

# $\beta$ -asymmetry measurements : A probe for non standard model physics (status of the project)

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# Overview



- Physics motivation : Correlation measurements
- Experimental technique : Low Temperature Nuclear Orientation (LTNO)
- Simulate the experiment : GEANT4
- Experiments:  $^{60}\text{Co}$ ,  $^{114}\text{In}$  and  $^{67}\text{Cu}$
- Conclusions and outlook

Physics motivation : Correlation measurements  
to probe the weak interaction Hamiltonian



Hamiltonian  $\beta$ -decay :  $H_{\beta} = H_V(C_V, C'_V) + H_A(C_A, C'_A)$

$$C_{V,A}/C'_{V,A} = 1 \quad |C_A/C_V| \cong 1.26 \quad \text{Im}(C_{V,A}) = 0$$

→ V-A theory of the weak interaction

Most general case :

$$H_{\beta} = H_V(C_V, C'_V) + H_S(C_S, C'_S) + H_A(C_A, C'_A) + H_T(C_T, C'_T)$$

Experimental observable ?



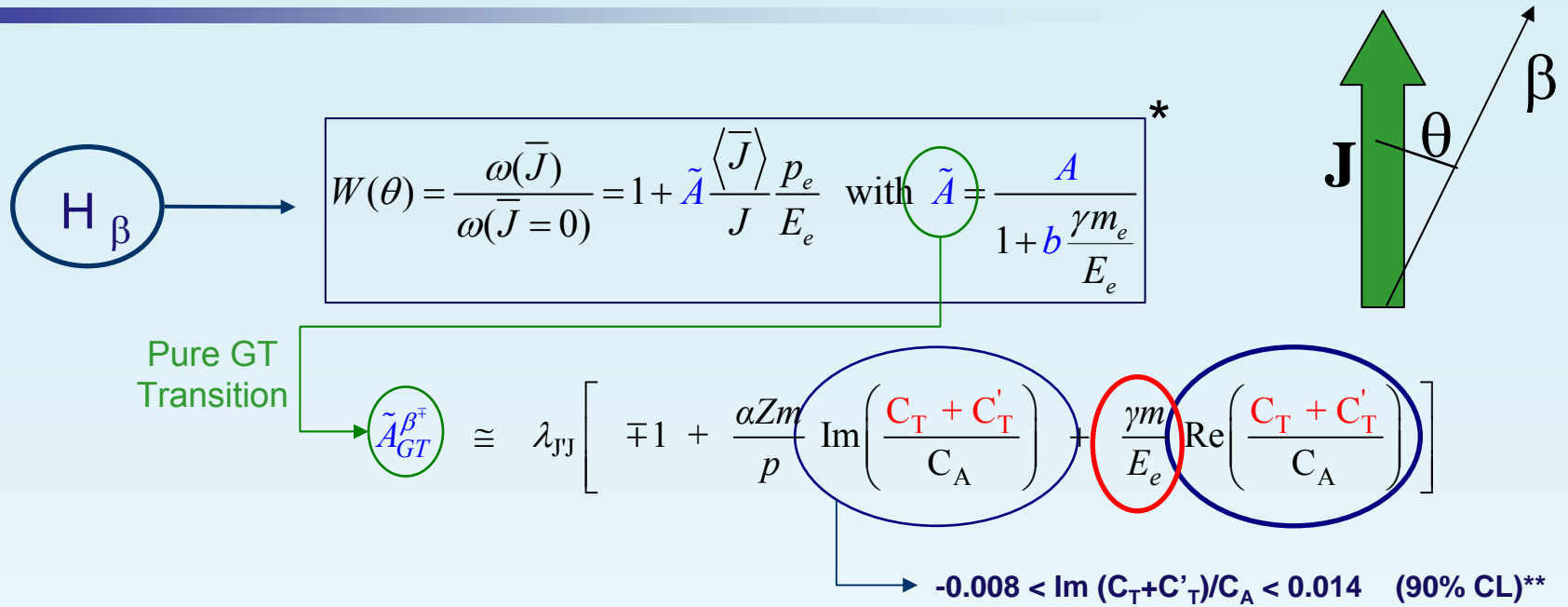
Correlation coefficients

$$|C_S/C_V| < 0.070 \quad |C'_S/C_V| < 0.067$$
$$|C_T/C_A| < 0.090 \quad |C'_T/C_A| < 0.089$$

(95.5 % C.L)\*

\* N. Severijns et. al. , Rev. Mod. Phys., **78** , 991 (2006)

