



Direct CPV at the LHCb upgrade
+ γ at LHCb now

Malcolm John, for the LHCb collaboration

CKM 2012 - Cincinnati, Ohio

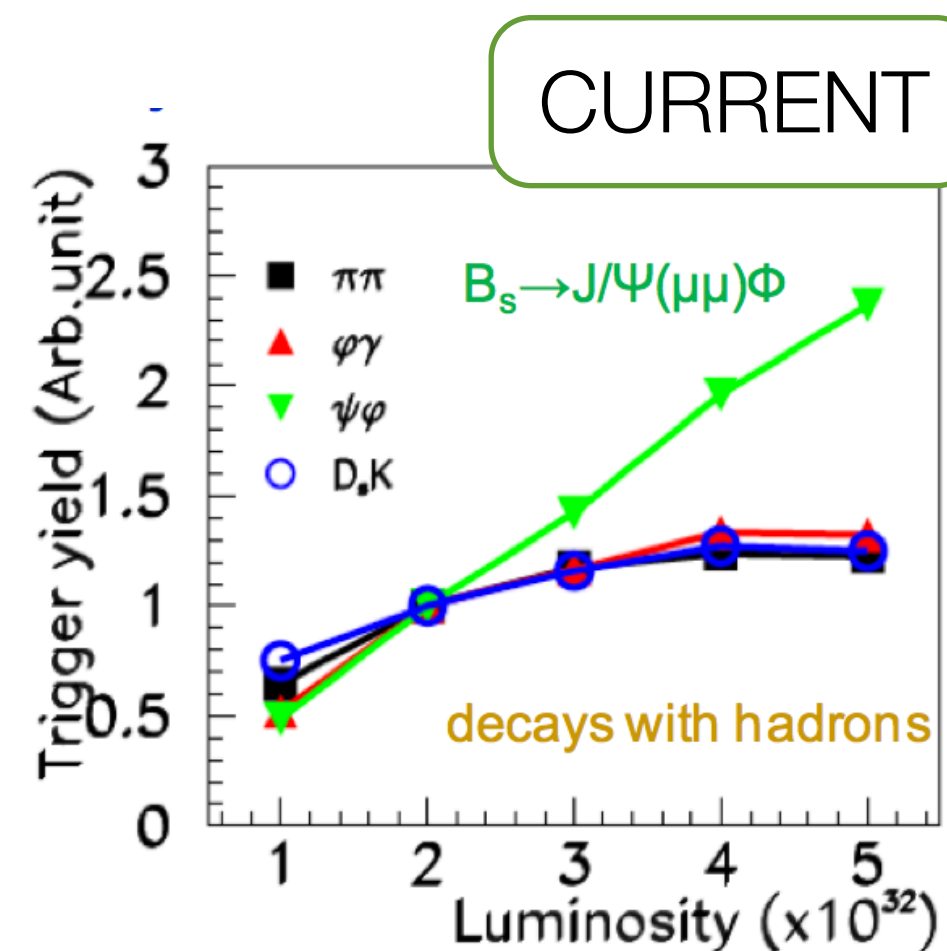
30th September 2012

LHCb upgrade

- When: **Installed in 2018/19 (LS2)**
- Goal: **5 fb⁻¹/yr → 50 fb⁻¹ in 10 years**
 - Luminosity: $1 \times 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$ (assume 25 ns, 10^{34} is routine)
 - At 14 TeV, heavy flavour cross sections: $\times 2$ current value
 - Final signal yields: at least 100 times 2011 sample (N_{2011})
 -

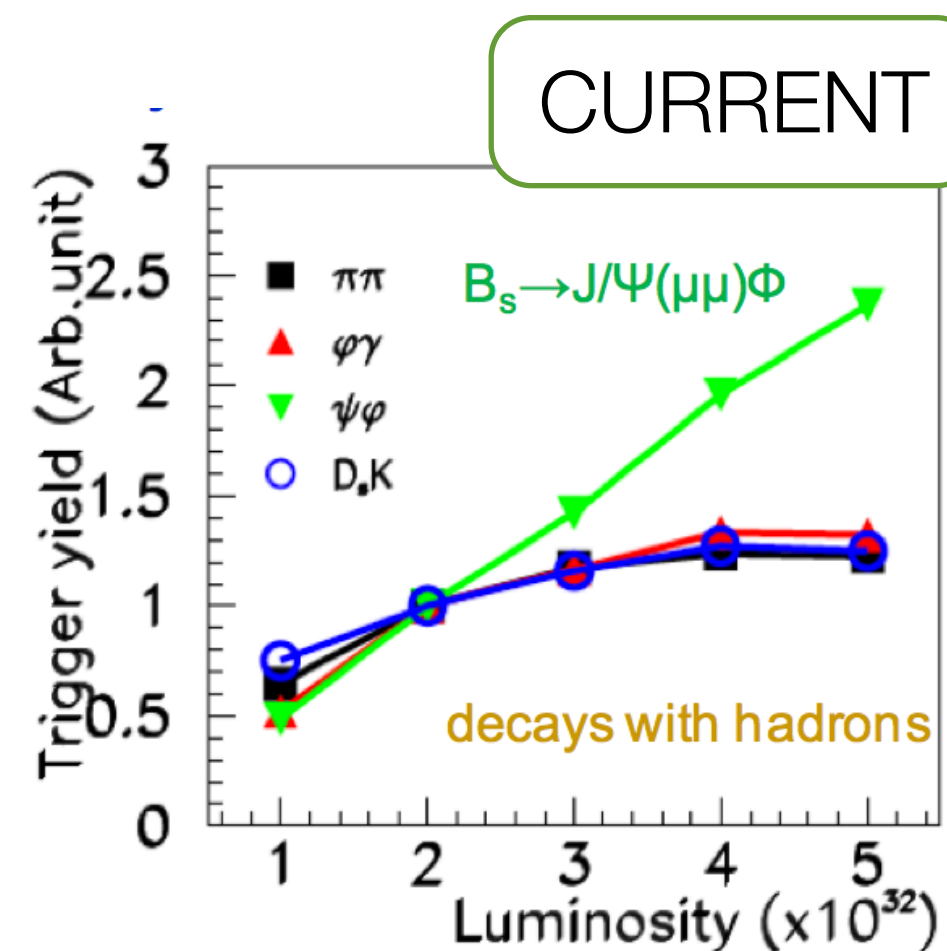
LHCb upgrade

- When: **Installed in 2018/19 (LS2)**
- Goal: **5 fb⁻¹/yr → 50 fb⁻¹ in 10 years**
 - Luminosity: $1 \times 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$ (assume 25 ns, 10^{34} is routine)
 - At 14 TeV, heavy flavour cross sections: $\times 2$ current value
 - Final signal yields: at least 100 times 2011 sample (N_{2011})
- Need: **A smarter trigger : no more brute-force E_T cut**



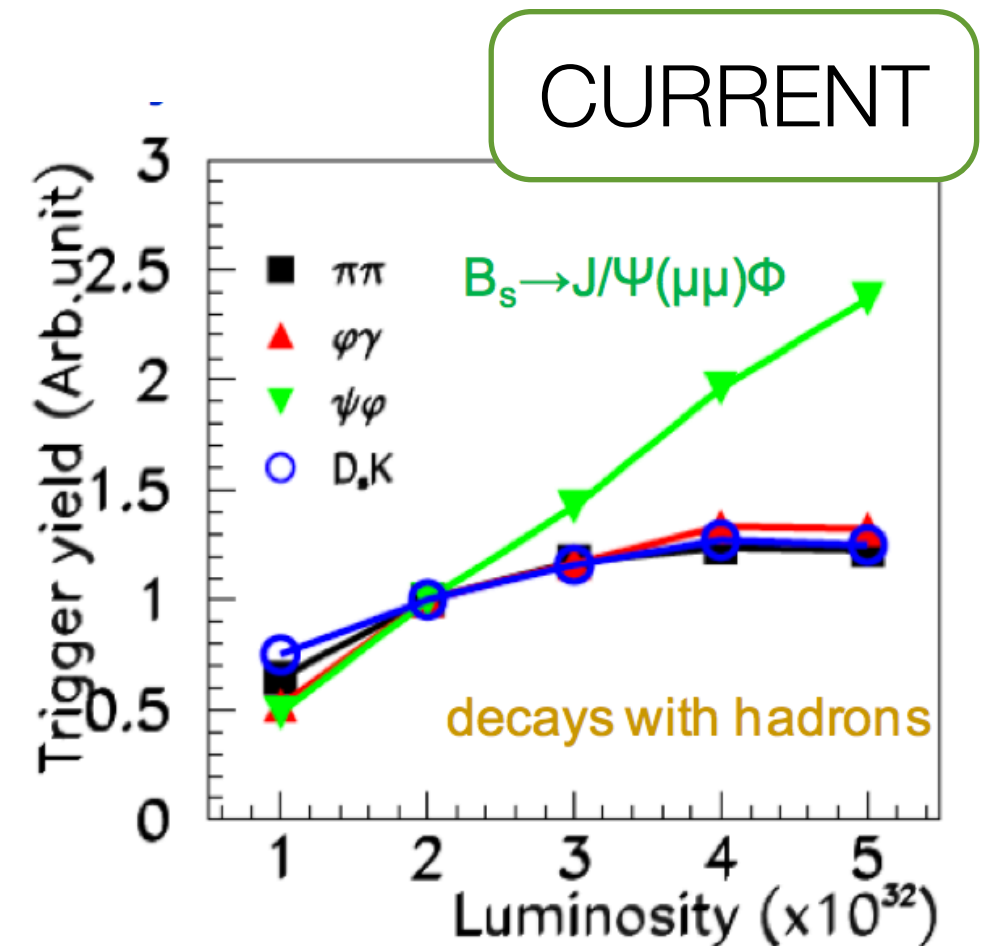
LHCb upgrade

- When: **Installed in 2018/19 (LS2)**
- Goal: **5 fb⁻¹/yr → 50 fb⁻¹ in 10 years**
 - Luminosity: $1 \times 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$ (assume 25 ns, 10^{34} is routine)
 - At 14 TeV, heavy flavour cross sections: $\times 2$ current value
 - Final signal yields: at least 100 times 2011 sample (N_{2011})
- Need: **A smarter trigger : no more brute-force E_T cut**
 - Upgrade all readout and DAQ architecture to 40 MHz
 - Into [c++] HLT at 40 MHz and [partially] reconstruct all events
 - Necessitates changes for some subdetectors - benefit from new technologies



LHCb upgrade

- When: **Installed in 2018/19 (LS2)**
- Goal: **5 fb⁻¹/yr → 50 fb⁻¹ in 10 years**
 - Luminosity: $1 \times 10^{33} \text{ cm}^{-2} \text{ s}^{-1}$ (assume 25 ns, 10^{34} is routine)
 - At 14 TeV, heavy flavour cross sections: $\times 2$ current value
 - Final signal yields: at least 100 times 2011 sample (N_{2011})
- Need: **A smarter trigger : no more brute-force E_T cut**
 - Upgrade all readout and DAQ architecture to 40 MHz
 - Into [c++] HLT at 40 MHz and [partially] reconstruct all events
 - Necessitates changes for some subdetectors - benefit from new technologies
- Hope: **Physics program greatly enhanced, especially in hadronic modes**
 - For DCPV in fully reconstructed final states, there is little competition (Add a π^0 and maybe...)

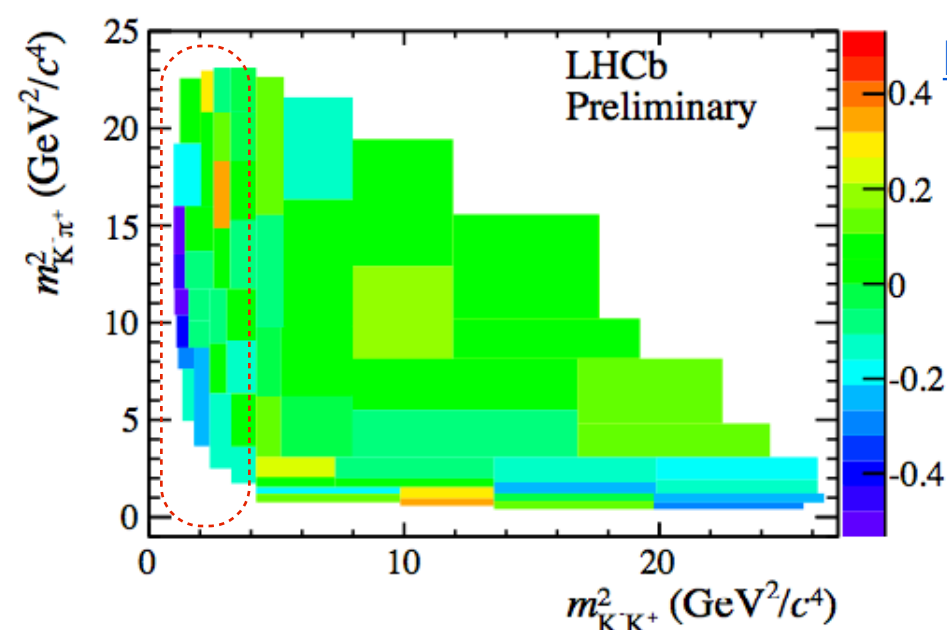
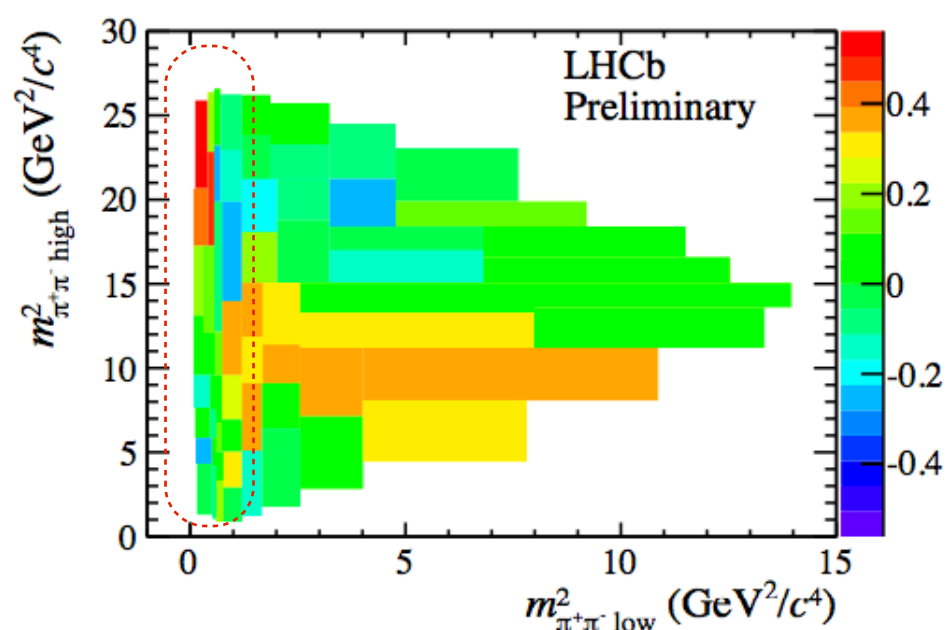


DCPV in charmless

<u>Now</u>	<u>2030 stat. error</u>	
<ul style="list-style-type: none"> • $A_{CP}(B^0 \rightarrow K^+\pi^-) = (-8.8 \pm 1.1 \pm 0.8)\%$ NB: 0.35 fb^{-1} 	→ ~0.1%	syst. dominated
<ul style="list-style-type: none"> • $A_{CP}(B_s \rightarrow K^+\pi^-) = (+27 \pm 8 \pm 2)\%$ NB: 0.35 fb^{-1} 	→ ~0.5%	stat. \approx syst.
<ul style="list-style-type: none"> • $A_{CP}(B^\pm \rightarrow K^+\pi^-\pi^\pm) = (3.4 \pm 0.9 \pm 0.4 \pm 0.7)\%$ 	→ ~0.1%	syst. dominated
<ul style="list-style-type: none"> • $A_{CP}(B^\pm \rightarrow K^+K^-\pi^\pm) = (-4.6 \pm 0.9 \pm 0.5 \pm 0.7)\%$ 	→ ~0.1%	syst. dominated
<ul style="list-style-type: none"> • $A_{CP}(B^\pm \rightarrow \pi^+\pi^-\pi^\pm) = (12.0 \pm 2.0 \pm 1.9 \pm 0.7)\%$ 	→ ~0.2%	syst. dominated
<ul style="list-style-type: none"> • $A_{CP}(B^\pm \rightarrow K^+K^-\pi^\pm) = (-15.3 \pm 4.6 \pm 1.9 \pm 0.7)\%$ 	→ ~0.5%	stat. \approx syst.

