEM



**FOR FIXED Z WARPED E.D.:
EXACT SOLUTIONS
OF TARGET SPACE
EQS. OF MOTION =
WORLD-SHEET
CONFORMAL INVARIANCE**

$$\Phi(Z) = \phi_0 \ln|Z|,$$

$$\phi_0 < 0$$

Moving Branes:

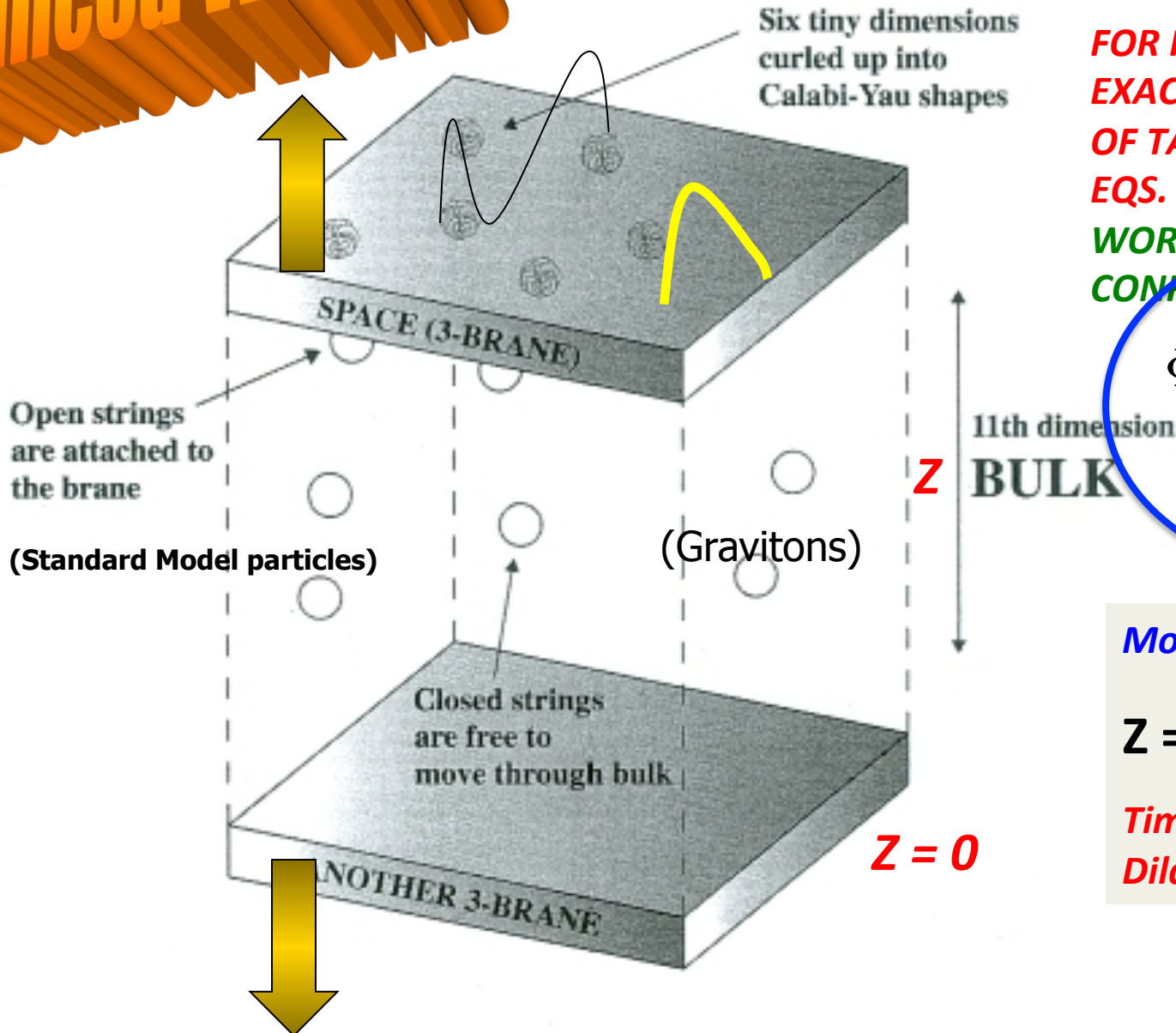
$$Z = U t \rightarrow \Phi = \Phi(t)$$

**Time-dependent
Dilaton backgrounds**

TIME-DEPENDENT DILATONS IN ADIABATICALLY MOVING (BOUNCED) BRANES:

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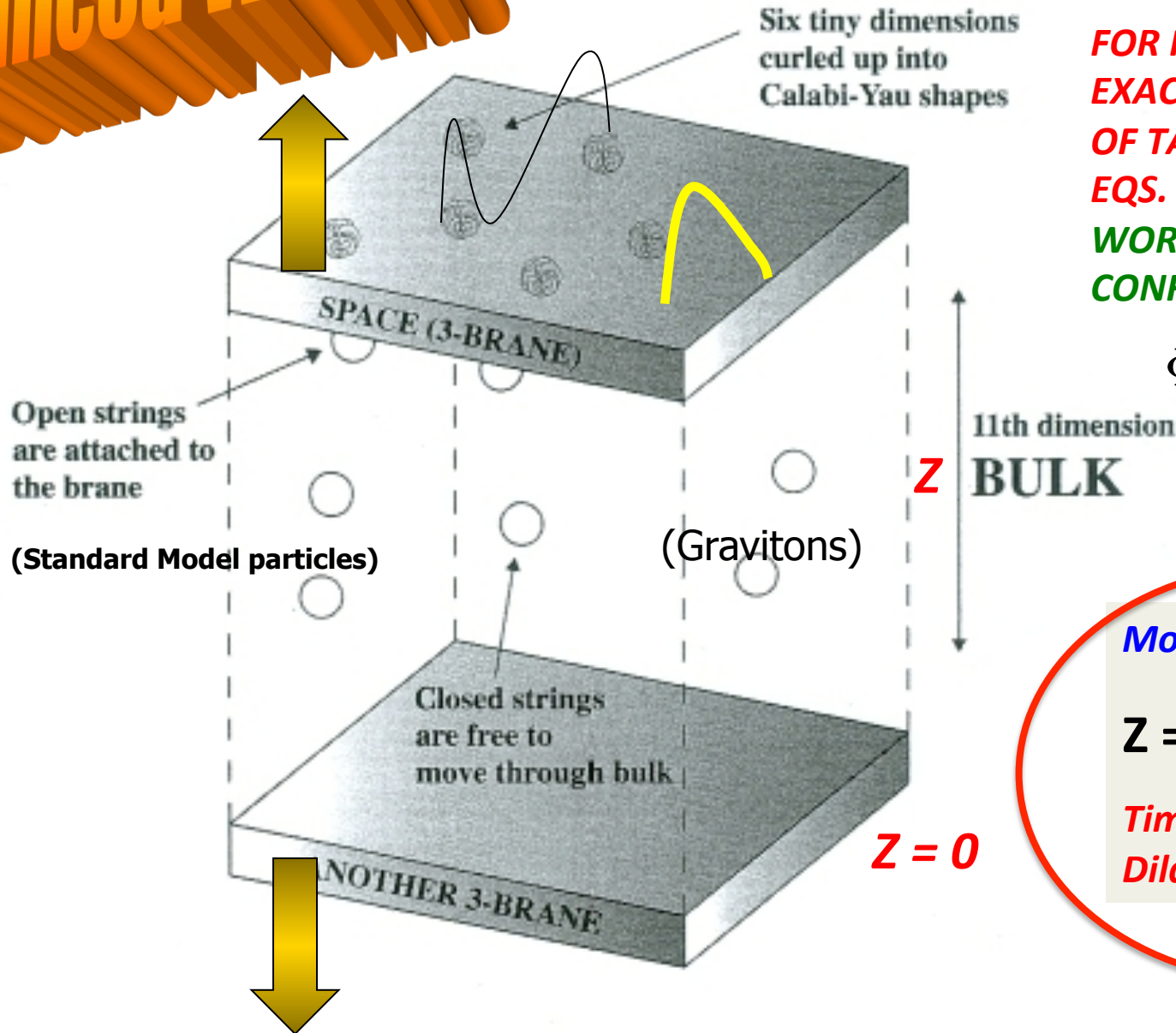
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Time-dependent
Dilaton backgrounds

GENERIC ASPECTS OF DILATON COSMOLOGIES

NON-TRIVIAL DILATON EFFECTIVE 4-d ACTIONS IN STRING FRAME

$$\mathcal{S}^{(4)} = \frac{1}{2\alpha'} \int d^4x \sqrt{-G} \left(e^{\Psi(\phi)} R(G) + Z(\phi)(\nabla\phi)^2 + 2\alpha' V(\phi) \right) + \dots$$
$$- \frac{1}{16\pi} \int d^4x \int \sqrt{G} \frac{1}{\alpha(\phi)} F_{\mu\nu}^2 + \mathcal{S}_{\text{matter}}[\phi, G_{\mu\nu}, \text{matter}]$$

Including String Loops: $e^{\Psi[\phi]} = c_0 e^{-2\phi} + c_1 + c_2 e^{2\phi} + \dots$, $Z(\phi) = 4 + \dots$

$$V(\phi) = 2Q^2 e^{-2\phi} + \text{string loop corrections}$$

Canonically Normalize Einstein term by redefining graviton (Einstein Frame)

$$G_{\mu\nu} \rightarrow g_{\mu\nu} = (e^{-2\phi} + \dots) G_{\mu\nu} \rightarrow \mathcal{S}_E^{(4)} = \frac{1}{2\alpha'} \int d^4x \sqrt{-g_E} R(g_E) + \dots$$

Assume FRW Cosmic backgrounds, and define FRW time

$$(e^{-\phi} + \dots) dt = dt_E \rightarrow ds^2 = -dt_E^2 + a^2(t_E) h^{ij} dx_i dx_j$$
$$V(\phi) \rightarrow V_E(\phi) = 2Q^2 e^{+2\phi} + \text{string loop corrections}$$

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EQUATIONS OF MOTION FOR THE DILATON UNIVERSE

Off-Shell Liouville Equations: $(\rho_\phi = (\dot{\phi})^2 + V(\phi)/2, p_\phi = (\dot{\phi})^2 - V(\phi)/2)$

$$3H^2 = \rho_m + \rho_\phi + \frac{e^{2\phi}}{2} \mathcal{J}_\phi,$$

$$2 \frac{dH}{dt_E} = -\rho_m - \rho_\phi - p_m - p_\phi + a^{-2}(t_E) \mathcal{J}_{ii}, \quad i = 1, 2, 3,$$

$$\frac{d^2\phi}{dt_E^2} + 3H \frac{d\phi}{dt_E} + \frac{1}{4} \frac{\partial V}{\partial \phi} + \frac{1}{2} (\rho_m - 3p_m) = -\frac{3}{2} \frac{\mathcal{J}_{ii}}{a^2} - \frac{e^{2\phi} \mathcal{J}_\phi}{2},$$

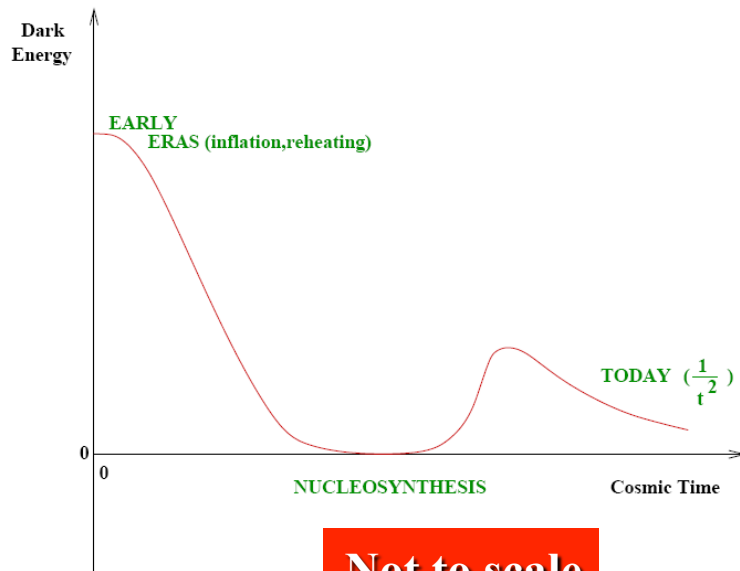
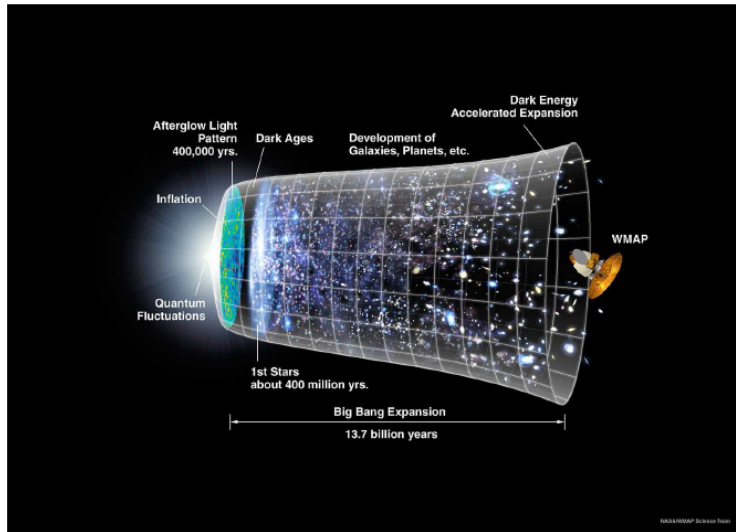
$$\mathcal{J}_\phi = e^{-2\phi} (\ddot{\phi} - \dot{\phi}^2 + Q e^\phi \dot{\phi}), \quad \mathcal{J}_{ii} = 2a^2 \left(\ddot{\phi} + 3H\dot{\phi} + \dot{\phi}^2 + (1-q)H^2 + Q e^\phi (\dot{\phi} + H) \right).$$

Matter (non) Conservation equations:

$$\dot{\rho}_m + 3H(\rho_m + p_m) + \dot{Q}(\partial V(\phi))/2\partial Q - \dot{\phi}(\rho_m - 3p_m) = 6(H + \dot{\phi})a^{-2} \mathcal{J}_{ii}$$

In our bouncing Universe case: $Q^2 = \frac{(\vec{U}_J^2)^2}{t^2 + t_P^2} \ll 1 \rightarrow \dot{Q} \sim \frac{1}{t^2} \ll Q$

EVOLUTION OF A LIOUVILLE UNIVERSE



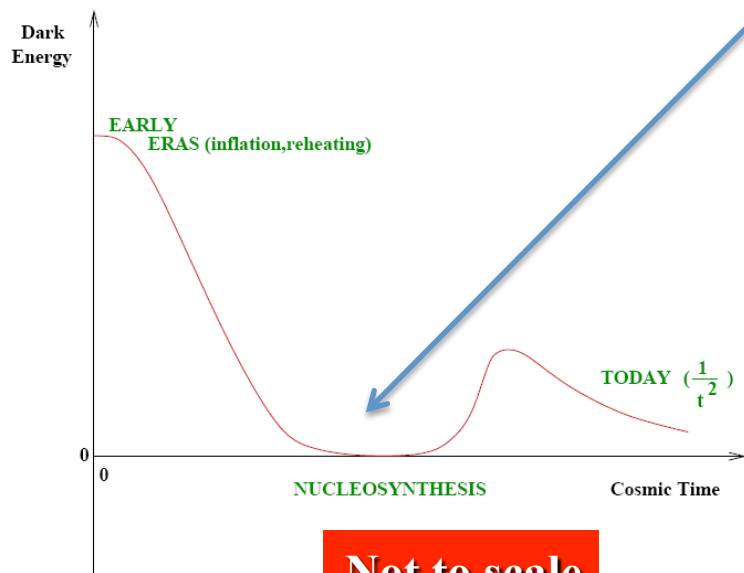
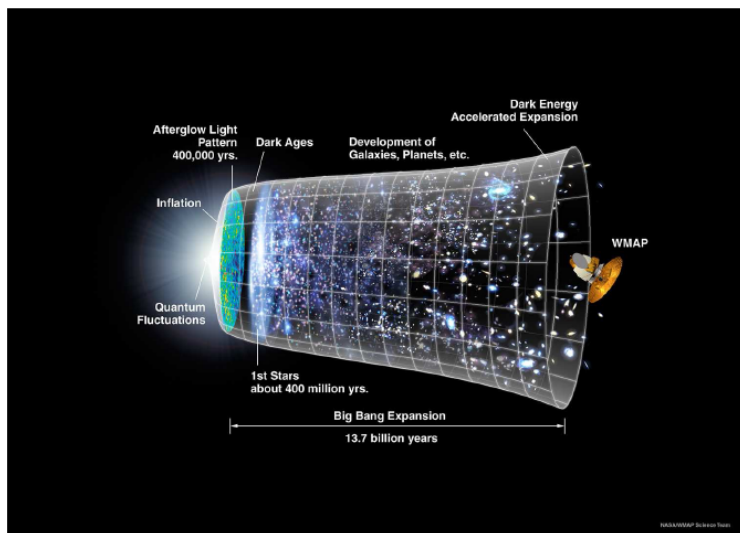
Not to scale

In Liouville string (Non-Equilibrium, off-shell) Dark Energy Models, Dilaton Dark Energy may be negligible at NUCLEOSYNTHESIS epoch.

Conformal Field Theory (Logarithmic CFT, in brane recoil models) → asymptotic scaling with cosmic time $\sim 1/t^2$ (E.Gravanis, N.M.) .

NB: Cosmic Time \iff world-sheet Renormalization Group (RG) local Scale (Liouville mode), Irreversible (Zamolodchikov C-theorem) !