# Physics motivation : Correlation measurements to probe the weak interaction Hamiltonian

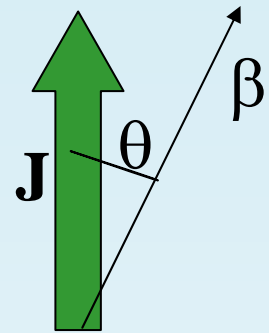


\* J.D. Jackson et al. , Nucle. Phys. 4 (1957) 206

\*\*R. Huber et. al. , PRL , **90** , 202301 (2003)

# Physics motivation : Correlation measurements to probe the weak interaction Hamiltonian

$H_\beta$  →  $W(\theta) = \frac{\omega(\bar{J})}{\omega(\bar{J}=0)} = 1 + \tilde{A} \frac{\langle \bar{J} \rangle}{J} \frac{p_e}{E_e}$  with  $\tilde{A} = \frac{A}{1 + b \frac{\gamma m_e}{E_e}}$  \*



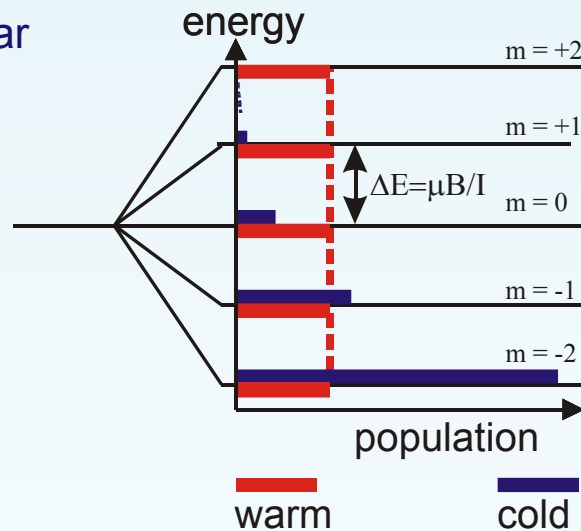
Pure GT Transition

$\tilde{A}_{GT}^{\beta^+} \cong \lambda_{JJ} \left[ \mp 1 + \frac{\alpha Z m}{p} \text{Im} \left( \frac{C_T + C_T'}{C_A} \right) + \frac{\gamma m}{E_e} \text{Re} \left( \frac{C_T + C_T'}{C_A} \right) \right]$

The angle between the impuls of the  $\beta$ -particle and the nuclear spin has to be under control.



Create an ensemble of oriented nuclei with Low Temperature Nuclear Orientation (LTNO).



$\mu B \approx kT$

Millikelvin temperatures → <sup>3</sup>He/<sup>4</sup>He reffridgerators

Magnetic field of 10 T or more → Hyperfine interactions or strong extrenal magnets

\* J.D. Jackson et al. , Nucle. Phys. 4 (1957) 206

# Low Temperature Nuclear Orientation :Using $^3\text{He}/^4\text{He}$ dilution refrigerators to orient nuclei

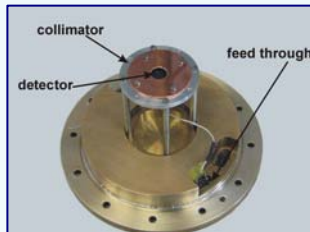
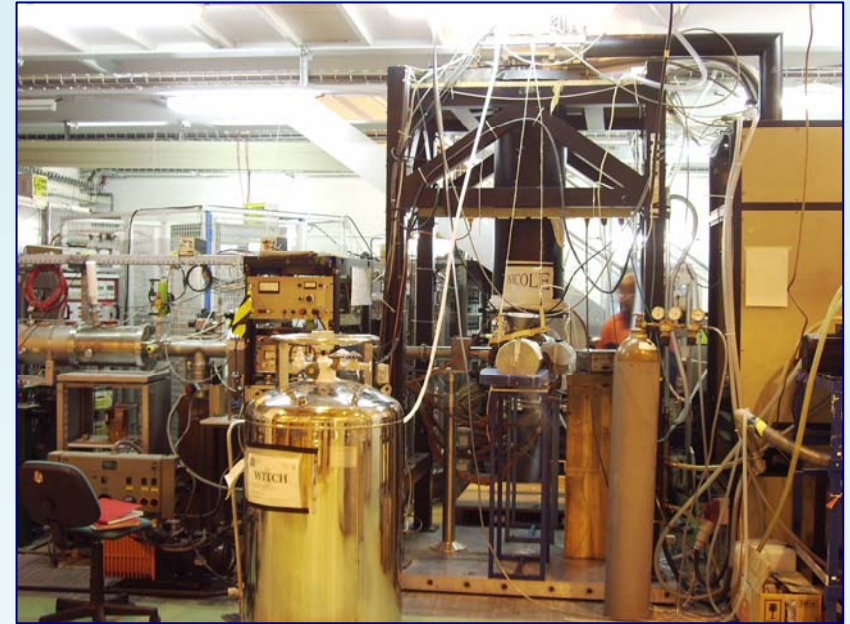