Common issue: normalisation from $A_{CP}(B^\pm \rightarrow J/\psi K^\pm)_{\text{PDG}}$

The three-body analyses are will be developed as full Dalitz analyses



[LHCb-CONF-2012-028](#)

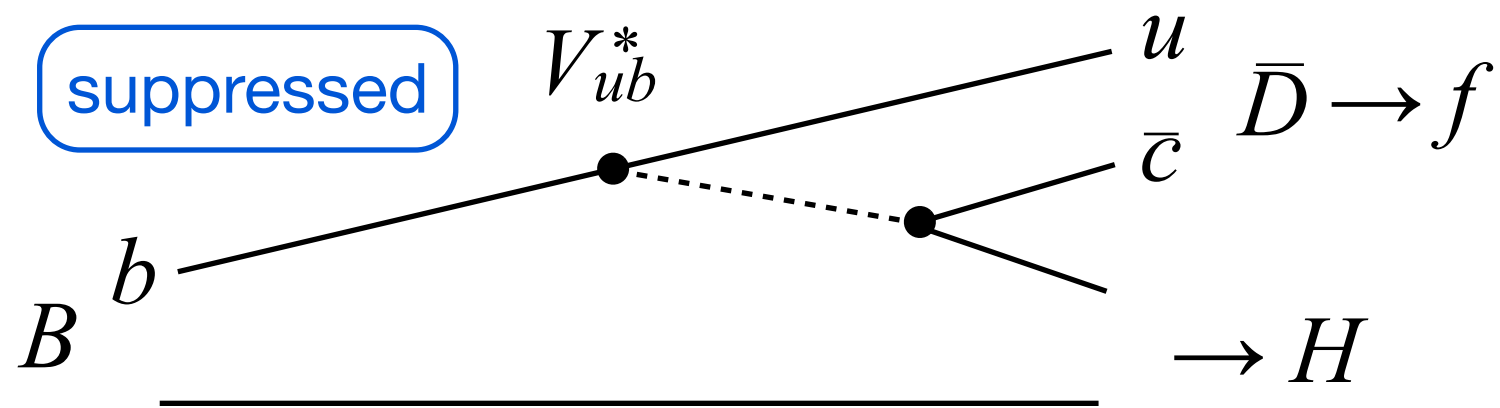
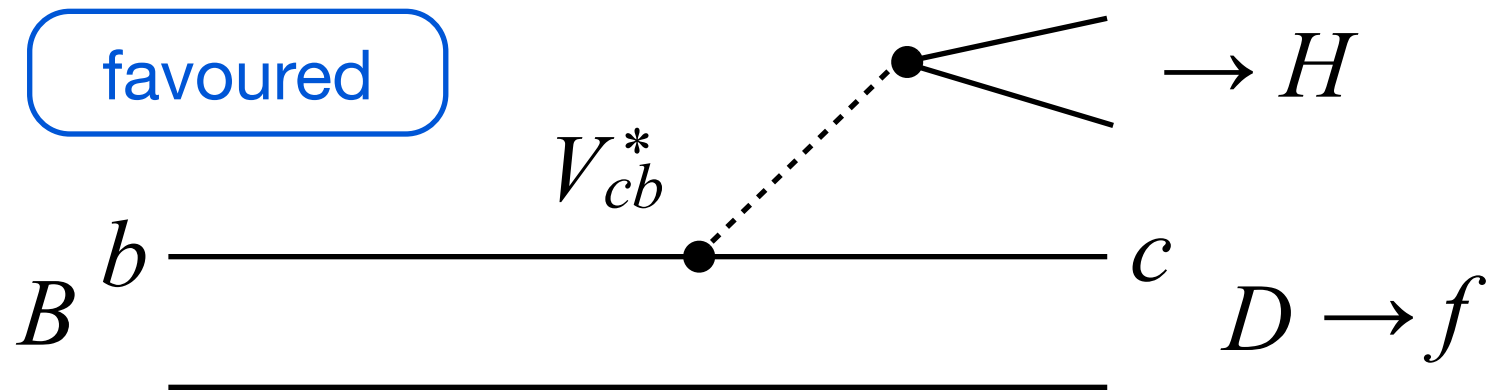
*Common issues:
Dalitz models
PID calibration
and normalisation*

- $A_{CP}(B^\pm \rightarrow \pi^+\pi^-\pi^\pm) = (62.2 \pm 7.5 \pm 3.2 \pm 0.7)\%$ \rightarrow $\sim 0.8\%$ syst. dominated
- $A_{CP}(B^\pm \rightarrow K^+K^-\pi^\pm) = (-67.1 \pm 6.7 \pm 2.8 \pm 0.7)\%$ \rightarrow $\sim 0.7\%$ syst. dominated

- Dalitz analyses of modes with K_S is in development and 4 body charmless will not be forgotten

— 4-body Dalitz techniques developed for $D^0 \rightarrow hhhh$ at CLEOc can be extended

DCPV in open-charm B decays. Focussing on γ



	H	D mode	B decay
B^\pm	K	$K\pi / K\pi\pi\pi / K\pi\pi^0$	$B_u \rightarrow [\pi K(\pi\pi)]_D K$ (ADS)
	K	$KK / \pi\pi / K_S\omega$	$B_u \rightarrow D_{CP} K$ (GLW)
	K	$K_S\pi\pi / K_S KK / K_S K\pi / KK\pi^0 / \pi\pi\pi^0$	$B_u \rightarrow [3\text{-body}]_D K$ (GGSZ)
	K	$\pi\pi\pi\pi / K\pi\pi\pi / KK\pi\pi$	$B_u \rightarrow [hhhh]_D K$ (4-body Dalitz)
	$K\pi\pi$	$K\pi / K\pi\pi\pi / K\pi\pi^0$	$B_u \rightarrow [\pi K(\pi\pi)]_D K$ (ADS)
	$K\pi\pi$	$KK / \pi\pi$	$B_u \rightarrow D_{CP} K$ (GLW)
	$K\pi\pi$	$K_S\pi\pi / K_S KK$	$B_u \rightarrow [3\text{-body}]_D K$ (GGSZ)
B^0	K^* or $K\pi$	$K\pi / K\pi\pi\pi / K\pi\pi^0$	$B_d \rightarrow [\pi K(\pi\pi)]_D K$ (ADS)
	K^* or $K\pi$	$KK / \pi\pi$	$B_d \rightarrow D_{CP} K$ (GLW)
	K^* or $K\pi$	$K_S\pi\pi / K_S KK$	$B_d \rightarrow [3\text{-body}]_D K$ (GGSZ)
B_s	π	$K\pi\pi / KK\pi / \pi\pi\pi$	$B_d \rightarrow D\pi$ (TD)
	KK	$K\pi / K\pi\pi\pi / K\pi\pi^0 / KK / \pi\pi / K_S hh$	$B_s \rightarrow D\phi$ (TI)
	K	$KK\pi / K\pi\pi / \pi\pi\pi$	$B_s \rightarrow D_s K$ (TD)
B_c	$K\pi\pi$	$KK\pi / K\pi\pi / \pi\pi\pi$	$B_s \rightarrow D_s K\pi\pi$ (TD)
	D	$K\pi / KK / \pi\pi$	$B_c \rightarrow [hh]_D D$ (ADS/GLW)
B^\pm	$K_S\pi$	$K\pi / K\pi\pi\pi / K\pi\pi^0 / KK / \pi\pi / K_S hh$	$B_u \rightarrow DK^*$ (ADS/GLW/GGSZ)
	π/K	$D^{*0} \rightarrow K\pi / K\pi\pi\pi / KK / \pi\pi / K_S hh$	$B_u \rightarrow D^* h$ (ADS/GLW/GGSZ)
	π	$K\pi / K\pi\pi\pi / K\pi\pi^0$	$B_u \rightarrow [\pi K(\pi\pi)]_D K$ (ADS)
	π	$KK / \pi\pi / K_S\omega$	$B_u \rightarrow D_{CP} K$ (GLW)
	π	$K_S\pi\pi / K_S KK / K_S K\pi / KK\pi^0 / \pi\pi\pi^0$	$B_u \rightarrow [3\text{-body}]_D K$ (GGSZ)
	π	$\pi\pi\pi\pi / K\pi\pi\pi / KK\pi\pi$	$B_u \rightarrow [hhhh]_D K$ (4-body Dalitz)

Estimation of the precision on γ with 50 fb^{-1}

Decay mode	γ sensitivity
$B \rightarrow DK$ with $D \rightarrow hh'$, $D \rightarrow K\pi\pi\pi$	1.3°
$B \rightarrow DK$ with $D \rightarrow K_S^0\pi\pi$	1.9°
$B \rightarrow DK$ with $D \rightarrow 4\pi$	1.7°
$B^0 \rightarrow DK\pi$ with $D \rightarrow hh'$, $D \rightarrow K_S^0\pi\pi$	1.5°
$B \rightarrow DK\pi\pi$ with $D \rightarrow hh'$	$\sim 3^\circ$
Time-dependent $B_s \rightarrow D_s K$	2.0°
Combined	$\sim 0.9^\circ$

Many modes missing. Either:
 1) reconstruction not developed or
 2) their sensitivity not assessed

Notably $D\pi$...

Great! But systematics need to be under fantastic control:

- 1) Acceptance asymmetries - must have regular dipole polarity switches
- 2) Production and detection asymmetries - e.g. $A_{\text{interaction}}(\pi) = (0.08 \pm 0.24)\%$ [arxiv/1205.0897.pdf](http://arxiv.org/abs/1205.0897)
- 3) PID efficiencies - must retain large $D^* \rightarrow [K\pi]_{D\pi}$; $J/\psi \rightarrow \mu\mu, ee$; $\Lambda \rightarrow p\pi$ calibration samples



□ γ measurement from the 2011 dataset

[LHCb-CONF-2012-032](#)

Modes ready to add in a combination

- Not ready means either:
 - Analysis has not finished (or even started...) or
 - has $N(\text{observables}) \leq N(\text{additional parameters})$.
 - Systematics related to γ sensitivity incomplete.

	H	D mode	
B^\pm	K	Kπ / K$\pi\pi\pi$ / K$\pi\pi^0$	Sneha Malde, Sunday
	K	KK / $\pi\pi$ / Kω	
	K	K$\pi\pi\pi$ / KωKK / KωKπ / KKπ^0 / $\pi\pi\pi^0$	
	K	$\pi\pi\pi\pi$ / K $\pi\pi\pi$ / KK $\pi\pi$	Mike Williams Monday
	K $\pi\pi$	K π / K $\pi\pi\pi$ / K $\pi\pi^0$	
	K $\pi\pi\pi$	KK / $\pi\pi$	
B^0	K $\pi\pi$	K ω $\pi\pi\pi$ / K ω KK	Mike Williams Monday
	K* or K π	K π / K $\pi\pi\pi$ / K $\pi\pi^0$	
	K* or K π	KK / $\pi\pi$	
B_s	K* or K π	K ω $\pi\pi\pi$ / K ω KK	Steve Blusk Sunday
	π	K $\pi\pi$ / KK π / $\pi\pi\pi$	
	KK	K π / K $\pi\pi\pi$ / K $\pi\pi^0$ / KK / $\pi\pi$ / Kshh	
B_c	K	KK π / K $\pi\pi$ / $\pi\pi\pi$	Steve Blusk Sunday
	K $\pi\pi\pi$	KK π / K $\pi\pi$ / $\pi\pi\pi$	
B^\pm	D	K π / KK / $\pi\pi$	Sneha again
	K ω $\pi\pi$	K π / K $\pi\pi\pi$ / K $\pi\pi^0$ / KK / $\pi\pi$ / Kshh	
	π /K	D* \rightarrow K π / K $\pi\pi\pi$ / KK / $\pi\pi$ / Kshh	
	π	Kπ / K$\pi\pi\pi$ / K$\pi\pi^0$	
	π	KK / $\pi\pi$ / Kω	
	π	K ω $\pi\pi\pi$ / K ω KK / K ω K π / KK π^0 / $\pi\pi\pi^0$	
	π	$\pi\pi\pi\pi$ / K $\pi\pi\pi$ / KK $\pi\pi$	

Modes ready to add in a combination

“GGSZ” : arxiv/1209.5869

“K3π” : LHCb-CONF-2012-030

“ADS”
: Physics Letters B712, 203
“GLW”

- The parameters relating to the D decay are constrained by external information:
 - $D \rightarrow K^{\mp} \pi^{\pm} \pi^{\mp} \pi^{\pm}$ (including constraints from $D \rightarrow K^{\mp} \pi^{\pm}$)

