

# Jet (de)coherence in PbPb collisions at the LHC

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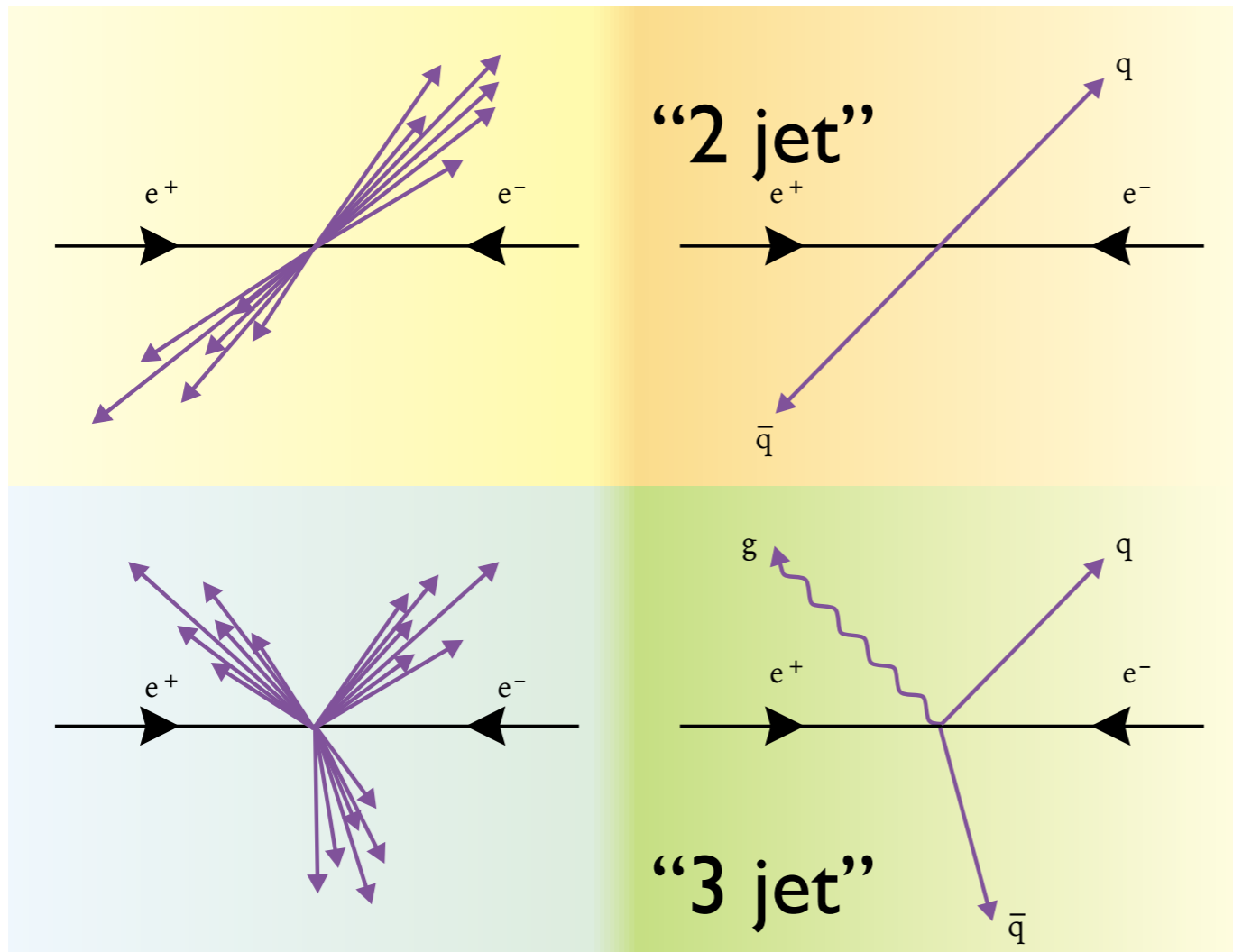


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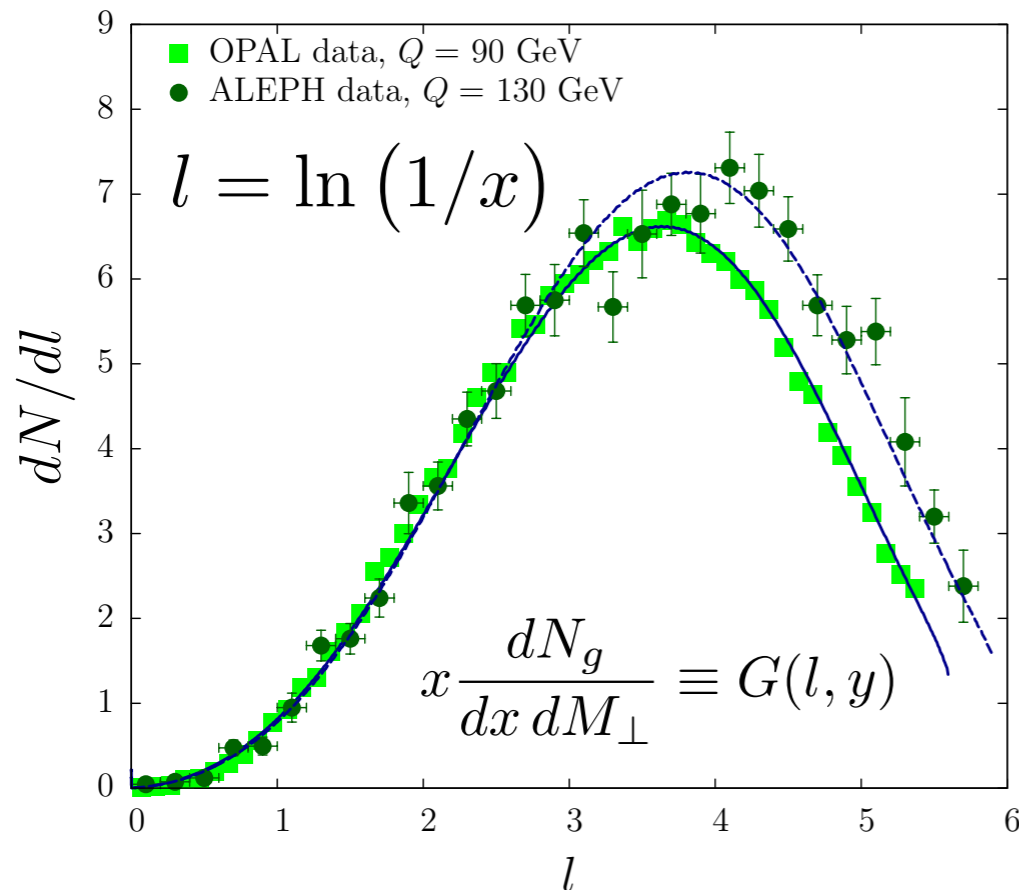
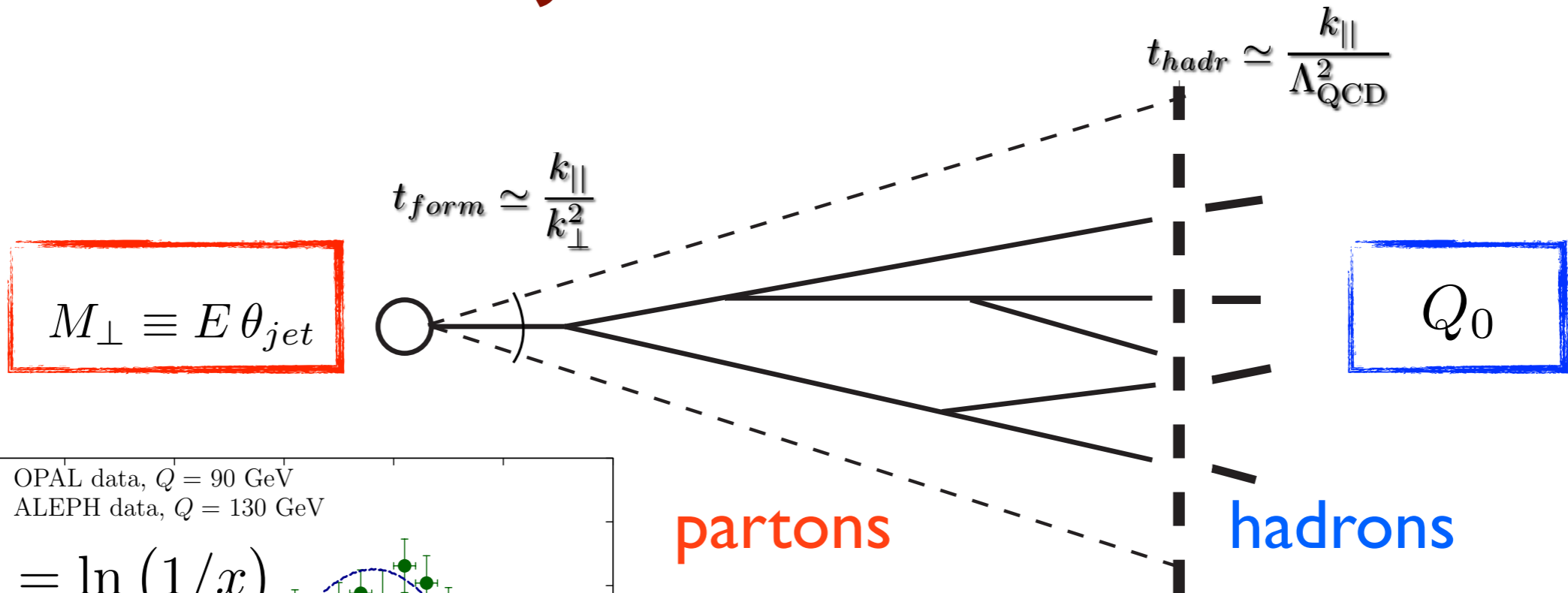
# Jets



