



Measurement of B → D^(*)τv @ BaBar

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Motivations Experimental Technique Event Reconstruction and Fit Strategy Results Conclusions



Motivations



- $B \rightarrow D^{(*)} \tau v$ typical example of B decay sensitive to New Physics:
- → same Feynman diagrams as the light leptons, but the decay can also be mediated by a charged Higgs boson
- → Spin zero Higgs does not couple to all helicity states, affect D and D* differently
- → Use of τ hadronic modes can give interesting information on charged Higgs couplings (Phys. Rev. D78:015006, 2008)

 $\overline{B}
ightarrow D^{(*)}$ r $B
ightarrow X_s \gamma$ \Box Large $\sigma_{SM} \sim 25\%$ $\mathbf{\Theta}$ Small $\sigma_{SM} \sim 7\%$ $\mathbf{\overline{O}}$ Small $\sigma_{SM} \sim 2-5\%$ \Box H⁻ enters in a loop ☑ H⁻ enters at tree level If H⁻ enters at tree level **BF**~0.03% \Box BF ~ 0.01% **☑** BF ~ 1-2% Helicity suppressed **Inclusive** measurement difficult D^(*) provides constraint W^-/H B{ b $B{}$ ${a \over a} X_s$

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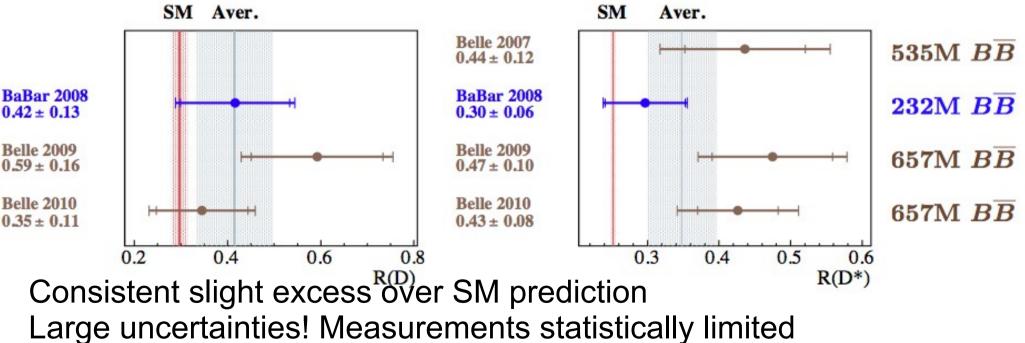


Previous Measurements



$$R(D^{(*)}) = \frac{\mathcal{B}(\overline{B} \to D^{(*)}\tau^{-}\overline{\nu}_{\tau})}{\mathcal{B}(\overline{B} \to D^{(*)}\ell^{-}\overline{\nu}_{\ell})}$$

Measure ratios of BF: several uncertainties cancel in the ratio Use only leptonic τ decays



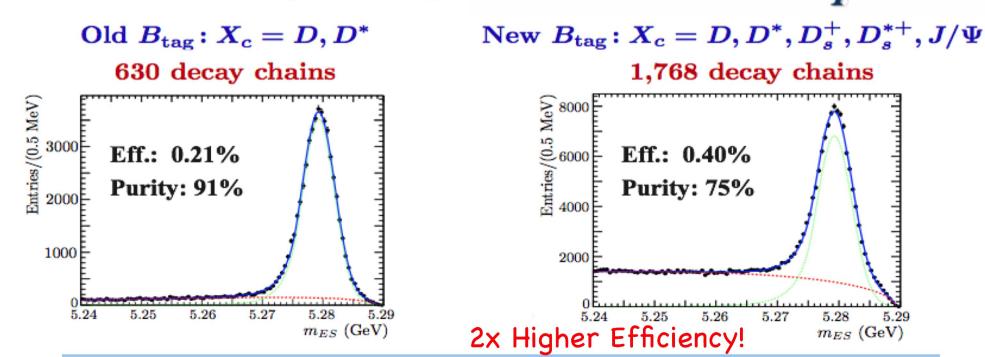
Update previous BaBar measurement (2008) to full dataset

