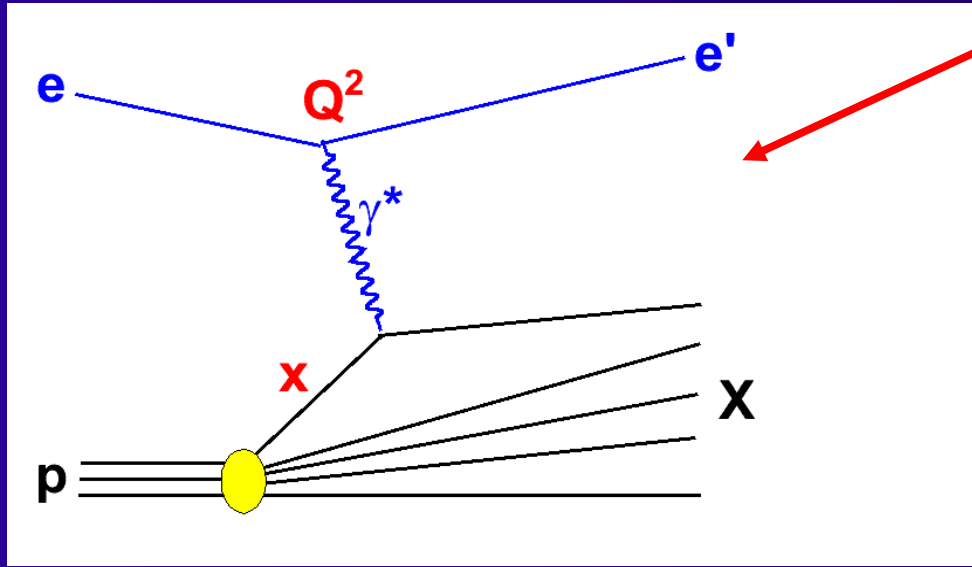


# Diffraction at HERA

*Leszek Adamczyk*  
*UST Cracow*

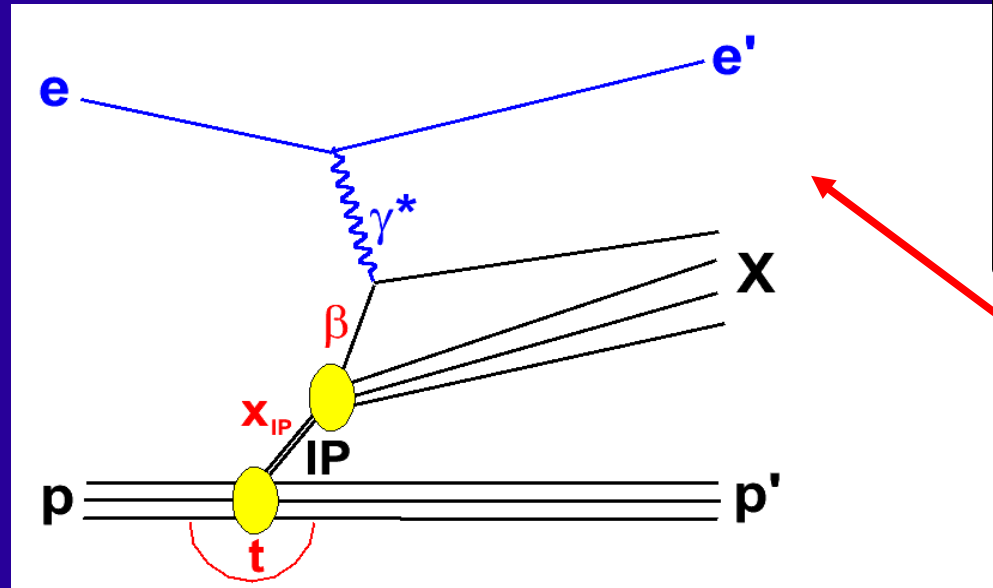
- Introduction
- Inclusive diffraction
- Diffractive parton densities



Inclusive DIS: Probe structure of the proton

- $Q^2$  – virtuality of the boson
- $x$  – fraction of proton momentum carried by struck quark
- $x_{IP}(\xi)$  – fraction of proton momentum carried by diffractive exchange
- $\beta(z_{IP})$  – momentum fraction of the exchange carried by struck quark
- $t$  – four momentum transfer of diffractive exchange

~10% of low  $x$  DIS events are diffractive



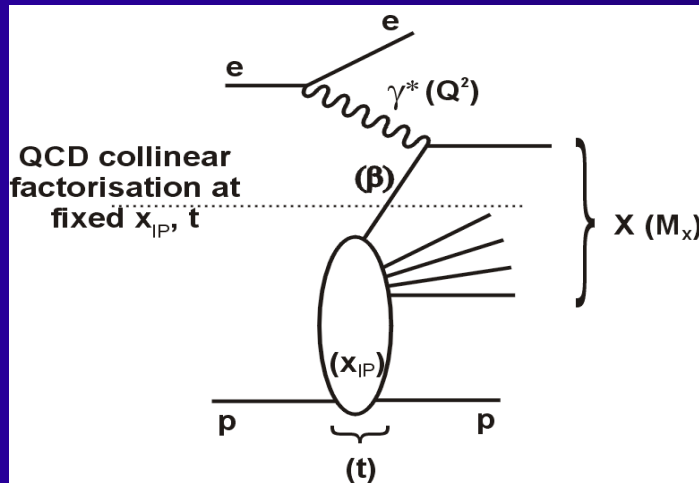
Diffractive DIS: Probe structure of the diffractive exchange (Pomeron)

# QCD factorization in diffractive DIS

In one-photon exchange approximation:

$$\frac{d\sigma^{ep \rightarrow Xp}}{dx_{IP} dt d\beta dQ^2} = \frac{4\pi\alpha_{em}^2}{\beta Q^4} \left[ \left( 1 - y + \frac{y^2}{2} \right) F_2^D - \frac{y^2}{2} F_L^D \right]$$

Similar to the way the DIS cross section is related to the  $F_2$



QCD collinear factorisation theorem (proven by Collins for diff. DIS processes):

