

The Total Cross Section and its Diffractive Components

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<http://physics.rockefeller.edu/dino/my.html>

ABSTRACT

The total and diffraction dissociation pp cross sections at LHC and higher energies are predicted in a model based on a novel, fully unitarized parton-model approach in which diffraction is derived from inclusive proton PDFs and QCD color factors.

Classification of diffractive processes

Basic diffractive processes:

SD Single Dissociation (Single Diffraction)

SD_1 or SD_2 , depending on which incoming p dissociates

DD Double Dissociation (Double Diffraction)

CD Central Dissociation (\rightarrow **DPE**: Double Pomeron Exchange)

Combined diffractive processes:

multigap diffraction with two or more gaps other than **CD**

e.g. **SDD**: **SD** plus **CD** (predicted & studied at CDF)

SDDS: 4-gap diffraction: fully predicted (can be studied at LHC)

This poster is organized in four columns:

Abstract / Introduction (this column)

The **RENORM** model – **RENORM**alization Model

Diffraction at CDF: validation of **RENORM** by data

Diffraction at LHC: predictions and comparisons with data

INTRODUCTION

DIFFRACTION IN QCD

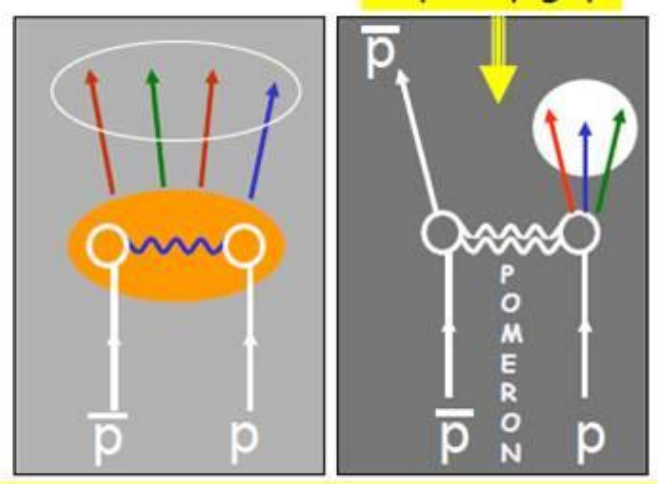
Non-diffractive events

color-exchange \rightarrow η -gaps exponentially suppressed

Diffractive events

Colorless vacuum exchange \rightarrow η -gaps not exp'ly suppressed

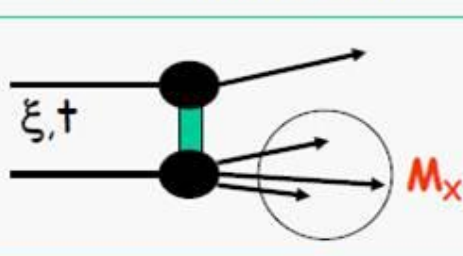
rapidity gap



Goal: probe the QCD nature of the diffractive exchange

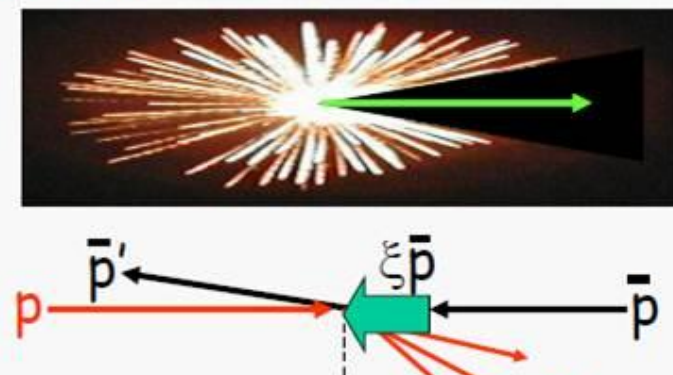
DEFINITIONS

SINGLE DIFFRACTION



$$1 - x_L \equiv \xi = \frac{M_X^2}{s}$$

$$\xi^{CAL} = \frac{\sum_{i=1}^{all} E_T^{i-tower} e^{-\eta_i}}{\sqrt{s}}$$



since no radiation \rightarrow no price paid for increasing diffractive-gap width

$$\left(\frac{d\sigma}{d\Delta\eta}\right)_{\xi=0} \approx \text{constant} \Rightarrow \frac{d\sigma}{d\xi} \propto \frac{1}{\xi} \Rightarrow \frac{d\sigma}{dM^2} \propto \frac{1}{M^2}$$

BASIC AND EXAMPLES OF COMBINED DIFFRACTIVE PROCESSES

acronym basic diffractive processes

$SD_p \rightarrow \bar{p}p \rightarrow \bar{p} + \text{gap} + [p \rightarrow X_p]$

$SD_p \rightarrow \bar{p}p \rightarrow [p \rightarrow X_p] + \text{gap} + \bar{p}$