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DILATON EFFECTS ON DM

ASSUME DILATON DOMINANCE DURING DM DECOUPLING

**ASSUME DILATON POTENTIAL IS EXPONENTIAL WITH $\Phi \approx \text{Ln}(a(t))$
BUT SUCH THAT DILATON MASS VERY LOW SO DECAY IS PROHIBITED**

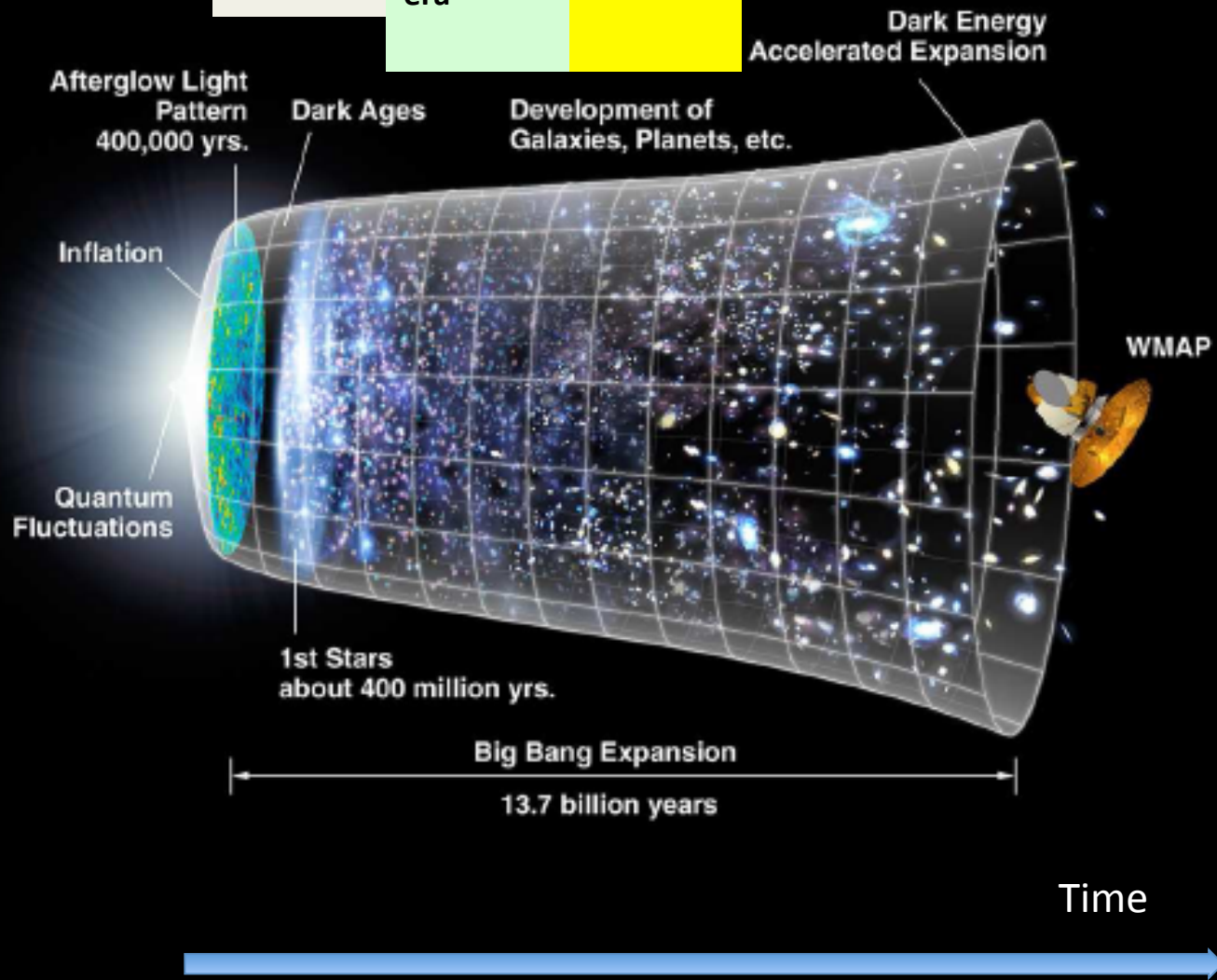
BOTH FEATURES GUARANTEED IN LIOUVILLE MODEL OF COLLIDING BRANE WORLDS

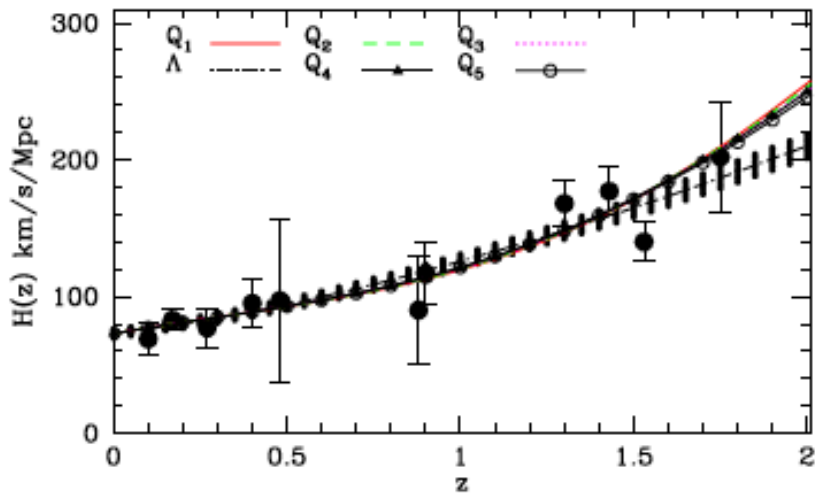
$$V(\phi) \sim 2Q^2 e^{2\Phi} + \text{string loops}$$

$$Q^2 = \frac{(\vec{U}_J^2)^2}{t^2 + t_P^2} \ll 1$$

Sufficiently small (time-dependent) dilaton mass terms $O(Q^2 \Phi^2)$ for sufficiently low brane-world bounce velocities
no dilaton decays to SM particles, except massless ones, photons, during dilaton dominance period.

Dilaton Domi- nance	DM Decouples Radiation era	Matter Domi- nance
---------------------------	-------------------------------------	--------------------------



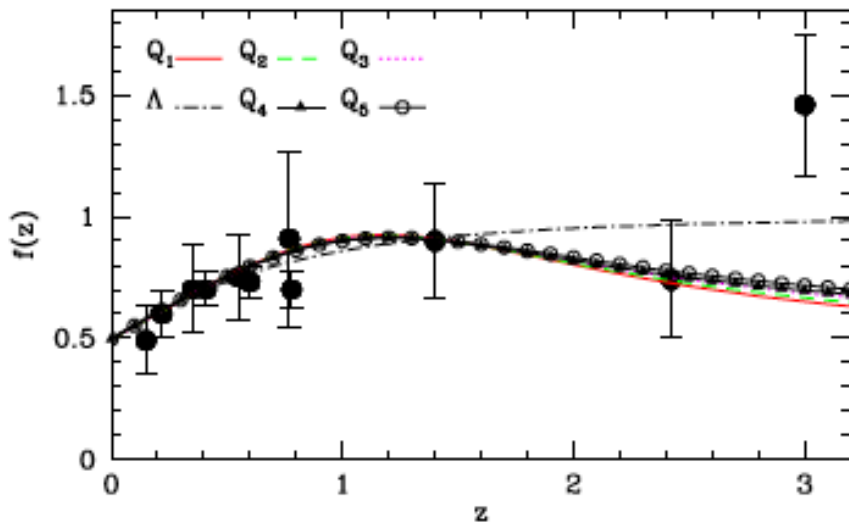


Matter
Domi-
nance

**COSMOLOGY TESTS
CONSISTENT WITH CURRENT
DATA**

**GROWTH OF GALAXIES
CAN DIFFERENTIATE
DILATON COSMOLOGIES
FROM STANDARD Λ CDM**

**Basilakos, NEM, Mitsou, Plionis
1107.3532, AP (2012)**



Time



Equations of Motion, under the assumption of Dilaton dominance, ignore non-critical (non-equilibrium) terms

$$\ddot{\phi} + 3H\dot{\phi} + V'(\phi) = 0,$$

$$3H^2 = \frac{\dot{\phi}^2}{2} + V(\phi),$$

$$2\dot{H} = -(\rho_\phi + p_\phi) = -\dot{\phi}^2.$$

$$\frac{d\rho}{dt} + 3\hat{H}(\rho + p) - \frac{\dot{\phi}}{\sqrt{2}}(\rho - 3p) = 0$$

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$$\frac{dn}{dt} + 3\frac{\dot{a}}{a}n = \Gamma(t)n + \int \frac{d^3p}{E} C[f], \quad \Gamma(t) \equiv \dot{\Phi} + \frac{1}{2}\eta \left(e^{-\Phi} g^{\mu\nu} \tilde{\beta}_{\mu\nu}^{\text{Grav}} + 2e^{\Phi} \tilde{\beta}^{\Phi} \right), \quad \eta = -1$$

$$2\dot{H} = -(\rho_{\phi} + p_{\phi}) = -\dot{\phi}^2.$$

$$\frac{d\rho}{dt} + 3\hat{H}(\rho + p) - \frac{\dot{\phi}}{\sqrt{2}}(\rho - 3p) = 0$$



Lahanas, NEM, Nanopoulos



BOLTZMANN EQUATION FOR THERMAL DM SPECIES AFFECTED

$$\frac{dn}{dt} + 3\frac{\dot{a}}{a}n = \Gamma(t)n + \int \frac{d^3\mathbf{p}}{E} C[f(\mathbf{p}, t)]$$

$\Gamma(t) = \dot{\Phi} + \text{non-critical terms}$

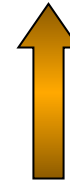
$$\dot{\Phi} < 0$$

Boltzmann equation Modifications for Thermal Dark matter Relics, e.g. Neutralinos

Lahanas, NEM, Nanopoulos

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TIME-DEPENDENT
DILATON SOURCE

Off-shell terms

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Not important
for near-equilibrium
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(e.g. DM decoupling era)

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Dilaton dominance
in early Universe
affects generically
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Lahanas

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TIME-DEPENDENT
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Not important for near-equilibrium systems (e.g. DM decoupling era)

$$\Phi \sim -\text{Ln}(a(t))$$

$$\dot{\Phi} \sim -H < 0$$

Dilaton dominance in early Universe affects generically DM abundance

Lahanas

Modified expression for relic abundance

$$\Omega_{\tilde{\chi}} h_0^2 = (\Omega_{\tilde{\chi}} h_0^2)_{no-source} \times \left(\frac{\tilde{g}_*}{g_*} \right)^{1/2} \exp \left(\int_{x_0}^{x_f} \frac{\Gamma H^{-1}}{x} dx \right)$$

with $(\Omega_{\tilde{\chi}} h_0^2)_{no-source} = \frac{1.066 \times 10^9 \text{ GeV}^{-1}}{M_{Plank} \sqrt{g_*} J} \quad J \equiv \int_{x_0}^{x_f} \langle v\sigma \rangle dx.$

NB: Notice presence of non-critical/dilaton prefactor $R = \left(\frac{\tilde{g}_*}{g_*} \right)^{1/2} \exp \left(\int_{x_0}^{x_f} \frac{\Gamma H^{-1}}{x} dx \right)$

O(10) Dilution for Dark matter (e.g. neutralinos)
Baryon Density unchanged

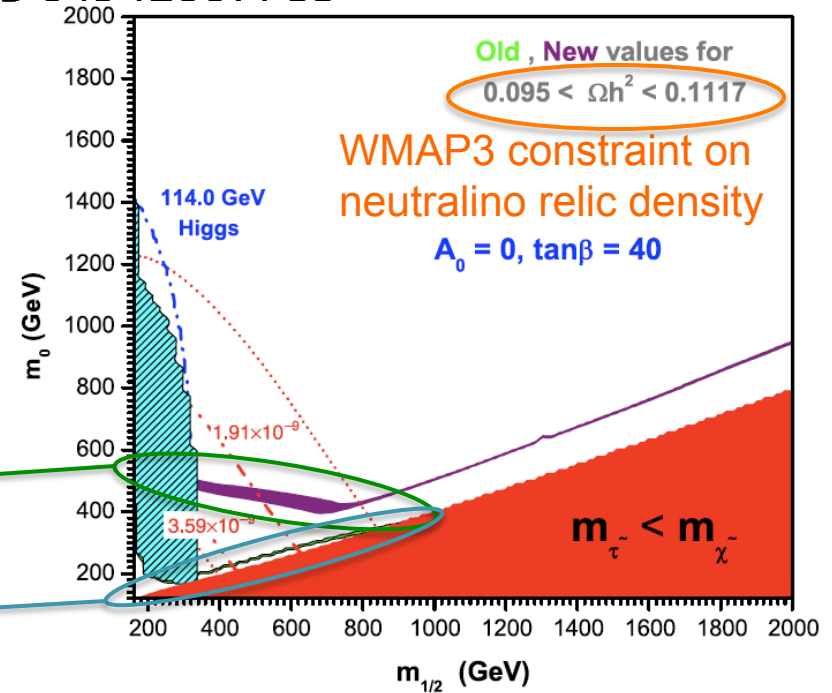


**...OR MORE → CAN PUSH SUSY PARTNER
 MASSES OUT OF REACH OF LHC !**

LHC signatures of Dilaton DM Dilution – More room for SUSY

Lahanas, NEM, Nanopoulos

- The presence of the time-dependent dilaton affects the relic density calculation, since it modifies the Boltzmann equation
- O(10) dilution for dark matter (neutralinos)
 - ⇒ **more room for Supersymmetry at colliders ...**
 - e.g. Lahanas, NM, Nanopoulos, PLB 649 (2007) 83
- LHC signatures also affected
 - Higgs + jets + MET
 - Z + jets + MET
 - 2τ + jets + MET
 - Dutta et al, PRD 79 (2009) 055002 [0808.1372 [hep-ph]]



SSC-allowed

ordinary cosmology-allowed

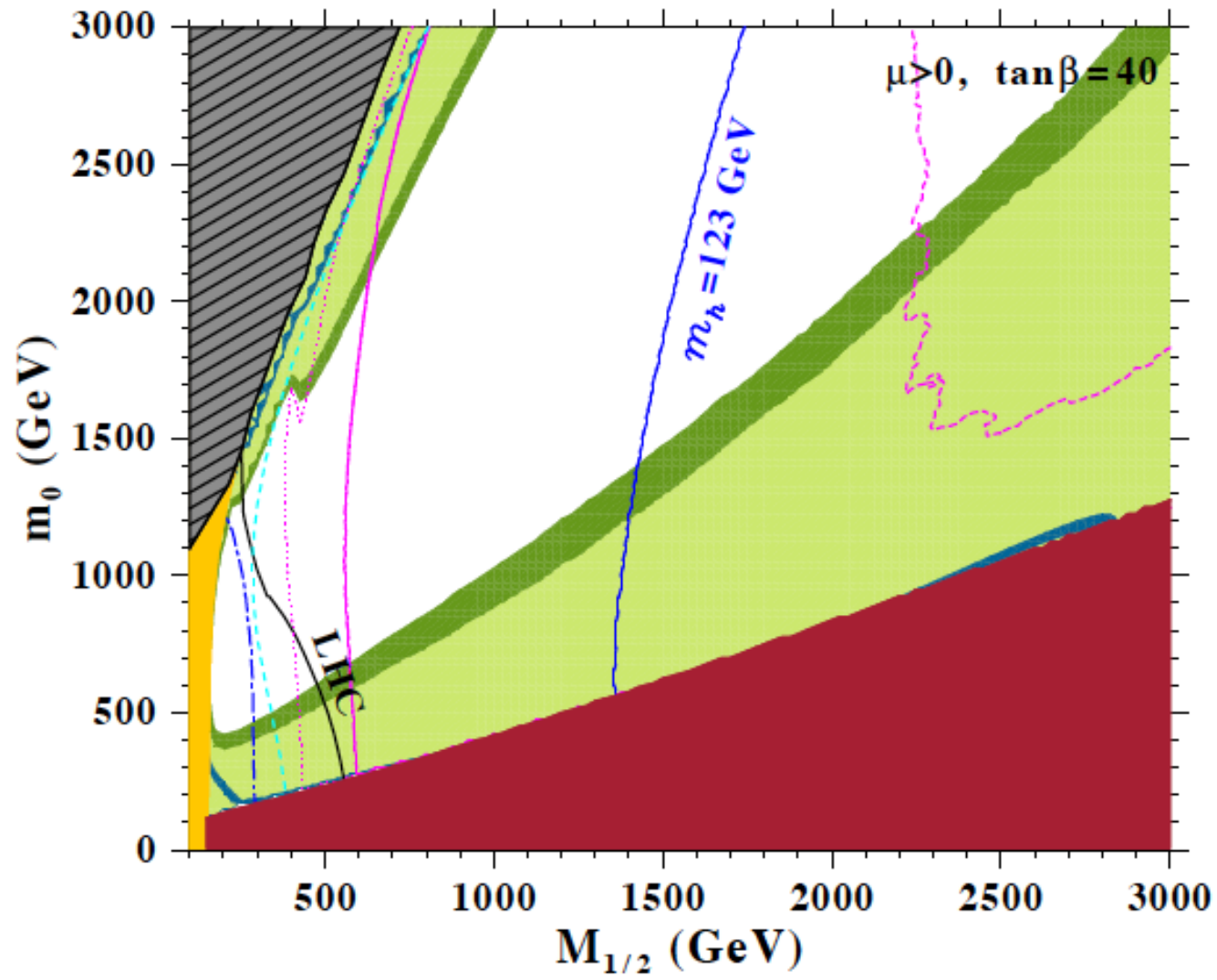
Post LHC 7TeV Run

Lahanas, Spanos 2012

WMAP7 DM bounds allowed

Neutralino lighter than WMAP7 bounds

***PHENOMENOLOGICAL
DILATON-DEFORMED
MODELS***



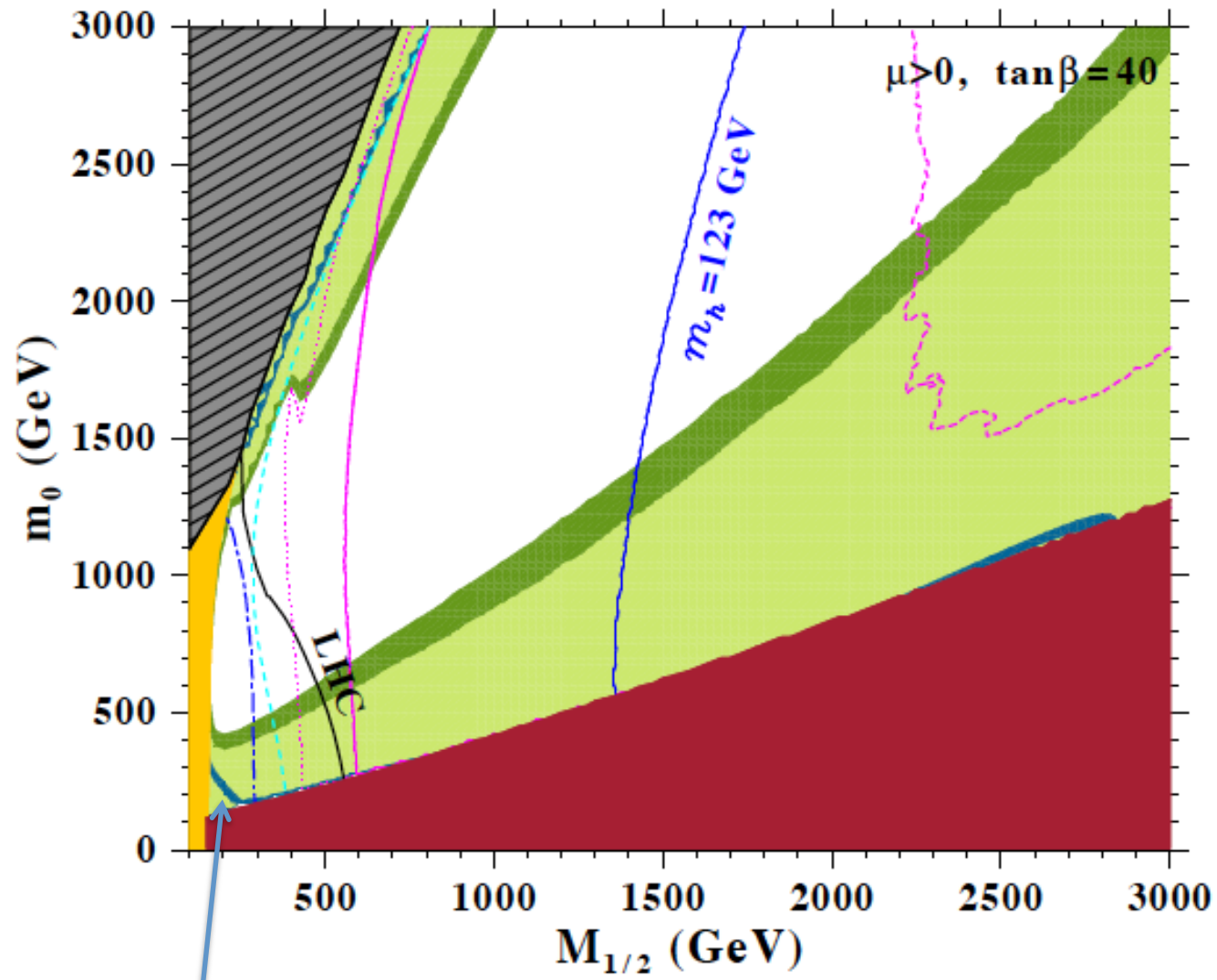
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Lahanas, Spanos 2012

