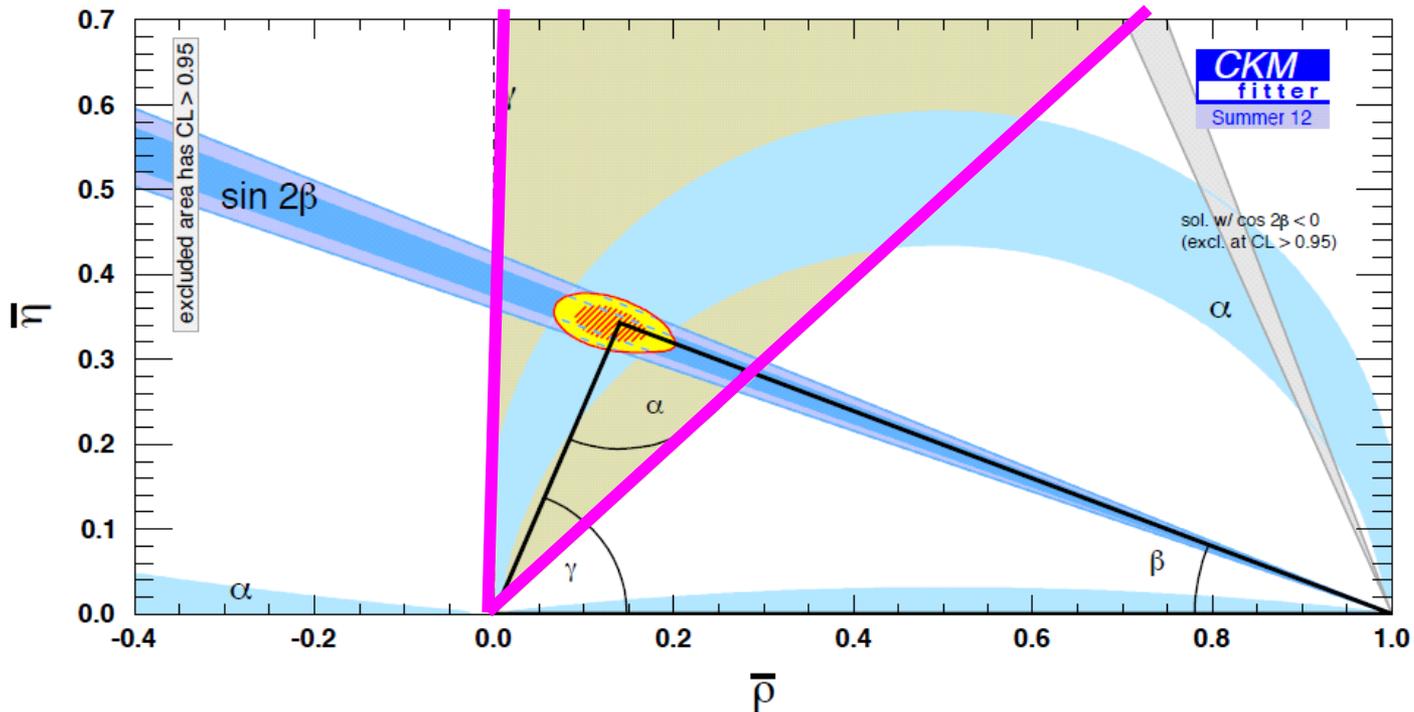




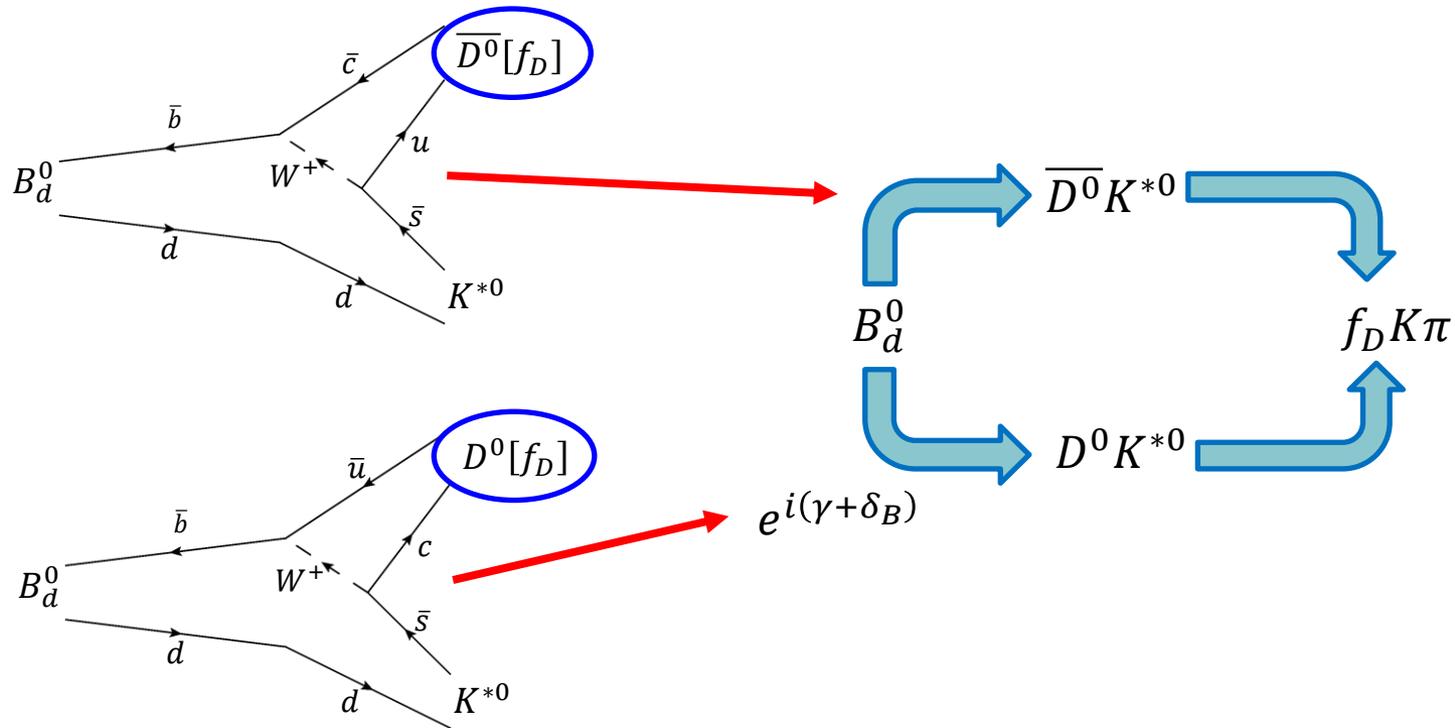
Measurement of CP Observables in
 $B^0 \rightarrow DK^{*0}$ decays at LHCb