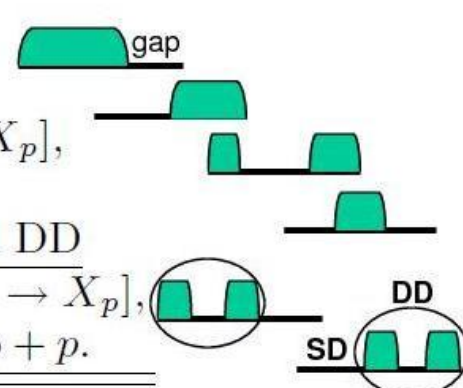
$DD \rightarrow \bar{p}p \rightarrow [p \rightarrow X_p] + \text{gap} + [p \rightarrow X_p]$

$DPE \rightarrow \bar{p}p \rightarrow \bar{p} + \text{gap} + X_c + \text{gap} + p$

2-gap combinations of SD and DD

$SDD_p \rightarrow \bar{p}p \rightarrow \bar{p} + \text{gap} + X_c + \text{gap} + [p \rightarrow X_p]$

$SDD_p \rightarrow \bar{p}p \rightarrow [p \rightarrow X_p] + \text{gap} + X_c + \text{gap} + \bar{p}$

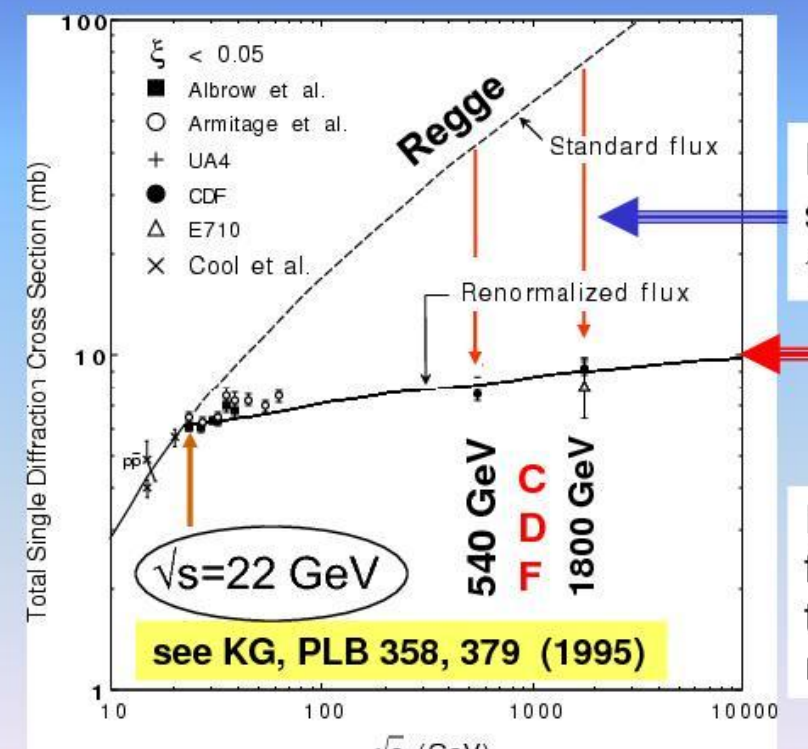


The SDD cross sections are predicted by the **RENORM** model \rightarrow

THE RENORM MODEL

FACTORIZATION BREAKING IN SOFT DIFFRACTION

\rightarrow diffractive x-section suppressed relative to Regge prediction as \sqrt{s} increases



Factor of ~ 8 (~ 5) suppression at $\sqrt{s} = 1800$ (540) GeV

RENORMALIZATION

Interpret flux as gap formation probability that saturates when it reaches unity

SCALE S_0 ADD PPP COUPLING

Pomeron flux: interpret as gap probability \rightarrow set to unity: determines g_{PPP} and s_0

KG, PLB 358 (1995) 379

$$\frac{d^2\sigma_{SD}}{dt d\xi} = f_{IP/p}(t, \xi) \cdot \sigma_{IP-\bar{p}}(s, \xi)$$

$$s^{-\epsilon/2} \cdot g_{PPP}(t)$$

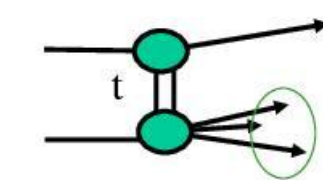
Pomeron-proton x-section

- Two free parameters: s_0 and g_{PPP}
- Obtain product $g_{PPP} \cdot s_0^{\epsilon/2}$ from σ_{SD}
- Renormalized Pomeron flux determines s_0
- Get unique solution for g_{PPP}

$$g_{PPP} = 0.69 \text{ mb}^{-1/2} = 1.1 \text{ GeV}^{-1} \quad S_0 = 3.7 \pm 1.5 \text{ GeV}^2$$

