

Summary of WGG VII (charm mixing/CPV)

Mat Charles, Ray Cowan, Alexey Petrov, Svjetlana Fajfer

First

- Many thanks to the speakers for an excellent set of talks
- and to the audience for lively discussion
- and to the organisers for the opportunity to listen to the above
- and to the Westin for sustaining us with cookies

Summary²

Sunday 30 September 2012

WG VII - Harding (08:30-10:30)

time	title	presenter
08:30	CPV and Mixing in the Charm Sector at Belle, and HFAG Averages	KO, Byeong Rok
09:08	CPV and Mixing in the Charm Sector at BaBar	CENCI, Riccardo
09:41	Charm Mixing at Threshold (Quantum Correlations) at CLEO	SUN, Werner
10:00	Charm Mixing in the Standard Model: Short Distance Approach	BOBROWSKI, Markus

WG VII - McKinley (16:30-18:30)

time	title	presenter
16:30	Charm Mixing in the Standard Model: Long Distance Approach	LIGETI, Zoltan
16:55	CPV and Mixing in the Charm Sector at LHCb	PARKES, Chris
17:20	CPV and Mixing in the Charm Sector at CDF	MATTSON, Mark Edward
17:40	Direct CPV in Non-leptonic Charm Decays I	BHATTACHARYA, Bhubanjyoti
18:00	Direct CPV in Non-leptonic Charm Decays II	BROD, Joachim

Monday 01 October 2012

WG VII - Hays (11:00-13:00)

time	title	presenter
11:00	Direct CPV in Non-leptonic Charm Decays: New Physics	KAMENIK, Jernej
11:25	Status and Prospects for Mixing/CPV Using Charm at Threshold	BRIERE, Roy
11:45	Prospects for Charm Mixing and CPV at SuperB	BRANCHINI, Paolo
12:05	Prospects for Charm Mixing and CPV at Belle II	ASNER, David
12:25	Prospects for Charm Mixing and CPV at the LHCb Upgrade	SPRADLIN, Patrick
12:40	Charm Mixing and CPV: Measurements We Need	GROSSMAN, Yuval

- 5 talks on current experimental results
- 5 on state of theory
- 4 on experimental prospects (next decade)
- 1 on where to go next

Հոնորաբաններէ՛ք. Հոնորաբաններէ՛ք.
Հոնորաբաններէ՛ք. Կրօնը մե՛հիցսքէ՛ք

Alarr, Wikimedia

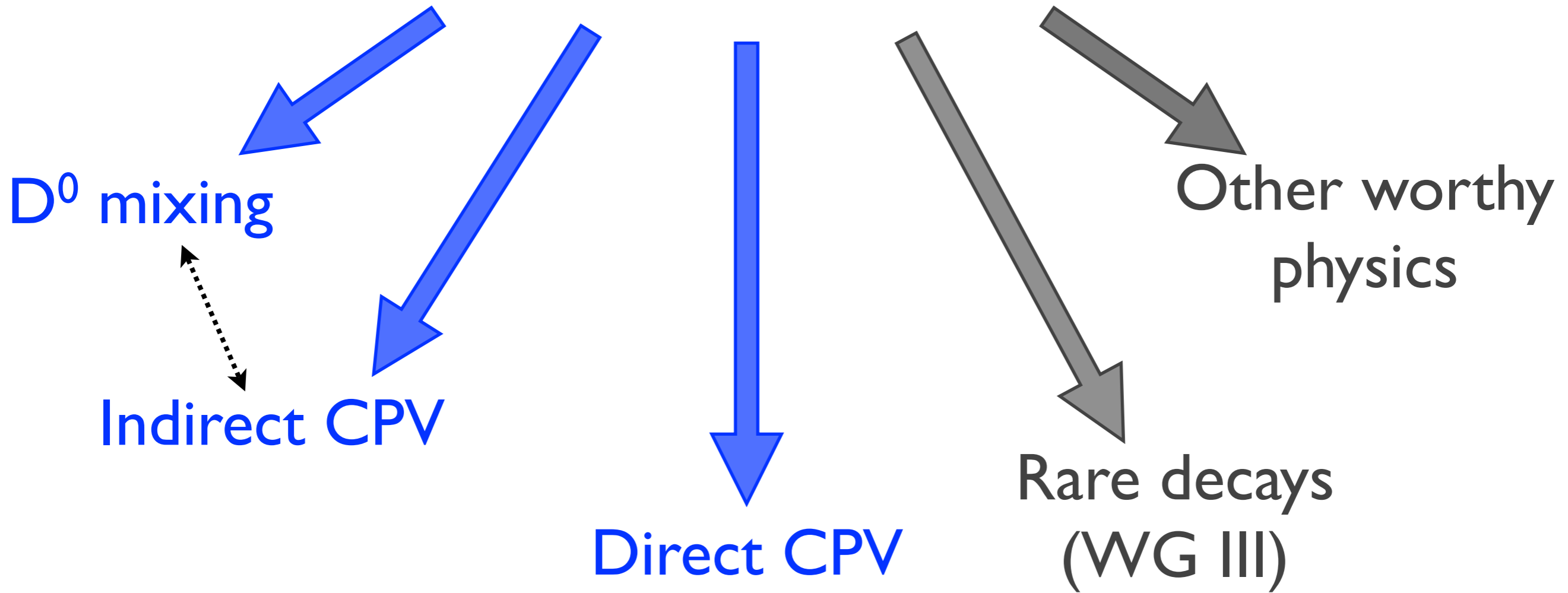
Caveat

or: why experimentalists should not give summary talks



Apologies to G. Larson

Charm physics



D⁰ mixing

- Tremendous advances in the last decade
- ... but still a long way to go

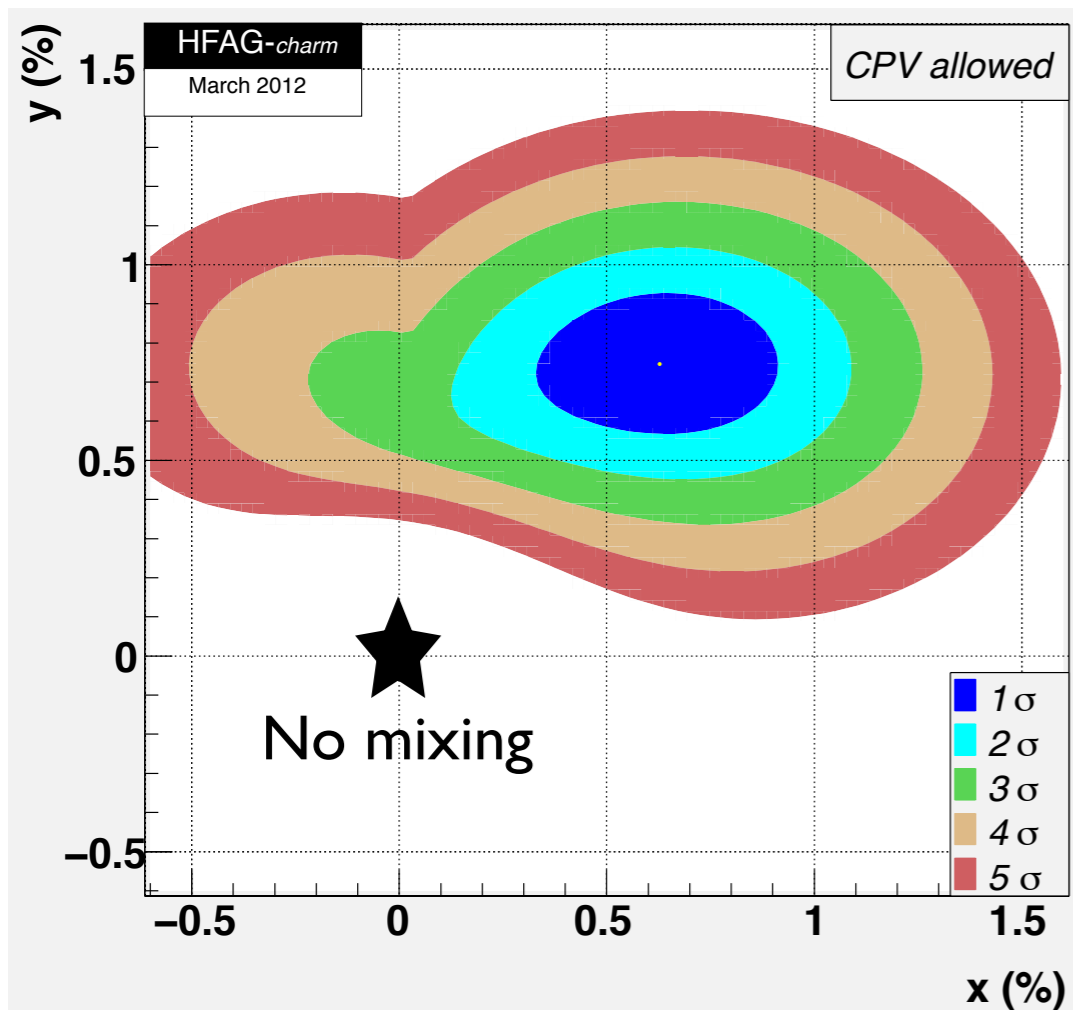
D⁰– \bar{D}^0 transitions observables

$$x = \frac{\Delta M}{\Gamma}, \quad y = \frac{\Delta \Gamma}{2\Gamma} \quad R_M = \frac{1}{2}(x^2 + y^2)$$

$$\begin{aligned} x' &= x \cos \delta_{K\pi} + y \sin \delta_{K\pi} \\ y' &= y \cos \delta_{K\pi} - x \sin \delta_{K\pi} \end{aligned} \quad \left| \frac{q}{p} \right| \quad \text{Arg} \left(\frac{q}{p} \right)$$

$$y_{CP} = \frac{\tau(D^0 \rightarrow K^- \pi^+)}{2} \left(\frac{1}{\tau(D^0 \rightarrow K^- K^+)} + \frac{1}{\tau(\bar{D}^0 \rightarrow K^- K^+)} \right) - 1 \approx \frac{\tau(D^0 \rightarrow K^- \pi^+)}{\tau(D^0 \rightarrow K^- K^+)} - 1$$