Edmund Smith

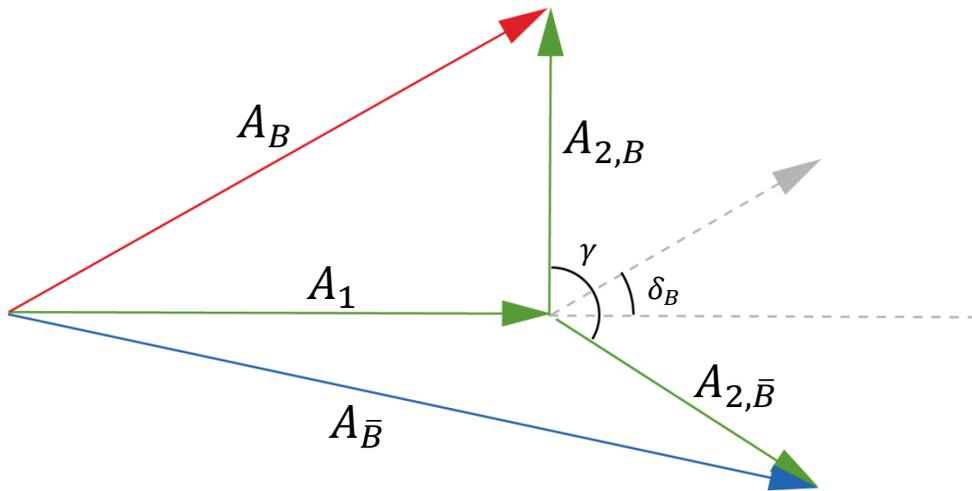
IOP HEPP and APP Group Meeting 2013, 8 – 10 May 2013,
University of Liverpool.



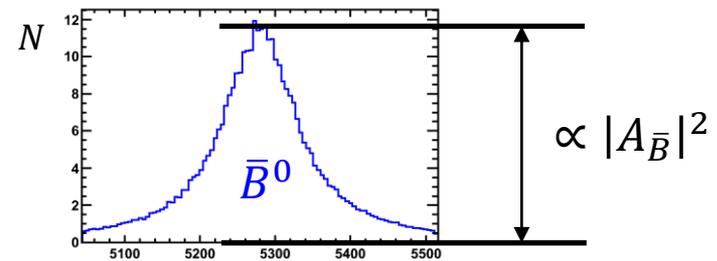
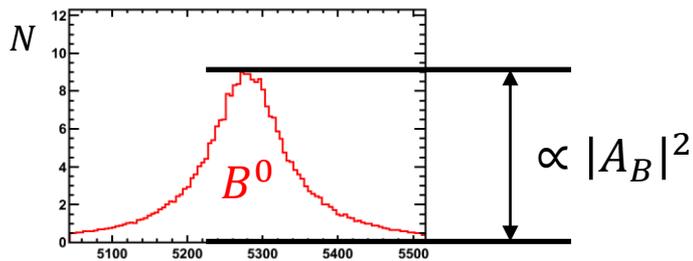
- γ is the least well known of the angles in the UT, $66 \pm 12^\circ$.
- Accessed with $b \rightarrow u$ transitions, which are rare.
- $B^0 \rightarrow D^0 K^{*0}$ gives a tree-level/SM determination of γ .



- Common final state f_D of $\bar{D}^0 K^{*0}$ and $D^0 K^{*0} \rightarrow$ interference.
- Weak phase difference = γ .
- CP invariant strong phase difference = δ_B .