SINGLE DIFFRACTION RENORMALIZED

KG \rightarrow CORFU-2001: <http://arxiv.org/abs/hep-ph/0203141>



Δy $\Delta y'$

2 independent variables: $t, \Delta y$

color factor $\kappa = \frac{g_{p-p}(t)}{\beta_{p-p}(0)} \approx 0.17$

$$\frac{d^2\sigma}{dt d\Delta y} = C \cdot F_p^2(t) \cdot \left\{ e^{(\epsilon+\alpha')\Delta y} \right\}^2 \cdot \kappa \cdot \left\{ \sigma_0 e^{\epsilon \Delta y'} \right\}$$

gap probability \rightarrow (re)normalize to unity

DIFFRACTIVE AND TOTAL CROSS SECTIONS

arXiv.org > hep-ph > arXiv:1205.1446

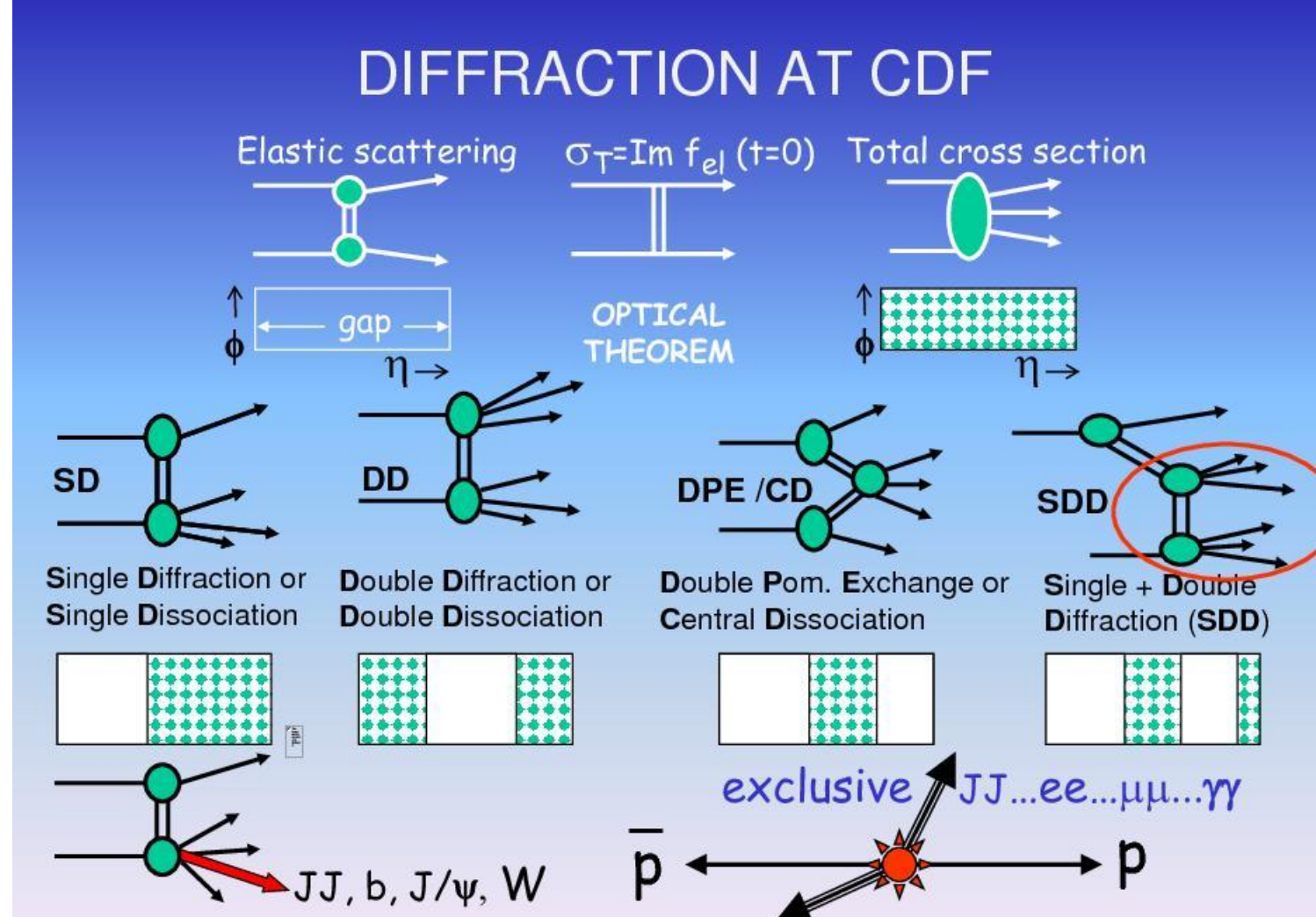
High Energy Physics - Phenomenology

MBR Monte Carlo Simulation in PYTHIA8

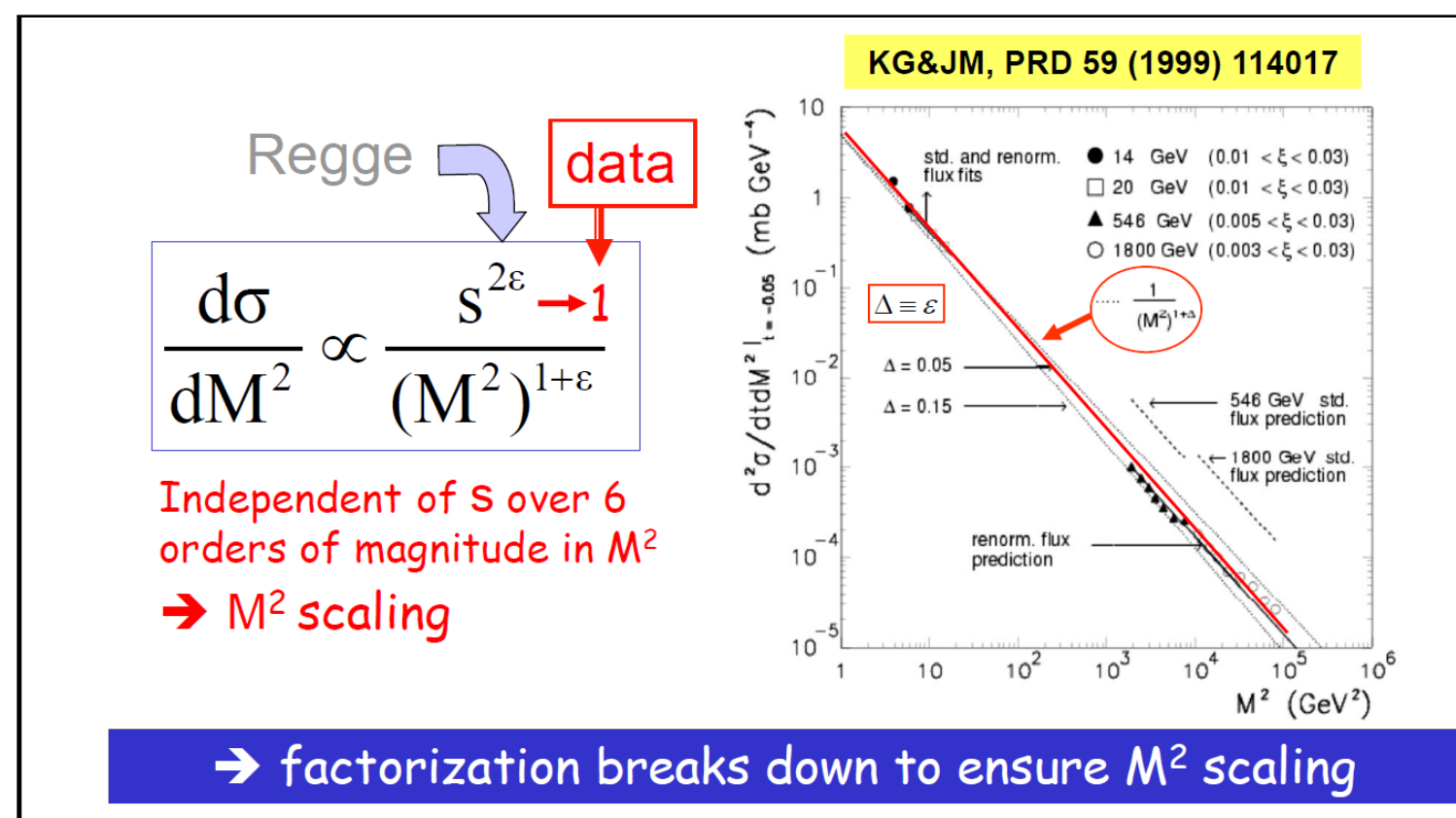
R. Ciesielski, K. Goulios

Diffractive, elastic, and the total pp cross sections based on the **RENORM** model are now implemented in PYTHIA8.