“CLEOc” : Phys. Rev. D80, 031105

- $\Delta A_{CP} = A(D \rightarrow KK) - A(D \rightarrow \pi\pi)$

“HFAG” : $\Delta A_{CP} = (-0.656 \pm 0.154)\%$

H

D mode

K
K
K

Kπ / Kπππ
KK / ππ
K_Sππ / K_SKK

B^{\pm}

B^0

B_s

B_c

B^{\pm}

π
π

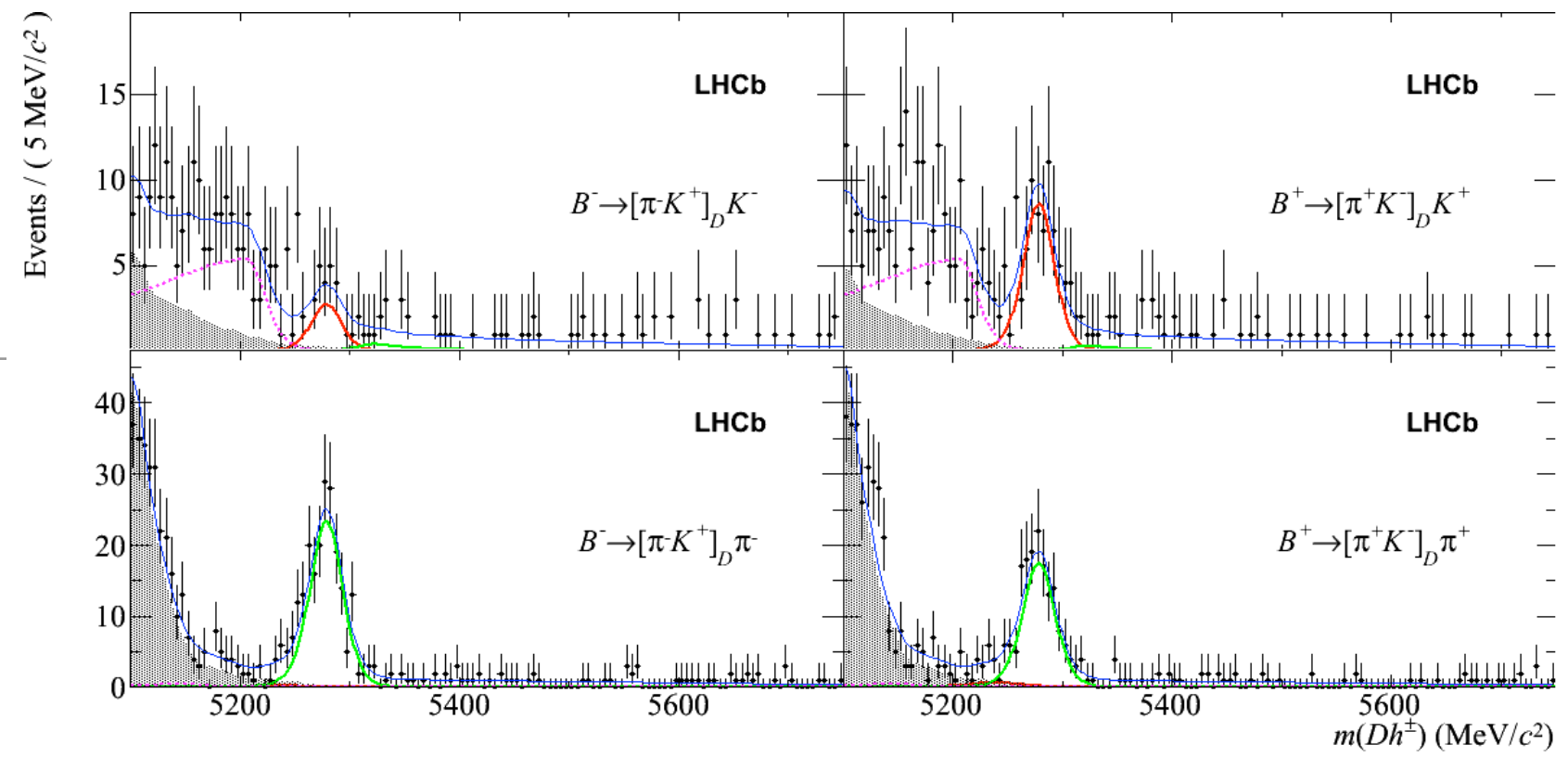
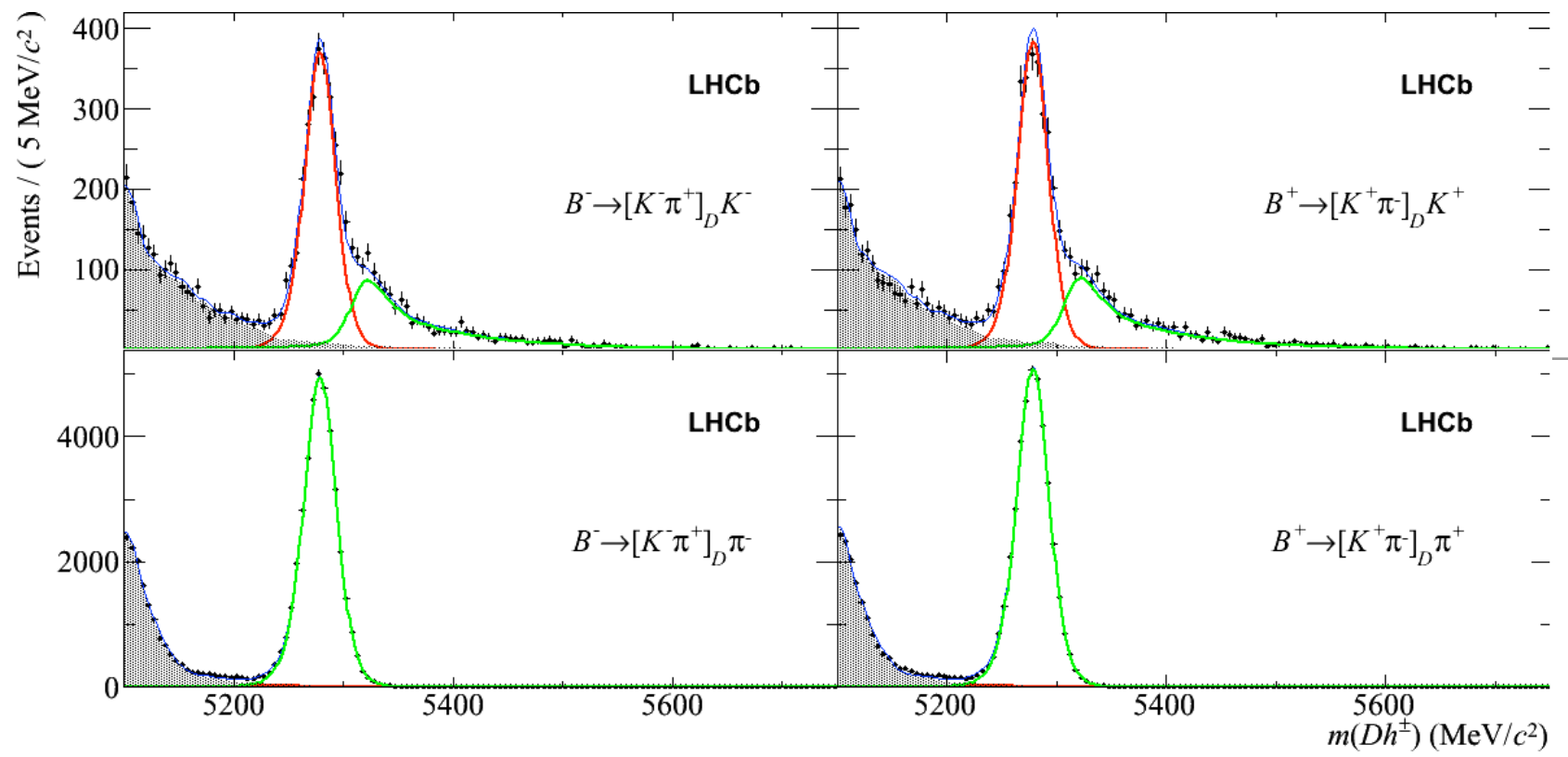
Kπ / Kπππ
KK / ππ

Parameters. gamma is not alone!

Analysis	N_{obs}	Parameters
$B^+ \rightarrow Dh^+, D \rightarrow hh, \text{GLW/ADS}$	14	$\gamma, r_B, \delta_B, r_B^\pi, \delta_B^\pi, R_{K/\pi},$ $r_{K\pi}, \delta_{K\pi}, \Delta A_{CP}$
$B^+ \rightarrow DK^+, D \rightarrow K_S^0 h^+ h^-, \text{GGSZ}$	4	γ, r_B, δ_B
$B^+ \rightarrow Dh^+, D \rightarrow K\pi\pi\pi, \text{ADS}$	7	$\gamma, r_B, \delta_B, r_B^\pi, \delta_B^\pi, R_{K/\pi},$ $r_{K3\pi}, \delta_{K3\pi}, \kappa_{K3\pi}$
Cleo $D^0 \rightarrow K\pi, D^0 \rightarrow K\pi\pi\pi$	9	$x_D, y_D, \delta_{K\pi}, \delta_{K3\pi}, \kappa_{K3\pi},$ $r_{K\pi}, r_{K3\pi}, \mathcal{B}(K\pi), \mathcal{B}(K\pi\pi\pi)$
ΔA_{CP}	1	ΔA_{CP}

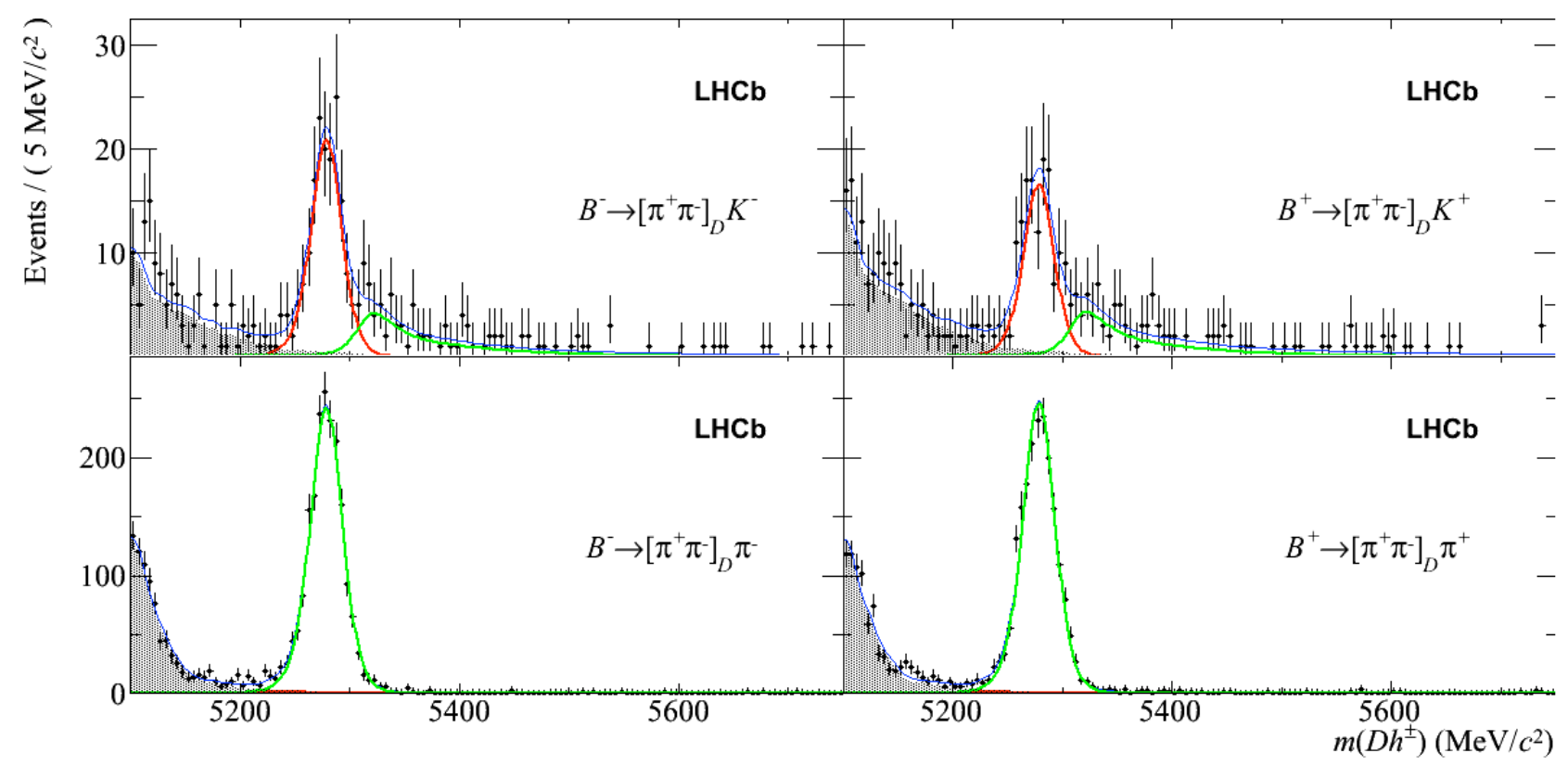
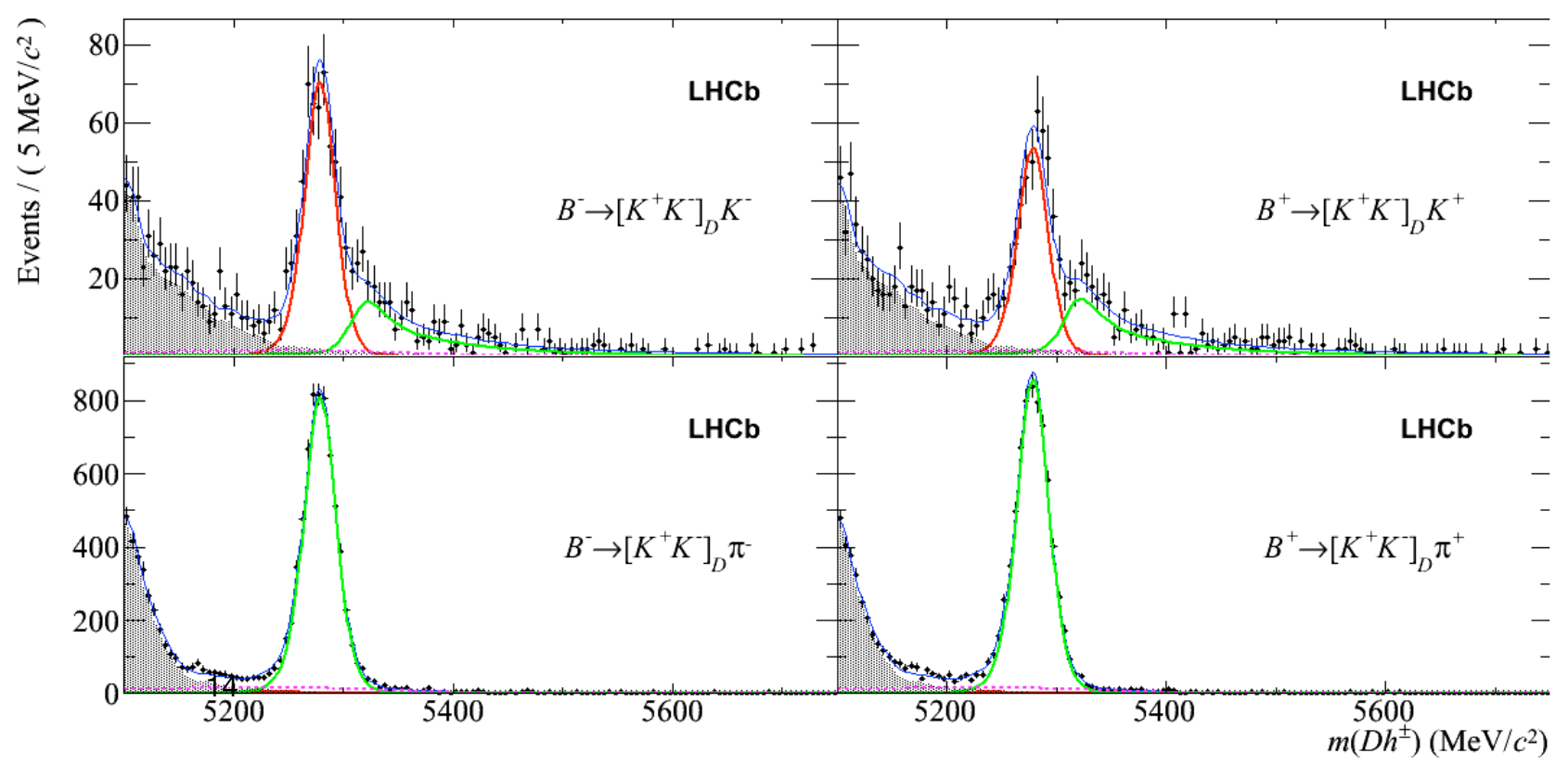
e.g. one of the many relationships:

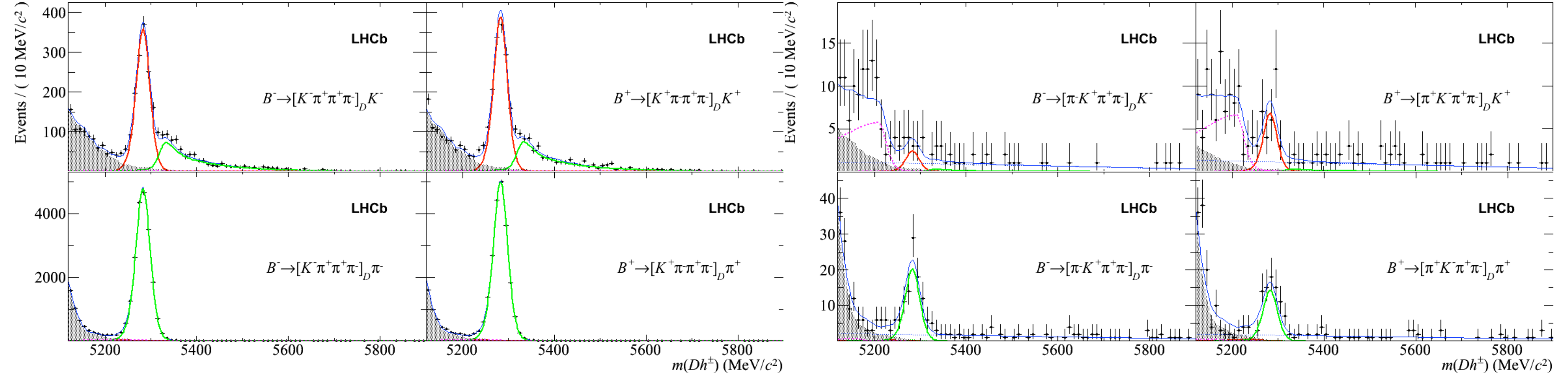
$$A_{ADS(K)} = \frac{2R^{K3\pi} r_{B(K)} r_D^{K3\pi} \sin(\delta_{B(K)} + \delta_D^{K3\pi}) \sin \gamma}{R_{ADS}}$$



2-body ADS/GLW

: Physics Letters B712, 203



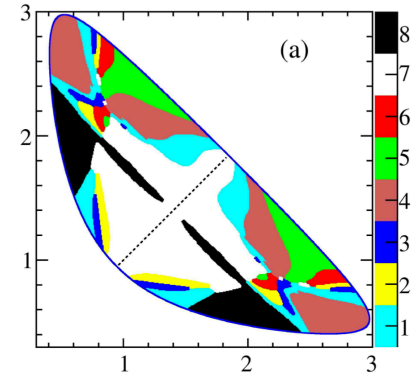


K3π

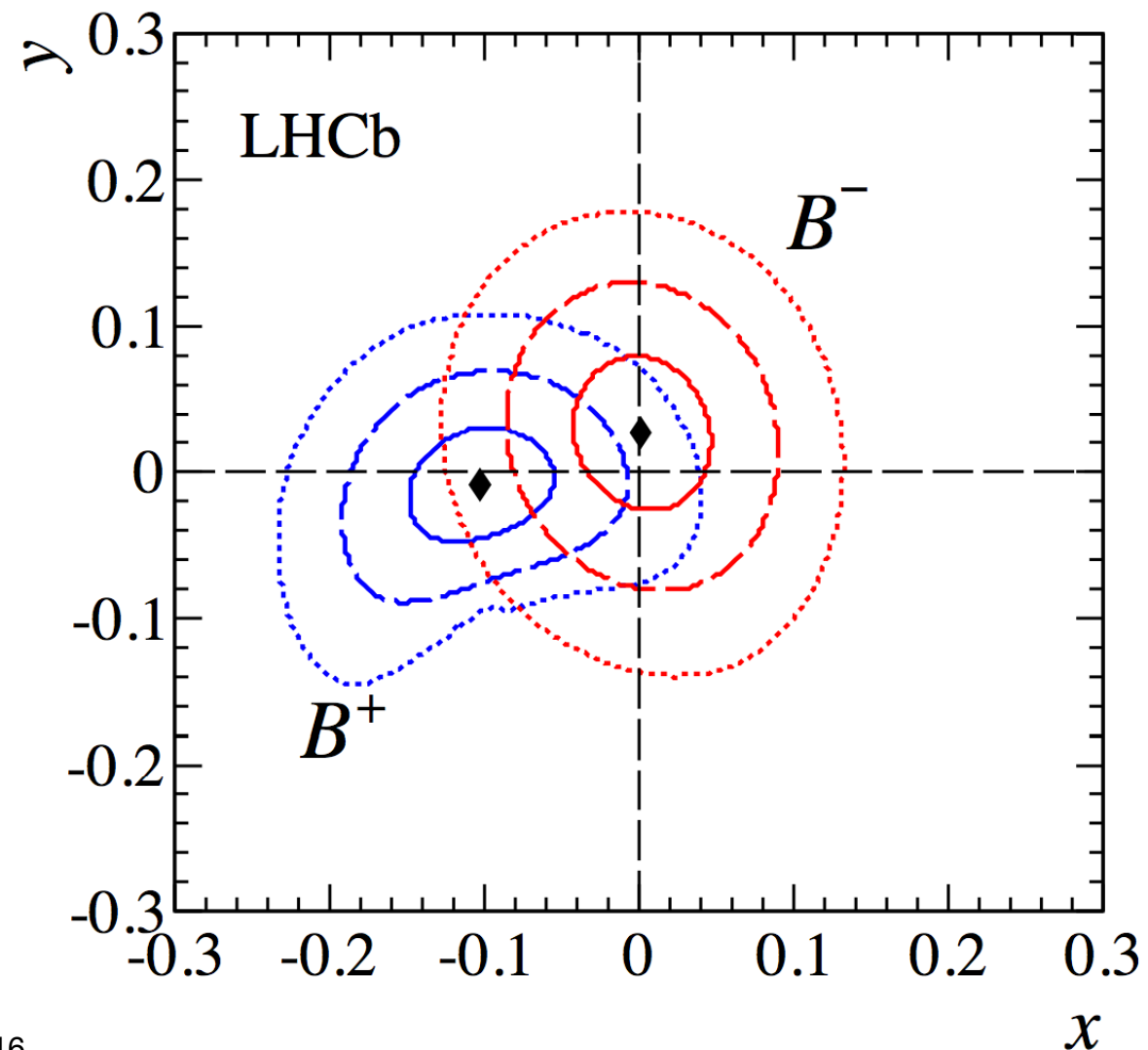
: LHCb-CONF-2012-030

- Note, though these plots look similar to the 2-body the patterns of CP observables could, and should be different at the D-system parameters are different...
 - Orthogonal information; not “just stats”

Like elsewhere, the $B \rightarrow [K_S hh]_{DK}$ analysis battles the ambiguities



- Use the experimental likelihood
 - Dilute by systematics (with an assumption of uncorrelated Gaussian behaviour)



DK relations only

$$\begin{aligned}
 x^+ &= r_{B(K)} \cos(\delta_{B(K)} + \gamma) \\
 y^+ &= r_{B(K)} \sin(\delta_{B(K)} + \gamma) \\
 x^- &= r_{B(K)} \cos(\delta_{B(K)} - \gamma) \\
 y^- &= r_{B(K)} \sin(\delta_{B(K)} - \gamma)
 \end{aligned}$$

GGSZ

: [arxiv/1209.5869](https://arxiv.org/abs/1209.5869)

Observables \rightarrow parameters : ADS/GLW

$$R_{K/\pi}^{K\pi} = R_{cab} \frac{1 + r_{B(K)}^2 r_D^{K\pi^2} + 2r_{B(K)} r_D^{K\pi} \cos(\delta_{B(K)} - \delta_D^{K\pi}) \cos \gamma}{1 + r_{B(\pi)}^2 r_D^{K\pi^2} + 2r_{B(\pi)} r_D^{K\pi} \cos(\delta_{B(\pi)} - \delta_D^{K\pi}) \cos \gamma}$$

$$R_{K/\pi}^{KK} = R_{cab} \frac{1 + r_{B(K)}^2 + 2r_{B(K)} \cos \delta_{B(K)} \cos \gamma}{1 + r_{B(\pi)}^2 + 2r_{B(\pi)} \cos \delta_{B(\pi)} \cos \gamma}$$

$$R_{K/\pi}^{\pi\pi} = R_{K/\pi}^{KK}$$

$$A_{\pi}^{K\pi} = \frac{2r_{B(\pi)}^2 \sin(\delta_{B(\pi)} - \delta_D^{K\pi}) \sin \gamma}{1 + r_{B(\pi)}^2 r_D^{K\pi^2} + 2r_{B(\pi)} r_D^{K\pi} \cos(\delta_{B(\pi)} - \delta_D^{K\pi}) \cos \gamma}$$

$$A_K^{K\pi} = \frac{2r_{B(K)} r_D^{K\pi} \sin(\delta_{B(K)} - \delta_D^{K\pi}) \sin \gamma}{1 + r_{B(K)}^2 r_D^{K\pi^2} + 2r_{B(K)} r_D^{K\pi} \cos(\delta_{B(K)} - \delta_D^{K\pi}) \cos \gamma}$$

$$A_{\pi}^{KK} = \frac{2r_{B(\pi)} \sin \delta_{B(\pi)} \sin \gamma}{1 + r_{B(\pi)}^2 + 2r_{B(\pi)} \cos \delta_{B(\pi)} \cos \gamma} + A_{dir}(D \rightarrow KK)$$

$$A_{\pi}^{\pi\pi} = \frac{2r_{B(\pi)} \sin \delta_{B(\pi)} \sin \gamma}{1 + r_{B(\pi)}^2 + 2r_{B(\pi)} \cos \delta_{B(\pi)} \cos \gamma} + A_{dir}(D \rightarrow \pi\pi)$$

$$A_K^{KK} = \frac{2r_{B(K)} \sin \delta_{B(K)} \sin \gamma}{1 + r_{B(K)}^2 + 2r_{B(K)} \cos \delta_{B(K)} \cos \gamma} + A_{dir}(D \rightarrow KK)$$

$$A_K^{\pi\pi} = \frac{2r_{B(K)} \sin \delta_{B(K)} \sin \gamma}{1 + r_{B(K)}^2 + 2r_{B(K)} \cos \delta_{B(K)} \cos \gamma} + A_{dir}(D \rightarrow \pi\pi)$$

$$R_{\pi^-}^{K\pi} = \frac{r_{B(\pi)}^2 + r_D^{K\pi^2} + 2r_{B(\pi)} r_D^{K\pi} \cos(\delta_{B(\pi)} + \delta_D^{K\pi} - \gamma)}{1 + r_{B(\pi)}^2 r_D^{K\pi^2} + 2r_{B(\pi)} r_D^{K\pi} \cos(\delta_{B(\pi)} - \delta_D^{K\pi} - \gamma)}$$

$$R_{\pi^-}^{K\pi} = \frac{r_{B(\pi)}^2 + r_D^{K\pi^2} + 2r_{B(\pi)} r_D^{K\pi} \cos(\delta_{B(\pi)} + \delta_D^{K\pi} + \gamma)}{1 + r_{B(\pi)}^2 r_D^{K\pi^2} + 2r_{B(\pi)} r_D^{K\pi} \cos(\delta_{B(\pi)} - \delta_D^{K\pi} + \gamma)}$$

$$R_{K^-}^{K\pi} = \frac{r_{B(K)}^2 + r_D^{K\pi^2} + 2r_{B(K)} r_D^{K\pi} \cos(\delta_{B(K)} + \delta_D^{K\pi} - \gamma)}{1 + r_{B(K)}^2 r_D^{K\pi^2} + 2r_{B(K)} r_D^{K\pi} \cos(\delta_{B(K)} - \delta_D^{K\pi} - \gamma)}$$

$$R_{K^+}^{K\pi} = \frac{r_{B(K)}^2 + r_D^{K\pi^2} + 2r_{B(K)} r_D^{K\pi} \cos(\delta_{B(K)} + \delta_D^{K\pi} + \gamma)}{1 + r_{B(K)}^2 r_D^{K\pi^2} + 2r_{B(K)} r_D^{K\pi} \cos(\delta_{B(K)} - \delta_D^{K\pi} + \gamma)}$$

“FAV”

“GLW”

“FAV”

“GLW”

“ADS”

DK-only relations

$$A_{FAV(K)} = \frac{2r_{B(K)} r_D^{K\pi} \sin(\delta_{B(K)} - \delta_D^{K\pi}) \sin \gamma}{1 + r_{B(K)}^2 r_D^{K\pi^2} + 2r_{B(K)} r_D^{K\pi} \cos(\delta_{B(K)} - \delta_D^{K\pi}) \cos \gamma}$$

$$R_{CP(K)} = 1 + r_{B(K)}^2 + 2r_{B(K)} \cos \delta_{B(K)} \cos \gamma$$

$$A_{CP(K)}(KK) = \frac{2r_{B(K)} \sin \delta_{B(K)} \sin \gamma}{R_{CP(K)}} + A_{dir}(D \rightarrow KK)$$

$$A_{CP(K)}(\pi\pi) = \frac{2r_{B(K)} \sin \delta_{B(K)} \sin \gamma}{R_{CP(K)}} + A_{dir}(D \rightarrow \pi\pi)$$

$$R_{ADS(K)} = \frac{r_{B(K)}^2 r_D^{K\pi^2} + 2r_{B(K)} r_D^{K\pi} \cos(\delta_{B(K)} + \delta_D^{K\pi}) \cos \gamma}{1 + r_{B(K)}^2 r_D^{K\pi^2} + 2r_{B(K)} r_D^{K\pi} \cos(\delta_{B(K)} - \delta_D^{K\pi}) \cos \gamma}$$

$$A_{ADS(K)} = \frac{2r_{B(K)} r_D^{K\pi} \sin(\delta_{B(K)} + \delta_D^{K\pi}) \sin \gamma}{R_{ADS(K)}}$$

- Use throughout:

$$\Delta(A_{CP}) = A_{CP}(D \rightarrow K^+ K^-) - A_{CP}(D \rightarrow \pi^+ \pi^-)$$

- And external information on r_D and δ_D (next slide)

