

Leading twist nuclear shadowing and J/ψ photoproduction in ultraperipheral collisions at the LHC

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VG, Kryshen, Strikman, Zhalov, PLB 726 (2013) 290
VG, Zhalov, JHEP 1310 (2013) 207
VG, Zhalov, JHEP 1402 (2014) 046
VG, Strikman, Zhalov, arXiv:1312.6486
VG, Zhalov, arXiv:1404.6101 and 1405.7529

J/ψ in Pb-Pb: gluon shadowing
 J/ψ in Pb-Pb: gluon PDFs in Pb & p
 J/ψ in pPb
 J/ψ in Pb-Pb: coh./incoh, n tagging
 J/ψ and $\psi(2S)$ in Pb-Pb & pp UPCs

**Workshop on photon-induced reactions at the LHC
CERN, June 2-4, 2014**

Outline:

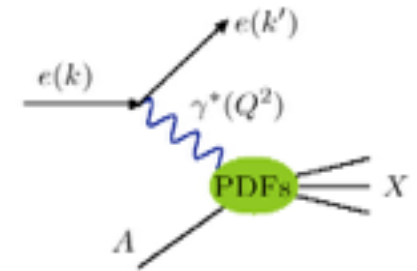
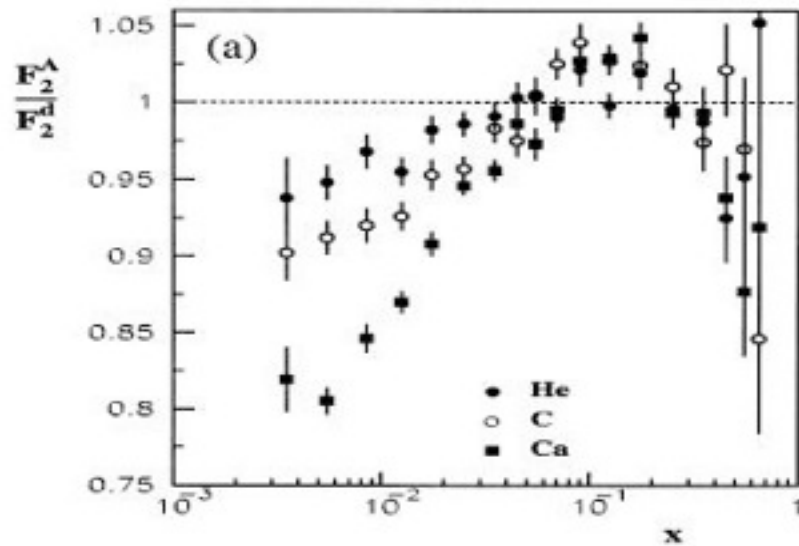
- Leading twist nuclear shadowing in nuclear PDFs
- Photoproduction of J/ψ in Pb-Pb UPCs at the LHC:
 - **coherent case**: ALICE data favors large gluon shadowing consistent with leading twist predictions
 - **incoherent case**: leading twist overpredicts shadowing suppression, issue of nucleon dissociation contribution
 - **UPCs accompanied by nucleus e.m. excitation of with subsequent neutron emission**: method to extend probed x .
- Photoproduction of $\psi(2S)$ in Pb-Pb UPCs

Nuclear shadowing

- Deep inelastic scattering (DIS) with nuclear targets

$$F_{2A}(x) \neq \int_x^A \frac{dy}{y} n(y) F_{2N}(x/y) \approx AF_{2N}(x)$$

Piller, Weise, Phys. Rept. 330 (2000) 1



$$(k' - k)^2 = q^2 = -Q^2$$

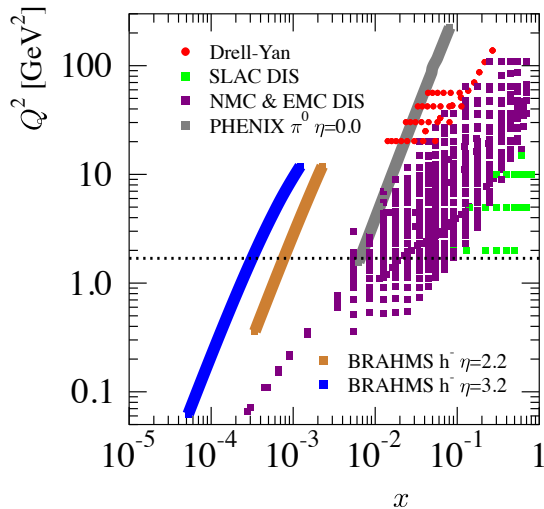
$$x = A \frac{Q^2}{2(p_A \cdot q)}$$

- 4 regions: **shadowing** ($x < 0.05$), **antishadowing** ($0.05 < x < 0.2$), **EMC effect** ($0.2 < x < 0.8$), **Fermi motion** ($x > 0.8$).

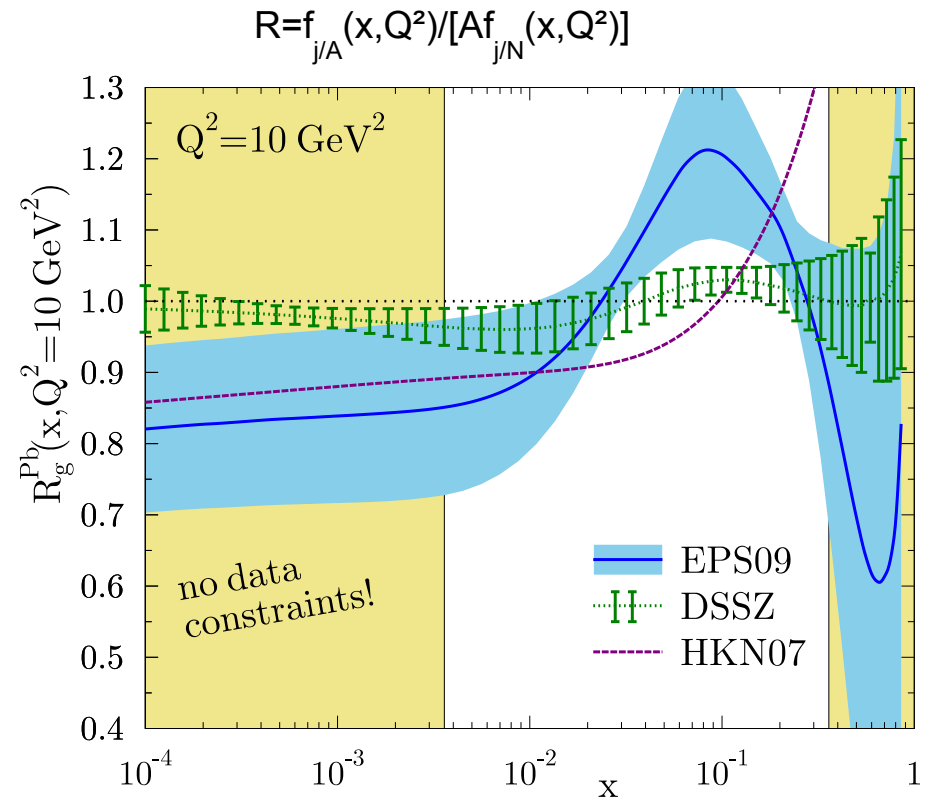
Nuclear parton distributions

- Nuclear PDFs from global QCD fits: data + collinear factorization + DGLAP (Q^2) evolution

$$F_{2A}(x, Q^2) = x \sum_{j=q, \bar{q}, g} \int_{\beta}^1 \frac{dy}{y} C_j\left(\frac{x}{y}, Q^2\right) f_{j/A}(y, Q^2)$$



Eskola, Puukkunen, Salgado, JHEP 04 (2009) 065



- Resulting nuclear gluon PDF has rather large uncertainty due to:

- limited kinematics of used data
- indirect extraction of gluons via Q^2 evolution
- assumptions about the initial shape
- different choice/treatment of data used in fits

Eskola, Puukkunen, arXiv:1401.2345

Leading twist theory of nuclear shadowing

Method to evaluate **parton (sea quark and gluon) distributions in nuclei** for small x as a function of x and impact parameter b at certain input scale Q_0 . Further Q^2 dependence given by DGLAP.