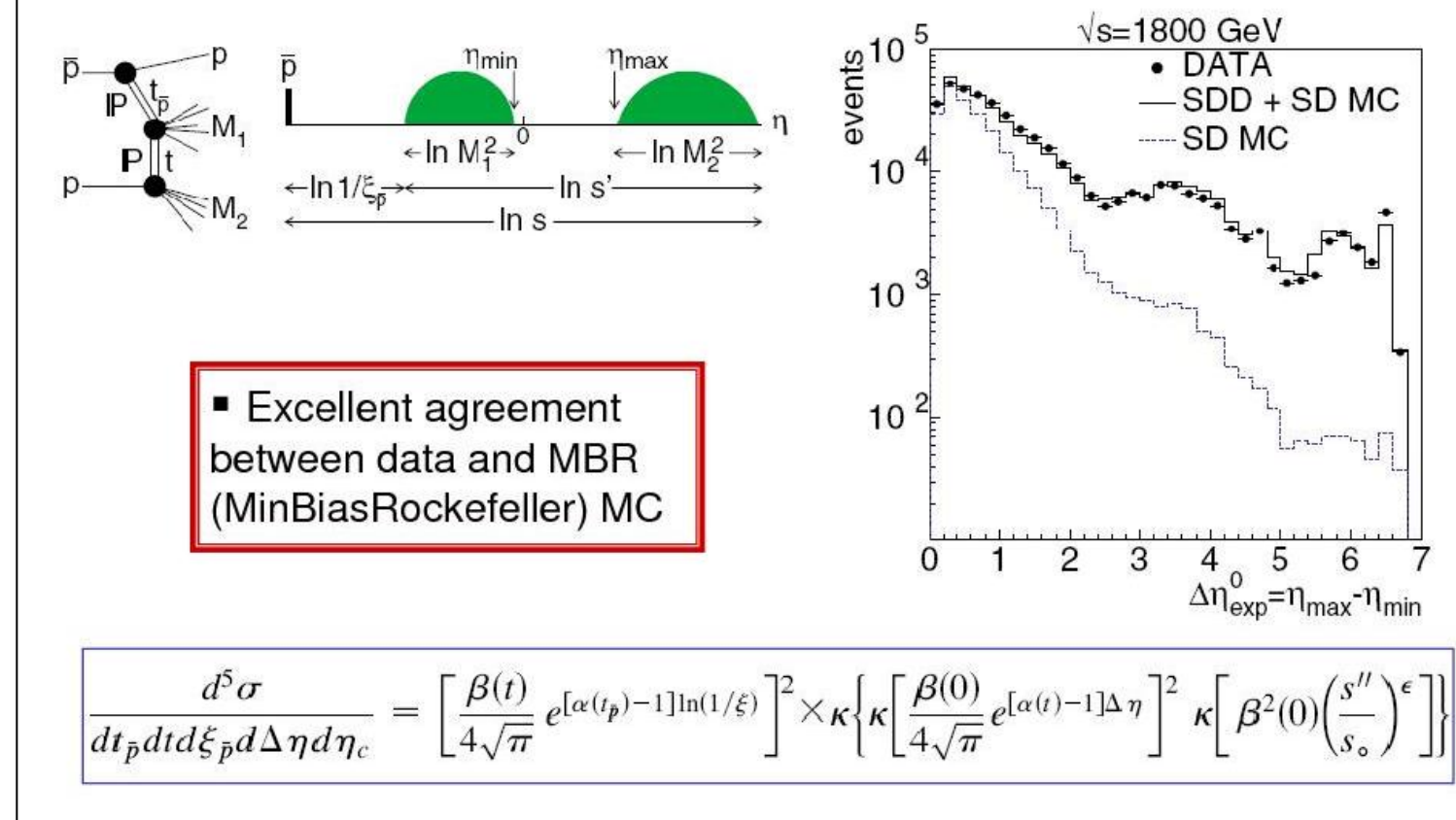
DIFFRACTION AT CDF