Observables \rightarrow parameters : $K3\pi$

- A rather similar set of equations is used
- Except that an new type of parameter, the coherence factor, $R^{K3\pi}$ is required

$$R_{DK/D\pi}^{K3\pi} = R_{cab} \frac{1 + r_{B(K)}^2 r_D^{K3\pi^2} + 2R^{K3\pi} r_{B(K)} r_D^{K3\pi} \cos(\delta_{B(K)} - \delta_D^{K3\pi}) \cos \gamma}{1 + r_{B(\pi)}^2 r_D^{K3\pi^2} + 2R^{K3\pi} r_{B(\pi)} r_D^{K3\pi} \cos(\delta_{B(\pi)} - \delta_D^{K3\pi}) \cos \gamma}$$

$$A_{\pi}^{K3\pi} = \frac{2R^{K3\pi} r_{B(\pi)}^2 \sin(\delta_{B(\pi)} - \delta_D^{K3\pi}) \sin(\gamma)}{1 + r_{B(\pi)}^2 r_D^{K3\pi^2} + 2R^{K3\pi} r_{B(\pi)} r_D^{K3\pi} \cos(\delta_{B(\pi)} - \delta_D^{K3\pi}) \cos \gamma}$$

$$A_K^{K3\pi} = \frac{2R^{K3\pi} r_{B(K)} r_D^{K3\pi} \sin(\delta_{B(K)} - \delta_D^{K3\pi}) \sin \gamma}{1 + r_{B(K)}^2 r_D^{K3\pi^2} + 2R^{K3\pi} r_{B(K)} r_D^{K3\pi} \cos(\delta_{B(K)} - \delta_D^{K3\pi}) \cos \gamma}$$

$$R_{\pi-}^{K3\pi} = \frac{r_{B(\pi)}^2 + r_D^{K3\pi^2} + 2R^{K3\pi} r_{B(\pi)} r_D^{K3\pi} \cos(\delta_{B(\pi)} + \delta_D^{K3\pi} - \gamma)}{1 + r_{B(\pi)}^2 r_D^{K3\pi^2} + 2R^{K3\pi} r_{B(\pi)} r_D^{K3\pi} \cos(\delta_{B(\pi)} - \delta_D^{K3\pi} - \gamma)}$$

$$R_{\pi+}^{K3\pi} = \frac{r_{B(\pi)}^2 + r_D^{K3\pi^2} + 2R^{K3\pi} r_{B(\pi)} r_D^{K3\pi} \cos(\delta_{B(\pi)} + \delta_D^{K3\pi} + \gamma)}{1 + r_{B(\pi)}^2 r_D^{K3\pi^2} + 2R^{K3\pi} r_{B(\pi)} r_D^{K3\pi} \cos(\delta_{B(\pi)} - \delta_D^{K3\pi} + \gamma)}$$

$$R_{K-}^{K3\pi} = \frac{r_{B(K)}^2 + r_D^{K3\pi^2} + 2R^{K3\pi} r_{B(K)} r_D^{K3\pi} \cos(\delta_{B(K)} + \delta_D^{K3\pi} - \gamma)}{1 + r_{B(K)}^2 r_D^{K3\pi^2} + 2R^{K3\pi} r_{B(K)} r_D^{K3\pi} \cos(\delta_{B(\pi)} - \delta_D^{K3\pi} - \gamma)}$$

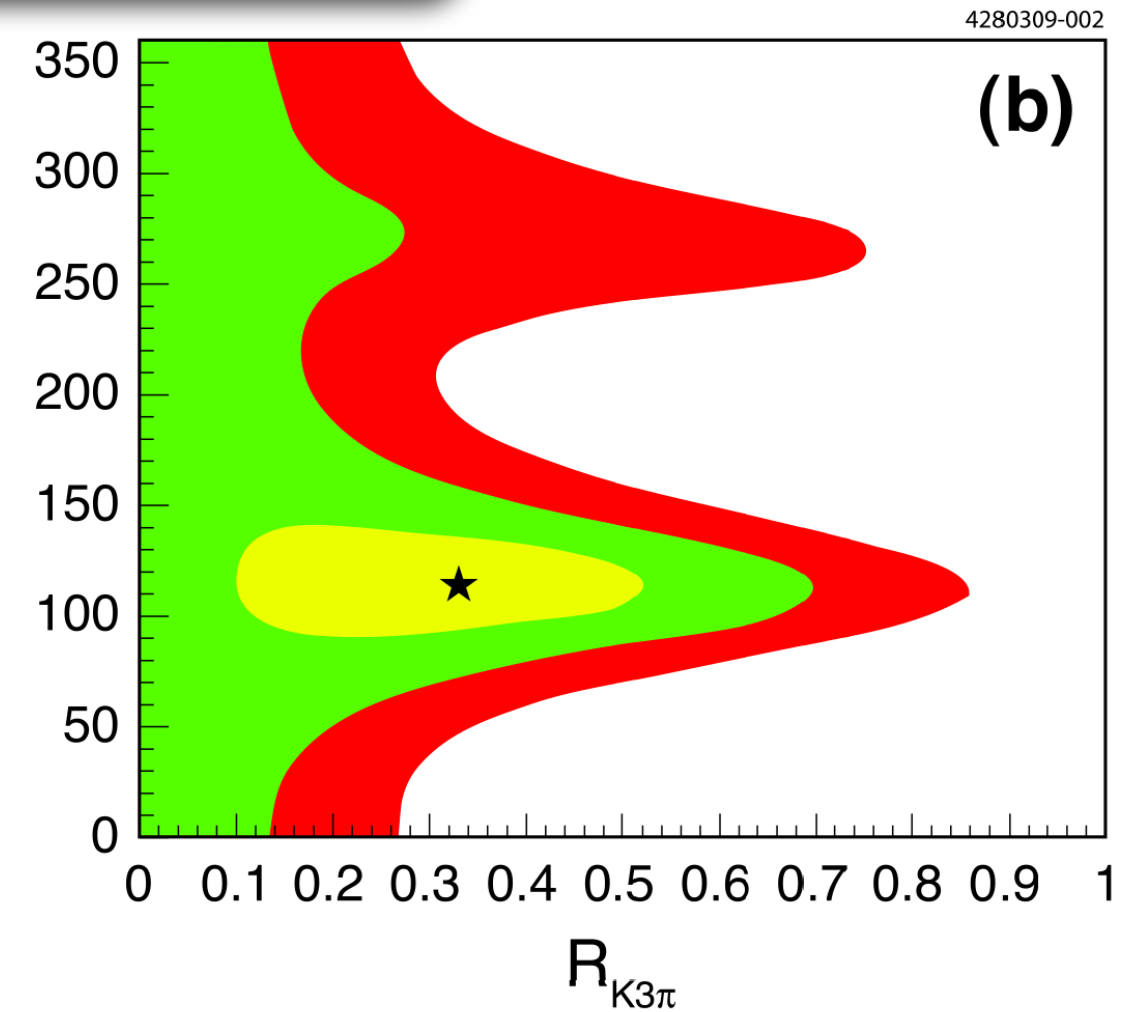
$$R_{K+}^{K3\pi} = \frac{r_{B(K)}^2 + r_D^{K3\pi^2} + 2R^{K3\pi} r_{B(K)} r_D^{K3\pi} \cos(\delta_{B(K)} + \delta_D^{K3\pi} + \gamma)}{1 + r_{B(K)}^2 r_D^{K3\pi^2} + 2R^{K3\pi} r_{B(K)} r_D^{K3\pi} \cos(\delta_{B(\pi)} - \delta_D^{K3\pi} + \gamma)}$$

18

“FAV”

“ADS”

CLEO-c input



$$D^0 \rightarrow F \quad A_F^2$$

$$D^0 \rightarrow \bar{F} \quad A_{\bar{F}}^2 [1 - (y/r_D^F) R_F \cos \delta_D^F + (x/r_D^F) R_F \sin \delta_D^F + (y^2 + x^2)/2(r_D^F)^2]$$

Statistical treatment

- PDFs are formed from the contributing analysis results either from

- the experimental likelihoods
- the experimental result and its covariance matrix, i.e.:

$$f_i \propto \exp(-\chi^2) \propto \exp\left(-(\vec{A}_i(\vec{\alpha}_i) - \vec{A}_{i,\text{obs}})^T V_i^{-1} (\vec{A}_i(\vec{\alpha}_i) - \vec{A}_{i,\text{obs}})\right)$$

- The global best-fit is defined as that which maximises the likelihood

$$\mathcal{L}(\vec{\alpha}) = \prod_i f_i(\vec{A}_{i,\text{obs}} | \vec{A}_i(\vec{\alpha}_i)) .$$

- Our confidence in this best-fit is calculated by inspecting the change in χ^2 vs. a parameter of interest, = $\Delta\chi^2$
- The “probability” (well, 1-CL) is obtained with toy experiments generated at many values between $[0-180]^\circ$
 - Ask: at a given value of γ , what proportion of toy-fits have $\Delta\chi^2$ larger than the real data has (at that given value)
 - To be explicit, this is the “**PLUGIN**” method. Coverage has been checked though studies are incomplete.

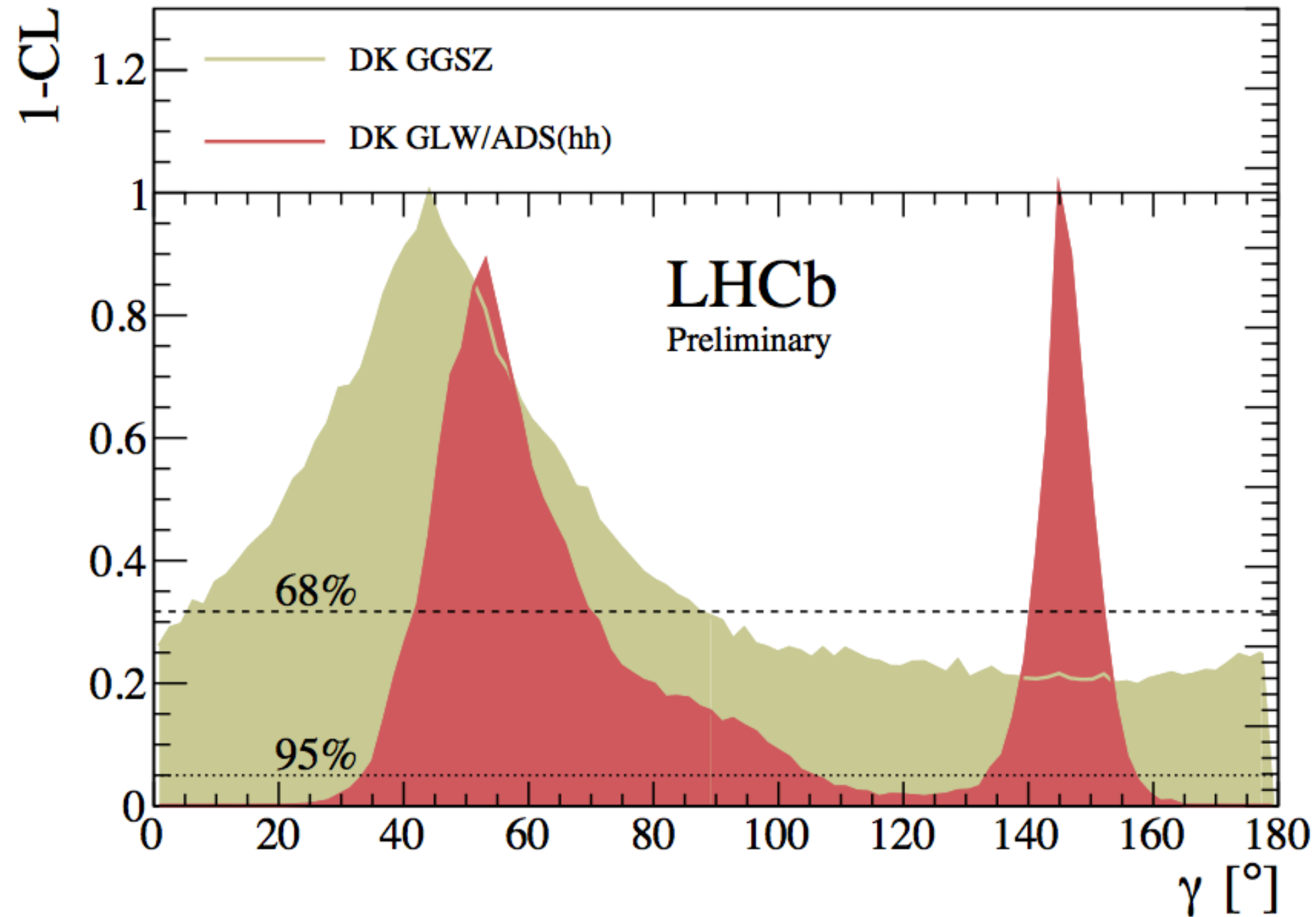
observables

$$\vec{A} = (x_-, y_-, x_+, y_+, A_{CP+}, R_{CP+}, R_+)$$

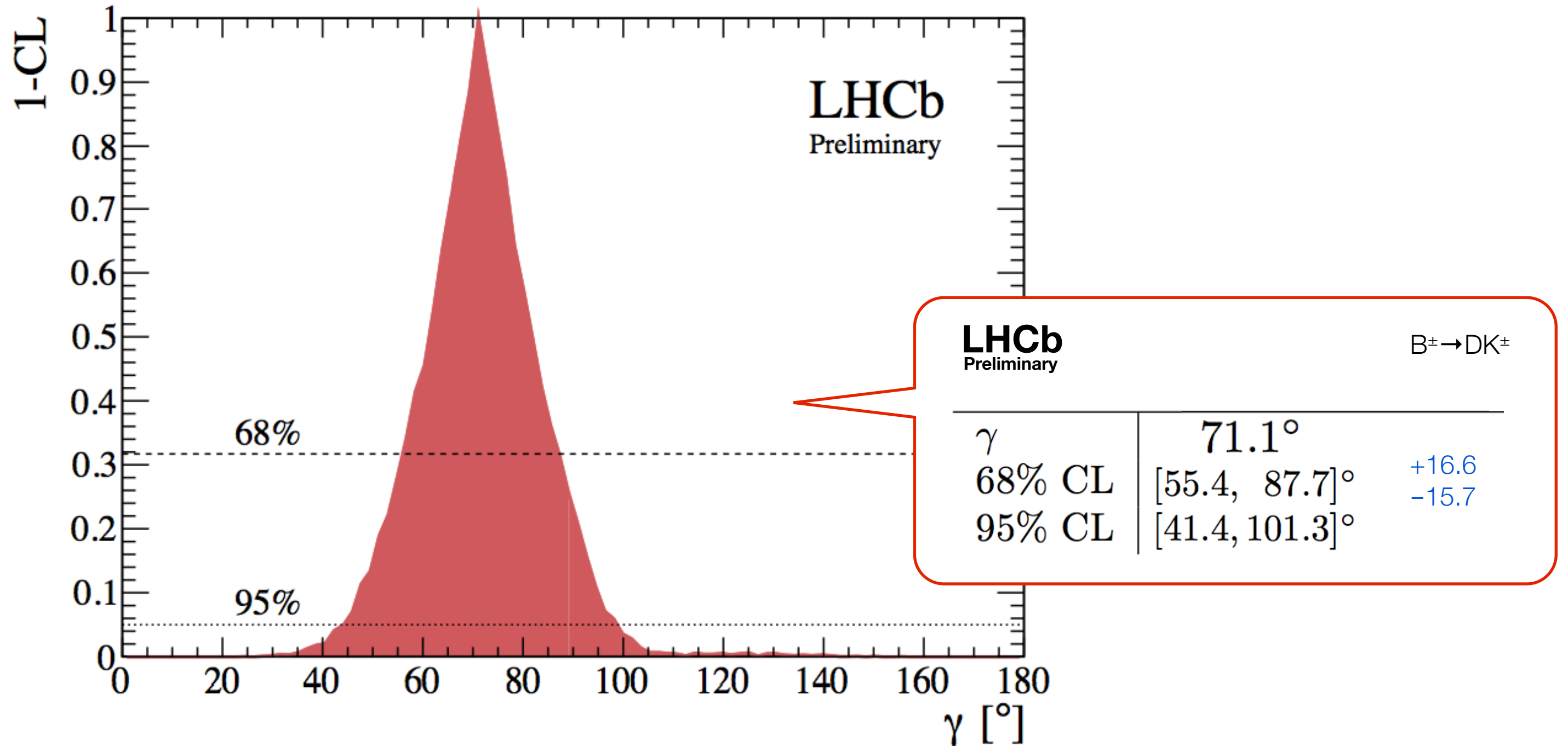
parameters

$$\vec{\alpha} = (\gamma, r_B, \delta_B, r_{K\pi}, \delta_{K\pi})^T$$

Using $B^- \rightarrow DK^-$ decays (2-body + GGSZ) + D-system (r_D, δ_D)