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*PHENOMENOLOGICAL
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**NO-DILATON DEFORMATION
WMAP7 ALLOWED**

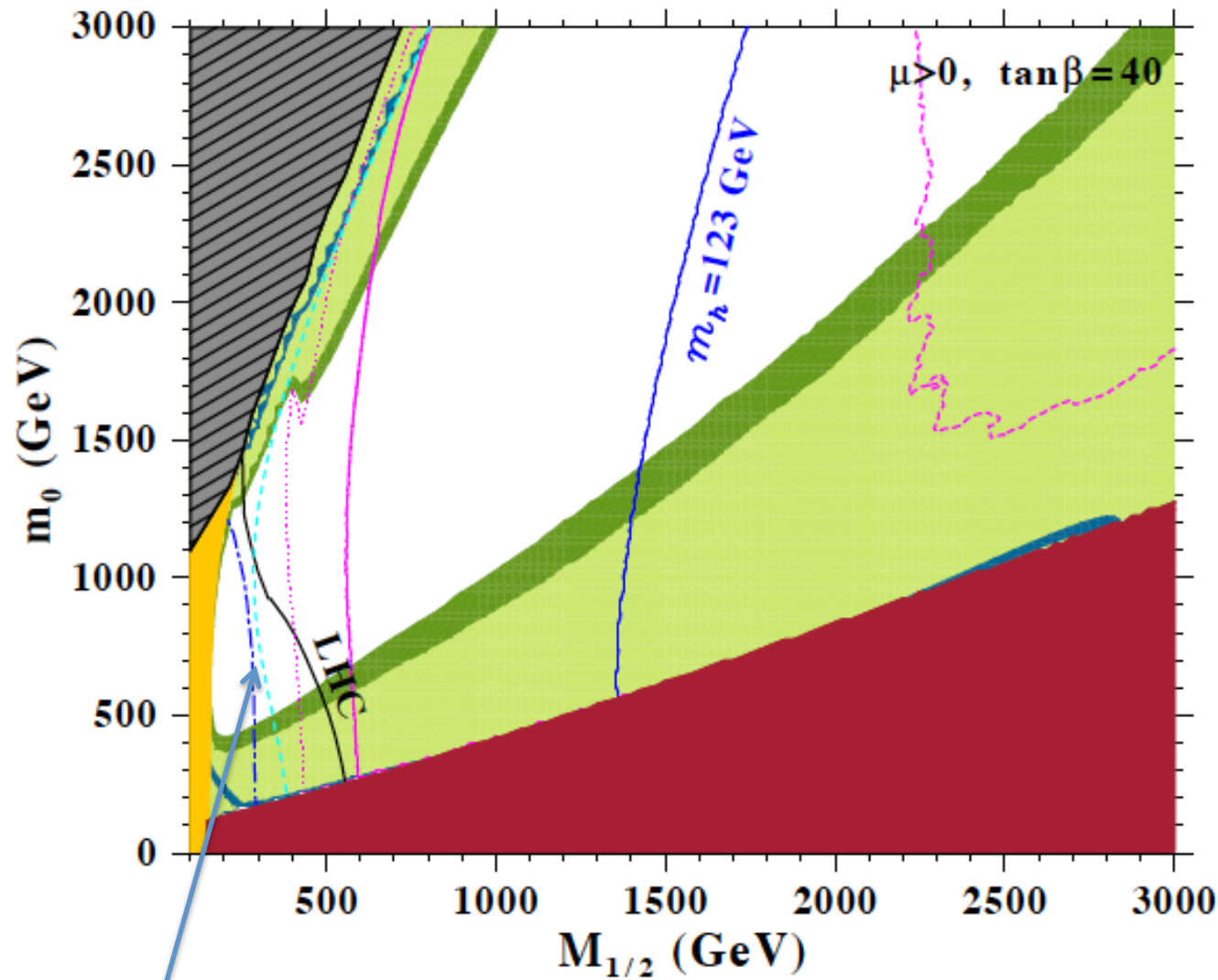
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Lahanas, Spanos 2012

WMAP7 DM bounds
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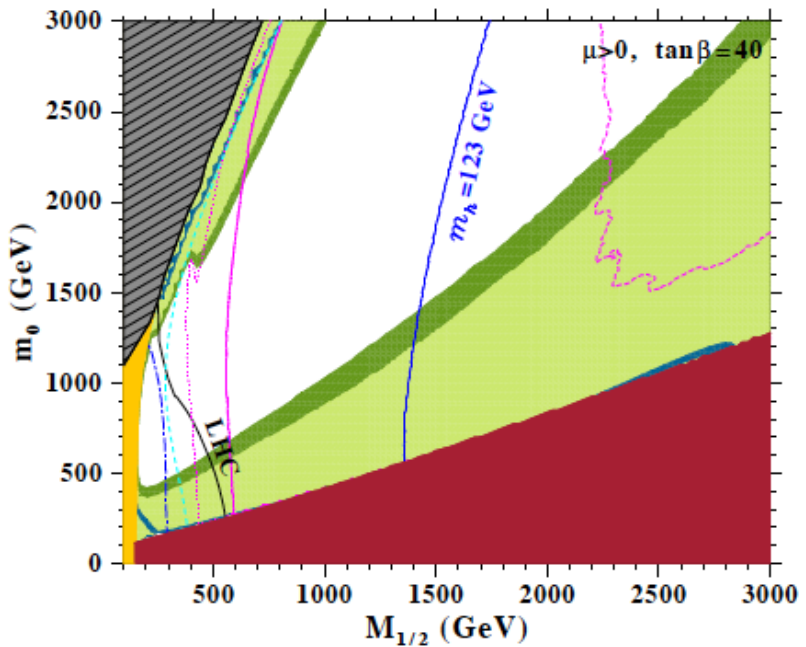
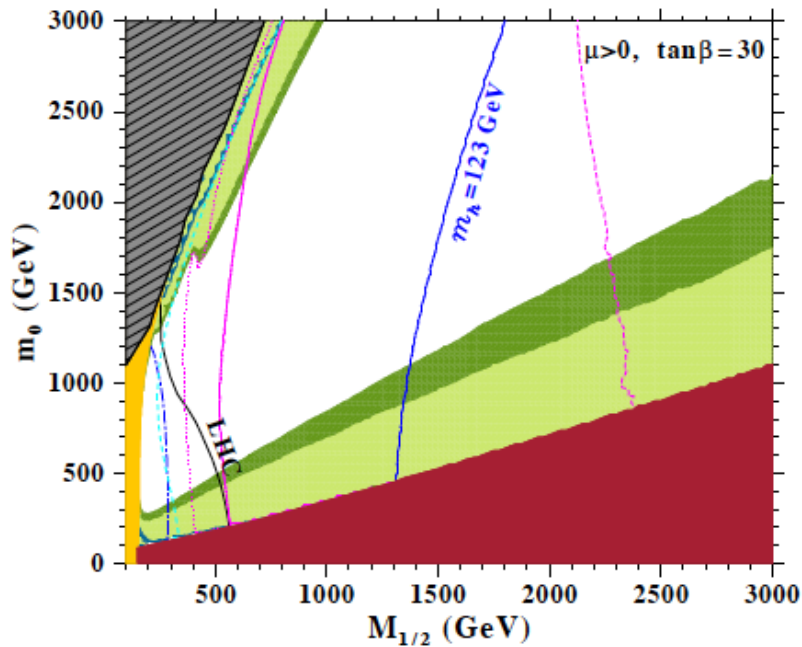
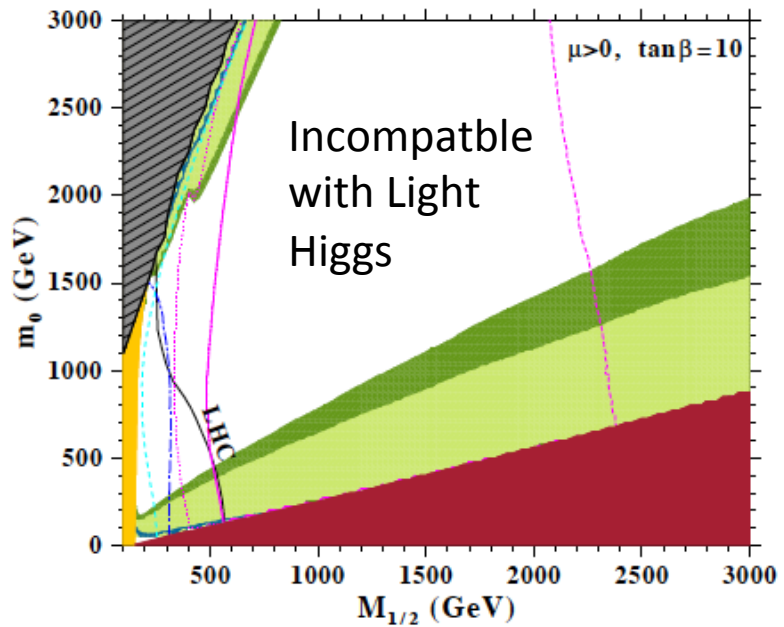
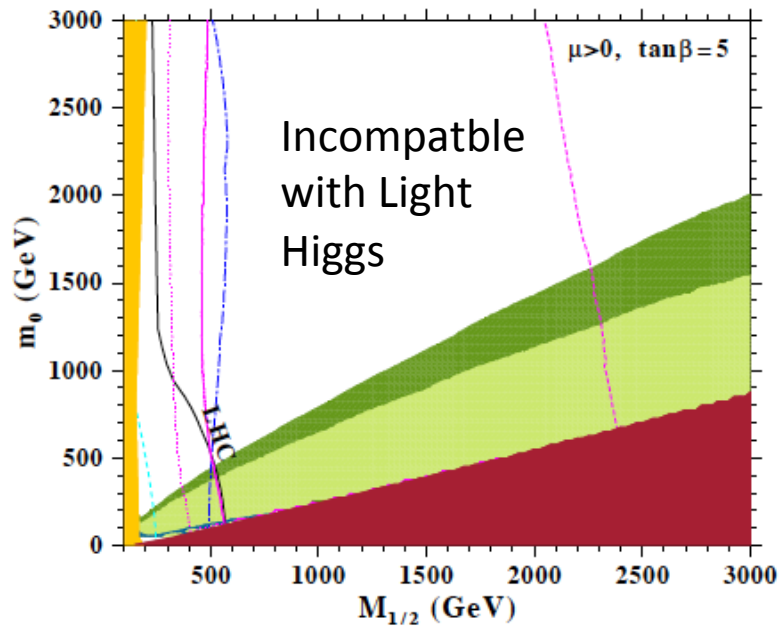
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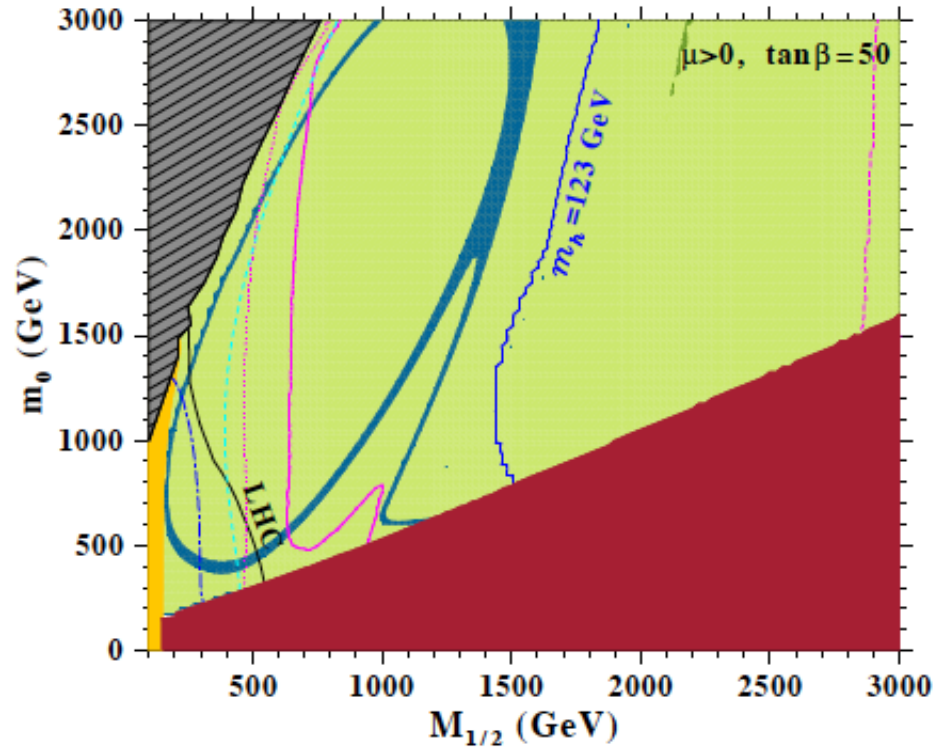
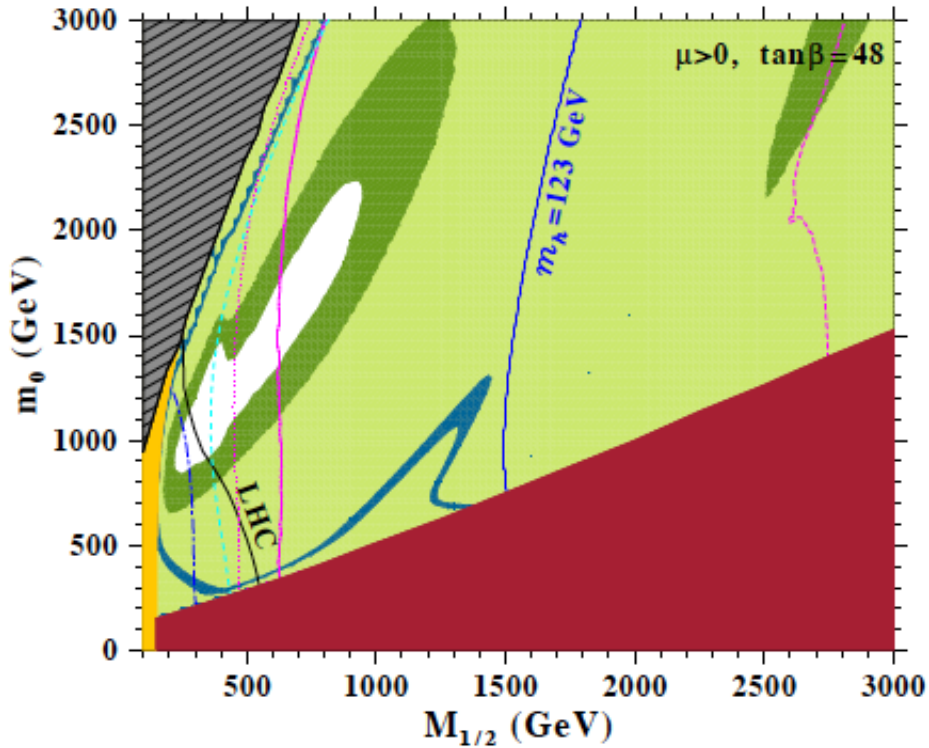
**PHENOMENOLOGICAL
DILATON-DEFORMED
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XENON 100 exclusion

(caution: re-analysis
in presence of dilaton
dominance should be made though)

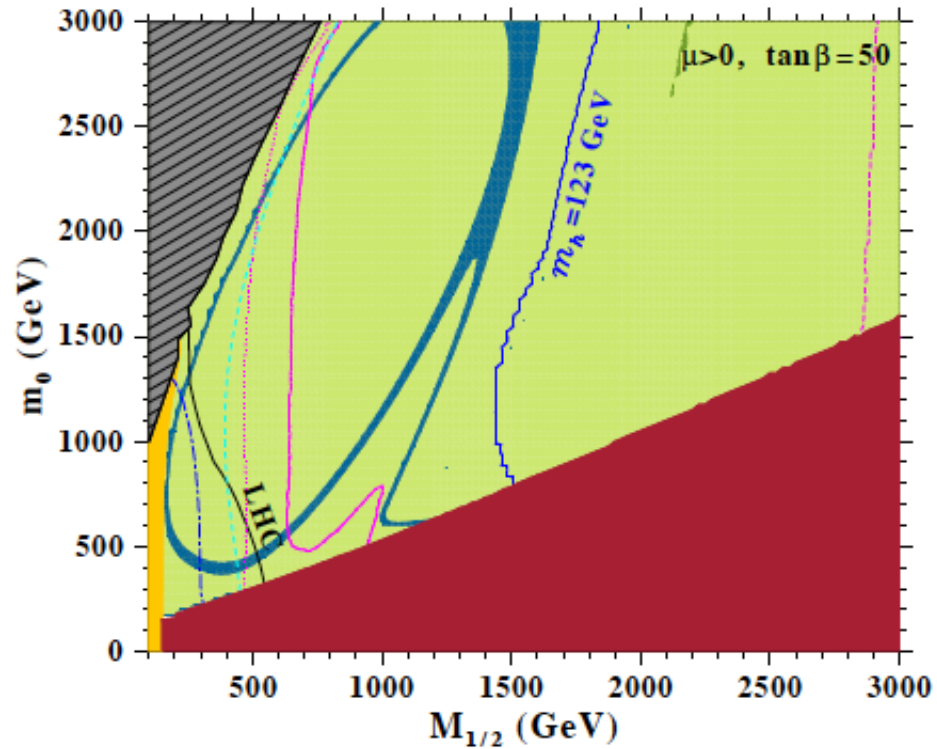
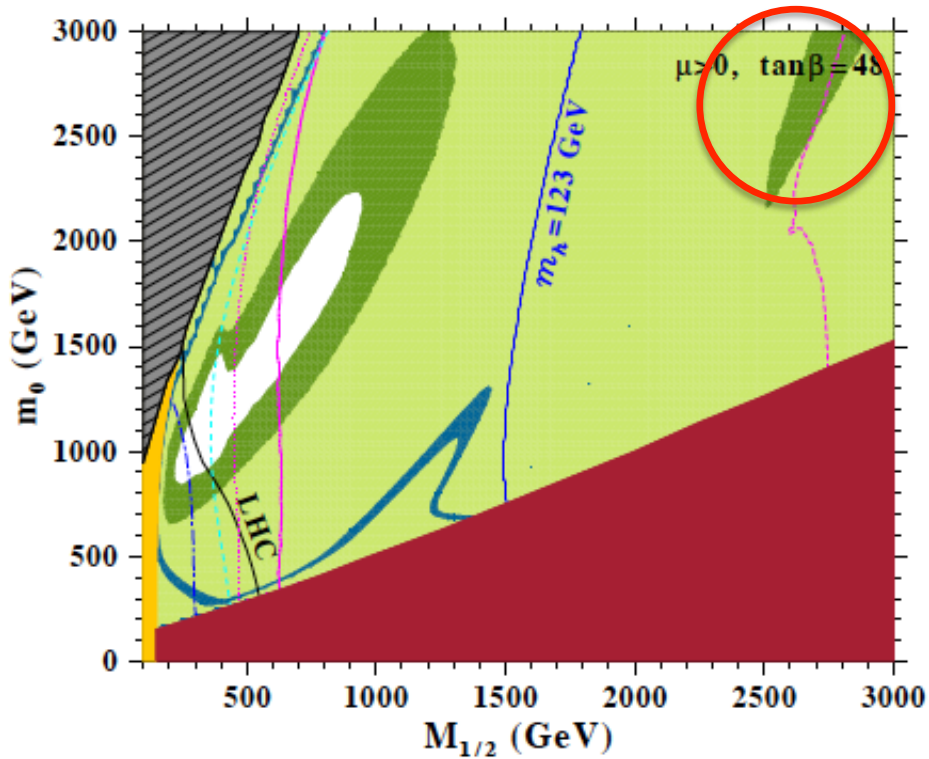




Conclusion:

Due to dilaton DM dilution, SUSY models, e.g. CMSSM, can become compatible with WMAP data and Higgs masses larger than 123 GeV, for $\tan\beta > 25$.