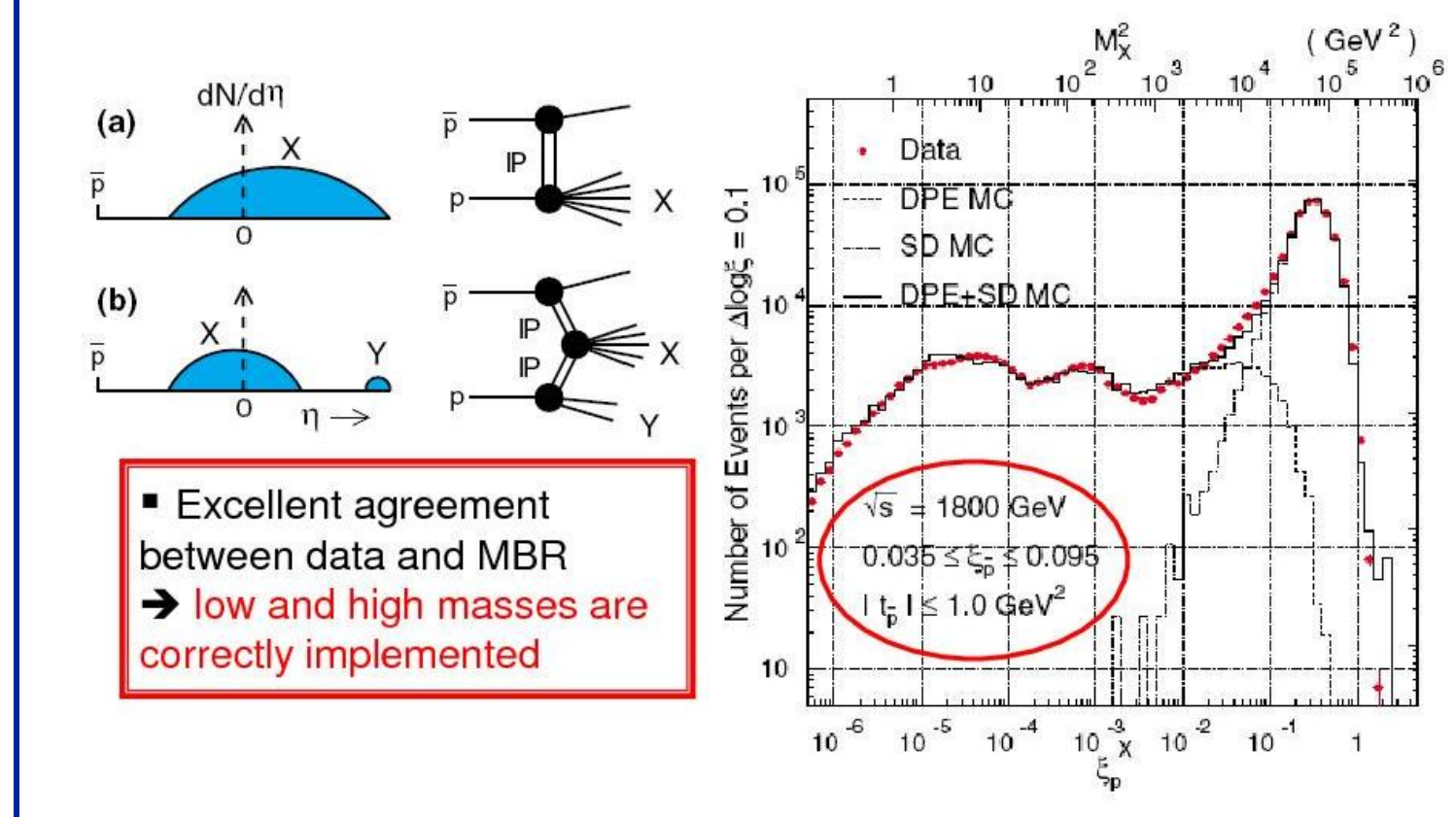
SINGLE DIFFRACTION $d\sigma/dM^2$ vs M^2 AND s