The approach is based on:

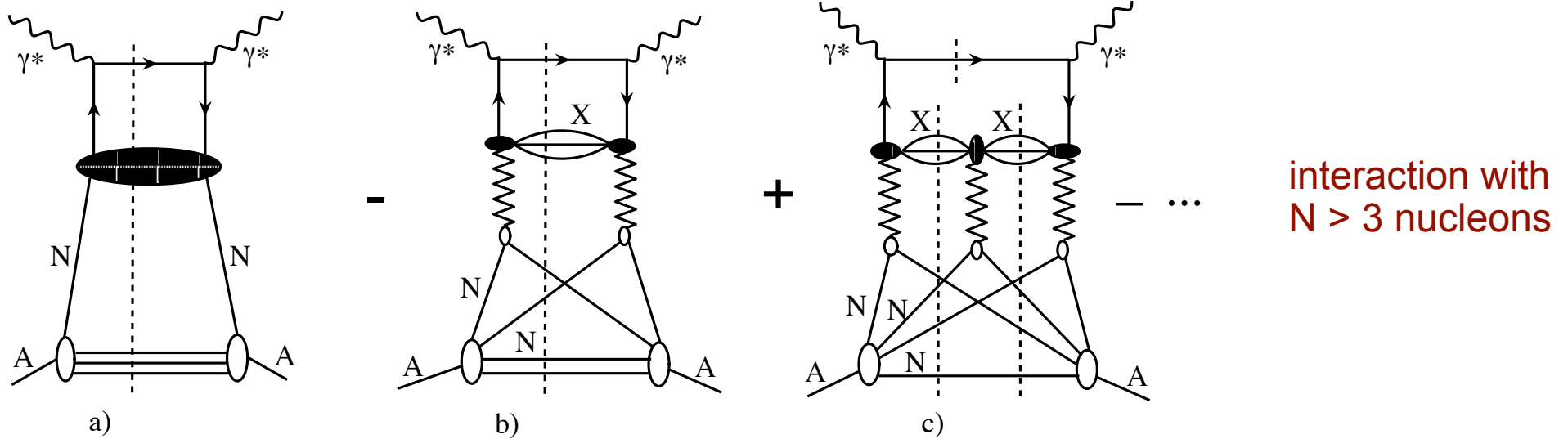
Frankfurt, VG, Strikman, Phys. Rept. 512 (2012) 255

- The picture of the strong interactions at high energies in the laboratory frame, Gribov-Glauber shadowing theory and its extension to eA DIS → **expression for $F_{2A}(x, Q^2)$ in terms of proton diffractive structure function**
- Collinear factorization for total and diffractive DIS cross sections → **from $F_{2A}(x, Q^2)$ to individual nuclear parton distributions $f_{j/A}(x, Q^2)$**
- Diffractive parton distributions in the proton (HERA) → **input for predictions**

The name “*leading twist*”: shadowing in terms of diffraction which is leading twist (one of major HERA results)

Leading twist nuclear shadowing and nuclear PDFs

Gribov-Glauber multiple scattering series can be generalized from hA to eA DIS. Using QCD factorization, the series can be written for individual parton flavors j :



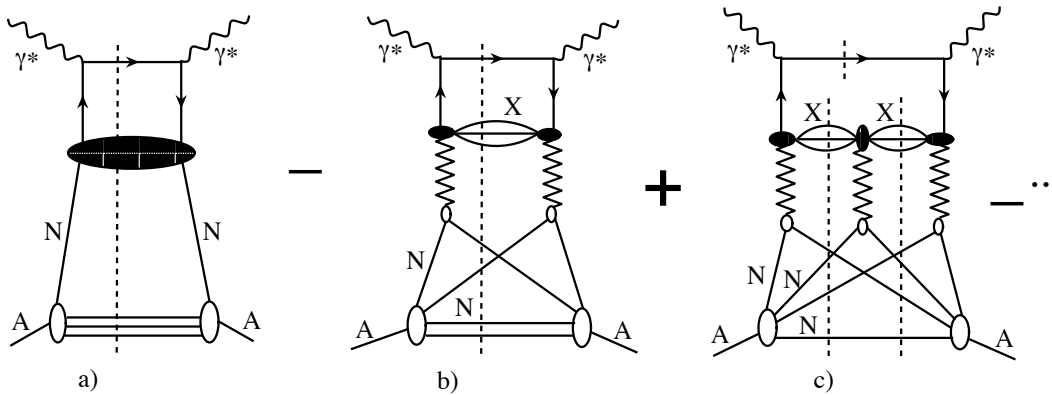
$$x f_{j/A}(x, Q_0^2) = A x f_{j/N}(x, Q_0^2) - 8\pi A(A-1) \Re e \frac{(1-i\eta)^2}{1+\eta^2} B_{\text{diff}} \int_x^{0.1} dx_P \beta f_j^{D(3)}(\beta, Q_0^2, x_P) \times \int d^2b \int_{-\infty}^{\infty} dz_1 \int_{z_1}^{\infty} dz_2 \rho_A(\vec{b}, z_1) \rho_A(\vec{b}, z_2) e^{i(z_1-z_2)x_P m_N} e^{-\frac{A}{2}(1-i\eta)\sigma_{\text{soft}}^j(x, Q_0^2) \int_{z_1}^{z_2} dz' \rho_A(\vec{b}, z')}$$

Nuclear part same as in hA (Glauber method)

Input:

- proton diffractive PDFs $f_j^{D(3)}$
- diffractive slope B_{diff}
- effective cross section σ_{soft} : need to model

Model independence and model-dependence

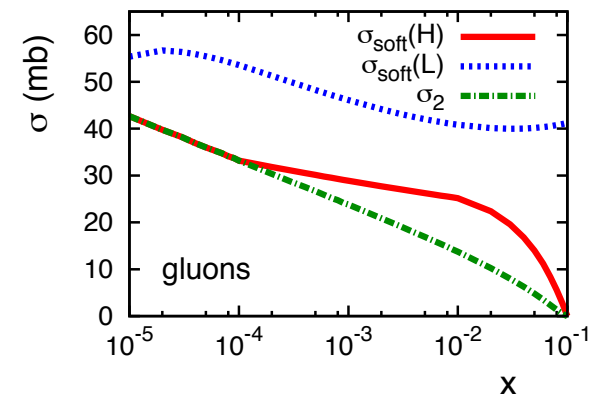
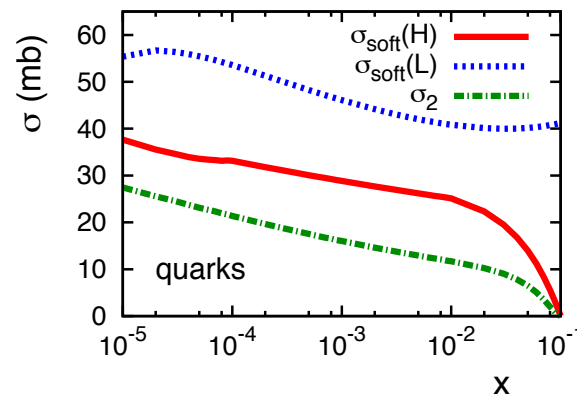