- physically: sprays of particles in the detector — probing partonic degrees of freedom
- well defined objects in perturbation theory\*
- ideal hard probes for extracting properties of the medium!

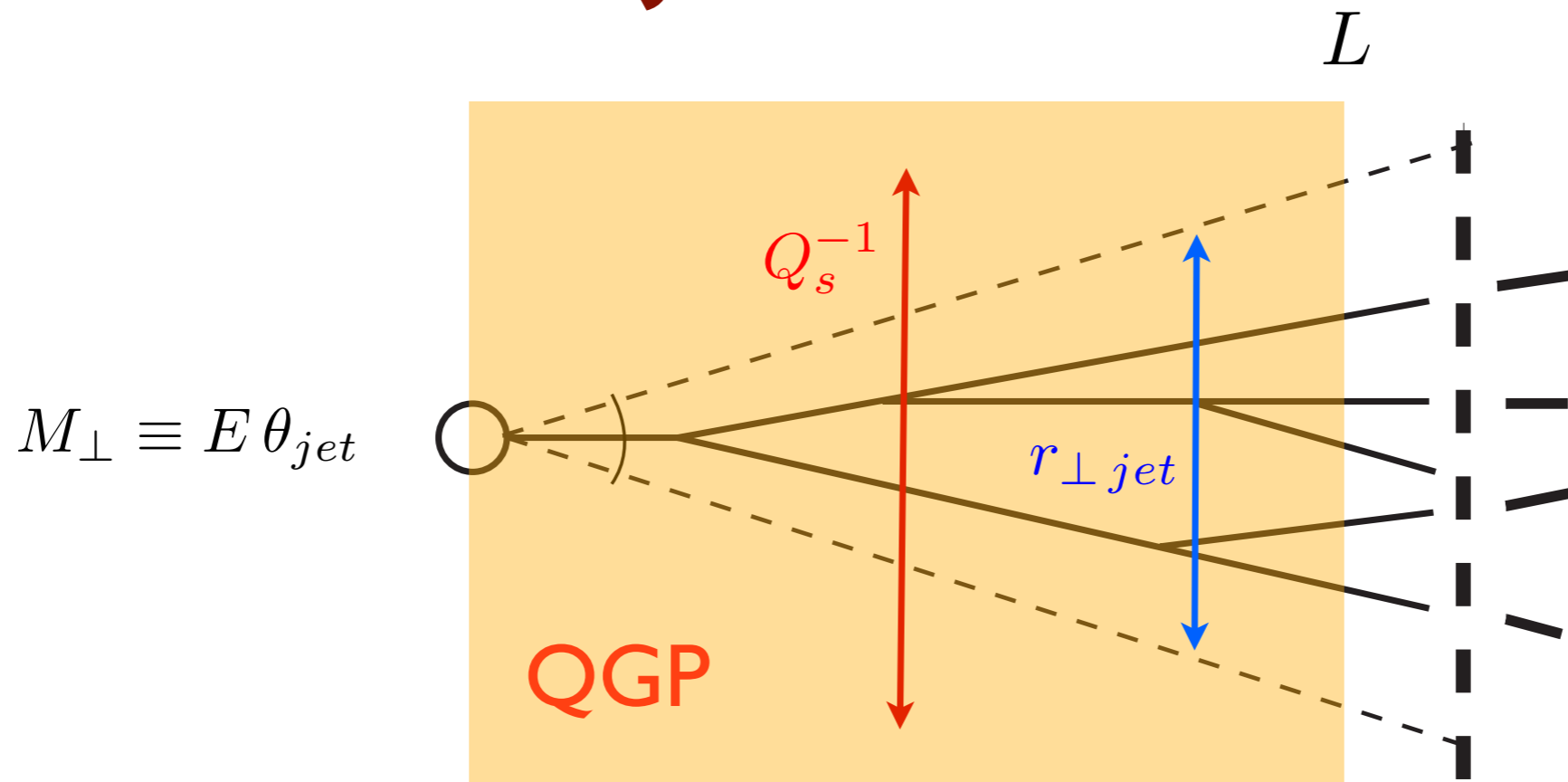
\* free from problems related to hadronic fragmentation functions...

# QCD jet in vacuum



- probabilistic picture, factorization
- jet scales — perturbative evolution
- angular ordering — essential for small  $x$
- MLLA + Local-Parton-Hadron-Duality

# QCD jet in medium



New scales:

$$M_{\perp} \equiv E \theta_{jet}$$

$$Q_0 \sim \Lambda_{\text{QCD}}$$

+

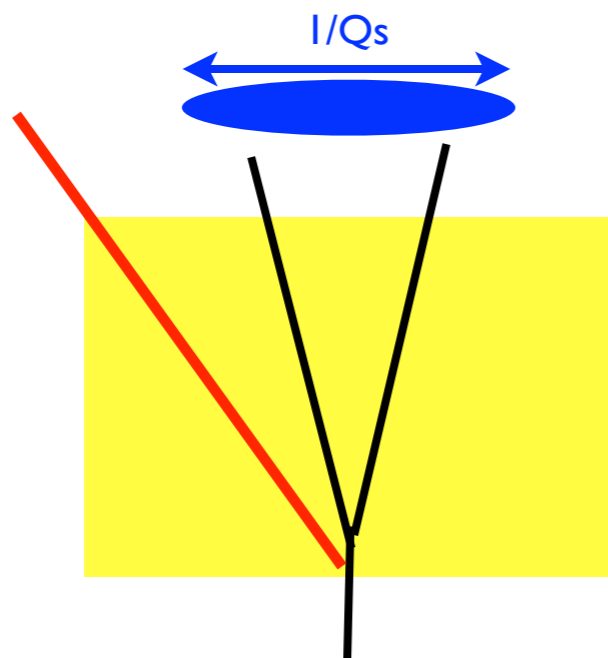
$$Q_s \equiv \sqrt{\hat{q}L} \equiv m_D \sqrt{N_{\text{scat}}}$$