SDD @ CDF



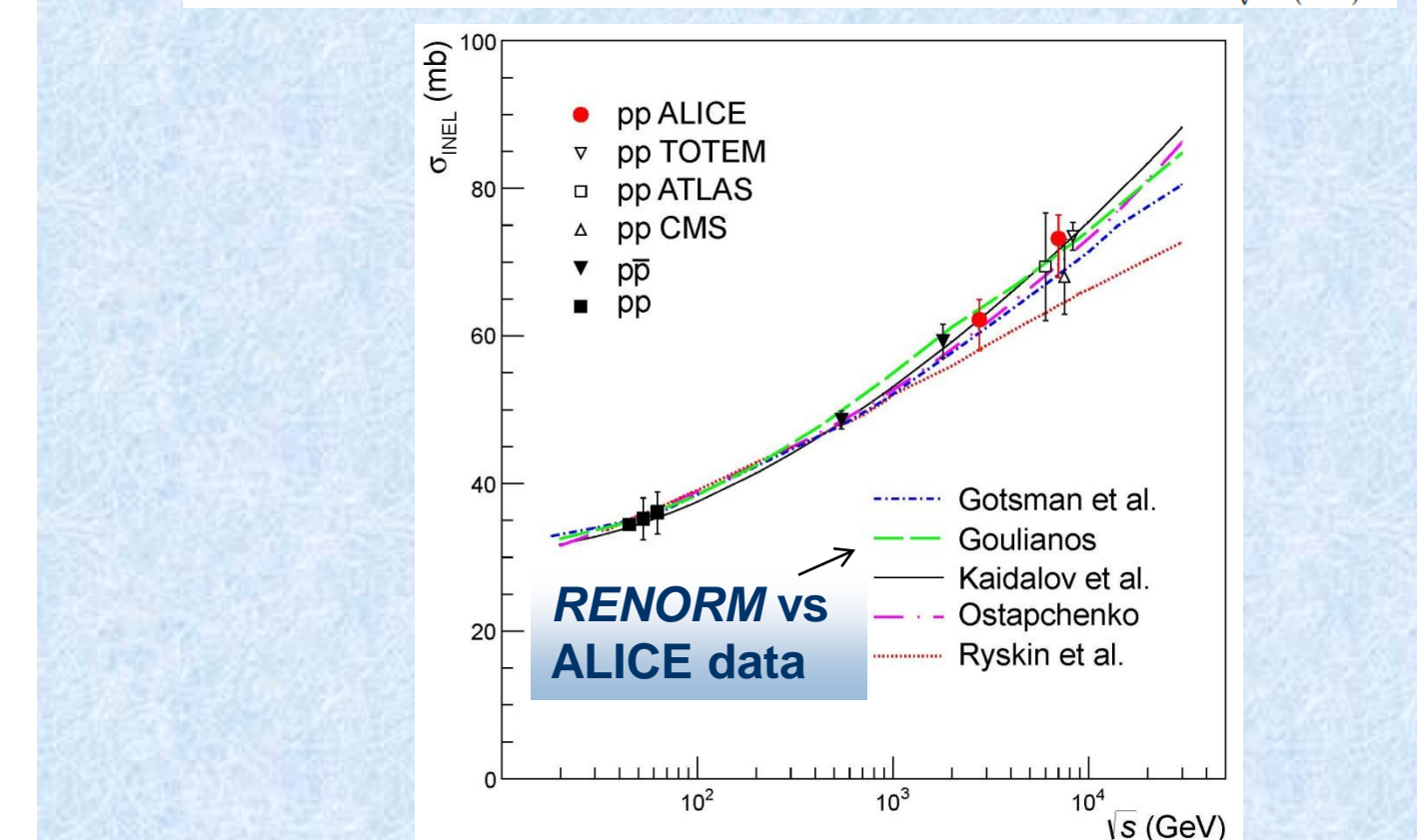
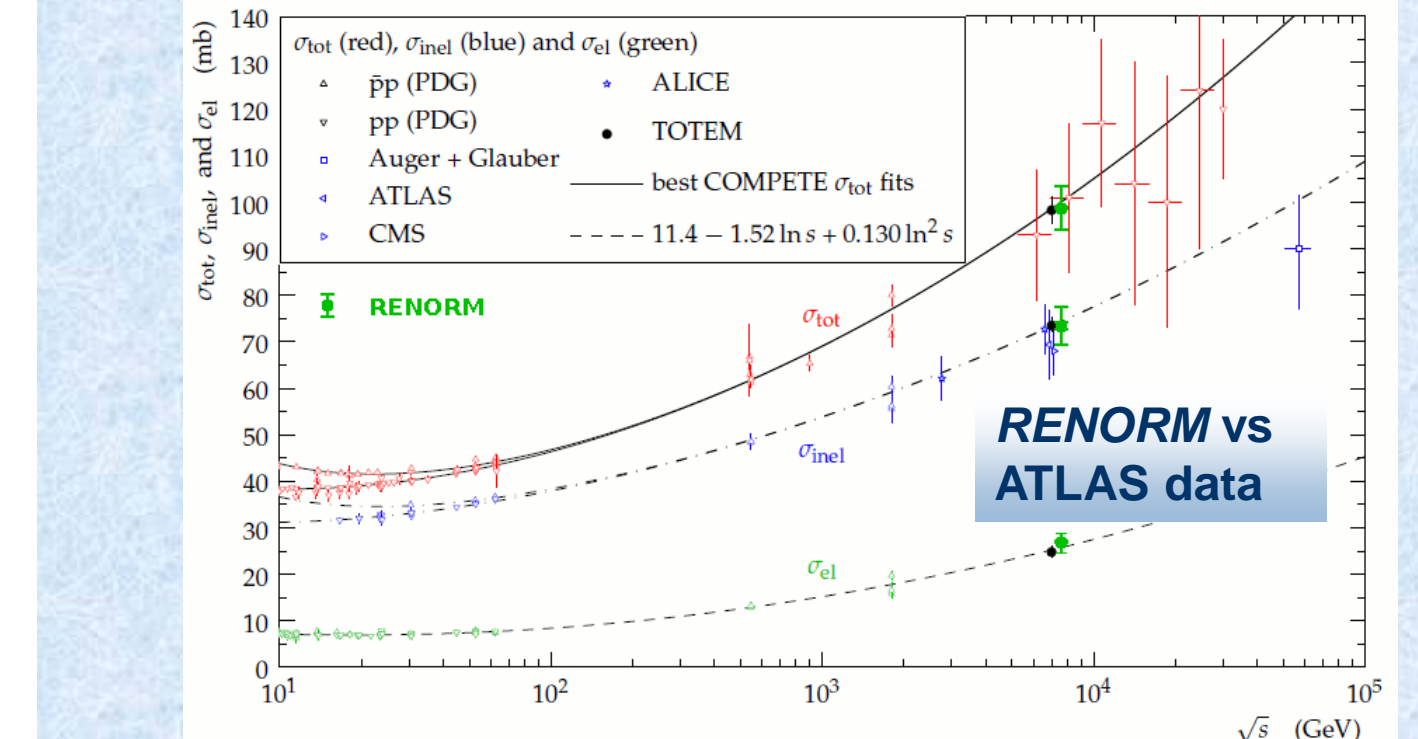
CD/DPE @ CDF



In all the above cases there is excellent agreement between **RENORM**-based MBR and data.