Experimental Technique: B Tagging

 τ decays, multiple neutrinos in final state, very challenging Fully reconstruct one B in the event

Reconstruct a D^(*) meson in hadrons

Reconstruct $B \rightarrow X_c + \pi, K, K_s, \pi^0$



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 $\mathbf{e}^{\mathsf{D}^{(*)}} \xrightarrow{\boldsymbol{\pi}^{\mathsf{D}^{(*)}}} B_{\mathsf{recoid}}^{\mathsf{P}^{\mathsf{recoid}}}$



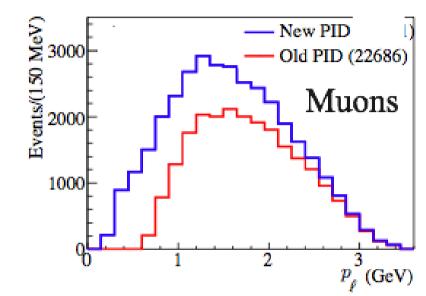
Event Reconstruction



Require hadronic B_{tag} Reconstruct $\tau \rightarrow \ell \nu_{\tau} \nu_{\ell} \ (\ell = e, \mu)$ \rightarrow improved PID, increase acceptance at low momentum Charge correlation between $B_{tag}, D^{(*)}, \ell$ Reject combinatoric Background: $q^2 = (p_B - p_{D(*)})^2 > 4 \text{ GeV}^2$ P_{miss}>200 MeV If multiple $B_{tag} + D^{(*)} + \ell$ combinations, select

the one with smallest E_{extra}

Use Boosted Decision Tree to suppress background Dedicated Data control region for BB/continuum background

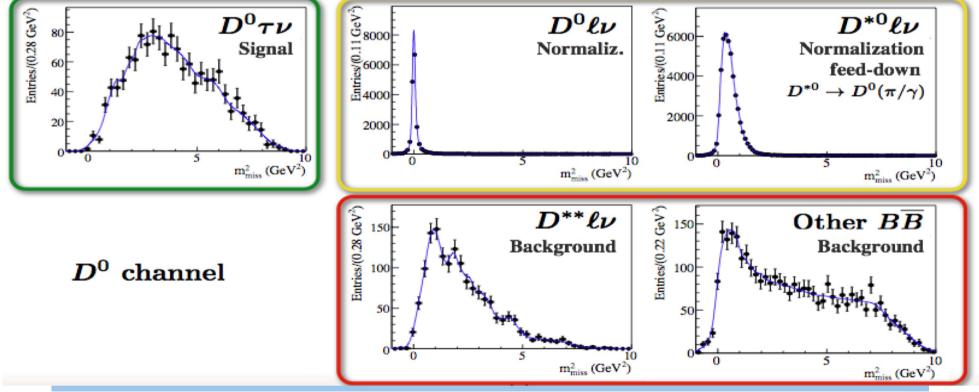




Use m²_{miss} to discriminate signal from background:

$$m_{miss,D^{(*)}}^2 = (p_{\Upsilon} - p_{B_{tag}} - p_{D^{(*)}} - p_{\ell})^2$$

Largest background from $B \to D^{(*)}\ell \nu$, either fully reco or feed-down ($B \to D^{(*,**)}\ell \nu$ reco as $B \to D^{(*)}\ell \nu$)