interaction with
N > 3 nucleons

$$x f_{j/A}(x, Q_0^2) = A x f_{j/N}(x, Q_0^2) - 8\pi A(A-1) \Re e \frac{(1-i\eta)^2}{1+\eta^2} B_{\text{diff}} \int_x^{0.1} dx_P \beta f_j^{D(3)}(\beta, Q_0^2, x_P) \\ \times \int d^2b \int_{-\infty}^{\infty} dz_1 \int_{z_1}^{\infty} dz_2 \rho_A(\vec{b}, z_1) \rho_A(\vec{b}, z_2) e^{i(z_1-z_2)x_P m_N} e^{-\frac{A}{2}(1-i\eta)\sigma_{\text{soft}}^j(x, Q_0^2) \int_{z_1}^{z_2} dz' \rho_A(\vec{b}, z')}$$

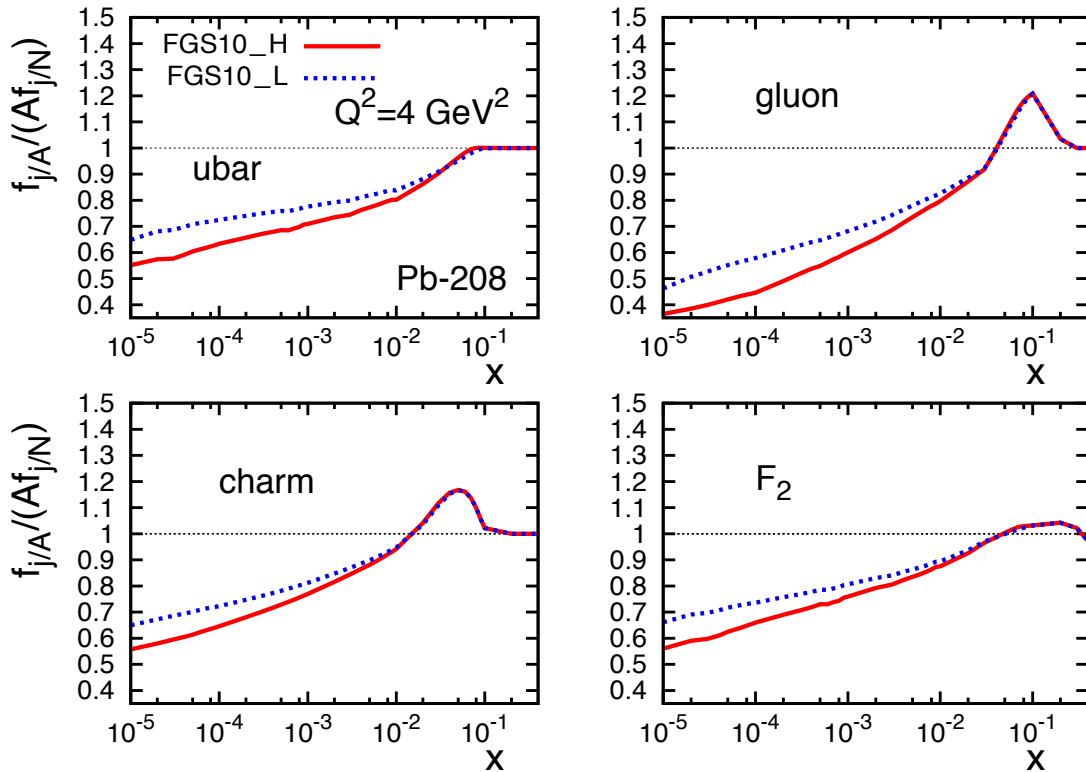
The interaction with $N \geq 3$ nucleons requires model for σ_{soft}
(we used the formalism of cross section fluctuations)

The result for double scattering
is model-independent:
Gribov's connection between
shadowing and elem. diffraction



$$\frac{\langle \sigma^2 \rangle}{\langle \sigma \rangle} \equiv \sigma_2(x, \mu^2) = \frac{16\pi B_{\text{diff}}}{(1+\eta^2)x G_N(x, \mu^2)} \int_x^{0.1} dx_P \beta G_N^{D(3)}(\beta, \mu^2, x_P)$$

Predictions for nuclear PDFs



- Model dependence is small for not too small x and medium $A \rightarrow$ can be reduced by varying A
- Antishadowing is modeled using momentum sum rule

- Predicted large shadowing for sea quarks and gluons
- **Gluon shadowing** > **quark shadowing** \rightarrow large shadowing for $F_L^A(x, Q^2)$

While EIC and LHeC are ideal places to test our predictions, photoproduction of charmonium in Pb-Pb UPCs at the LHC can also be used to constrain gluon shadowing.

Exclusive J/ψ photoproduction in Pb-Pb UPCs at LHC

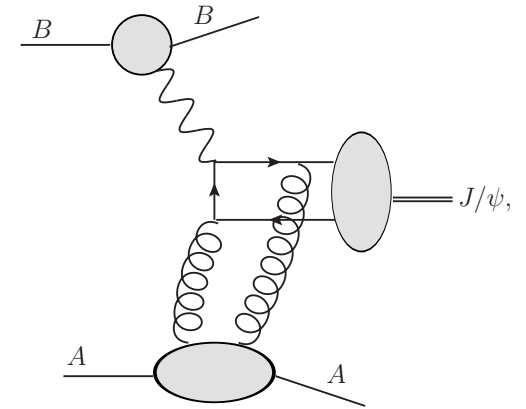
- Recently ALICE at the LHC measured exclusive J/ψ photoproduction in Pb-Pb UPCs

Abelev *et al.* [ALICE], PLB718 (2013) 1273; Abbas *et al.* [ALICE], EPJ C (2013) 73:2617

$$d\sigma^{\text{coh}}(y \approx -3)/dy = 1 \pm 0.18_{-0.26}^{+0.24} \text{ mb}$$

$$d\sigma^{\text{coh}}(y \approx 0)/dy = 2.38_{-0.24}^{+0.34} \text{ mb}$$

$$y = \frac{1}{2} \ln \left(\frac{E + p_L}{E - p_L} \right) \text{ is rapidity of } J/\psi$$