Conclusion:

Due to dilaton DM dilution, SUSY models, e.g. CMSSM, can become compatible with WMAP data and Higgs masses larger than 123 GeV, for $\tan\beta > 25$. There are *allowed* regions of SUSY *BEYOND LHC* reach, e.g. $(m_0, M_{1/2}) = (2500, 2600) \text{ GeV}$, $\tan\beta = 48$



...Now something different

**LORENTZ & CPT VIOLATION
IN STRING UNIVERSE
AND THE
OBSERVED BARYON ASYMMETRY**

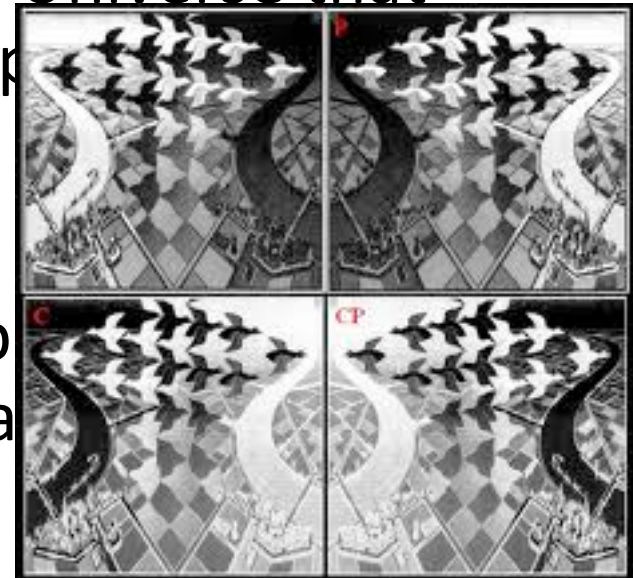
Generic Concepts

- **Leptogenesis**: physical *out of thermal equilibrium* processes in the (*expanding*) Early Universe that produce an asymmetry between leptons & antileptons
- **Baryogenesis**: The corresponding processes that produce an asymmetry between baryons and antibaryons
- **Ultimate question: why is the Universe made only of matter?**

Generic Concepts

- **Leptogenesis**: physical *out of thermal equilibrium* processes in the (*expanding*) Early Universe that produce an asymmetry between leptons and antileptons

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escher

- **Ultimate question: why is the Universe made only of matter?**

CP VIOLATION & BARYON ASYMMETRY

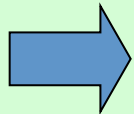
- Anomalous Violation of Baryon # (B), C & CP in SM
- Tiny CP violation ($O(10^{-3})$) in Labs: e.g. $K^0 \bar{K}^0$
- But Universe consists only of matter

Kuzmin, Rubakov,
Shaposhnikov

$$\frac{n_B - \bar{n}_B}{n_B + \bar{n}_B} \sim \frac{n_B - \bar{n}_B}{s} = (8.4 - 8.9) \times 10^{-11}$$

$T > 1 \text{ GeV}$

Sakharov : Non-equilibrium physics of early Universe, **B, C, CP violation**



$$n_B - \bar{n}_B$$

but **CPV** in SM does **not** reproduce
the observed Baryon Asymmetry (assuming **CPT**)



WHAT IF CPT IS VIOLATED IN THE EARLY UNIVERSE ?

**GENERATE Baryon and/or Lepton ASYMMETRY
without need for extra CPV sources, e.g. Heavy Sterile Neutrinos?**

CPT Invariance Theorem :

- (i) Flat space-times
- (ii) Lorentz invariance
- (iii) Locality
- (iv) Unitarity

**Schwinger, Pauli,
Luders, Jost, Bell
revisited by:
Greenberg,
Chaichian, Dolgov,
Novikov...**

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CPT Invariance Theorem :

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- (iv) Unitarity

CPT MAY be Violated
if at least one of (i) – (iv)
relaxed (e.g. in Early
Universe geometries ...)

$$\Delta n = n - \bar{n} = \frac{g}{(2\pi)^3} \int d^3\mathbf{p} \left(\frac{1}{1 + e^{E_\nu/T}} - \frac{1}{1 + e^{E_{\bar{\nu}}/T}} \right)$$

**If CPTV @
freezeout:**

$$E_\nu \neq E_{\bar{\nu}} \quad \Rightarrow \quad \Delta n \neq 0$$

WHAT IF CPT IS VIOLATED IN THE EARLY UNIVERSE ?

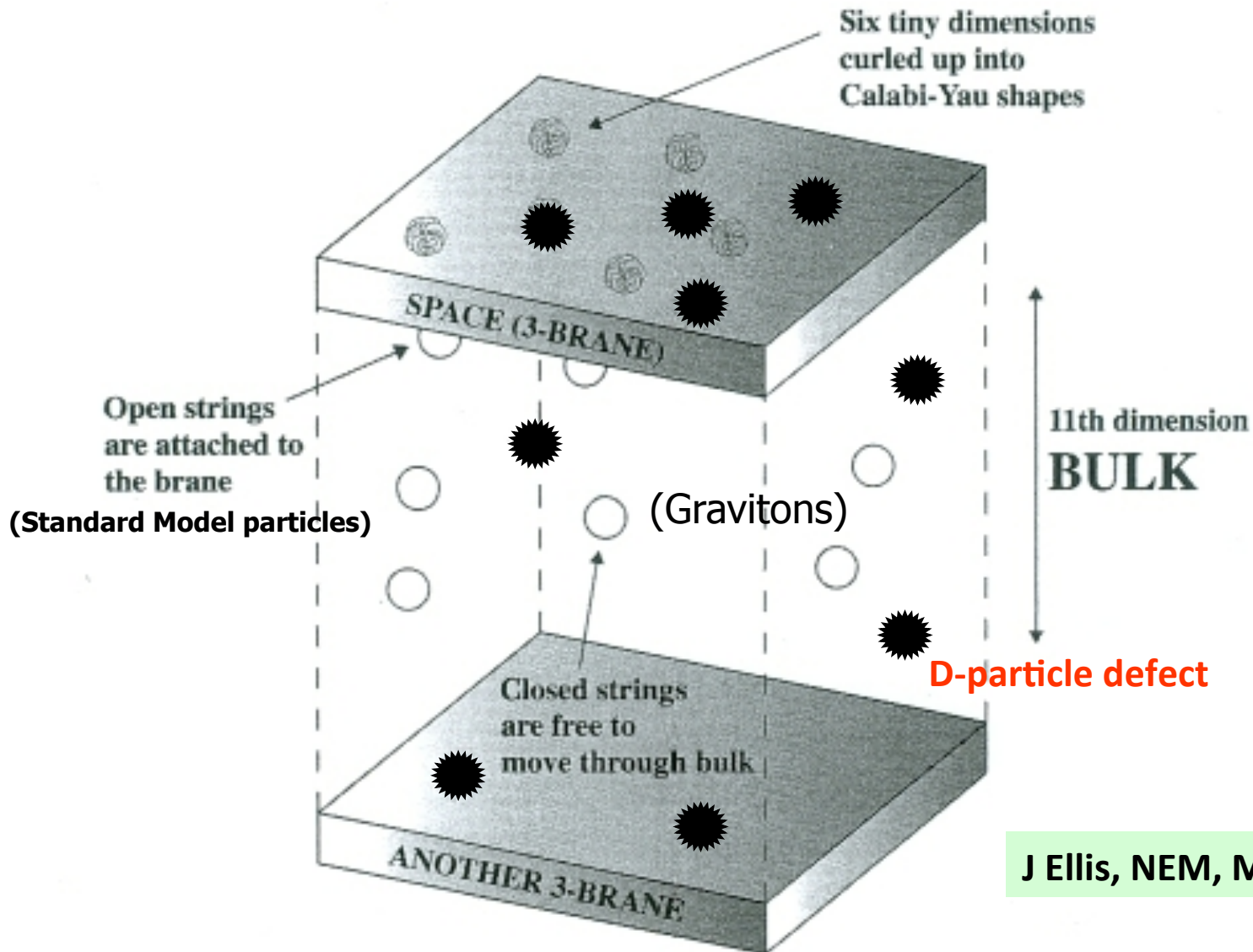
**GENERATE Baryon and/or Lepton ASYMMETRY
without need for extra CPV sources, e.g. Heavy Sterile Neutrinos?**

~~CPT Invariance~~ Theorem :

- (i) Flat space times
- (ii) Lorentz invariance
- (iii) Locality
- (iv) Unitarity

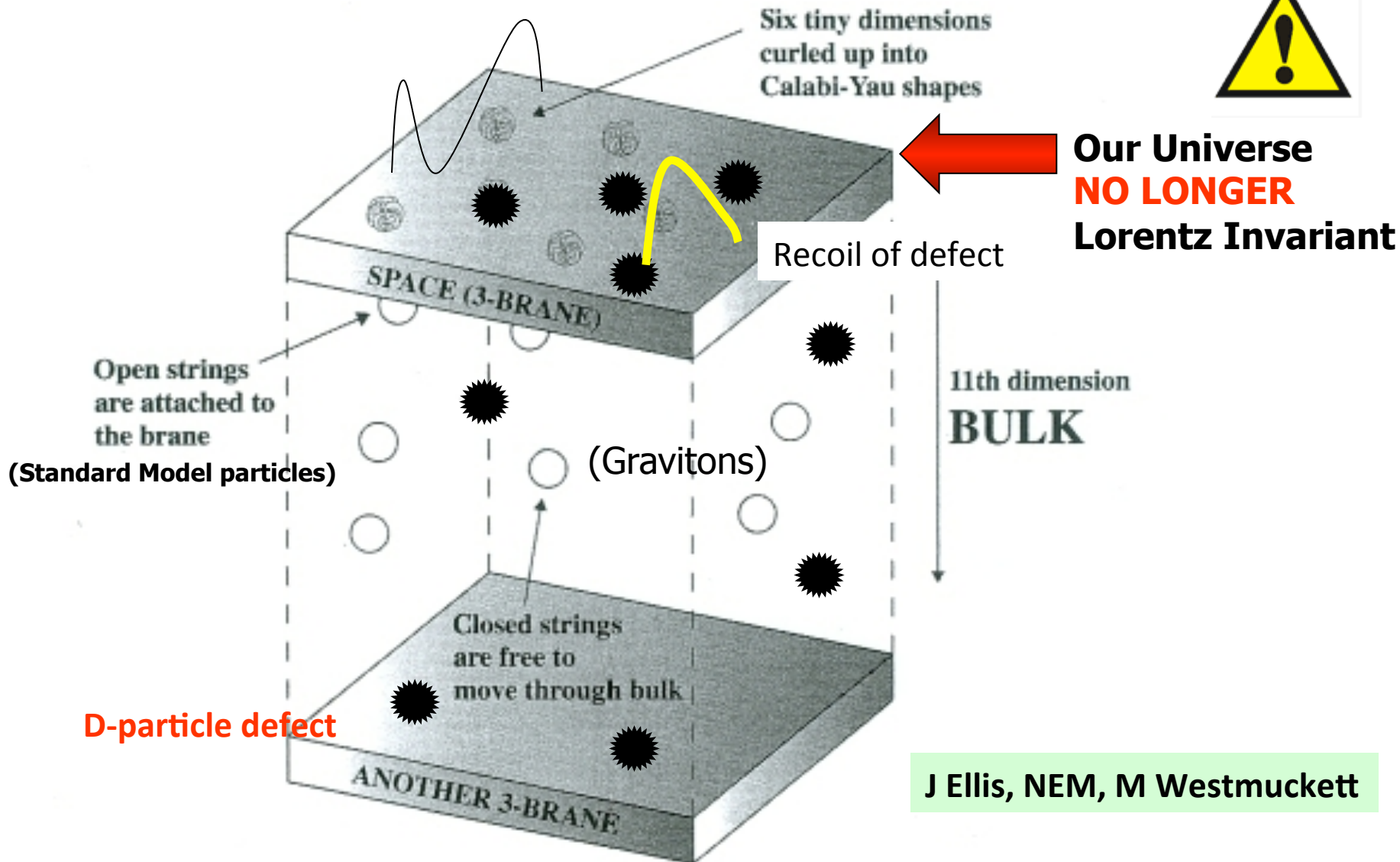
Lorentz Violating Backgrounds in Stringy Cosmologies?

ANOTHER VERSION of BRANE WORLDS with **D-PARTICLE** (POINT-LIKE BRANE) DEFECTS :



J Ellis, NEM, M Westmuckett

ANOTHER VERSION of BRANE WORLDS with D-PARTICLE (POINT-LIKE BRANE) DEFECTS :



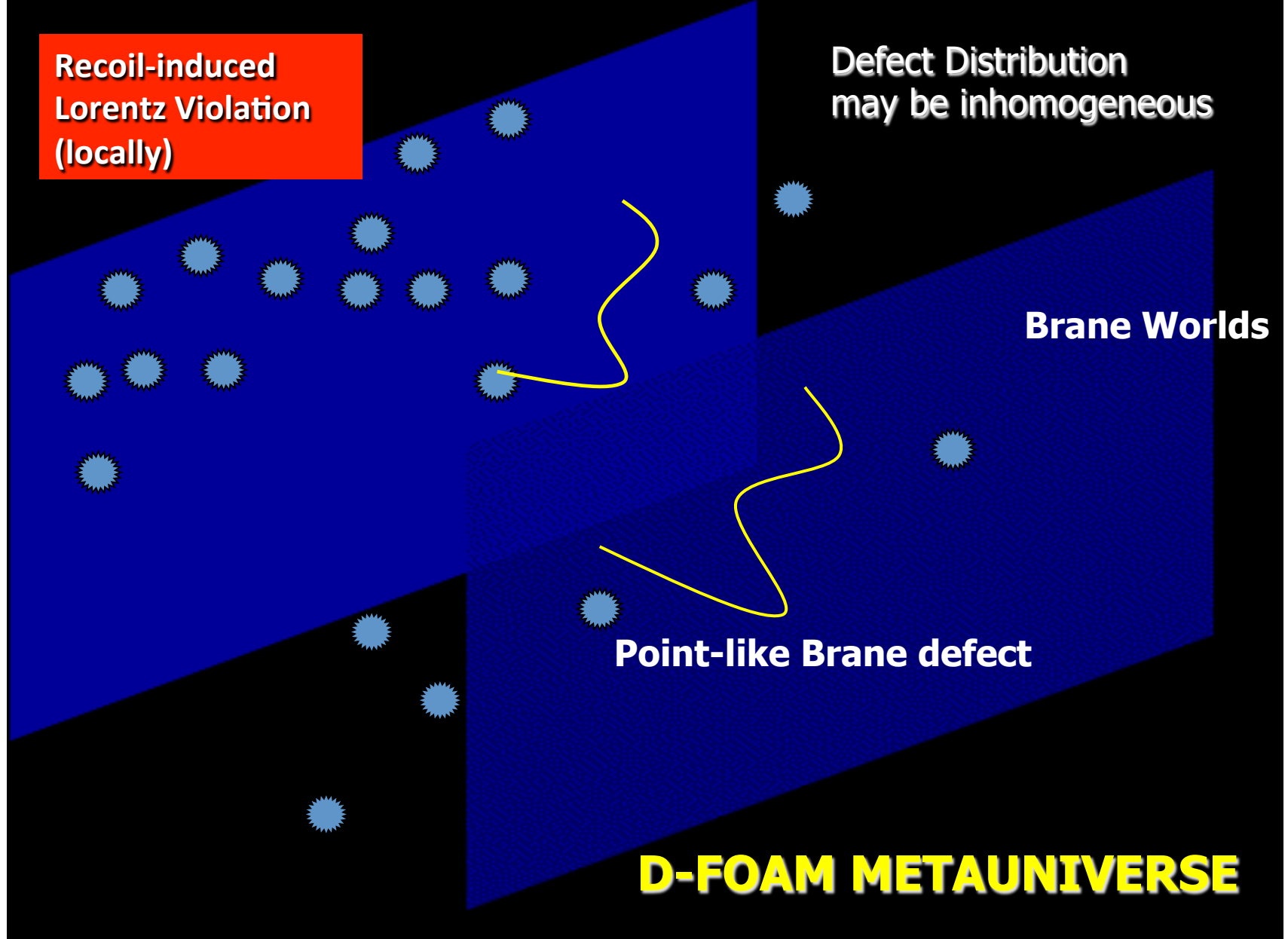
Recoil-induced
Lorentz Violation
(locally)