Mixing: experiment



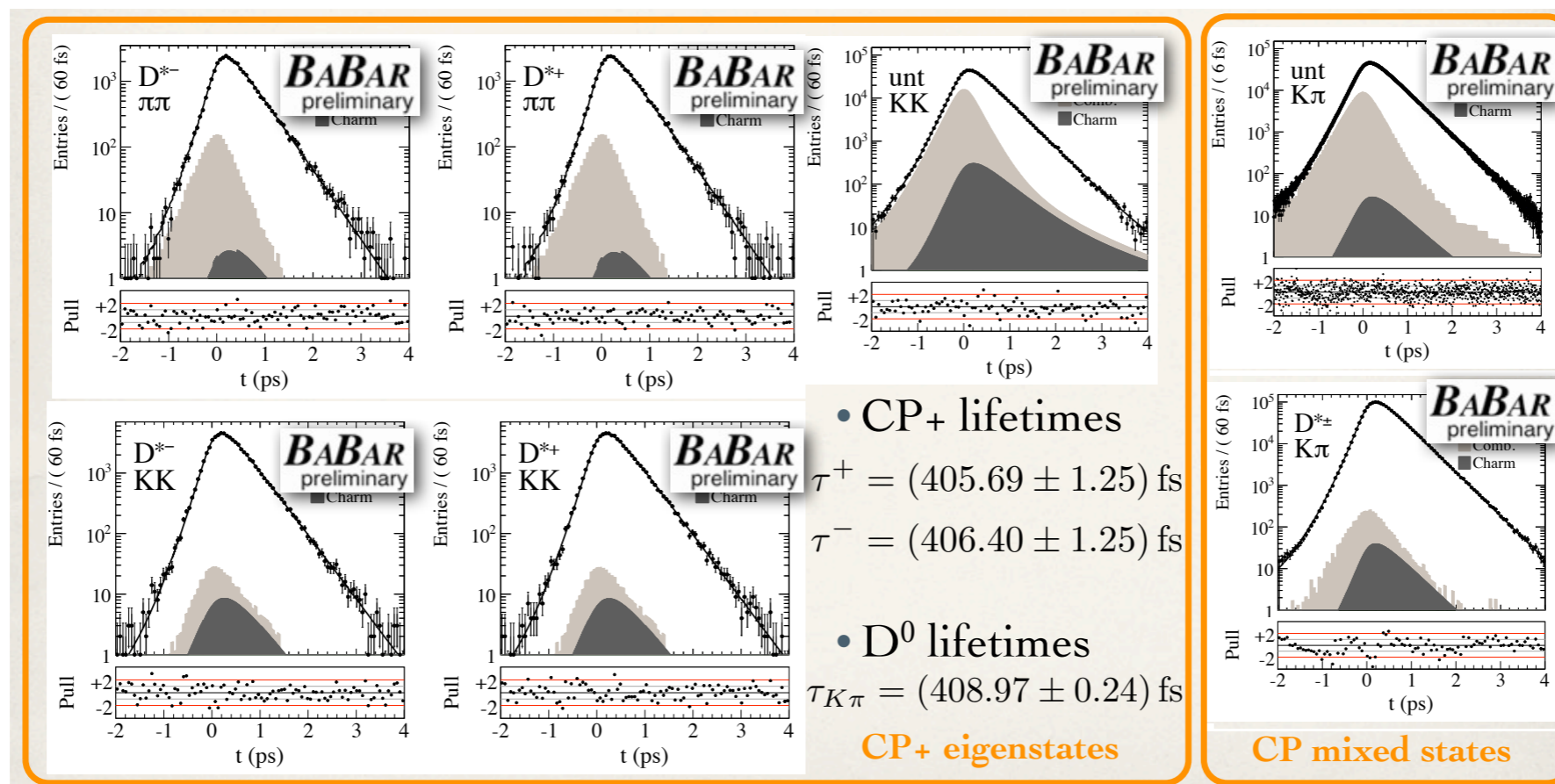
- No-mixing point now excluded at $> 10\sigma$
- $\text{Sign}(x/y)$ likely positive
- General scale of mixing now very clear.
- Individual parameters still uncertain (esp. x).

HFAG average from March shown here.
Several new measurements not yet included.

New & recent results (I)

- Updates on y_{CP} from Belle & BaBar.
Both use simultaneous fit to $K\pi$, KK , $\pi\pi$ samples

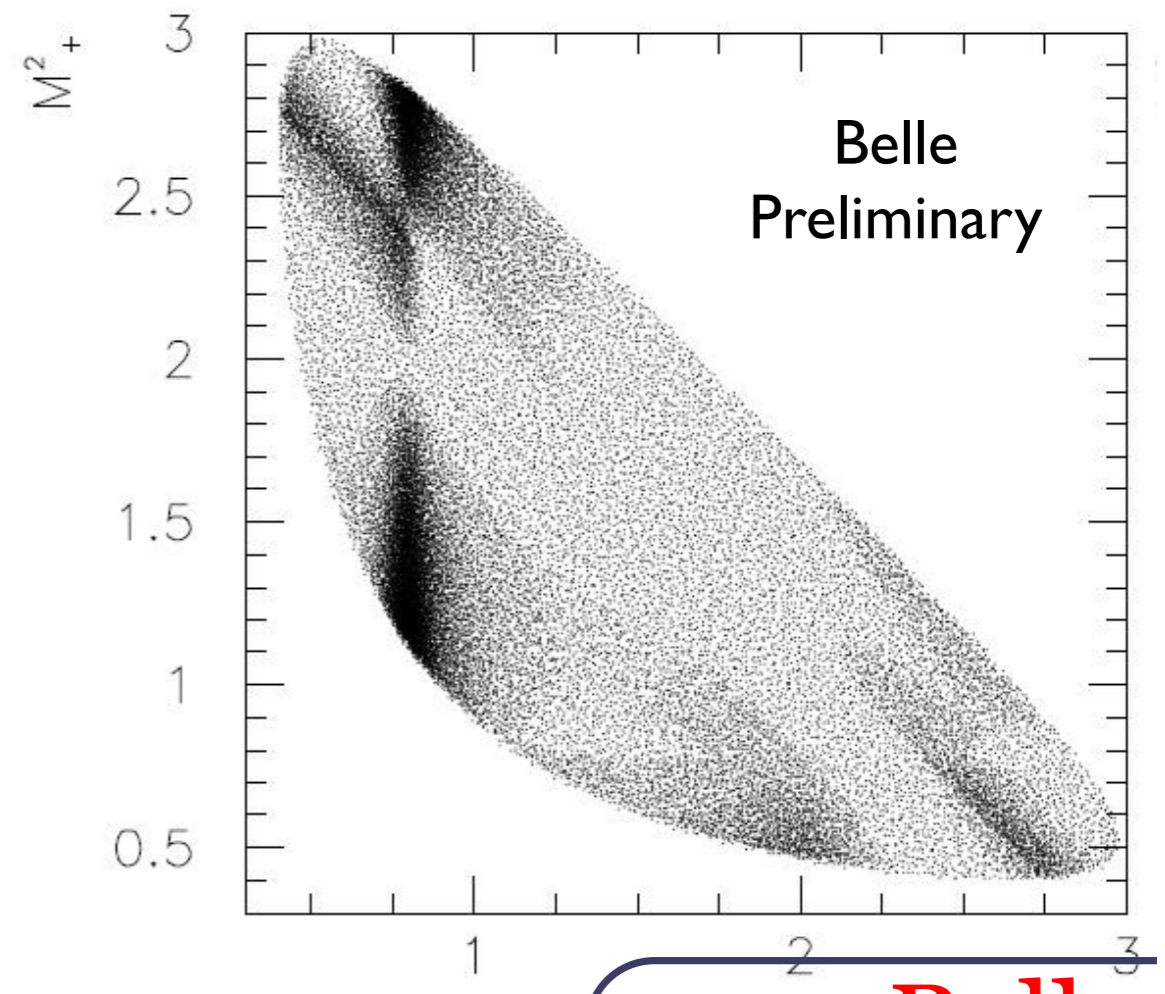
Belle preliminary, 976/fb	$y_{CP} = (+1.11 \pm 0.22 \pm 0.11)\%$
BaBar preliminary, 470/fb	$y_{CP} = (+0.720 \pm 0.180 \pm 0.124)\%$
LHCb, 0.03/fb JHEP 04 (2012) 129	$y_{CP} = (+0.55 \pm 0.63 \pm 0.41)\%$