$|A_B| \neq |A_{\bar{B}}| \Rightarrow$ CP violation



- Charge conjugate process has different amplitude.
- Measure γ from the different decay rates.

We Measure

$$R_{CP+} = \frac{\Gamma(\bar{B}^0 \rightarrow D(KK)\bar{K}^{*0}) + \Gamma(B^0 \rightarrow D(KK)K^{*0})}{\Gamma(\bar{B}^0 \rightarrow D(K^-\pi^+)\bar{K}^{*0}) + \Gamma(B^0 \rightarrow D(K^+\pi^-)K^{*0})}$$

$$A_{CP+} = \frac{\Gamma(\bar{B}^0 \rightarrow D(KK)\bar{K}^{*0}) - \Gamma(B^0 \rightarrow D(KK)K^{*0})}{\Gamma(\bar{B}^0 \rightarrow D(KK)\bar{K}^{*0}) + \Gamma(B^0 \rightarrow D(KK)K^{*0})}$$

Relation to physics parameters:

$$R_{CP+} = 1 + r_B^2 + 2r_B\kappa\cos\delta_B\cos\gamma$$

$$A_{CP+} = \frac{2r_B\kappa\sin\delta_B\sin\gamma}{R_{CP+}}$$

δ_B = strong phase difference.
 r_B = amplitude ratio.
 κ = coherence factor.
 γ = CKM angle.

- Not sensitive to γ independently yet.
- Can provide input when combined with other LHCb analyses.

Analysis Summary:

- Rectangular cut based selection, optimised for the $B^0 \rightarrow D(KK)K^{*0}$ signal.
- Simultaneous fit to the B^0 invariant mass.

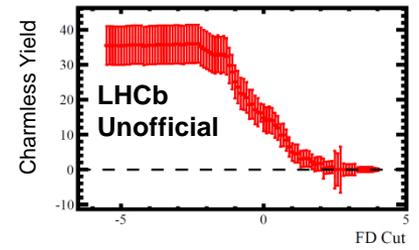
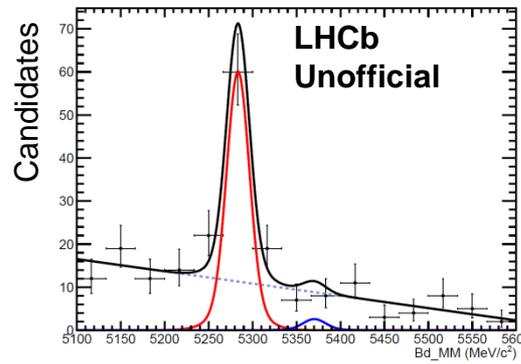
Backgrounds:

- $B \rightarrow D_{(s)}h$
- $\Lambda_b \rightarrow D^0 ph$
- $B^0 \rightarrow KKK^{*0}$
- $B_d^0 \rightarrow D\rho^0$
- $B_{(s)}^0 \rightarrow D^*K^{*0}$

Excluded with cuts

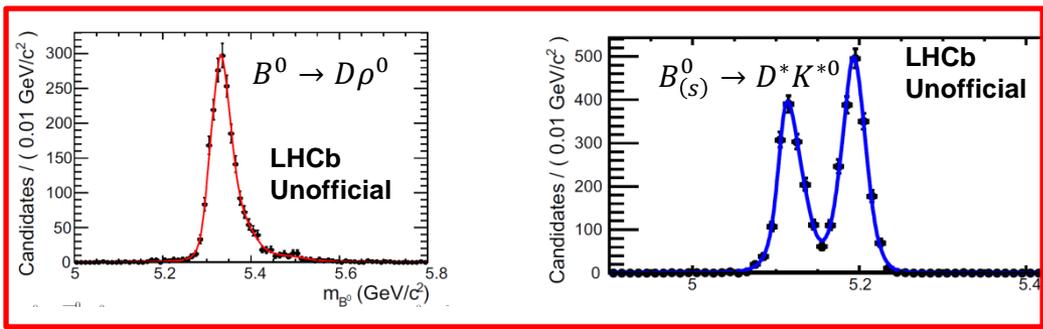
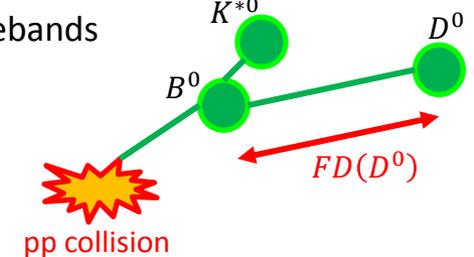
Charmless Background