Defect Distribution
may be inhomogeneous

Brane Worlds

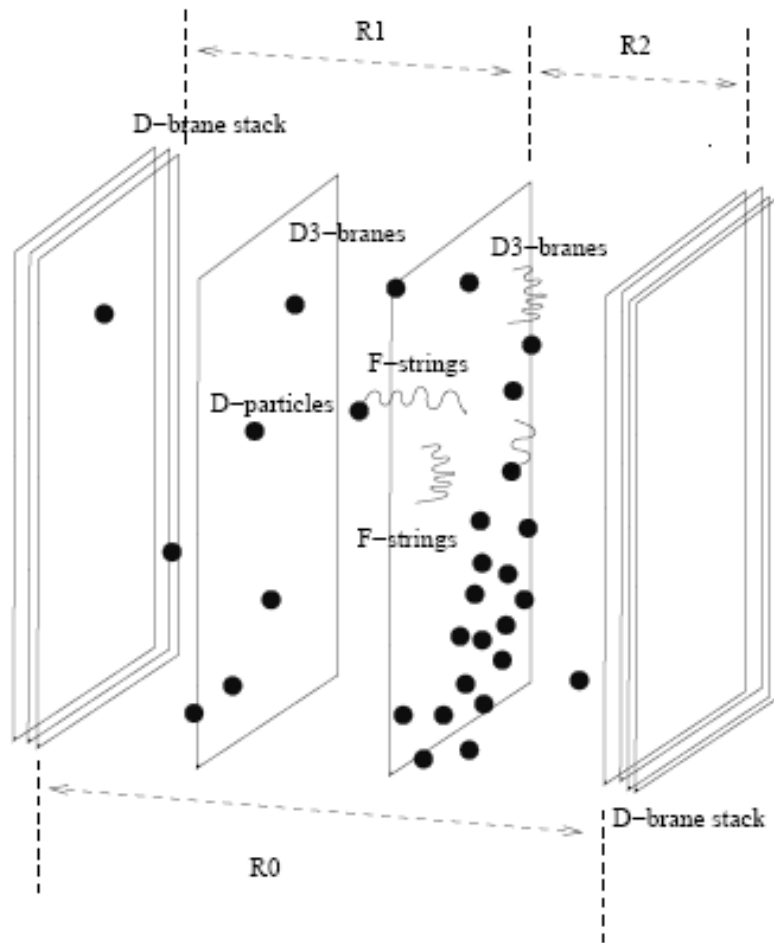
Point-like Brane defect

D-FOAM METAUNIVERSE

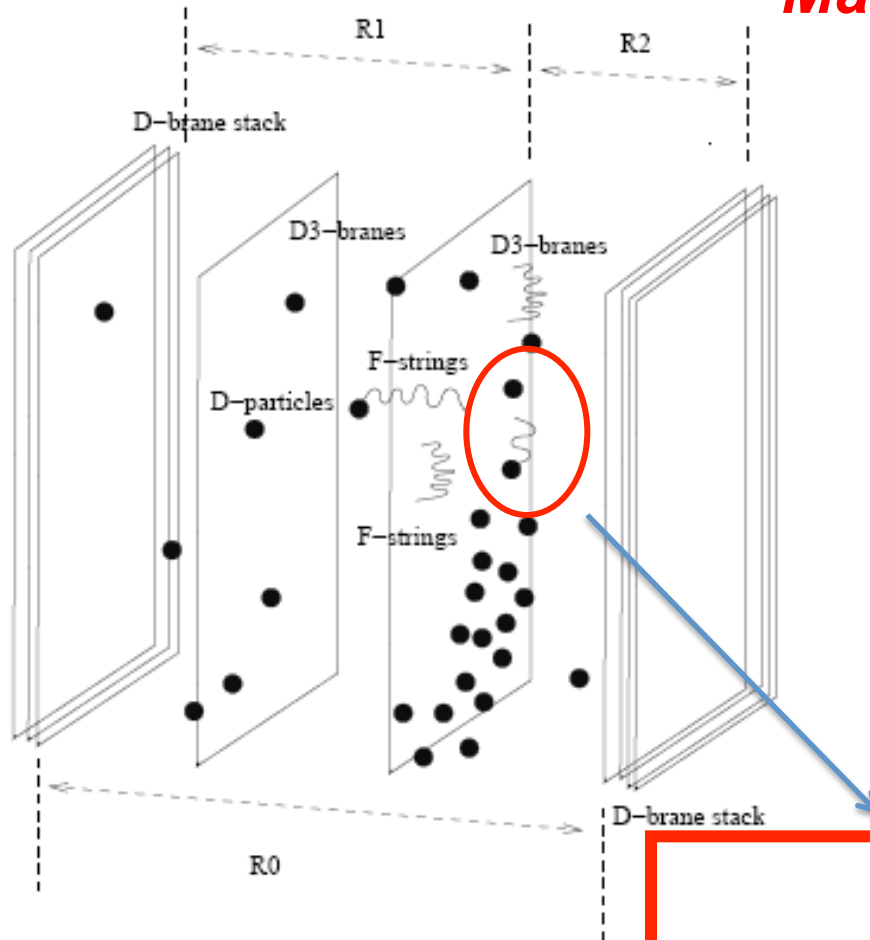


Colliding Brane world model of Space-Time with point-like space-time defects

Matter/D-foam Interactions

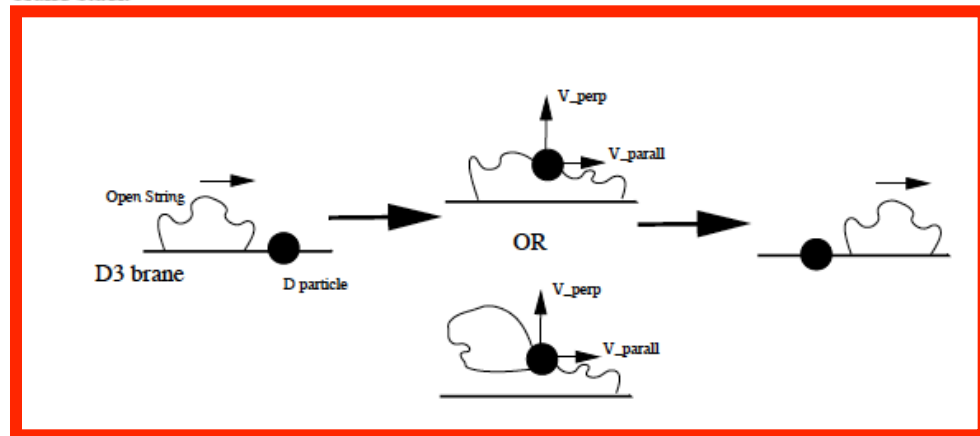


Matter/D-foam Interactions

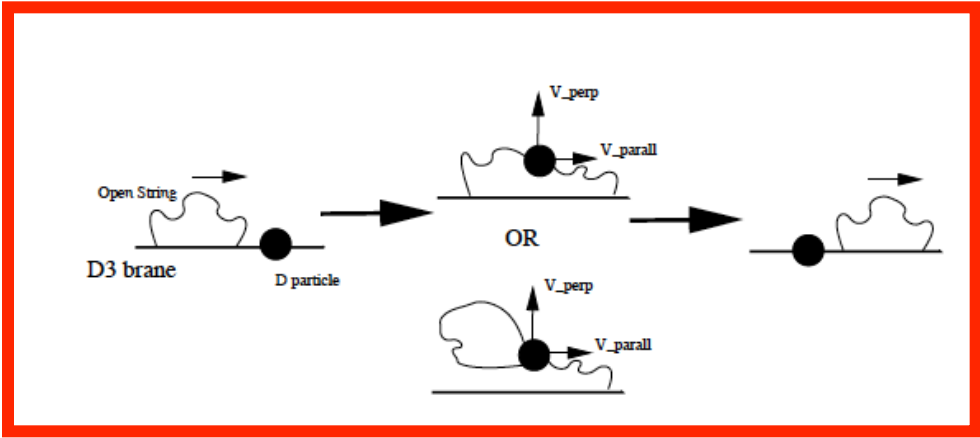
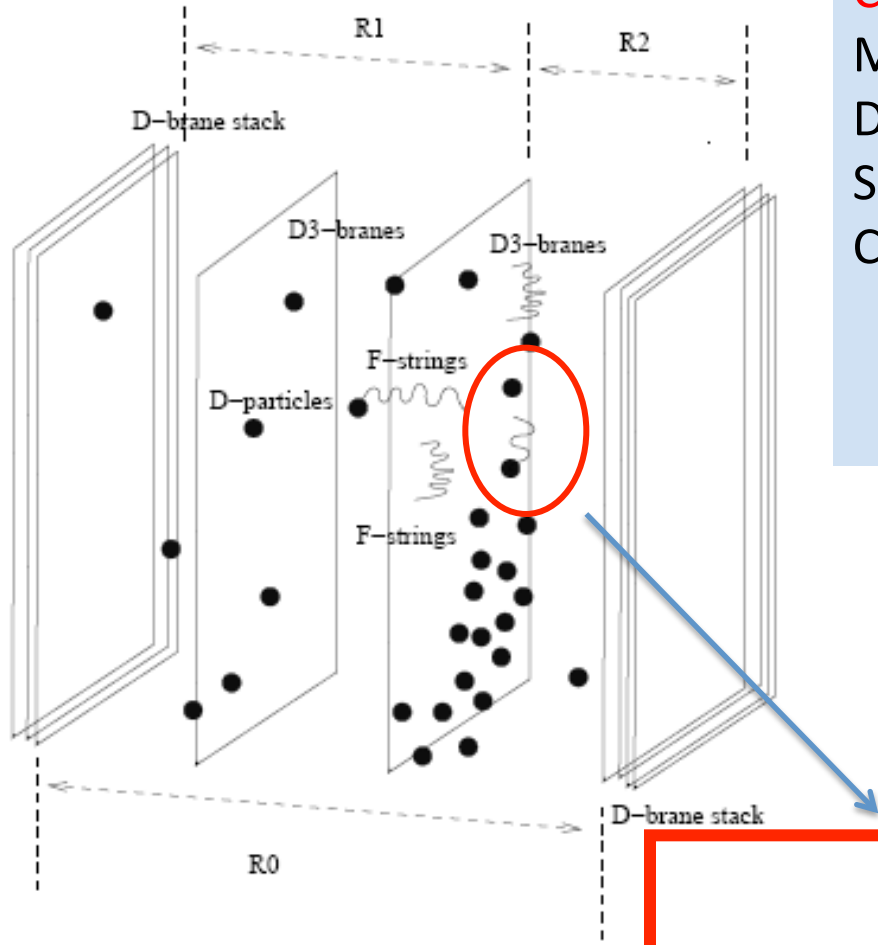


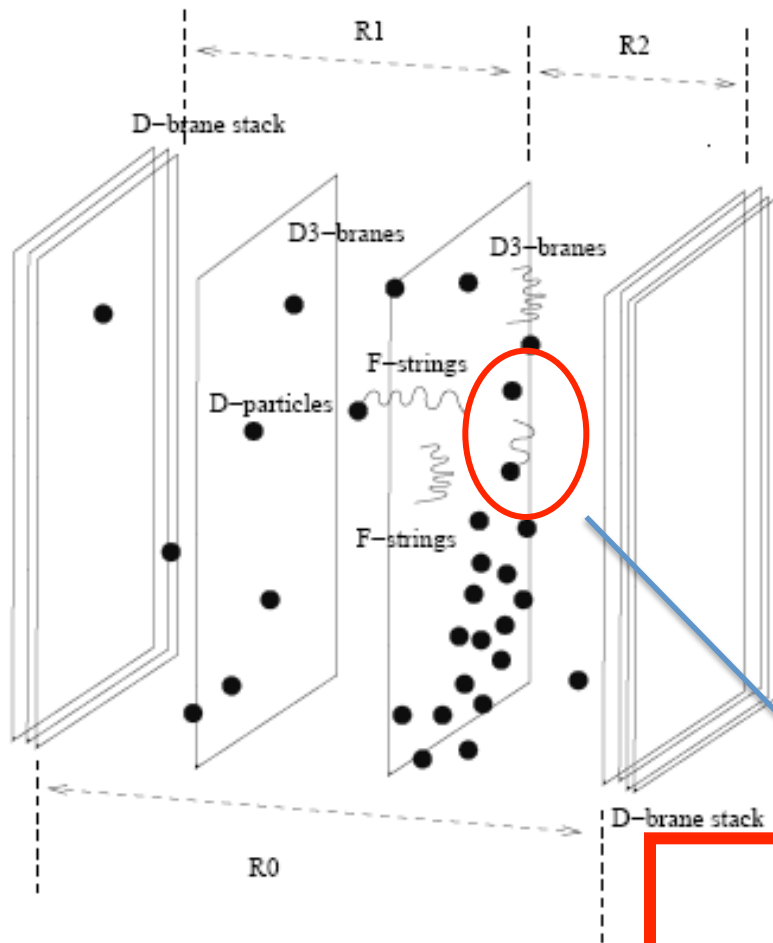
String **Splitting** & (**momentary**)
Capture by the defects

INTERMEDIATE STRING
CREATION/EXCHANGE
PURELY NON-LOCAL EFFECT



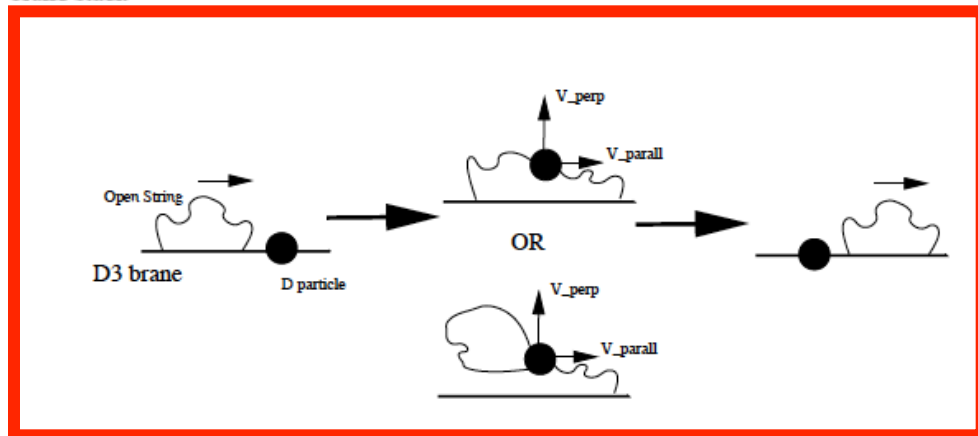
**CHARGE CONSERVATION
MUST BE RESPECTED
DURING STRING
SPLITTING, INTERMEDIATE
CREATION AND STRETCHING:**

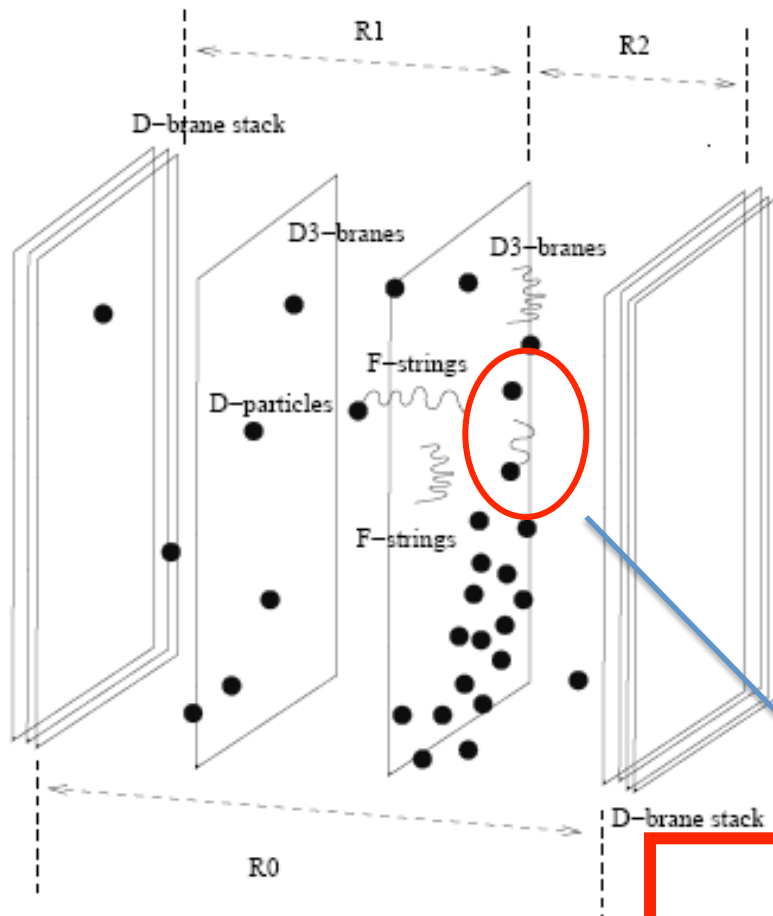




CHARGE CONSERVATION
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DURING STRING
SPLITTING, INTERMEDIATE
CREATION AND STRETCHING:

ONLY ELECTRICALLY
NEUTRAL EXCITATIONS
(e.g. Photons, Neutrinos)
INTERACT VIA CAPTURE
DOMINANTLY WITH FOAM

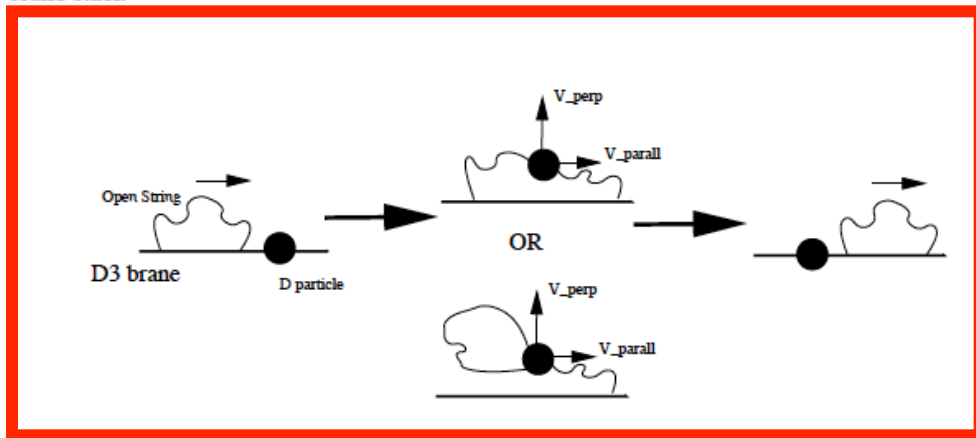




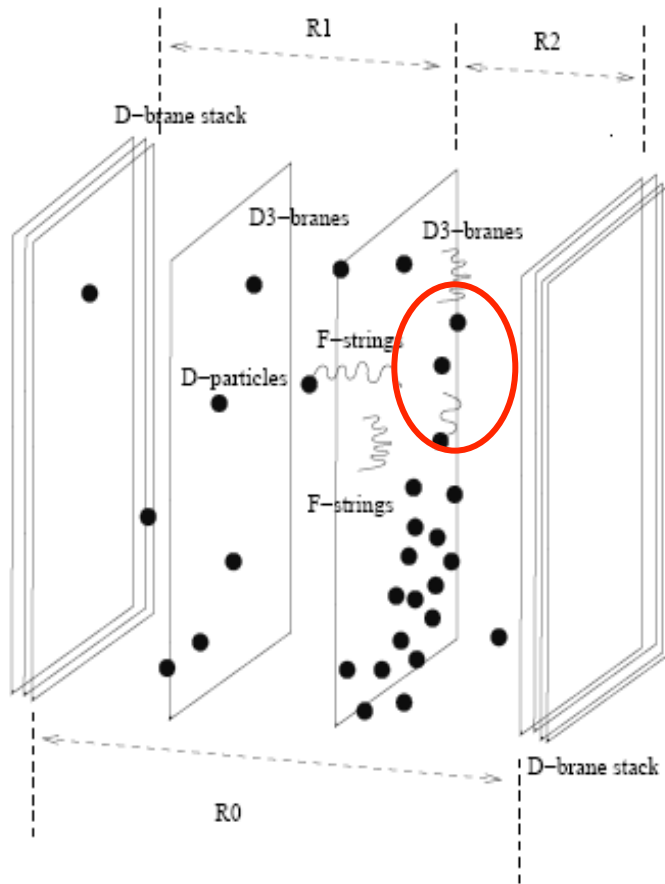
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**INTERACT VIA CAPTURE
 DOMINANTLY WITH FOAM
 DEFECT RECOIL OCCURS**

