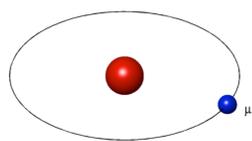


Abstract

Hydrogen-like muonic atoms are Coulomb bound states of a muon and a hadron. In ultrarelativistic heavy-ion collisions, due to the high particle multiplicities, a produced muon can be directly bound to a charged hadron, and form an atom. Among these atoms, the antimatter muonic hydrogen and the $K-\mu$ atom have been predicted but not yet been discovered. With muon identification at low transverse momentum from the Time-of-Flight detector, STAR provides a great opportunity to search for the muonic atoms with exotic cores, such as anti-matter or strange cores for the first time. This is also an ideal tool to measure the thermal emission from the Quark-Gluon Plasma via a direct measurement of the single muon spectrum. Because only thermal muons or muons from resonance decays are capable to form atoms, the background muons from weak decay are cleanly excluded.

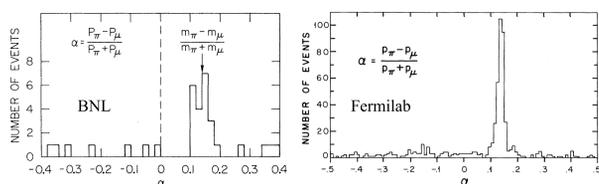


$\pi-\mu$ Atoms

To form atoms, two particles from the same atom must be close in phase-space, i.e. [1]

$$\alpha = \frac{|\vec{p}_\pi - \vec{p}_\mu|}{|\vec{p}_\pi + \vec{p}_\mu|} = \frac{|m_\pi \vec{v}_\pi - m_\mu \vec{v}_\mu|}{|m_\pi \vec{v}_\pi + m_\mu \vec{v}_\mu|} \approx \frac{m_\pi - m_\mu}{m_\pi + m_\mu} = 0.14$$

Pion-muon atoms have been observed in K_1^0 decay at Fermilab[2] and BNL[3]. However **antimatter/strange muonic atoms have not yet been discovered.**



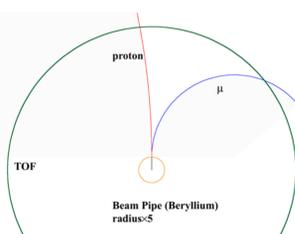
Estimations at STAR

A typical event at STAR

$$p_T(\mu) = 0.2 \text{ GeV}/c$$

$$p_T(p) = 1.77 \text{ GeV}/c$$

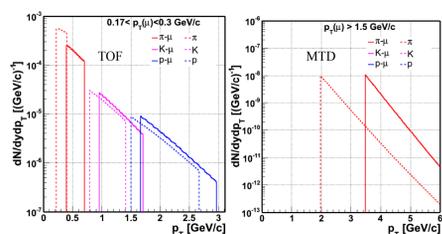
Atoms formed at the collision point, **disassociated by beam pipe** (ionization).



Atom formation occurs well after freeze-out through particle coalescence. It is only sensitive to the particle distributions at freeze-out [1]

$$\frac{dN_{\text{atom}}}{dy d^2 p_{\perp, \text{atom}}} = 8 \pi^2 \zeta(3) \alpha^3 m_{\text{red}}^2 \frac{dN_h}{dy d^2 p_{\perp, h}} \frac{dN_l}{dy d^2 p_{\perp, l}} \quad (1)$$

Muonic atom yields estimation with muon momentum accessible to STAR, calculated with STAR acceptance and the formula (1)[4][5]:



p_T ranges for muonic atoms accessible to STAR[5].

Atom	μp_T (GeV/c)	Hadron p_T	Atom p_T	dN/dy
$\mu - \pi$	[0.17, 0.3]	[0.22, 0.4]	[0.39, 0.7]	9×10^{-5}
$\mu - K$	[0.17, 0.3]	[0.8, 1.4]	[0.97, 1.7]	1×10^{-5}
$\mu - \bar{p}$	[0.17, 0.3]	[1.5, 2.7]	[1.7, 3.0]	4×10^{-6}
$\mu - \pi$	> 1.5	> 2	> 3.5	3×10^{-9}

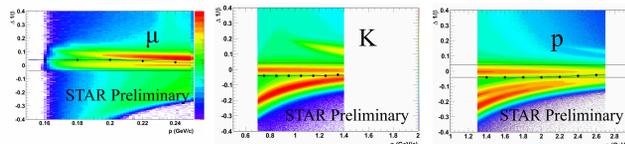
With the large amount of early produced (anti-)hadrons and muons, RHIC is able to produce all six of the above (anti-)atoms.

Particle Identification

The data set used is $\sqrt{s_{NN}} = 200 \text{ GeV}$ Au+Au central events in Run 10. A total of 230 million events have been analyzed. The two main detectors for particle identification are the Time-Projection Chamber and the Time-Of-Flight Detector.