$$r_{\perp jet}^{-1} \equiv (\theta_{jet}L)^{-1}$$

Casalderrey-Solana, Mehtar-Tani, Salgado, KT 1210.7765

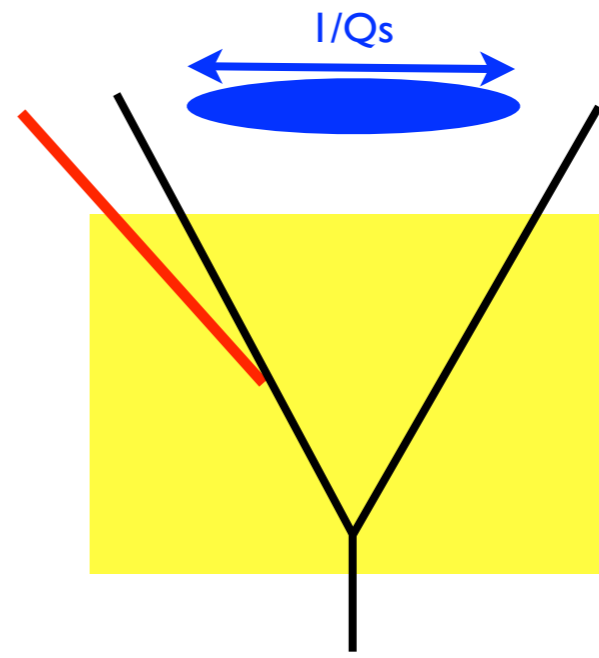
# Counting sources

One emitter



jet remains coherent

Two emitters



subjects decohere

The scale  $Q_s^{-1}$  determines the **number of independent color sources** that can be resolved by the medium.

— :: medium induced radiation (BDMPS spectrum)

Mehtar-Tani, Salgado, KT 1009.2965; 1102.4317; 1112.5031; 1205.57397; Casalderrey-Solana, Iancu 1105.1760

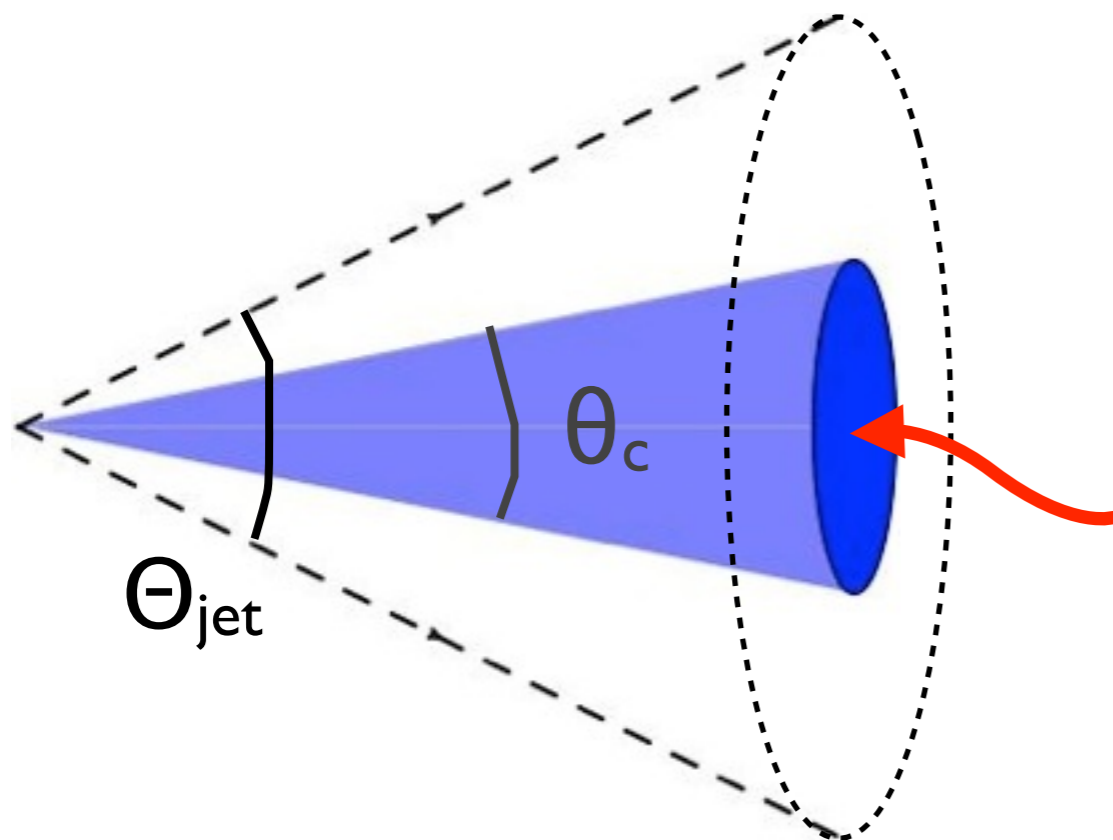
# Resolving jet substructure

Coherence survival prob.

$$\Delta_{\text{med}} = 1 - e^{-\Theta_{\text{jet}}^2 / \theta_c^2}$$

$$\theta_c = 1 / \sqrt{\hat{q} L^3}$$

jet definition ( $\Theta_{\text{jet}}=R$ )!



## Coherent inner 'core'

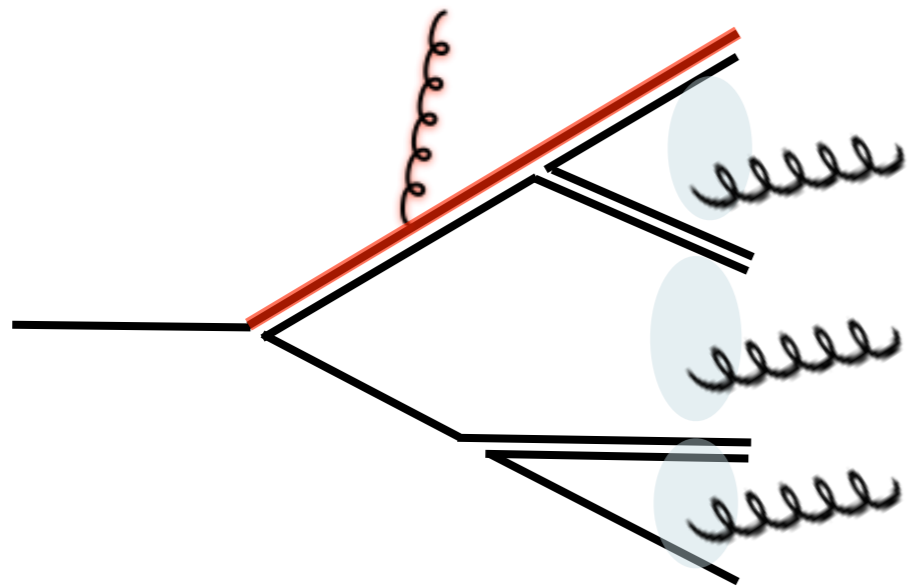
- branchings occurring inside the medium with  $\theta < \theta_c$  — hard modes
- the core interacts w/ medium coherently
- induces radiation — loses energy

A large fraction of the jets contain 90% of their energy within  $\Theta \sim 0.1$ !