## Hight Field setup (Leuven)



- Off-line
- 17 T magnet
- place for 1  $\gamma$ -detector and 1 particle detector

## Online setup (ISOLDE/CERN)

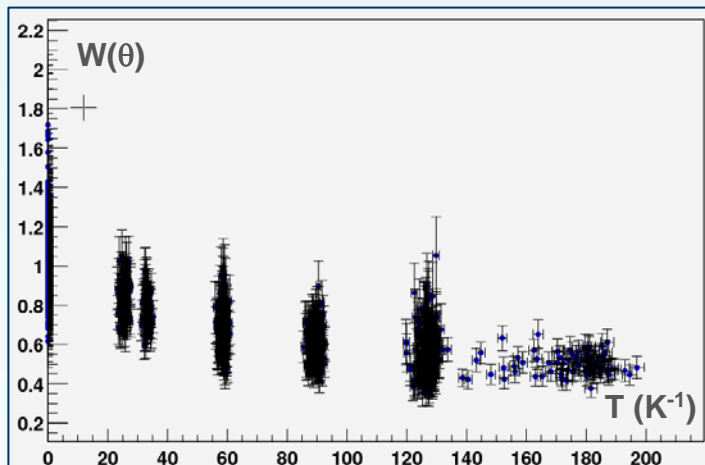
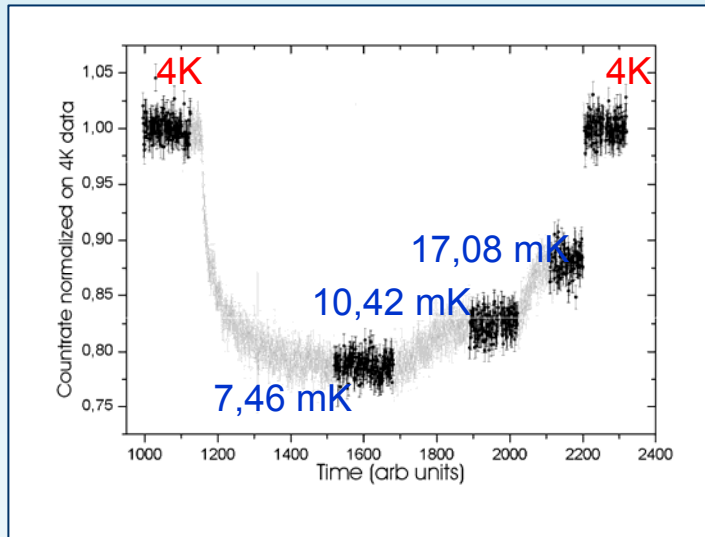


- On-line
- 2 T magnet
- place for 3  $\gamma$ -detectors and 3 particle detectors



# Low Temperature Nuclear Orientation :Using $^3\text{He}/^4\text{He}$ dilution refrigerators to orient nuclei

## The data :



$$W(\theta) = \frac{N(\theta)_{\text{cold}}}{N(\theta)_{\text{warm}}} = 1 + f \tilde{A} P \frac{v}{c} Q \cos\theta$$

% atoms at good lattice sites, coming from a calibration measurement

Degree of polarization, function of  $\mu B / kT$

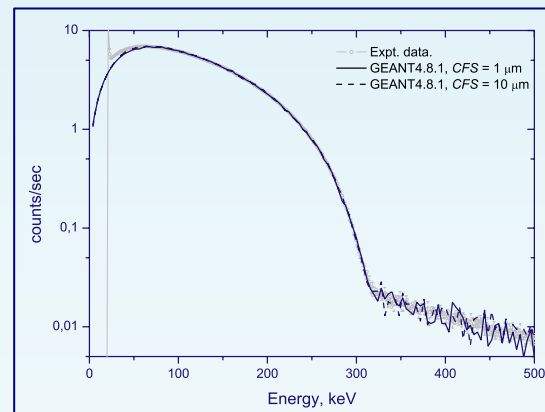
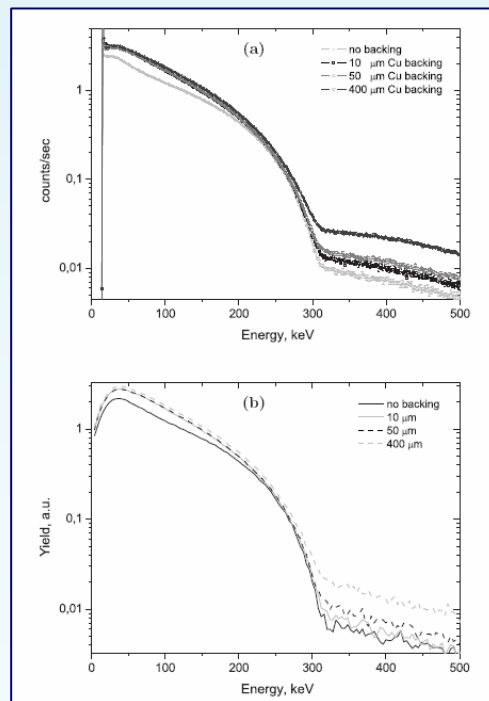
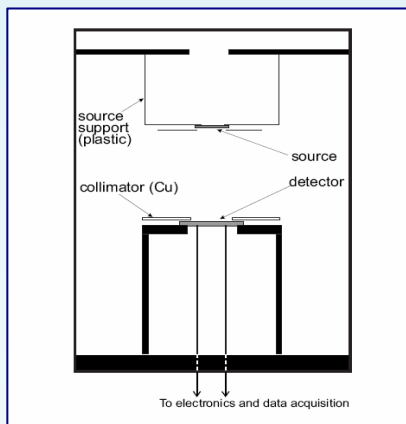
Initial energy / solid angle / scattering / magnetic field effects / ...