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Fit Structure



Unbinned ML fit

2D: m^2_{miss} , p^*_{ℓ} \rightarrow 4 Signal channels

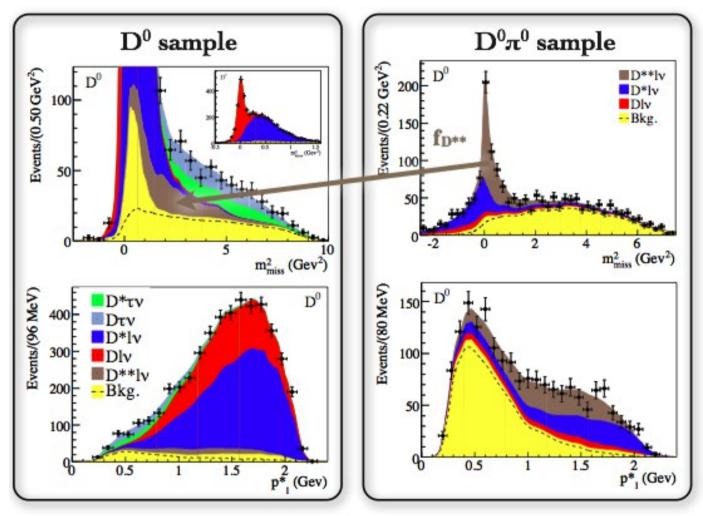
 D^0 , D^{*0} , D^+ , D^{*+} $\rightarrow 4 D(*)\pi^0$ channels

Fitted Yields: 4 D*τν 4 D*ℓν

4 D***l*v

Fixed Yields (yellow):

Charge cross-feed combinatorial BB continuum



MC Simulation

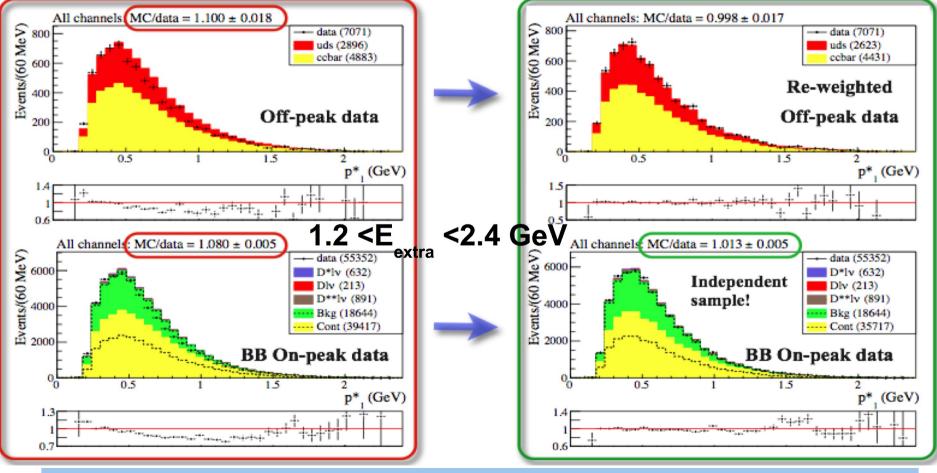


Continuum and BB bkg



Poor Data/MC agreement for p_{μ}^* shape and normalization for

continuum events Use off-peak data to re-weight continuum events Build Data Control Regions (see next slide) to estimate BB background