Casalderrey-Solana, Mehtar-Tani, Salgado, KT 1210.7765

Perez-Ramos, Mathieu PLB 718 (2013) 1421 [arXiv:1207.2854]; Perez-Ramos, Renk arXiv:1401.5283

# Factorization of radiation



- assume collimated jets and coherence — leading contribution to inclusive spectra at high energies
- separation in angles — only the total charge radiates — jet calculus

$$D_{\text{med}}^{\text{coh}}(x; Q, L) = \int_x^1 \frac{dz}{z} D^{\text{vac}}\left(\frac{x}{z}; Q\right) D_q^{\text{med}}(z, p_{\perp}, L)$$

small angle, vacuum-like evolution

medium induced, large angle radiation

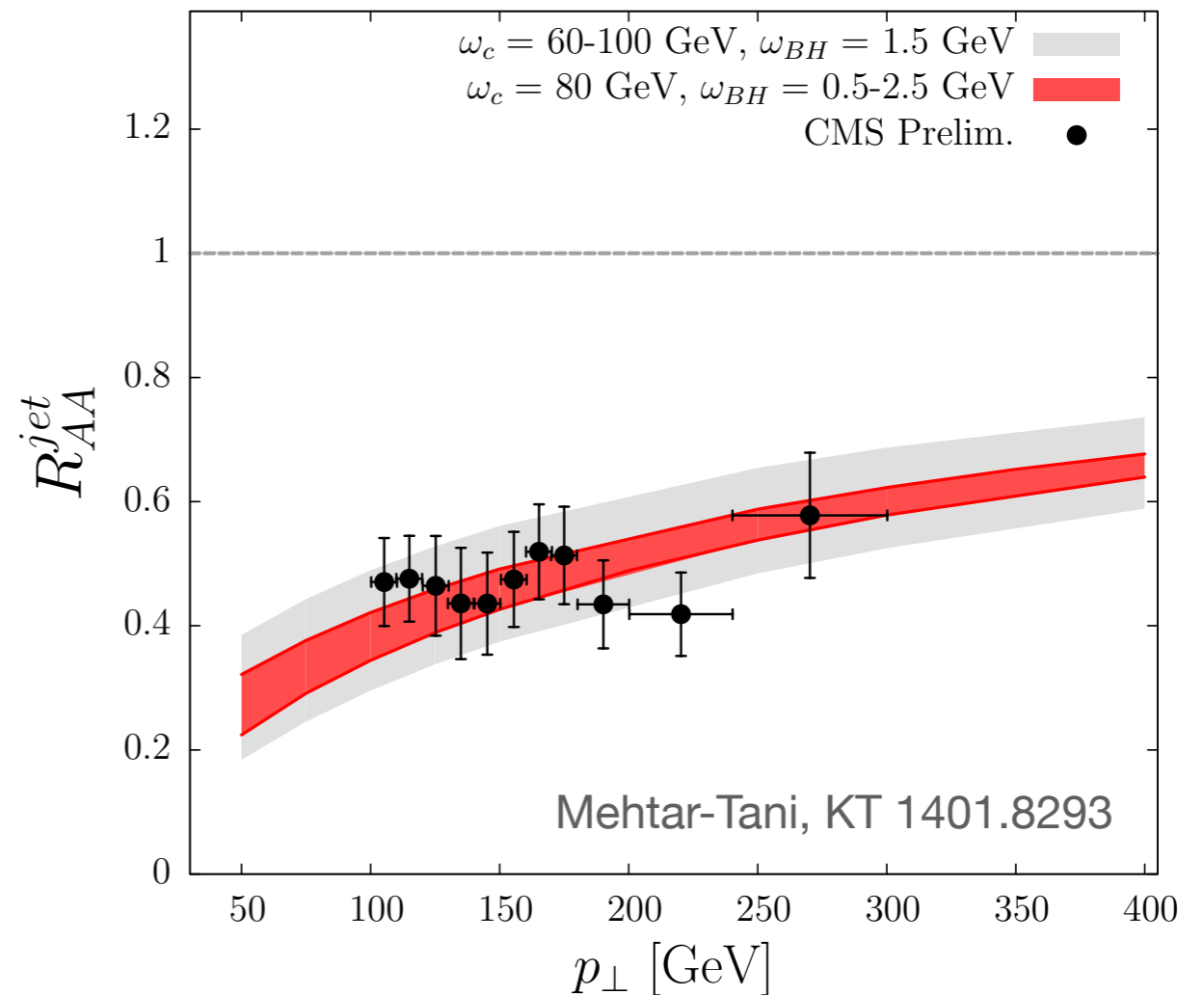
Mehtar-Tani, KT 1401.8293

Jeon, Moore hep-ph/0309332; Baier, Mueller, Schiff, Son hep-ph/0009237; Blaizot, Iancu, Mehtar-Tani 1301.6102

# Nuclear modification factor

- assuming quark jets ( $n=5.6$ )
- allows to fix medium scales (fixing  $L = 2.5$  fm)
- high- $p_{\perp}$  jets are the most reliable probe for  $\hat{q}$ !