Time Delays due to
 Intermediate String Creation
 & Oscillations – **Subluminal
 Vacuum Refractive Index**



J ELLIS, NEM, NANOPOULOS



Local Lorentz Violation due to direction of Defect recoil velocities

Induced metric depends on momenta as well as coordinates (Finsler type) : e.g. $u \parallel X_1$



$$h_{01} = g_s \frac{\Delta k_i}{M_s} \equiv u_1$$

$$g_{\mu\nu} = \eta_{\mu\nu} + h_{\mu\nu}$$

Explicit local breaking of $SO(3,1)$ down to $SO(2,1)$ rotation and boosts in transverse directions

Space time Foam situations – Average over both populations of defects & quantum fluctuations

Isotropic & (in)homogeneous foam

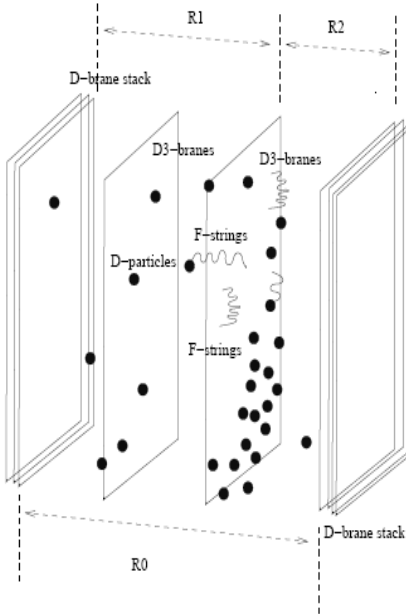
for a brane observer:

$$\langle u_i \rangle \equiv \frac{g_s}{M_s} \langle \Delta k_i \rangle = 0$$

*Lorentz Invariance
on Average*

$$\frac{g_s^2}{M_s^2} \langle \Delta k_i \Delta k_j \rangle = \sigma^2 \delta_{ij}$$

Violated in flcts



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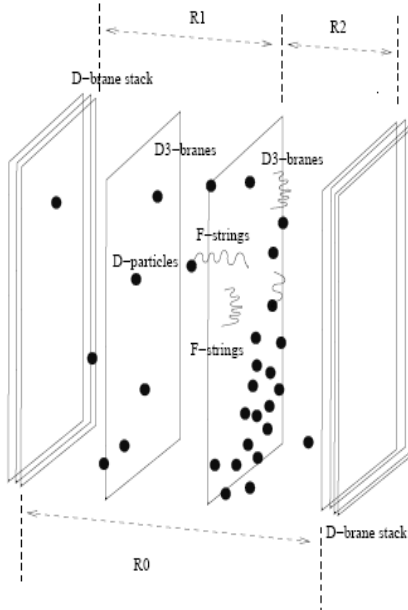
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Violated in flcts



c.f. Stochastic Foam, through coherent graviton states

leading to light cone fluctuations

Ford (95)

$$g_{\mu\nu} = \eta_{\mu\nu} + h_{\mu\nu}$$

$$\langle h_{\mu\nu} \rangle = 0$$

$$\langle h_{\mu\nu} h_{\rho\sigma} \rangle \neq 0$$

Modified Neutrino dispersion relations due to locally induced metric

$$p^\mu p^\nu g_{\mu\nu} = -m^2 \Rightarrow E = \vec{p} \cdot \vec{u} \pm \sqrt{p^2 + m^2 + (\vec{p} \cdot \vec{u})^2}$$

Interpret (Dirac) negative energies as corresponding to anti-particles

$$\begin{aligned} \langle\langle E \rangle\rangle &= \langle\langle \vec{p} \cdot \vec{u} \rangle\rangle \pm \langle\langle \sqrt{p^2 + m^2 + (\vec{p} \cdot \vec{u})^2} \rangle\rangle \\ \langle\langle E \rangle\rangle &\simeq \pm \sqrt{p^2 + m^2} \left(1 + \frac{1}{2} \sigma^2\right), \quad p \gg m \end{aligned}$$

Momentum-Energy conservation during ν scattering with D-particles

$$\begin{aligned} \langle\langle \vec{p}_1 + \vec{p}_2 \rangle\rangle &= \frac{M_s}{g_s} \langle\langle \vec{u} \rangle\rangle = 0 \\ \langle\langle E_1 \rangle\rangle &= \langle\langle E_2 \rangle\rangle + \frac{1}{2} \frac{M_s}{g_s} \langle\langle u^2 \rangle\rangle \Rightarrow \\ \langle\langle E_2 \rangle\rangle &= \pm \sqrt{p^2 + m^2} \left(1 + \frac{1}{2} \sigma^2\right) - \frac{1}{2} \frac{M_s}{g_s} \sigma^2 \end{aligned}$$

D-foam Induced CPTV for Neutrinos

$$\langle\langle E_\nu \rangle\rangle = \sqrt{p^2 + m_\nu^2} \left(1 + \frac{1}{2} \sigma^2 \right) - \frac{1}{2} \frac{M_s}{g_s} \sigma^2$$

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$$\Delta n_\nu \equiv n_\nu - n_{\bar{\nu}} \sim g^* T^3 \left(\frac{B_0}{T} \right)$$



BARYOGENESIS VIA LEPTOGENESIS

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@ $T = T_d$ (decoupling Temp. of Lepton number (L) Violating processes) there is a **constant ratio** of net neutrino/antineutrino asymmetry (ΔL) to entropy density ($\sim T^3$)

$$\Delta L(T < T_d) = \frac{\Delta n_\nu}{s} \sim \frac{B_0}{T_d}$$

for $T_d \sim 10^{15}$ GeV and $B_0 \sim 10^5$ GeV

$\Delta L \sim 10^{-10}$, in agreement with observations (**Leptogenesis**)

Communicated to Baryon sector, and thus generates BAU either via a B-L conserving symmetry as in GUT models or via B - L conserving sphaleron processes → **BARYOGENESIS**

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One can thus generate a Lepton asymmetry and through B+L conserving processes in the Early Universe a Baryon asymmetry.

The correct value (observed) for BAU is reproduced for

$$\frac{1}{2} \frac{M_s}{g_s} \sigma^2 \sim 10^5 \text{ GeV}$$

for D-foam at $T_d \sim 10^{15} \text{ GeV}$

implying that in these scenarios, for $\sigma^2 < 1$, one must have $M_s/g_s > 200 \text{ TeV}$



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**PHENOMENOLOGY OF EARLY UNIVERSE NEEDS
TO BE CHECKED FOR COMPATIBILITY.... IN PROGRESS**



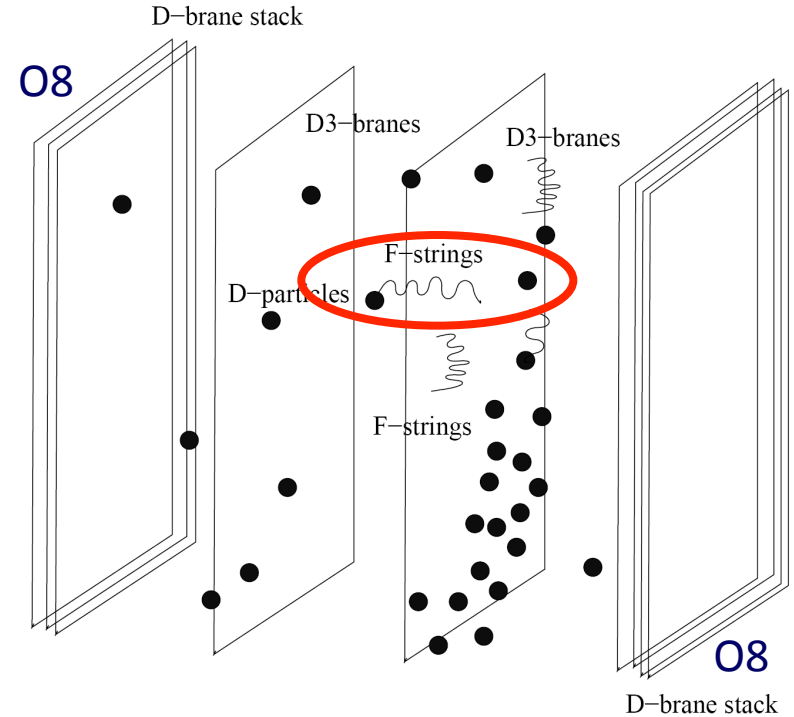
D-foam & Cosmology

NEM, Mitsou, Sarkar, Vergou

Due to **Bulk**, populations of **D-particles** do **not overclose** the Universe - there are +, - contributions (depending on the relative distance) to brane vacuum energy from bulk D-particles, due to *stretched strings* between D-particles & the Brane Universe. They can *cancel out (average) D-mass* contributions on brane.



Negative Contributions from nearby bulk D-particles may also **cancel out** mass contributions of D-particles on the brane → **avoid** Universe **overclosure** → **no** significant **restriction** of D-foam populations... e.g. in eras for induced CPT Violation



$$\mathcal{V}_{D0-D8}^{short} = -\frac{r}{4\pi\alpha'} - \frac{\pi\alpha' v^2}{12 r^3}$$

$$r \ll \sqrt{\alpha'}, \quad v \ll 1$$

$$\mathcal{V}_{D0-D8}^{long} = -\frac{r}{4\pi\alpha'} + \frac{r v^2}{8\pi\alpha'}$$

$$r \gg \sqrt{\alpha'}, \quad v \ll 1$$

D-foam & DM Abundances

NEM, Mitsou, Sarkar, Vergou

The presence of **D-foam** induced **momentum-dependent metric fluctuations** due to interaction of neutral DM with the D-particle defects → **modification of Boltzmann Eq.**

BOLTZMANN EQUATION FOR HEAVY SPECIES, $m \gg p$

$$\frac{dn}{dt} + 3Hn = \Gamma(t)n + \frac{g}{(2\pi)^3} \int d^3\bar{k} \frac{C[f]}{\bar{k}_0}$$

$$\Gamma(t) = 2Ha^4(t)m (\sigma_{01}^2 + \sigma_{02}^2 + \sigma_{03}^2) [9T + 2m]$$

$$\sum_i \sigma_{oi}^2 = \frac{g_s^2}{M_s^2} \sum_i \Delta_i^2$$

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Foam leads to vacuum
Particle production
(non-trivial vacuum fluctuations)

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Opposing effect to Dilaton non-equilibrium effects

$$\Gamma_{\text{dilaton}}(t) = \dot{\Phi} < 0$$

Foam dominance restricts available
parameter space, e.g. for SUSY Dark Matter



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Significant effects only for low (TeV)
String scales

Opposing effect to Dilaton non-equilibrium effects

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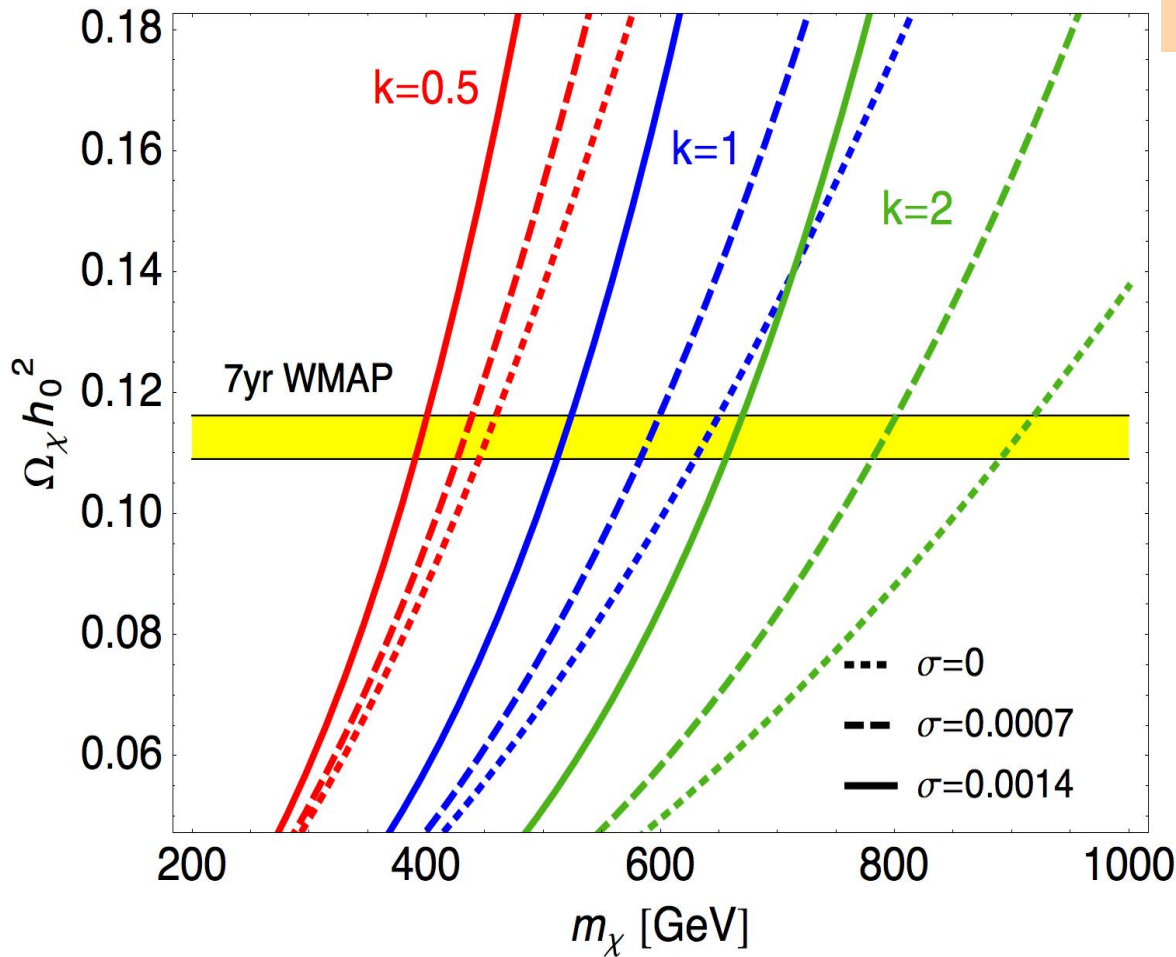


IF D-FOAM DOMINANCE: INCREASE OF RELIC ABUNDANCE w.r.t. STANDARD COSMOLOGY

$$\frac{\Omega_\chi h_0^2}{(\Omega_\chi h_0^2)_{\text{no source}}} = 1 + \sigma^2 m_\chi^2,$$
$$\sigma^2 \equiv 1.259 \frac{g_s^2}{M_s^2} \sum_{i=1}^3 \Delta_i^2, \quad (\Omega_\chi h_0^2)_{\text{no source}} = (2.6 \times 10^{-10} \text{ GeV}^{-2}) \frac{16\pi^2 m_\chi^2}{k g_{\text{weak}}^4},$$

Weakly Interacting Dark Matter Phenomenology and Space-time Foam

NM, Mitsou, Vergou, Sarkar 2010



Foam fluctuations
of order:

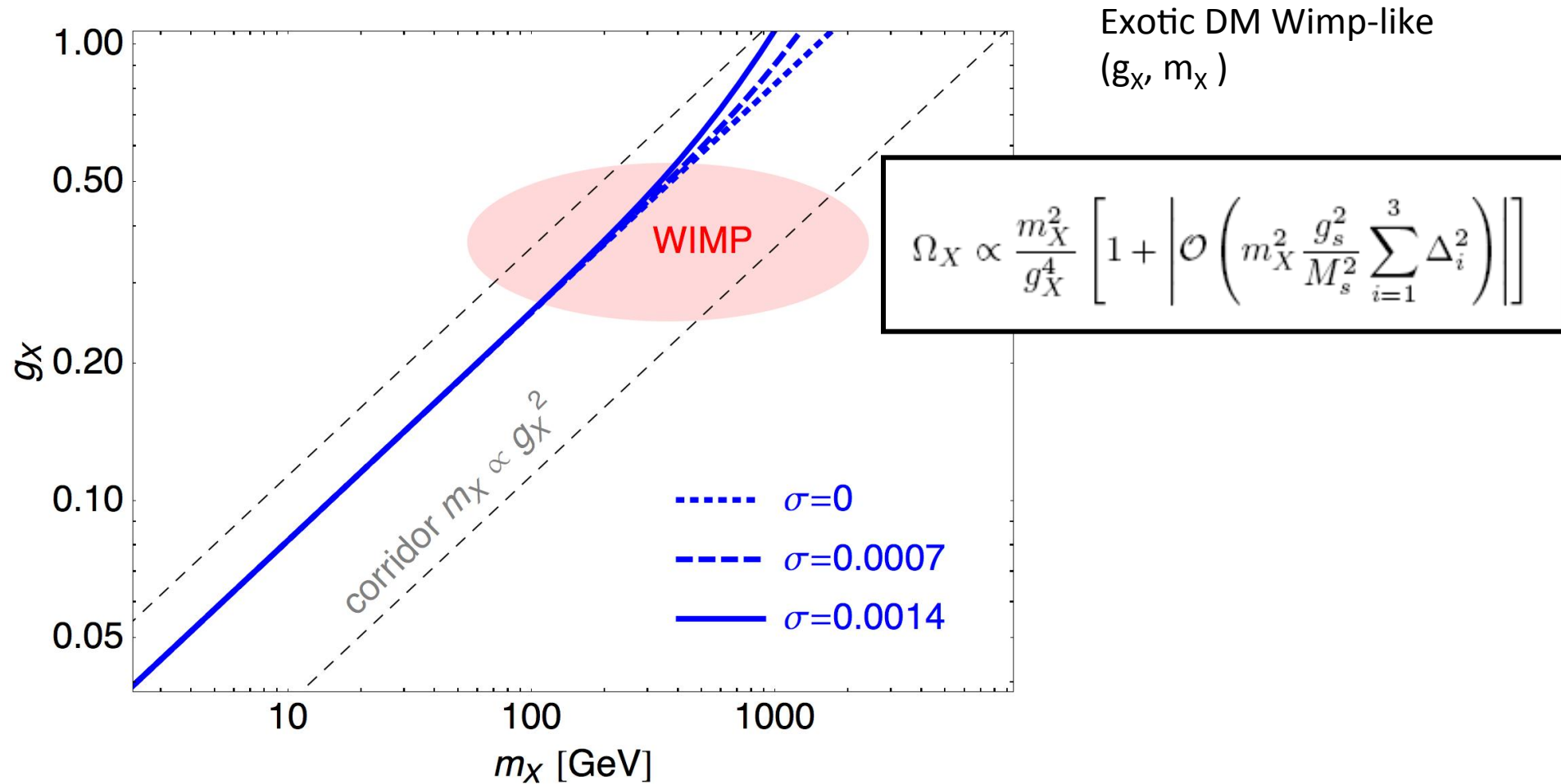
$$\sigma^2 = g_s^2 \frac{\Delta^2}{M_s^2}$$