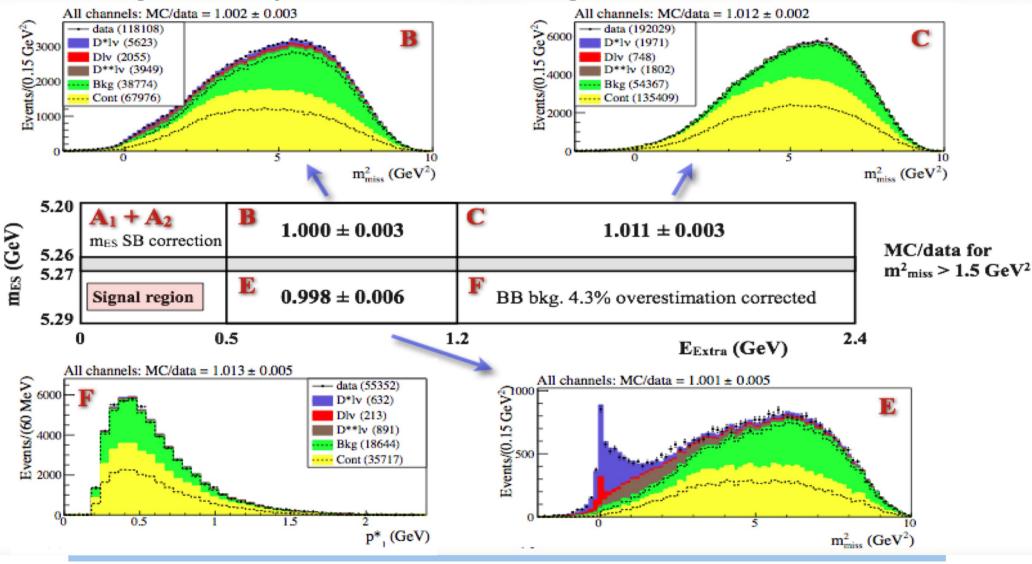
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BB bkg Control Region

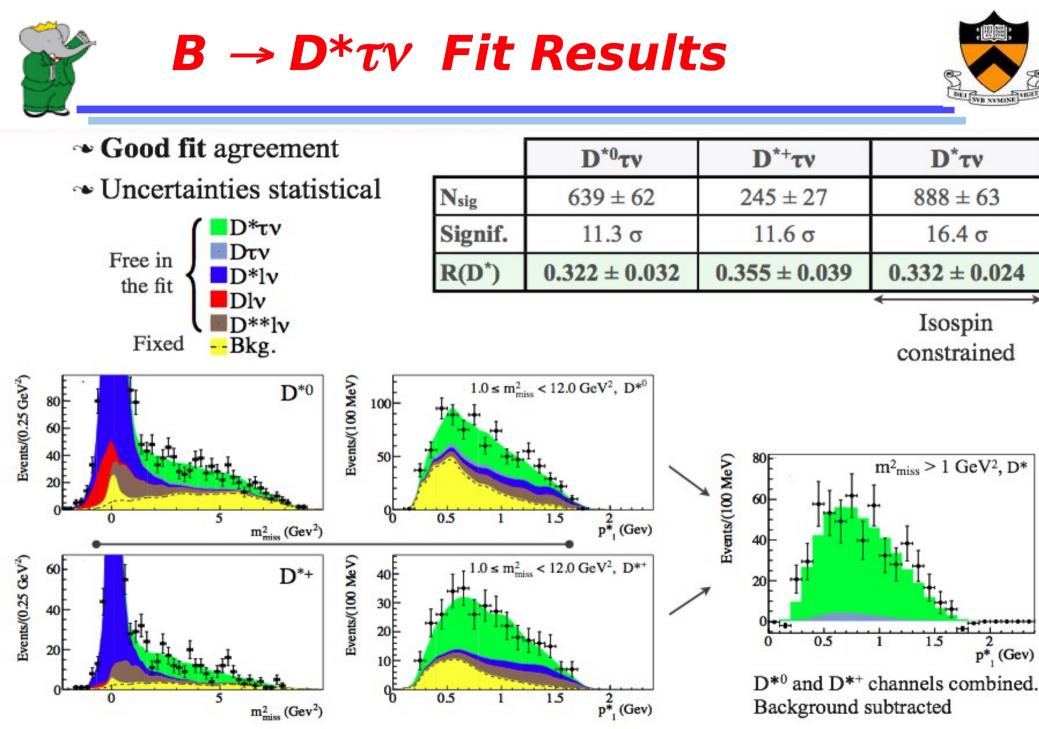


Build data control regions in mES sideband and large Eextra region \rightarrow Background very well described for large Eextra