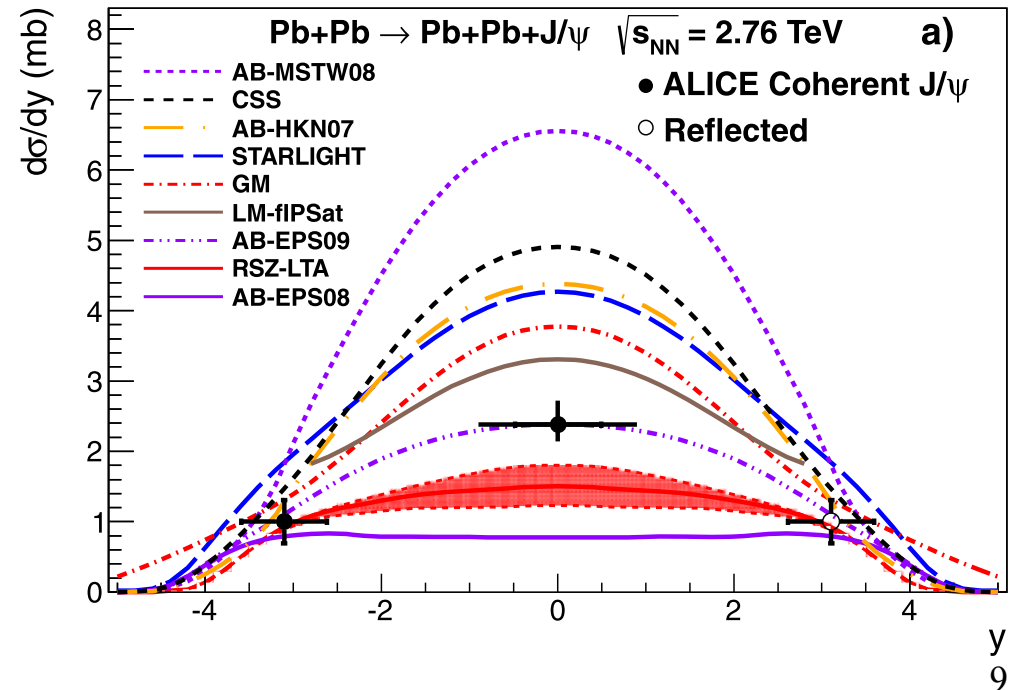


- Main conclusion: data in agreement with models with nuclear gluon shadowing

Since $x = \frac{M_{J/\psi}}{\sqrt{s}} e^{-y}$

$y = -3 \rightarrow x = 0.02$

$y = 0 \rightarrow x = 0.001$ in probed $g_A(x, Q^2)$



Shadowing suppression from J/ψ photoproduction in Pb-Pb UPC

- AA UPCs = photon-nucleus interactions

VG, Kryshen, Strikman, Zhalov, PLB726 (2013) 270

$$\frac{d\sigma_{AA \rightarrow AA J/\psi}(y)}{dy} = N_{\gamma/A}(y) \sigma_{\gamma A \rightarrow A J/\psi}(y) + N_{\gamma/A}(-y) \sigma_{\gamma A \rightarrow A J/\psi}(-y)$$

$y = \ln(2\omega/M_{J/\psi}) = \ln(W_{\gamma p}^2/(2\gamma_L m_N M_{J/\psi}))$ is the J/ψ rapidity

Photon flux of Pb (known with a few percent accuracy)

- The ALICE experimental values for $d\sigma_{PbPb \rightarrow PbPb J/\psi}/dy$ can be converted to:

$$\sigma_{\gamma Pb \rightarrow J/\psi Pb}(W_{\gamma p} = 92.4 \text{ GeV}) = 17.6_{-2.0}^{+2.7} \mu\text{b},$$

$$\sigma_{\gamma Pb \rightarrow J/\psi Pb}(W_{\gamma p} = 19.6 \text{ GeV}) = 6.1_{-2.0}^{+1.8} \mu\text{b}$$

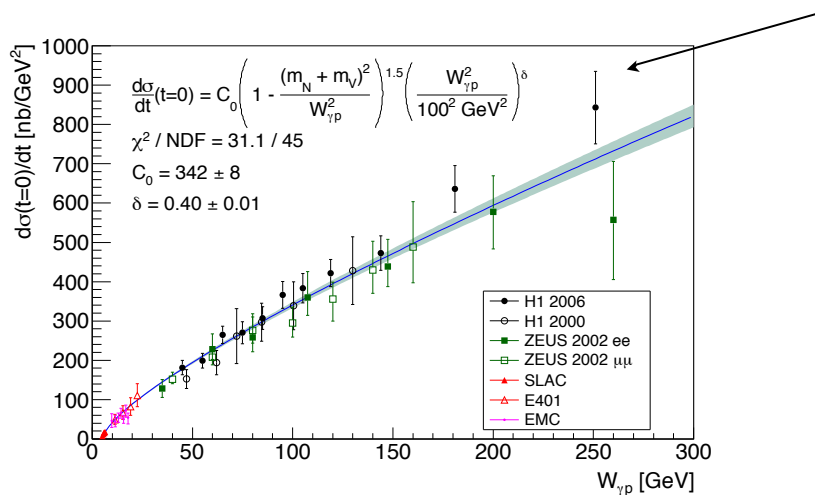
Shadowing suppression from J/ψ photoproduction in Pb-Pb UPC (2)

- It is convenient to express the result in terms of the suppression factor **S**:

$$S(W_{\gamma p}) \equiv \left[\frac{\sigma_{\gamma Pb \rightarrow J/\psi Pb}^{\text{exp}}(W_{\gamma p})}{\sigma_{\gamma Pb \rightarrow J/\psi Pb}^{\text{IA}}(W_{\gamma p})} \right]^{1/2}$$

- The denominator of **S** is the cross section in the impulse approximation:

$$\sigma_{\gamma Pb \rightarrow J/\psi Pb}^{\text{IA}}(W_{\gamma p}) = \frac{d\sigma_{\gamma p \rightarrow J/\psi p}(W_{\gamma p}, t=0)}{dt} \Phi_A(t_{\min})$$



Calculated using nuclear form factor

$$\Phi_A(t_{\min}) = \int_{-\infty}^{t_{\min}} dt |F_A(t)|^2$$

- Model-independent determination of **S**:

$$S(W_{\gamma p} = 92.4 \text{ GeV}) = 0.61^{+0.05}_{-0.04}$$

$$S(W_{\gamma p} = 19.6 \text{ GeV}) = 0.74^{+0.11}_{-0.12}$$

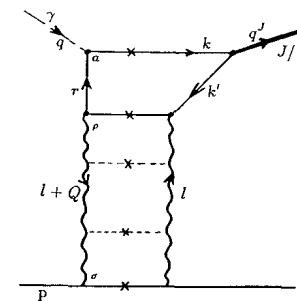
- **S** can be interpreted as suppression due to the nuclear gluon shadowing.

Implications for nuclear gluon shadowing

- At the **leading order pQCD** and non-relativistic limit for the J/ψ wave function :

$$\frac{d\sigma_{\gamma T \rightarrow J/\psi T}(W, t=0)}{dt} = C(\mu^2) [xG_T(x, \mu^2)]^2$$

$$x = \frac{M_{J/\psi}^2}{W^2}, \quad \mu^2 = M_{J/\psi}/4 = 2.4 \text{ GeV}^2 \quad C(\mu^2) = M_{J/\psi}^3 \Gamma_{ee} \pi^3 \alpha_s(\mu^2) / (48 \alpha_{em} \mu^8)$$



M. Ryskin (1993)

- Applying to nuclear and proton targets :

$$\sigma_{\gamma A \rightarrow J/\psi A}^{\text{pQCD}}(W_{\gamma p}) = \frac{d\sigma_{\gamma p \rightarrow J/\psi p}(W_{\gamma p}, t=0)}{dt} \left[\frac{G_A(x, \mu^2)}{AG_N(x, \mu^2)} \right]^2 \Phi_A(t_{\min})$$