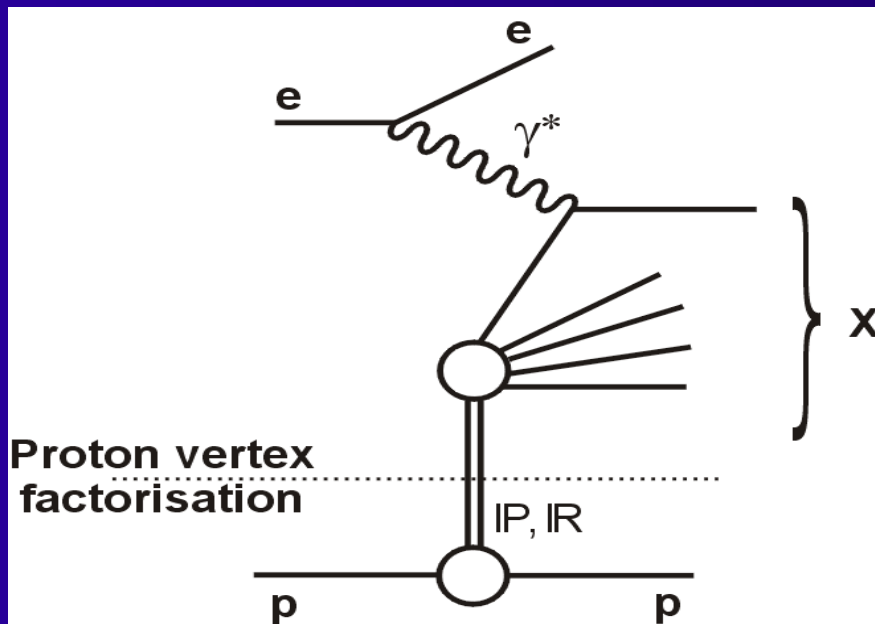
Convolution of the function describing photon parton interaction (exactly the same as in ordinary DIS) with diffractive parton distribution functions DPDFs (which obey the same DGLAP evolution equation as ordinary parton density)

$$F_2^D = \sum_{\text{parton } i} C_i^Y \otimes f_i^D$$

# Proton vertex factorisation + Regge Th.

Empirically motivated

$$f_i^D(\beta, Q^2; x_{IP}, t) = F(x_{IP}, t) \times f_i(\beta, Q^2)$$



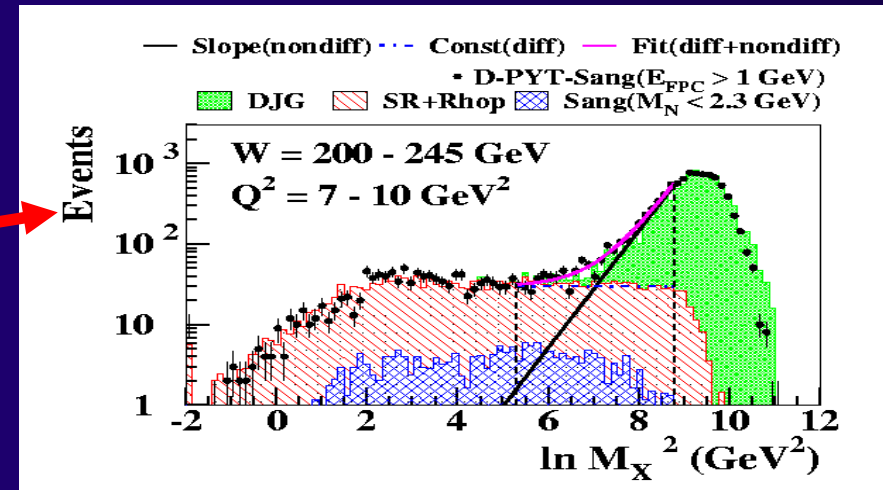
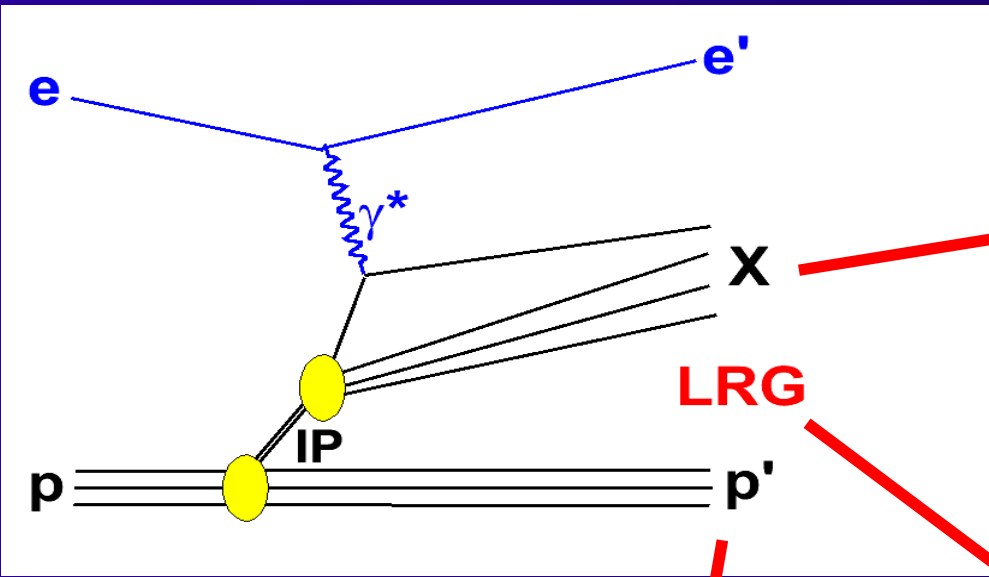
Equivalent with treating diffractive exchange as Pomeron with a partonic structure

