## Theoretical Background

$B_{d}$ has spin $0, J / \psi$ and $K^{*}$ vector mesons $\rightarrow$ final state admixture of 3 states with relative angular momentum $L=0,1,2$
Final state products described by three transversity angles $\Omega=\{\cos \psi, \cos \theta, \varphi\}$ 3 complex amplitudes: $\boldsymbol{A}_{\boldsymbol{o}} \boldsymbol{A}_{/ /}, \boldsymbol{A}_{\perp}$


Analysis strategy

-•••• Toy MC Angular momentum:
........... L = 0, 2
$\qquad$ L Amplitude $0 \quad A_{0}, A_{1 /}$ $\begin{array}{lc}1 & A_{\perp} \\ 2 & A_{0}, A_{l \mid}\end{array}$

To disentangle angular momentum states perform maximum likelihood fit, simultaneously in mass and 3 transversity angles

Contribution from non-resonant $K \pi$ mode (S-wave), described by additional amplitude $\boldsymbol{A}_{s}$ Physics parameters:
$\left|A_{\|}\right|^{2},\left|A_{\perp}\right|^{2},\left|A_{s}\right|^{2}, \delta_{\|}, \delta_{\perp}, \delta_{s}$

## Event sample:

$\mathcal{L}_{\text {int }} \approx 1 \mathrm{fb}^{-1}$ (LHC 2011 run)
77285 candidates used in analysis $61132 \pm 274$ signal events


## Background studies

Main background components to be considered:

- Combinatorial background of random tracks
- $B \rightarrow J / \psi X$ events (true $J / \psi$ )
- Muons from fake $J / \psi$ (negligible)

Scatter plot: $J / \Psi$ vs. $B_{d}$ mass


## Angular acceptance

Acceptance corrections are taken from Monte Carlo:

- Angular coverage of the detector (10mrad < $\uparrow<400 \mathrm{mrad}$ )
- Implicit momentum cuts (reconstruction)

$>$ In general good agreement between data and Monte Carlo for all kinematic variables
> Only discrepancy: pion momentum distribution for low momenta (this is currently under study)


## Very Preliminary results



Systematics:

- Data/MC difference
- Background description
- Acceptance treatment
- Mass model


Consistent with previous results
$\left|A_{| |}\right|^{2} 0.228 \pm 0.004 \pm 0.003$ $\left|A_{\perp}\right|^{2} 0.203 \pm 0.004 \pm 0.003$
$\left|A_{s}\right|^{2} 0.044 \pm 0.004 \pm 0.013$
$\delta_{\text {\| }} \quad-2.98 \pm 0.02 \pm 0.04$
$\delta_{\perp} \quad 2.93 \pm 0.02 \pm 0.02$