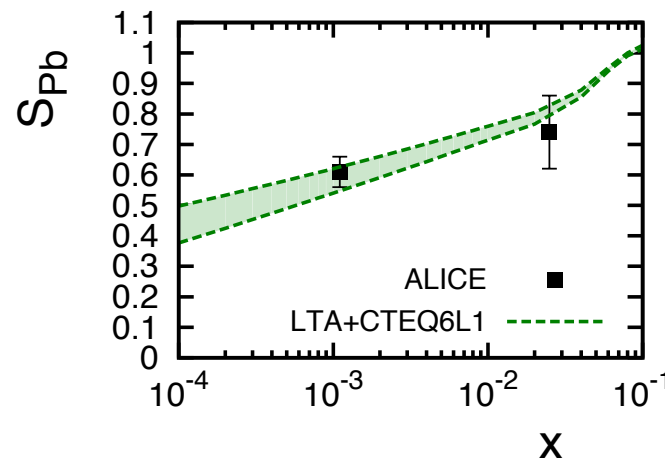
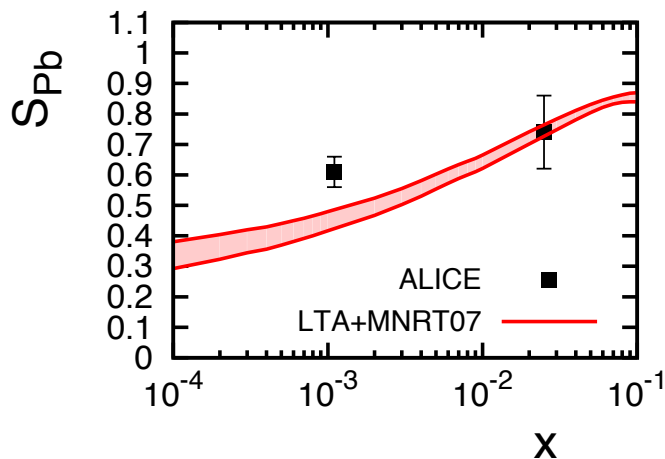
$$S_A(W) = \frac{G_A(x, \mu^2)}{AG_N(x, \mu^2)}$$

VG, Kryshen, Strikman, Zhalov, PLB726 (2013) 270
 VG, Zhalov JHEP 1310 (2013) 207

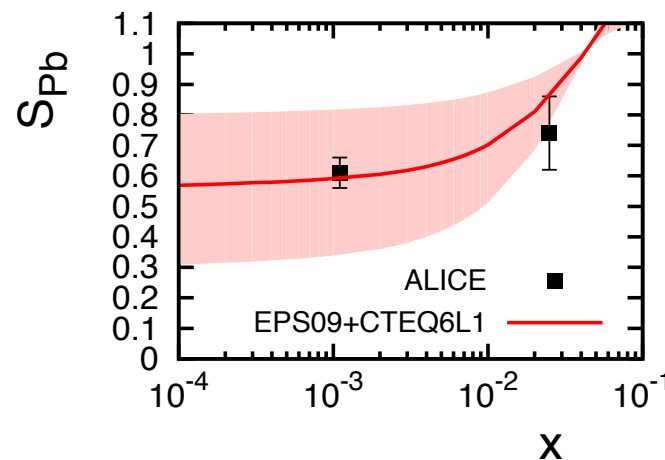
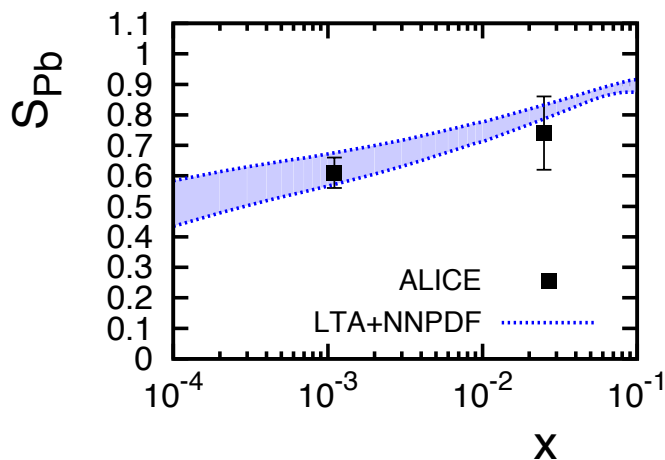
- In practice, we also included several corrections (**real part, skewness**) and slightly varied μ^2 to reproduce W -dependence of $\gamma + p \rightarrow J/\psi + p$ cross section.

Implications for nuclear gluon shadowing (2)

- Taking $\frac{G_A(x, \mu^2)}{AG_N(x, \mu^2)}$ from the leading twist theory of nuclear shadowing and global fits:



$\mu^2=3 \text{ GeV}^2$

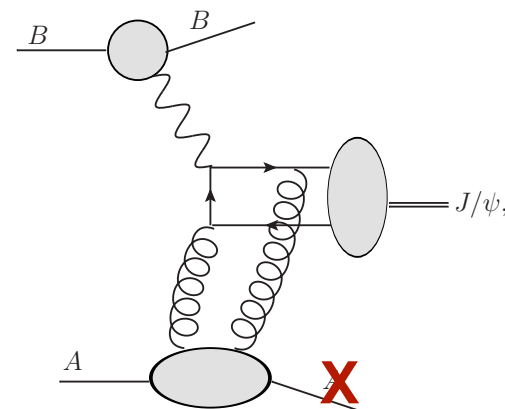


ALICE data gives first direct evidence of large nuclear gluon shadowing at $x=0.001$.

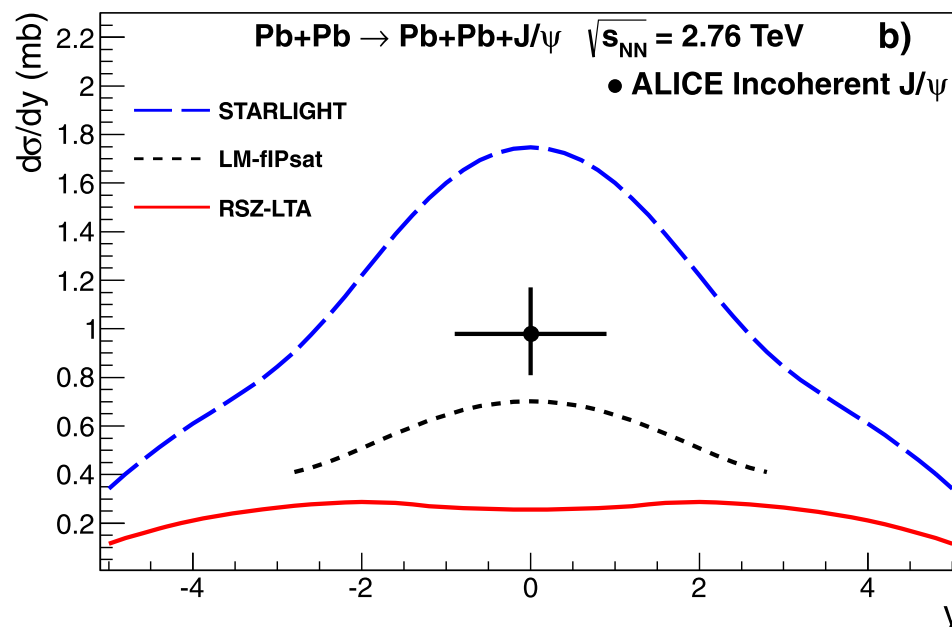
Incoherent J/ψ photoproduction in Pb-Pb UPCs at LHC

- ALICE also measured incoherent J/ψ photoproduction in Pb-Pb UPCs, [Abbas et al. \[ALICE\], EPJ C \(2013\) 73:2617](#)

$$d\sigma^{\text{incoh}}(y \approx 0)/dy = 0.98^{+0.19}_{-0.17} \text{ mb}$$



- Conclusion at the time of publication: [models cannot reproduce the data](#)



However, see talks of V. Goncalves and H. Mäntysaari at this workshop.