Low transverse momentum muons are identified by first applying a tight TPC cut, $-3 < n\sigma_{dE/dx(\text{muon})} < -0.5$, and then applying the TOF cut. **The purity of the muon sample used in this analysis is 99%.**

$$\frac{\Delta\beta^{-1}}{\beta^{-1}} \Big|_{\mu} \equiv \frac{\beta_{\text{mea}}^{-1} - \beta_{\text{exp}}^{-1}}{\beta_{\text{mea}}^{-1}} = 1 - \beta_{\text{mea}} \sqrt{m_{\mu}^2 / p^2 + 1}$$



The corresponding kaons and protons are at TOF comfortable ranges as shown above.

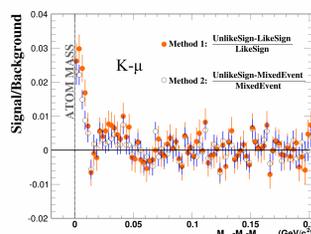
Invariant Mass

Invariant mass background is studied with two background subtraction methods.

Mixed-Event (ME) Method and Like-Sign (LS) Method. The LS background is then corrected for acceptance difference between like-sign and unlike-sign pairs.

$$LS_{\text{corrected}} = \sqrt{LS_{++} LS_{--}} \frac{ME_{+-}}{\sqrt{ME_{++} ME_{--}}}$$

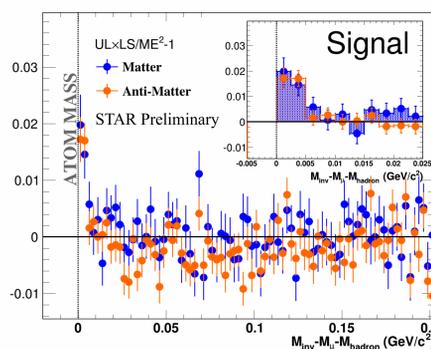
- Like-sign and Unlike-Sign have opposite Coulomb contributions, which causes the difference in LS and ME



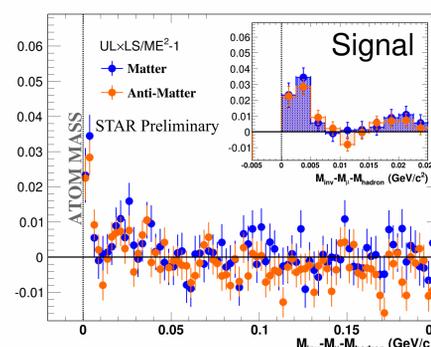
- the product cancels the major effect

$$SE_{+-} \times LS_{\text{corrected}} / ME_{+-}$$

The invariant mass distributions of $K-\mu$ pairs show peaks at the expected position (0 net mass).



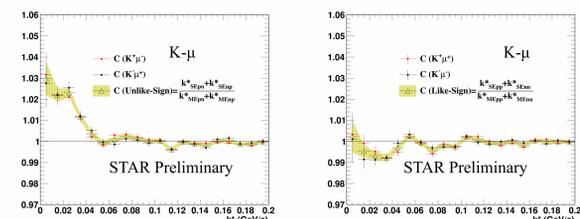
The mass distributions of (antimatter) muonic hydrogen also show sharp peaks at the expected position.



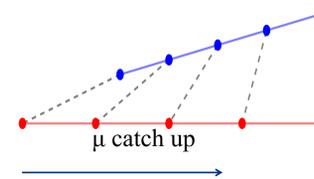
Two Particle Correlations

- k^* – the magnitude of the three-momentum of either particle in the pair rest frame.
- $C(k^*)$ – the ratio of the k^* distribution constructed from particles from the same events to that from particles from mixed events

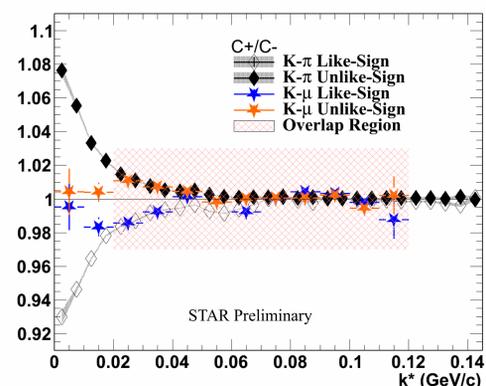
Correlation functions show the existence of Coulomb force[6] which is required by atom formation.



- $C_+(k^*), C_-(k^*)$ – the sign indices reflect the sign of $v_{\text{pair}} \cdot k^*_{\mu \text{ in pair rest frame}}$



- The double ratio C_+/C_- deviating from unity is a probe of space-time asymmetry of the particle formation.
- $C_+/C_-(K-\pi)$ indicates π is emitted earlier than K [6].
- $C_+/C_-(K-\mu) \sim 1$ at low k^* , meaning they are **emitted at the same time and position, suggestive of atom formation and disassociation.**



Summary

We have observed two possible signatures of the new (antimatter) atoms:

- Invariant mass enhancement** is observed at the expected mass for both $K-\mu$ and $p-\mu$ pairs.
- Muons and kaons that are close to each other in phase space are **emitted simultaneously**, suggestive of atoms.

References

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