New & recent results (2)

- Belle update of time-dependent Dalitz plot analysis of $D^0 \rightarrow K_S \pi^+ \pi^-$ to 920/fb
- Preliminary results:

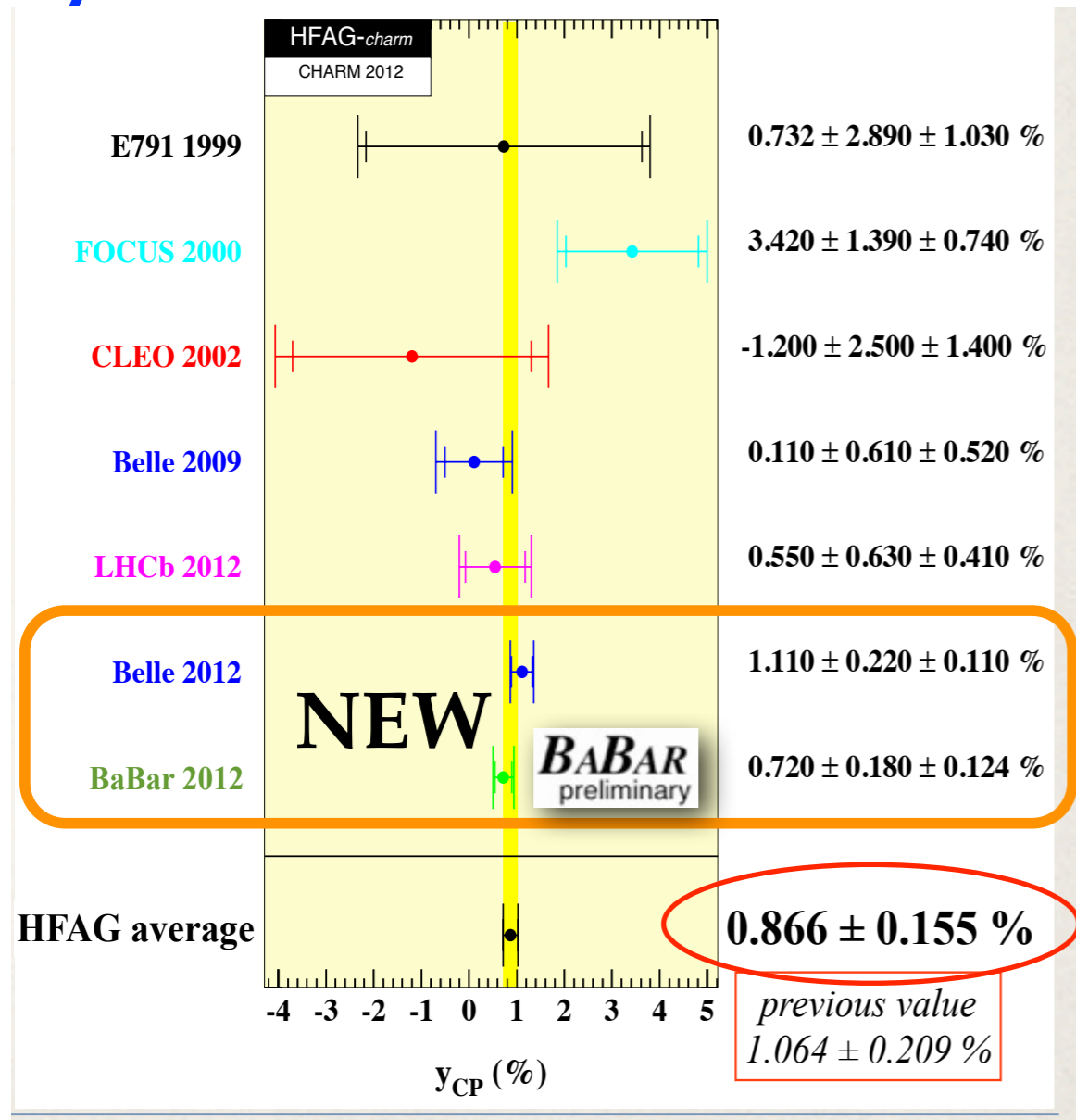
	result (%)
x	$(0.56 \pm 0.19^{+0.03+0.06}_{-0.09-0.09})$
y	$(0.30 \pm 0.15^{+0.04+0.03}_{-0.05-0.06})$



Aside

- Mild tension between y_{CP} & y from these methods:

y_{CP} from lifetime ratios



y from t-dep Dalitz plot:

Belle 920/fb (preliminary)

$$y = (+0.30 \pm 0.15 \begin{matrix} +0.04 & +0.03 \\ -0.05 & -0.06 \end{matrix})\%$$

BaBar 470/fb

$$y = (+0.57 \pm 0.20 \pm 0.13 \pm 0.07)\%$$

[PRL 106:081803 \(2010\)](#)

My naive average

$$y \approx (+0.38 \pm 0.13)\%$$

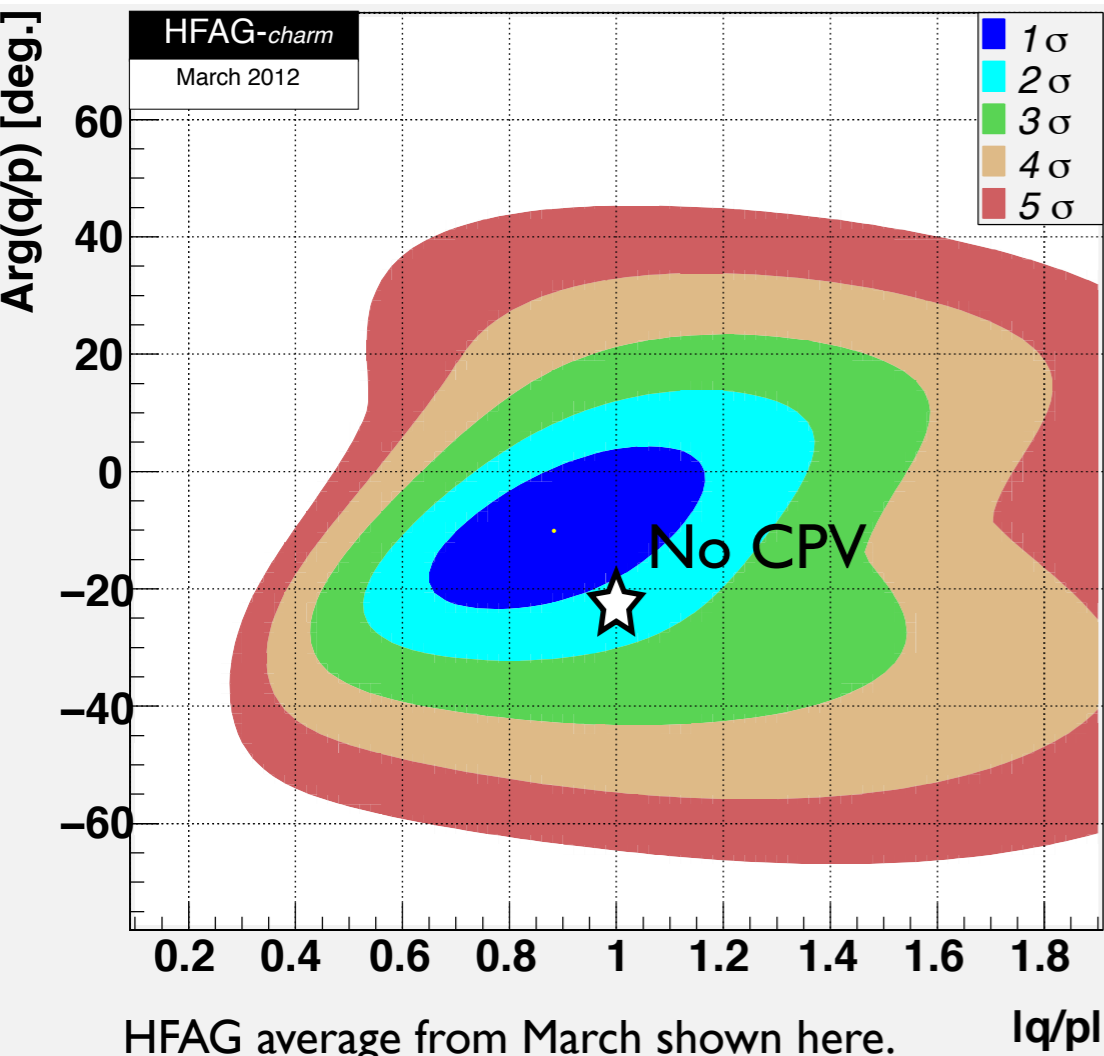
New & recent results (3)

- Mixing parameters extracted with quantum-correlated decays at CLEO-c
- Updated results with full CLEO-c dataset (818/pb)