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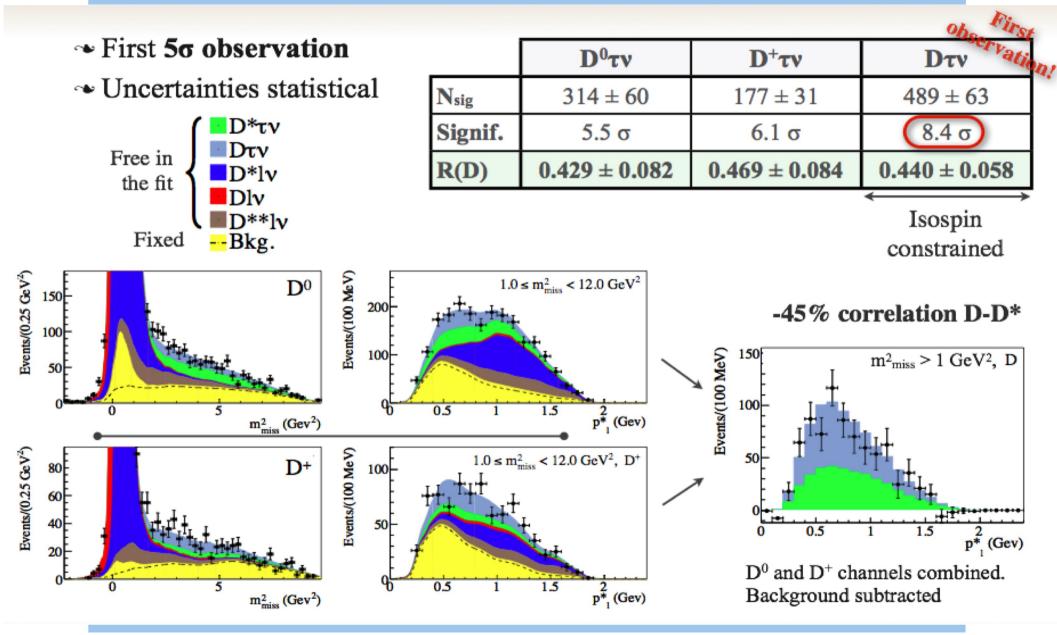


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$B \rightarrow D\tau v$ Fit Results





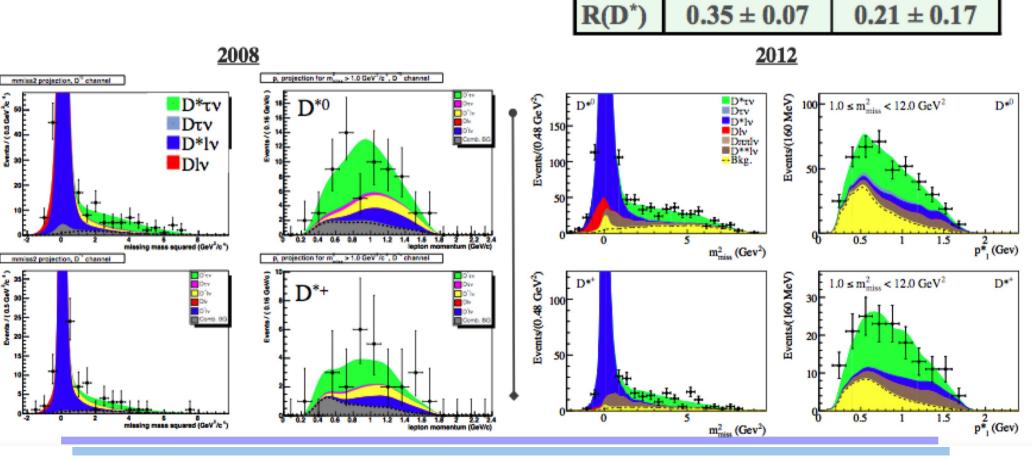
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Efficiency 3x w.r.t. 2008 analysis Good agreement on the overlapping dataset