GEANT4 monte-carlo simulations

# Simulating the experiment :Using GEANT4 to get control on systematic effects

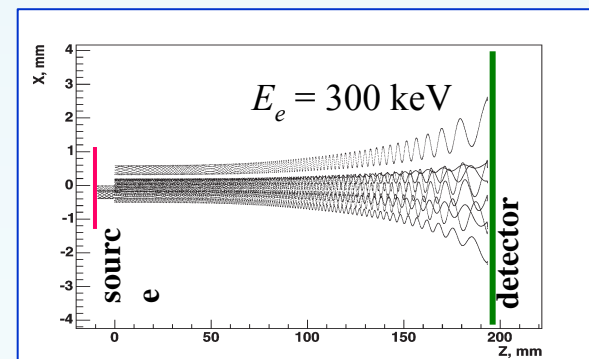
GEANT4 has to take care of scattering effects, energy loss, magnetic field effects, ...

- Testing GEANT4 under different experimental conditions
- Tuning parameters / optimizing the code
- Simulating the whole experiment to extract the  $\beta$ -asymmetry parameter from the data



## Backscattering of $e^-$ on Si

CF S, $\mu\text{m}$	$f_r$		
	0.2	0.02	0.002
10	8.7	13.2	13.2
5	9.1	12.6	13.5
1	10.9	12.5	14.3





# Experiments : $^{60}\text{Co}$

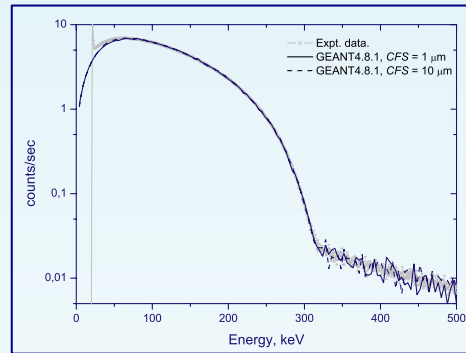
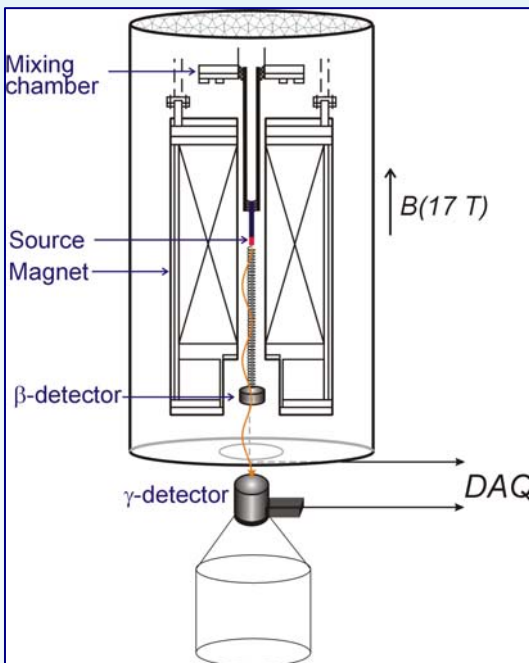
$^{60}\text{Co}$

- $T_{1/2} = 5,3 \text{ y}$
- $5^+ \rightarrow 4^+$
- 99,88 % br
- 318 keV end point

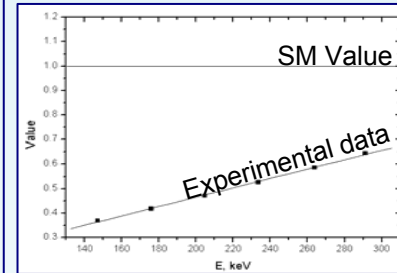
Proof of principle experiment for our methods.