Parameter	HFAG 2010 CLEO 2008	Fit: no ext. meas. (standard)	Fit: w/ ext. y, x, y' (extended)	
y (10^{-2})	0.79 ± 0.13	$4.2 \pm 2.0 \pm 1.0$	0.636 ± 0.114	Average of y and $y' = y \cos\delta_{K\pi} - x \sin\delta_{K\pi}$
x^2 (10^{-3})	0.037 ± 0.024	$0.6 \pm 2.3 \pm 1.1$	0.022 ± 0.023	
$r_{K\pi}^2$ (10^{-3})	3.32 ± 0.08	$5.33 \pm 1.07 \pm 0.45$	3.33 ± 0.08	
$\cos\delta_{K\pi}$	1.10 ± 0.36	$0.81^{+0.22+0.07}_{-0.18-0.05}$	$1.15^{+0.19+0}_{-0.17-0.08}$	2.5 σ diff. due to fluctuations in r^2 and y , correlated with $\cos\delta_{K\pi}$
$\sin\delta_{K\pi}$	---	$-0.01 \pm 0.41 \pm 0.04$	$0.56^{+0.32+0.21}_{-0.31-0.20}$	
$\delta_{K\pi}$ ($^\circ$) [derived]	$22^{+11}_{-12} \ ^{+9}_{-11}$	10^{+28+13}_{-53-0}	18^{+11}_{-17}	

↑ CLEO only ↑ External measurements used as inputs

Indirect CPV: experiment



- Poorly constrained due to smallness of x, y .
- Large CPV still allowed.
- New & recent results below

Belle preliminary, 976/fb	$A_{\Gamma} = (-0.03 \pm 0.20 \pm 0.08)\%$
BaBar preliminary, 470/fb	$\Delta Y = (0.088 \pm 0.255 \pm 0.058)\%$
LHCb, 0.03/fb JHEP 04 (2012) 129	$A_{\Gamma} = (-0.59 \pm 0.59 \pm 0.21)\%$

Mixing: theory

- Mixing in SM is just plain hard to calculate.
- Short-distance picture discussed by Markus Bobrowski
- Long-distance picture discussed by Zoltan Ligeti

Mixing (short-distance)

- Operator product expansion in $1/m_c$
- Naive prediction ($D=6$) for y is horribly wrong

$$|y| \equiv |\Gamma_{12}| \cdot \tau(D^0) \simeq 10^{-6}$$

[JHEP 1003 \(2010\) 009](#)

▷ MB, Lenz, Riedl, & Rohrwild ('10)

- ... but this is not because m_c is too small. Instead, comes from delicate cancellation:

$$\Gamma_{12}(D^0) = -\mathcal{O}(\lambda^2) \underbrace{(\Gamma_{12}^{ss} - 2\Gamma_{12}^{sd} + \Gamma_{12}^{dd})}_{m_s^4/m_c^4} + \mathcal{O}(\lambda^6) \underbrace{(\Gamma_{12}^{sd} - \Gamma_{12}^{dd})}_{m_s^2/m_c^2} + \mathcal{O}(\lambda^{10}) \underbrace{\Gamma_{12}^{dd}}_{\sim 1}$$

- Cancellation less exact when including higher-dimension operators $\Rightarrow y$ can be much larger.

Mixing (short-distance)

- Going to D=9:

- SU(3) cancellations softer in the condensate contribution

$$\Gamma_{12} = -\lambda_s^2 \left(\Gamma_{12}^{ss} - 2\Gamma_{12}^{ds} + \Gamma_{12}^{dd} \right) + 2\lambda_s\lambda_b \left(\Gamma_{12}^{ds} - \Gamma_{12}^{dd} \right) - \lambda_b^2 \Gamma_{12}^{dd}$$

$1.15 m_s^4/m_c^4$
 $-2.75 m_s^2/m_c^2$
 1.96

$$\delta \Gamma_{12} = -\lambda_s^2 \delta \left(\Gamma_{12}^{ss} - 2\Gamma_{12}^{ds} + \Gamma_{12}^{dd} \right) + 2\lambda_s\lambda_b \delta \left(\Gamma_{12}^{ds} - \Gamma_{12}^{dd} \right) - \lambda_b^2 \delta \Gamma_{12}^{dd}$$

$0.43 m_s^3/m_c^3$
 $0.19 m_s/m_c$
 0

$\times 13$
 $\times 0.66$

- flavour symmetry breaking:

$$\Gamma_{12}^{ss}/\text{ps}^{-1} = 1.908 + 0.036 \quad (+1.9\%)$$

$$\Gamma_{12}^{sd}/\text{ps}^{-1} = 1.935 + 0.018 \quad (+0.9\%)$$

$$\Gamma_{12}^{dd}/\text{ps}^{-1} = 1.962 + 0$$

$$y = (0.86 + 7.3) \cdot 10^{-6} \times 8.5$$

▷ MB, Lenz, & Nierste

Was 0.86×10^{-6}
 Grows by 7.3×10^{-6}
 Extra is 8.5x base
 i.e. overall x9.5

→ additional SU(3) breaking induced from the soft QCD background

- Guess another large factor going to D=12.
- Another one (non-factorization?) and we're done!

Mixing (short-distance)

- What does this tell us about indirect CPV?
- $\mathcal{O}(1)$ weak phase in short-distance Hamiltonian
- So conceivably SM $\phi \sim \mathcal{O}(10^{-3})$ overall

$$M_{12} = \text{Re} \left(\text{Diagram} \right)$$

$$\delta M_{12} = \text{Re} \left(\text{Diagram} \right)$$

weak phase in the SD-Hamiltonian

$$\phi = \arg \left(-\frac{M_{12}}{\Gamma_{12}} \right) \simeq \mathcal{O}(1)$$

Mixing (long-distance)

- Contributions large & hard to calculate
- But not hopeless: SU(3) breaking due to phase-space tractable.
- Naturally obtain $x, y \sim O(1\%)$

Multi-body final states

Final state representation		$y_{F,R}/s_1^2$
$(3P)_{s\text{-wave}}$	8	-0.48
	27	-0.11
$(3P)_{p\text{-wave}}$	8	-1.13
	27	-0.07
$(3P)_{\text{form-factor}}$	8	-0.44
	27	-0.13
4P	8	3.3
	27	2.2
	27'	1.9

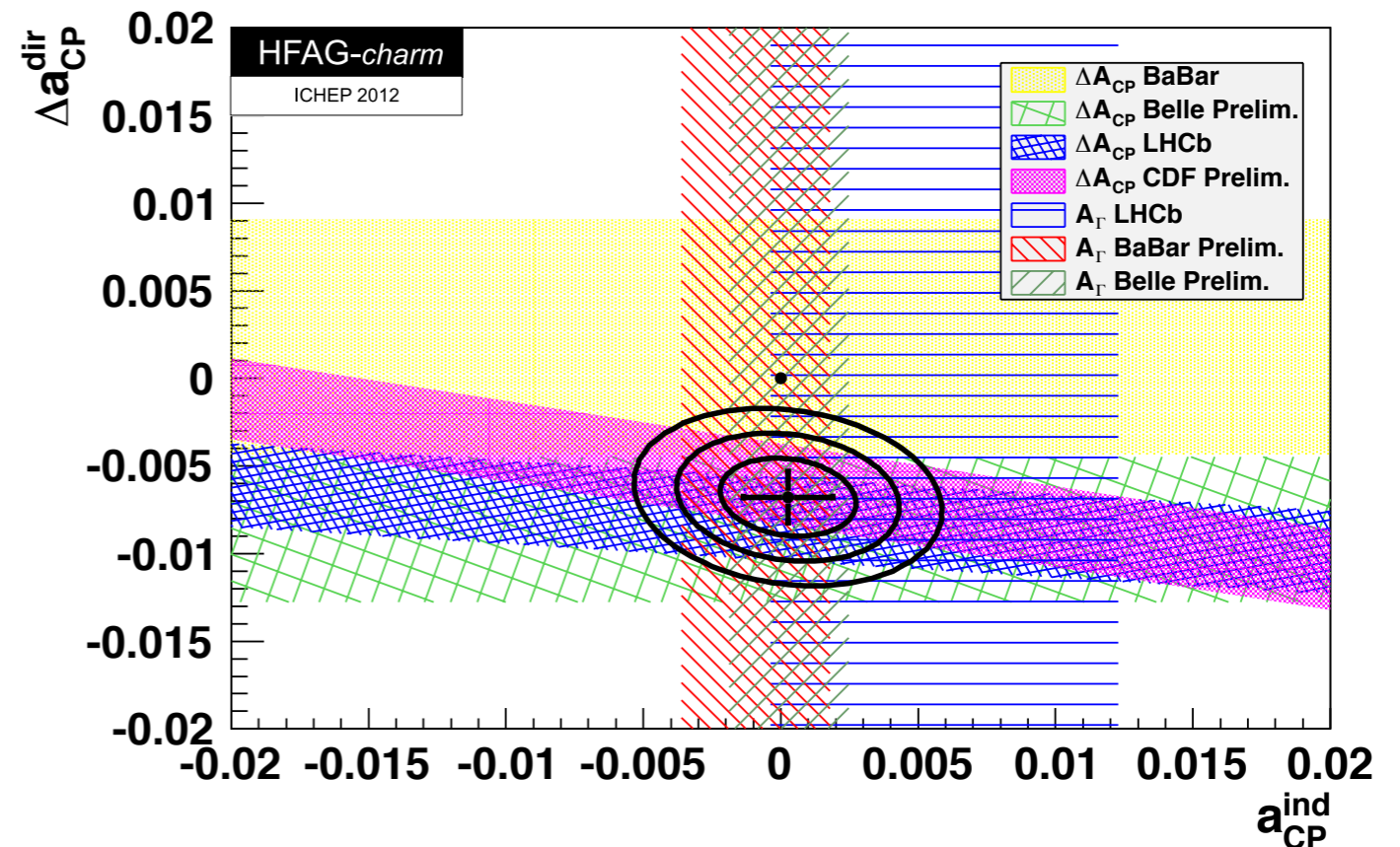
2-body final states

Final state representation		$y_{F,R}/s_1^2$
$(PP)_{s\text{-wave}}$	8	-0.0038
	27	-0.00071
$(PV)_{p\text{-wave}}$	8 _S	0.031
	8 _A	0.032
	10	0.020
	$\overline{10}$	0.016
	27	0.040
$(VV)_{s\text{-wave}}$	8	-0.081
	27	-0.061
$(VV)_{p\text{-wave}}$	8	-0.10
	27	-0.14
$(VV)_{d\text{-wave}}$	8	0.51
	27	0.57

- Look for CP violation in mixing, which remains a potentially robust signal of NP

Direct CPV: ΔA_{CP}

- ΔA_{CP} : Is there something there?
- If so, is it SM?
- If not, what could it be?