$$Q_s = 3.6 \text{ GeV}$$



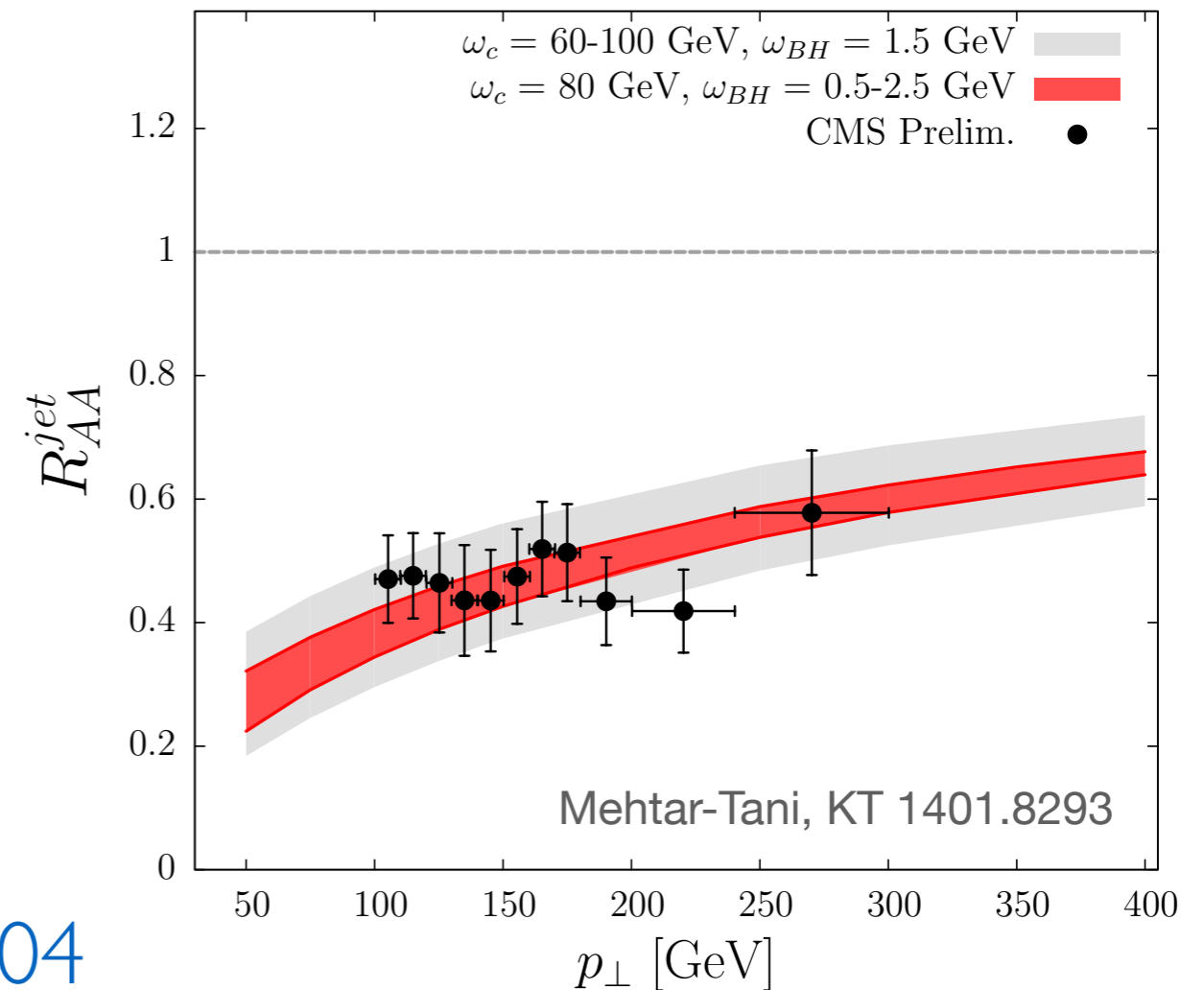


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Jet deflection ::  $\Delta\Theta \sim Q_s/E \sim 0.04$

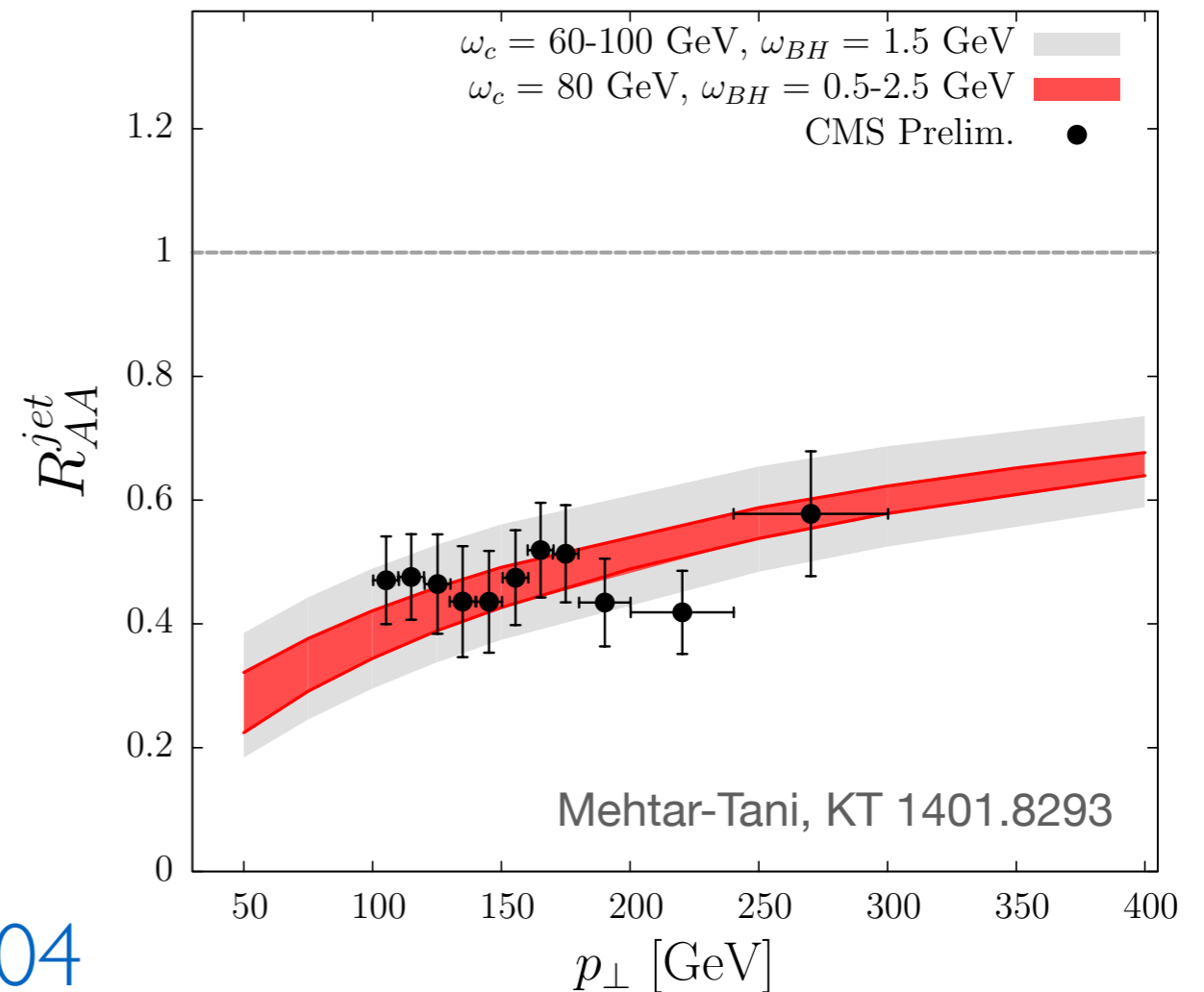


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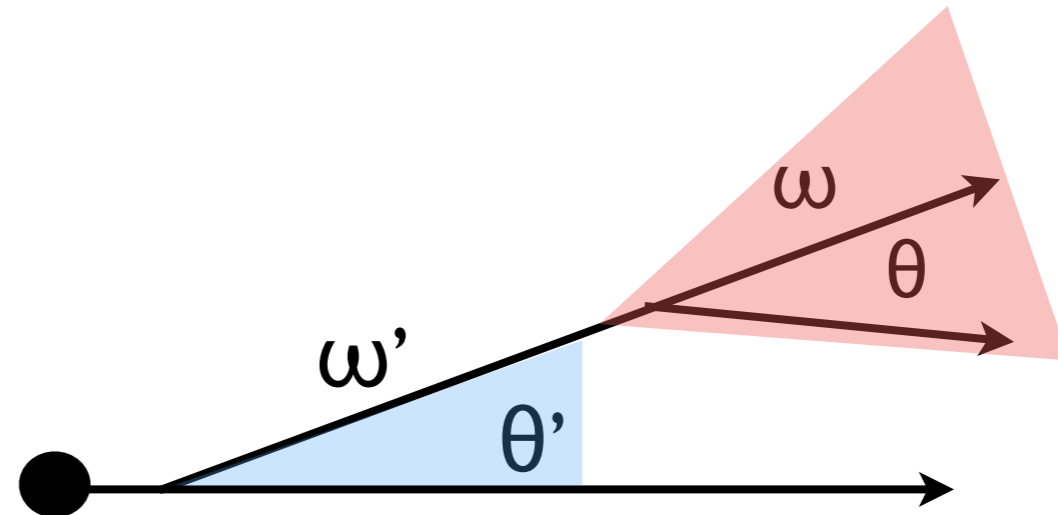
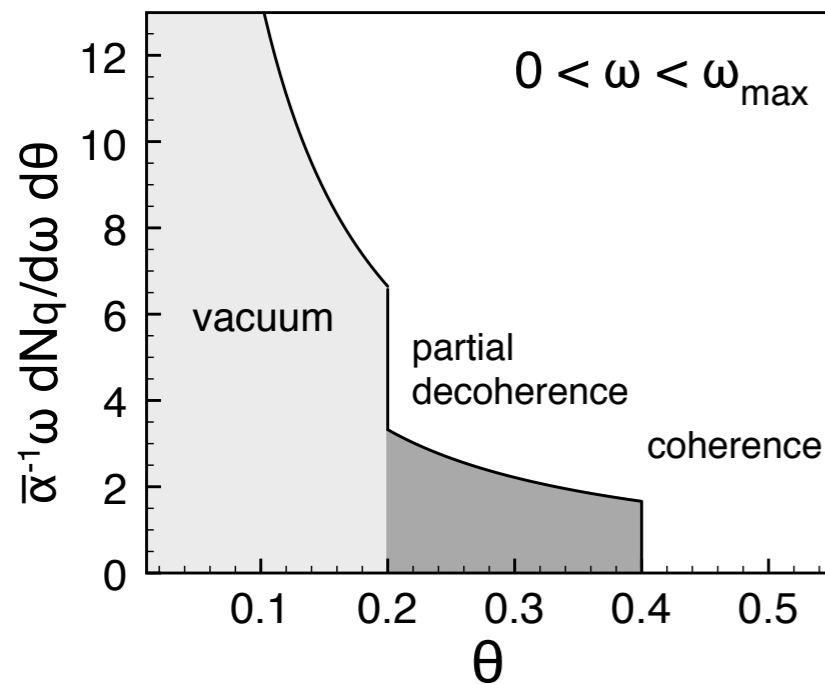
Missing pt in dijet events	$\Theta$	$\Theta$
missing energy at $\theta < \Theta$	14 - 19 %	9 - 15 %