Modelled

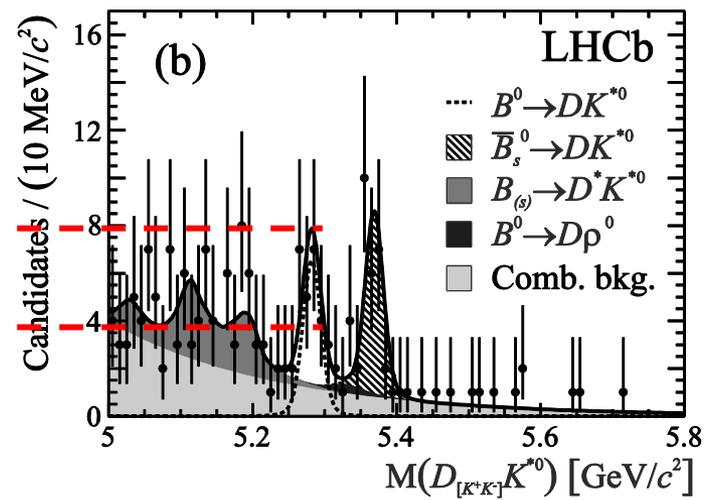
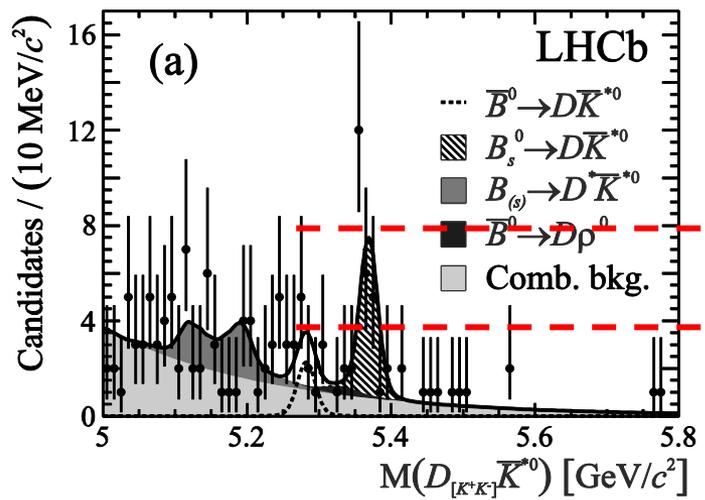


Reduced this yield to 0 with cut on D^0 flight distance.

B^0 invariant mass in D^0 sidebands

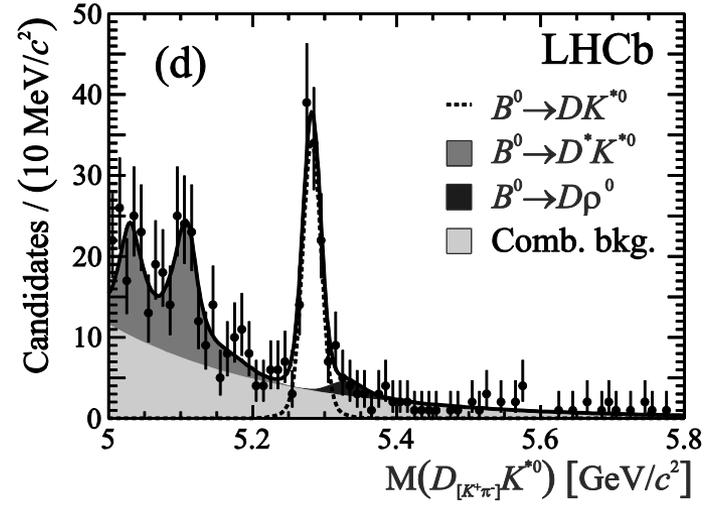
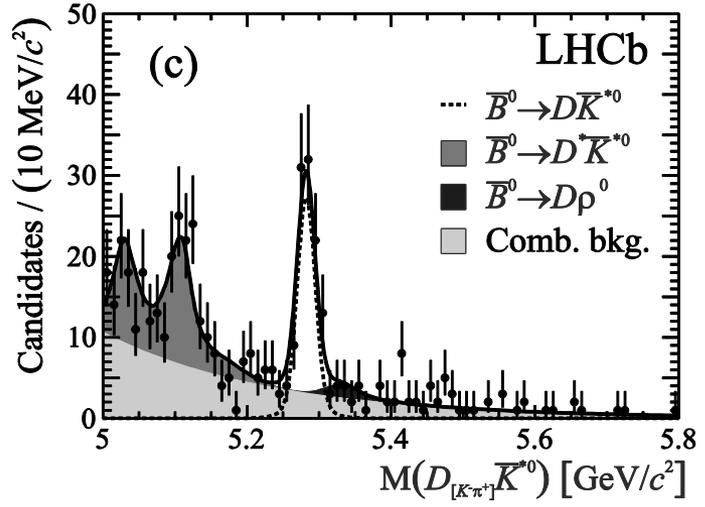


2011 Dataset = $1fb^{-1}$



(a) + (b) =
5.1σ observation
of
 $B^0 \rightarrow D(KK)K^{*0}$

Large CP
asymmetry



[JHEP 1303 (2013) 067]

Sources of systematic uncertainty:

- Production asymmetry.
- Trigger efficiency.
- Particle ID efficiency.
- Selection efficiency.
- Fit-related effects.
- Branching ratios.

External Input

Data-driven Calibration

Monte Carlo

Toy Experiments

Sources of systematic uncertainty:

- Production asymmetry.
- Trigger efficiency.
- Particle ID efficiency.
- Selection efficiency.
- Fit-related effects.
- Branching ratios.