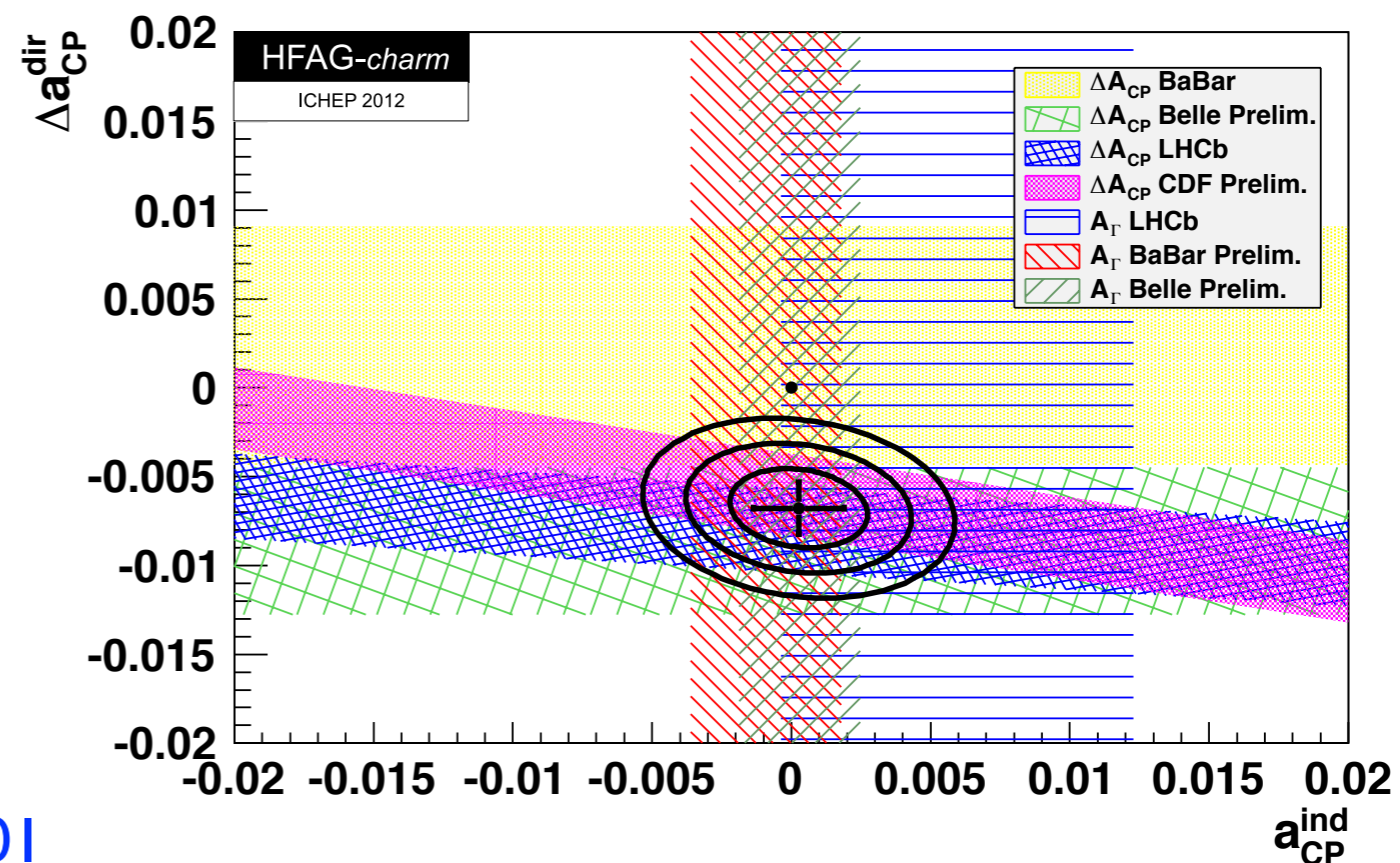


$$\Delta a_{CP}^{\text{dir}} = (-0.678 \pm 0.147) \%$$

p-value for no CPV: 0.002%

Direct CPV: ΔA_{CP}

- ΔA_{CP} : Is there something there?
- Effect seen by LHCb, CDF, Belle with similar central values, significances between $2.1-3.5\sigma$.
- Smells interesting, but we are not at 5σ .



$$\Delta a_{CP}^{\text{dir}} = (-0.678 \pm 0.147) \%$$

p-value for no CPV: 0.002%

CDF: [Phys.Rev. D85 \(2012\) 012009](#)

CDF: [Phys.Rev.Lett. 109 \(2012\) 111801](#)

LHCb: [Phys. Rev. Lett. 108 \(2012\) 111602](#)

Belle preliminary (976/fb)

Direct CPV: ΔA_{CP}

- Is it SM?
- Consensus: it can be accommodated.
- Contributions from penguin & tree:

$$A_f \equiv A(D^0 \rightarrow f) = A_f^T [1 + r_f e^{i(\delta_f - \phi_f)}],$$

$$\bar{A}_f \equiv A(\bar{D}^0 \rightarrow f) = A_f^T [1 + r_f e^{i(\delta_f + \phi_f)}]$$

r_f relative magnitude of subleading (penguin) amplitude with relative strong phase δ_f , weak phase ϕ_f .

$$\mathcal{A}_f^{\text{dir}} := \frac{|A_f|^2 - |\bar{A}_f|^2}{|A_f|^2 + |\bar{A}_f|^2} = 2r_f \sin \phi_f \sin \delta_f$$

How large can r_f be?