Try to improve the best experimental value for the  $\beta$ -asymmetry parameter measured with  $^{60}\text{Co}$ .  
( $A = -1.01(2)$  Chirovsky et al., 1984)

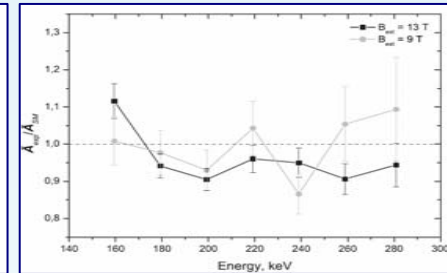
Performing the experiment and simulate is with GEANT4



Without GEANT



With GEANT



$$\tilde{A}_{\text{exp}} = -0.953(22) \quad (\tilde{A}_{SM} = -1)$$

PHD thesis  
Ilya Kraev  
(KULeuven)

## $^{114}\text{In}$

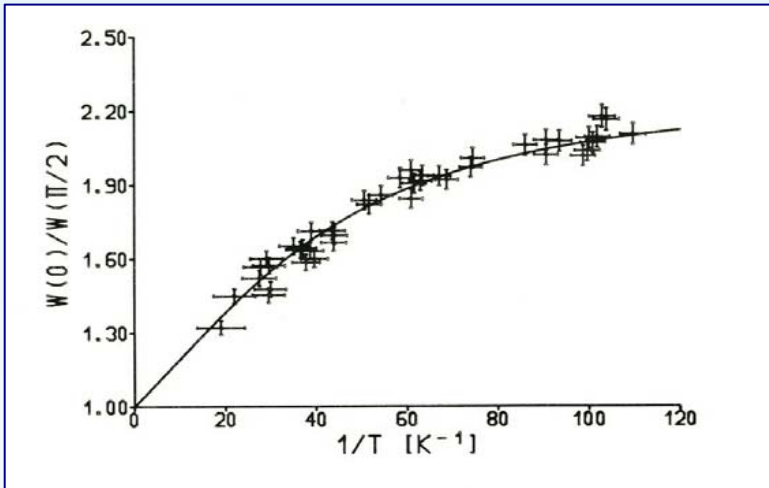
- $t_{1/2}$  50d  $^{114m}\text{In}$
- $t_{1/2}$  71s  $^{114m}\text{In}$
- $1^+ \rightarrow 0^+$
- 99,36 % br
- 1988 keV end point
- Low Logft

- Using the hyperfinefield of In in Fe to orient the In nuclei
- 3 measurements in 3 different external fields (46 mT, 93mT and 186 mT)

### Calculating the factor $v/c * Q_1 * \cos(\theta)$ with GEANT4

	45 mT	93 mT	186 mT
$\tilde{A}$	1.007(41)	0.986(32)	0.985(35)

$$\tilde{A} = -0.991(19) \quad (\tilde{A}_{SM} = -1)$$

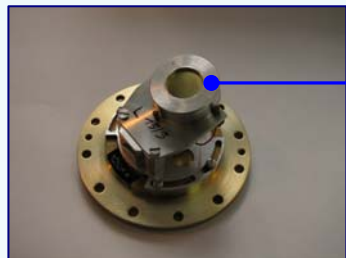
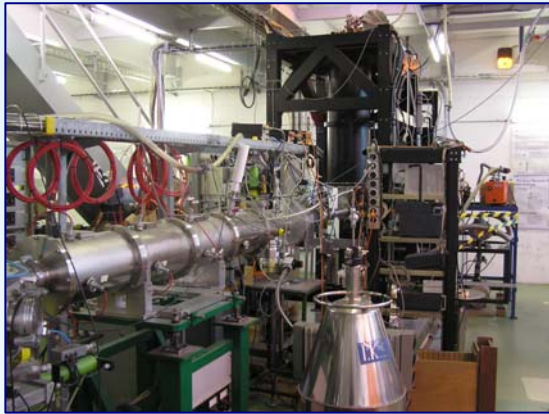


Most precise result of the  $\beta$ -asymmetry parameter for a fast pure GT transition

$^{67}\text{Cu}$

- 60 keV implantation at 4K
- $B_{\text{hf}} \text{ Cu(Fe)} = -21,81(1) \text{ T}$ 
  - 0,1 T external field
- $^{57}\text{Co}$  for temperature determination and  $^{68}\text{Cu}$  for callibration