$\Delta = O(1)$
dimensionless

Measurable effects
For current or next
Generation expts only if Low
String scale $O(1-10 \text{ TeV})$

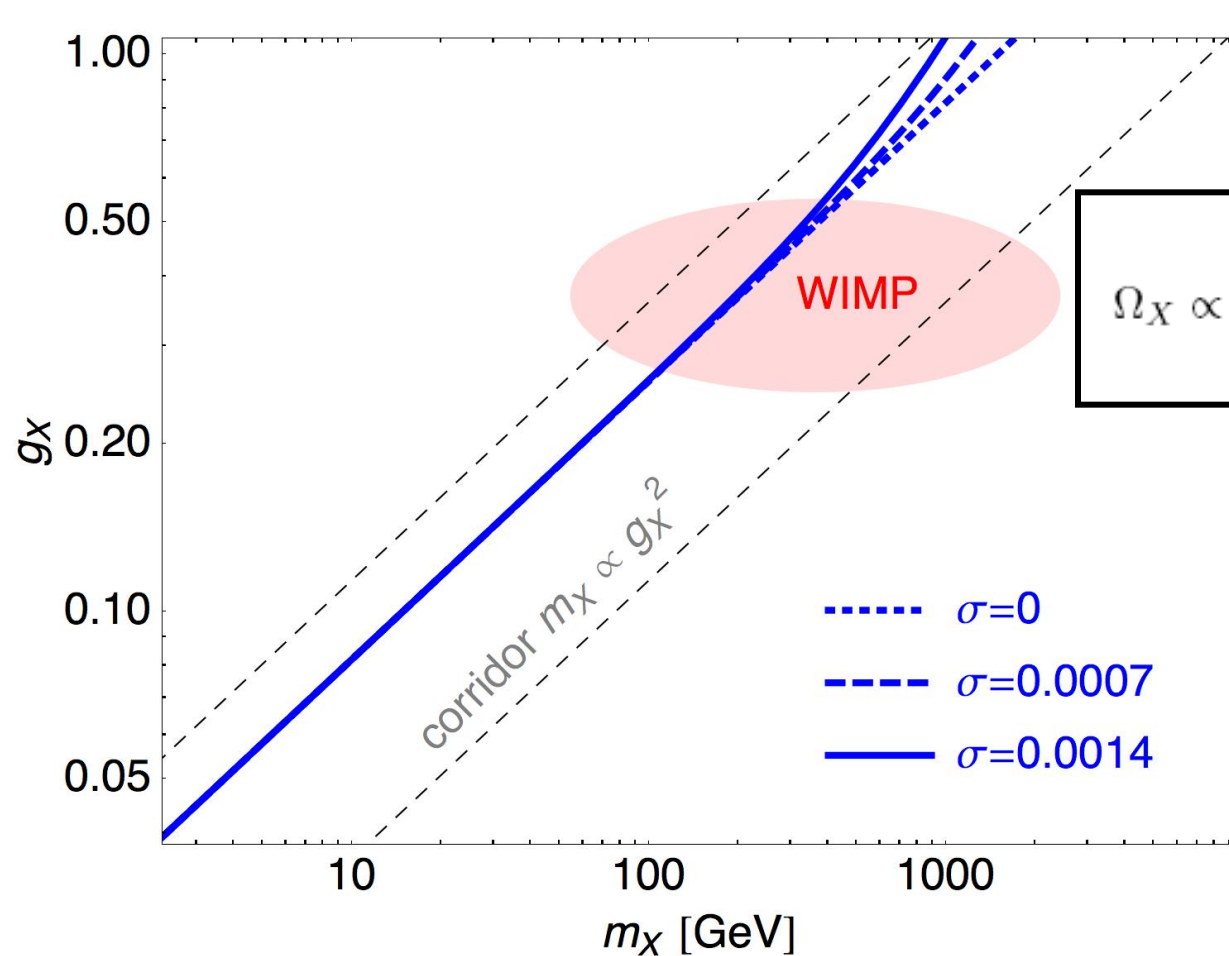
Cosmologically (WMAP_CMB) allowed regions for WIMP Dark Matter

Weakly Interacting Dark Matter Phenomenology and Space-time Foam



Cosmologically (WMAP_CMB) allowed regions for dark Matter

Weakly Interacting Dark Matter Phenomenology and Space-time Foam



Exotic DM Wimp-like
(g_X, m_X)

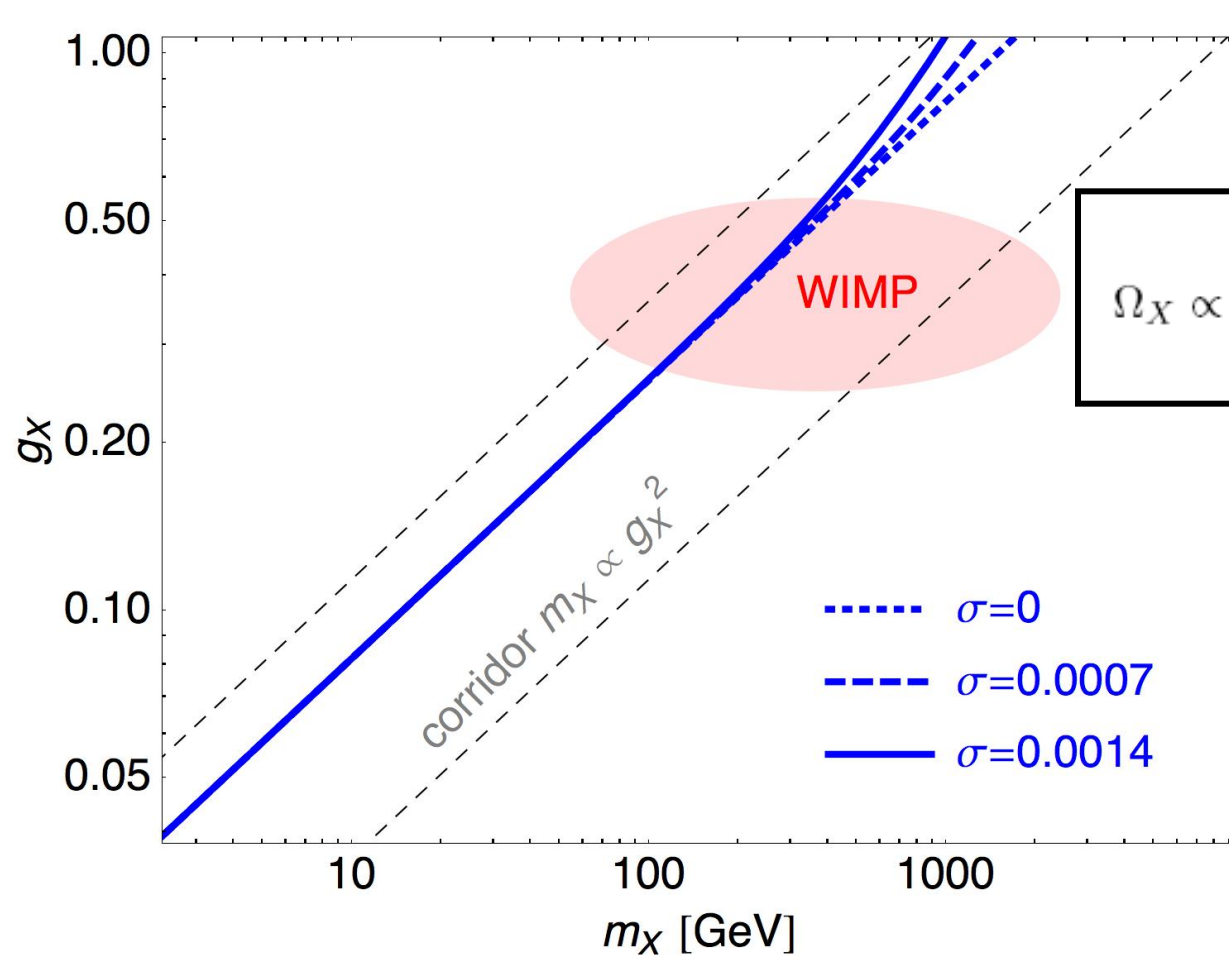
$$\Omega_X \propto \frac{m_X^2}{g_X^4} \left[1 + \left| \mathcal{O} \left(m_X^2 \frac{g_s^2}{M_s^2} \sum_{i=1}^3 \Delta_i^2 \right) \right| \right]$$

**Measurable effects
For current or next
Generation expts
Only if **Low** (TeV)
String scale**

**Less DM parameter
space available**

Cosmologically (WMAP_CMB) allowed regions for dark Matter

Weakly Interacting Dark Matter Phenomenology and Space-time Foam



Exotic DM Wimp-like
(g_X, m_X)

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BUT...
IF D-FOAM IS
RELEVANT FOR
BARYON ASYMMETRY

$$M_s/g_s > 200 \text{ TeV}$$

...It does not lead to measurable effects @ LHC

Cosmologically (WMAP_CMB) allowed regions for dark Matter

CONCLUSIONS

- **No Evidence for DM as yet**
- We discussed **Colliding** or **Bouncing Brane** World Cosmologies that lead to **time-dependent dilaton fields** at early epochs – before Dark matter Decoupling.
- **Dilaton dominance** in such areas lead to **modification** of **DM abundances** → radical **effects** on Collider **searches** of **new Physics**

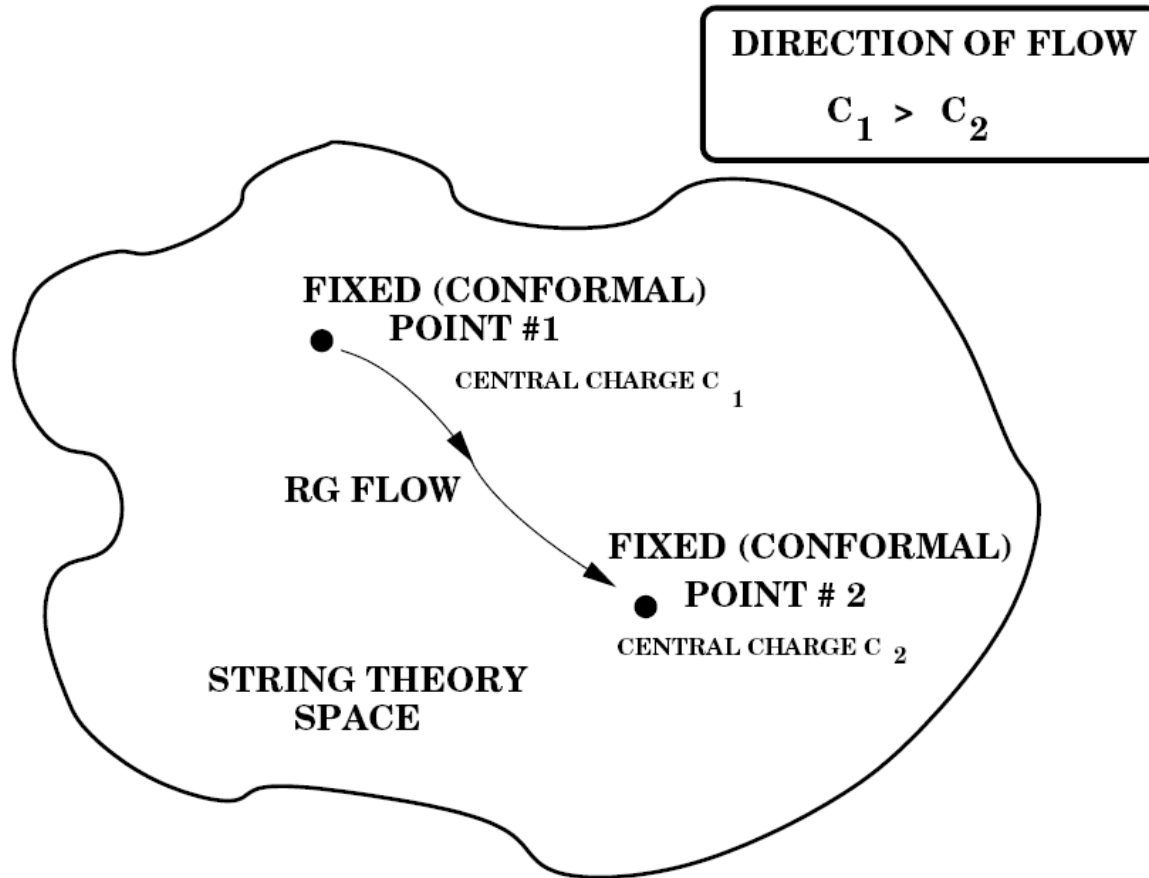
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- **Dilaton dominance** in such areas lead to **modification** of **DM abundances** → radical **effects** on Collider **searches** of **new Physics**
- **More room** for SUSY, heavier partners allowed → effects in LHC or pushing SUSY beyond the reach of LHC, allowing for Higgs masses > 125 GeV
- **D-FOAM SCENARIOS ALSO CONSIDERED** → **LOCAL VIOLATION OF LORENTZ SYMMETRY** (PRESERVATION ON AVERAGE OVER LARGE POPULATIONS OF D-EFFECTS)
- → **CPT VIOLATION**
- → **LEPTOGENESIS** → **BARYON ASYMMETRY** (no need for extra CP Violation)

SPARES

A (non-critical) string theory time Arrow

Ellis, NEM
Nanopoulos



Non-equilibrium Strings (non-critical), due to e.g. cosmically catastrophic events in Early Universe, for instance brane worlds collisions:

World-sheet conformal Invariance is disturbed

Central charge of world-Sheet theory ``runs`` To a minimal value

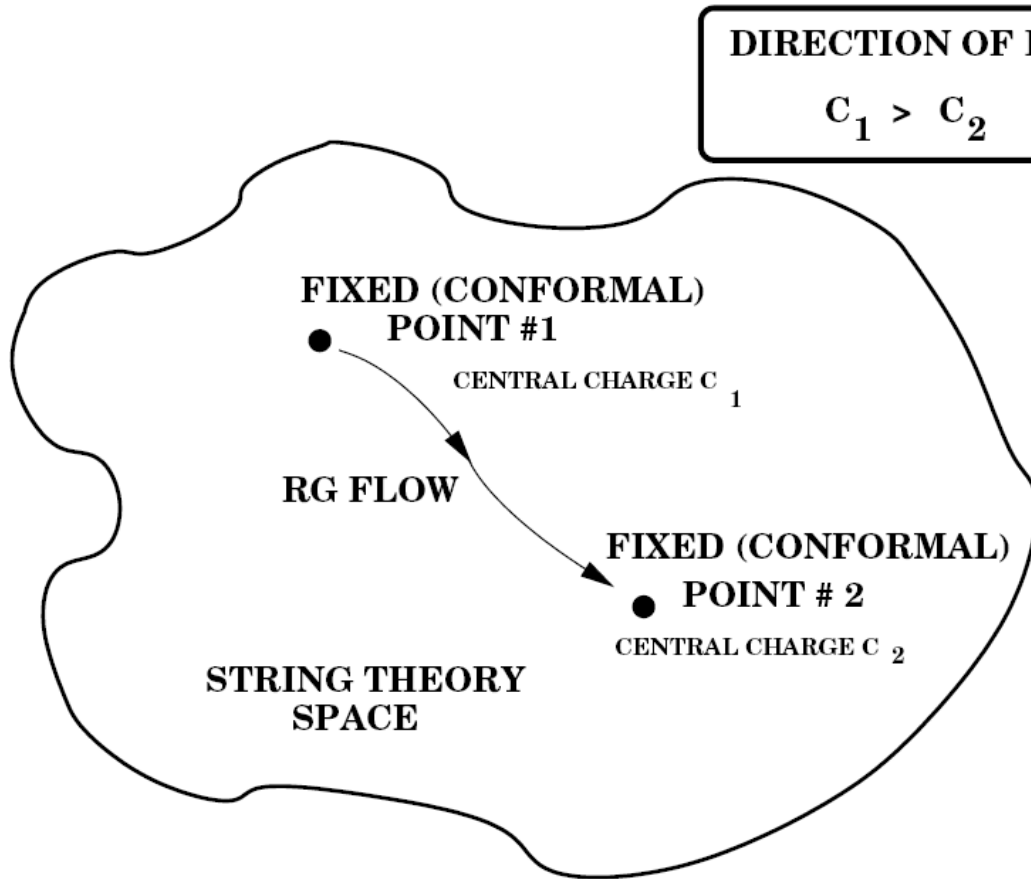
**Zamolodchikov's C-theorem
An H-theorem for CFT**

Change in degrees of Freedom (i.e. entropy)