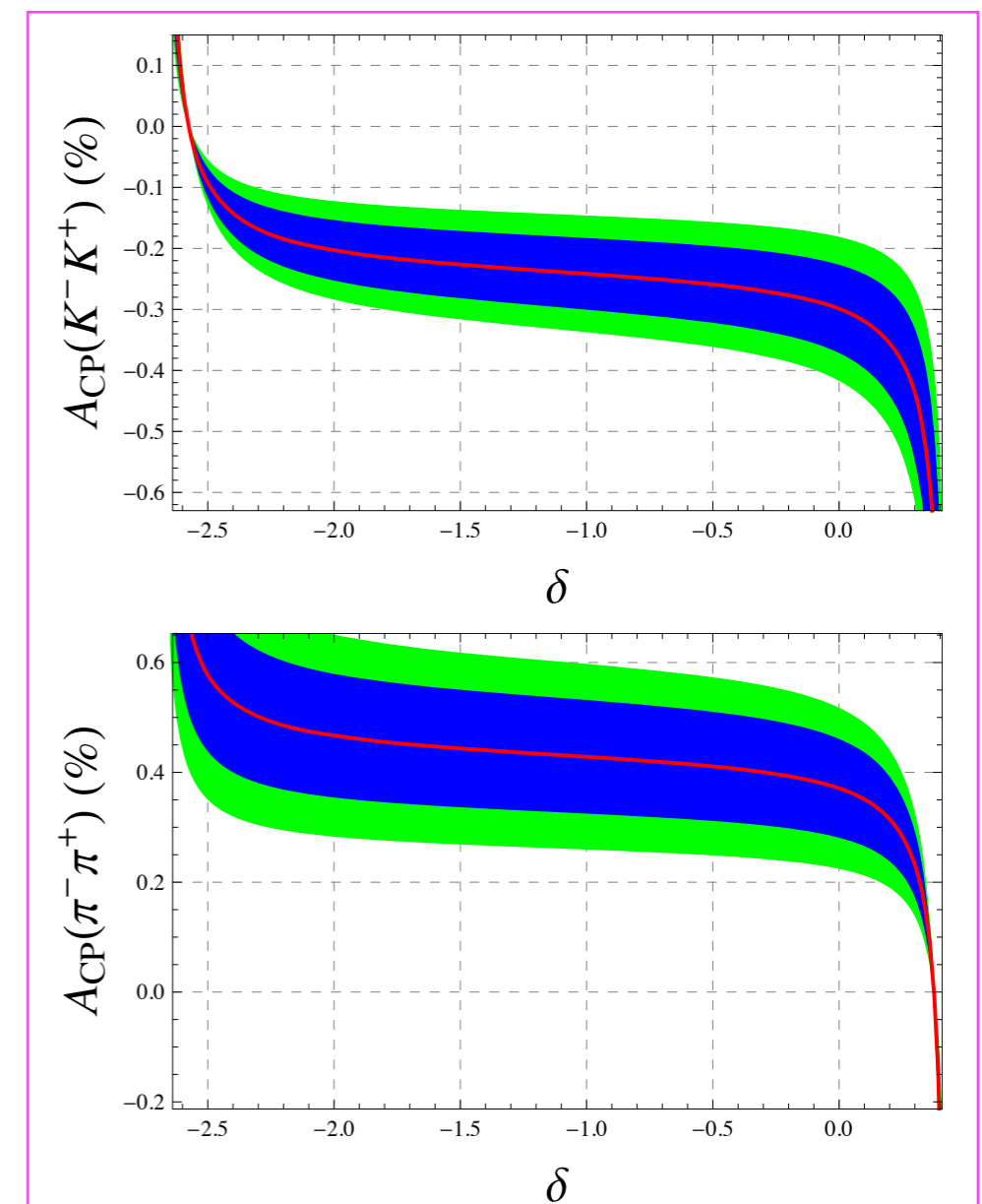
Direct CPV: ΔA_{CP}

- Clue: odd pattern of BRs
(e.g. $D^0 \rightarrow K^+K^- \gg D^0 \rightarrow \pi^+\pi^-$)
- Several papers come to broadly the same answer:
large penguin amplitude drives BOTH apparent U-spin breaking in BRs AND large ΔA_{CP} .

e.g. [Feldmann et al, JHEP 1206 \(2012\) 007](#)

Direct CPV: ΔA_{CP}

- Bhattacharya et al fit to cocktail of BRs to extract Penguin, Penguin Annihilation amplitudes.
- Penguin enhanced by an order of magnitude compared to naive estimate.
- $\Delta A_{CP} \sim -0.6\%$ projected
- $|A(K^+K^-)| < |A(\pi^+\pi^-)|$ likely



Direct CPV: ΔA_{CP}

[Phys.Rev. D86 \(2012\) 014023](#)

- Brod et al: posit nominal U-spin breaking
- Then $D^0 \rightarrow h^+ h^-$ BRs demand large penguin amplitude

$$A(\bar{D}^0 \rightarrow K^+ \pi^-) = V_{cs} V_{ud}^* T (1 - \frac{1}{2} \epsilon'_{1T}),$$

$$A(\bar{D}^0 \rightarrow \pi^+ \pi^-) = -V_{cs} V_{us}^* \left[T (1 + \frac{1}{2} \epsilon_{1T}) - P_{\text{break}} (1 - \frac{1}{2} \epsilon_{sd}^{(2)}) \right] \\ - V_{cb}^* V_{ub} (T/2 (1 + \frac{1}{2} \epsilon_{1T}) + P (1 - \frac{1}{2} \epsilon_P)),$$

$$A(\bar{D}^0 \rightarrow K^+ K^-) = V_{cs} V_{us}^* \left[T (1 - \frac{1}{2} \epsilon_{1T}) + P_{\text{break}} (1 + \frac{1}{2} \epsilon_{sd}^{(2)}) \right] \\ - V_{cb}^* V_{ub} (T/2 (1 - \frac{1}{2} \epsilon_{1T}) + P (1 + \frac{1}{2} \epsilon_P)),$$

$$A(\bar{D}^0 \rightarrow \pi^+ K^-) = V_{cd} V_{us}^* T (1 + \frac{1}{2} \epsilon'_{1T}).$$

- Implies large $r_f \Rightarrow$ large ΔA_{CP} allowed

Direct CPV: ΔA_{CP}

- But still room for NP here:
 - SM estimates rather uncertain
 - We haven't explained WHY the penguin amplitudes are large
- Suppose that central value for ΔA_{CP} is correct and that SM doesn't saturate it. What NP could contribute without violating existing constraints?

Direct CPV: ΔA_{CP}

Phys.Lett. B711 (2012) 46-51

- Generically, what operators can contribute?

$$\mathcal{H}_{|\Delta c|=1}^{\text{eff-NP}} = \frac{G_F}{\sqrt{2}} \sum_i C_i^{\text{NP}} Q_i$$

- LL 4q operators: **excluded**
- LR 4q operators: **ajar** - potentially visible effects in $D-\bar{D}$ and/or ε'/ε
- RR 4q operators: unconstrained in EFT - UV sensitive contributions?

Model example:
Da Rold et al., 1208.1499

Dipole operators only weakly constrained (edm's)

esp. chromo-magnetic dipole operators

Direct CPV: ΔA_{CP}

- What about specific models? Considered:
 - SUSY
 - Warped extra dimensions
 - 4th generation
- Interesting implications/features for each
- See refs in Jernej's slides for details

Direct CPV: Other results

- Measurements in other modes vital to understand what's going on. Several new & recent results.

$$A_{CP}^{D^+ \rightarrow \bar{K}^0 \pi^+} = (-0.024 \pm 0.094 \pm 0.067)\% \quad \text{Belle PRL 109, 021601 (2012)}$$

$$A_{CP}(D^+ \rightarrow K_S^0 K^+) = (+0.46 \pm 0.36 \pm 0.25)\%$$

$$A_{CP}(D_s^+ \rightarrow K_S^0 K^+) = (+0.28 \pm 0.23 \pm 0.24)\% \quad \text{BABAR preliminary}$$

$$A_{CP}(D_s^+ \rightarrow K_S^0 \pi^+) = (+0.3 \pm 2.0 \pm 0.3)\%$$

Time-integrated search for CPV in $D^0 \rightarrow K_S \pi^+ \pi^-$

incl. searches in Dalitz plot distribution

Overall ACP = $-0.0005 \pm 0.0057 \pm 0.0054$

CDF Phys. Rev. D 86, 032007 (2012)

Search for CPV in $D^+ \rightarrow K^- K^+ \pi^-$

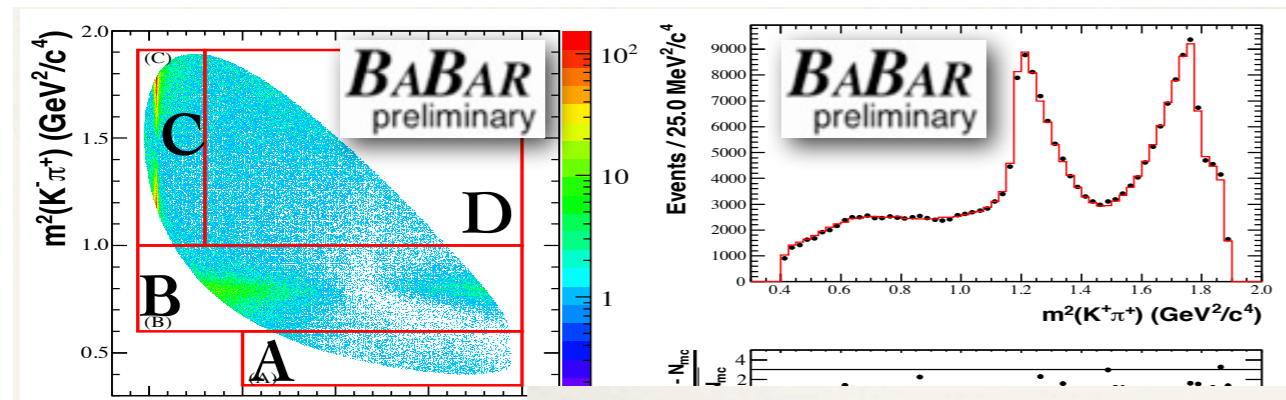
(see next slide)