Consistent with low  $x_{IP}$  data

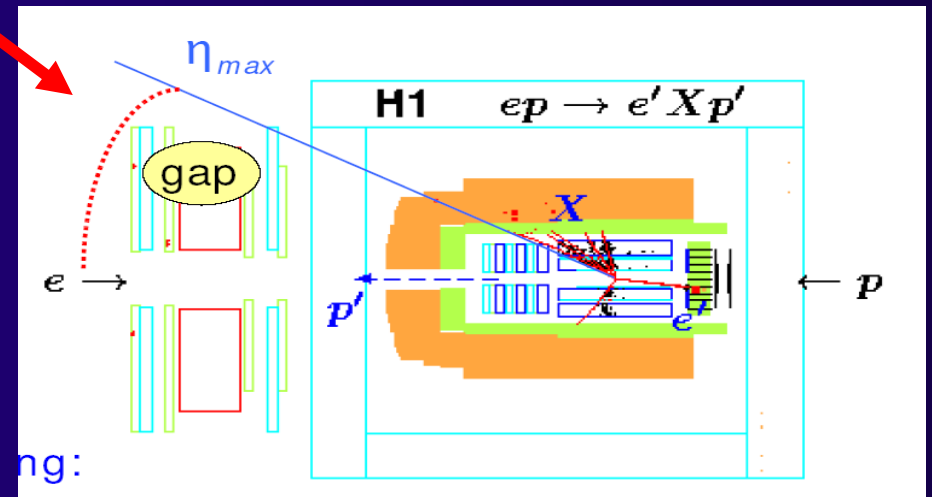
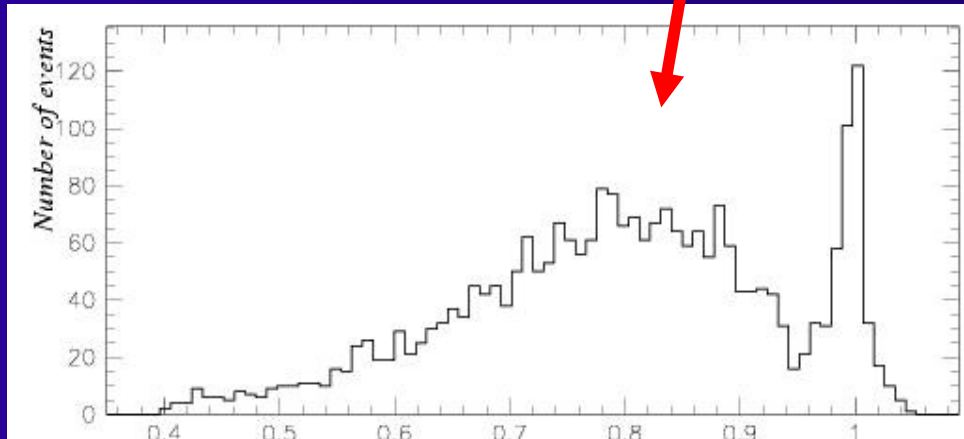
To obtain good description of data also at large  $x_{IP}$  additional sub-leading exchange (IR) has to be added.

$$f_i^D(\beta, Q^2; x_{IP}, t) = F_{IP}(x_{IP}, t) \times f_i^{IP}(\beta, Q^2) + F_{IR}(x_{IP}, t) \times f_i^{IR}(\beta, Q^2)$$

# Selection of diffractive events



Diffractive mass distribution ( $M_X$ )



ng:

Forward proton detection (FPD)

Events with large rapidity gap (LRG)

# Selection Methods

- FPD

- small acceptance, large normalization uncertainty
- free of proton dissociation bkg.
- contribution from Reggeon exchange
- the only method to measure  $t$ -distribution

- LRG

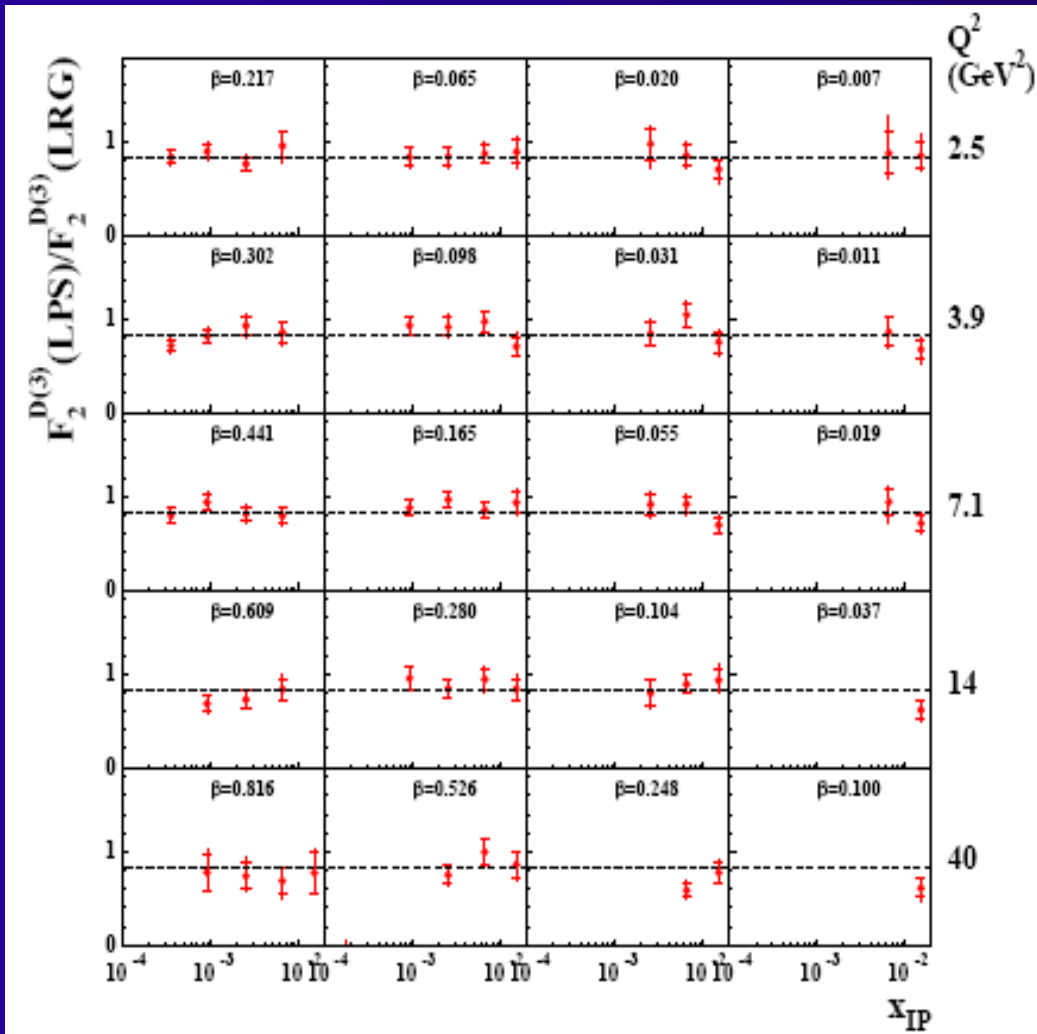
- high statistics
- contributions from proton dissociation and Reggeon exchange