External Input

Data-driven Calibration

Monte Carlo

Toy Experiments

$$A_{CP+} = -0.45 \pm 0.23 (stat) \pm 0.02 (syst)$$

$$R_{CP+} = 1.36_{-0.32}^{+0.37} (stat) \pm 0.07 (syst)$$

[JHEP 1303 (2013) 067]

What's missing? → **ADS observables** from $B^0 \rightarrow D^0(K^+\pi^-)K^{*0}$

$$R_{ADS} = r_B^2 + r_f^2 + 2r_B r_f \cos(\delta_B + \delta_f) \cos\gamma$$

$$A_{ADS} = \frac{2r_B r_f \kappa \sin(\delta_B + \delta_f) \sin\gamma}{R_{ADS}}$$

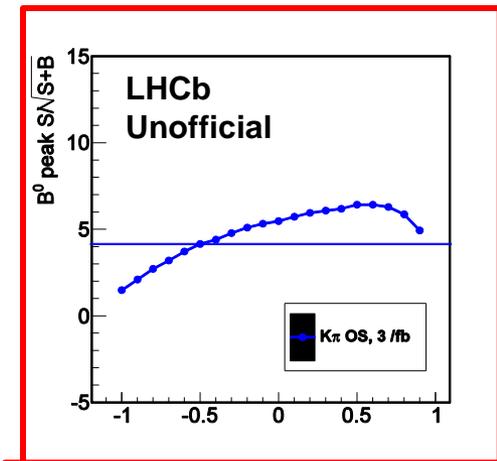
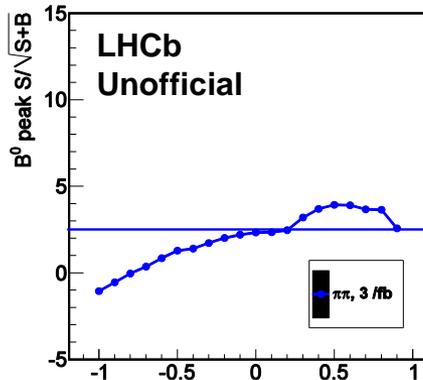
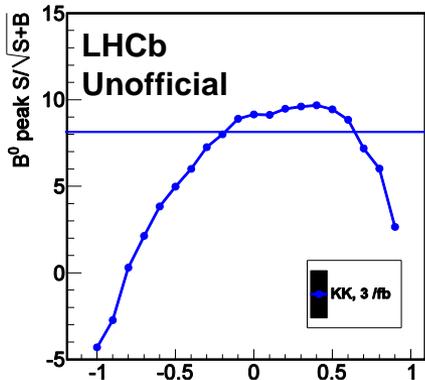
- Measured with non-CP eigenstate D^0 final states.
- r_f and δ_f depend on the final state.
- Potentially larger interference effects.
- Requires suppressed $D^0 \rightarrow K^+\pi^-$.

Future plans:

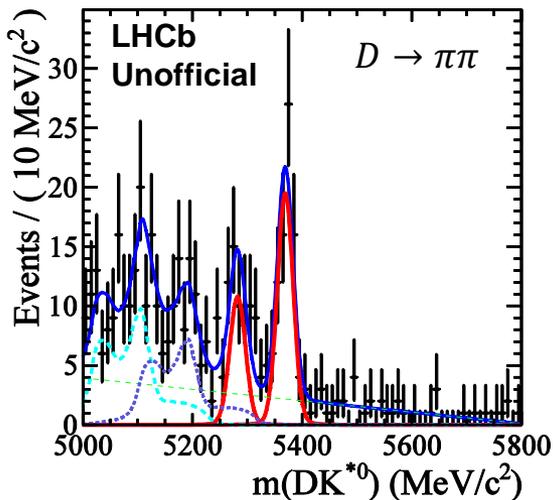
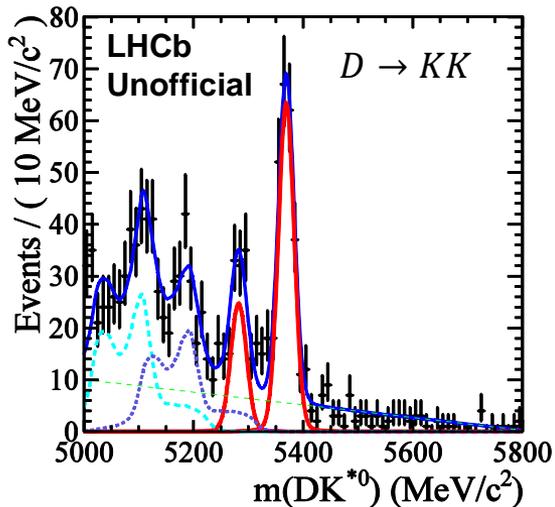
- ADS observables give sensitivity to γ → search for the suppressed mode.
- Move to a multi-variate selection.
- Additional constraints on A_{CP+} and R_{CP+} from $B^0 \rightarrow D(\pi\pi)K^{*0}$.