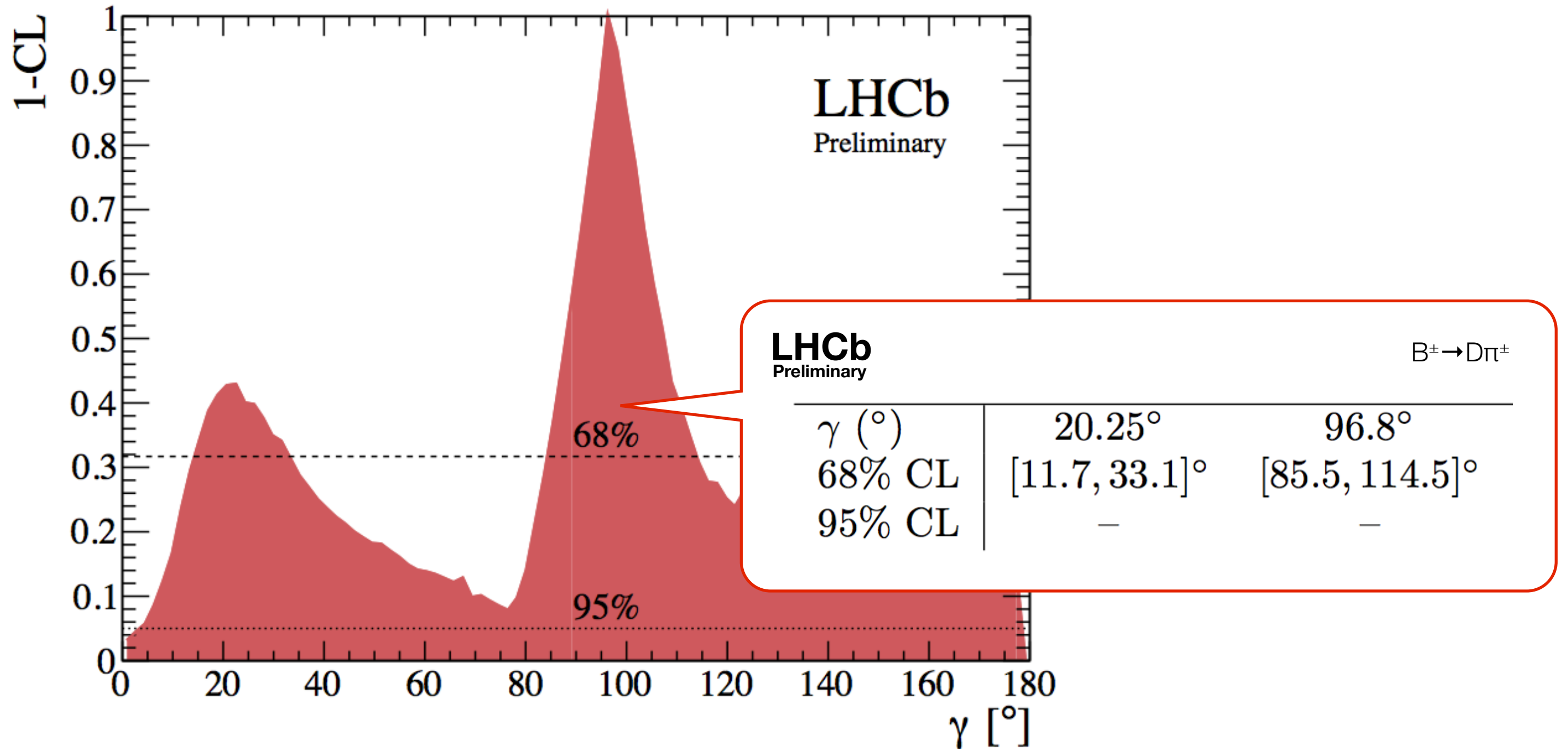


Using $B^- \rightarrow DK^-$ decays + D-system (from CLEOc)

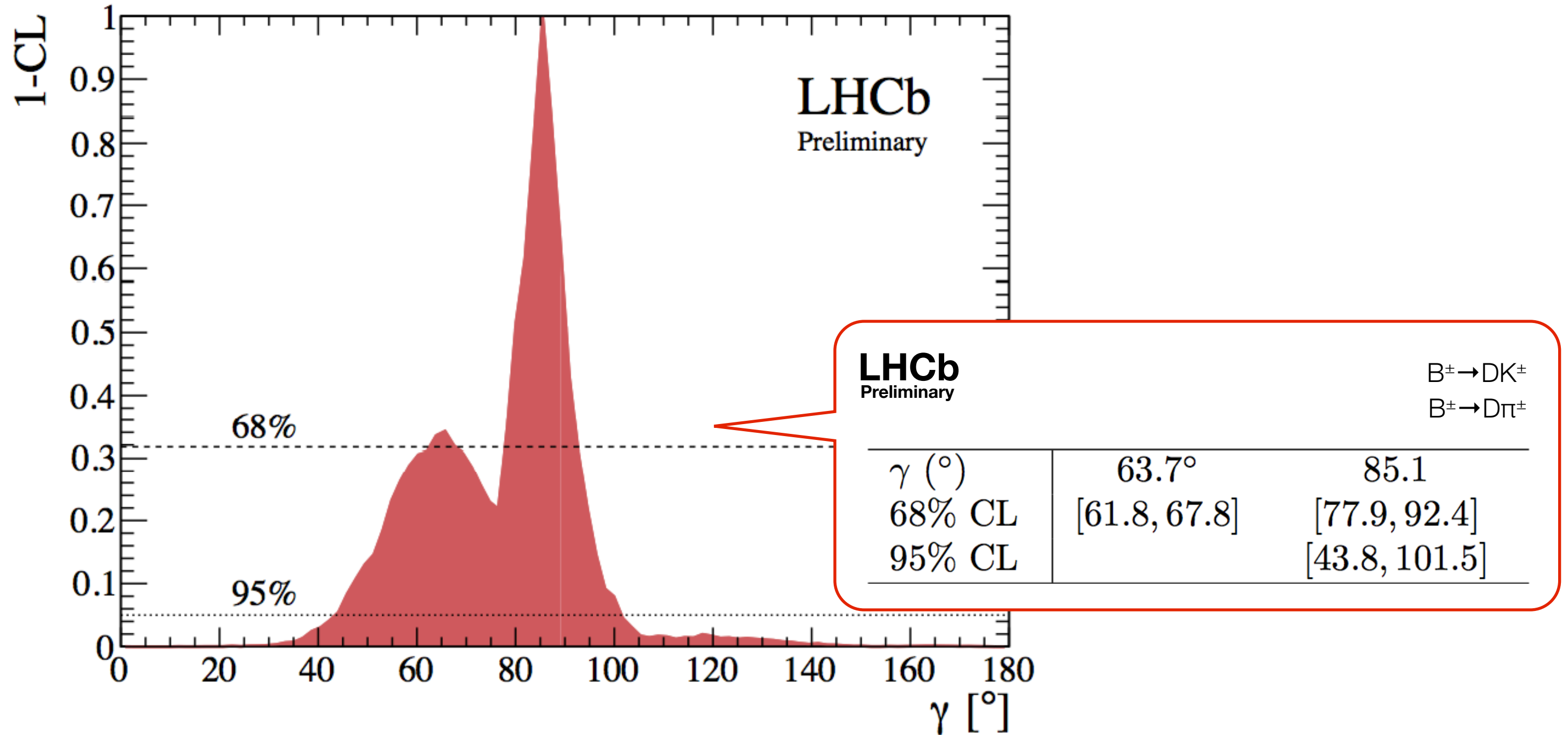


Using $B^- \rightarrow D\pi^-$ decays + CLEOc

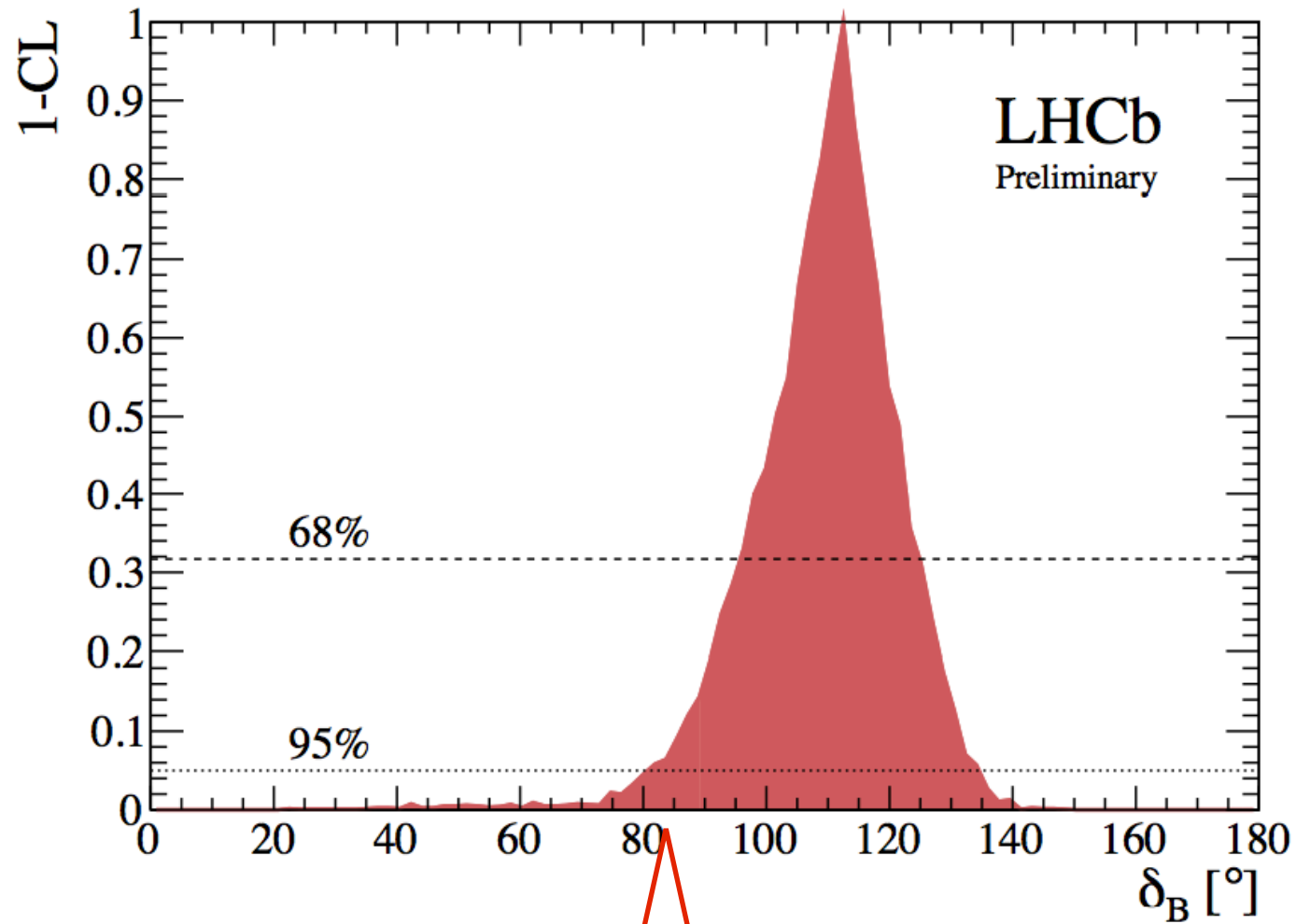
(result available from the “2-body ADS/GLW” + “K3 π ADS” analyses)



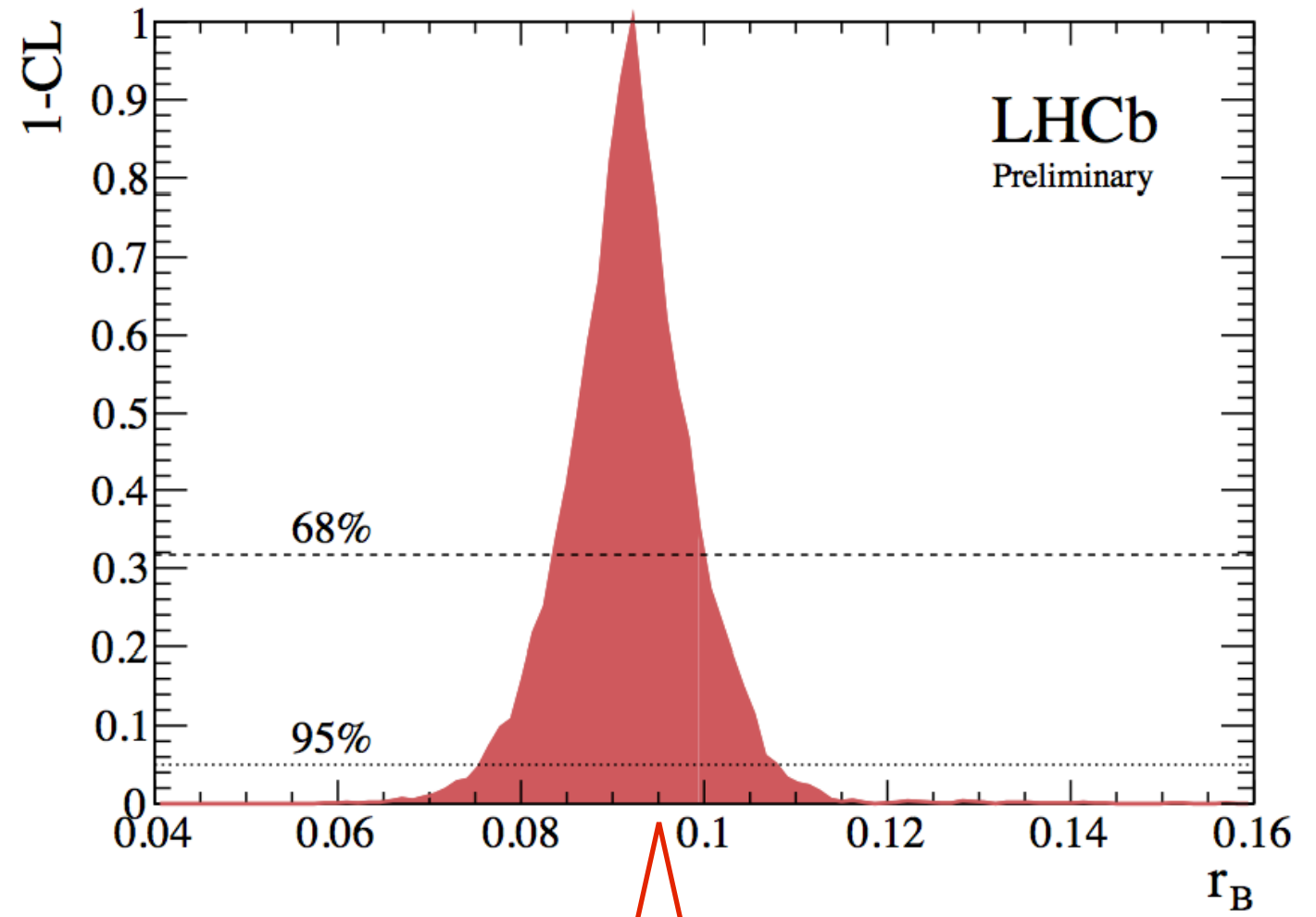
Using both $B^- \rightarrow DK^-$ and $B^- \rightarrow D\pi^-$ decays + CLEOC