- $M_x$

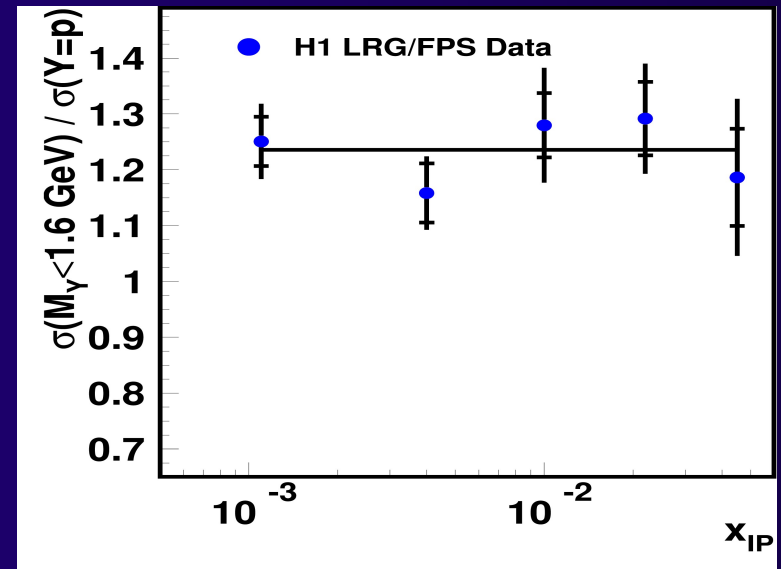
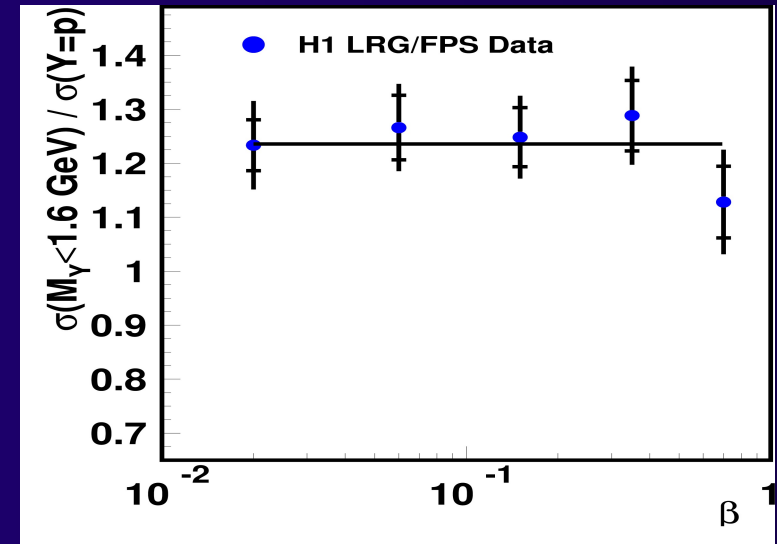
- high statistics
- free of Reggeon exchange contribution
- contribution from proton dissociation bkg.