# Soft gluons in the cone

Going beyond the inclusive jet spectrum, the assumption of fully coherent jets marginal

$$\Theta_{\text{jet}} = 0.3$$

$$\Theta_c = 0.08$$



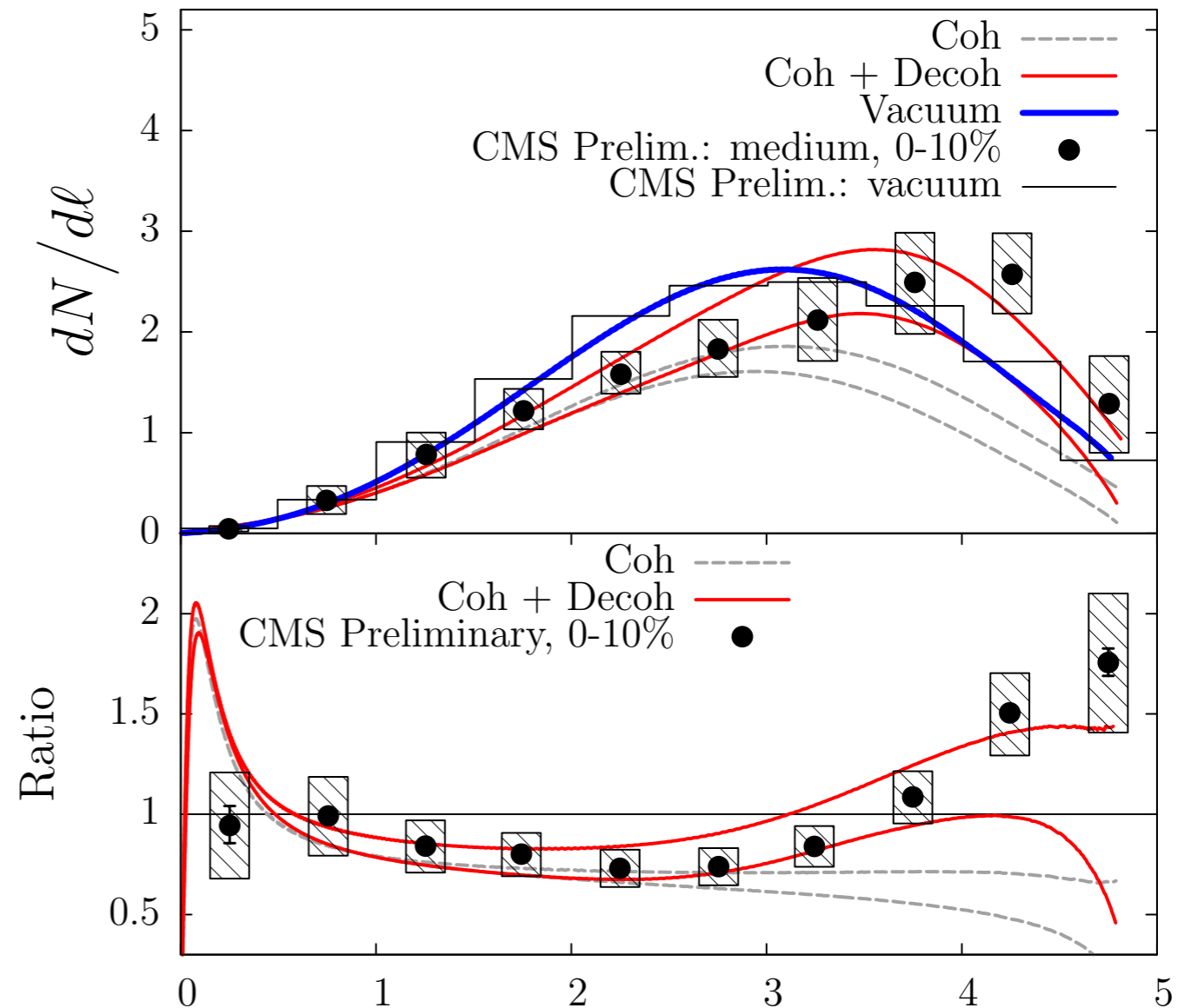
Contribution from 2nd emission in  
DLA w/ running coupling.

$$D_{\text{med}}^{\text{jet}}(x; Q, L) = D_{\text{med}}^{\text{coh}}(x; Q, L) + \Delta D_{\text{med}}^{\text{decoh}}(x; Q, L)$$

Mehtar-Tani, Salgado, KT 1009.2965; Mehtar-Tani, KT 1401.8293

# Fragmentation function

- vacuum baseline reproduced by MLLA :: valid close to the humpbacked plateau
- allow the jet energy to vary (due to energy loss)
- coherent jet quenching important for intermediate  $\ell$
- decoherence plays main role at large  $\ell$  (small  $x$ )



$$l = \ln(1/x)$$

Mehtar-Tani, KT 1401.8293

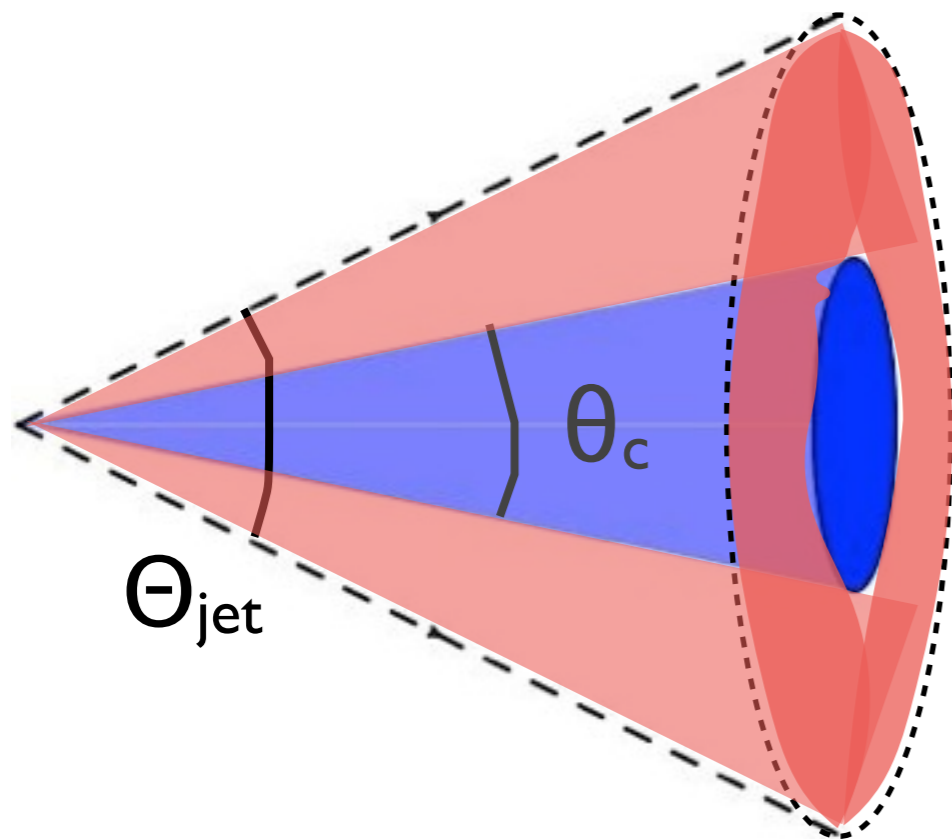
# Summary

- jet quenching is a powerful tool to access properties (e.g.  $\hat{q}$ ,  $\hat{e}$  etc.) of the hot and dense QGP
  - resolved sub-jets are a consequence of color transparency (perturbative QCD)
- separation of scales (angles)
  - jet 'core' :: energy loss
  - jet 'edge' :: modification of fragmentation function
  - large angle :: transport in the medium