$r_{B(K)}$ and $\delta_{B(K)}$



LHCb		$+10.0^\circ$
Preliminary		-12.6°
$\delta_{B(K)}$ ($^\circ$)		119.3°
68% CL		$[106.7, 129.3]^\circ$
95% CL		$[81.3, 138.3]^\circ$



LHCb		$+0.008^\circ$
Preliminary		-0.009°
$r_{B(K)}$		0.095
68% CL		$[0.086, 0.103]$
95% CL		$[0.078, 0.111]$

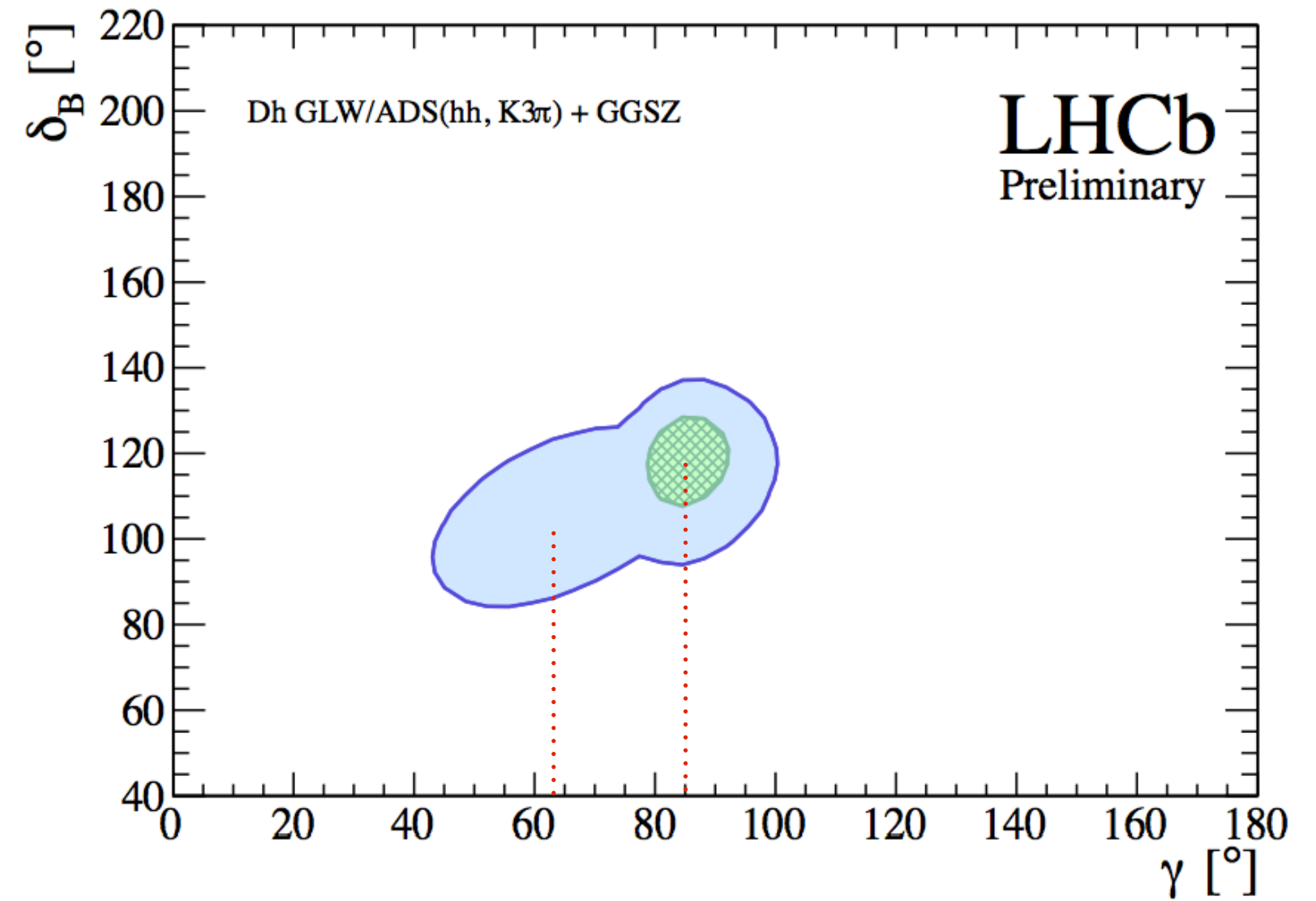
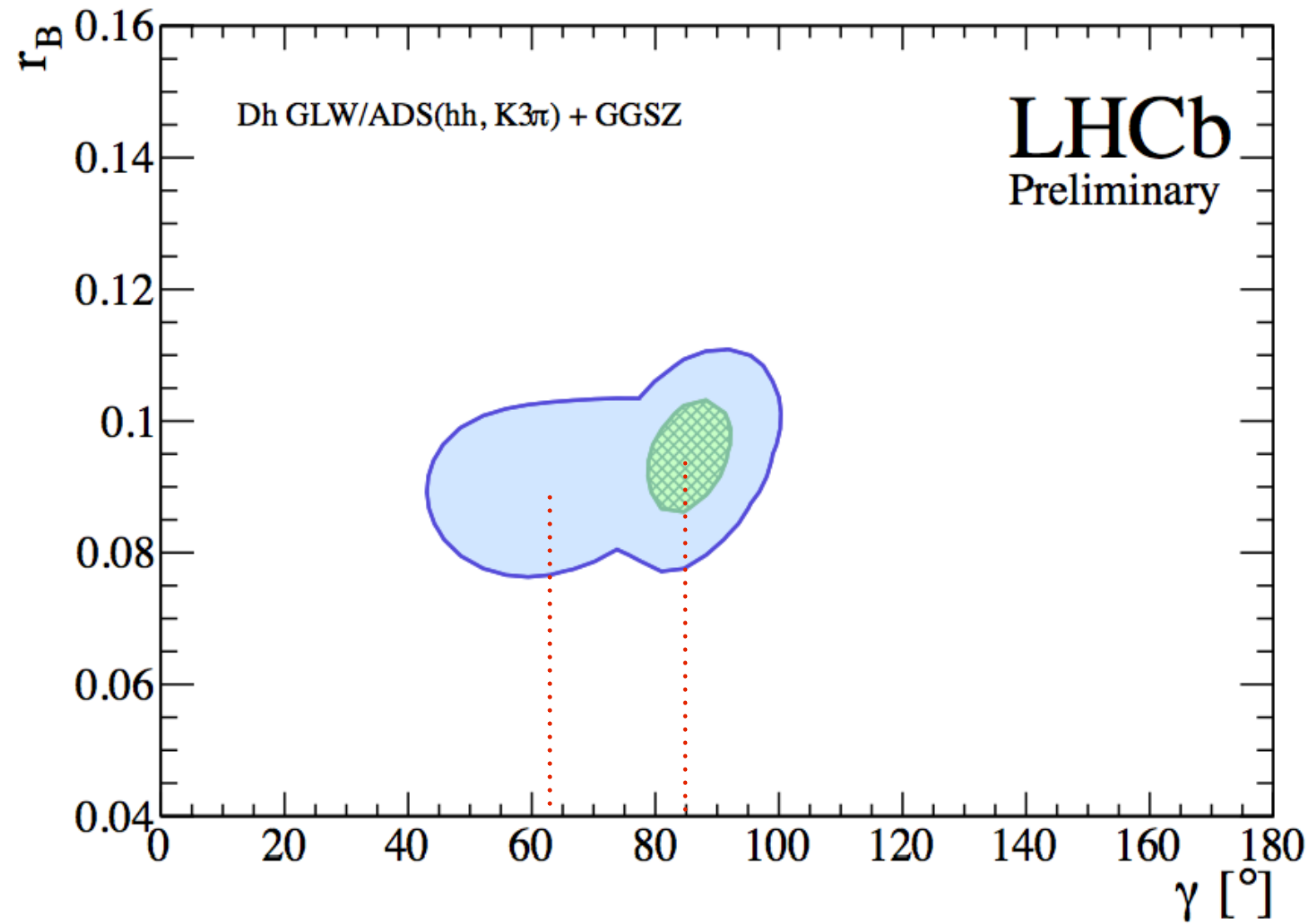


Conclusion

- The study of direct CP violation has fantastic promise at the LHCb upgrade. Huge samples to fine tune Dalitz models and provide deep understanding of the penguin contributions in the search for non-CKM CPV
- The prospect of a precise ($\sim 1\%$) measurement of γ_{CKM} with tree-level processes alone is realistic
- 1st step: From the **2011** sample of $B^\pm \rightarrow DK^\pm$ decays, we find : $\gamma = 71.1^\circ \begin{smallmatrix} +16.6 \\ -15.7 \end{smallmatrix} [41.4 - 101.3]_{95\% \text{ CL}}$
- For $B^\pm \rightarrow DK^\pm + B^\pm \rightarrow D\pi^\pm$ decays, an interesting maxima in the likelihood appears at 85.1° .
 - This solution is consistent with the input measurements. 95% CL : largely unchanged: $[43.8 - 101.5]_{95\% \text{ CL}}$
 - And we note that it is only a 1 sigma effect...

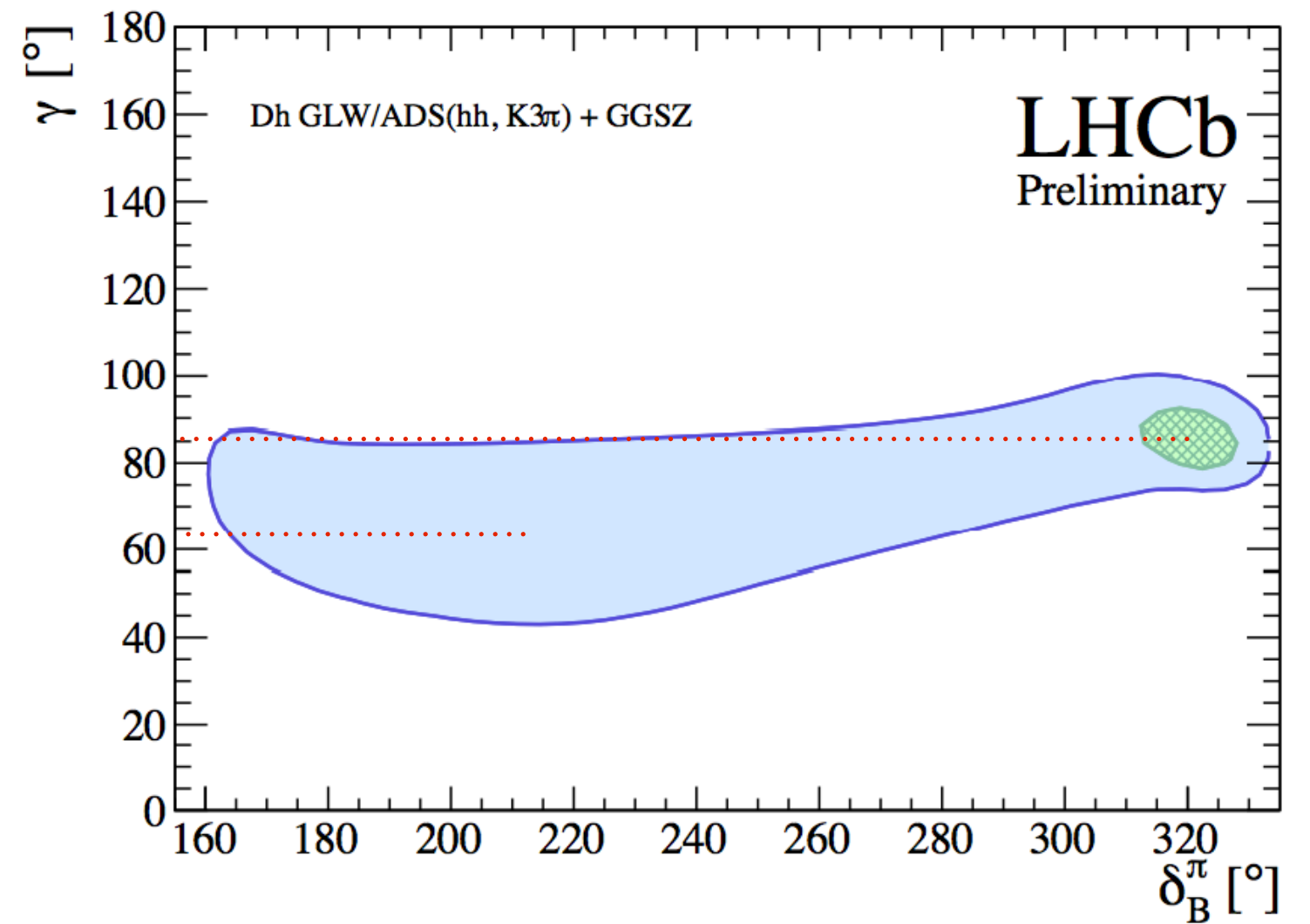
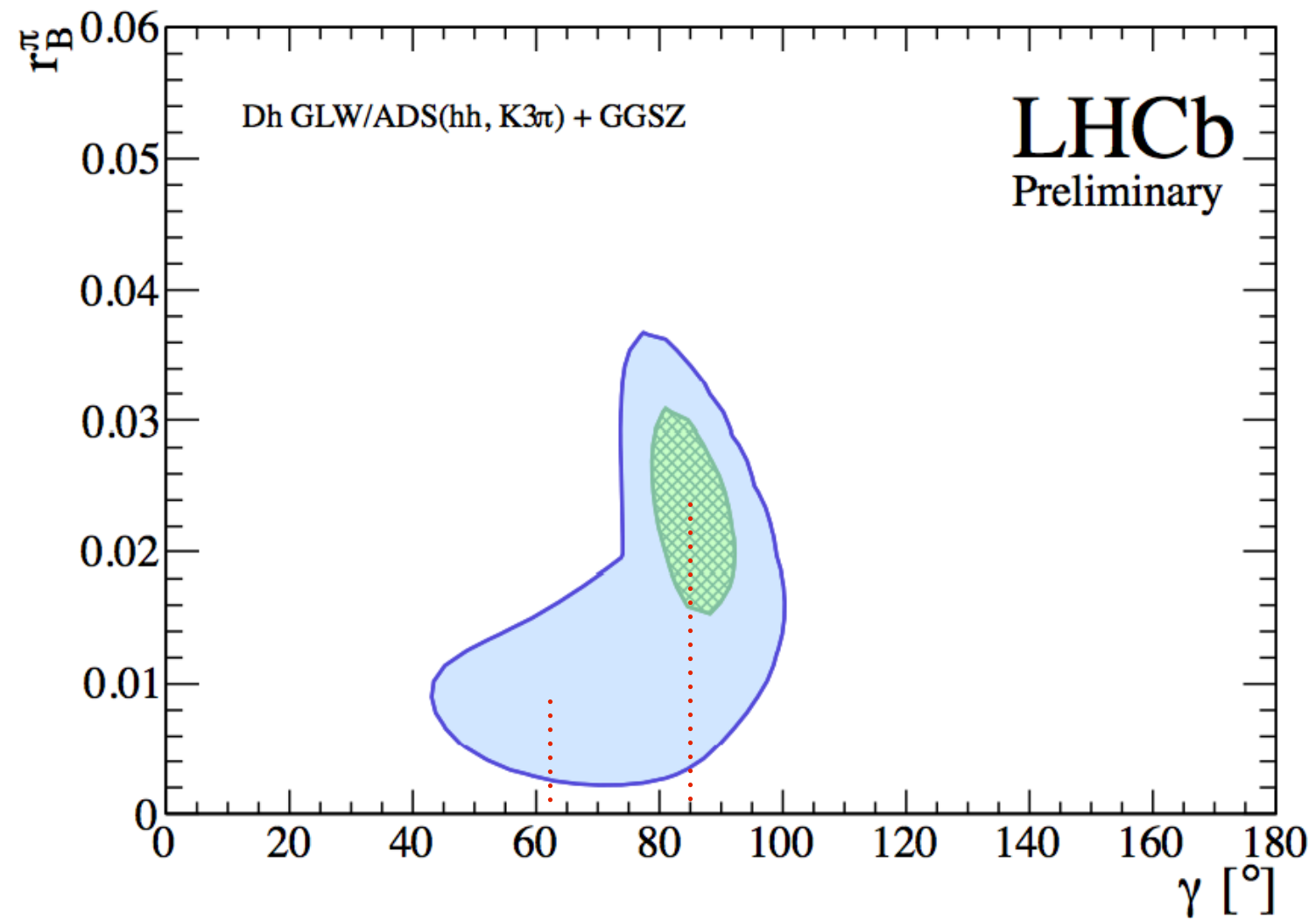
BACKUP