BDT Performance

(relative to rectangular cuts)



Suppressed ADS mode

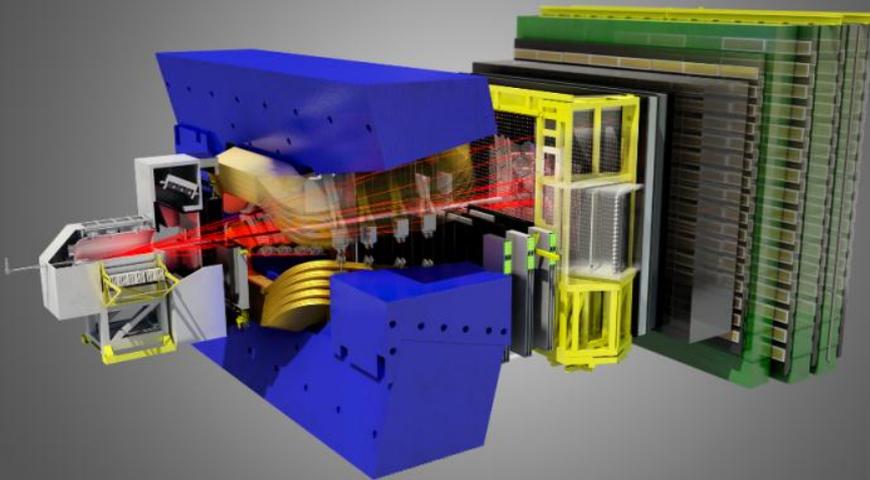


$2fb^{-1} 8TeV + 0.9fb^{-1} 7TeV$

$$\left(B \rightarrow D(KK)K^{*0} \right)$$

$$N_{2011+2012} = 3.1 \times N_{2011}$$

BACKUP



Datasets:

- 2011: $1fb^{-1}$ collected (published analysis).
- 2012: $2fb^{-1}$ collected (analysis in progress).

Detector:

- Trigger is 30% efficient for multibody hadronic final states.
- Makes use of unique detector elements e.g. RICH and VELO.