- $t_{1/2}$  62h
- $3/2^- \rightarrow 5/2^-$
- 20 % br
- 562 keV end point

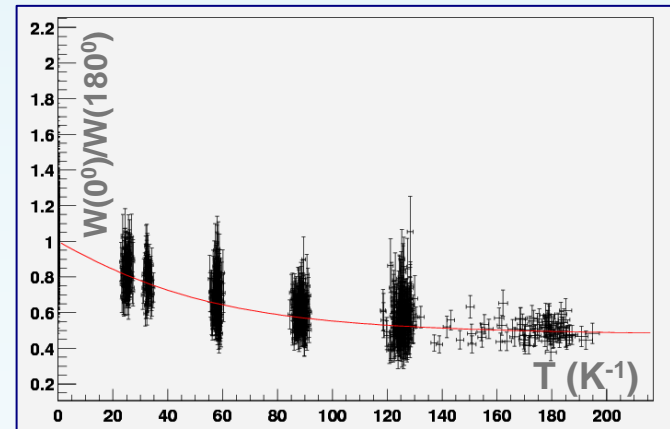


HPGe particle detector

## Two run's on $^{67}\text{Cu}$ . 2006 & 2007

- Good quality data
- Low statistics due to low Cu yields  
→  $-0.427(6)$  (SM = 0.447)  
(with estimated systematic effects!)

### Anisotropycurve of $^{67}\text{Cu}$ (2006)

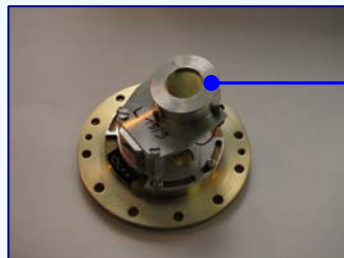
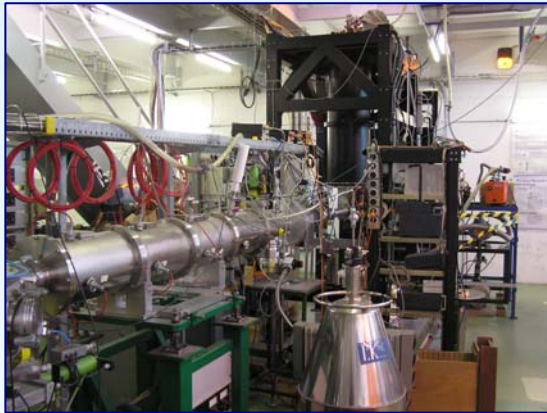


# Experiments : $^{67}\text{Cu}$

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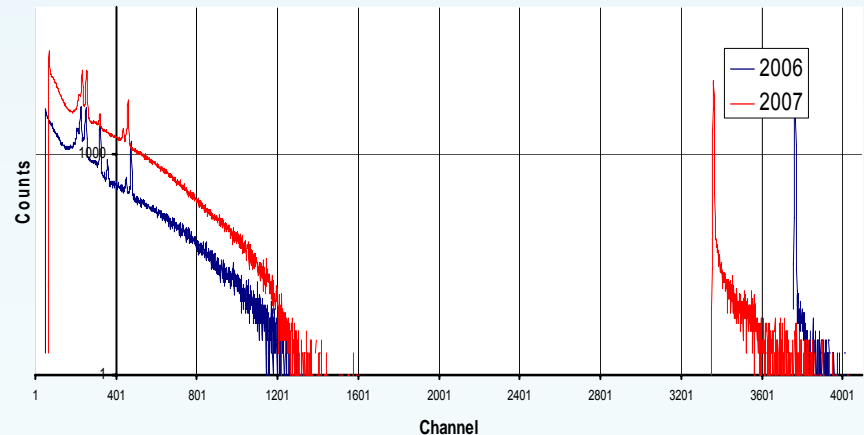
HPGe particle detector

## Two run's on $^{67}\text{Cu}$ . 2006 & 2007

- Good quality data
- Low statistics due to low Cu yields
  - $-0.427(6)$  (SM = 0.447) (with estimated systematic effects!)
- 4 to 5 times better statistics
- better calibration measurement with  $^{68}\text{Cu}$

## $\beta$ -spectra of 2006 and 2007

$^{67}\text{Cu}$  Spectrum



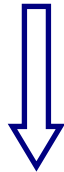
- Our 2% precision on the  $\beta$ -asymmetry parameter is a compatible result
- Approaching the 1% precision we need to get good weak interaction physics
  - 1% precision ( $1\sigma$ ) on  $\tilde{A}$  gives

$$\text{Re}\left(\frac{C_T + C'_T}{C_A}\right) \leq 0,04 \quad \text{current limits} \quad \left|\frac{C_T}{C_A}\right| \leq 0,09 \quad \& \quad \left|\frac{C'_T}{C_A}\right| \leq 0,089$$