# FPD versus LRG Methods

ZEUS Preliminary

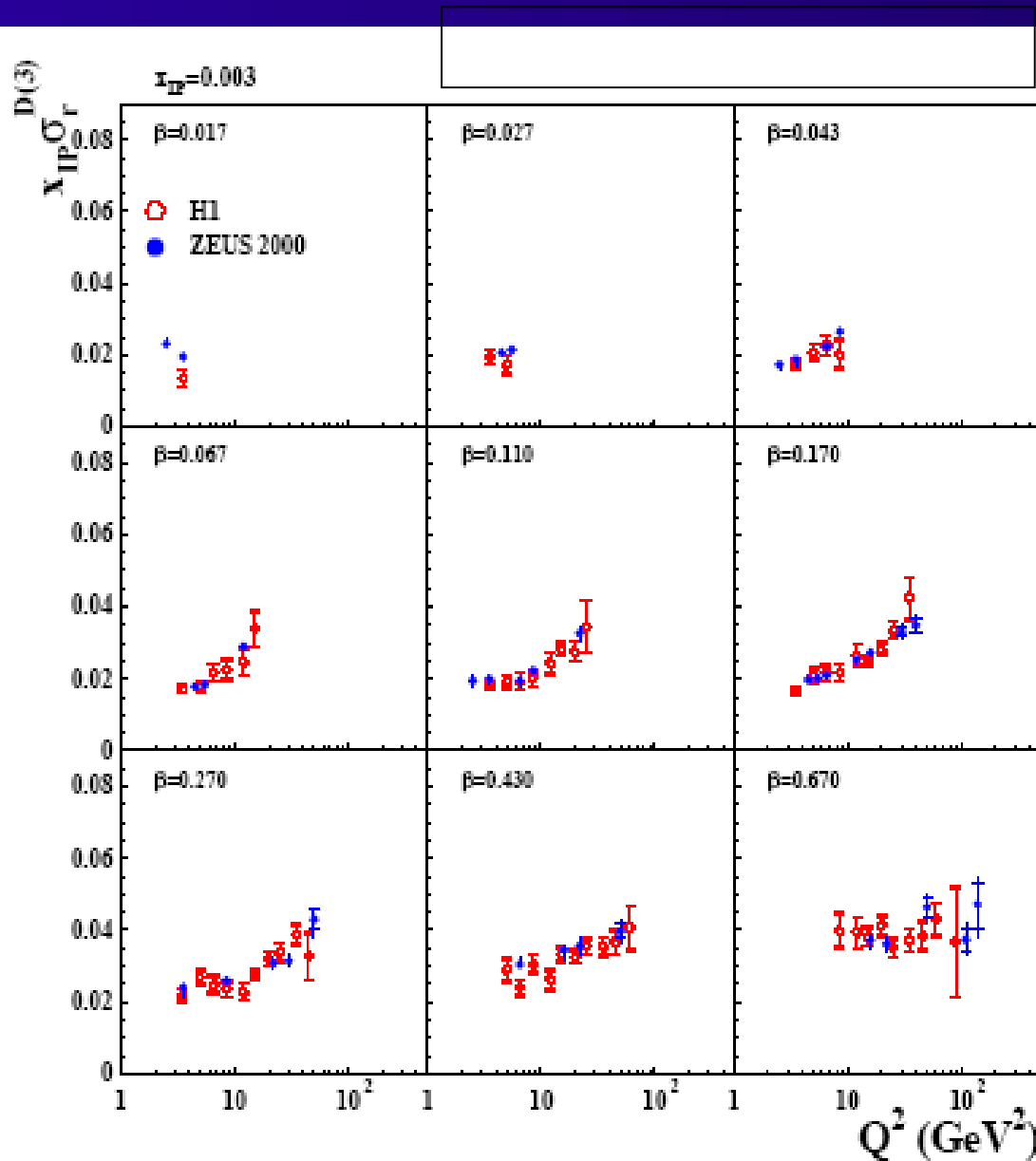


H1



Good agreement between methods.  
Normalization differences due to the proton dissociation.

# LRG H1 versus ZEUS(Prel.) Data



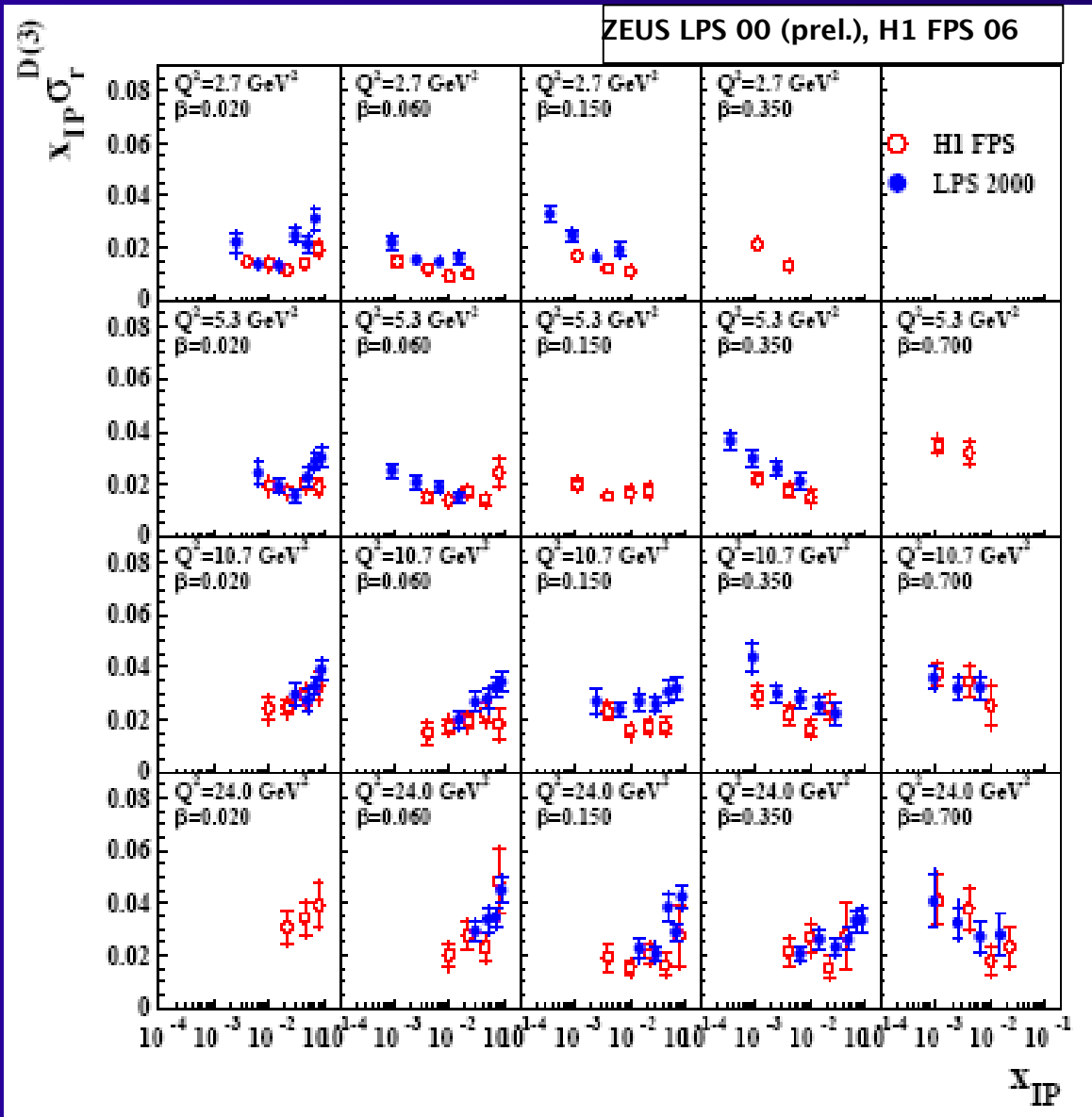
Fraction of proton dissociation different for ZEUS and H1

