

# Non-Abelian $(2, 0)$ Superconformal Field Theories

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# Current Research Interests

My current research interests comprise three different topics

## 1 BPS Saturated Objects in String Theory

- Work with: I. Antoniadis, I. Florakis, K.S. Narain, E. Sokatchev, T. Taylor, A. Zein Assi

## 2 Amplitudes and Correlators in Superconformal Field Theories

- Work with: A. Belitsky, G. Korchemsky, E. Sokatchev, A. Zhiboedov

## 3 Effective Description of $(2,0)$ Superconformal Theories

- Work with: Federico Bonetti, Thomas Grimm
- Based on: 1206.1600, 1209.3017

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Today I will only talk about point (3)

# Non-Abelian Six-Dimensional Theories with $\mathcal{N} = (2, 0)$

Class of interacting superconformal field theories in six dimensions

- propagate **tensor multiplets**
- non-abelian gauge group  $\mathcal{G}$
- $\mathcal{N} = (2, 0)$  supersymmetry  $\Rightarrow$  16 supercharges

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Strong motivations to study such theories:

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- expected to be responsible for interesting relations between various supersymmetric gauge theories in different dimensions  $\leq 5$

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Difficult to describe directly

- no Lagrangian description known (no vector degrees of freedom)
- no perturbative approach (lack of parameter)

# Lower Dimensional Description

Propose **five dimensional** action by compactification on  $S^1$  and keep infinite tower of **KK-modes** for all fields

Bonetti, Grimm, SH 2012

$$\mathcal{L}_{5\text{-dim}} = \mathcal{L}_0 + \sum_{n=1}^{\infty} \mathcal{L}_n^{\text{KK}}$$

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Properties of the proposed action

- $\mathcal{N} = (1, 0)$  supersymmetry (8 supercharges;  $SU(2)_R$  R-symmetry)  
Mechanism to enhance to  $USp(4)_R$  compatible with  $\mathcal{N} = (2, 0)$
- six-dimensional conformal symmetry broken: can restore Weyl rescalings through compensating multiplets
- Action for zero mode alone = maximally supersymmetric Yang-Mills



Several questions are currently under consideration

- Can more symmetries (e.g. Lorentz) of the six-dimensional theory be made visible in the five-dimensional approach?
- What quantities of the six-dimensional theory can be computed from five dimensions?
- Can we make closer contact to M-theory? Can we learn more about the geometry of string moduli spaces from this theory?
- Can we learn more about recently discovered relations between supersymmetric gauge theories in various dimensions (e.g. AGT relations)?