Incoherent J/ψ photoproduction in Pb-Pb UPCs at LHC (2)

- **Leading twist theory of nuclear shadowing** makes predictions for incoherent case without introducing extra parameters:

VG, Strikman, Zhilov, arXiv:1312.6486

$$S_{\text{incoh}}(W_{\gamma p}) \equiv \frac{d\sigma_{\gamma A \rightarrow J/\psi A'}^{\text{pQCD}}(W_{\gamma p})/dt}{A d\sigma_{\gamma p \rightarrow J/\psi p}^{\text{pQCD}}(W_{\gamma p})/dt} = \frac{1}{A} \int d^2\vec{b} T_A(b) \left[1 - \frac{\sigma_2}{\sigma_3} + \frac{\sigma_2}{\sigma_3} e^{-\sigma_3/2T_A(b)} \right]^2 \quad \sigma_3 = \sigma_{\text{soft}}$$

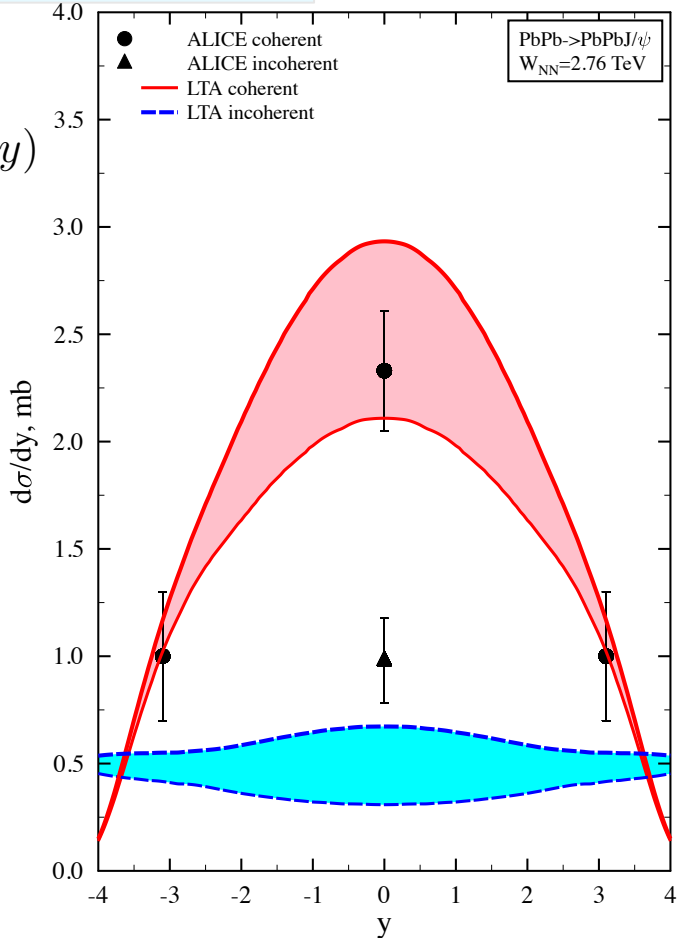


$$\frac{d\sigma_{AA \rightarrow AA' J/\psi}(y)}{dy} = N_{\gamma/A}(y) \sigma_{\gamma A \rightarrow J/\psi A'}(y) + N_{\gamma/A}(-y) \sigma_{\gamma A \rightarrow J/\psi A'}(-y)$$

- ... and predicts too much shadowing
- One possible source of discrepancy: contribution of nucleon dissociation $\gamma + N \rightarrow J/\psi + Y$

This contribution:

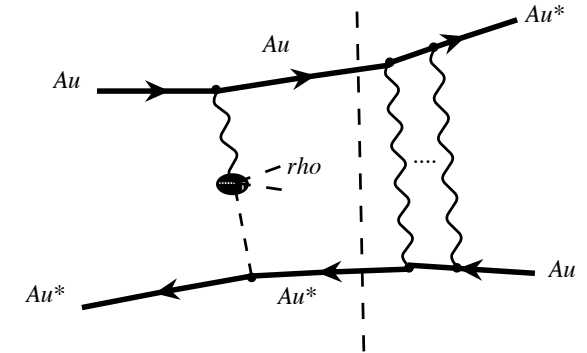
- sizable: $(d\sigma_{\gamma p \rightarrow J/\psi Y}/dt)/(d\sigma_{\gamma p \rightarrow J/\psi p}/dt) \approx 0.15$ at $t \approx 0$
- $\sigma_{\gamma p \rightarrow J/\psi Y}/\sigma_{\gamma p \rightarrow J/\psi p} \approx 0.8$ for the t -integrated cross sections
- has different t -dependence \rightarrow **can be used to constrain experimentally.**



UPCs accompanied by neutron emission

- UPCs can be also accompanied by **additional photon exchanges** leading to e.m. excitation to one or both nuclei with subsequent **neutron emission**.

Baltz, Klein, Nystrand (2002)



- Additional photon exchanges cost $Z^2 \alpha_{e.m.}^2 \approx 0.3 - 04$ and can be taken into account by modification of photon flux:

$$N_{\gamma/A}^i(\omega) = \int_{2R_A}^{\infty} d^2b N_{\gamma/A}(\omega, \vec{b}) P_i(\vec{b}),$$

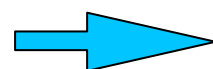
impact-parameter dependent factor for different decay channels (i=0n0n, Xn0n, XnXn)

- Measuring any two channels one can separate high- ω (ω_1) and low- ω (ω_2) contrib's:

Rebyakova, Strikman, Zhalov (2012)

