

59 = a small number...

Theory

$$\cancel{\mathcal{O}_{LL,RR,LR}^{ff'}} = \frac{J_f^\mu J_{f',\mu}}{m_W^2}$$

$$\cancel{\mathcal{O}_{L,R}^{f(3)}} = \frac{J_h^\mu J_{f,\mu}}{m_W^2}$$

$$\cancel{\mathcal{O}_{W,B}} = \frac{J_{h,\mu} J_{W,B}^\mu}{m_W^2}$$

$$\cancel{\mathcal{O}_T} = \frac{J_h^\mu J_{h,\mu}}{m_W^2}$$

$$\cancel{\mathcal{O}_{HB,HW}} = \frac{ig'}{m_W^2} (D_\mu H)^\dagger (D_\nu H) V_{V=W,B}^{\mu\nu}$$

$4q+1^l$

1

2

3

4

(LEP-II + LHC)^{High-E}

Experiments

$$\sim \frac{E^2}{m_W^2}$$

4 LEP-I^(leptons) + LHC^(Mw)

3 LEP-I^(hadrons)

1 KLOE^(beta-decay)

2 LEP-II^(ee->WW)

$$\mathcal{O}_{\gamma,g} = \frac{g_{\gamma,g}^2 |H|^2}{m_W^2} (F_{\gamma,g}^{\mu\nu})^2, \quad 2$$

$$\mathcal{O}_y^f = \frac{y_f}{v^2} |H|^2 \bar{f}_L H f_R \quad 3$$

$$\mathcal{O}_H = \frac{(\partial^\mu (H^\dagger H))^2}{2v^2} \quad 1$$

$hgg, h\gamma\gamma$
 $h\bar{f}f$
 hVV

LHC^(Higgs)

59 = a small number...

Theory

$$\mathcal{O}_{LL,RR,LR}^{ff'} = \frac{J_f^\mu J_{f',\mu}}{m_W^2}$$

$$\mathcal{O}_{L,R}^{f(3)} = \frac{J_h^\mu J_{f,\mu}}{m_W^2}$$

$$\mathcal{O}_{W,B} = \frac{J_{h,\mu} J_{W,B}^\mu}{m_W^2}$$

$$\mathcal{O}_T = \frac{J_h^\mu J_{h,\mu}}{m_W^2}$$

$$\mathcal{O}_{HB,HW} = \frac{ig'}{m_W^2} (D_\mu H)^\dagger (D_\nu H) V_{V=W,B}^{\mu\nu}$$

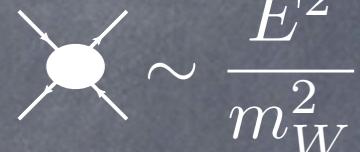
$$\mathcal{O}_{\gamma,g} = \frac{g_{\gamma,g}^2 |H|^2}{m_W^2} (F_{\gamma,g}^{\mu\nu})^2$$

$$\mathcal{O}_y^f = \frac{y_f}{v^2} |H|^2 \bar{f}_L H f_R$$

$$\mathcal{O}_H = \frac{(\partial^\mu (H^\dagger H))^2}{2v^2}$$

Experiments

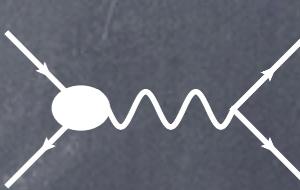
(LEP-II + LHC)^{High-E}



4 \rightarrow 4 LEP-I^(leptons) + LHC^(Mw)



3 LEP-I^(hadrons)



1 KLOE^(beta-decay)



2 LEP-II^(ee->WW)

$4 \rightarrow 4$

1

2

3

1

$hZ\gamma$

$hgg, h\gamma\gamma$

$h\bar{f}f$

hVV

LHC^(Higgs)

59 = a small number...

Even the most general parametrization leads to predictions:

Allowed: deviations in

$$gg \rightarrow h$$

$$h \rightarrow \gamma\gamma$$

$$h \rightarrow f\bar{f}$$

$$h \rightarrow WW, ZZ \quad (\text{not individually})$$

$$h \rightarrow Z\gamma$$

Not Allowed:

$$\frac{\delta(h \rightarrow WW)}{h \rightarrow WW} \neq \frac{\delta(h \rightarrow ZZ)}{h \rightarrow ZZ} \quad (\lambda_{WZ} \neq 1)$$

extra deviations in

$$h \rightarrow W\bar{f}f$$

$$h \rightarrow Z\bar{f}f$$