2008 **D**^{*0}τν **D***+τν Nsig 92 ± 20 16 ± 7 Signif. 5.8 σ 2.7 σ







0.5

+ data Unused ECAL energy Events/(50 MeV) Events/(50 MeV) Dtv D*tv 200 600 D*lv most important variable Dlv D**h 400 --Bkg in the BDT 100 200 $E_{\rm Extra} =$ E_{γ} 0.10.4 0.5 0.10.2 0.4 0.2 03 EExtra (GeV) EEatra (GeV) unused γ Signal peaks in E_{Extra} Events/(50 MeV) Events/(50 MeV) 100200 50 100 Plots show $\mathsf{E}_{_{\mathsf{Extra}}}$ in 0.40.4 m^2_{miss} >1.5 GeV rescaling E_{Extra} (GeV) EEstra (GeV) different contributions to fit results χ^2 : 11.9/7 = 1.71 χ^2 : 7.2/8 = 0.90 Events/(50 MeV) Events/(50 MeV) 200 300 Prob. = 10.2% Prob. = 51.3% 150 200 100 100 D and D* channels 50

combined and bkg subtracted

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0.1

0.2

0.4

EEstra (GeV)

14

0.4

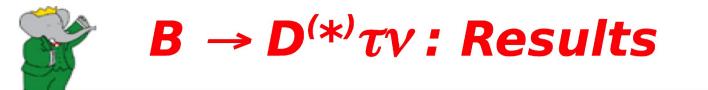
EExtra (GeV)





Course	Uncertainty (%)			
Source	R(D)	$R(D^*)$	ρ	
$D^{**}\ell\nu$ background	5.8	3.7	0.62	-
MC statistics	5.0	2.5	-0.48	
Cont. and $B\overline{B}$ bkg.	4.9	2.7	-0.30	
$\varepsilon_{ m sig}/\varepsilon_{ m norm}$	2.6	1.6	0.22	
Systematic uncertainty	9.5	5.3	0.05	Correlation between
Statistical uncertainty	13.1	7.1	-0.45	$\nearrow R(D)$ and $R(D^*)$
Total uncertainty	16.2	9.0	-0.27	

Largest systematic from backgrounds Small uncertainty on efficiency ratio $\varepsilon_{sig} / \varepsilon_{norm}$ Statistical uncertainty still dominates \rightarrow next generation B factories!



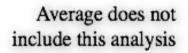


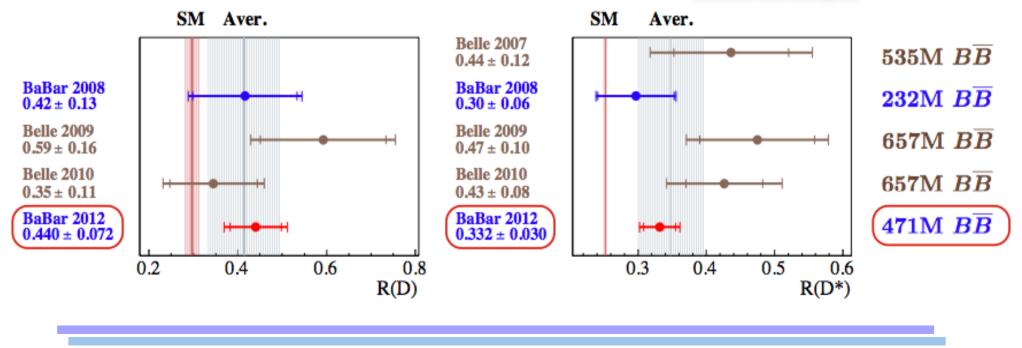
Decay	$N_{ m sig}$	$N_{ m norm}$	$R(D^{(*)})$	$\mathcal{B}(B \to D^{(*)} \tau \nu) (\%)$	
$D au^-\overline{ u}_ au$	489 ± 63	2981 ± 65	$0.440 \pm 0.058 \pm 0.042$	$1.02 \pm 0.13 \pm 0.11$	6.8
$D^* au^- \overline{ u}_ au$	888 ± 63	11953 ± 122	$0.332 \pm 0.024 \pm 0.018$	$1.76 \pm 0.13 \pm 0.12$	13.2