**backup**

# Resolving jet substructure

Coherence survival prob.  $\Delta_{\text{med}} = 1 - e^{-\Theta_{\text{jet}}^2 / \theta_c^2}$



## 'Soft edge' of the jet

- softer components of the jet occupy the full angular range
  - do not carry a large energy fraction!
- sensitive to effects of decoherence
- modification of jet fragmentation function
  - sensitive to the critical angle  $\Theta_c$

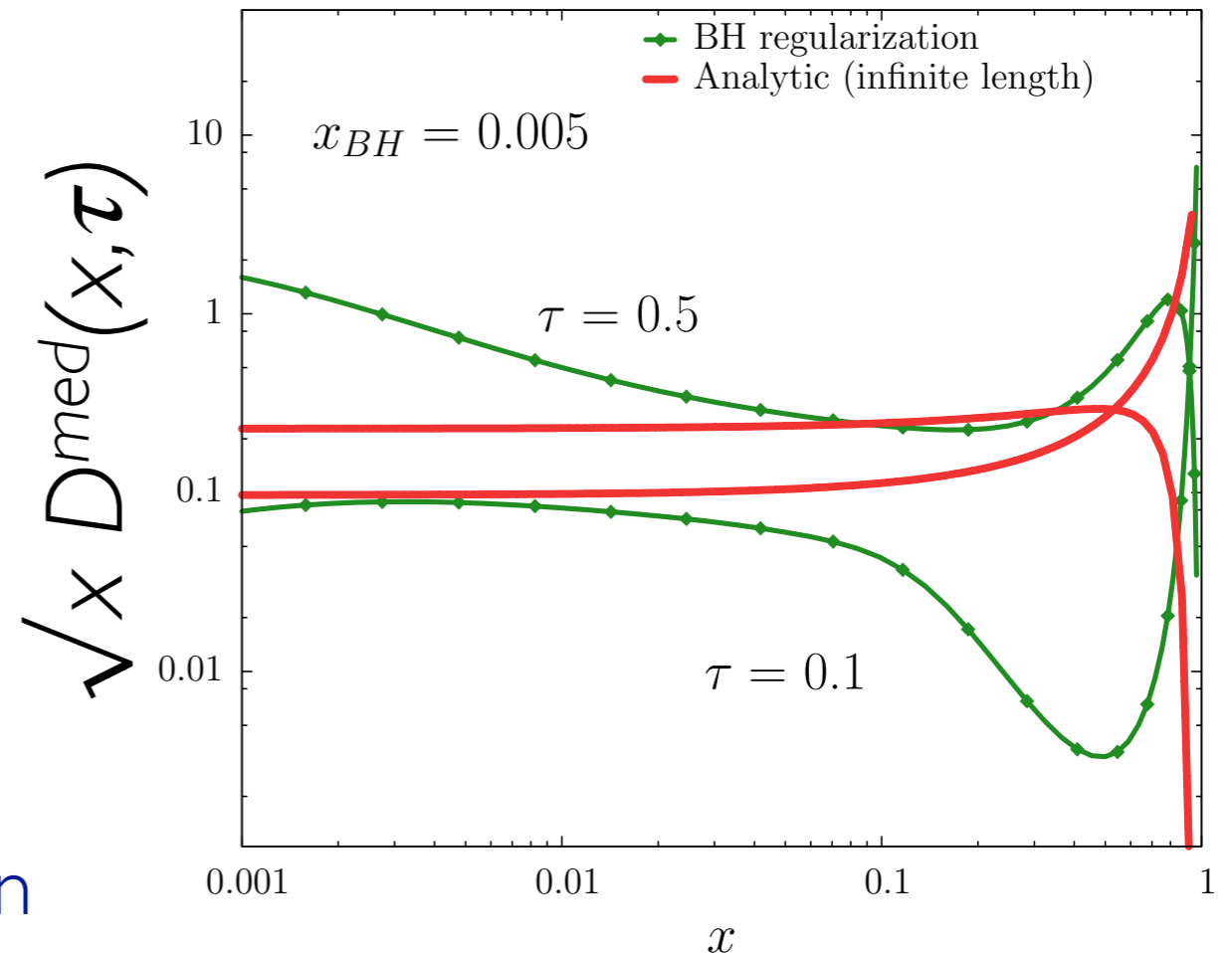
Mehtar-Tani, KT 1401.8293

# Induced radiation

Multiple induced gluon radiation (BDMPS) resummed in a rate equation in “time”

$$\tau = \frac{\alpha_s N_c}{\pi} \sqrt{\frac{\hat{q} L^2}{E}}$$

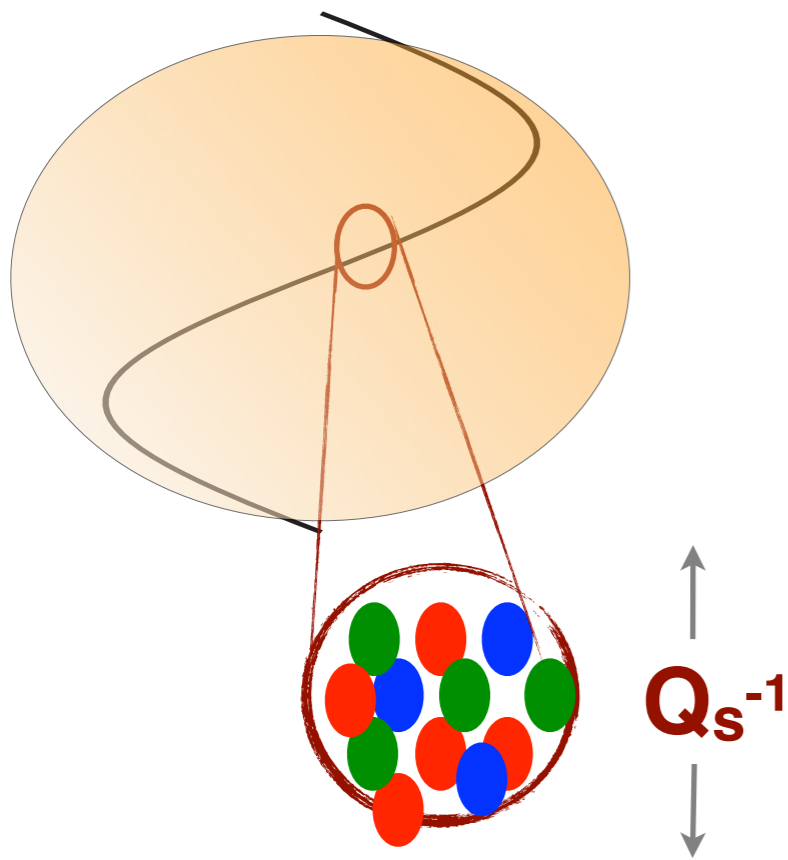
- probabilistic interpretation
- turbulent flow: no intrinsic accumulation of energy
- effective in transporting sizable energy to large angles