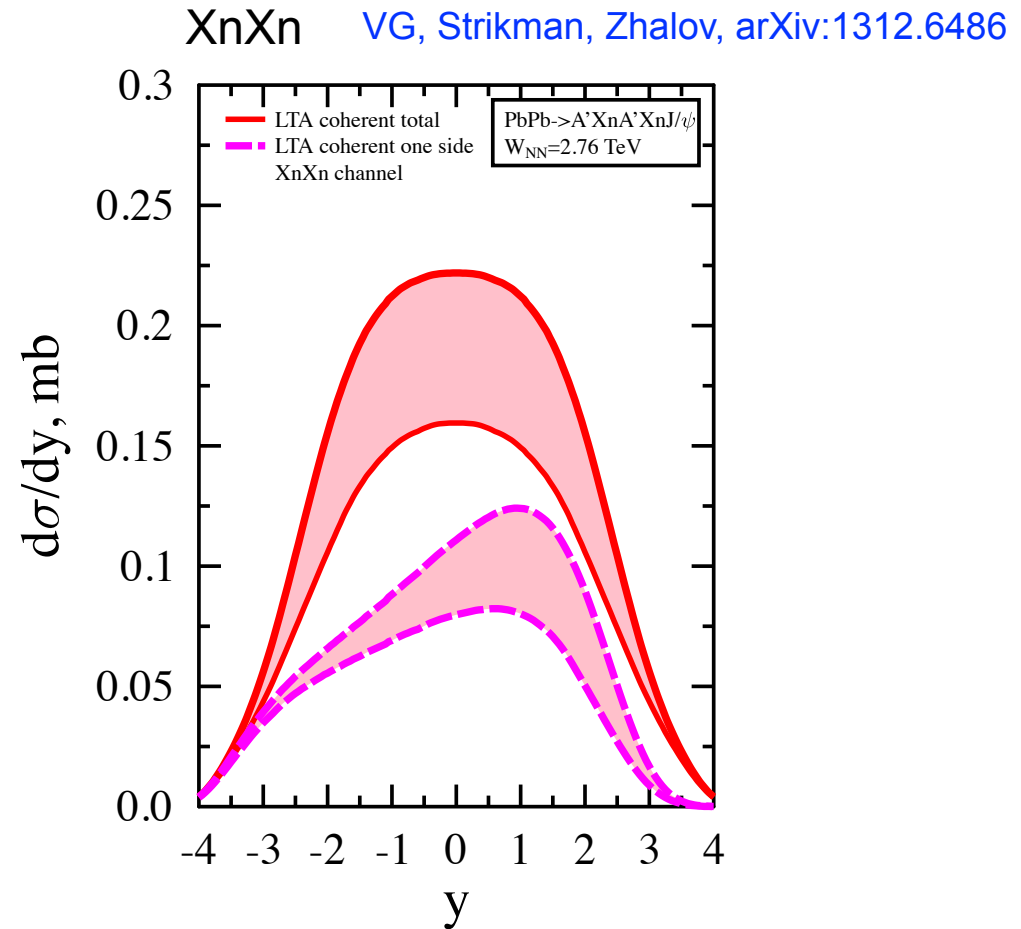
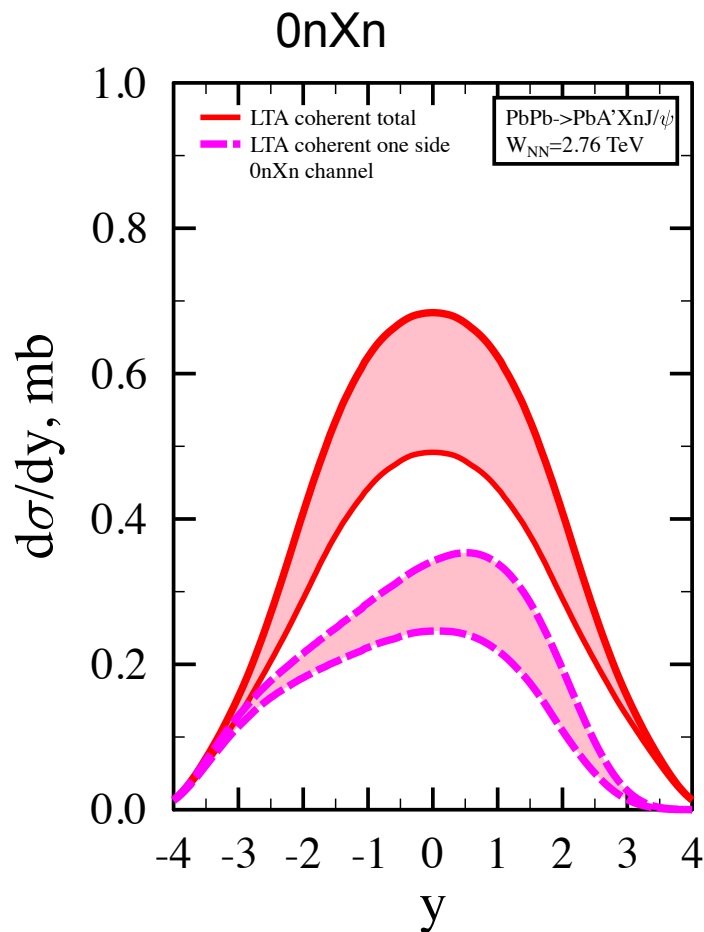
$$d\sigma^{0nXn}/dy = N_{\gamma}^{0nXn}(\omega_1)\sigma_{\gamma \rightarrow J/\psi}(\omega_1) + N_{\gamma}^{0nXn}(\omega_2)\sigma_{\gamma \rightarrow J/\psi}(\omega_2),$$

$$d\sigma^{XnXn}/dy = N_{\gamma}^{XnXn}(\omega_1)\sigma_{\gamma \rightarrow J/\psi}(\omega_1) + N_{\gamma}^{XnXn}(\omega_2)\sigma_{\gamma \rightarrow J/\psi}(\omega_2)$$



possibility to extend probed values of x!

UPCs accompanied by neutron emission (2)

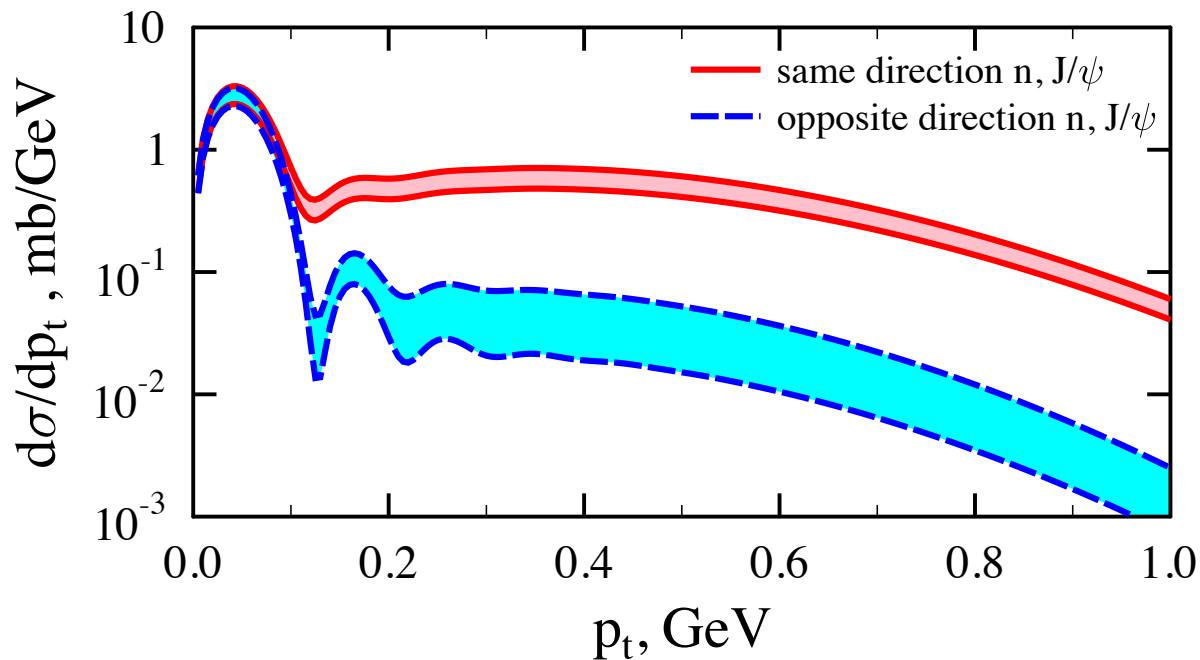


In the rapidity range $1.5 < y < 2.5$, the separation of the ω_1 and ω_2 terms will allow one to probe gluon density in Pb down to $x=10^{-4}$

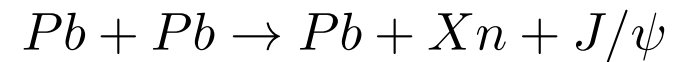
→ order of magnitude smaller than can do without neutron tagging.

UPCs accompanied by neutron emission (3)

In the **incoherent case** in the $0nXn$ -channel, one can separate the ω_1 and ω_2 terms by studying **correlation** between direction of J/ψ and **neutrons**.