First 5σ observation of B→Dτν

SM prediction from Phys. Rev. D 85, 094025 (2012)

Agreement with previous measurements



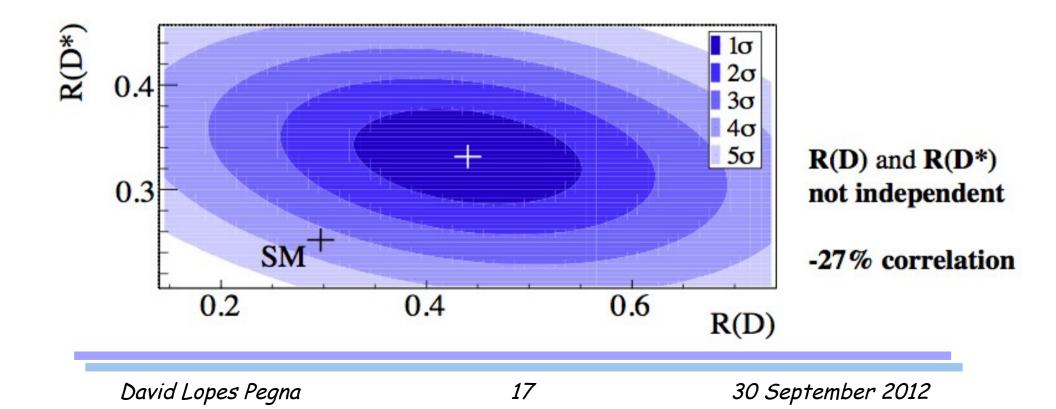


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$$R(D) = \begin{cases} 0.440 \pm 0.072 & BABAR \\ 0.297 \pm 0.017 & SM \end{cases} 2.0\sigma \\ 0.297 \pm 0.017 & SM \end{cases} 2.0\sigma \\ 3.4\sigma$$
$$R(D^*) = \begin{cases} 0.332 \pm 0.030 & BABAR \\ 0.252 \pm 0.003 & SM \end{cases} 2.7\sigma \end{cases}$$