ZEUS data normalized to H1 data

Fair agreement



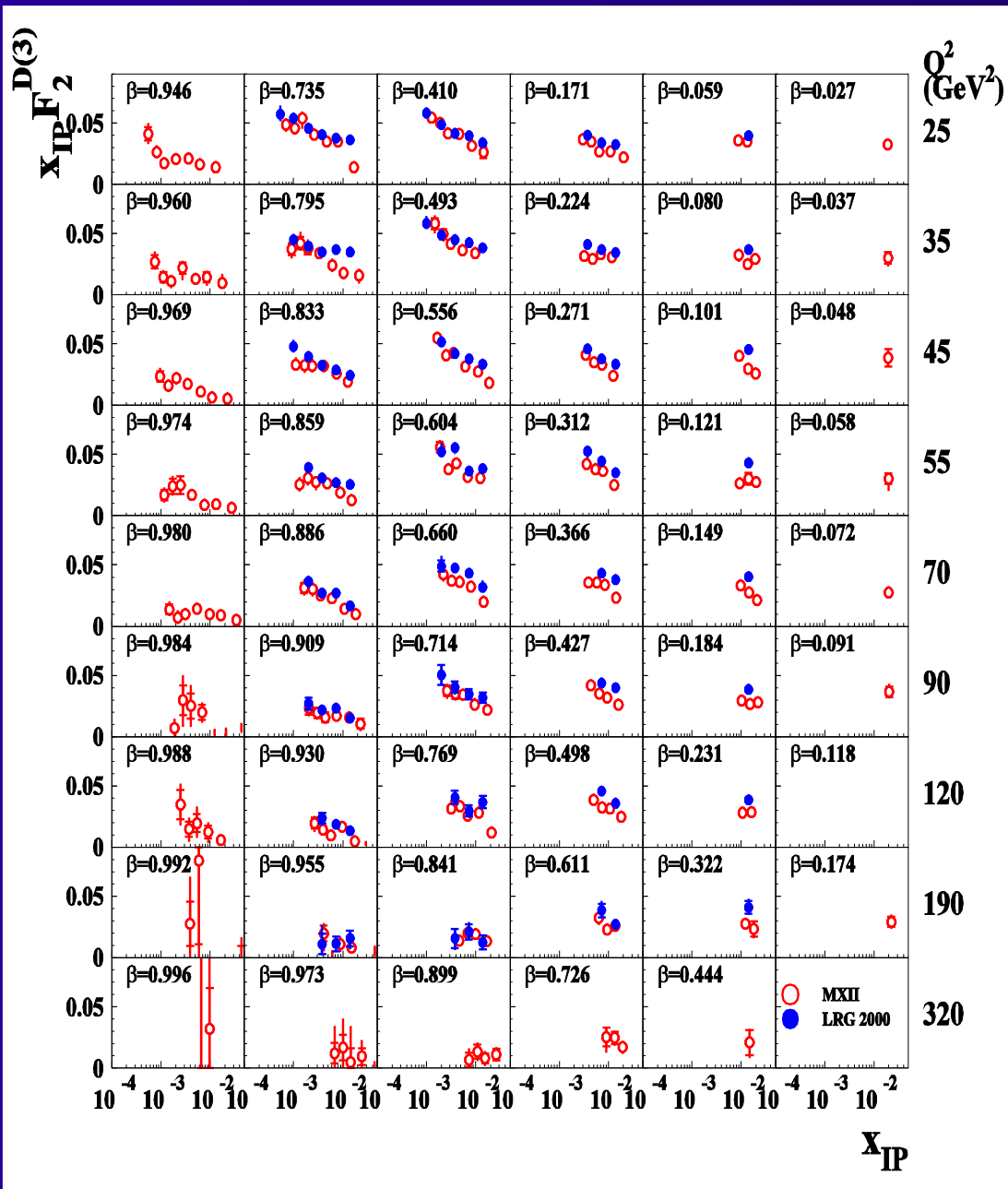
# FPD H1 versus ZEUS(Prel.) Data



Normalization uncertainties  
of  $\sim 10\%$  not shown

Fair agreement

# LRG versus $M_x$ Methods



ZEUS Preliminary data

Relative agreement  
for  $x_{IP} < 0.01$

For  $x_{IP} > 0.01$  one can expect  
differences due to the  
Regeon contribution to LRG  
data

# Comparison between data sets

LRG / FPD (H1 & ZEUS) – good agreement with shape

H1/ ZEUS (LRG & FPD) – good agreement with shape

LRG/ $M_x$  (H1 & ZEUS) – relative agreement

Data sets respecting shapes are coherent.  
Common H1/ZEUS investigation on normalization.

# Extraction of DPDFs

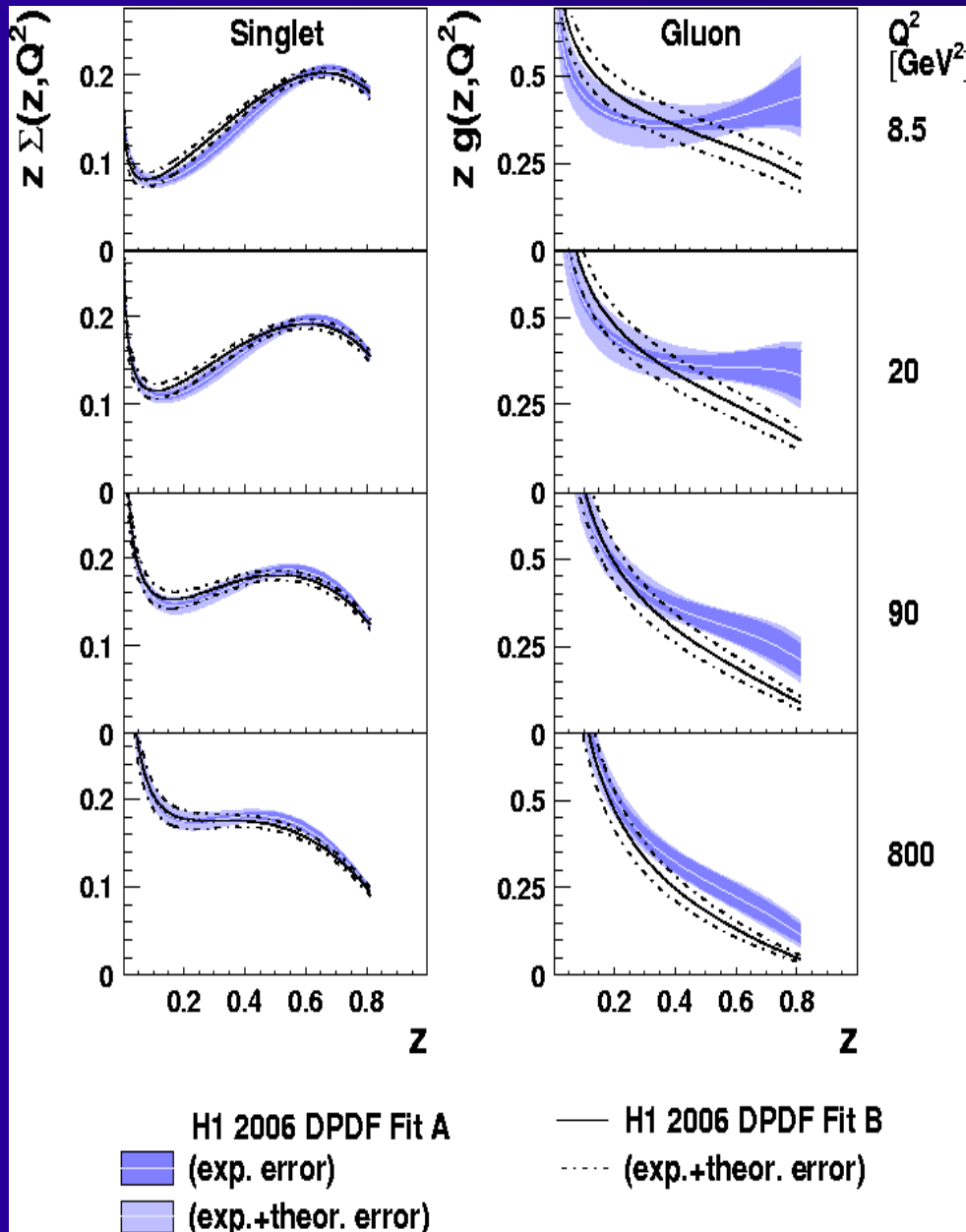
Procedure similar to ordinary PDFs:

- parameterize  $f_q$  and  $f_g$  distributions at same initial scale  $Q_0^2$
- evolve  $f_q$  and  $f_g$  to larger  $Q^2$  using **DGLAP equations**
- find parameters which fit best diffractive cross sections

Several fits possible which may differ in:

- data samples (LRG,  $M_x$ , FPD ; H1, ZEUS)
- kinematical range
- parameterization of  $f_q$  and  $f_g$
- choice of the initial scale  $Q_0^2$
- treatment of the Reggeon contribution

# H1 2006 fits



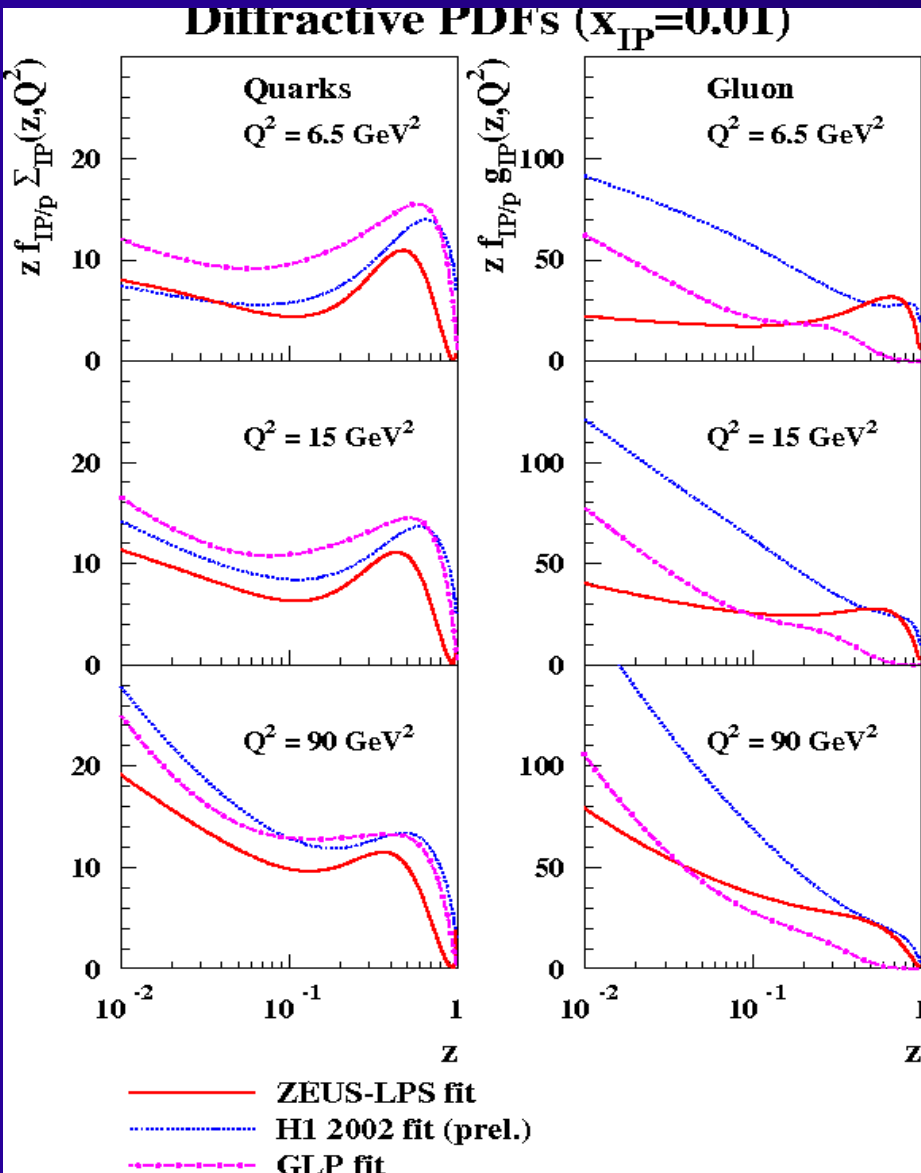
$$\text{Fit A : } f_g = A(1-z)^B$$

$$\text{Fit B : } f_g = A$$

- equally good quality of the fits
- quark distribution very stable
- large change of the gluon distribution at large  $z$

Lack of sensitivity to the gluon distribution at large  $z$

# ZEUS fits to published data



- **ZEUS-LPS** fit to ZEUS 1997 LPS data
- **GLP** (Groys-Levy-Proskuryakov) fit to ZEUS 1998-99  $M_x$  data

- Discrepancies evident and larger than experimental errors
- Estimate of the uncertainty on dPDF