VG, Strikman, Zhilov, arXiv:1312.6486



$$\sqrt{s} = 2.76 \text{ TeV}$$

$$1.5 < y < 2.5$$

Coherent+incoherent

- upper: low- ω
- lower: high- ω

- For **coherent contribution** at small p_t , directions of J/ψ and **neutrons** are not correlated since e.m. excitation is independent from coherent photoproduction.
- For **incoherent contribution**, high-energy photons correspond to J/ψ and **neutrons (target)** moving in opposite directions → **possibility to probe smaller x_A**

Photoproduction of $\psi(2S)$ in Pb-Pb UPCs

- In the leading logarithmic approximation of pQCD, photoproduction of $\psi(2S)$ and J/ψ on the same footing:

$$\frac{d\sigma_{\gamma T \rightarrow J/\psi[\psi(2S)]T}}{dt}(W_{\gamma p}, t_{\min}) = C(\mu^2)[\alpha_s(\mu^2)xG_T(x, \mu^2)]^2 F_T^2(t_{\min})$$

- In our implementation, the only difference is the value of μ^2

- $\mu^2=3 \text{ GeV}^2$ for J/ψ to reproduce $\sigma(\gamma p \rightarrow J/\psi p) \propto W^{0.8}$ H1, ZEUS

- $\mu^2=4 \text{ GeV}^2$ for $\psi(2S)$ to reproduce $R \equiv \frac{\sigma(\psi(2S))}{\sigma(J/\psi)} \propto \left(\frac{W_{\gamma p}}{90 \text{ GeV}}\right)^{\Delta\delta}$ $\Delta\delta = 0.24 \pm 0.17$
H1 (2002)

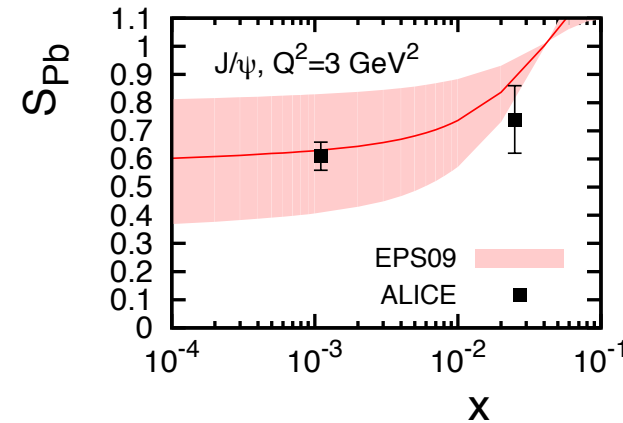
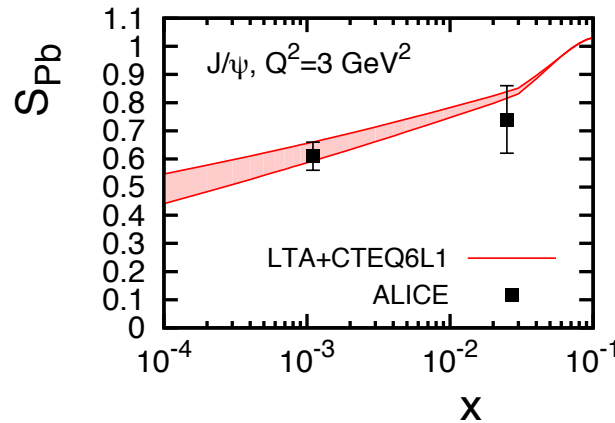
- Thus, the formalism predicts only the W -dependence of $\sigma(\gamma p \rightarrow \psi(2S)p)$. The normalization is fixed using the H1 result:

$$\frac{\sigma_{\gamma p \rightarrow \psi(2S)p}}{\sigma_{\gamma p \rightarrow J/\psi p}} = 0.166 \pm 0.007(\text{stat.}) \pm 0.008(\text{sys.}) \pm 0.007(\text{BR})$$

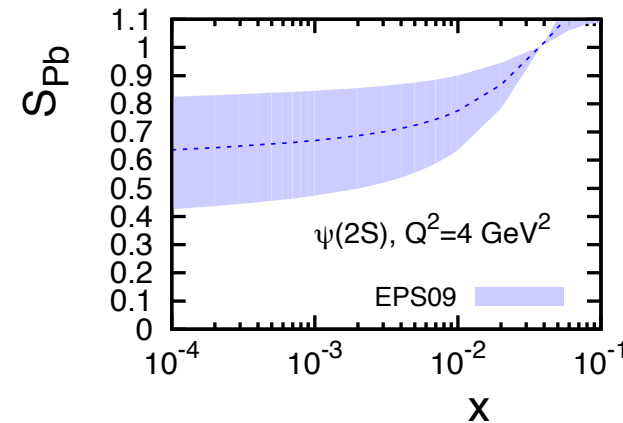
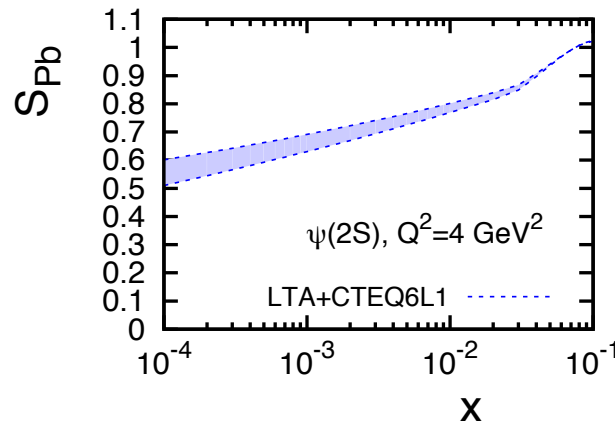
C. Adloff *et al.* [H1 Collaboration], PLB 541 (2002) 251

Photoproduction of $\psi(2S)$ in Pb-Pb UPCs (2)

- Leading twist shadowing suppression is very similar in J/ψ and $\psi(2S)$ cases:



VG, Zhilov,
arXiv:1404.6101



- The ratio of $\psi(2S)$ and J/ψ photoproduction cross sections in Pb-Pb UPCs is the same as in the proton case :

$$\frac{d\sigma_{AA \rightarrow AA\psi(2S)}(y)/dy(y=0)}{d\sigma_{AA \rightarrow AAJ/\psi}(y)/dy(y=0)} = \begin{cases} 0.15 - 0.16, & \text{LTA + CTEQ6L1} \\ 0.15^{+0.03}_{-0.01}, & \text{EPS09.} \end{cases}$$

Conclusions

- Nuclear parton distributions at small x are suppressed compared to free proton ones – nuclear shadowing. The magnitude of shadowing of the gluon distribution is unknown for $x < 0.01$.
- The leading twist theory of nuclear shadowing predicts large gluon shadowing. Predictions can be tested in photon-nucleus processes in UPCs at the LHC.
- Coherent photoproduction of J/ψ in Pb-Pb UPCs at the LHC gives first direct evidence of large nuclear gluon shadowing consistent with our predictions.
- In the incoherent channel, there is discrepancy between the data and our predictions, which we attribute to nucleon dissociation contribution.
- UPCs accompanied by e.m. excitations of nuclei with subsequent neutron emission can help to probe the nuclear gluon distribution at smaller x .
- Shadowing suppression for photoproduction of $\psi(2S)$ and J/ψ in Pb-Pb UPCs is predicted to be very similar.