BABAR preliminary

Direct CPV: Other results

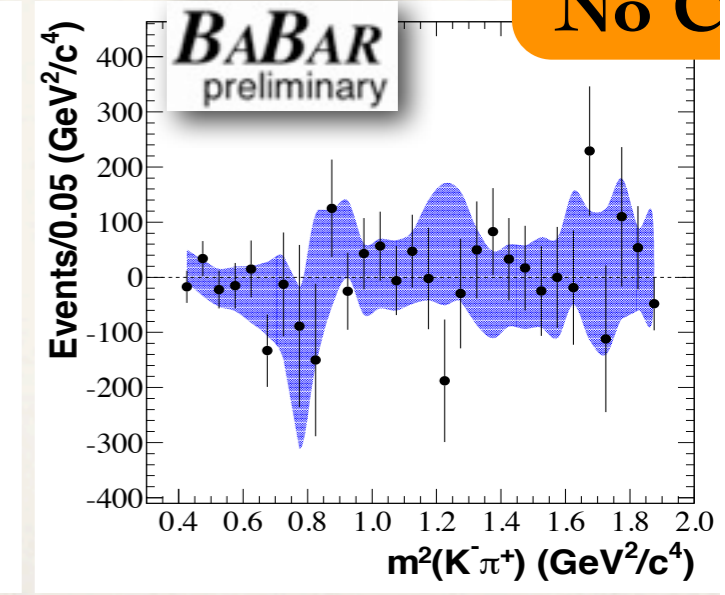
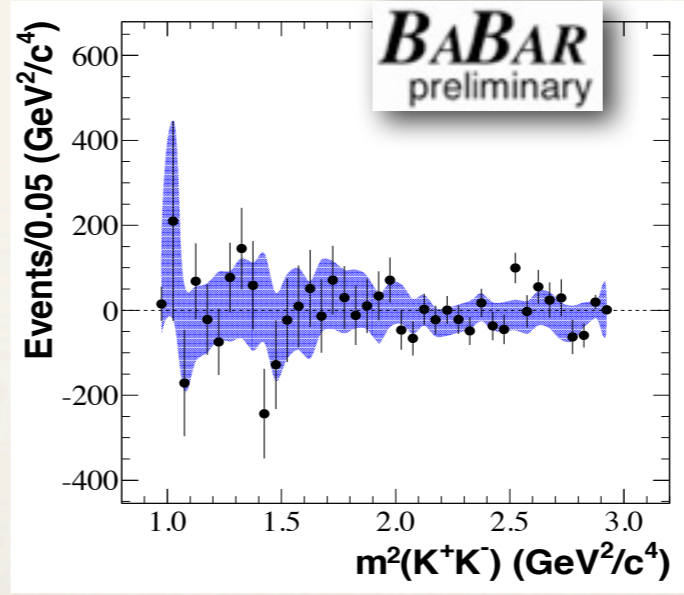
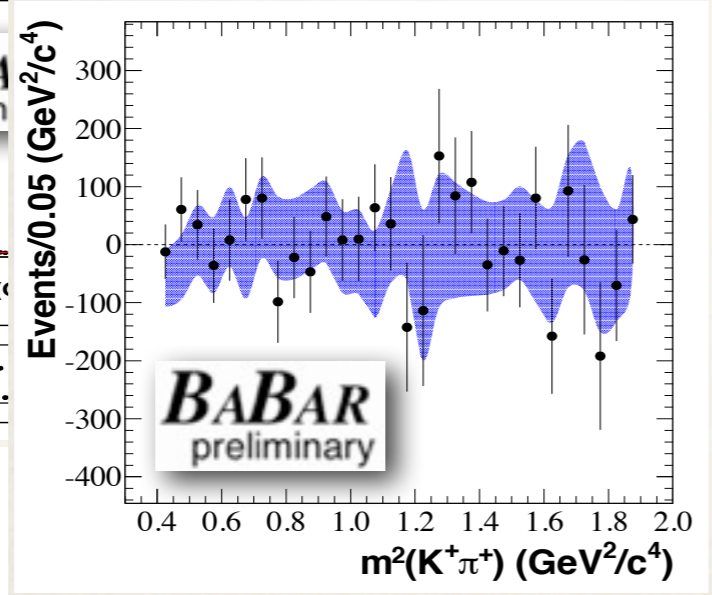
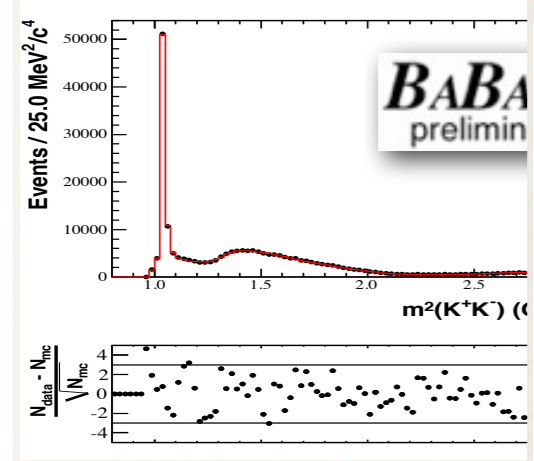
- Really thorough analysis, wringing out every drop of sensitivity.
- Overall ACP
- Model-independent search in big bins
- Model-independent search in fine bins
- Model-independent search w/ Legendre moments
- Model-dependent search (fit D^+ , D^- separately)

Direct CPV: Other results

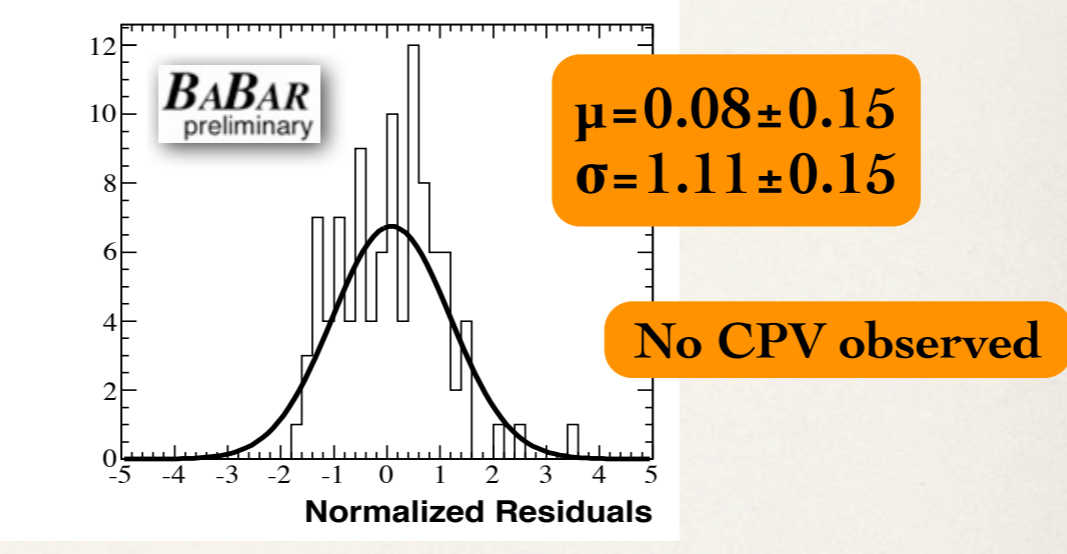
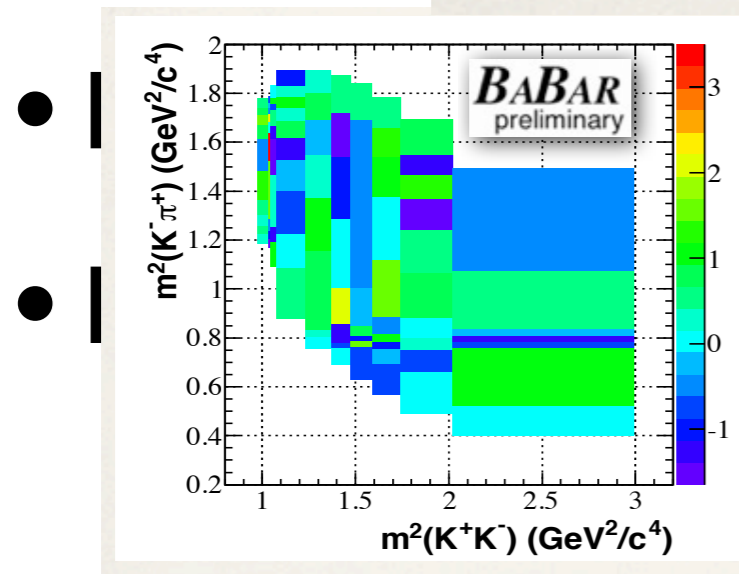


wringing out every drop

DP proj: $N(D^+) - N(D^-)$ for data (points) and p.d.f (blue curve)



• Model-i



the moments
(separately)

What next?

- Theory talks identified important modes to probe.
- Several now checked or in progress...
- ... though Murphy's law in effect: many compelling modes are experimentally tough.