A (non-critical) string theory time

Ellis, NEM
Nanopoulos

Arrow



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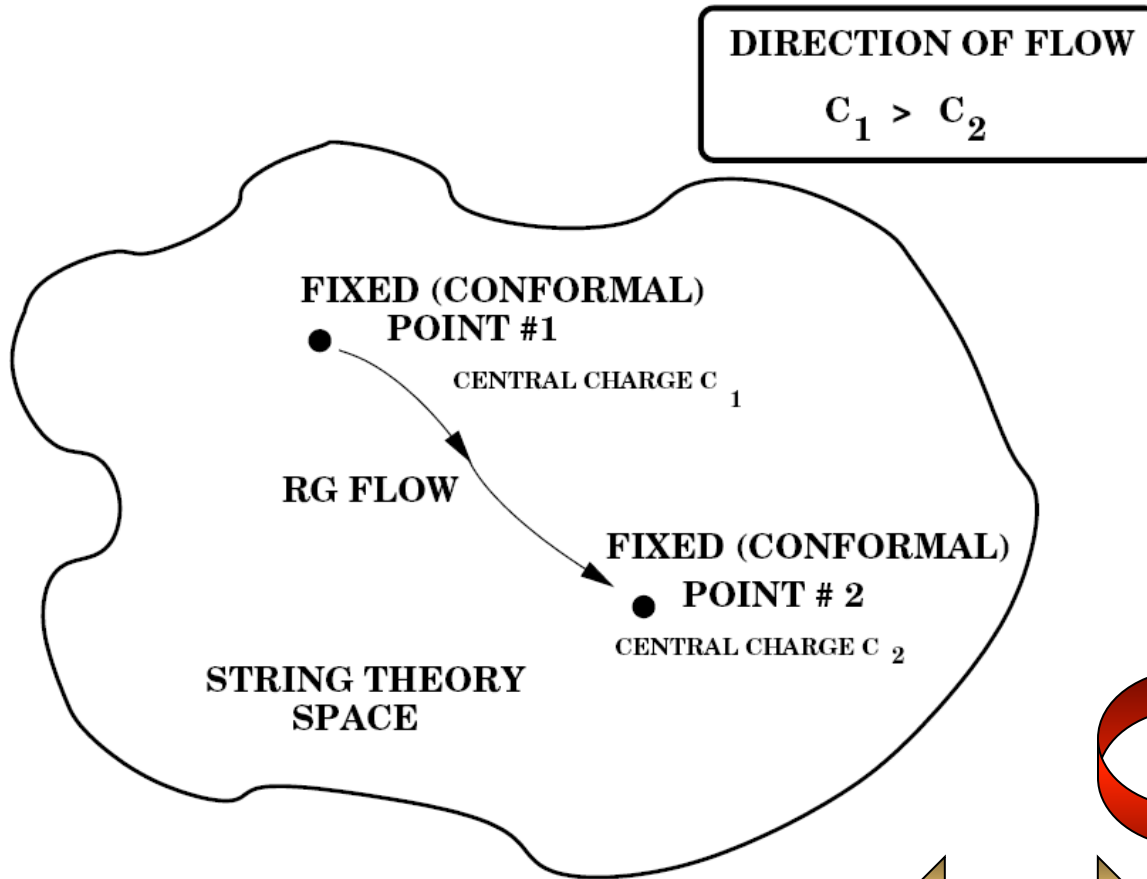
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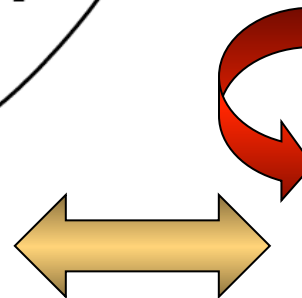
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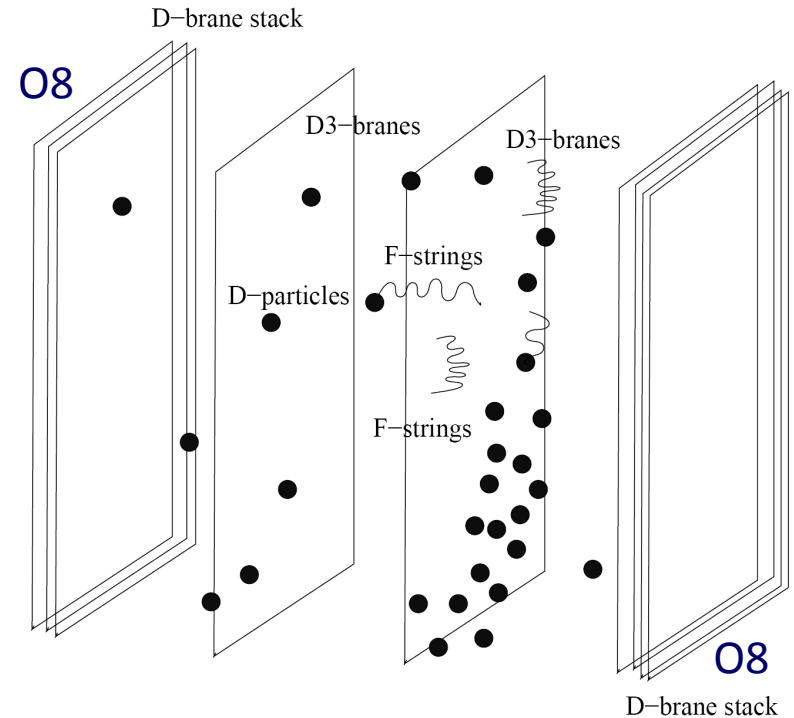
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Time as Irreversible
world-sheet Renormalization Group Flow –
Time-dependent (non-stabilized) dilaton



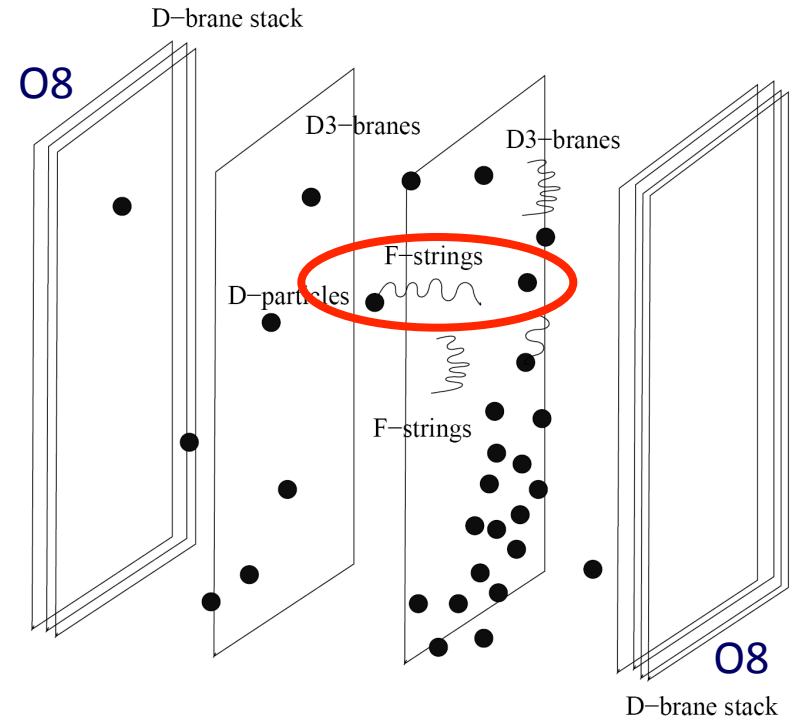
D-FOAM & THE DARK SECTOR



Ellis, NM, Westmuckett

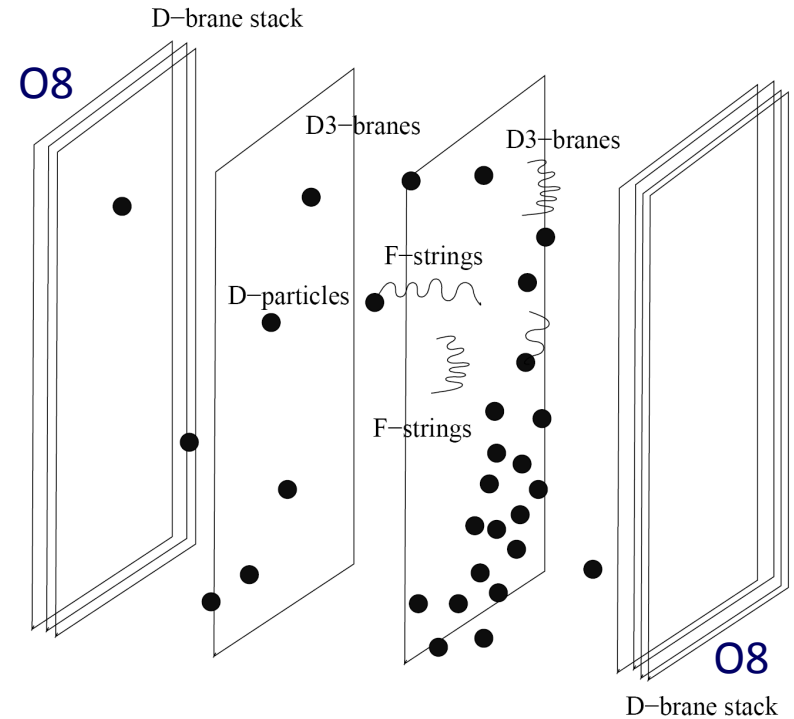
Uses 8-Brane stacks to account
For appropriate supersymmetries
if no motion + Orientifold 8-Planes
to compactify bulk 9th space dim.

Interaction of D-particles with Brane Worlds via stretched Strings due to relative motion perpendicularly to branes only



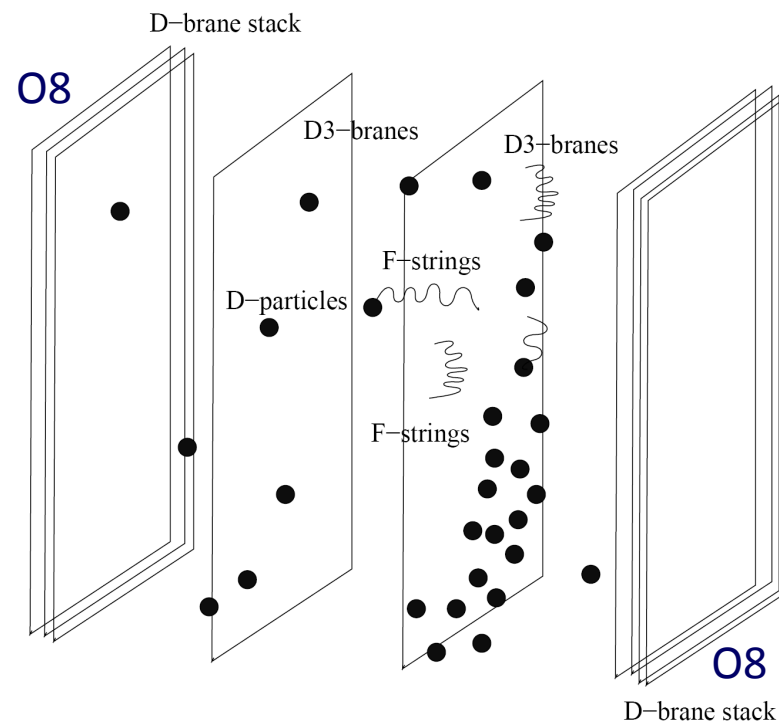
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Contributions to Brane potentials (additional contrib. to Dark Energy)



**Contributions to Brane potentials
(additional contrib. to Dark Energy)**

**Velocity-independent terms cancelled by
Orientifold O8 contributions**



$$\mathcal{V}_{D0-D8}^{short} = -\frac{r}{4\pi\alpha'} - \frac{\pi\alpha' v^2}{12 r^3}$$

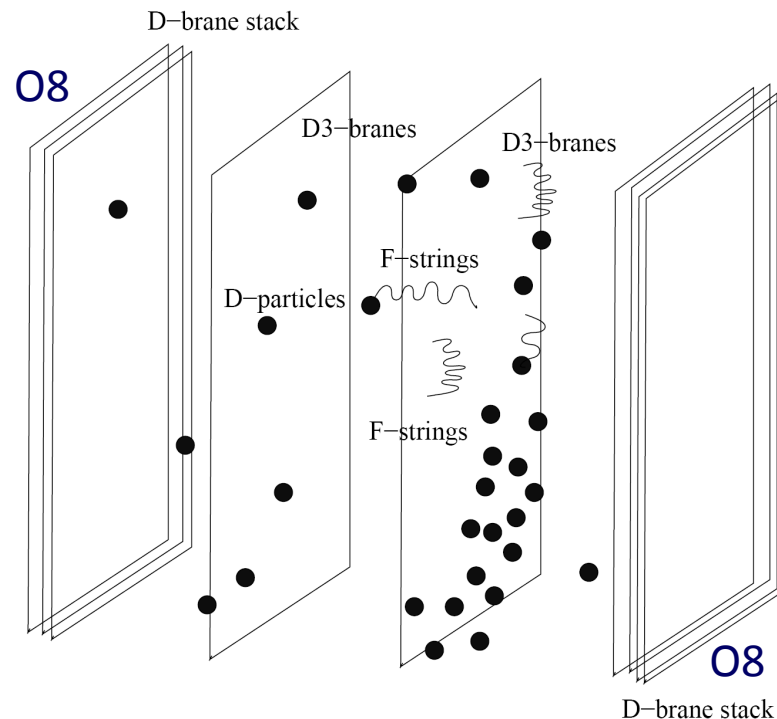
$$r \ll \sqrt{\alpha'} , \quad v \ll 1$$

$$\mathcal{V}_{D0-D8}^{long} = -\frac{r}{4\pi\alpha'} + \frac{r v^2}{8\pi\alpha'}$$

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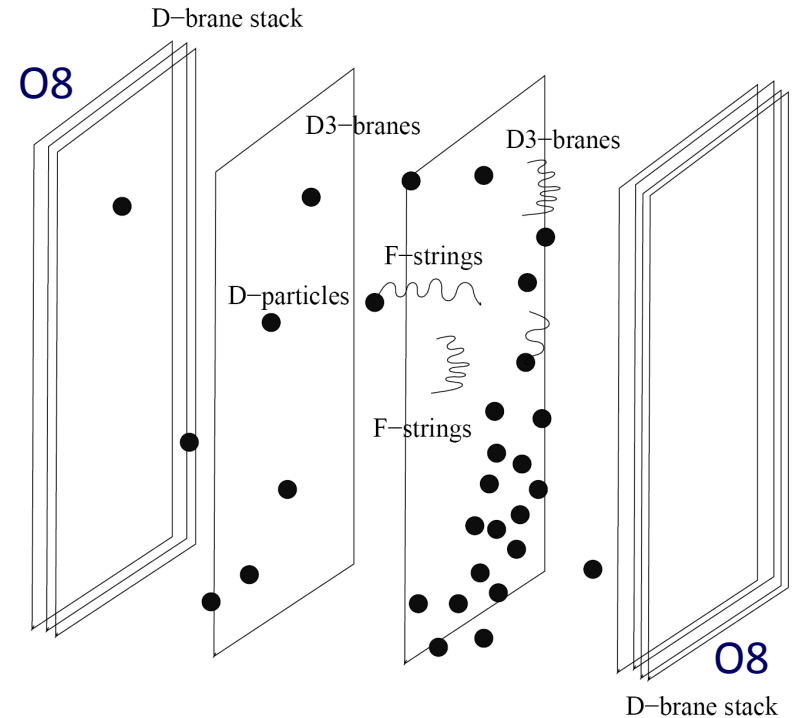
Sign of velocity-dependent terms in
potential depends on D-particle/D-brane
distance. May **cancel out over long periods**

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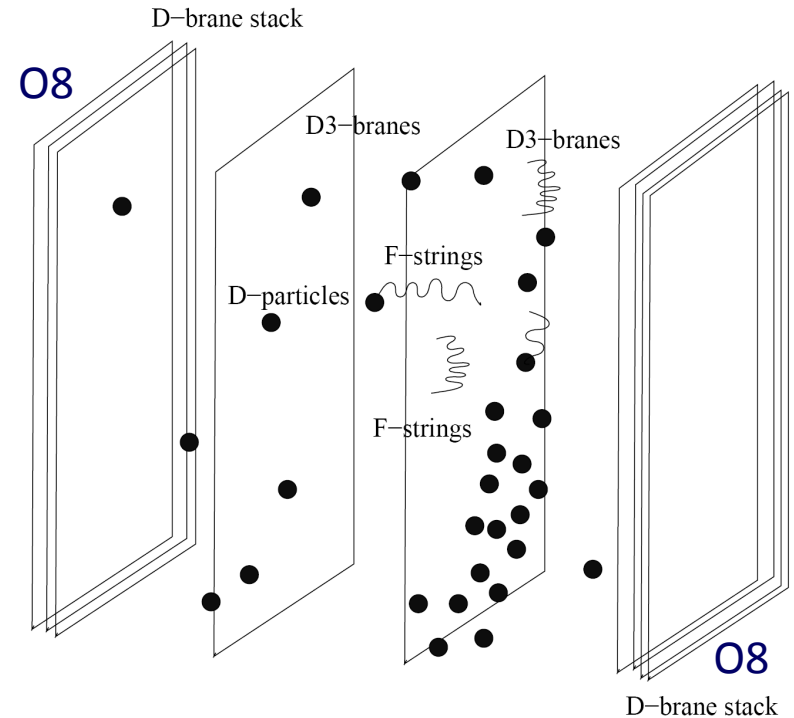
Statistically

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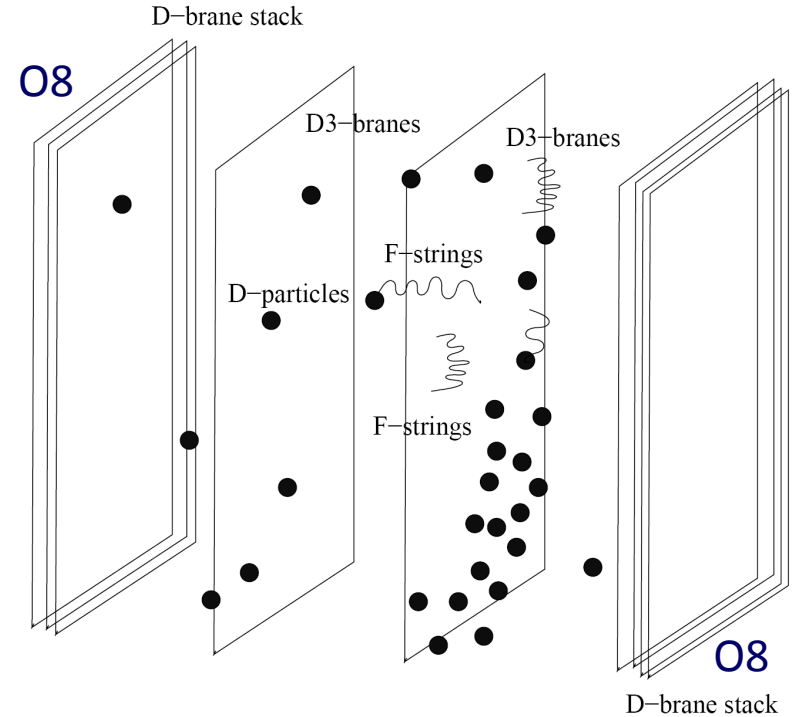
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Negative Contributions from nearby bulk D-particles may also **cancel out** mass contributions of D-particles on the brane → **avoid** Universe **overclosure** → **no** significant **restriction** of D-foam populations... e.g. in eras for induced CPT Violation



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