Acceptance

- pseudorapidity: $2 < \eta < 5$

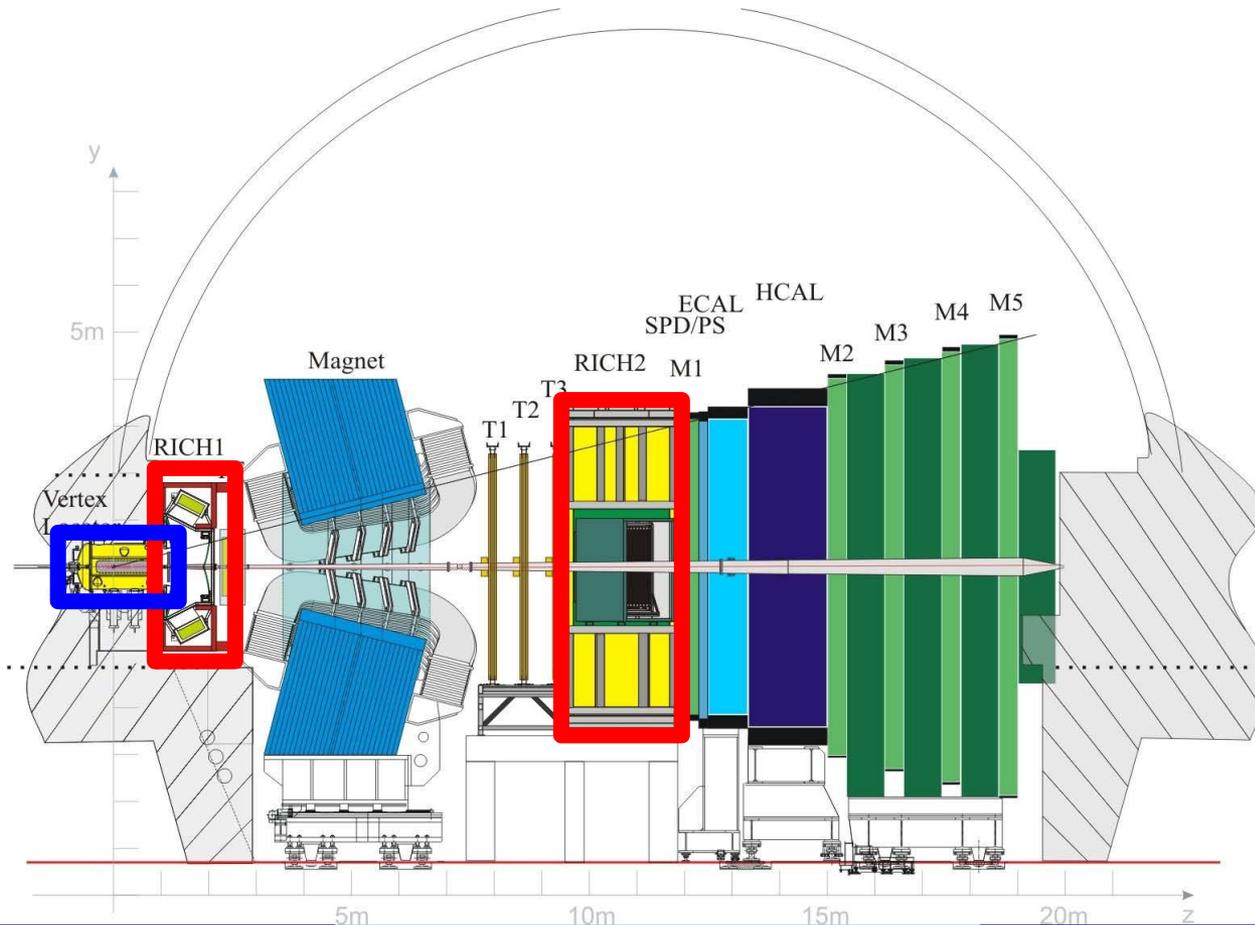
Resolutions

- momentum resolution: $\Delta p / p = 0.4 \%$ at 5 GeV/c to 0.6 % at 100 GeV/c
- ECAL resolution (nominal): $1 \% + 10 \% / \sqrt{E[\text{GeV}]}$
- impact parameter resolution: 20 μm for high-pT tracks
- invariant mass resolution: $\sim 8 \text{ MeV}/c^2$ for $B \rightarrow J/\psi X$ decays with constraint on J/ψ mass $\sim 22 \text{ MeV}/c^2$ for two-body B decays $\sim 100 \text{ MeV}/c^2$ for $B_s \rightarrow \phi \gamma$, dominated by photon contribution
- decay time resolution: 45 fs for $B_s \rightarrow J/\psi \phi$ and for $B_s \rightarrow D_s \pi$

Efficiencies

- percentage of working detector channels: $\sim 99 \%$ for all sub-detectors
- data taking efficiency: $> 90 \%$
- data good for analyses: $> 99 \%$
- trigger efficiencies: $\sim 90 \%$ for dimuon channels $\sim 30 \%$ for multi-body hadronic final states
- track reconstruction efficiency: $> 96 \%$ for long tracks
- electron ID efficiency: $\sim 90 \%$ for $\sim 5 \% e \rightarrow h$ mis-id probability
- kaon ID efficiency: $\sim 95 \%$ for $\sim 5 \% \pi \rightarrow K$ mis-id probability
- muon ID efficiency: $\sim 97 \%$ for 1-3 % $\pi \rightarrow \mu$ mis-id probability

- Huge $b\bar{b}$ cross section at the LHC.
- **VELO** – displaced vertex reconstruction.
- **RICH** – final state hadron identification.



Kinematic selection:

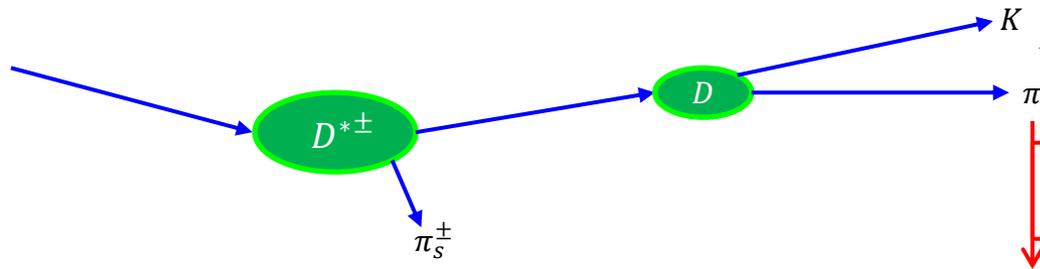
- $p_T(h_D) > 400\text{MeV}$
- $p_T(h_{K^{*0}}) > 300\text{MeV}$
- $Vertex\chi^2(B^0) < 4$
- $Vertex\chi^2(D^0) < 5$
- Flight distance significance > 2.5
- $Min\ IP\ \chi^2(K^{*0}) > 25$
- $Min\ IP\ \chi^2(D^0) > 4$
- $Min\ IP\ \chi^2(B^0) < 9$
- $\cos(\theta_{dira})(B^0) > 0.99995$
- $\Sigma_{tracks}\sqrt{IP\chi^2} > 32$
- $|M(D^0) - M_{pdg}(D^0)| < 20\text{MeV}$
- $|M(K^{*0}) - M_{pdg}(K^{*0})| < 50\text{MeV}$
- $|\cos(\theta^*)| > 0.4$
- $|M(K\pi\pi) - M_{pdg}(D^+)| > 15\text{MeV}$
- $|M(KK\pi) - M_{pdg}(D_s^+)| > 15\text{MeV}$

Particle ID:

- $D \rightarrow K\pi$
- $DLL_{K\pi}(K_D) > 0$
- $DLL_{K\pi}(\pi_D) < 4$
- $D \rightarrow KK$
- $DLL_{K\pi}(K_D) > 0$
- **ALL**
- $DLL_{K\pi}(\pi_{K^{*0}}) < 3$
- $DLL_{K\pi}(K_{K^{*0}}) > 3$
- $DLL_{pK}(K_{K^{*0}}) < 10$

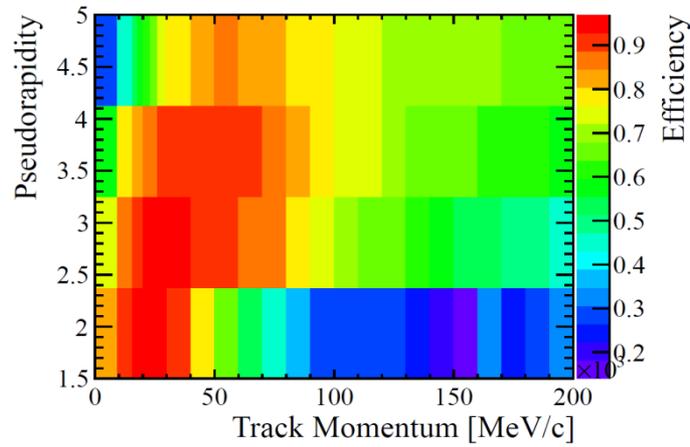
Multiple Candidate Removal: Keeping candidate with largest FDCHI2 of the B.