Need more work for precise and consistent determination of dPDF's

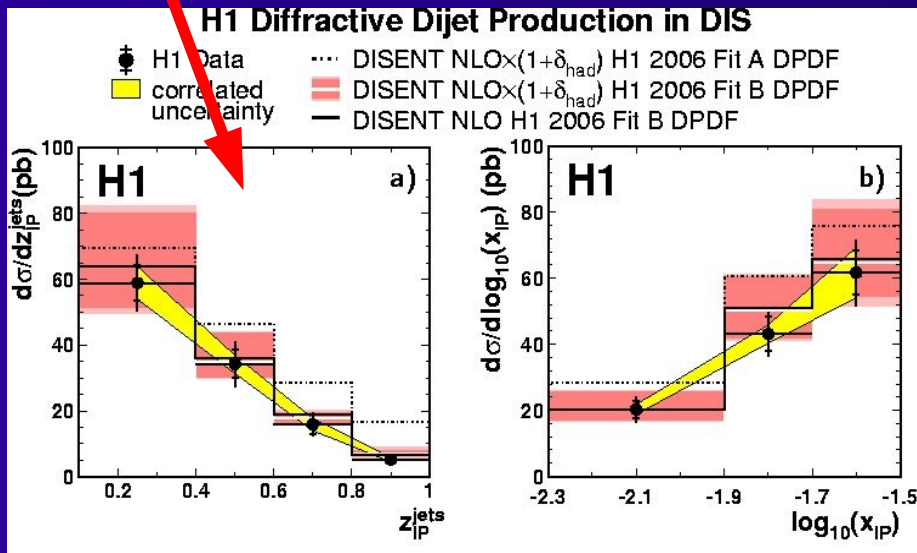
# Test of QCD factorisation in Diffraction

Apply universal DPDF's to predict cross sections for inclusive diffractive processes (dijet,  $D^*$  production in DIS and PHP).

This will be discussed by next speaker but:

- QCD collinear factorization proven by Collins in DIS regime and supported by H1 and ZEUS production of dijet in DIS.

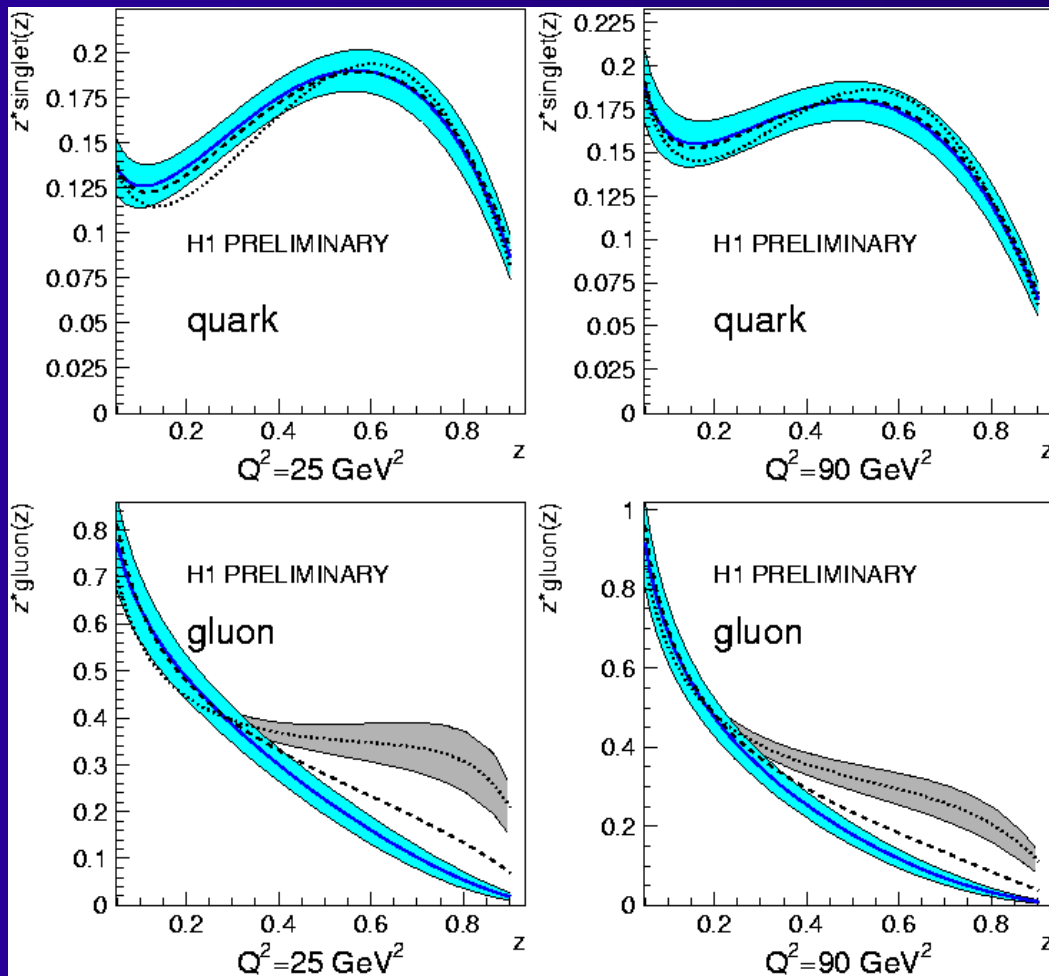
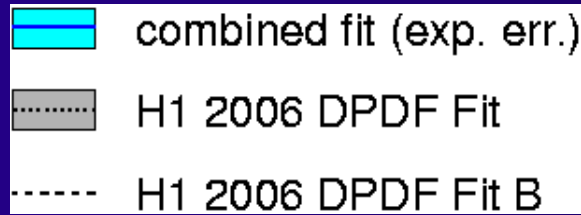
$z_{\text{IP}}$  distribution directly sensitive to gluon distribution



dijet data prefers H1 2006 fit B.

high statistics allows to make combined fit inclusive and dijet data

# Combined fit to inclusive and dijet data



Combined fit reduces uncertainty on gluon density



# Summary

- At HERA inclusive diffraction is studied within the framework of QCD by two experiments with several methods (LRG, FPD,  $M_x$ )

Generally good agreement with some open points  
(normalization, LRG/  $M_x$ )

- Several sets of DPDFs available to test hard scattering factorization, to make predictions ...

Inclusion of dijet data improved precision on DPDF's