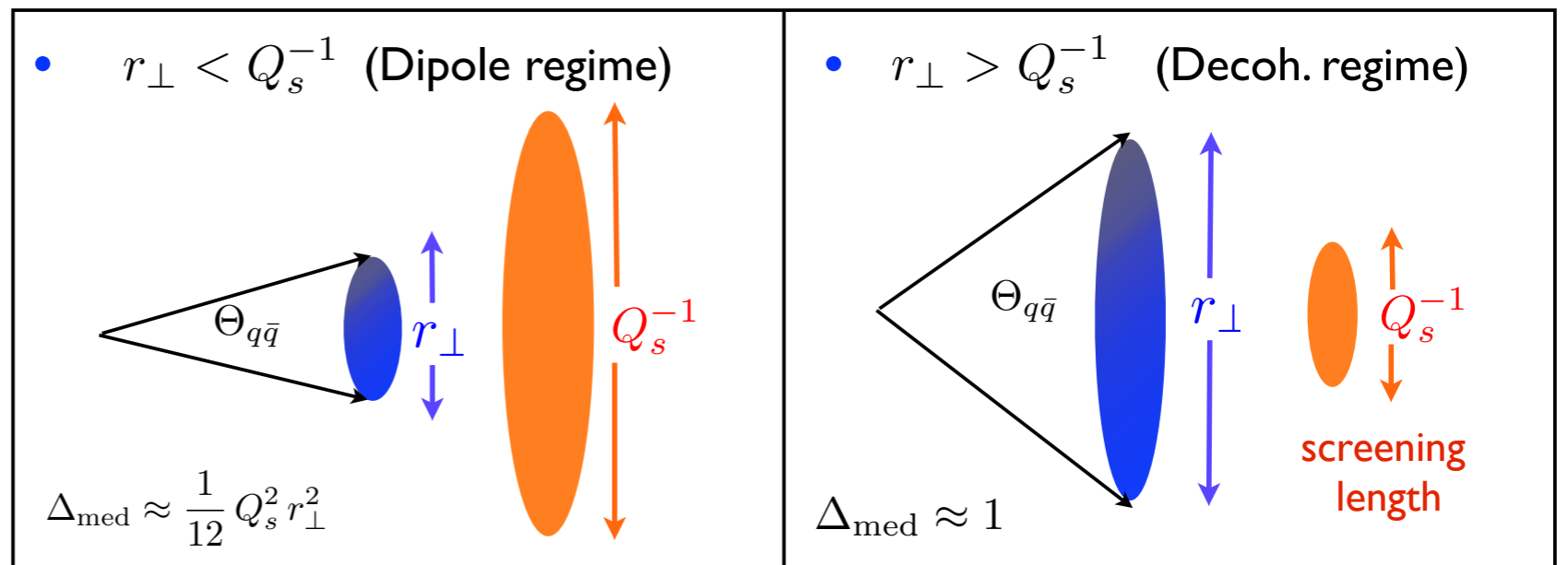
# Transparency vs decoherence

a snapshot of the medium:



$$k_{\perp} < Q_{\text{hard}}$$

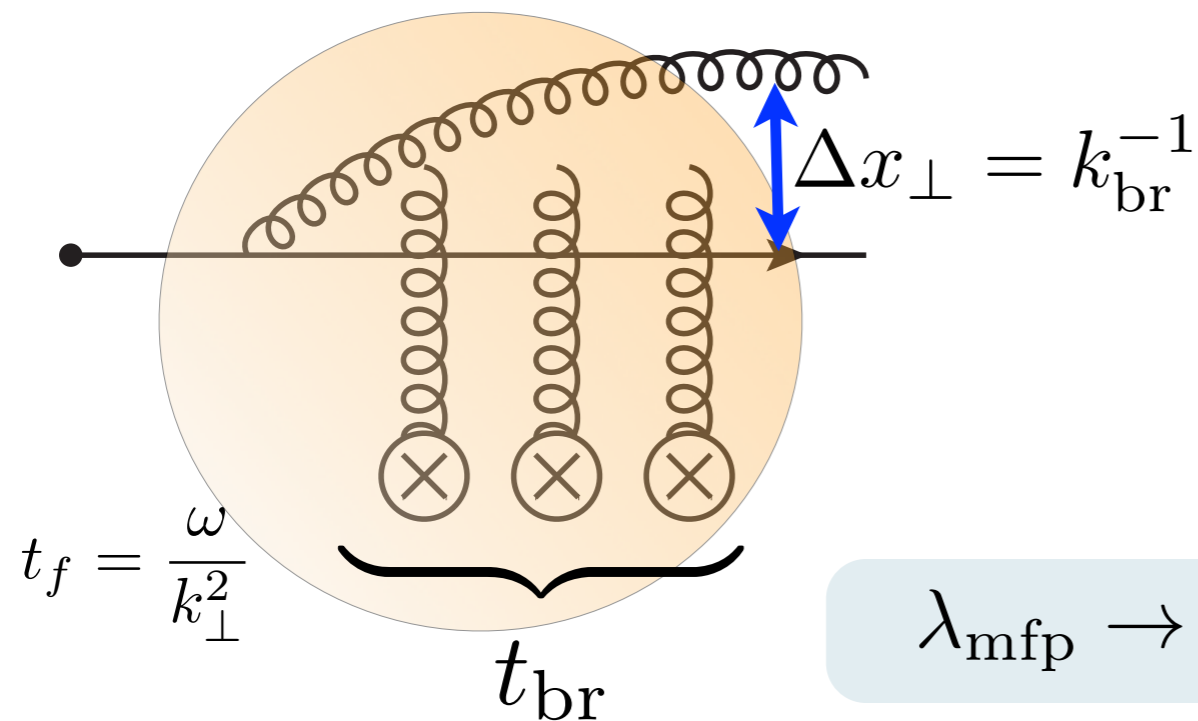
a simple case — the antenna



$$\Delta_{\text{med}} \approx 1 - \exp\left[-\frac{1}{12} Q_s^2 r_{\perp}^2\right] \quad \text{decoherence parameter}$$

hardest scale determines phase space for radiation

# Induced radiation



Multiple scattering in the medium:

$$\left. \begin{aligned} t_{\text{br}} &= \lambda_{\text{mfp}} N_{\text{coh}} \\ k_{\text{br}}^2 &= \mu^2 N_{\text{coh}} \end{aligned} \right\} \begin{aligned} t_{\text{br}} &= \sqrt{\omega / \hat{q}} \\ k_{\text{br}}^2 &= \sqrt{\hat{q} \omega} \end{aligned}$$

$\lambda_{\text{mfp}} \rightarrow t_{\text{br}} \quad :: \text{Landau-Pomeranchuk-Migdal effect}$

## Bethe-Heitler regime

$$\begin{aligned} t_{\text{br}} &\sim \lambda_{\text{mfp}} \\ \omega_{\text{BH}} &= \lambda^2 \hat{q} \sim \lambda m_D^2 \end{aligned}$$

## Factorization regime

$$\begin{aligned} t_{\text{br}} &\sim L \\ \omega_c &= \hat{q} L^2 \end{aligned}$$

## LPM regime

$$\omega_{\text{BH}} \ll \omega \ll \omega_c$$

Baier, Dokshitzer, Mueller, Peigné, Schiff (1997-2000), Zakharov (1996),  
Wiedemann (2000), Gyulassy, Levai, Vitev (2000), Arnold, Moore, Yaffe (2001)