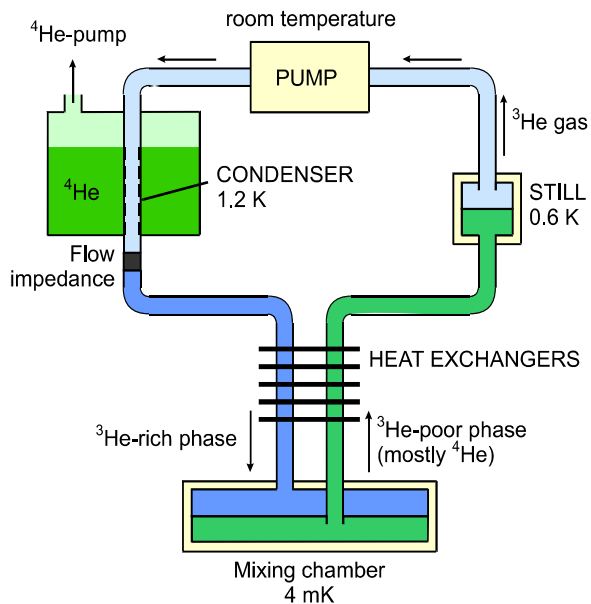
- Further test GEANT4 for our applications
- New experiments ...

# Experimental technique

## Millikelvin temperatures



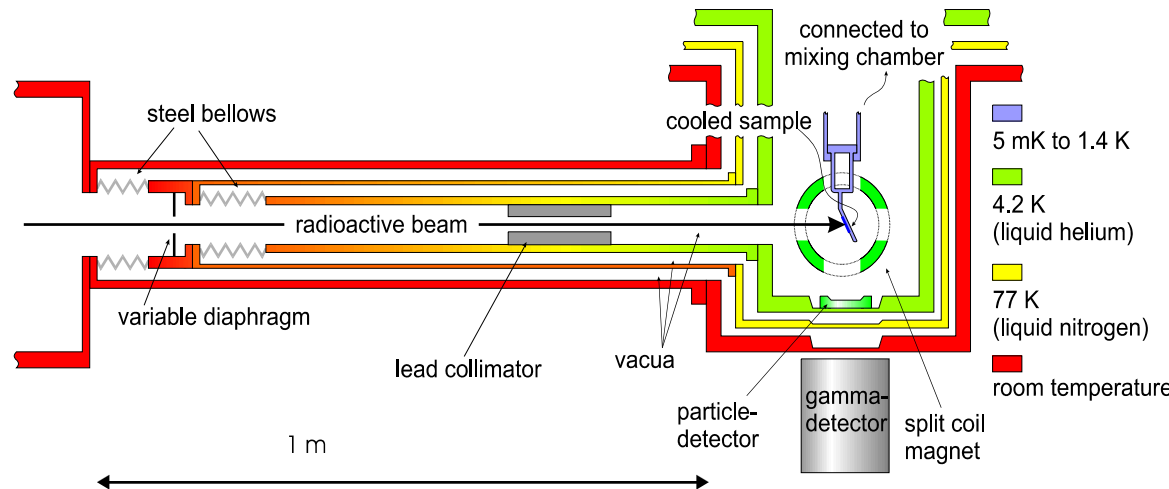
- $^3\text{He}$ - $^4\text{He}$  dilution refrigerators



## High fields



- Hyperfine field in a magnetised Fe/Ni/... Foil
- Strong external field



**$^{67}\text{Cu}$**

## Determining the implantation quality with $^{68}\text{Cu}$

$$W(\theta) = \frac{N(\theta)_{\text{warm}}}{N(\theta)_{\text{cold}}} = 1 + f \tilde{A} P \frac{v}{c} Q \cos\theta$$

$$= 1 + f A \frac{B_1}{c} Q \cos\theta$$

$$(A_1 = \sqrt{\frac{I_0 + 1}{3I_0}} \tilde{A})$$

Half life 31.1 s → measured on-line

~~Function of the Boltzmann distribution based on the interaction  $\mu B$  and the lattice temperature  $T_L$~~

Estimated relaxation time  $T_1 = 5$  s



$$T_{1/2} = 31.1 \text{ s}$$

$$B_1(\text{eff}) = \rho_1\left(I, \frac{T_i}{T_L}, \frac{\tau T_i}{C_k}\right) B_1\left(\frac{\mu B}{T_L}\right)$$