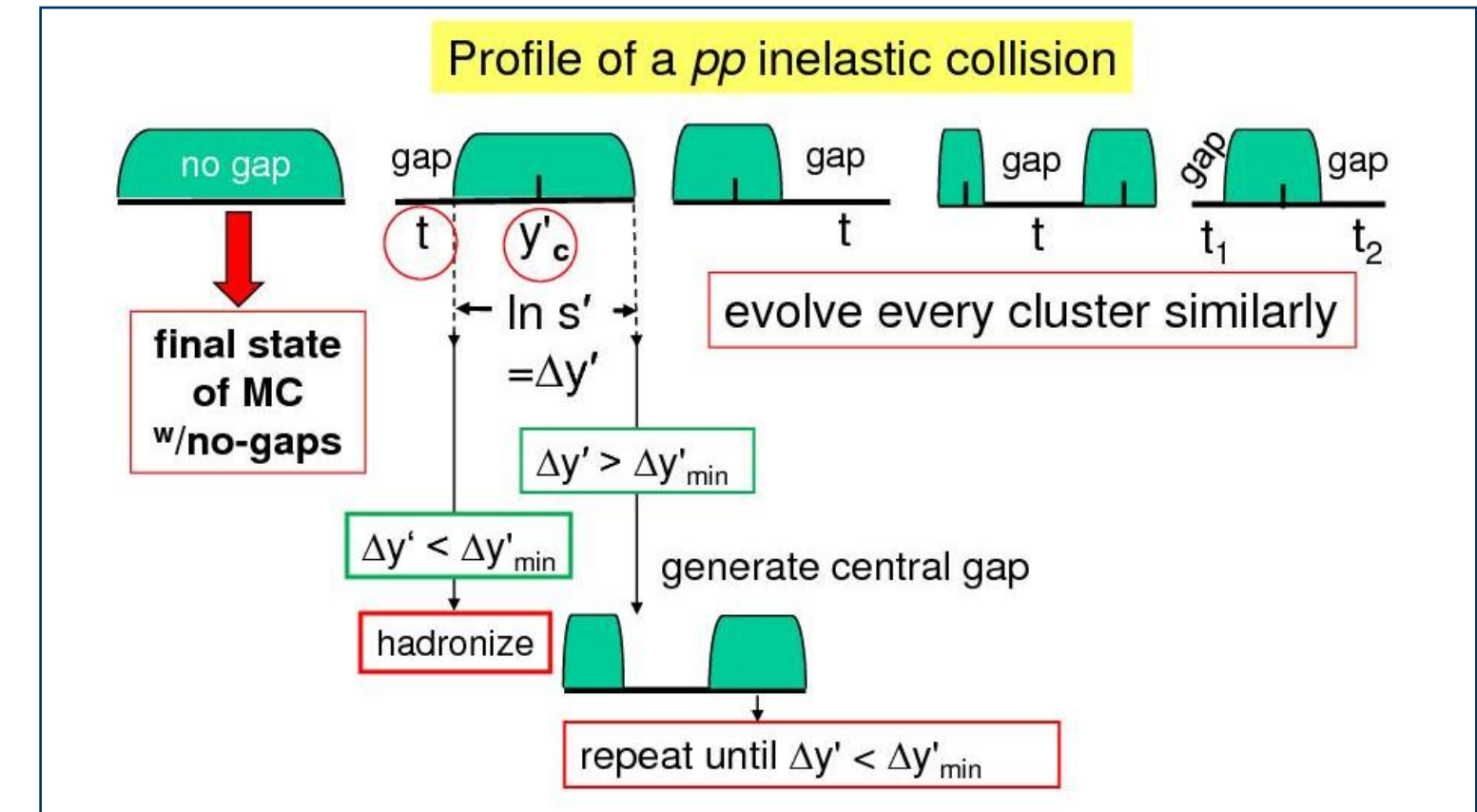
DIFFRACTION AT LHC

pp CROSS SECTIONS vs RENORM



MONTE CARLO STRATEGY

- $\sigma_{tot} \rightarrow$ from SUPERBALL model
- optical theorem $\rightarrow \text{Im } f_{el}(t=0)$
- dispersion relations $\rightarrow \text{Re } f_{el}(t=0)$
- $\sigma_{el} \leftarrow$ using global fit
- $\sigma_{inel} = \sigma_{tot} - \sigma_{el}$
- differential $\sigma_{SD} \rightarrow$ from RENORM
- use *nesting* of final states for pp collisions at the P - p sub-energy \sqrt{s}'



REFERENCES:

A MODEL OF DIFFRACTION

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MPI@LHC
Workshop on Multi-Parton Interactions at the LHC
3-7 December 2012, CERN

RENORM has been implemented in PYTHIA8 in collaboration with Robert Ciesielski from The Rockefeller University.