γ vs. $r_{B(K)}$ and $\delta_{B(K)}$



- Seems fine. About where you'd expect. DK system does not strongly differentiate between solutions

γ vs. $r_{B(\pi)}$ and $\delta_{B(\pi)}$



- The global minima is at a “surprisingly” high value of $r_{B(\pi)}$. One might expect $r_{B(\pi)} \approx 0.005 - 0.010$

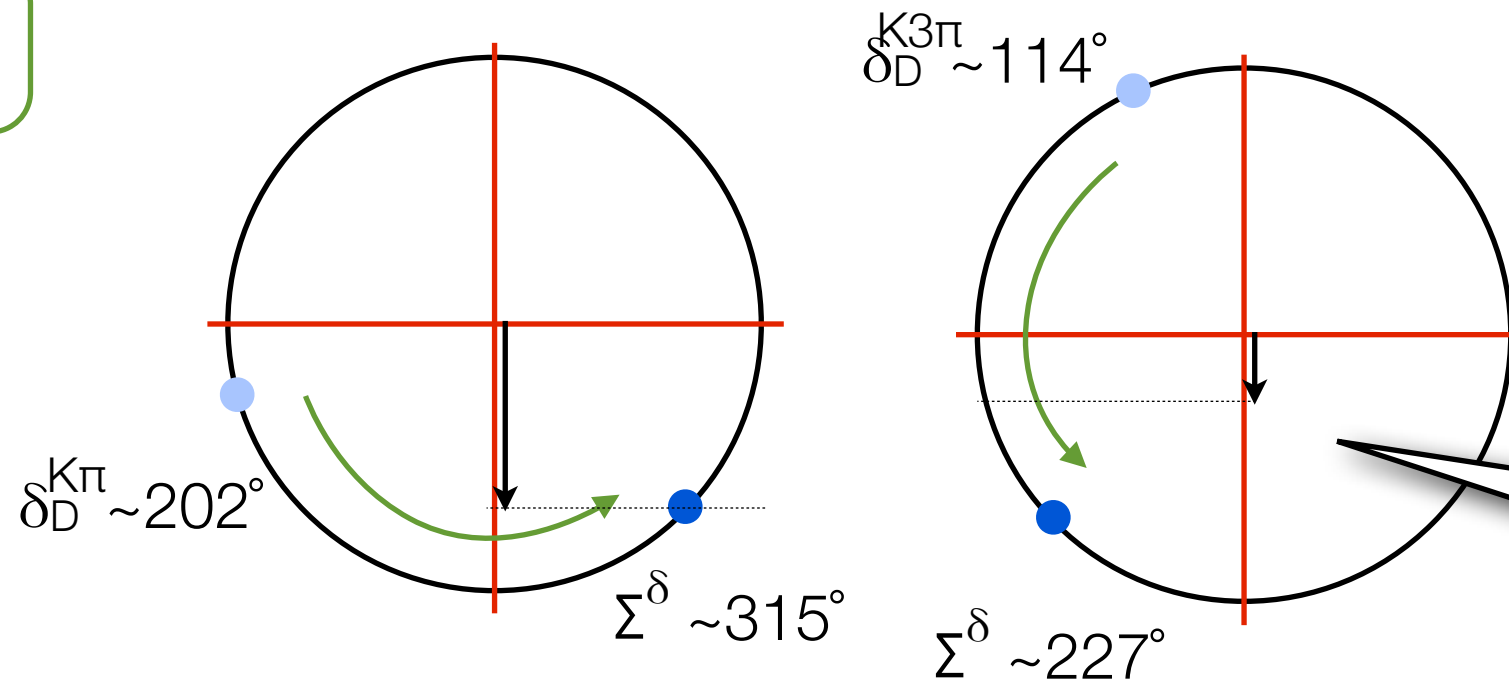
Is there any internal tension in our results?

$$A_{ADS(K)} = \frac{2R^{K3\pi} r_{B(K)} r_D^{K3\pi} \sin(\delta_{B(K)} + \delta_D^{K3\pi}) \sin \gamma}{R_{ADS}}$$

The only way to have an negative asymmetry is for the sum of strong phases to be $\in [180 - 360]^\circ$

- In $B \rightarrow DK$, a consistent picture is seen with the strong phase around the 'usual' value.

$$\delta_B^{DK} \sim 113^\circ$$

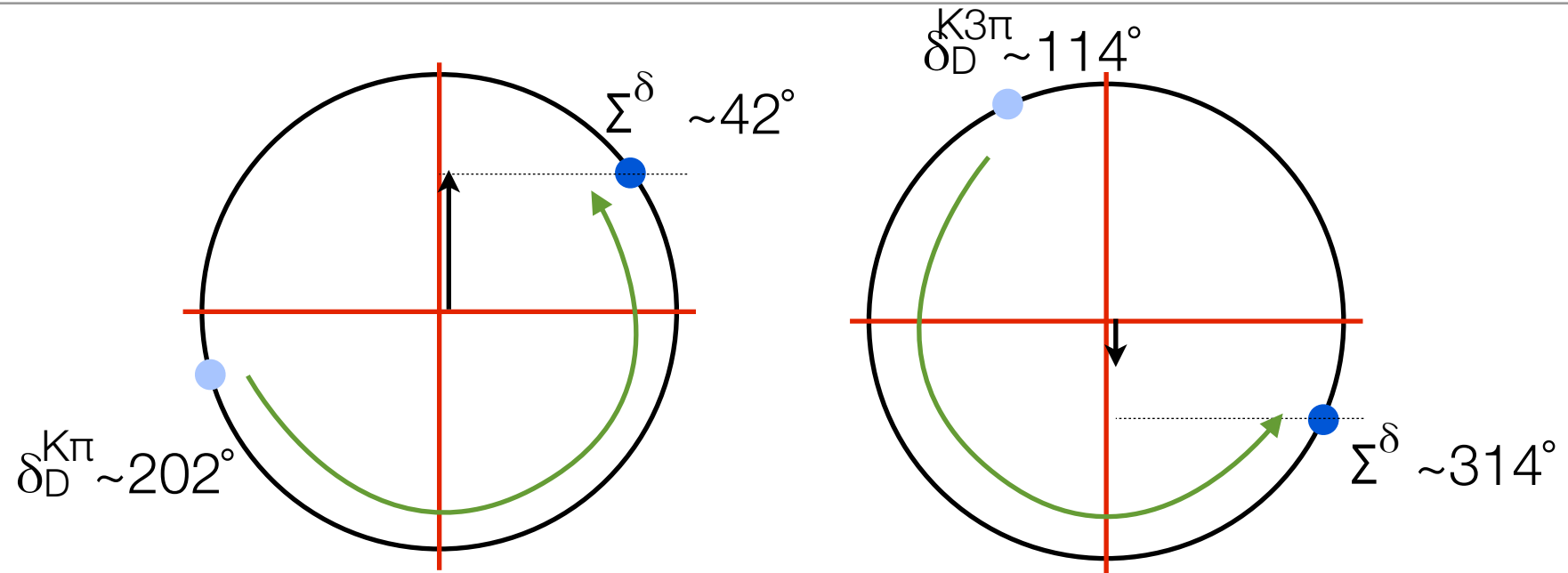


The small coherence factor in $D \rightarrow K3\pi$ dilutes the observed asymmetry (shortens the arrow)

In $B \rightarrow D\pi$, we have two possible solutions

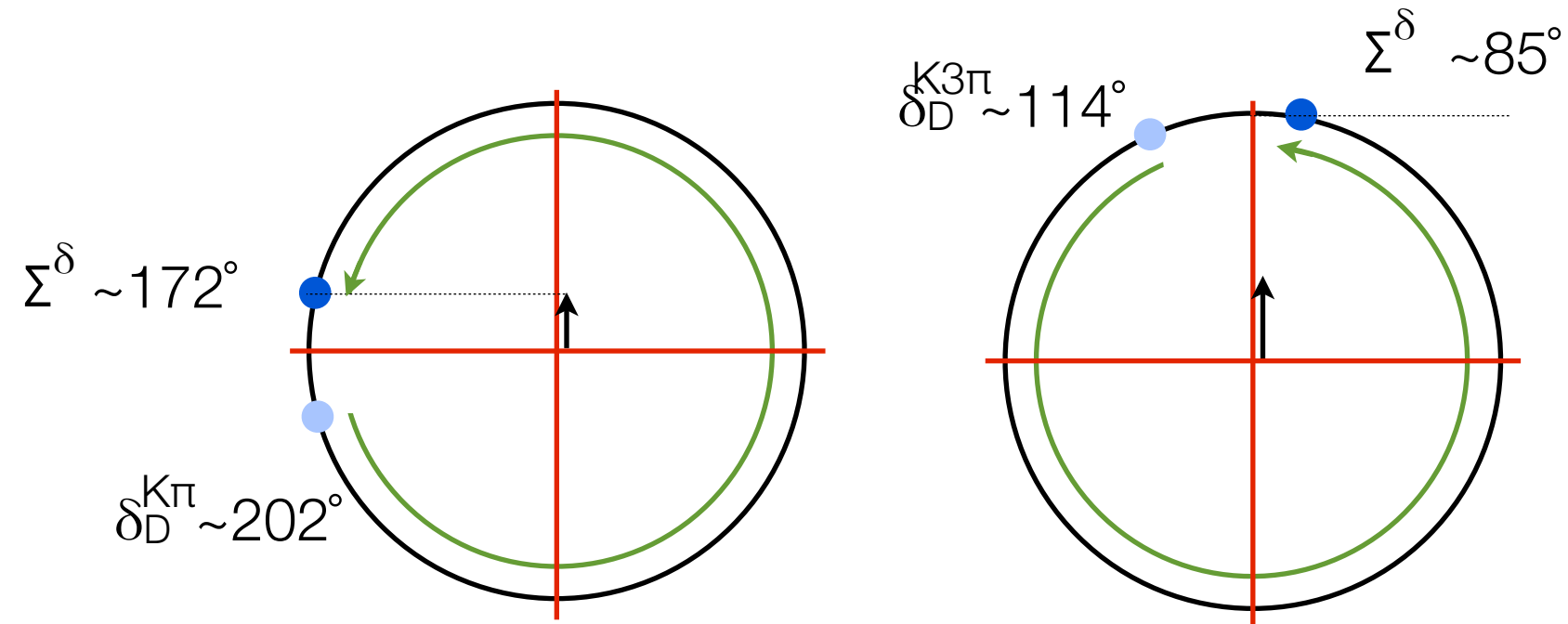
$$\delta_B^{D\pi} \sim 210^\circ$$

$A_{ADS(\pi)}(K\pi) = +\text{big}$
 $A_{ADS(\pi)}(K3\pi) = -\text{small}$



$$\delta_B^{D\pi} \sim 320^\circ$$

$A_{ADS(\pi)}(K\pi) = +\text{small}$
 $A_{ADS(\pi)}(K3\pi) = +\text{small}$



So.. the surprise is that the asymmetry in $B^\pm \rightarrow [\pi^\pm K^\mp \pi \pi]_D \pi^\pm$ is in the same sense as the asymmetry in $B^\pm \rightarrow [\pi^\pm K^\mp]_D \pi^\pm$

$$\delta_B^{D\pi} \sim 210^\circ$$

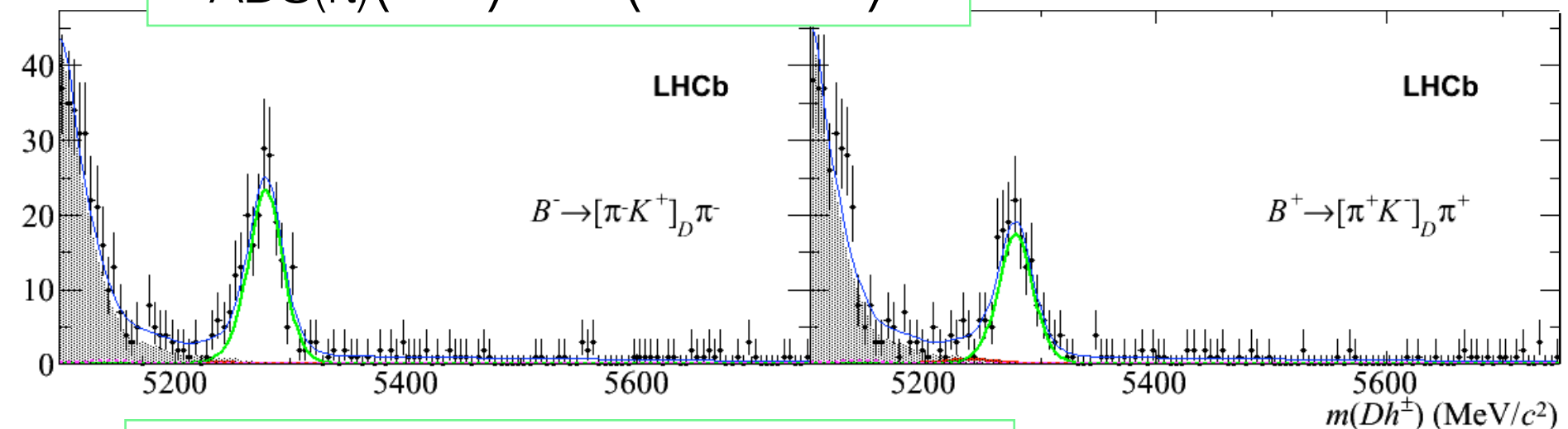
$A_{ADS(\pi)}(K\pi) = +\text{big}$
 $A_{ADS(\pi)}(K3\pi) = -\text{small}$

preferred in combination

$$\delta_B^{D\pi} \sim 320^\circ$$

$A_{ADS(\pi)}(K\pi) = +\text{small}$
 $A_{ADS(\pi)}(K3\pi) = +\text{small}$

$$A_{ADS(\pi)}(K\pi) = (+14 \pm 6)\%$$



$$A_{ADS(\pi)}(K3\pi) = (+13 \pm 10)\%$$