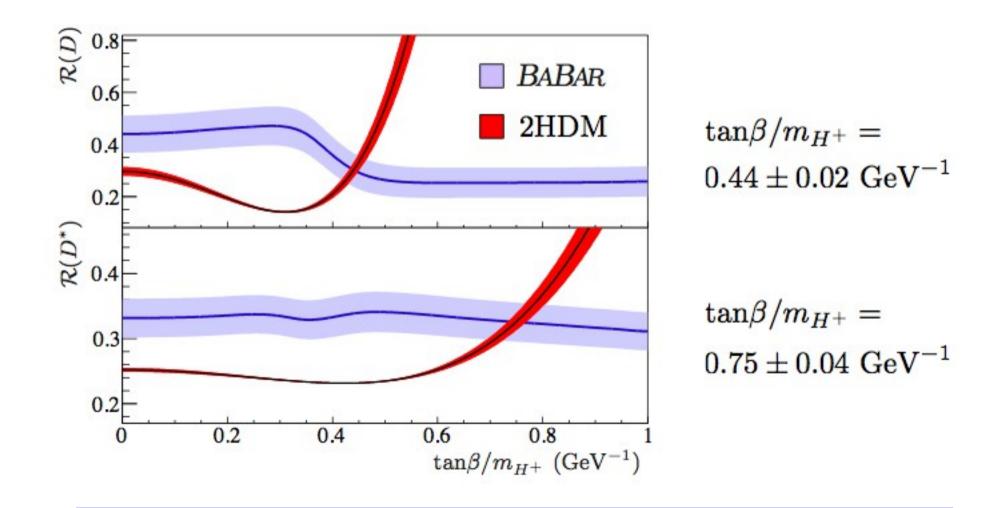








Measure R(D*) in full 2HDM parameter space

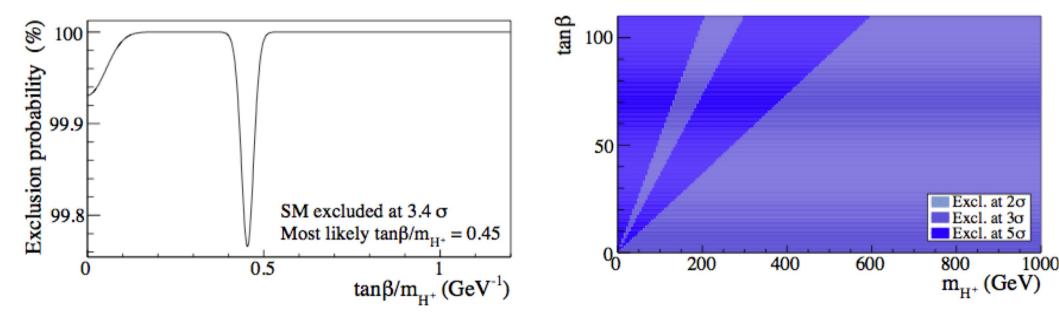


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∼ Compatibility of $\Delta(D^{(*)}) = R(D^{(*)})_{exp} - R(D^{(*)})_{2HDM}$ given by a χ^2 for each 2HDM point

$$\chi^{2}(\tan\beta/m_{H^{+}}) = (\Delta(D), \Delta(D^{*})) \begin{pmatrix} \sigma_{\exp}^{2} + \sigma_{th}^{2} & \rho \sigma_{\exp} \sigma_{\exp}^{*} \\ \rho \sigma_{\exp} \sigma_{\exp}^{*} & \sigma_{\exp}^{*2} + \sigma_{th}^{*2} \end{pmatrix}^{-1} \begin{pmatrix} \Delta(D) \\ \Delta(D^{*}) \end{pmatrix}$$



Type II 2HMD excluded at 99.8%, or equivalently, 3.10

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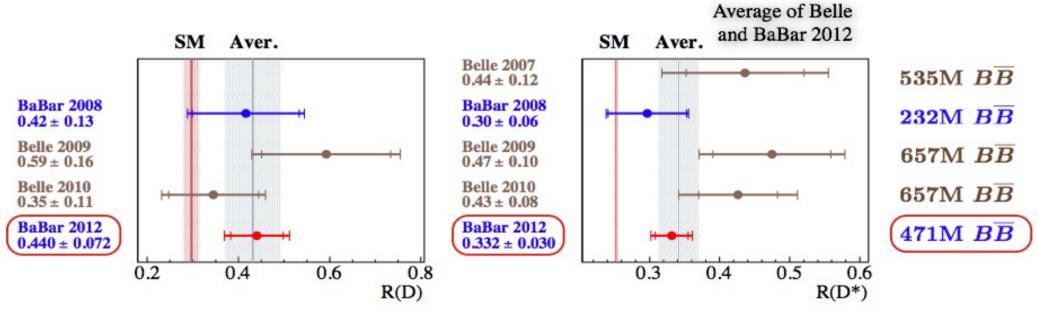






Measurement of $B \rightarrow D^{(*)}\tau v$ on full BaBar dataset

 \rightarrow Much larger improvement than \sqrt{L}



Scorecard:

- \rightarrow First Observation of $~B\rightarrow D\tau\nu$ with 6.8σ
- \rightarrow 3.4 σ excess over SM prediction (3.2 σ w.r.t. PRL 109, 071802 (2012))
- \rightarrow Not compatible with Type II 2HDM model

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