Calibration sample:

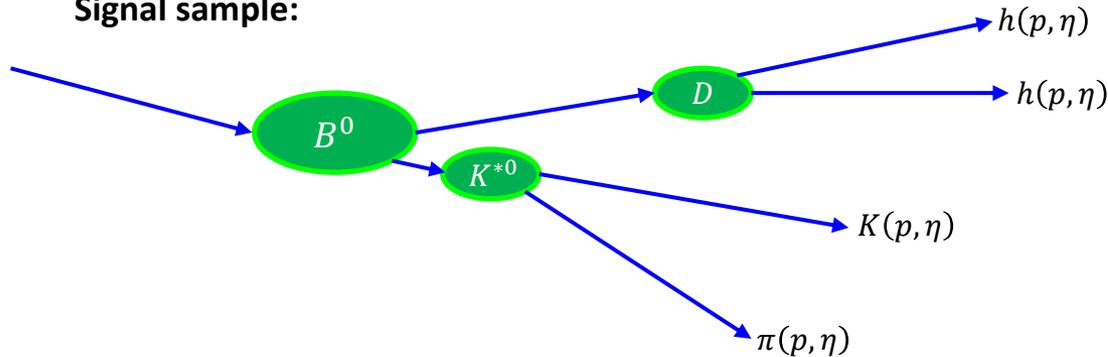


- Can identify these from their charges.
- No PID required.
- Pure samples of real K s and π s.

- Apply PID cut.
- Bin efficiency in kinematic variables.



Signal sample:



- Calibration histogram for each track.
- Efficiency taken from the histograms according to decay kinematics.
- Takes into account correlations between tracks in multi-body final states.

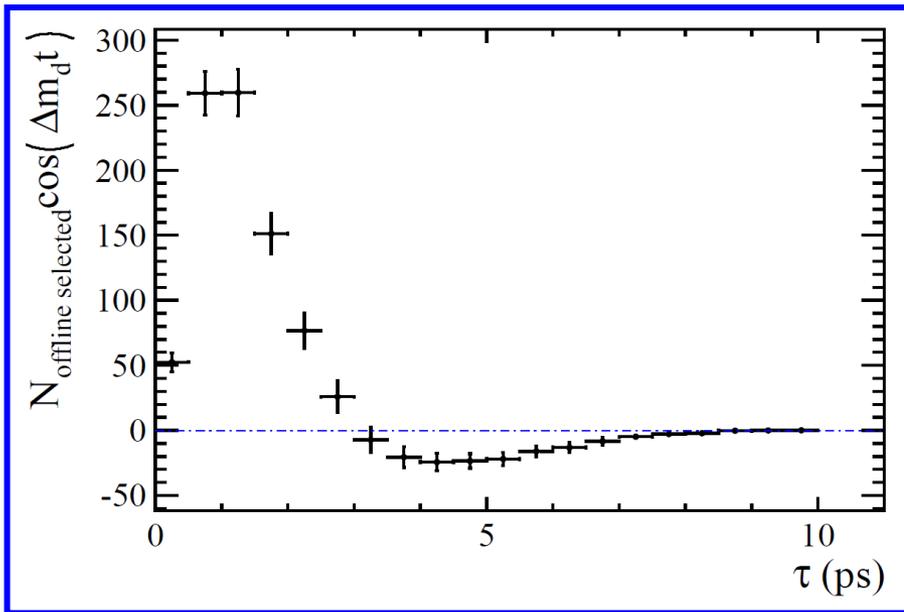
Correction factor

$$a_{prod}^d = \frac{1 - \kappa A_{prod}}{1 + \kappa A_{prod}}$$

Dilution due to mixing

$$\kappa(B^0 \rightarrow \bar{D}^0 K^{*0}) = \frac{\int_0^{+\infty} e^{-\Gamma_d t} \cos(\Delta m_d t) \epsilon_{B^0 \rightarrow \bar{D}^0 K^{*0}}(t) dt}{\int_0^{+\infty} e^{-\Gamma_d t} \cosh\left(\frac{\Delta \Gamma_d t}{2}\right) \epsilon_{B^0 \rightarrow \bar{D}^0 K^{*0}}(t) dt}$$

$$\kappa(B^0 \rightarrow \bar{D}^0 K^{*0}) = \frac{1}{N_{offline\ total}} \int_0^{+\infty} \cos(\Delta m_d t) N_{offline\ selected}(t) dt$$



$$A_{prod} = 0.010 \pm 0.013$$

External Input

$$\kappa = 0.456 \pm 0.011$$

- Monte Carlo for kinematic acceptance.
- Data-driven calibration for PID acceptance.