# Experiments

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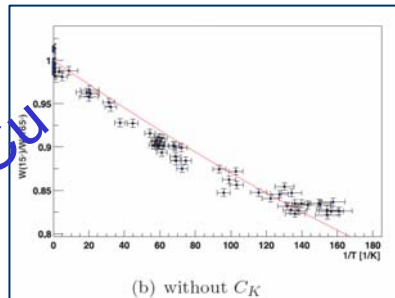
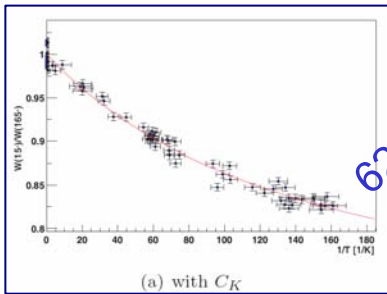
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### Two parameter fit on $f$ and $C_K$



$^{62}\text{Cu}$

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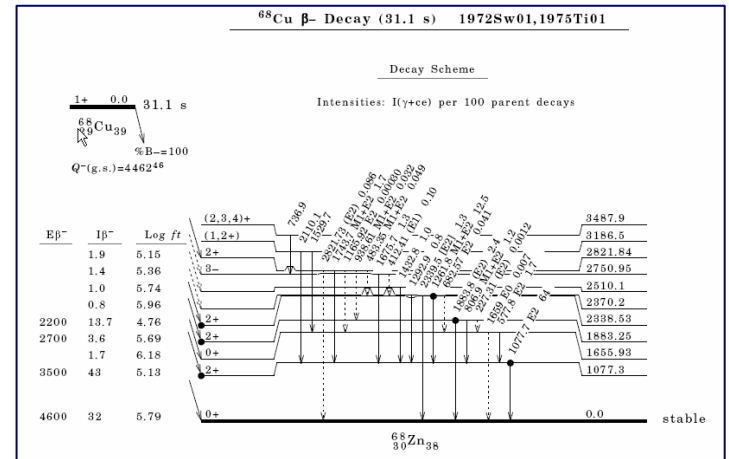
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$$= 1 + f A_1 B_1 \frac{v}{c} Q \cos\theta$$

$$(A_1) = \sqrt{\frac{I_0 + 1}{3I_0}} \tilde{A}$$

Get the fraction (=implantation quality) of  $^{67}\text{Cu}$  from the anisotropy of the  $\beta$ 's from  $^{68}\text{Cu}$ .

→ Presume SM Value for  $A_1$  for  $^{68}\text{Cu}$



For the endpoint:

- $\gamma m/E_e = 0.479$  ( $^{67}\text{Cu}$ )
- $\gamma m/E_e = 0.115$  ( $^{68}\text{Cu}$ )

→ Still sensitive to tensor currents

# Experiments

**$^{67}\text{Cu}$**

## Determining the implantation quality with $^{68}\text{Cu}$

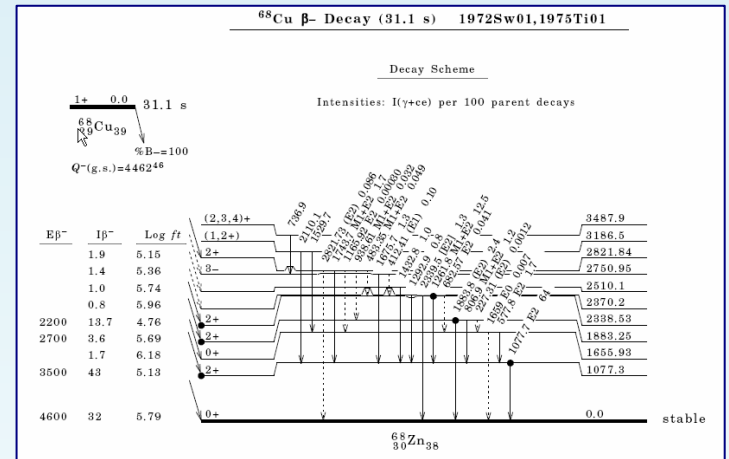
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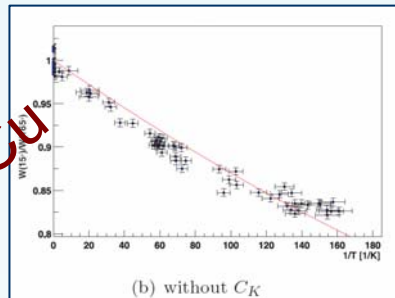
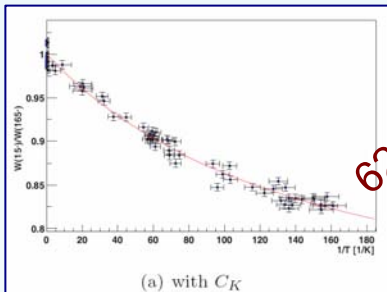
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