Isospin-related $\Delta I = 3/2$ modes

$$D^0 \rightarrow K^+ \overline{K}^0$$

$$D^0 \rightarrow \pi^0 \pi^0$$

$$D^+ \rightarrow \pi^+ \pi^0$$

$$D^0 \rightarrow K^0 \overline{K}^0$$

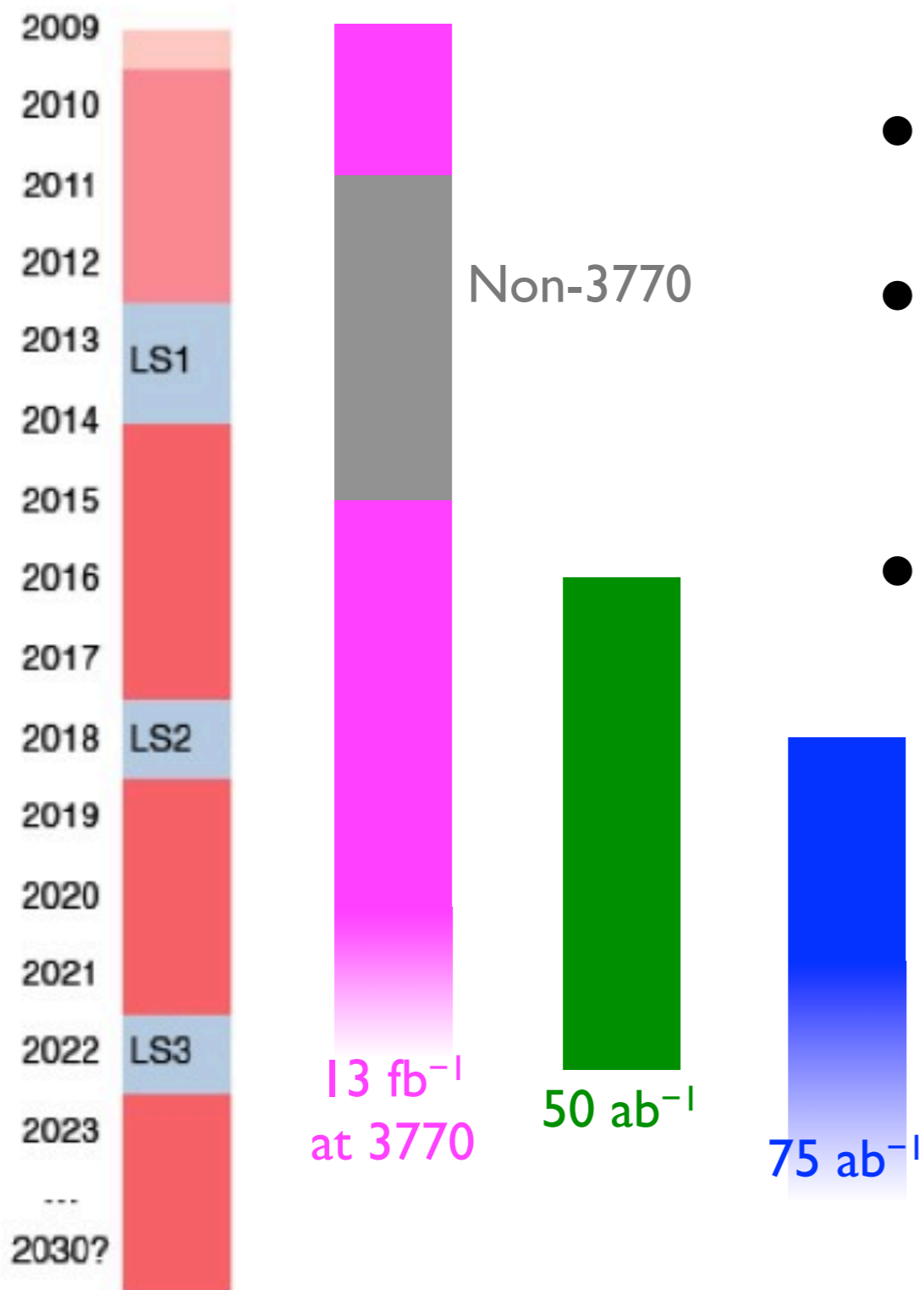
$$D^0 \rightarrow (X)\gamma$$

$$D^0 \rightarrow (X)l^+l^-$$

$$D^0 \rightarrow P^+ P^- \gamma \text{ (esp. near } \phi, \rho)$$

$$D^0 \rightarrow \eta' \eta' \text{ ("not very practical")}$$

Into the future



- Caution: my rough projection!
- Important complementarity between hadron & e^+e^- machines
- Statistical reach of LHCb upgrade staggering

Charm@threshold has an important role to play. Tau-charm factory not shown but highly desirable.

LHCb

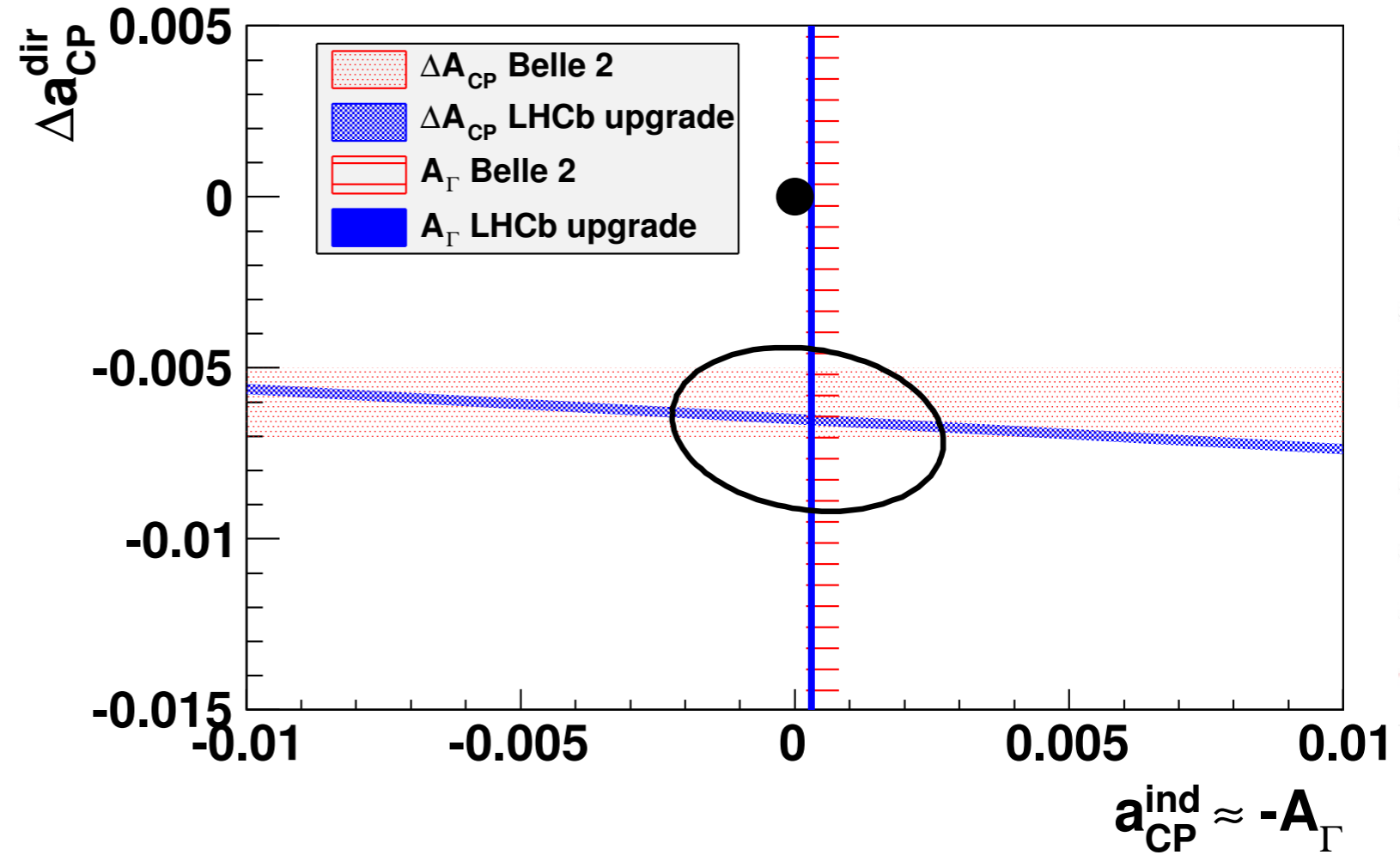
BES-III
 $\psi(3770)$

Belle-II

SuperB

LHCb upgrade

Control of systematics is going to be the name of the game.



Extrapolating to the statistical sensitivity of the LHCb upgrade

Mode	Parameter(s)	Precision
$D^{*+} \rightarrow D^0 \pi^+; D^0 \rightarrow K^- K^+, (\pi^- \pi^+)$	y_{CP}	0.004% (0.008%)
$D^{*+} \rightarrow D^0 \pi^+; D^0 \rightarrow K^- K^+, (\pi^- \pi^+)$	A_{Γ}	0.004% (0.008%)
WS/RS $K\pi$	(x'^2, y')	$\mathcal{O}[(10^{-5}, 10^{-4})]$
WS/RS $K\mu\nu$	R_M	$\mathcal{O}(5 \times 10^{-7})$
$D^{*+} \rightarrow D^0 \pi^+; D^0 \rightarrow K_s^0 \pi^- \pi^+$	(x, y)	(0.015%, 0.010%)

Extrapolating to the statistical sensitivity of the LHCb upgrade

Mode	Parameter(s)	Precision
$D^{*+} \rightarrow D^0 \pi^+; D^0 \rightarrow K^- K^+, (\pi^- \pi^+)$	A_{Γ}	0.004% (0.008%)
$D^{*+} \rightarrow D^0 \pi^+; D^0 \rightarrow K^- K^+, \pi^- \pi^+$	ΔA_{CP}	0.015%
$D^+ \rightarrow K_s^0 K^+$	A_{CP}	10^{-4}
$D^+ \rightarrow K^- K^+ \pi^+$	A_{CP}	5×10^{-5}
$D^+ \rightarrow \pi^- \pi^+ \pi^+$	A_{CP}	8×10^{-5}
$D^+ \rightarrow h^- h^+ \pi^+$	CPV in phases	$(0.01 - 0.10)^\circ$
$D^+ \rightarrow h^- h^+ \pi^+$	CPV in fractions	$(0.01 - 0.10)\%$

Conclusions

- Plenty of surprises since CKM 2010
- Lots more to do on both theory & experiment
 - More use of Lattice?
- Charm important in the game of model-killing
 - esp. D mixing (Golowich et al, Phys.Rev. D79 (2009) 114030;
Phys.Rev. D76 (2007) 095009)
- Avalanche of data in the coming decade -- should clear up many questions (and surely raise new ones)

Home

Scientific Programme

Registration

Abstract Submission

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Accommodation

Social Events

Travel and Local Information

Participants

Organisers

Contact



CHARM 2013
will be held at
the University of Manchester (England)
31 Aug - 4 Sept 2013